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Innovative ideas for teaching supports: Application to Graph theory

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Abstract Teaching graph theory with the most adequate tools requires time and ideas. We present how an open community of teachers shares contents and ideas on an innovative platform. The objective is to get the students autonomous in their training with activities that give them immediate feedback on their understanding. Beyond learning, the very large collection of exercises of various levels can also be used to evaluate the student’s level. The proposed activities can be algorithm’s code in classical programming languages (e.g. Java, Python) that the student can test with predefined tests proposed by the teacher or collections of generated questions.

Keywords Graph theory; algorithms; self-evaluated programs; advanced question types; sharing learning exercises

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This article presents innovative ideas for teaching graph theory, and how they have been implemented in a new pedagogical platform: caseine.org. Graph theory is taught at university at different levels (bachelor, master) and for different audiences (computer science, mathematics, management, engineering, etc.). Graph theory teaching can be considered from various perspectives: practical problem modelling, graph culture, algorithmic analysis and programming, mathematical proofs, etc. Designing activities that allow students to practice these skills or to assess their understanding automatically requires various types of advanced learning mechanisms, novel ideas, and might be time consuming. An open community of teachers has therefore decided to pool their experiences, their course contents, and to develop new activities together. Providing students with a variety of contents, self-assessment tests, auto-evaluating programming exercises allows them to have a better feedback on their works thus increasing their autonomy. The consequence is that the teacher, being delivered from basic tasks, is better available to guide the students in their progress.

Those ideas and activities have been implemented on the caseine platform¹. It is an open learning platform dedicated to university and secondary school teaching in Computer Science and Mathematics, including Operations Research (OR) education. On caseine, an international community of OR teachers shares ideas, a wide variety of pedagogical contents and advanced tools for evaluation. Anybody with an academic account can access open courses as a student. Non-academics can ask for an account. A professor can create courses and use the learning tools and shared contents. Caseine is based on the famous and widely used Learning Management System Moodle which offers students a learning environment and allows to monitor students' progress (see e.g. Figure 1 where *Bill of Materials* is a programming lab, *Playing with forms* is a quiz...). The originality of caseine.org, compared to a classical university Moodle instance, comes from the fact that it is an open platform offering at the same time (1) a pedagogical environment for university training where the teachers can build their own course and (2) coding exercises with automatic and self-evaluation and (3) all sorts of pedagogical activities shared by an open community of teachers.

This paper presents activities and ideas developed by the teachers for graph theory training using the original tools of the caseine platform. In Section 1, we detail the main contribution of the platform, namely the activities for graph algorithm learning. In Section 2, we present the participative advanced question banks, from basic true-false questions to more sophisticated questions and game activities. In Section 3, we present the platform, its architecture, and the benefits encountered when using it.

1 Graph algorithms' implementation learning

A graph theory course often requires the programming of the main algorithms so that the students understand them better. Indeed, succeeding in programming an algorithms can be an effective complement for understanding it deeply than only a paper implementation on some examples. It also allows the students to work actively on the useful data structures and the algorithmic complexity of the solutions considered.

We will present how automatic evaluation can be helpful in this context. Automatic evaluation consists in offering automatically (without teacher intervention) an evaluation with possibly some customized comments on the answer given by the student to a question. Of course, caseine platform offers classical automatic evaluation tools like multiple-choice questionnaires, questions with calculated answer, etc. (see Section 2). However, it goes further by offering tools to evaluate

