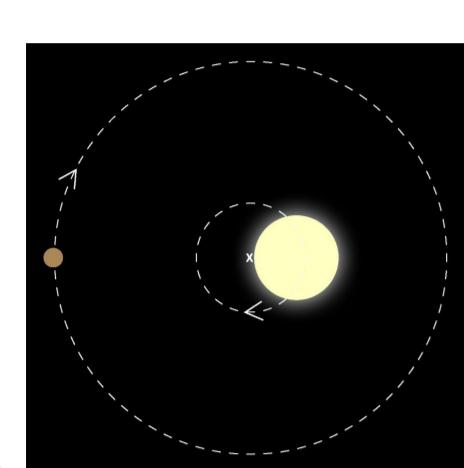


Experimental tests of the calibration of high precision differential astrometry for exoplanets

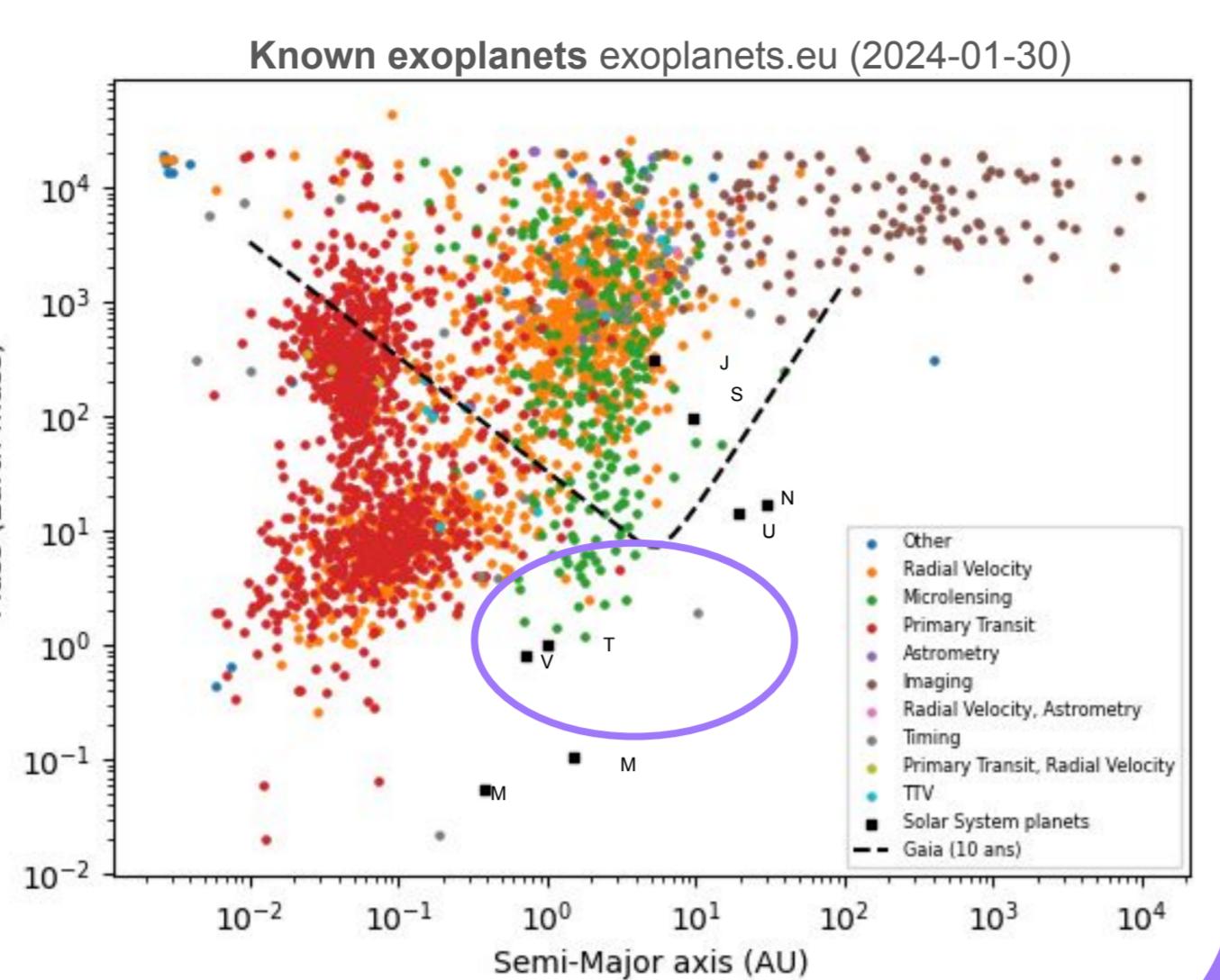
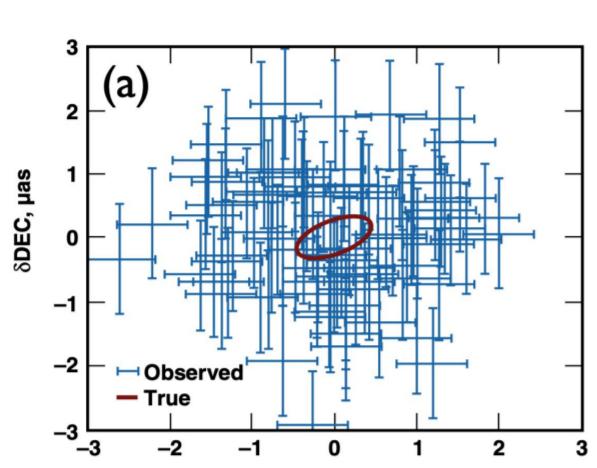
Manon Lizzana (1,2,3), Fabien Malbet (1), Pierre Kern (1), Fabrice Pancher (1), Sébastien Soler (1), Thierry Lepine (4), Alain Leger (5)

