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# A spatio-temporally compensated acousto-optic scanner for two-photon microscopy providing large field of view. 

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#### Abstract

Acousto-optic deflectors (AOD) are promising ultrafast scanners for non-linear microscopy. Their use has been limited until now by their small scanning range and by the spatial and temporal dispersions of the laser beam going through the deflectors. We show that the use of AOD of large aperture ( 13 mm ) compared to standard deflectors allows accessing much larger field of view while minimizing spatio-temporal distortions. An acousto-optic modulator (AOM) placed at distance of the AOD is used to compensate spatial and temporal dispersions. Fine tuning of the AOM-AOD setup using a frequency-resolved optical gating (GRENOUILLE) allows elimination of pulse front tilt whereas spatial chirp is minimized thanks to the large aperture AOD.


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## 1. Introduction

Two-photon scanning microscopy (TPSM) is a powerful tool for imaging deep inside living tissues with sub-cellular resolution. The spatio-temporal resolution of currently available TPSM is strongly limited by the galvanometric mirrors which scan the laser beam. Full images at frame rates of 10 to 100 Hz have been obtained, but events occurring at a ms timescale can only be followed by scanning repeatedly a single line. This approach severely constrains the spatial sampling. Because acousto-optic deflectors (AOD) are non-mechanical devices, they allow access at any angle within a few microseconds. Fast point by point scanning strategy using AOD might for this reason increase both the signal-to-noise ratio and the sampling rate with respect to galvanometric full frame imaging, since more time is spent on each point of interest. However, the use of AOD with femtosecond pulses is not straightforward and an accurate description of pulse width and laser beam spot evolution after such an angular dispersive element was only recently proposed [1-4]. Many issues have indeed to be overcome in order to implement AOD as standard scanners in TPSM.

First, large spatio-temporal distortions of the femtosecond pulses are introduced by the AOD due to the propagation and the diffraction in the deflectors. These complex distortions need to be measured and compensated to use AOD in two-photon microscopy. Many recent papers have measured and compensated the angular and the temporal dispersions separately. An additional dispersive element placed before the AOD was used to create a spatial dispersion of same magnitude but opposite sign than the one due to the AOD at the center of the field of view (FOV): e.g. a prism [5, 6], a diffraction grating [7] or an acousto-optic modulator (AOM) [8, 9]. Compensation of temporal dispersion was usually obtained through double pass within a pair of prisms or gratings [10]. The large group delay dispersion (GDD) introduced by $\mathrm{TeO}_{2}$ which our AOD are made of, requires inter-prism distance of the order of 1 m , which induces constraints on the space, the optical alignment and therefore on the possibility to implement research and commercial prototypes.

AOD and setups for temporal and spatial compensation are also introducing large power loss. Two crossed $\mathrm{TeO}_{2} \mathrm{AOD}$ in shear mode have typically a transmission of $50 \%$, spatial compensation setups (AOM or prism) 70 to $80 \%$, and temporal compensation setup consisting of a double pass in a pair of prisms about $70 \%$. Taking into account typical transmission of the rest of the microscope including the objective, the remaining available power at the sample might only be 5 to $10 \%$ of the initial power and therefore strongly limits the depth of imaging in vivo. Recent studies have shown that placing the dispersive element (AOM or prism) used for spatial compensation at a distance of the AOD can simultaneously create the appropriate negative dispersion [11-13]. This configuration allows minimization of laser power loss and facilitates optical alignment. However such a single pass in a pair of angular dispersive elements is known to create spatial distortions, as e.g. spatial chirp (SC) [14]. In absence of geometrical aberrations and in a neither scattering nor absorbing sample, SC is in principle suppressed at the focal point of the objective. The situation is more complex in scattering samples or in presence of e.g. spherical aberrations. As the path of border wavelengths will be different from the one of central wavelengths, scattering and/or aberrations might contribute to an increase of the pulse duration at the focal point, thus reducing fluorescence excitation in an uncontrolled manner. Finally, misalignment of such angular dispersive systems as well as propagation of pulses having spatial chirp through
optical windows can also generate pulse front tilt (PFT) [15]. It is therefore important to carefully characterize and minimize the SC and PFT created by the AOM-AOD scanner.

