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TOWARDS MULTI-SCALE FEATURE DETECTION REPEATABLE
OVER INTENSITY AND DEPTH IMAGES

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ABSTRACT

Object recognition based on local features computed at multi-
ple locations is robust to occlusions, strong viewpoint changes
and object deformations. These features should be repeatable,
precise and distinctive. We present an operator for repeatable
feature detection on depth images (relative to 3D models) as
well as 2D intensity images. The proposed detector is based
on estimating the curviness saliency at multiple scales in each
kind of image. We also propose quality measures that evalu-
ate the repeatability of the features between depth and inten-
sity images. The experiments show that the proposed detector
outperforms both the most powerful, classical point detectors
(e.g., SIFT) and edge detection techniques.

Index Terms — Feature detectors, Curviness saliency,
2D-3D matching, Repeatability.

1. INTRODUCTION

A growing trend in recognition applications is to require 3D
object models to overcome the limitations due to variations in
viewpoint, texture or lighting that may modify the object ap-
pearance in the images. Since 3D capturing process is cheaper
and faster, accurate 3D models become more available [1, 6,
17, 18]. In addition, 3D models can be integrated through
separate dense depth images captured by range scanners (e.g.,
laser and IR) [4].

Recent approaches are based on 3D model databases [6].
These models can be represented by intermediate representa-
tions [11], like artificial images generated by rotating around
the object through varying yaw, pitch and roll angles and focal
length [4]. To cope with the shape variation independently of
texture and lighting, an adapted representation is range (i.e.,
depth) images, which represent the object shape rather than its
texture [6, 15]. The key features in both depth and intensity
images are then detected to be matched. A key requirement
on these features, as in 2D-2D matching, is to be computed
with a high degree of repeatability (i.e., the probability that
key features in the intensity image are found close to those
extracted in the depth image must be high). In this paper,
we require such assessments of repeatability, as shown in fig-
ure 1. Our objective is to introduce a detector robust to color,
texture and illumination changes.

To detect repeatable features in 2D, edges [5], corner de-
tectors [10], eigenvalue analysis [16], multi-scale detectors
(like SIFT [14] and SURF [2]) and curvature detection [9]
are the four most important and the most used techniques.
Recently, [8] presented curvature-based detector that use the
structural cues to find the curvature in a multi-scale space.
All these techniques are robust to lighting changes and trans-
lation; multi-scale approaches are also robust to scale and ro-
tation. However, they depend on texture and/or color changes.
Thus, the question is: what happens if we use these detectors
for 2D-3D matching.

Recently, 2D-3D matching have been developed in the
context of pose estimation. In [17], a sequence of silhouettes
has been extracted from 3D models and input images. Then,
shape similarity is measured between these silhouettes. In our
paper, structural cues (e.g., curvilinear shapes) are extracted
instead of only considering silhouettes since they are more
robust to intensity, color, and pose variations. In fact, they
not only represent outer contours (silhouette), but also inner
(self-occluding) contours that also characterize the object.
In addition, the histogram of gradients (HOG) detector [1, 13] or
a fast version of HOG [6] have been also used to extract the
features from rendering views and real images. All of these
approaches give interesting results, however, they do not eval-
uate the repeatability between the set of points detected in an
intensity image and those detected in an image rendered from
the 3D model. In fact, they all use a learning phase with manual matching but, in the context of our paper, we want to avoid a learning phase. Finally, in [18], the authors match the image with the 3D models by using SIFT in 2D and surface variation in 3D, but they assume that the object in the input image has no or poor internal texture.

As illustrated in figure 1, this work addresses the problem of aligning two images generated differently: an intensity image and a depth image that we assume to be taken from the same viewpoint. Curvature features do highlight geometric characteristics of an object. We propose a new detector based on curviness saliency that is a function of the eigenvalues of the Hessian matrix, an estimation of curvature. Furthermore, as relevant details exist only over a restricted range of scale, we further consider these features in a multi-scale analysis. This detection yields more repeatable key points between intensity and depth images than the classical detectors. Finally, an intensive evaluation and comparison have been conducted to highlight the quality of the proposed interest points.

2. PROPOSED MULTI-SCALE CURVINESS SALIENCY DETECTOR

Given an intensity image $I$, we define the surface $S$ such that $S(x, y) = (x, y, I(x, y))$ under the assumption that $I$ is twice differentiable. We denote by $\nabla I$ the gradient vector of $I$ and by $H = \begin{pmatrix} I_{xx} & I_{xy} \\ I_{xy} & I_{yy} \end{pmatrix}$ the Hessian matrix of $I$, i.e., the order-2 matrix of second-order partial derivatives $I_{xx}$, $I_{xy}$ and $I_{yy}$. One key result is that the principal curvatures $\kappa_1(p), \kappa_2(p)$ of $S$ at point $p$ are the eigenvalues of the matrix:

$$H \triangleq \alpha H, \text{ where } \alpha = 1/\sqrt{1 + \|\nabla I\|^2}. \quad (1)$$

We aim at detecting “curvilinear features” in a representation common to depth and intensity images. By curvilinear features, we refer to points lying on elongated structures at which one principal curvature strongly dominates the other one. The Laplacian-energy is often used for image representation. So why not to use it here? Usually, the discrete form $\nabla^2 I(p) = I_{xx}(p) + I_{yy}(p) \approx (1/h^2) \sum_h I(p + h) - I(p)$, where $p = (x, y)^\top$ and $h$ varies in $\{\pm h\} \times \{\pm h\}$, is applied to each image and the obtained values are then squared. The problem is that the Laplacian operator clearly behaves like a mean rate of local intensity change so important directional information is lost. Linking this to curvatures, using the rotation invariance of the Laplacian, it can be shown that $\nabla^2 I$ computes twice an “intensity-weighted” mean curvature of $S$.

