

On the use of laser-induced fluorescence to probe the thermodynamic equilibrium in laser-generated plasmas

Arsène Chemin, Amanda Ross, Sylvain Hermelin, Patrick Crozet, Vincent Motto-Ros, Gilles Ledoux, Christophe Dujardin, David Amans

▶ To cite this version:

Arsène Chemin, Amanda Ross, Sylvain Hermelin, Patrick Crozet, Vincent Motto-Ros, et al.. On the use of laser-induced fluorescence to probe the thermodynamic equilibrium in laser-generated plasmas. Spectrochimica Acta Part B: Atomic Spectroscopy, 2023, 205, pp.106685. 10.1016/j.sab.2023.106685 . hal-04141736

HAL Id: hal-04141736 https://hal.science/hal-04141736v1

Submitted on 12 Nov 2023

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

Graphical Abstract

On the use of Laser-Induced Fluorescence to probe the thermodynamic equilibrium in laser-generated plasmas.

Arsène Chemin, Amanda Ross, Sylvain Hermelin, Patrick Crozet, Vincent Motto-Ros, Gilles Ledoux, Christophe Dujardin, David Amans



Highlights

On the use of Laser-Induced Fluorescence to probe the thermodynamic equilibrium in laser-generated plasmas.

Arsène Chemin, Amanda Ross, Sylvain Hermelin, Patrick Crozet, Vincent Motto-Ros, Gilles Ledoux, Christophe Dujardin, David Amans

- Determination of ground state rotational temperature from resonant laser-induced fluorescence.
- Rotational temperatures in both ground and excited states are consistent.
- LIF spectra reveal energy redistribution in the excited electronic state with rotational energy transfer up to $\Delta N = -100$.

On the use of Laser-Induced Fluorescence to probe the thermodynamic equilibrium in laser-generated plasmas.

Arsène Chemin^a, Amanda Ross^a, Sylvain Hermelin^a, Patrick Crozet^a, Vincent Motto-Ros^a, Gilles Ledoux^a, Christophe Dujardin^a, David Amans^{a,*}

^aUniv. Lyon, Université Claude Bernard Lyon 1, CNRS, UMR5306, Institut Lumière Matière, Villeurbanne, F-69100, France

Abstract

In this work, we investigate thermodynamic equilibria in a laser-generated plasma from ro-vibrational population distributions in the AlO molecule. We address the congruence between the rotational temperatures of diatomic molecules in their excited state and in their ground state, the latter being assumed to correspond to the kinetic temperature of the species in the plasma. The model system consists of AlO molecules produced by ablation of an alumina target in ambient air using a nanosecond laser pulse. Using laser induced fluorescence spectroscopy, we can directly probe the population of the rotational levels in the ground electronic state $X^2\Sigma^+$ of AlO and deduce the corresponding rotational temperature. This temperature is then compared to the population of the rotational levels in the excited state $B^2\Sigma^+$ deduced from the thermal B - X rovibronic emission. In such plasma, AlO molecules in the excited state are believed to be formed by chemical reaction and might be strongly out of equilibrium, but we find that emission from the $B^2\Sigma^+$ excited state provides a useful indication of kinetic temperature of the species in the plasma for delays longer than a few microseconds.

Keywords: Laser-Induced Fluorescence, collisionally induced fluorescence, rovibronic emission, rotation-vibration relaxation, AlO, laser-induced plasma, thermodynamic equilibrium, rotational temperature.

Preprint submitted to Spectrochimica Acta Part B: Atomic Spectroscopy April 6, 2023

^{*}Corresponding author.

Email address: david.amans@univ-lyon1.fr (David Amans)

1 1. Introduction

This paper explores just one of the several avenues of study of molecular 2 emission from laser ablation plasmas discussed in the review by Di Giacomo 3 and Hermann [1], exploring non-equilibrium energy distributions in rota-4 tional and vibrational degrees of freedom [2]. Measurement of temperatures 5 in laser-generated plasma is a useful diagnostic for the data analysis in laser-6 induced breakdown spectroscopy (LIBS) [3, 4] and to model nanoparticle 7 growth in the framework of laser-generation of particles such as pulsed laser deposition (PLD) and ablation in air [5], cluster sources [6] and laser abla-9 tion in liquids (LAL) [7, 8]. Regarding elemental analysis, diatomic molecules 10 sometimes offer possible advantages in LIBS diagnostics when molecular sig-11 natures fall in a more convenient spectral region than the strongest atomic 12 transitions. A particularly striking practical illustration was the diagnos-13 tic for fluorine content in minerals via CaF bands, proposed by Alvarez et 14 al. [9] in 2014, and successfully applied in the analysis of Martian soil with 15 ChemCam one year later [10]. 16

In this article, we are addressing temperature measurement in AlO molecules, 17 one of the molecular species mentioned in the context of diatomics offering 18 possible advantages in LIBS. We developed a fitting procedure on partially-19 resolved laser induced fluorescence (LIF) spectra in order to handle separately 20 direct fluorescence (resonant emission, DLIF) and laser-then-collisionally in-21 duced fluorescence (LCIF). Using DLIF, we have probed the population of 22 the rotational levels in the ground electronic state $X\Sigma^+$. The rotational tem-23 perature of the ground electronic state is then deduced. Using LCIF, We 24 have focused on energy redistribution in the excited $B^2\Sigma^+$ state of AlO. 25

Regarding the energy redistribution in the excited electronic state, it is 26 well established that there are no selection rules governing collisional energy 27 transfer in a non-symmetric molecule, and a single collision can result in 28 large changes in ΔN and ΔJ , if ΔE commensurate with $k_B T$, even with 29 unreactive collision partners [11, 12]. Changes up to $\Delta J = 70$ have been 30 reported in alkali dimers [13], under controlled conditions of temperature 31 and pressure. Here, more collisional partners are possible, including Al or O 32 atoms, as well as atmospheric oxygen or nitrogen. Spectra reveal extensive 33 rotational energy transfer up to $\Delta J = -100$. 34

A second issue deals with the measurement of the kinetic temperature of the heavy species in laser generated plasma. An established strategy consists of measuring the rotational temperatures of diatomic molecules from

emission spectroscopy assuming an equilibrium between the internal degrees 38 of freedom of the molecules and the kinetic temperature of the species in 39 the plasma. This is true when molecules are excited by collision with the 40 electrons in the plasma. In that case, the population of the rotational lev-41 els in the excited state maps the population of the rotational levels in the 42 ground electronic state, which is supposed to be at equilibrium with the ki-43 netic temperature of the species in the plasma. If molecules are formed in 44 the excited state by chemical reactions, equilibrium may not be achieved if 45 emission lifetimes of the excited state of the molecule are shorter than the 46 characteristic time of collision between the species in the plasma. In such a 47 case, the emission from newly produced diatomic molecules will contribute 48 to the emission spectrum. Hence, the kinetic temperature in transient laser-49 generated plasma might not match the rotational temperature deduced from 50 the rovibronic emission. Indeed, the imaging of the spatial distribution of 51 AlO emission following the ablation of an Al target or an Al_2O_3 target in 52 air shows a spatial localisation of the emission restricted to the edge of the 53 plasma plume. This observation suggests that the AlO emission comes from 54 the newly-produced molecules at the interface between the plasma plume 55 and the ambient air [14, 15, 16, 17]. To determine if the rovibronic emission 56 from diatomic molecules can be used to assess the kinetic temperature of 57 the species in the plasma, one needs to check the consistency between the 58 temperatures deduced from the rovibronic emission (from plasma emission), 59 characterising the populations in the excited electronic state, and a direct 60 measurement of the rotational temperature (from DLIF) characterising the 61 population of the rotational levels in the ground electronic state. 62

