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# Adapting buildings heating and cooling power need models at the district scale

Loïc Frayssinet

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**Adapter les modèles de chauffage et  
climatisation des bâtiments en puissance  
à l'échelle du quartier**

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**Adapting buildings heating and cooling  
power need models at the district scale**

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## **Adapting building heating and cooling power need models at the district scale**

### **Abstract**

District-scale building energy models are generally simplified to cope with a lack of data and to reduce computational cost. However, the impacts of these simplifications on model accuracy are not systematically studied, particularly when considering power demand.

The present manuscript introduces a methodology to determine the suitability of any simplifications, notably those at the district scale, and considering the power demand. This methodology was applied to usual simplifications of the building envelope model thanks to a specific platform developed in the frame of this thesis. This platform enables automatically generating and simulating building energy models with different modelling levels of detail from geographical information systems. The parallelisation of the building energy simulations was notably implemented at the district scale in order to benefit from the model structure and to efficiently reduce the computational duration.

The definition of indicators related to specific simulation objectives appears to be a necessary step when focusing on power demand. The results show a higher sensitivity to simplifications of the power demand than the annual energy consumption. These effects are quantified and physically analysed. The district-scale ability to attenuate the impacts of simplifications and to integrate statistical sources of data were demonstrated. The resulting quantification of the impacts of the simplifications made it possible to guide the adaptations of models to the simulation objectives and to the technical constraints. Such contribution aims to increase the efficiency and to favour the development of city-scale energy simulations, which are particularly needed to cope with future challenges.



## Résumé

Les modèles énergétiques des bâtiments à l'échelle du quartier sont généralement simplifiés pour faire face au manque de données et pour réduire le coût de calcul. Cependant, l'impact de ces simplifications sur la validité des modèles n'est pas systématiquement analysée, en particulier lorsqu'on s'intéresse à la courbe de charge.

Pour combler ce manque, une méthodologie permettant de quantifier la validité des simplifications, notamment vis-à-vis de la courbe de charge, est proposée. Cette méthodologie est appliquée aux simplifications couramment utilisées pour les modèles thermiques d'enveloppe de bâtiments grâce à une plateforme numérique développée dans le cadre de cette thèse. Cette plateforme permet de générer et simuler automatiquement des modèles énergétiques de bâtiments, avec différents niveaux de détails, à partir de données issues de systèmes d'information géographique. La parallélisation des simulations énergétiques des bâtiments est utilisée à l'échelle du quartier, afin de tirer avantage de la structure du modèle global et de réduire les temps de calculs.

La définition d'indicateurs spécifiques selon l'objectif de simulation apparaît clairement comme l'étape essentielle lorsque l'on s'intéresse à la courbe de charge. Les résultats indiquent que la puissance est plus sensible aux simplifications que la consommation annuelle d'énergie. Les différents effets induits sont quantifiés et analysés physiquement. La capacité de l'échelle du quartier à atténuer les impacts des simplifications et d'intégrer les données statistiques est démontrée. La quantification des impacts des simplifications permet de guider l'adaptation des modèles vis-à-vis des objectifs de simulation et vis-à-vis des contraintes techniques. Cette contribution a pour objectif d'améliorer la performance des simulations énergétiques à l'échelle de la ville, et de favoriser leur développement, afin de répondre aux enjeux futurs.

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# List of Abbreviations

<b>BEM</b>	<b>B</b> uilding <b>E</b> nergy <b>M</b> odel
<b>BIM</b>	<b>B</b> uilding <b>I</b> nformation <b>M</b> odel
<b>CES</b>	<b>C</b> ity <b>E</b> nergy <b>S</b> imulation
<b>CHTC</b>	<b>C</b> onvective <b>H</b> eat <b>T</b> ransfer <b>C</b> oefficient
<b>DEM</b>	<b>D</b> istrict <b>E</b> nergy <b>M</b> odel
<b>FMI</b>	<b>F</b> unctional <b>M</b> ockup <b>I</b> nterface
<b>FMU</b>	<b>F</b> unctional <b>M</b> ockup <b>U</b> nit
<b>GHG</b>	<b>G</b> reen <b>H</b> ouse <b>G</b> ases
<b>GIS</b>	<b>G</b> eographic <b>I</b> nformation <b>S</b> ystem
<b>LoD</b>	<b>L</b> evel of <b>D</b> etail
<b>LW</b>	<b>L</b> ong- <b>W</b> ave
<b>RC</b>	<b>R</b> esistance <b>C</b> apacitance
<b>UBES</b>	<b>U</b> rban <b>B</b> uilding <b>E</b> nergy <b>S</b> imulation
<b>VOI</b>	<b>V</b> ariable <b>O</b> f <b>I</b> nterest

## Subscripts

<i>abs</i>	absorbed
<i>cd</i>	conductive
<i>ctr</i>	controlled
<i>cv</i>	convective
<i>dfh</i>	diffuse horizontal
<i>drn</i>	direct normal
<i>eq</i>	equivalent
<i>ext</i>	external/outside
<i>g</i>	global
<i>gnd</i>	ground
<i>hg</i>	heat gain
<i>in</i>	indoor/internal/inside
<i>infil</i>	infiltration
<i>op</i>	operative
<i>out</i>	outdoor
<i>rad</i>	(LW) radiation/radiant
<i>S</i>	surface
<i>sol</i>	solar
<i>tr</i>	transmitted
<i>vent</i>	ventilation
<i>win</i>	window





# List of Symbols

$a$	thermal diffusivity	$\text{m}^2 \text{s}^{-1}$
$b$	reduction coefficient	-
$c$	specific heat capacity	$\text{J kg}^{-1} \text{K}^{-1}$
$E$	Energy	J
$e$	thickness	m
$F$	view factor	-
$f$	frequency	Hz
$h$	heat transfer coefficient	$\text{W m}^{-2} \text{K}^{-1}$
$J$	radiosity	W
$K$	air permeability	$\text{m}^3 \text{s}^{-1} \text{Pa}^{-2/3}$
$T$	temperature	K or $^{\circ}\text{C}$
$t$	time	s
$P$	(energy system) power	W
$p$	pressure	Pa
$Q$	air flow rate	$\text{m}^3 \text{s}^{-1}$
$S$	area	$\text{m}^2$
$U$	U-value	$\text{W m}^{-2} \text{K}^{-1}$
$V$	volume	$\text{m}^3$
$v$	(wind) velocity	$\text{m s}^{-1}$
$x$	distance	m
$\alpha$	absorption coefficient	-
$\varepsilon$	emissivity	-
$\eta$	(heat exchanger) efficiency	-
$\theta$	transmission coefficient	-
$\kappa$	diversity factor	-
$\lambda$	thermal conductivity	$\text{W m}^{-1} \text{K}^{-1}$
$\rho$	density	$\text{kg m}^{-3}$
$\varrho$	reflection coefficient	-
$\sigma$	Stefan-Boltzmann constant	$\text{W m}^{-2} \text{K}^{-4}$
$\tau$	characteristic time	s
$\Phi$	(heat) power	W
$\phi$	(heat) flux	$\text{W m}^{-2}$



# Chapter 1

## Introduction

### Contents

<b>1.1 Urban buildings and district energy models</b> . . . . .	<b>1</b>
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## 1.1 Urban buildings and district energy models

### 1.1.1 Context

The energy behaviour of buildings plays many key roles in the major challenges of the future. These roles are emphasized by the considerable global increase in urbanisation.

**Importance of cities** According to the UN (2014), approximately 3.9 billion people lived in cities in 2014 (66 % of the total population), more than 5 times greater than that in 1950 (30 %). The urban population is expected to increase by 66 % until 2050. As a consequence, the number of cities and their size will increase. This urban sprawl has many harmful consequences, such as the worrying loss of biodiversity (IPBES, 2016) and the exacerbation of natural disasters, notably via the increase of the exposure (GFDRL, 2016), as such flooding and heat waves. These consequences impact the environment and public health. Heat waves are particularly related to urban physics and building energy behaviour, because of the urban heat island effect (Oke, 1982).

**Energy issues** Issues directly related to energy are particularly crucial with respect to global warming mitigation specification. Indeed, in 2015, more than 80 % of the world primary source of energy relies on combustion of fossil fuels (IEA, 2017), contributing to 65 % of the greenhouse gases (GHG) emissions (IPCC, 2014).

To cope with global warming, the international community had committed to the Paris agreements to '*hold] the increase in the global average temperature to well below 2 °C above pre-industrial levels'* (UN, 2015). Concretely, this commitment implies not emitting more than about 1.000 Gt<sub>eq.CO<sub>2</sub></sub> of greenhouse gases during the following

years (IPCC, 2014). Such constraint notably implies to drastically change the whole global energy paradigm, and more generally our behaviour, because of their dependency on fossil fuels. To highlight the importance of the necessary changes and their urgency, today, the annual GHG emissions rate, continuously increasing over the time, is approximately 50 Gt<sub>eq.CO<sub>2</sub></sub>/year. Hence, at constant emissions, the budget will be entirely consumed within only 20 years. This situation is even more urgent given that the increase of the GHG emissions is historically linked to the population growth (IPCC, 2014). Mitigation of global warming is hence clearly a daunting task, and even more worrying that global warming exacerbates previous issues. However, it can be seen as a motivating opportunity to build and reinvent a sustainable and responsible world.

**The key role of the building sector** The building sector is concerned by both urbanisation and energy issues. It has been particularly identified as a priority target for mitigation strategies as it belongs to the major contributor to GHG emissions, with 19 % of the worldwide energy GHG emissions<sup>1</sup>, and even more in developed countries (in Europe for instance), whereas this emissions may be strongly and efficiently reduced (IPCC, 2014).

The main source of reduction, which is particularly economically interesting and currently available, may be reached thanks to building insulation. The use of efficient energy systems, and the optimisation of their design, in concert with optimal building design also belong to *final energy reduction* mitigation measures.

Reductions of GHG emissions may also be achieved thanks to *switch* the energy used in buildings to *low-carbon energy carriers* coming from renewable sources of energy. District scale implementation offers advantages for the integration of these sources. Indeed, energy production may be shared via networks. Furthermore, sharing generally makes it possible to reduce the size of the global system, potentially including energy storage, compared to individual distributed systems and to optimize operation. Moreover, it is suitable to integrate intermittent renewable energy with *smart grids*. Smart grids aim to manage energy consumption and production from one building to other.

**Need for tools** In order to support these changes, tools are expected by city decisions makers and urban and building planners to guide their choices and their practices consistent with previous issues. As these issues are related to urban buildings and district-level energy behaviour, their modelling is crucial.

### 1.1.2 State of the art

The increasing need for urban buildings and district energy models is highlighted by Keirstead, Jennings, and Sivakumar (2012). They identified 219 research papers concerning urban energy models within the past 30 years. Heating and cooling energy demand models for urban buildings were reviewed by the author (Frayssinet et al., 2018b). Main outlines of this article, available in Appendix D, are briefly summarized below. Heating and cooling were addressed as the issues previously identified are mainly related to these energy uses.

<sup>1</sup>It includes direct, produced within the building, and indirect, produced out of the building, emissions, related to electricity and heat used in buildings. Emissions associated to the material embodied energy (cement and steel productions for example) are also target of reduction, but are accounted in the industry sector.

Among the different existing approaches, only the *micro-simulation* category, belonging to *engineering bottom-up* approaches, is retained. *Engineering* models are based on physical phenomena. As a consequence, only this approach is able to test different scenarios, with changes in the envelope (refurbishment) or of the energy system, for example. Moreover, possible technological breakthroughs may be modelled. In contrast with *statistical* or data-driven models, which are based on historical data. Furthermore, district *micro-simulations* explicitly model all buildings in the district. This approach make it possible to spatially analyse the results.

In this approach, 3 main simulation objective categories were identified (Fig. 1.1):

- (A) Studying the interactions of buildings with the urban environment;
- (B) Estimating the energy consumption of buildings;
- (C) Simulating the power demand.

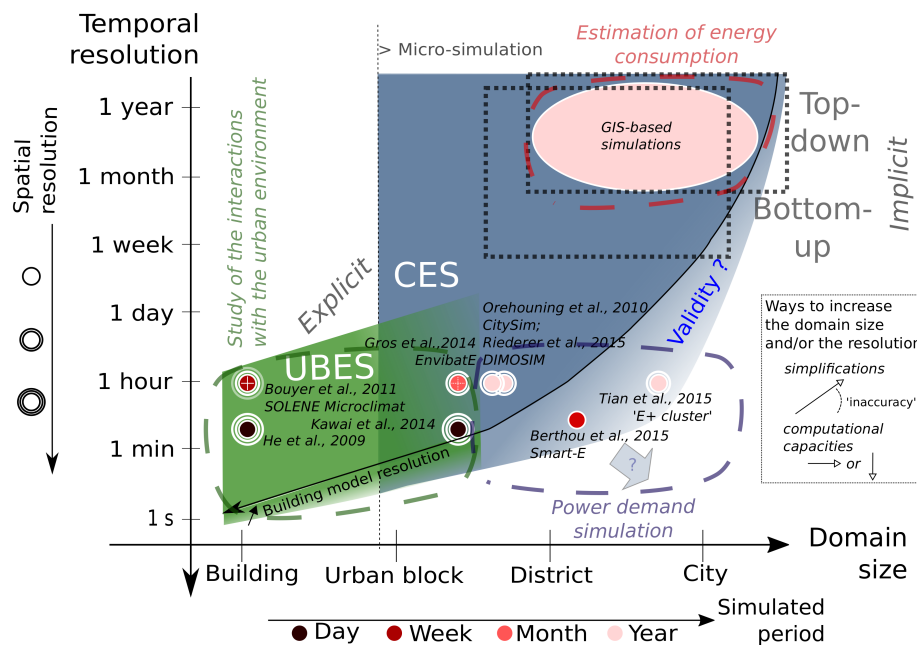


FIGURE 1.1: Comparison of the domains of availability of the different categories of energy simulation of urban buildings (From (Frayssinet et al., 2018b))

These simulation objectives effectively aim to answer building issues introduced hereafter. For instance, for some representative tools, among those identified in (Frayssinet et al., 2018b), their objectives are:

- (A) '[to quantify] the influences of outdoor configurations and surface materials on indoor and outdoor environments' (He, Hoyano, and Asawa, 2009) or 'to evaluate the microscale urban planning elements impact on the energy behaviour of target buildings' (Bouyer, Inard, and Musy, 2011)—related to the consequences of the urban development on the indoor and outdoor conditions for energy, comfort and public health considerations.

- (B) *'to predict the heating energy demand of urban districts and analyze strategies for improving building standard'* (Strzalka et al., 2011) or *'to obtain a city-wide energy mapping of the (residential) built environment'* (Agugiario, 2015)—related to the identification of building energy saving potential.
- (C) *'to help short-term grid balance'* with respect to *'demand response strategies implemented on residential buildings in a smart grid context'* (Berthou et al., 2015) or to consider *'local energy system for heating, cooling and domestic hot water preparation, thermal networks as well as local and/or central energy production and storage'* of buildings (Riederer et al., 2015)—related to the integration of renewable sources of energy.

### 1.1.3 Issues

However, micro-simulations face the 2 main following technical issues:

- First, as all buildings of the district are explicitly modelled, numerous simulations have to be run, leading to a high computational cost, which is potentially prohibitive.
- Second, large amounts of data are needed to feed the models, but the data availability is often limited (numerous unknowns) or incoherent (i.e., statistical data for deterministic models).

These issues particularly concern the C-category as these models have a high spatial and temporal resolution (detailed models), a large spatial domain and often a long simulation period.

To cope with these limitations, the solution is generally to simplify the model, in order to reduce the computational cost and the needed data (as for the A-category). This strategy is evidenced by the numerous simplifications, specifically developed for district energy models, proposed in the literature. As identified in (Frayssinet et al., 2018b), these simplifications mainly concern radiation modelling, urban climate modelling and envelope modelling. The development of statistical models (Swan and Ugursal, 2009) is an alternative but is not compatible with micro-simulations.

## 1.2 Field of study

### 1.2.1 Main issues

As seen before, current city energy models, regardless of approach, necessarily rely on different kinds of simplifications. However, *are the simplifications suitable?* This question is particularly crucial for the C-category, as the need of simplifications is high, due to identified technical issues, simultaneously with the expected level of detail (Fig. 1.1). The main objective of this work is to *study the simplifications suitability*.

The main simplifications of building and district models are first identified in Chapter 2, thanks to a detailed review of the modelling process. Then, the methodology developed to analyse the *suitability* of these simplifications is introduced in Chapter 3. The tool chain developed to test the suitability of the main simplifications is detailed in Chapter 4, and is then applied to case studies in Chapter 5, first at

the building scale and then at the district scale. The final chapter discusses the main results and open perspectives<sup>2</sup>.

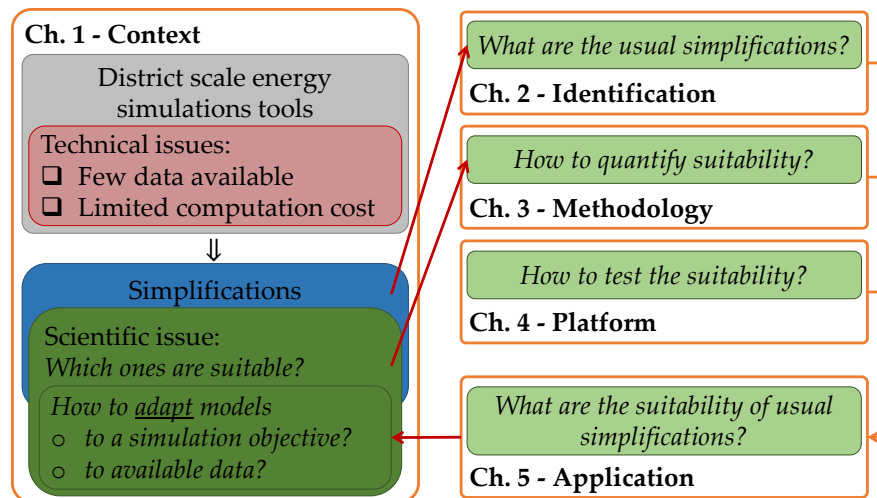


FIGURE 1.2: Contents sketch

These steps aim to answer the following scientific issue: *how to build a district energy model given technical issues?* This issue is further analysed during the methodology definition, notably in Sec. 3.1.2. Answering such issue may guide the development of district energy micro-simulations, for the C-category in particular, which is critical with respect to technical issues.

## 1.2.2 Scope of the study

As building thermal behaviour is the most expensive part of energy simulations and hence the main target of simplification (see Chap. 2), only **envelope modelling** and directly related phenomena are addressed in the present work (Fig. 1.3). As a result, only the building energy consumption related to the envelope is considered, which corresponds to **heating and cooling** (and excludes others energy uses such as domestic hot water, lighting and others electric appliances). More precisely, this consumption corresponds to **energy needs**, as no energy system is modelled (see Chap. 2). In reality, the needs differ from consumption due to system energy behaviour (regulation, inertia, yield, etc.).

As a consequence, as the models used focus only on envelope modelling, the simulation results probably deviate from reality as occupant and energy system interactions are not accounted for. However, in the frame of this work, the objective is first to better model the envelopes to then integrate them in a comprehensive model.

## 1.2.3 Glossary

The district scale is addressed rather than the city scale. There is no common definition of the district scale. In the present manuscript, the district scale is considered starting when a *certain representativeness* appears (see Sec. 3.2.4). The city scale is then simply a assembly of districts.

<sup>2</sup>The chapters are quite independent. Readers can directly go to the chapter that concerns their interest (methodology, modelling, platform, results). Prerequisites are clearly identified and referenced to the corresponding section.



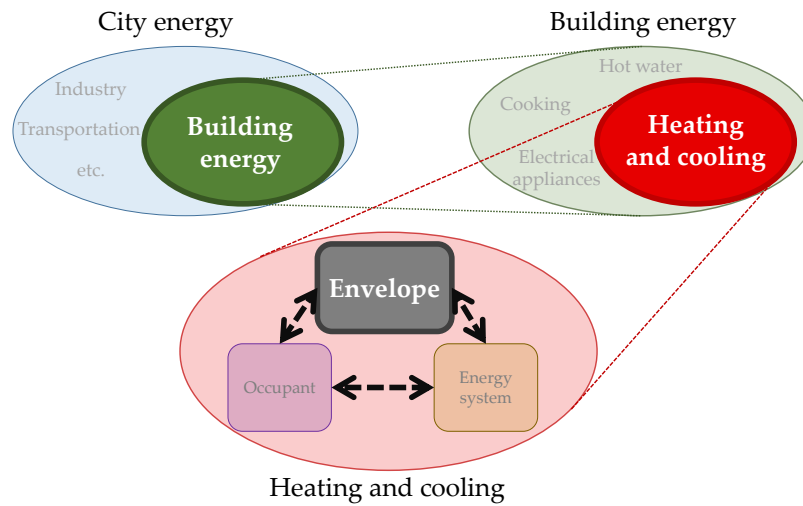


FIGURE 1.3: Scope of the study

The term *power* corresponds to the instant energy variation. In order to simplify the writing, the term *power* is voluntarily improperly used to indicate mean power when it is estimated during the shortest time-steps (usually an hour), whereas it not corresponds to the real definition of the word which is the instant energy variation.

## Chapter 2

# Building to district energy model

### Contents

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In order to identify the common simplifications used in building and district energy models, this chapter introduces the modelling principles and details retained in the developed modelling platform (Chap. 4). In the following, the different variants of these modelling assumption are identified and associated with a specific label written in blue in square brackets: [label]. These assumptions are summarized in Appendix B to ease later references.

## 2.1 Building energy model

The basic principle of a building energy model<sup>1</sup> (BEM) relies on the separation of the building into different type of elements, essentially, air volumes and walls (Fig. 2.1). These elements are then associated with specific equations that describe their energy behaviour, including the related energy transfers with other adjacent elements. The whole BEM simply consists of the assembly of the sets of equations, as described in this chapter.

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<sup>1</sup>Based on engineering model, also called *white-box* model.

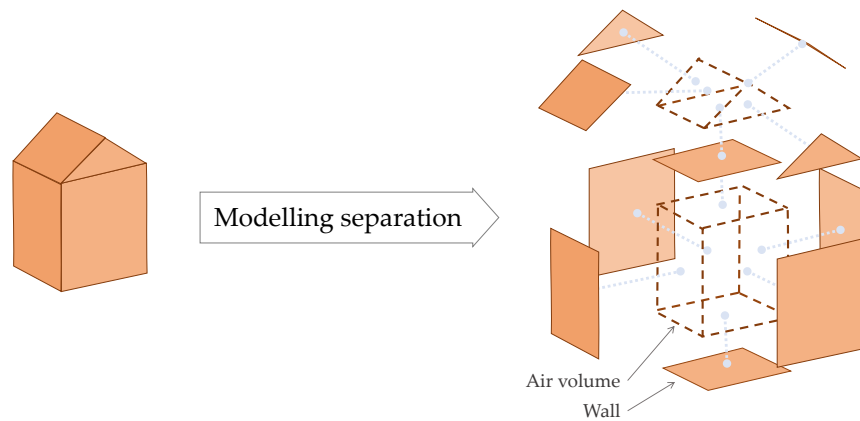


FIGURE 2.1: Example of building energy model separation

**Zoning** The separation of the building depends of the desired level of detail, the simulation objective and the data availability, but it is advised to differentiate air volumes, called *thermal zones*, having different thermal behaviour. The thermal behaviour of a zone notably depends on the setpoint temperature and its internal heat gains (including solar heat gains that depend on the zone orientation of window positions). The coarsest BEM may consider a unique volume for the whole building and these are called *monozone* models in contrast with *multizone* models. Because of a general lack of detailed data at the city scale, the default BEM is monozone [Zoning-0]. The following arbitrary zoning configurations are also considered (Fig. 2.2):

- Floor zoning: each level is associated to a thermal zone [Zoning-lvl];
- Orientation zoning: each wall orientation is associated to an adjacent thermal zone [Zoning-ori];
- Combined zoning: a combination of the two previous zoning [Zoning-cmb].

In the first case, the zone interface walls are the floors; if unknown, the number of stories is deduced based on the usual ceiling height. In the second case, the orientation zoning is defined according to the ASHRAE 90.1 appendix G as used by Dogan, Reinhart, and Michalatos (2014), and the interface walls are fictional partitions.

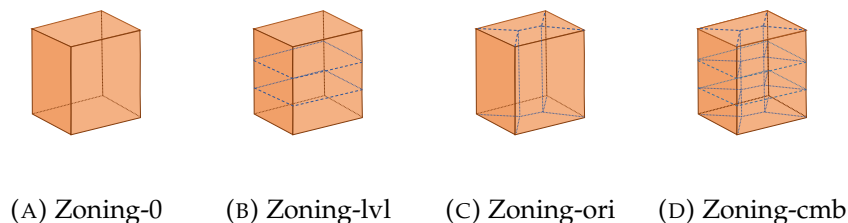


FIGURE 2.2: Zoning variants

**Facade** The walls, defined during the building separation, are partitions or interior floors, possibly fictional, when they separate thermal zones, and are roofs, exterior

floors or part of the facade when they separate a zone from the exterior. In this last case, a facade may contain 2 different elements, namely, opaque and transparent walls (i.e., walls and windows). Consequently, in the modelling process, the facade element is split into 2 parts, walls and windows, depending on their respective dimensions (Fig. 2.3). In the following, the term *wall* refers to the global category (wall and windows), but the modelling specificities of windows are specifically detailed later (Sec. 2.1.2).

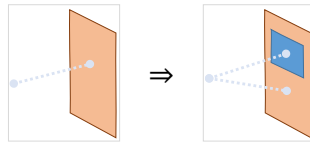


FIGURE 2.3: Separation of a facade containing walls and windows

Note concerning the description of heat transfers.

*In order to make this formal part more accessible, in the figures and in the text, we choose to consider the heating period to describe the common direction of the heat transfers as it is well experienced by many people, where energy consumption related to building air conditioning is dominant, notably in Europe. During this period, buildings lose heat: it goes from inside (hot) to outside (cold). In some configurations, the heat flow can be in the reverse side. This case occurs when wall interior temperature becomes higher than the air temperature. For example, if an inside face of a wall is overheated by transmitted solar flux or for internal walls, when the air temperature decreases as these walls have higher thermal inertia. However, this fact does not change the equations introduced hereafter, and the flow simply becomes negative. Therefore, for the sake of simplicity, and in order to avoid redundancies, the behaviour in these particular periods and in summer are not detailed.*

### 2.1.1 Air volume energy balance

Let us start with a thermal zone of the building decomposition. It is assumed that the properties of the air volume ( $V_{air}$  [m<sup>3</sup>]) are spatially homogeneous, in particular the temperature ( $T_{air.in}$  [K]). This assumption is relevant if the volume is well mixed, which is the case in a usual room, notably because of the activities of inner occupants<sup>2</sup>. Note that only sensible heat transfers are modelled, and moisture and related latent heat transfers are neglected, hence, following energy balances only concerns the sensible part. This assumption is often used in BEM but may causes non-negligible biases, in particular in humid climate, for cooling, and for hygroscopic materials (Mendes et al., 2003).

In winter, it is clear that heating is necessary to keep the indoor temperature within comfort range as the temperature otherwise tends to decrease because of heat loss.

***Internal convective heat transfer*** In most existing buildings (which are not energetically efficient), the majority of the heat loss is due to envelope losses. The heat of the air volume is released towards the surrounding walls through convection. The

<sup>2</sup>However, this assumption may be inappropriate in cases with high ceiling heights because of temperature stratification. In these cases, which are not considered here, detailed models using zonal approaches or computational fluid dynamics methods are needed.

resulting heat flow between the air volume and any surrounding wall  $i$  ( $\Phi_{cv.in}^{(i)}$  [W]) are modelled using Newton's law:

$$\Phi_{cv.in}^{(i)} = h_{cv.in} \cdot S^{(i)} \cdot (T_{air.in} - T_{S.in}^{(i)}) \quad (2.1)$$

where  $h_{cv.in}$  [ $\text{W m}^{-2} \text{K}^{-1}$ ] is the internal convective heat transfer coefficient (CHTC) and  $S^{(i)}$  [ $\text{m}^2$ ] and  $T_{S.in}^{(i)}$  [K] represent the inside area and the inside wall surface temperature of the wall  $i$ , respectively .

**Air renewal** Heat loss also comes from air renewal caused by controlled ventilation and infiltration. The resulting heat flux induced by ventilation ( $\Phi_{vent}$  [W]) is:

$$\Phi_{vent} = \rho_{air} \cdot Q_{air} \cdot c_{air} \cdot (T_{air.in} - T_{inlet}) \quad (2.2)$$

where  $Q_{air}$  [ $\text{m}^3 \text{s}^{-1}$ ] is the air flow rate generated by the venting system;  $\rho_{air}$  [ $\text{kg m}^{-3}$ ] and  $c_{air}$  [ $\text{J kg}^{-1} \text{K}^{-1}$ ] represent the air density and specific heat capacity, respectively; and  $T_{inlet}$  [K] represents the inlet air temperature. In our model, air flows between thermal zones are not considered. As a consequence, the inlet temperature is equal to the outdoor air temperature ( $T_{air,out}$  [K]) in the case of infiltrations and simple mechanical ventilation<sup>3</sup>. In case of a cross-flow ventilation the inlet air temperature is warmed up by the exhaust air, leading to the following relations:  $T_{air,out} < T_{inlet} < T_{air.in}$ . Knowing the efficiency of the heat exchanger system ( $\eta = \frac{T_{inlet} - T_{air,out}}{T_{air.in} - T_{air,out}}$ ), it is possible to write the following:

$$\Phi_{vent} = (1 - \eta) \cdot \rho_{air} \cdot Q_{air} \cdot c_{air} \cdot (T_{air.in} - T_{air.out}) \quad (2.3)$$

In most BEMs, infiltration is not modelled [**Infil-0**] or coarsely considered with an arbitrary constant flow rate, whereas infiltration strongly depends on external wind conditions. Their flow rate can be estimated using a mass balance of the indoor volume [**Infil-1**]. For a thermal zone surrounded by  $N$  walls, numbered from 1 to  $N$ , we get:

$$\sum_{i=1}^N Q_{infil}^{(i)} = \sum_{i=1}^N K^{(i)} \cdot \Delta p^{(i)2/3} = 0 \quad (2.4)$$

where  $Q_{infil}^{(i)}$  [ $\text{m}^3 \text{s}^{-1}$ ] is the infiltration flow rate through the wall  $i$ ,  $K^{(i)}$  [ $\text{m}^3 \text{s}^{-1} \text{Pa}^{-2/3}$ ] is its permeability, and  $\Delta p^{(i)}$  [Pa] is the pressure difference between its outside and inside faces. In order to compute the air pressures, it is necessary to consider aerodynamic variables and specific related models, which can strongly increase the computational cost. Possible methods are indicated in Sec. 5.1.4 as this section concerns environmental variables modelling.

Similarly than previously (Eg. 2.2), the corresponding heat losses are ( $\Phi_{infil}$  [W]):

$$\Phi_{infil} = \rho_{air} \cdot Q_{infil} \cdot c_{air} \cdot (T_{air.in} - T_{air.out}) = \rho_{air} \cdot c_{air} \cdot (T_{air.in} - T_{air.out}) \cdot \frac{1}{2} \sum_{i=1}^N |Q_{infil}^{(i)}| \quad (2.5)$$

The  $\frac{1}{2}$  factor indicates that half of the infiltration enters the air volume while the other part leaves because of dry air mass conservation.

<sup>3</sup>Complementary, it is assumed that thermal zones are not lower than a housing to avoid case were the exhausted air flow of a room comes from surroundings.

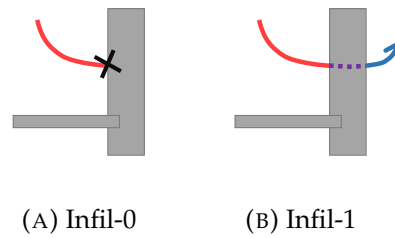


FIGURE 2.4: Infiltration model variants

**Heat gains** In contrast to heat losses, the air volume is heated by the convective part of the energy system ( $P$  [W]) and internal heat gains ( $\Phi_{hg}$  [W]). These heat gains notably come from human metabolism and various indoor uses and are often linked with occupant behaviour (cooking, electrical appliances, etc.). The temporal dynamics of these heat flows are usually modelled using standard schedules or a specific occupant model in more advanced approaches (detailed in Sec. 4.2.1). As envelope behaviour is focused on in this work, and to prevent internal heat gains 'perturbations', these heat gains were coarsely accounted for with a constant mean value (excepted in the specific analysis in Sec. 5.2.4).

**Energy balance** Finally, the air volume energy balance of a thermal zone surrounded by  $N$  walls is as follows:

$$P + \Phi_{hg} - \Phi_{vent} - \Phi_{infil} - \sum_i^N \Phi_{cv.in}^{(i)} = \rho_{air} \cdot V_{air} \cdot c_{air} \cdot \frac{\partial T_{air.in}}{\partial t} \quad (2.6)$$

Note that all flows and temperatures are implicitly time dependant and characteristics constant, except if otherwise specified. The right part of the equation corresponds to the variation of the stored thermal energy within the zone air volume, which buffers the variation of the indoor air temperature (inertia). As its characteristic time is generally much lower than the time-step, this element is often neglected.

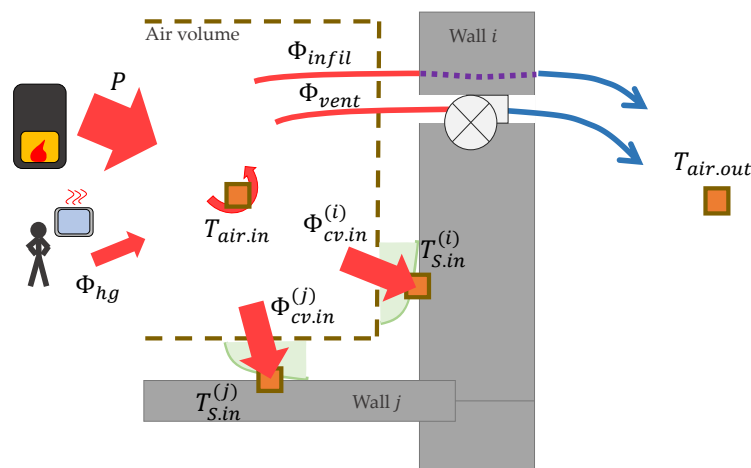


FIGURE 2.5: Air volume energy balance

Two solution strategies are available for the previous equation:

- (1) Either  $T_{air.in}$  is fixed, and consequently,  $P$  is unknown – conditioned mode.
- (2) Either  $P$  is known, and consequently,  $T_{air.in}$  is unknown – free floating mode.

During heating periods, the objective of the heating system is to keep the controlled temperature ( $T_{ctr.in}$ ) to a specific setpoint ( $T_{ctr.in} = T_{setpoint}$ ), which consists of the first possibility. Hence,  $P$  corresponds to the power that completes the internal heat gains in order to counter balance the losses and consequently keeps  $T_{ctr.in}$  at the setpoint. This case refers to the *ideal* energy needs of the building. In reality, the energy system is regulated, and the regulation is not perfect: rather, the indoor air temperature moves around the setpoint. Furthermore, the controlled temperature is generally assumed to be  $T_{air.in}$  [Control-0], but in real energy systems, this controlled temperature is much more closer to the operative temperature ( $T_{op.in}$  [K]) [Control-1], which is approximated by the mean of the air and the averaged inside surface temperatures (defined more precisely in the following). Moreover, comfort considerations are more related to the operative temperature than the air temperature.

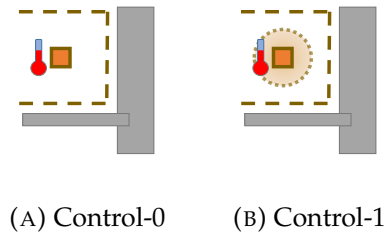


FIGURE 2.6: Controlled temperature variants

With the first solving strategy, as regulation is not modelled when considering ideal needs, only the heating needs related to the thermal behaviour of the envelope are considered via  $P$ . However, the second strategy notably occurs during floating temperature periods, when the indoor air temperature is lower than the setpoint, and consequently  $P$  is null.

In order to prevent changes in the solving strategy during simulation depending on the indoor air temperature value, in practice,  $P$  is always known and  $T_{air.in}$  unknown. Indeed, a (proportional-integral) estimator, knowing the past temperature variations, estimates the ideal needs so that the resulting indoor temperature equals the setpoint during heating periods. The indoor air temperature is deduced by solving Eq. 2.6 with the power estimated by the estimator. If well parametrised the regulator leads to negligible residuals, i.e., the regulator accurately estimates the heating needs. During floating temperature periods, the power is simply set to zero.

A useful representation of the equations is to use the following general matrix form:

$$\mathbf{C} \cdot \dot{\mathbf{T}} = \mathbf{A} \cdot \mathbf{T} + \mathbf{B} \cdot \mathbf{U} \quad (2.7)$$

where  $\mathbf{T}$  is the unknown vector,  $\mathbf{U}$  is the solicitation vector,  $\mathbf{C}$  is the capacitance matrix,  $\mathbf{A}$  is the conductance matrix and  $\mathbf{B}$  is the command matrix.

For the considered air volume energy balance (Eq. 2.6), and similarly for any thermal zones:

$$\left\{ \begin{array}{l} \mathbf{T} = \begin{pmatrix} T_{air.in} \\ T_{S.in}^{(1)} \\ \vdots \\ T_{S.in}^{(N)} \end{pmatrix}, \mathbf{U} = \begin{pmatrix} T_{air.out} \\ \Phi_{hg} \\ P \end{pmatrix} \\ \mathbf{C} = \begin{pmatrix} \rho_{air} \cdot V_{air} \cdot c_{air} & 0 & \cdots & 0 \end{pmatrix} \\ \mathbf{A} = \begin{pmatrix} \sum_i^N h_{cv.in} \cdot S^{(i)} + \rho_{air} \cdot ((1 - \eta) \cdot Q_{air} + Q_{infil}) \cdot c_{air} & -h_{cv.in} \cdot S^{(1)} \\ \cdots & -h_{cv.in} \cdot S^{(N)} \end{pmatrix} \\ \mathbf{B} = \begin{pmatrix} -\rho_{air} \cdot ((1 - \eta) \cdot Q_{air} + Q_{infil}) \cdot c_{air} & 1 & 1 \end{pmatrix} \end{array} \right.$$

The variables of the solicitation vector are respectively known from the weather file, the occupant behaviour model and the power estimator. This set of equations contains  $N+1$  unknowns ( $\mathbf{T}$ ) and only one equation, which is clearly not enough to solve it. The energy balances of the walls represent the next step in completing the mathematical problem, notably regarding the inside surface temperatures.

### 2.1.2 Wall energy balance

Additional equations are needed to determine the wall inside surface temperatures and hence the convective heat losses through them. Let us consider the wall  $i$  that encloses, among others, the previous considered air volume.

#### Inside wall surface

The inside surface temperature  $T_{S.in}^{(i)}$  results from the balance of the received and lost heat fluxes.

**Internal convective heat transfer** As seen previously, the inside surface of the wall  $i$  receives the internal convective heat transfer  $\Phi_{cv.in}^{(i)}$  from the air volume (Eq. 2.1).

**Absorbed solar flow** The inside surface can received and absorbed a part of the solar heat flow transmitted by windows into the thermal zone<sup>4</sup> ( $\Phi_{tr.sol}^{(i)}$  [W]) either directly or after reflections on the other internal surfaces. As floors usually receive the greatest part of the transmitted solar heat flow, it is commonly assumed that the whole flow is absorbed by the floors [trSol-0]. Otherwise, part of this flow could be allocated to all internal surfaces according to specific ratios. Most advanced techniques use sun patch tracking methods. For the sake of simplicity, and in order to test the previous assumption, a modelling variant using allocation proportional to respective wall areas is also used [trSol-1].

**Internal long-wave radiation** Wall inside surfaces can receive long-wave (LW) radiation from the radiative part of the indoor heat gains (not accounted for except in the parameter sensitivity analysis in Sec. 5.1.3) or from other surrounding surfaces. Indeed, a surface  $j$ , assumed as a grey body, diffusely emits a flow  $\Phi_{LW}^{(j)}$  [W] equal to:

$$\Phi_{LW}^{(j)} = \sigma \cdot \varepsilon_{in}^{(j)} \cdot S^{(j)} \cdot T_{S.in}^{(j)4} \quad (2.8)$$

<sup>4</sup>The dependence of the glass transmission coefficient with the solar angle is accounted for.



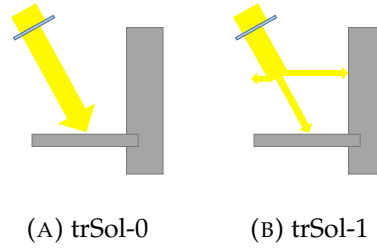


FIGURE 2.7: Transmitted solar flux allocation variants

where  $\sigma$  is the Stefan-Boltzmann constant ( $\simeq 5.67 \text{ W m}^{-2} \text{ K}^{-4}$ ) and  $\varepsilon_{in}^{(j)}$  is the emissivity of inside face of the surface  $j$ . Only a fraction  $F_{j,i}$ , called the view factor, is directly received by the surface  $i$ . As the surfaces are assumed to be grey bodies, they reflect a part of the LW radiation they receive. Hence, an additional part is received due to multiple reflections. Nonetheless, the amount of energy emitted depends on the surface temperature, itself depending on the amount of energy received. In order to solve this intertwining multiple reflections problem, the *radiosity* formulation is used. The radiosity  $J^{(j)}$  [W] is defined as the total flow that comes from the surface  $j$  (the sum of the emitted and reflected flows):

$$J^{(j)} = \sigma \cdot \varepsilon_{in}^{(j)} \cdot S^{(j)} \cdot T_{S.in}^{(j)4} + \varrho_{LW}^{(j)} \cdot I_{LW}^{(j)} \quad (2.9)$$

where  $\varrho_{LW}^{(j)}$  is the LW reflection coefficient and  $I_{LW}^{(j)}$  [W] is the (unknown) total LW flow received by the surface  $j$  (including all reflections).

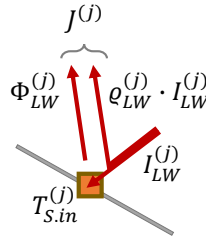


FIGURE 2.8: Radiosity

Therefore, the net radiation exchanged by the surface  $i$  surrounded by  $N$  surfaces ( $\Phi_{rad.in}^{(i)}$  [W]) is as follows:

$$\Phi_{rad.in}^{(i)} = \sum_{j=1}^N S^{(j)} \cdot F_{j,i} \cdot J^{(j)} - S^{(i)} \cdot J^{(i)} \quad (2.10)$$

This multi-reflection problem can be solved using matrix solving or ray-tracing methods, both of which require a detailed knowledge of the geometry of the internal walls inside thermal zones. As this information is generally unknown during the first building design stages or at the city scale, we use the following assumptions:

- First, it is assumed that the surface LW properties are the same for each surface ( $\varepsilon_{in}, \varrho_{LW}$ ).
- Second, there is no reflection ( $\varrho_{LW} = 0$ ), and hence, as the building materials are opaque to LW radiation, the received flow is entirely absorbed. This last

assumption is justified by the fact that building material properties are close to black body ( $\varepsilon \simeq 1$ ). However, even if this last assumption implies  $\varepsilon = 1$  according to the Kirchhoff's law, we choose to keep a  $\varepsilon$  value close but not equal to 1 but an absorption coefficient equal to 1.

With these assumptions, and according to the view factor reciprocity relationship ( $S^{(j)} \cdot F_{j,i} = S^{(i)} \cdot F_{i,j}$ ) and complementarity relationship ( $\sum_i^N F_{i,j} = 1$ ), the previous equation can be rewritten as follows:

$$\Phi_{rad.in}^{(i)} = S^{(i)} \cdot \varepsilon_{in} \cdot \sigma \cdot \sum_j^N F_{i,j} \cdot (T_{S.in}^{(j)4} - T_{S.in}^{(i)4}) = S^{(i)} \cdot \sum_j^N F_{i,j} \cdot h_{rad.in}^{i,j} \cdot (T_{S.in}^{(j)} - T_{S.in}^{(i)}) \quad (2.11)$$

where  $h_{rad.in}^{i,j} = \varepsilon_{in} \cdot \sigma \cdot (T_{S.in}^{(j)2} + T_{S.in}^{(i)2}) \cdot (T_{S.in}^{(j)} + T_{S.in}^{(i)})$  [W m<sup>-2</sup> K<sup>-1</sup>] is the internal radiative heat transfer coefficient, which is assumed to be constant<sup>5</sup> ( $h_{rad.in}$ ).

Last, because of a lack of knowledge, the view factors are approximated<sup>6</sup> by  $F_{i,j} = \frac{S^{(j)}}{\sum_k^N S^k}$ . The resulting equation is as follows:

$$\Phi_{rad.in}^{(i)} = h_{rad.in} \cdot S^{(i)} \cdot (T_{rad.in} - T_{S.in}^{(i)}) \quad (2.12)$$

where  $T_{rad.in} = \frac{\sum_k^N S^{(k)} \cdot T_{S.in}^{(k)}}{\sum_k^N S^k}$  is the zone radiant temperature (the average inside surface temperatures).

This formulation is deliberately similar to the equation of the internal convective heat transfer (Eq. 2.1). It is typical to approximate  $T_{rad.in}$  with  $T_{air.in}$  [intLW-0]. Then it is possible to merge Eq. 2.1 and Eq. 2.12:

$$\Phi_{rad.in}^{(i)} + \Phi_{cv.in}^{(i)} = h_{g.in} \cdot S^{(i)} \cdot (T_{air.in} - T_{S.in}^{(i)}) \quad (2.13)$$

where  $h_{g.in}$  is the global transfer coefficient and is equal to  $h_{cv.in} + h_{rad.in}$ .

This approximation is quite coarse as surface temperatures are noticeably different from the air temperature. To account for surface temperatures, Eq. 2.13 can be rewritten [intLW-1] as follows:

$$\Phi_{rad.in}^{(i)} + \Phi_{cv.in}^{(i)} = h_{g.in} \cdot S^{(i)} \cdot (T_{op.in} - T_{S.in}^{(i)}) \quad (2.14)$$

where  $T_{op.in}$  [K] is the operative temperature and is equal to  $\frac{T_{air.in} + T_{rad.in}}{2}$ . This formulation implicitly assumed  $h_{cv.in} = h_{rad.in} = \frac{h_{g.in}}{2}$ . In this formulation, in contrast to the previous one, the surface temperatures are coupled via  $T_{op.in}$ .

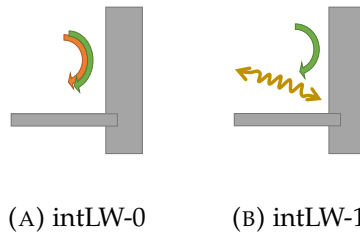


FIGURE 2.9: Internal LW radiation modelling variants

<sup>5</sup>For the usual range of building inside surface temperature,  $h_{rad.in} \in [4.5, 6.5]$  W m<sup>-2</sup> K<sup>-1</sup>.

<sup>6</sup>With this assumption,  $F_{i,i} = 0$  is lost for convex surfaces.

**Conduction** The heat losses are diffused by conduction through the wall. According to Fourier's law, assuming a unidimensional flow<sup>7</sup>, the heat flow diffused by conduction through the wall  $i$  at its inside interface ( $\Phi_{cd.in}^{(i)}$  [W]) is:

$$\Phi_{cd.in}^{(i)} = -\lambda^{(i,1)} \cdot S^{(i)} \cdot \frac{\partial T^{(i)}(x)}{\partial x} \Big|_{x=0} \quad (2.15)$$

where  $\lambda^{(i,1)}$  [ $\text{W m}^{-1} \text{K}^{-1}$ ] is the conductivity of the wall at the interface,  $T^{(i)}(x)$  [K] is the temperature through the wall, and  $x$  is the spatial dimension perpendicular to the wall such that the position of the inside surface is  $x = 0$  and  $x$  increases when going toward the outside (see Fig. 2.11). Hence,  $T^{(i)}(x = 0) = T_{S.in}^{(i)}$ .

Multi-dimensional conduction that occurs at materials junctions, called *thermal bridges*, cannot be accounted for because of the unidimensional assumption. Usually, static thermal bridge coefficients are used to prevent this drawback. However, in our model, for the sake of generality and because of a lack of detailed knowledge, we choose to slightly overestimate the wall material thermal conductivity (in accordance with the TABULA methodology (Rochard et al., 2015), making it possible to roughly account for the supplementary heat losses due to thermal bridges with dynamic behaviour (linked to the overall material).

**Energy balance** Finally, the balance at the inside wall surface is as follows:

$$\Phi_{tr.sol}^{(i)} + \Phi_{cv.in}^{(i)} + \Phi_{rad.in}^{(i)} = \Phi_{cd.in}^{(i)} \quad (2.16)$$

At the inner interface, the heat losses through the wall ( $\Phi_{cd.in}^{(i)}$ ) are equal to the heat flux given by the air volume ( $\Phi_{cv.in}^{(i)}$ ) and the surrounding surfaces ( $\Phi_{rad.in}^{(i)}$ ) plus the gains due to the transmitted solar flux ( $\Phi_{tr.sol}^{(i)}$ ). This last flow indirectly acts as heat gains for the air volume as it reduces (or inverts) the convective heat transfer by warming up the inside surface temperature but depends on the dynamics of the conductive heat transfer. Precisely, this phenomenon is studied in the next subsection.

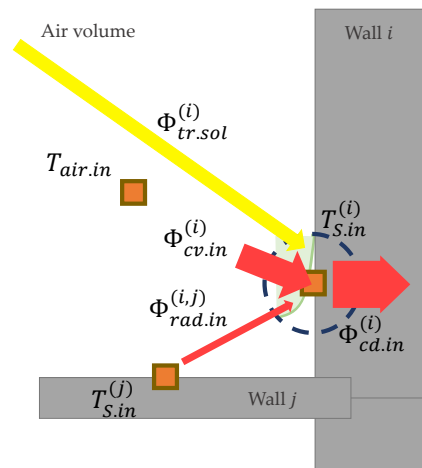


FIGURE 2.10: Wall  $i$  inside surface energy balance

<sup>7</sup>As the wall thickness is significantly lower than the other spatial dimensions

In modelling terms, this step adds  $N$  equations (one per wall) to the the global set of equations but generates  $N$  new unknowns: the  $\Phi_{cd.in}^{(i)}$ . Before writing it in the previous general matrix form (Eq. 2.7), it is preferable to differently formulate these new unknowns. This is also the aim of the next subsection. As a consequence, the general matrix formulation can only be found in the following paragraph (with Eq. 2.20).

### Within the material

Let us still focus on the wall  $i$ . In the following, for the sake of clarity, as no confusion is possible, the subscript  $(i)$  is not written but is implicit.

**Conduction** The unidimensional conduction through a homogeneous layer  $m$  of the wall  $i$  (see Fig. 2.11) is described by the following heat equation:

$$\frac{\partial T}{\partial t} - \frac{\lambda^{(m)}}{\rho^{(m)} \cdot c^{(m)}} \cdot \frac{\partial^2 T}{\partial x^2} = 0 \quad (2.17)$$

where  $\lambda^{(m)}$  [ $\text{W m}^{-1} \text{K}^{-1}$ ],  $\rho^{(m)}$  [ $\text{kg m}^{-3}$ ] and  $c^{(m)}$  [ $\text{J kg}^{-1} \text{K}^{-1}$ ] are the thermal conductivity, the density and the specific heat capacity of the layer  $m$ , respectively (and are assumed constant in the temperature range considered and over time). For the whole wall fabric made of  $M$  layers, this equation is associated with each layer. Similarly, continuity relationships in terms of temperatures ( $T$ ) and fluxes ( $-\lambda \cdot \frac{\partial T}{\partial x}$ ) are imposed on the layer interfaces to link all heat equations.

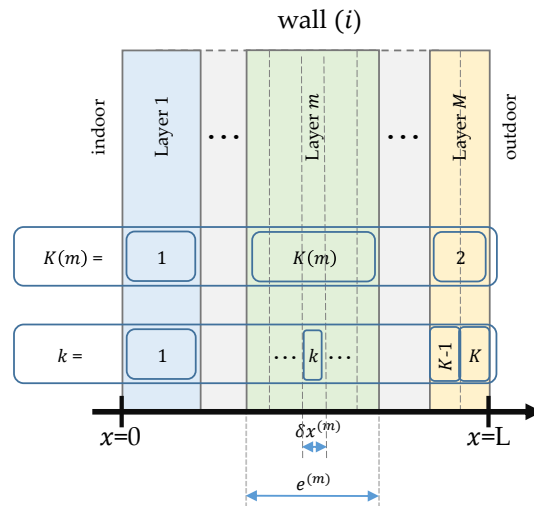


FIGURE 2.11: Wall notations

Solving these equations usually relies on numerical methods based on spatial discretisation of the domain (Fig. 2.11). We choose to discretised each layer  $m$  in a finite number  $K^{(m)}$  of equidistant mesh elements. For analysis purposes, and for physical considerations, this number is defined as a function of the layer thermal penetration depth length and hence as a function of the inherent thermal properties

of the material<sup>8</sup> as follows:

$$K^{(m)} = \max \left( \left\{ 1, \left\lfloor \frac{e^{(m)}}{\sqrt{a^{(m)} \cdot \tau}} \right\rfloor \right\} \right) = \frac{e^{(m)}}{\delta x^{(m)}} \quad (2.18)$$

where  $\lfloor \cdot \rfloor$  is the floor function,  $e^{(m)}$  [m] is the layer thickness,  $a^{(m)} = \frac{\lambda^{(m)}}{\rho^{(m)} \cdot c^{(m)}} [\text{m}^2 \text{s}^{-1}]$  is the material diffusivity, and  $\delta x^{(m)}$  [m] is the mesh element thickness. With this definition, the meshing resolution is controlled by the parameter  $\tau$  [s].

If wall  $i$  is a window, as the characteristic time of its material is very low ( $\frac{e^{(m)2}}{a^{(m)}} < 30$  s) compared to usual time steps and  $\tau$  values used (see Sec. 5.1.1), the whole window is modelled with 1 layer discretised in only 1 element ( $K^{(m)} = 1$ ) without thermal mass ( $c^{(m)} = 0$ ).

We choose the finite volume formulation to model the conduction: each discrete element  $k$  is assumed to have a homogeneous mean temperature  $T^{(k)}$ , which corresponds to the temperature at the centre of the element. With this method, the discrete form of the Eq. 2.17 but for the whole multi-layered wall becomes:

$$\left\{ \begin{array}{l} \forall k \in [1, \sum_m^M K^{(m)} = K], \\ \rho^{(k)} \cdot c^{(k)} \cdot \delta x^{(k)} \cdot \dot{T}^{(k)} = \left( \frac{T^{(k-1)} - T^{(k)}}{\frac{\delta x^{(k-1)}}{2 \cdot \lambda^{(k-1)}} + \frac{\delta x^{(k)}}{2 \cdot \lambda^{(k)}}} + \frac{T^{(k+1)} - T^{(k)}}{\frac{\delta x^{(k+1)}}{2 \cdot \lambda^{(k+1)}} + \frac{\delta x^{(k)}}{2 \cdot \lambda^{(k)}}} \right) \\ \rho^{(1)} \cdot c^{(1)} \cdot \delta x^{(1)} \cdot \dot{T}^{(1)} = \left( \frac{T^{(0)} - T^{(1)}}{\frac{\delta x^{(1)}}{2 \cdot \lambda^{(1)}}} + \frac{T^{(2)} - T^{(1)}}{\frac{\delta x^{(2)}}{2 \cdot \lambda^{(2)}} + \frac{\delta x^{(1)}}{2 \cdot \lambda^{(1)}}} \right) \\ \rho^{(K)} \cdot c^{(K)} \cdot \delta x^{(K)} \cdot \dot{T}^{(K)} = \left( \frac{T^{(K-1)} - T^{(K)}}{\frac{\delta x^{(K-1)}}{2 \cdot \lambda^{(K-1)}} + \frac{\delta x^{(K)}}{2 \cdot \lambda^{(K)}}} + \frac{T^{(K+1)} - T^{(K)}}{\frac{\delta x^{(K)}}{2 \cdot \lambda^{(K)}}} \right) \end{array} \right. \quad (2.19)$$

with the boundary temperatures  $T^{(0)}$  and  $T^{(K+1)}$  for the inside and outside wall surface temperatures ( $T_{S.in}$  and  $T_{S.ext}$ ), respectively.

The continuity relationships are intrinsically included in this discrete formulation. With this formulation, each equation can be seen as the energy balance of an element  $k$  using resistance-capacitance analogy, as illustrated in Fig. 2.12. It can easily be rewritten with the general matrix formulation (Eq. 2.7) with the following:

<sup>8</sup>In practice, the number of elements is chosen arbitrarily or according to rule of thumb but rarely depending on the material thermal properties.

$$\left\{ \begin{array}{l} \mathbf{T} = \begin{pmatrix} T_{S.in} \\ T^{(1)} \\ \vdots \\ T^{(k)} \\ \vdots \\ T^{(K)} \\ T_{S.out} \end{pmatrix}, \mathbf{U} = (0) \\ \mathbf{C} = \begin{pmatrix} 0 & C^{(1)} & & & & \\ & & \ddots & & & \\ & & & C^{(k)} & & \\ & & & & \ddots & \\ & & & & & C^{(K)} & 0 \end{pmatrix} \\ \mathbf{A} = \begin{pmatrix} K^{(1,0)} & -\bar{K}^{(1)} & K^{(1,2)} & & & \\ & \ddots & \ddots & \ddots & & \\ & & K^{(k,k-1)} & -\bar{K}^{(k)} & K^{(k,k+1)} & \\ & & & \ddots & \ddots & \\ & & & & K^{(K,K-1)} & -\bar{K}^{(K)} & K^{(K,K+1)} \end{pmatrix} \\ \mathbf{B} = (0 \ \dots \ 0)^\top \end{array} \right.$$

with:

$$\left\{ \begin{array}{l} C^{(k)} = \rho^{(k)} \cdot c^{(k)} \cdot \delta x^{(k)} \\ K^{(k,l)} = \begin{cases} \frac{2 \cdot \lambda^{(k)}}{\delta x^{(k)}} & \text{if } l = 0 \text{ or } l = K + 1; \\ \left( \frac{\delta x^{(l)}}{2 \cdot \lambda^{(l)}} + \frac{\delta x^{(k)}}{2 \cdot \lambda^{(k)}} \right)^{-1} & \text{else.} \end{cases} \\ \bar{K}^{(k)} = K^{(k,k-1)} + K^{(k,k+1)} \end{array} \right.$$

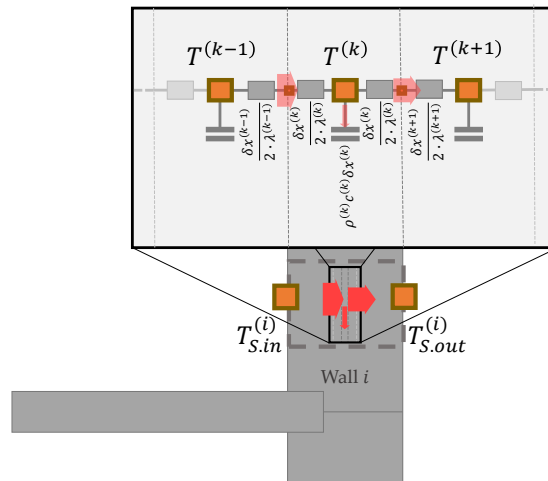


FIGURE 2.12: Wall discrete element energy balance

Finally, the energy balance of the wall  $i$  adds  $K$  equations, depending on the level of discretisation. This step has to be repeated for every wall of the BEM separation. It clearly appears that the conduction into the envelope generates the highest

part of the BEM equations. As a consequence, conduction is the main target of the adaptations, notably towards the level of discretisation (Frayssinet et al., 2018b), via  $\tau$  in our case [Cond- $\tau$ ].

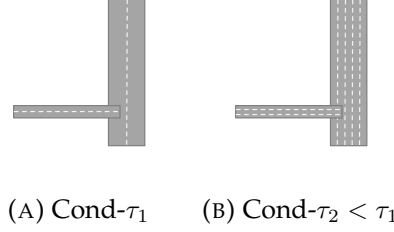


FIGURE 2.13: Conduction discretisation variants

**Flashback to inside surface balance** Thanks to the discretisation defined above, the previous energy balance of the inside surface (Eq. 2.16) can now be expanded. Indeed:

$$\Phi_{cd,in} = -\lambda^{(1)} \cdot S \cdot \frac{\partial T}{\partial x} \Big|_{x=0} = -2 \cdot \lambda^{(1)} \cdot S \cdot \frac{T^{(1)} - T_{S,in}}{\delta x^{(1)}} \quad (2.20)$$

In the general matrix form (Eq. 2.7), the terms of the inside surface energy balance are as follows:

$$\begin{cases} \mathbf{T} = \begin{pmatrix} T_{S,in} \\ T^{(1)} \\ T_{air,in} \\ T_{rad,in} \end{pmatrix}, \mathbf{U} = ( \Phi_{tr,sol} ) \\ \mathbf{C} = \begin{pmatrix} 0 & 0 & 0 & 0 \end{pmatrix} \\ \mathbf{A} = \begin{pmatrix} -(h_{cv,in} + h_{rad,in} + \frac{2 \cdot \lambda^{(1)}}{\delta x^{(1)}}) & \frac{2 \cdot \lambda^{(1)}}{\delta x^{(1)}} & h_{cv,in} & h_{rad,in} \end{pmatrix} \\ \mathbf{B} = \begin{pmatrix} \frac{1}{S^{(i)}} \end{pmatrix} \end{cases}$$

As  $\mathbf{C} = (0 \ 0 \ 0 \ 0)$ , this equation is algebraic. Note that depending on the assumption [intLW],  $T_{rad,in}$  may be a combination of all the inside surface temperatures and consequently leading to couplings between them.

**Assessment** This step makes it possible to add equations in order to complete the whole problem.  $T_{S,in}$  is now expressed as a function of new unknowns: the wall temperatures  $T^{(k)}$ . However, an equation is associated to each  $T^{(k)}$ . Nonetheless, a equation is missing for  $T_{S,out}$ . The next part aims to introduce this equation.

In case of internal walls, this surface temperature is adjacent to the same or another thermal zone and is therefore included in its energy balance. Otherwise, the wall outside face is facing outdoor, and this case is studied in the following part.

Concerning the internal walls within a thermal zone (partitions or floors, depending on the zoning), they are often not modelled [Inertia-1]. The default variant used in our BEM accounts for them [Inertia-0].

### Outside wall surface

At the outside surface of the walls, the envelope losses are dissipated to outdoors by convection and radiation. Losses can also be reduced or reversed by absorbed solar flows.

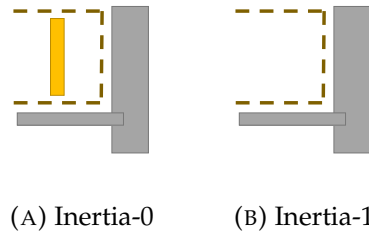


FIGURE 2.14: Internal inertia modelling variants

**External convective heat transfer** The external convection is expressed similar to the internal convective heat transfer (Eq. 2.1), as follows:

$$\Phi_{cv.ext}^{(i)} = h_{cv.ext} \cdot S^{(i)} \cdot (T_{S.ext}^{(i)} - T_{air.out}) \quad (2.21)$$

where  $h_{cv.ext}$  [ $\text{W m}^{-2} \text{K}^{-1}$ ] is the external CHTC,  $S^{(i)}$  [ $\text{m}^2$ ] is the outside wall area (usually assumed equal to the inside one, hence not differentiated) and  $T_{air.out}$  [K] is the outdoor air temperature.

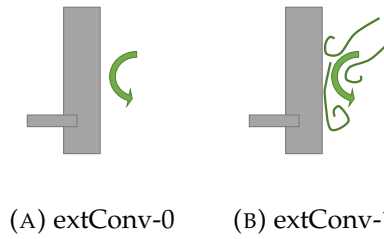


FIGURE 2.15: External CHTC modelling variants

The external CHTC could be assumed to be constant [**extConv-0**], indoor, or wind dependant [**extConv-1**]. Indeed, the range of variation of the external wind-speed is larger than that indoors and significantly affects the CHTC. In this last case, the wind dependency relation defined in the French thermal regulation (RT 2012) is used,  $h_{cv.ext} = 4 + 4 \cdot v$ , where  $v$  [ $\text{m s}^{-1}$ ] is, in our model, the wall normal projected wind velocity.

**External long-wave radiation** As well as for the internal LW radiations exchanges, following the same first assumptions (Eq. 2.11), we can write the following:

$$\Phi_{rad.ext}^{(i)} = S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot \sigma \cdot \sum_{j=1}^N F_{i,j} \cdot (T_{S.ext}^{(i)4} - T_{S.ext}^{(j)4}) = S^{(i)} \cdot \sum_{j=1}^N F_{i,j} \cdot h_{rad.ext}^{(i,j)} \cdot (T_{S.ext}^{(j)} - T_{S.ext}^{(i)}) \quad (2.22)$$

where  $\varepsilon_{ext}^{(i)}$  is the emissivity of the outside wall surface.

The default assumption, which is valid for buildings isolated in open areas, assumes that the external environment is made of 2 elements, namely, the soil and the sky. Hence, we get the following:

$$\Phi_{rad.ext}^{(i)} = S^{(i)} \cdot svf \cdot h_{rad.ext}^{(i,sky)} \cdot (T_{S.ext}^{(i)} - T_{sky}) + S^{(i)} \cdot (1 - svf) \cdot h_{rad.ext}^{(i,soil)} \cdot (T_{S.ext}^{(i)} - T_{soil}) \quad (2.23)$$

where  $svf$  is the sky-view factor ( $F_{i,sky}$ ),  $T_{sky}$  [K] is the sky vault temperature and  $T_{soil}$  [K] is the soil surface temperature. The sky vault temperature is either directly



available in the weather data or is estimated according to other weather data. The soil temperature is usually unknown as specific soil thermal models are needed but almost never implemented. The soil temperature is generally approximated by the outdoor air temperature  $T_{air.out}$ .

Two modelling variants are considered. Either the external heat transfer radiative coefficient  $h_{rad.ext}$  is linearised as in Eq. 2.11 [extLW-0] or kept detailed [extLW-1].