The image representation proposed in this work is the so-called curviness saliency representation which relies on a function computing the difference between principal curvatures. We will now justify such a choice. Remind that, on the tangent plane $T_S$ to $S$ at point $p$, for all unit directions $t$ in $T_S$, (i) the normal curvatures $\kappa_i(p)$ at $p$ associated with $t$ are the curvatures of the curves obtained by slicing $S$ with the planes containing $p$ and parallel to $t$; (ii) $\rho_t(q) \triangleq 1/|\kappa_i(q)|$ are the radii of curvature of these curves. A nice geometry result [3] is that all the points $q = p + \sqrt{\rho_t(q)}t$ on $T_S$, located at distance $\sqrt{\rho_t}$ from $p$, lie on a conic known as the Dupin indicatrix at $p$. When $p$ is the origin, the conic equation writes

$$(x, y)H(x, y)^\top = \pm 1. \quad (2)$$

Let choose a sign for $\pm H$ such that its eigenvalues be $\lambda_1, \lambda_2$ ensuring $\lambda_1 \geq \lambda_2$ and $\lambda_1 > 0$ (which are in fact equal to the two principal curvatures up to a common sign). Semi-major and minor-axes are $r_2 = |\lambda_2|^{-1/2}$ and $r_1 = |\lambda_1|^{-1/2}$ (since $r_2 \geq r_1$) respectively. The conic specializes to an ellipse if $\lambda_1\lambda_2 > 0$, or an hyperbola if $\lambda_1\lambda_2 < 0$, i.e., if $\lambda_2$ is negative.

The Dupin indicatrix yields a local information on the surface as the conic shape describes the “distribution” of all normal curvatures at $p$ (or more exactly of the squared roots of all radii of curvature). Various measures can describe this conic shape and we select the linear eccentricity $E_\pm \triangleq \sqrt{r_2^2 + r_1^2}$, also called half-focal separation, which is the distance between the center and one focus, with ‘−’ for ellipses and ‘+’ for hyperbolas. Indeed, it can be easily shown that: $\sqrt{\lambda_1 - \lambda_2} = E_\pm/r_2^2$, which provides a unified way of treating ellipses and hyperbolas (due to lack of space, the proof is omitted). The function:

$$CS \triangleq \sqrt{\lambda_1 - \lambda_2}, \quad (3)$$

is large when $\lambda_1 \gg \lambda_2$, which means distant foci and so a highly elongated ellipse or a “squashed” hyperbola. This occurs e.g., when the point is located on a ridge (either curved or straight). In turn, when $\lambda_1 \simeq \lambda_2$, the conic approaches a circle and the distance between foci becomes very small. Therefore after computing (3) for every image pixel, any point with high value can be considered as a potential keypoint. Noting that the two eigenvalues $\lambda_1 \triangleq \lambda_2$ and $\lambda_2 \triangleq \lambda_\ldots$ of the scaled Hessian matrix $H$ can be directly computed as:

$$\lambda_\pm = \frac{\alpha}{2} (I_{xx} + I_{yy} \pm \sqrt{(I_{xx} - I_{yy})^2 + 4I_{xy}^2}), \quad (4)$$

the curviness saliency is then defined as

$$CS = \sqrt{CS^2} = \alpha^2 (I_{xx} - I_{yy})^2 + 4I_{xy}^2. \quad (5)$$

In figure 2, we show the different detections obtained using the minimum or the maximum eigenvalue, as proposed by Deng et al. [8]: the maximum eigenvalue provides a high response only for dark lines on a light background, while the minimum gives the high answer for the light lines on a dark background. Our proposition, the difference of the eigenvalues, improves robustness as it responds in both settings.

Computing the curviness saliency in a single-scale can only detect points that have high curvature in one scale and
high curvature points in other scales are missed. In consequence, in this paper, we compute the curviness saliency images in a multi-scale space. To build the scale pyramid, an edge-preserving smoothing approach, anisotropic diffusion filter [7] is used.