The synthetic computation of emission spectra for the B-X system of 63 AlO is well described in literature [18, 19] and spectroscopic temperature 64 determination of aluminium monoxide in laser ablation was reported many 65 years ago [20]. Although packages exist to simulate electronic spectra of 66 diatomics, for example PGOPHER [21], ExoMol or programs from Parigger's 67 group [22], we have produced out own routines and developed in house C++68 library to compute the spectra (see supplementary materials) and a Matlab 69 program for the fitting procedure. 70

71 2. Experimental Set-up

The experimental set-up is described in figure 1. The fourth harmonic of a pulsed Nd:YAG laser (266 nm, 5 ns, 20 Hz, 30 mJ per pulse) is focused



Figure 1: Scheme of the laser induced fluorescence (LIF) experimental set-up.

vertically by a UV lens (f = 50 mm) on a mono-crystal of alumina, creat-74 ing a plasma. The plasma is re-excited by a second laser pulse generated 75 by an NT230-50 Optical Parametric Oscillator (OPO) with SH/SF exten-76 sion from EKSPLA (NT230 series) using non-linear mixing of an Nd:YAG 77 laser in order to produce broad wavelength coverage (220-1500 nm, 3.2 ns, 78 20 Hz). A shortpass filter (FES0500, Thorlabs) is introduced on the excita-79 tion line to remove any contribution above 500 nm. In the excitation range 80 of the AlO molecules used in this work (483 - 496 nm) the laser line-width 81 is 66 pm FWHM (2.6 $\rm cm^{-1}$). It was measured using a DEMON spectrom-82 eter (Lasertechnik Berlin) with a resolution of about 1 pm. The energy per 83 pulse 17 ± 2 mJ was measured with a pyroelectric head on a Nova II ener-84 gymeter (Ophir). A few percent of the laser beam is sent to a wavemeter 85 WaveMasterTM from Coherent, measuring the excitation wavelength with an 86 accuracy of 5 pm for each LIF spectrum. The beam is focused on the centre of 87 the plasma, about 1 mm above the target surface. Emission from this part of 88 the plasma is collected perpendicularly to the OPO beam path by a 1/2-inch 89 achromatic lens (f=25 mm) imaging about 1 mm of the plasma on a bun-90 dle of 19 optical fibres (core diameter of 200 μ m) in a 2f/2f configuration. 91 Light is diffracted in an Andor Shamrock 500i spectrometer (Czerny-Turner 92 optical design) using a 2400 l/mm (blaze 240 nm) grating and an entrance 93 slit of 10 μ m. The spectrometer is equipped with DHT340-25F-03 intensified CCD camera from ANDOR with full vertical binning. The spectrometer is 95



Figure 2: Time dependence of the normalised integrated intensity of the bandheads of three vibronic B-X transitions (v', v'''): red dots correspond to the transition (0, 1), blue dots to (1, 2), and yellow dots to (2, 3). Bandheads are integrated over 0.5 nm. The delay 0 is arbitrary. Solid lines correspond to the fitting procedure described in the text and taking into account the Gaussian excitation pulse, with a pulse width of 3.2 ns FWHM, and a time gate of 5 ns. The deduced emission lifetime for each v' - v''' transition is displayed in the inset.

calibrated before each measurement using scattered light from the OPO at 96 different wavelengths. 22 spectra are recorded by shifting the OPO line by a 97 step of 0.5 nm. For each spectrum, the peak position is fitted by a Lorentzian 98 peak function. The resulting set of measured peak positions is then associ-99 ated with the set OPO wavelengths and a 3rd order polynomial fit is used for 100 the calibration. The overall resolution of the acquisition system is 0.05 nm. 101 The gate width is set to 5 ns to reduce the background signal with respect to 102 the LiF signal. The delays between the ablation pulse, the excitation pulse 103 and the measurement are controlled using a digital delay/pulse generator 104 DG645 from Stanford Research Systems. During measurement, the target 105 is moved in the horizontal plane by the translation stage with a precision of 106 about 10 μm and moving at about 1 mm/s. This ensures ablation from a 107 clean surface and provides repeatable ablation conditions and plasma char-108 acteristics. The spectral sensitivity response of the system is characterised 109 by measuring a calibrated black body lamp in the exact configuration of 110 the measurement. The measured spectrum is fitted by a 4th degree polyno-111 mial curve and divided by the tabulated spectrum. The resulting correction 112 function is then applied to all the measurements. 113

114 3. Quantum numbers and notation

The observed bands belong to the electronic $B^2\Sigma^+ - X^2\Sigma^+$ system of 115 AlO. We use Hund's case b) notation [19], designating the excited state 116 $B^{2}\Sigma^{+}$ by a prime symbol (n', v', N', J') and the ground state $X^{2}\Sigma^{+}$ by a 117 double prime symbols (n'', v'', N'', J'') in absorption. Triple prime symbols 118 (n''', v''', N''', J''') indicate ground state populations following the B-X rovi-119 bronic emission. n stands for the electronic levels. v is the vibrational quan-120 tum number and J stands for the quantum number associated with the total 121 angular momentum. $J = N \pm 1/2$ for the $2\Sigma^+$ electronic states, while N 122 corresponds to the quantum number associated with the rotational angular 123 momentum of the nuclei. The variation of each quantum number A is al-124 ways given following $\Delta A = A^{upper} - A^{lower}$ (for example, $\Delta J = J' - J''$ or 125 J' - J''', likewise we write (v', v'') for excitation and (v', v''') for emission. 126 Both $X^2\Sigma^+$ and $B^2\Sigma^+$ states have been extensively studied; assignments were 127 straightforward using parameters from Saksena *et al.* [23]. 128

129 4. Emission lifetime measurements

The lifetime of the $B^2\Sigma^+$ state of AlO molecules is measured 10 μ s after 130 the creation of the plasma. This delay was chosen as a good compromise be-131 tween maximizing the LIF signal and minimizing the plasma emission since 132 the plasma already cooled down significantly. The OPO wavelength is set 133 to 487 nm corresponding to the resonant absorption of the (1, 1) bandhead. 134 The acquisition gating is set to its minimum (5 ns). The delay between the 135 OPO and the acquisition is changed by 1 ns steps and starts about 5 ns 136 before the OPO pulse. Each measurement represents an averaged signal over 137 100 pulses. Figure 2 displays LIF intensity corresponding to bandheads at 138 507.9 nm (0,1), 510.2 nm (1,2), and 512.3 nm (2,3) integrated over 0.5 nm139 and normalised with respect to the maximum intensity observed. The ex-140 citation pulse and detection gate duration being similar to the deexcitation 141 time of the molecules, their shapes have to be taken into account to fit the 142 emission spectra display in Figure 2. Assuming a non depleted ground state, 143 the excitation rate of the molecules remains proportional to the instanta-144 neous intensity during the whole laser pulse duration. Excitation intensity 145 evolves as a Gaussian function $\mathcal{G}(t)$ with a pulse width of 3.2 ns FWHM. 146 The emission intensity is given by the convolution product of the OPO pulse 147

