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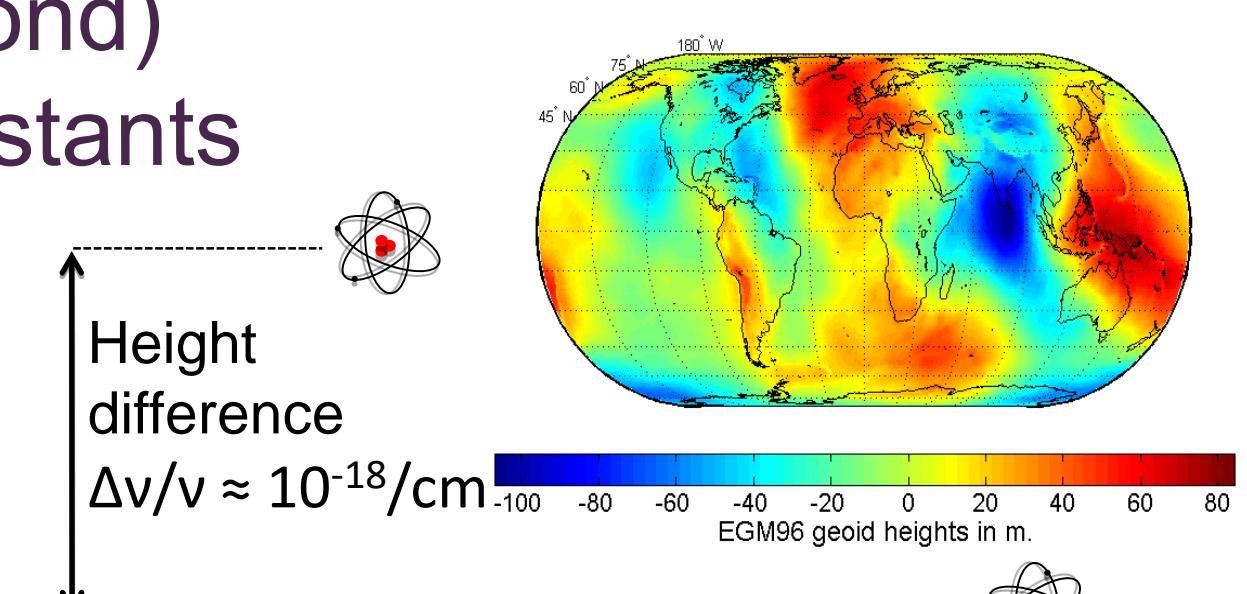
Towards the development of an optical lattice clock using bosonic isotopes of mercury

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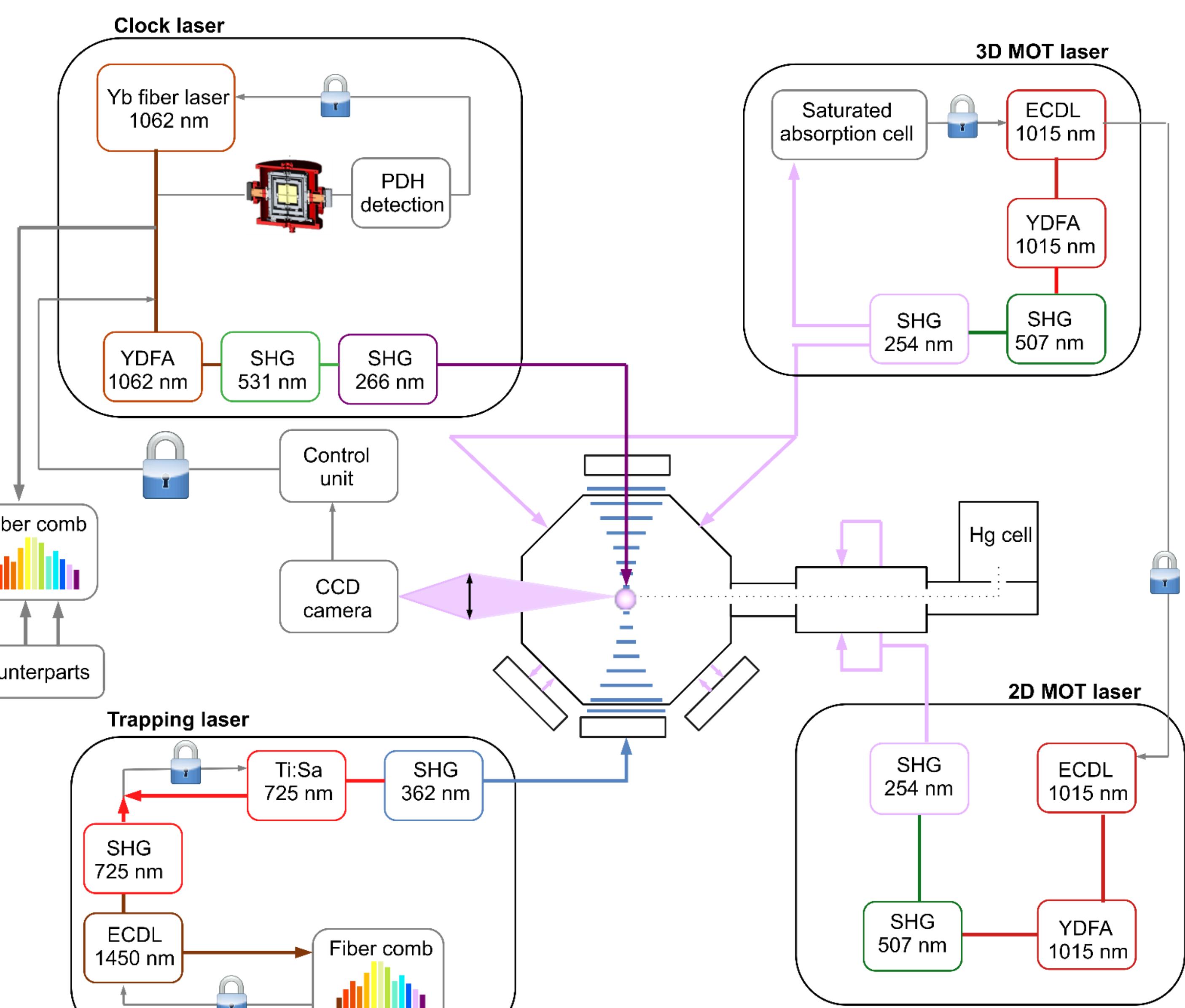
Motivations and applications

