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Matthieu Elineau, Renaud Loison, Stéphane Méric, Raphaël Gillard, Pascal Pagani, et al.. RCS reduction method with anomalous reflection metasurfaces using Floquet analysis: design modelling and measurement. 2023. hal-04320319v4

HAL Id: hal-04320319

<https://hal.science/hal-04320319v4>

Preprint submitted on 4 Nov 2024 (v4), last revised 13 Nov 2024 (v5)

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RCS angular control with anomalous reflection metasurfaces using Floquet analysis : design modelling and measurement

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Abstract

This letter proposes the design and measurement of a periodic metasurface that achieves anomalous reflection with reduced RCS in a given parasitic direction. A previous study proposed a semi-analytical model to predict the RCS behaviour of such a metasurface. However, this first study did not include any experimental exploration to verify the theoretical results. To complete this study, this work presents an experimental validation of the proposed design, with a focus on manufacturing and measurement issues. The synthesis, design specifications, fabrication method and experimental setup are presented and discussed. Measurement results are also examined in detail, highlighting some limitations in metasurfaces RCS measurements. The proposed metasurface effectively achieves the predicted RCS level reduction in the considered parasitic direction. The agreement between simulation and experimental results demonstrates the accuracy of the modelling and the efficiency of the optimisation procedure.

I. INTRODUCTION

Radar cross-section (RCS) is a measure of a target's reflectivity [1]. For stealth purposes, we may want to reduce the RCS of an object. The classic method is to use shape concepts or volume-absorbing materials. Another type of material has recently emerged : metasurfaces. They have generated a wide variety of applications for wave front shaping [2]. Among them, the classical gradient metasurface leading to anomalous reflection has been particularly studied [3]. It allows reflecting an incoming wave in a non specular direction, which may prove useful for stealth purposes. Such a metasurface consists of the juxtaposition of sub-wavelength scattering elements (the cells) introducing a linearly varying phase shift at the surface of the object. However, these classical gradient metasurfaces exhibit parasitic reflection directions because of the periodic nature of the phase gradient [4]. Such parasitic reflections need to be mitigated in order to achieve accurate RCS angular control. The scatterers used to cover a gradient period form a supercell that, when periodically replicated to pave the overall surface, excite Floquet harmonics [5] that lead to parasitic reflections. Such translational invariances and associated symmetries in metasurfaces are now widely studied [6].

Recently, we proposed a method [7] to mitigate parasitic reflections of an anomalous reflecting metasurface

with a monodimensionally varying gradient, using Floquet analysis. Simulating a supercell in a Floquet environment allows the computation of the $S_{m,n}$ scattering parameters between the different Floquet modes. This is a way to take into account coupling effects that result in changes in the phase responses of individually characterized cells. Assuming $n = 0$ corresponds to the fundamental mode impinging on the metasurface, there is a direct correlation between $S_{m,0}$ and the resulting RCS level in the propagation direction of reflected mode m , defined by an angle θ_m . This means that the outputs of the Floquet simulation (light to simulate) may be sufficient to correctly describe the behaviour of the whole structure (requiring a much heavier simulation) in terms of RCS. Going further in this direction, the Floquet simulation S parameters have been incorporated into an analytical model to calculate the total RCS of the structures. This approach has been presented in [8] proving that the outputs of the Floquet type simulation are indeed sufficient to estimate the RCS of the metasurfaces. A RCS control scenario was proposed where the incoming radiation is accurately redirected into a selected direction, while maintaining low RCS into the parasitic direction. The purpose of the present letter is to conclude the demonstration by providing the design and measurement of such a metasurface and, more generally speaking, to address the associated practical fabrication and measurement issues. It also provides a large-band characterization of the optimized metasurface, for a design optimization at a single frequency.

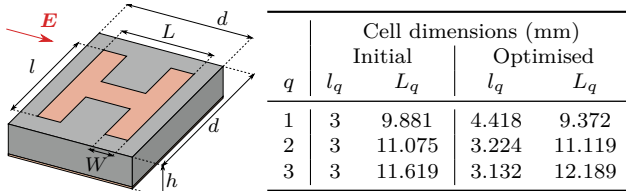


Figure 1: The H shape phase shifting cell. Fixed parameters are $\epsilon_r = 2.17$, $h = 1.6$ mm, $d = 14.43$ mm and $W = 2$ mm. The l and L dimensions are used as degrees of freedom to produce the required phase values.