Moreover, the number of points $N$ scanned with an AOD (and therefore the available FOV) is limited by their physical dimension and their maximal scan angle $\Delta \theta(N=(\pi / 4) \Delta \theta$ $D / \lambda)$. Most systems used in the literature have a scanning range $\Delta \theta 40 \mathrm{mrad}$ and a physical dimension of a few millimeters (typically 4 mm ) corresponding to $\sim 200$ points per line. As a consequence, the FOV has to be smaller than about $100 \mu \mathrm{~m}$ in order to have a diffraction limited point spread function (PSF) at the center of the field of view $(\sim 0.5 \mu \mathrm{~m})$. Larger FOV are only achievable using AOD with larger scanning angle and/or aperture. Finally, the widespread use of AOD as scanners in TPSM requires that they might be used with tunable lasers over a large bandwidth [12]. This implies to design AOD as well as compensation setups that are efficiently tunable over similar bandwidths.

In this letter, we fully characterize a custom made AOD scanner from the company A\&A having exceptional physical dimensions and performance: 13 mm aperture, 50 mrad scanning range, a tuning range of $720-880 \mathrm{~nm}$ allowing access to about 850 points per line $\left(7.10^{5}\right.$ points in the FOV). Spatial and temporal compensations are obtained using an AOM placed at distance of the AOD. Using a GRENOUILLE, an easy to align Frequency-Resolved Optical Gating (FROG), i.e. a spectrally resolved auto-correlator, we show that temporal broadening and spatial dispersion can be minimized using this setup. Moreover, we have characterized the spatio-temporal distortions including spatial chirp and pulse front tilt which arise from the single pass in the AOM-AOD setup. We demonstrate that the fine tuning of the AOM-AOD setup and the use of large aperture AOD allow minimization of PFT and SC.

## 2. Experimental methods

The setup (Fig. 1) consisted of a Tsunami Ti:sapphire femtosecond laser source (Spectra Physics, Irvine, CA) which provided $\sim 90 f$ f pulses having a spectrum $\delta \lambda \sim 11+/-0.5 \mathrm{~nm}$ (FWHM). The beam was magnified by a first afocal telescope (magnification $\sim 8$ ) to a beam diameter $\mathrm{D}_{0}$ of about 11 mm (measured at $1 / \mathrm{e}^{2}$ ), which slightly under-covered the AOM aperture (13mm, ref AA.MTS/A15@720-920nm, A\&A, Orsay, France). The AOD pair (A\&A, ref AA.DTS.XY/A15@720-920nm) was placed at a distance $D$ of the AOM. $D$ was about 60 cm and was carefully adjusted for optimal temporal compensation. The AOD aperture ( 13 mm ) was chosen so that it didn't diaphragm the laser beam, despite its spectral divergence after the AOM. A $\lambda / 2$ achromatic waveplate was placed between the AOM and the AOD to adjust the pulse polarization. The AOD exit aperture was imaged by a telescope of magnification $1 / 3$ onto a spectrally resolved auto-correlator (GRENOUILLE 10-50, Swamp Optics, Atlanta). A second $\lambda / 2$ achromatic waveplate was used for convenience to adjust the light polarization. QuickFrog software (version 3.1, Swamp optics) was used to reconstruct the electric field from the measurement. A glass slide placed after the AOD was used to collect a small fraction of the beam which was focalized onto a digital CDD camera (IMI-141FT, IMI tech, Seoul, Korea) using a $\mathrm{f}=75 \mathrm{~mm}$ lens to measure the spatial dispersion of the pulses and to optimize its compensation. The ultrasonic wave frequency and amplitude were controlled in the AOM using a AA.MOD-nC driver (A\&A) with a remote control and in the AOD using a DDS-XY-70-140-D8b-3W driver (A\&A) and a program written with Labview using a fast digital I/O board (NI PCI DIO 32HS, National Instruments). This large AOMAOD device will be referred to as scanner 1 in the following.

