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LEARNING ON ENTROPY CODED IMAGES WITH CNN

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ABSTRACT

We propose an empirical study to see whether learning with convolutional neural networks (CNNs) on entropy coded data is possible. First, we define spatial and semantic closeness, two key properties that we experimentally show to be necessary to guarantee the efficiency of the convolution. Then, we show that these properties are not satisfied by the data processed by an entropy coder. Despite this, our experimental results show that learning in such difficult conditions is still possible, and that the performance are far from a random guess. These results have been obtained thanks to the construction of CNN architectures designed for 1D data (one based on VGG, the other on ResNet). Finally, we propose some experiments that explain why CNN are still performing reasonably well on entropy coded data.

Index Terms— Image and Video Coding for Machine, Deep-learning, CNN, Entropy coding.

1. INTRODUCTION

There is now evidence that visual data will mostly be processed by machines [1]. To this end, the classical overall scheme consists in first compressing the data, and then decompressing them before being analyzed. Decompression before processing is a classical setup, as visual data analysis is usually performed on the 2D images, in the pixel domain. However, one can ask whether these two tasks, compression and analysis, can be efficiently combined.

There are several ways to achieve this. A common approach consists in designing a new codec optimized for both human and machine consumption [1, 2]. Note that it is then assumed that the task is known a priori (e.g., face coding [2]). But there are many cases, where the task is not known beforehand or video is recorded without any automatic analysis intent (e.g., TV recordings). Therefore, in this work, we assume that the video is compressed with an algorithm optimized for human vision, and that, afterwards, an analysis is performed on the data. But, as visualization is not needed when processing the data, we can wonder whether learning directly in the coded domain is possible without a need to decode.

Learning without decoding would however require analyzing the entropy coded stream directly. Indeed, entropy coding is ubiquitous in image and video standards such as JPEG [3], AVC [4], HEVC [5], and the more recent VVC [6]. Likewise, in deep learning based image compression [7], the latent representation provided by a variational autoencoder is entropy encoded, which leads to the compressed file. Learning on entropy coded data is difficult due to the loss of structure and variable length of this type of coding. Therefore, several contributions study learning on partially decoded data. In fact, learning on coded data has been studied under the condition that entropy decoding is performed. For instance, the analysis is performed either on the JPEG coefficients [8], or on the meta-data of the coded bitstream. For example, intra-coded prediction mode, inter-coded frame block mode, and block size can be used to detect scene changes [9]. Other methods, use both coefficients and metadata to perform analysis. For instance, intra-coded frame DCT coefficients and inter-coded frames motion vectors are used for video saliency detection in [10]. Similarly, the fusion of some fully decoded frames and entropy decoded motion vectors information allows CNN to achieve high-speed video classification [11]. More recently, a real-time video segmentation method that uses classical segmentation on intra-coded frames while computing inter-coded frame segmentation from both motion vectors and an embedding of last frame segmentation was proposed in [12]. Another method [13] use codec specific knowledge to align encoded JPEG block which can be done by parsing the file without decoding per se.

However, all these methods still require entropy decoding or at least parsing and as such, loose the benefits of analyzing the bitstream directly. In this paper, we rather propose to study whether CNN based learning directly on entropy coded data is possible. The question is of scientific interest, as it would allow one to measure the impact of the variable length data format on the analysis accuracy. Besides, learning on the coded domain would provide many potential advantages: first decoding is avoided, and second, since the data have a compact representation, a faster processing can be expected. Indeed, modern image/video codecs, entropy coding is the final step that really reduces the size of the data. All previous steps such as transforms, prediction, mostly prepare the entropy coding step by exploiting correlation between data. But the number of coefficients during these previous steps remains the same or even increases, due to the use of metadata.

We first study the convolution, a key step in CNN, and identify two properties, that data format should satisfy. More precisely, to be processed by a convolution, the data fed to a CNN should be spatially but also semantically close. We then confirm these statements experimentally. Subsequently, we explain why and how the classical processing of entropy coding does not preserve these properties. For the sake of the study, we introduce two architectures, designed to process 1D vector data, with which we learn on both arithmetic and Huffman coded data. Surprisingly, we observe that analysis with CNN on entropy coded data is still possible, and that the accuracy are even far from a random guess. Finally, we propose to explain such good CNN performance with complementary experiments.