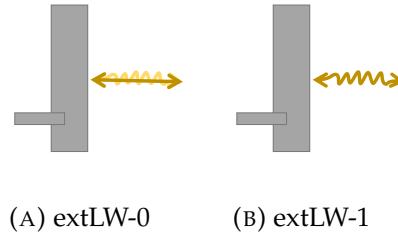


FIGURE 2.16: External radiative LW heat transfer coefficient modelling variants

**Absorbed solar flow** The external wall receives on its outside face direct solar flux from the sun, diffuse solar flux from the atmosphere, and diffuse reflection from the surrounding environment. The weather file generally gives direct normal ( $\phi_{drn.sol}$  [ $\text{W m}^{-2}$ ]) and diffuse horizontal solar fluxes ( $\phi_{dfh.sol}$  [ $\text{W m}^{-2}$ ]). The solar flow absorbed by the wall  $i$  is:

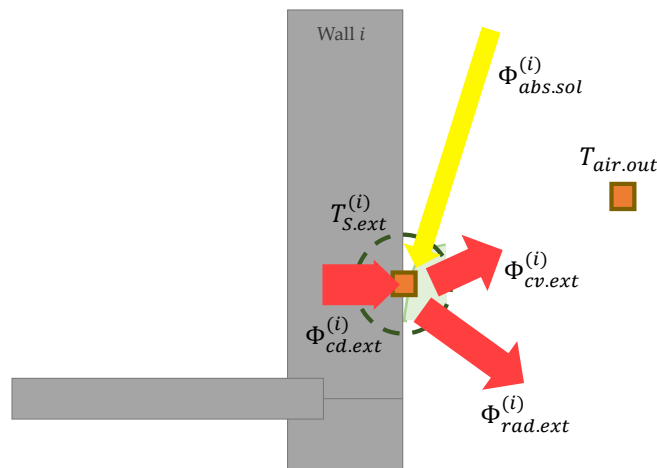
$$\Phi_{abs.sol}^{(i)} = \alpha^{(i)} \cdot S^{(i)} \cdot \left( \phi_{drn.sol} \cdot \langle \vec{n}^{(i)}, \vec{\gamma} \rangle_+ + svf \cdot \phi_{dfh.sol} + (1 - svf) \cdot \varrho_{sol.gnd} \cdot \phi_{sol \rightarrow gnd} \right) \quad (2.24)$$

where  $\alpha^{(i)}$  is the solar absorption coefficient of the wall  $i$ ,  $\langle \vec{n}^{(i)}, \vec{\gamma} \rangle_+$  is the positive value of the scalar product between the wall normal and the solar angle,  $\varrho_{sol.gnd}$  is the solar reflection coefficient of the environment, and  $\phi_{sol \rightarrow gnd}$  is the flux coming from the sky received by the ground. Details of the calculation of the reflected part, the last term, are given in Appendix A.1.

The same formulation is used for the solar flow transmitted by windows ( $\Phi_{tr.win.sol}$  [W]) but replacing  $\alpha^{(i)}$  with  $\theta^{(i)}$ , the solar transmission coefficient (the model used considers a transmission coefficient that depends on the solar incident angle). According to previous definitions, for a given zone:  $\sum_{i=1}^N \Phi_{tr.win.sol}^{(i)} = \sum_{i=1}^N \Phi_{tr.sol}^{(i)}$ .

**Energy balance** Finally, the balance at the outside wall surface is as follows:

$$\Phi_{cd.ext}^{(i)} + \Phi_{abs.sol}^{(i)} = \Phi_{cv.ext}^{(i)} + \Phi_{rad.ext}^{(i)} \quad (2.25)$$

FIGURE 2.17: Wall  $i$  outside surface energy balance

Using the general matrix formulation<sup>9</sup> (Eq. 2.7), we get again an algebraic set of equations, as follows:

$$\left\{ \begin{array}{l} \mathbf{T} = \begin{pmatrix} T_{S.ext} \\ T^{(N)} \end{pmatrix}, \mathbf{U} = \begin{pmatrix} T_{air.out} \\ T_{sky} \\ \Phi_{abs.sol} \end{pmatrix} \\ \mathbf{C} = \begin{pmatrix} 0 & 0 \end{pmatrix} \\ \mathbf{A} = \begin{pmatrix} -(h_{cv.ext} + h_{rad.ext} + \frac{2 \cdot \lambda^{(K)}}{\delta x^{(K)}}) & -\frac{2 \cdot \lambda^{(K)}}{\delta x^{(K)}} \end{pmatrix} \\ \mathbf{B} = \begin{pmatrix} h_{cv.ext} + (1 - svf) \cdot h_{rad.ext} & svf \cdot h_{rad.ext} & \frac{1}{S^{(i)}} \end{pmatrix} \end{array} \right.$$

**Floor specificity** If the wall  $i$  is a floor exposed to the soil or a buffer space (such as a car park or a crawl space), clearly no solar flow is absorbed. Furthermore, it is assumed that the net radiation exchange is null and that the outside temperature for the convective heat transfer is equal to  $b \cdot T_{air.out} + (1 - b) \cdot T_{air.in}$ , with  $b$  being a reduction coefficient as defined in the French thermal regulation.

### 2.1.3 Overall building energy balance

Following the heat losses, and thanks to the 4 successive energy balances (air volume, inside wall face, within the wall, and outside wall face; Fig. 2.19) for each element of the building separation, it is possible to link the indoor air temperatures and consequently the building needs, to the outdoor weather variables. According to previous energy balances, the appearance of an overall building energy model in its general matrix form is given in Fig. 2.20, 2.21 and 2.22 (non-zero terms are coloured as a function of the energy balance they coming from). The envelope clearly appears as a filter between outdoor and indoor conditions (Fig. 2.19).

Once can note that the matrix problem is nearly diagonal, but any equation is independent. Terms related to the unidimensional conduction only concerns direct neighbour temperatures. In contrast, terms not directly adjacent to the diagonal generally indicate coupling between non-adjacent temperatures. In general, the more the diagonal the matrix problem, the more easy it is to solve. In practice, for solving

<sup>9</sup>With [extLW-0] and  $T_{gnd} = T_{air.out}$ .

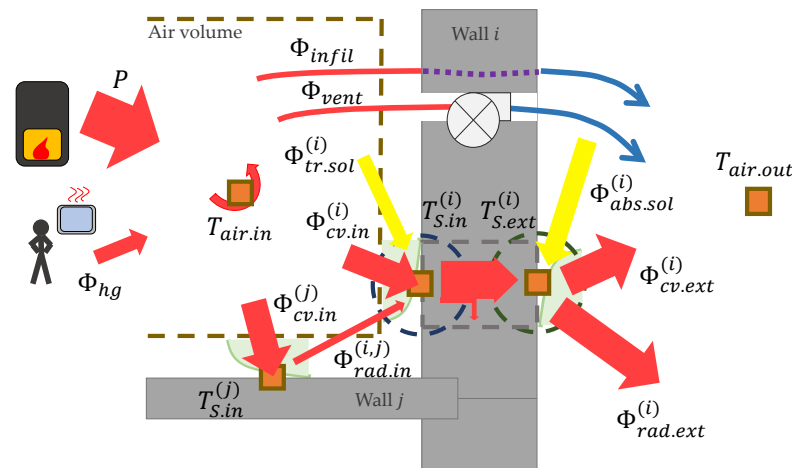


FIGURE 2.18: Whole building energy balance

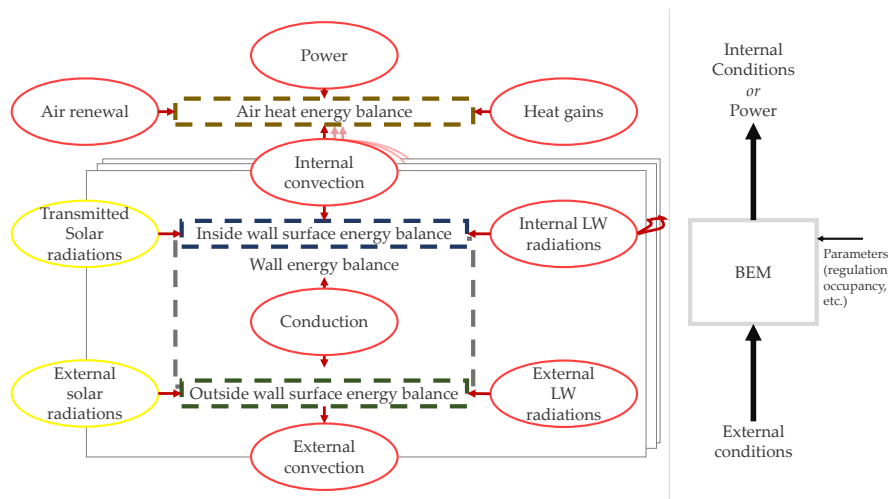


FIGURE 2.19: Building energy model overview

such a matrix problem, the algebraic equations are split from the others in a separated system to make the remaining system invertible. The tools used in our work to create and simulate BEM are introduced in Chapter 4.

### 2.1.4 Reducing the matrix problem size

As seen previously, and as notably illustrated in Fig. 2.21, the majority of the equations in the overall BEM comes from the conductive heat transfer problem, and this number is even greater if the level of discretisation is high (Eq. 2.19). As they are partial derivative equations, they contribute the most to the numerical cost of the simulations because of the solving process. In order to limit the computational cost, a common method consists of reducing the discretisation, notably by the resistance-capacitance (RC) method. This method consists of discretising the wall into few nodes (generally 1 to 3), which are associated with resistances and capacitances and parametrized, as in Fig. 2.12. The number of nodes may be reduced even more

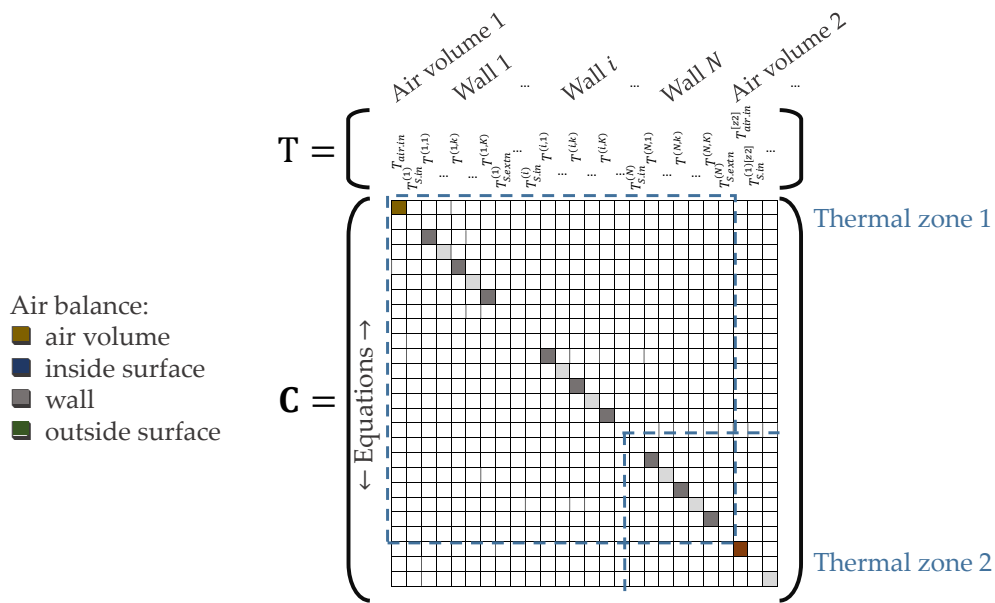


FIGURE 2.20: BEM capacitance matrix

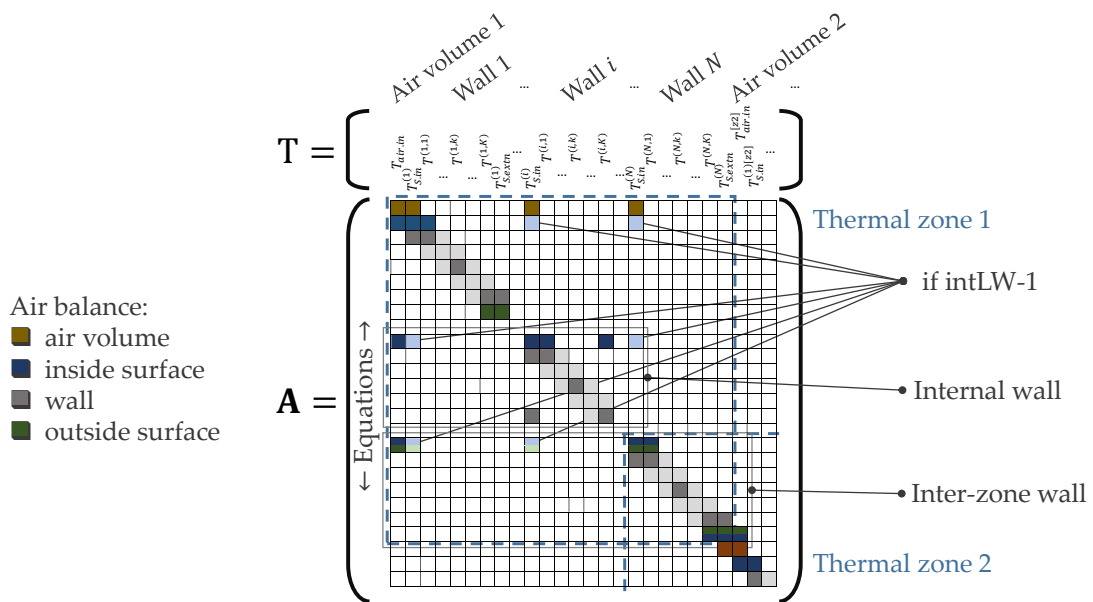


FIGURE 2.21: BEM conductance matrix

by simplifying the geometry of a mono-zone building to only one equivalent external wall. Such a modelling approach is not detailed further (see specific models developed by Bouyer, Inard, and Musy (2011), Lauster et al. (2014) and Fonseca and Schlueter (2015) for instance), except the reduction of the geometric complexity.

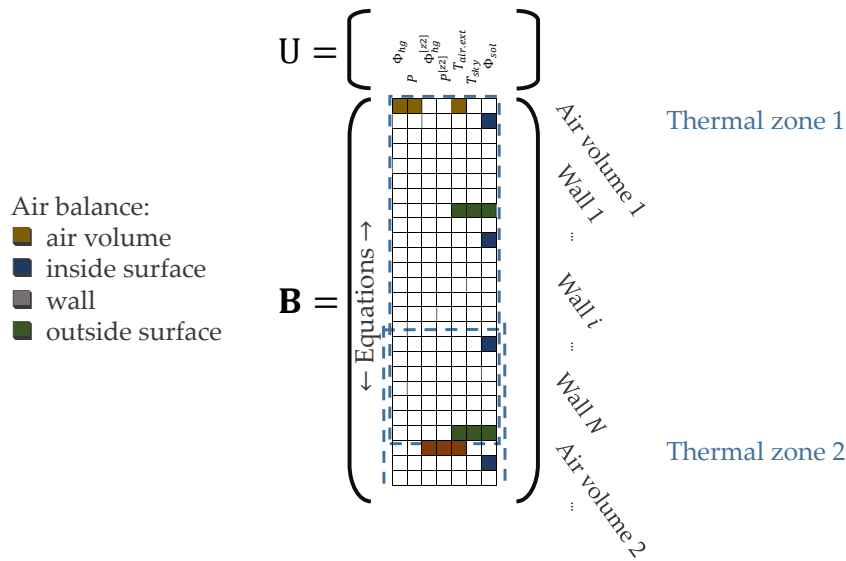


FIGURE 2.22: BEM command matrix

However, the impact of RC models is partially analysed in Sec. 5.1.1. The parametrisation of the resistances and the capacitances is analytically non-trivial (Roux, 1984; Fraisse et al., 2002) and is often parametrised thanks to identification methods (see works of Berthou et al. (2014), Raillon and Ghiaus (2017) and Thebault (2017) for instance).

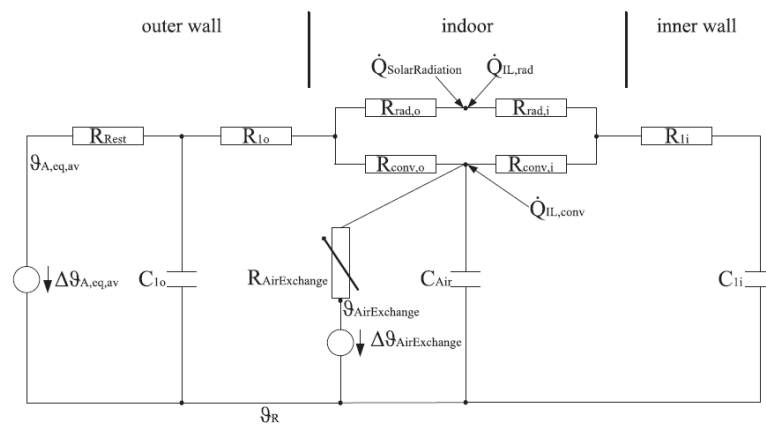


FIGURE 2.23: Example of RC model for a building zone (From (Lauster et al., 2014))

### Equivalent wall

Without using an RC analogy, Kim et al. (2014), developed a method to model only one *equivalent* wall per building model. It is assumed that the whole envelope is

made of the same material. Hence, the area of this equivalent wall is the sum of the area of the different building walls (Fig. 2.24a). Furthermore, as solar fluxes are orientation dependant, it is necessary to aggregate the individual transmitted and absorbed solar flux in order to determine the equivalent incoming solar flux of the equivalent wall (Fig. 2.24b).

This method makes it possible to reduce the matrix size thanks to the use of only 1 wall energy balance rather than as much as the number of walls ( $N$ ) defined in the geometry.

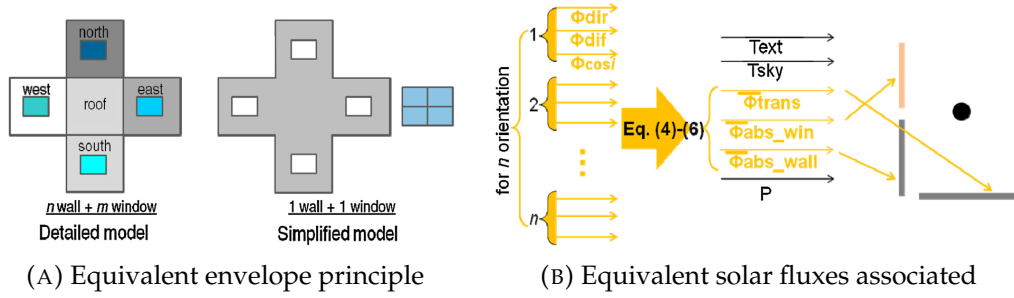


FIGURE 2.24: Equivalent envelope method  
(From (Kim et al., 2014))

This method is considered in our study with some improvements [EqEnv-1] in order to consider buildings with various wall materials (notably with respect to the roof and the floor) and different surface properties:

- The initial thermo-physical parameters of the equivalent wall (referred to as  $eq$ ) are those of the wall type having the greatest area (same materials and same number of layers).
- The conductivity of each layer of the equivalent wall is corrected as follows in order to get the same overall U-value ( $U$  [ $\text{W m}^{-2} \text{K}^{-1}$ ]):

$$\lambda_{eq} \rightarrow \lambda_{eq} \cdot \frac{\sum_i^N S^{(i)} \cdot U^{(i)}}{S_{eq} \cdot U_{eq}} \quad (2.26)$$

$$\text{with } U^{(i)} = \left( \sum_k^{K^{(i)}} \frac{\delta x^{(k)}}{\lambda^{(k)}} \right)^{-1}.$$

- The capacitance of each layer of the equivalent wall is corrected as follows to get the same overall thermal mass:

$$c_{eq} \rightarrow c_{eq} \cdot \frac{\sum_i^N S^{(i)} \cdot C^{(i)}}{S_{eq} \cdot C_{eq}} \quad (2.27)$$

$$\text{with } C^{(i)} = \sum_k^{K^{(i)}} \delta x^{(k)} \cdot \rho^{(k)} \cdot c^{(k)}.$$

- The equivalent sky view factor and emissivity are computed as follows:

$$\varepsilon_{ext.eq} = \sum_i^N \frac{S^{(i)} \cdot \varepsilon_{ext}^{(i)}}{S_{eq}} \quad (2.28)$$

$$svf_{eq} = \sum_i^N \frac{S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot svf^{(i)}}{S_{eq} \cdot \varepsilon_{eq}} \quad (2.29)$$

The justification for these last formulations is given in Appendix A.2.

The default model, without an equivalent envelope, corresponds to the modelling variant [EqEnv-0].

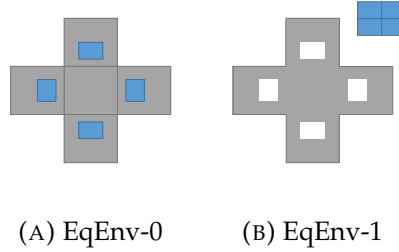


FIGURE 2.25: Equivalent envelope modelling

### Mathematical reduction

Apart from modelling reduction methods, mathematical reduction methods based on the state-space formulation (Eq. 2.7) exist. This formulation may be rewritten as follows:

$$\dot{\mathbf{T}} = \mathbf{A}' \cdot \mathbf{T} + \mathbf{B}' \cdot \mathbf{U} \quad (2.30)$$

with  $\mathbf{A}' = \mathbf{C}^{-1} \cdot \mathbf{A}$  and  $\mathbf{B}' = \mathbf{C}^{-1} \cdot \mathbf{B}$ . This matrix problem can be diagonalised via the change of the basis matrix  $\mathbf{P}$ , as follows:

$$\dot{\mathbf{X}} = \mathbf{D} \cdot \mathbf{X} + \mathbf{B}'' \cdot \mathbf{U} \quad (2.31)$$

with  $\mathbf{T} = \mathbf{P} \cdot \mathbf{X}$ ,  $\mathbf{D} = \mathbf{P}^{-1} \cdot \mathbf{A}' \cdot \mathbf{P}$ ,  $\mathbf{B}'' = \mathbf{P}^{-1} \cdot \mathbf{B}'$  and such that  $\mathbf{D}$  is diagonal. The diagonal terms ( $\lambda_d$ ) of  $\mathbf{D}$  are called eigenvalues.  $\mathbf{P}$  is chosen so that these eigenvalues are sorted from the lowest to highest values.  $\mathbf{P}$  contains the so-called eigenvectors. With this formulation,  $\mathbf{T}$  is expressed as a linear combination of independent eigenvectors, which are also called *modes*.

As the mathematical reduction methods need constant and time-invariant matrix coefficients, only the state-space matrix describing the wall energy balance (Eq. 2.1.2) is considered (which is precisely the major source of equations). Necessarily, the term  $\mathbf{B}' \cdot \mathbf{U}$  has to be rewritten so that the non-constant and time-invariant terms are all included in  $\mathbf{U}$ .

The reduction of the problem relies on the decomposition of the modes into the 2 following categories: non-dominant ( $X_s$ ) and dominant modes ( $X_1$ ). Eq. 2.31 becomes:

$$\begin{pmatrix} \dot{X}_s \\ \dot{X}_1 \end{pmatrix} = \begin{pmatrix} \mathbf{D}_s & \\ & \mathbf{D}_1 \end{pmatrix} \cdot \begin{pmatrix} X_s \\ X_1 \end{pmatrix} + \begin{pmatrix} \mathbf{B}_s'' \\ \mathbf{B}_1'' \end{pmatrix} \cdot \mathbf{U}$$

It is then considered that between the observational time step,  $\dot{X}_s = 0$  as these modes are non dominant. Consequently:

$$\begin{cases} 0 = \mathbf{D}_s \cdot X_s + \mathbf{B}_s'' \cdot \mathbf{U} \\ \dot{X}_1 = \mathbf{D}_1 \cdot X_1 + \mathbf{B}_1'' \cdot \mathbf{U} \end{cases} \quad (2.32)$$

Therefore, the reduction makes it possible to reduce the number of partial derivative equations (for which solving is costly) to algebraic ones (for which solving is immediate).

Depending on the method, the dominant modes are selected with respect to their respective eigenvalues (Marshall method), to their influence on the output (Litz method), to their 'energy' (linear aggregation method) or to the notion of 'commandability' and 'controllability' (Moore method, notably used by Kim et al. (2014)) but using diagonalisation in a specific *balanced* basis. Reduction method comparison may be found in (Palomo, Bonnefous, and Déqué, 1997). For a given output error tolerance, the last methods generally make it possible to further reduce the number of dominant modes. Hence, in contrast to the equivalent envelope adaptation of the RC analogy, the mathematical reduction methods makes it possible to reduce the number of the most solving-expensive equations while making the modelling detailed without simplifying the geometry or the conductive problem description.

In our work, we use the usual diagonalisation, as a physical meaning is associated. Indeed, the opposite and inverse value of the eigenvalue is homogeneous to a time (called characteristic time, and written  $\tau_d = -\frac{1}{\lambda_d}$ ). The modes with the shortest characteristic time quickly reach their stationary state and hence are categorised as non-dominant (their dynamics are negligible). The criterion of separation between short (non-dominant) and long (dominant) modes is generally defined to  $\frac{\delta t}{4}$ , where  $\delta t$  is the observational time-step (Marshall method, see more explanations in Appendix A.3).

In order to determine the effect of the mathematical reduction, the number of reduced modes is modifiable: if  $\pi$  modes are reduced, the reduced modes correspond to the  $\pi$  modes with the shortest characteristic times [Red- $\pi$ ].

$$\dot{\mathbf{x}} = \begin{pmatrix} 0 \\ \vdots \\ 0 \\ \dot{x}_{\pi+1} \\ \vdots \\ \dot{x}_v \end{pmatrix}$$

(A) Red- $\pi$ 

FIGURE 2.26: Envelope reduction

## 2.2 District energy model

A district is made of numerous buildings, and therefore, in micro-simulation, a district energy model (DEM) is simply an assembly of BEM (Fig. 2.27). However, interactions between buildings exist but are not accounted for in the BEM. Indeed, by default, the buildings are assumed to be isolated in a open area. Within a district, interactions come from the following:

- solar shadings and reflections caused by surrounding buildings;
- inter-buildings LW radiative exchanges;
- coupling between adjoining buildings.

Another source of building interactions is via local microclimates. Indeed, buildings modify the local microclimate due to their thermal behaviour and their morphology (globally, increases in temperature, decreases in wind velocity, etc.), and



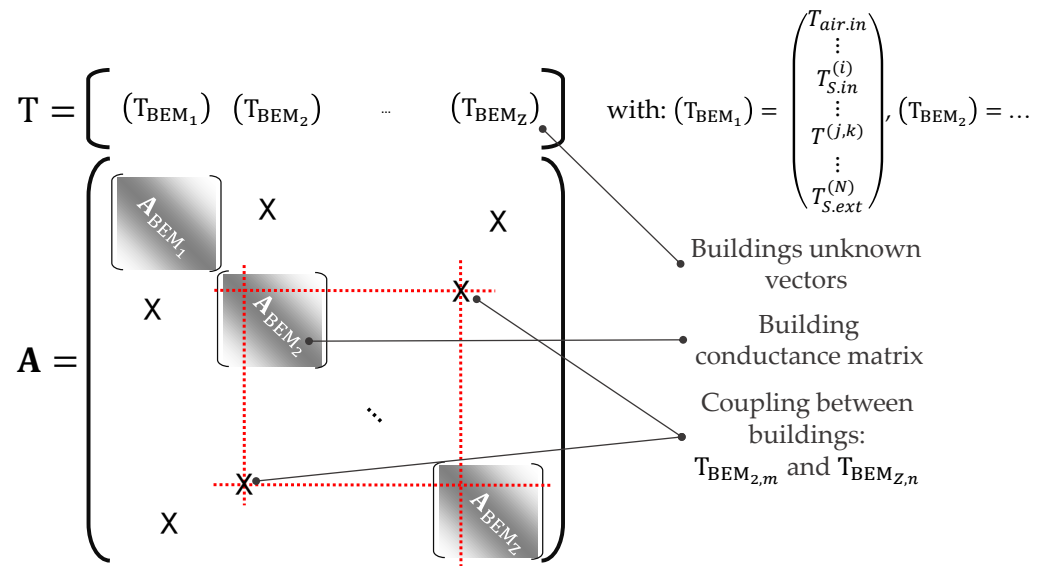


FIGURE 2.27: DEM conductance matrix

reciprocally, the microclimate modifies the building thermal behaviour. This microclimate impact is studied in a specific part (Sec. 5.1.4) and is not modelled in our approach because of the generally prohibitive computational cost associated.

At the district scale, the modelling variants consist of both considering and not considering these couplings.

**Note about the reduction.** At the district scale, the following different strategies may be considered:

- (I) reducing the global model at the district scale;
- (II) reducing the model at the building scale, and assembling the reduced models at the district scale.

As the numerical cost of the reduction of a matrix problem increase with a power higher than 1 with the matrix size, it is probably less costly to individually reduce the building models (strategy II) and even more if parallelising the processes. However, the level of reduction may be higher with the district model as the whole problem is considered. This issue, notably studied by Kim et al. (2015), is not analysed further.

### 2.2.1 Solar shadings and reflections

In urban areas, the solar flux reaching a building depends on the surrounding buildings because of shade (decrease) and reflections (increase). These effects depend on the urban environment of each building, and consequently, the received flux has to be computed specifically for each building facade and cannot be directly deduced from the weather data, unlike in Eq. 2.24 [Solar-0]. The size of the solicitation vector  $U$  is consequently increased (a term for each facade element).

When considering solar shadings and reflections, the incoming solar flow of each wall is modified [Solar-1]:

$$\begin{cases} \Phi_{abs.sol}^{(i)} \rightarrow r_{abs}^{(i)} \cdot \Phi_{abs.sol}^{(i)} \\ \Phi_{tr.win.sol}^{(i)} \rightarrow r_{tr.win}^{(i)} \cdot \Phi_{tr.win.sol}^{(i)} \end{cases}$$

where the  $r$ s are the computed coefficients accounting for the modifications induced by the urban environment. If the diffuse solar flux is assumed to be isotropic, the corresponding coefficient is constant and corresponds to the sky view factor. Otherwise, the effect is dependent of the solar angle and hence has to be estimated at each time-step.

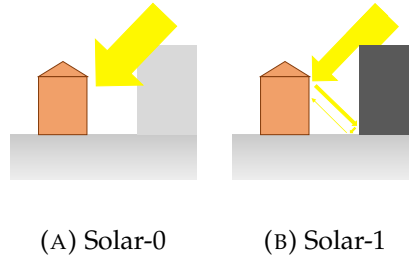


FIGURE 2.28: Shadings and reflections modelling variants

This building interaction is not a coupling as it is independent of the thermal behaviours of buildings; rather, it only depends on the district geometry. The computation of the resulting flow is consequently a pre-process. In our case, it is computed thanks to a ray-tracing method (tool used detailed in Sec. 4.2.2).

Note that these coefficients are averaged over the whole facade without specific distinctions between walls and windows. This modelling choice is due to the lack of information about the window positions in our input data. Their areas are only deduced from the window-to-wall ratio. Furthermore, the number of facades is defined according to the different orientations and zonings. In order to be coherent with the zone separation, no more detailed spatial resolution are considered to account more accurately the spatial variations of the incoming solar flux.

### 2.2.2 Inter-building long-wave radiative exchanges

At the building scale, without thermal information about the surroundings, the soil and the urban surface temperature are approximated by the air temperature [LWRad-0]. However, at the district scale, all the surface temperatures of all buildings are known (but not for the soil in our case, which is still approximated). As a consequence, the complete formulation of the Eq. 2.22 may be used [LWRad-1]. In the DEM, the view factors are also computed with a ray-tracing method (detailed in Sec. 4.2.2).

With this last modelling variant, each facade  $i$  seeing a facade  $j$  generates a coupling between the respective surface temperatures  $T_{S.ext}^{(i)}$  and  $T_{S.ext}^{(j)}$  and hence possibly between different BEMs (see Fig. 2.27).

Nonetheless, as for the solar flux, wall (*wall*) and window (*win*) surfaces are not differentiated from whole facades in the view factor computation. Hence, a facade equivalent radiant surface temperature ( $T_{S.ext.rad-eq}$  [K]) is defined as follows:

$$(S_{win} + S_{wall}) \cdot T_{S.ext.rad-eq}^4 = S_{win} \cdot \varepsilon_{ext.win} \cdot T_{S.ext.win}^4 + S_{wall} \cdot \varepsilon_{ext.wall} \cdot T_{S.ext.wall}^4 \quad (2.33)$$

where *wall* and *win* refer to wall and windows characteristics, respectively.

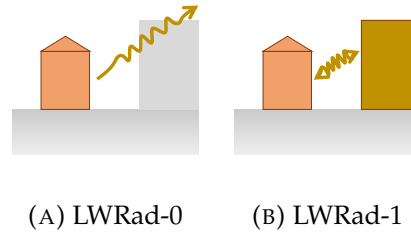


FIGURE 2.29: Inter-building LW radiative exchanges modelling variants

### 2.2.3 Coupling between adjoining building

In case of adjoining buildings, there is a direct coupling at the party wall interface [Adjoin-1]. Let us consider a party wall between building  $A$  and  $B$ , respectively numbered  $i_A$  and  $j_B$ . One half of this party wall is modelled in the respective BEMs, and the 2 continuity relationships are imposed at the interface, as follows:

$$\begin{cases} \Phi_{cd.ext}^{(i_A)} + \Phi_{cd.ext}^{(j_B)} = 0 \\ T_{S.ext}^{(i_A)} = T_{S.ext}^{(j_B)} \end{cases} \iff T_{S.ext}^{(i_A)} = T_{S.ext}^{(j_B)} = \frac{T^{(i_A, K_{i_A})} + T^{(j_B, K_{j_B})}}{2}$$

As previously indicated, this modelling variant creates couplings in the DEM between adjoining BEMs.

The modelling of adjoining walls is often problematic as the building division of a district bloc is generally unknown or is very uncertain (see building division improvements of Pedrinis (2017) for example). As a consequence, in addition to the assumption that this coupling is negligible, the coupling can be not considered [Adjoin-0]. Concretely, the half party walls are assumed adiabatic at their outer face.

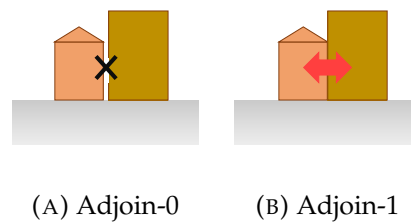


FIGURE 2.30: Adjoining wall modelling variants

## 2.3 Chapter conclusions

The main principles of building and district energy models were introduced in this chapter, focusing on the envelope modelling. It was notably highlighted that the conductive heat problem constitutes the heaviest part of the model to solve. Furthermore, it was evidenced that BEMs are not originally suitable for the district scale and require specific supplementary models. In order to relate the different modelling variants to data availability and computational implications, Table 2.1 specifies the

	Building internal layout	Permeability	Exterior wind pattern	Leakage position	System regulation	Window position	Window characteristics	Fabric composition	Material characteristics	Building shape	District geometry	Modelling surrounding buildings	Affect computational cost
[Zoning]	×												×
[Infil]	×	×	×	×						×	×		×
[Control]	×				×								(×)
[trSol]	×					×	×			×			
[intLW]	×												(×)
[Cond]								×	×				×
[Inertia]	×							×	×				(×)
[extConv]			×								×		
[extLW]													×
[EqEnv]										×			×
[Red]													×
[Solar]										×	×		
[LWrad]										×	×	×	×
[Adjoin]										×	×	×	×

TABLE 2.1: Main information related to the modelling variants

main related information and their impact on the computational cost. Detailed models obviously requiring more detailed information.

Different modelling variants were retained in order to analyse the impact of the related assumptions on the model relevance. The next chapter aims to propose a methodology in order to quantify these impacts and hence the suitability of the simplifications.



## Chapter 3

# Quantifying simplification suitability

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## 3.1 Usual approaches

### 3.1.1 Short review

Different building and district energy model variants were identified in the previous chapter (summarised in Appendix B). Most of these model variants were established because of a lack of information or to reduce the simulation computational cost. However, how can the suitability of these models be evaluated?

For instance, among the district energy model adaptations identified in (Frayssinet et al., 2018b), for the 3 different model categories, to ‘validate’ their adaptations Robinson and Stone (2005) compared the results of the simplified radiosity algorithm they developed with a reference software RADIANCE; Kämpf and Robinson (2007) compared their simplified thermal model with a reference model ESP-r;

and Flor and Dominguez (2004) compared the air temperature they computed with a zonal model with experimental results.

### 3.1.2 Contribution

As seen previously, the *suitability* of an adaptation is commonly deduced by determining its effects on the model output. These effects are quantified by comparing the output of the simplified model with a reference (Coakley, Raftery, and Keane, 2014). The simplification is said to be suitable if the deviation between the simplified model output and the reference is not *too high*, i.e., is lower than a threshold tolerance (Fig. 3.1). If the reference is the measurement results, this process is called *model validation*. In our cases, the reference comes from the results of a reference model.

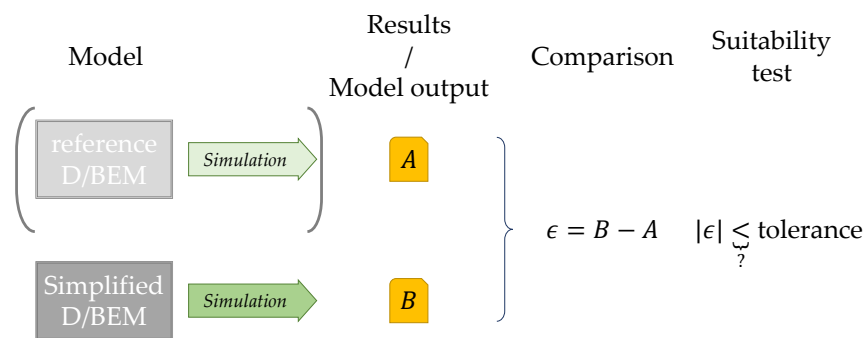


FIGURE 3.1: Common simplification suitability test process

The identified simplifications are usually based on previous-generation building simulations that focused on the annual energy consumption of energy-inefficient buildings (Clarke, 2007). However, the suitability of these usual simplifications are already questionable for recent high-efficiency buildings (e.g., (Bontemps et al., 2013; Bontemps, Mora, and Schumann, 2016)). They also are questionable when observing the output at short time steps and not only in terms of total annual energy, (C-category identified in Chapter 1).

Both limitations are present in district-scale energy simulations as districts may contain any type of building and are often used for power load analysis. Furthermore, they generally imply increasing model complexity, which tends to increase the computational cost and the amount of input data, but decreases in the input data are usually necessary because of the large studied spatial domain.

The objective of this chapter is to develop a methodology capable of studying:

- the suitability of usual simplifications, notably at short time steps;
- and the suitability of the usual simplifications at the district scale.

Indeed, at this scale, the aggregation of numerous buildings is expected to make the simplifications more suitable as the usual use of statistical and coarser models

at this scale seems to be justified this approach. This effect was notably evidenced by Talebi, Haghghat, and Mirzaei (2017) by comparing district scale and building scale model errors. The related issues are as follows:

- *Does the district scale have an attenuation effect on the suitability of simplifications?* Indeed, it could be expected that the diversity of buildings in a district may de-synchronize the individual effects of simplifications and hence, reduce the global effect at the district scale, compared to the sum of the individual effect.
- *Can an energy macro model at the district scale be deduced from the micro-simulation of its buildings?* In a similar way that the behavior of a concrete beam can be modeled at the macro-scale, without modeling the behavior of its different elements (sand grains, aggregate, etc.) at the micro-scale.

Both issues are particularly addressed in Sec. 3.2.4, and illustrated in Sec. 5.2.

To the best knowledge of the author, no common methodology has been developed for such objectives, which consequently represents a central contribution of our work.

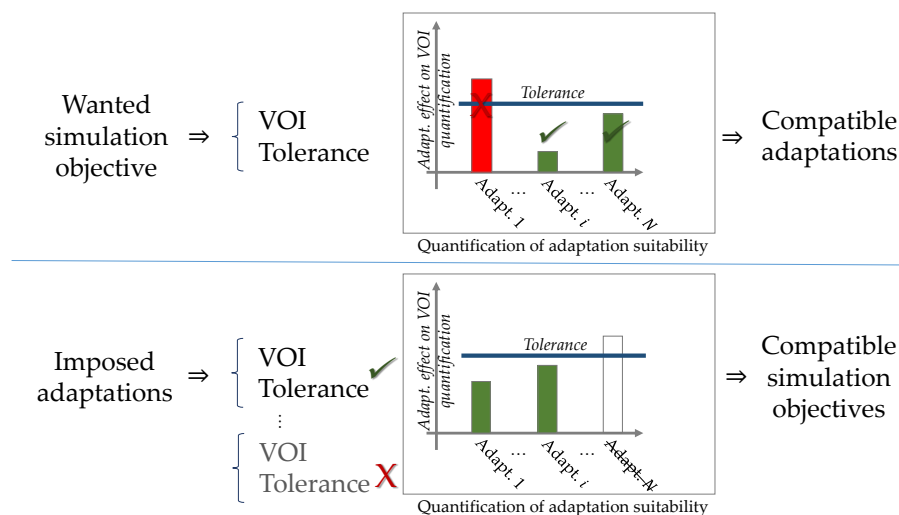
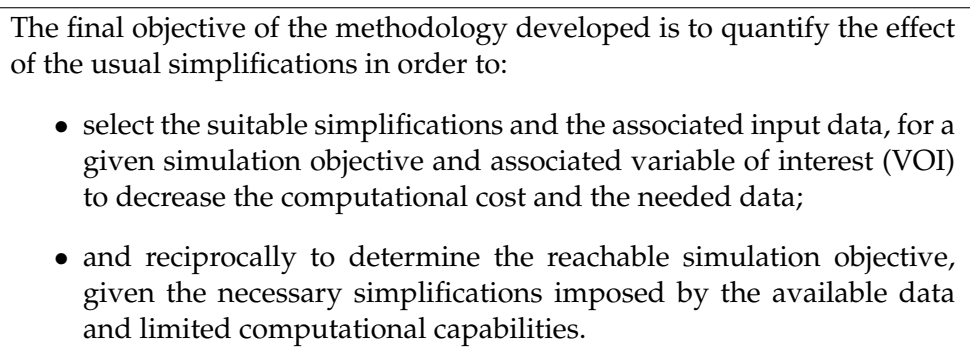


FIGURE 3.2: Objective of quantifying the adaptation effect

In the following, the word *simplification* is replaced with *adaptation*, to indicate that models simplifications are made to adapt the model to a specific objective, such as to match available data or to reduce the computational cost.



## 3.2 Methodology

The objective of this section is to define a methodology to quantify the effect of an adaptation of the model to conclude about its suitability.

The proposed methodology is the most general possible, but in the presentation, some elements are specifically defined to apply the methodology in some specific cases but in a general approach. However, these elements can be modified to suit specific simulation objectives.

### 3.2.1 Global principle

The adaptation effect is quantified by comparing adapted model simulation results with the reference results in terms of VOI. An adaptation is considered suitable if the deviation between both VOIs is lower than a given tolerance (Fig. 3.4). The definition of the VOI and the tolerance depend of the simulation objective, i.e., the focal aspect and the desired accuracy.

In the most generic considered cases, the simulation result is  $P(t)$  [W], to consider short time evolutions during the considered period  $T_P$  [s] ( $t \in T_P$ ). Due to the numerical temporal resolution and for coherence with the inputs,  $P(t)$  is regularly sampled with a time step  $\delta t$ .  $P$  is the resulting time series:  $P = \{p_1, \dots, p_i, \dots, p_N\} = \{P(t = \delta t), \dots, P(t = i \cdot \delta t), \dots, P(t = N \cdot \delta t)\}$ . The total energy need during the period is  $E = \int_{T_P} P(t) \cdot dt$  [J], which could be estimated<sup>1</sup> with the time series  $P$  as follows:  $E \approx \delta t \cdot \sum_1^N p_i = \tilde{E}$ .

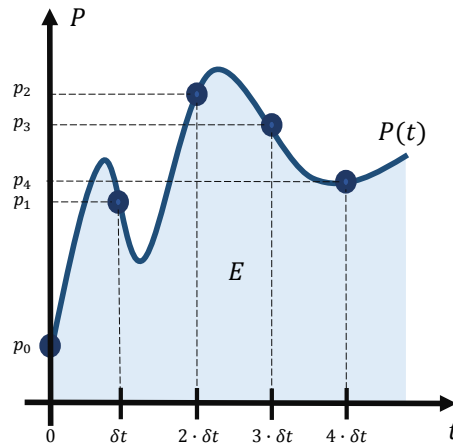


FIGURE 3.3: Power curve

As the quantification of the adaptation effects is commonly based on scalar results (usually the total energy needs), a problem arises when considering the power curve (Fig. 3.4). In this case, indicators are needed to extract scalars that quantify relevant characteristics of the time series (VOI). Some graphical representations are sometimes used (as in (Robinson and Stone, 2005) and (Kim et al., 2014) for instance). However, an infinite number of characteristics could be defined as illustrated in the following. The choice depends on the simulation objective.

To the knowledge of the author, no specific indicators have been specifically defined when studying the adaptation suitability with respect to the power curve in

<sup>1</sup>Riemann's integral.

building and district energy models. As a consequence, a set of 5 indicators is proposed to cover a large spectrum of simulation objectives. Several indicators may be chosen, notably if considering the computational time. But, in this case, multi-criteria analysis are needed to conclude about adaptation suitability. Such analysis are not considered further in the present work.

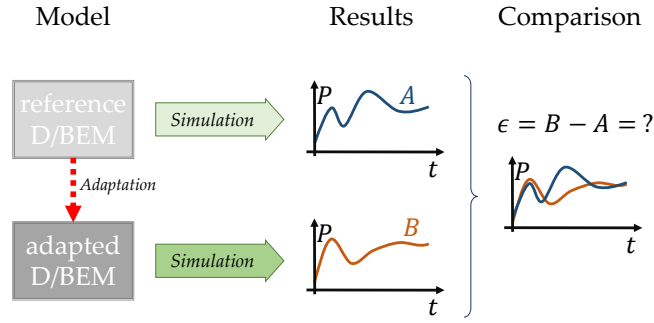


FIGURE 3.4: Comparing power curves issue

### 3.2.2 Indicators

Let the superscripts (0) and (a) refer to the reference and the adapted model, respectively.

The first four indicators are based on the time series differences (Fig. 3.5a), which are defined as follows:

$$D = \{p_i^{(a)} - p_i^{(0)}, i \in [1, N]\} = \{d_i, i \in [1, N]\} \quad (3.1)$$

- **The mean:**

$$m(D) = \sum_{i=1}^N \frac{d_i}{N} \quad (3.2)$$

This indicator gives the mean differences between the two power curves. Using this indicator to quantify the adaptation effect is equivalent to considering the effect on the total energy need. Indeed,  $\tilde{E} = N \cdot \delta t \cdot m(P)$ , and hence,  $N \cdot \delta t \cdot m(D) = \tilde{E}^{(a)} - \tilde{E}^{(0)}$ . The sign of this indicator indicates whether the adaptation causes a mean under or over-estimation.

- **The rectified mean:**

$$rm(D) = \text{sign}(m(D)) \cdot \sum_{i=1}^N \frac{|d_i|}{N} \quad (3.3)$$

where  $\text{sign}(\cdot)$  is the function that returns the sign of the variable.

This indicator is similar to the previous indicator but with the absolute value. Deviations are considered rather than differences. Consequently, there is

no compensation between positive and negative differences, and  $|\text{rm}(D)| \geq |\text{m}(D)|$ . If  $\text{rm}(D) = \text{m}(D)$ , then all the differences have the same sign, which is to say that the adaptation causes strict under or over-estimation.

- **The standard deviation:**

$$\sigma(D) = \sqrt{\sum_{i=1}^N \frac{(d_i - \text{m}(D))^2}{N}} \quad (3.4)$$

The standard deviation gives an indication of the scattering of the time series differences. A low standard deviation indicates that the differences are nearly constant over the time-steps (but not that the mean deviation is close to zero).

- **The absolute maximum:**

$$M(D) = \max_{i \in [1, N]} (|d_i|) \quad (3.5)$$

This indicator, also called the infinite norm, returns the maximal deviation between the two time series. This is the most restrictive indicator as it assures that for all time-step, the deviation is under this value. This indicator may be used when the accuracy of the power curve is needed at all times.

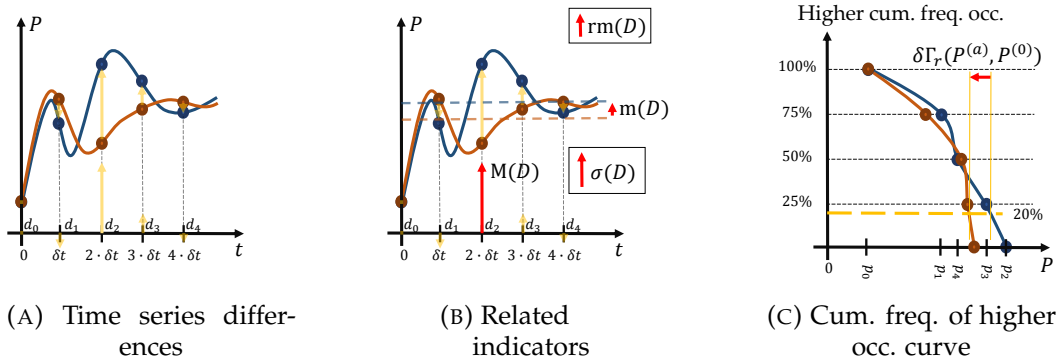


FIGURE 3.5: Comparing two time series

**Cumulative frequency of higher occurrences** The last indicator is based on the cumulative frequency of the higher power occurrences curve. This curve (see Fig. 3.5c) associates each power level of the time series with the percentage of occurrences in the time series that are higher, as follows:

$$p_i \mapsto 100 \cdot \frac{\text{card}(\{p_j | p_j \geq p_i \text{ and } p_j > 0\})}{\text{card}(\{p_j | p_j > 0\})} \quad (3.6)$$

where  $\text{card}(\cdot)$  is the function that returns the set cardinality. Non-zero powers are not accounted for to only account for the energy system working period (excluding floating temperature periods).

The inverse function, written as  $\Gamma_P(\cdot)$  in the following, is more commonly used.  $\Gamma_P(r)$  returns the power level for which  $r$  % of the elements of  $P$  are higher. These kind of considerations are particularly used for energy system design.

- **Difference in design level:**

$$\delta\Gamma_r(P^{(a)}, P^{(0)}) = |\Gamma_{P^{(a)}}(r) - \Gamma_{P^{(0)}}(r)| \quad (3.7)$$

This last indicator quantifies the deformation of the cumulative frequency of higher occurrence curve of the power at a given relative design frequency (20 % used by default).

Figures 3.5b and 3.5c clearly highlight that quantifying the adaptation effect depends on the chosen indicator. However, each indicator focuses on a particular aspect of the power curve (VOI), and their choice depends on the modelling objective. Each indicator is not systematically linked to a specific simulation objective but is complementary to other to give a global idea of the effect of adaptation the power curve. Specific combinations or modifications of these indicators could be defined to suit a specific simulation objective.

**Weight** In particular, when simulations are used to study energy networks, generally, power peaks are of interest as they are essential parameters for the design of district energy supply and storage systems. To account for these kinds of specificities, the time series differences  $D$  could be weighted to highlight some parts of the power curve. Then, the indicators integrate these weights.

To illustrate the previous point, the following arbitrary weight is considered in the present work:

$$d_i \rightarrow d_i \cdot \frac{p_i^{(0)}}{\Gamma_{P^{(0)}}(20)} \quad (3.8)$$

Hence, the difference increases if the reference power level at the same time belongs to the 20 % highest values and otherwise decreases proportionally to the power level (Fig. 3.6). Any other specific weight could be defined to suit the simulation objective.

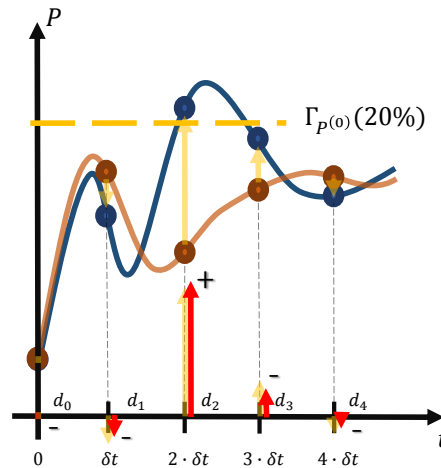


FIGURE 3.6: Time series differences weighting

**Relative indicators** The indicators defined previously return scalar values in watt. Relative indicators are needed to compare heating and cooling and also to compare

different buildings (with different materials, different shapes, etc.). As for indicators, an infinite number of references can be defined with respect to the power curve. The reference chosen is the mean non-zero power (to exclude the floating temperature periods) of the reference model. This choice gives an order of magnitude of the deviation: a relative indicator higher than 100 % indicates deviations, relative to the indicator chosen, higher than the mean power, and that are hence probably intolerable. The representativeness of this relative reference is notably confirmed in Sec. 5.2.

**Period definition** In the more general case, the annual period is considered to test all possible typical combinations of thermal loads occurring during a whole year. However, for some simulation objectives, this period can be limited, for example to critical heating or cooling periods.

Otherwise, cooling and heating powers are separated to analyse them individually. Indeed, building behaviour is fundamentally different in both cases, and simulations often focus only on one of them.

The definition of the transition between heating and cooling periods is not clear. A necessary condition to apply times series difference-based indicators is that the periods for the adaptation and the reference results are the same. In the case of zero matching, the shortest period could be extended with zero values. Defining the end of a period at its last occurrence can lead to a misquantification of the adaptation effect. Indeed, adaptation may cause over or under estimations, leading to power needs during the floating temperature periods of the reference, notably at times close to the transition to this kind of periods.

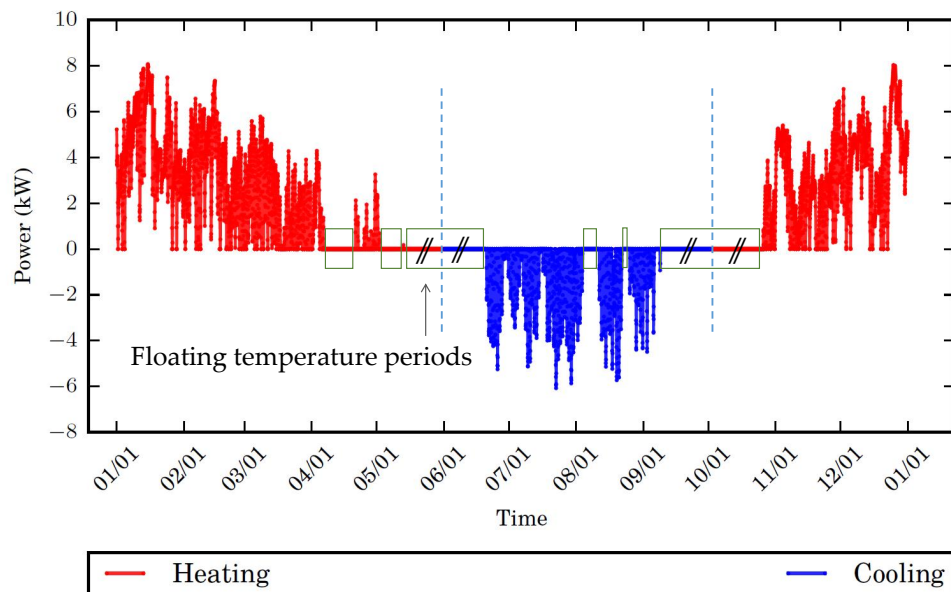


FIGURE 3.7: Heating and cooling periods

To avoid these misestimations, we chose to cut-up the period at the midpoint between the last occurrence of heating and the first occurrence of cooling and vice versa (Fig. 3.7). For practical reasons, the cut up is moved to the closest end of day. Periods were only computed for the reference results and applied to the adapted model results. This choice does not guarantee that heating (and reciprocally cooling) of the adapted results only occurs during the respective period of the reference. In

these cases, deviations are still considered but in the other period. These border effects are considered negligible. Nonetheless, more elaborate cuts could be defined, based on the value of the floating temperature for example, but are not considered further.

Note that, at district scale, heating and cooling can occur simultaneously. Indeed, notably during mid-season, some buildings may need heating (if shaded for example) while others need cooling (if sun exposed). In these cases cooling and heating periods are considered independently (they are not consecutive), and the larger periods belong all buildings is retained for all the buildings of the district.

**Considering phase differences** In case of time phase differences between the 2 time series, important deviations can be measured whereas the 2 time series are just not in phase. These deviations are why specific measures were developed to 're-synchronise' time series before measuring deviation, such as the *Dynamic Time Wrapping* method (notably used by Grandjean (2013)). The shortcoming of this method is that a mean difference is measured. Therefore, a term-by-term comparison (time series differences) is not kept, and time phase differences are not penalised except if defining an equivalence between time and power. These 2 drawbacks could be corrected by adapting the method. However, the minimal time phase difference is equal to the time step considered and, in general, is already considered too important over the time phase tolerance. Thus, such methods were not used in this work but could be used as additional indicators for other specific simulation objectives. The proposed corrections and details about this method are presented in Appendix A.4.

**Sampling influence** It is expected that the adaptation effect changes with the sampling period of the result. The sampling period also depends of the simulation objective (yearly, daily, and other effects). To study this influence, the sampling period is artificially modified thanks to the Haar wavelet decomposition method (Fig. 3.8), starting from the shorter time-step to mid-year period (sampling periods considered: 45 mn, 1.5 h, 3 h, 6 h, 12 h, 1 day, 2 days, 4 days, 8 days, 16 days, 32 days, 64 days, 128 days and 256 days).

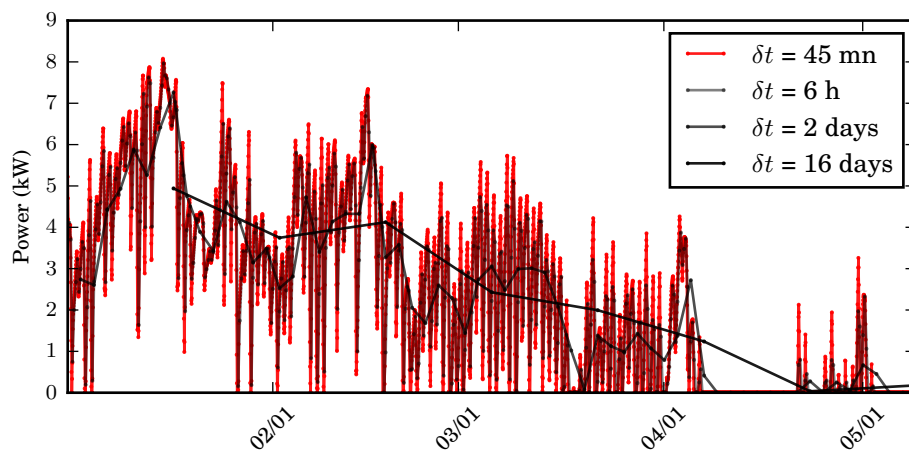


FIGURE 3.8: Haar wavelet decomposition of the heating curve for different sampling periods ( $\delta t$ )

Details of the method are given in Appendix A.5. With this decomposition, it is possible to study the transition of the adaptation effects from local effects (at the

minimal time step) to the mean effect. These transitions are evidenced using the representation shows in Fig. 3.9. In this figure, the indicators are normalized with respect to their values at the shortest time step to have a global view of all indicators<sup>2</sup>. The norms values are directly indicated in the figure. Hence, in the graph, the y-axis indicates the remaining percentage with the increase in the sampling period.

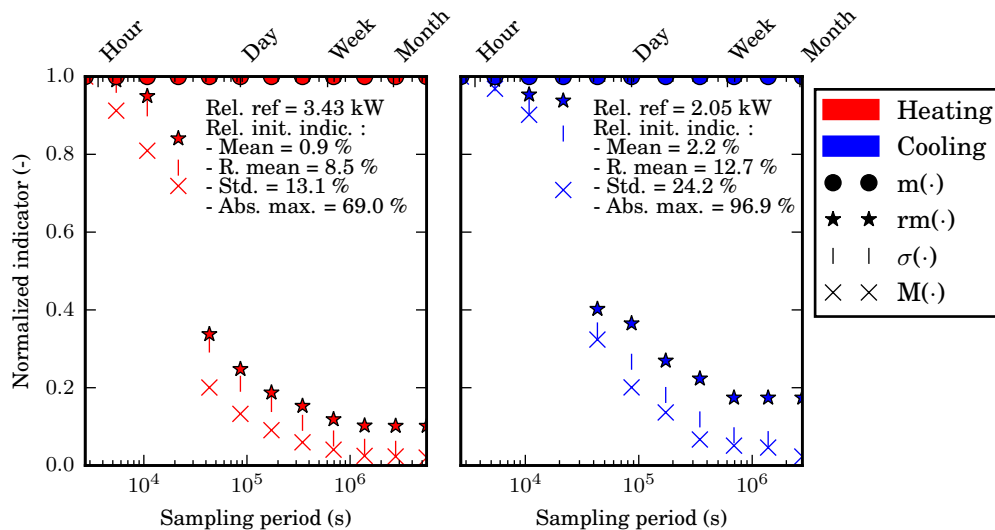


FIGURE 3.9: Sampling influence on the indicators

This method may be extended using more elaborate frequency decomposition methods. However, as these methods depend on the simulation objective, they are not detailed further. The objective is to introduce complementary information to help define a specific indicator, particularly for different time steps, and to a lesser extent, to understand the physical implications.

### 3.2.3 Complementary analysis representations

To analyse the adaptation effects beyond the information given by the retained indicators and to give additional information for other potential simulation objectives, a set of complementary representations, introduced hereafter, is associated with each adaptation effect. To avoid to affect the readability of the present manuscript in the results chapter (Chap. 5), these figures are mainly given in Appendix C.

Remember that the objective is to compare the power curve of the adapted model with the reference (Fig. 3.10). Note the absolute values of the powers are considered in the following to compute time series differences (Eq. 3.1), and hence, cooling is represented and always considered with absolute (positive) values.

The first representation used to analyse the adaptation effects (Fig. 3.11) gives the temporal evolution of the time series relative differences (absolute scales are given in twin axes) and the values of the 3 first indicators defined above.

<sup>2</sup>As the minimal time step is different from the original time step (45 mn vs. 1 h) and the time series is shorter (to apply the method), the norms of the indicators may be different from original estimations but are very close.



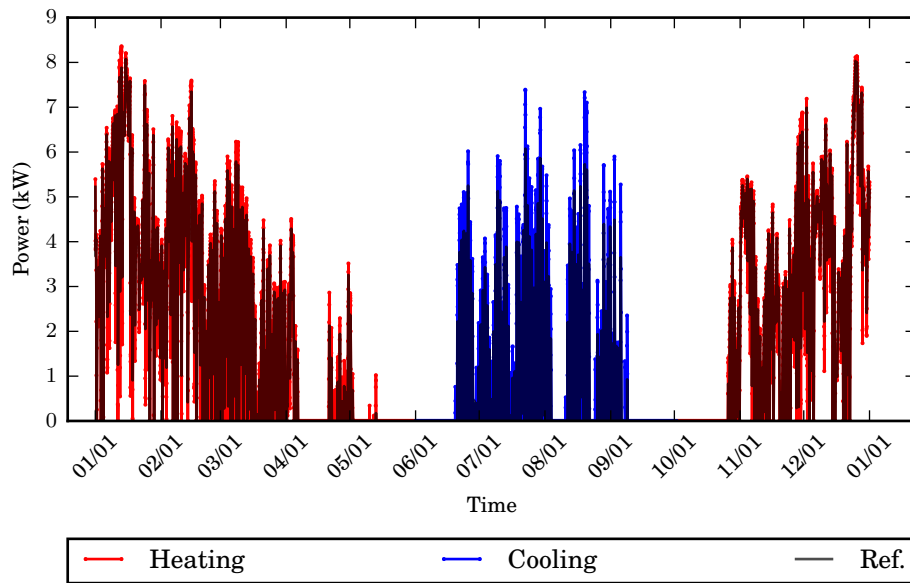


FIGURE 3.10: Comparison of adapted and reference model results

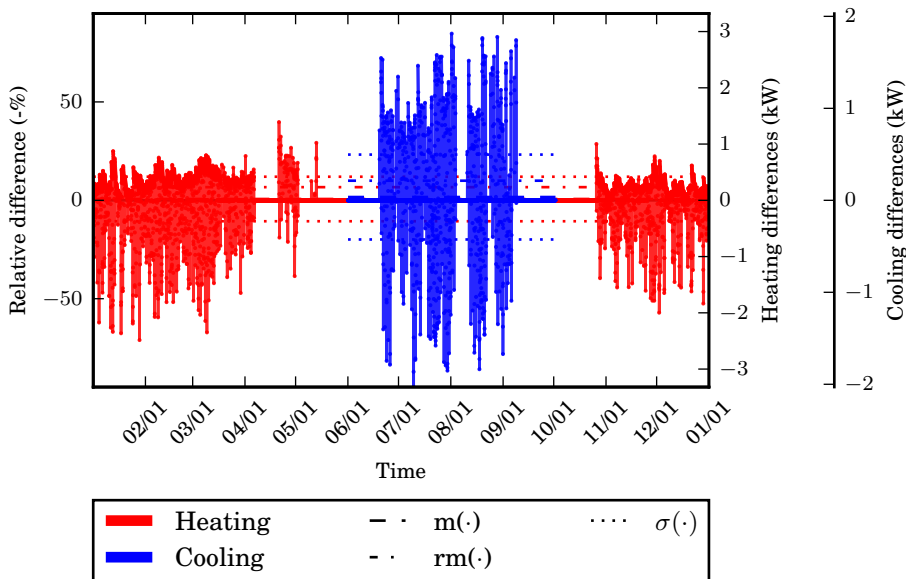


FIGURE 3.11: Relative differences in temporal evolution

The second representation (Fig. 3.12) is based on the cumulative frequency of higher power occurrence curves. The associated indicator, the difference in design level (by default,  $\delta\Gamma_{20}$ ), is illustrated in the same figure.



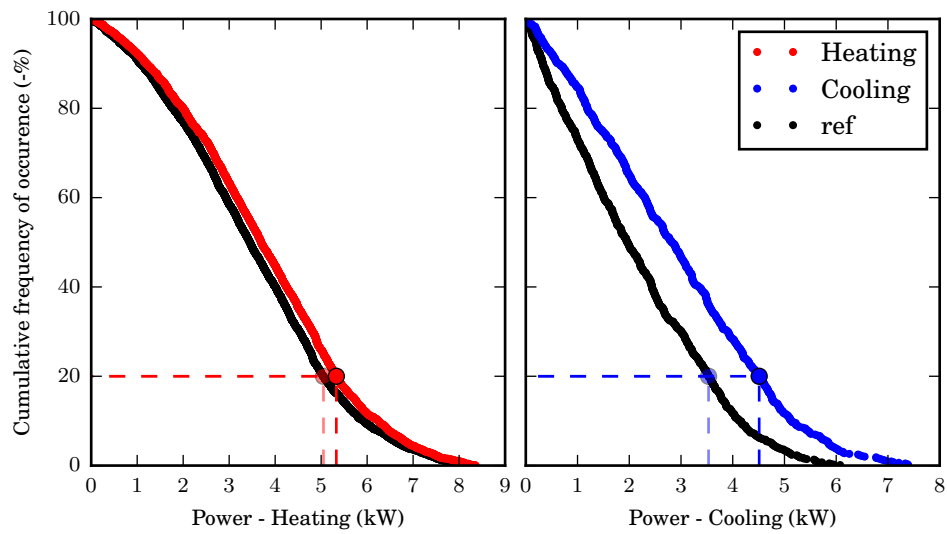


FIGURE 3.12: Cumulative frequency of higher occurrence curves

According to the defined methodology, adaptations are quantified based on the indicators defined previously. These adaptations are visually plotted as shown in Fig. 3.13. To have a more complete overview of the statistical distribution, *boxplots* are also used (Fig. 3.14). In the *boxplot* representation, the red line corresponds to the median value; the rectangular box contains values belonging to the second and the third quartiles (50 % of the central values); the 2 peripheral dot lines (whiskers) length is equal to 1.5 times the interquartile width except if the maximal values are lower; and extreme values out of these whiskers are individually identified by a cross.