For comparison, a second scanning system was used. It consists of an AOM (AA.MTS.141/B20/A5@840nm, A\&A) and 2 crossed AOD (AA.DTS.XY.250@840nm, A\&A) optimized at a wavelength of 840 nm , having a smaller aperture of 4.2 mm and driven by AA.MOD-nC (A\&A) and AA.DDS.1-250.2V (A\&A) drivers respectively. In that case, a beam diameter $\mathrm{D}_{0} \sim 3 \mathrm{~mm}$ was used at the AOM entrance pupil. This small AOM-AOD setup will be referred to as scanner 2 in the following. It was used with a Mai-Tai Ti:Saphire laser (Spectra Physics), with a spectrum of $\delta \lambda \sim 14+/-0.5 \mathrm{~nm}$ (FWHM).


Fig. 1. The optical setup. Laser: Tsunami Ti:Sa laser. AOM: acousto-optic modulator and AOD: acousto-optic deflectors. Both were mounted on goniometric plates for alignment and placed on a rail to adjust their distance. $\lambda / 2$ : achromatic half waveplates. GRENOUILLE: single shot second harmonic generation frequency-resolved optical gating devices. M1, M2, M3: dielectric mirrors. Attenuator: variable intensity attenuator.

## 3. Background

### 3.1 Spatial dispersion

In acousto-optic devices used in the Bragg mode, light is efficiently deflected into the first diffraction order at an angle $\theta$ given by:

$$
\begin{equation*}
\theta=\lambda . F / v \tag{1}
\end{equation*}
$$

where $\lambda$ is the wavelength of the light, $F(\sim 100 \mathrm{MHz})$ the acoustic frequency and $v(\sim 650 \mathrm{~m} / \mathrm{s})$ the velocity of the acoustic wave inside the crystal. AOD are working at a central frequency $F_{0}$ over a bandwidth $+/-\Delta F / 2$, of the order of 15 to 20 MHz . The maximum scan angle $\Delta \theta$ is therefore given by $\Delta \theta=\lambda . \Delta F / v \sim 40 \mathrm{mrad}$. Femtosecond lasers required for non-linear fluorescence absorption have a broad spectrum $\delta \lambda \sim 10-15 \mathrm{~nm}$. The spectral components are therefore spatially dispersed by an AOD over an angle $\delta \theta$ given:

$$
\begin{equation*}
\delta \theta / \theta=\delta \lambda / \lambda \tag{2}
\end{equation*}
$$

As $\delta \theta$ is of the order of 1.5 to 2.5 mrad , this effect increases the point spread function (PSF) of the microscope (therefore reducing its spatial resolution) and decreases the nonlinear fluorescence absorption and strongly constrains the size of the FOV [9]. With two crossed AOD, the result of this angular dispersion is an elliptical PSF [9].

### 3.2 Temporal dispersion

AOD are made of a material which broadens the pulse duration, since $\mathrm{TeO}_{2}$ is highly dispersive with large group velocity dispersion $G V D$. In the AOD, the pulse travels a length $l_{e}$ along the extraordinary axis ( $G V D$ along the extraordinary axis $\left(G V D_{e}\right)$ of $4840 \mathrm{fs}^{2} / \mathrm{cm}$ at 840 nm ) and a length $l_{o}$ along the ordinary axis ( $G V D$ along the ordinary axis ( $G V D_{o}$ ) of 4720 $\mathrm{fs}^{2} / \mathrm{cm}$ at 840 nm ), with $l_{e}+l_{o}=L$, where $L$ is the AOD thickness. As a consequence, a transform-limited laser pulse with a Gaussian envelope and of initial duration $t_{i n}$ is broadened, by the AOD to a final duration $t_{o u t}$, given by:

$$
\begin{equation*}
t_{\text {out }}=t_{\text {in }} \cdot \sqrt{1+\left(4 \cdot \ln 2 \cdot\left(l_{e} \cdot G V D_{e}+l_{o} G V D_{o}\right) / t_{\text {in }}^{2}\right)^{2}} \tag{3}
\end{equation*}
$$

Typically, pulses are broadened to at least 500fs using standard AOD [7, 9, 13].

