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Structure and individuality of navigation in zebrafish larvae

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Zebrafish larvae use stereotyped discrete swim bouts of various types to navigate their environment. Their temporal sequence displays a complex structure, whose characteristics are modulated by external factors, such as the water temperature. Here, we show that the use of Hidden Markov Models allows one to parse the exploratory kinematics of larval zebrafish in an agnostic fashion. Our approach thus provides a more robust method of bout classification than was previously proposed with standard Markov Models relying on ad hoc state identification hypothesis. We then unveil temporal persistence in the navigation at low water temperature that was previously overlooked or underestimated. We further show that the model is accurate enough to capture subtle differences in exploratory trajectories between individuals, and has thus potential application in behavioral phenotyping. The code used in this study is made available in a format specifically designed for educational purposes.

Keywords: zebrafish; Markov Chain; Hidden Markov Model; behavior

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I. INTRODUCTION

Animal behavior unfolds as a structured sequence of 11 stereotyped motor actions, much like language. Under-12 standing behavior thus requires identifying the vocab-13 ulary, *i.e.* to categorize these elementary behavioral 14 units, and to characterize the corresponding grammar, 15 *i.e.* their relative organization [1]. As an illustration, 16 ¹⁷ navigation in Zebrafish larvae (see [2–4] for review) consists of a series of discrete swimming events of $\sim 100 \text{ ms}$ 18 duration, called bouts, separated by $\sim 1-2$ second-long 19 dwelling periods. Due to this inherent discretization, the 20 navigation behavior appears particularly well suited to 21 modeling in terms of Markovian dynamical processes. 22 However, to implement this approach effectively, reli-23 able segmentation of consecutive bouts into different cat-24 egories, or states, is essential. 25

So far, the categorization of bouts has been carried 26 out independently of the examination of their temporal 27 organization. In [5], unsupervised segmentation was per-28 formed through Principal Component Analysis (PCA) of 29 tens of kinematic parameters extracted from the fish's tail 30 and body motion. This approach yielded no less than 13 31 bout types, a number that the authors found sufficient to 32 encompass the entire behavioral repertoire of the animal, 33 including hunting, escape, social behavior, etc. 34

In other studies [6–12], the focus was put on the animal strategy of spontaneous exploration in spatially uniform environments or in the presence of sensory gradients (taxis). In this context, a crucial kinematic parameter ³⁹ was the animal orientational dynamics. Bouts were then ⁴⁰ categorized based on the value of their induced body re-⁴¹ orientation, resulting in the labeling of forward and turn-⁴² ing bouts (either rightward or leftward). The selection of ⁴³ these various bout types was found to depend on sensory ⁴⁴ cues, resulting in the animal's capacity to ascend light ⁴⁵ [6, 9] or temperature [11, 13, 14] gradients.

Although it offered a simple and interpretable descrip-46 ⁴⁷ tion of the animal's explorational dynamics, the 3-state ⁴⁸ categorization approach in these studies was based on a ⁴⁹ partition of the bouts according to some threshold, *i.e.* 50 bouts were labeled as turns if the reorientation angle was ⁵¹ larger than some fixed value. This approach has two 52 drawbacks. From a statistical point of view, it is prone ⁵³ to biases, in particular when comparing behavioral data 54 obtained in different contexts, such as temperature, lu-⁵⁵ minosity, hunger state, etc, which may systematically im-⁵⁶ pact the way bouts of a given type are executed. From 57 a conceptual point of view, it is unclear why a quantita-58 tive observation, such as the reorientation angle, should ⁵⁹ be unambiguously assigned to a unique behavioral state. ⁶⁰ Different internal states of the animal, likely related to ⁶¹ some distinct neural counterparts, could transiently give ⁶² rise to similar motor or behavioral correlates.

To understand how much these biases affect the current description of navigation in larval zebrafish, we hereafter re-analyze video recordings of freely swimming animals using more flexible and agnostic methods. We make ruse of Markovian-based state space models, more precisely the Hidden Markov Model (HMM), as an alternative and agnostic way of parsing exploratory trajectories. HMM have long been successfully applied in a variety ru of tasks and species, as they provide a robust method to discover underlying structures in temporal data in an ausupervised way [15–18]. Additionally, these models of-

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76 77 78 ⁸⁰ ploy strategies to keep their body temperature within a ¹³² 82 83 experiences in its environment. 84

85 bouts and their temperature dependence, as derived from ¹³⁸ come more winding and erratic. 86 two methods: the first one uses threshold-based labeling 87 (as in [11]) followed by Markov Chain modeling (MC); 88 the second one relies on HMM to simultaneously label ¹³⁹ 89 the bouts and infer their temporal organization. We find 90 that HMM, by inferring a consistent bout labeling, allows 140 91 description of the dynamics between (hidden) behavioral 95 96 thresholding approach. 97

We further leverage the scoring capability of HMMs 98 to quantitatively assess how the trajectories change from 99 a statistical point of view across time for the same an-100 imal, and how these temporal fluctuations compare to the inter-individual variability in the animals' naviga-102 tion. Remarkably, the models corresponding to distinct 103 104 animals remain sufficiently different across time to allow for automatic and reliable recognition of the animal iden-105 tities from the observation of their trajectories. 106

107 Last of all, we discuss the implications of these results for our understanding of zebrafish navigation and its un-108 ¹⁰⁹ derlying neural processes.

110

RESULTS II.

111 ¹¹² describe the dataset used in the present work. We then ¹⁵⁹ ... using a Markov Chain (MC). Informally, the sequence 113 114 116 ¹¹⁷ markovianity of 3-states bout sequences, and their abil- ¹⁶⁴ states, $P(b'|b) = P(b_n = b \rightarrow b_{n+1} = b')$, are estimated 118 ity to reproduce the persistent properties of swimming 165 by counting the occurrences of the transitions $b \rightarrow b'$ ¹¹⁹ exploration. Last of all, we evaluate the ability of HMM ¹⁶⁶ along the trajectories: 120 to perform behavioral phenotyping solely based on ori-¹²¹ entational statistics.

122

А. Data

123 124 $_{125}$ exploration in zebrafish larvae [11]. The experimental $_{171}$ with the frequencies of states (difference < 0.003 for all

⁷⁴ fer a probabilistic framework that can be used to score ¹²⁶ design (Fig.1a) allowed us to record the trajectories of ⁷⁵ part of trajectories or even simulate synthetic behavior. ¹²⁷ multiple freely swimming larvae aged 5-7 days. A set of To better assess the quality of the analysis, we consider 128 kinematic parameters was extracted from the fish trajecrecordings at different water temperatures. Because ther- $_{129}$ tories at each bout n, such as the angular change $\delta\theta_n$ in moregulation is critical for survival, and Zebrafish are 130 heading direction, as well as the dwelling time and the ⁷⁹ ectothermic (a.k.a. cold-blooded) animals [19], they em- ¹³¹ traveled distance (see Material and Methods sec. IV A). The experiment was repeated in a range of controlled ⁸¹ physiological range (18-33°C). As was shown in previous ¹³³ temperatures, specifically 18°C, 22°C, 26°C, 30°C, and work, the animal navigates to its optimal temperatures ¹³⁴ 33°C (Fig.1b). The ambient temperature impacted sysby adjusting its behavior based on the temperature it 135 tematically the statistics of trajectories, leading to qual-¹³⁶ itatively different behaviors as illustrated in Figure 1b. We systematically compare the 3-state sequences of 137 As the temperature increased, trajectories tended to be-

Modeling with Markov Chains B.