- Metrology (redefinition of the SI second)
- Study variations of fundamental constants (fine structure constant α)
- Search for physics beyond the standard model (Dark Matter)
- Tests of General Relativity (equivalence principle, gravitational redshift)
- Applications in the field of chronometric geodesy



Experimental setup

- 10^6 atoms trapped in the 3D-MOT
- 1000 spin-polarised atoms in the lattice



Latest measurement campaigns



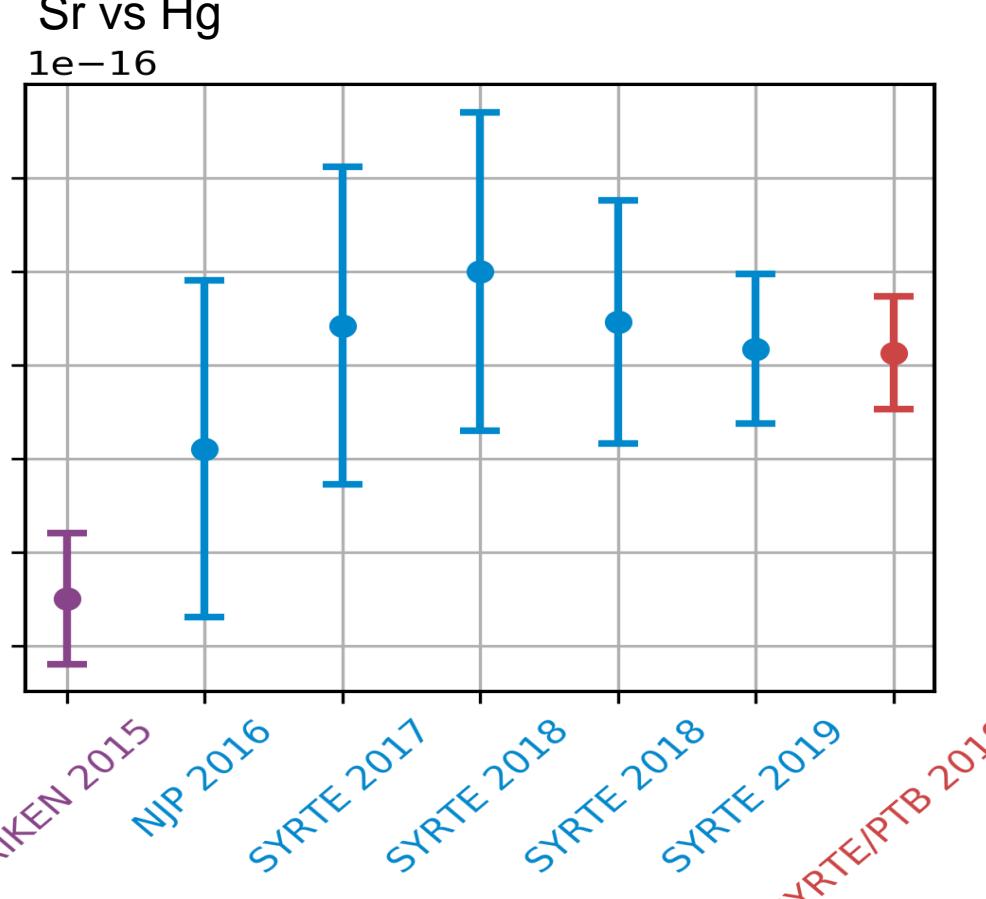
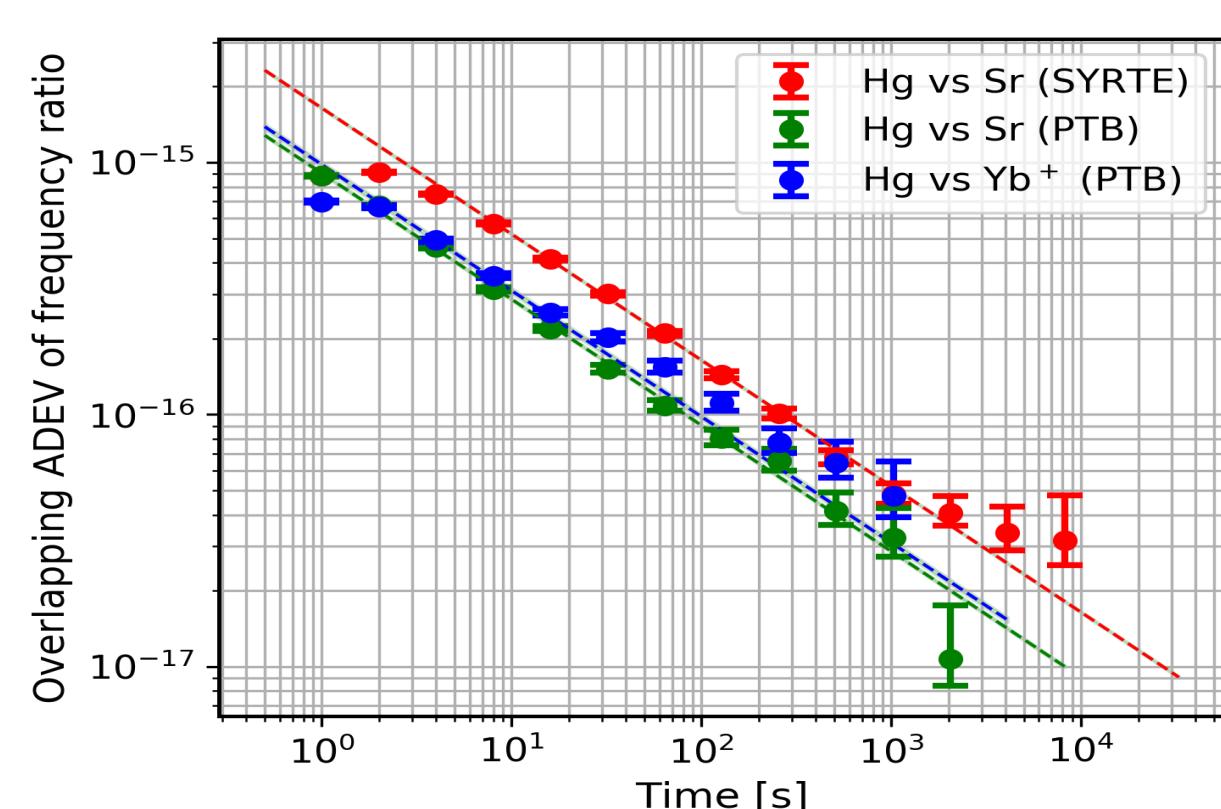
^{199}Hg (local and optical fiber links)



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PTB
Physikalisch-Technische Bundesanstalt
Braunschweig und Berlin

NPL
National Physical Laboratory



Systematic effect	Correction (10^{-17})	Uncertainty (10^{-17})
Linear lattice light shift	-3	2.1
Quadratic Zeeman effect	1.3	0.2
Collisional shift	2.6	1.5
Nonlinear lattice light shift	-3	3
Black-body radiation	15.1	2
Background gas collisions	0	2
Probe light shift	0	0.1
Probe laser AOM phase transient	0.2	0.4
TOTAL	14.2	4.8

- Lattice light shifts are dominant
- Some systematics are limited by statistics
- For a few effects only theoretical estimates available
- BBR shift is manageable at room T with almost no effort
- Total uncertainty for the mercury clock : 4.8×10^{-17} below the SI second
- See [12]

The choice of Mercury

Exquisite properties for optical lattice clocks...