### 3.2 Compensation of spatial dispersion

It is possible to place an AOM just before the AOD at an angle of $45^{\circ}$ with respect to the AOD axes, in order to compensate the spatial dispersion at the centre of the FOV [9]. The frequency in the AOM is then chosen equal to:

$$
\begin{equation*}
F_{A O M}=\sqrt{2} \cdot F_{0} \tag{4}
\end{equation*}
$$

where $F_{0}$ is the frequency at the centre of the FOV in both AOD. The AOM behaves like a prism of adjustable apex, so that $F_{A O M}$ can be finely tuned to optimize the compensation. Moreover, an AOM provides a very high transmission above $80 \%$. The angular dispersion is totally compensated at the centre of FOV and partially at the edge, the maximum remaining dispersion being proportional to $\Delta F / 2$ instead of $F_{0}$ [9]. For frequencies in the AOD $F=(F x, F y)$, the corresponding ellipse has a long axis $w^{l}$, a small axis $w^{s}$ and an ellipticity $e$ given by [9]:

$$
\begin{equation*}
w^{l}=\sqrt{w_{r}^{2}+\left(\frac{\delta \lambda\left(\left|F-F_{0}\right|\right) f_{o b j}}{v T}\right)^{2}}, w^{s}=w_{r} ; e=\frac{w_{l}}{w_{s}} \tag{5}
\end{equation*}
$$

where $w_{r}$ is the radial resolution of the microscope in absence of AOD, defined as the FWHM of the squared intensity point spread function ( $\mathrm{IPSF}^{2}$ ), $f_{o b j}$ is the objective focal length, $T$ is the magnification of the telescope used to image the AOD onto the objective back aperture and $\Delta F=\left|F-F_{0}\right|=\sqrt{\left(F_{x}-F_{0}\right)^{2}+\left(F_{y}-F_{0}\right)^{2}}=\sqrt{\Delta F_{x}{ }^{2}+\Delta F_{y}{ }^{2}}$. The ellipse angle $\phi$ is given by:

$$
\begin{equation*}
\tan \varphi=\Delta F_{y} / \Delta F_{x} \tag{6}
\end{equation*}
$$

### 3.3 Simultaneous compensation of temporal and spatial dispersion

Negative GDD can be obtained from devices providing angular dispersion such as prisms or gratings. Most standard pre-compensation setups consist of a double pass through a pair of prisms [10] and were used to compensate for the positive GDD introduced by AOD. Nakazawa and al. have shown that pairs of AOD provide also negative GVD proportional to their distance [16]. For a pair of AOD (or for an AOM AOD setup) separated by a distance $D$ and characterized by their frequencies $F$, the sound velocity $v$ and the total material thickness $L$, the group delay dispersion is equal to:

$$
\begin{gather*}
G D D_{A O D-A O D}=G D D_{A O D}+D \cdot G V D_{A O D / A O D}  \tag{7a}\\
G D D_{A O D}==\frac{\lambda^{3}}{2 \pi c^{2}} L \frac{d^{2} n}{d \lambda^{2}}  \tag{7b}\\
G V D_{A O D / A O D}==-D \frac{\lambda^{3}}{2 \pi c^{2}} \frac{F^{2}}{v^{2}} \tag{7c}
\end{gather*}
$$

$G D D_{A O D}$ is the positive GDD introduced by the material which the AOD and the AOM are made of and $G V D_{A O D / A O D}$ is negative and proportional to the distance $D$.

Therefore, as previously described by Zeng et al. [11-13], placing an AOM at a distance $D$ of the AOD allows the compensation of both the temporal and the spatial dispersion at the same time with a single setup and using independent control parameters: temporal compensation is controlled by the distance $D$ whereas spatial compensation is adjusted by the AOM frequency $f_{A O M}$.

### 3.4 Spatio-temporal distortions: spatial chirp and pulse front tilt

Since this configuration provides a single path trough the two dispersing AOD, fs pulses might contain spatio-temporal distortion, in particular spatial chirp (SC), in which the average wavelength of the pulse varies spatially across the beam [14]. In our case, the spatial chirp is described by the beam centre transverse coordinate $x$ of each frequency $\omega$ [14]. A pulse passing through an AOM placed at a distance $D$ of the AOD has a dispersion $x(\omega) \approx D \theta=D 2 \pi c F / \omega v$. The scanner is imaged onto the GRENOUILLE (or the objective back aperture) by a telescope (magnification $T \sim D_{a} / D_{0}$ to match their aperture $D_{a}$ ). The spatial dispersion at their aperture is $x_{a}(\omega) \approx D(2 \pi c / \omega)(F / v)\left(D_{a} / D_{0}\right)$ and the spatial chirp $\zeta_{a}=d x_{a} / d \omega=\frac{D 2 \pi c F D_{a}}{v \omega^{2} D_{0}}=\frac{D F \lambda^{2} D_{a}}{v 2 \pi c D_{0}}$. The amount of spatial chirp can be estimated by comparing the characteristic length $\zeta_{a} \cdot \Delta \omega$ (where $\Delta \omega=2 \pi c \delta \lambda / \lambda^{2}$ ) and the beam diameter $D_{a}$ :