Observation of the distribution of reorientation angles ⁹² one to reveal a more pronounced persistence of the bout ¹⁴¹ after each bout in Figure 1d suggests a description of the ⁹³ type and bout orientation at low temperatures. Yet, this ¹⁴² dynamics in terms of 3 states, labeling each swim bout persistence in orientation is compatible with a Markovian $_{143}$ into forward (F) or turn, either to the left (L) or to the 144 right (R). In practice, this categorization is carried out states, in contrast with results obtained with the ad-hoc 145 by thresholding the distribution of re-orientation angles. ¹⁴⁶ Denoting the state of swim bout n by b_n we have:

$$b_n = \begin{cases} R, & \text{if } \delta\theta_n < -\delta\theta_0 \\ F, & \text{if } -\delta\theta_0 < \delta\theta_n < +\delta\theta_0 \\ L, & \text{if } \delta\theta_n > +\delta\theta_0 \end{cases}$$
(1)

 $_{^{147}}$ The same threshold $\delta\theta_0=\pm10^\circ$ is applied for left and 148 right turns. This choice relies on the hypothesis that ¹⁴⁹ zebrafish larvae, as a group, have no preferred direction ¹⁵⁰ (a.k.a., non-handedness). As the exact value of $\delta\theta_0$ has ¹⁵¹ minimal qualitative impact on the results of the Markov ¹⁵² Chains, we adopt the same value as in [11]; notice that 153 $\delta\theta_0$ is the same for all temperatures to avoid introducing ¹⁵⁴ ad hoc temperature-dependent biases. An example of ¹⁵⁵ the classification of states along a swimming trajectory ¹⁵⁶ is shown in Figure 2c.

Once the bout states are identified, we define a dynam-157 This section is organized as follows. First, we briefly $_{158}$ ical model for the trajectories $\dots \rightarrow b_{n-1} \rightarrow b_n \rightarrow b_{n+1} \rightarrow b_n \rightarrow b_n \rightarrow b_{n+1} \rightarrow b_n \rightarrow$ introduce two methods to model the trajectories: naive 160 in states is described by the probabilistic automaton in Markov Chains (MCs) inferred from manually classified ¹⁶¹ Figure 2a. In this model, after each bout n, a new state data, and Hidden Markov Models (HMMs). The out- $162 b_{n+1}$ is drawn randomly conditioned only to b_n (and not comes of the two methods are compared in terms of the 163 to previous states). The transition probabilities between

$$P(b'|b) = \frac{\#_{b\to b'}}{\#_{b\to F} + \#_{b\to L} + \#_{b\to R}}$$
(2)

167 with $b, b' \in \{F, L, R\}$.

The top right eigenvector of the 3×3 transition matrix 168 The data used in the present paper comes from a pre- $_{169}$ gives access to the stationary probabilities P(b) of the 3 vious publication that examined the kinematic of free 170 states. These probabilities are in excellent agreement

173 counting.

Modeling with Hidden Markov Models С. 174

175 176 where states are inferred rather than a priori assigned. 222 the threshold, while for the same sequence, the HMM 177 178 179 180 181 182 183 by: 184

• The transition probabilities $P(b \rightarrow b')$ between the 185 hidden states. We enforce the non-handedness by 186 imposing that 187

$$P(F \to L) = P(F \to R)$$
$$P(L \to L) = P(R \to R)$$
$$P(L \to R) = P(R \to L)$$
$$P(L \to F) = P(R \to F)$$

This in turn ensures that steady state bout proba-188 bility is left-right symmetric (P(L) = P(R)). 189

• The emission probabilities, $E(\delta \theta | b)$, relate the ob-190 servations $\delta\theta$ to the hidden states b. For the for-191 ward state, we choose normally distributed reori-192 entation angle emission distributions, centered in 193 194 195 a positive or negative sign according to whether 196 the state is Left or Right: $E(\delta\theta|L) = \Gamma(+\delta\theta; \alpha, \theta)$ 197 and $E(\delta\theta|R) = \Gamma(-\delta\theta; \alpha, \theta)$, constraining $\alpha > 1$. ²⁵² 198 199 same parameters for the left and right emission dis-200 tribution. See Material and Methods sec. IVB for 201 details about the validation of these emission dis-202 tributions. 203

• A probability distribution for the initial state at 204 the beginning of a trajectory. 205

206 the Baum-Welch algorithm, with a custom Julia 207 implementation (available at https://github.com/ 208 ZebrafishHMM2023/ZebrafishHMM2023.jl). 209 210

State identification methods have a strong D. 211 impact on captured behavioral persistence 212

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¹⁷² bout types and temperatures) estimated through direct ²¹⁵ Fig.2b) have the same internal behavioral states, we pro-216 pose in this section a comparison of these models to in-²¹⁷ vestigate the impact of those different labeling methods. As illustrated with an example trajectory at 22°C in ²¹⁹ Figure 2c, MC and HMM labeling are quite different. ²²⁰ MC labeling can display alternations between Forwards We then turn to an agnostic categorization method, 221 and Turns when the bout reorientations are close to To do so, we consider a Hidden Markov Model (HMM) on 223 tends to consistently label these bouts as Turns. These 3 states, see Figure 2b. Contrary to MC, HMM makes a 224 differences correspond to a reclassification of approxiclear distinction between the observations (here the reori- 225 mately 60% of Forward bouts into Turning bouts at 22°C entation angles $\delta \theta_n$ treated as 'symbols') and the states $_{226}$ (Fig.2d, Supplementary Fig.7a for all temperatures). of the system (here b_n , which are not directly accessible 227 With the HMM classification, we thus observe longer from the knowledge of $\delta\theta_n$, in contradistinction with the 228 streaks of consecutive turns in the same direction, with key assumption underlying MC). The HMM is defined 229 characteristic turn-streak length $L_0^{\rm HMM} \approx 1.4$ bouts 230 (while $L_0^{\rm MC} \approx 0.9$ bouts), with $P(L) \propto e^{-L/L_0}$ the $_{231}$ probability of observing a streak of L consecutive bouts ²³² of the same type (Fig.2e). In contrast, we find no significant difference in characteristic forward-streak length ²³⁴ between HMM and MC. Also, as temperature increases, we observe for both models that the characteristic streak 235 ²³⁶ length decreases (particularly for forward bouts), which 237 is coherent with our previous understanding of zebrafish navigation, which tends to involve sharper turns (*i.e.*, ²³⁹ reorienting themselves using fewer but more pronounced turning bouts) at higher temperatures (see Fig.1b). 240

Taken together, these results suggest that the Hid-242 ²⁴³ den Markov Model might be better at capturing the ²⁴⁴ long-term persistence in reorientation while maintaining 245 a coherent (and perhaps more accurate) bout clas-246 sification. This is likely due to the model's ability 247 to label bouts of small reorientation angles based on zero: $E(\delta\theta|F) = \mathcal{N}(\delta\theta; 0, \sigma)$. For turn states, we ²⁴⁸ context, leading to a more stable classification where use Gamma distributed reorientation angles, with ²⁴⁹ the threshold method would induce oscillations between ²⁵⁰ turn and forward bouts.