Scientific objectives

- Investigate the nature of the **dark matter** in the Milky way
- Study **compact objects**
- Explore **planetary systems** in the Sun's vicinity and particularly **rocky exoplanets in the habitable zone**. Draw up a list of potential targets for future spectroscopic missions (LIFE, HWO)

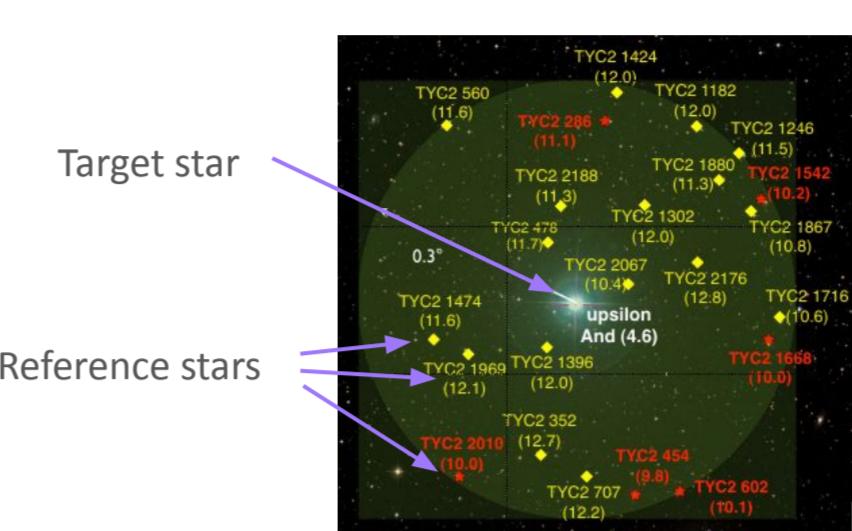


Exoplanets detection by astrometry
Malbet et al 2012



High precision differential astrometry

Differential astrometry allows to increase the precision on a pointed object. The position, distance and motion of the target object are evaluated relatively to the stars present in the field of view



End of the mission required precision :
 $0.3 \mu\text{as} \Leftrightarrow 5e-6 \text{ px} \Rightarrow \text{Calibrations are needed}$

Theia mission

- Space telescope
- Diffraction-limited
- 0.8 m in diameter
- A large field of view (0.5°)
- A fine resolution ($0.3 \mu\text{as}$)
- Stability monitored in real time
- Wavelength : visible

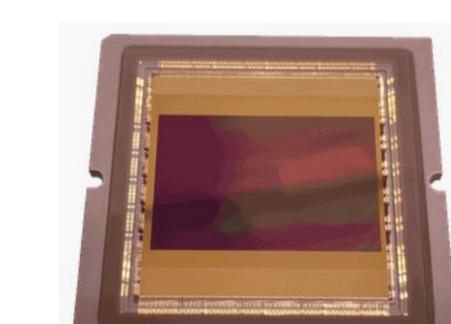
Why not use HWO telescope for high precision astrometry ?

