

Empirical validation of Quest+ in PSE and JND estimations in visual discrimination tasks

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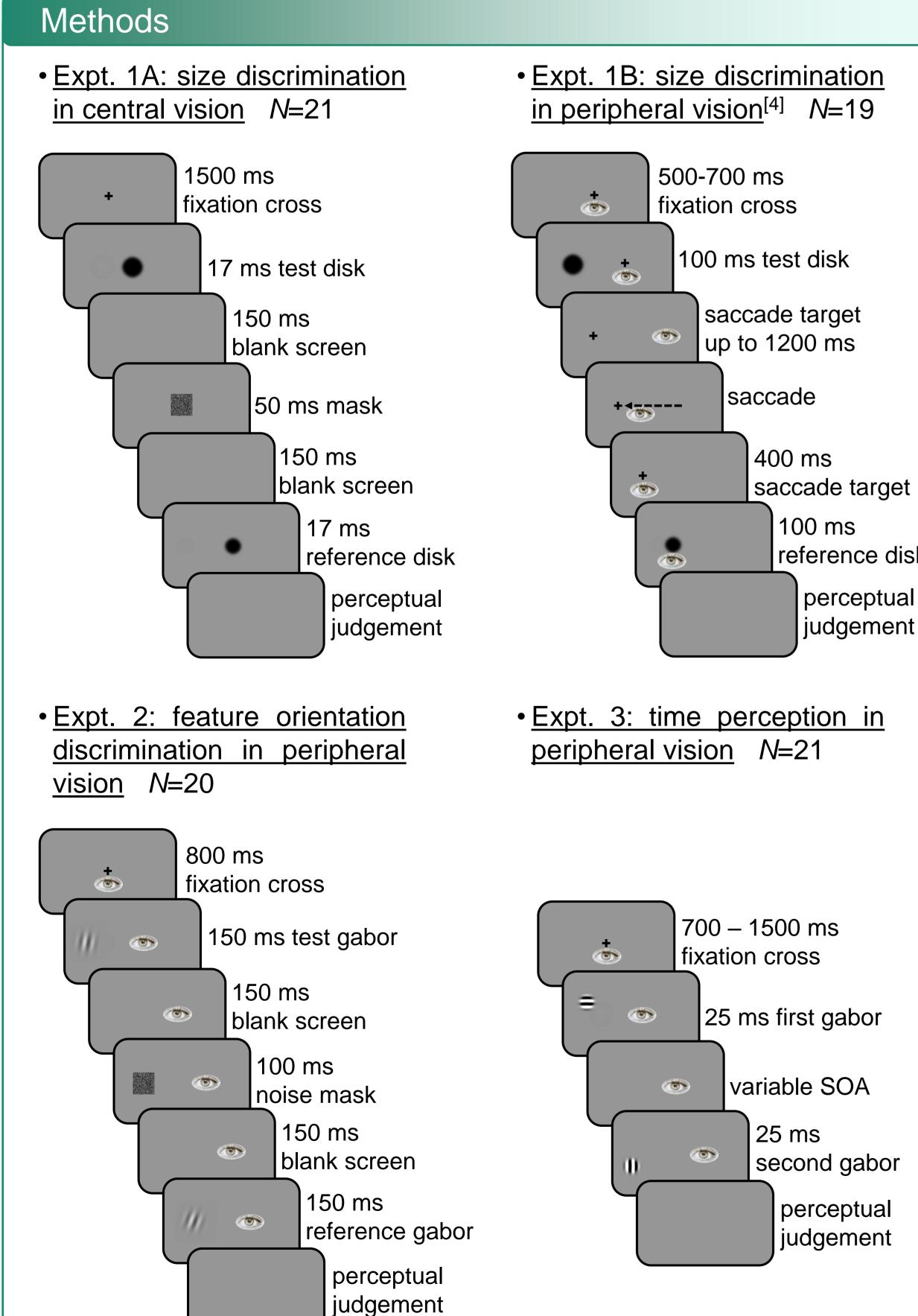


Introduction

Compared to the gold-standard Constant Stimuli (CS) procedure, adaptive procedures enable reliable threshold estimation while reducing the number of trials by concentrating stimulus presentations around observers' supposed threshold. Here, the stimulus value for the next trial depends on observer's responses to the previous trials.

One recent substantial improvement of Bayesian procedures is to also enable slope estimation^[1] (related to discrimination sensitivity). The Bayesian Quest+ procedure (Watson, 2017)^[2], a generalization and extension of Watson and Pelli's^[3] Quest procedure, includes this refinement. Surprisingly, this procedure is barely used.

The goal of the present study is to assess the efficacy of this procedure empirically. We compared points of subjective equivalence (PSEs) and discrimination sensitivity (JNDs) obtained in four visual discrimination tasks with the Quest+, Constant Stimuli and simple up-down staircase procedures. We expected to find comparable threshold and slope estimates between procedures.