¹⁴⁸ intensity and an exponential decay:

$$I(t) = \mathcal{G}(t) \circledast \left[e^{-\frac{t}{\tau}} H(t) \right], \qquad (1)$$

with H(t) the Heaviside step function. During the measurement, the emission is integrated over a gate $\Pi(t)$ of 5 ns time duration. The signal recorded S(t)is the convolution product of the Rectangular function $\Pi(t)$ with the emission I_{52} I(t):

$$S(t) = \Pi(t) \circledast I(t).$$
⁽²⁾

The solid lines correspond to fits of the data by the function described above. 153 It provides a measurement of the emission lifetime for the three (v', v''') tran-154 sitions considered: $\tau_{0\to 1} = 2.8 \text{ ns}, \tau_{1\to 2} = 2.6 \text{ ns}, \tau_{2\to 3} = 2.8 \text{ ns}$. These values 155 are very short compared to the radiative lifetime tabulated by the National 156 Institute of Standards and Technology (NIST), with values from 100 ns [24] 157 to 130 ns [25] for v' = 0, 1, 2. Indeed, the typical lifetime from NIST has 158 been measured at low pressure (20 Pa) while our measurements are made 159 at atmospheric pressure. Lifetime of a few nanoseconds has been previously 160 discussed by Nagli et al. [26]. They assume that the shorter lifetime is due to 161 collisional quenchings. Knowing the true effective value is important when 162 using this emission lifetime to determine the ratio of species in the plasma 163 from emission ratios [8, 27], so care is taken to measure the effective emission 164 lifetime in similar conditions. 165

166

¹⁶⁷ 5. Excitation Emission maps

Emission-excitation maps of atoms and molecules in the laser generated 168 plasma are obtained by changing the excitation wavelength and measuring 169 the emission of the plasma. The delay between the ablation and the OPO 170 pulses is set to 30 μ s. The acquisition starts just after the OPO pulse, and 171 the gate width is 5 ns. The wavelength of the OPO is changed from 483 nm 172 to 492 nm in steps of 0.05 nm. This value is similar to the FWHM of the 173 laser. The background spectrum of the plasma emission acquired in the same 174 conditions but without the OPO excitation pulse is subtracted from each 175 spectrum. All the spectra are corrected for the spectral sensitivity of the op-176 tical and detection system using the black body calibration. A background 177 contribution determined from the average intensity for $\lambda < 507.5$ nm is also 178 subtracted. The resulting 2D map is presented on figure 3 (c). The largest 179



Figure 3: (a) Computed Fortrat diagram for the vibronic B - X transition (0,0) in blue and (0,1) in red. Only the main branches characterised by $\Delta J = \Delta N = \pm 1$ are displayed, i.e. the R₁-branch, R₂-branch, P₁-branch, and P₂-branch. Indexes 1 and 2 correspond to the spin splitting. 1 stands for $J = N + \frac{1}{2}$ while 2 stands for $J = N - \frac{1}{2}$. Satellite branches ${}^{P}Q_{12}$ and ${}^{R}Q_{21}$ are not displayed because their intensity is weak for large J' values with respect to the intensity of the R-branch and P-branch. A given excitation wavelength can excite a few states (v', N', J') in the R-branches and P-branches. As an illustration, for an absorption around 485.3 nm (vertical blue line), we highlight two excited states $(0, N'_R, J'_R = N'_R + 1/2)$ and $(0, N'_P, J'_P = N'_P + 1/2)$. Each excited state leads to two emission lines (red vertical lines), one corresponding to a the R-branch and one corresponding to a P-branch. The highlight emission lines appear in the LIF spectrum (black). (b) Same example represented on an energy level scheme with arrows displayed for the resonant emission (DLIF). (c) 2D excitation/emission of an AlO molecule for a delay of 30 μ s. (d) Superposition of the 2D excitation/emission spectrum with theoretical transitions assuming resonant excitation and emission from the (v', N', J') state. Satellite branches ${}^{P}Q_{12}$ and ${}^{R}Q_{21}$ are not displayed. The spectrum displayed in (a) corresponds to the white dashed line. Intersection with the four red branches correspond to the four emission peaks highlighted in (a) and (b). Vertical white lines show collisionally induced fluorescence following absorption in the bandheads $\Delta v = 0$.

intensities correspond to the R-branch heads in absorption and emission. 180 A bandhead is characterised by a large density of nearly-overlapping rovi-181 bronic transitions (See Fortrat diagram 3 (a)). In the excitation-emission 182 map, a large density of transitions leads to intense emissions at 507.9 nm, 183 corresponding to the bandhead of the (0,1) R-branch, following an excitation 184 at 484.2 nm, corresponding to the bandhead of the (0,0) R-branch. In the 185 same way, an intense emission is observed at 510.2 nm following an exci-186 tation at 486.7 nm (bandhead of (1,2) and (1,1) transitions), as well as at 187 512.3 nm following an excitation at 488.9 nm (bandhead of (2.3) and (2.2)188 transitions). Furthermore, the transitions involving low vibrational levels, 189 namely (0,0) excitation and (0,1) de-excitation, have a larger intensity, re-190 flecting enhanced populations, and large Franck-Condon factors (for (0,0)) 191 at least). 192

The curved branches on figures 3 (c) and (d) correspond to direct flu-193 orescence from the rotational states J' populated by the resonant OPO 194 pulse excitation according to transition enabled by selection rules. For AlO 195 $B^{2}\Sigma^{+} - X^{2}\Sigma^{+}$ system, these include $\Delta N = \Delta J = \pm 1$ corresponding to the 196 four branches R_1 , R_2 and P_1 , P_2 represented in blue on figure 3 (a). The spin 197 component F_1 indicates levels $J = N + \frac{1}{2}$, and $F_2 J = N - \frac{1}{2}$. R-branches 198 correspond to $\Delta J = +1$. P-branches correspond to $\Delta J = -1$. In the case 199 of AlO, the satellite branches ${}^{P}Q_{12}$ and ${}^{R}Q_{21}$ corresponding to $\Delta N = \pm 1$ 200 and $\Delta J = 0$ are almost lost beneath the $\Delta N = \Delta J R$ and P branches. For 201 J > 5, their intensities are at least 100 times lower than those of the main 202 branches R and P. For simplicity, they are not plotted on the figures, but 203 are taken into account when fitting the spectra. 204

In figure 3, excitation is performed in the $\Delta v = 0$ sequence while emission 205 is observed in the spectral range $\Delta v = -1$. A given excitation wavelength can 206 excite a few states (v', N', J') in the R-branches and P-branches according 207 to the laser line-width. As an illustration, two states excited by 485.3 nm 208 photons are highlighted in figure 3 (a) by the vertical blue lines, one in 209 the R₁ branch and one in the P₁ branch for (v', v'') = (0, 0). Assuming 210 spin conservation, and looking at the transitions $\Delta v = -1$, each of these 211 two excited states can decay by spontaneous emission through 2 channels 212 following the selection rules $\Delta N = \Delta J = \pm 1$, *i.e.* one in the *R*-branch and 213 one in the *P*-branch. In this example, it leads to 4 transitions indicated by 214 the red vertical lines on figure 3 (a). The black spectrum in figure 3 (a) 215 corresponds to a measured spectrum for an excitation at 485.3 nm. One 216 can observe 4 groups of transitions centred around 507.95, 508.7, 509.1 and 217