HABITABLE WORLD OBSERVATORY

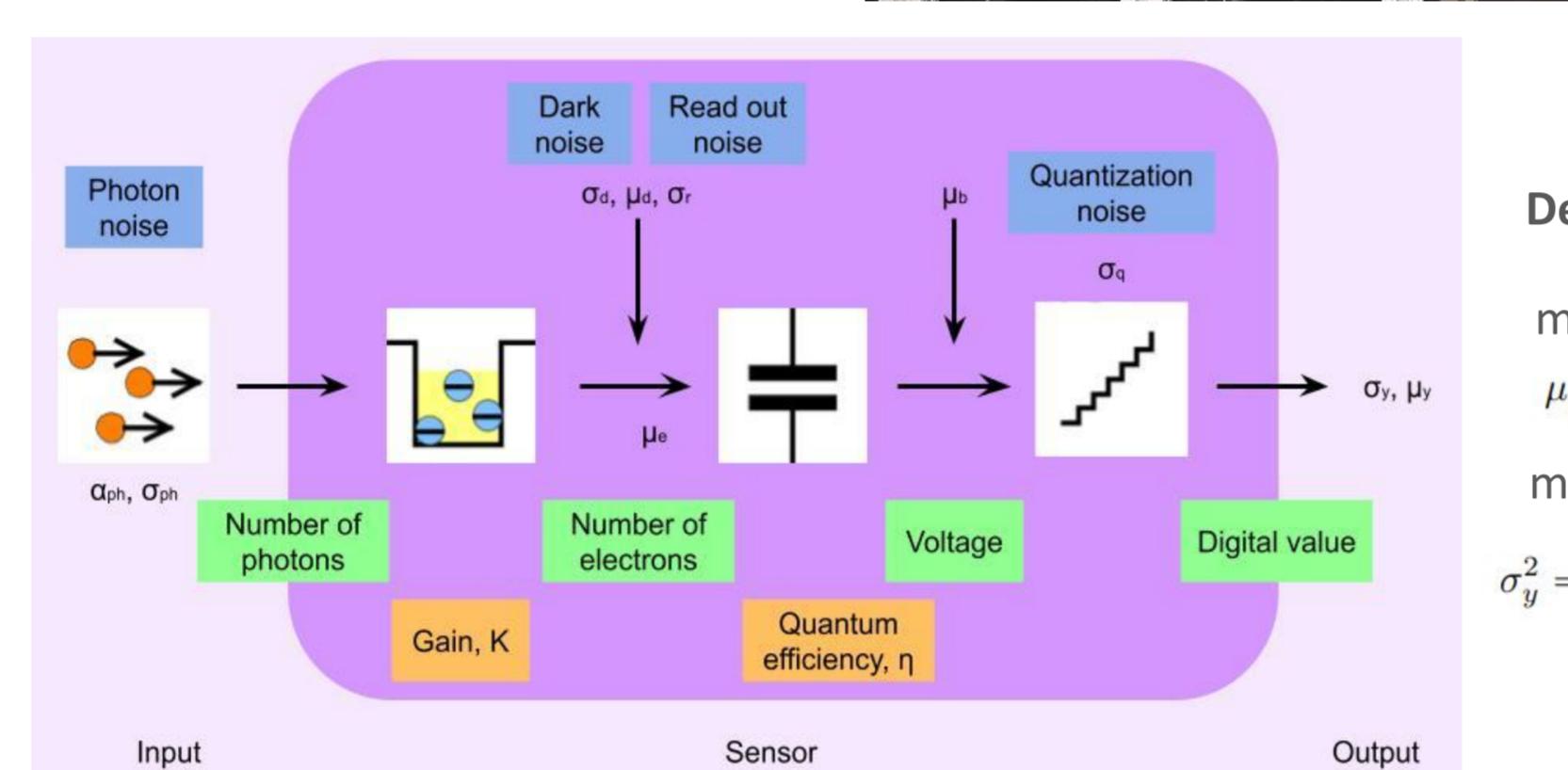