$$
\begin{equation*}
R=\zeta a . \Delta \omega / D_{a}=D F \delta \lambda / v D_{0} . \tag{8}
\end{equation*}
$$

Equation 8 shows that the spatial chirp increases with the distance $D$ between the AOM and the AOD and decreases with the beam diameter $D_{0}$ at the scanner aperture. At the typical distance used for temporal compensation $(D \sim 50 \mathrm{~cm}), R \sim 1.3 \mathrm{~mm} / D_{0}$ and deflectors having an aperture smaller or of the order of 1.3 mm will induce strong SC in the pulse, whereas SC will vanish for scanners much larger than this dimension.

Angular dispersion as well as propagation of a pulse having some SC through a material induce also some pulse front tilt (PFT) [15, 17], which consists in the fact that the time at which the pulses reach a plane of reference depends on the transverse coordinate x . PFT increases the pulse duration at the objective focal point. Since a single path through the AOMAOD setup potentially creates spatio-temporal distortions as PFT and SC, it is important to measure them carefully. Both SC and PFT are easily measured by a single shot second harmonic generation frequency-resolved optical gating devices. Thus we characterized these distortions using a spectrally resolved auto-correlator, as a GRENOUILLE, which is sensitive to PFT and to a lesser extent to SC.

## 4. Experimental results

### 4.1 Spatial compensation

Figure 2(a) shows, for three different wavelengths, typical scans of the field of view on the CCD achieved with the large aperture scanner 1. By adjusting properly the AOM frequency in each case, full spatial compensation was achieved at the centre of the $F O V$. Elsewhere, the laser was focalized as ellipses, which are all oriented towards the centre and which increase in size towards the edges of the image. Whereas their small axis is constant in the $F O V$, their long axis increases with the distance to the centre. On Fig. 2(b), we measured at 820 nm their ellipticity as a function of the shift in frequency with respect to the centre frequency, which is perfectly modeled by Eq. (5). Similarly, their angle was measured on Fig. 2(b) as a function of the frequency ratio $\Delta F_{y} / \Delta F_{x}$. and modeled with Eq. 6 .

These results are consistent with previous results obtained with small aperture scanners [7, 9, 11, 13]. We show similarly on Fig. 2(b) that compensation of spatial dispersion of scanner 2 is achieved at 840 nm and modeled perfectly by Eqs. 5 and 6, as published previously [9]. The difference in ellipticity measured for the 2 scanners is due, as shown from Eq. (5), from the differences in the focal length of the CCD lens used (in order to match their different scan range) and in beam diameter after the AOD (and therefore in spot diameter at the center of the FOV). For the scanner 2, the optimum frequency in the AOM was equal to 142 MHz , with a central frequency in the AOD of 100 MHz , in agreement with Eq. (4) and with a bandwidth of 35 MHz ( 45 mrad ).

To compensate for the spatial dispersion at different wavelengths in scanner 1, the AOM frequency was changed accordingly, as shown on Fig. 2c. We found that the optimum AOM