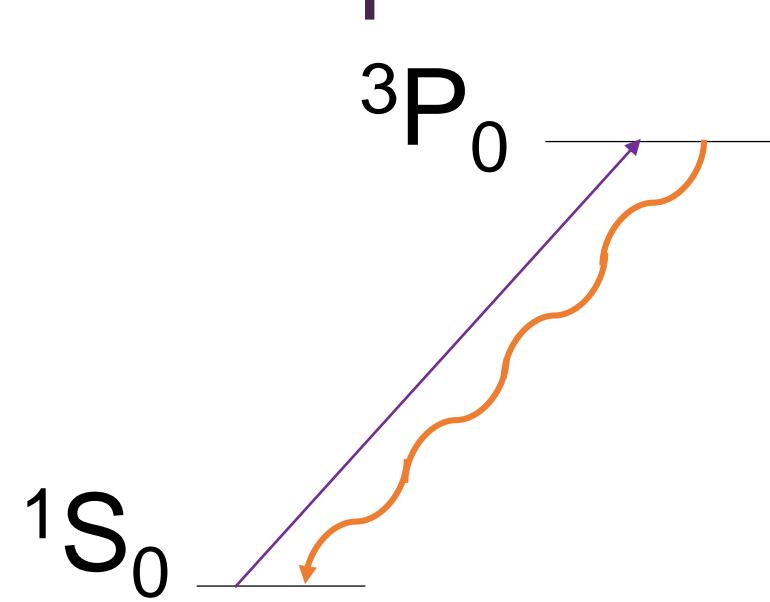
- Low sensitivity to black-body radiation shift (Yb/16, Sr/30)
 - Simple structure of the clock transition
 - High vapour pressure at room temperature (no oven, possibility for a 2D-MOT...)
 - 7 stable isotopes
 - Sensitive to variations of α
- ...that come at a price**
- Deep-UV wavelengths hard to reach



From fermionic isotopes to bosonic isotopes

Fermionic isotope

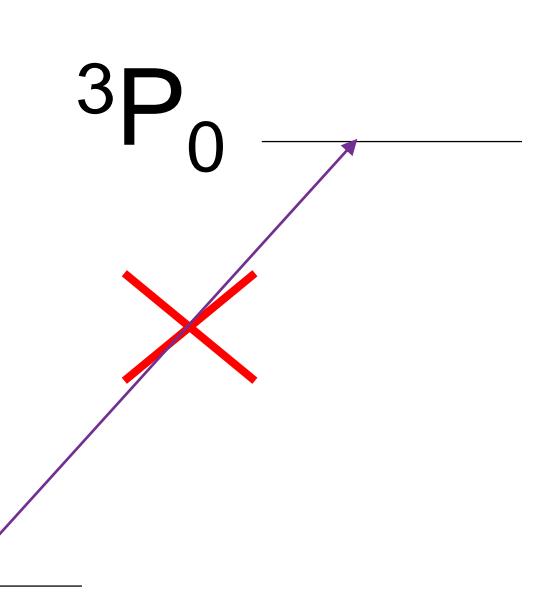
^{199}Hg



- Non zero nuclear spin
- Transition naturally allowed thanks to hyperfine mixing
- But ${}^3\text{P}_0$ lifetime of ~ 1.5 s**
- A limit to exploit new ultrastable lasers**