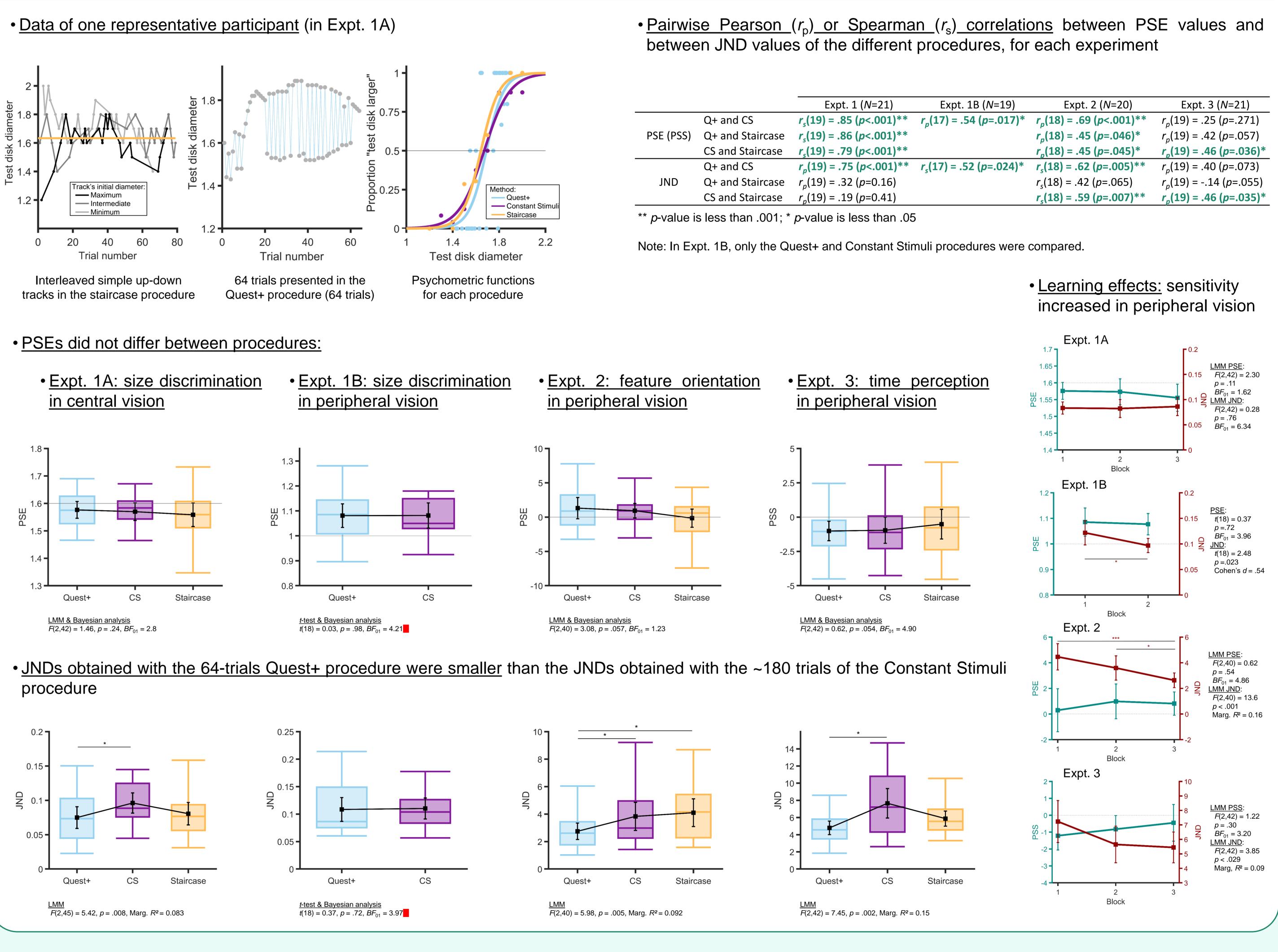


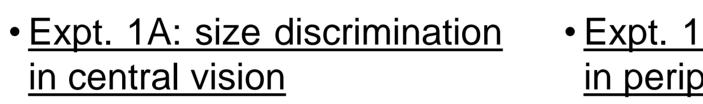
Empirical Validation of Quest+ in PSE and JND Estimations in Visual Discrimination Tasks