¹see a 3-minute tour of the platform caseine.org

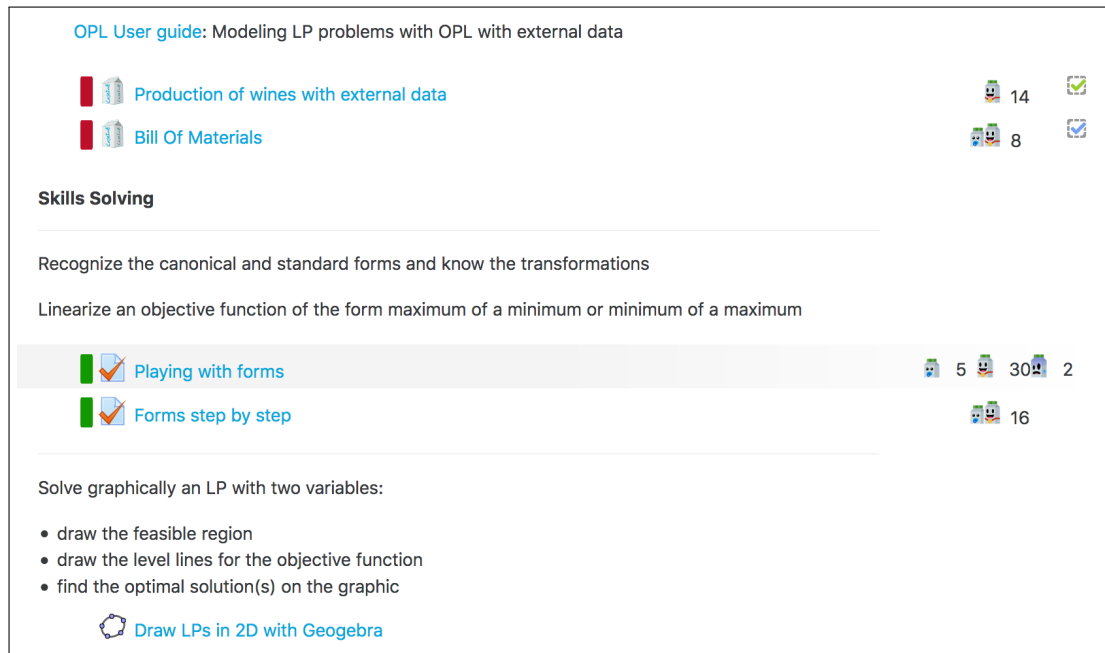


Figure 1: A screenshot of the student view of a caseine course.

student’s programming code in several programming languages (Java, Python, C...) or student’s mathematical models. The latter case can be the modeling of well-structured problems *i.e* with a formal language and well defined statements, like linear programs. Then, the evaluation consists in verifying that the underlying mathematical object (a polyhedron for linear programs) is indeed the expected one, without doing too restrictive hypothesis on the student’s model (see [1] for more details). In this section, we present programming exercises with automatic evaluation (we call them *labs*) on classical graph algorithms with adequate data structures.

1.1 Auto-evaluation coding tools: on the student’s side

The programming activities described in this section are intended for students at a bachelor level in Computer Science and Applied Mathematics training. The objective is to understand graph implementations and to program classical algorithms with the adequate data structure.

The two interfaces we present (web navigator or IDE tool) offer the following features for the students:

- push the proposed code onto the platform to submit it to the teacher;
- run the tests programmed by the teacher and see the results to validate functionally the proposed code;
- potentially ask for teacher comments and get them;
- possibly get a mark for their work.

The first interface is based on the VPL Moodle plugin². This plugin has been slightly adapted for our usage. Figure 2 presents the plugin interface. The code can be edited in the middle part of the window. The tick-mark button allows the students to evaluate their code by running the tests settled by the teacher. This button also saves the code within the system allowing the

²Virtual Programming Lab developed by Juan Carlos Rodríguez-del-Pino.

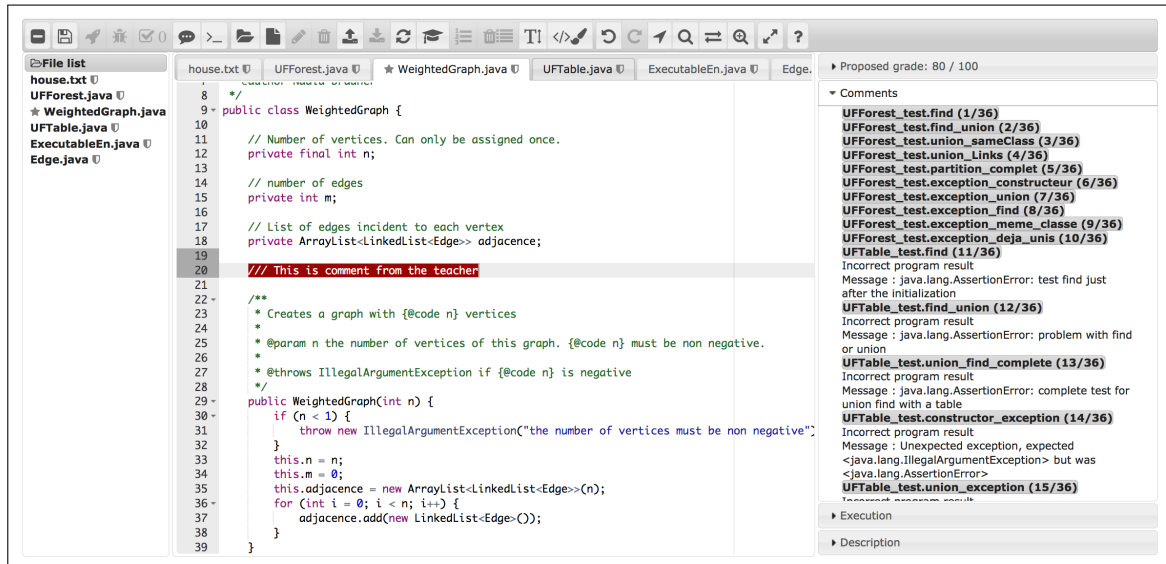


Figure 2: Programming interface within the Web navigator.

teacher to see and comment it. The right part of the window presents the results of the tests together with helping comments and a proposed mark.

This web interface has the huge advantage to be available on any machine, having no installation needed. However, for programs with a large number of lines, this interface is not rich enough. Therefore, students are encouraged to work within an external IDE (Integrated Development Environment) with a caseine perspective that allows to pull code from the platform, push code, launch the tests and get the results as well as the comments of the teachers. Figure 3 shows the caseine view within an Eclipse Workspace³. A similar plugin is available for Visual Studio Code and VSCodium⁴ and for IntelliJ⁵.