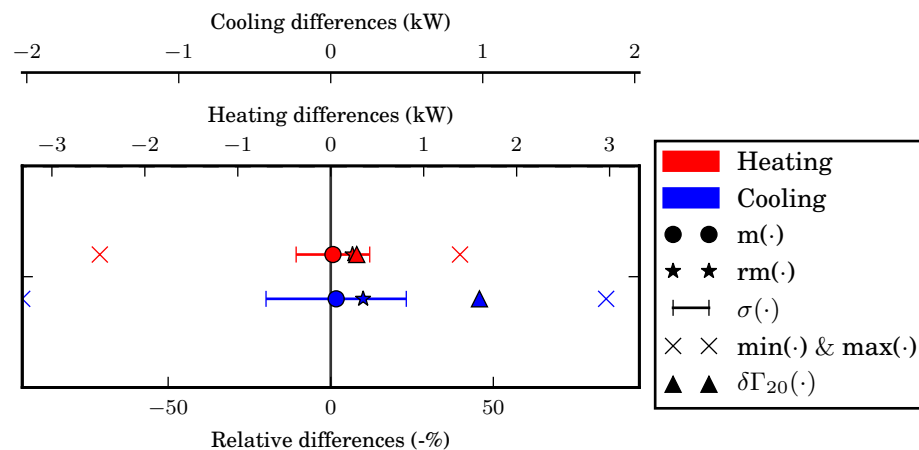


FIGURE 3.13: Indicators representation

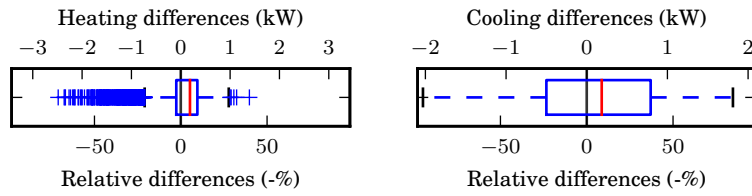


FIGURE 3.14: Boxplots of the differences

When physically analysing the time series differences, it is useful to use the *heatmap* representation of the differences (daily decomposition of the time series, Fig. 3.15) and the *daily boxplot* representation of the differences (daily statistical distribution, Fig. 3.16). These representations help understand the daily effect pattern of adaptations.

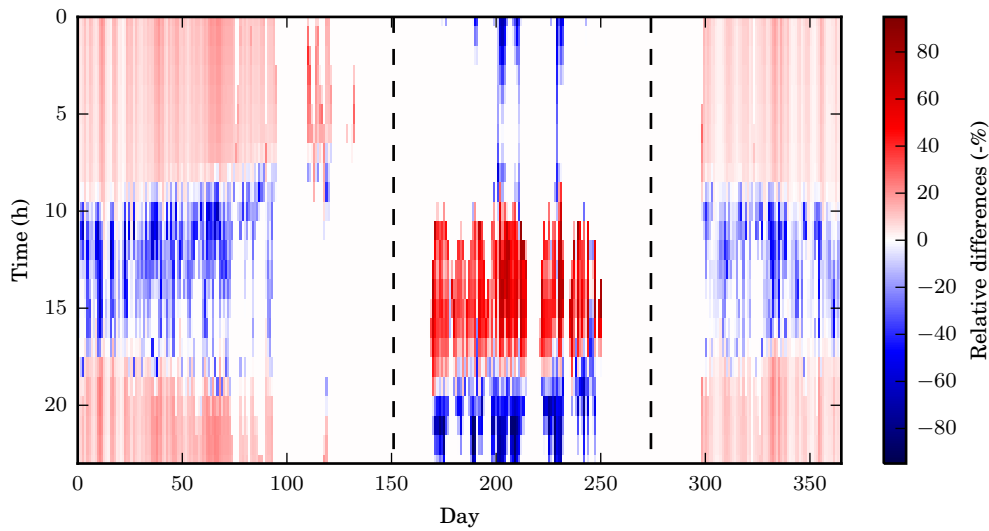


FIGURE 3.15: Heatmap representation of the differences

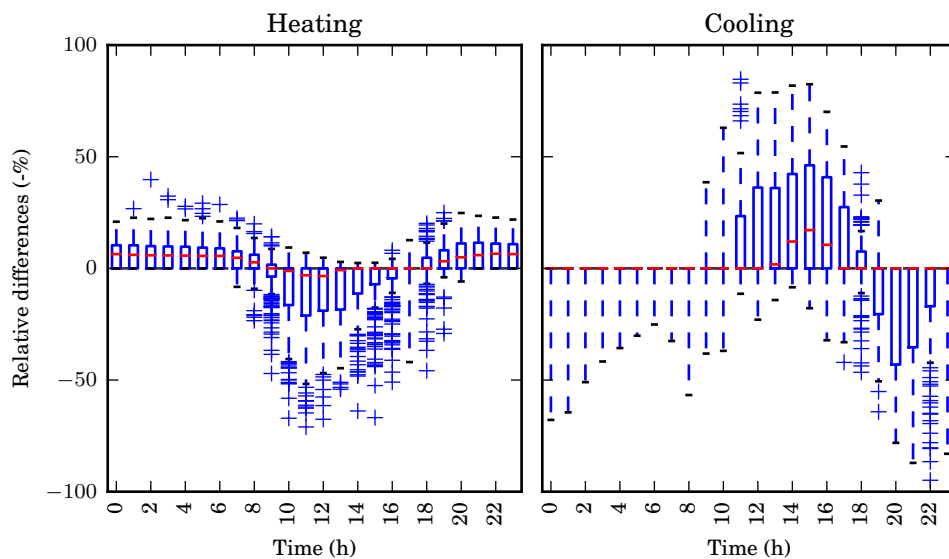


FIGURE 3.16: Daily boxplot representation of the differences

Moreover, another representation based on the plotting of the adapted model results as a function of the reference results is used (Fig. 3.17). Each point corresponds to a discrete time  $i \cdot \delta t$ . Its coordinates are  $(P^{(0)}(t = i \cdot \delta t), P^{(a)}(t = i \cdot \delta t)) = (p_i^{(0)}, p_i^{(a)})$ . The adapted model differs from the reference if the points move away of the diagonal. If the points are above, in absolute values, the adapted model under-estimates, and if they are below, it over-estimates. This representation indicates whether the adapted results follow the same pattern as the reference (follows the diagonal) or a proportional pattern (lower or higher linear function) and if the differences occur for specific power levels.

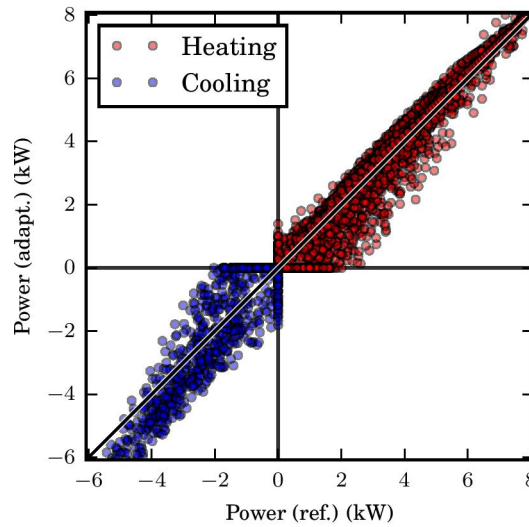


FIGURE 3.17: Adapted model results versus reference results

Last, the correlations between weather input variables (identified in the solicitation vector  $U$ , Eq. 2.7) and time series differences are studied to determine whether some dependencies exist (Fig. 3.18). The existence of strong dependencies may simplify the effect prediction, but also indicates physical-related phenomena. The weather input variables identified before are completed with the total horizontal solar flux ( $\phi_{toth.Sol}$ ), the wind direction ( $dir(v)$ ), the reference power ( $P$ ) and its temporal variation ( $dP/dt$ ). The correlation between two variables ( $X$  and  $Y$ ) is quantified with the Pearson correlation coefficient:

$$p_{X,Y} = \frac{\text{cov}(X, Y)}{\sigma(X) \cdot \sigma(Y)} \quad (3.9)$$

where  $\text{cov}$  is the covariance.

The closer to 1 the absolute value of this coefficient is, the more correlated the time series is, and a negative coefficient indicates the opposite variations.

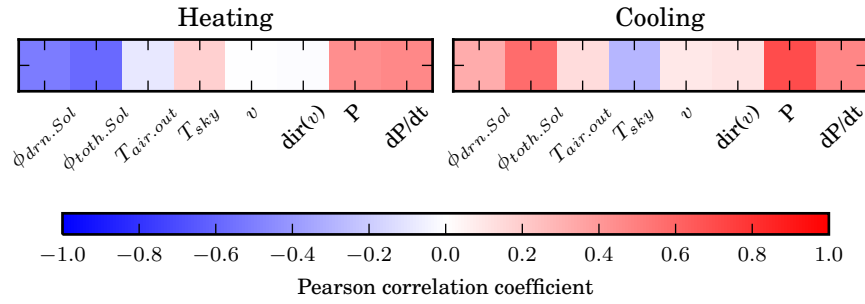


FIGURE 3.18: Time series differences in correlation with weather inputs and model output

### 3.2.4 District-scale specificities

#### Diversity

As indicated above, the district scale is of particular interest. This interest relies on the phenomenon in which at the district scale, due to the aggregation of individual energy consumers, mutualisation makes it possible to reduce the overall energy production system size. Indeed, due to the diversity of consumer behaviour, the individual peaks of demand, which control the sizing, are not exactly simultaneous, and consequently, the global peak is lower than the sum of the individual ones and the variations are relatively less abrupt (Fig. 3.19a). This smoothing effect is related to the district *diversity*, and in our case it is expected to smooth adaptation effects.

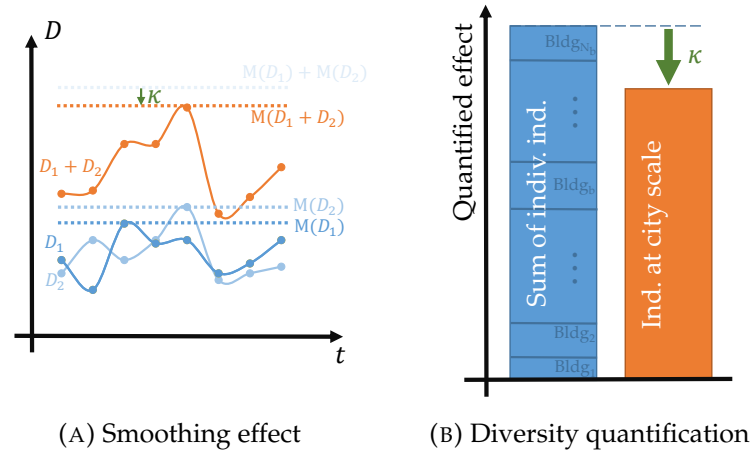
The probable source of diversity that may affect building energy behaviour at the district scale is the variety of building shapes, construction materials, and occupant behaviours. The variety of shape both affects the building spatial characteristics and its weather-induced thermal loads (notably solar and radiant temperature in our model).

The complementary part of the coincidence factor (notably used by Grandjean (2013)) is used to quantify the diversity effect at the district scale as follows:

$$\kappa^{(a)} = 1 - \frac{\text{ind}\left(\sum_{b=1}^{N_b} P_b^{(a)}, \sum_{b=1}^{N_b} P_b^{(0)}\right)}{\sum_{b=1}^{N_b} \text{ind}\left(P_b^{(a)}, P_b^{(0)}\right)} \quad (3.10)$$

where  $N_b$  is the total number of buildings in the considered district,  $P_b$  is the power of the building  $b$  and  $\text{ind}(\cdot)$  is any of the indicators defined above. The sums in the numerator of the fraction correspond to the total power of the district for the adapted and reference models, respectively. This indicator quantifies the percentage of reduction of the adaptation effect (measured by the indicator  $\text{ind}(\cdot)$ ) caused by the district scale compared to the sum of individual effects (Fig. 3.19b).

The analysis of correlations (Fig. 3.18) may discriminate between adaptations with potential low smoothing effect in cases where time series differences are highly correlated to input variables that do not vary from one building to another.



(A) Smoothing effect

(B) Diversity quantification

### Indicator representativeness

The spatial scale of the district may also influence the relative value of the indicators measuring the adaptations suitability. Are these indicators representative of the district?

We assumed that the answer is yes if the relative value of the indicators is robust (nearly unaffected) to the removal of some buildings of the district, whatever they are (Fig. 3.20). The objective is to determine whether the indicator estimation converge whatever the combination of buildings and if the scattering of the results is low. If both cases are true, it can be concluded that the indicator is representative of the district scale.

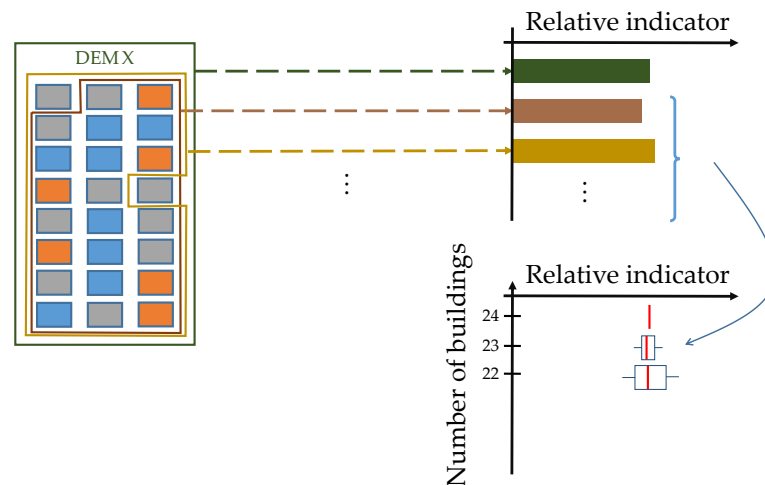


FIGURE 3.20: Analysis of indicator convergence

### Statistical invariance

At the city scale, some information is only known statistically, such as the occupant behaviour and the building typology. This information is inferred in order to apply specific properties to each BEM. Even though this process, whatever the random draw, does not affect the statistical distribution of the information, it affects individual BEM results and consequently the DEM result. However, how much these results are affected?

To analyse the impact of statistical information on the DEM, the following methodology is proposed: numerous random draws are performed (Fig. 3.22), and district-scale results are compared. If this impact is low (low scattering between results), the DEM is called statistically invariant to the studied source of data. Nonetheless, the spatial scale may influence the statistical invariance. As illustrated in Fig. 3.22 it is expected that the increase in the district size decreases the scattering of the results due to a higher sample size, according to the central limit theorem. Its applicability in our case is discussed here-after.

A meaning of the central limit theorem is that the more the measures for a noised variable, the better the estimation given by the mean of these measurements. Basically, for  $n$  individual measures, the standard deviation of the mean is:

$$\sigma_m = \frac{\sigma}{n^{\frac{1}{2}}} \quad (3.11)$$

with  $\sigma$  the measurement standard deviation.

In other word, the higher the sample of measurement used to compute the mean, the less uncertain is the mean (Fig. 3.21).

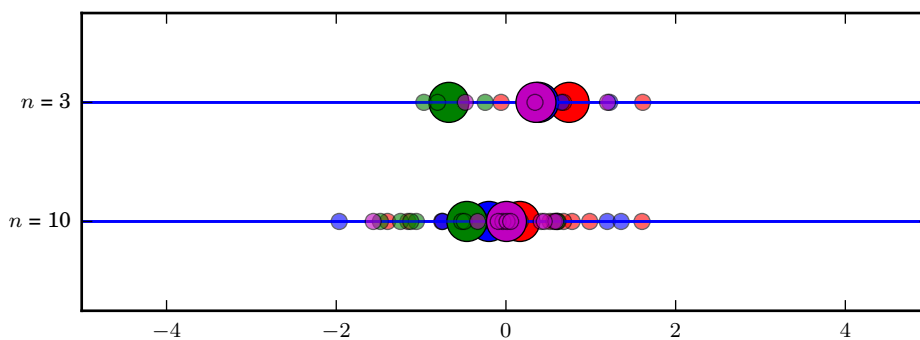


FIGURE 3.21: Illustration of the central limit theorem  
The biggest dots are the mean of the little dots of the same color: 4 different estimations with two size of sample ( $n$ ). The scattering of the mean is lower with the largest sample. A centred normal distribution is used.

The analogy with the district scale is the following:

- the measure uncertainty  $\leftrightarrow$  the stochastic perturbation due to occupant behaviour or parameter uncertainty;
- the measure  $\leftrightarrow$  the relative effect due to a perturbation for a building;
- the mean  $\leftrightarrow$  the mean relative effect due to a perturbation at district scale (made of  $n$  buildings).

If this trend is observable in our case at district scale, that means that the impact of the uncertainty due to stochastic unknowns (occupant behavior or material properties) may become negligible at a sufficiently high district scale (with a sufficiently important number of aggregated buildings).

However, 2 aspects differ from the theorem framework:

- first, the random variable (the measurement) is a time-series, hence the it is not possible to quantify a unique standard deviation as done with scalar value;

- second, the different random variable has to be independent and identically distributed, that is difficult to evaluate with time-series.

Despite the first identified divergence, to quantify the scattering of the time-series differences, with respect to the reference, we computed the relative indicators ( $\text{ind}(\cdot)$ , Sec. 3.2.2) for each  $k$  estimation:

$$I = \{\text{ind}(P^{(k)}, P^{(0)}), k \in [1, K]\} \quad (3.12)$$

Then we compute the standard deviation of the different estimates of the indicator:  $\sigma(I)$ .

Even if the theorem is not strictly applicable, if the computed standard deviations follow a decrease in power  $\frac{1}{2}$  with the district scale (number of building) as in Eq. 3.11, conclusions are similar.



FIGURE 3.22: Statistical invariance analysis

This specificity is essential at the district scale to have confidence in the simulation results despite the statistical uncertainties.

### 3.3 Link with sensitivity analysis

A specific global methodology, sensitivity analysis, proposes powerful methods to determine the influence of model characteristics on model results. Tian (2013) reviewed such methods used for building energy modelling. However, as evidenced hereafter, in their original formulations, these methods are not suitable for use in our central case. Nevertheless, the methodology proposed in the previous section is an adaptation of one of these methods. Nonetheless, in one specific case study (Sec. 5.1.4), sensitivity analysis methods are used in their original formulation and with some modifications.

Linking the proposed methodology with sensitivity analysis makes it possible to insert this method in a formal framework in addition to proposing possible extensions.

### 3.3.1 Principle

Sensitivity analysis (Saltelli et al., 2008; Popelin and Dutfoy, 2014; Chastaing, 2013) is based on uncertainty analysis. Indeed, modelling processes contain many sources of uncertainty, such as

- model uncertainty, due to the translation of phenomena into sets of equations;
- numerical uncertainty, due to equation solving methods;
- parametric uncertainty, due to variability or a lack of knowledge.

The main objectives of uncertainty analysis are

- to understand the influence or rank the importance of uncertainties;
- to validate a model;
- to compare relative system performance;
- to demonstrate system's compliance.

The aim of sensitivity analysis is associated with the 2 first items.

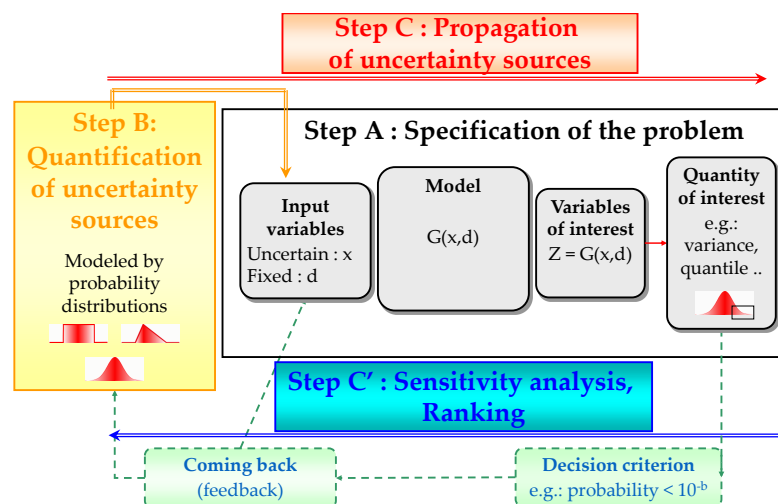


FIGURE 3.23: Global methodology of uncertainty management.  
(From (Popelin and Dutfoy, 2014))

A global sensitivity analysis process is divided into 4 steps (Fig. 3.23). In our case, this step corresponds to

- Problem specification: definition of the used model, its inputs, its uncertain characteristics, and the variable of interest (the focal part of the simulation results);
- Uncertainty quantification: quantification of the distribution of probability of the considered uncertain inputs;
- Uncertainty propagation: the input uncertainties are propagated through the model for various sets of the uncertain characteristics. These sets depend on the sensitivity analysis method used (see next subsection);



C'. Sensitivity analysis: sensitivity indexes, depending of the method, are computed from the simulation results of the uncertainty propagation.

These steps are defined in the following in each case study when applying the adaptation effect quantification methodology (Chap. 5).

**Application** In our framework, the objective of the sensitivity analysis is to understand the influence of uncertainties to accredit models (select suitable ones). The uncertainties considered are epistemic as they are due to a lack of information and are consequently theoretically reducible thanks to better knowledge (as opposed to stochastic uncertainties, which come from intrinsic variability and are irreducible).

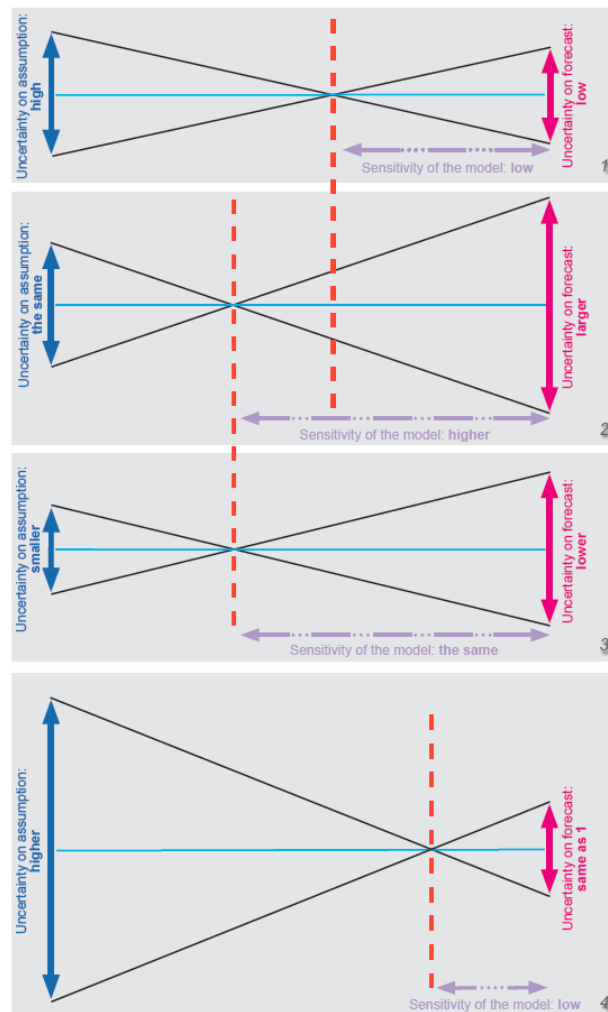


FIGURE 3.24: Link between sensitivity and input and output uncertainties  
(From (Chouquet, 2007), cited in (Bontemps, 2015))

The main divergence of the usual sensitivity analysis with respect to the methodology proposed is that they are designed for parametric uncertainties, whereas in our case, model uncertainties are focused on. Notably, the quantification of sources of uncertainty by probability distributions, which are suited to parametric uncertainties, is not suitable for model uncertainties but is the central part of uncertainty management methodology. Furthermore, the influence of the source of uncertainty

is quantified via the notion of sensitivity, which consider relative effects (Fig. 3.24 –forecast corresponds to the model resulting variable of interest), but it is inappropriate to define a relative reference in case of model uncertainty. That feature is the reason why we choose to talk about *adaptation effects* and not the *sensitivity of models to adaptation*. These two points are illustrated in the next section.

### 3.3.2 Main methods

Let  $Y$  be the variable of interest in the model, which depends on the parameters  $x_1, \dots, x_N$ .

#### Local sensitivity analysis

With this method, the sensitivity of the model  $s_n$  to a parameter  $x_n$  corresponds to the partial derivative, which is approximated as follows:

$$s_n^{(0)} = \frac{\partial Y}{\partial x_n} \left( x_1 = x_1^{(0)}, \dots, x_N = x_N^{(0)} \right) \quad (3.13)$$

$$\approx \frac{Y \left( x_1^{(0)}, \dots, x_n^{(0)} + \Delta_n, \dots, x_N^{(0)} \right) - Y \left( x_1^{(0)}, \dots, x_n^{(0)}, \dots, x_N^{(0)} \right)}{\Delta_n} \quad (3.14)$$

This sensitivity is said to be local because it is evaluated for the set of parameters  $x_1^{(0)}, \dots, x_N^{(0)}$ . An evaluation in  $x_1^{(1)}, \dots, x_N^{(1)} \neq x_1^{(0)}, \dots, x_N^{(0)}$  is different if the model is not linear. Similarly, the choice of the parameter step  $\Delta_n$  impacts this evaluation. Solutions are proposed in the following method to compensate these drawbacks.

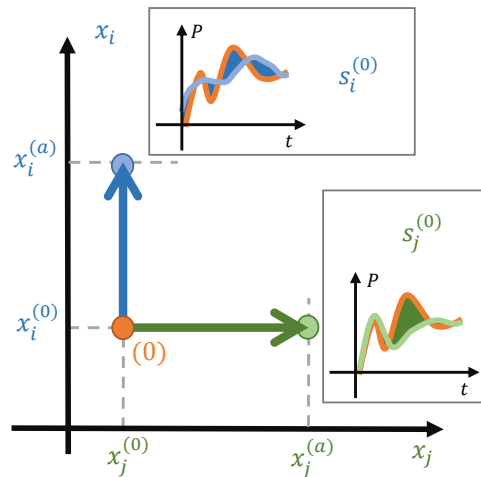


FIGURE 3.25: Design of the experiment in the parameter space for local sensitivity analysis and an illustration of the effects on the power curve

In our cases, model uncertainties are considered rather than parameter uncertainties. However, the different variations of modelling may be considered as parameters ( $x_n \equiv \text{model}_n$ ) but with discrete values ( $\text{model}_n^{(0)}$  = reference model, and  $\text{model}_n^{(a)}$  = adapted model). For example the transmitted solar flux can be modelled according to  $x_{tr.Sol}^{(0)} = [\text{trSol-0}]$  or  $x_{tr.Sol}^{(a)} = [\text{trSol-1}]$ . Hence, if  $x_n^{(0)} \equiv \text{model}_n^{(0)}$ , then  $x_n^{(0)} + \Delta_n \equiv \text{model}_n^{(a)}$ .  $\Delta_n$  corresponds to the transition from the reference model to

the adapted one. However,  $\Delta_n$  cannot be quantified as a scalar value, so how can the model transition be quantified? Furthermore, given that our objective is to quantify adaptation effect and not to evaluate sensitivity (Fig. 3.24), the denominator of Eq. 3.14 is ignored. Using the previous notation, we come back to Eq. 3.1:

$$Y(x_1^{(0)}, \dots, x_n^{(0)} + \Delta_n, \dots, x_N^{(0)}) - Y(x_1^{(0)}, \dots, x_n^{(0)}, \dots, x_N^{(0)}) \equiv P^{(a)} - P^{(0)} = D \quad (3.15)$$

As the result is a time series, indicators (Sec. 3.2.2) have to be applied.

Time series sensitivity index may be computed, with the complete formulation (Eq. 3.14) and compatible cases. However, the cause and the effect are not always synchronous, mainly due to inertia, leading to misrepresentations of the results. It may be possible to resynchronise input causes with output effects. However, such a method is not convincing, whereas applying the indicators is more suitable.

### Morris method

To compensate for the drawbacks linked to the potential non-linearity of the models studied, the Morris method consists of repeating the evaluation of Eq. 3.14  $M$  times for each parameter on different sets of parameters, as follows:

$$\begin{aligned} s_n^{(0)} &= \frac{\partial Y}{\partial x_n}(x_1^{(0)}, \dots, x_N^{(0)}) \\ s_n^{(1)} &= \frac{\partial Y}{\partial x_n}(x_1^{(1)}, \dots, x_N^{(1)}) \\ &\vdots \\ s_n^{(M)} &= \frac{\partial Y}{\partial x_n}(x_1^{(M)}, \dots, x_N^{(M)}) \end{aligned}$$

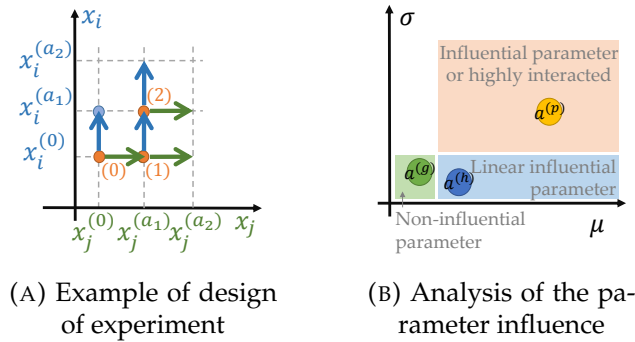


FIGURE 3.26: Morris method

The parameter space is regularly sampled in a  $M^N$  grid so that  $x_n^{(m)} + \Delta_n = x_n^{(m+1)}$ . The definition of this set of parameters depends on the design of experiments chosen (example in Fig. 3.26a). Based on the defined design of experiments, two

indicators are used to quantify the parameter sensitivity, as follows:

$$\mu_n = \sum_{m=1}^M \frac{s_n^{(m)}}{M} \quad (3.16)$$

$$\sigma_n = \sqrt{\sum_{m=1}^M \frac{(s_n^{(m)} - \mu_n)^2}{M - 1}} \quad (3.17)$$

where  $\mu_n$  is the mean sensitivity of the model to the parameter  $x_n$  and  $\sigma_n$  indicates the scattering of the  $x_n$ -related sensitivities. It is common to qualitatively compare the influence of the parameters and categorize them using a  $\mu - \sigma$  plot (Fig. 3.26b), as follows:

- if  $\mu_n \simeq 0$  and  $\sigma_n \simeq 0$ , then parameter  $x_n$  is non-influential;
- if  $\sigma_n \simeq 0$ , then the parameter  $x_n$  has a linear influence;
- else, the parameter is influential or has important interaction effects.

This method accounts for non-linearity but cannot distinguish influential parameters from highly interacted parameters.

The Morris method can be applied in our main case studies with the same precaution detailed previously (considering effects rather than sensitivity).

### Sobol index

The Sobol method, as with the Morris method, is based on design of experiments to consider a global sensitivity analysis. The first-order sensitivity index is computed as follow based on the variance decomposition:

$$s_n = \frac{V(E(Y|x_n))}{V(Y)} \quad (3.18)$$

where  $V(\cdot)$  is the variance and  $E(\cdot)$  is the expected value.  $Y|x_n$  distinguishes all outputs into  $M$  categories depending on the value of  $x_n$ :  $Y|x_n = \{Y|(x_n = x_n^{(1)}), \dots, Y|(x_n = x_n^{(M)})\}$ . In the previous equation (Eq. 3.18), the numerator corresponds to the variance of the expected values of each of these elements.

The Sobol index  $s_n$  measures the part of the total variance due to the parameter  $x_n$ . The higher the Sobol index is, the more influential the parameter is. According to the variance decomposition,  $s_n \leq 1$ .

The first order index does not consider any interaction effect. Interaction effects may be estimated using higher-order indexes, the sum of which is called the total sensitivity index.

The advantage of this formulation, in our specific case study, is that the output  $Y$  can be time dependent (does not require indicators), leading to time-dependent Sobol indexes (Fig. 3.27, which was notably used by Bontemps (2015)), for which an indicator could be useful for aggregating information. Furthermore, this formulation does not use  $\Delta_n$  linked to  $x_n$  and consequently does not require quantifying the transition related to model adaptation.

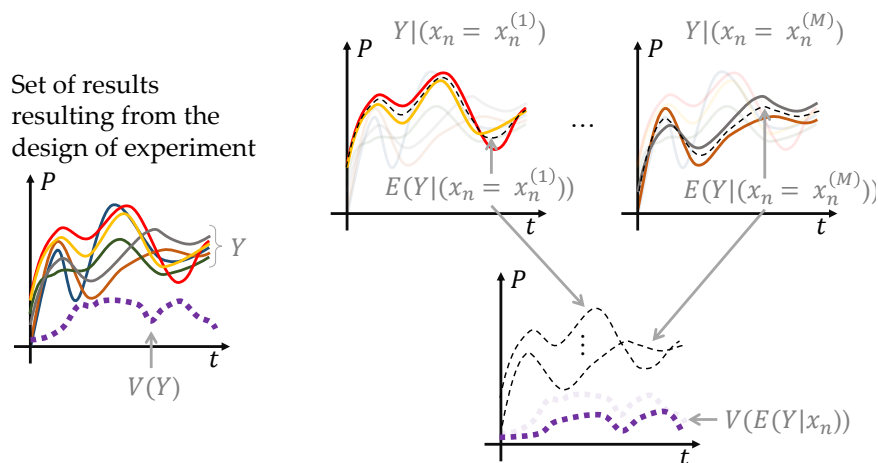


FIGURE 3.27: Sobol sensitivity index construction with a time dependent variable of interest

### 3.3.3 Application for time-dependent inputs or outputs

The particularity of the case study analysed in Section 5.1.4 is that the modelling uncertainty can be considered as parametric uncertainty but with functional parameters. Indeed, in this section, building environmental variable modelling effects are considered, and the modification of the model can be associated with the modification of the corresponding environmental variable, which is a time-dependant input of the BEM and can be considered as a model functional parameter.

Uncertainty analysis based on functional parameters was conducted by Nanty (2006) for example, but more specifically for building environmental variables by Goffart, Rabouille, and Mendes (2016). However, a functional statistical framework is considered as not sufficiently developed by Iooss (2011). However, such an analysis needs a large series of inputs in different conditions to quantify functional parameter uncertainty distributions (i.e., different yearly weather data in (Goffart, Rabouille, and Mendes, 2016) to analyse the impact of weather variability). However, only 3 different configurations per variable are available in our case. Furthermore, these environmental variables are very sensitive to the urban scene. Consequently, a representative uncertainty distribution may be very difficult to determine, particularly if considering inter-correlation which may be strongly affected by the urban configuration. An analysis is proposed in Sec. 5.1.4 accounting for these limitations.

Concerning the time-dependency of the output, rather than using indicators as proposed in this contribution, Campbell, McKay, and Williams (2006) proposed to expand the functional output in a appropriate functional coordinate system. The principle is similar as it consists on focusing on specific feature or pattern of the curve, but its applicability still limited in our specific main study because of the model uncertainty consideration. Furthermore, the definition of the coordinate system is clearly identified as the '*main art*', as for the indicator definition.

## 3.4 Chapter conclusions

The present chapter introduces the methodology defined to quantify simplifications suitable for different simulations objectives, or technical constraints. This quantification aims to help adaptations selection. It is particularly able to consider power load curves.

This methodology was identified as similar to general sensitivity analysis methods. The main differences and limitations of the applicability of usual sensitivity analysis methods in our specific case were evidenced. Nonetheless, the most advanced sensitivity analysis methods, which notably account for non linearity (Morris and Sobol methods), were not used in the main study, except in Sec. 5.1.4. Indeed, our objective is to estimate the adaptation effect. Hence, the supplementary details given by the interacted effects (second and following orders) are not crucial. Furthermore, the local adaptation effects are quantified around a common BEM, which is commonly used. The sensitivity around other combinations of adaptations, even if more detailed and supposedly closer to reality, changes in common use and common modelling, which is the key focus of this work. Moreover, some modelling combinations may be incompatible. Last, as only 2 or 3 modelling levels are defined, the statistical functions used are based on very little sampling, leading to questionable representativeness of the statistical results. In addition, the parameter (modelling) space has to be regularly sampled, but, as the quantification of deviation between models is not possible, the regularity and the related impact are also questionable.

The key part of this methodology is the definition of a relevant indicator that corresponds to the simulation objective. Such a definition, when considering power load curves, is almost never specifically defined in the literature, and is consequently a necessary target. To compensate for this lack in the literature, some general indicators have been proposed to give an overview of the adaptation effects in Chapter 5. Furthermore a complementary set of various representations aims to give the opportunity for readers to estimate the adaptation effects with respect to their specific indicator.



## Chapter 4

# Modelling and simulation platform

### Contents

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## 4.1 Objective

In order to apply the methodology presented previously, a specific tool chain was developed. As a reminder, the objective of the methodology is to quantify the impact of model adaptations, in particular on power at the district scale. The methodology relies on the comparisons of the results of simulations of various types of building energy models (different adaptations).

The first step in the tool chain consists of generating building energy models. As a district energy model is composed of a substantial number of buildings models, an **automatic building energy model generator** is needed for practicality. Moreover, numerous adaptations are considered, and hence, the building model generator has to be **modular**.

The second step consists of simulating these models. Because of the high computational cost, resulting in potentially high levels of model details, and because of the high number of models (due to the number of buildings in the district and the number of experiments), it is beneficial to **distribute the simulations** to reduce the simulation duration.

The last step consists of an **analysis of results** with the methods previously introduced (Chap. 3).

The tools and the data used in these 3 steps (Fig. 4.1) and their orchestration are detailed hereafter. Alternative methods found in the literature are also introduced to identify possible improvements and/or merging for the present tool chain. The tool chain developed this work, which automatically manages the different steps, is



written in Python<sup>1</sup> and is called MoDEM, which stands for *Modular District Energy Modeller*. A sketch of the created tool chain principle is given in Fig. 4.3.

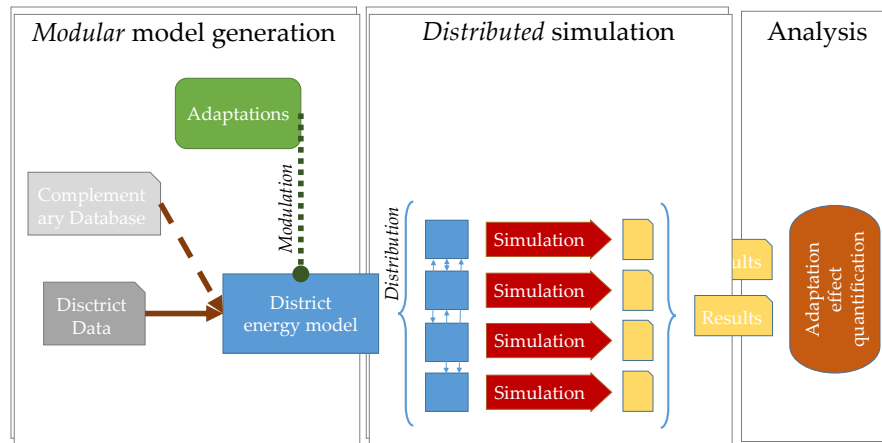


FIGURE 4.1: Sketch of the tool chain objective

## 4.2 Tool chain

### 4.2.1 Data source

In order to generate a district energy model, district information is obviously needed. The management of the district scale data is currently growing quickly, in particular using Geographic Information System (GIS). GIS relies on geometrical data, that represent a specific territory (a district in our case), complete with various structured semantic information, such as type description, use, construction period, and other descriptors. A number of cities around the world, are developing GISs. For example, the 'Grand Lyon' metropolis provides open access to such databases<sup>2</sup>. However, the quality of these data often does not suit energy model specifications because of unclosed geometry, the presence of multiple facets in collinear surfaces, or a lack of or incorrect building splitting (see works of Pedrinis (2017) for instance).

An important effort of standardization and interoperability is currently being carried out using the CityGML open format<sup>3</sup>, which has become a reference format for district information systems (this format is already used for various applications, including solar atlases, thermal diagnostics, over-flow information, and lighting studies for instance).

In parallel, at the building scale, Building Information Models (BIMs) are becoming established, and are even mandatory in some countries (Fig. 4.2). As with GIS, these numerical models aim to structure building data from architects to workers and from the design to operation stages. The main formats used are gbXML and IFC<sup>4</sup>.

<sup>1</sup>Python homepage - <https://www.python.org/>

<sup>2</sup>Available at <https://data.grandlyon.com/>.

<sup>3</sup>CityGML homepage - <https://www.citygml.org/>

<sup>4</sup>gbXML homepage - <http://www.gbxml.org/>; IFC Overview summary - <http://www.buildingsmart-tech.org/specifications/ifc-overview/ifc-overview-summary>

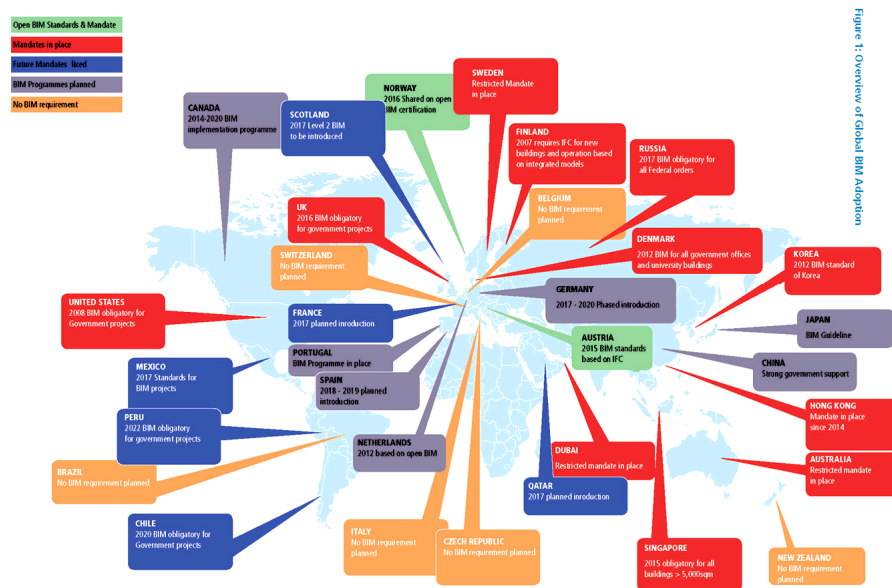


FIGURE 4.2: Overview of Global BIM Adoption (From (McAuley, Hore, and West, 2017))

The junction between BIM and GIS is in progress (as works of Hijazi (2011)). Nonetheless, as BIMs are especially available for new buildings, there is a great lack of information for existing buildings, which is generally crucial for district models.

At the moment, in most cases, there is a discrepancy between the needs of district models and the data supplied. A key point to improving district models is to create a convergence between city energy modellers, city geographers and even geomorphic specialists. This manuscript modestly hopes to contribute to such a convergence through the identification of necessary data for different simulation objectives, thanks to the quantification of the suitability of adaptations (Fig. 3.2).

### Geometrical data

Because of a lack of information about the construction materials of the buildings considered in the available test cases, only geometrical data from the district GIS are used. Concretely, these geometrical data comprise the details of the buildings zones (volume) and the enclosure surfaces (area, orientation and adjacent zones).

As a starting point, SketchUp<sup>5</sup> models were used, because of its friendly use and wide adoption, notably in architecture schools (\* .skp format). Ultimately, the CityGML and IFC formats will be used, with semantic information linked to information about the construction materials of the buildings.

The geometrical data are rewritten in a temporary specific XML file by the MERUBBI tool (\* .bsp), a pretreatment platform developed in the frame of the MERUBBI research project<sup>6</sup> (Lauzet et al., 2016; Ribault et al., 2017). The XML format is particularly suited to model generation thanks to parsing.

<sup>5</sup>SketchUp homepage - <https://www.sketchup.com/>

<sup>6</sup>Projet MERUBBI - Méthodes d'Exploitation des Ressources Utiles du Bâtiment Bioclimatique dans son Ilot - <http://anr-merubbi.fr/> [French]

### Thermo-physical data

As information on the construction materials of the buildings are not directly available in the GIS used they were deduced from the French residential building typology (Rochard et al., 2015) defined in the European TABULA project<sup>7</sup>. The aim of this project was to classify European national building stocks and to estimate their consumption and the potential energy savings. Each typology is divided into 4 building categories (single-family house, terraced house, multi-family house and apartment block) and 10 construction periods. From these categories, a set of example buildings is proposed notably with a description of the building materials and the system used. Construction periods are known in the studied cases (they could be relatively easily deduced thanks to knowledge about the urbanization period or as a function of the architecture morphology), and building type is deduced with respect to the morphology.

The typology gives U-value for façade elements and construction materials. Related thermo-physical properties (thermal conductivity, density, and specific thermal capacity) are deduced from a database principally originated from the modelling library detailed hereafter. The material thickness is not always available in the typology, and hence, adjustments are necessary to match the specified U-value (either the thickness or the conductivity is adjusted). Therefore, this step makes it possible to enrich the geometrical building data description with thermo-physical parameters. Some other buildings necessary data are not available in the typology (e.g. emissivity, albedo, etc.). They were deduced from default values, notably based on the dataset of the model library used.

In this study, only residential buildings are considered because of the typology used and because their use is much more known and less diverse than those in the tertiary sector. Moreover, this process is highly uncertain, but remember that the objective is not to model reality but rather to feed a district model with coherent and representative values, overcoming a lack of data to test envelope modelling at the district scale. Nonetheless, the uncertainty of data inference will be studied in the next chapter (Sec. 5.2.4).

A similar data enrichment process, TEASER (Remmen et al., 2018), was initially developed for the AixLib Modelica library (Fuchs et al., 2015) and adapted to the OpenIDEAS Modelica library (Baetens et al., 2015) by Ina, Glenn, and Dirk (2017). This approach is notably also able to use information from TABULA typologies.

In addition, concerning GIS, for further extensions of the tool chain, a specific application domain extension) was created in CityGML to store district energy model-related data (Nouvel et al., 2015).

### Occupant information

At the district scale, when considering the power curve, it is necessary to consider the notion of diversity. Diversity is the fact that the overall power peak at the district scale is lower than the sum of the individual maximal peaks of each consumer. This phenomenon is due to the non-concomitance of the individual power peaks. This notion is fundamental as it reduces the system size requirement at aggregate scale. This non-concomitance is mainly due to the diversity of consumer behaviours: consumers do not perform the same tasks at the same time. Consideration of this effect is necessary to reproduce realistic power curves. Furthermore, this effect may

<sup>7</sup><http://episcope.eu/building-typology/>

influence the adaptation effects (as already discussed in Sec. 3.2.4 and is tested in Sec. 5.2.2).

The diversity of building occupants is mostly examined for electrical demand mainly due to electrical devices (Grandjean, 2013). Concerning heating and cooling needs, the diversity linked to the occupants concerns the variations in the internal heat gain (depending on the occupancy, the devices used, and other factors) and the diversity of energy system settings (temperature setpoint). In most cases, diversity is not considered, and consequently, the internal heat gains and the setpoint temperature are defined according to identical reference schedule. In specific cases, the diversity is modelled using temporally dynamic scenarios of internal heat gains and of setpoint temperature.

These dynamic scenarios are acquired from the SMACH tool, an EDF R&D agent based model (Huraux, Sabouret, and Haradji, 2015; Reynaud et al., 2017). This tool is able to generate activity scenarios for each person in a family with a time-step of 1 minute considering interactions in particular due to housing conditions (comfort). This tool is based on monitoring real conditions of a set of different family types. A statistical population can be generated from city statistical data (type of housing, socio-professional category, etc.) to generate representative city housing scenarios<sup>8</sup>.

For our needs, a set of 1,000 monthly scenarios aggregated at the housing level were generated based on statistics on Lyon, France. These scenarios contain the hourly evolution of the number of occupants and of the temperature setpoint and descriptions of the housing and the household. The scenarios last only one month to limit the computing cost and because they are quasi-periodic (for longer simulations, they are repeated). As only the shape of the building is known and not its constituting housing, an aggregate scenario at the building level is generated by randomly assembling the housing scenarios until the total housing floor area nearly corresponds to the estimated floor area of the building<sup>9</sup>. The number of occupants is summed, and the setpoint temperature is weighted by the floor area and averaged.

In the BEM, the internal heat gains are modulated by the occupancy ratio (the number of occupants divided by the total number of occupants), and the set-point temperature is directly imposed (only the heating setpoint temperature is available in the scenarios, and cooling ones are defined by symmetry with respect to 23.5 °C).

This method is obviously rough for estimating the schedule of dynamic internal gains, in particular for the internal heat gains due to electrical devices that are only related to occupancy and for the occupant behaviour, which is non-coupled with current thermal comfort. However, this level of modelling is sufficient for our requirements.

Other agent-based models were notably developed by Robinson, Wilke, and Haldi (2011) and Pflugradt and Muntwyler (2017). In contrast, other tools generating occupant scenarios identified in other DEM platforms (identified in (Frayssinet et al., 2018b)) are based on stochastic modelling. For example, CitySim (Robinson et al., 2009) use works of Page et al. (2008); Page (2007); DIMOSIM (Riederer et al., 2015) use model developed by Gay and Schetelat (2014); SMART-E (Berthou et al., 2015) use similar approach than those developed by Vorger, Schalbart, and Peuportier (2014); Vorger (2014); and the Modelica library OpenIDEAS (Baetens et al., 2015) use the StROBe module (Baetens and Saelens, 2016). No further details

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<sup>8</sup>SMACH is also able to generate the electric load curve due to housing electrical appliances from these activity scenarios.

<sup>9</sup>A first level of diversity is hence considered: from housing to building.

were given in the present manuscript as the SMACH tool is suitable to our objectives. To go further, information about occupant behaviour models may be found in (Yan et al., 2015).

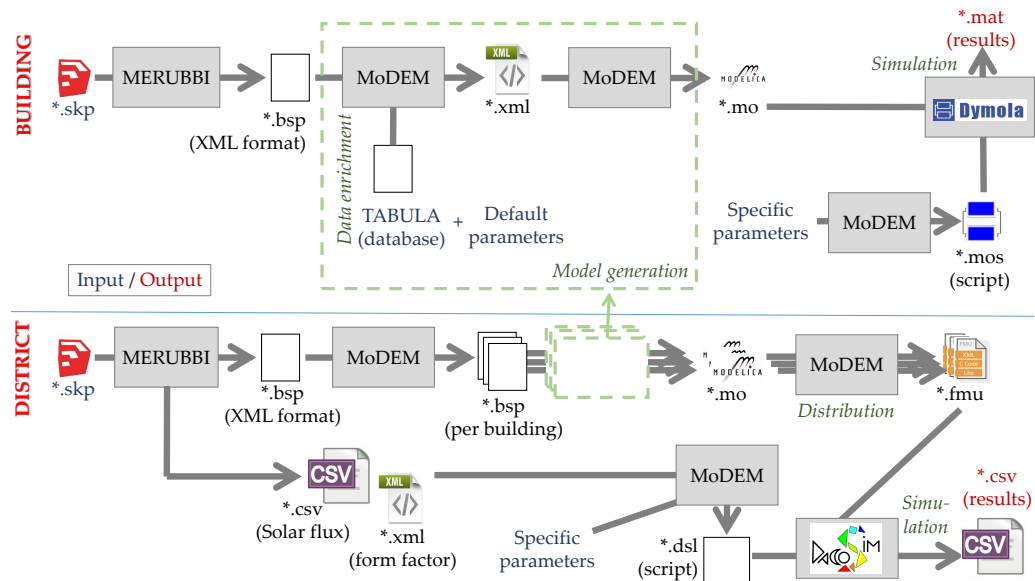


FIGURE 4.3: Detail of the created tool chain

## 4.2.2 Energy Model

Thanks to the data source described above, all data needed to create the district energy model are available.

### Building Energy Model

The BEMs are created using the BuildSysPro Modelica library. Modelica<sup>10</sup> is an object-oriented, equation-based and acausal programming language that was developed to support all engineering domains and hence is particularly suitable to our scope.

More specifically, the BuildSysPro<sup>11</sup> library were used. This tool is an 0D/1D building energy library developed by EDF R&D and adapted to French building stocks (Plessis, Kaemmerlen, and Lindsay, 2014; Schumann et al., 2016). This tool has notably been used for experimental validations of high-efficiency buildings (Bontemps et al., 2013; Bontemps, 2015) and to study the interactions between buildings and their energy systems (Blervaque et al., 2012; Blervaque, 2014).

The generation of BEMs relies on the assembly of building element sub-models (walls, windows, air zones, and others) for each geometrical element of the extracted XML file (Fig. 4.4). The sub-models are parametrized in accordance with the data source and the default or specific parameters. The resulting file is a Modelica model (\*.mo). The model structure and parametrisation depend on the adaptations considered. This modularity of the model implies different sub-models and different

<sup>10</sup>Modelica Association - <https://www.modelica.org/>

<sup>11</sup>An open version is available here: <https://github.com/edf-enerbat/buildsyspro>.

connections between them, which have to be compatible regardless of the adaptation combination (Sec. 2.1). This automatic process is managed by specific Python code developed during this thesis.

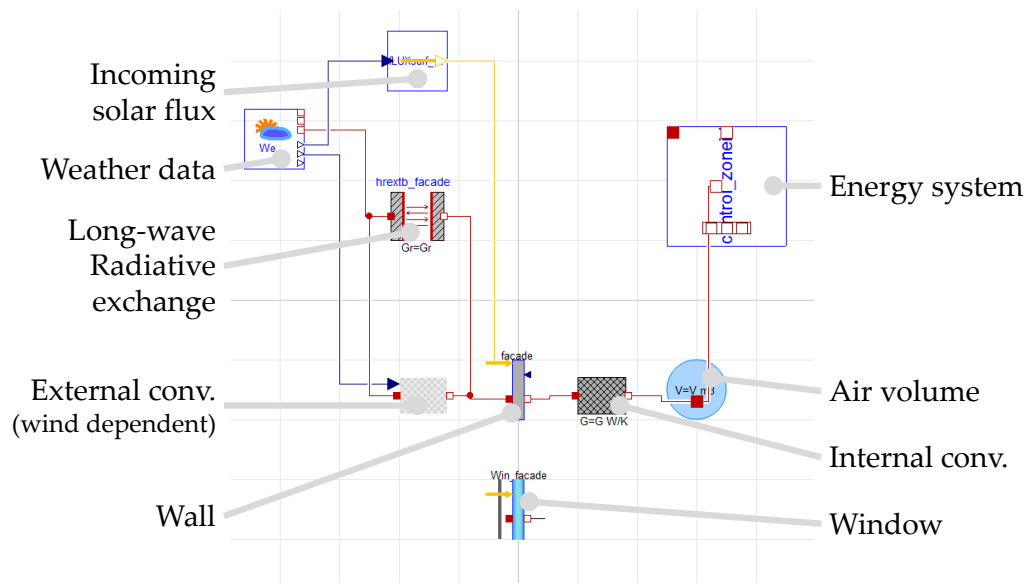


FIGURE 4.4: Glimpse of the BEM using BuildSysPro with Dymola

The modelling and the simulation, at the building scale, are managed with the Dymola environment<sup>12</sup>, via a Modelica script (\*.mos), using notably the BuildingsPy Python package<sup>13</sup> and specifically developed functions. Dymola manages the solving of the set of equations defined in the Modelica model, and proposes various solvers for the simulation. The 'Dassl' time-step adaptation solver was used in our simulations as it shown to be the most robust during specific preliminary tests. Because of hourly weather data, the observational time-step was set to 1 h. Annual simulations last about 1 to 2 minutes for the reference models (define later) on a 2.5 GHz and 8 GB RAM computer. The BEM were numerically initialized starting the simulation 1 month earlier.

For information, other Modelica libraries developed for building energy modelling were notably introduced and compared by Tittlein et al. (2016), and some of them are involved in the Annex 60 (Wetter and Treeck, 2017), an Internal Energy Agency (IEA) project aiming to merge development and validation efforts on building energy modelling and that led to the Annex60 Modelica library. The BuildSysPro library was notably involved in this project.

### District Energy Model

As the BEM is an assembly of the sub-models, the DEM is an assembly of BEMs. However, this DEM is not written in the Modelica language as the resulting model

<sup>12</sup>Dymola homepage - <https://www.3ds.com/products-services/catia/products/dymola/>

<sup>13</sup>Developed by the LBNL laboratory to ease the processing of Modelica models and simulation results (BuildingsPy documentation - <http://simulationresearch.lbl.gov/modelica/buildingspy/>).



may be too computationally intensive to simulate as it is, and it is much more beneficial to distribute the BEM simulations, notably because they consist of numerous problems of similar weight (BEM) that are relatively weakly linked (Sec. 2.2).

To be distributed, the BEM are converted with Dymola into Functional Mockup Units (FMUs, \*.fmu)<sup>14</sup>, that include both a model and a numerical solver, according to the Functional Mockup Interface (FMI), an open-source and community driven standard developed for coupled simulation and model exchange<sup>15</sup>.

The distributed co-simulations of the FMU are managed via a specific script (\*.dng) by DACCOSIM<sup>16</sup> (Distributed Architecture for Controlled CO-SIMulation), an FMI compatible master algorithm generator developed the RISEGrid institute which is jointly launched by EDF and CentraleSupélec (Galtier et al., 2015). A specific Python application called DacRun makes it possible to distribute the simulation to clusters.

In compliance with Chapter 2, the same adaptations than at the building scale can be considered by modifying the BEMs of the DEM, and 3 specific adaptations are available at district scale (Sec. 2.2). The modelling of these 3 district-scale adaptations necessitate the following specific information and elements:

- Solar shadings and reflections.

The shading and inter-reflection effects are accounted for using the ray-tracing method available in the MERUBBI tool (an error tolerance of  $10^{-2}$ , and 2 reflections are considered for the computation, after a local sensitivity analysis). The BEM solar inputs are accordingly modified for each facade [Solar-1].

- Inter-building LW radiative exchanges.

Form factors are computed with the ray-racing method in the MERUBBI tool, for a density of 1,000 points per square meter. The 'viewed' equivalent surface temperatures are coupled only for [LWRad-1].

- Coupling between adjoining buildings.

For [Adjoin-1], the interface temperatures between adjoining buildings are coupled.

Both of the previous modelling adaptations, when detailed, imply a coupling between FMUs and are managed with DACCOSIM with a constant time-step of 900 s. Therefore, the radiant temperature 'received' by a facade corresponds to the surrounding surface temperature 900 s before. No noticeable deviations were observed when using time step-adaptive coupling or lower time steps<sup>17</sup>. Run simulations lasted about 30 mn for a district made of 23 buildings for the reference model, on the same computer described here-above having 8 cores. The distribution of the simulation on these cores divided the computational time by about 3, but further more detailed analysis about the simulation performance will be carried out with the new version of DACCOSIM.

<sup>14</sup>The Binary Model Export licence is necessary to run the FMUs without a Dymola licence regardless of the original platform (needed when distributing on clusters do not having licence)

<sup>15</sup>Functional Mock-up Interface - <http://fmi-standard.org/>

<sup>16</sup>Available at <https://sourcesup.renater.fr/daccosim>

<sup>17</sup>DACCOSIM coupling does not rely on iteration until convergence but potentially relies on time step adaptation (if the estimated error is higher than the tolerance, the time step is reduced, and the last estimation is re-estimated).

### 4.2.3 Results analysis

The simulation results were analysed according to the methodology previously defined (Chap. 3) with usual Python functions. However, some C++ specific libraries, as `GAML`<sup>18</sup> and `TimeSeries` used in a collaborative project link to this tool chain, seems to be more suitable. Indeed, they respectively are design to load and manage dynamically large files (time-series), and efficiently compute arithmetical operations on such large files. These libraries are developed by professors and students of CentralSupélec.

Note that some observed effects may be due to numerical errors due to the solving process. Hence, uncertainty quantified may contain numerical uncertainty. However, the numerical errors are assumed negligible over model uncertainty effects as the solver and the model were well-established. It is confirmed by the physical analysis carried on in the following chapter.

## 4.3 Chapter conclusions

The developed platform aims to take advantage of existing tools and software to efficiently and automatically create modular district energy models. This tool chain enables the simulation of the power demand of a district considering the main interaction and coupling between buildings. Moreover, the distribution of the simulation make it possible to reduce the computational time, favouring the use of detailed model at district scale and limiting the need of simplifications because of up-scaling, by contrast with the common use of simplified models at district scale.

The generated district models were not validated but were based on the already tried and tested `BuildSysPro` library. Furthermore, the models were compared to another district energy model, `SMART-E` (Frayssinet et al., 2018a). This comparison evidenced modelling bias due to the different modelling approach but reinforced the physical modelling approach. The comparison consequently highlighted the need for information about the suitability of modelling choices, particularity at short time steps, which is what this contribution aims to do.

Further developments are expected for this tool chain, notably to improve the computational time and efficiency of the different processes, to complete it, to merge parallel existing developments and to ease interoperability. Notably, the framework of Annex 60 (Wetter and Treck, 2017), which will continue within the IBPSA Project 1<sup>19</sup>, is very close to the objectives of this platform. Indeed, the different tasks of this project were as follows:

- Activity 1.1: Modelica
- Activity 1.2: Co-simulation and Model Exchange Using the FMI Standard
- Activity 1.3: BPS Code Generation from Building Information Models
- Activity 1.4: Workflow Automation Tools

Furthermore, the definition of a `DESTEST`, a common district case study, as introduced in the Annex 60, is particularly welcomed to enhance and support DEM development.

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<sup>18</sup>Available at <https://github.com/HerveFrezza-Buet/gaml>

<sup>19</sup>*IBPSA project 1 homepage* - <https://ibpsa.github.io/project1/>





## Chapter 5

# Effect of adaptations

### Contents

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Thanks to the platform described previously, the methodology introduced in Chapter 3 is applied for two building types, for all the adaptations introduced in Chapter 2, at the building scale and then at the district scale. A wide range of representations are used to analyse the adaptation effects, but only the more interesting representations are given in the following chapter. All others are included in the Appendix C to make it possible for the reader to check specific features depending on their simulation objectives. The global methodology of uncertainty management (Fig. 3.23) is used to support the analysis. The different steps are identified by paragraph titles.

## 5.1 Building scale

**A - Problem specification** A generic 10 m cubic building, oriented towards the cardinal directions is considered. A generic building is retained, rather than a real one, to give comprehensible and representative results that are more easily generalisable. The main characteristics of this building (Table 5.1) are based on the French TAB-ULA typology (Rochard et al., 2015) for the ‘multi-family house built before 1915’ category. This period of construction is chosen because, in France, the majority of the buildings of this type were built during it. To highlight the influence of the envelope performance on the adaptation effects, a second parametrisation is considered

		<i>Init</i>	<i>Perf</i>
Wall	Materials	Stone, Coating	Wooden frame, wood fibre
	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	1.70	0.18
Roof	Materials	Tiles, wood, mineral wool, plaster	Concrete, polyurethane
	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	1.35	0.15
Window	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	2.60	1.40
Ventilation	Type	Natural	Mechanical, double flow (efficiency: 0.80)
	Air change rate [vol <sup>-1</sup> ]	0.50	0.40
Infiltration	Air tightness [m <sup>3</sup> h <sup>-1</sup> m <sup>-2</sup> ]	2.0	1.0

TABLE 5.1: Main parameters of building case studies

based on the last construction period (after 2012) corresponding to the last French regulation and consequently to a high energy performance building. Hereafter, *Init* refers to the older state, whereas *Perf* refers to the last one. For this last state, no specific passive techniques are modelled to reduce cooling needs (shading, natural ventilation, and others), and hence, the effects on cooling needs are only analysed with respect to the envelope basic behaviour. The setpoint temperatures are, by default, set to 19 °C and 28 °C for heating and cooling, respectively, according to the French regulation<sup>1</sup>.

In the more general prospect, the variable of interest is the year-round power need curve in order to account for all dynamics of a representative year (Fig. 5.1). Heating and cooling were separately analysed. The Meteonorm weather data for the city of Lyon are used. The indicators previously defined (Sec. 3.2.2) are applied to extract specific features of adaptations effects on the power curve, with respect to different variables of interest.

### 5.1.1 Modelling conductive heat transfer

#### Discretisation resolution

**B - Uncertainty quantification** The first source of uncertainty accounted for is the spatial discretisation of the conduction problem [Cond- $\tau$ ]. Indeed, the discretisation is often hardly simplified, notably at district scale, as the more detailed it is, the more equations describing the model are needed (Eq. 2.19).

<sup>1</sup>There is no consideration as to whether the setpoints are representative of reality as the aim is to focus on the envelope model. However, more realistic setpoints are accounted for when using occupant behaviour models in Sec. 5.2.4.

