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# Measuring image concern* 

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#### Abstract

It is now well documented that individuals tend to change their behavior when their actions are observed by others. Yet there is no systematic way of measuring this dimension of preferences at the individual level. In this paper, we propose and validate a novel experimental game to measure individual sensitivity to social image. We document substantial heterogeneity in the level of image concern. We show that image concerned individuals tend to be less cooperative in a repeated prisoner's dilemma, especially when their actions cannot be observed by others. Finally, we present evidence suggesting that the level of image concern is uncorrelated with observer characteristics, with one exception: members of ethnic minorities appear less sensitive to being observed by another member of a minority group.


## JEL Classification: D03, D64

Keywords: image concern, experimental measurement, repeated prisoner's dilemma

[^0]
## 1 Introduction

Individuals behave differently when their choices and actions can be observed by others. This fact is now well documented empirically (Ariely et al. (2009), Andreoni and Petrie (2004), Bursztyn and Jensen (2015)) and some important theoretical implications have been drawn (see for instance Bénabou and Tirole $(2006,2012)$, Ellingsen and Johannesson $(2008,2011)$ or Andreoni and Bernheim (2009)). Yet little is known about the drivers or the consequences of image concern. One of the main reasons for this gap in the literature is that there is currently no systematic way of measuring individual sensitivity to perceptions by strangers. ${ }^{1}$

The first goal of this paper is to propose an experimental game designed to measure image concern at the individual level. A key feature of its design is its ability to identify image concern separately from other social preferences. The second goal of the paper is to use this game to examine whether image concern is linked to other social preferences.

The image concern game we propose involves three players: a dictator (he), a recipient and an observer (she). The dictator determines how much money to transfer to a lottery with two possible outcomes: success, in which case the recipient receives a given amount of money, or failure, in which case the recipient receives nothing. The more money the dictator transfers, the higher the chances of success. The dictator takes his decision knowing that the observer will be informed of the outcome of the lottery. Before the lottery is actually run, the dictator has to reveal his willingness to pay to remain anonymous (in an incentive compatible way), i.e. for his picture not to be revealed to the observer in case the lottery is a failure. The recipient never sees any pictures. The observer sees only the outcome of the lottery, not the amount the dictator actually transferred.

There are two main aspects that drive the structure of this game. First, image concern is easily measured by the willingness to pay to remain anonymous in case the recipient remains emptyhanded. Second, if some reasonable properties of the utility function are satisfied, this measurement proves independent of other social preferences including altruism. In case the dictator does not remain anonymous, the observer does not find out how much was contributed to the lottery, only that the lottery was a failure. Thus, the inference the observer makes when she sees the picture is an updated belief on the characteristics of the dictator conditional on the fact that the lottery was a failure, and this belief cannot be conditioned on the actual amount transferred. Separating our measure from other social preferences is essential to understand the specific drivers of image concern and to show how it correlates with these other dimensions of preferences.

The game is sufficiently portable to be used in future lab or lab-in-the-field experiments to yield a measure of image concern that can be correlated with other experimental outcomes. We made sure that the game did not require complicated repeated interactions and could even be run without the different parties being present at the same time, as long as the authenticity of the participants' photos could be ensured. It is, however, less portable than other games aimed at

[^1]measuring social preferences such as the trust game or the dictator game. As any setup aimed at measuring image concern will require a mechanism to vary the degree of anonymity, for instance by using pictures, this seems inevitable. We will discuss this aspect further in our conclusion.

Running this game in the lab, we find substantial heterogeneity: about one third of the participants chooses not to pay anything, while one third gives even large amounts to remain anonymous. We show that few characteristics of the observer significantly impact the willingness to pay to remain anonymous. This is encouraging evidence of the portability of the setup. ${ }^{2}$ Nationality seems to be the exception: Non-French individuals pay significantly less for anonymity when facing other non-French observers and slightly more when observed by French observers, a fact linking nicely to the literature on discrimination. ${ }^{3}$ One possible interpretation is that non-French participants fear that due to prejudice, French observers will interpret a failed outcome of the lottery more adversely than non-French observers.