Bosonic isotope

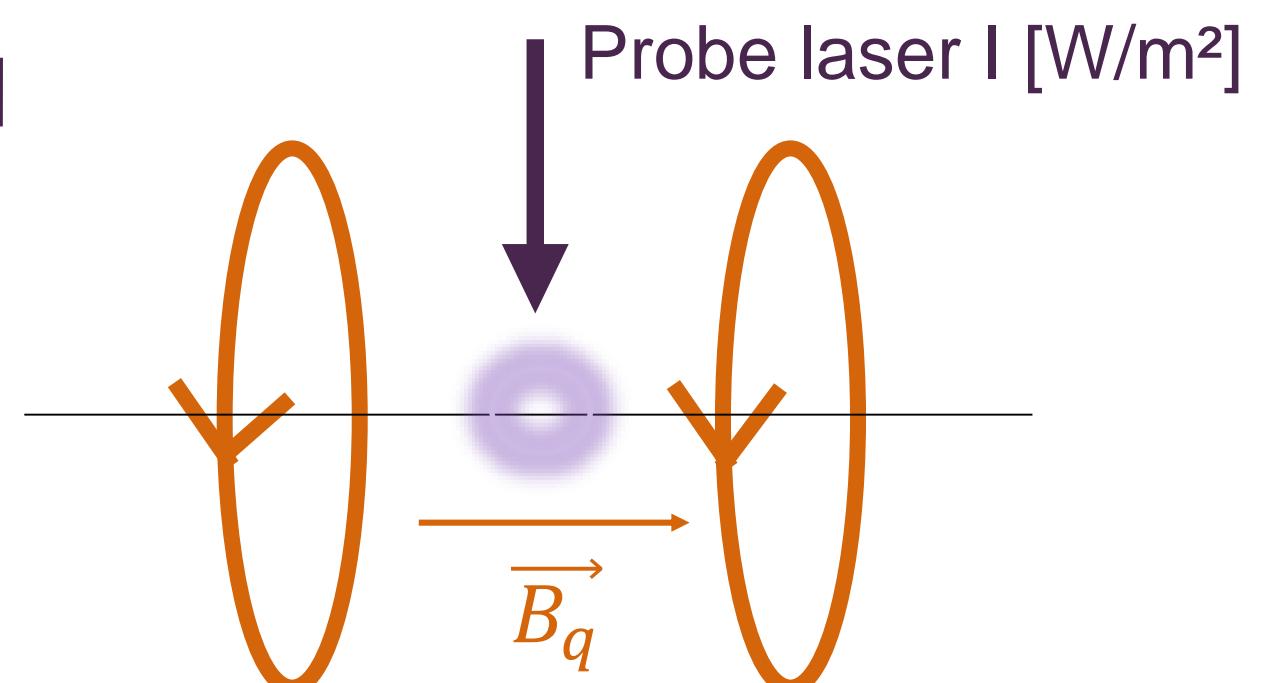
Ex : ^{198}Hg



- Zero nuclear spin
- Forbidden transition : but can be induced by an external magnetic field \vec{B}_q : « quenching »
- Lifetime potentially unlimited and adjustable**
- To be studied : High second order Zeeman shift and light shift.**
- Hyper Ramsey interrogation to circumvent them ?**

Quenching calculations (after [6])

- External magnetic field \vec{B}_q obtained thanks to the 3D MOT coils in Helmholtz configuration.
- Maximum field accessible in our setup : $B_q = 155 \times 10^{-4} \text{ T}$



- Finding the bosonic clock transition
 - High effective Rabi pulsation Ω_{12} needed \Rightarrow high magnetic field \vec{B}_q .
 - Current experimental uncertainty for ^{198}Hg : 12 MHz [11].

^{198}Hg	Power [mW]	Intensity I [W/cm²]	Magnetic field B [10^{-4} T]	Second order Zeeman shift $\frac{\Delta_B}{2\pi} [10^{-14}]$	Rough estimate of the light shift $\frac{\Delta_L}{2\pi} [10^{-14}]$	Effective Rabi pulsation (low estimate) $\frac{\Omega_{12}}{2\pi} [\text{Hz}]$
High coupling	1	1.59	155	-52.5	1.6	38.0
	0.1	0.159	155	-52.5	0.16	12.0
Low coupling	1	1.59	15.5	-0.52	1.6	3.8
	0.1	0.159	15.5	-0.52	0.16	1.20

Figure of merit :

$$\xi = \frac{\Omega_{12}}{\sqrt{\Delta_L \Delta_B}}$$

Figure of merit ξ \Rightarrow characterises the strength of the excitation compared to the field shifts

References

- [1] W.F. McGrew et al., *Nature*, p.1, 11, 2018.
- [2] A. D. Ludlow et al., *Review of Modern Physics*, 87(2), 7, 2015.
- [3] S. Bize, *Comptes Rendus Physique*, 20, 1, 2019.
- [4] R. Tyumenev et al., *New Journal of Physics*, 18, 11, 2016.
- [5] K. Yamanaka et al., *Physical Review Letters*, 114(23), 2015.
- [6] A. V. Taichenachev et al., *Physical Review Letters*, 96(8), 3, 2006.
- [7] S. Origlia et al., *Physical Review A*, 98(5), 11, 2018.
- [8] S. Falke et al., *New J. Phys.*, 16 073023, 2014.
- [9] J. Lodewyck et al., *Metrologia*, 53 1123, 2016.
- [10] N. Huntermann et al., *Physical Review Letters* 116, 2016.
- [11] E. B. Saloman, *J. Phys. Chem. Ref. Data*, 35, 151, 2006.
- [12] M. Andia et al., *Presentation at IFCS 2020*.