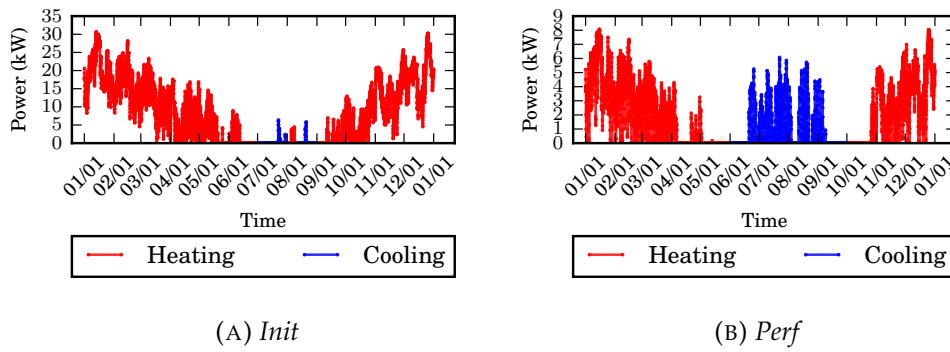


FIGURE 5.1: Power curve of the reference model

<i>Init</i>		Stone	Coating
$\tau = 59$ s	Nodes	64	4
	Nodes/cm	1.6	2.0
$\tau = 900$ s	Nodes	16	1
	Nodes/cm	0.4	0.5
$\tau = 15$ days	Nodes	1	1
	Nodes/cm	0.025	0.5
<i>Perf</i>		Frame	Wood fibre
$\tau = 59$ s	Nodes	77	4
	Nodes/cm	3.85	1
$\tau = 900$ s	Nodes	19	1
	Nodes/cm	0.95	0.25
$\tau = 15$ days	Nodes	1	1
	Nodes/cm	0.05	0.25

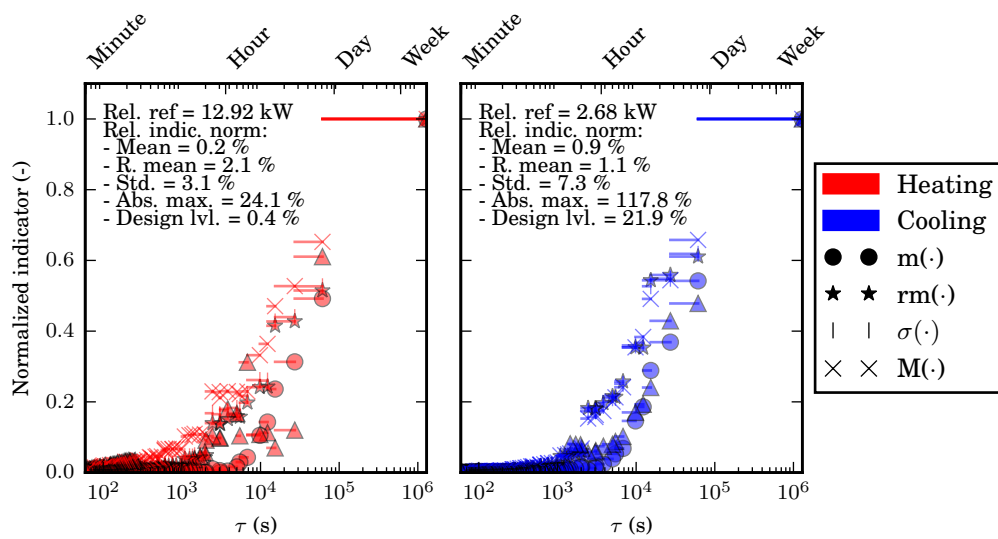
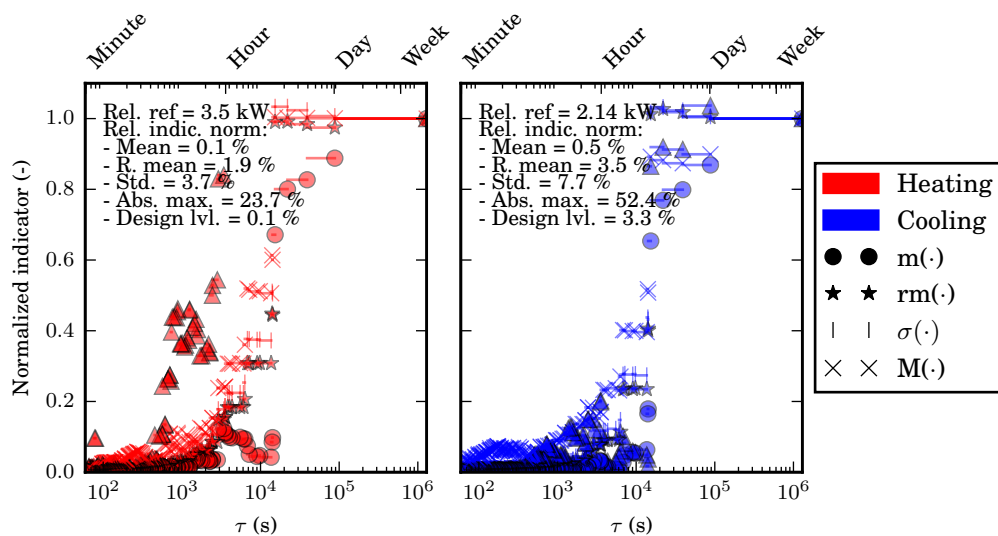
TABLE 5.2: Number of mesh in wall layers for the 2 extreme and intermediate discretisation resolutions

**C - Uncertainty propagation** According to the methodology developed in Chapter 3, model uncertainty is considered using different discretisation resolutions as defined through the parameter  $\tau$  (Eq. 2.18): from 59 s to 15 days. Between these 2 limits, a modelling variant is defined as soon as the increase in  $\tau$  implies an increment of the number of mesh points of any layer of the building envelope model<sup>2</sup>. For the methodology defined (Chap. 3), the reference is defined to be the model with the minimal characteristic time (supposed to be the most accurate) and with all other adaptations identified in 2.1 to their default formulation, i.e.: [label-0].

**C' - Results analysis** To give a synthetic overview of all indicators (Sec. 3.2.2), all indicators are plotted in the same graph with normalized values (Fig. 5.2 and 5.3). The norm is the respective indicator for the most simplified model ( $\tau = 15$  days), the relative value of which (to the mean non-zero power) is written in the graph.

As expected, because of the lower mesh resolution, the differences between the simplified models and the reference model increase with  $\tau$ . Nonetheless, the standard deviations, the rectified mean differences, the differences of design level and particularly the mean differences are negligible, notably compared to the maximal

<sup>2</sup>The definition of  $\tau$ , via the floor function, causes a discrete behaviour.

FIGURE 5.2: Conduction discretisation resolution effects: *Init*FIGURE 5.3: Conduction discretisation resolution effects: *Perf*

deviations. This last one increases up to 24 % for heating and for the *Init* and the *Perf*, to 52 and 118 %, respectively, for cooling. For the *Init*, the cooling needs are very low, and as a consequence, the relative difference can be important as soon as the cooling period increases due to adaptations.

These observations confirm that high differences rarely occur but are locally important. The maximal differences are correlated with the derivative of the power needs, notably for the lowest resolution (Fig. C.4). Indeed, in these cases, the meshes are thicker, and therefore, more thermal mass is affected during temperature variations, leading to delays in the thermal response, in particular for the quickest variations, as induced by solar flow. This phenomenon may also explain why cooling, which is more intermittent and very sensitive to solar flow, is more impacted than heating. By extrapolation, these time delays may be observed during setpoint change, such as for flexibility studies.

The increase is not regular: rather, a first gap is observed for  $\tau$  that is approximately equal to 2000 s, which is approximately half of the weather data time step ( $\delta t$ ). This gap may be explained by the fact that for higher resolution, the mesh element thickness is higher than the thermal penetration depth length of the material<sup>3</sup>, for the highest meteorological loads frequencies (the maximal observable frequency is  $\frac{1}{2\delta t}$  according to the sampling theorem). In other words, the highest thermal load frequencies are not diffused through the mesh element because of its excessive thickness (Fig. 5.4a); they are entirely attenuated. Hence, after this gap, the higher the mesh thickness is (the higher  $\tau$  is), the more the highest frequencies are eliminated (Fig. 5.4b).

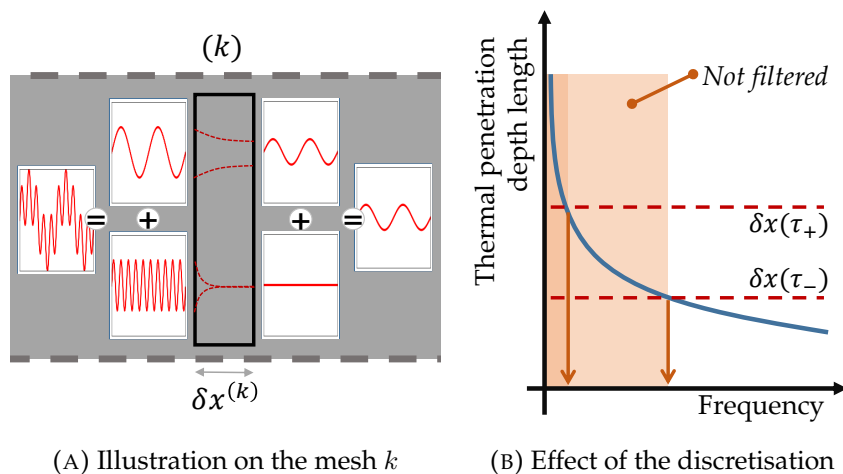


FIGURE 5.4: Filtering effect

Furthermore, the fact that the discretisation does not impact the annual energy needs (the mean differences are nearly null) justifies the use of coarse meshing in the district energy platform, notably with the wide use of the RC analogy model (Frayssinet et al., 2018b). Indeed, only the transient term of the heat equation is modified, but the steady-state term is unchanged. However, it is important to keep in mind that this choice affects the dynamics, in particular the fastest dynamics<sup>4</sup>.

## Reduction

**B - Uncertainty quantification** Solving the conductive heat transfer problem may be eased thanks to mathematical reduction methods (Sec. 2.1.4, [Red- $\pi$ ]). The resulting uncertainty due to these methods is analysed.

**C - Uncertainty propagation** The model uncertainty is considered using different levels of reduction ( $\pi$ ), including from the model that is not reduced ( $\pi = 0$ ) to the model that is entirely reduced ( $\pi = 92$  for *Init* and 126 for *Perf*). The maximal level of reduction corresponds to the number of thermal modes in the model.

The reference model is the same as the previous model except that  $\tau$  is set to 900 s [Cond-900] to reduce the computational cost<sup>5</sup> while not noticeably modifying

<sup>3</sup>Which is equal to  $\sqrt{\frac{\alpha}{\pi \cdot f}}$  for a  $f$ -harmonic thermal load in semi-infinite homogeneous material

<sup>4</sup>Note that thickness RC elements are often optimized with respect to this constraint, i.e., the peripheral layers are thinner than in the core.

<sup>5</sup>Reduced by about 6 and 20 times for the *Init* and *Perf*, respectively

the results, according to the previous analysis. This reference model is not reduced and hence corresponds to [Red-0].

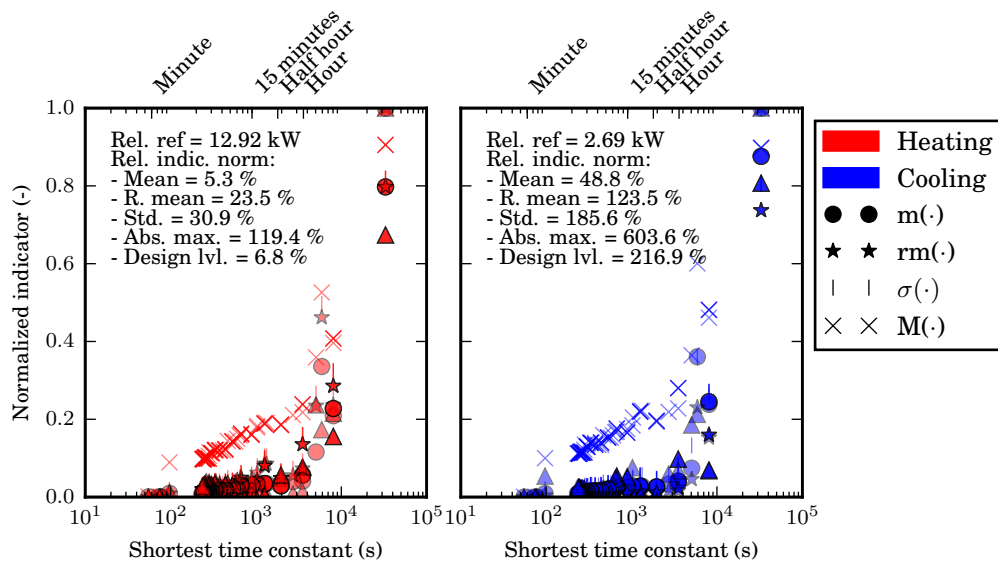


FIGURE 5.5: Reduction effects: *Init*

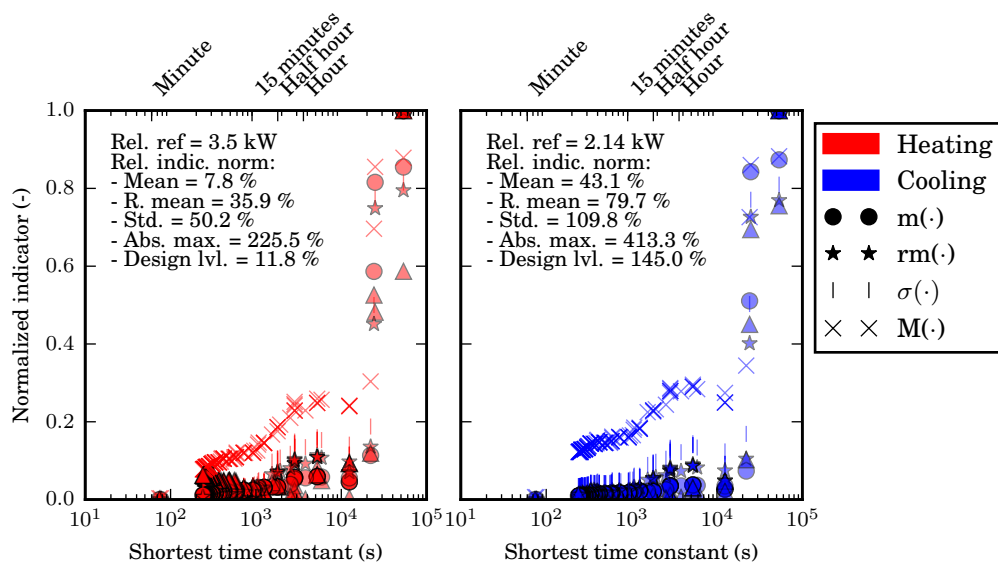


FIGURE 5.6: Reduction effects: *Perf*

**C' - Results analysis** As presented previously, similar synthetic overviews of all indicators with normalized values are shown in Fig. 5.2 and 5.3. The x-axis corresponds to the shortest time constants of the reduced models, the dynamic of time constants of the complete model ( $\pi = 0$ ) shorter than this abscissa being neglected (Sec. 2.1.4). The time constants range from a second to approximately 15 h.

As expected, the differences increase with the shortest time constant, i.e., with the level of reduction, particularly the maximal ones. Cooling shows a higher sensitivity to reduction than heating, highlighting again the importance of the envelope dynamics for the power needs. Note that the differences increase abruptly for the

last levels of reduction, i.e., for shortest time constants, approximately 1 h for the *Init* and approximately 3 h for the *Perf*. Up to this level, the mean, rectified mean differences and standard deviation remain lower than 10 % of their highest values, i.e., the values are negligible, in particular for heating. The maximal deviations remain lower than 20 to 30 % of their highest values, which is not negligible notably because of the very high values of the norms. In addition, the maximal deviation suddenly reaches approximately 10 % until the shortest time constant of approximately 100 s.

The Moore method recommends keeping the modes with a time constants which are higher than  $\frac{\delta t}{4}$ . A notable increase in the differences is effectively observed near this value (900 s in our case).

Therefore, the reduction mainly locally affects the power curve but strongly while not noticeably impacting the main trend except for the extreme levels of reduction. This behaviour is coherent with the progressive loss of the shortest dynamics.

Last, note that very efficient mathematical reduction methods exist (see Sec. 2.1.4) and can, a priori, make it possible to further reduce the models for the same tolerance but are not analysed further here.

### 5.1.2 Building model assumptions

**B - Uncertainty quantification** The other sources of modelling uncertainty accounted for are the other building scale adaptations identified in Sec. 2.1. The reference model is the same as that presented previously (with  $\tau$  set to 900 s [Cond-900] and is not reduced [Red-0]).

**C - Uncertainty propagation** The effect of each adaptation is quantified by individually changing the modelling variant: [label-0] to [label-1]. Hence, the effects are quantified locally around the reference model (Sec. 3.2).

**C' - Result analysis** Fig. 5.7 gives an overview of the effect of the adaptations as introduced in Sec. 3.2.2. Table 5.3 summarizes indicator values. A first global conclusion, similar to that presented previously, is that the adaptations are globally suitable with respect to the annual needs as the mean differences are low (below 1 % in most cases and up to 20 % in the extreme worst case), but locally important deviations exist (the maximal deviations are over 20 % in most cases and reach 348 % in the extreme worst case). The difference in design level indicator has a similar behaviour to the mean but is notably amplified for cooling needs, notably so for the *Init*, for the same reasons detailed before (intermittent and low relative references).

Second, the relative effects are quite similar regardless of envelope performance. This observation confirms the choice of the relative reference (Sec. 3.2.2). In absolute values, except concerning the design level, the cooling differences have the same order of magnitude for *Init* and *Perf*, whereas the heating differences for *Perf* are approximately 4 times lower than those for *Init* (see the twin axes of Fig. 5.7). This difference is mainly explained by the fact that the heating needs of *Perf* are 4 times lower than those of *Init*. Consequently, in the case of absolute tolerances for the choice of suitable adaptations, highly energy-efficient buildings can be more adapted than inefficient ones.

The adaptations effects are analysed individually hereafter, notably to determine the physically related phenomena, understand implications of adaptations and evidence modelling biases. The comments are often based on the observations of the series of plots, defined in Sec. 3.2.3 available in Appendix C. This appendix is detachable in order to support the following explanations.



<i>Init</i>										
label	m(·)		rm(·)		$\sigma(\cdot)$		M(·)		$\delta\Gamma_{20}(\cdot)$	
Cond-59	0	-0	0	-0	0	0	2	3	-0	-0
Cond-1296000	0	1	2	1	3	7	23	114	0	22
Red-90	-0	0	-0	0	0	0	0	0	0	-0
Red-10	1	4	6	6	8	25	43	220	2	40
Zoning-lvl	1	3	1	4	3	16	24	126	-4	-61
Zoning-ori	0	0	0	1	1	4	15	49	-2	-38
Zoning-cmb	1	4	1	5	3	17	27	134	-5	-78
Infil-1	5	-1	5	-1	7	4	56	62	9	17
Control-1	3	0	4	1	4	4	47	38	8	25
trSol-1	-0	1	-3	2	5	10	19	103	1	29
intLW-1	-13	-1	-14	-2	14	9	51	90	-29	-71
Inertia-1	4	-3	4	-4	5	19	41	177	-1	-20
extConv-1	-9	20	-9	20	8	57	73	348	-7	68
extLW-1	-1	-0	-1	-0	1	1	4	11	-1	-8
EqEnv-1	-1	-3	-6	-3	9	20	38	226	-2	-110

<i>Perf</i>										
label	m(·)		rm(·)		$\sigma(\cdot)$		M(·)		$\delta\Gamma_{20}(\cdot)$	
Cond-59	0	-0	0	-0	0	0	3	4	-0	-0
Cond-1296000	0	0	2	3	4	8	23	52	0	3
Red-90	0	1	0	1	1	4	21	56	-1	-2
Red-10	0	1	3	4	6	10	54	103	-1	-7
Zoning-lvl	0	1	1	1	2	5	40	84	-2	-3
Zoning-ori	0	2	0	5	4	9	35	54	-4	-29
Zoning-cmb	1	3	2	5	5	10	41	88	-6	-32
Infil-1	12	-6	12	-6	16	16	114	143	17	-5
Control-1	1	0	2	2	4	5	38	39	5	15
trSol-1	1	2	7	10	11	22	71	95	8	46
intLW-1	-3	-2	-8	-8	11	16	49	73	-16	-44
Inertia-1	2	3	2	4	7	14	82	164	-2	-1
extConv-1	-6	16	-6	16	8	29	81	215	-3	34
extLW-1	-1	0	-1	0	1	1	21	11	-1	0
EqEnv-1	12	-10	13	-12	15	26	80	176	7	-58

TABLE 5.3: Model assumptions effects at the building scale  
(Heating; Cooling)

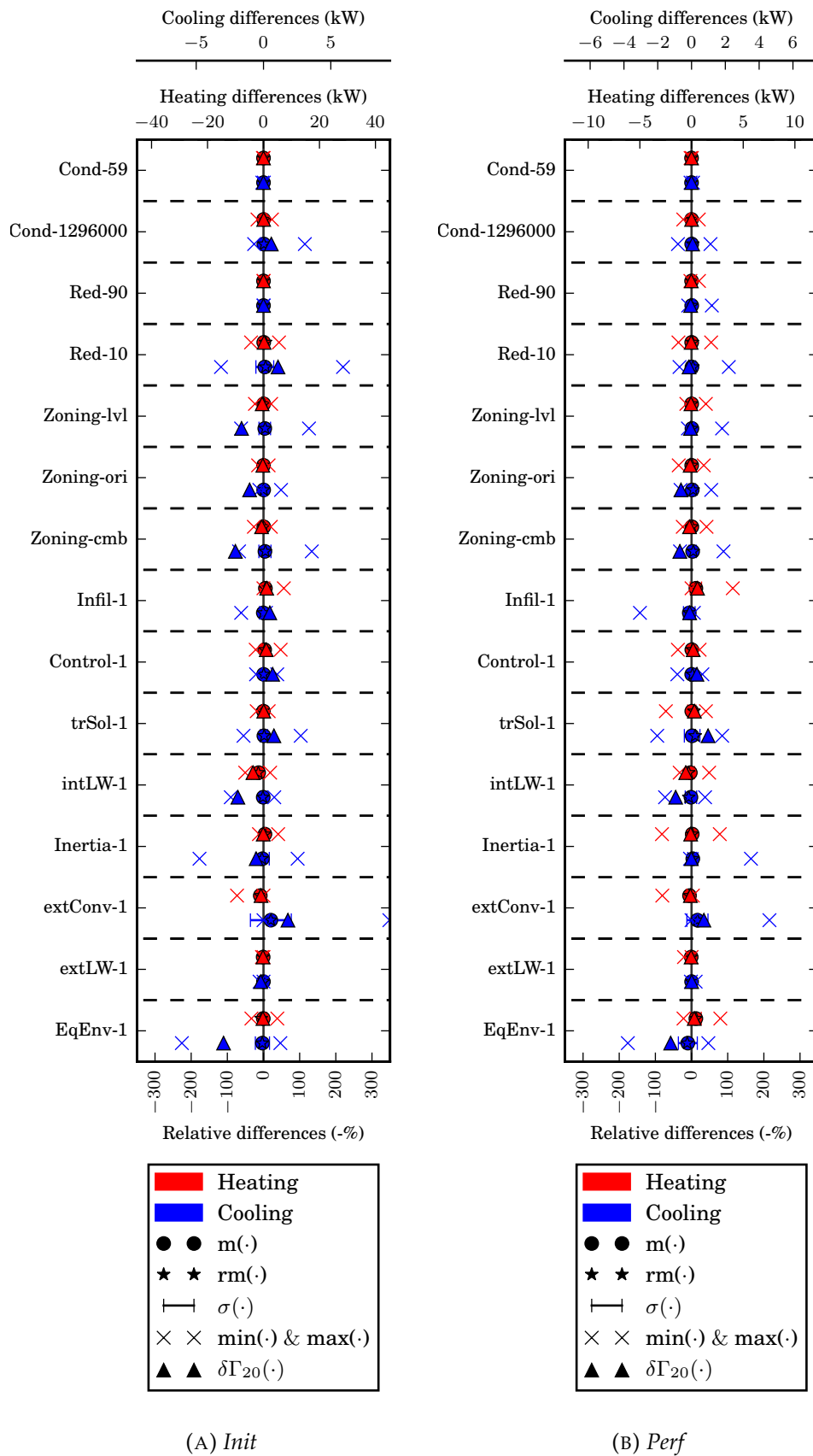


FIGURE 5.7: Overview of the building-scale adaptations effects

### **Infiltration [Infil]**

Because of air renewal, infiltration systematically increases heating needs. The effect is clearly correlated to wind speed. In contrast, cooling needs decrease as the ventilation prevents over-heating due to solar heat gains. Because of the wind dependency of infiltration, no specific pattern is evidenced, and the differences are scattered through time.

*Perf* is more sensitive to infiltration than *Init*, whereas airtightness is higher. Indeed, the part of the losses due to air renewal is higher in high efficient buildings.

In addition, the solving time is approximately 8 times higher because of the specific formulation in using power law (Eq. 2.5) and the addition of Modelica *fluid ports* that account for the thermo-physical properties of humid air.

### **Controlled temperature [Control]**

Controlling the operative temperature rather than the air temperature causes an over estimation of heating and cooling needs. In winter, this over estimation is due to the fact that operative temperature is generally lower than air temperature, because of the cooler temperature of the walls, notably out of sunny periods. Oppositely, in summer during sunny periods, operative temperature is higher than air temperature, leading to over cooling. Solar radiations (absence or presence) tend to create opposite effects. Indeed, solar heat gains, complementary with the midday air temperature warming, increase wall surfaces temperatures and consequently operative temperature.

### **Transmitted solar flux allocation [trSol]**

Distributing the transmitted solar flux to all the internal surfaces rather than only to the floors causes under heating during the sunny periods and over heating otherwise. This is because solar heat is more efficiently exploited directly thanks to the higher surface of exchange during sunny periods and hence less stored out of these periods. Logically, the opposite pattern is observed for cooling. The correlation with the solar flux is obviously high.

The daily pattern also explained the decrease in the maximal heating error, up to 70 % and 90 % for *Init* and *Perf*, respectively, for daily sampling compared to hourly sampling. This adaptation does not affect the amount of energy received but only its dynamics and hence does not affect the annual need. However, the difference in design level is noticeably increased except for *Init* because for these cases, the transmitted solar power is of the same order of magnitude as the mean power.

### **Internal long-wave radiation [intLW]**

The heat losses are lower when considering the internal radiative heat transfer as the operative temperature is lower than the internal air temperature and closer to the external air temperature. The operative temperature is lower than the internal air temperature due to the contribution of the wall internal surface temperatures. This statement concerns the heating, and the opposite is observed for cooling.

The deviation between internal air and operative temperatures occurs throughout the year (expected during floating temperature periods, when it is nearly null), leading to mean deviation, affecting the annual needs and the level of design. This adaptation almost acts as an under-estimation of the global building U-values. The

deviations are lower and higher for heating and cooling, respectively, during mid-day as surface temperatures are closer to the internal air temperature because of the midday warming and solar gain. The differences are correlated to power as higher differences between indoor and outdoor air temperature, and consequently between internal air and surface temperatures, imply higher needs.

As for [Control], this simulation is 2 times costly because of internal surface temperature coupling (see Fig. 2.22).

### **Internal inertia [Inertia]**

The deletion of the internal inertia reduces the floating temperature periods (sometimes causing boundary effects: heating needs during the defined cooling period and vice versa) as the buffer effect due to inertia is consequently reduced. Hence, the deviations principally concern lower power levels (around these periods). The differences mainly occur after the sunny days, when the over-heated internal surfaces release their heat. Ignoring the internal inertia leads to over heating and under cooling during these periods because of the absence of heat released by internal inertia. The opposite differences also occur during sunny periods as the air is heated faster without inertia. This phenomenon is dominant only for *Perf* in summer as the floors are insulated.

This daily pattern explains why the maximal deviation is reduced by 70 % with daily sampling.

### **External convective heat transfer [extConv]**

The wind-dependant law retained for the convective heat transfer coefficient leads to a mean value lower than the constant value retained in the reference model. The heating is consequently constantly underestimated, as the losses are lower and the cooling is overestimated as the thermal gains are less dissipated. The floating temperature periods are increased during heating periods and decreased during cooling periods. The standard deviation is particularly high because of the wind speed dependency. No specific daily patterns are observed as the wind speed variation is independent of the hour.

### **External long-wave radiative heat transfer [extLW]**

The 'un-linearisation' of the external radiative heat transfer coefficient causes a small under-estimation. The linearisation, with the constant value retained, slightly overestimates the coefficient on average. However, the 'un-linearisation' increases the computational time by a factor of approximately 3.

### **Equivalent envelope model [EqEnv]**

This adaptation keeps the global trend but causes a noticeable scattering of the differences. Cooling is particularly affected. These effects may be explained by the fact that quasi-static properties are maintained by the equivalence process, unlike the dynamic behaviour, in particular because of the aggregation (the loss of facade particularities). However, this adaptation reduces the computational cost by a factor of approximately 2.

### Zoning [Zoning]

The different zonings mainly cause over heating and over cooling near the lower power levels (about lower than 5 kW), which is why the cooling and *Perf* are more impacted. These effects increase the occurrences of lower power, but neither impacts the annual needs nor the level of design as they concerns higher power except for *Init* and cooling.

In the case of orientation zoning, it was found by the author (Frayssinet et al., 2016) that these over consumptions are because of the partitions, only the sun-exposed zones are impacted by the solar heat gains instead all the building volume being affected. In winter, close to the floating temperature periods, the sun-exposed zones are no more heated by the solar heat gains, whereas residual heating needs are necessary for the other zones that do not benefit from these heat gains. Similarly, in summer, the solar heat gains over warm the sun-exposed zones, leading to cooling needs only in these zones. Similar disparities are observed with floor-zoning due to the floor boundary condition of the lower floor and the roof for the top boundary condition. In brief, zoning removes the mono-zone pooling effect.

However, modelling numerous zones implies a higher computational cost, up to 4 to 24 times greater than the reference, depending on the number of zones.

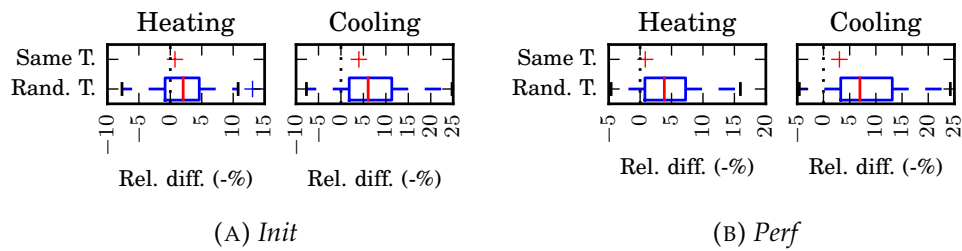


FIGURE 5.8: Diversity of setpoint effects on the mean difference

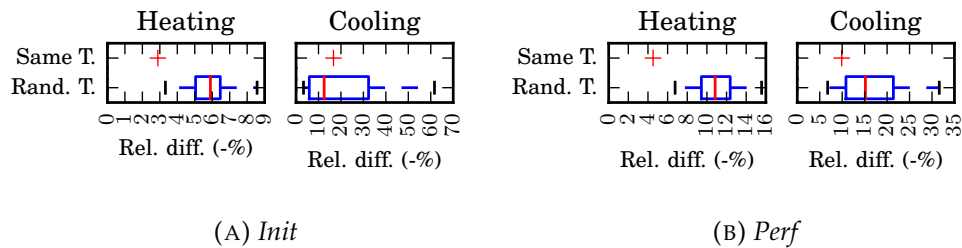


FIGURE 5.9: Diversity of setpoint effects on the standard deviation

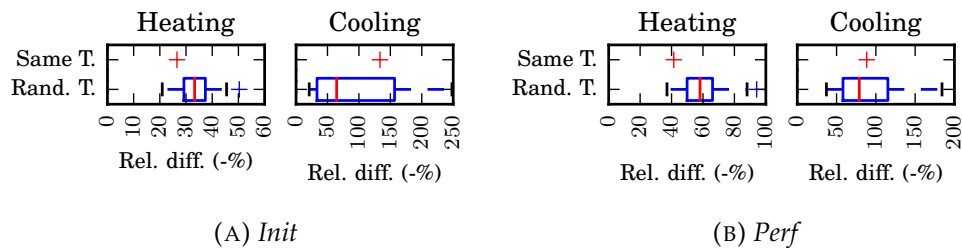


FIGURE 5.10: Diversity of setpoint effects on the absolute deviation

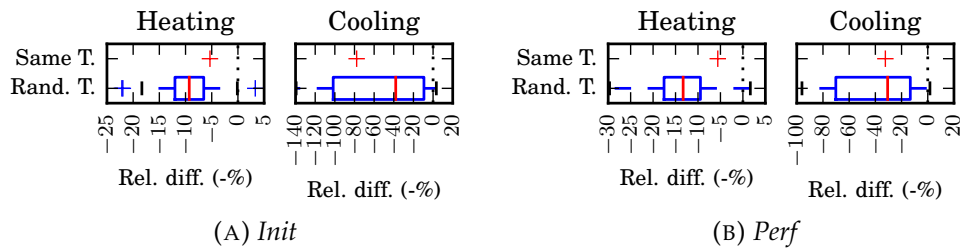


FIGURE 5.11: Diversity of setpoint effects on the difference in design level

**Diversity of setpoints.** Zoning aims to merge volumes with similar thermal behaviours. Disparities can be caused by the position of the volumes in the buildings, leading to different thermal loads, as shown above. Furthermore, a building is generally made of numerous housing units with specific thermal regulation, leading to major sources of disparities not accounted for here. In order to test the impact of such disparities, a specific set of experiment was defined. The reference models with the [Zoning-cmb] variant were run 100 times. For each simulation, a random distribution of the zone set-point temperatures is generated following a normal distribution of mean 19 °C and with a standard deviation of 2 °C.

The previous indicators are computed for each case. Their distribution<sup>6</sup> is shown in Fig. 5.8-5.11. *Same T.* refers to previous case [Zoning-cmb], where the zones temperatures are identical, whereas *Rand. T.* refers to the set of experiments defined above. Both are compared to the mono-zone reference model [Zoning-0].

The results shows that on average, the diversity of setpoints increases the impact of the zoning adaptations on the heating needs. Only the mean difference is estimated with *Same T.* in the 50 % median values. Hence, the estimation of the other indicators with *Same T.* is less representative of the mean effect of the diversity. They are generally under estimated. The effect on the cooling is mitigated, but the estimation with *Same T.* is nearly always in the 50 % median values. The ratio between the median estimation of *Rand. T.* and the estimation of *Same T.* ranges between 1.4 and 4.7 with a mean value of 2.2. In conclusion, the impact of the zoning is approximately 2 times higher in reality than that estimated with the default methodology due to the diversity of regulations within a whole building.

### Focus on sampling effect

When increasing the sampling period (see Appendix C), the effects measured by the indicators are reduced except for the mean, by mathematical definition. This analysis aims to identify the transition from local maximal differences (at hourly time step) to annual mean differences.

In general, the decrease is globally faster for the first sampling periods until the daily sampling period, where the maximal deviation is generally decreased by 50 up to 90 %. This observation is probably characteristic of transient phenomena linked to the solar heat gains. Indeed, regardless of the adaptations, the daily amount of energy received is nearly unchanged, and, as seen previously, the adaptations mainly affect only the daily solar heat gains release dynamics. This is obviously false for the adaptation [Infil] and [extConv], for which the related effects are not linked to the solar flux. In addition, the decrease with the sampling period is consequently lower compared to the other adaptations.

<sup>6</sup>The mean and the standard deviation converge approximately 80 variants

Parameter	Range		Related phenomenon
$\lambda$ ( $\text{W m}^{-1} \text{K}^{-1}$ )	-30 %	+30 %	Static heat-transfer
$b_{\text{-floor}}$ (-)	0.1	0.9	
$U_{\text{-win}}$ ( $\text{W m}^{-2} \text{K}^{-1}$ )	0.7	3.0	
$h_{\text{cv.in}}$ ( $\text{W m}^{-2} \text{K}^{-1}$ )	-30 %	+30 %	
$\rho c$ ( $\text{J m}^{-3} \text{K}^{-1}$ )	-30 %	+30 %	Inertia
$\alpha$ (-)	0.2	0.9	Solar related
$\theta_{\text{-win}}$ (-)	0.3	0.9	
$\varepsilon_{\text{ext-wall/win}}$ (-)	0.7	1.0	LW exchange
$\varepsilon_{\text{ext-roof}}$ (-)	0.2	1.0	
$\text{AirChgRt}$ ( $\text{vol}^{-1}$ )	0.2	1.0	Air renewal
$\text{RadPart}$ (-)	[0.0; 0.3; 0.6; 0.9]		Energy system
$\text{tilt}_{\text{-roof}}$ ( $^{\circ}$ )	[0; 20; 40; 60]		Building shape

TABLE 5.4: Set of experiments for the parameter sensitivity analysis

Hence, as the increase in the sampling period filters the shortest dynamics, the solar-related adaptation effects are first attenuated.

### 5.1.3 Parameter

Apart from the modelling adaptations, the parameters can also create uncertainties. Their determination at the district scale is often based on estimations, notably for existing buildings, and hence are strongly uncertain. This uncertainty is why it is important to identify the most influential parameters to reduce the uncertainty in the results.

**B - Uncertainty quantification** In contrast to previous analyses, the present work is a parameter uncertainty analysis. Hence, the usual methods introduced in Sec. 3.3.2 may be used. However, because of a lack of knowledge about the parameters uncertainty distributions, the uncertainty analysis relies on a basic method that considers an extreme range of variation (see the next step).

The parameters retained are listed in Table 5.4. The related phenomena are also indicated. These parameters characterise the different thermal heat-transfers. '*RadPart*' corresponds to the part of the heating system that is emitted by radiation rather than convection. '*tilt<sub>-roof</sub>*' refers to the tilt of the roof. Indeed, in many district energy models, the building shape is modelled by extrusion of the building footprint, and consequently, the tilt is equal to 0. The modification of the tilt modifies the exposed surface of the roof and the its incoming solar flux.

**C - Uncertainty propagation** The method retained is a local sensitivity analysis method around the reference model defined in the previous section (Sec. 5.1.2). As previously, the different indicators are used to extract specific information of the time-series differences. The sensitivity is computed according to Eq. 3.14. Relative indicators are still used. More detailed methods were not used as our objective is to have a first estimation of the local sensitivity around the parametrisation deduced from the typology. The parameter step  $\Delta_n$  is defined according to extreme possible values or arbitrary to  $\pm 30\%$  of the reference value (see Table 5.4).



In order to highlight non linearities, the sensitivity is estimated in both directions ( $+\Delta_n$  (associated label: ++) and  $-\Delta_n$  (- -)), and also for intermediate parameter step ((+), (-); Fig. 5.12). The intermediate range is defined as 30 % of the extreme range to study the sensitivity more locally. If the different estimates are equal, this result evidences the linearity of the parameter effect for the indicator used. Otherwise, their scattering indicates the level of non-linearity. The 2 last parameters ('*RadPart*' and '*tilt-roof*') are evaluated differently by evaluating them against the values presented in Table 5.4 (progressive increase of the default value). The sensitivity estimated is a slope as illustrated in Fig. 5.12.

Although numerous estimates were computed with this method, the Morris method (Sec. 3.3.2) cannot be used, because the reference model is always the same ( $x_n^{(0)}$ ).

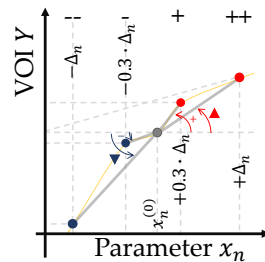


FIGURE 5.12: Parameter uncertainty propagation

To have coherent units for all sensitivity indexes, the values are normalized by the reference value, as follows:

$$\Delta_n \rightarrow \frac{\Delta_n}{x_n^{(0)}} \quad (5.1)$$

For '*RadPart*' and '*tilt-roof*', the reference values are arbitrarily set to 1 and  $90^\circ$ , respectively.

**C' - Results analysis** The sensitivity is analysed in absolute values for the following indicators: the mean difference (Fig. 5.13), maximal deviation (Fig. 5.14) and the difference in design level (Fig. 5.15). Only these indicators are shown in the following to focus on the extreme characteristics of the power curve. The sensitivities of the parameters are separately analysed with respect to the different envelope element types (the use of the subscripts *wall*, *intwall* (internal wall), *win* (window), *floor*, *intfloor* (internal floor)). Specific markers are associated with the different estimates, as illustrated in Fig. 5.12 (from lower to higher values: (- -)  $\nabla$ , (-) -, (+) +, (++)  $\Delta$ , and (+++)  $\star$  in specific cases).

The most influential parameters for heating are the static losses-related parameters, notably '*U-win*', '*lambda-wall*' and '*AirChRt*'. '*theta-win*' also plays an important role only for *Perf*, evidencing the key role of solar gains.

Concerning cooling, the most influential parameters are mainly the solar-related ones, including '*theta-win*', and '*alpha*' only for *Init* due to the lower insulation of these buildings. To a lesser extent, '*U-win*' is the most influential static heat-transfer related parameter as the most thermally conductive building element.

Only at short time steps (Fig. 5.14) do the solar-related and inertia-related parameters become influential as well. Within the global inertia, the internal inertia is particularly dominant. The differences in design level has similar behaviours to the mean differences, except for the *Init* cooling, which is very variable.



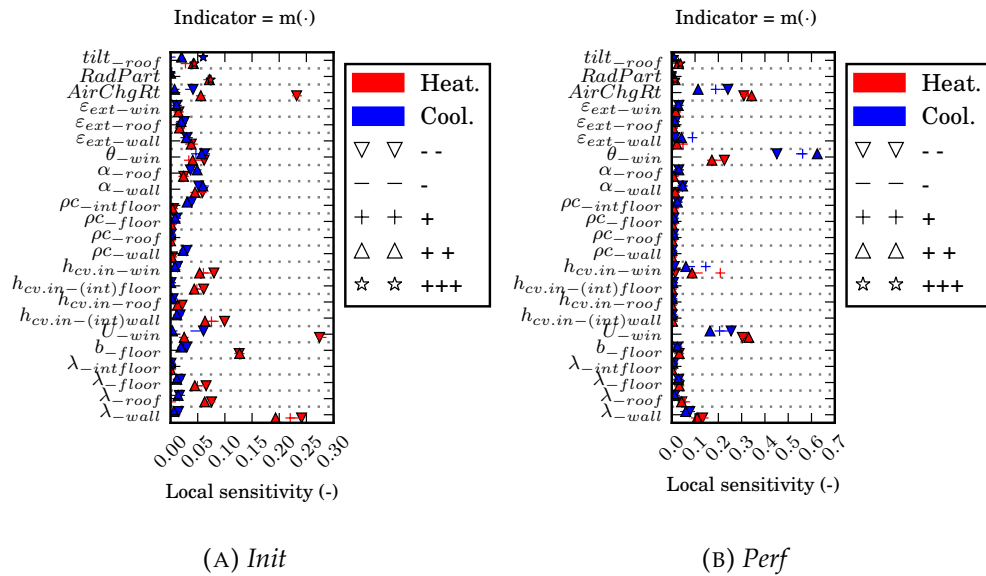


FIGURE 5.13: Parameter sensitivity analysis indicator: mean difference

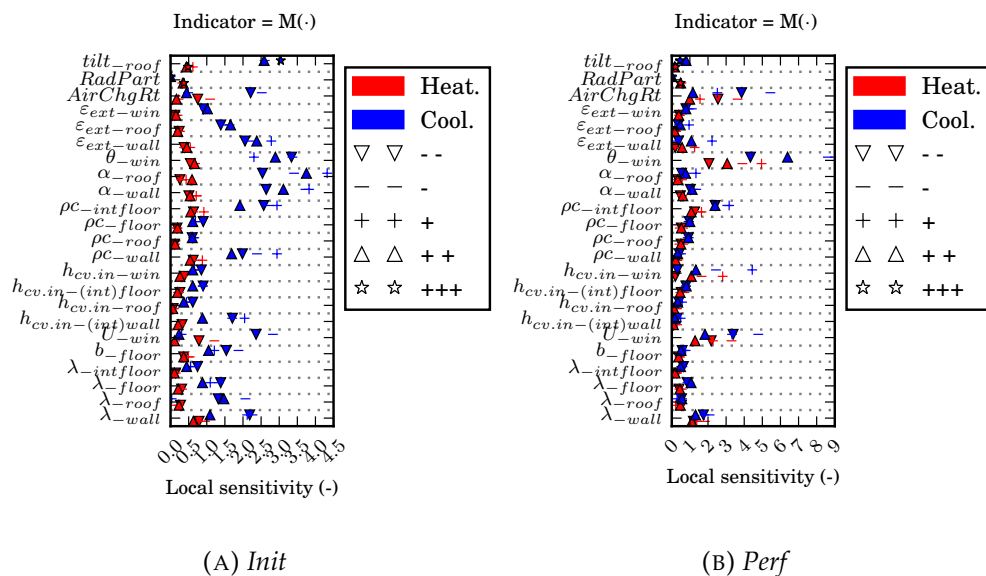


FIGURE 5.14: Parameter sensitivity analysis indicator: maximal deviation

Note that the effects on cooling and heating are similar for *Perf*. Concerning *Init*, heating is, in relative values, more sensitive than cooling with respect to the mean difference indicator, but inversely so with respect to the maximal deviation. Hence, cooling is the most sensitive in terms of local variations. Regardless of building type, the parameter sensitivities have nearly the same order of magnitude except for ' $\theta_{-win}$ '.

Not only does the value of the parameter identified as influential but also the related characteristics and phenomena require focus. For example, some window characteristics are influential, and hence their size, their position and the incoming solar flux are also a target of concern (in particular because they are commonly roughly deduced from the window-to-wall ratio).

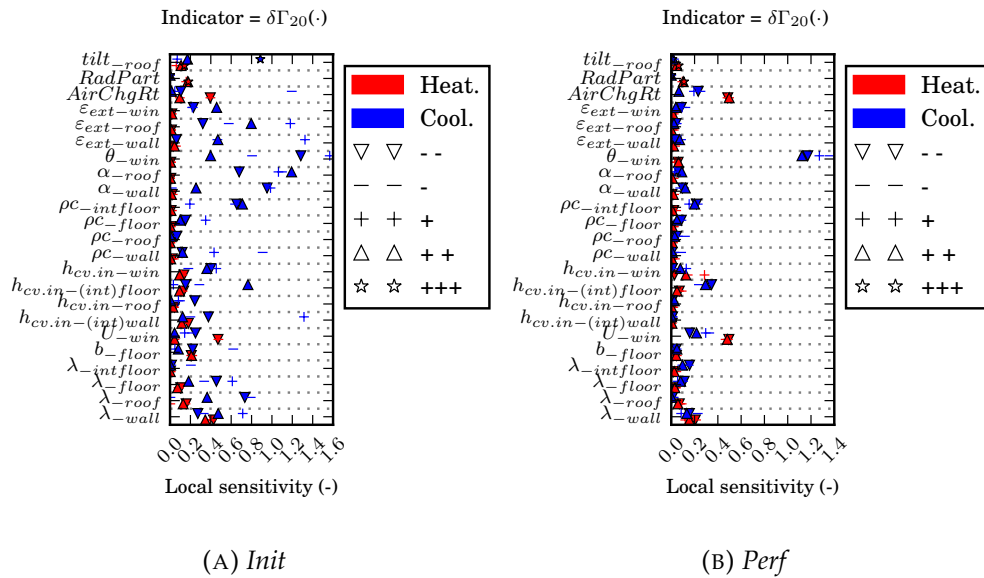


FIGURE 5.15: Parameter sensitivity analysis  
indicator: difference in design level

Last, in most cases, the non-linearity measured is not predominant. The different estimates of the sensitivity index are not very scattered.

#### 5.1.4 External conditions

This section is based on 2 articles co-written by the author (referred to as part I and part II), being submitted at the time this manuscript was written, and available in Appendix D. This section aims to extend the methodology developed in these papers. A short abstract is given in the following. For more information concerning the context and the references, please refer to these articles.

The usual BEMs fail to properly consider external conditions, notably in urban cases. Indeed, the urban environment alters the external conditions around the buildings, masks the sun, reflects solar rays, and modifies the wind pattern and the local air temperatures. The alteration depends on the urban morphology and hence is case specific. Without specific information, by default, the modelled building is considered isolated in a hypothetical open area. However, this simplification causes noticeable deviations on the building energy behaviour. Hence, the modelling of the external conditions is also a main target of adaptation. Consequently, the aim of this part is to quantify these adaptation effects, and the sensitivity of the model with respect to these external conditions.

**A - Problem specification** The building models considered are the same as those considered previously except that *Perf* is the renovated state of *Init* rather than a new building with the last thermal specifications. The energy performances are very similar in terms of insulation, but the air tightness is 5 times higher. Compared to the previous reference model, in order to account more accurately for external conditions, some modelling variants are retained in their detailed form: [Infil-1], [extConv-1] and [extLW-1].

The weather considered was the same, but because of the prohibitive computational costs of the microclimate model used, the simulations were run only for two representative days in summer and in winter.

**B - Uncertainty quantification** The 7 external conditions accounted for are the direct (*dirSol*), atmospheric and reflected diffuse (*difSol*) short wave radiative fluxes, local air (*Tair*) and environmental radiant temperatures (*rad*), convective heat transfer coefficient (*conv*) and relative pressure next to building faces (*infil*). The local air temperature is considered separately for the inlet air renewal (*Tvent*).

These conditions were estimated using 3 model variants (part I):

- (0) *Default approach*: directly with the BEM;
- (1) *Microclimatic approach - Isolated configuration*: with a specific microclimate model (SOLENE-microclimate (Malys, Musy, and Inard, 2015; Musy, Malys, and others, 2014)) for an isolated building in an open area;
- (2) *Microclimatic approach - Array configuration*: with the same microclimate model but for building in a theoretical urban environment ( $4 \times 4$  array of identical buildings).

The comparison of the different sets of external conditions indicates the effects of the modelling variant, hence the input uncertainty.

**C - Uncertainty propagation** In the second part of the papers (part II), the input uncertainty is propagated locally (conditions per conditions) around the *default approach* (0) and the *isolated configuration* (1) to evidence the effects of the modelling approach and the urban environment, respectively.

However, the results are specific to the particular urban configuration considered. In order to generalize the results, it is necessary to determine the sensitivity and not only the effect. Hence, the effects in a specific urban configuration may be determined by multiplying the input uncertainty by the sensitivity (Fig. 3.24).

Taking advantage of the generated sets of external conditions (3 possible states per condition), the input uncertainty was propagated but with all possible combinations of them for the transitions (0→1) and (1→2). The two transitions were analysed separately because there is a priori no coherence between a change in model and a change in urban environment. Moreover, considering both transitions together may necessitate ensuring that the 'conditions space' is regularly sampled, while the 2 transitions are a priori not comparable. Such a set of experiments is illustrated in Fig. 5.16 in 3 conditions dimensions ( $x_i, x_j, x_k$ ). It corresponds to the red and green dots, whereas the experiment in part II corresponds to only the red ones. The number of combinations in this different set of experiments is  $2 \times 7 = 14$  and  $2 \times 2^7 = 2 \times 128$ , respectively.

**C' - Result analysis** First, the Morris method is used to analyse the results. As indicated previously, to estimate the effects, the indicators are still used. Moreover, for the denominator of the local sensitivity ( $\Delta_n$  in Eq. 3.14), as the conditions are times series, it is also necessary to use indicators. By default, we choose to use the mean difference. Last, in order to have homogeneous results units, the denominator is normalized by the range of variation of the reference condition<sup>7</sup>. In brief, the local

<sup>7</sup>Otherwise, it could be possible to estimate the flow related to all conditions in order to have a common unit.

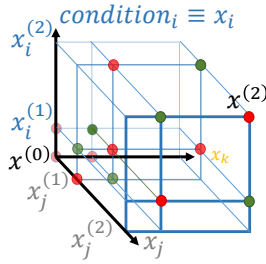


FIGURE 5.16: Set of experiments

sensitivity indexes were computed as follows:

$$s_n^{ind} = \frac{\text{ind}(Y(x_1^{(a)}, \dots, x_n^{(b)}, \dots, x_N^{(a)}), t) - Y(x_1^{(a)}, \dots, x_n^{(a)}, \dots, x_N^{(a)}), t)}{\frac{\max(x_n^{(a)}(t)) - \min(x_n^{(a)}(t))}{m(x_n^{(b)}(t)) - m(x_n^{(a)}(t))}} \quad (5.2)$$

with  $(a,b) = (0,1)$  or  $(1,2)$ , depending on the transition considered, and  $\text{ind}(\cdot)$  the chosen indicator.

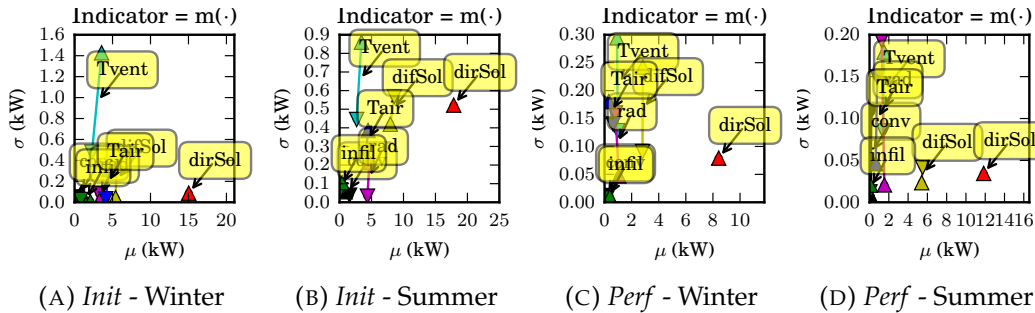


FIGURE 5.17: External condition sensitivity analysis indicator: mean difference

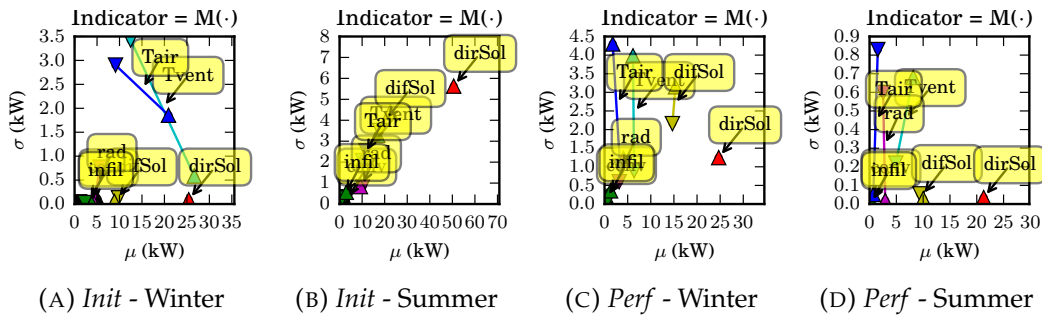


FIGURE 5.18: External condition sensitivity analysis indicator: maximal deviation

In the following figures, based on Morris method result analysis (Fig. 3.26b), ' $\nabla$ ' and ' $\triangle$ ' correspond to the transition  $(0 \rightarrow 1)$  and  $(1 \rightarrow 2)$ <sup>8</sup>, respectively. The results (Fig. 5.17 and 5.18) show that the mean sensitivity ( $\mu$ ) is nearly the same regardless of the transition. Thus, the sensitivity of the building is not impacted by the approach but rather seems to be an intrinsic characteristic confirming the suitability if the proposed method. Furthermore, the variation effects ( $\sigma$ ) are low. Hence,

<sup>8</sup>Only the transition  $(1 \rightarrow 2)$  make it possible to quantify the effect of '*dirSol*'

the sensitivity of the conditions may be analysed individually. Nonetheless, *dirSol* clearly appears as the dominant condition followed by *difSol*. The other conditions are non-influential, especially for the mean difference. An exception occurs for *Init* in winter with the maximal deviation: *Tvent* and *Tair* appear more influential. *Init* is obviously more sensitive to *Tvent* and *Tair* in winter than *Perf*. However, the results indicate that this building is more sensitive locally to the power curve than to the total daily energy. This result is probably due to the temporally local increase in the air temperature induced by the micro-climatic approaches (see part I) that notably directly affect the building needs via air renewal. *Trad* was shown to be very impacted by the model variants (part I), and this was shown to have an important impact on the building energy behaviour (part II), but present results show that the building sensitivity to this condition is low. Hence, the important impact on the output is only due to the important range of the input. This point underlines the advantage of using sensitivity analysis methods.

Second, this case study is particularly suitable to use the time-dependant Sobol indices (see Fig. 3.27). Indeed, the size of the set of experiments is quite substantial, and the conditions may be seen as time-dependant parameters. It is not necessary to consider the value of the inputs. Both previous characteristics make it possible to avoid the use of indicators.

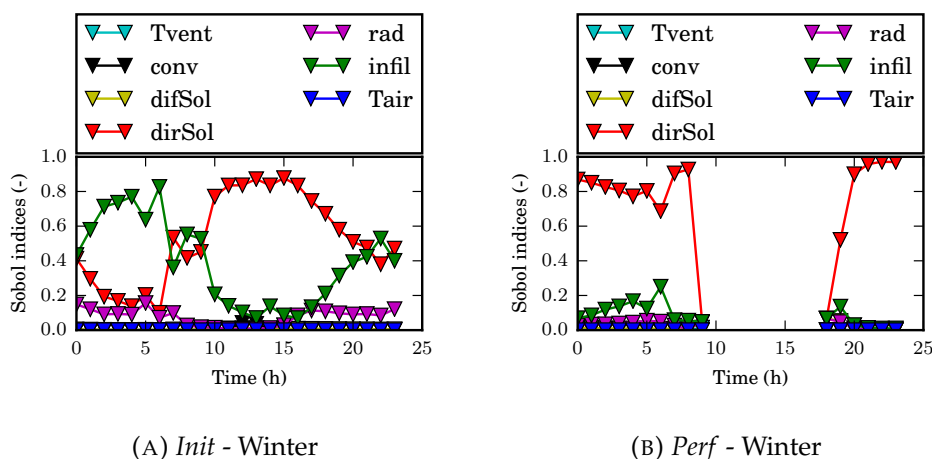


FIGURE 5.19: Time dependant Sobol indexes - Winter

Results<sup>9</sup> (Fig. 5.19 and 5.20) clearly show the predominance of *dirSol* in all cases<sup>10</sup>. This predominance does not only occur during daytime but also during nighttime, highlighting the role of inertia. The sensibility of other conditions mainly occurs around midday as they are amplified by the solar radiations. The local impact of *infil* for *Init* in winter is evidenced highlighted. Last, *rad* shows a higher influence than previously, notably in summer, in contrast to *difSol*. However, the range of variation of the conditions impacts the results as a higher range may induce a higher variance. This result probably explains the discrepancies with respect to the previous methods. In addition, this drawback limits the generalization of the results to other configurations.

<sup>9</sup>Only the transition (1→2) is analysed as the other does not completely account for all conditions.

<sup>10</sup>The period where all indexes are equal to zero corresponds to floating temperature periods.



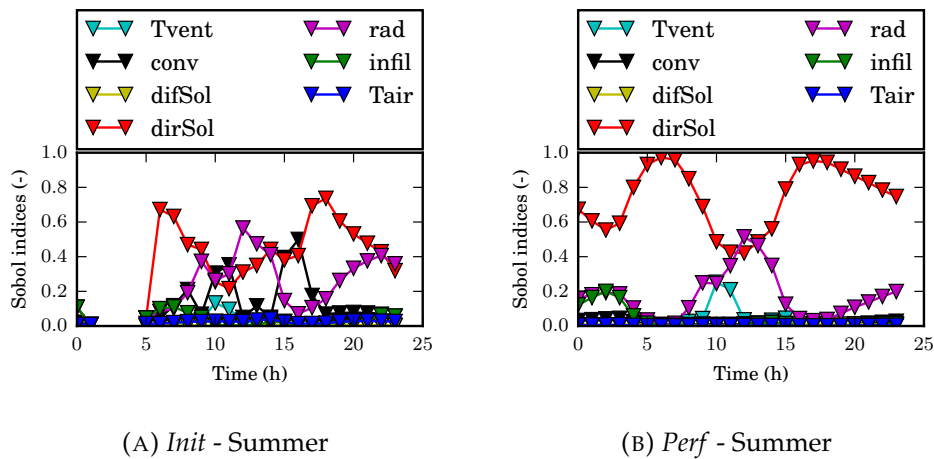


FIGURE 5.20: Time dependant Sobol indexes - Summer

## 5.2 District scale

**A - Problem specification** In order to test the influence of the district scale on the adaptation effects, the methodology is applied to a whole district. The district used comes from a collaboration with the CES MINES ParisTech laboratory, that notably led to the comparison (Frayssinet et al., 2018a) of the developed tool chain (Chap. 4) with Smart-E (Berthou et al. (2015)). This district (Fig. 5.21) is located in Paris, France. It comprises apartment blocks built during the 30's. The district contains approximately a total of 900 housings units. The thermo-physical parameters (Table 5.5) are still deduced from the TABULA typology (Rochard et al., 2015). The geometry is based on the IGN (French geographical institute) GIS database (BD TOPO). The METEONORM Paris Montsouris weather file is used. Due to the climate and the building typology, only heating needs are focused on (Fig. 5.22).



FIGURE 5.21: Aerial view of the modelled district (in yellow)

This district is homogeneous in terms of typology but contains a variety of shapes. Hence, this case study excludes the effect of typology diversity, allowing for a focus on geometry diversity effects.

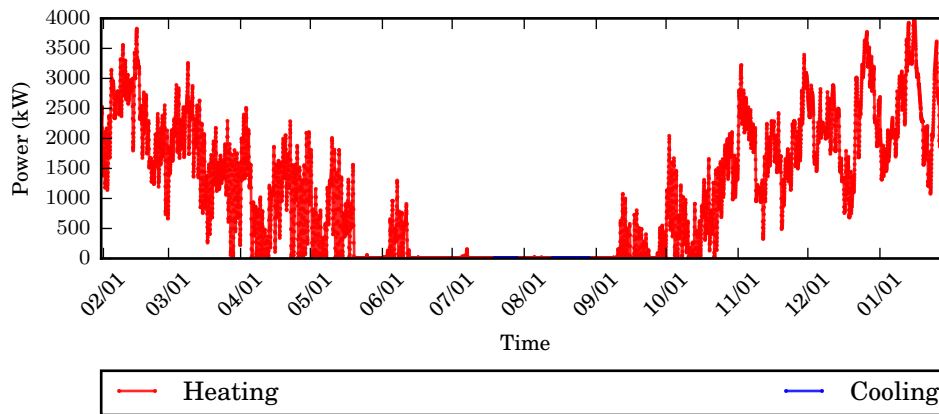


FIGURE 5.22: Simulated power curve of the reference district model

Wall	Materials	Stone, coating
	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	1.70
Roof	Materials	Coating, concrete
	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	3.20
Window	U-value [W m <sup>-2</sup> K <sup>-1</sup> ]	2.80
Ventilation	Type	Natural
	Air change rate [vol <sup>-1</sup> ]	0.50

TABLE 5.5: Main parameters of the buildings in the district case study

### 5.2.1 District model assumptions

**B - Uncertainty quantification** Similar to Sec. 5.1.2, specific district-scale adaptation effects are analysed (Sec. 2.2) in addition to the same modelling adaptations effects than at the building scale except for [Infil] and [Red]. Indeed, the first implies simulating the wind flow in this specific urban case with dedicated tools, which is generally computationally expensive and is not integrated in the chain tool (Chap. 4). In addition, the second is not implemented at the district scale as the current reduction process is not sufficiently robust or computationally efficient for the moment.

The buildings were assumed to be monozone [Zoning-0]. Without information about the building arrangements, 23 buildings (with 2 adjoining walls) were defined, based on the available footprint (blue lines in Fig. 5.21). The effects of the zoning are more roughly estimated than at the building scale. Only one more detailed zoning was considered (labelled 'Zoning' in the following). The biggest buildings are divided with respect to the main orientations. This zoning generates 33 buildings with 12 adjoining walls (blue and red lines in Fig. 5.21). Nonetheless, any floor zoning is accounted for.

**C - Uncertainty propagation** The reference modelling variant is still the same as that in Sec. 5.1.2, i.e., [Cond-900] and all others modelling to their default variant

label	m( $\cdot$ )	rm( $\cdot$ )	$\sigma(\cdot)$	$\kappa_\sigma$	M( $\cdot$ )	$\kappa_M$	$\delta\Gamma_{20}(\cdot)$
Cond-59	-0	-0	0	43	1	81	-0
Cond-1296000	0	3	5	2	24	7	0
Zoning	1	1	1		8		-0
Control-1	4	5	6	2	26	27	9
trSol-1	0	1	1	6	5	38	0
intLW-1	-13	-14	16	1	64	2	-30
Inertia-1	3	3	6	19	72	7	-1
extConv-1	-10	-10	10	3	74	5	-9
extLW-1	-1	-1	1	6	7	29	-2
EqEnv-1	7	7	7	3	40	11	5
Solar-0	-4	-4	5	5	37	16	-0
LWRad-0	1	1	0	18	5	39	1
Adjoin-0	0	0	0	77	0	86	-0
Adjoin-0 (z)	0	0	0		1		-1

TABLE 5.6: Model assumption relative effects at the district scale on heating and diversity effects ( $\kappa$ )

[label-0]. At the district scale, the buildings interactions are modelled with their detailed variants formulation, i.e., [Solar-1], [LWRad-1] and [Adjoining-1].

**C' - Results analysis** It is particularly remarkable that the relative effects are more similar at the district scale (Fig. 5.23a and Table 5.6) than at the building scale (Fig. 5.7 and Table 5.3), whereas the weather files are not the same but comparable. Furthermore, as shown in Sec. C.4 in Appendix C, the relative indicators are nearly identical regardless of the buildings in the district. This observation seems to indicate a certain invariance of the adaptation effects with respect to the building shape. Moreover, the observation confirms the choice of the reference for the computation of the relative values (Sec. 3.2.2). Hence, the results are probably representative for any building. However, complementary analyses, for different districts, are needed to support this assertion.

The effects of the building-scale assumptions are not re-analysed at the district scale as they were already addressed in Sec. 5.1.2. Hence, only the district-scale-specific adaptations are studied hereafter. As indicated previously, complementary representations are given in Appendix C, Sec. C.3.

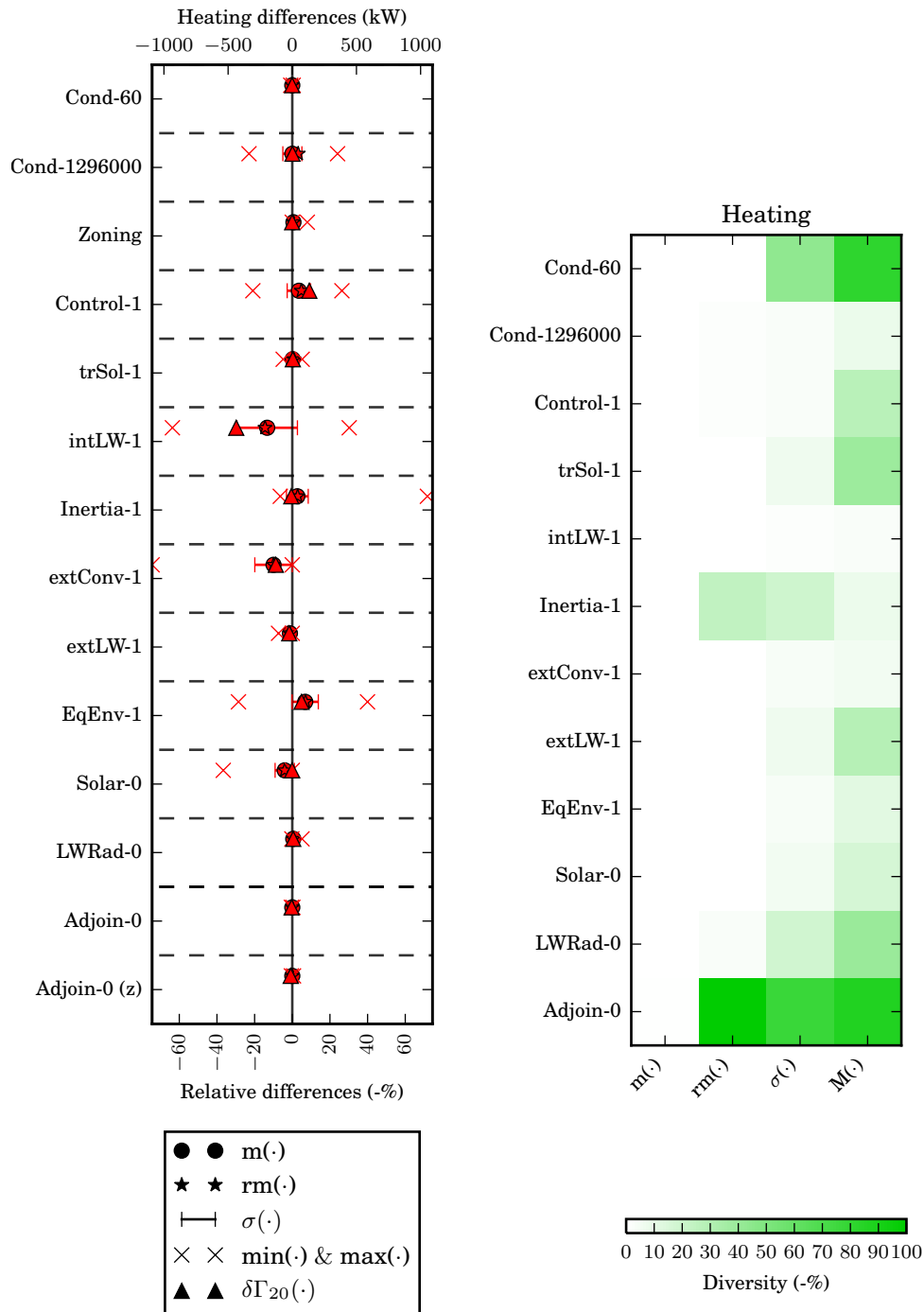
### Solar mask and reflections [Solar]

The solar masks causes a noticeable increase in annual needs of 4 %, and can cause maximal local deviations up to 37 % due to the global decrease of the incoming solar flux. Nonetheless, there is no significant effect on the difference in design level as the effects of the solar flux are mainly noticeable for lower power.