We validate our measure of image concern in three different ways. First, we show that it significantly correlates with a survey question administered at the end of the experiment. ${ }^{4}$ Second, we use a simple model to derive an implication of image concern and show that it stands in the data: more image concerned individuals transfer more in the first lottery to avoid situations where they would have to pay for anonymity. ${ }^{5}$ Finally, we show that in an infinitely repeated prisoner's dilemma game, more image concerned individuals adapt their behavior to the social norm much more than others when playing in the presence of observers.

This last element of validation leverages an infinitely repeated prisoner's dilemma game, which participants played in the second phase of the experiment. In half of the sessions the game was played with observers, in the others without. We asked observers to rate the behavior of those they observe after each round so as to document what actions are judged positively by the community and identify the prevalent social norm. Using the repeated games, we first show that more image concerned individuals, when not observed, tend to cooperate less than others. We argue that this is evidence in favor of the fact that more image concerned individuals tend to be more selfish. Second, as mentioned above, comparing treatments run with observers to those without, we can show that more image concerned individuals correct their behavior in the direction of the social norm more than others - at least when they are observed by others.

In the last section of the paper we discuss different properties of the image concern game. We also show that our main results are robust to adjusting for multiple hypothesis testing, following

[^2]an approach proposed by Benjamini and Hochberg (1995).
Our paper is closely connected to the empirical literature on the influence of being observed, using both field and lab experiments. We differ in both our goal and approach. The goal of most of these papers is to document the average influence of being observed by comparing average differences between treatments. We, on the other hand, are interested in individual measurements and individual consequences. Ariely et al. (2009), for instance, compare effort levels in treatments that varied in three dimensions: Subjects were either observed or unobserved, received monetary incentives or not and contributed either to a "good cause" (Red Cross) or a "bad one" (NRA). They find that being observed increased effort levels only when subjects did not receive monetary incentives and only when they volunteered for a good cause. Andreoni and Bernheim (2009) derive a model that can explain the strong prevalence of 50-50 splits in the dictator game by individuals' desire to be perceived as fair by others. They show that their model is confirmed by data from a modified version of the dictator game in which transfers to the recipient are sometimes determined randomly, rather than by the dictator. Ekström (2012) finds that norm compliance can be increased even by subtle clues of observation, such as pictures of human eyes. Riyanto and Zhang (2015) deviate from this tradition by eliciting the willingness-to-pay of participants in a dictator game to avoid seeing other people's opinion on their action. However, their design can only capture the dictator's self-image concern and not their concern for others' opinion of them.

There is also a strand of the literature documenting consequences of being image concerned. Lacetera and Macis (2010) show that blood donors increased the frequency of donations in order to reach thresholds which would earn them prizes, but only if the prizes were publicly announced and awarded. This suggest that image concern can be an important driver of unselfish actions. Dellavigna et al. (2012) show that notifying residents in advance of a door-to-door fundraiser significantly decreases the share of households opening doors, one possible interpretation being that image concerned individuals attempt to avoid the pressure. Bursztyn and Jensen (2015) show that image concern can affect educational choices and show the importance of the observer's identity.

Further evidence on the consequences of image concern has been gathered using laboratory experiments, where typically behavior is compared across treatments with and without observers. Andreoni and Petrie (2004) find that contributions in a public goods game increased when the players were not anonymous. Dana et al. (2006) offer participants a costly possibility to opt out of a dictator game and show that giving in the dictator game is in part motivated by participants not wanting to appear selfish. In the same spirit, other contributions find that providing options for the participants to overcome their moral dilemmas significantly lowers transfers (Rege and Telle (2004), Samek and Sheremeta (2014), Dana et al. (2007)).

