Towards Real World Co-optimization of a Storage System ISGT 2023 Grenoble

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SATIE - ENS Rennes

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	Co-optimization approach								
Opt	timal managem	ent	Optimal siz	ing	1				

depends on sizing

• depends on management

Co-optimization problem for a storage



Obstacles : methodology and information

- Complexity : bilevel problem
- Anticipation of the future
- Modeling of components and time series

Motivation

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Co-optimization problem for a storage

$$\max_{\text{design}} \sum_{\text{lifetime}} (\text{utility value}) - \text{building cost}$$

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Stochastic Control

Life Time and Ageing

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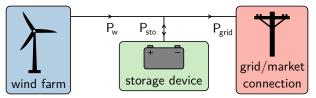
Life Time and Ageing

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Illustrative Test Case

Representative and as simple as possible



- Virtual Power Plant : wind farm and storage
- Selling to market with fluctuating price

 $\mathsf{Utility}(P_{sto}(t)) = \mathsf{price}(t) \cdot (P_w(t) - P_{sto}(t))$

Test ca
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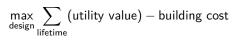
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Illustrative Test Case

Co-optimization problem

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- *E*_{sto}, *P*_{sto} : storage capacity and instantaneous power
- T_{life} : storage lifetime
- price : selling price to the market
- CAPEX : capital expenditure

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Co-optimization problem

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Co-optimization problem

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Co-optimization problem

 $\max_{\textit{E}_{sto}} \sum_{t=0}^{T_{life}} \mathsf{price}(t) \cdot \left(\textit{P}_{w}(t) - \textit{P}_{sto}(t) \right) - \mathsf{building \ cost}$

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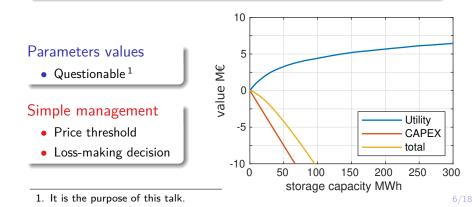
$$\max_{E_{sto}} \sum_{t=0}^{T_{life}} \mathsf{price}(t) \cdot \left(\mathsf{P}_{\mathsf{w}}(t) - \mathsf{P}_{sto}(t) \right) - \mathsf{CAPEX} \cdot \mathsf{E}_{sto}$$

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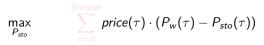
Life Time and Ageing

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Optimal Management

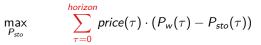
For each time step of the lifetime simulation



• Optimisation of the control

• Anticipation of future events \rightarrow *Model Predictive Control*

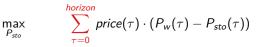
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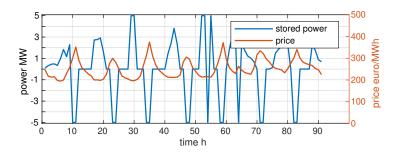
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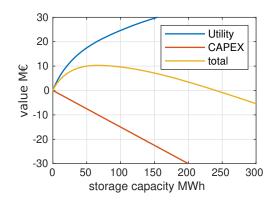
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Intro	Test case	Optimal	Stochastic	Ageing	Concl
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Impact on sizing

- Anticipation of price and production
- Earnings from storage operation
- Co-optimization design-management
- 2022 prices
- 2019 prices

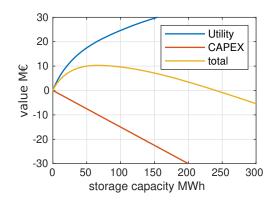


- Depends on the time series
- Requires a representative sample of temporal data.