512.1 nm. This relaxation scheme applied on all excitation wavelengths leads 218 to the 4 red branches for v' = 0 in the excitation/emission map on figure 3 (d). 219 The example given in figure 3 (a) corresponds to the white dashed line of 220 figure 3 (d). This reasoning also stands for the other vibrational levels and 221 the branches are represented in yellow for v' = 1, green for v' = 2 and black 222 for v' = 3. The inset in figure 3 (d) corresponds to a zoom on the wavelength 223 ranges corresponding to the bandhead transitions for (0,0) excitation and 224 (0,1) emission. It shows the good agreement between the measured spectrum 225 and the transition conserving J'. 226

The branches highlighted on figure 3 (d) correspond to direct fluorescence, 227 but no matter the excitation wavelength, some excited molecules undergo in-228 elastic energy transfer, spreading the population in the rotation and vibration 229 quantum numbers. The black spectrum on figure 3 (a) clearly exhibits colli-230 sionally induced fluorescence in addition to direct fluorescence. Collisionally 231 induced fluorescence especially leads to bright horizontal lines and vertical 232 lines on figure 3 (c). Vertical lines correspond to bandheads $\Delta v = 0$ in 233 absorption. They are shown with vertical white line in figure 3 (d). For 234 instance 484.2 nm corresponds to the (0,0) bandhead, 486.7 nm to the (1,1)235 band-head and so on. For an excitation wavelength at a bandhead, the light 236 absorption is drastically increased because many transitions are excited si-237 multaneously, populating multiple (v', N', J') levels, and then the collisionally 238 induced fluorescence signal increases accordingly. Horizontal lines correspond 239 to bandhead exaltation with $\Delta v = -1$. We observe that regardless of the 240 excitation wavelength, the collisionally induced fluorescence is concentrated 241 around bandhead wavelengths simply because of a larger density of lines. In 242 particular, one can notice horizontal lines corresponding to emission band-243 heads at 507.9nm for the (0,1) transitions, 510.2 nm for the (1,2) transitions, 244 512.3 nm for the (2,3) transitions and so on. 245

Such Excitation/Emission maps show that, despite dense plasmas and large collision rates, one can observe emission from partially thermalised molecules exhibiting clear patterns according to selection rules of transitions. These 2-D patterns resemble Fortrat diagrams and could be used to determine the validity of molecular constants in hot states (above 3000 K). Our measurements match well the tabulated values for AlO within the precision of the presented measurements.

The lowest horizontal line corresponding to (0,1) bandhead emission at 507.8 nm appears following excitation anywhere out to 496 nm, where the laser is resonant with J'' > 120 transitions in the (0,0) band, and lower J''

transitions in (1,1), (2,2) or (3,3) hot bands. Collisional energy transfer is 256 responsible for transferring these excited state populations down to v' =257 0, $J' \approx 20$, with $\Delta J'$ as much as -100, and $\Delta v' = -1$, -2, -3. Gain in 258 energy is evident, too, as illustrated by the vertical line formed following 259 (0,0) laser excitation at 484.2 nm, extending to 512.3 nm. In this case, 260 the emission signal comes from molecules in v' = 0 vibrational state with J 261 values larger than 60, implying rotational energy transfer up to $\Delta J = +40$, or 262 from molecules with v up to 2, corresponding to vibrational energy transfer 263 up to $\Delta v = +2$. Horizontal lines for excitation wavelengths shorter than 264 an excitation bandhead $\Delta v = 0$ reveal vibrational energy transfer. As an 265 example, emission at 514.3 nm in the bandhead for the (3,4) transitions after 266 excitation at 485 nm is only possible if there is a collisional energy transfer 267 from v' = 0 to v' = 3. There are no selection rules governing collisional energy 268 transfer in a non-symmetric molecules. These experiments with selective 269 excitation and detection give direct evidence for collisional energy transfer 270 propensities in AlO. 271

²⁷² 6. LIF spectrum simulation

In order to calculate the LIF spectrum, one has to consider both the exci-273 tation and de-excitation processes between the $X^2\Sigma^+$ (n'', n''') and $B^2\Sigma^+$ (n')274 electronic states. The LIF spectrum can be described as the superposition 275 of direct fluorescence (DLIF), where the excited state (n', v', J', N') involved 276 in the absorption and the emission is the same (resonant fluorescence), and 277 laser-then-collisionally induced fluorescence (LCIF) after collisional popula-278 tion transfer in the excited state (ro-vibrationally relaxed fluorescence). The 279 population redistribution can be approximated by independent vibrational 280 and rotational Boltzmann distributions. By fitting spectral profiles to a linear 281 combination of both combributions to LIF spectra, direct fluorescence and 282 collisionally induced fluorescence, we are able to determine effective temper-283 atures describing the populations in the rotational and vibrational manifolds 284 of X and B states independently. We are following formalisms available in 285 standard textbooks [19, 28, 29]. 286

To calculate the direct fluorescence spectrum, we consider the following excitation/de-excitation channel:

$$(n'', v'', N'', J'') \to (n', v', N', J') \to (n''', v''', N''', J''')$$
(3)

In the following, the set of quantum numbers (n, v, N, J) is noted l in the equations. The population of the ground state $n''(X^2\Sigma^+)$ is described by a rotational and vibrational temperatures T''_{rot} and T''_{vib} such that the density of molecules in the state (n'', v'', N'', J'') is:

$$N_{l''} = \frac{N_{n''}}{2} \cdot (2J'' + 1) \cdot \frac{exp\left(-\frac{hc \cdot G_{n''}(v'')}{k_B \cdot T_{vib}''}\right)}{Qvib_{n''}(T_{vib}'')} \\ \cdot \frac{exp\left(-\frac{hc \cdot F_{n'',v'',i}(J'')}{k_B \cdot T_{rot}''}\right)}{Qrot_{n'',v''}(T_{rot}'')}$$
(4)

with $N_{n''}$ the total population of the electronic state, Q the partition functions, G the vibrational energy, and F the rotational energy. i corresponds to the spin splitting. i = 1 stands for $J = N + \frac{1}{2}$ and i = 2 stands for $J = N - \frac{1}{2}$. Considering only transitions from the $X^2\Sigma^+$ electronic state, $N_{n''}$ and Qvib are assumed constant. Since we have $kT_{rot} \gg B_{n'',v''}$ (with $B_{n'',v''}$ the rotational constant for the state (n'', v'')), Qrot is approximated using the rigid rotator model [27]:

$$Qrot_{n'',v''} \simeq \frac{k_B T_{rot}}{B_{n'',v''}},\tag{5}$$

 $_{300}$ and from equation 4,

$$N_{l''} \propto (2J''+1) \cdot \frac{B_{n'',v''}}{k_B T''_{rot}} \cdot exp\left(-\frac{hc \cdot G_{n''}(v'')}{k_B \cdot T''_{vib}}\right)$$
$$\cdot exp\left(-\frac{hc \cdot F_{n'',v'',i}(J'')}{k_B \cdot T''_{rot}}\right)$$
(6)