To better assess the different impacts between those Again, we ensured non-handedness by enforcing the 253 two labeling methods, we turn our attention to the inferred models. 254

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As expected, we observe significant differences in the 255 256 steady-state bout-type probability $P(b_n)$ with $b_n \in$ $\{F, L, R\}$ between MC and HMM (Fig.3a). Indeed, 257 HMM finds turning bouts to be significantly more fre-258 ²⁵⁹ quent at lower temperatures than MC. While HMM finds ²⁶⁰ very little temperature dependence in bout-type distribu-We train HMM models for each dataset using 261 tion, MC analysis leads to the appealing but potentially ²⁶² erroneous conclusion that the rate of turning bouts in-²⁶³ creases uniformly with temperature. This temperature-²⁶⁴ dependent effect is most likely due to the ad hoc hypoth-265 esis that the threshold $\delta\theta_0$ is independent of temperature, ²⁶⁶ while the HMM seems to suggest that the width of the $_{267}$ $\delta\theta_n$ distribution corresponding to forward bouts increases ²⁶⁸ with temperature (see Supplementary Fig.8b,c).

In order to assess the persistence in bout type, we fur-269 ²⁷⁰ ther compared the transition probability P(b|b) and the As the Markov Chain inferred from thresholded data 271 unconditional probability P(b) for both forward (b = F) $_{214}$ (MC, Fig.2a) and the Hidden Markov Model (HMM, $_{272}$ and turning bouts $(b = T \in L, R)$. Indeed, P(b|b) = P(b)

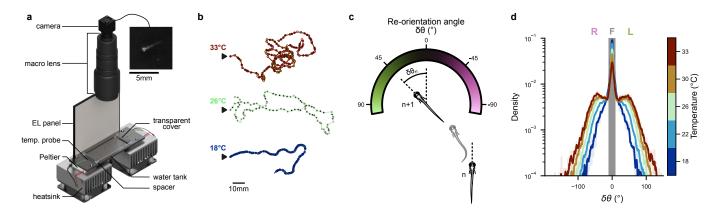


FIG. 1. Experimental Setup and Behavioral Parameter: (a) Overview of the experimental configuration: Zebrafish larvae navigate freely within a temperature-controlled tank while an imaging system records images at a rate of 25 frames per second. The top-right panel offers a close-up view of a larva in a raw image. Adapted from Le Goc et al. [11]. (b) Example zebrafish larvae trajectories in 2D space at various temperatures. Each point represents a swim bout, with the color indicating the corresponding re-orientation angle according to panel c. The trajectories' starting points are denoted by black arrows. (c) Description of the convention used for the reorientation angle $(\delta \theta_n)$ between two consecutive swim bouts (n and n+1). (d) Distribution of re-orientation angles $(\delta \theta_n)$ for each ambient temperature. The grayed-out area corresponds to the re-orientation angles classified as forward bouts by thresholds at $\pm 10^{\circ}$.

333

273 would indicate an absence of persistence or memory in 307 the bout-type selection process, as was previously reported [9] and as is observed with MC $(P_{\rm MC}(F|F) \approx$ 275 $P_{\rm MC}(F)$). In contrast, HMM-based analysis suggests 276 significant bout-type persistence at lower temperatures 277 (Fig.3b): we find that $P_{\text{HMM}}(F|F) > P_{\text{HMM}}(F)$ at 18°C 278 and 22° C. 279

280 tured by the HMM. Indeed looking at the transition 281 ²⁸² matrix $P(b_n \rightarrow b_{n+1}) = P(b_{n+1}|b_n)$ (Fig.3c, Supple-²⁸³ mentary Fig. 8a) and compared to MC, HMM infers significantly higher $P(L \to L)$, lower $P(L \to F)$, and 284 quasi-unchanged $P(L \rightarrow R)$ transition probabilities (and respectively for Right bouts), which enhances the per-286 sistence of Left (respectively Right) bouts at the ex-287 pense of Forward bouts. In other words, the Marko-288 vian transitions become more asymmetrical specifically 289 for direction-dependent transitions, leading to a stronger 290 memory of orientation with the HMM than the MC in-291 ferred from thresholded data. 292

Interestingly, these memory effects in the orienta-293 tion and bout-type vanish at higher temperatures, 294 where the transition matrix becomes uniform (Supple-295 mentary Fig.8a), and all bouts become equiprobable $(P(F) \approx P(L) \approx P(R), \text{ Fig.3a})$. This suggests more 297 erratic trajectories at higher temperatures, which is 298 indeed in line with our observations (see Fig.1b). 299 300

301 302 Markov Model, we unveiled memory effects in zebrafish 337 bouts (Fig.4a, Materials and Methods sec. IV C): 303 reorientation statistics, which had been previously under-304 305 estimated or overlooked due to ad hoc hypotheses with ³⁰⁶ MC approaches.

Markovianity E.

Previous work on this or similar datasets have used 308 ³⁰⁹ a thresholding method to classify and then model reori-310 entation statistics, but have required the use of 4-state ³¹¹ Markov Chains to account for the long-term persistence ³¹² in the data [9, 11]. Specifically, they used 2 indepen-Similarly, memory in bout orientation is better cap- ³¹³ dent Markov Chains, the first controlling forward-turn bout transitions, and the second controlling directional 314 ³¹⁵ left-right bout transitions (see Supplementary Fig.9a for ³¹⁶ a diagram of this 4-state model). This was justified by ³¹⁷ the fact that 3-state models were found to be highly non-³¹⁸ Markovian. In particular, a 3-state model cannot account 319 for directional persistence after a forward bout, a mech-³²⁰ anism that was nevertheless observed. Indeed, in a tran- $_{321}$ sition $T_1 \to F \to T_2$ with $T_1, T_2 \in \{L, R\}$, the memory $_{322}$ of orientation T_1 is lost as soon as the animal executes a forward bout F, and thus the selection of T_2 is necessary 323 unbiased (see Materials and Methods sec. IV D. 324

> Given that our 3-state Hidden Markov Model (HMM) 325 326 re-labels numerous Forward bouts as Turn bouts, we ask whether this improved classification might alleviate this 327 328 non-Markovianity issue, such that the ad hoc 4-state 329 model might no longer be needed. In this section, we thus propose a new test of Markovian violation 330 ³³¹ specifically designed for our use case, that we apply to 332 both the HMM and MC models.