Contrary to depth images which represent textureless 3D shapes, intensity images are composed of shape and texture components. Consequently, the CS estimated from intensity images is affected by the textured regions. Our idea is to put forward the assumption that multi-scale analysis can discriminate between keypoints (those with high CS) due to shape and keypoints due to texture. As shown in figure 3.(b), at a coarse level, curves detected are reliable with poor localization and they miss small details. At a fine levels, details are preserved, but detection suffers greatly from clutters in textured regions. In addition, the CS values of small details and textures are high in the coarse level, whereas these values become lower in the finest levels. To combine the strengths of each scale, the CS value of each pixel over n scales is analyzed. If this value in all scales is higher than a threshold $T$, which is a function of the number of the smoothed images, $m$, (i.e., $T = e^{-m}$), the maximum curviness saliency (MCS) value of this pixel over all scales is then kept, see figure 3.(a). However, if the CS value is lower than $T$ in one level, it is considered as texture (or small detail) point, thus it is removed from the final multiscale curviness saliency (MCS) image.

3. EXPERIMENTS

To evaluate the repeatability of the detectors between intensity images and depth images, we apply a set of 9 detectors on a depth image, and its corresponding real images taken from the same point of view. The locations of features extracted on the depth images are considered as the ground-truth. Then, the extracted features on the real images are compared with the corresponding ground-truth. For all the tested 3D models, we generate depth images from approximately uniformly distributed viewing angles around a circle or a sphere.

Datasets – First, we use 2 real objects (i.e., stairs), with respectively 4 and 2 different textures, with their 3D CAD models. A set of depth images from different view is rendered and for each viewpoint, real images with different texture are captured, see figure 4. Moreover, we use 3D textureless objects (available online), and we collect a set of 15 real images of each object on the web by choosing views as close as possible to the views used for the generation of the depth images. Moreover, to highlight the robustness of the approach to different acquisition conditions, many real images of a similar model are taken. Furthermore, we used the PASCAL3D+ dataset [19] that contains real images corresponding to 12 rigid objects categories; we compute average results for all non occluded objects in each category i.e., around 1000 objects per category. The real images are acquired under different acquisition conditions (e.g., lighting, complex background, low contrast). We rendered the depth image of the corresponding 3D CAD model using the viewpoint information from the dataset.

Comparison with existing detectors – The experiments include comparisons with these 9 following detectors:

- **Edge-based detectors**: Sobel, Laplacian of Gaussian (Log), Canny [5] and Fuzzy logic technique [12], corner detectors: Harris detector, Minimum Eigenvalues detector [16], multi-scale detectors: SIFT, Scale Invariant Feature Transform [14], SURF, Speeded Up Robust Features [2], a multi-scale Principal Curvature Image (PCI) detector [8].

Setup – The images of the MCS results are calculated in scale space, similar to SIFT (see [7] for details about the construction of the pyramid). What is important is that we set the number of smoothed images per octave to 5, and in consequence, we have only 1 image result per octave.

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3. The proposed MCS detector is implemented in MATLAB. All tested point-like detectors and edge detection techniques are tested with the implementations given in MATLAB.
Table 1: Mean Intersection Percentage (IP) (higher is better) and Mean Hausdorff Distance (HD) (lower is better) of all depth image rendered from different viewpoints and all real images captured under different textures and lighting of, first, the two objects, second the 10 objects, and, third, the PASCAL3D+, with the proposed method (MCS) and 9 tested detectors. METime is the mean execution time in seconds of MATLAB codes of the MCS and 9 tested detectors executing on Intel Core(i7) 2.9 GHz.

Evaluation criteria – The behavior of the detectors is evaluated with 2 measures: Hausdorff distance, well known and used, and Intersection percentage, introduced in this paper and that evaluates the intersection between the set of points extracted from the 2 considered images. More precisely, for each point of the depth image, a corresponding point is sought at the same location in the real image. The intersection percentage (IP) counts the number of correspondences over the total number of points detected in the image.

Results – In figures 4 and 5, for the depth images, MCS gives points uniformly located on the silhouette of the objects and also some points inside the shape whereas the corner and the multi-scale detectors miss some specific parts of the shape, like the bottom of the car. Moreover, visually MCS performs best for detecting a set of points in the depth map close to those detected in the real images. All the detectors are affected by the background, i.e. they detect points that are not coherent with the depth map. For the edge operators, false contours are detected inside the car in the real image.

As shown in Table 1, MCS is able to find the highest number of features in the intersection, with real images captured under different textures and lighting conditions. For real images, as background is arbitrary, a perfect score (100%) cannot be expected. For the edge-detectors, the intersection percentage is less than 30% for all the edge operators. However, MCS still outperforms the other edge operators. Moreover, PCI, the closest approach to our, yields to good repeatability results that are comparable to MCS results. However, MCS still provides the best results among the 9 tested detectors. In addition, MCS provides the lowest Hausdorff distance. We also have to notice that PCI and Edge detectors perform better than the corner and the multi-scale detectors.

4. CONCLUSION

We introduce a feature detector, MCS, based on a multi-scale curviness saliency estimation that can extract points more repeatable than classical detectors when it is used between an intensity image and a depth image. We also proposed a quality measure, the intersection percentage, to evaluate the repeatability of the extracted features. The experiments show that MCS yields the best repeatability score. Future work aim at introducing this detector in a robust 2D-3D matching for robust object recognition. The next step will be to introduce a descriptor based on shape and common to these different images to increase the quality of the recognition. In addition, we aim at using defocus maps [20] to represent real images.
5. REFERENCES