The population of the upper state (n', v', N', J') is considered to be zero prior to excitation. This is not strictly true, but remaining plasma emission is very much weaker than LIF signal at the delay considered, and in any case the plasma emission contribution is subtracted from LIF spectra in our data processing. Considering only the absorption of the excitation pulse, the population variation of the upper state $N_{n',v',J'}$ is:

$$\frac{dN_{l'}}{dt} = \rho(\nu) \cdot B_{l''}^{l'} \cdot N_{l''}$$
(7)

with $B_{l''}^{l'}$ the Einstein coefficient for absorption and $\rho(\nu)$ [J.s.m⁻³] the ra-307 diance of the OPO pulse at the resonant wavelength. ν stands for the 308 wavenumber of the transition. The population of the upper state is given 309 by the integration of this transition rate over the duration of the OPO pulse. 310 The radiance $\rho(\nu)$ is assumed undepleted on the whole plasma plume. The 311 number of molecules in the ground state being large compared to the number 312 of molecules excited by the pulse, one can consider that $N_{l''}$ remains constant. 313 The Einstein coefficient for absorption can be related to the Einstein coeffi-314 cient for spontaneous emission $A_{n'',v''}^{\hat{n}',v'}$ through the following relation: 315

$$B_{l''}^{l'} = \frac{(2J'+1)}{(2J''+1)} \frac{c^3}{8\pi h\nu^3} A_{n'',v''}^{n',v'} \frac{S_{J''}^{J'}}{2J'+1}$$
(8)

 $S_{J''}^{J'}$ denotes the Hönl-London coefficient [19]. Combining equation 6, 7 and 8 we obtain the number of molecules in the excited state after the pulse 8 absorption:

$$N_{l'} \propto \frac{\rho(\nu)}{\nu^3} \cdot A_{n'',\nu''}^{n',\nu''} \cdot S_{J''}^{J'} \cdot \frac{B_{n'',\nu''}}{k_B T_{rot}''}$$

$$\cdot exp\left(-\frac{hc \cdot F_{n'',\nu'',i}(J'')}{k_B \cdot T_{rot}''}\right) \cdot exp\left(-\frac{hc \cdot G_{n''}(\nu'')}{k_B \cdot T_{vib}''}\right)$$
(9)

The emission intensity from the state (n', v', N', J') to (n''', v''', N''', J''') is thus proportional to the population of the excited state multiplied by the Einstein coefficient for spontaneous emission $A_{n'',v''}^{n',v''}$:

$$I_{l'''}^{l'} \propto A_{n'',v''}^{n',v''} \cdot \frac{S_{J'''}^{J''}}{(2J'+1)} \cdot N_{n',v',J'}$$

$$I_{l'''}^{l'} \propto \frac{\rho(\nu)}{\nu^3} \cdot A_{n'',v''}^{n',v''} \cdot A_{n'',v''}^{n',v'} \cdot \frac{S_{J''}^{J''} \cdot S_{J''}^{J''}}{(2J'+1)} \frac{B_{n'',v''}}{k_B T_{rot}''}$$

$$\times exp\left(-\frac{hc \cdot F_{n'',v'',i}(J'')}{k_B \cdot T_{rot}''}\right) \cdot exp\left(-\frac{hc \cdot G_{n''}(v'')}{k_B \cdot T_{vib}''}\right)$$
(10)

Within the effective excited state life-time, the excited state (n', v', N', J')population is partially redistributed over other quantum levels. Because of the limited experimental resolution, the population redistribution of excited states cannot be determined directly from spectral analysis. Here we chose to model the population after relaxation using two Boltzmann distributions with effective temperatures T'_{vib} and T'_{rot} for vibration and rotation. One should consider these temperatures as fitting parameters. The higher these parameters, the larger the population in states with high quantum levels. The intensity of each transition is proportional to:

$$I_{l'''}^{l'} \propto A_{n''',v'''}^{n',v''} \cdot S_{J'''}^{J'} \cdot \frac{B_{n',v'}}{k_B T'_{rot}} \cdot exp\left(-\frac{hc \cdot F_{n',v',i}(J')}{k_B \cdot T'_{rot}}\right)$$

$$\cdot exp\left(-\frac{hc \cdot G_{n'}(v')}{k_B \cdot T'_{vib}}\right)$$
(11)

The energy of each state, including the electronic energy, the vibrational 331 energy $G_n(v)$ and the rotational energy $F_{n',v',i}(J')$, is computed using the 332 data from Saksena et al. [23] (See supplementary materials). The rotational 333 constant $B_{n,v}$ are also taken from Saksena *et al.* [23]. Figures 3 (a) and 334 5 (a) show Fortrat diagrams calculated for electric-dipole allowed transitions 335 between these states, verifying predicted wavenumbers with the lines lists 336 given by Launila and Berg [30]. Each spectrum is calculated by summing 337 the contribution of all allowed transition convoluted by a Gaussian function of 338 width σ , and using the Einstein coefficient $A_{n'',v''}^{n',v'}$ (and $A_{n'',v''}^{n',v''}$) from Hebert 339 and Nicholls [31]. Both direct fluorescence (DLIF) spectrum and laser-then-340 collisionally induced fluorescence (LCIF) spectrum are normalised by their 341 integral over the wavelength range. The final spectrum is the sum of both 342 contributions, weighted by coefficient x: 343

$$I = x \times \frac{I_{LCIF}}{\int I_{LCIF}} + (1 - x) \frac{I_{DLIF}}{\int I_{DLIF}}$$
(12)

x is the fraction of the collisionally induced fluorescence with respect to the total emission. The closer the value of x to one, the more important is relaxation in the excited electronic state.

³⁴⁸ 7. LIF spectrum fit and results

Band contour fits have been performed for each excitation wavelength λ_e corresponding to the measured wavelength of the OPO pulse. The curvefitting is performed using functions available in Matlab to solve nonlinear



Figure 4: Example of fitted LIF spectrum (red) on measured spectrum for a delay of 30 μ s (black) for the excitation wavelength 484.80 nm (a) and 488.30 nm (c) considering a single temperature $T_{X^2\Sigma^+}$ for the electronic ground state $X^2\Sigma^+$, and two temperatures, T'_{rot} and T'_{vib} , for the electronic excited state $B^2\Sigma^+$. Fitted values at 484.80 nm are $T'_{rot} = 4520$ K, $T'_{vib} = 1330$ K, and $T_{X^2\Sigma^+} = 2380$ K. Fitted values at 488.30 nm are $T'_{rot} = 4450$ K, $T'_{vib} = 2970$ K, and $T_{X^2\Sigma^+} = 2720$ K. Panels (b) and (d) show the collisionally induced fluorescence contribution in blue (LCIF) and the direct fluorescence contribution in magenta (DLIF) for each excitation wavelength.