### Radiative heat transfer coupling [LWRad]

The approximation of the building outside surface temperatures by the air temperature leads to a slight over estimation of the heating need with a maximal deviation of 5 %. This over-estimation is explained by higher radiative heat losses as the air temperature is generally lower than the building surface temperatures.





(A) Adaptation effects

(B) Diversity effect

FIGURE 5.23: Overview of the district-scale adaptations effects

### Adjoining buildings [Adjoin]

The coupling of the adjoining buildings has nearly no effect. However, the wall area of the adjoining building is very low compared to the total envelope surface of the

district in the case study. Hence, the effect may probably not be properly quantified in this configuration. The label 'Adjoin-0 (z)' corresponds to the influence of [Adjoin-0] for the district model with more zones ('Zoning'). As the area of the adjoining wall is more important, the effects are also slightly increased but still negligible.

Nonetheless, concluding about this adaptation necessitates further completion of the set of experiments with case studies containing more zones and having different setpoints. Indeed, the thermal behaviours of the adjoining walls are more important under these conditions.

### 5.2.2 Diversity effect

The diversity factor (Eq. 3.10) is indicated in Table 5.6 and plot in Fig. 5.23b. These effects are not computed for the 'Zoning' model as the number of buildings is not the same. Only the diversity effects related to the standard deviation and maximal deviation indicators are indicated in Table 5.6 as the diversity effects of the mean difference are mathematically null, these of the rectified mean difference are quasi-null (Fig. 5.23b), and those of difference in design level make no sense<sup>11</sup>.

Note that the diversity effect is higher when the effects are very low (notably for [Cond-60] and [Adjoin-0]). This effect is not phenomenological but is rather due to the fact that the effect tends towards zero.

Concerning the maximal deviation, the diversity is generally lower than 10 % for the most impacting adaptations. [trSol-1], [Solar-0] and [LWRad-0] have particularly high diversity effects (resp. 38, 16 and 39 %), probably because they are the most shape-related adaptations.

The diversity quantified for the standard deviation is generally approximately 2 times lower than for the maximal deviation except for the [Inertia-1], where it is almost 3 times higher. Hence, the maximal deviations caused by *IntInertia* are nearly synchronous, but globally not the others.

The diversity is computed on a sample of only 23 elements (buildings), but it seems to be enough to have a representative value (see after). Furthermore, the diversity effect may probably be higher in other configurations, notably those considering different building typologies and occupant behaviour. However, the individual effects of the shape on the envelope model were distinctly identified.

The measurable diversity of the defined case study is only linked to the diversity of building shape. Furthermore, it is computed on a sample of only 23 elements (buildings), but it seems to be sufficient, as shown hereafter.

### 5.2.3 Indicator representativeness

The representativeness of the indicators may be questionable as they are computed for a district made of only 23 buildings. To analyse this aspect, the methodology defined in Sec. 3.2.4 is applied. The indicators are computed for the same district but with a varying number of buildings. 30 random sets of buildings are made for each number of buildings considered. The results show that the indicators give similar estimations regardless of the number of buildings and the combinations thereof. Furthermore, they converge to approximately 15 buildings, as illustrated for the adaptation with respect to the maximal deviation (Fig. 5.24). The results are very similar for the other adaptations and the other indicators, including the diversity

<sup>11</sup>The district scale difference of design level is not related to differences in the design level of each individual buildings.

effect, and hence are not included in the manuscript. This results are coherent with the similarity between the building- and district-scale results.

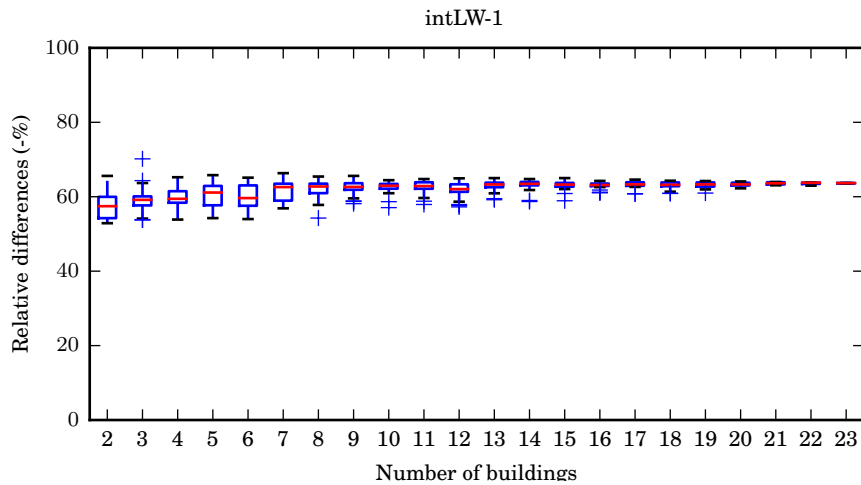


FIGURE 5.24: Convergence of the indicators

#### 5.2.4 Statistical invariance

At the district scale, some data are inferred from statistical information. The most evident statistical information is the occupant behaviour. However, the building parameters are also inferred as the characteristics are uncertain around the typology, and the typology repartition may be only statistically known. 3 different sets of experiments were tested to analyse the influences of different sources of statistical knowledge due to occupant behaviour, parametrisation and typology. Their impacts at the district scale were still quantified by comparing the different statistical inference with a reference (one of them) and using the indicators previously defined to extract specific information. The distribution of the indicators for each comparison is analysed to estimate the scattering between the power curves (Fig. 5.25) with respect to the power curve feature focused.

**Occupant behaviour** 30 different district-scale occupant behaviour scenarios based on the population statistics of Lyon were generated and simulated (Sec. 4.2.1). The diversity of occupant behaviours causes low global effects, even locally (approximately 10 % for the maximal differences) except in 3 extreme cases where the maximal differences reach approximately 75 %. Furthermore, regardless of the draw, the impact is quite similar (a low scattering and range of statistical distribution).

**Building parameters** The same parameters accounted for in the parameter sensitivity analysis (Sec. 5.1.3) were considered uncertain. A normal distribution is associated with each parameter. This normal distribution is centred around the parameter nominal value (from the typology) with a standard deviation equal to 30 % of the nominal value. 30 different draws were simulated. The considered parameter uncertainty has a low effect on the power curve. These uncertainties are lower than 10 %, even for the maximal deviation. However, a better uncertainty quantification of the parameter is necessary to support this observation.

**Typology** It was assumed that 50, 30 and 20 % of the households belong to the different typologies, namely, apartment blocks built between 1915 and 1948, apartment blocks built between 1975 and 1981 and multi-family houses built after 2012, respectively (Rochard et al., 2015). 30 different districts corresponding to this statistic were simulated. This statistical uncertainty causes the highest differences and the highest scattering of results. The median results do not exceed 20 % for the maximal deviation, but approximately 25 % of cases cause maximal deviations higher than 40 % and mean differences higher than 10 %.

**Orientations** In this case, the objective is to determine if the real orientation of the walls is very important. Hence, the orientation is not linked to statistical inference but rather to model uncertainty. But similar analysis may be used. The wall orientations notably impact the incoming solar fluxes. For this analysis, the district was progressively rotated  $30^\circ$  per  $30^\circ$ , leading to 12 district configurations. The orientation has nearly no influence on the results at the district scale, whereas deviations are very important at the building scale (up to 400 % for the maximal deviation). This result seems to indicate that a mean estimation of the solar heat gains is enough at the district scale rather than a detailed knowledge depending on the wall orientations. This point was notably a question raised during the model inter-comparison (Frayssinet et al., 2018a).

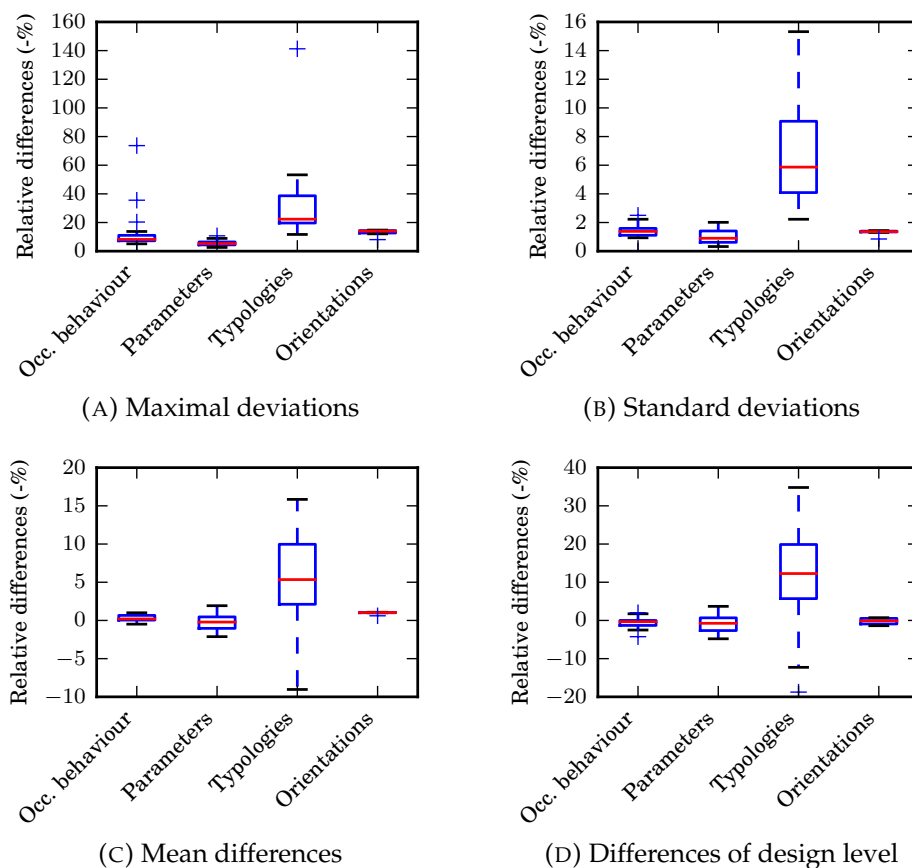


FIGURE 5.25: Scattering of the indicators

Then, the scattering of the indicator is analysed as a function of the number of buildings considered in order to evidence the influence of the spatial scale. For each spatial scale (number of building) a maximal set of 30 combinations of buildings

was tested. The standard deviation of the indicators is quantified for each case, and their statistical distribution is plotted. Only the results for the maximal deviation are shown in Fig. 5.26 as all indicators in each case show similar behaviour: the scattering of the indicators shows a decrease in power from -0.4 to -0.7, except in the 'Orientations' case, where the decrease is higher, in power -1.4. For the other cases, this observation is very close to the central limit theorem statement (Sec. 5.2.4). Hence, the increase of the district scale makes it possible to decrease the uncertainty resulting from statistical knowledge.

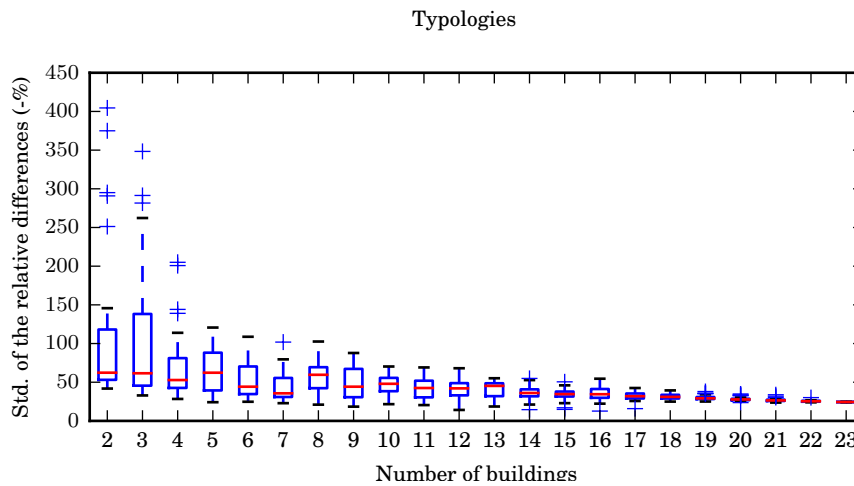


FIGURE 5.26: Effect of the district scale on statistical invariance; indicator: maximal deviation

### 5.3 Conclusion about the suitability of the adaptations

The previous results were general to be useful and give insights into the adaptation suitability for a various range of cases. The aim of this part is to illustrate the capability of the methodology to *select the suitable adaptations for given simulation objectives* and to *determine the reachable simulation objective given imposed adaptations*, as introduced in Sec. 3.1.2. Both capabilities are detailed here-after. They imply first the quantification of the adaptation effects (previous part of this chapter).

#### 5.3.1 Adapting to simulation objective

The adaptation process is summarised in Fig. 5.27. Note that the coupled and interacted simplifications effects are not accounted for in the introduced process, but it may be improved thanks to further developments of global sensitivity analysis (Sec. 3.3).

An application of this process is given for the 3 following different simulation objectives:

- (1) estimating the district annual performance;
- (2) designing a district energy system;
- (3) predicting the power curve at all times.

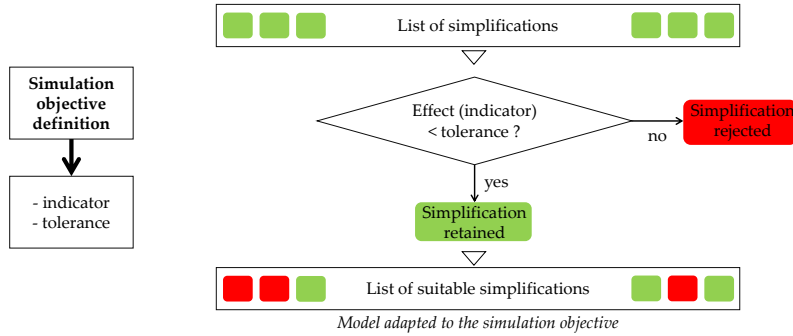


FIGURE 5.27: Adapting to simulation objective

The indicators associated with these objectives are the mean differences ( $m(\cdot)$ ), the level of design ( $\delta\Gamma_{20}(\cdot)$ ) and the absolute deviation ( $M(\cdot)$ ), respectively. A error tolerance  $tl$  of 10 % of the mean power is chosen.

Fig. 5.28a shows the suitable adaptations for different indicators for 2 different tolerances. The colour corresponds to the relative difference in the tolerance  $r_{tl}$ , which is defined as follows:

$$r_{tl} = \frac{ind - tl}{tl} \quad (5.3)$$

where  $ind$  is the indicator value and  $tl$  is the tolerance value. The indicator equal to the tolerance corresponds to  $r_{tl} = 0$  (orange); 1 time higher, to  $r_{tl} = 1$  (red); and 1 time lower, to  $r_{tl} = -1$  (i.e.  $ind = 0$ ; green). The colour scale is limited to  $\pm 100\%$  of the tolerance.

For the simulation objectives defined previously (Fig. 5.28a), notably according to Table 2.1, the conclusions are as follows:

- (1) The only non-suitable adaptation is [intLW]. Hence, the model necessitates an estimation of the radiant temperature, for a better estimation of the internal long-wave radiation. Such a model requires information about the interior of the building (i.e., the maximal level of detail in CityGML format (LoD 4)), or at least on estimation of the internal surfaces area. The suitability of [extConv] is limit. A better estimation of the external CHTC is preferable. In a district, such an estimation may require specific micro-climate models, or, at least, correlations.
- (2) The conclusions are similar to those for (1) except that [Control] is not suitable. Information about the energy system regulation is needed.
- (3) The previous non-suitable adaptations are logically not suitable as the maximal deviation is more restrictive. Furthermore, a rough discretisation of the conductive problem is not suitable [Cond-1296000], and hence, roughest RC-analogy models are probably not suitable, even more if an equivalent envelope is considered [EqEnv]. Detail composition of the envelope is hence expected. The internal inertia has to be accounted for [Inertia], implying a knowledge of the internal walls of buildings. Last, the solar shade [Solar-0] as to be accounted for.

Parameter	Acceptable range around nominal value (%)		
	Mean diff.	Diff. of design lvl.	Max. dev.
$\lambda_{-wall}$	45.5	25.5	12.7
$\lambda_{-roof}$	190.5	90.9	52.6
$\lambda_{-floor}$	181.8	117.6	36.4
$\lambda_{-intfloor}$	$\infty$	$\infty$	81.6
$b_{-floor}$	76.9	47.1	23.0
$U_{-win}$	66.7	39.2	17.9
$h_{cv.in-(int)wall}$	125.0	67.8	38.5
$h_{cv.,in-roof}$	666.7	285.7	133.3.0
$h_{cv.in-(int)floor}$	200.0	88.9	44.9
$h_{cv.in-win}$	153.8	87.0	31.3
$\rho C_{-wall}$	$\infty$	444.4	14.5
$\rho C_{-roof}$	$\infty$	$\infty$	85.1
$\rho C_{-floor}$	$\infty$	$\infty$	54.1
$\rho C_{-intfloor}$	$\infty$	800.0	14.7
$\alpha_{-wall}$	190.5	571.4	16.1
$\alpha_{-roof}$	500.0	$\infty$	25.5
$\theta_{-win}$	222.2	$\infty$	15.9
$\varepsilon_{-wall}$	250.0	250.0	22.9
$\varepsilon_{-roof}$	500.0	$\infty$	43.0
$\varepsilon_{-win}$	666.7	571.4	66.7
<i>AirChgRt</i>	69.0	40.0	18.0
<i>RadPart</i>	142.9	58.8	29.1
<i>tilt_{-roof}</i>	212.7	96.8	19.5

TABLE 5.7: Parameter range for a tolerance of 10 %

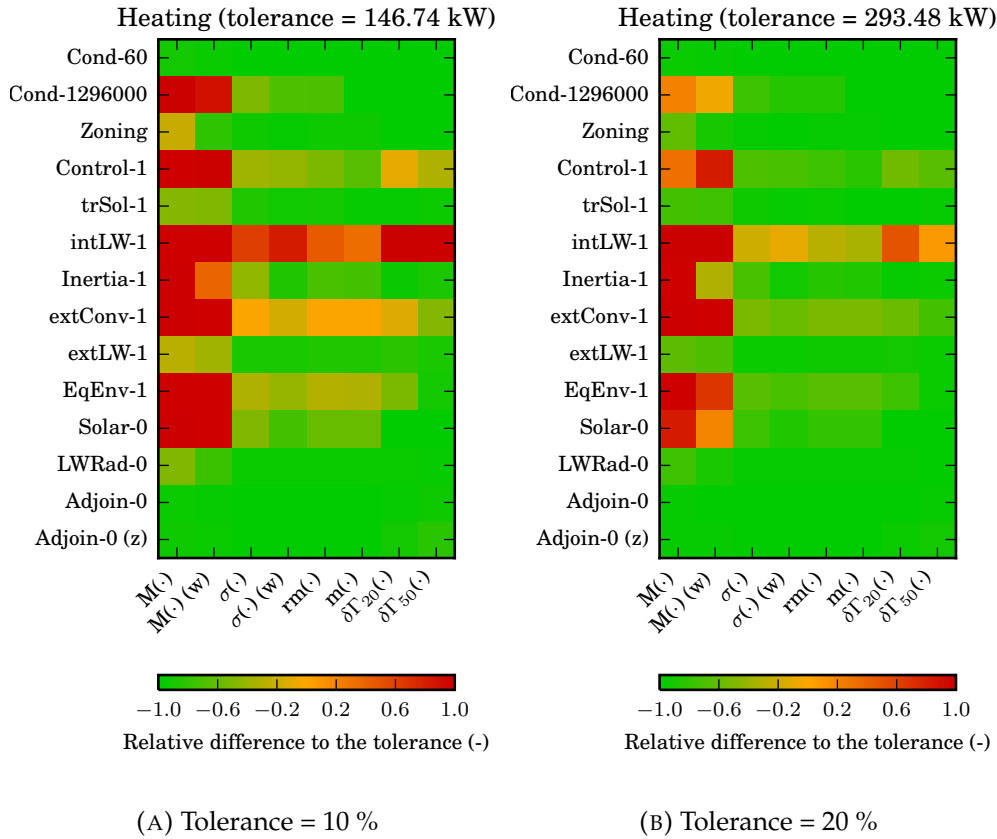


FIGURE 5.28: Overview of the adaptations effects

Note that increasing the tolerance makes it possible to reduce the constraints (Fig. 5.28b). The use of the weighted indicators defined in Eq. 3.8 (referred to 'w') also reduces some constraints, notably for [Inertia], but increases in case of [Control], with respect to the maximal deviation.

According to Sec. 5.1.3, static parameters have to be estimated with accuracy in priority for (1) and (2) in addition to dynamic inertia related parameters for (3). Table 5.7 estimates the acceptable relative range of the parameters  $rg$  according to previous analysis<sup>12</sup> (Sec. 5.1.3). This range is estimated with the mean sensitivity index previously computed  $\bar{s}_n$  and the relative tolerance  $tl$  as:

$$rg = \frac{tl}{\bar{s}_n} \quad (5.4)$$

According to Sec. 5.2.4, the district scale is enough large to infer all statistical knowledge except for (3) for typology. Moreover, detailed information on the orientation of walls is not necessary.

The results also show that because of lower heating needs, high-energy performance buildings may be more adapted than inefficient buildings if assessing at the district scale with absolute (not relative) effects (Sec. 5.1).

<sup>12</sup>According to the building scale results of *Init* as this typology is very similar to this of the district. Note that district effects (Sec. 3.2.4) are consequently not quantified.



### 5.3.2 Determining reachable simulation objectives

As an illustration of the reverse application enabled by the adaptation quantification, let us assumed having a GIS without information about the internal layout of the buildings (LoD 1 to 3 in cityGML). According to Table 2.1, the zoning [Zoning], the infiltration [Infil], the system regulation [Control], the distribution of the transmitted solar flow [trSol], the internal LW radiation [intLW] and the internal inertia [Inertia] cannot be detailed. As a consequence, the simulation objectives (1) is achievable but with a tolerance of 13 %, (2) with a tolerance of 30 % and (3) is reachable only for a tolerance higher than 72 % (Table 5.6).

Hence, this process make it possible to determine which simulation objectives may be reached given a specific constraint. The global process is summarised in Fig. 5.29.

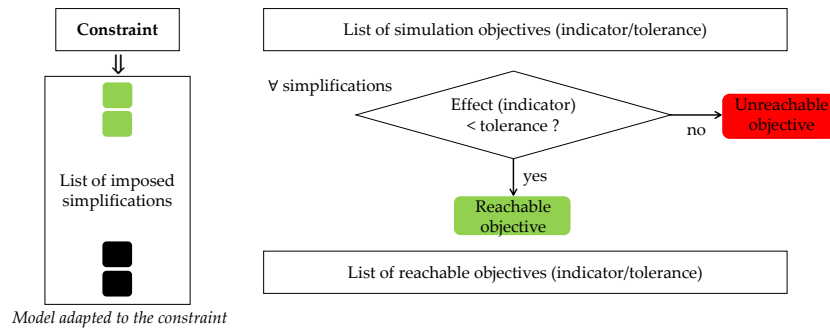


FIGURE 5.29: Reachable simulation objectives

## Chapter 6

# Conclusions and outlooks

Chapter 1 highlighted the key role of building energy simulation in addressing many future issues. The district scale is shown to be particularly important for optimizing and designing integrated solutions, in a more and more urban world. However, the development of such simulation tools is limited by the computational cost and data availability constraints, in particular when focusing on power curves. Many simplifications have been proposed in the literature to address these limitations, but few studies have been carried out to analyse their effects on the simulation results, in particular apart from annual energy consumption.

The main sources of simplifications of district energy models related to heating and cooling modelling were identified in Chapter 2. The thermal conduction problem was evidenced to be the costly part of the simulation and hence the main target of simplification. Furthermore, the default building energy models are not able to properly integrate district-scale effects. The modelling choices retained in DEM are often implicit or not clearly stated. In order to ease model inter-comparisons, the definition of a modelling framework should be proposed, in particular, in the frame of the projected DESTEST benchmark (Wetter and Treck, 2017).

In order to quantify the suitability of a simplification, a specific methodology were proposed in Chapter 3. It make it possible to define how to adapt a district energy model and to identify data needed to improve modelling confidence. The main contribution of the present work was to integrate any simulation objective in the methodology, in particular those related to the power curve. These specifications require clearly defining the simulation objectives and related indicators, which is currently infrequently discussed in the literature when focusing on power curves. The proposed methodology was linked to sensitivity analysis methods. However, the consideration of model uncertainty and time-dependent variables implies specific developments to extend the usual methods or to define specific ones. Such improvements may notably make it possible to consider and discriminate non-linear and interaction effects.

A simulation platform introduced in Chapter 4 were developed in order to automatically model and simulate a district energy model and test the suitability of the identified simplifications with the proposed methodology. As a consequence, the modelling process is modular. The platform tool chain integrates promising tools and modelling standards that are currently known to have important developments (Modelica, FMU), notably for building energy simulation at the district scale, carried out by the building energy simulation community (Wetter and Treck, 2017). The integration of the such tools will ease the interoperability of the platform. Taking advantage of the model structure, the building energy simulations are distributed in order to reduce the computational duration and ease large scale simulation and parametric analysis. In its current state, the platform mainly focus on envelope modelling, and hence, future improvements are needed to better account for system

regulation and occupant behaviour, which are roughly modelled, and to integrate micro-climate models. Facing DEM challenges not only relies on adaptations, but also on the use of efficient large scale numerical resources and on data collection. Furthermore, simulation platform improvements imply cooperation with other scientific fields, including, computer sciences to improve and speed-up numerical processes and geomatics for GIS management and data sciences to define indicators and analyse results.

The platform was used to apply the methodology for the identified simplifications in Chapter 5 and to make it possible to draw conclusions about the district-scale model adaptations. The results show that the usual adaptations are generally suitable with respect to annual energy estimations but that locally important effects, which are generally counter-balanced over a day, may occur on the power curve. This observation reinforces the necessity of defining specific indicators when analysing power curves. Power curves are particularly sensitive to transient phenomena, which are mainly related to solar fluxes in our model. As a consequence, cooling is more affected than heating. Note that transient phenomena may also occur because of occupant behaviour and energy system regulation. Hence, detailed information is needed to simulate these phenomena. Concerning the district scale, inter-building couplings seem to be negligible, reinforcing the advantage of distributing the building energy simulations. However, the impact of the urban environment on the incoming solar flux, which is a pre-process, is fundamental to account for. The smoothing effect of the district scale on the adaptation effects was highlighted but was shown to be quite low. However, the ability of the district scale to use statistical data was particularly evidenced, underscoring the limits of the micro-simulation approach and its transition to a statistical approach. Nonetheless, this transition implies a loss of the possibility to spatially analyse the results. The results are clearly linked to the present case study. However, the relative effects were identified as being quite representative of any building form and typology and are hence probably generalisable to other case studies. Last, this tool was not validated against real measurements. Difficulties in accessing power load curves and detailed information for an entire district in addition to the focus only on the envelope model explain this limitation. Nonetheless, the objective was to test existing modelling choices, not to directly reproduce reality. In addition, data availability is currently a fast growing domain, and the present contribution aims to help modellers identify their data requirements.

Roy (1985) wrote that a model cannot be 'good' or 'bad' but only 'adapted' to a given issue, or not. The definition of the issue, or the simulation objective, is hence the fundamental step of model adaptation. According to Roy, defining the simulation objective relies on answering the following paraphrased questions:

- Which decision is the model expected to guide? For whom and how?
- What are the possible variants to test? How can the problem be formulated?
- How are preferences defined?
- How are global preferences defined?

Therefore, as the building energy sector faces numerous challenges, numerous tools are needed to answer them. As a consequence, the simulation objectives have to be clearly clarified, and models should be specifically adapted for each one, which is notably what the present work expected to evidence and guide.

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## Appendix A

# Calculation details

### A.1 Reflected part of incoming solar flux

Let consider a wall (*wall*) surrounded by a ground (*gnd*) and the sky vault (*sky*) enclosing the 2D scene (Fig. A.1). In addition to the solar flow coming from the sky and the sun (respectively diffuse and direct part of the solar flow, Eq. 2.24), the wall received flow from the ground due to reflections ( $\Phi_{gnd \rightarrow wall}$ ). A part of the ground incident solar flow coming from the sky ( $\Phi_{sky \rightarrow gnd}$ ) is diffusely reflected ( $\times \rho_{sol.gnd}$ ), and only a part  $F_{gnd,wall}$  reach the wall:

$$\Phi_{gnd \rightarrow wall} = \rho_{sol.gnd} \cdot F_{gnd,wall} \cdot \Phi_{sky \rightarrow gnd} \quad (A.1)$$

According to the reciprocity relationship between view factor:

$$\frac{\Phi_{gnd \rightarrow wall}}{S_{wall}} = \phi_{gnd \rightarrow wall} = \rho_{sol.gnd} \cdot F_{wall,gnd} \cdot \frac{\Phi_{s \rightarrow gnd}}{S_{gnd}} = \rho_{sol.gnd} \cdot F_{w,gnd} \cdot \phi_{sky \rightarrow gnd} \quad (A.2)$$

Similarly to Eq. 2.24, assuming a ground sky view factor nearly equal to 1 (semi-infinite ground):

$$\phi_{sky \rightarrow gnd} = \phi_{drn.Sol} \cdot \langle \vec{n}_{gnd}, \vec{\gamma} \rangle_+ + \phi_{dfh.Sol} \quad (A.3)$$

Last, because of the complementarity relationship:

$$F_{wall,gnd} + F_{wall,sky} = F_{wall,gnd} + svf = 1 \Rightarrow F_{wall,gnd} = 1 - svf \quad (A.4)$$

Hence we get Eq. 2.24.

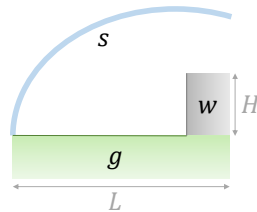


FIGURE A.1: Elements considered

In case of vertical wall of  $H$  m high, and a horizontal ground  $L$  m long and assuming an infinite longitudinal dimension, the view factor is equal to:

$$F_{wall,gnd} = \frac{1}{2} \cdot \left( 1 + \frac{L}{H} - \sqrt{1 + \frac{L^2}{H^2}} \right) \quad (A.5)$$

In case of semi-infinite ground we get  $\frac{L}{H} \gg 1$ , hence, at the second order:

$$F_{wall, gnd} \simeq \frac{1}{2} \cdot \left( 1 + \frac{L}{H} - \sqrt{\frac{L^2}{H^2}} \right) = \frac{1}{2} \quad (\text{A.6})$$

## A.2 Equivalent LW parameters

The total net external radiative flow is, according to Eq. 2.23 in its non-linearised form:

$$\begin{aligned} \sum_i^N \Phi_{rad.ext}^{(i)} = & \sum_i^N S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot \sigma \cdot svf^{(i)} \cdot (T_{sky}^4 - T_{S.ext}^{(i)4}) \\ & + \sum_i^N S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot \sigma \cdot (1 - svf^{(i)}) \cdot (T_{air}^4 - T_{S.ext}^{(i)4}) \end{aligned} \quad (\text{A.7})$$

Similarly, the flow for the equivalent wall is:

$$\begin{aligned} \Phi_{rad.ext.eq} = & S_{eq} \cdot \varepsilon_{ext.eq} \cdot \sigma \cdot svf_{eq} \cdot (T_{sky}^4 - T_{S.ext.eq}^4) \\ & + S_{eq} \cdot \varepsilon_{ext.eq} \cdot \sigma \cdot (1 - svf_{eq}) \cdot (T_{air}^4 - T_{S.ext.eq}^4) \end{aligned} \quad (\text{A.8})$$

The objective is to define  $\varepsilon_{ext.eq}$  and  $svf_{eq}$  so that  $\sum_i^N \Phi_{rad.ext}^{(i)} = \Phi_{rad.ext.eq}$ , and even more the two terms identified in the previous equations (sky and ground parts). We assumed that for all  $i$ ,  $T_{S.ext}^{(i)} \approx T_{S.ext.eq}$ . Hence:

$$S_{eq} \cdot \varepsilon_{ext.eq} \cdot svf_{eq} = \sum_i^N S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot svf^{(i)} \quad (\text{A.9})$$

We defined:

$$\varepsilon_{ext.eq} = \sum_i^N \frac{S^{(i)} \cdot \varepsilon_{ext}^{(i)}}{S_{eq}} \quad (\text{A.10})$$

and consequently:

$$svf_{eq} = \sum_i^N \frac{S^{(i)} \cdot \varepsilon_{ext}^{(i)} \cdot svf^{(i)}}{S_{eq} \cdot \varepsilon_{ext.eq}} \quad (\text{A.11})$$

## A.3 Long and short modes

The  $d$ -th equation of Eq. 2.31 is:

$$\dot{x}_d(t) = -\frac{x_d(t)}{\tau_d} + \sum_k B''_{d,k} \cdot U_k(t) \quad (\text{A.12})$$

The solution of this equation is:

$$x_d(t) = e^{-\frac{t-t_0}{\tau_d}} \cdot x_d(t_0) + \int_{t_0}^t e^{-\frac{t-\xi}{\tau_d}} \cdot \sum_k B''_{d,k} \cdot U_k(\xi) d\xi \quad (\text{A.13})$$

If using time discretisation with a time step  $\delta t$

$$x_d(t_n + \delta t) = e^{-\frac{\delta t}{\tau_d}} \cdot x_d(t_n) + \int_{t_n}^{t_n+\delta t} e^{-\frac{t_n+\delta t-\xi}{\tau_d}} \cdot \sum_k B''_{d,k} \cdot U_k(\xi) d\xi \quad (\text{A.14})$$

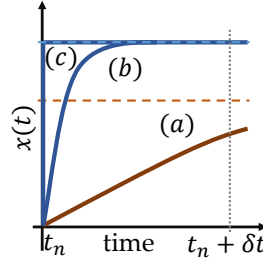


FIGURE A.2: Illustration of the mode reduction  
(Adapted from (Marshall, 1966))

Therefore, if the mode is short ( $\delta t \gg \tau_d$ ) then  $e^{-\frac{\delta t}{\tau_d}} \cdot x_d(t_n) \rightarrow 0$ , and consequently the state of the mode at a time step  $t_n + \delta t$  does not depend on the state at the previous step  $t_n$ , but only on the solicitation. Hence, short modes reach their stationary state between time steps ((b) in Fig. A.2) and the dynamic behaviour can be neglected ((c) in Fig. A.2), by contrast with long modes ((a) in Fig. A.2).

## A.4 Dynamic Time Wrapping and adaptations

The Dynamic Time Wrapping method were developed to resolve the main drawback of the Euclidian one-to-one comparison of 2 time-series. Indeed, time-shift between the time series may cause high Euclidian one-to-one deviations whereas they are just time-shifted (Fig. A.3a). The DTW method aims to 're-synchronise' the time-series before comparing them.

Let  $A = \{a_i, i \in [1, N]\}$  and  $B = \{b_i, i \in [1, N]\}$  the 2 times series to compare. The  $\mathbf{W}$  matrix is computed so that  $\mathbf{W}_{j,k} = |b_j - a_k|$  (bottom of Fig. A.3b, dark indicates null values while white maximal ones). Thanks to the specific algorithm of the method, the time-series were re-synchronise for the comparison thanks to a definition of a path in  $\mathbf{W}$  that minimizes the global deviation (with some specific constraints). This path is made of the index of the one-to-one compared time-series element:  $\Pi = \{\pi_i = (\pi_i^{(b)}, \pi_i^{(a)}), i \in [1, N_{\Pi}]\}$ .

The original method only computes the mean error when following this path, but term-to-term comparison is wanted in our work for the analysis of short time-step effects. Therefore, we defined  $D_{DTW} = \{|b_{\pi_i^{(b)}} - a_{\pi_i^{(a)}}|, i \in [1, N_{\Pi}]\}$ . However, this time-series contains more elements than the times-series to compare ( $N_{\Pi}$  vs.  $N$ , because of the path 'tortuosity' the  $a_m$  element may be compared to  $b_j$  and  $b_k$  for example) whereas we need to define one deviation per time-step. To 'regularize' that we synchronise all deviations with the reference (assumed to be  $A$ ) so that  $d_{DTW,i} = |b_{\pi_i^{(b)}} - a_{\pi_i^{(a)}}|$  is synchronous with the index  $\pi_i^{(a)}$  (Fig. A.3c). Furthermore, when numerous deviations are associated to the same index, only the minimal one is kept (dotted line in Fig. A.3c).

Moreover, this method does not penalise temporal deviation, whereas they may be detrimental when modelling power demand. To prevent this drawback, a 2D distance may be defined but imply to define equivalence between time and power deviation, which depends on the simulation objective.

Last, it is important to note that this method is originally developed for sound recognition, where the same sound may be produced more or less fast but having the same signification. Nonetheless, definitively, this method is not suitable in our case, excepted if using the adaptations introduced.

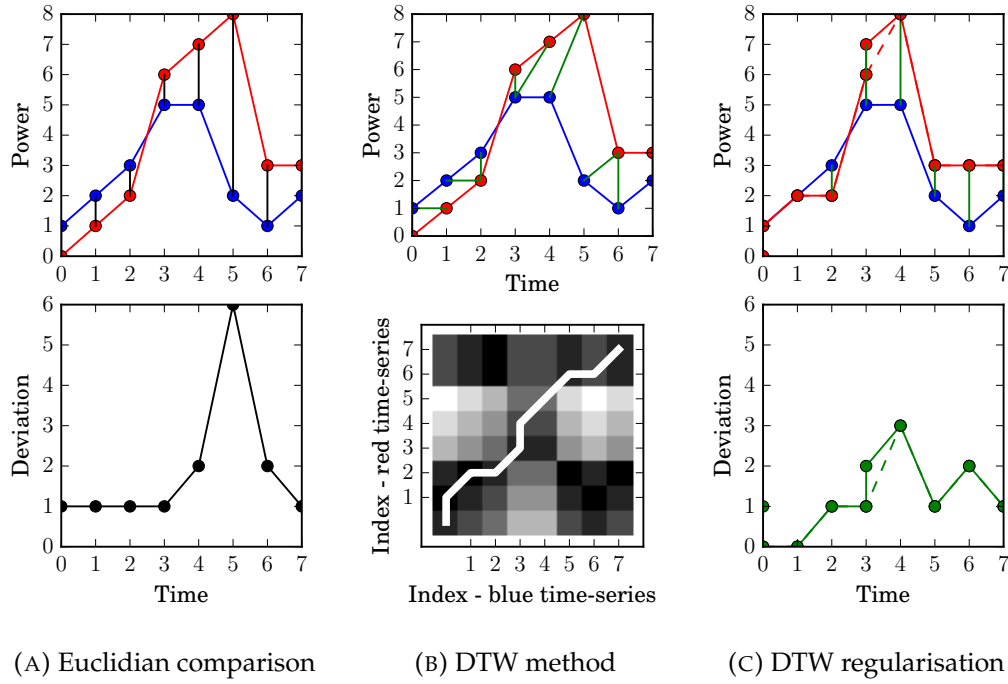


FIGURE A.3: DTW method and adaptations

## A.5 Haar Wavelet decomposition

Let  $A = \{a_i, i \in [1, N]\}$  a time-series. Its Haar wavelet decomposition relies on successive decomposition. The first decomposition of  $A$  is:

$$A^{[1]} = \left\{ a_i^{[1]} = \frac{a_{2 \cdot i - 1} + a_{2 \cdot i}}{2}, i \in \left[1, \frac{N}{2}\right] \right\} \quad (\text{A.15})$$

Generally, the  $h$ -th decomposition of  $A$  is:

$$A^{[h]} = \left\{ a_i^{[h]} = \frac{a_{2 \cdot i - 1}^{[h-1]} + a_{2 \cdot i}^{[h-1]}}{2}, i \in \left[1, \frac{N}{2^h}\right] \right\} \quad (\text{A.16})$$

Hence, the decomposition divide at each step the number of element per 2 by averaging the consecutive values two-to-two (Fig. A.4). The advantage of this method to reduce the time scale, on contrary to interpolation for example, is that the compressed time-series aggregately contains the informations of the original one and that can be reconstituted if computing:

$$R^{[h]} = \left\{ r_i^{[h]} = \frac{r_{2 \cdot i - 1}^{[h-1]} - r_{2 \cdot i}^{[h-1]}}{2}, i \in \left[1, \frac{N}{2^h}\right] \right\} \quad (\text{A.17})$$

Indeed:

$$a_{2 \cdot i - 1}^{[h-1]} = a_i^{[h]} + r_i^{[h]} \quad (\text{A.18})$$

$$a_{2 \cdot i}^{[h-1]} = a_i^{[h]} - r_i^{[h]} \quad (\text{A.19})$$

The original time-series was establish with a time-step of 45 minutes (obtained by

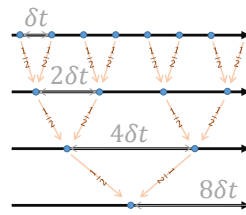


FIGURE A.4: Haar time-series decomposition

interpolation of the 1 hour time-step time-series), so that the time-steps of the decomposition are coherent with usual temporal marker, i.e. 1.5 hours, 3 hours, 6 hours, 12 hours, 1 day, 2 days, 4 days, 8 days ( $\approx$  1 week), 16 days, 32 days ( $\approx$  1 month), 64 days, 128 days and 256 days ( $\approx$  a third of a year).



## Appendix B

# Studied modelling variants

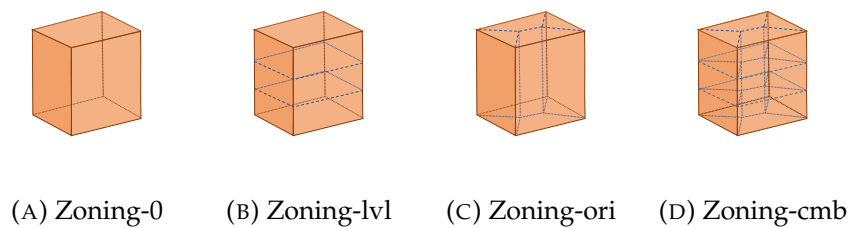


FIGURE B.1: Zoning variants

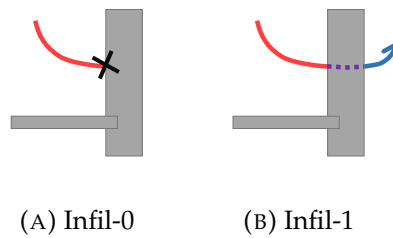


FIGURE B.2: Infiltration model variants

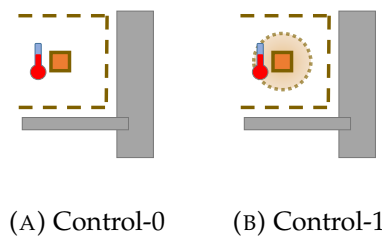


FIGURE B.3: Controlled temperature variants



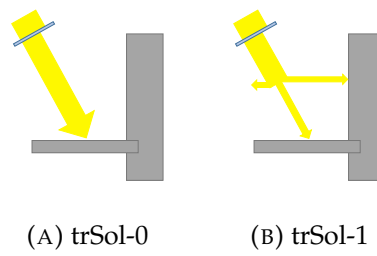


FIGURE B.4: Transmitted solar flux allocation variants

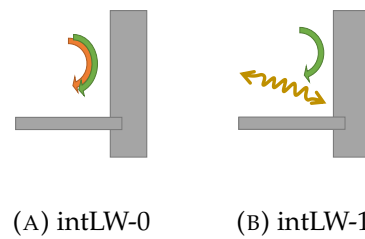


FIGURE B.5: Internal LW radiation modelling variants

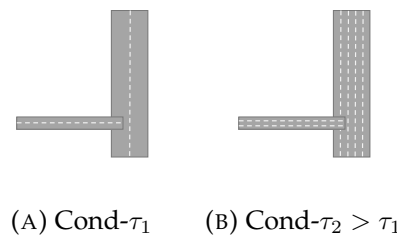


FIGURE B.6: Conduction discretisation variants

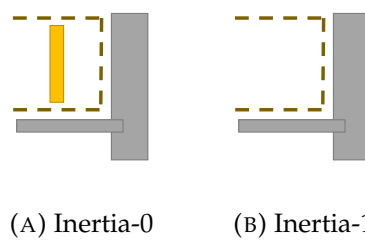


FIGURE B.7: Internal inertia modelling variants

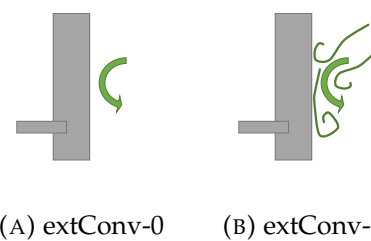


FIGURE B.8: External CHTC modelling variants

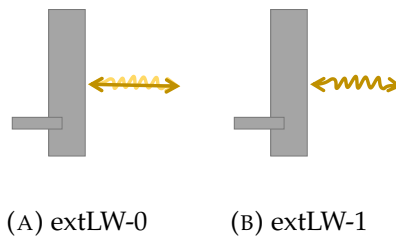


FIGURE B.9: External LW radiative heat transfer coefficient modelling variants

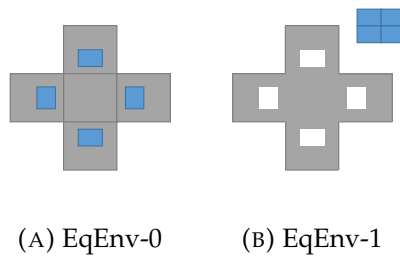


FIGURE B.10: Equivalent envelope modelling

$$\dot{X} = \begin{pmatrix} 0 \\ \vdots \\ 0 \\ \dot{X}_{\pi+1} \\ \vdots \\ \dot{X}_v \end{pmatrix}$$

(A) Red- $\pi$

FIGURE B.11: Envelope reduction

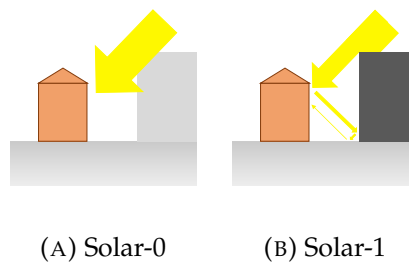


FIGURE B.12: Shadings and reflections modelling variants

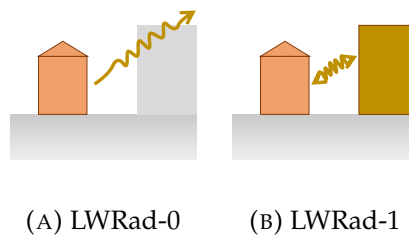


FIGURE B.13: Inter-buildings LW radiative exchanges modelling variants

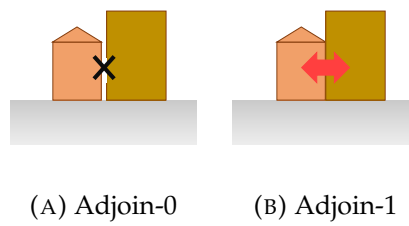


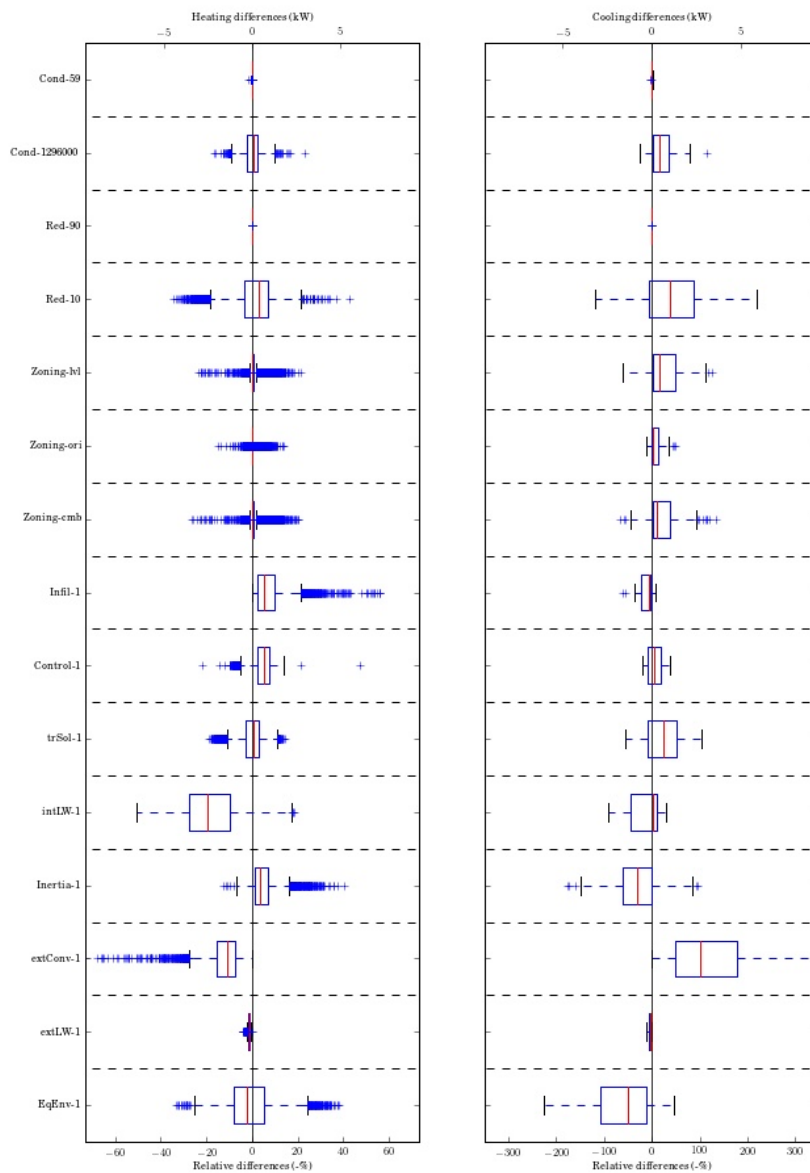
FIGURE B.14: Adjoining wall modelling variants