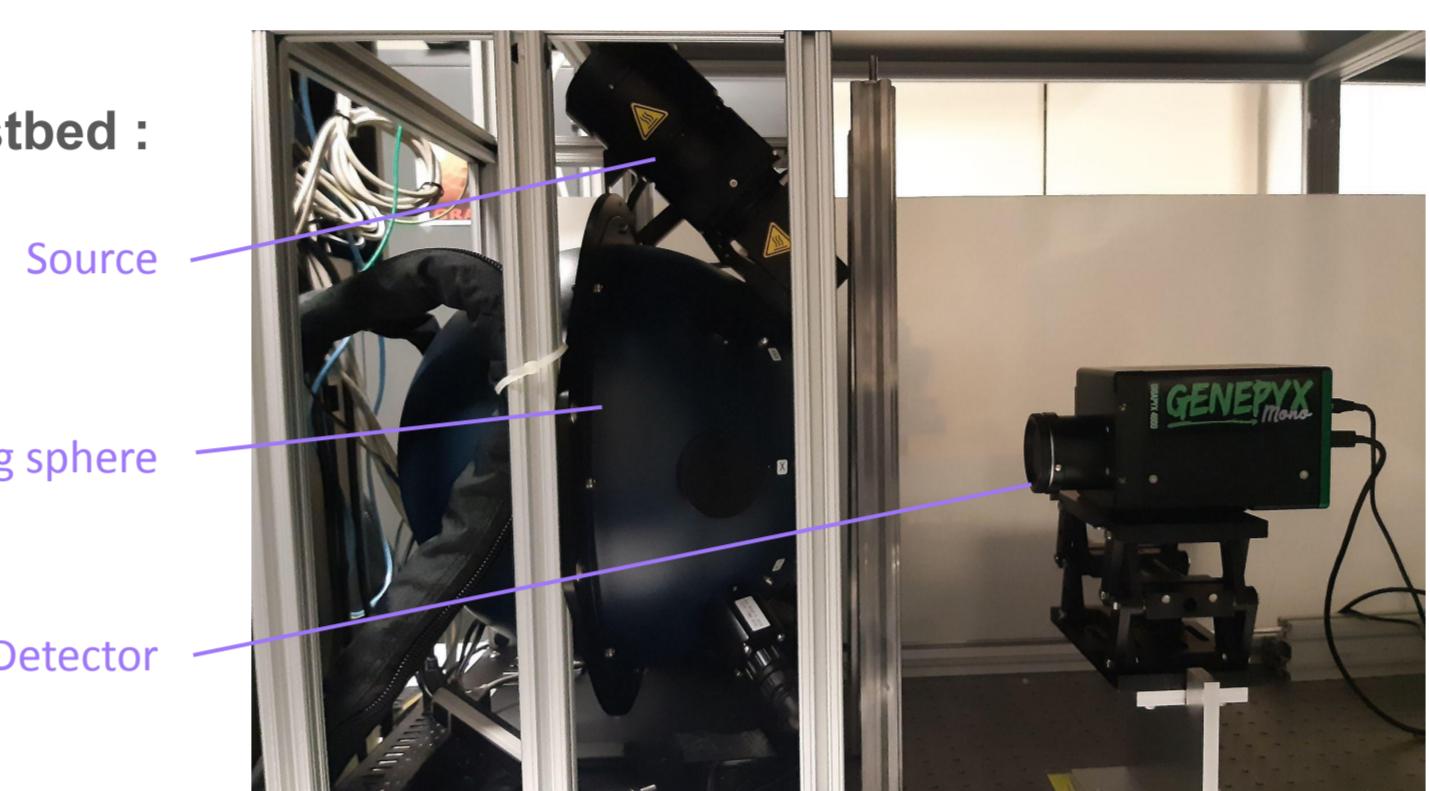
Characterize an adequate CMOS detector