The teachers can have access to all submissions via the web interface. They can see the code, comment it and give access to the students to their comments, get the automatic mark and, if necessary, adjust it.

1.2 Creating a lab: on the teacher's side

Various tools have been developed to help teachers creating programming labs. The graph labs have been developed in Java and Python. Therefore, we detail the tools offered in those two languages. However, the labs can be developed in any programming language with more or less effort depending on the already available tools for the language.

To develop a programming lab, the teacher has to propose a basic code to be given to the students (a code's skeleton), an expected/corrected code that will be available for the teachers of the course and that might be used by the tests, and a collection of tests (see section 1.3). In both languages, the teacher writes the complete expected code and puts annotations to indicate where the code should be replaced by a TODO comment. In Java, the tests are written in the classical unit testing framework JUnit⁶. In Python, they can be written in Unittest (also referred to as PyUnit) or in a small dedicated language. We also use Doctest to let the students

³<https://www.eclipse.org/>

⁴VPL Client Extension for VSCode by Guillaume Huard, available on the VSCode Marketplace

⁵Caseine VPL plugin for IntelliJ available on the JetBrains Marketplace

⁶<https://junit.org/>

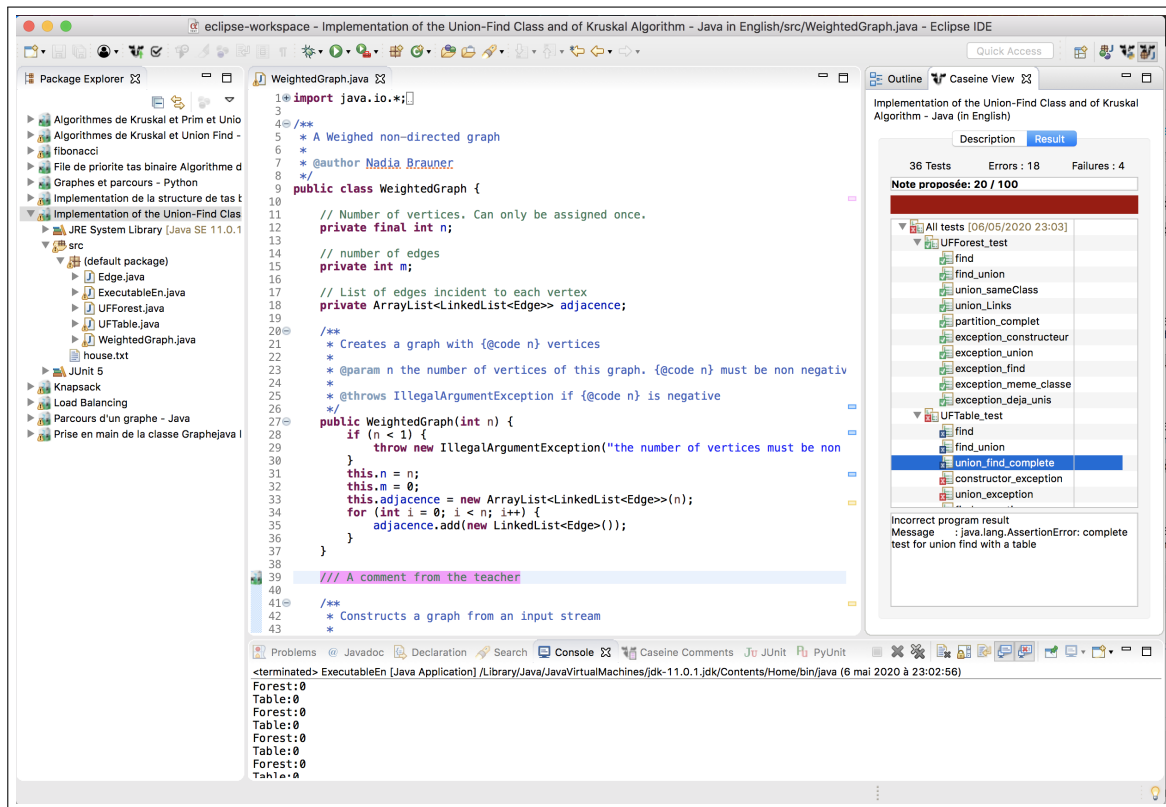


Figure 3: Caseine View and tools within the Eclipse IDE.

know what is expected and test their code. A message can be added to each test to give students indications on their code.

The adequate files (for the students, for the teacher, test files) are then generated and downloaded into the platform to be available from the various interfaces.

1.3 Generating tests

The objective of the tests are to settle whether the student's code answered the question. In the case of Graph algorithms, we want to verify that the code indeed calculates the proper object (functional testing). For instance, consider the case of Kruskal's Algorithm for minimum spanning trees.

Some tests are dedicated to verifying gradually and manually the results: we give the students toy examples with the expected value. The first test is on a simple connected graph with unitary edge. The system indicates the student whether the program indeed returns a tree. Other unitary graphs are also proposed for testing with various sizes, some of them are available for the students together with the expected value, others are hidden. Once the students know that the return object is correct (a spanning tree in this case), they can concentrate on the weighted case and verify that the tree returned by the algorithm has the correct weight. Some tests check the limit cases (e.g. non-connected graphs, stable graphs) or board effects (e.g. the graph is not modified by the students code). This activity also contains functional tests on the union-find structures.