Fig. 2. Compensation of spatial dispersion. A) Images at $765 \mathrm{~nm}, 820 \mathrm{~nm}$ and 875 nm of the beam scanned by the scanner 1 and focused on the CCD. Spots are separated by 3.7 mrad B) Spot ellipticity ( $\bullet$ ) as a function of $\Delta F$ and spot angle ( $\boldsymbol{\bullet}$ ) as function of $\Delta F_{x} / \Delta F_{y}$. Data obtained from images at 820 nm containing $14 \times 14$ ellipses separated by $3.5 \mathrm{MHz}(4.4 \mathrm{mrad})$ were binned (bin for $\Delta F: 2 \mathrm{MHz}$, bin for $\Delta F x / \Delta F y: 0.5$ ). Lines are the theoretical curves obtained from Eqs. 5 and 6 respectively. For comparison, spot ellipticity ( $\circ$ ) and spot angle (ם) are shown for the small scanner 2 using the same bins. C) AOM frequency ( $\bullet$ ), AOD minimum $(\square)$, centre $(\boxplus)$ and maximum $(\boxtimes)$ frequencies and maximum scan angle ( $\circ$ ) as a function of the wavelength for the scanner 1. D) Laser spectrum measured before the AOM (ם), between the AOM and the AODs ( $\circ$ ) and after the AODs ( + ) for scanner 1. Data were fitted to Gaussians having the same FWHM=11+/-0.5nm.
frequency was shifted by a small constant offset of 9 MHz with respect to the frequency predicted by Eq. (4). This prevented perfect compensation above 880 nm , due to the limited bandwidth of our AOM and the scanner was therefore used from 720 nm to 880 nm . Figure 2(c) shows also the variation of the AOD minimum, maximum and centre frequencies. The
resulting scan angle was constant as a function of the wavelength, of the order of 56 mrad . Within the FOV, the laser intensity was varied by less than $20 \%$. Finally, the typical transmission of the AOM-AOD scanner was of the order of $20 \%$. Theses results demonstrate that compensation of the spectral dispersion is achieved at the centre of the $F O V$ from 720 nm up to 880 nm and that the remaining dispersions are well modeled by Eqs. (5) and (6).

We checked that the scanner 1 did not diaphragm the laser beam in this configuration. Due to the spectral dispersion in the AOM, the beam diameter increases after the AOM as $\approx D . \delta \lambda . F / v \sim 1.7 \mathrm{~mm}$ for $D=60 \mathrm{~cm}$. Figure 2(d) shows that the laser spectrum is preserved at all locations throughout the optical path ( $\mathrm{FWHM}=11 \mathrm{~nm}$ ), even for the large distance $D$ used for temporal compensation (see below). Therefore, using a beam width of $\sim 11 \mathrm{~mm}$ at the AOM entrance pupil prevents any clipping in the AOD. For comparison, the standard scanning system 2 required for this reason a beam width of $\sim 2.8 \mathrm{~mm}$ only. The achievable FOV is proportional to the product of the scanning angle and of the beam aperture at the scanner. Therefore our new system (scan angle $\sim 56 \mathrm{mrad}$, beam aperture $\sim 11 \mathrm{~mm}$ ) offers a very significant increase in the available FOV (by a factor of 5) in the configuration where the AOM is placed at distance of the AOD for simultaneous temporal and spatial compensation, as compared to the standard scanning system 2 ( $45 \mathrm{mrad}, 2.8 \mathrm{~mm}$ ). For example, using the 20X, NA 0.95 , water immersion Olympus objective widely used in two-photon microscopy, a FOV of about $300 \mu \mathrm{~m}$ will be obtained, with diffraction limited focalization at the centre of the FOV. On the edge of the FOV, the PSF will be stretched in one direction to about $3.7 \mu \mathrm{~m}$, as estimated using Eq. (5). This effect will reduce the resolution and the fluorescence excitation for objects located on the side of the FOV. While scanning an object larger than the PSF, the loss in fluorescence should be proportional to square of the ellipse elongation [9]. This is still acceptable, in comparison to the gain in scanning speed, as long as resolution isn't a priority. Moreover, more time can be spent on the points located near the edges to obtain a constant fluorescence signal.