II. METASURFACES SYNTHESIS

The metasurface initial objective is to reflect a normally incident plane wave into the $\theta_1 = 60^\circ$ direction, with a classical gradient metasurface. The wave reflection occurs in the plane normal to the surface and containing the direction of the gradient. The incoming plane wave is TM polarised and the working frequency is 8 GHz. The initial surface is created by designing individually three cells that produce the linear phase variation required along a gradient period, constituting the supercell. Each cell phase response is simulated using local periodicity assumption, under normal illumination. Cells dimensions are found in the table of Figure 1, with the description of the cell geometrical parameters. The surface is created by replicating the supercell nine times to create an array that is approximately 10λ long. Figure 4 shows the simulated RCS of the initial surface, in blue dashed line. The surface mainly radiates in the intended $\theta_1 = 60^\circ$ direction but also shows a quite high parasitic reflection level in the Floquet direction $\theta_{-1} = -60^\circ$.

An optimised surface is proposed by following the optimisation procedure of [8]. The optimisation is performed at a unique frequency $f = 8$ GHz and consists of the maximisation of the difference between the $S_{1,0}$ and $S_{-1,0}$ parameters, using cell dimensions as degrees of freedom. This process gives an optimised supercell whose dimensions are also listed in Figure 1. Numerical simulations show that the use of this optimised supercell results in a 6.80 dB reduction of the RCS level in the $\theta_{-1} = -60^\circ$ direction, as shown in Figure 4. Dashed line corresponds to the initial surface and solid line corresponds to the optimised one.

III. METASURFACES FABRICATION

Both surfaces, initial and optimised are fabricated with printed copper patches on a Neltec NY9217 copper backed substrate. The relative permittivity of such a substrate is low ($\epsilon_r = 2.17$) which provides smooth phase variations of the cells with their geometrical parameter as well as with θ variations. This helps under

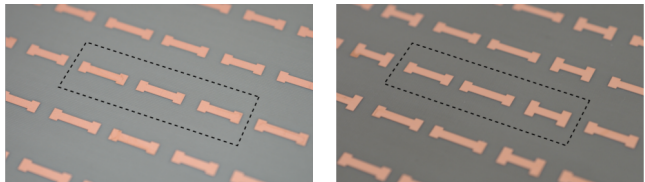


Figure 2: Close view of the fabricated metasurfaces. Initial (left) and optimised (right) surfaces. A supercell is represented with dashed lines.

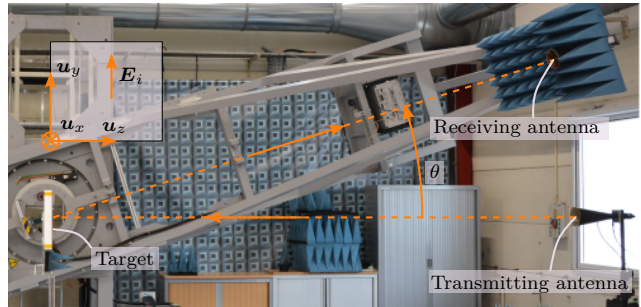


Figure 3: RCS measurement facility with target under test. Transmitting and reception antennas, bistatic angle θ and \mathbf{E} field polarisation.

these two aspects, at least. On one hand, finding converging optimisations is made easier and, on the other hand, measurements are made less sensitive to uncertainties about the angle θ . A 27×27 cells surface is fabricated and gives an array of approximately $10\lambda \times 10\lambda$ (or approximately 40×40 cm²). A close view of each surface is found in Figure 2 where a supercell is enclosed by a dashed line.

IV. MEASUREMENT METHODS

The RCS measurements have been made with a specific 3D measurement facility at the CEA-CESTA, presented in [9]. The transmitting antenna is fixed and illuminates the metasurface under normal incidence, with a TM (\mathbf{E} is contained in the reflection plane) polarisation. The receiving antenna is mounted on a rotating axis, also receiving in TM polarisation. A motor drives the rotation of the receiving antenna giving access to bistatic RCS measurements. The situation is depicted in Figure 3 where both antennas are at a distance $r = 4$ m from the metasurface.