The students, being able to see some of the tests proposed by the teacher, can improve their own testing skills.

The automatic tests allow to gain time for the teacher and to have immediate feedback for

the student but they do not exempt the teacher from some proofreading of the code quality for instance. Reading the student's code also allows to add tests on special cases which might be not covered.

1.4 A collection of shared labs

All programming labs are based on a Graph class that offers basic methods to handle graphs: create a graph, read a graph from a file, get the neighbors of a vertex... We now describe some available programming exercises.

The objective of the first lab is to get familiar with the environment and the Graph class. It allows to manipulate basic concepts on graphs. Neither the algorithms, nor the programming concepts should be an issue. The student is asked to write methods which find the maximum degree of the graph or which construct simple graphs, complete graphs on n vertices, the complement graph, the adjacency matrix and the incidence matrix of the graph, etc.

The second series of programming exercises concerns classical search in graphs: prefix/postfix Depth First Search, Breadth First Search. Then, the search algorithms are used to work with the connectivity of the graph: whether it is connected or not, number of connected components. Advanced exercises propose to search for Eulerian and Hamiltonian paths and circuits. These search algorithms (DFS and BFS) will be reused in other labs.

The third series of exercises deals with minimum spanning trees. The objective is to implement Kruskal's algorithm with the appropriate data structure, namely a union-find with operations in $\log(n)$. The concepts in the exercises are of increasing difficulty. For instance, the union-find structure, is first implemented in a table where the elements indicate the label of the connected component. If the *find* operation is just an access to an element in a table, the *union* method implies a linear number of operations: the whole table has to be scanned to update the value of the connected component. Then the student has to implement the union-find structure as a forest adding step by step the rank function or path compression. Similarly, for the minimum spanning tree algorithm, first, the very simple inverse Kruskal's algorithm is asked for. Then, the students must implement Kruskal's algorithm with the best union-find structure they could develop. They can also implement Prim's algorithm.

On the same principle, a series of programming exercises concerns Dijkstra's algorithm with various implementations of priority queues with increasing difficulty. There is also a lab for a step by step implementation of Ford and Fulkerson's algorithm for flows. For less advanced students, a collection of small labs allows to manipulate simple combinatorial objects.

1.5 Feedback on these tools

Automatic evaluation stimulates students' autonomy since it offers an instantaneous and systematic feedback on their work. It allows all students to progress at their own pace. The teacher is called only for a new learning or when the student is facing a major difficulty.

Students feel (and tell) that, with this system, the professor is more available. The experience on this tool shows that the time the teacher dedicates to the students is of much better quality. The tool does all what can be done automatically: gathering of student works, syntactic validation and partially functional validation. It allows a deep reviewing of the student's work. For the teacher also, it offers a support from the automatic evaluation system (e.g. results of the automatic evaluation with automatic comments, indications of the lines modified by the students).

We did not make scientific evaluation of the platform comparing the exam results of cohorts using or not the tool mainly because of two reasons. The first one is that this tool was very helpful for distant learning during the various lockdown periods we encountered and we could

not deprive some students of the activities of the platform. The other reason is that this platform is now widely used in many courses in the universities of the authors and when some professors decide not to use it with their groups, we can see that the some of their students manage to join the course of the other groups on the platform distorting possible analysis.

2 Advanced shared question banks

In addition to the programming activities, in order to help students in their progress, questions are proposed for each part of the course. Those questions can also be part of certificating evaluation in on-line tests with automated correction. These are mostly classical Moodle questions. The originality here comes from the fact that the quizzes are shared among a community of teachers through the sharing space hence creating a very rich collection (see Section 3.3). Another originality comes from the variations of advanced questions based on a predefined non-trivial framework (Section 2.2). The questions are organized in a bank of questions. Three main types exist:

- basic quizzes that allow students to test themselves their knowledge on vocabulary; definitions, and basic concepts,
- “how the algorithms work” questions, where the students run algorithms on simple graphs;
- advanced questions in which students have to search more sophisticated answers on graphs.

At each step of the course, games and puzzles are proposed to students. These activities want to motivate the students to solve enigmas in a playing context.

To guarantee a large variety of questions, we decided to share the questions proposed by teachers in a bank of questions. This bank of questions can be used by students for self-assessment, or can be used to develop on-line tests for auto-corrected certificating evaluation.

2.1 Basic quizzes

The basic quizzes are composed of true-false questions and multiple-choice questions, organized in different categories. The more than 400 true-false questions are mainly used to verify that vocabulary and graph definitions are known and understood. Two examples are given, one for the category “complete graphs” and one for the category “Degree” (see Figure 4).

The figure shows two screenshots of a quiz interface. The top screenshot displays a question: "In a complete graph every two vertices are adjacent." Below the question, it says "Select one:" and has two radio button options: "True" (which is selected and has a green checkmark) and "False". Below the options is a button that says "Try another question like this one". The bottom screenshot displays a more complex question: "Consider a simple graph $G = (V, E)$ with $|V| = 8$ and $|E| = 10$ such that the maximum degree is 4 and exactly four vertices have degree 1. G is not unique up to isomorphism." Below this question, it says "Select one:" and has two radio button options: "True" (which is selected) and "False".