The detectors :

- Need for total field of view coverage : $30\,000 \times 30\,000 \text{ px} = 1 \text{ Gpx}$
- Current laboratory experiments :
 - Gigapyx (Pyxis)
 - CMOS

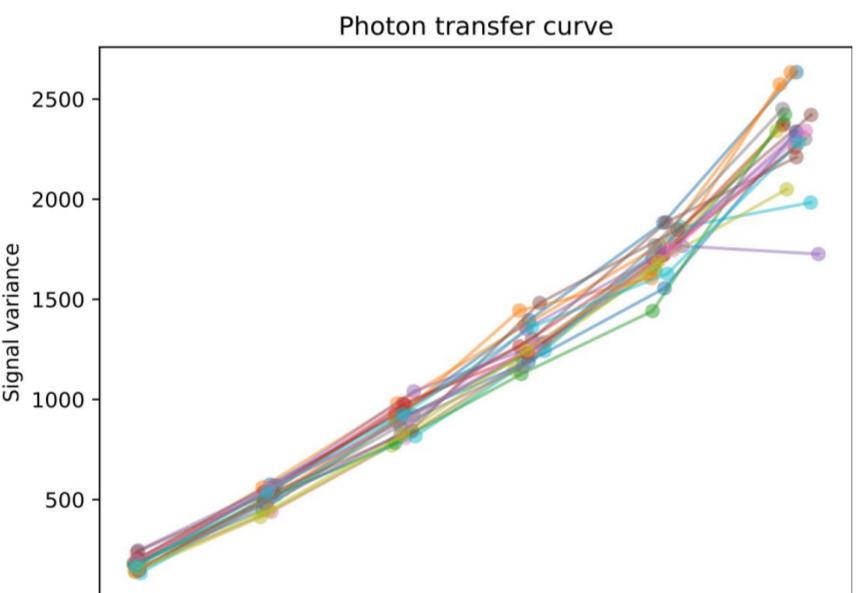


Experimental testbed :



Results : Global characterization pixel by pixel (linearity, dark current, readout noise, gain, ...)

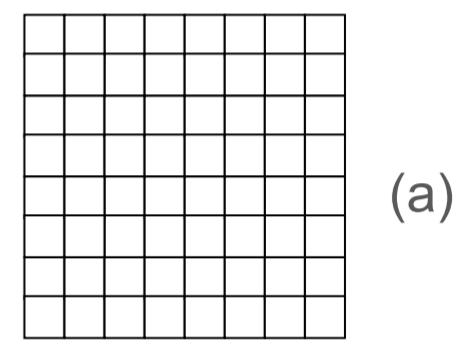
median bias (ADU)	658
std bias	38
median dark current (ADU)	0.0074
std dark current	0.0003
linearity error (%)	0.64
median readout noise (ADU)	0.7
std readout noise	0.2
median gain (ADU/e)	0.71
std gain	0.05
pixel response non uniformity (%)	2.6



Interferometric calibration of the pixel centroid position

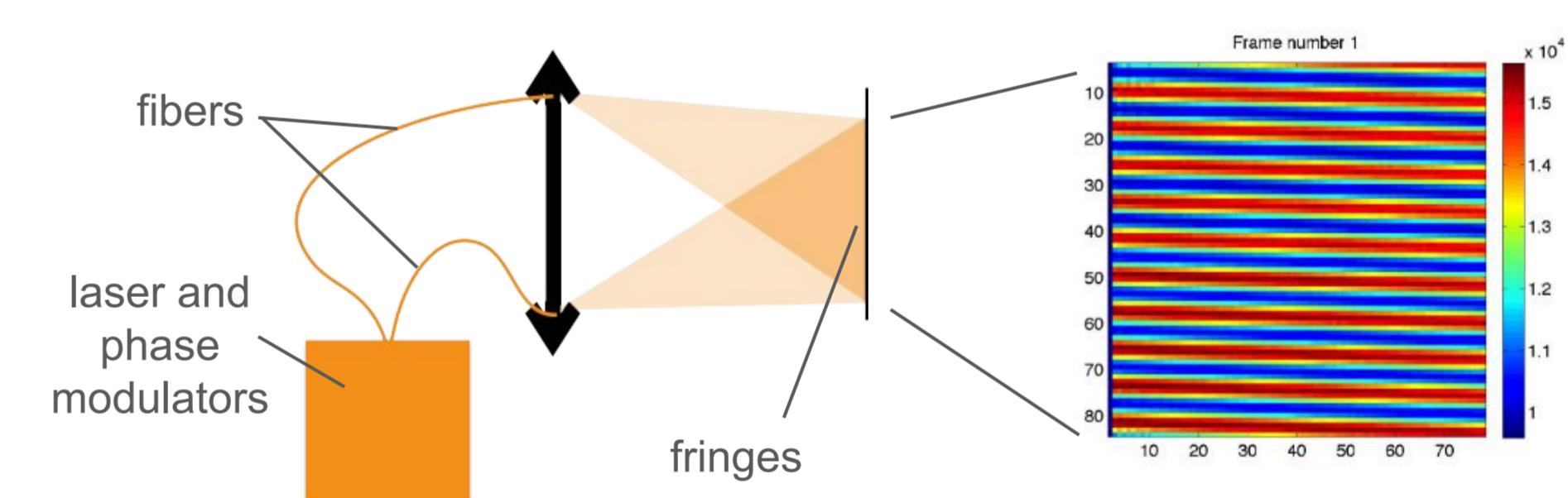
In a theoretical detector (a), row and columns are well aligned, but in a real detector (b) the centroids are misaligned (because of fine pixel structure, quantum efficiency local variations ...)

