

Inhibitory neurons stabilise the formation of neural assemblies via adaptation and selective stimuli

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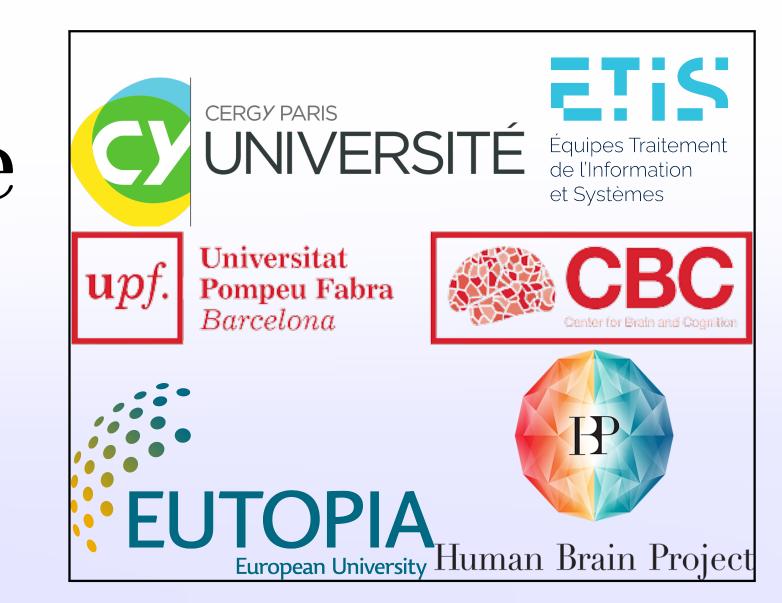
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Inhibitory neurons stabilise the formation of neural assemblies via adaptation and selective stimili

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Context

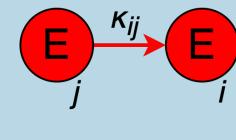
Inhibition has a determining role in the dynamics and in the adaptation capacity of the brain. Although many studies with coupled oscillator models attempt to simulate this mechanism, few consider the case of distinct inhibitory units adapting their synaptic weights and thus impacting the network state. Therefore, this work aims at studying the impact of inhibition on the synchronization and the structure of coupled oscillator networks under the influence of adaptation.

Model

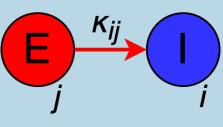
Network of theta neurons all-to-all connected [2]:

$$\frac{d\theta_i}{dt} = (1 - \cos(\theta_i)) + (1 + \cos(\theta_i)) [\eta_i + \frac{g}{N} (\sum_{j=1}^{N} \kappa_{ij} \sin(\theta_j - \theta_i)) + I_i(t) + \xi_i(t)]$$

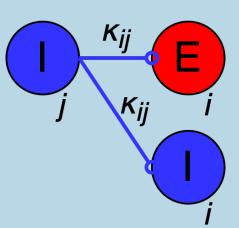
Weights adaptation:



$$\frac{d\kappa_{ij}}{dt} = [\epsilon_1 + \epsilon_2 H(I_j(t))](\kappa_{ij} - 0) * (1 - \kappa_{ij}) * \Lambda(\Delta\theta)$$



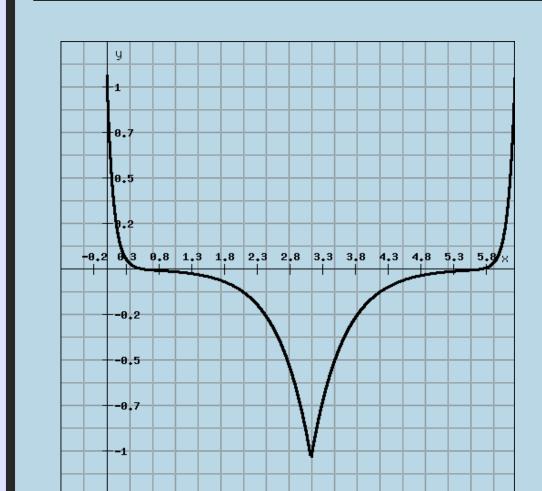
$$\frac{d\kappa_{ij}}{dt} = \epsilon_1(\kappa_{ij} - 0) * (1 - \kappa_{ij}) * \Lambda(\Delta\theta)$$



$$\frac{d\kappa_{ij}}{dt} = \epsilon_1(\kappa_{ij} + 1) * (0 - \kappa_{ij}) * \Lambda(\Delta\theta)$$

with $\epsilon_1 \ll \epsilon_2 \ll 1$ the learning rates for slow and fast adaptations