For obvious obstruction reasons, observation angles θ for which $|\theta| < 10^\circ$ are not accessible. This is not a problem since the observation angles of interest are $\theta = \pm 60^\circ$. The facility in this configuration then gives access to angles from 10° to 90° . The metasurface was flipped after the first angular sweep to reach negative observation angles. The calibrations are made with measurements on a canonical target, namely a standard

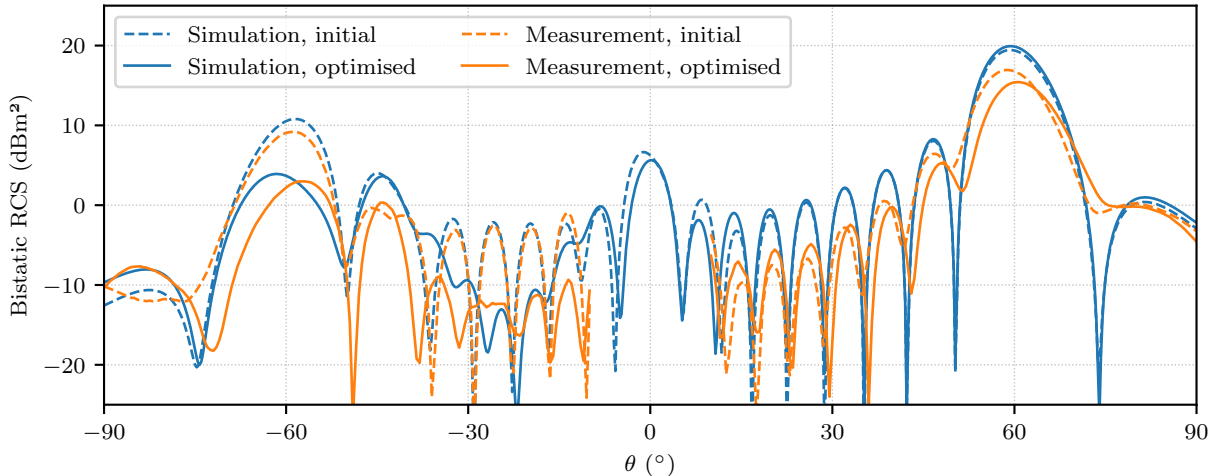


Figure 4: Bistatic RCS at $f = 8$ GHz of both initial and optimised metasurfaces, obtained with a full wave simulation or with RCS measurement.

metallic sphere with known analytical RCS, in the same conditions as with metasurface measurements. Despite the fact that the optimisation has been performed at a unique frequency, measurements are made over a 2 GHz to 18 GHz frequency range to apply spatial filtering. A classical time-gating approach is used. The wideband S parameter measurements are exploited in the time (or distance) domain to remove the contribution of the antenna-target-room interaction from the received signal. An empty room measurement is also performed without any target, and the resulting S parameter is subtracted from the metasurface S parameter measurement. This procedure allows withdrawing the antenna-room interactions from the gathered signal. The above-mentioned RCS measurement techniques allows us to avoid the use of great quantities of absorbing materials or special equipments and chambers. Only a few absorbing materials are used in the vicinity of the receiving antenna to avoid non direct paths that are close to the direct path, which would not be easy to filter out from raw data. Finally, RCS values are obtained taking the logarithm of the subtracted, calibrated and filtered S parameters modulus.

V. RESULTS

The measured RCS of the initial and optimised surfaces are represented in Figure 4, along with the simulated ones. The measured RCS in the $\theta = -60^\circ$ direction is 9.05 dB for the initial surface and 2.20 dB for the optimised one. This is a 6.85 dB reduction while the simulation predicted a 6.80 dB reduction. The agreement between the simulated reduction and the measured reduction is excellent. Globally, the simulation overestimates RCS values. Actually, the number of assumptions for the synthesis of the sur-

faces is large (local periodicity, infinite environment, description with only a phase response, phase response computed at only one frequency). This large number of assumptions lightens the optimisation process to make it highly efficient.