Figure 4: True-False simple questions selected in the “Complete” and ”Degree” categories.

Multiple-choice questions are mainly used for more complicated questions, in order to verify if graph concepts are well understood (see for example Figure 5).

Question **1**
Not complete
Marked out of 1.00
Flag question
Edit question

The degree of a vertex is:

Select one or more:

- The number of incident multiple edges.
- No correct answer
- In a simple graph, the number of its neighbors.
- The number of incident loops.
- The number of vertices in the connected components.

Check

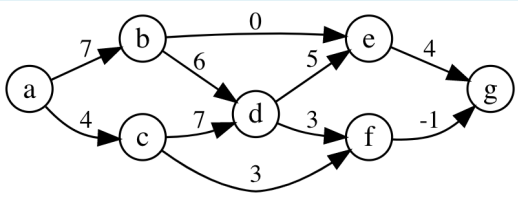
Figure 5: An example of multiple-choice questions on vertex degree.

2.2 “How the algorithms work” questions

In graph theory courses, classical algorithms are presented. In order to verify that students well understand these algorithms, various activities are proposed. They consist in running the algorithm, step by step, according to the algorithm given in the course.

Figure 6 shows the activity for which the students have to run the shortest path algorithm for Directed Acyclic Graphs. They must first select a valid topological order from a rolling menu, and then they must give the length of the minimum distance from *a* to each vertex taken in the chosen topological order.

Question **1**
Not complete
Marked out of 1.00
Flag question
Edit question



Indicate which of the following topological ordering is correct for this graph ?

⌵

With the correct topological ordering, apply the shortest path algorithm starting from 'a' and complete the second line of the table with the final values (the first line of the table contains the vertices following the topological order) .

To express an 'infinite' distance, use: '+INF'.

a	-	-	-	-	-	-
0						

Check

Figure 6: Shortest path in a Directed Acyclic Graph.

Similar activities exist for other shortest path algorithms like Bellman-Ford's; An example

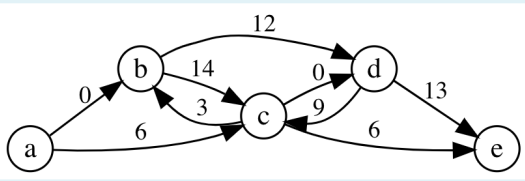
for Dijkstra's algorithm is given in Figure 7.

Question **1**

Not complete

Marked out of 1.00

Flag question



Apply Dijkstra algorithm starting from vertex 'a' (**use the lexicographic order to choose between two vertices of same distance**) and fill the following table with distances computed for each vertex and each iteration. Every cell must be completed, even if the value for a vertex doesn't change from one iteration to the other.

To express an 'infinite' distance, use: '+INF'.

a	b	c	d	e
0	+INF	+INF	+INF	+INF
0	<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>
0	<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>
0	<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>
0	<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>

Give the table of predecessors :

a	b	c	d	e
-	<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>

Figure 7: Dijkstra's algorithm.

For the Minimum Spanning Tree, Kruskal's and Prim's algorithm are also proposed. An example for Kruskal's algorithm is depicted in Figure 8.

For the Maximum Flow Problem, Ford and Fulkerson's algorithm has been decomposed into steps; activities on each step have been developed. Some activities ask the students for the validity of a flow in a given network, others ask for augmented paths or the residual graph. An activity asks for the running of one iteration of the algorithm, as shown in Figure 9.

For each of the previous described activities, 200 variations have been generated with different graphs or values. This lets students train several times on the same algorithm. This also allows to give different, even though similar, questions to all students.

2.3 Advanced questions

The aim of the advanced questions is to verify that the students perfectly grasped the concepts. Some questions are focused on structural properties as planarity, connectivity or chromatic number. About 100 different adequate graphs have been automatically generated to set up the pool of questions. For these activities, students have to observe the graph and work on paper before answering. Some questions ask for a numerical answer that force the student to find arguments that prove its correctness. An example is given in Figure 10.

In what order are edges added to the Minimum Spanning Tree when applying Kruskal's algorithm?

Iteration	Edge	Cycle
1	cf	no-cycle
2	bc	no-cycle
3	ae	no-cycle
4	bf	bcfb
5		
6		
7		
8		

Available edges: ab, ac, ad, bd, be, ce, de, ef

Available cycles: no-cycle, abca, abdeca, abea, abfca, abfea, abfedca, acfea, adea, bcedb, bdeb, bdecfb, befb, cefc

Please put an answer in each box.

Check

Figure 8: A complete run of Kruskal's algorithm based on drag and drop questions.

Consider the flow graph where the flow and capacity are indicated for each arc as follow: "flow/capacity"

Perform one iteration of Ford and Fulkerson algorithm with the augmenting path: $abdcef$

What is the value of the flow on the following arcs:

ab :

ac :

bc :

bd :

cd :

ce :

df :

ef :

Figure 9: One iteration of Ford and Fulkerson's algorithm.