Symmetric phase difference-dependent plasticity rule [1, 3, 4]:

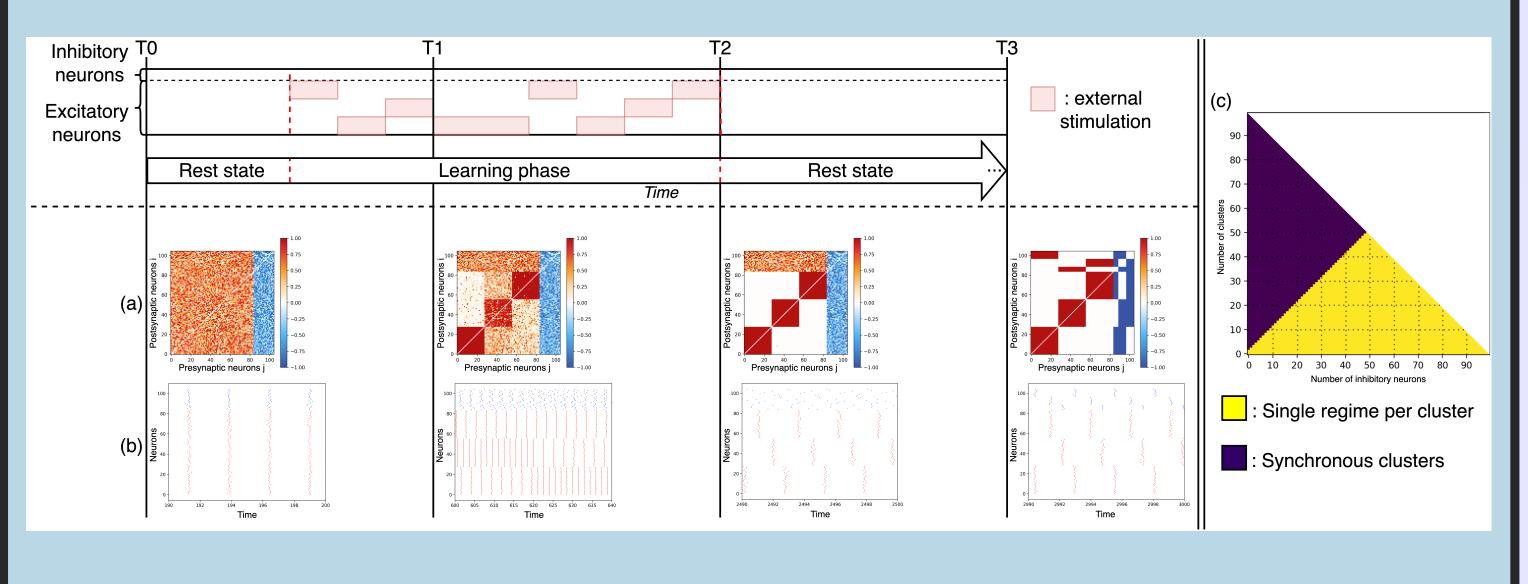


$$\Lambda(\Delta\theta) = \begin{cases} e^{-\frac{\Delta\theta}{0.1}} - e^{\frac{\Delta\theta - \pi}{0.5}}, & \text{if } 0 \le \Delta\theta < \pi \\ e^{\frac{\Delta\theta - 2\pi}{0.1}} - e^{-\frac{\Delta\theta - \pi}{0.5}}, & \text{if } \pi \le \Delta\theta < 2\pi \end{cases}$$

with $\Delta \theta = |\theta_i - \theta_i|$

Multi-cluster learning

3 clusters = 3 regimes \rightarrow How many clusters maintained at most? Theoretical limit: M clusters for (M-1) inhibitory neurons.