2. PROBLEM DEFINITION

We want to evaluate if a CNN can directly learn in the coded domain. To do so, we first present the joint coding and learning scheme, and compare the different setups: (a) classical, when learning is performed on the decoded data, and (b) in the coded domain, when learning is done directly on entropy coded data (see Fig. 1).

An image $X$ is stored and transmitted in a compressed form $X'$. 
The function $f$ refers to the entropy coder that maps $X$ to its compact description $X'$. In particular, $f$ is controlled by a frequency table that determines the output length of each input symbol. The decoder $g$ retrieves the image $X$ from $X'$. Since we study entropy coding, the encoder decoder pair is lossless i.e., $g \circ f = 1d$. To evaluate compression we define the mean compression ratio as:

$$\overline{r}(X) = \frac{|X|}{f(X)}$$  \hspace{1cm} (1)

where $|X|$ stands for the average length of $X$ (i.e., the length in bits), computed over a set of images.

We denote $Y$ the label associated with the image $X$, and model the relationship between $Y$ and $X$ as a probability distribution $P_{X|Y}$, as shown in Fig. 1(a).

In the classical setting (see Fig. 1(a)), a learning algorithm takes as input the image $X$, i.e., after the decoding step $g$. In this case, the learner determines the estimator $\hat{\phi}$, by solving the following optimization problem, with $D$ a pairwise distance and $T_{\text{train}}$, the training data:

$$\min_{\phi} \sum_{(X,Y) \in T_{\text{train}}} D(\phi \circ g \circ f(X), Y).$$  \hspace{1cm} (2)

In the "learning in the coded domain" setup, the label $Y$ is estimated from the coded data $X'$, as shown in Fig. 1(b). More precisely, the learner determines $\hat{\phi}'$, and solves the optimization problem:

$$\min_{\phi'} \sum_{(X,Y) \in T_{\text{train}}} D(\phi' \circ f(X), Y).$$  \hspace{1cm} (3)

Note that the estimators $\hat{\phi}$ and $\hat{\phi}'$ differ through their input spaces.

Since $f$ is zero-error, we do not lose any information by encoding $X$. Thus, at first sight, we may expect the same performances for both learning algorithms: classical and in the coded domain. However, as stated in the next two sections, there are some incompatibilities between the data format needed to insure good performance of a learning algorithm, and the format of the data after entropy coding. The next section starts with a review of two key properties for CNNs that are not preserved after entropy coding. Which might cause some performance degradation, when learning is performed in the compressed domain.

### 3. Learning with CNN: Requirements

#### 3.1. Required properties: spatial and semantic closeness

When using CNN, the main tool of the feature extraction layers is convolution. A key ingredient of the convolution is a weighted average function performed on a neighbourhood, at a given position of a fixed and regular grid. Therefore, the format of the data fed to a CNN should satisfy the following properties:

- **Spatial closeness**: two neighboring pixels on the pixel grid should, in the representation, be placed at adjacent and identifiable positions,
- **Semantic closeness**: neighbor data cell values (pixel values) that are close in terms of meaning (e.g., close in terms of perceived physical color) should be close in terms of representation (integer color value).

In order to check the impact of these properties, we introduce lossless perturbations that alter the aforementioned properties:

- A permutation on positions that shuffles the pixels’ location (i.e., we lose spatial closeness (i)).
- A permutation on values in this case the pixel value range $\{0, \ldots, 255\}$ (i.e., we lose semantic closeness (ii)).

Next, we apply these permutations on the data and perform learning on the permuted data. Table 1 shows the accuracy of the classification network VGG11 [14] on the uncoded greyscale YCIFAR-10 dataset (see 4.2).

Interestingly, the permutation on positions, which breaks the spatial closeness property (i), and the permutation on values, which breaks the semantic closeness property (ii), both create a drop in learning accuracy. Moreover, applying both permutations at the same time leads to a total learning failure as accuracy (0.12) becomes close to a random guess (0.1, for 10 classes).

Although CNNs have demonstrated to be a powerful tool, we show here that some properties on the input data have to be respected for them to work well.

### 3.2. The challenge to learn on entropy coded data

Entropy coding modifies significantly the structure of the input data for two reasons. First, the encoder maps a vector of symbols to an encoded representation. So, within a vector, no clear delimitation between encoded pixels are present. Therefore, one can not determine pixels representation boundaries, and decide whether two pixels are neighbors, unless decoding is performed. Second, the encoded representation (of a vector) is variable length. Therefore, the boundaries between encoded vectors is not fixed, and can only be retrieved upon decoding. As a consequence, we loose the spatial closeness property (i) needed for convolution to work well.