We point out one branch of the literature that tries to find individual proxies for image concern. Carpenter and Myers (2010) use data on the purchase of vanity plates by firefighters that make them identifiable as such at all times. They show that this proxy can predict higher responses to emergency calls but has no effect on less visible activities such as training. In a study of Wikipedia, Algan et al. (2013) use the size of the contributor's page and the extent to which they choose to
display awards as a proxy for image concern. ${ }^{6}$ We share the goal of these papers to find individual proxies for image concern but try to determine a less context specific measure exploitable in a wide variety of settings.

Our approach is similar to some extent to the approach in the literature on trust. Analogously to Glaeser et al. (2000), Fehr et al. (2003) and Sapienza et al. (2013), we compare measurements of preferences obtained by survey questions to those resulting from laboratory experiments. Our results also link us to the literature on racial discrimination and bring a new twist by documenting that non-French subjects are only image concerned when facing French individuals. There is a growing literature experimentally studying issues of discrimination and prejudice (for instance Fershtman and Gneezy (2001)). Here what seems to play a role is the fear of prejudiced reactions.

Finally, the second phase of the experiment relates to the literature on infinitely repeated games in the lab (Dal Bó and Fréchette (2011); Dal Bó (2005) among others). To the best of our knowledge, it is the first time an infinitely repeated prisoner's dilemma is played with observers, a side contribution of our paper. ${ }^{7}$ In addition to our analysis of image concern, our study also allows for a better understanding of the social norms governing those games, using the ratings by observers of the behavior of participants.

The remainder of this article is organized as follows. Section 2 introduces the image concern game and a conceptual model to analyze it. Section 3 presents its results. Section 4 analyzes the relation between our measure of image concern and behavior in an infinitely repeated prisoners dilemma game. Section 5 discusses robustness and potential concerns and section 6 concludes.

## 2 Measuring image concern: concept and procedure

Although being observed by strangers has been shown to impact behavior and many models include a term corresponding to image in the utility function, there is no unified concept, model or even terminology. We therefore start in section 2.1 by defining the concept we want to measure, then introduce in section 2.2 the image concern game we propose to perform this measurement and analyze the game in section 2.3. Section 2.4 details the setup of the experiment.

### 2.1 Conceptual framework

We define the image concern of an individual as the degree to which anonymous strangers' opinion of him affects his utility. Specifically, the utility of individual $i$, when he consumes $c_{i}$ and others consume $\mathcal{c}_{-i}$ and when the image others have of him is denoted $R_{i}$ (defined formally below), is

[^3]given by:
\[

$$
\begin{equation*}
U_{i}=V_{i}\left(c_{i}, c_{-i}\right)+\mu R_{i} \tag{1}
\end{equation*}
$$

\]

The term $\mu$ measures image concern, the dimension of preferences we want to measure. This has been sometimes called "concern for social image" (Andreoni and Bernheim (2009)) or "image motivation" (Ariely et al. (2009)). Note that the utility function can include other social preferences such as altruism, since the consumption of others directly enters the utility function.

Suppose the characteristics or type of the individual is multidimensional $v^{i}=\left(v_{1}^{i}, \ldots, v_{K}^{i}\right)$. The characteristics could be altruism, reciprocity or other individual characteristics that could potentially influence the shape of the function $V_{i}$. The characteristic $k$ for individual $i$ is drawn from the distribution $\Phi_{k}^{i}$. The image term $R_{i}$ corresponds to the beliefs others hold on $i$ 's characteristics. Specifically, we assume that for a given characteristic $k, R_{i}$ is the difference between the expected value of characteristic $k$ for individual $i$ and the average value of the characteristic in the population $v_{k}^{0}$. Finally, we assume that individual $i$ might not care in the same way about the image he conveys on the different characteristics. We therefore introduce weights $\gamma_{k}^{i}$ on characteristic $k$, so that $R_{i}$ is given by:

$$
\begin{equation*}
R_{i}=\sum_{k=1}^{K} \gamma_{k}^{i}\left(E\left[v_{k}^{i}\right]-v_{k}^{0}\right) \tag{2}
\end{equation*}
$$

The expectation $E\left[v_{k}^{i}\right]$ is affected by observable actions taken by individual $i$ as in the case of the image concern game we introduce in the next section, where the observer updates her beliefs about the sender based on the outcome of the lottery if she observes it.