Advanced questions have also been generated to train students on the subgraph concept (about 100 different graphs), as shown in Figure 10.

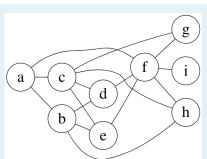
2.4 Games and puzzles

The question bank also contains some games for the pleasure because Graphs are well fitted to modeling and solving riddles. We give an example now:

Most of the time, Anastasia is a physiotherapist in Liège, Belgium. During the summer (July and August), she works in the Alps as a mountain guide on the great hiking trails. She leads groups of hikers along trails, spending one night in a refuge with each group. She operates as follows. She picks up a group at one station, leads them to a refuge for an overnight stay, and then leads them down to another station the next day. There, she either continues on with the same group, or takes on a new group. She has an agreement with these refuges: at the end of the season, each refuge sends her an invoice for the number of nights she spent there. In order to save money, she only sleeps in refuges (as a guide, she gets a discount in refuges).

Anastasia is not very well organized. At the end of September, she remembers that she has to pay the refuge bills. She got back to her physiotherapy life and the Alpine trails feel very far away. She can no longer recall the exact sequence of hikes, where she started, or the last hike she did. All she can remember is arriving in France by train, hitchhiking to a mountain station, and returning in the same manner. Fortunately, thanks to the train tickets that she found, she can work out the total number of nights she spent in refuges.

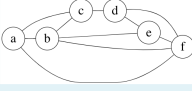
Question 2
Not complete
Marked out of 1.00



- Q1 : Is G planar ?
- Q2 : Is G bipartite ?
- Q3 : Is G connected ?
- Q4 : Does G have a perfect matching ?
- Q5 : The cardinality of the maximum stable set is
- Q6 : The cardinality of the maximum clique is
- Q7 : The cardinality of the maximum matching is
- Q8 : The chromatic number of G is

Check

Question 1
Not complete
Marked out of 1.00



G': ac ad cd de

- Q1: Is G' a subgraph of G ?
- Q2: Is G' an induced subgraph of G ?
- Q3: Is G' a spanning subgraph of G ?

G'': ab ac bc be

- Q1: Is G'' a subgraph of G ?
- Q2: Is G'' an induced subgraph of G ?
- Q3: Is G'' a spanning subgraph of G ?

G''': bc be bf ef

- Q1: Is G''' a subgraph of G ?
- Q2: Is G''' an induced subgraph of G ?
- Q3: Is G''' a spanning subgraph of G ?

Check

Figure 10: An example of questions on structural properties and on subgraphs.

However, after adding up the nights on all the invoices, there is one too many. Did a refuge mistakenly charge her an extra night?

The map on Figure 11 shows the possible hikes in the area where Anastasia was and the number of nights indicated on the invoice of each refuge. The letters are the stations and the octagons the refuges. Looking at this figure, can you find the refuge with the wrong number of nights?⁷

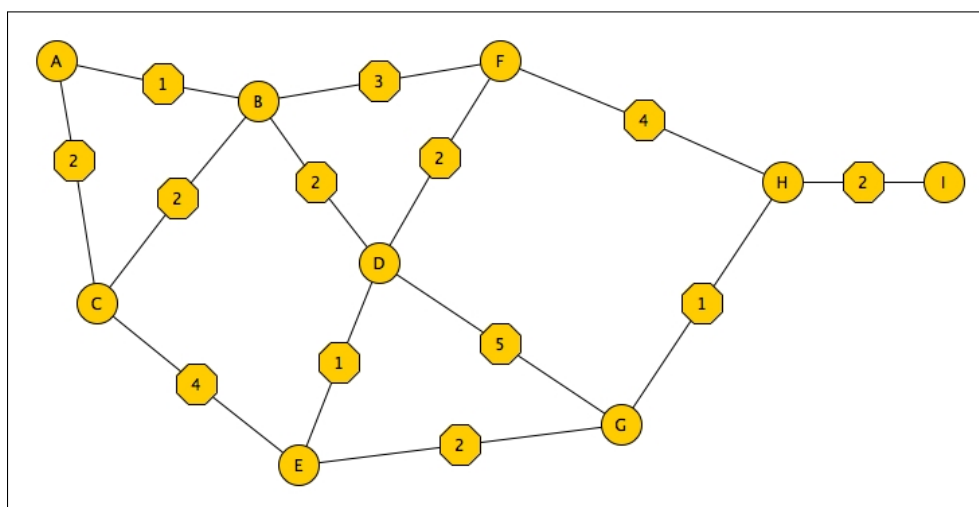


Figure 11: The riddle example: the map for Anastasia

2.5 United we stand

Creating technologically advanced questions is time consuming. Therefore, the idea is to share them within a community. This also improves the quality and visibility of the exercises since sharing a content implies a benevolent reviewing from the pairs. Having a very large bank of

⁷The reader certainly recognized a eulerian path problem. The graph has 4 odd vertices but only two of them are adjacent!

similar questions allows multiple training but also avoids cheating and copying among students. Technically, we use the question bank tool which is available in the Moodle LMS. A mediator organizes the question bank adding comments and the questions are presented in context in the open course to help appropriation by the community.

