

Systematic description of the effect of grain elongation in silo discharge

Agathe Bignon, Mathieu Renouf, Emilien Azéma

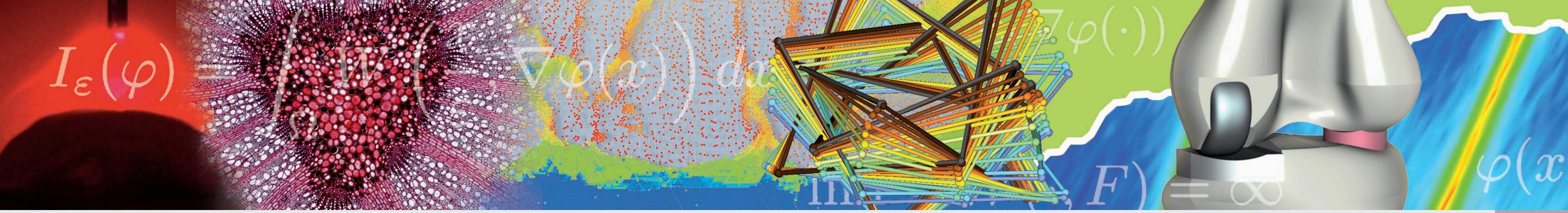
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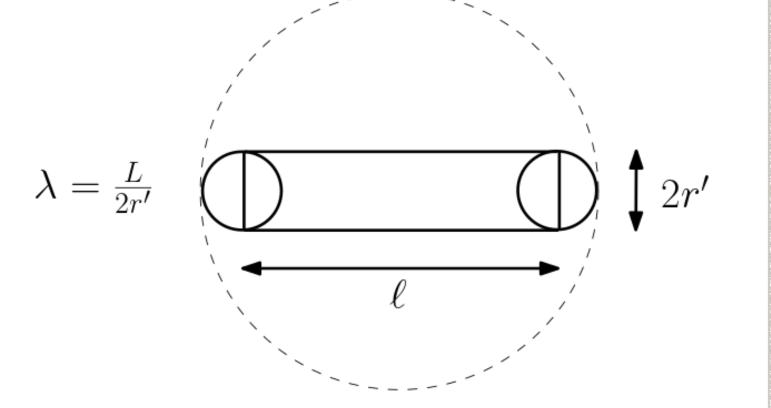
Non-linear effect of grain elongation on the flow rate in silo discharge A. BIGNON^{1,2}, M. RENOUF¹, E. AZEMA^{1,3}

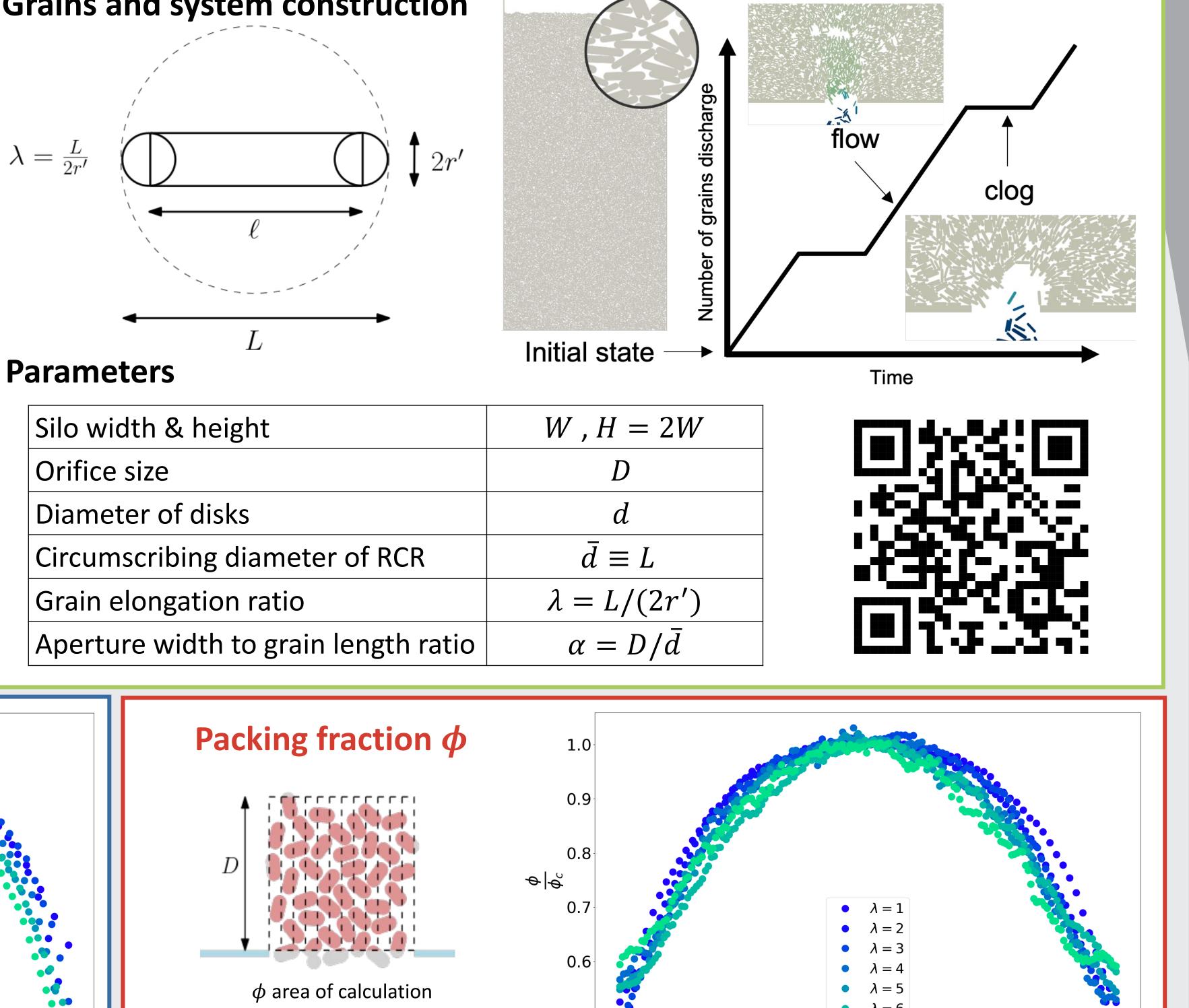
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Objectives : We aim to elucidate how the flow properties in a silo are affected by the shape of the grains. More specifically, we look for a behaviour law describing the flow as a function of grain elongation for a fixed aperture. To do so, we used 2D numerical simulation based on Contact Dynamics, by systematically varying the grain aspect ratio and aperture size in an "perpetual" flow condition.