We introduce the stubbornness factor f_q to empirically 334 Overall, we found that by using a non-supervised 335 assess the tendency of larvae to maintain their orienmethod to simultaneously label the data and infer a $_{336}$ tation, even after a sequence of q intermediary forward

$$f_q = \frac{P(T_1 \to F^q \to T_2 | T_1 = T_2)}{P(T_1 \to F^q \to T_2 | T_1 \neq T_2)}$$
(3)

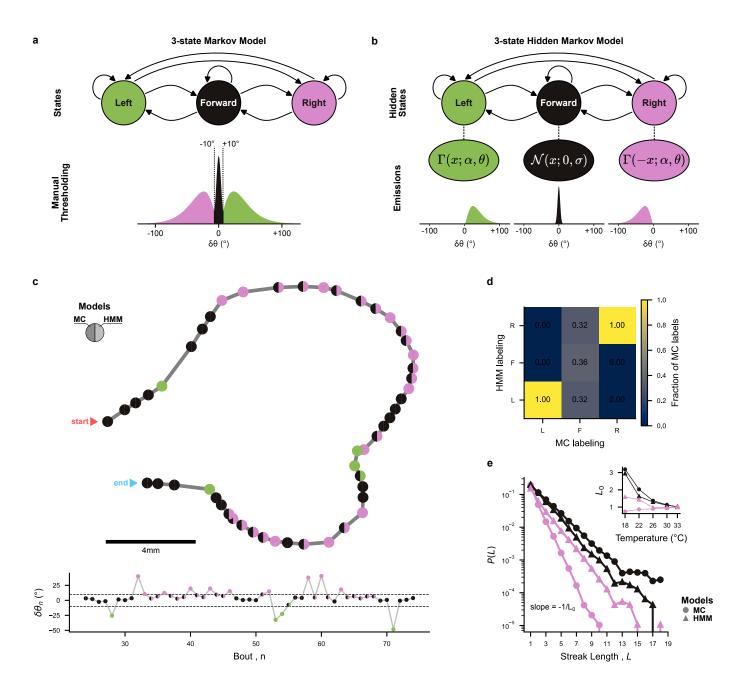


FIG. 2. 3-state Markov Chain and Hidden Markov Model, how behavioral labeling methods affect persistence: (a) Diagram illustrating the 3-state Markov Chain (MC) where behavioral states Forward (F), Left (L), and Right (R) bouts are classified using a hard threshold at $\delta\theta_0 = \pm 10^{\circ}$. (b) Diagram illustrating the 3-state Hidden Markov Model (HMM) with emissions modeled as a normal distribution for Forward bouts and gamma distributions for Turning bouts. (c) Differences in labeling between models MC and HMM for an example trajectory at 22°C. Each point represents a swim bout, with left color corresponding to the labeling according to the manual threshold used in MC, and right color corresponding to the labeling according to the manual threshold used in MC, and right color corresponding to the labeling according to the threshold $\delta\theta_0 = \pm 10^{\circ}$. (d) Confusion matrix between MC and HMM labeling, for all trajectories at 22°C (normalized with respect to the MC labeling). (e) Probability P(L) of observing a streak of L consecutive forward bouts (black) or L consecutive turning bouts in the same direction (pink), for MC (circles) and HMM (triangles), measured from data at 22°C. Inset: Temperature dependence of the exponential decay characteristic length (L_0) .

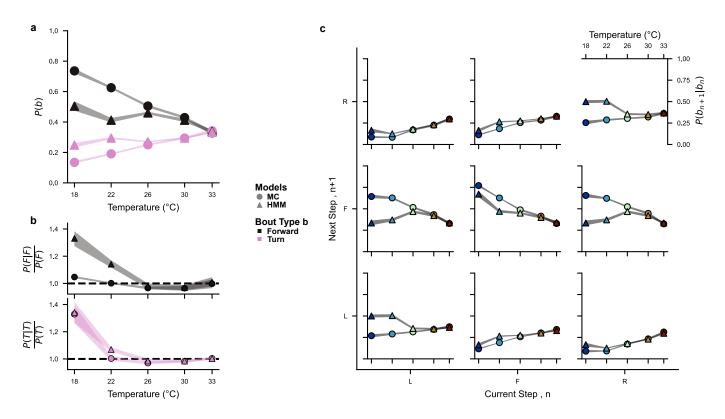


FIG. 3. Memory effects emerge from better labeling: (a) Temperature dependence of the steady state bout probabilities P(b) for forward bouts (b = F, black) and turning bouts $(b \in \{L, R\}, pink)$, and for both the Markov Chains inferred from thresholded reorientations (MC, circles) and Hidden Markov Models (HMM, triangles). (b) Temperature dependence of the ratio $\frac{P(b|b)}{P(b)}$, for forward bouts (b = F, black) and turning bouts $(b \in \{L, R\}, pink)$. The dashed line indicates P(b|b) = P(b), where the probability of state b_{n+1} is independent of state b_n (*i.e.* memoryless for $F \to F$ or $T \to T$ transitions). (c) Temperature dependence of the transition probabilities $P(b_{n+1}|b_n)$ between forward (F), left (L), and right (R) bouts, for both the Markov Chain (MC, circles) and Hidden Markov Model (HMM, triangles). (a,b,c) Throughout this figure, the width of the shaded curves represents the minimum-maximum of 100 cross-validations of both models, where for each cross-validation, model parameters were inferred from 50% of the data.

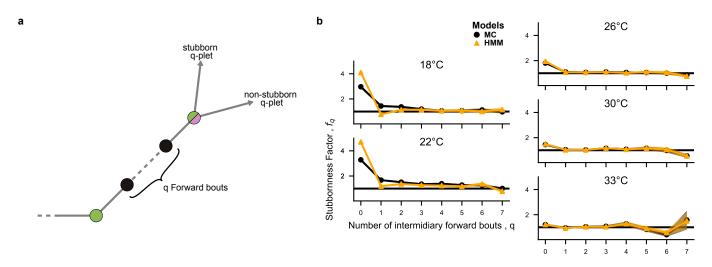


FIG. 4. Markovianity: (a) Diagram illustrating the definition of the stubbornness. For a q-plet of bouts $T_1 \to F \to \cdots \to F \to T_2$ with q intermediary forward bouts, a stubborn sequence is defined as one where directionality is conserved (*i.e.* $T_1 = T_2$), whilst a non-stubborn sequence will lose the memory of the initial turn (*i.e.* $T_1 \neq T_2$). (b) Evolution of the stubbornness factor f_q (see eq.3) with the number of intermediary forward bouts q, comparing the Markov Chain inferred from thresholded trajectories and the Hidden Markov Model (HMM) trained directly from reorientation angles, for each temperature.

$$\text{338 with } F^q = \underbrace{F \to F \to \cdots \to F}_{}.$$

339 340 Markovian model should have $f_q = 1$ for $q \ge 1$ (Ma- 395 same fish over time. 341 terials and Methods sec. IV D). On the other hand, $f_{q=0}$ 396 We first split the long trajectories of each individual 342 343 terrupted sequences of turning bouts. 344

345 346 347 348 350 351 353 354 due to alternations between turning and forward bouts 408 for the same fish. Although a large variability is ob-355 356 357 that most mislabelings are one-off errors. 358

359 Figure 4b and Supplementary Figure 9c are conservative 414 distinct fish is larger. 360 estimates, as there exits a bias inherent to the dataset. 415 361 362 363 364 365 367 368 Fig.9c).

369

Overall, 370 371 markovianity of the data labeled via thresholding 425 encodes distinctive behavioral parameters that allow one 372 is mainly caused by the mislabeling of turning bouts 426 to successfully discriminate between different fish. Due as 373 turns. 374 375 376 Markovian. ³⁷⁷ non-markovianities, which we have yet to explain.