For the synthesis and simulation steps, every computation is made with far field considerations. From a measurement point of view, with a metasurface that is approximately 40 cm long and an antenna at 4 m from it, the far field hypothesis is not accurate. It is possible to estimate some consequences of the far field hypothesis violation during measurements. The phase difference between the centre and an edge of the metasurface can easily be estimated. In the configuration of the experimental setup presented in Figure 3 and at $f = 8$ GHz, we found an approximate phase difference of 180° . In contrast, the phase response variations with the dimension L of a cell as observed in [8] is of 280 deg.mm^{-1} at its maximum. For a fabrication tolerance of $50 \text{ }\mu\text{m}$ this gives, in the worst case, an uncertainty of 14° which is way under the calculated phase difference of 180° .

Figure 5 shows the evolution of ΔRCS , the optimisation performance with frequency. It is defined as $\Delta\text{RCS}(f, \theta) = \text{RCS}_{\text{opti}}(f, \theta) - \text{RCS}_{\text{init}}(f, \theta)$ where f is the working frequency and θ is the direction of observation (the bistatic angle). The evolution of $\Delta\text{RCS}(f, \theta = -60^\circ)$ is in orange thick line in Figure 5. For clarity purposes the trace domain is restricted to the 6 GHz to 10 GHz frequency band, while the measurement was, as said earlier, conducted in the 2 GHz to 18 GHz band. It is observed that the optimisation is performing well in a very narrow frequency band, since no design rule has been followed toward the synthesis of a wide band

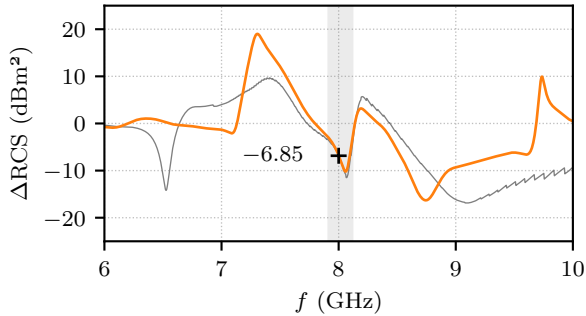


Figure 5: Evolution of the RCS reduction over the frequency range, in the $\theta = -60^\circ$ direction (thick orange line) or in the $\theta = \theta_{-1}$ direction (thin grey line).

device. We report a reduction larger than 3 dB in a thin band of 200 MHz, that is represented by a grey rectangle in Figure 5. If any wideband performance is required, the supercell optimisation has to be performed over the desired frequency band. More generally, metasurfaces devices fail to handle wideband phenomena, or at the cost of sophisticated synthesis procedures (multi scales or multi layer devices [10]) that are not practical for stealth applications. For completeness, $\Delta\text{RCS}(f, \theta = \theta_{-1})$ has been calculated, where θ_{-1} is the $m = -1$ Floquet mode direction which varies with frequency. This curve is shown as a thin grey line in the same figure. The trace shows a similar behaviour around the central frequency.

VI. CONCLUSION

This study demonstrates the efficiency of the RCS reduction metasurface optimisation method by proposing a measurement of such a surface. The simulation and measurement exhibit a RCS reduction of almost 7 dB, in the direction of the parasitic lobe, with an excellent agreement between them. It has been made possible by the simplicity of the Floquet type simulation and the correct use of the outputs of these simulations to predict the behaviour of the surface. The method should not be limited to the RCS reduction in a particular direction. One could consider applying this method for any Floquet mode distribution, addressing one or multiple modes. The literature provides various recent analyses of multichannel Floquet metasurfaces (in [11] for example), but none of them approaches the problem from a RCS point of view. We think that this end to end study builds the bridge between Floquet analysis and RCS estimation. Multichannel RCS reduction should not show more limitations than the ones already coming from classical multichannel Floquet metasurfaces.

ACKNOWLEDGMENTS

The authors thank Guillaume Cartesi and Olivier Raphel for their great contribution during the measurement campaign.

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