Model: Following the work of Janda [1], we can express the flow as : $0 = \frac{2}{\pi} \int_{0}^{D/2} \sigma d(x) u(x) dx \ (a)$

Grains and system construction



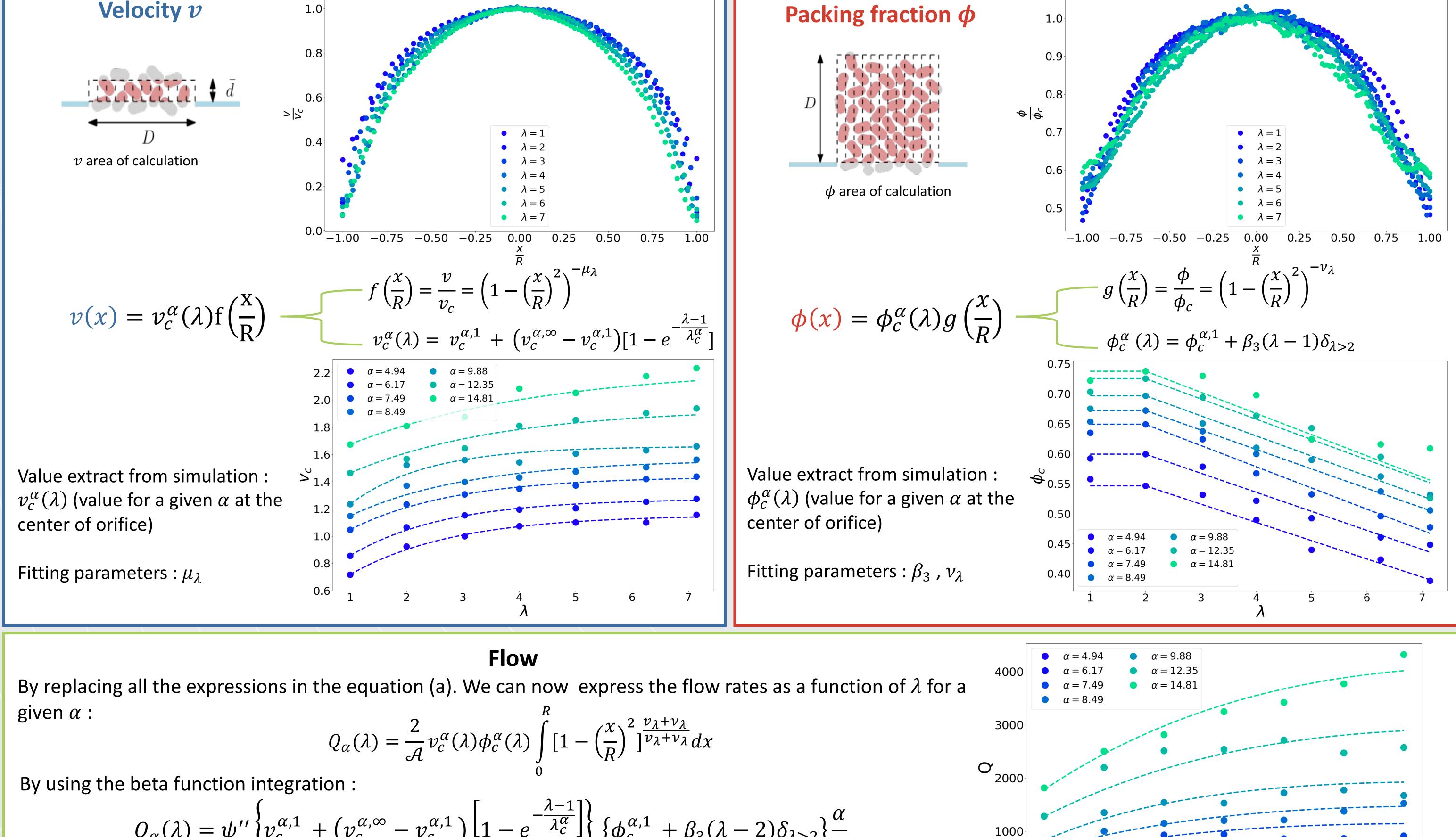


$$Q = \frac{1}{m} J_0 \qquad O \varphi(x) V(x) u x$$
 (a)

where D is the aperture, m mass of the grain and σ surface density. v(x)and $\phi(x)$ stand for the velocity and packing fraction profile along the aperture.

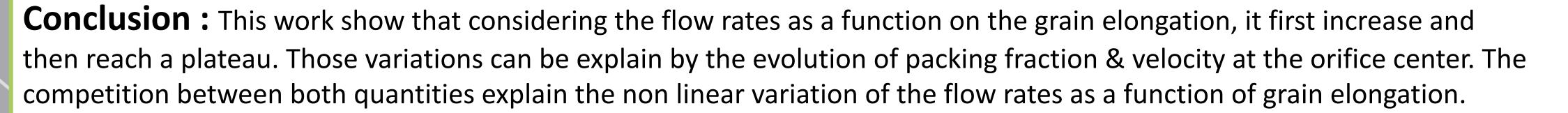
Find the expression of v(x) and $\phi(x)$ to find the master equation of the flow Q as a function of λ for a given α (and vice versa for α with a given λ) but the development is not present here).

For both profile (ν and ϕ) : decomposition into a product of the data at the center of the orifice by the data as a function of x normalized by the data at the center of the orifice.

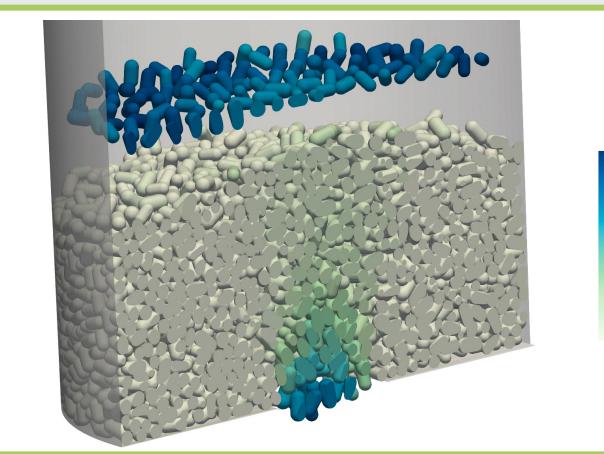


$$Q_{\alpha}(\lambda) = \psi^{\prime\prime} \left\{ v_{c}^{\alpha,1} + \left(v_{c}^{\alpha,\infty} - v_{c}^{\alpha,1} \right) \left[1 - e^{-\frac{\lambda-1}{\lambda_{c}^{\alpha}}} \right] \right\} \left\{ \phi_{c}^{\alpha,1} + \beta_{3}(\lambda-2)\delta_{\lambda>2} \right\} \frac{\alpha}{2}$$

Where
$$\psi'' = \frac{1}{A} \beta\left(\frac{1}{2}; \frac{\nu_{\lambda} + \mu_{\lambda}}{\nu_{\lambda} \mu_{\lambda}} + 1\right) \bar{d}$$
, A is the area of a grain



Perspectives : The main perspective of this work is to extend to the 3D. Equations will be more complexe to integrate du to increasing intermittent flow as the aspect ratio of grain is increased. 3D simulations are currently underway with rod-like grains to address this issue.



0.8 - 0.7 0.6 0.5 0.4 0.3 - 0.2 - 0.1 0.0e+00

Reference :[1] A. Janda, I. Zuriguel, and D. Maza, Physical Review Letters, vol. 108, p. 248001, June 2012.