Moreover, during encoding, we also obfuscate the individual values of each pixel. Indeed, the coded output of a given pixel depends on its occurrence frequency thus two similar pixels may be mapped to wildly different outputs thus breaking the semantic closeness property (ii). For example, two different shades of red, one occurring frequently and one sparsely occurring, may be close in the pixel domain but will be mapped to strongly different outputs by the entropy coder as it only takes into account the frequencies, not the semantic.

For all these reasons, we conclude that learning with CNN on entropy coded data is a priori a difficult (nearly impossible) task.

### Table 1: VGG11 network mean accuracy on YCIFAR-10 when breaking closeness properties via random permutations (95% confidence interval).

<table>
<thead>
<tr>
<th>Properties lost</th>
<th>Accuracy</th>
</tr>
</thead>
<tbody>
<tr>
<td>None</td>
<td>0.62098</td>
</tr>
<tr>
<td>(i)</td>
<td>0.38089 ± 0.00505</td>
</tr>
<tr>
<td>(ii)</td>
<td>0.24406 ± 0.01656</td>
</tr>
<tr>
<td>(i) and (ii)</td>
<td>0.12392 ± 0.02154</td>
</tr>
</tbody>
</table>
since the entropy coded format does not satisfy the key properties (i) and (ii).

4. EXPERIMENTAL SETUP

In this section, we present our experimental pipeline for learning on entropy coded data. We will also present some intermediary results that validate key choices. Our experimental pipeline has the following outline (see Fig. 2). Using grey level images (luminance) with 8 bits/pixel (see Section 4.2) as input data, the bitplane constructor first splits the images into bitplanes. Then the vectorizer transforms the square bitplanes of the image into 1D vectors. Afterwards, the encoder encodes each bitplane vector separately. More precisely, there is one coder per bitplane with its associated frequency table computed over the training set bitplanes. Finally, after padding encoded vectors to fixed length, the CNN can learn on them.

During the training phase, one wants to optimize the weights of the network such as it minimizes the empirical risk. The network takes as input a tensor in the network such as it minimizes the empirical risk. The network CNN computed over the training set bitplanes. Finally, after padding encoded vectors to fixed length, the CNN can learn on them.

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During the training phase, one wants to optimize the weights of the network such as it minimizes the empirical risk. The network takes as input a tensor in $\mathbb{R}^{B \times C \times O_n}$ where $B_n$ is the batch size, $C_n$ the number of channel that is the number of bitplanes, $O_n$ the original size of a decoded bitplane vector (as encoded vectors are padded to this length).

Meanwhile, the output of the network is a vector of probability of length $C$, with $C$ being the number of classes we want to distinguish. Each the value of each coordinate $i \in \{0, \ldots, C\}$ is the probability of the input being in classified as in class $i$ by the network. For classification one can get the class as the indices of the max coordinate of the output vector (argmax) as we have mutually exclusive classes in our dataset.

To optimize the weights of our network we use backpropagation with the cross entropy loss. Moreover, we use a validation set: a 10% subset of our training set to avoid over-fitting. This validation subset is thus not used during backpropagation. Lastly, we keep the model with the lowest validation score as the optimal model and use it for testing. We train all networks using a stochastic gradient descent (ADAM) [15] with a learning rate of $10^{-4}$.

4.1. Unidimensional VGG & Resnet

We choose a commonly used architectures that represent well convolutional networks successfully used for 2D image classification:

- VGG [14] that is composed of 2 parts: first an interleaved convolutional and maxpooling layer, second a fully connected layer to reduce extracted features to label,
- RESNET [16] a well performing widely used convolutional network with skip layer connections.

Our encoded data is of variable size and cannot be meaningfully put back in the form of a matrix as vertical correlations may not be preserved as rows alignments and boundaries are lost during coding.

We want similar networks to work on 1D data instead of 2D images. As such we re-implement VGG11 and Resnet18 using only 1D convolutions. This gives rise to the Unidimensional-VGG11 (UVGG11) and Unidimensional-RESNET18 (URESNET18) networks. As input of these networks there is $C_n$ bitplanes. That is $C_m$ 1D vectors fed into a channel each.