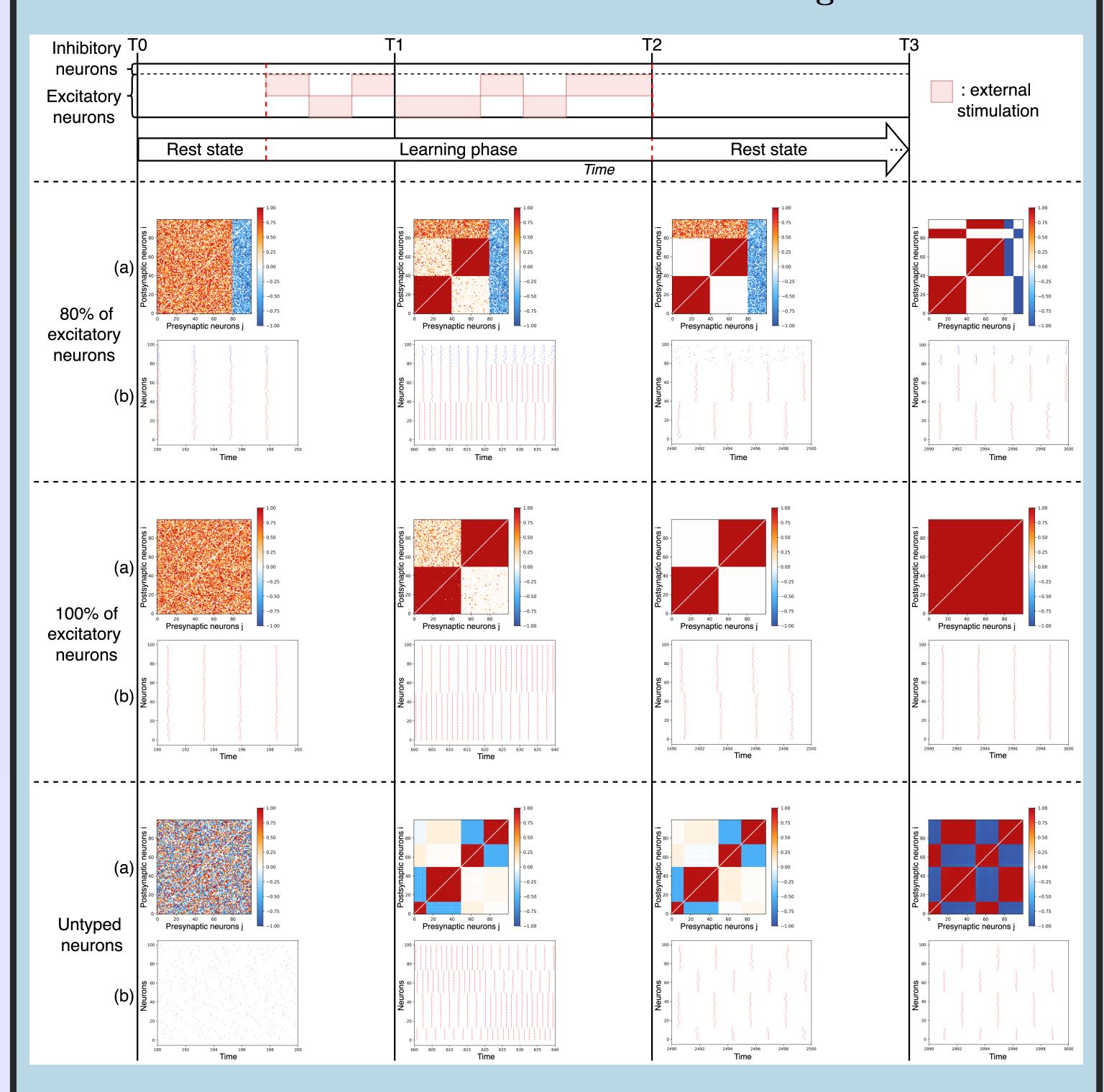
(a) Weight matrices, (b) Spikes of neurons, (c) Generalization to multiple clusters

Discussion

- The creation of **clusters** is induced by the **spatio-temporal cor**relations of the stimuli applied to the network and by the resulting adaptation mechanism, thus maintaining a certain synchrony in them.
- By preserving a specific dynamics to each cluster, **inhibitory** neurons allow to maintain and reinforce the learned structure over the **long term** \rightarrow memory consolidation.
- The amount of **inhibitory** neurons is related to the quantity of clusters/informations possible to retain and to the number of **hub neurons** for **integration** \rightarrow memory capacity of the network.