3 Caseine platform

Sections 1 and 2 presented innovative tools to enrich courses on graph theory. Thousands of questions have been generated, from simple true-false questions to more sophisticated ones. Numerous and various programming labs have also been developed. All these activities are available for students and teacher on a unique open platform, `caseine.org`, based on Moodle.

3.1 A learning platform with content sharing and code evaluation

The caseine.org platform relies on an open and participative project which gathers teachers not only from worldwide universities but also from high-school or from associations or companies with collective interest. For instance, it is used by a company⁸ training people for who it is difficult to enter directly a classical academic training (e.g. persons with autism).

The caseine.org platform is based on Moodle [2], a widely used Learning Management System (LMS), which provides students with a learning environment and let teachers monitor students' progress. It is aimed simultaneously at teachers who create courses and content and monitor students' progress, at institutions which can manage groups, and at students for their training. Compared to a classic instance of Moodle, caseine is original in that it offers a single environment where, on the one hand, students can benefit from an automatic evaluation of their mathematical models and programming codes⁹ and on the other hand, teachers can create self-assessed activities, share them with the community and use shared activities.

While other learning platforms exist, we do not know of any open platform offering at the same time (1) a pedagogical environment for university training where the teacher can build their own course and (2) coding exercises with automatic and self-evaluation and (3) all sorts of pedagogical activities shared by an open community of teachers. Other platforms only address one or two of these three aspects (see [1] for some examples of such platforms).

Teachers from various universities¹⁰ in the world use the platform with their students. Indeed, caseine is an open academic tool, free for non-commercial use, and any teacher or student can straightforwardly connect to the platform with their own academic login, as long as their university is a member of the worldwide Edugain network [4]. Otherwise, students or teachers can request a manual account. The platform also offers open courses in Graph theory where anybody with a mathematical or computer science background can connect and start learning. This opportunity was used in France by many high-school teachers in France when graph theory was introduced in the national program for high-school students.

During academic year 2020-2021, the platform was used by more than 10.000 users: up to 1500 users per day were connected during the COVID-19 lockdown periods in France, since March 2020.

⁸<https://le-campus-numerique.fr/>

⁹using the VPL plugin [3]

¹⁰In Septembre 2022, 14 universities and 12 high-schools officially indicate that they use the platform.

3.2 Organization

As on a classical Moodle platform, each teacher scripts courses composed of activities. On caseine, they can also insert in the course activities that other teachers decided to share to the community. And of course, they can decide, for each of their own activities, whether to share it or not. The students have access to the course thus created, and to all the resources that their teacher has made available.

The originality of caseine derives from the fact that, on the same platform, on the one hand, mathematical models and programming codes can be evaluated automatically and in autonomy and, on the other hand, teachers can create auto-evaluated activities, share them to the community and use shared activities in their own courses.

The activities and exercises described in this paper can be tested in the Graph Open Course on the platform: <https://caseine.org/course/view.php?name=GraphsOpen>. The course is partly in French but the quizzes are in English. A page dedicated to this paper with examples of bilingual activities is: <https://caseine.org/mod/page/view.php?id=25138>. Beyond Graph theory, caseine offers courses on general OR tools like Linear Programming, Mixed Integer Programming, Dynamic Programming, Constraint Programming... It also contains specialized courses like production planning and logistics and practical case studies. Apart from OR, caseine is used in various courses in Computer Science, Industrial Engineering and Mathematics from secondary school to master programs. Those courses also use original automatic tools and the activity sharing tools presented in the context of graphs.

3.3 The sharing space and the visitable courses

Caseine was first developed with the main objective to share contents within a teacher community. Even if some contents can be private, an increasing part of the contents is now available for the community. Teachers can freely use the shared contents to create a new course or to improve an existing one, and create others that they may or may not share. They can thus propose their own exercises to the teaching community through the sharing space under licenses that allow sharing (free license, Creative Commons-BY-SA...). Adding an activity to a course from the sharing space is like adding any type of activity. The search space allows to filter the activities based on chosen metadata and insert them into the course just with one click. A sharing cart also allows to choose a set of activities (see on Figure 12 the search space with the filter and the sharing cart).

A teacher can also decide to make their course visitable, i.e. to open a partial access to the teachers of the community so that they can consult (and retrieve) the shared activities directly in their context (see Figure 13). The visitors can then add the shared activities to their cart.

The terms and conditions are detailed on the platform. The basic idea is that the platform is free for people not doing money with it. Contribution to the maintenance's cost of the platform can be asked for, otherwise. Self-training and visiting in open courses is free.

3.4 Better learning - better teaching

Since the launch of the platform and the sharing of contents, the benefits for teachers and students have been significant.