### 2.2 The image concern game

The image concern game we propose is played between three players: the dictator (he), the recipient and the observer (she). The game is played as follows:

1. The dictator sees the photo of the observer but the observer does not see any pictures yet. The recipient never sees any pictures (neither of the observer nor of the dictator) throughout the game.
2. The dictator receives 100 tokens. He decides how much to allocate to a lottery. The lottery has two possible outcomes: success, in which case the recipient receives 50 tokens or failure, in which case the recipient receives nothing. For each token paid by the dictator, the chances of success increase by one percent, i.e. if the dictator gave an amount $X \in(0,100)$, the probability that the lottery is a success is $X / 100$.
3. Before the lottery is run, the dictator chooses the maximum amount $b$ he is willing to pay to remain anonymous in case the lottery results in a failure. To ensure truthful answers, we use a Becker-DeGroot-Marschak (BDM) type mechanism. ${ }^{8}$

[^4]4. The lottery is carried out:
(a) If it is a success, the recipient receives 50 tokens and the picture of the dictator appears on the screen of the observer.
(b) If it is a failure, the recipient receives nothing and the BDM mechanism comes into play. A random number $r \sim U(0,100)$ is drawn. If $r \leq b$, the dictator pays $r$ and remains anonymous (the observer does not see the dictator's picture). If $r>b$, the dictator pays nothing and the observer sees the picture of the dictator. In both cases, the observer learns that the lottery outcome was a failure.

No matter the result of the lottery, neither the observer nor the recipient ever learn the amount actually chosen by the dictator in either step. They are only informed about the outcome of the lottery.

As suggested in the introduction, there are several key ideas that underly the setup of this game.
First, the individual image concern can be measured by the willingness to pay $b$ to remain anonymous, chosen in step 3. This is formally shown in Proposition 1 for the case of separable cost functions. Participants who are image concerned would prefer to remain anonymous, since if the recipient did not receive any money in the lottery, the observer would infer that they behaved selfishly.

In practice, image concern can also lead individuals to pay to make themselves visible when they have behaved generously. For example, Carpenter and Myers (2010) use the purchase of vanity license plates as an indicator of sensitivity to image concerns. However, we deliberately set up the experiment using avoidance of negative perception rather than bidding for positive image in order to rule out that bidding itself could be adversely interpreted. We were concerned that participants would not want to be perceived as showing off if they paid to be visible, blurring the measurement of image concern. We thus opted for a set up that corresponds to situations in which people incur cost of effort in order to cover up behavior that might be interpreted negatively by others. ${ }^{9}$

Second, we chose to have three players, rather than just a dictator and a recipient, in order to withhold the identities of dictators and recipients from each other. We believe we needed the dictator to see a picture to personify the potential observer. Without a picture, the fact of being observed would have been too abstract. Given this need for a picture, we preferred adding a third party as observer for three reasons. First, if the dictator's picture was shown directly to the recipient, dictators might worry about retaliation outside the lab. Retaliation by a third party not directly affected by the dictator's decision seems far less likely. Second, this setup guarantees that dictators are not influenced by the recipients' characteristics visible on the picture (such as the perceived needs). Finally, it allowed us to test for the effect of observer characteristics, such

[^5]as gender. Note that if these issues do not appear to be of first order for the experimenter, the experiment can be run in a simpler version with just a dictator and a recipient. This may be the case in experimental settings where retaliation outside the lab is unlikely, for instance in large online surveys. As we report in section 5, observer characteristics seem to play a minor role.