Maintaining and consolidating structures

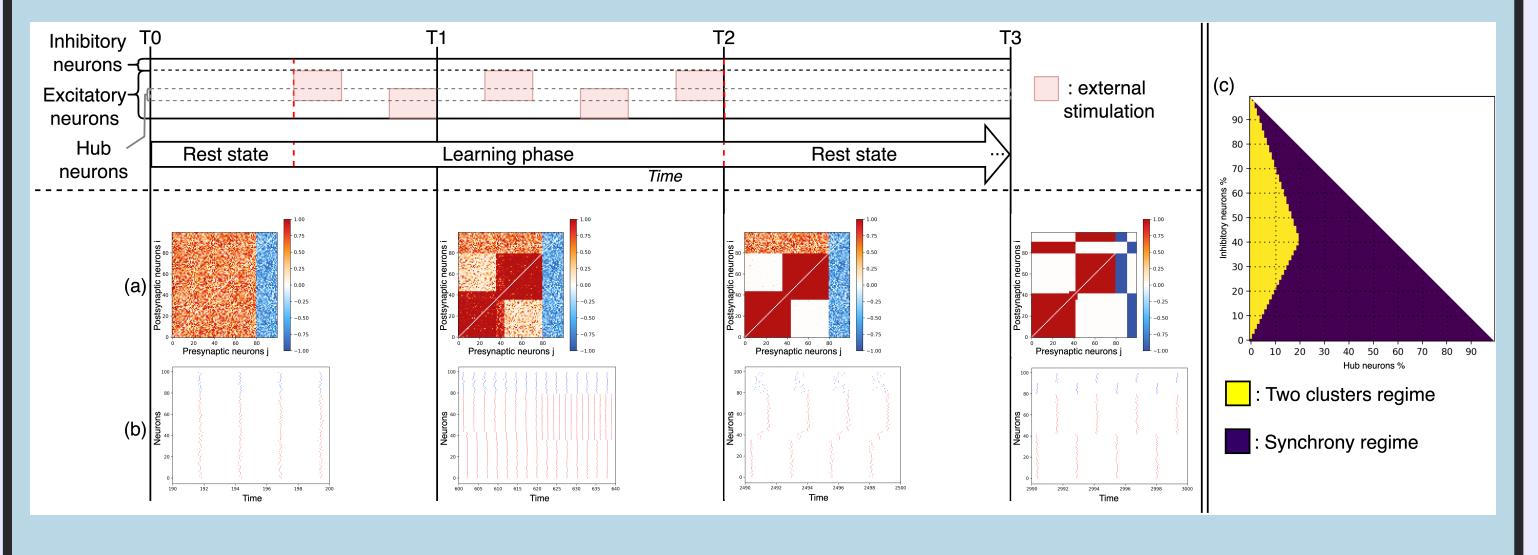
Learning based on the spatio-temporal correlations of inputs $I_i(t)$. Evolution of the network at rest in the **short and long term**.



(a) Weight matrices, (b) Spikes of neurons

Overlapping clusters

Creation of hub neurons \rightarrow How many stable hub neurons at most? Theoretical limit: M hub neurons for (2M+1) inhibitory neurons.



(a) Weight matrices, (b) Spikes of neurons, (c) Generalization to multiple hub neurons

References

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- [4] Jafar Shamsi, Maria José Avedillo, Bernabe Linares-Barranco, and Teresa Serrano-Gotarredona. Oscillatory hebbian rule (ohr): An adaption of the hebbian rule to oscillatory neural networks. In 2020 XXXV Conference on Design of Circuits and Integrated Systems (DCIS), pages 1-6. IEEE, 2020.