Digital tools can make a significant contribution to teaching, particularly in the teaching of mathematics and computer science. These tools make the student active and autonomous in a large number of activities. For students, caseine is a unique portal that brings together course materials, various self-assessment activities, and evaluated tests. The modeling and programming activities allow them to practice, and to have direct feedback from the teacher in

Home / Caseine Shared Space

The caseine shared space is still under developpement. It is currently functional and making progress !
[Download the csv designed for tagging via the upload page](#)
[Manage Columns](#)

List of filtered shared activities

Result: 73

Télécharger les données au format: Microsoft Excel (.xlsx) Télécharger

Reset table preferences

Line	Id	Module	Add Cart	Course Name	Author(s)	License
31	7558	Implémentation de la classe Partition et de l'algorithme de Kruskal - Java		Théorie des Graphes	Nadia Brauner	CC-BY-SA v4.0
32	7553	One idea, one story: Prim's Network for the capitals of the American states		Théorie des Graphes	Hadrien Cambazard	
33	7551	One idea, one story: Les Hydrocarbones saturés acycliques		Théorie des Graphes	Nadia Brauner	CC-BY-SA v4.0
34	7547	One idea, one story: Cycling with Hamilton		Théorie des Graphes	Hadrien Cambazard	
35	7541	Parcours d'un graphe		Théorie des Graphes	Nadia Brauner	CC-BY-SA v4.0
36	7536	One idea, one story: when the salesman started its travel		Théorie des Graphes	Hadrien Cambazard	

Keywords: graph

Activity type: No selection

Main Dewey classification: No selection

Author(s): No selection

Difficulty level: No selection

Required concepts: No selection

Sharing Cart

- One idea, one story: when the salesman started its travel
- Implémentation de la classe Partition et de l'algorithme de Kruskal - Java

Figure 12: The search space lists the shared activities of the platform and the *sharing cart* allows to choose the activities that will be inserted in the user course

their programs (see section 1). Thanks to the platform, the students can follow their progress, know their results in the evaluation tests, and thus see if they are at the expected level. The presented teaching tools focus the student active role by increasing engagement and autonomy of students. The proposed activities better fit various types of students' needs: advanced students can find activities that allow to go further and deeper in the knowledge and slower students can train as many times as they need. On the platform there is a large variety of uses of those tools from complete autonomy (personal/team work, at home/during the course) to traditional classroom with validation in autonomy or as a support to conduct a flipped classroom. Finally, a teacher can provide direct feedback on a program or mathematical model written by a student by annotating the content. We believe that such feedback can have a key effect on the learning as outlined by John Hattie [5]: "In summary, feedback is one of the most powerful influences on learning."

For the teachers, the platform allows them to script their courses, to propose various activities to the students. It allows the teachers to follow the progress of each student, and to guide them. For programming, they have access to the student's program, they can execute it and propose corrections or improvements directly in the code. They can also set up automatic evaluation tests. For automatic evaluation, the teacher team can and must come up with new evaluation methods better fitted to new technological tools, to expectation and needs of students and complementary to classical evaluation methods. This issue being new, it takes time and requires new ideas and developments. This is the reason why it is built by a community sharing ideas and contents. Moreover, collaboration between teachers allows both to improve the content offered and to better understand the learning difficulties of different audiences.

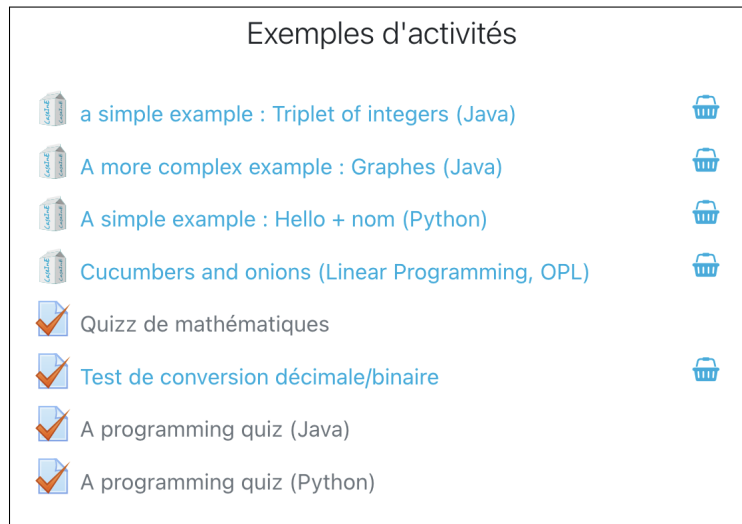


Figure 13: Example of a visitable course section: Shared activities (in blue) can be added to the visitor’s cart who can then insert them in their course.

4 Conclusion and Future work

In this paper, we have presented programming activities and quizzes. Other types of course material are shared on the platform like the *One idea, one story* pages which put the results in a historical perspective or a shared databases of graph drawings in Tikz¹¹.

In graph theory, one important perspective is to be able to settle/evaluate the complexity of the algorithms proposed by the students without downgrading the response time of the system. Preliminary results in this direction are encouraging.

If you might be interested in using these tools or joining the adventure, you can start by visiting the site caseine.org.

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- [5] Hattie, J. Visible Learning - A synthesis of over 800 meta-analyses related to achievement (2009)

¹¹<https://moodle.caseine.org/mod/data/view.php?id=21600>