Behavioral phenotyping from long trajectories F. 378

As the HMM captures the properties of trajectories 379 over a population of fish, it is natural to ask whether the 380 approach is accurate enough to characterize the behavior 381 of single animals. We asked two questions: 382

- How significantly do the statistics describing the 383 behavior of a single freely swimming fish vary over 438 384 time? 385
- Are these fluctuations small enough that they al-386 low for unambiguous identification of one fish from 387 another? 388

389 ³⁹⁰ experiments in [11], in which individual fish were tracked ⁴⁴⁵ the behavior on a low-dimensional state space. However,

³⁹¹ at 26°C. A total of 18 fish were recorded for over 2 hours. ³⁹² These long trajectories allowed us to assess whether the As mentioned above, due to the loss of directional 393 HMM can capture features that differentiate the variabilmemory after a forward bout, a non-handed 3-state 394 ity among different fish from the variability shown by the

is a measurement of directional persistence during unin- $_{397}$ fish into smaller sub-trajectories (chunks) of ≈ 12 min-³⁹⁸ utes each, and trained an HMM on each of these smaller We find that most of the memory effects captured by 399 sequences (see diagram in Figure 5a). The parameters the HMM occur at q = 0, and that the stubbornness 400 of these HMMs exhibit significant variability, compatireaches $f_q \approx 1$ for $q \geq 1$, suggesting that the HMM can 401 ble with the behavioral diversity of a single fish in time. be considered as quasi-markovian at this temperature. In 402 We then also trained a single HMM on all trajectories comparison, and for lower temperatures, the thresholded 403 of a single fish (the "global" HMM). Figure 5b com-MC classification displays lower persistence at q = 0 but 404 pares selected parameters of the global HMM for each higher stubbornness at q = 1 (and less significantly at 405 fish, against the average parameters over several HMMs q = 2) (Fig.4b, Supplementary Fig.9b,c). This suggests 406 trained on the chunk trajectories. The vertical error bars that the thresholded labeling is indeed less Markovian 407 correspond to the variability over the different chunks during periods of constant reorientation, as anticipated in 409 served across several chunks for the same fish (evidenced the previous section and illustrated on Figure 2c. As this $_{410}$ by the large error bars), there is a clear trend between stubbornness is mostly significant at q = 1, we expect 411 the global HMM and the average behavior of the chunk ⁴¹² HMMs. Therefore, although a fish exhibits variability It is to be noted that the uncertainties presented on 413 during a long sequence of bouts, the variability between

These results suggest that the HMM models can be Indeed, a very stubborn fish will tend to stay longer 416 used to distinguish different fish from observations of within the Region Of Interest (ROI) of the camera, 417 their bout sequences. To test this hypothesis, we split leading to longer trajectories and therefore weighing 418 the trajectories of each fish into a training and a withmore on the final result. Hence, it is unclear whether a 419 held test set. After training the HMM on the train set for stubbornness factor $f_q = 1 \pm 0.2$ is truly significant (as $_{420}$ a particular fish, we computed the likelihood of all fish suggested by the estimated error bars on Supplementary 421 trajectories in the test set, and compared them. For 14 422 out of the 18 fish, the trajectory of maximum likelihood ⁴²³ corresponds to a bout sequence executed by the fish used these results suggest that the non- 424 to train the HMM (Fig.5c), suggesting that the HMM forward bouts during sequences of consecutive 427 to the large variability exhibited by a single fish, this dis-The Hidden Markov Model seems to be a 428 criminative ability is better when large trajectories are clear improvement, producing a labeling that is more 429 available. To confirm this, in Figure 5d we again evalu-However, there remain some potential 430 ated the likelihoods of subsampled subsets of the test fish ⁴³¹ trajectories, and recorded the number of times that the ⁴³² maximum likelihood HMM corresponded to the correct ⁴³³ fish. Even when withholding 80% of the trajectories, we ⁴³⁴ can correctly identify 10 out of the 18 fish. These results ⁴³⁵ suggest that individual fish exhibit variable but distinc-436 tive behavior.

III. DISCUSSION

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With the advancement of tracking methods, ethology ⁴³⁹ has moved to a new era where it is now possible to study 440 in great detail animal behavior in unconstrained naturalistic conditions [20–22]. Such experiments produce vast 441 ⁴⁴² amounts of high-dimensional data, requiring automated ⁴⁴³ yet robust and interpretable analysis methods. A critical To answer these questions, we considered additional 444 task lies in the identification of behavioral motifs to map

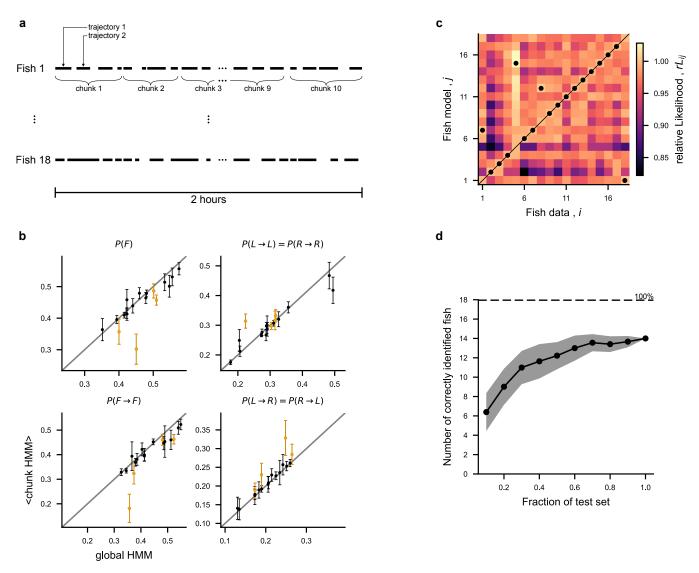


FIG. 5. Fish identification from long trajectories: (a) Diagram describing the dataset. Trajectories from 18 fish, recorded over 2-hour sessions, were each split into 10 chunks (mean = 9.5 ± 0.5 trajectories per chunk). (b) HMM parameters inferred from all trajectories from one fish, compared with the average HMM parameters trained on chunks of that fish's trajectories. Only four HMM parameters are shown for clarity, namely, the steady state probability of forward turns P(F), as well as the transition probabilities for forward-forward $(P(F \rightarrow F))$, turn-turn in the same direction $(P(T_1 \rightarrow T_2|T_1 = T_2))$, and turn-turn in the opposite direction $P(T_1 \rightarrow T_2|T_1 \neq T_2)$). Each dot represents a fish, and the error bars correspond to the standard error of the mean. Points labeled in orange correspond to fish misidentified in panel c. (c) Confusion matrix between data coming of the mean. Points labeled in orange correspond to non misidentined in panel c. (c) contactor internet sector $L_{i,j}$ from fish *i* and HMM trained on data from fish *j*. The relative likelihood $rL_{i,j} = \frac{L(data_i|model_j)}{L(data_i|model_i)}$ is used to evaluate which fish identity is most likely according to each model (indicated with black dots for clarity). (d) Number of correctly identified fish determined from model likelihood when only a fraction f of the test data is used for identification. The shaded area indicates the standard deviation across 100 trials. In each trial, the data trajectories of each fish were randomly split into train and test sets (50%).