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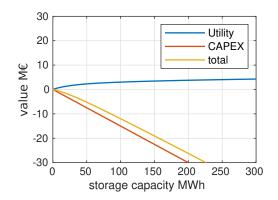


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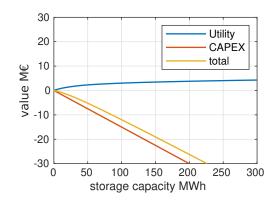


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$$\max_{P_{sto}} \mathbb{E}_{price, P_{w}} \sum_{\tau=0}^{horizon} price(\tau) \cdot (P_{w}(\tau) - P_{sto}(\tau))$$

- Optimisation of the control
- Anticipation of future events \rightarrow future is unknown.
- Requires forecast

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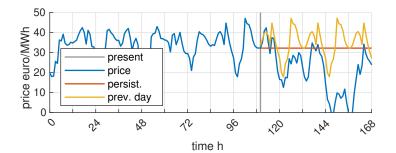
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Many possible forecasts

- Simple solutions : persistence, rule of thumb
- Time series modeling : SARIMA, Neural Networks
- Exogeneous forecast : meteorologist
 - Modeling of forecast errors

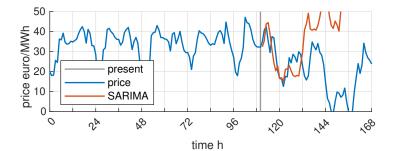


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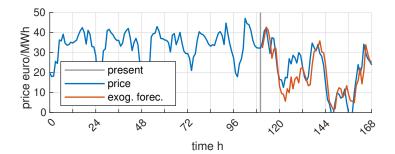
Modeling of forecast errors



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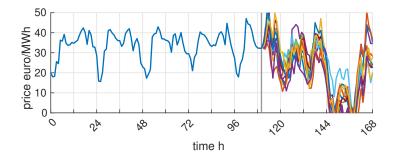


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Many possible forecasts

Risk policy

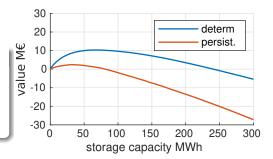
- Stochastic forecast
- Choice : neutral, risk averse, ...



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Impact on sizing

- Optimal design : slightly affected
- Anticipated profitability : highly sensitive



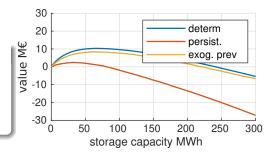
Reliant on the forecast data

- requires a representative sample
- requires a forecast error modeling

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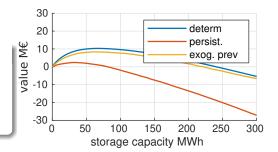
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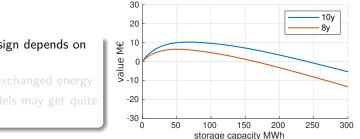
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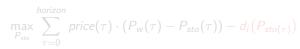
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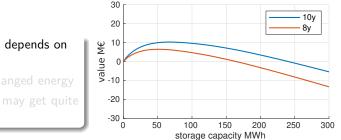
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Optimal design depends on lifetime



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- Optimal design depends on lifetime
- Simplest : exchanged energy
- Ageing models may get quite complex

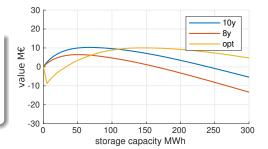
Lifetime depends on control

$$\max_{P_{sto}} \sum_{\tau=0}^{horizon} price(\tau) \cdot (P_w(\tau) - P_{sto}(\tau)) - d_i(P_{sto(\tau)})$$

Mandatory modeling choices during design phase

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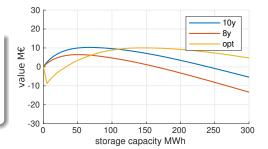
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Conclusion and Take Home Messages

Co-optimization

- Powerfull and mature methodology
- Assess best design over the lifetime

Highly dependent on input data

- Optimal management \longrightarrow time series
- Stochastic management \longrightarrow forecast quality
- Lifetime \longrightarrow ageing models

Requires expert knowledge and communication

- What is known : take it into account
- What is not measured : robust approach and sensitivity analysis
- What is unknown : measures transfer, explainable assumptions

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