least-squares regression. The radiance of the OPO pulse $\rho(\nu)$ is taken pro-352 portional to a Lorentz function centered on λ_e with a line-width of 66 pm 353 FWHM. The fitting parameters are $T_{X^2\Sigma^+}$ describing the population in the 354 $X^2\Sigma^+$ state, T'_{rot} and T'_{vib} describing the population in the $B^2\Sigma^+$ relaxed state, 355 the width σ of the Gaussian function used to compute the synthetic spectra 356 and the ratio x defined in equation 12. The average value of the fitted σ is 357 0.084 nm (FWHM) with a standard deviation of 0.006 nm. $T''_{rot} = T''_{vib} =$ 358 $T_{X^2\Sigma^+}$ is assumed in the fitting process as we consider the equilibrium for the 359 molecules in the ground state to be reached. Leaving both parameters free in 360 the optimisation process is not relevant as T''_{vib} has little effect on the shape 361 of the emission for the $\Delta v = 0$ transitions we measured here. In order to fit 362 both temperatures of the ground state, one should consider exciting other 363 transitions such as $\Delta v = \pm 1$. Furthermore, for excitation wavelengths lower 364 than 486.5 nm, v'' = 0 is the only excited state and the fit does not depend 365 on T''_{vib} . 366

Figures 4 (a) and (c) represent the calculated LIF spectrum (in red) fit-367 ted on the LIF spectrum measured (in black) for an excitation of 484.80 nm 368 and 488.30 nm respectively. Figure 4 (b) and (d) represent the direct fluo-369 rescence contribution in magenta and the collisionally induced fluorescence 370 contribution in blue in the calculated spectrum. The calculated LIF spectrum 371 accurately reproduces the shape and intensities of the measured LIF spec-372 trum. On this spectral range, direct fluorescence represents only 6 to 16% of 373 the integrated intensity signal. However, direct fluorescence remains easy to 374 identify in tight spectral windows. Most of the intensity, about 90%, corre-375 sponds to collisionally induced fluorescence. Despite the short lifetime of the 376 excited state (2.7 ns), collisions efficiently redistribute population amongst 377 excited states v' and J'. 378

379

Results of the fitted temperatures for each excitation wavelength are displayed on figure 5. Figure 5 (a) shows the Fortrat diagram of AlO molecules in the excitation range $\Delta v = 0$, from v' = v'' = 0 to v' = v'' = 4. Vertical dashed lines in figures 5 (a) and (b) indicate bandheads. Figure 5 (b) shows plots of fitted T'_{rot} and T'_{vib} describing the relaxed excited state.

Wavelengths below 484.2 nm cannot excite any bands in the $\Delta v = 0$ sequence, but may be resonant with $\Delta v = +1$ transitions with large values of J". We find $T'_{rot} \simeq 6000 \ K$ and $T'_{vib} \simeq 4500 \ K$. Collisionally-induced fluorescence retains some memory of the excitation channel. Initial excitation of high values of J' and v' always results in high T'_{rot} and T'_{vib} temperatures (obvious in the right hand side of figure 5 (b)).

Between 484.2 nm and 486.5 nm, the (0,0) transitions are excited, lead-391 ing to a strong LIF signal. $T'_{vib} \simeq 1000 \ K$ is much lower here because only 392 the lower vibrational level v' = 0 is excited. After mixing, most of the 393 molecules remain in a low vibrational state, leading to a low effective vibra-394 tional temperature. Around 484.2 nm, the rotational temperature T'_{rot} drops 395 to $\simeq 4000 K$ because the excitation corresponds to the (0,0) bandhead with 396 a large density of rovibronic transition with low values of J. Then, T'_{rot} in-397 creases between 484.2 nm and 486.5 nm as the excited transitions have larger 398 and larger values of J. 399

Between 486.7 nm and 488.8 nm, both (0,0) and (1,1) transitions are 400 excited, leading to a higher T'_{vib} . At 486.7 nm, the density of (1, 1) transition 401 is large (bandhead) and most of the excited molecules end in this vibrational 402 state explaining the peak in the vibrational temperature. On the contrary, 403 the rotational temperature first drops before increasing for the same reason 404 as presented for pure (0,0) transitions. The amplitude of the variation is 405 weaker as there are also contibutions from the high-J resonances in the (0,0)406 band, giving more "strating point" for collisional energy transfers. This pat-407 tern for T'_{rot} and T'_{vib} repeats for each of the excited (v', v'') bands. 408 409

Figure 5 (c) shows the fitted temperatures $T_{X^2\Sigma^+}$ for the ground state. For 410 each OPO pulse centred on an excitation wavelength away from the band-411 head, at least two sets of $J^{"}$ values are excited, one belonging to R-branch 412 and the other to the P-branch. The large difference between these two sets 413 of J" numbers allows obtaining a value of $T_{X^2\Sigma^+}$ for each excitation wave-414 length longer than 485 nm. For wavelengths longer than 490 nm, the direct 415 fluorescence signal is too weak to achieve convergence and deduce $T_{X^2\Sigma^+}$. 416 Figure 5 (c) shows that $T_{X^2\Sigma^+}$ remains stable as it depends on the plasma 417 thermodynamic state only, and not on the excitation process. One can no-418 tice a slight peak for the (1,1) bandhead, but also for the (2,2) bandhead. 419 In this region, large resonant intensity and self-absorption might impact the 420 fitting procedure, but the possible consequences of an optically thick sam-421 ple are not considered here. To determine the temperature of the ground 422 state, we average $T_{X^2\Sigma^+}$ values from excitation wavelength between 485 and 423 486.5 nm (shaded area in figure 5 (c)). In that range, the emission shape 424 does not depend on T''_{vib} since only one vibrational state is involved, and we 425 then assume $T_{X^2\Sigma^+} = T''_{rot}$. The histogram for the $T_{X^2\Sigma^+}$ distribution from 426 the shaded area is plotted in figure 5 (d). The average value is 3150 K, the 427



Figure 5: (a) Fortrat diagram for the $\Delta v = 0$ excited transitions. (b) Rotational (red) and vibrational (blue) temperatures describing the collisionally induced fluorescence (LCIF) depending on the excitation wavelength. (c) Temperature of the ground state $(X^2\Sigma^+)$ depending on the excitation wavelength measured from the direct fluorescence (DLIF). (d) Histogram of the ground state $(X^2\Sigma^+)$ temperatures corresponding to the selected excitation range shaded area. The average value is 3150 K, the standard deviation is 552 K and the temperature interval for a confidence level of 70% (two-sided) is ± 67 K.

standard deviation is 552 K and the temperature interval for a confidence level of 70% (two-sided) is ± 67 K.