### 4.2 Temporal compensation

At the optimum AOM frequency for spatial compensation, we adjusted the distance $D$ separating AOD and AOM to compensate for the temporal dispersion of the laser pulse. This adjustment did not affect the spatial compensation, both being independent. The pulse duration was measured as a function of the distance $D$ and at 820 nm using the GRENOUILLE (Fig. 3(a)). As the distance $D$ was increased, pulse duration decreased remarkably down to a value of $93+/-3 \mathrm{fs}$ for $D \sim 63+/-3 \mathrm{~cm}$ and increased again for larger distances. This demonstrates that excellent pulse compensation was achieved, since the initial pulse duration was almost restored. Using the same configuration, we were also able to compensate temporally for the dispersion of the scanner 2 at 840 nm (Fig. 3(b)). In that case, optimal compensation was obtained at a shorter distance $D$, of about $45+/-3 \mathrm{~cm}$, although longer pulses $(145+/ 10 \mathrm{fs})$ were obtained in this case. This might be due to the fact we used pulses with larger FWHM with this scanner ( 14 nm instead of 11 nm ). Using Eq. (7), the negative dispersion introduced by the AOM-AOD setup is $\sim 460 \mathrm{fs}^{2} / \mathrm{cm}$ for the scanner 1 at 820 nm and $\sim 490 \mathrm{fs}^{2} / \mathrm{cm}$ for the scanner 2 at 840 nm . Using these values, the scanner 1 has a total $G D D \sim$ $29000 \mathrm{fs}^{2}$ and the scanner $2 \sim 22000 \mathrm{fs}^{2}$. Taking into account known values of the ordinary $\left(G V D_{o}\right)$ and extraordinary $\left(G V D_{e}\right)$ group velocity dispersion of $\mathrm{Te} 0_{2}$ [9] and the physical size of the scanners, we estimated their $G D D$. For the large scanner 1 , we obtained a $G D D$ at 820 nm of $\sim 29500 \mathrm{fs}^{2}$ (total thickness for each AOD and for the AOM of the scanner 20 mm , 10 mm interaction with $G V D_{o} \sim 4952 \mathrm{fs}^{2} / \mathrm{cm}$ and 10 mm interaction with $G V D_{e} \sim 5070 \mathrm{fs}^{2} / \mathrm{cm}$ ). For the small scanner 2, we estimated at 840 nm the $G D D$ to be $21300 \mathrm{fs}^{2}$ (total thickness for each element $15 \mathrm{~mm}, 4 \mathrm{~mm}$ interaction with $G V D_{e}=4840 \mathrm{fs}^{2} / \mathrm{cm}, 11 \mathrm{~mm}$ interaction with $G V D_{o}=4720 \mathrm{fs}^{2} / \mathrm{cm}$ ). Both values are in good agreement with the values deduced from the experiments.


Fig. 3. Temporal compensation. Pulse duration (fs) as a function of the AOM-AOD distance (D) measured: A) at 820 nm for the large scanner 1 ; B) at 840 nm for the small scanner 2. The lines are fit to the data using Eq.3. C) Pulse duration (fs) measured as a function of the wavelength $\lambda(\mathrm{nm})$ for the scanner $1(\mathrm{D}=63 \mathrm{~cm})$.

We measured for the large scanner 1 by how much the pulse duration varied when the wavelength was changed. Optimal pulse compensation was obtained at different distances $D$ depending on the wavelength and typically varied by 10 cm for a 50 nm change in wavelength. Experimentally, it is hardly possible to vary $D$ rapidly during an experiment, since AOD have to be aligned precisely to obtain maximum diffraction efficiency. A more practical configuration was obtained by keeping the distance $D$ fixed while varying the wavelength (Fig. 3(c)). In this case, the pulse duration varied from 93 fs to 195 fs over the scanner bandwidth ( $720 \mathrm{~nm}-870 \mathrm{~nm}$ ). Such pulse durations are still very convenient for most two photon microscopy experiments.

### 4.3 Pulse front tilt and spatial chirp

GRENOUILLE traces allow us to give an estimation of the spatio-temporal distortions of the pulse. Spatial chirp is evidenced as a non-symmetrical trace with respect to the wavelength axis, whereas pulse front tilt is shown by a shift of the trace along the delay axis [15, 17-19]. Figure 4 shows the GRENOUILLE traces obtained with the two AOD systems at different distances $D$. In the case of the large scanner 1, the shape of the GRENOUILLE traces were symmetrical with respect to the vertical axis, whatever the distance D (Fig. 4a). In the case of the smaller scanner 2, a shear was clearly observed for $\mathrm{D}=75 \mathrm{~cm}$ (Fig. 4(b), $\mathrm{D}=75 \mathrm{~cm}$ ). The comparison between the two GRENOUILLE traces demonstrates that spatial chirp was specifically present in the case of the small scanner, as expected from Eq. (8). Moreover, this effect was clearly evidenced at larger distances $D$, as shown from Eq. (8), typically above ~ 50 cm . In opposition, for the scanner 1 , no spatial chirp was evidenced by the GRENOUILLE whatever the distance $D$. This can be attributed to the fact that the dimension of the beam used with the scanner 1 was very large, and therefore the ratio given by Eq. (8) and characterizing the importance of SC remains small at all distances.