4.2. Input data: greyscale matrix dataset

For our experiments, we consider three 8 bits greyscale datasets with growing complexity. The first dataset is MNIST [17]. Its images are handwritten digits on a uniform background. It thus has 10 classes.

The second one is Fashion-MNIST [18] where the images depict 10 different types of clothing on a uniform background.

The last dataset we use is an adaptation of CIFAR-10 [19]. As we learn on greyscale images in these experiments CIFAR-10 is transformed into YCIFAR-10 by converting the images to greyscale (full swing BT.601 RGB to YUV conversion [20]). Images of YCIFAR-10 are more complex than Fashion-MNIST ones but also possess a non-uniform background, making class discrimination more complex.

4.3. Coding bitplanes

Before tackling learning (on coded data or not) we want to briefly discuss the effect of coding on each bitplane. In Table 2 we show the mean compression ratio $\tau$ for each bitplane $p$ for the entropy coded YCIFAR-10 dataset. We can see that most significant bits are more correlated and as such their bitplane is more compressed (higher ratio). The least significant the bit position is, the less its value is correlated with its neighbors thus the lower its bitplane compression is. This holds true for all coding methods and dataset used in this study. This method of compression leads to better compression efficiency while further breaking the spatial closeness property (i) between bitplanes.

The compression ratio for Fashion-MNIST and MNIST are respectively higher and much higher. Indeed, the compression ratio increases as the complexity of the database decreases.

On all datasets, Huffman coding leads to relatively smaller compression ratios compared to arithmetic coding. This is expected as by construction, Huffman coding [21, Chap. 3] cannot account for previously encoded data by itself whereas arithmetic coding can [21, Chap. 4].

<table>
<thead>
<tr>
<th>Bitplane</th>
<th>$\tau$</th>
</tr>
</thead>
<tbody>
<tr>
<td>(MSB) 1</td>
<td>1.9884</td>
</tr>
<tr>
<td>2</td>
<td>1.4095</td>
</tr>
<tr>
<td>3</td>
<td>1.1732</td>
</tr>
<tr>
<td>4</td>
<td>1.0695</td>
</tr>
</tbody>
</table>

**Table 2**: Example of mean compression ratio per bitplane for arithmetic coded YCIFAR-10.
from the fact a JPEG coder first performs a transform, which further breaks the spatial closeness property (i), and then apply an entropy coder, similar to Huffman coding. Therefore, the accuracy decreases with respect to Huffman coding only. However, learning on JPEG encoded data still outperforms learning on Arithmetic encoded data.

We can regain accuracy by aligning coded data on the image grid by aligning each coded pixel on the 2D grid using one channel per coded pixel bit. Arithmetic coded data is not separable per symbol but Huffman coded data is. Although one need to separate and align symbols during encoding as symbol boundaries are lost when coding. On the other hand JPEG coded DC coefficients can easily be extracted from file with a simple parsing and their order being fixed by the standard make them easy to map onto a grid. Table 5 contains the results of such experiments using UVGG11 on YCIFAR-10. The observed accuracy for aligned Huffman coded data aligned on 2D grid is greater than the one from 1D unaligned Huffman coded data. This is expected as we are recovering the spatial closeness property (i). But the increase is not that great, showing again that entropy coding does not disturb spatial closeness (i) as much as we though. Learning on only aligned JPEG DC coefficients on a 2D grid leads to a slightly better accuracy than learning on JPEG as a 1D bitstream. This can be explained as we both recover some spatial closeness (i) but as the same time we lose data as we are now working on a grid downscaled by 8 compared to the size of the original image. In [13] they try to learn on the whole JPEG coded block (DC+AC coefficients) after aligning them on the grid. This approach also suffers from an accuracy loss of about 15% compared to the baseline which is in line with what we obtain here.

### 6. CONCLUSION

In this paper, we introduced two data properties necessary for CNN to work well and validated them experimentally. Indeed, as entropy coded data lose these properties, we studied the impact of learning with such coded data onto the classification accuracy of a CNN network. For this purpose, 1D-binary input CNN have been designed. Surprisingly, even if the structure of the data processed by the network have been significantly modified, the CNN can still learn on these data. Entropy coding does not impact these properties as much as we though proving learning on entropy coded data feasible.
7. REFERENCES