This temperature can be compared to the vibrational and rotational tem-430 peratures of the $B^2\Sigma^+$ excited state measured from emission spectroscopy. 431 Emission of AlO molecules has been measured before and after the 2D scan-432 ning without OPO excitation and fitted as presented in the supplementary 433 materials following the method presented in Lam *et al.* [27]. The value ob-434 tained for the vibrational temperature is 5620 ± 330 K (confidence level of 435 70%) at a delay of 30 μs . The value obtained for the rotational temperature 436 is 3130 ± 100 K. The rotational temperature of the excited state $T_{rot}^{B^2\Sigma^+}$ is in 437 good agreement with the rotational temperature of the ground state $T_{X^2\Sigma^+}$ 438 measured by LIF. These measurements confirm that after 30 μ s, the mea-439 surement of the rotational temperature of the excited state from the emission 440 of the plasma is a good probe of the rotational temperature of the ground 441 state. 442

In order to test it for shorter delay time in the plasma, the same experi-443 ment was run with a delay of 5 μ s. The average value of $T_{X^2\Sigma^+}$ is 3700 K, the 444 standard deviation is 530 K and the temperature interval for a confidence 445 level of 70% (two-sided) is ± 64 K. $T_{X^2\Sigma^+}$ at 5 μ s is larger than after 30 μ s as 446 the plasma cools down. In comparison, the direct fluorescence provides a vi-447 brational temperature of the excited state $T_{vib}^{B^2\Sigma^+} = 6860 \pm 350$ K (confidence level of 70%) and a rotational temperature of $T_{rot}^{B^2\Sigma^+} = 3850 \pm 100$ K. Here 448 449 again, the values are in agreement considering the error of the measurement. 450 These temperatures are consistent with the ones reported for AlO molecular 451 temperatures for the same delay in laser-generated plumes from metals [32]. 452

453 8. Conclusion

We used time resolved 2D LIF to study the out-of-equilibrium properties 454 of excited AlO molecules formed in a laser-generated plasma. Laser induced 455 plasmas are usually characterised using emission spectroscopy to determine 456 temperature and composition. This approach probes only the excited state 457 of the molecules that are likely to be directly formed in the plasma. Ground-458 state distributions are likely to be different. By tuning a laser to chosen 459 molecular transitions, we can probe rovibrational distribution in the ground 460 state as well. 461

LIF was used to measure the effective lifetime $\tau = 2.7 \pm 0.2$ ns of the B² Σ^+ state of AlO molecules at atmospheric pressure. This lifetime is much shorter than tabulated values in vacuum because of collisional quenching
in the plasma. Effective lifetimes are key parameters for the calculation of
molecular concentrations in LIBS.

By fitting both direct and collisionally induced fluorescence contributions 467 to spectra of AlO molecules 5 μ s and 30 μ s after ablation, we were able to 468 determine the temperature of the ground electronic state of $AlO(X^2\Sigma^+)$ and 469 the effective temperatures describing the relaxed state of the molecules par-470 tially thermalised. Their population appears to be well described by Boltz-471 mann populations using effective rotational and vibrational temperatures. 472 These temperatures are different, and depend on excitation channel. Clearly 473 molecules do not reach full internal equilibrium, or equilibrium with the 474 plasma kinetic temperature. In such a plasma, collisions are not sufficient to 475 ensure equilibrium of the excited molecule population from an initial state 476 strongly out of equilibrium. 477

On the contrary, the rotational temperature deduced from standard plasma 478 emission, without re-excitation of the plasma, is consistent with the rota-479 tional temperature of the ground state deduced from LIF, both after 5 μ s 480 and 30 μ s. The AlO molecules formed in the excited state $B^2\Sigma^+$ in the 481 plasma reach the equilibrium before emission. This might be because they 482 are not formed far from equilibrium, unlike the molecules excited by LIF. The 483 measurement of the temperature in the plasma considering the rotational 484 temperature of the excited state of the diatomic molecules is confirmed to be 485 valid. 486

487 Funding sources

⁴⁸⁸ This work was financed by the French region Rhônes Alpes Auvergne ⁴⁸⁹ (Optolyse, CPER2016).

490 Disclosures

⁴⁹¹ The authors declare no conflicts of interest.

⁴⁹² CRediT authorship contribution statement

Arsene Chemin: Methodology, Investigation, Formal analysis, Visu alization, Software, Writing - Original Draft. Amanda Ross: Validation,
 Writing - Review & Editing. Sylvain Hermelin: Methodology, Writing -

Review & Editing. Patrick Crozet: Validation, Writing - Review & Editing. Vincent Motto-Ros: Conceptualization, Methodology, Validation,
Writing - Review & Editing. Gilles Ledoux: Conceptualization, Methodology, Writing - Review & Editing. Christophe Dujardin: Funding acquisition, Writing - Review & Editing. David Amans: Conceptualization,
Visualization, Data Curation, Software, Writing - Original Draft, Supervision.

⁵⁰³ Declaration of Competing Interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

507 Data availability

⁵⁰⁸ Data will be made available on request.

⁵⁰⁹ Appendix A. Supplementary material

The supplementary materials describes the energy level calculations, including the parameters used, and the transition probability calculation. It also shows the plasma emission spectra at 5 μs and 30 μs with their fits.

513 References

- [1] A. De Giacomo, J. Hermann, Laser-induced plasma emission:
 from atomic to molecular spectra, J. Phys. D 50 (2017) 183002.
 doi:10.1088/1361-6463/aa6585.
- [2] S. S. Harilal, M. C. Phillips, D. H. Froula, K. K. Anoop, R. C. Issac,
 F. N. Beg, Optical diagnostics of laser-produced plasmas, Rev. Mod.
 Phys. 94 (2022) 035002. doi:10.1103/RevModPhys.94.035002.
- J. Hermann, E. Axente, F. Pelascini, V. Craciun, Analysis of multi-elemental thin films via calibration-free laser-induced breakdown spectroscopy, Analytical chemistry 91 (2019) 2544–2550. doi:10.1021/acs.analchem.8b05780.

- [4] E. Tognoni, G. Cristoforetti, S. Legnaioli, V. Palleschi, Calibrationfree laser-induced breakdown spectroscopy: state of the art, Spectrochimica Acta Part B: Atomic Spectroscopy 65 (2010) 1–14.
 doi:10.1016/j.sab.2009.11.006PANIST.
- T. E. Itina, J. Hermann, P. Delaporte, M. Sentis, Laser-generated plasma plume expansion: Combined continuous-microscopic modeling, Physical Review E 66 (2002) 066406. doi:10.1103/PhysRevE.66.066406.
- [6] A. Chemin, K. Miyajima, P. Melinon, F. Mafuné, D. Amans, Microcanonical nucleation theory for anisotropic materials validated on alumina clusters, The Journal of Physical Chemistry A 124 (2020) 2328– 2334. doi:10.1021/acs.jpca.0c01038.
- [7] T. E. Itina, On nanoparticle formation by laser ablation in liquids, The Journal of Physical Chemistry C 115 (2011) 5044–5048.
 doi:10.1021/jp1090944.
- [8] J. Lam, D. Amans, C. Dujardin, G. Ledoux, A.-R. Allouche, Atomistic
 mechanisms for the nucleation of aluminum oxide nanoparticles, J. Phys.
 Chem. A 119 (2015) 8944–8949. doi:10.1021/acs.jpca.5b05829.
- [9] C. Alvarez, J. Pisonero, N. Bordel, Quantification of fluorite masscontent in powdered ores using a laser-induced breakdown spectroscopy method based on the detection of minor elements and caf molecular bands, Spectroc. Acta B 100 (2014) 123–128. doi:10.1016/j.sab.2014.07.024PANIST.
- [10] O. Forni, M. Gaft, M. J. Toplis, S. M. Clegg, S. Maurice, R. C. Wiens,
 N. Mangold, O. Gasnault, V. Sautter, S. Le Mouelic, P.-Y. Meslin,
 M. Nachon, R. E. McInroy, A. M. Ollila, A. Cousin, J. C. Bridges, N. L.
 Lanza, M. D. Dyar, First detection of fluorine on mars: Implications
 for gale crater's geochemistry, Geophys. Res. Lett. 42 (2015) 1020–1028.
 doi:10.1002/2014GL062742.
- ⁵⁵² [11] J. C. Polanyi, K. B. Woodall, Mechanism of rotational relaxation, J.
 ⁵⁵³ Chem. Phys. 56 (1972) 1563. doi:10.1063/1.1677406.
- ⁵⁵⁴ [12] H. P. Broida, T. Carrington, Rotational, vibrational, and electronic
 ⁵⁵⁵ energy transfer in fluorescence of nitric oxide, J. Chem. Phys. 38 (1963)
 ⁵⁵⁶ 136. doi:10.1063/1.1733452.