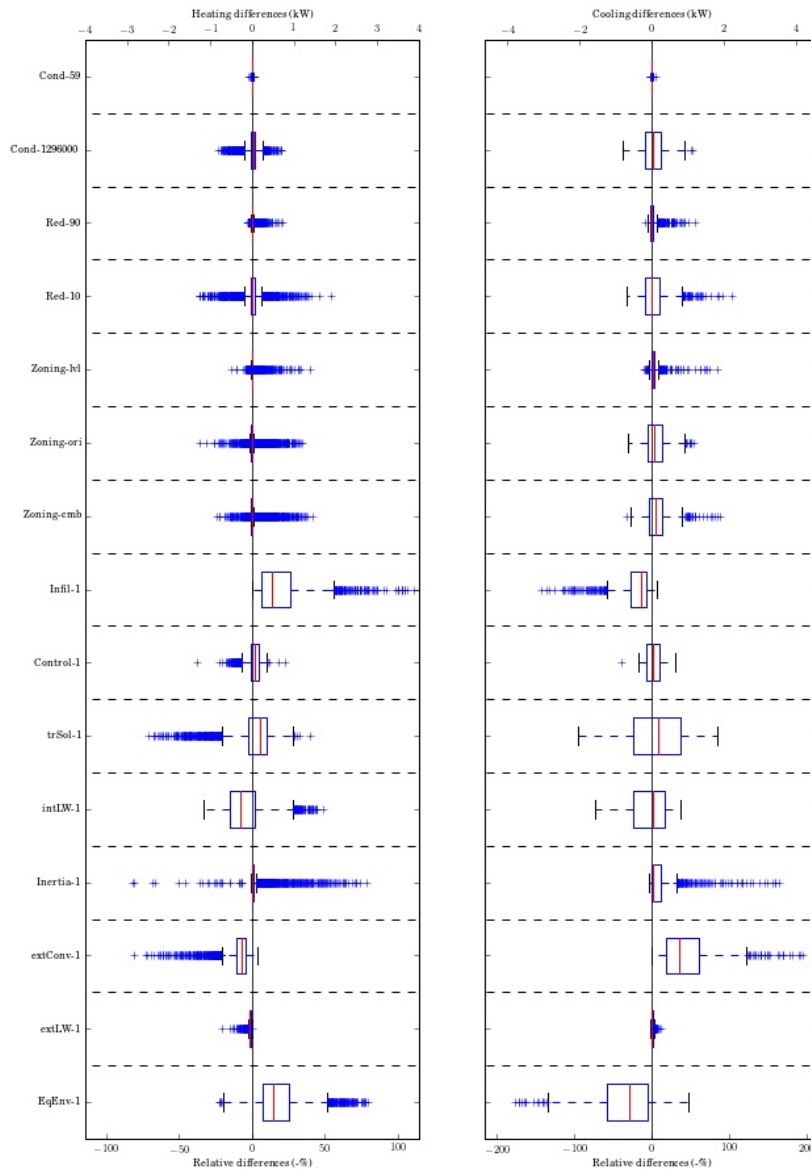


## Appendix C

# Complementary analysis representation

### C.1 Boxplot of the time-series differences





(A) Perf

## C.2 Correlations

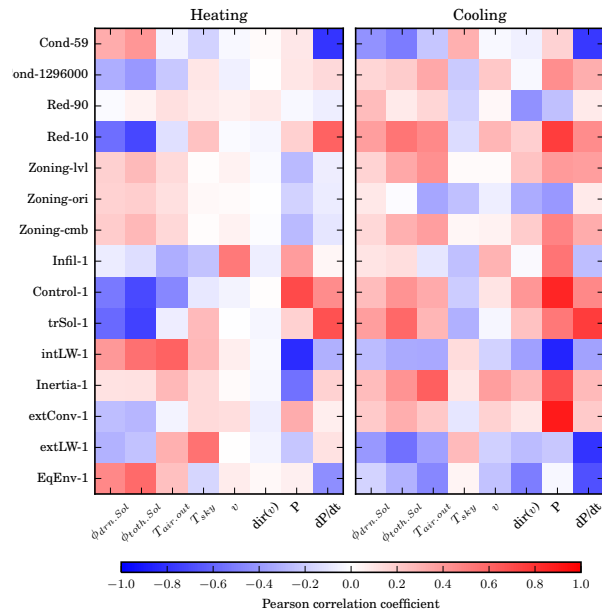


FIGURE C.3: Init

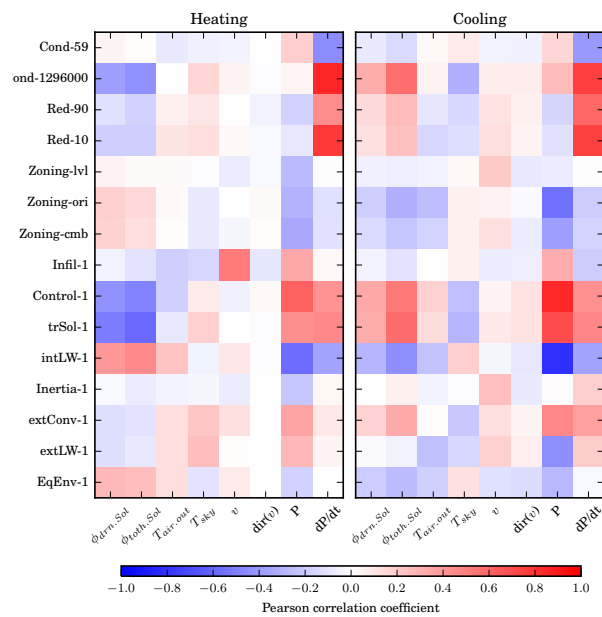


FIGURE C.4: Perf

### C.3 Other complementary representations

#### Cond-59

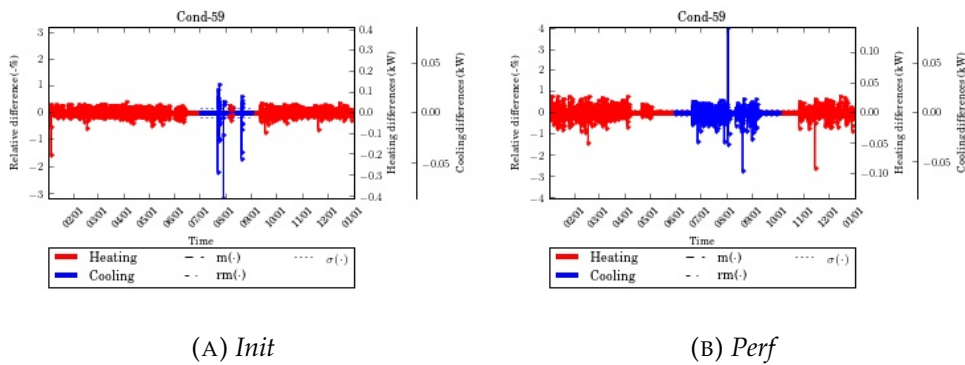


FIGURE C.5: Relative differences temporal evolution

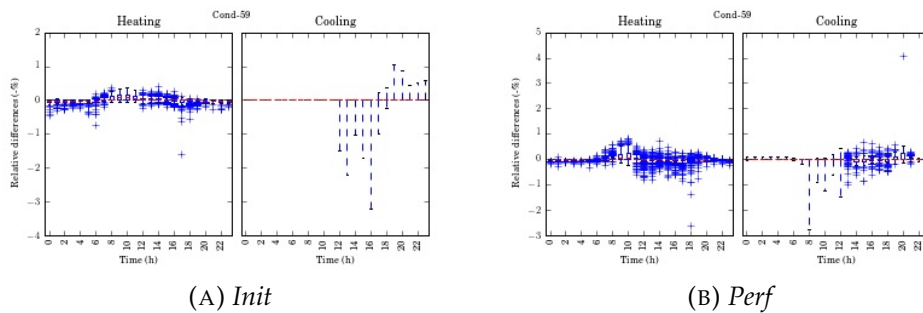


FIGURE C.6: Daily boxplot representation of the differences

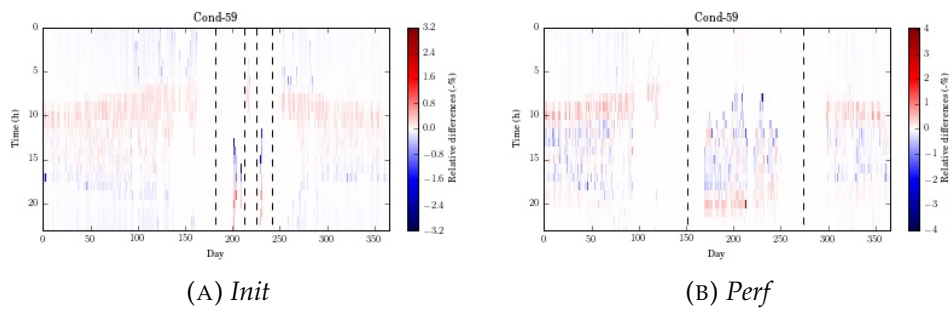


FIGURE C.7: Heatmap representation of the relative differences



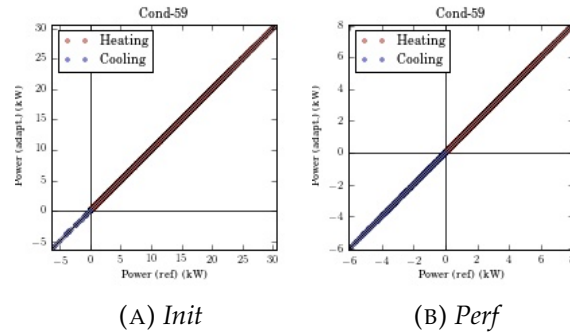


FIGURE C.8: Adapted model results versus reference results

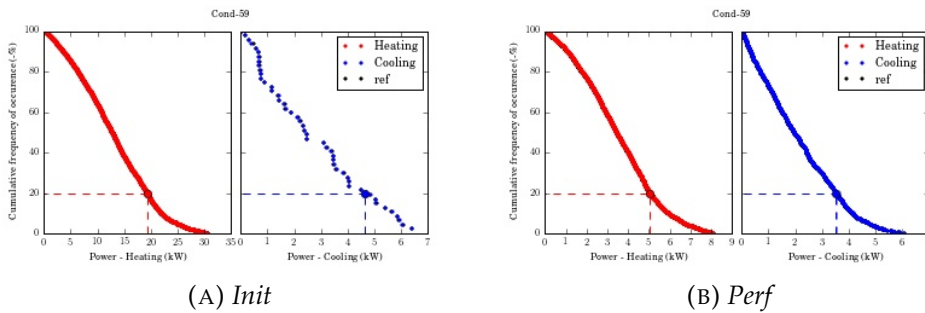


FIGURE C.9: Cumulative frequency of higher occurrences curves

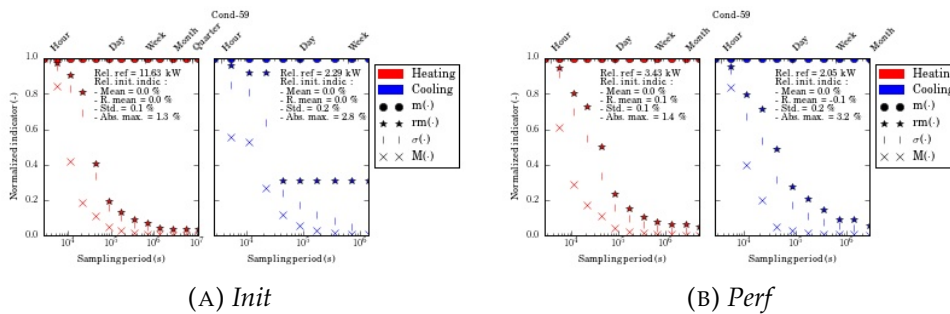


FIGURE C.10: Sampling influence on the indicators

Cond-1296000

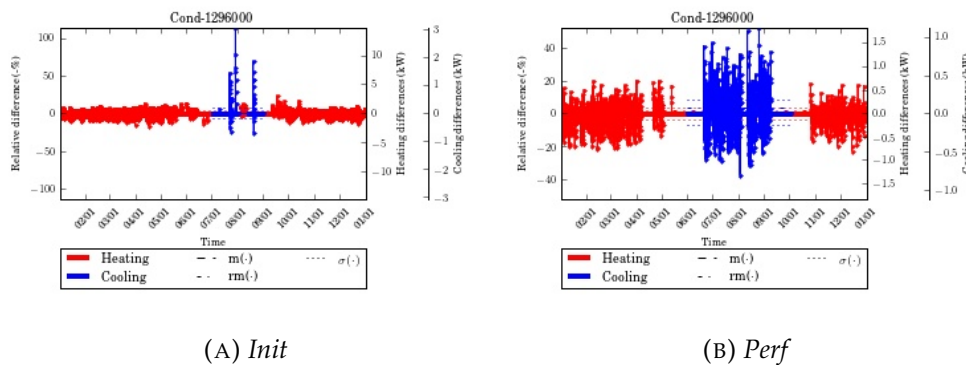


FIGURE C.11: Relative differences temporal evolution

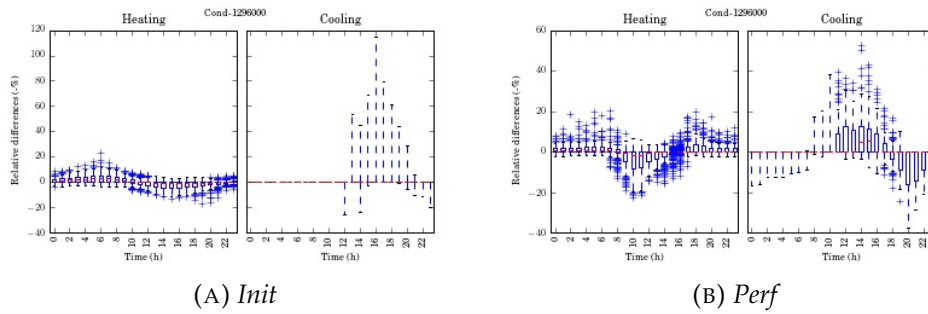


FIGURE C.12: Daily boxplot representation of the differences

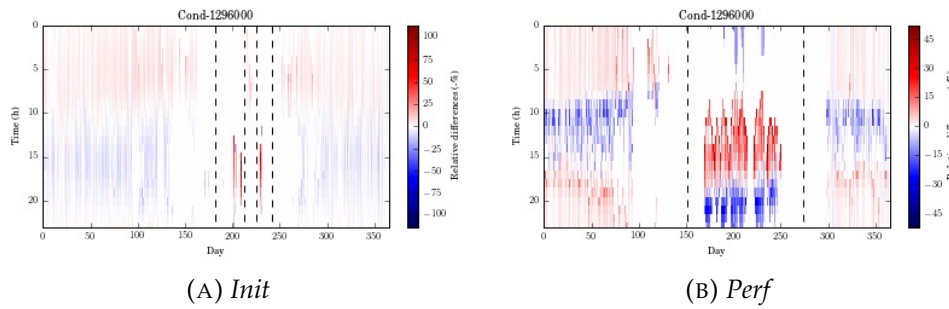


FIGURE C.13: Heatmap representation of the relative differences

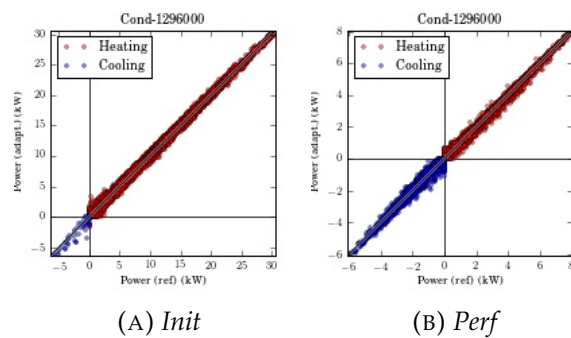


FIGURE C.14: Adapted model results versus reference results

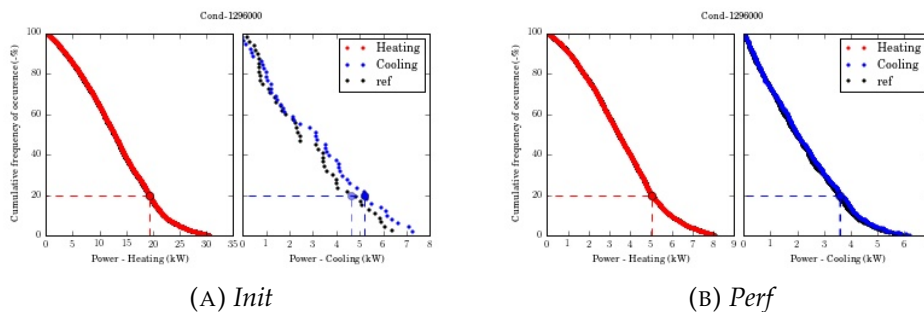


FIGURE C.15: Cumulative frequency of higher occurrences curves

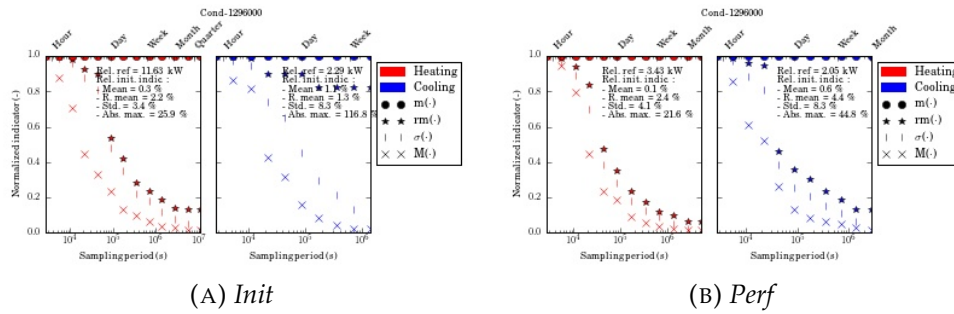


FIGURE C.16: Sampling influence on the indicators

Red-90

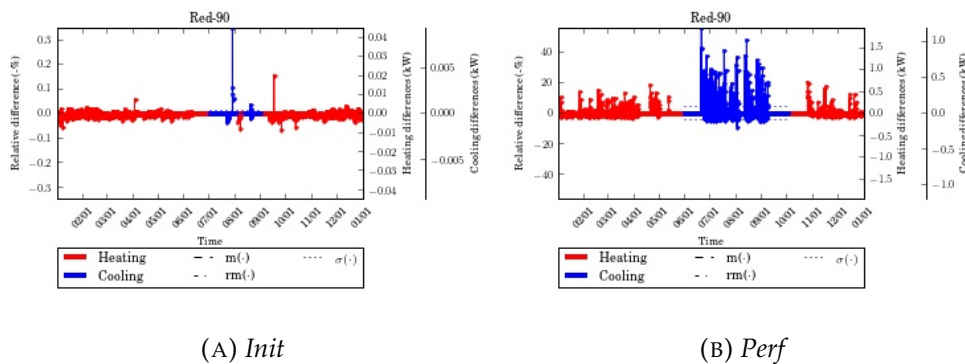


FIGURE C.17: Relative differences temporal evolution

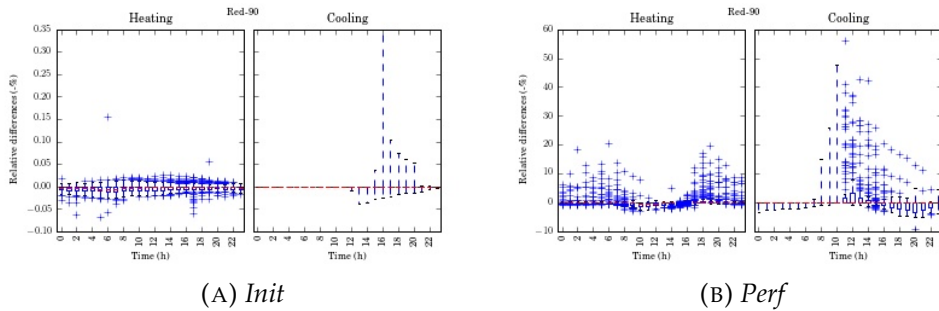


FIGURE C.18: Daily boxplot representation of the differences

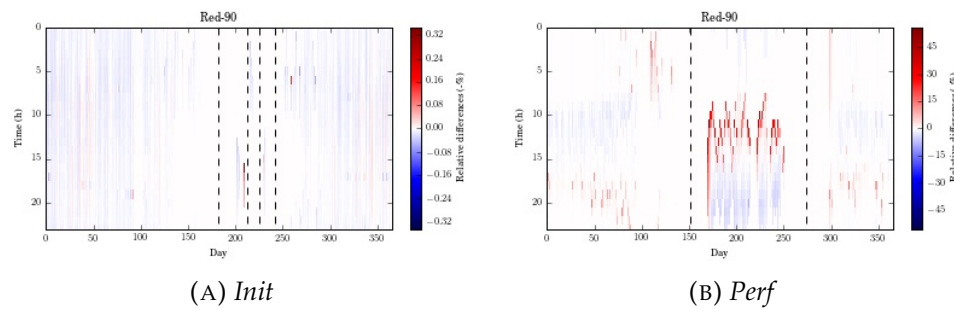


FIGURE C.19: Heatmap representation of the relative differences

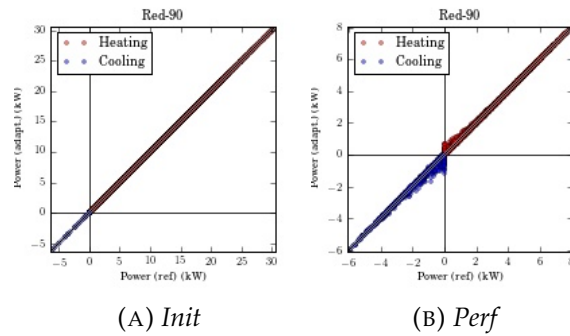


FIGURE C.20: Adapted model results versus reference results

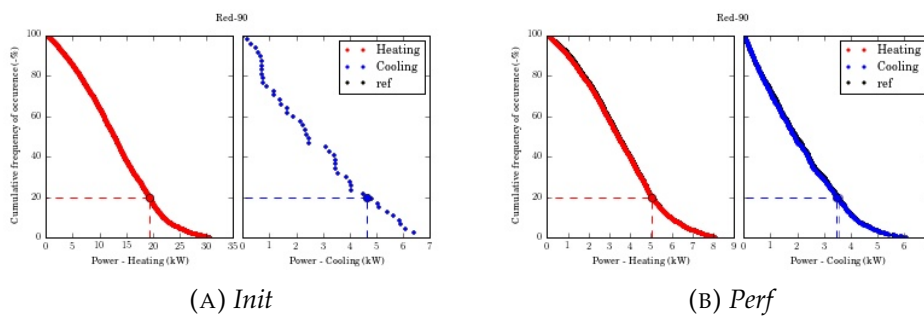


FIGURE C.21: Cumulative frequency of higher occurrences curves

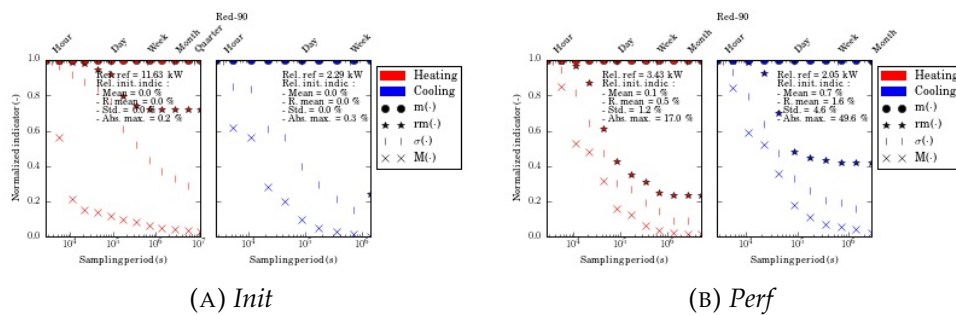


FIGURE C.22: Sampling influence on the indicators

Red-10

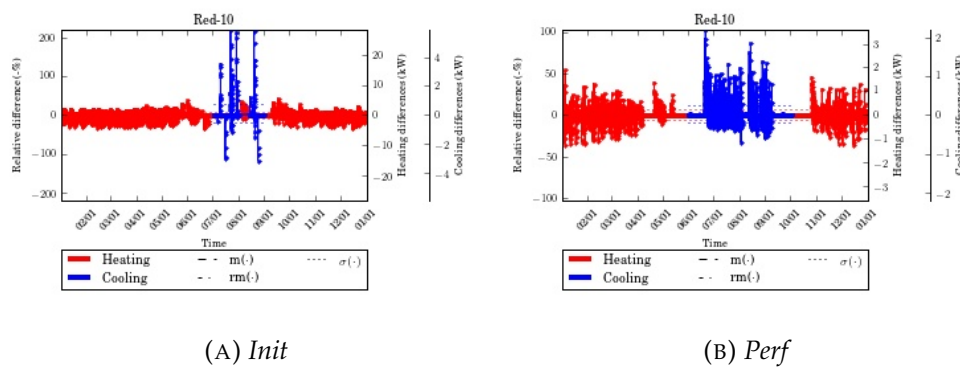


FIGURE C.23: Relative differences temporal evolution

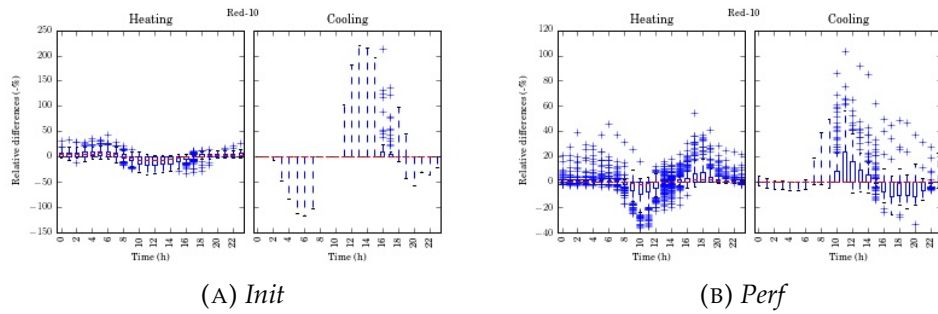


FIGURE C.24: Daily boxplot representation of the differences

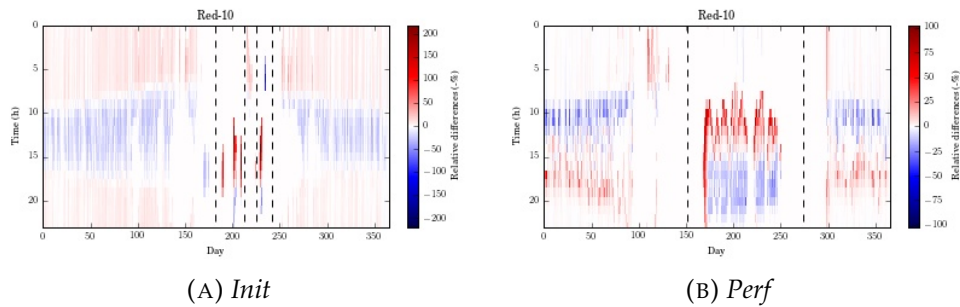


FIGURE C.25: Heatmap representation of the relative differences

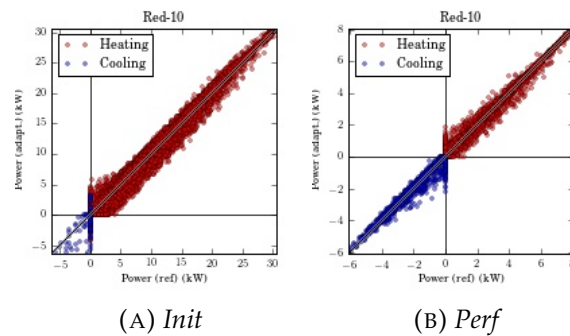


FIGURE C.26: Adapted model results versus reference results

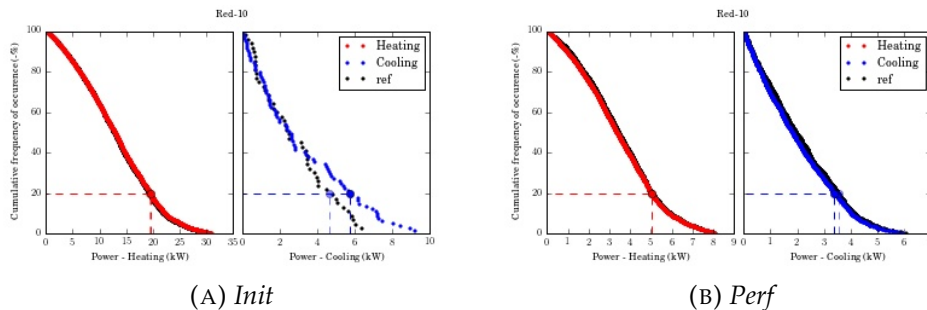


FIGURE C.27: Cumulative frequency of higher occurrences curves

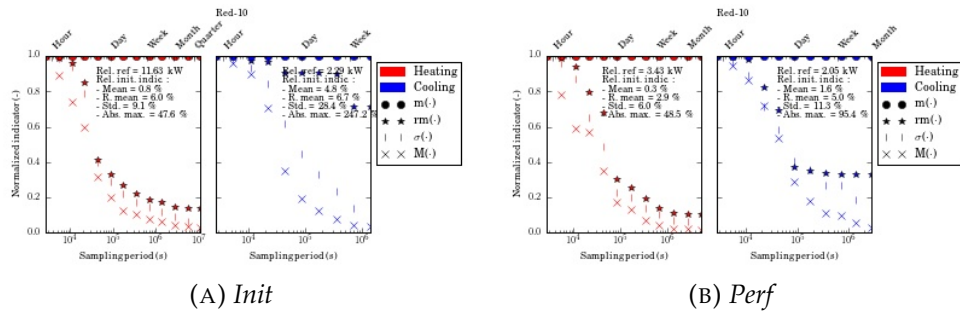


FIGURE C.28: Sampling influence on the indicators

Infil

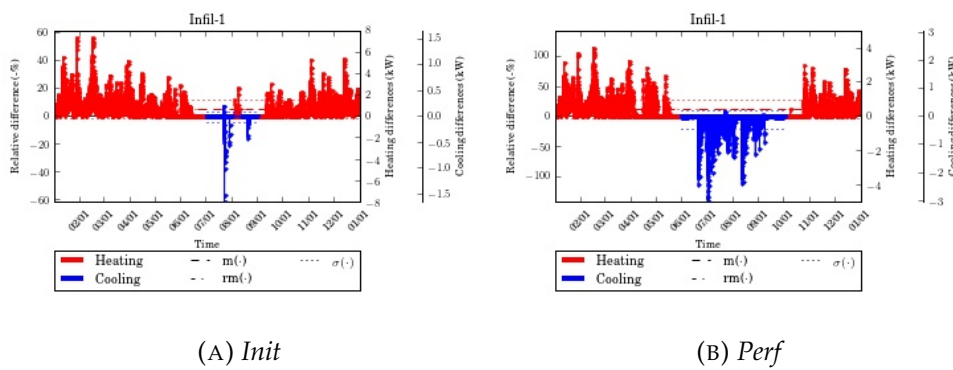


FIGURE C.29: Relative differences temporal evolution

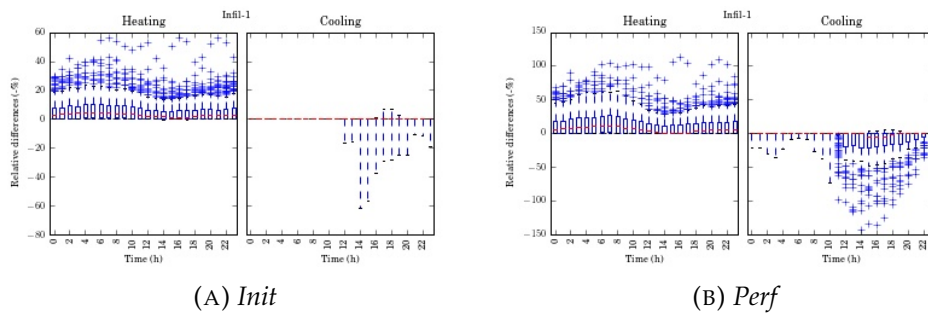


FIGURE C.30: Daily boxplot representation of the differences

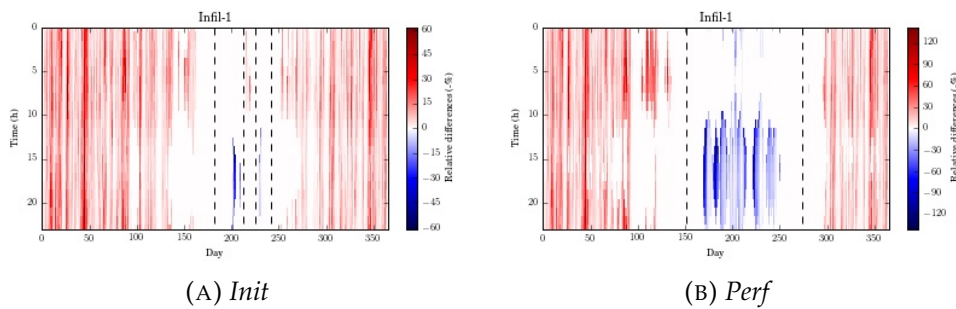


FIGURE C.31: Heatmap representation of the relative differences



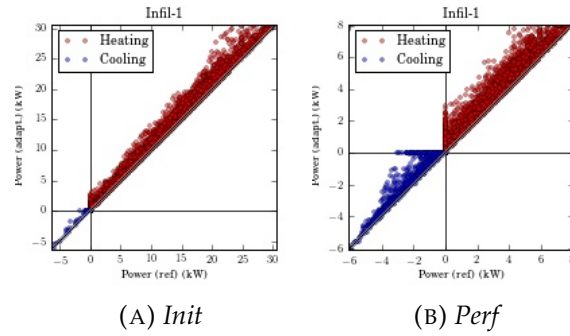


FIGURE C.32: Adapted model results versus reference results

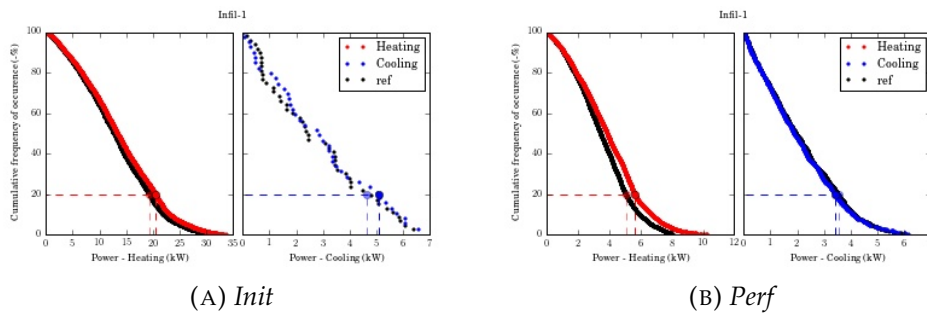


FIGURE C.33: Cumulative frequency of higher occurrences curves

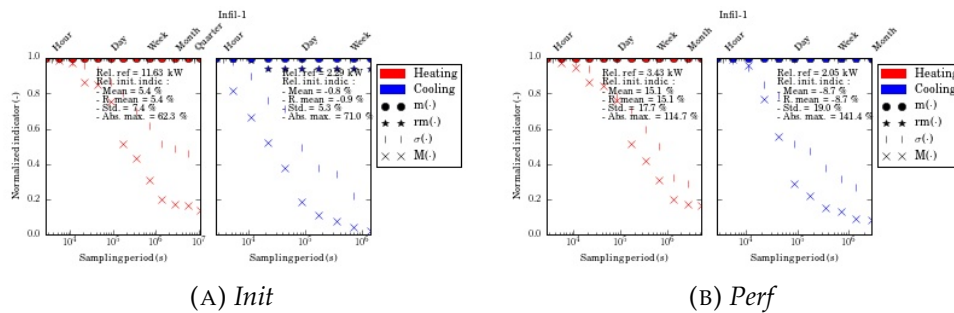


FIGURE C.34: Sampling influence on the indicators

**Control**

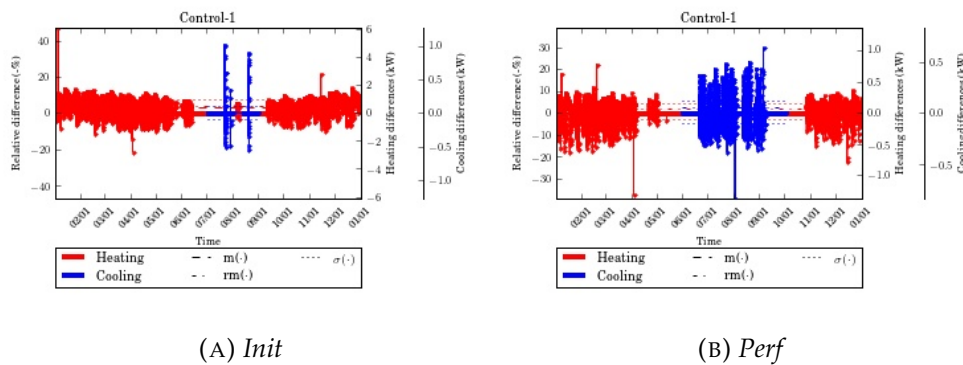


FIGURE C.35: Relative differences temporal evolution

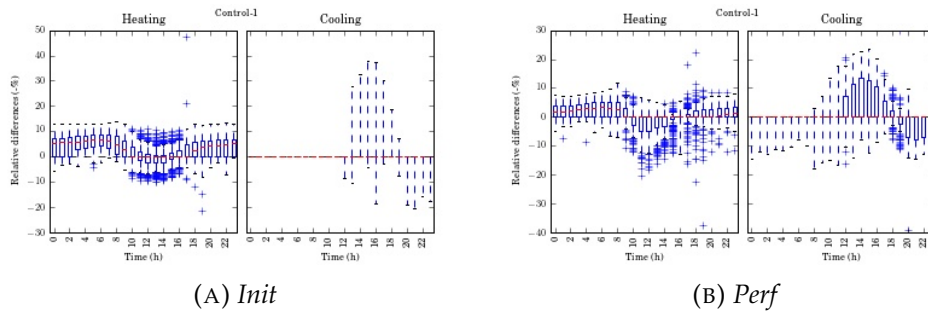


FIGURE C.36: Daily boxplot representation of the differences

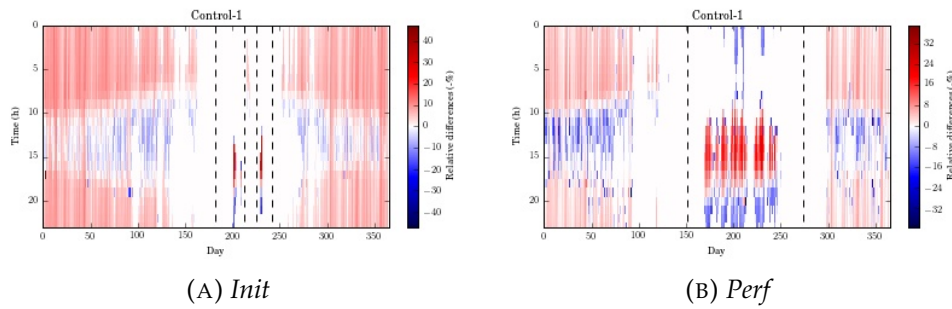


FIGURE C.37: Heatmap representation of the relative differences

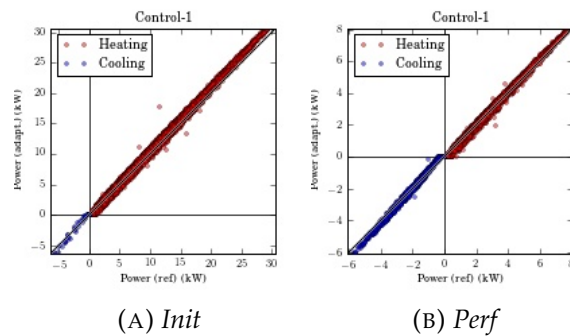


FIGURE C.38: Adapted model results versus reference results

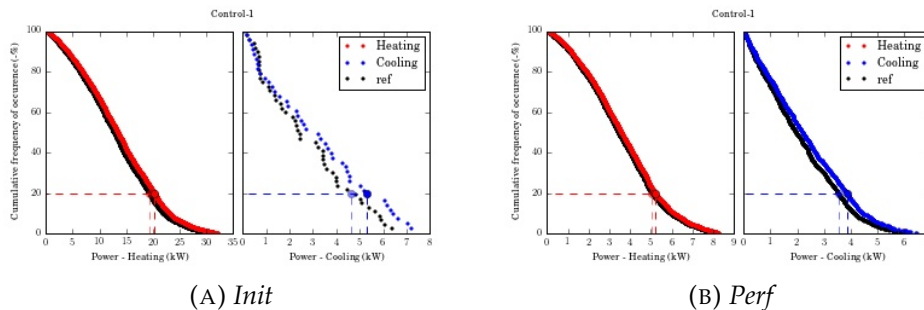
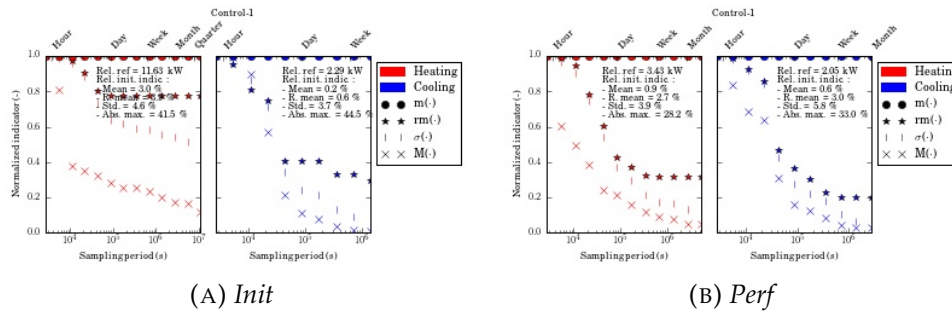


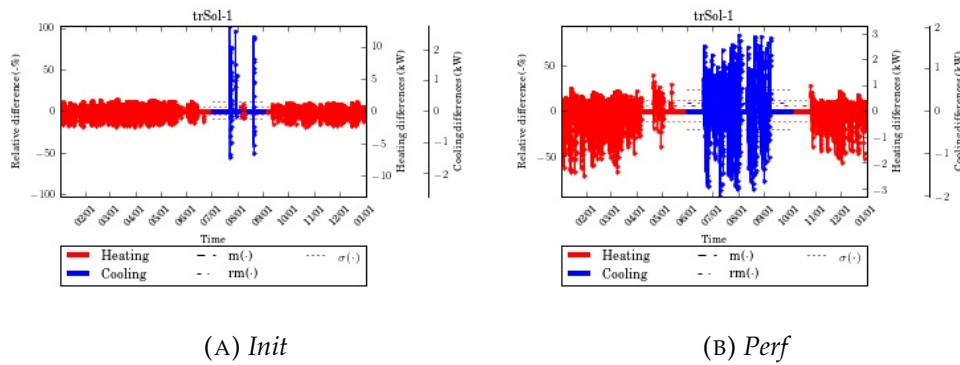
FIGURE C.39: Cumulative frequency of higher occurrences curves



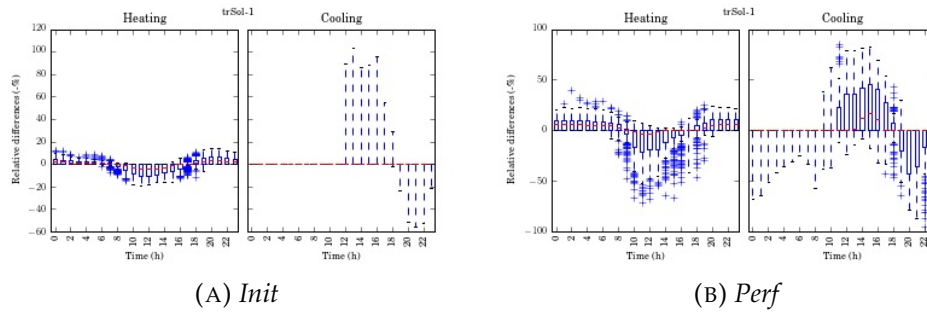


(A) *Init* (B) *Perf*  
 FIGURE C.40: Sampling influence on the indicators

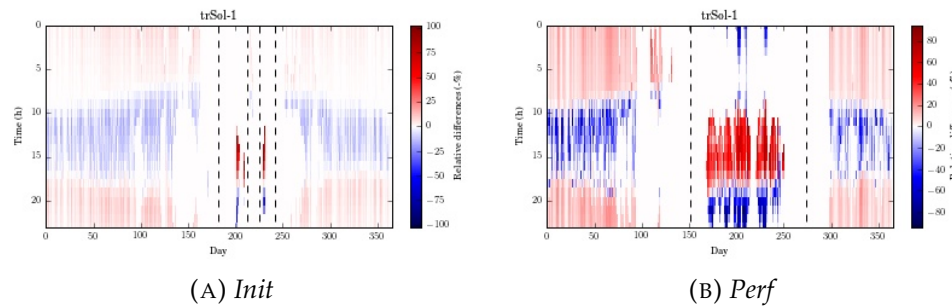
trSol



(A) *Init* (B) *Perf*  
 FIGURE C.41: Relative differences temporal evolution



(A) *Init* (B) *Perf*  
 FIGURE C.42: Daily boxplot representation of the differences



(A) *Init* (B) *Perf*  
 FIGURE C.43: Heatmap representation of the relative differences

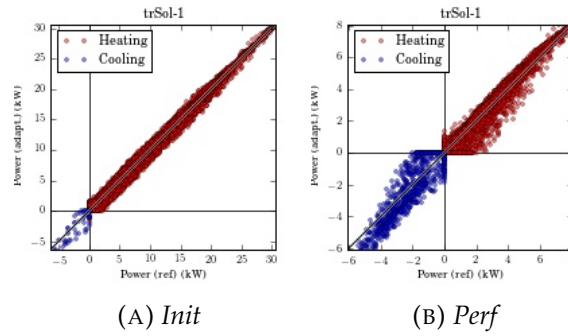


FIGURE C.44: Adapted model results versus reference results

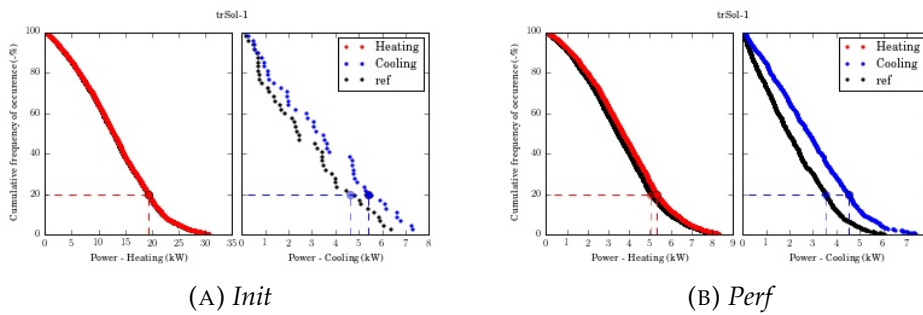


FIGURE C.45: Cumulative frequency of higher occurrences curves

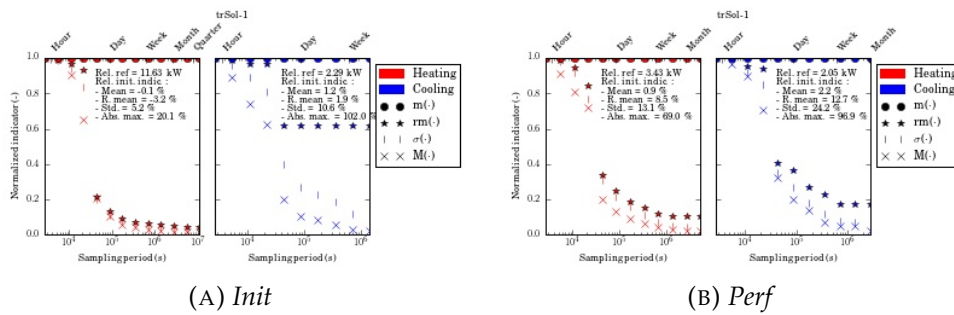


FIGURE C.46: Sampling influence on the indicators

intLW

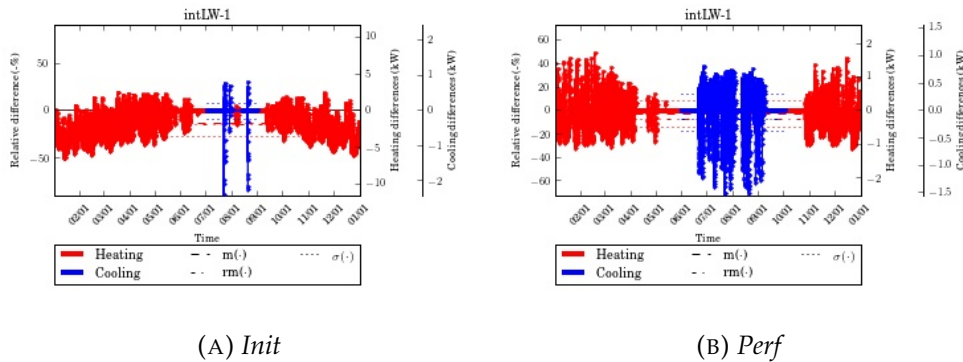


FIGURE C.47: Relative differences temporal evolution

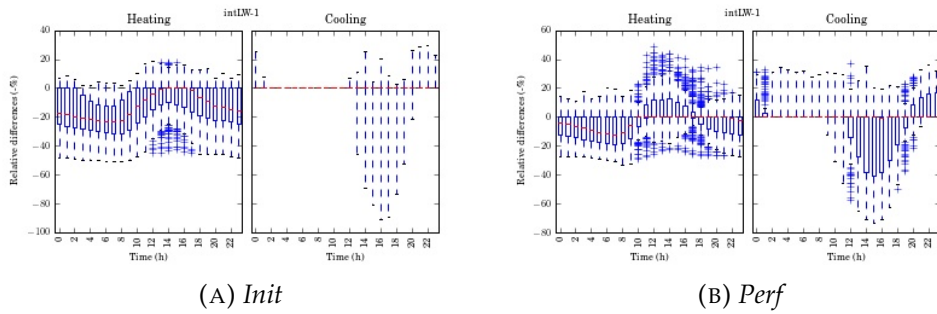


FIGURE C.48: Daily boxplot representation of the differences

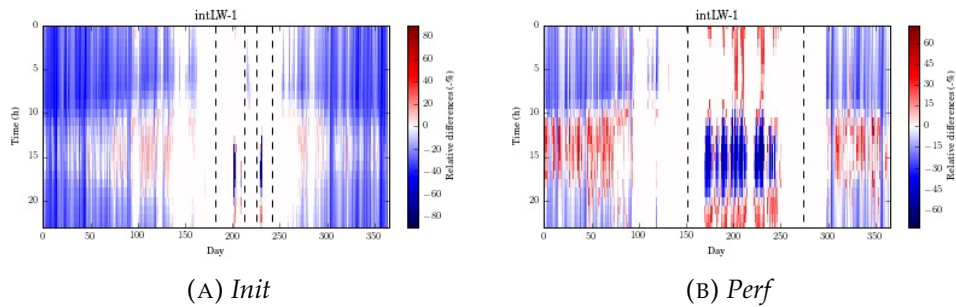


FIGURE C.49: Heatmap representation of the relative differences

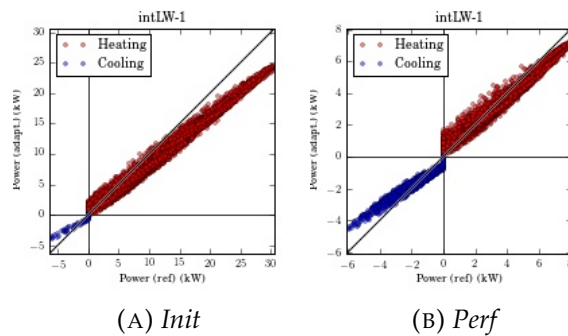


FIGURE C.50: Adapted model results versus reference results

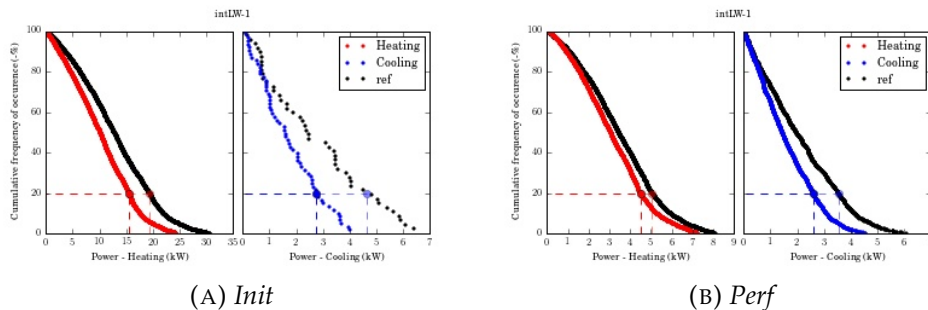


FIGURE C.51: Cumulative frequency of higher occurrences curves

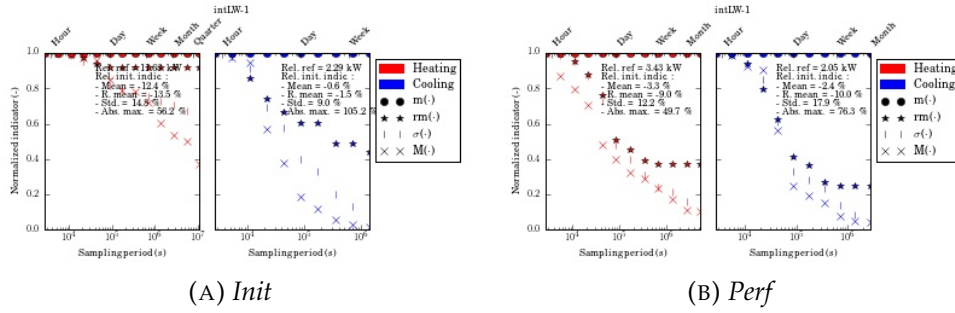


FIGURE C.52: Sampling influence on the indicators

Inertia

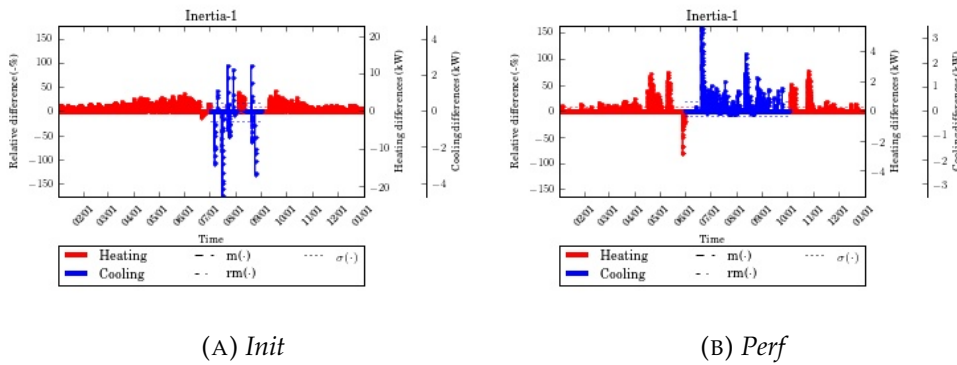


FIGURE C.53: Relative differences temporal evolution

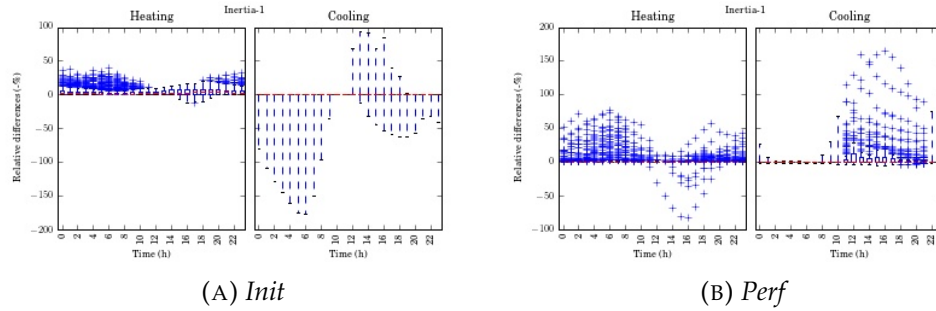


FIGURE C.54: Daily boxplot representation of the differences

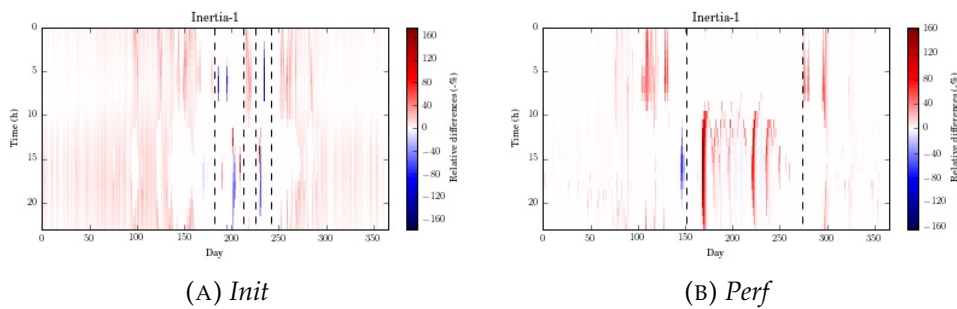


FIGURE C.55: Heatmap representation of the relative differences

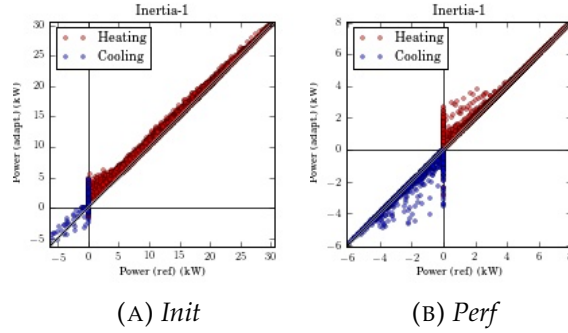


FIGURE C.56: Adapted model results versus reference results

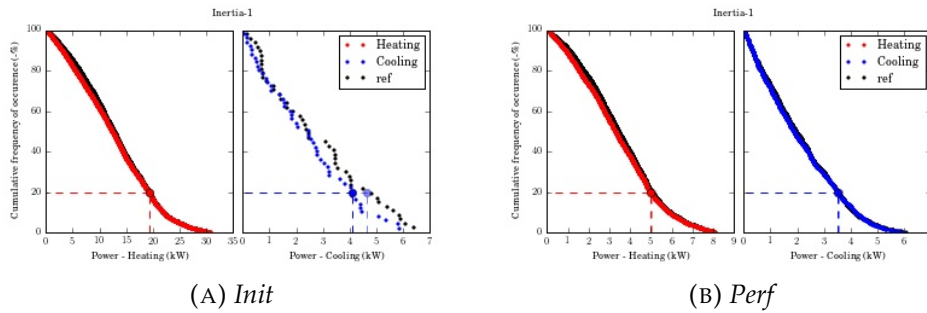


FIGURE C.57: Cumulative frequency of higher occurrences curves

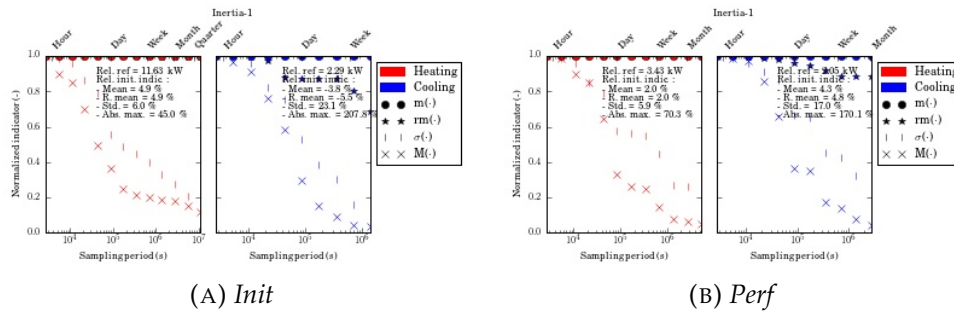


FIGURE C.58: Cumulative frequency of higher occurrences curves

extConv

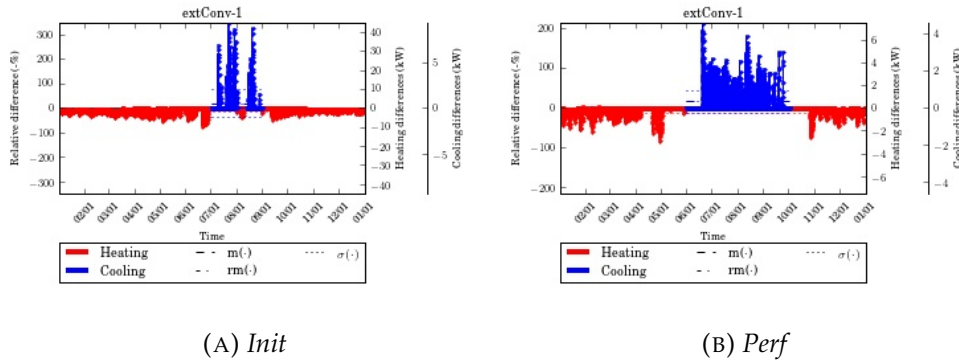


FIGURE C.59: Relative differences temporal evolution

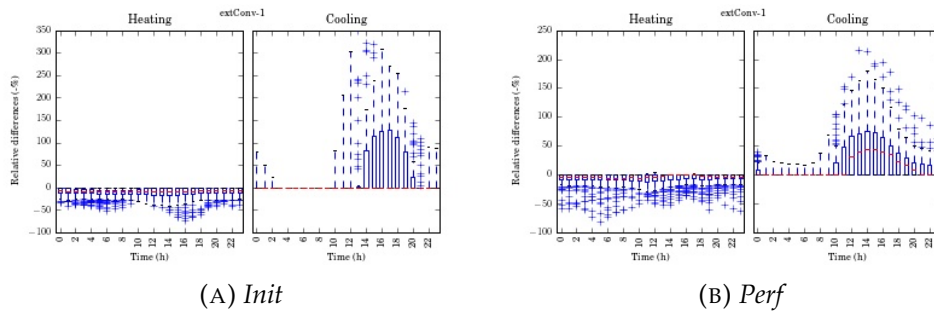


FIGURE C.60: Daily boxplot representation of the differences

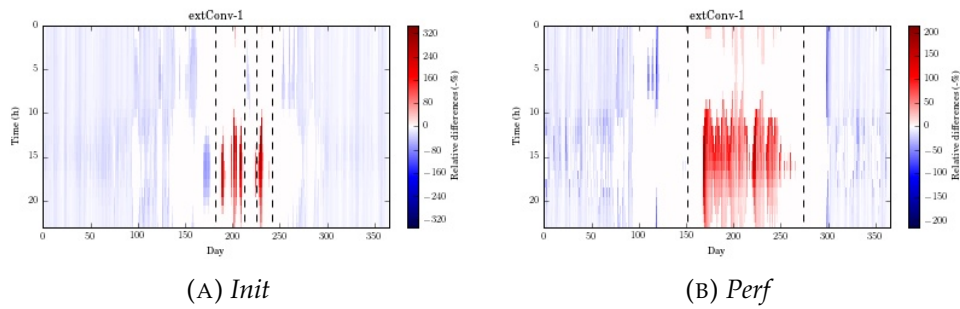


FIGURE C.61: Heatmap representation of the relative differences

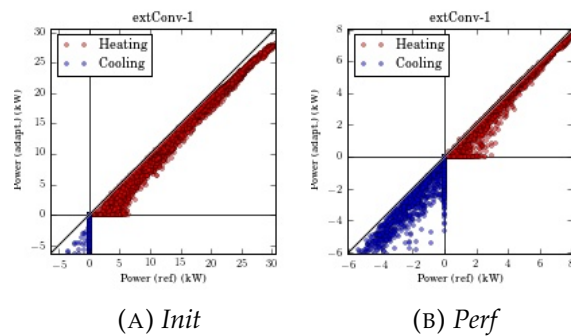


FIGURE C.62: Adapted model results versus reference results

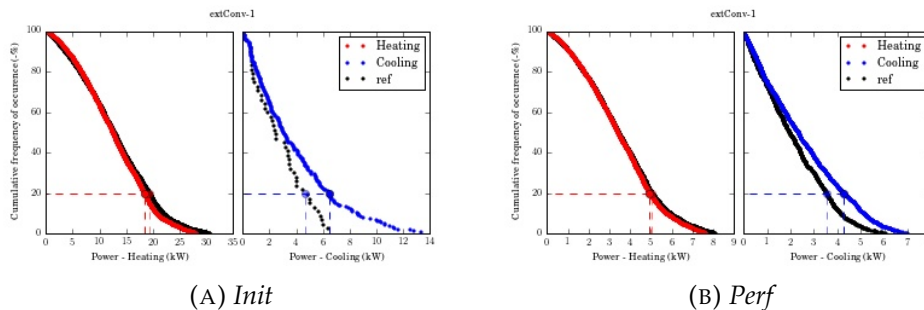


FIGURE C.63: Cumulative frequency of higher occurrences curves



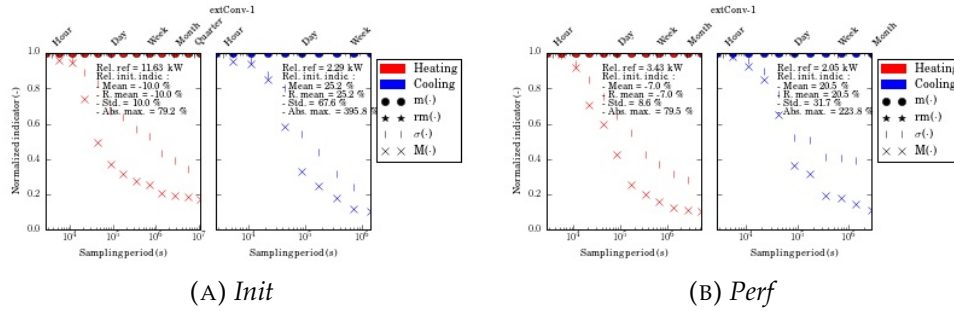


FIGURE C.64: Sampling influence on the indicators

extLW

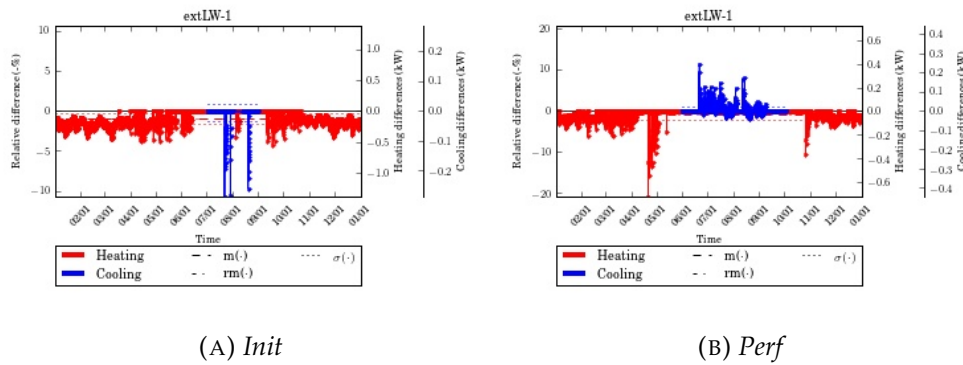


FIGURE C.65: Relative differences temporal evolution

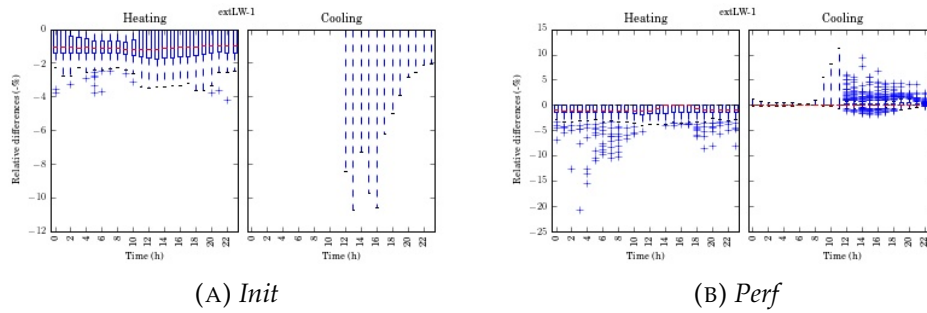


FIGURE C.66: Daily boxplot representation of the differences

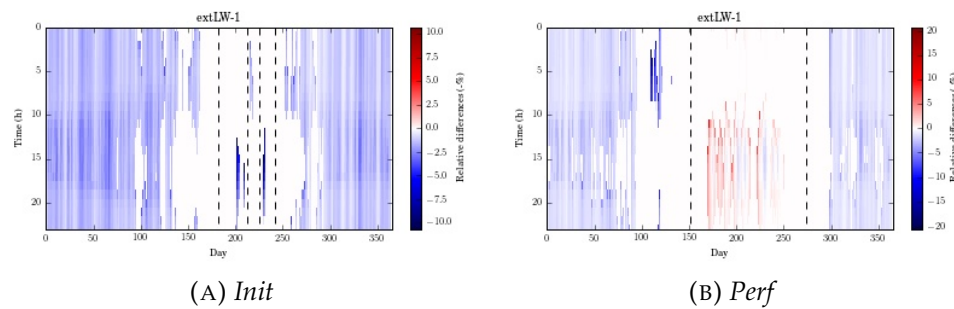


FIGURE C.67: Heatmap representation of the relative differences

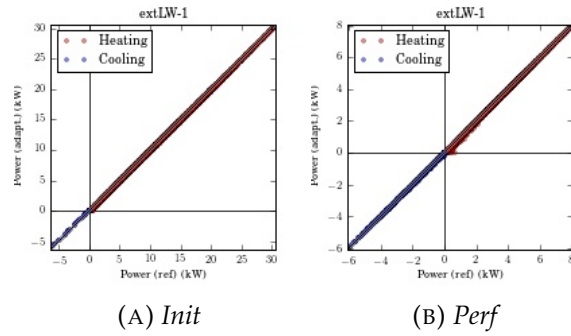


FIGURE C.68: Adapted model results versus reference results

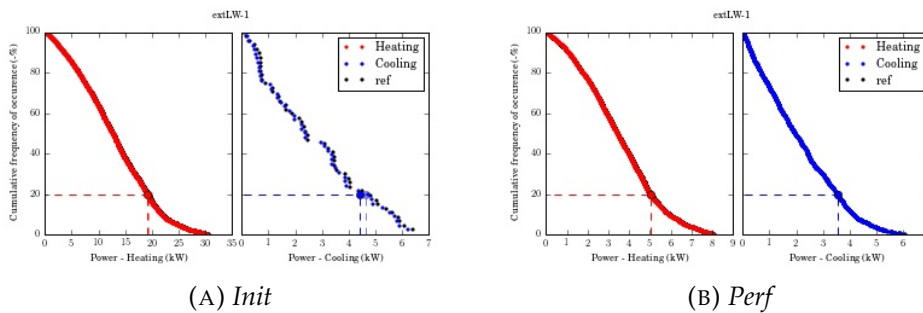


FIGURE C.69: Cumulative frequency of higher occurrences curves

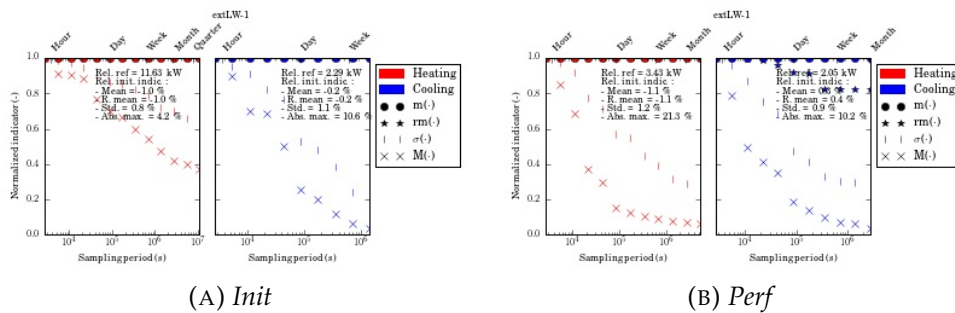


FIGURE C.70: Sampling influence on the indicators

EqEnv

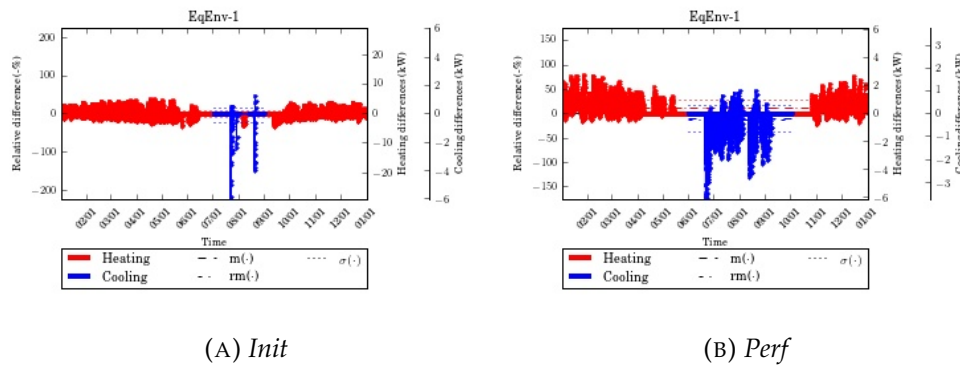


FIGURE C.71: Relative differences temporal evolution



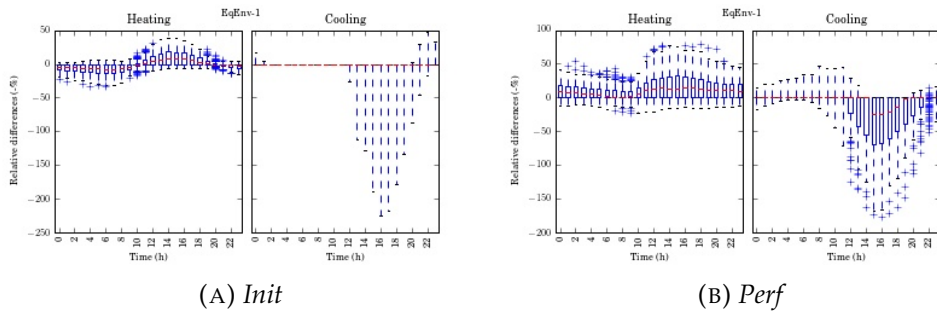


FIGURE C.72: Daily boxplot representation of the differences

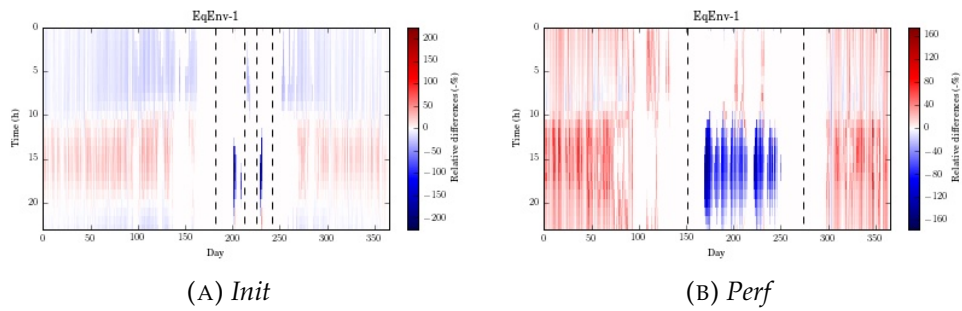


FIGURE C.73: Heatmap representation of the relative differences

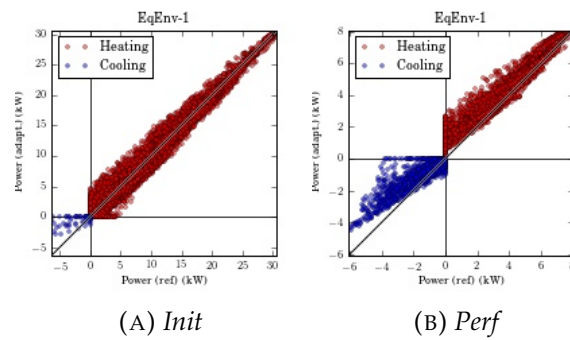


FIGURE C.74: Adapted model results versus reference results

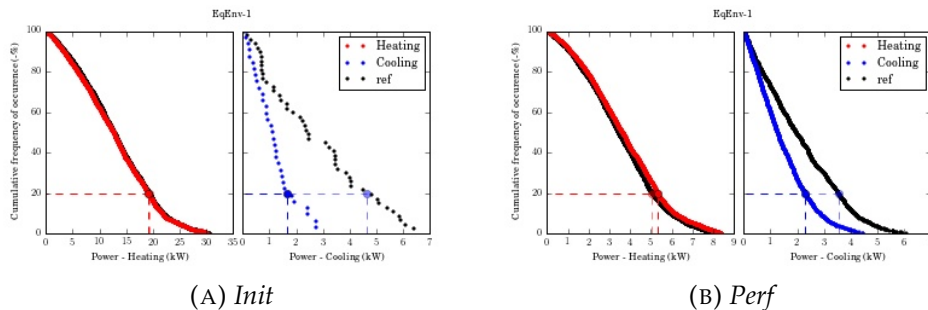


FIGURE C.75: Cumulative frequency of higher occurrences curves

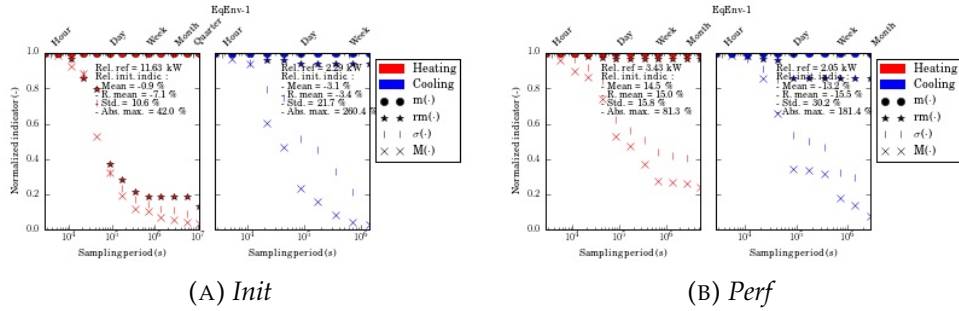


FIGURE C.76: Sampling influence on the indicators

Zoning-lvl

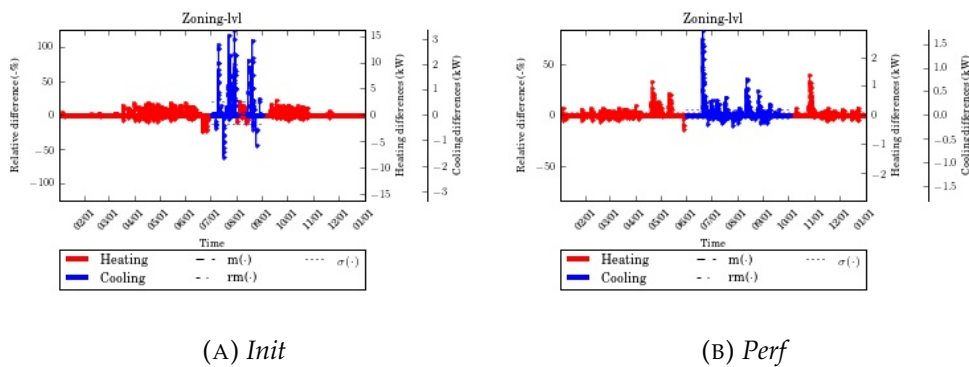


FIGURE C.77: Relative differences temporal evolution

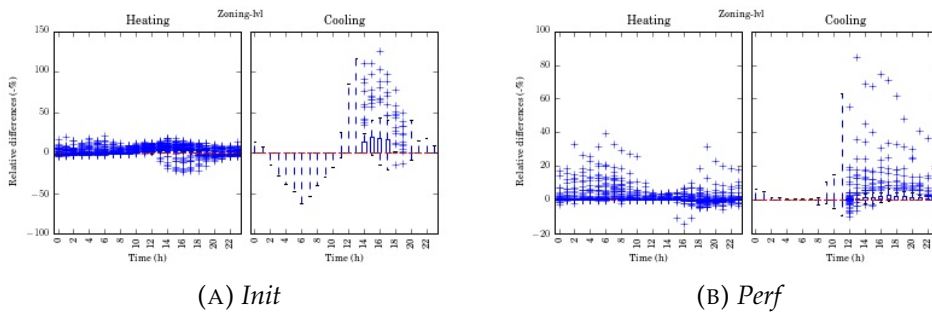


FIGURE C.78: Daily boxplot representation of the differences

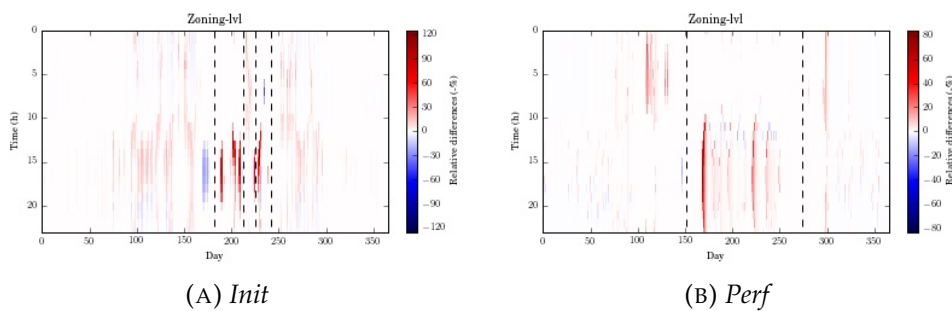


FIGURE C.79: Heatmap representation of the relative differences

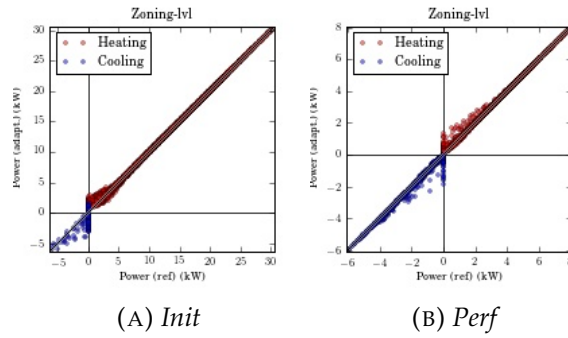


FIGURE C.80: Adapted model results versus reference results

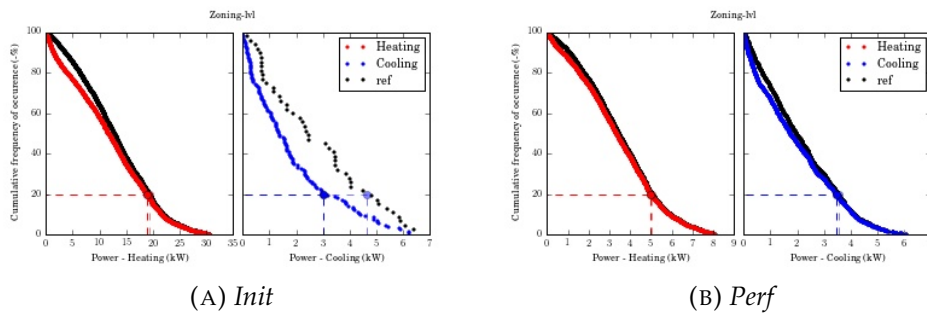


FIGURE C.81: Cumulative frequency of higher occurrences curves

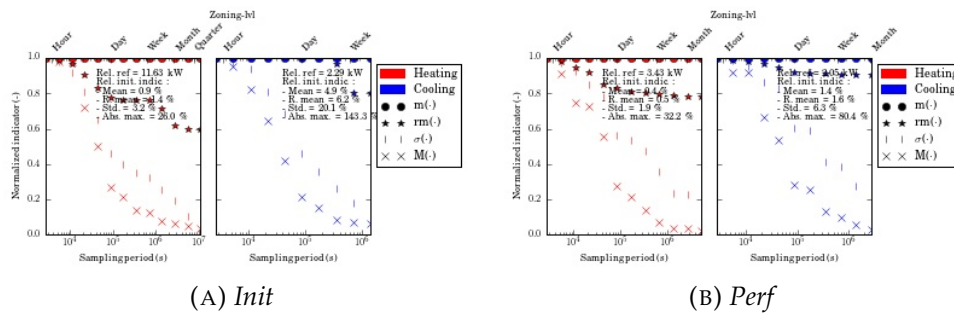


FIGURE C.82: Sampling influence on the indicators

Zoning-ori

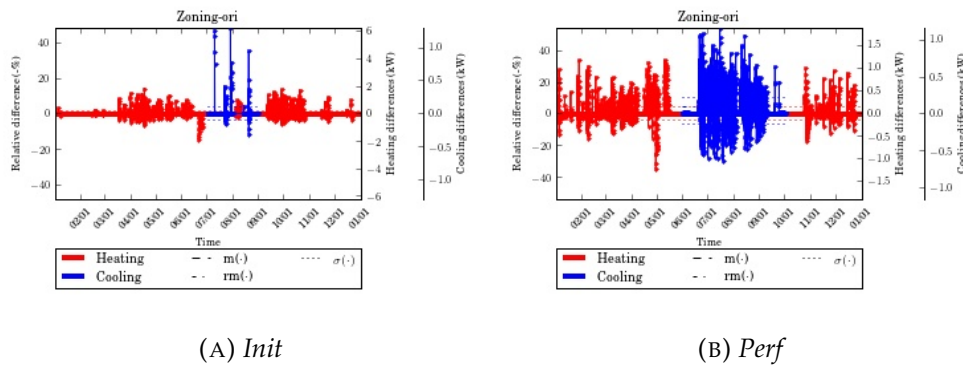


FIGURE C.83: Relative differences temporal evolution

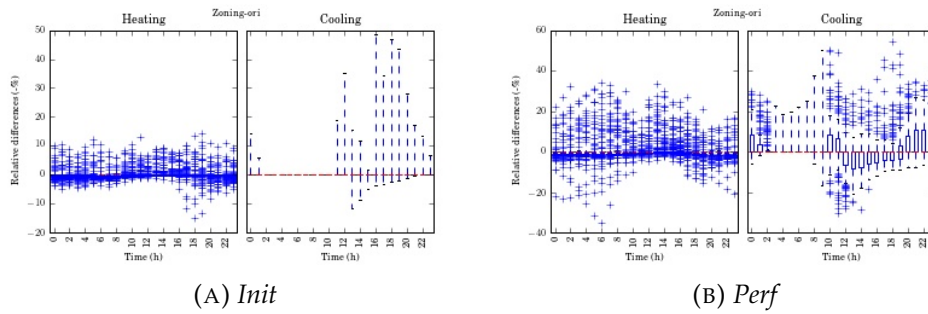


FIGURE C.84: Daily boxplot representation of the differences

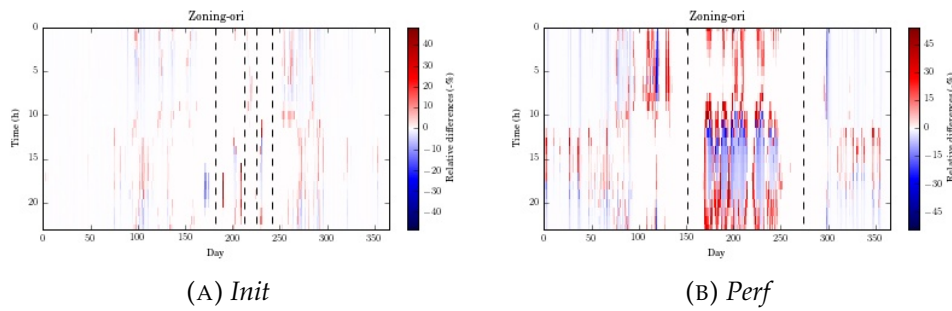


FIGURE C.85: Heatmap representation of the relative differences

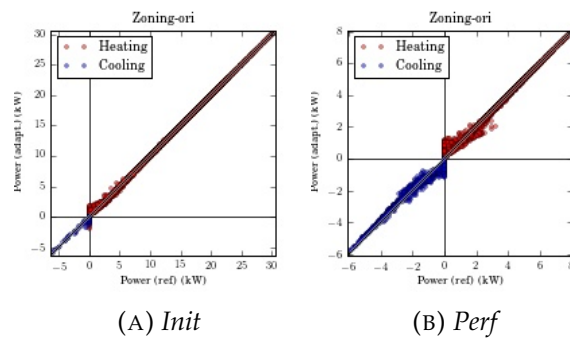


FIGURE C.86: Adapted model results versus reference results

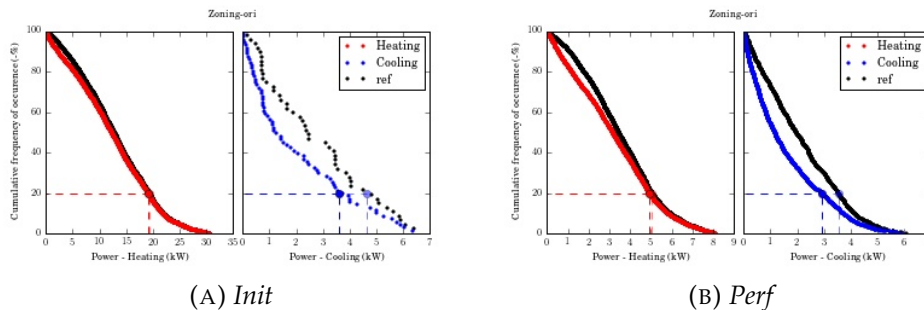
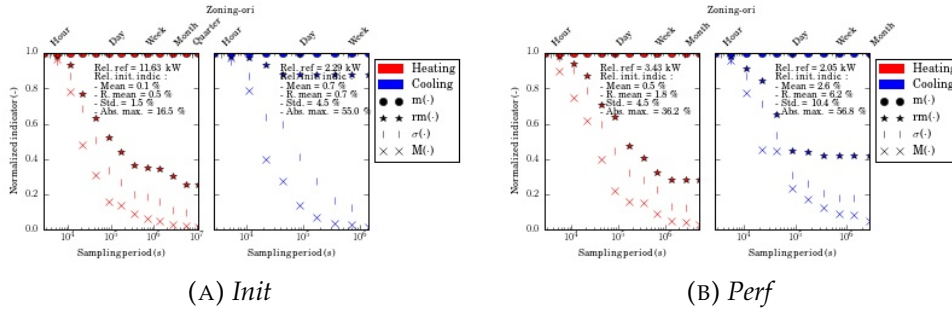
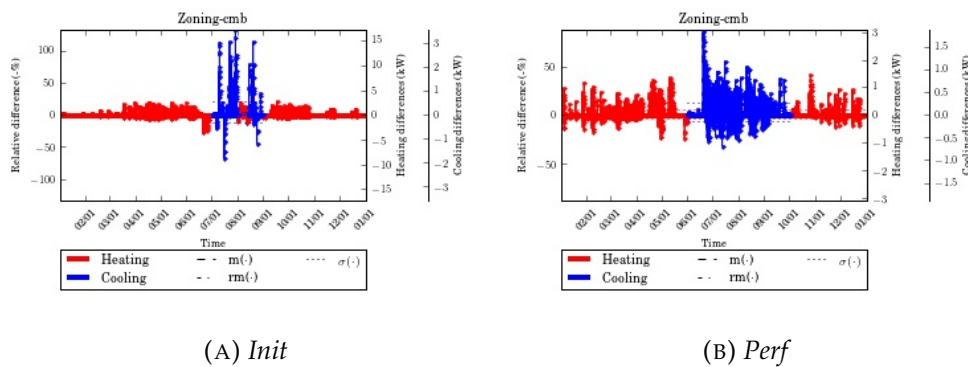