Fig. 4. Spatio-temporal distortions. GRENOUILLE traces measured for 3 AOM-AOD distances: A) for the scanner $1(D=54 \mathrm{~cm}, \mathrm{D}=64 \mathrm{~cm}$ and $\mathrm{D}=75 \mathrm{~cm}) \mathrm{B})$ for the scanner 2 $(D=17 \mathrm{~cm}, D=40 \mathrm{~cm}$ and $D=75 \mathrm{~cm})$. C) Pulse front tilt as a function of the distance $D$ for the scanner $1(\bullet)$ and for the scanner $2(\circ)$. Horizontal bar: 100fs, vertical bar: 1 nm .

GRENOUILLE also allows us to estimate the PFT as a function of the distance $D$. Figure 4 c shows that the PFT decreases as function of $D$ from a positive to a negative value and reaches a value close to 0 at the distance where the pulse duration was minimum. At that distance, for both scanners, a residual PFT was often found (of the order of $\sim 0$ to $10^{-4} \mathrm{rad}$ ) and was very sensitive to the alignment of the setup. Therefore the GRENOUILLE allows control and minimization of the PFT due to the AOM-AOD scanner.

## 5. Discussion

In the recent years, many groups have designed two-photon microscopes incorporating AOD scanners and have tried to compensate for spatial and temporal dispersions by different methods including additional optics as prisms, gratings or AOM. First setups were using separate devices for both compensations, whereas it has been shown recently that a single prism or AOM placed at the correct distance of the AOD could correct both simultaneously. However, these compact and easier to align setups were not characterized in terms of spatiotemporal distortions (SC and PFT) which are inherent to a single pass in two refracting devices and might occur in misaligned systems. Since AOD alignment is delicate in this configuration and since SC and PFT might affect two-photon fluorescence excitation, it is important to characterize them properly. Moreover, a severe limitation of AOD is the FOV which can be achieved since their physical dimension is limited in standard systems ( 4 mm in most publications), for a scanning range of about 40 mrad . This aperture is even more limited if the AOM is placed at distance to the AOD for simultaneous compensation of temporal dispersion. This paper shows that very large aperture AOD might be used in two-photon microscopy without introducing spatio-temporal distortions and providing very large $F O V$.

We have shown that a 13 mm aperture AOD offering potentially a FOV of typically $300 \mu \mathrm{~m}$ using a 20 X objective can be used over a bandwidth of 160 nm . Spatial compensation at all wavelengths is achieved using an AOM of identical aperture, whereas temporal dispersion compensation is obtained at an AOM-AOD distance of 63 cm . This distance is in agreement with the expected value of the GDD introduced by AOD knowing their physical dimension
and the GVD of $\mathrm{TeO}_{2}$. We obtained an excellent temporal compensation which allows using an almost fully compensated pulse in a two-photon microscope.

Finally, these large AOD limit the SC introduced by the single pass configuration. Spatial chirp is due to the spatial separation of the pulse wavelengths after the AOD relative to the beam diameter. Since AOD scanners whatever their size introduce the same angular dispersion and since temporal compensation is obtained at distances of same order of magnitude, the use of larger AOD minimizes SC. This might be a great advantage compared to smaller systems where SC will eventually lead to temporal pulse broadening in scattering or aberrant media. E.g. in non-linear microscopy, high numerical aperture objectives are used to image deep in highly scattering medium. In presence of SC, the different frequencies of the pulse travel different path lengths in the tissue. As a result of scattering, the pulse at the objective focus might contain fewer frequencies as expected, thus increasing the pulse width. Finally, the use of the GRENOUILLE allows also finely minimizing the PFT so that it almost vanishes at the distance which compensates for the temporal dispersion. Our experience shows indeed that PFT is often encountered when the AOM AOD scanner is not properly aligned with a GRENOUILLE.

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