446 no definitive procedure exists for selecting the right num- 453 can be challenging. In our case, the difficulty arises from 447 449 racy of representation. 450

ber of states or for defining valid labeling criteria. This 454 (i) the fact that swim bout kinematics are affected by the 448 choice typically depends on available observables and in- 455 bath temperature, and (ii) the fact that the distributions volves a compromise between interpretability and accu- 456 of reorientation angles of distinct bout types overlap, in ⁴⁵⁷ particular at low temperatures. Because they can accom-⁴⁵⁸ modate such overlaps while taking into account the tem-⁴⁵⁹ poral regularities in the bout sequences, Hidden Markov

451 Even for simple behaviors such as the one presented in ⁴⁵² this article, parsing behavioral data in defined categories

460 Models (HMMs) appear to be ideally suited for such a 518 proach over previous studies is twofold. On one hand, task. 461

462 463 might question the central assertion of this article – that 521 nal perturbations in the environment, and, on the other 464 Hidden Markov Models outperform standard threshold- 522 hand, the approach opens up the possibility of accessing based approaches. However, this claim is supported 523 inter- and intra-individual variability. by the fact that the bouts re-labeled by HMM are not 524 466 467 randomly placed, but are predominantly forward bouts 525 Hidden Markov Model (HMM) formalism for analyzing 468 within (left or right) turn streaks. The use of HMM over MC thus leads to the discovery of enhanced persistence 469 in bout sequences through extended chaining of similar 470 bouts. 471

The results presented in this article may have interest-472 473 ing implications for the understanding of the neuronal 474 computation regulating navigation in zebrafish larvae. ⁴⁷⁵ The neuronal circuit responsible for the leftward versus 476 rightward bout selection has been identified in the anterior hindbrain [7]. The activity of this so-called Ante-477 rior Rhombencephalic Turning Region (ARTR) exhibits 478 slow alternation between two subpopulations, located in 533 479 480 481 482 483 485 $_{486}$ of the ARTR in a manner that aligns with behavioral $_{540}$ behavior of the fish within an area of $100 \times 45 \times 4.5$ mm³ 487 observations [11, 23]. The fact that a 3-state Marko- 541 for 30 minutes at 25 frames/second. To eliminate border 488 489 491 492 yses indicate the potential existence of three metastable 546 ROI. Therefore, the dataset contains a varying number 493 states within this circuit, with left active, right active, 547 of fish trajectories, ranging from 532 to 1513 trajectories 494 three bout types [24]. 495

496 the HMM exhibits sensitivity to natural inter-individual 497 ⁴⁹⁸ phenotypic variability. Inter- and intra-individual vari-⁴⁹⁹ ability are ubiquitous traits of animal behavior [25, 26] and are necessary to ensure a trade-off between flexibil-⁵⁰¹ ity and adaptability to changing environmental demands ⁵⁰² and robustness in neural development [27]. Our model enables the identification of individual fish solely based 557 at bout n + 1 and the heading direction at bout n: 503 on the dynamics of bout sequences. This ability could 504 prove advantageous in the development of algorithms for 505 tracking multiple moving animals. The state-of-the-art 506 existing tools [28, 29] rely on image-based neural net-507 works to identify unmarked individuals using natural 508 variations in their physical and/or behavioral appearance 509 to accomplish fast and reliable multi-individual tracking 510 in a versatile range of different organisms or scenarios. 511 Since our approach is based on gait phenotyping and is 562 B. 512 independent of image features, it is compatible with low-513 resolution videos (in which only the animal's position and 514 orientation can be accessed) while still keeping versatil-515 ity, reliability, and fast execution. 516

517

⁵¹⁹ not relying on rigid thresholds allows a more efficient de-Given the absence of a definitive ground truth, one 520 scription of how behavior changes in response to exter-

> In addition, to enhance the practical accessibility of 526 behavioral sequences, we have developed a comprehen-⁵²⁷ sive and instructive Python tutorial (https://github. 528 com/EmeEmu/IBIO-Banyuls2023-Python). This tutorial ⁵²⁹ can be adapted for specific datasets or used as a resource 530 for broader educational goals.

IV. MATERIALS AND METHODS

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Α. Dataset

The dataset used in the present study is derived the left and right hemispheres, controlling the orientation ⁵³⁴ from Le Goc *et al.* [11], and can be accessed directly of swim bouts[7]. The period of this pseudo-oscillation 535 at https://doi.org/10.5061/dryad.3r2280ggw. This is consistent with the orientational persistence time ob- 536 dataset comprises spontaneous swimming trajectories of served in the behavioral assay (on the order of 5-20s). 537 5 to 7 dpf zebrafish larvae, collected at controlled bath Moreover, sensory stimuli such as unilateral visual stim- 538 temperatures of 18°C, 22°C, 26°C, 30°C, and 33°C. A ulation and temperature changes can alter the dynamics ⁵³⁹ camera was used to continuously record the swimming vian model adequately describes the sequence of bouts 542 effects, a Region of Interest (ROI) was defined at a dissuggests that this same neuronal circuit could not only 543 tance of 5mm from the arena's walls. Fish that swam outcontrol the orientation of turn bouts but also control the 544 side the defined tracking ROI were considered lost, and a selection of forward versus turning bouts. Recent anal- 545 new trajectory was initiated upon their re-entry into the and both inactive, which could thus correspond to the 548 across the different temperatures (mean = 1148). Indi-549 vidual trajectories were tracked offline using the open-In the last section of this article, we demonstrate that ⁵⁵⁰ source FastTrack software [30], and were then discretized into sequences of swimming bouts. Hence, each trajec-551 ⁵⁵² tory consists of a sequence of swim bouts, spanning from ⁵⁵³ 9 to 748 bouts per trajectory (mean=60, distributions ⁵⁵⁴ shown in Supplementary Fig.6a). From this extensive ⁵⁵⁵ dataset, we exclusively utilized the re-orientation angles, ⁵⁵⁶ defined as the difference between the heading direction

$$\delta\theta_n = \theta_{n+1} - \theta_n \tag{4}$$

⁵⁵⁸ (a graphical illustration of this definition can be found in ⁵⁵⁹ Fig.1c). This parameter encapsulates the angular change 560 between consecutive bouts, providing insight into the ⁵⁶¹ fish's ability to modify its orientation during swimming.

Emission of reorientation angles in the Hidden Markov Model

564 To validate the hypothesis that the re-orientation an-565 gles can be modeled using normal and gamma dis-Finally, the improvement made by the following ap- 566 tributions, we compared the distribution of the data 567 with a Gaussian Mixture Model (GMM) and a Gaus- 601 ⁵⁶⁸ sian&Gamma Mixture Model:

$$p(\delta\theta) = w_F \mathcal{N}(\delta\theta; 0, \sigma) + w_L \Gamma(\delta\theta; \alpha, \theta) + w_R \Gamma(-\delta\theta; \alpha, \theta)$$

569 where $w_F + w_L + w_R = 1$, and w_F , w_L , and w_R denote the 602 weights for forward, left, and right states, respectively. 570

Using Quantile-Quantile (QQ) plots, we show that this 571 572 last mixture model accurately reproduces the observed 573 distribution of $\delta\theta_n$ in the data, and is much better than ⁵⁷⁴ a GMM, especially in the tails of the distributions (Sup-575 plementary Fig. 7c).