- J. Jones, K. Richter, T. J. Price, A. J. Ross, P. Crozet, C. Faust,
 R. F. Malenda, S. Carlus, A. P. Hickman, J. Huennekens, Rotationally inelastic collisions of excited nak and nacs molecules with noble gas and alkali atom perturbers, J. Chem. Phys. 147 (2017) 144303. doi:10.1063/1.4997577.
- ⁵⁶² [14] J. Lam, V. Motto-Ros, D. Misiak, C. Dujardin, G. Ledoux,
 ⁵⁶³ D. Amans, Investigation of local thermodynamic equilibrium in laser⁵⁶⁴ induced plasmas: Measurements of rotational and excitation tem⁵⁶⁵ peratures at long time scales, Spectroc. Acta B 101 (2014) 86–92.
 ⁵⁶⁶ doi:10.1016/j.sab.2014.07.013PANIST.
- ⁵⁶⁷ [15] P. Ran, H. Hou, S.-N. Luo, Molecule formation induced by non-uniform
 ⁵⁶⁸ plume-air interactions in laser induced plasma, J. Anal. At. Spectrom.
 ⁵⁶⁹ 32 (2017) 2254-2262. doi:10.1039/C7JA00287D.
- [16] E. R. Wainwright, S. W. Dean, F. C. De Lucia, T. P. Weihs, J. L. Gottfried, Effect of sample morphology on the spectral and spatiotemporal characteristics of laser-induced plasmas from aluminum, Applied Physics A 126 (2020) 83. doi:10.1007/s00339-019-3201-9.
- 574 [17] S. S. Harilal, B. E. Brumfield, B. D. Cannon, M. C. Phillips,
 575 Shock wave mediated plume chemistry for molecular formation in
 576 laser ablation plasmas, Analytical chemistry 88 (2016) 2296–2302.
 577 doi:10.1021/acs.analchem.5b04136.
- ⁵⁷⁸ [18] C. G. Parigger, J. O. Hornkohl, Computation of AlO $B^2\Sigma^+ \rightarrow X^2\Sigma^+$ ⁵⁷⁹ emission spectra, Spectroc. Acta Pt. A-Molec. Biomolec. Spectr. 81 ⁵⁸⁰ (2011) 404–411. doi:10.1016/j.saa.2011.06.029PANIST.
- [19] I. Kovacs, Rotational Structure in the Spectra of the Diatomic
 Molecules, Institute of Physics Publishing, London, 1969.
- [20] I. G. Dors, C. Parigger, J. W. L. Lewis, Spectroscopic temperature determination of aluminum monoxide in laser ablation with 266-nm radiation, Opt. Lett. 23 (1998) 1778–1780. doi:10.1364/OL.23.001778.
- [21] C. M. Western, Pgopher: A program for simulating rotational, vibrational and electronic spectra, J. Quant. Spectrosc. Radiat. Transf. 186
 (2017) 221–242. doi:10.1016/j.jqsrt.2016.04.010PANIST.

- [22] C. G. Parigger, A. C. Woods, D. M. Surmick, G. Gautam, M. J. Witte,
 J. Hornkohl, Computation of diatomic molecular spectra for selected
 transitions of aluminum monoxide, cyanide, diatomic carbon, and titanium monoxide, Spectroc. Acta Pt. B-Atom. Spectr. 107 (2015) 132–138.
 doi:10.1016/j.sab.2015.02.018PANIST.
- [23] M. D. Saksena, M. N. Deo, K. Sunanda, S. H. Behere, C. T. Londhe, Fourier transform spectral study of $B^2\Sigma^+ - X^2\Sigma^+$ system of AlO, J. Mol. Spectrosc. 247 (2008) 47–56. doi:10.1016/j.jms.2007.10.002PANIST.
- [24] P. J. Dagdigian, H. W. Cruse, R. N. Zare, Laser fluorescence study of alo formed in the reaction Al+O₂: Product state distribution, dissociation energy, and radiative lifetime, J. Chem. Phys. 62 (1975) 1824–1833. doi:10.1063/1.430710.
- [25] S. Johnson, G. Capelle, H. Broida, Laser Excited Fluorescence and Radiative Lifetimes of AlO $(B^2\Sigma^+-X^2\Sigma^+)$, J. Chem. Phys. 56 (1972) 663-665. doi:10.1063/1.1676921.
- [26] L. Nagli, M. Gaft, Combining laser-induced breakdown spectroscopy
 with molecular laser-induced fluorescence, Appl. Spectrosc. 70 (2016)
 585–592. doi:10.1177/0003702816631292.
- ⁶⁰⁷ [27] J. Lam, D. Amans, F. Chaput, M. Diouf, G. Ledoux, N. Mary, ⁶⁰⁸ K. Masenelli-Varlot, V. Motto-Ros, C. Dujardin, γ -Al₂O₃ nanoparti-⁶⁰⁹ cles synthesised by pulsed laser ablation in liquids: a plasma analysis, ⁶¹⁰ Phys. Chem. Chem. Phys. 16 (2013) 963–973. doi:10.1039/C3CP53748J.
- [28] G. Herzberg, Molecular Spectra and Molecular Structure, Volume I
 Spectra of Diatomic Molecules, Krieger Publishing Company, Melbourne, 1950.
- [29] P. F. Bernath, Spectra of Atoms and Molecules, 2nd Edition, Oxford
 University Press, New York, 2005.
- [30] O. Launila, L.-E. Berg, Spectroscopy of AlO: Combined analysis of the $A^2\Pi_i \rightarrow X^2\Sigma^+$ and $B^2\Sigma^+ \rightarrow X^2\Sigma^+$ transitions, J. Mol. Spectrosc. 265 (2011) 10–14. doi:10.1016/j.jms.2010.10.005.

- [31] G. R. Hebert, R. W. Nicholls, C. Linton, Absolute band strengths for the AlO blue-green $(B^2\Sigma^+ - X^2\Sigma^+)$ band system, J. Quant. Spectrosc. Radiat. Transfer. 23 (1980) 229–235. doi:10.1016/0022-4073(80)90010-2.
- [32] E. J. Kautz, M. C. Phillips, A. Zelenyuk, S. S. Harilal, Oxidation in
 laser-generated metal plumes, Physics of Plasmas 29 (2022) 053509.
 doi:10.1063/5.0090155.