→ Need of calibration



Calibration procedure :

- Fibres create Young's fringes on the detector
- Phase modulators make the fringes scroll
- The modulation observed by each pixel provides the position of the centroids



- Proof of concept on small matrices (Crouzier et al. 2016, A&A 595, A108) : $6e-5 \text{ px}$
- performance needs to be validated on large matrices → a testbed will be developed at IPAG

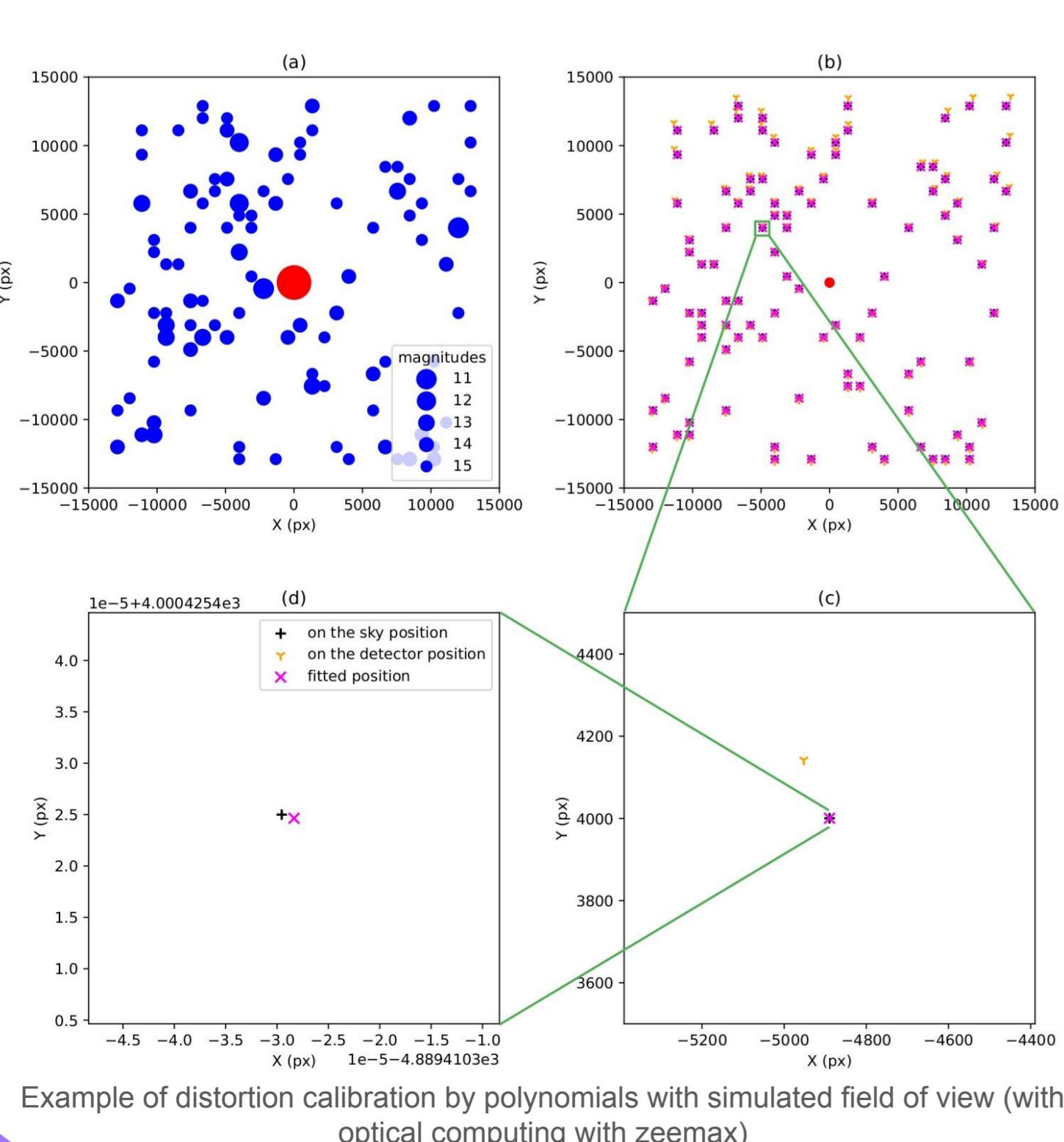
Calibration of optical distortion

Paper in prep
Lizzana et al

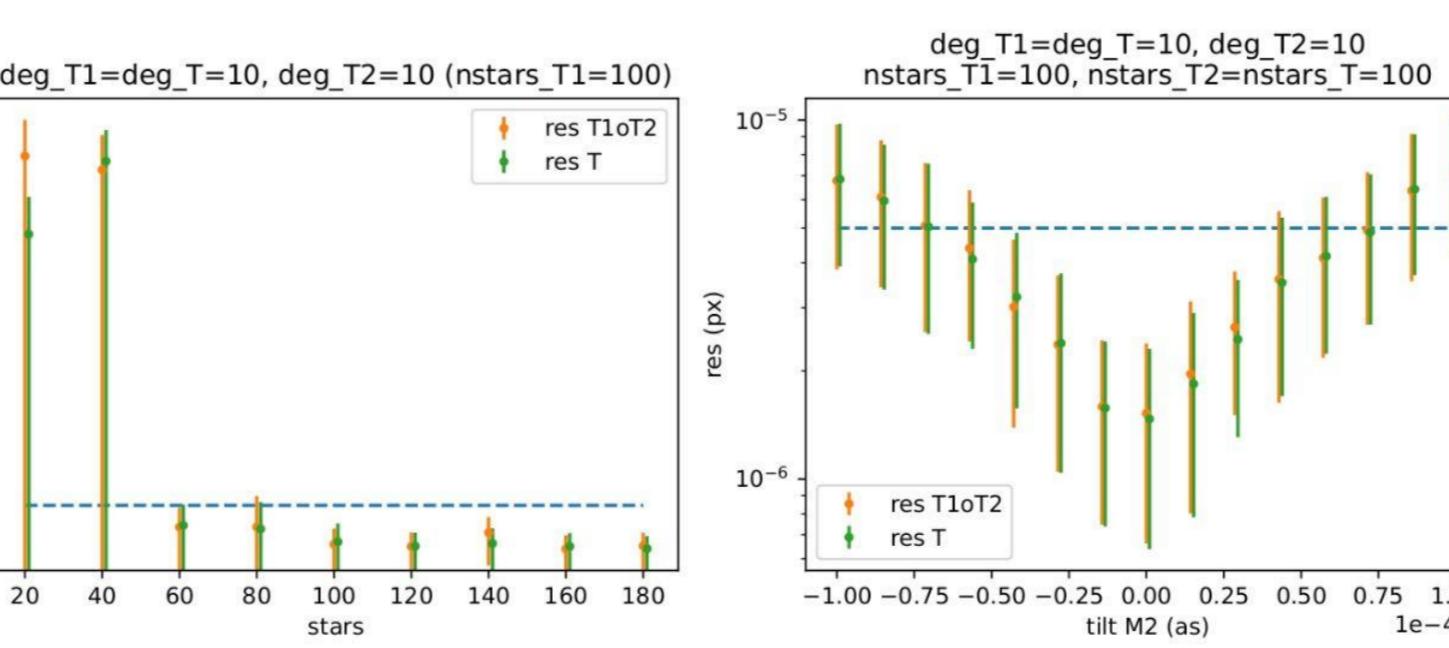
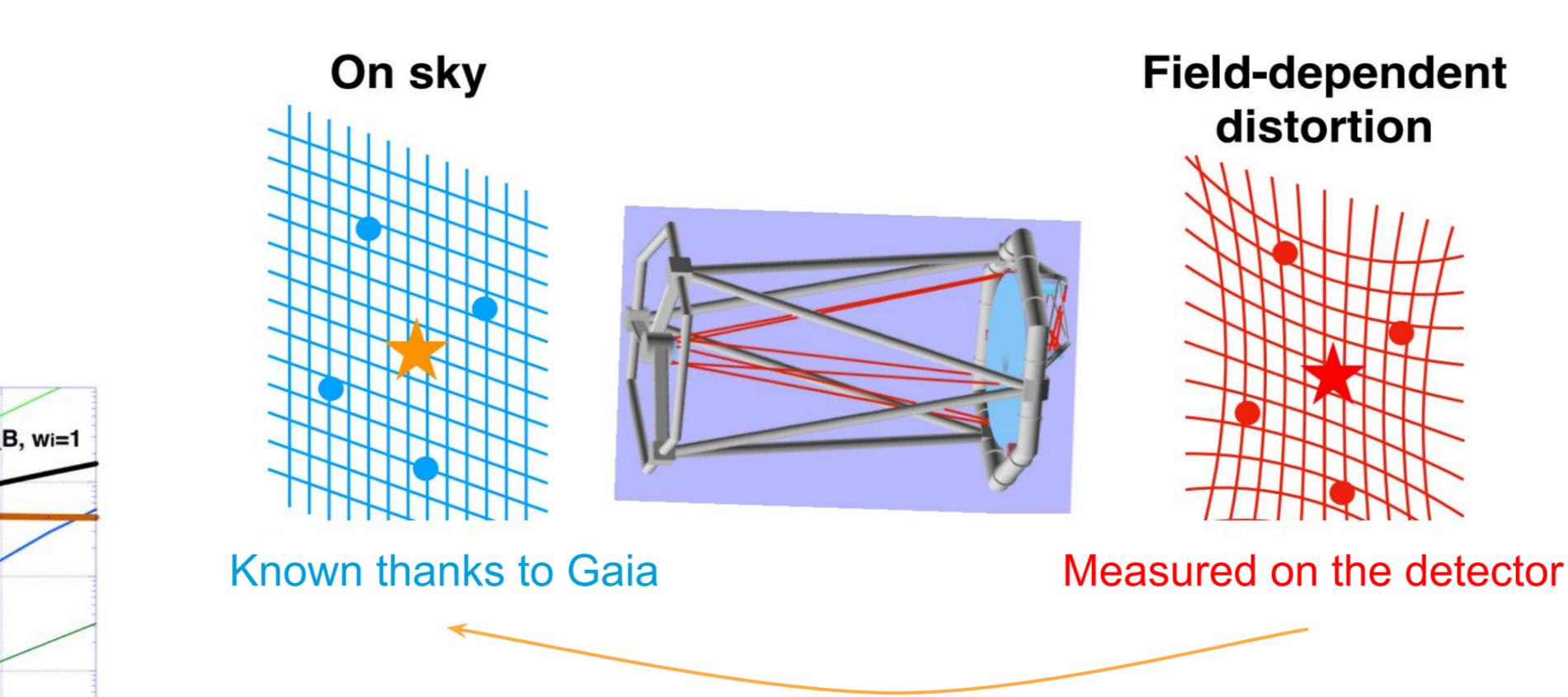
★ with simulations :