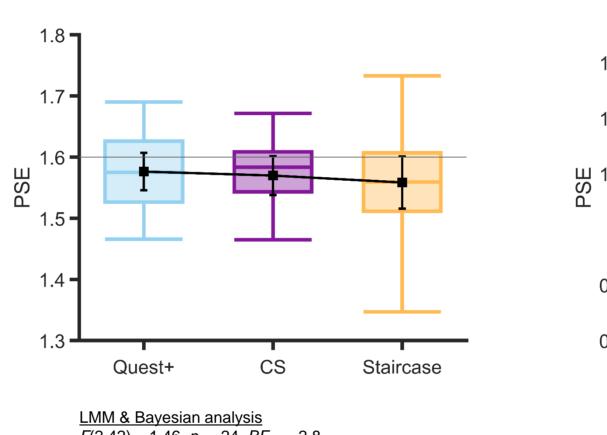
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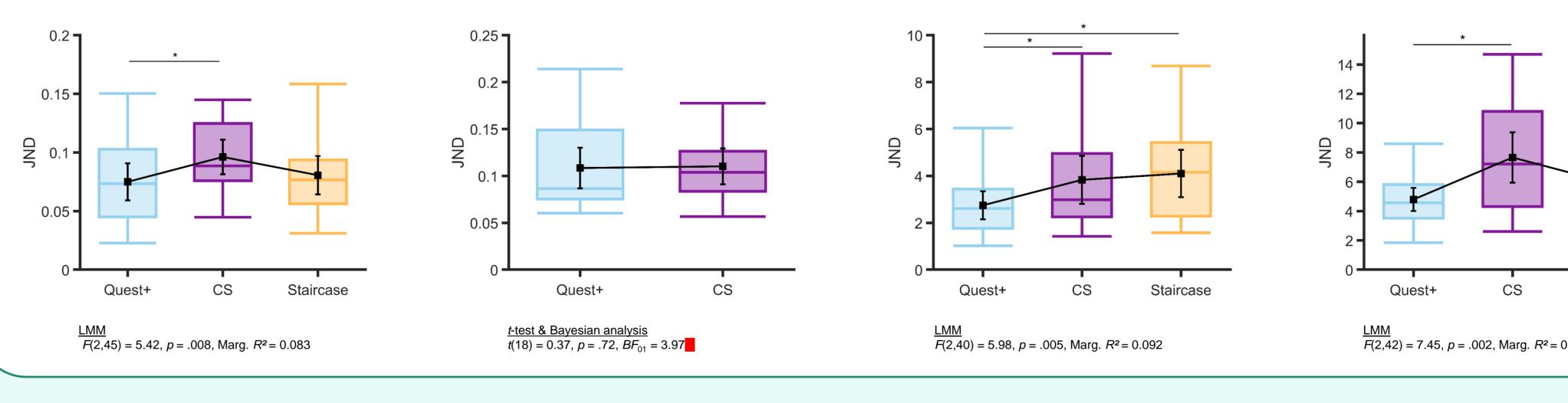
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Results









Conclusion

The present study empirically validates the Quest+ as an efficient and quick method to determine perceptual thresholds. Quest+ threshold estimations were as precise as the estimations obtained with the gold-standard Constant Stimuli procedure or the widely used staircase procedure. Sensitivity estimations were however overestimated. This issue might be overcome by increasing the number of trials (beyond 64) and/or by using appropriate priors.

Quest+ has proved to be generalizable to different stimulus dimensions involved in perception: size, orientation and temporality. These findings incite us to use this Bayesian method in other psychophysical tasks and sensory modalities.

References

1. Kontsevich, L. L., & Tyler, C. W. (1999), Bayesian adaptive estimation of psychometric slope and threshold, Vision Research, 39(16), 2729-2737. 2. Watson, A. B. (2017). QUEST+: A general multidimensional Bayesian adaptive psychometric method. Journal of Vision. 17(3), 10-10. 3. Watson, A. B., & Pelli, D. G. (1983). QUEST: A Bayesian adaptive psychometric method. Perception & Psychophysics, 33(2), 113-120. 4. Pressigout, A., Paeye, C., & Doré-Mazars, K. (2020). Saccadic adaptation shapes perceived size: Common codes for action and perception. Attention, Perception, & Psychophysics, 82(7), 3676-3685.

VSS 2022 – St. Pete Beach – Florida, USA

reference disk

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perceptual judgement



Expt. 1B (<i>N</i> =19)	Expt. 2 (<i>N</i> =20)	Expt. 3 (<i>N</i> =21)
$r_p(17) = .54 \ (p=.017)^*$	<i>r_p</i> (18) = .69 (<i>p</i> <.001)**	$r_p(19) = .25 \ (p=.271)$
	$r_p(18) = .45 \ (p=.046)^*$	$r_p(19) = .42 \ (p=.057)$
	$r_p(18) = .45 \ (p=.045)^*$	<i>r_p</i> (19) = .46 (<i>p</i> =.036)*
<i>r_s</i> (17) = .52 (<i>p</i> =.024)*	<i>r_s</i> (18) = .62 (<i>p</i> =.005)**	$r_p(19) = .40 \ (p=.073)$
	<i>r_s</i> (18) = .42 (<i>p</i> =.065)	$r_p(19) =14 \ (p=.055)$
	<i>r_s</i> (18) = .59 (<i>p</i> =.007)**	$r_p(19) = .46 \ (p=.035)^*$

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