576

Stubbornness factor С.

577 $_{578}$ animal's preference towards turning in the same direc- $_{605}$ ends with a left bout, $W_{L,q}$ the probability of a trajectory $_{579}$ tion over changing direction, after q intermediary forward $_{606}$ which starts with a left bout and ends with a right bout, 580 bouts. It is defined as:

$$f_q = \frac{P(T_1 \to F^q \to T_2 | T_1 = T_2)}{P(T_1 \to F^q \to T_2 | T_1 \neq T_2)}$$
(5)

⁵⁸¹ with $T_1, T_2 \in \{L, R\}$ and $F^q = \underbrace{F \to F \to \cdots \to F}_{q}$.

582 It can be computed from a sequence of classified bouts b_n 583 by first identifying and counting the q-plets $T_1 \rightarrow F^q \rightarrow$ 584 T_2 where $T_1 = T_2$ and where $T_1 \neq T_2$:

$$\begin{cases} N_{=} = \#(T_1 \to F^q \to T_2, T_1 = T_2) \\ N_{\neq} = \#(T_1 \to F^q \to T_2, T_1 \neq T_2) \end{cases}$$
(6)

585 and then computing their ratio:

$$f_q = \frac{N_{=}}{N_{\neq}} \tag{7}$$

In practice, this ratio has a physical interpretation 586 $_{\rm 587}$ only for long sequences of bouts where $N_{=}>>1$ and 588 $N_{\neq} >> 1$. As the trajectories in our dataset can be 589 quite short (Supp Fig. 6a), we compute f_q from all ⁵⁹⁰ trajectories at a specific temperature, increasing the ⁵⁹¹ chance of observing a high number of stubborn (N_{\pm}) and non-stubborn (N_{\neq}) trajectories. 592 593

By considering that the probability of a given q-plet is 594 ⁵⁹⁵ stubborn follows a binomial distribution $(\mathbb{E}(N_{\pm}) = pN)$ 596 and $\mathbb{E}(N_{\neq}) = (1-p)N$ with $N = N_{=} + N_{\neq}$, we can ⁵⁹⁷ evaluate the uncertainty in stubbornness as:

$$\Delta f_q = f_q \frac{1}{N_{=} + N_{\neq}} \left(\sqrt{\frac{N_{=}}{N_{\neq}}} + \sqrt{\frac{N_{\neq}}{N_{=}}} \right)$$
(8) 615 616

D. Stubbornness factor and 3-state Markov Chain 598

599 600 the transition matrix. For q = 0, calculations are simple:

$$f_{q=0} = \frac{P(L \to L) + P(R \to R)}{P(L \to R) + P(R \to L)}$$

$$\tag{9}$$

For $q \ge 1$, the stubbornness factor is defined from ₆₀₃ the transition matrix as:

$$S_{L,q} = P(L \to F^q \to L)$$

= $P(L)P(L \to F)P^q(F \to F)P(F \to L)$
 $W_{L,q} = P(L \to F^q \to R)$
= $P(L)P(L \to F)P^q(F \to F)P(F \to R)$
 $f_q = \frac{S_{L,q} + S_{R,q}}{W_{L,q} + W_{R,q}}$

The stubbornness factor f_q is a measurement of the $_{604}$ with $S_{L,q}$ the probability of a trajectory which starts and $_{607}$ and $S_{R,q} W_{R,q}$ their symmetrical opposites.

For a 3-state model, the forward-forward bout proba-⁶⁰⁹ bility cancels out, giving:

$$f_q = \frac{P(L)P(L \to F)P(F \to L) + P(R)P(R \to F)P(F \to R)}{P(L)P(L \to F)P(F \to R) + P(R)P(R \to F)P(F \to L)}$$

and with our non-handedness hypothesis: P(L) = P(R), $_{611} P(L \to F) = P(R \to F), \text{ and } P(F \to L) = P(F \to R),$ 612 yielding:

$$f_q = 1 \quad \forall q > 0 \tag{10}$$

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617 Data and Code availability. All the data and code ⁶¹⁸ used in the present article are available under GNU Gen-The stubbornness factor can be defined directly from 619 eral Public License version 3 at https://github.com/ 620 ZebrafishHMM2023/ZebrafishHMM2023_CodeAndData.

The 621 622 cense at 623 ZebrafishHMM2023.jl). 624

625 626 havioral sequence analysis is available under GNU Gen- 632 2023.

- custom Julia implementation of Hidden 627 eral Public License version 3 at https://github.com/ Markov Model used is available under MIT Li- 628 EmeEmu/IBIO-Banyuls2023-Python. Originally, it was https://github.com/ZebrafishHMM2023/ 629 created for the i-Bio Summer School "Advanced Compu-630 tational Analysis for Behavioral and Neurophysiological The tutorial on using Hidden Markov Models for be- 631 Recordings" held in Banyuls-sur-Mer in the summer of
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SUPPLEMENTARIES

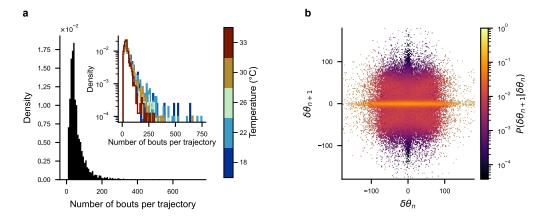


FIG. 6. Supplementary panels to Fig.1: (a) Distributions of the number of bouts per trajectory in the entire dataset (black), and for each recorded temperature (inset, colored). (b) Observed transition probabilities between reorientation angles for the entire dataset.