Objectiv: Show that a **polynomial model** is able to calibrate the telescope distortion with a precision smaller than $5e-6 \text{ px}$ (corresponding to Earth like planet signal)
Recent work on telescope stability (Malbet et al. 2022, SPIE 12180, 1F) has shown that the reference stars in the field of view known with Gaia catalog in order to compute the distortion function

- model the field distortion function by a 2D polynomial (T or T1oT2)
- Adjust T thanks to the reference stars in the field of view known with Gaia catalog
- Apply T to the target star to recover its undistorted position

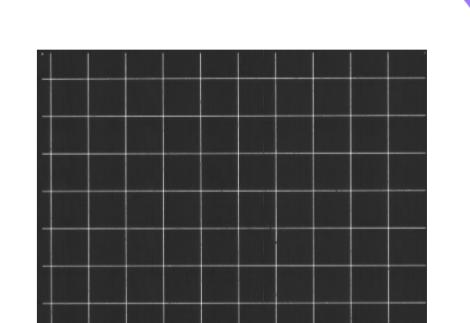


Example of distortion calibration by polynomials with simulated field of view (with optical computing with zeeman)



Conclusion: A precision of $5e-6 \text{ px}$ can be reached with about 100 stars and an 8th order polynomial

★ in laboratory :



Objectiv: show that the procedure described before works in laboratory

- Illuminating pseudo stars on the led screen
- Induce distortion with lens and diaphragm
- Recording distorted star images with the detector
- Apply the previous procedure to recover the undistorted image