FIGURE C.87: Cumulative frequency of higher occurrences curves

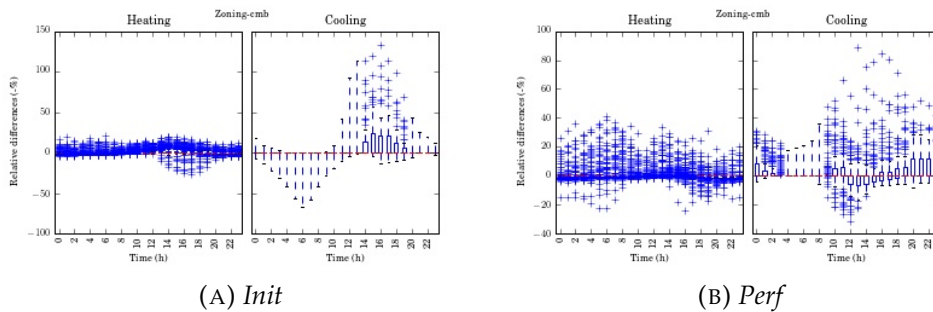


(A) *Init* (B) *Perf*  
 FIGURE C.88: Sampling influence on the indicators

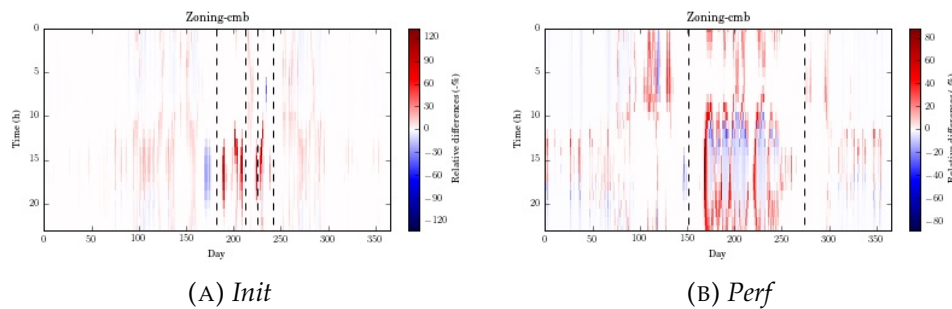
Zoning-cmb



(A) *Init* (B) *Perf*  
 FIGURE C.89: Relative differences temporal evolution



(A) *Init* (B) *Perf*  
 FIGURE C.90: Daily boxplot representation of the differences



(A) *Init* (B) *Perf*  
 FIGURE C.91: Heatmap representation of the relative differences

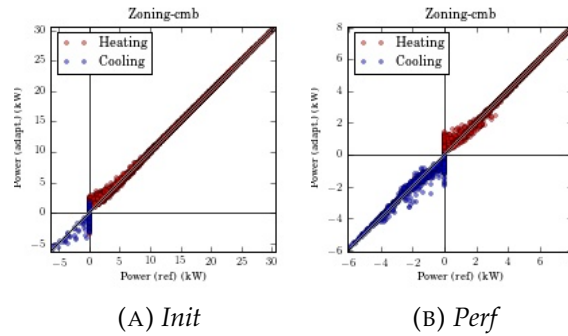


FIGURE C.92: Adapted model results versus reference results

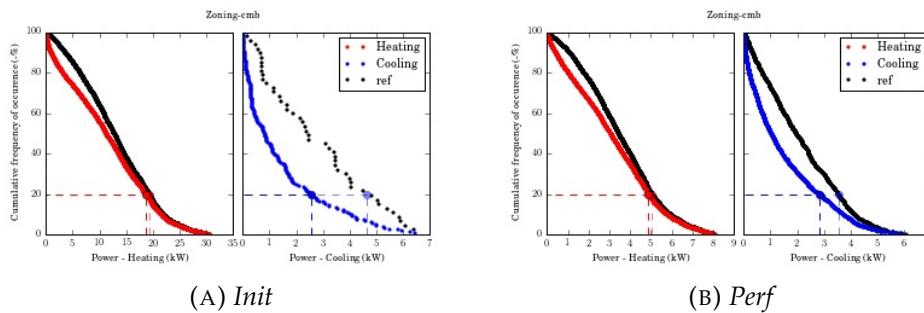


FIGURE C.93: Cumulative frequency of higher occurrences curves

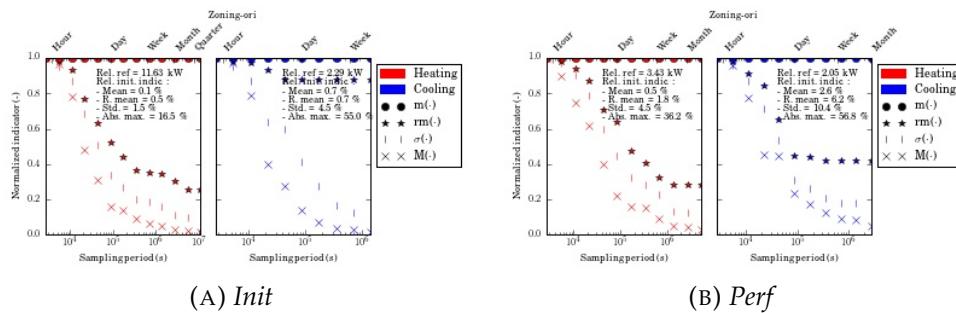


FIGURE C.94: Sampling influence on the indicators



## Solar-0

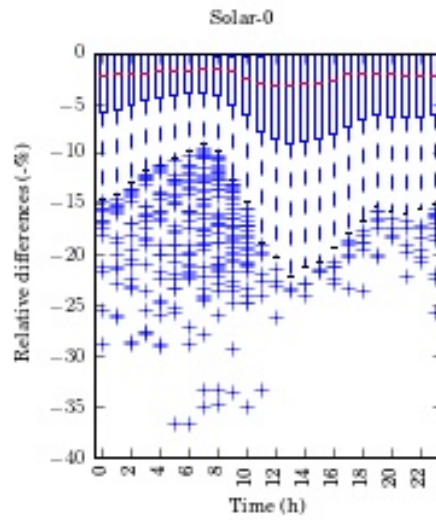


FIGURE C.95: Daily boxplot representation of the differences

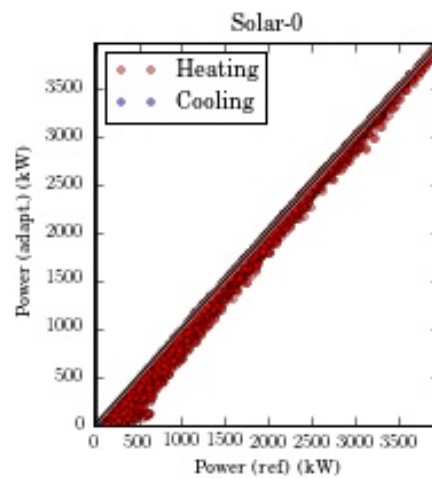


FIGURE C.96: Adapted model results versus reference results

## LWRad-0

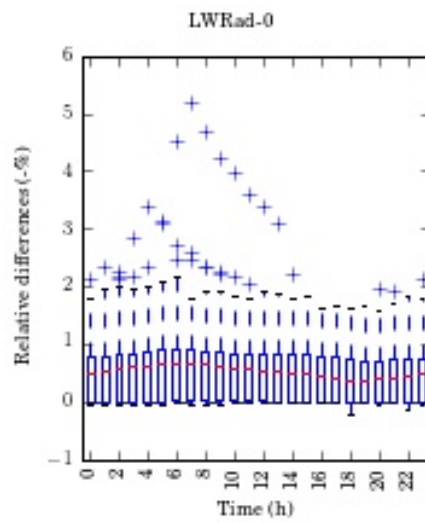


FIGURE C.97: Daily boxplot representation of the differences

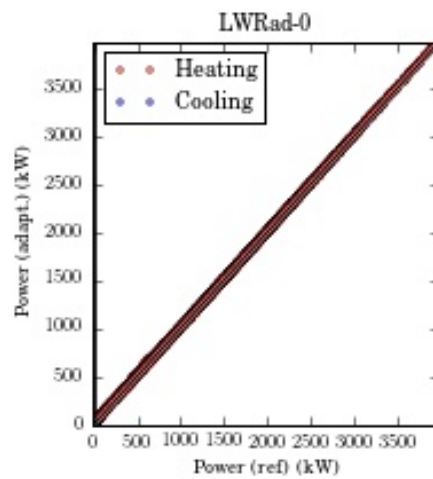


FIGURE C.98: Adapted model results versus reference results



## Adjoin-0

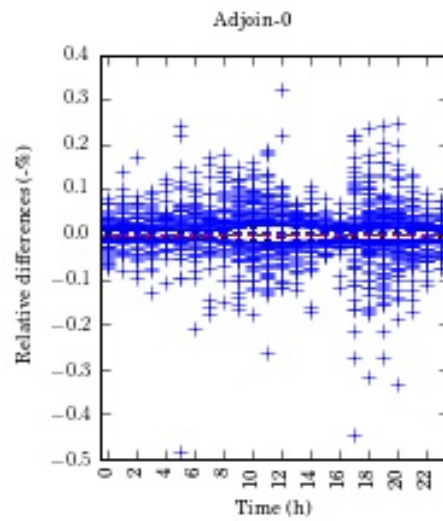


FIGURE C.99: Daily boxplot representation of the differences

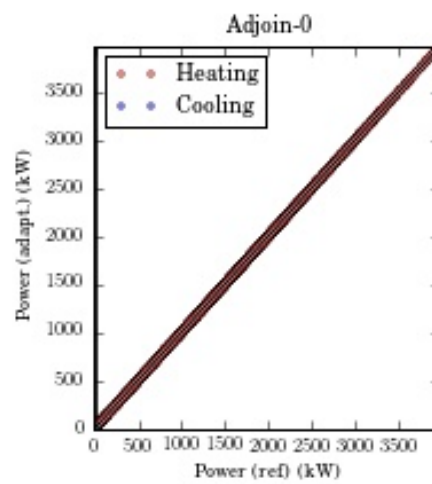
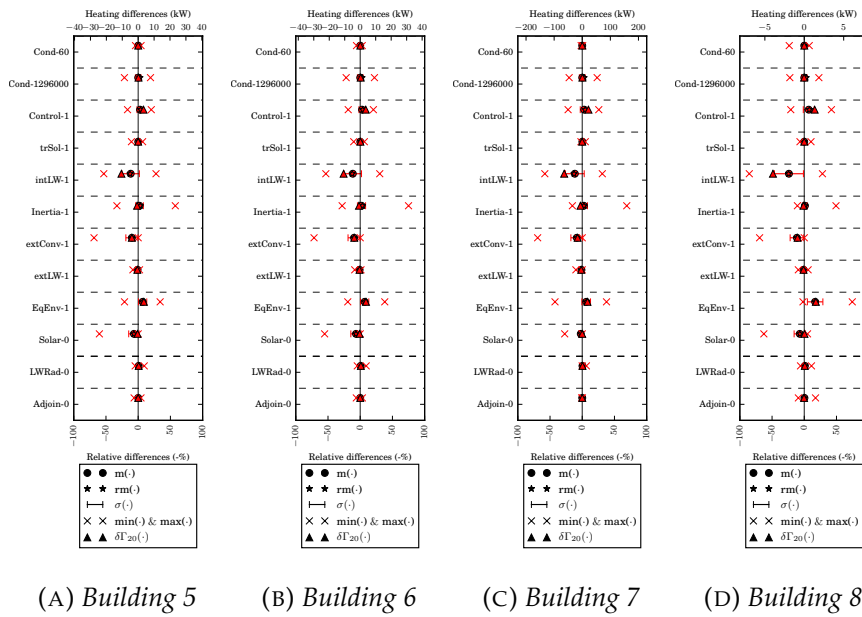
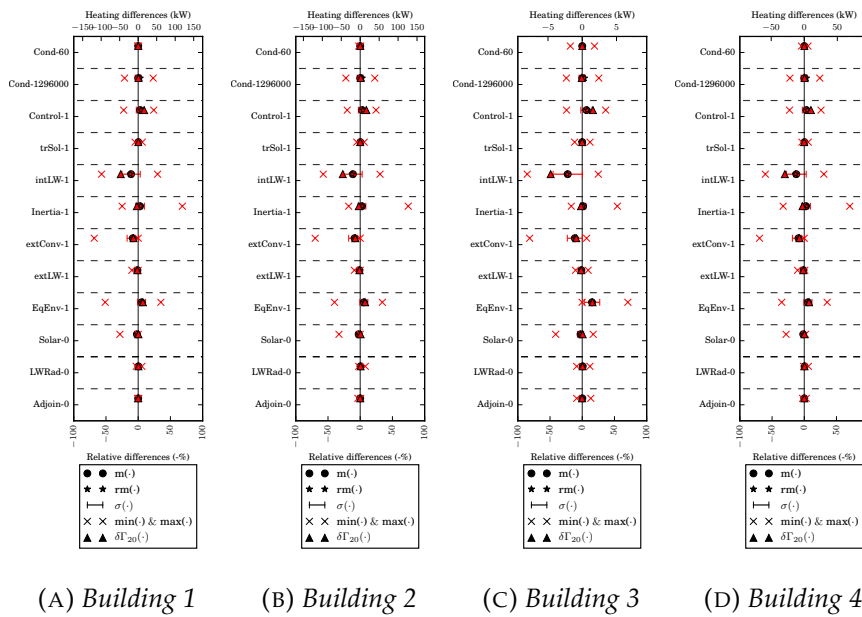
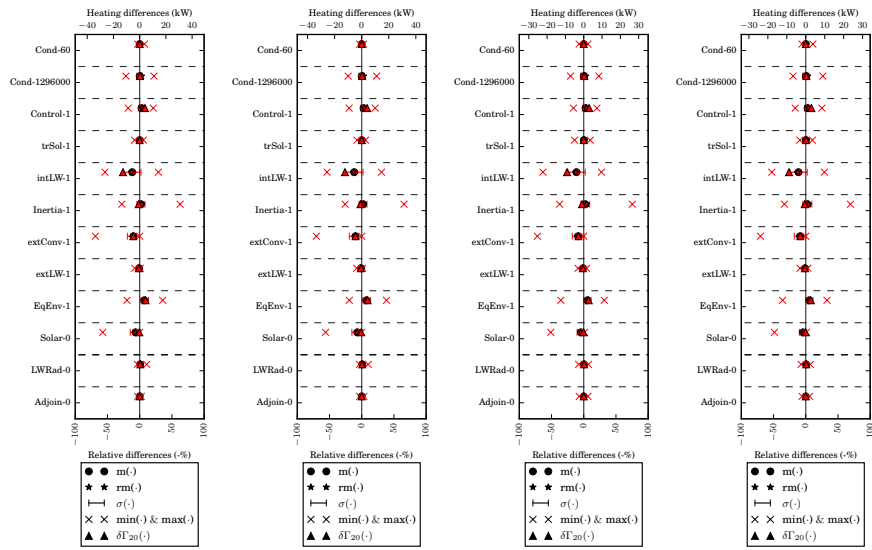


FIGURE C.100: Adapted model results versus reference results

## C.4 Effects for the buildings of the district



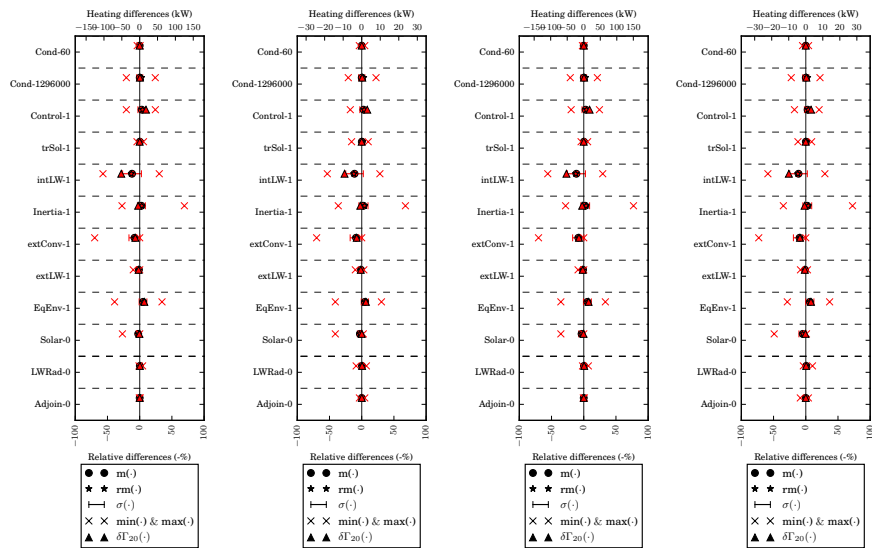


(A) Building 9

(B) Building 10

(C) Building 11

(D) Building 12

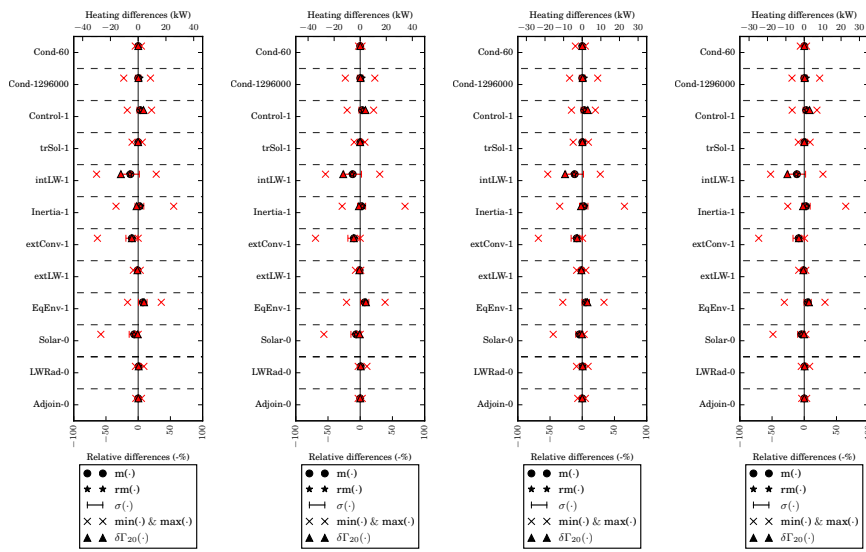


(A) Building 13

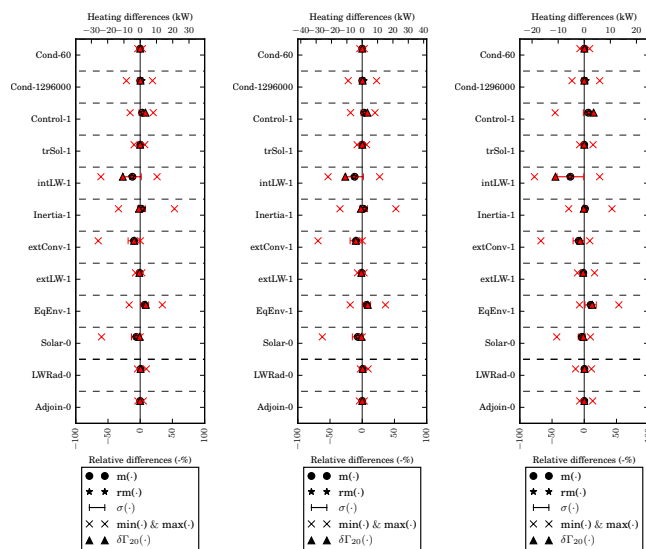
(B) Building 14

(C) Building 15

(D) Building 16



(A) Building 17      (B) Building 18      (C) Building 19      (D) Building 20



(A) Building 21      (B) Building 22      (C) Building 23



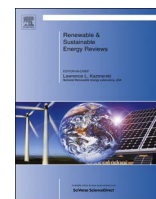
## Appendix D

# Author related articles



Contents lists available at ScienceDirect

## Renewable and Sustainable Energy Reviews

journal homepage: [www.elsevier.com/locate/rser](http://www.elsevier.com/locate/rser)

## Modeling the heating and cooling energy demand of urban buildings at city scale



Loïc Frayssinet<sup>a,b,\*</sup>, Lucie Merlier<sup>a,b</sup>, Frédéric Kuznik<sup>a,b</sup>, Jean-Luc Hubert<sup>a,c</sup>, Maya Milliez<sup>a,c</sup>, Jean-Jacques Roux<sup>a,b</sup>

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### ARTICLE INFO

#### Keywords:

Heating and cooling in buildings  
Power demand prediction  
District  
City

### ABSTRACT

Many computational approaches exist to estimate heating and cooling energy demand of buildings at city scale, but few existing models can explicitly consider every buildings of an urban area, and even less can address hourly -or less- energy demand. However, both aspects are critical for urban energy supply designers. Therefore, this paper gives an overview of city energy simulation models from the point of view of short energy dynamics, and reviews the related modeling techniques, which generally involve detailed approaches. Analysis highlights computational costs of such simulations as key issue to overcome towards reliable microsimulation of the power demand of urban areas. Relevant physical and mathematical simplifications as well as efficient numerical and computational techniques based on uncertainties analysis and error quantification should thus be implemented.

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# On the impact of local microclimate on building performance simulation. Part I: Prediction of building external conditions.

Lucie Merlier<sup>a,1,\*</sup>, Loïc Frayssinet<sup>a,1</sup>, Kévyn Johannes<sup>a,1</sup>, Frédéric Kuznik<sup>a,1</sup>

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<sup>b</sup>*BHEE: High Energy Efficiency Buildings, joint laboratory CETHIL / EDF, France*

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## Abstract

Towards a better prediction of the effective energy performance of buildings in cities, this study addresses the modeling of local external radiative, thermal and aeraulic conditions. After reviewing existing modeling approaches suitable to estimate building boundary conditions for energy simulation, this paper analyses external conditions derived from a building energy model (BuildSysPro) or a microclimatic model (SOLENE microclimat). Comparison is made for the different faces of a generic building standing alone or located in a urban environment, and having a thermally efficient envelope, or not. Results highlight significant deviations on estimated radiative temperatures as well as on wind-based quantities around the isolated building when adjusting the modeling approach. When accounting for surrounding buildings, results show a substantial reduction of shortwave radiative fluxes explained by an imbalance between solar masks and multireflexions, as well

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as of the wind driven ventilation potential.

*Keywords:* Urban micro-climate, Building external conditions, Microclimatic simulation, Building energy simulation.

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## **Highlights**

1. Building external conditions derived from a building energy model and a microclimatic model are compared
2. Differences induced by the modeling approach and built configuration are evaluated
3. Both thermo-radiative and aeraulic environmental variables are addressed
4. Two built configurations / envelope performances / seasons are studied
5. Results can be further applied to the uncertainty quantification of meteorological inputs for building energy simulations

## Nomenclature

$\lambda$	Thermal conductivity [ $\text{W m}^{-1} \text{K}^{-1}$ ]
$\phi$	Short-wave solar radiation flux [ $\text{W m}^{-2}$ ]
$\rho$	Density [ $\text{kg m}^{-3}$ ]
$\theta$	Wind incidence angle [rad]
$c_p$	Specific thermal capacity [ $\text{J kg}^{-1} \text{K}^{-1}$ ]
$C_p$	Pressure coefficient [Pa]
$K_v$	Obstruction factor [-]
$N$	Power law exponent [-]
$e$	Layer thickness [m]
$H$	Building height [m]
$h$	Convective heat transfer coefficient [ $\text{W m}^{-2} \text{K}^{-1}$ ]
$S$	Aspect ratio [-]
$T$	Temperature [K or $^{\circ}\text{C}$ ]
$U$	Wind velocity [ $\text{m s}^{-1}$ ]

## 1 Introduction

2 Urban areas change properties of the atmospheric boundary layer both  
3 thermally and dynamically on different scales, and thus ambient conditions  
4 around buildings. From the smallest to the largest urban atmospheric scales  
5 (about 10 cm, less than one minute time scale, to 10 km and one day), urban  
6 areas having an effect on turbulence, building wakes, thermals, convection,  
7 urban heat island as well as deep convection (Schlünzen et al., 2011; Blocken,  
8 2015). Such effects arise from the particular structure and energy balance of  
9 cities: the 3D geometry, thermo-physical properties of urban materials and  
10 surfaces as well as anthropogenic heat and pollution releases influence phys-  
11 ical exchanges developing in cities, including short and long wave radiation,  
12 thermal storage, evaporation as well as turbulent sensible and latent heat  
13 transfers (Oke, 2002).

14 [Figure 1 about here.]

15 Resulting urban micro-climatic conditions are often characterized by higher  
16 temperatures and reduced mean wind velocities than in the surrounding ru-  
17 ral area. These conditions can substantially alter the energy needs of ur-  
18 ban buildings compared to rural buildings (Santamouris, 2014; Santamouris  
19 et al., 2015) by modifying heat and mass transfers through its envelope. In  
20 particular, as shown in Fig. 1 (Santamouris et al., 2001; Malys et al., 2015):

- 21 • solar exposure / masks and multi-reflections influence solar heating,
- 22 • reduced sky view factor and surrounding warmed-up surface tempera-  
23 tures alter potential radiative cooling,

- 24 • wind / pressure fields and air temperature affect convective heat ex-  
25 changes at building outer walls as well as thermal effects of ventilation  
26 and infiltration.

27 Nonetheless, despite a growing awareness about the specificities of urban  
28 areas (Nunez and Oke, 1977; Oke, 1982; Santamouris et al., 2001; de la Flor  
29 and Domínguez, 2004), building energy simulations commonly use on typical  
30 weather files as meteorological inputs. These weather data are usually de-  
31 rived from airport measurements and may be coarsely modified to account for  
32 some urban effects (Sun et al., 2011, 2014; Goffart, 2016; Roux and Kuznik,  
33 2016). Building energy models also commonly consider general values, sec-  
34 ondary sources, empirical correlations or simplified approaches to estimate  
35 heat and mass transfers at building outer walls, e.g. through convective or  
36 pressure coefficients (Còstola et al., 2009; Mirsadeghi et al., 2013; Penicaud,  
37 2016). Such assumptions can lead to substantial errors, especially when aim-  
38 ing to understand properly the energy behavior of a building in its actual  
39 built environment (Còstola et al., 2009; Mirsadeghi et al., 2013). Such inac-  
40 curacies incite using of appropriate boundary conditions for urban buildings.  
41 However, account for relevant radiative, thermal and aeraulic external condi-  
42 tions for building energy simulation is challenging because of the complexity  
43 of the physical processes developing in cities and buildings. This is even  
44 more true when addressing current problems of peak power loads, renewable  
45 energy intermittency and thermal comfort in highly energy efficient buildings  
46 that involve passive cooling strategies. Because of their different dynamics  
47 and physical couplings, these problems are more complex to study than the  
48 annual energy consumption of standard buildings, for which building energy

49 simulation tools were primarily developed (Clarke, 2007)

50       Towards more integrated building energy simulations, external conditions  
51 could be evaluated based on on-site measurements, reduced scale models or  
52 numerical simulations (Moonen et al., 2012). Each of these techniques has ad-  
53 vantages and drawbacks, but computational approaches appear particularly  
54 suited to generally study building external conditions. Indeed, although such  
55 an approach necessarily involves some physical, mathematical and numerical  
56 assumptions, this technique is free from similarity constraints, allows bound-  
57 ary condition to be controlled, whole flow field data to be estimated, and  
58 parametric studies to be performed on virtual configurations. Hence, com-  
59 putational approaches are valuable to evaluate specific external radiative,  
60 thermal and aeraulic conditions and, further, their effects on the dynamic  
61 energy behavior of buildings. Taking advantage of this technique, microcli-  
62 matic numerical studies generally identify urban effects on short and long  
63 wave radiation fluxes as well as convective heat transfers as influential on the  
64 energy behavior of urban buildings (Bouyer et al., 2011; Yang et al., 2012;  
65 Allegrini et al., 2012; Malys et al., 2015). Increased air temperatures are also  
66 shown influential on the energy behavior of urban buildings through natural  
67 ventilation / infiltration (Allegrini et al., 2013; Yang et al., 2012), especially  
68 during summer. However, to the best knowledge of the authors, almost only  
69 dedicated studies addressed consequences of local wind features on building  
70 energy needs due to aeraulic transfers (Ghiaus et al., 2006; Jokisalo et al.,  
71 2009; Ramponi et al., 2014). When addressing this aspect, such studies gen-  
72 erally highlight a substantial decrease of the building ventilation potential  
73 due to the surrounding built structures. Therefore, consequences of local

74 wind alteration by surrounding constructions on the aeraulic-induced ther-  
75 mal loads should be considered along with the other radiative an thermal  
76 contributions.

77 Hence, towards the uncertainty quantification of meteorological inputs  
78 and radiative, thermal and aeraulic boundary conditions for building energy  
79 simulation as initiated in Sun et al. (2011), the objective of the present study  
80 is twofold. First, it aims to discuss limitation of usual building energy mod-  
81 els to integrate accurately external conditions in energy simulation. For this  
82 purpose, external conditions around a building standing alone obtained using  
83 two modeling approaches are compared. The first set of external conditions  
84 is based on possible inputs of a building energy model, and the second set  
85 of external conditions is derived from an explicit microclimatic simulation  
86 of the building environment. Second, it aims at quantifying the modifica-  
87 tion of building external conditions induced by an urban environment. For  
88 this purpose, a third set of external conditions is derived from an explicit  
89 microclimatic simulation of a generic neighborhood around the building of  
90 interest. Given current challenges linked with building refurbishment in most  
91 of European countries, an old and a recent buildings are considered.

92 Five parts compose the present paper. First, Sec. 1 gives an overview  
93 of existing urban climate modeling approaches usable for building energy  
94 studies. On this basis, Sec. 2 and 3 present the test cases as well as the  
95 developed modeling approaches. Then, Sec. 4 compares the different building  
96 external conditions derived from the different modeling approaches and built  
97 configurations. Finally, Sec. 5 discuss the main results of the study and open  
98 perspectives. A second part of this article further addresses the influence of

99 building boundary conditions on its energy behavior (Merlier et al., 2018b).

## 100 **1. Overview of climatic modelings used to upgrade energy simula-** 101 **tions of urban buildings**

102 Given current sustainable urban development issues, different physically-  
103 based computational models were developed during the last decade to charac-  
104 terize urban microclimates and their effects on the energy behavior of build-  
105 ings. From the largest to the smallest scales, they are urban canopy mod-  
106 els, city energy models, zonal models, microclimatic models and extended  
107 building energy models. These different approaches were basically developed  
108 following different objectives such as estimating the energy balance of urban  
109 areas for mesoscale meteorological models or providing detailed boundary  
110 conditions for a specific urban building (Musy et al., 2012; Bozonnet et al.,  
111 2015; Musy and Bozonnet, 2016). Therefore, these approaches involve dif-  
112 ferent spatial resolutions and modeling assumptions.

113 Urban canopy models are relatively large scale models, in which the urban  
114 geometry is generally not explicitly modeled. Representative values of mor-  
115 phometric properties as well as other urban features are used to evaluate the  
116 energy balance of an urban area. Models such as Town Energy Balance (Mas-  
117 son, 2000; Lemonsu et al., 2004) often rely on the equivalent street canyon  
118 assumption. They differentiate roofs, walls and roads to compute different  
119 thermal exchanges, and derive inner canopy wind profiles from correlations.  
120 Coupled with a mesoscale model or forced with measurements data or usual  
121 weather files, urban canopy models may provide typical local heat island ef-  
122 fect and long wave radiative exchanges between urban surfaces. Results can

123 be further used to assess their typical influence on the energy behavior of  
124 urban buildings (Sun and Augenbroe, 2014; Pigeon et al., 2014). Using such  
125 an approach together with a simplified boundary layer model, (spatialized)  
126 urban weather generators (Bueno et al., 2013; Le Bras and Masson, 2015)  
127 are also able to provide inner canopy temperatures, which may be used as  
128 boundary conditions for building energy simulations (Masson et al., 2014).

129 City energy models such as CitySim (Robinson et al., 2009) enable urban  
130 built structures to be explicitly represented. They are not primarily devoted  
131 to the study of urban microclimates. They often model urban microclimatic  
132 effects only considering radiative exchanges to adapt building conditions for  
133 energy simulation (Allegrini et al., 2015; Frayssinet et al., 2017).

134 On smaller scales, zonal approaches mainly apply for air flows on the  
135 street canyon scale and can involve different levels of complexity in the  
136 thermo-radiative modeling (de la Flor and Domínguez, 2004; Bozonnet, 2006).  
137 Their spatial resolution and physical bases enable local microclimatic condi-  
138 tions, including some wind-related effects, to be modeled without requiring  
139 high computational costs. Integrated boundary conditions can thus be rather  
140 rapidly estimated for the energy simulation of urban buildings. Furthermore,  
141 although such models initially addressed typical street canyon configurations,  
142 the recently developed model EnviBatE (Gros et al., 2016) can handle re-  
143 alistic urban configurations and can estimate yearly energy consumption of  
144 urban buildings.

145 Even more detailed, microclimatic models such as SOLENE microclimat  
146 (Musy et al., 2015), ENVImet (Bruse, 2004) or Coupled\_Simulation (Chen  
147 et al., 2004) enable the geometry of a neighborhood to be explicitly repre-



148 sented and properties of each elementary surface to be differentiated. Such  
149 models rely on a coupling between a thermo-radiative and computational  
150 fluid dynamics (CFD, generally with a Reynolds Averaged Navier–Stokes  
151 (RANS) turbulence closure) codes. They can compute surface and air tem-  
152 peratures as well as air flows theoretically down to a meter characteristic  
153 length scale or less. Therefore, using an internal or external coupling with a  
154 detailed building energy model, it is possible to analyze effects of very local  
155 urban conditions, including short and long wave radiations, convective heat  
156 transfers and air temperatures, on the energy behavior of specific buildings  
157 (Bouyer et al., 2011; Malys et al., 2015; Yang et al., 2012; Chen et al., 2004).

158 Finally, typical meteorological inputs and boundary conditions of usual  
159 building energy models may also be adjusted using preliminary CFD studies  
160 and adapted modeling (Allegrini et al., 2013; Yi and Feng, 2013). It is also  
161 possible to use or implement specific sub-models in the general building en-  
162 ergy model to perform more integrated energy simulations of urban buildings  
163 (as in BuildSysPro (2018) and EnergyPlus (2018) for instance).

164 Hence, the different modeling approaches reviewed above may provide  
165 more or less specific external conditions to be used in the energy modeling  
166 of a given building. Being the most specific and detailed, the last two cited  
167 approaches are the most suited to further assess and understand the effective  
168 dynamic behavior of an urban building in its actual environment. Therefore,  
169 this study discusses the ability of a currently available building energy and  
170 microclimatic tools, namely BuildSysPro and SOLENE-microclimat, to pro-  
171 vide appropriate external radiative, thermal and aeraulic conditions for the  
172 energy simulation of urban buildings.

## 173 2. Case study

### 174 2.1. Test cases

175 As a basic study, this work deals with generic, yet representative, built  
176 configurations (Toparlar et al., 2017; Merlier et al., 2018c). More specifically,  
177 this study focuses on an isolated  $H = 10$  m high cubic located on a mineral  
178  $100 \times 100 \text{ m}^2$  area and oriented according to the four cardinal directions in  
179 order to facilitate a face by face analysis of external conditions. To represent  
180 an isolated or an urban configuration, the building is assumed standing alone  
181 or located in a  $4 \times 4$  regular array of similar buildings (Fig. 2).

182 [Figure 2 about here.]

183 Although the array-type urban pattern does not correspond to usual  
184 building arrangements found for multi-family houses built before 1915 in  
185 France, this building typology is the most represented type of the collective  
186 residential building in France (Rochard et al., 2015). Therefore, basic ther-  
187 mal properties of this building typology were chosen to specify the envelope  
188 properties of the modeled buildings. As shown on Tab. 1, corresponding con-  
189 structions were initially massive, made of stone or brick and did not benefit of  
190 thermal insulation nor exterior cladding -*Initial* state. These buildings could  
191 have been renovated, thus substantially increasing their thermal performance  
192 -*Renovated* state. According to Rochard et al. (2015), the improvement of  
193 insulation, air tightness and ventilation system efficiency induced a typical  
194 decrease of heating needs of 61 %. Their facade glazing ratio equals 23 %.

195 *2.2. Geographical and meteorological context*

196 This study focuses on the climate of Lyon, France (latitude: 45.75° North,  
197 longitude: 4.75° East). It is temperate, but semi-continental, i.e. character-  
198 ized with relatively hot summer days and cold winter days. Two specific  
199 days are more particularly considered to address both seasons: the 09 July  
200 and the 06 November.<sup>1</sup>

201 [Figure 3 about here.]

202 Based on the Meteonorm weather files for Lyon Satolas, the mean tem-  
203 peratures of the selected days are 23.5°C and 4.4°C (Fig. 3). With respect  
204 to the mean monthly air temperature, the mean temperatures of the selected  
205 days are close to the lowest maximal normal summer air temperature and  
206 highest minimal normal winter air temperature recorded over the 1981-2010  
207 period for this location (Météo France, 2017). Representative heating and  
208 cooling needs can thus be analyzed. The slight exceeding of these reference  
209 temperatures, by 0.8 and 0.6°C respectively in summer and winter, might be  
210 further conceived as resulting from an urban heat island effect. Nonethe-  
211 less, the temperature distribution over the day should be analyzed for this  
212 interpretation to be effectively founded. With an averaged wind velocity of  
213 about 4 m s<sup>-1</sup>, the selected days are also relatively windy days, so that maxi-  
214 mum convective effect and wind driven ventilation potential could be further  
215 analyzed.

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<sup>1</sup>Although this winter day is not really a representative winter day, it is selected because of its particular air temperature and wind speed conditions, while being relatively close to the winter solstice, thus showing low sun height and short day length.

### 216 3. Modeling approach

217 To study the ability of currently available tools to model building external  
218 conditions and the effect of urban environments on them, this study develops  
219 two modeling approaches:

- 220 • estimating building external conditions using possibilities of a building  
221 energy model built using BuildSysPro - *Default* approach;
- 222 • deriving building external conditions from a microclimatic simulation  
223 performed using SOLENE-microclimat - *Microclimatic* approach - for  
224 an isolated building located on a mineral ground - *Isolated* configura-  
225 tion - or a building located in a theoretical urban environment - *Array*  
226 configuration.

#### 227 3.1. Default approach

228 BuildSysPro is a 0D / 1D building energy Modelica library developed by  
229 EDF R&D (Plessis et al., 2014; Schumann et al., 2016). This library is  
230 suited to study the energy behavior of French buildings using modular and  
231 detailed dynamic models. The performance of BuildSysPro was verified by  
232 different validation studies (Bontemps et al., 2013, 2016), especially regarding  
233 thermally efficient buildings.

234 In the present study, the 10 m high cubic building was modeled isolated as  
235 guidelines to adjust building external conditions to model an urban building  
236 are generally lacking. This means that no solar mask was modeled and the  
237 meteorological wind speed was processed as follows:

$$U_H = K_v \times U_{meteo,z=10m} \times \left(\frac{H}{10}\right)^N \quad (1)$$

238 with  $K_v = 0.68$  the obstruction factor,  $N = 0.17$  the power law exponent,  
 239  $U_H$  the wind speed at building height  $H$ , and  $U_{meteo,z=10m}$  the meteorological  
 240 wind speed, assumed measured at 10 m high.

241 As shown on Fig. 5, the direct and atmospheric diffuse short wave radiation  
 242 fluxes which were taken from SOLENE-microclimat simulations (see Sec. 3.2)  
 243 for sake of comparability. Other meteorological quantities were taken from  
 244 the weather file. On this basis, a relatively detailed approach given usual  
 245 abilities of building energy models was implemented in BuildSysPro to assess  
 246 building external conditions at the different building outer walls. In the  
 247 following the subscript '*face*' refers to this differentiation.

248 More specifically, the different inputs were processed using sub-models to  
 249 estimate the (i) short wave radiation fluxes reflected by the environment, (ii)  
 250 environmental radiant temperature, (iii) convective heat transfers coefficient  
 251 (CHTC) as well as (iv) pressure coefficient ( $C_p$ ), as follows:

- 252 • (i) The part of the short wave radiation flux received by the ground  
 253 ( $\phi_{\rightarrow ground}$ , Eq. 2) that is reflected towards vertical surfaces ( $\phi_{refl.ground\rightarrow face}$ )  
 254 was estimated following Eq. 3 thanks to the view factor reciprocal re-  
 255 lation (Eq. 3):

$$\phi_{\rightarrow ground} = \phi_{SW,dir,horiz.} + \phi_{SW,diff.atm.,horiz.} \quad (2)$$

$$\phi_{refl.ground\rightarrow face} = \rho_{ground} \times F_{ground,face} \times \phi_{\rightarrow ground} \quad (3)$$

257 with  $\phi_{SW,dir,horiz.}$  and  $\phi_{SW,diff.atm.,horiz.}$  the direct and diffuse short-  
 258 wave solar fluxes received by a horizontal plane,  $\rho_{ground} = 0.15$  the  
 259 ground albedo and  $F_{ground,face}$  the view factor of the ground from the

260 wall approximated by 0.5 for vertical walls<sup>2</sup> and 0 for the roof.

- 261 • (ii) An environmental radiant temperature ( $T_{rad,env}$ ) was estimated  
262 based on the Stefan-Boltzmann's law (Eq. 4):

$$T_{rad,env} = \sqrt[4]{F_{sky,face} \times T_{sky}^4 + (1 - F_{sky,face}) \times T_{air}^4} \quad (4)$$

263 with  $T_{sky}$  the sky temperature, available in the weather file, and  
264  $F_{sky,face}$  the sky view factor, assumed equal to 0.5 and 1 respectively  
265 for the vertical walls and roof.

- 266 • (iii) The correlation function of the local wind speed suggested in the  
267 French thermal regulation (CSTB, 2012) was used to estimate CHTC  
268 (Eq. 5):

$$CHTC_{face} = 4 + 4 \times U_{H,face} \quad (5)$$

269 with  $U_{H,face}$  the local wind speed projected according to the faces ori-  
270 entation. Note that as an azimuth should be specified for the building  
271 roof, which is actually horizontal, an East orientation was set.

- 272 • (iv) Finally,  $C_p$  at building outer walls were estimated using the Swami  
273 and Chandra formula (BuildSysPro, 2018) as follows:

$$Cp_{face} = \left[ C_0 \times \ln \left( 1.248 - 0.703 \times \sin\left(\frac{\theta}{2}\right) \right. \right. \\ \left. \left. - 1.175 \times \sin^2(\theta) + 0.131 \times \sin^3(2 \times \theta \cdot S) + 0.769 \times \left(\frac{\theta}{2}\right) \right. \right. \\ \left. \left. + 0.07 \times S^2 \times \sin^2\left(\frac{\theta}{2}\right) + 0.717 \times \cos^2\left(\frac{\theta}{2}\right) \right) \right] \quad (6)$$

---

<sup>2</sup>View factor of an infinite horizontal ground view from a vertical surface infinitely wide.

274 with  $\theta$  the face orientation in relation to the prevailing wind incidence,  
275  $S$  the face aspect ratio,  $C_0$  the averaged pressure coefficient for wind  
276 orthogonal to the surface, assumed equal to 0.6, and  $S = 1$  in case of  
277 a cubic buildings.

278 Simulations were run using the Dymola environment for the 6th November  
279 and the 9 July in order to record the related external conditions.

### 280 3.2. Microclimatic approach

281 SOLENE-microclimat is a software suite developed by the CRENAU,  
282 Nantes, France (Musy et al., 2015; Morille et al., 2015; Malys et al., 2015).  
283 This tool relies on an external coupling between the improved thermo-radiative  
284 code SOLENE and the CFD code Code\_Saturne as shown in the upper part  
285 of Fig. 4. More precisely, SOLENE relies on the radiosity algorithm and an  
286 iterative process is embedded to compute surface temperatures. An iterative  
287 process also underlies the coupled steady state RANS  $k - \varepsilon$  CFD simulations.

288 In this study, extending best practice guidelines (Franke, 2006; Tomi-  
289 naga et al., 2008) to account for different wind orientations, computational  
290 domains were enlarged by 15H in the four cardinal directions and 5H in  
291 height, leading to  $310 \times 310 \times 60 \text{ m}^3$  and  $370 \times 370 \times 60 \text{ m}^3$  large computa-  
292 tional domains respectively for the isolated and array configurations. With a  
293 mesh dimensioning of 1 m on the building edges and 3 m on the edges of the  
294 mineral surface as well as a global mesh size factor of 0.2, the total number  
295 of 3D cells reaches  $95 \times 10^3$  and that of facets reaches  $6 \times 10^3$  for the isolated  
296 configuration. With the same settings but the dimensioning of the mineral  
297 surface edges set to 1.5 m because of its proximity to buildings, the total

298 number of 3D cells reaches  $289 \times 10^3$  and facets reaches  $637 \times 10^3$  for the  
299 array configuration.

300 With the exception of short wave direct and diffuse atmospheric fluxes,  
301 which are computed by SOLENE, input meteorological conditions were based  
302 on the Meteonorm weather file of Lyon. By default in the general model, the  
303 sky is assumed clear, the inlet wind profile follows a 0.3 power law, and no  
304 buoyancy nor roughness effect is accounted for. All buildings were similarly  
305 modeled using a simple global exchange coefficient for the envelope and an  
306 indoor temperature equal to  $26^\circ\text{C}$  in summer and  $18^\circ\text{C}$  in winter. As no  
307 windows were differentiated from walls, the global exchange coefficient was  
308 estimated based on equivalent wall properties resulting from an averaging of  
309 opaque and glazed surfaces. Tab. 1 synthesizes the equivalent envelope and  
310 mineral surface properties set in the model. Note that as no transmittance  
311 value could be relevantly assigned to walls and albedos were fixed depending  
312 on surfaces properties, absorbed heat by building surfaces may be overesti-  
313 mated.

314 [Table 1 about here.]

315 [Figure 4 about here.]

316 Eight simulations were run considering the two seasons, building states  
317 and built configurations. Simulations were run for two days in summer and  
318 in winter, because of the involved computational cost,<sup>3</sup>. The first days served  
319 as numerical initialization of the model.

---

<sup>3</sup>At each hourly time step, 2000 iterations of Code\_Saturne were run for convergence,



320 To compose the set of building external conditions, direct, atmospheric  
321 and reflected diffuse short wave radiative fluxes, local air and environmen-  
322 tal radiant temperatures, CHTC and relative pressure next to building faces  
323 were recorded at each time step. Surface or first cell quantities were then av-  
324 eraged by face. Radiative quantities were also interpolated in time to match  
325 BuildSysPro time steps (bottom part of Fig. 4). As such, similar types of  
326 building external conditions were derived from the default and microclimatic  
327 approaches (Fig. 5).

328 [Figure 5 about here.]

#### 329 4. Results analysis

330 To highlight the differences of external conditions induced by the model-  
331 ing approaches and built environments, Fig. 6 and 7 compare face by face the  
332 (a, b, c) received direct, diffuse and reflected short wave radiative fluxes, (d,  
333 e, g, h) environmental radiant and air temperatures, as well as (f) CHTC and  
334 (i) pressure values derived from the different simulations. Tab. 2 indicates  
335 the corresponding spatially (over the different faces) and temporally (over  
336 the day) averaged values. Note that only the estimated air and radiant tem-  
337 peratures are differentiated depending on the state of the building envelope  
338 as other variables are independent from it. Tab. 2 also precises the normal-

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which was checked based on the normalized residuals. Considering simulation initializa-  
tion, more than  $96 \times 10^3$  iterations were thus run for each simulation. A 40 cores computer  
with 62 GB of RAM was used.

339 ized ventilation potential resulting from the mass balance of the building due  
340 to pressure differences.

341 [Figure 6 about here.]

342 [Figure 7 about here.]

343 [Table 2 about here.]

#### 344 *4.1. Effects of the modeling approach - stand alone building*

345 *Short-wave radiation fluxes.* Deviations due to the modeling approach are  
346 only observed for the reflected fluxes received on vertical walls as other so-  
347 lar fluxes are directly derived from the SOLENE-microclimat simulations in  
348 both approaches. Both in summer and winter, the reflected flux on the dif-  
349 ferent building faces is about two times lower according to the microclimatic  
350 approach than according to the default approach. This can be explained  
351 by the limited extent of the mineral ground assumed in the microclimatic  
352 model. Furthermore, as the building is not centered on the ground in the  
353 microclimatic approach, the reflected flux slightly differs depending on wall  
354 orientation.

355 On average, the microclimatic approach induces a reduction of the total  
356 received solar flux by 4 % and 6 % respectively in winter and summer com-  
357 pared to the flux estimated by the default approach. This small difference is  
358 explained by the fact that the reflected part represents less than 10 % of the  
359 total received short wave radiative energy.

360 *Temperatures.* Being based on the meteorological air (and sky) temperature,  
361 temperatures are similar for the different faces of the building in the default  
362 approach. The radiant temperature around the roof differs from the others  
363 because of its sky view factor. Conversely, local temperatures predicted by  
364 the microclimatic approach differ depending on faces. They appear directly  
365 correlated with solar loads, which overheats building surfaces following a  
366 characteristic temporal pattern. In summer, air temperatures next to the  
367 East and North faces increases first, temperature increases then next to the  
368 roof and West faces. Conversely, in winter, air temperature almost only in-  
369 creases next to the South face. Because of the link between solar loads and  
370 local air temperatures in the microclimatic approach, the deviation between  
371 the microclimatic and the default air temperatures is maximum around mid-  
372 day. Maximum face averaged deviations reach 1.7 °C and 2.8 °C, respectively  
373 in winter and in summer, which is 4 up to 6 times higher than the day  
374 averaged deviation.

375 Being directly determined using very different assumptions, estimations  
376 of radiant temperature substantially differ depending on the modeling ap-  
377 proach. This is especially the case on vertical surfaces as the roof only faces  
378 the sky, and on the North face as it faces shaded areas. On average in  
379 summer, radiant temperature differences are of 7.3 °C, with a maximum of  
380 17.5 °C. This difference is one order of magnitude higher than for the the  
381 averaged air temperature. On average in winter, the mean and maximal  
382 deviations respectively are 3.3 °C and 8.9 °C. These differences are again ex-  
383 plained by solar loads, which overheat sunlit surfaces, potentially leading to  
384 very high ground surface temperatures in the microclimatic approach. As

385 the external surface temperatures are linked to solar radiation, the peak of  
386 the radiant temperature estimated with the microclimatic approach occurs  
387 also around midday. Being linked with the air temperature, it occurs later  
388 in the default approach. As a result, this difference induces a 3 h time shift  
389 between the estimated peaks in summer.

390 Moreover, it could be noticed that, according to the building model em-  
391 bedded in SOLENE-microclimat, the sensitivity of local air and radiant tem-  
392 peratures to the building envelope state is rather negligible.

393 *Wind-based quantities.* CHTC and relative pressures estimated by both ap-  
394 proaches are consistent as airflow is assumed not influenced by thermal ef-  
395 fects in the present study. Windward faces show higher CHTC and positive  
396 pressure values, while CHTC are low and pressure negative in recirculation  
397 regions according to both the default and the microclimatic approaches.

398 Nonetheless, CHTC and relative pressure values locally deviate. In par-  
399 ticular, regarding intensities, results show that the obstruction factor used to  
400 scale the wind profile in the default approach induces lower CHTC and ab-  
401 solute pressure values than in the microclimatic approach. Moreover, based  
402 on the default approach, CHTC values often equal  $4 \text{ W m}^{-2} \text{ K}^{-1}$  for leeward  
403 faces, which corresponds to a zero wind speed according to Eq. 5. This value  
404 is not reached in the microclimatic approach, which indicates that a residual  
405 wind velocity always exists next to leeward faces. As a result, on average,  
406 CHTC values predicted by the microclimatic approach exceed those of the  
407 default approach by 41 % and 64 %, respectively for the winter and summer  
408 day.

409 Relative pressure also deviate between the default and the microclimatic

410 approaches. Deviation even reaches 100%. On average, the higher pressure  
411 differences derived from the microclimatic approach induce a 41% and 60%  
412 higher ventilation potential respectively in winter and summer than accord-  
413 ing to the default approach. These deviations exceed the reduction of the  
414 meteorological mean wind intensity induced by  $Kv$ , highlighting differences  
415 in  $Cp$  distributions.

#### 416 4.2. Effects of the built configuration - Microclimatic approach

417 *Short-wave radiation fluxes.* Solar radiative fluxes are logically reduced in  
418 the array configuration due to solar masks compared to the isolated configu-  
419 ration. On average, reduction is of 11% for the direct and 4% for the diffuse  
420 part in summer. Corresponding reduction is of 27% and 10% in winter. The  
421 subsequent reduction of the total received short wave radiation energy is of  
422 9% in summer and 23% in winter. Oppositely, reflection is almost doubled  
423 in the array compared to the isolated configuration. This increase of short  
424 wave radiation flux is especially observed in winter on the North face around  
425 midday as this face is directly opposite the sunlit face. Nonetheless, similarly  
426 to Sec. 4.1, the contribution of the reflected flux to the total short wave ra-  
427 diative flux is small. As a result, the general effect of the urban environment  
428 on solar loads is a reduction of total short wave radiative energy by 8% in  
429 summer and 22% in winter. Relative and absolute urban environment effects  
430 on solar fluxes are more important in winter than in summer due to the low  
431 solar inclination, which induces more shadings.

432 *Temperatures.* Local air temperatures are increased in the array compared  
433 to the isolated configuration because of radiation trapping, larger built sur-

434 faces and reduced ventilation potential. Maximum averaged air temperature  
435 differences reaches  $2.7^{\circ}\text{C}$  in summer, which can substantially alter summer  
436 comfort. Nonetheless, on average, air temperature differences appear limited  
437 as the mean increase is of  $0.5^{\circ}\text{C}$  in summer and less than  $0.1^{\circ}\text{C}$  in winter.

438 The increase of radiant temperatures in the array compared to the iso-  
439 lated configuration is much higher than that of air temperature. On average,  
440 deviation is about  $1^{\circ}\text{C}$  in winter and  $1.5^{\circ}\text{C}$  in summer. The maximum aver-  
441 aged difference reaches  $3.0^{\circ}\text{C}$  in summer. This deviation is mainly explained  
442 by the fact that a large part of the radiant temperature is due to the surface  
443 temperatures of surrounding building walls, which are higher than the sky  
444 temperature. Consequently, the influence of the envelope performance on  
445 the radiant temperature is more noticeable than in Sec. 4.1 although this  
446 difference remains small: less than  $0.4^{\circ}\text{C}$ .

447 Although the temporal variations of temperatures are consistent in the  
448 isolated and array configurations, the differences between different faces is  
449 less important in the array than in the isolated configuration. This can be  
450 explained by the presence of warmed-up vertical surfaces that compensate  
451 shaded areas, especially with respect to the North face. In addition, it can  
452 be noticed that radiant temperatures remain higher during nighttime. This  
453 can be explained by the increase of thermal mass as well as the alteration  
454 of the radiative and convective cooling potential of the urban areas because  
455 caused by surrounding buildings.

456 *Wind-based quantities.* Temporal variations of CHTC are consistent in the  
457 isolated and array configurations in both seasons. However, distributions  
458 of the relative pressure substantially differ as recirculation flows develop all

459 around the building. The general wind sheltering effect of the urban en-  
460 vironment leads thus to lower CHTC than in the isolated configuration as  
461 well as negative relative pressures in the array. On average, the CHTC is  
462 reduced by 18% in summer and 4% in winter. The ventilation potential is  
463 also reduced by 70 % in summer - which is very prejudicial for the natural  
464 ventilation cooling potential - and by 56 % in winter.

## 465 **5. Conclusion**

466 In order to better understand and predict the energy behavior of urban  
467 buildings, this paper compared comprehensive sets of external radiative, ther-  
468 mal and aeraulic conditions. These different conditions were estimated using  
469 two modeling approaches, i.e. possibilities of a building and a microclimatic  
470 simulation tools. Two built configurations were assessed: a building standing  
471 alone or located in a theoretical urban environment. Buildings were specified  
472 with low or high thermal performance envelopes and typical sunny and windy  
473 days of cold and hot seasons were considered. Thus, the maximum impact  
474 of the modeling approach and urban environment on the estimated external  
475 conditions could be analyzed depending on the performance of the building  
476 stock. On this basis, the individual or combined effects of the different ex-  
477 ternal conditions on the averaged or dynamic energy behavior of buildings  
478 could be quantified to address energy needs, power loads or thermal comfort  
479 issues.

480 The comparison of the different modeling approaches for the building  
481 standing alone suggests that the contribution of reflection to the total re-  
482 ceived short wave radiation flux is rather negligible. Therefore, as long as

483 the albedo remains small, an accurate modeling of this contribution appears  
484 not mandatory. On the contrary, an accurate knowledge of the mean wind  
485 profile is highlighted important to estimate appropriately relative pressures  
486 and CTHC at building outer walls. An appropriate estimation of the environ-  
487 mental radiant temperature, and thus of surrounding surface temperatures  
488 even if it is only a ground, appears also critical as the temperature of sunlit  
489 surfaces could be substantially higher than air temperatures.

490 The comparison of external conditions simulated around an isolated or  
491 an urban building showed that solar masks substantially reduce short wave  
492 radiative fluxes, especially in winter. Multi reflections do not balance this  
493 effect, but can locally substantially affect surface loads. Wind masks also  
494 significantly alter aerodynamic and convective conditions, leading to an impor-  
495 tant reduction of the natural ventilation potential of buildings. In addition,  
496 the presence of surrounding buildings alter the distribution of the different  
497 external conditions over the different faces of buildings. This effect tends to  
498 homogenize conditions around buildings compared to an isolated configura-  
499 tion. This is especially the case for wind-based quantities, as well as, to a  
500 lesser extent, environmental radiant temperature.