Third, the decision to pay for anonymity is separated from the amount actually transferred in the lottery by the dictator. Regardless of how much the dictator gave in step 1, the inference that an observer makes about the dictator's generosity when she sees a failure is the same since she does not observe the actual amount transferred. This is also clarified below in Proposition 1. Intuitively, the fact that the measurement is not confounded by altruism becomes clear when considering two dictators with the same image concern but different levels of generosity. In our setting, the two dictators will give different amounts in the lottery but will bid the same way for anonymity. We could have chosen a setting where dictator and recipient play a classical dictator game and the dictator first has to bid for anonymity given that the amount transferred will be revealed to the observer. In such a case, the more generous dictator would still transfer more than the other in the lottery, but would then bid less for anonymity since he would have less to be ashamed of. We would thus mistakenly conclude that the first dictator was less image concerned. Our game, at a slight cost of complexity, is designed to overcome this potential issue.

Fourth, image cannot lead to future material payoffs since the participants are randomly rematched in later stages in the game. Payoffs from future interactions outside the lab are unlikely as most of the lab participants do not know each other and we control for this factor when they do. ${ }^{10}$

### 2.3 Analysis of the game

We clarify the claims made above by deriving theoretically the equilibrium choices in the experiment if the utility of participants is given by equation (1).

The dictator has two choices to make: the amount $X$ he transfers to the lottery and the amount $b$ he bids to remain anonymous (both variables are normalized by 100, so that for instance the probability of winning the lottery is $X$ ). We put more structure on the function $V_{i}$ introduced in equation 1 . We denote $v^{i}(1)$ the utility of dictator $i$ net of costs and reputation if the lottery is a success (and the recipient receives the 50 tokens), while $v^{i}(0)$ is the corresponding value in case of a failure. Thus $v^{i}=v^{i}(1)-v^{i}(0)$ measures the altruism of individual $i$. This will be the only characteristic defining the type (i.e. the number of characteristics is $k=1$ ).

We assume in the following that the cost functions of giving to the lottery and bidding for anonymity are separable. We denote $c_{1}(X)$ the strictly increasing and convex cost function of giving to the lottery and $c_{2}(b)$ the strictly increasing and convex cost function of bidding for

[^6]anonymity. Individual $i$ thus chooses $X$ and $b$ to maximize
$$
X \underbrace{\left[v^{i}(1)+\mu R_{1}^{*}\right]}_{\text {payoff when lottery succeeds }}+(1-X) \underbrace{\left[v^{i}(0)+(1-b) \mu R_{0}^{*}-b c_{2}(b)\right]}_{\text {payoff when lottery fails }}-c_{1}(X)
$$
where $R_{l}^{*}=E[v \mid l]-v_{0}$, where $v_{0}$ is the average altruism under the ex ante distribution, and $E[v \mid l]$ is the expectation of $v$ conditional on the outcome $l \in\{0,1\}$ of the lottery. A successful outcome brings a positive image since it signals that the dictator has likely transferred more money, $R_{1}^{*}>0$, while a failure is a bad signal $R_{0}^{*}<0$, as we show in the proof of Proposition 1. Note that compared with equation 2 , we implicitly suppose that $\gamma_{1}^{i}=1$. In any case in the data, $\mu$ and $\gamma_{1}^{i}$ cannot be identified separately, since there is a single characteristic $k=1$.

We obtain the following results:
Proposition 1: In an interior equilibrium, if the cost functions are separable, the bid for anonymity $b^{*}$ of an individual is strictly increasing in image concern $\mu$. Furthermore:

1. the bid for anonymity $b^{*}$ of an individual is independent of the altruism $v$,
2. the transfer to the lottery $X^{*}$ is increasing in the altruism $v$ and in image concern $\mu$.