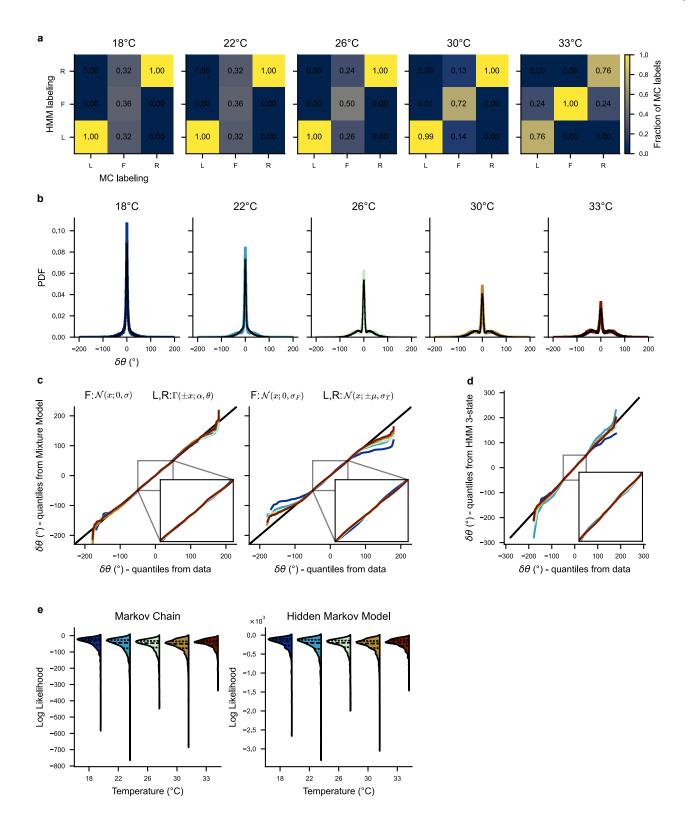


FIG. 7. Supplementary panels to Fig.2: (a) Confusion matrices between labeling of MC and HMM for all temperatures (normalized with respect to the MC labeling). (b) Comparison between the distributions of reorientation angles observed from the data (colored) and the distributions of reorientation angles generated by the 3-state Hidden Markov Model (HMM; black), for each temperature. (c) Quantile-Quantile plot between distributions of reorientation angles observed from the data and Mixture Models, at each temperature. Left: Mixture Model defined from a central Normal distribution (forward bouts) and two Gamma distributions (left and right turning bouts), corresponding to the model of HMM emissions. Right: Gaussian Mixture Model. Insets: Zoom on $\pm 50^{\circ}$. (d) Quantile-Quantile plot between the distributions of reorientation angles observed from the data and the distributions of reorientation angles generated by HMM. Insets: Zoom on $\pm 50^{\circ}$. (e) Distribution of log Likelihoods (LLHs) for both the Markov chains inferred from thresholded data (left) and HMM (right). For each model and each temperature, LLHs were computed for 100 models inferred from 50% of the trajectories (randomly constructed training set) and on the remaining 50% of the trajectories (testing set). Dashed lines show the quartiles of each distribution.

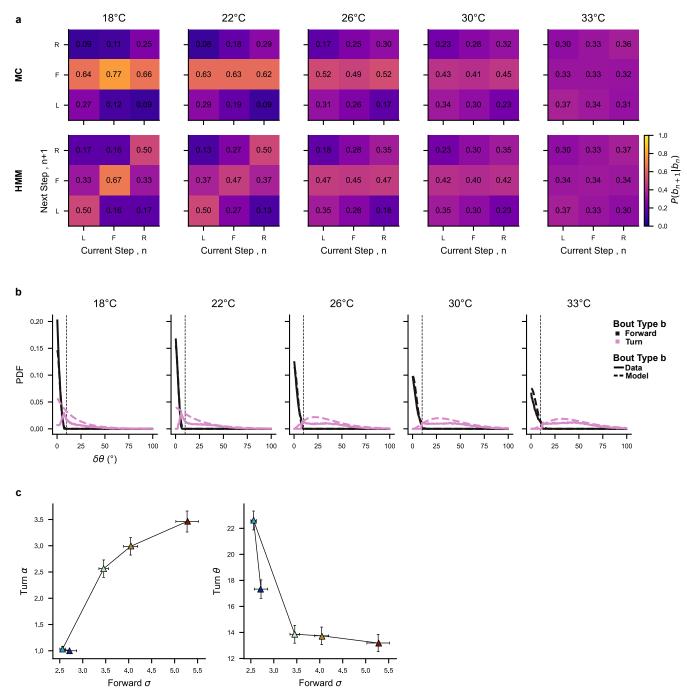


FIG. 8. Supplementary panels to Fig.3: (a) Transition matrices between forward (F), left (L) and right (R) states, for both the Markov chains inferred from thresholded data (MC) and Hidden Markov Model (HMM), and for each temperature. (b) Distributions of absolute reorientation angles labeled as forward bouts (solid black) and turning bouts (left or right; solid pink by the Hidden Markov Model (HMM). Dashed lines show the HMM emission distribution for forward and turning bouts (black and pink respectively). The threshold $\delta\theta_0 = 10^{\circ}$ used in the Markov Chain model is shown for reference as a vertical black line. (c) Parameters of the HMM emission distribution, with σ the standard deviation of the central Normal distribution (forward bouts), α and θ the shape and scale of the Gamma distribution (turning bouts). Each dot corresponds to one temperature, and error bars were computed from the minimum-maximum of 100 cross-validations (trained on randomly selected 50% of the datasets).

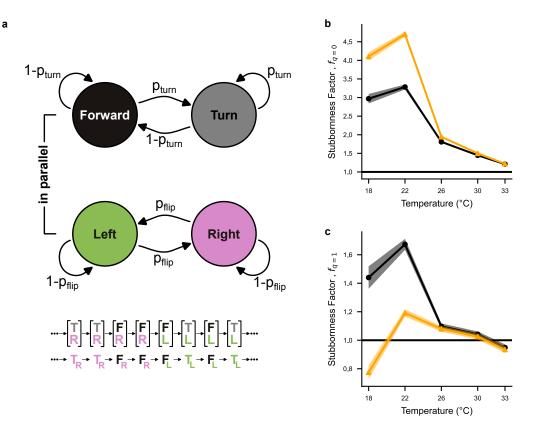


FIG. 9. Supplementary panels to Fig.4: (a) Diagram of the 4-state Markov chain used in previous publications [9, 11]. Two Markov Chains run in parallel, with the first chain controlling bout type (forward or turn) and the second controlling direction (left or right). With this model, the system can be in one of four states: [T, L], [T, R], [F, L], [F, R], thus left and right states represent internal directional states (not only observed behavioral orientations). (b) Temperature dependence of the stubbornness factor at q = 0 intermediary Forward bouts ($f_{q=0} = \frac{P(L \to L) + P(R \to R)}{P(L \to R) + P(R \to L)}$). We interpret this factor as a measurement of directional persistence during sequences of turning bouts. (c) Temperature dependence of the stubbornness factor at q = 1 intermediary Forward bouts ($f_{q=1} = \frac{P(L \to F \to L) + P(R \to F \to R)}{P(L \to F \to L) + P(R \to F \to L)}$). We interpret this factor as a measurement of directional memory after one forward bout, which for a 3-state model is a second order non-markovianity. (b,c) Throughout this figure, the width of the shaded curves represent the estimated error in stubbornness factor (see Materials and Methods IV C).

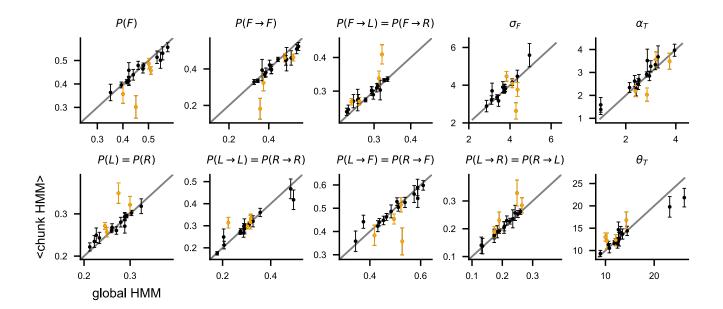


FIG. 10. **Supplementary panels to Fig.5** Hidden Markov Model parameters inferred from all trajectories from an individual fish, compared with the average parameters inferred from chunks of that fish's trajectories. All HMM parameters are shown. Each dot represents a fish, with error bars corresponding to standard error of the mean. Points labeled in orange correspond to fish misidentified in Fig.5c.