501 Although the microclimatic simulation of the built environment can still  
502 be improved to provide more accurate external conditions, especially regard-  
503 ing the resolution of conductive and convective heat transfers as well as heat  
504 storage, present results show that such an approach can provide crucial in-  
505 formation for building energy modeling. Indeed, although relatively simple  
506 models for building walls (global coefficient), solid/air interface (correlation)  
507 as well as CFD approach (steady RANS  $k - \varepsilon$  without buoyancy effects) were



508 used, potentially leading to quite high surface temperatures in recirculation  
509 regions, the provided information can contribute to better understand the en-  
510 ergy behavior of urban buildings. They can also be used to improve building  
511 energy engineering practices by taking more accurate boundary conditions or  
512 quantified uncertainties of inputs into account in models. Hence, towards a  
513 global sensitivity analysis of the energy behavior of urban buildings to their  
514 external radiative, thermal and aeraulic conditions, subsequent extension of  
515 this study evaluate the impact of these different set of boundary conditions  
516 on the dynamic thermal behavior of buildings (Merlier et al., 2018a).

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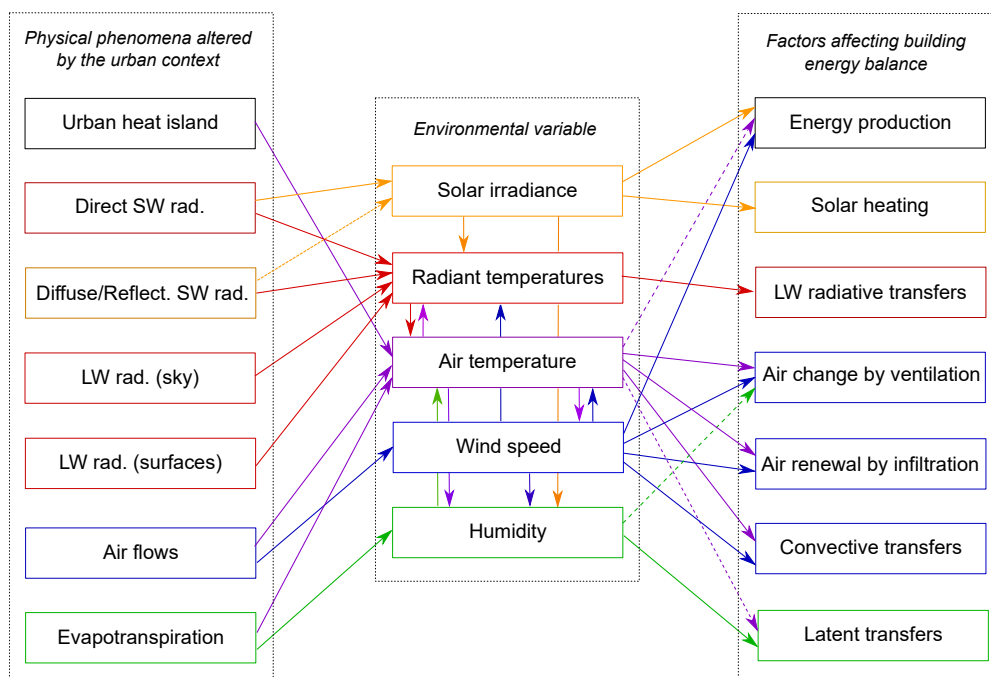
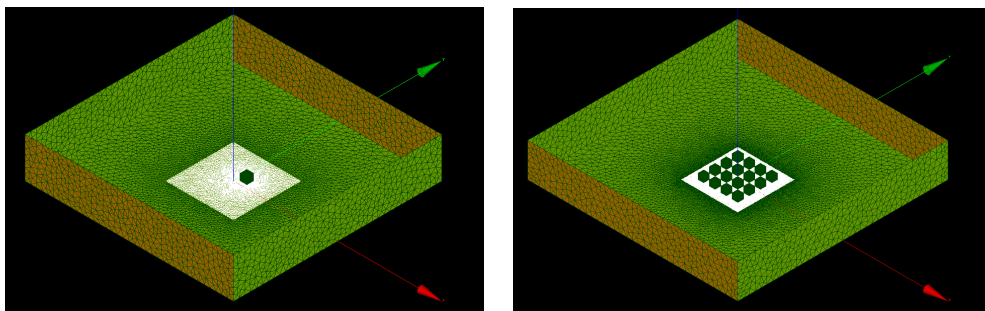


Figure 1: Urban environmental effects on building energy behavior



(a) Isolated

(b) Array

Figure 2: Studied generic configurations: geometry and mesh.

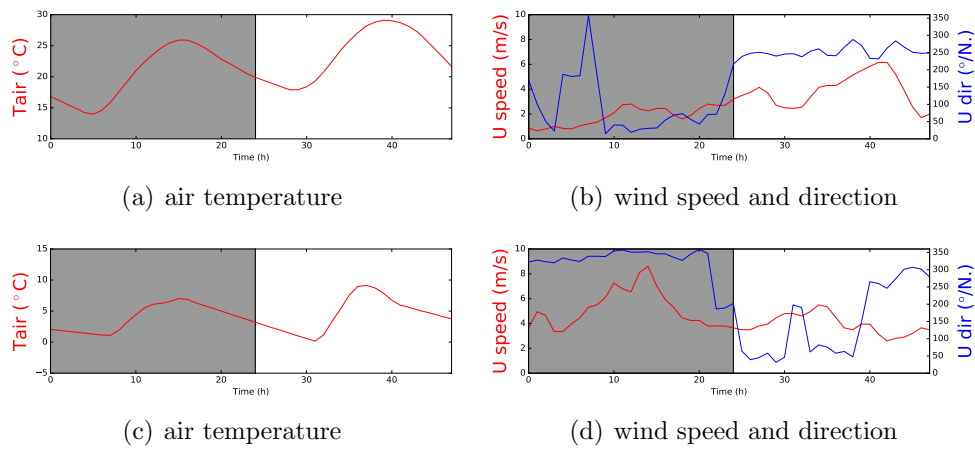


Figure 3: Weather data for the studied summer (a,b) and winter days (c,d).

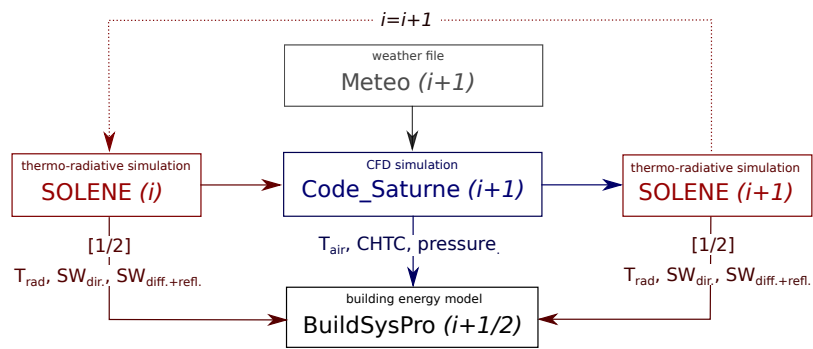


Figure 4: Principle of the coupling between SOLENE and Code\_Saturne as well as between SOLENE-microclimat and BuildSysPro

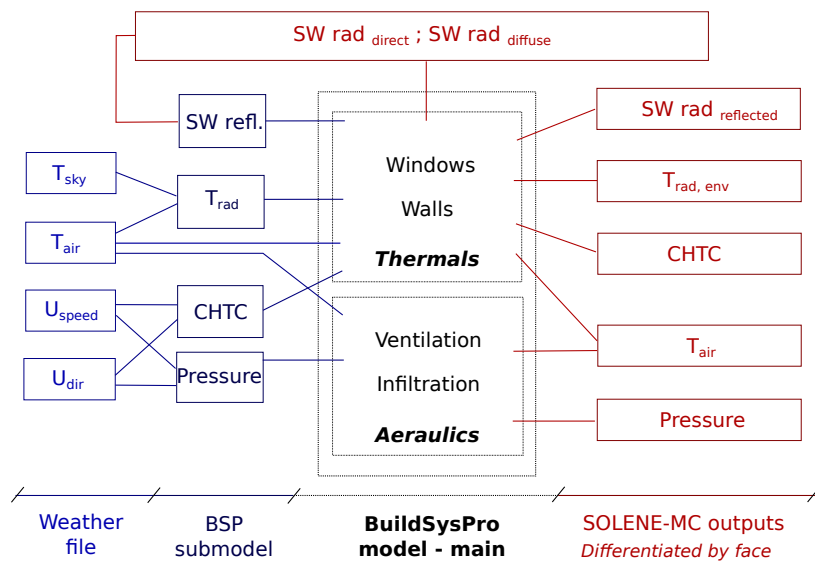


Figure 5: Setting of the different external conditions in the BuildSysPro model

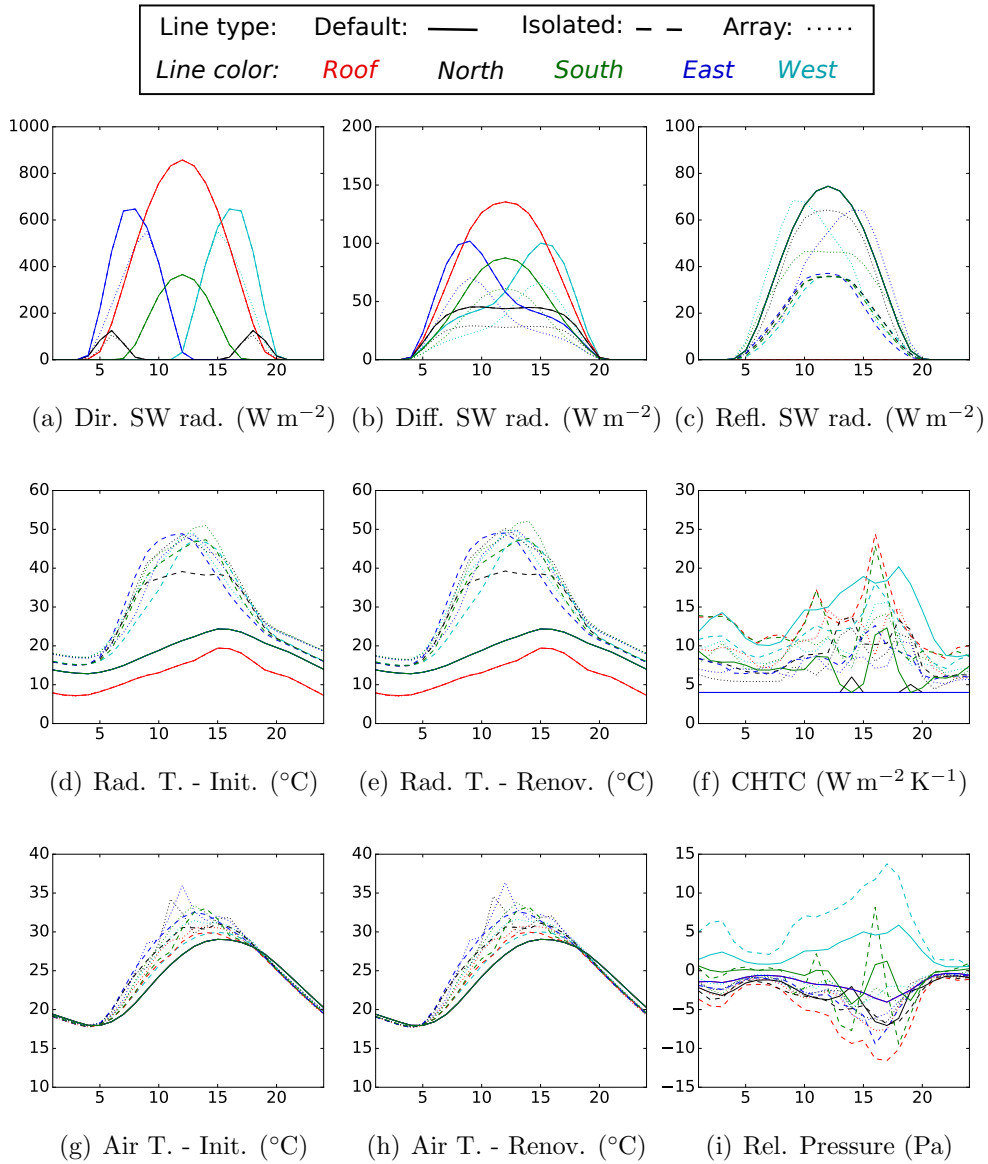


Figure 6: Comparison of the different building external conditions in summer (09 July).



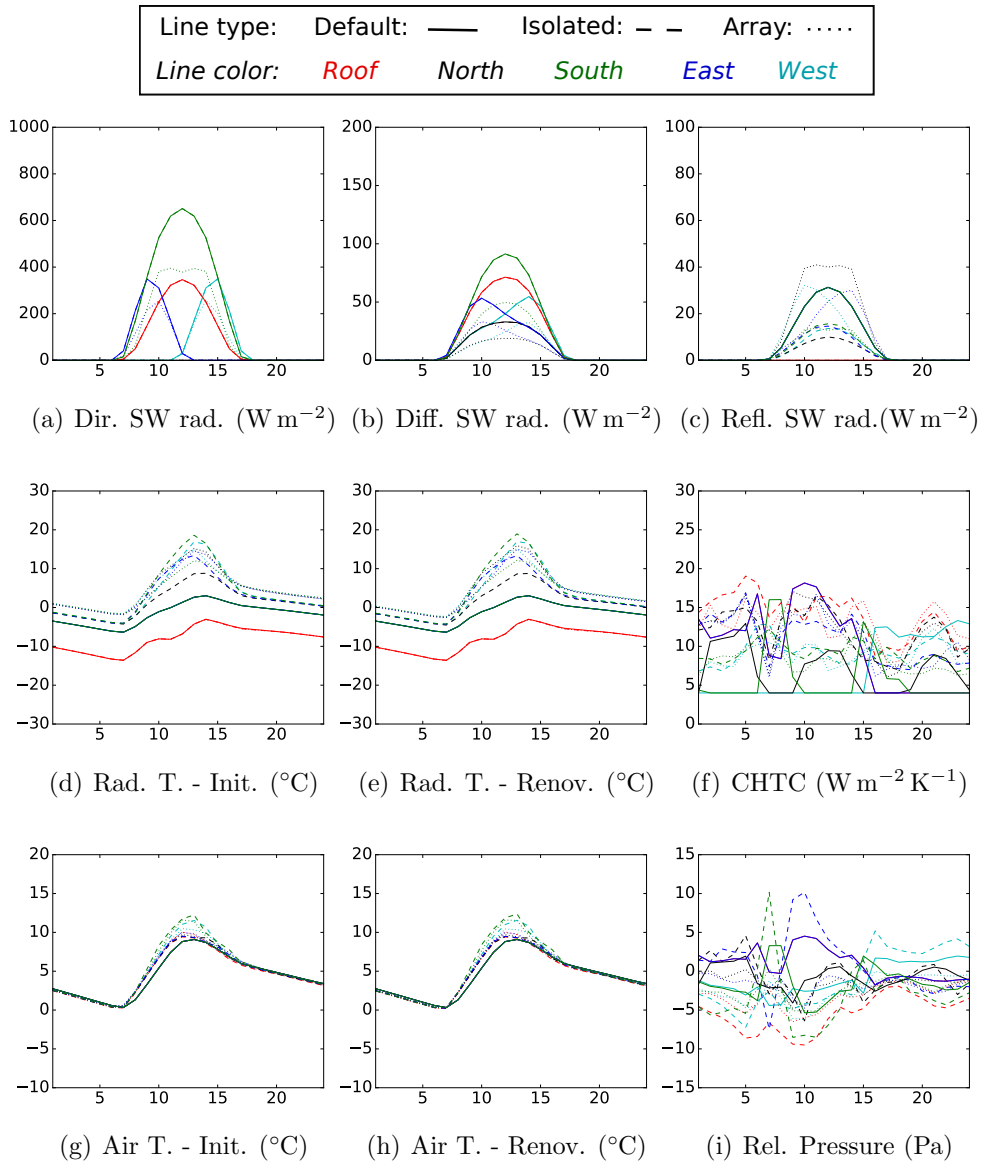


Figure 7: Comparison of the different building external conditions in winter (11 November).

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722		right value corresponds to the renovated state . . . . .	45

	Facade Eq. layer	Roof Structure	Insul.	Ground Superficial	Core
albedo [-]	0.33	0.4	-	0.15	-
emissivity [-]	0.9	0.9	-	0.9	-
Initial state					
$e$ [m]	0.31	0.07	-	0.1	1.9
$\lambda$ [ $\text{W m}^{-1} \text{K}^{-1}$ ]	0.91	0.12	-	0.75	1.75
$\rho$ [ $\text{kg m}^{-3}$ ]	1682	1150	-	2100	2300
$c_p$ [ $\text{J kg}^{-1} \text{K}^{-1}$ ]	992	1050	-	950	1000
Renovated					
$e$ [m]	0.54	0.073	0.3	0.1	1.9
$\lambda$ [ $\text{W m}^{-1} \text{K}^{-1}$ ]	0.26	0.13	0.07	0.75	1.75
$\rho$ [ $\text{kg m}^{-3}$ ]	1037	1150	102	2100	2300
$c_p$ [ $\text{J kg}^{-1} \text{K}^{-1}$ ]	996	1050	1672	950	1000

Table 1: Equivalent building / surface properties used in the microclimatic model. With  $e$  the layer thickness,  $\lambda$  the thermal conductivity,  $\rho$  the density,  $c_p$  the specific thermal capacity

Approach	Default	Microclimatic	
		Isolated Configuration	Array Configuration
Summer			
Dir. SW rad. [ $\text{W m}^{-2}$ ]	137.2	137.2	122.4
Tot. diff. SW rad. [ $\text{W m}^{-1}$ ]	57.1	45.7	44.1
Air T. [ $^{\circ}\text{C}$ ]	23.6	24.3 / 24.4	24.8 / 24.9
Rad. T. [ $^{\circ}\text{C}$ ]	16.9	24.7 / 24.7	26.3 / 26.5
CHTC [ $\text{W m}^{-2} \text{K}^{-1}$ ]	6.6	10.5	8.6
Normalized infiltration flow <sup>4</sup>	0.27	0.43	0.13
Winter			
Dir. SW rad. [ $\text{W m}^{-2}$ ]	67.9	67.9	49.6
Tot. diff. SW rad. [ $\text{W m}^{-2}$ ]	21.4	18.1	16.2
Air T. [ $^{\circ}\text{C}$ ]	4.4	4.7 / 4.7	4.8 / 4.7
Rad. T. [ $^{\circ}\text{C}$ ]	-2.9	0.6 / 0.5	1.8 / 1.4
CHTC [ $\text{W m}^{-2} \text{K}^{-1}$ ]	7.9	11.0	10.6
Normalized infiltration flow	0.32	0.45	0.20

Table 2: Averaged values of external conditions. When two values are given, the left value corresponds to the initial state, and the right value corresponds to the renovated state

# On the impact of local microclimate on building performance simulation. Part II: Effect of external conditions on the dynamic thermal behavior of buildings

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## Abstract

Most of building energy models being not suited to integrate properly local urban ambient conditions, this study initiates a sensitivity analysis of the heating and cooling needs and operative temperature of buildings to local radiative, thermal and aerodynamic external conditions. These conditions were estimated using possibilities of a building energy model (based on the BuildSysPro Modelica library) or derived from microclimatic simulations (SOLENE microclimat) for a generic isolated or urban building. The thermal behaviors of both an energy inefficient and efficient buildings in summer and winter are examined. Results show major effects of short and long wave radiative heat transfers as well as aerodynamics. According to present results, and given current urban growth and climate change challenges as well as the development of energy conservative buildings, this last point may become particularly critical in the future.

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*Keywords:* Building energy simulation, Environmental variables, Power needs, Thermal comfort, Heating and cooling, Ventilation.

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### **Highlights**

1. Effects of building external radiative, thermal and aeraulic conditions on building energy behavior are analyzed
2. Cooling and heating power loads as well as summer comfort are addressed
3. Modeling assumptions for the boundary conditions of an isolated building are discussed
4. Effects of an urban environment is examined

## Nomenclature

$\phi_{conv}$	Convective heat flux [ $\text{W m}^{-2}$ ]
$\phi_{LW}$	Long-wave radiation flux [ $\text{W m}^{-2}$ ]
$\sigma$	Stefan–Boltzmann constant [ $\approx 5.67 \cdot 10^{-8} \text{ Wm}^{-2}\text{K}^{-4}$ ]
$h$	Convective heat transfer coefficient [ $\text{W m}^{-2} \text{K}^{-1}$ ]
$K$	Air permeability [ $\text{m}^3\text{h}^{-1}\text{Pa}^{-2/3}$ ]
$P$	Pressure [Pa]
$Q$	Air flow rate [ $\text{m}^3 \text{h}^{-1}$ ]
$T$	Temperature [K]

## 1 Introduction

2       Because of their basic scope of application –modeling heat transfers *in* a  
3 building– common building energy simulation tools are generally not suited  
4 to integrate accurately building external conditions. This is even more true  
5 when considering urban buildings as simulations generally use typical weather  
6 files to specify external boundary conditions. As they characterize open ter-  
7 rains, weather data do not correspond to urban conditions. Indeed, in cities,  
8 the urban structure substantially affects building external conditions in terms  
9 of short wave radiation fluxes, air and radiant temperatures and wind related  
10 fluxes (Sun et al., 2011; Sun and Augenbroe, 2014; Merlier et al., 2018a). In  
11 addition, empirical correlations or generic surface averaged quantities are  
12 generally used to specify building boundary conditions, which leads to addi-  
13 tional accuracy and errors in the modeling (Còstola et al., 2010; Mirsadeghi  
14 et al., 2013). Therefore, substantial physical uncertainties underlay usual  
15 energy simulations of urban buildings

16       As these biases become critical given the current urban growth and the de-  
17 velopment of energy conservative buildings in the context of climate change,  
18 several studies were developed during the last decade, to evaluate urban  
19 effects on building energy behavior at different scales. When based on mea-  
20 surements of external conditions around urban buildings, studies generally  
21 highlighted a decrease of heating needs and an increase of cooling needs com-  
22 pared to rural conditions, especially in hot regions (Zinzi et al., 2018; Salvati  
23 et al., 2017). As computational studies allow the computational domain  
24 to be controlled and parametric studies to be performed although neces-  
25 sarily involving some physical, mathematical and numerical assumptions, it



26 is possible to further analyze these trends beyond measurement campaign  
27 limitations. Different approaches could be used for this purpose. In particu-  
28 lar, Pigeon et al. (2014) used an urban canopy model (TEB (CNRM, 2015;  
29 Masson, 2000)) to estimate the building external conditions of typical old  
30 detached houses and evaluated their effects on building energy loads using  
31 the embedded building energy model. Results showed that long wave ra-  
32 diative heat exchanges between urban surfaces may increase cooling loads  
33 by 18 % and decrease heating load by 6 % in dense urban area compared  
34 to an open environment. Using more detailed approaches to model urban  
35 environments but on smaller scales, i.e. using microclimatic models such as  
36 SOLENE-microclimat or ENVImet, internally or externally coupled with a  
37 dynamic building energy model, Bouyer et al. (2011); Yang et al. (2012);  
38 Malys et al. (2015) evaluated the impact of adjusted external conditions due  
39 to the presence of a specific urban environment on building energy needs.  
40 Solar loads, infrared exchanges and convective heat transfers were more par-  
41 ticularly analyzed. Results highlighted the substantial influence of the urban  
42 radiative environment on building energy needs. Solar masks were shown  
43 to reduce cooling loads and increase heating loads respectively by 18.8 %  
44 and 0.8 % in Yang et al. (2012), and long wave radiative heat exchanges  
45 generally constituted heat gains for buildings. More particularly, the urban  
46 thermo radiative environments were shown to increase the cooling needs of a  
47 newly built highly glazed office building by about 20 % (Bouyer et al., 2011)  
48 and to decrease the heating needs of a usual slab by about 7 % (Malys et al.,  
49 2015). Alteration of convective heat exchanges by surrounding buildings were  
50 shown less influential and even negligible for well insulated buildings. Effects

51 of aeraulics are less studied, Yang et al. (2012) showed that an increase of out-  
52 door air temperature by about 1 °C on average during daytime may impact  
53 on buildings cooling needs through air renewal by around 10 %. However,  
54 to accurately estimate aeraulic induced thermal loads, pressure contribution  
55 should be considered along, as it determines the wind driven infiltration and  
56 natural ventilation potential of buildings. Indeed, dedicated studies show  
57 that the natural ventilation potential of buildings strongly decreases with  
58 urban density, potentially up to 50 % (Ramponi et al., 2014), which strongly  
59 limits natural free cooling.

60 Hence, urban environments significantly influence the energy behavior of  
61 urban buildings by modifying external conditions and thus radiative, thermal  
62 and aeraulic exchanges between the building and its built environment com-  
63 pared to a rural configuration. But studies rarely consider simultaneously  
64 aeraulic, radiative and thermal conditions. In consequence, this research  
65 aims at providing a deeper knowledge on the influence of boundary condi-  
66 tions on the thermal behavior of buildings. It notably considers dynamic  
67 influences, and highlights coupled effects. For this purpose, different sets of  
68 building external conditions were derived from state-of-the-art approaches for  
69 the cold and hot seasons. These conditions were more particularly assessed  
70 using (see Part I (Merlier et al., 2018a)).

- 71 • (1) possibilities of a building energy model, namely BuildSysPro (Plessis  
72 et al., 2014; Schumann et al., 2016), for a building standing alone given  
73 the lack of general guidelines relative to the modeling of urban condi-  
74 tions - *Default* approach;
- 75 • (2) a microclimatic simulation – *microclimatic* approach – performed

76 using SOLENE-microclimat (Morille et al., 2015; Musy et al., 2015) for  
77 the same isolated building, but assumed located on a mineral ground -  
78 *Isolated* configuration

79 • (3) and the same microclimatic approach, but considering the building  
80 located in a theoretical urban environment composed of a regular array  
81 of  $4 \times 4$  similar buildings - *Array* configuration.

82 Corresponding local external conditions were used to set boundary conditions  
83 to a detailed building energy model (Sec. 1) in order to compare winter  
84 and summer energy needs and summer comfort (Sec. 2). On this basis,  
85 the influence of adjusting the different external conditions due to changes  
86 of modeling approach (1-2) and urban environment (2-3) on the dynamic  
87 behavior of the modeled building is discussed (Sec. 3).

## 88 **1. Building model**

### 89 *1.1. General settings*

90 A monozone 10 m high cubic building model was built using BuildSysPro,  
91 a Modelica library focusing on French building stock developed by EDF R&D  
92 (Plessis et al., 2014; Schumann et al., 2016) (for more details, see Part I  
93 Merlier et al. (2018a)).

94 To relevantly integrate the contribution of the different boundary condi-  
95 tions, the building model includes two sub-models (Fig. 1). First, the aeraulic  
96 sub-model models infiltration and ventilation flow rates and the related heat  
97 transfers to the air node. Second, the thermal sub-model models the con-  
98 vective, radiative and conductive heat transfers through opaque walls and

99 windows and in the indoor volume. The resolution of convective heat trans-  
100 fers being based on a finite volume approach, each wall layer was discretized  
101 with more than 10 nodes per meter, depending on the thermal diffusivity of  
102 materials to relevantly study building dynamics (Frayssinet et al., 2017a).  
103 The lower the diffusivity, the finer the discretization.

104 The thermal properties of the building envelope were set to match TAB-  
105 ULA indications (Rochard et al., 2015) for the most represented multifamily  
106 houses in France. This typology of buildings corresponds to uninsulated  
107 buildings built before 1915 – *Initial* building. These buildings could be ren-  
108 ovated – *Renovated* building –, thus substantially improving their thermal  
109 performance (see Tab. 2). The glazed ratio of these buildings equals 23%.  
110 In the model, glazed surfaces were assumed equally distributed over the four  
111 vertical faces.

112 [Figure 1 about here.]

113 For simulation, either a heating set point equal to 19°C and a cooling  
114 set point equal to 28°C, or a floating temperature evolution in summer was  
115 specified. A ventilation air flow rate of 1 ACH was assumed along with a  
116 wall permeability under a pressure difference of 4 Pa (reference infiltrated air  
117 flow rate per meter square of envelope  $Q_{4Pa}$ ) equal to  $Q_{4Pa} = 2 \text{ m}^3 \text{ h}^{-1} \text{ m}^{-2}$   
118 for the initial building or ten times less for renovated building. Neither  
119 model for humidity was considered as air moisture impact is assumed small  
120 in temperate climates; nor energy system, internal gains, free cooling nor  
121 shading are neither considered in order to evaluate the intrinsic response of  
122 the building to its external conditions.

123

[Table 1 about here.]

124 *1.2. Boundary conditions*

125 Based on the three sets of data detailed in the introduction, building  
 126 external conditions were assigned by face in the building model. These con-  
 127 ditions are the direct and diffuse short wave radiative fluxes, radiant and  
 128 air temperatures, convective heat transfer coefficient (*CHTC*) and relative  
 129 pressure.

130 The developed methodology enables the different sets of conditions to be  
 131 mixed in order to highlight specific contributions of one or several external  
 132 conditions on simulation outputs. Note that, although being actually similar,  
 133 air temperature for the thermal or the aeraulic sub-models were differentiated  
 134 to characterize separately the respective contribution of each type of transfer.  
 135 In the following,  $T_{vent}$  stands for the temperature used as input to the aeraulic  
 136 sub-model and  $T_{air}$  stands for the input used by the thermal sub-model.

137 In addition, to integrate and further evaluate the respective contributions  
 138 of each external condition, different sub-models were set or implemented  
 139 in the building energy model to specify boundary conditions. Especially,  
 140 considering a wall  $i$  in the aeraulic model, infiltration air flow rates ( $Q_{face,i}$ )  
 141 were estimated thanks to the mass balance of the indoor air volume assuming  
 142 a uniform permeability ( $K_i$ ) for the roof and walls and a power low function  
 143 (Eq. 1):

$$Q_{face,i} = \pm K_i \times |P_{ext,i} - P_{int}|^{2/3} \quad \text{and} \quad \sum_i Q_{face,i} = 0 \quad (1)$$

144 with  $P_{ext,i} - P_{int}$  the outdoors / indoors face pressure difference. Inlet  $T_{vent}$   
 145 used for ventilation was assumed equal to the average of  $T_{vent}$  estimated next

146 to the four vertical faces of the building, while  $T_{vent,i}$  used for infiltration are  
147 differentiated for each face and used accordingly.

148 Regarding the thermal model, long wave radiative heat transfers at build-  
149 ing outer surfaces ( $\phi_{LW}$ ) were evaluated based on the Stefan-Boltzmann law  
150 (Eq. 2):

$$\phi_{LW,i} = \sigma \times (T_{rad,env,i}^4 - T_{surf,i}^4) \quad (2)$$

151 with  $\sigma$  the Stefan-Boltzmann constant.

152 Convective heat transfers ( $\phi_{conv,i}$ ) were estimated using local CHTC and  
153 air temperature, following Eq. 3:

$$\phi_{conv,i} = CHTC \times (T_{air,i} - T_{surf,i}) \quad (3)$$

154 with  $T_{surf,i}$ , the surface temperature estimated using the surface balance  
155 considering the conductive, convective and radiative contributions.

156 Short wave radiation fluxes transmitted by windows were distributed over  
157 the floor.

158 Based on these different settings, simulations were run using the Dy-  
159 mola simulation environment, looping 10 times on the same day, i.e. the 06  
160 November for winter and the 09 July for summer.<sup>1</sup> Results of the simulated  
161 tenth day were kept for analysis, the nine first loops being used for the model  
162 initialization.

---

<sup>1</sup>Individual annual simulation lasting between 1 and 2 minutes on a 2.5 GHz processor  
and 8 GB of RAM computer

## 163 2. Result Analysis

164 Considering the three sets of external conditions used to specify boundary  
165 conditions to the building energy model, i.e. the default and microclimatic  
166 approaches and isolated and array configurations, the following analyses re-  
167 sults regarding:

- 168 • The temporal evolution of the global energy needs and operative tem-  
169 perature (Figures 2, 3 and 4). These results highlight differences in-  
170 duced by the different modeling approaches and configurations, i.e.  
171 considering one or another set of boundary conditions.
- 172 • The dynamic contribution of each external condition on heating and  
173 cooling needs as well as operative temperature (Figures 5, 6 and 7).  
174 These results highlight the impact of each distinct external sollicitation  
175 on the building thermal behavior.

176 Tab. 3 and 1 complete Fig. 2–7 by precisng the mean and maximum  
177 differences of heating and cooling needs as well as operative temperature,  
178 induced by the different types of heat transfers, i.e. short wave and long  
179 wave radiative, convective as well as aeraulic-induced heat transfers.

### 180 2.1. Impact of the modeling approach

181 [Figure 2 about here.]

182 [Figure 3 about here.]

183 [Table 2 about here.]

184 *2.1.1. Heating needs*

185 Considering a building standing alone, Fig.2 shows that renovation in-  
186 duces an averaged reduction of heating needs by a factor of four thanks to  
187 the improved thermal insulation and air tightness. As a consequence, ren-  
188 ovation also tends to reduce the influence of the modeling approach on it.  
189 More precisely, using the boundary conditions derived from the microcli-  
190 matic approach induces lower heating needs than estimated based on the  
191 default approach: the averaged difference equals 6 % and 3 % respectively  
192 for the initial and renovated buildings. The difference is mostly due to the  
193 contribution of the environmental radiant temperature, which is higher in  
194 the microclimatic approach, especially during daytime. This higher temper-  
195 ature decreases heating needs by 9 % and 3 % respectively for the initial and  
196 renovated buildings.

197 With respect to other boundary conditions, the sensitivity of the reno-  
198 vated building to the modification of wind-induced heat transfers is rather  
199 negligible. These effects are more substantial in the initial building, for which  
200 modifying the aeraulic fluxes increases the daily heating needs by 3 % because  
201 of higher infiltrated air flow rate, which are not compensated by the slight  
202 increase of air temperature. Conversely, convective heat losses are reduced  
203 by 2 % when based on the microclimatic rather than the default approach,  
204 probably due to higher air temperature. Taking the smaller short-wave solar  
205 reflections derived from the microclimatic approach into account instead of  
206 the default flux, slightly increases the heating needs by 1 % and 2 % respec-  
207 tively for the initial and renovated buildings.



208 *2.1.2. Cooling needs*

209 Contrary to heating needs, renovation does not substantially reduced  
210 cooling needs. Indeed, cooling needs are about six times smaller than heat-  
211 ing needs for initial building whereas they are comparable for the renovated  
212 building. Considering the default set of boundary conditions, renovation  
213 even tends to substantially increase the cooling period, which leads to an  
214 increase of energy needs by 60%. The cooling period is also increased in the  
215 renovated building when considering boundary conditions derived from the  
216 microclimatic approach, but to a lesser extent. As the corresponding maxi-  
217 mal power loads are decreased by 30%, estimates of energy needs are similar  
218 for both the initial and renovated buildings according to the microclimatic  
219 approach.

220 Regarding the contribution of the different boundary conditions, and sim-  
221 ilarly to Sec. 2.1.1, the contribution of long wave radiative heat transfers  
222 mostly explains the differences of cooling needs observed when considering  
223 boundary conditions derived from the microclimatic instead of the default  
224 approach. This contribution explains both the earlier need of cooling and  
225 the increased power needs. As a result, modifying the environmental radi-  
226 ant temperature increases cooling needs by 33% and 9% respectively for the  
227 initial and renovated buildings respectively. Simultaneously modifying all  
228 boundary conditions increases cooling needs by 25% and 10% still for the  
229 initial and renovated buildings respectively.

230 Modifying other external conditions and associated heat transfers induces  
231 deviations of the same order of magnitude for both building states. The  
232 second most important change in cooling needs is induced by the modification

233 of short wave radiation fluxes. As the received reflected fluxes are lower in  
234 the microclimatic than in the default approach, corresponding cooling needs  
235 are reduced by 6 % for both building states. Conversely, as the microclimatic  
236 approach estimates higher infiltrated air flow rates and local air temperatures,  
237 the aeraulic-induced heat transfers increase cooling needs by 4 % when based  
238 on corresponding data. Regarding convective heat transfers, considering the  
239 increased CHTC and local air temperature derived from the microclimatic  
240 approach induces a decrease of cooling needs by 6 % and 8 % respectively in  
241 the initial and renovated buildings. This counter-intuitive contribution can  
242 be explained by a higher solar heat removal at building outer surfaces, which  
243 limits overheating.

### 244 *2.1.3. Summer comfort*

245 Indoor operative temperatures are generally higher than the outdoor air  
246 temperature and show much smaller variation. Because of inertia, the op-  
247 erative temperature range in both the initial and the renovated buildings  
248 is of 3 °C, which is four times smaller than the range of meteorological air  
249 temperature. In addition, because of the improved thermal insulation and  
250 air tightness of the renovated building, the mean operative temperature is  
251 more than 4.5 °C higher than in the initial building. Indoor operative tem-  
252 perature even reaches 35 °C during the afternoon in this configuration, which  
253 substantially exceeds summer comfort requirements.

254 With respect to the respective influence of boundary conditions, observed  
255 trends are comparable to Sec. 2.1.2 as external conditions and building prop-  
256 erties are similar. Nonetheless, because of the buffer effect of thermal iner-  
257 tia, effects are almost constant over the simulated period. The contribution

258 of long wave radiation is the most important factor affecting the operative  
259 temperature. The higher environmental radiant temperature induces an in-  
260 crease of the indoor operative temperature of 2.2 °C and 1.3 °C respectively  
261 for the initial and renovated buildings. As a result, taking all the bound-  
262 ary conditions derived from the microclimatic approach into account instead  
263 of conditions derived from the default approach tends to increase operative  
264 temperature by 1.6 °C and 1.3 °C respectively for the initial and renovated  
265 buildings.

## 266 *2.2. Impact of the urban environment*

267 [Figure 4 about here.]

268 [Figure 5 about here.]

269 Regarding the effects of adjusting the other types of heat transfers on  
270 the floating operative temperature, it can be noticed that the aeraulic con-  
271 tribution is equivalent to, and even more important than, the contribution  
272 of long wave radiation for the initial and renovated buildings. The aeraulic  
273 contribution is opposite but comparable to that of short wave radiation in  
274 the initial building. It represents the half of it in the renovated building.  
275 Hence, to address free cooling issues, Fig. 8 further analyzes the free cool-  
276 ing potential of buildings using natural ventilation, especially regarding the  
277 renovated building, which shows hot indoor temperatures. Results highlight  
278 that, if decreasing by a factor 10 the air tightness of the renovated building to  
279 simulate a volunteer over-ventilation, the operative temperature decreases on  
280 average by 1.3 °C in the isolated configuration. Such an effect is more impor-  
281 tant than the effect of solar masks in the array configuration. The decrease

282 of operative temperature by volunteer over-ventilation is reduced down to  
283 less than  $0.4^{\circ}\text{C}$  when considering an urban configuration. Indeed, because  
284 of wind masks, ventilation air flows are reduced by a factor of three in this  
285 configuration, which points out the prejudicial lack of cooling potential in  
286 urban environment.

### 287 **3. Conclusion**

288 Recent applications of building energy simulation, such as the design of  
289 passive strategies, integration of renewables, network management or perfor-  
290 mance guarantee require the use of appropriate boundary conditions. This  
291 requirement becomes critical in urban and building physics because of global  
292 warming and urban growth issues. However, building energy models were  
293 basically not designed to address such problems. Thus, towards more accu-  
294 rate and integrated energy simulation of urban buildings, the present study  
295 discussed the dependence of simulation results, and more largely of building  
296 energy performance, to adaptive boundary conditions. The objective was to  
297 highlight the influence of the modeling approach and of the urban environ-  
298 ment on the dynamic thermal behavior of typical urban buildings. For this  
299 purpose, radiative, thermal and aeraulic conditions were derived from two  
300 state-of-the-art modeling approaches for two built configurations, and used  
301 as input for a detailed building energy simulation. On this basis, typical  
302 time integrated as well as dynamic behaviors of an old or thermally reno-  
303 vated building for typical sunny and windy summer and winter days under  
304 temperate climatic conditions were discussed.

305 Comparing results obtained for a stand alone building but considering

306 boundary conditions derived from a building energy or a microclimatic model,  
307 results indicated that accounting for the surface temperatures of surround-  
308 ing surfaces is crucial. Adjusting the environmental radiant temperature was  
309 found to be the most influential modification of external conditions on power  
310 needs and operative temperature. This major effect has nonetheless to be  
311 related to the substantial difference estimated between the air and environ-  
312 mental radiant temperatures highlighted in Merlier et al. (2018a).

313 Comparing results obtained for an isolated or a urban building, results  
314 pointed out the major effect of solar masks on power needs and operative  
315 temperature, as they decrease heat gains. This effect was generally found  
316 balanced by the modification of other boundary conditions. In particular,  
317 effects of aeraulics were shown substantial, especially with respect to the  
318 summer comfort in urban environments. Indeed, in this configuration, the  
319 absolute influence of wind sheltering was found comparable to that of solar  
320 masks and the small urban natural ventilation potential was shown particu-  
321 larly prejudicial for free cooling.

322 The different above-mentioned effects were shown dependent on the ther-  
323 mal performance of building envelopes. Because of its insulation and air  
324 tightness, the renovated building appeared mostly impacted on by the mod-  
325 ification of solar fluxes, as well as, to a lesser extent by the environmental  
326 radiant temperature and aeraulics. On the contrary, most of the different  
327 boundary conditions significantly altered the thermal behavior of the initial  
328 building.

329 Hence, the implemented methodology demonstrated the need of account-  
330 ing for comprehensive sets of appropriate boundary conditions to address

331 current building energy issues. Indeed, not only radiative conditions were  
332 shown dependent on the general modeling strategy developed and influen-  
333 tial on the dynamic thermal behavior of urban buildings. Wind related heat  
334 transfers, which also influence long wave radiative exchanges, were also shown  
335 dependent on the general modeling strategy and influential on the dynamic  
336 thermal behavior of urban buildings. To address these contributions, CFD  
337 appears very promising. Indeed, although computational time and turbu-  
338 lence modeling challenges still generally prevent its use for most of build-  
339 ing energy problems, recent developments such as lattice Boltzmann large  
340 eddy simulations (Obrecht et al., 2015; Merlier et al., 2018b) are likely able  
341 to improve the consideration of aeraulic effects in building energy studies.  
342 However, in order to extend the present methodology to a whole year, on-  
343 going work focuses on model adaptations to relevantly, but cost effectively,  
344 integrate external condition to building models, particularly with respect to  
345 short dynamics energy applications (see Frayssinet et al. (2017b)). Indeed,  
346 particular rapid physical processes such as transfers linked with aeraulics or  
347 solar loads transmitted by windows, which are not smoothed by conduction  
348 and inertia, are critical for power loads and thermal comfort analysis.

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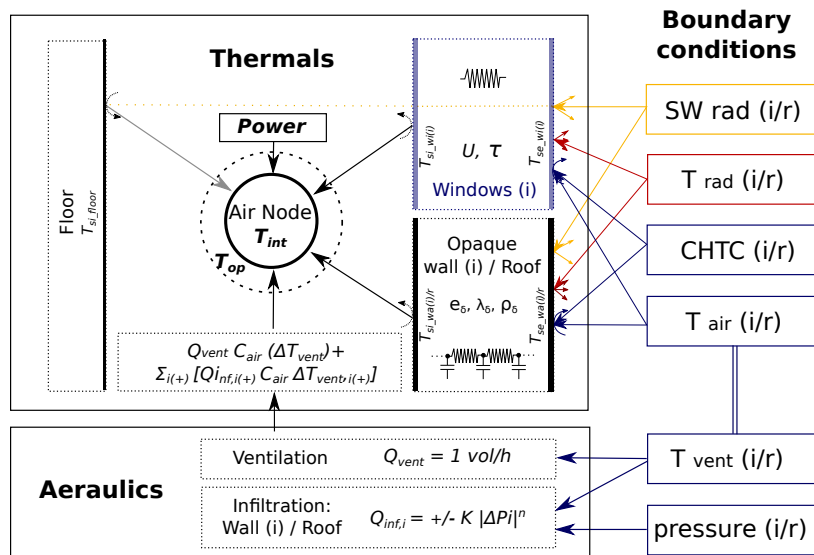


Figure 1: BuildSysPro model

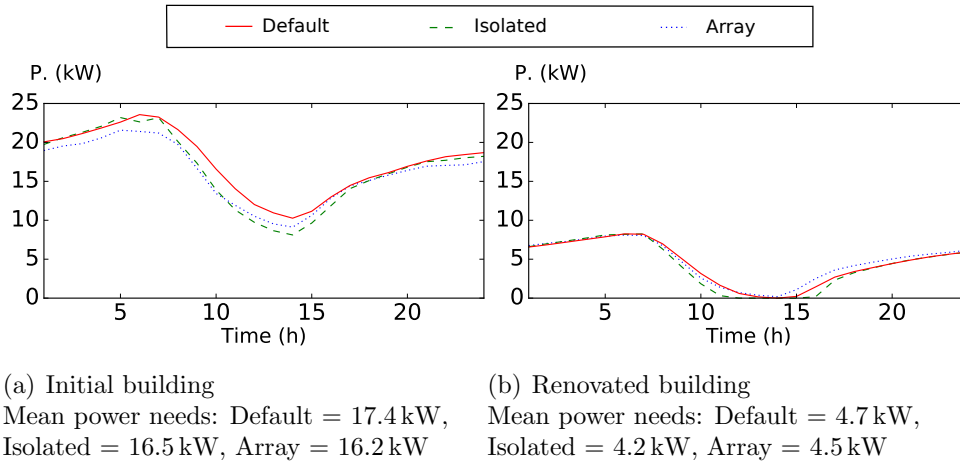


Figure 2: Influence of the modeling approach: modification of the heating needs induced by the adjustment of external conditions.

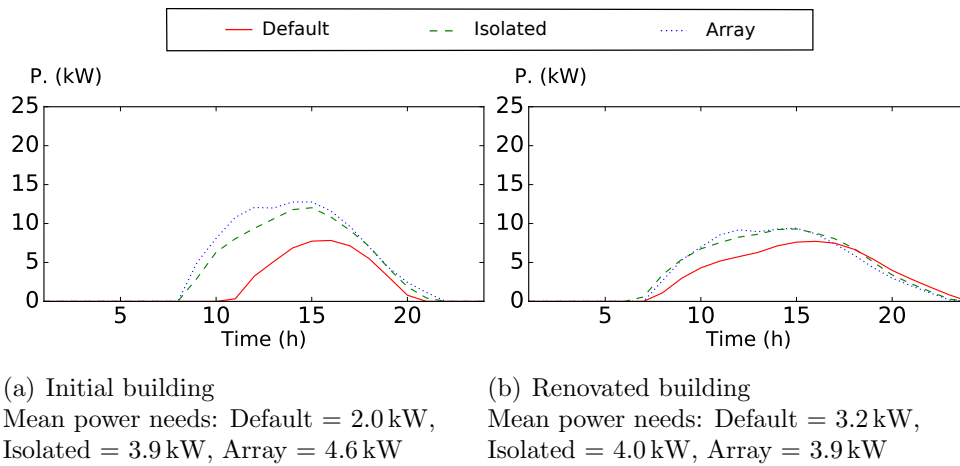
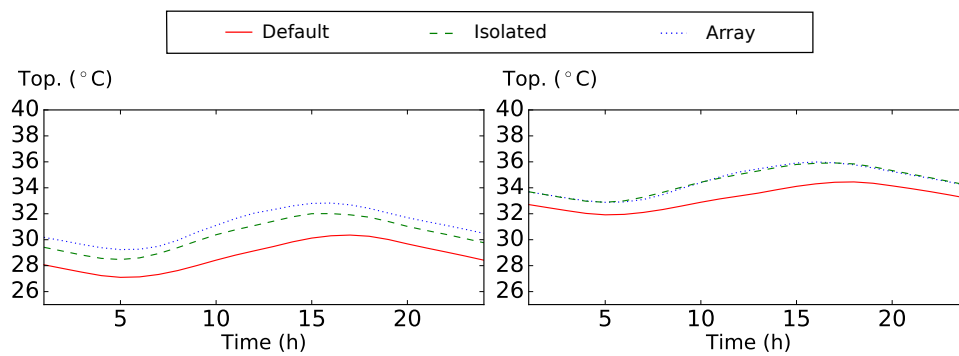


Figure 3: Influence of the modeling approach: modification of the cooling needs induced by the adjustment of external conditions.



(a) Initial building

(b) Renovated building

Mean operative temp.: Default = 28.7°C, Mean operative temp.: Default = 33.2°C,  
 Isolated = 30.3°C, Array = 31.1°C      Isolated = 34.5°C, Array = 34.5°C

Figure 4: Influence of the modeling approach: modification of the indoor operative temperature induced by the adjustment of external conditions.

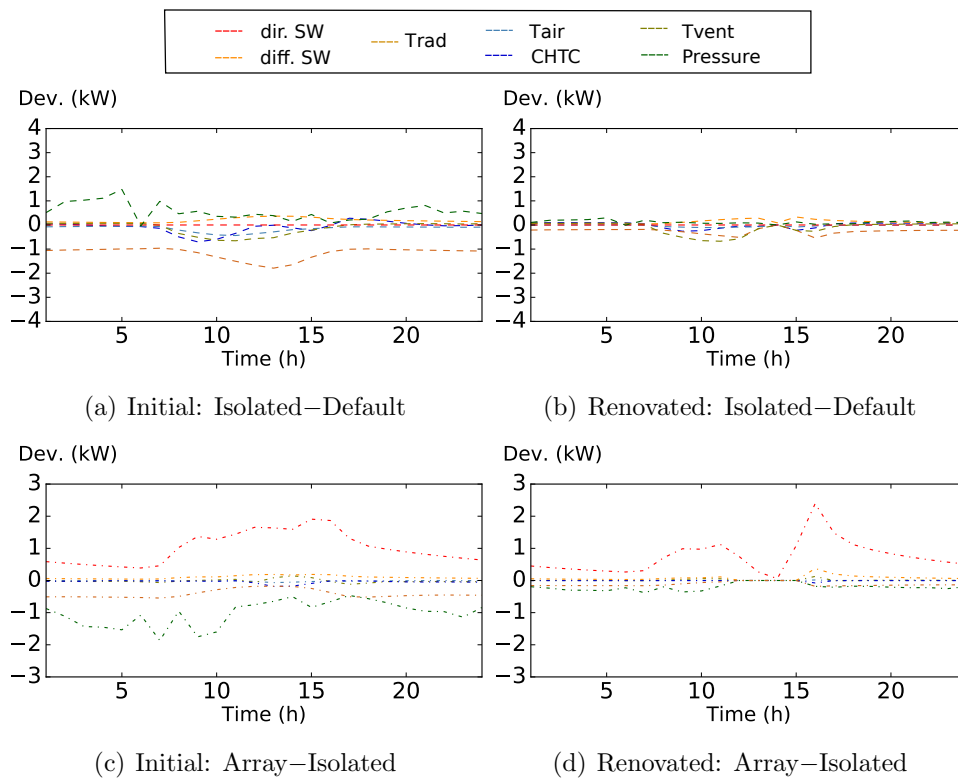


Figure 5: Influence of the built configuration: modification of the heating needs induced by the adjustment of external conditions.

Mean (and Max.) urban effects (Array - Isolated) [kW]				
Building state	Phenom.	Heating [kW]	Cooling [kW]	Summer comfort [°C]
Initial	SW rad.	1.1 (2.1)	-0.7 (-3.0)	-0.6 (-0.7)
	LW rad.	-0.4 (-0.5)	0.5 (1.4)	0.5 (0.5)
	Aero.	-1.0 (-1.9)	0.3 (1.6)	0.5 (0.6)
	Conv.	-0.1 (-0.2)	0.4 (1.3)	0.4 (0.5)
	Combined	-0.4 (-2.0)	0.6 (2.7)	0.7 (1.0)
Renovated	SW rad.	0.8 (2.5)	-0.6 (-1.9)	-1.1 (-1.2)
	LW rad.	-0.1 (-0.2)	0.2 (0.5)	0.4 (0.5)
	Aero.	-0.2 (-0.4)	0.2 (1.2)	0.6 (0.7)
	Conv.	0.0 (0.0)	0.1 (0.2)	0.1 (0.1)
	Combined	0.5 (2.3)	-0.1 (1.0)	-0.0 (0.2)

Table 1: Influence of the built configuration: effect of boundary conditions  
- SW rad.: Short wave rad. (*dir. SW+diff. SW*), - LW rad.: Long wave rad. ( $T_{rad}$ ),  
- Aero.: Infiltration+ventilation ( $Pressure+T_{vent}$ ), - Conv.: Convection ( $CHTC+T_{air}$ ),  
- Combined: Combined effects (all environmental variables)

### 441 3.0.1. Heating needs

442 The general effect of surrounding buildings on heating needs is inverse  
443 for the initial and the renovated buildings. In the initial building, the urban  
444 environment increases heating needs by 2% during the day and decreases  
445 them by 5% during the night. As a result, surrounding buildings decrease  
446 heating needs by 2% on average. Regarding the renovated building, the  
447 general effect of the urban environment appears negligible during the night  
448 but its effect during daytime leads to an average increase of heating needs  
449 by 6%.

450 This effect of surrounding buildings on heating needs is mainly explained  
451 by the sun shading induced by surrounding buildings, which is the most  
452 influential modification of external conditions affecting heating loads. This  
453 effect is major during daytime as the East and West and mainly the South  
454 faces are masked. Reduced short wave fluxes increase heating needs of the  
455 initial building by 7%. The increase is of 10% for the renovated building,  
456 which evidences its higher sensibility to solar flux. Heating is even needed  
457 around midday in this configuration, which is not the case for the isolated



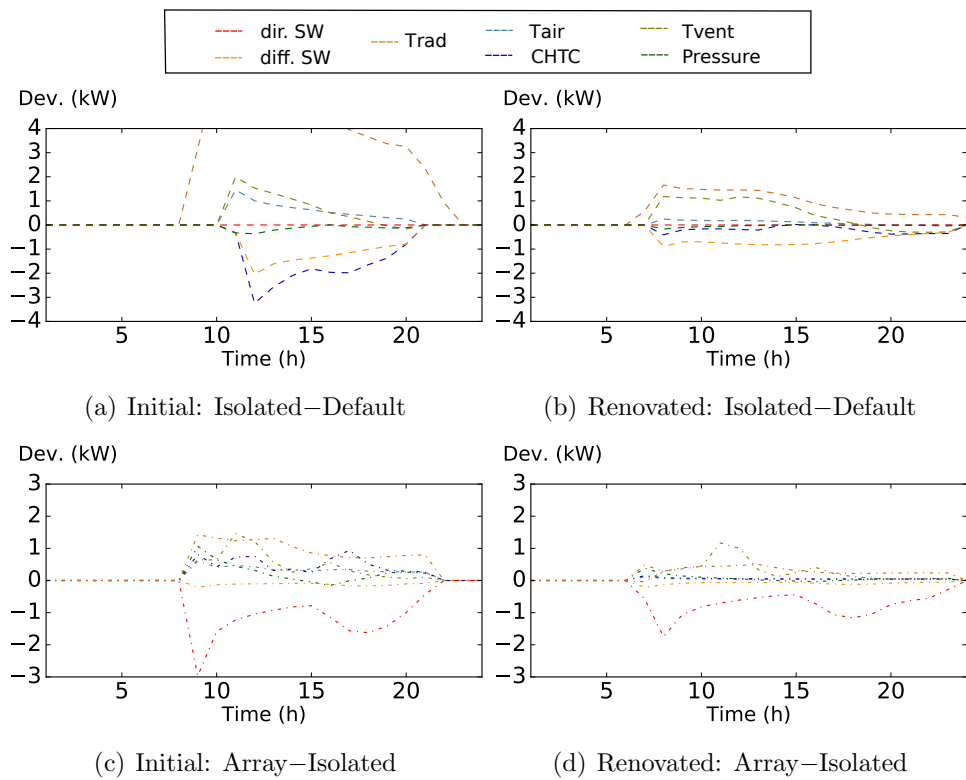


Figure 6: Influence of the built configuration: modification of the cooling needs induced by the adjustment of external conditions.

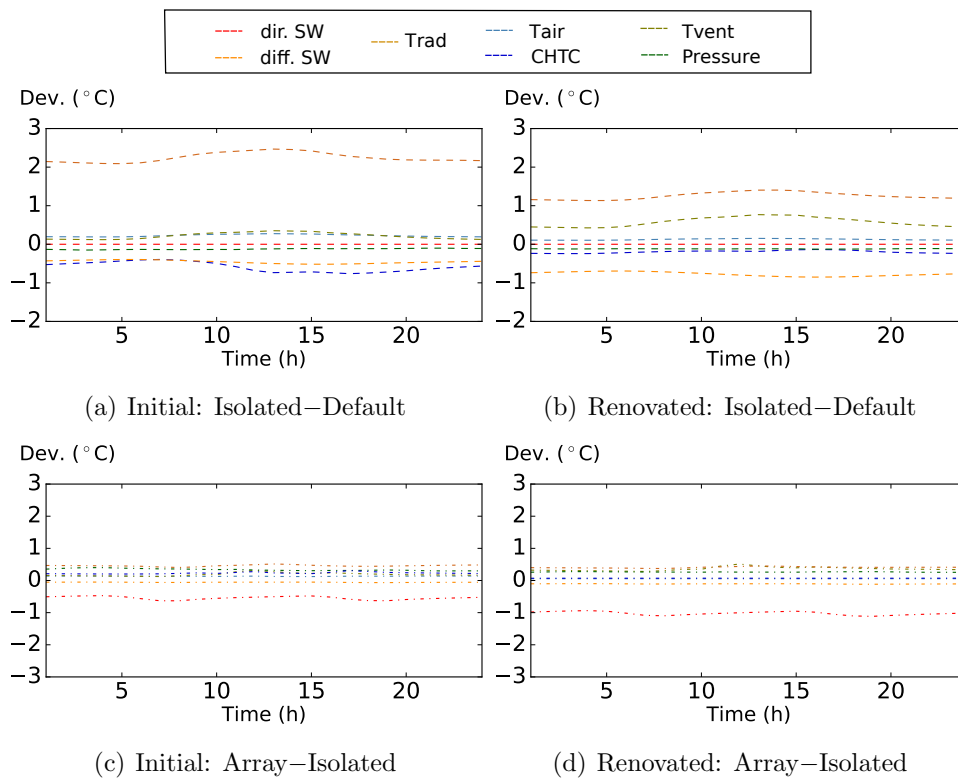


Figure 7: Influence of the built configuration: modification of the indoor operative temperature induced by the adjustment of external conditions.

458 building.

459 The influence of surrounding buildings on other external conditions counter-  
460 balance the effect of solar masks. In particular, aerodynamic effects nearly com-  
461 pensate the effect of the reduced short wave radiative flux for the initial  
462 building, which support a higher sensitivity of the this building to other  
463 boundary conditions than the renovated building. The alteration of aerodynamic  
464 induced heat transfers, as well as of long wave radiative heat transfer, by  
465 surrounding buildings is three times less influential in the renovated than  
466 in the initial building (-2 % and -1 % versus -7 % and -3 % respectively), and  
467 the contribution of convective heat transfers is negligible for both building  
468 states.

### 469 3.0.2. Cooling needs

470 On average, the general effect of surrounding buildings is an increase  
471 of cooling needs by 5 % for the initial building. The effect of the urban  
472 environment is especially visible during the morning. On the contrary, the  
473 presence of surrounding buildings tends to slightly decrease the cooling needs  
474 by 1 % for the renovated building.

475 As for heating, the modification of short wave radiative fluxes due to sur-  
476 rounding buildings is the most influential contribution affecting cooling needs  
477 for both building states. Although being slightly modulated by increased re-  
478 flexion, solar masks reduce cooling needs by 6 and 7 % for the initial and  
479 renovated buildings respectively. This decrease of cooling needs is particu-  
480 larly due to two main gaps occurring in the morning and afternoon, which  
481 respectively correspond to the shading of the East and West faces.

482 The modification of the other boundary conditions, i.e. the increase of  
483 environmental radiant temperature, the decrease of ventilation potential and  
484 of convective heat transfers are opposite to the effects of the reduced solar  
485 loads. For the initial building, their combined effect is even higher than the  
486 effect of solar masks. This is also the case for the renovated building, but only  
487 during midday. Indeed, in this configuration, solar effects remains dominant  
488 during the early morning and the evening.

### 489 3.0.3. Summer comfort

490 Results analysis highlights comparable trends for the operative temper-  
491 ature as for cooling needs. On average, the urban environment increases  
492 the operative temperature of the initial building by 0.7 °C while the opera-  
493 tive temperature of the renovated building remains similar in the array and

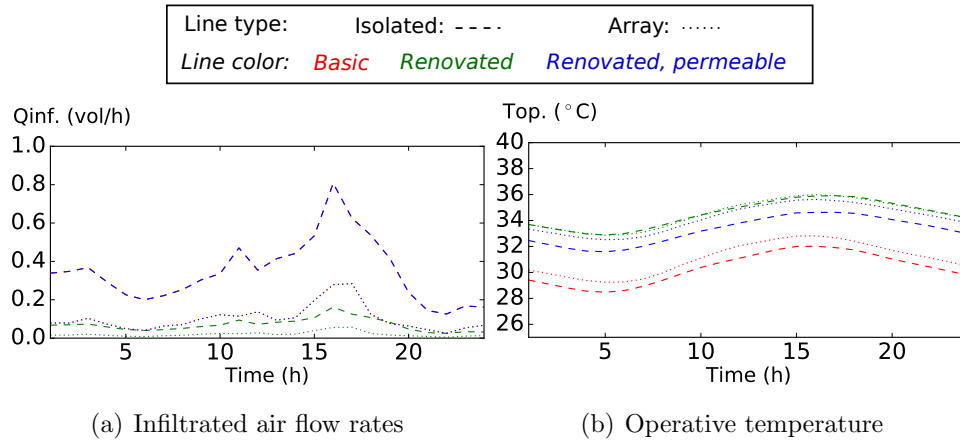


Figure 8: Effect of pressure on free cooling potential.

494 in the isolated configuration because of compensations. The modification  
 495 of short wave radiation induced by surrounding buildings is the most influ-  
 496 ential effect on the building thermal behavior. It decreases the operative  
 497 temperature by 0.6 °C and 1.1 °C respectively for the initial and renovated  
 498 buildings.

499 **List of Tables**

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502		- SW rad.: Short wave rad. ( <i>dir. SW+diff. SW</i> ), - LW rad.:	
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504		- Aero.: Infiltration+ventilation ( $Pressure+T_{vent}$ ), - Conv.:	
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	Wall	Window	Roof
Initial state			
Surface [m <sup>2</sup> ]	250	77	140
Materials	40 cm stone	double glazing	13 cm plaster + 2 cm insul. + tile
$U$ [W m <sup>-2</sup> K <sup>-1</sup> ]	1.7	2.6	1.35
Renovated			
Materials	12 cm insulation	triple glazing	12 cm insul. + 18 cm wood fiber
$U$ [W m <sup>-2</sup> K <sup>-1</sup> ]	0.24	1	0.2

Table 2: Thermal properties of the generic test cases.

Mean (and Max.) modeling effects (Isolated - Default)				
Building state	Phenom.	Heating [kW]	Cooling [kW]	Summer comfort [°C]
Initial	SW rad.	0.2 (0.4)	-0.5 (-2.0)	-0.5 (0.5)
	LW rad.	-1.2 (-1.8)	2.6 (8.1)	2.2 (2.5)
	Aero.	0.4 (1.6)	0.3 (1.7)	0.1 (0.3)
	Conv.	-0.3 (-0.9)	-0.5 (-1.8)	-0.3 (-0.5)
	Combined	-0.9 (-2.7)	2.0 (7.7)	1.6 (2.0)
Renovated	SW rad.	0.1 (0.3)	-0.4 (-0.9)	-0.8 (-0.9)
	LW rad.	-0.3 (-0.5)	0.7 (1.7)	1.3 (1.4)
	Aero.	0.0 (-0.7)	0.3 (1.2)	0.5 (0.7)
	Conv.	-0.0 (-0.3)	-0.1 (-0.3)	-0.1 (-0.2)
	Combined	-0.3 (-1.3)	0.7 (2.5)	1.3 (1.7)

Table 3: Influence of the modeling approach: effect of boundary conditions  
- SW rad.: Short wave rad. (*dir. SW+diff. SW*), - LW rad.: Long wave rad. ( $T_{rad}$ ),  
- Aero.: Infiltration+ventilation ( $Pressure+T_{vent}$ ), - Conv.: Convection ( $CHTC+T_{air}$ ),  
- Combined: Combined effects (all environmental variables)



## FOLIO ADMINISTRATIF

### THESE DE L'UNIVERSITE DE LYON OPEREE AU SEIN DE L'INSA LYON

NOM : Frayssinet

DATE de SOUTENANCE : 26/10/2018

Prénoms : Loïc

TITRE : Adapter les modèles de chauffage et climatisation des bâtiments en puissance à l'échelle du quartier

NATURE : Doctorat

Numéro d'ordre : 2018LYSEI071

Ecole doctorale : Mécanique, Energétique, Génie Civil, Acoustique

Spécialité : Thermique Energétique

#### RESUME :

Les modèles énergétiques des bâtiments à l'échelle du quartier sont généralement simplifiés pour faire face au manque de données et pour réduire le coût de calcul. Cependant, l'impact de ces simplifications sur la validité des modèles n'est pas systématiquement analysée, en particulier lorsqu'on s'intéresse à la courbe de charge.

Pour combler ce manque, une méthodologie permettant de quantifier la validité des simplifications, notamment vis-à-vis de la courbe de charge, est proposée. Cette méthodologie est appliquée aux simplifications couramment utilisées pour les modèles thermiques d'enveloppe de bâtiments grâce à une plateforme numérique développée dans le cadre de cette thèse. Cette plateforme permet de générer et simuler automatiquement des modèles énergétiques de bâtiments, avec différents niveaux de détails, à partir de données issues de systèmes d'information géographique. La parallélisation des simulations énergétiques des bâtiments est utilisée à l'échelle du quartier, afin de tirer avantage de la structure du modèle global et de réduire les temps de calculs.

La définition d'indicateurs spécifiques selon l'objectif de simulation apparaît clairement comme l'étape essentielle lorsque l'on s'intéresse à la courbe de charge. Les résultats indiquent que la puissance est plus sensible aux simplifications que la consommation annuelle d'énergie. Les différents effets induits sont quantifiés et analysés physiquement. La capacité de l'échelle du quartier à atténuer les impacts des simplifications et d'intégrer les données statistiques est démontrée. La quantification des impacts des simplifications permet de guider l'adaptation des modèles vis-à-vis des objectifs de simulation et vis-à-vis des contraintes techniques. Cette contribution a pour objectif d'améliorer la performance des simulations énergétiques à l'échelle de la ville, et de favoriser leur développement, afin de répondre aux enjeux futurs.

MOTS-CLÉS : Energétique des bâtiments, échelle quartier

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