Proof: see appendix A. 1
Under the assumption that the cost functions $c_{1}$ and $c_{2}$ are separable the bid for anonymity is increasing in image concern. In appendix A. 2 we discuss the conditions under which this results hold in the non-separable case as well. Two additional results are obtained under the separability assumption. First, our measurement of image concern is independent of altruism $v$. The idea behind this result is that the bid matters only in the case the lottery is a failure, and conditional on a failure, the amount $X$ actually invested no longer plays a role. This is a key feature that drove the design of our experiment. Second, under the assumption that $v$ and $\mu$ are not correlated, more image concerned individuals will tend to invest more in the lottery to avoid having to pay for anonymity. Indeed, more image concerned individuals know that a failed outcome will be more costly for them as they will have to pay more for anonymity. This is consistent with the interpretation given in Dellavigna et al. (2012), who show that notifying residents in advance when a door-to-door fundraiser takes place significantly decreases the share of households opening doors. One possible interpretation for this finding is that image concerned individuals attempt to avoid the pressure. Our individual level measure of image concern allows us to show even more precise evidence of such a mechanism. This last prediction of Proposition 1 is used in section 3.2 as one of three methods to validate our measure of image concern. Note that it does rely on the assumption that the level of image concern is uncorrelated with altruism. A sufficiently large negative correlation could reverse the result.

### 2.4 Experimental setup

### 2.4.1 Organization of the sessions

The experiment was computer-based and there was no communication between subjects. All participants were seated in the same room, separated by screens, and briefed together. Before the experiment started, a picture was taken of each participant and fed into the experimental software, so that subject anonymity could be removed in a controlled manner. The participants were informed that the photo would be destroyed immediately after the end of the session. Each session was organized in three phases:

1. Participants played four successive and independent rounds of the image concern game. They were randomly assigned to be either a dictator, a recipient or an observer and informed of their assignment. They kept this role for the four rounds. At the beginning of each round, a photo of the observer was shown to the dictator (in the right panel of his screen as shown in Figure 6). At the end of each round, dictators were rematched with different observers and recipients. In each round an observer was assigned two dictators. No dictator encountered the same observer or recipient twice.
The players were informed that they would play four rounds but that only one of them would be selected at random to determine their payoffs. Nevertheless, at the end of each round, they observed the outcome. The payoff of the dictator and the recipient depended on the dictator's choice and the outcome of the lotteries, as described in section 2.2. The observers, on the other hand, received a fixed payment of 40 tokens per round, independent of other players' actions.
2. Subjects played a repeated prisoner's dilemma game described below. In half of the sessions, the prisoner's dilemma games were run with third party observers, in the others without. The main goal of this additional stage is to provide an additional method to validate our measure of image concerns.
3. A survey was conducted containing the main question we use as validation for our image concern game, as well as questions on socioeconomic information. We also included a general question on risk-taking that has been shown to be strongly correlated with incentive compatible measures of risk-preferences and to predict risky behavior (Dohmen et al. (2011)).

At the beginning of each phase, participants received a copy of the instructions, which were then read out loud by the experimenters. Participants filled out a brief questionnaire to check their own understanding and could ask questions in private. The experimenter then read out the correct answers to the questionnaire, making us confident that subjects accurately understood the instructions.

### 2.4.2 Infinitely repeated prisoner's dilemma

Players were organized in pairs and played the following prisoner's dilemma with payoffs presented in Table 1.

Table 1: Payoffs of prisoner's dilemma

|  | C | D |
| :---: | :---: | :---: |
| C | 8,8 | 0,10 |
| D | 10,0 | 4,4 |

The infinitely repeated game was implemented using a random continuation rule where at the end of each round there was a probability of $7 / 8$ that another round was played in the game. ${ }^{11}$ After the last round of a game had ended, the participants were rematched so that no group of subjects encountered each other more than once. The participants were informed that they would play exactly three games. In practice, as in Peysakhovich and Rand (2015) and Fudenberg et al. (2012), we did not randomize the number of rounds within a game during the session but before since we wanted to compare behavior across treatments and thus wanted games of identical length. We followed the randomization chosen by Peysakhovich and Rand (2015), who also used a continuation probability of $7 / 8$, and we chose exactly the same length as in the first three games described in their paper. Given this approach, each participant played three games, the first with 12 rounds, the second with one round and the third with three rounds. ${ }^{12}$

In half of the sessions, the actions of both players in the prisoner's dilemma were visible to an observer who did not have any stakes in the game. Each observer was assigned to two pairs of players. The observers saw the players' photos and computer names, as well as the decisions they made in the game. A picture of their observer and his or her computer name was visible on the players' screens while they took their decisions. Observers had to indicate whether they had met the other participants before and were asked in each round, after having observed the choice of the players, how they rated their behavior in the game.

The payoff in this phase of the experiment was the sum of payoffs in all rounds. The observers received a flat payment of 5 tokens per round that was independent of the players' actions.

### 2.4.3 The sample

The experiment was conducted in May and September 2014 at the Laboratoire d'Economie Experimentale de Paris. The lab has access to a subject pool that comprises individuals not affiliated to any university as well as students and staff. Table 2 provides descriptive statistics both for the full

[^7]sample and for the sample of participants for whom we have an image concern measure, i.e. who played the image concern game as dictators. The sample is fairly balanced in terms of gender and marital status and is not exclusively composed of students (61 percent of students in the dictators sample). The majority of participants is French and most of those who report not being French are from North African countries.

While the experiment was ongoing, we documented whether participants smiled or frowned on their pictures, and whether the picture was blurry or participants had their eyes closed. ${ }^{13}$ To accommodate privacy concerns, we deleted all pictures immediately after each session.

Each of the 13 sessions involved exactly 20 participants. In the image concern game, eight of those participants were assigned to the role of dictator, eight to the role of recipient and four to the role of observer (observers were in charge of two dictators in each round). For the prisoner's dilemma, half of the subjects played with observers and half without. Overall this gives 260 subjects, out of which 104 played the image concern game in the position of dictator. On average, subjects received $€ 16.74$ for participating in the experiment, including a fixed $€ 4$ show-up fee. ${ }^{14}$

## 3 Measuring image concern: the results

### 3.1 Heterogeneity in image concern

The image concern game is designed to measure image concern in a straightforward way using the willingness to pay for anonymity. In principle, only one round of the game is needed to obtain a measurement. However, we ran four successive rounds with rematching in order to assess the impact of observers' characteristics on the measure. For each individual, we thus have four individual measures that we could potentially combine in different ways. However, we find little variability in aggregate bidding behavior: The average value of $\mu$ does not vary much across rounds, except for the last round where it is slightly but not significantly lower. Individuals' bids are also highly persistent across rounds. For the remainder of the paper, we will therefore use the bid for anonymity in the first round as an individual's measure for image concern. ${ }^{15}$ To facilitate interpretation we divide it by its standard deviation wherever it is used as an explanatory variable.

The results of the experiment reveal significant heterogeneity in terms of image concern. The distribution of the bids for anonymity chosen in the first round is given in Figure 1 (a). ${ }^{16} 40$ percent of the sample is completely insensitive to image, i.e. does not pay to stay anonymous. On the contrary, more than 22 percent seem quite sensitive and give more than 20 tokens to stay anonymous in the case of an adverse lottery outcome. Since this is the first study to measure individual sensitivity to image using an experimental game, it is difficult to compare the distribution to existing results. As a reference point, Carpenter and Myers (2010) find that 23 percent of firefighters

[^8]Figure 1: Distribution of transfers and bids in the image concern game


NOTES. This figure plots a kernel density estimates of (a) dictators' image concern as measured by their first bid for anonymity (Epanechnikov, bandwidth $=5.3$ ) and $(b)$ amounts transfered to the lottery by dictators in the first round (Epanechnikov, bandwidth $=6.4$ )
in their sample purchase a vanity plate for their car, which is the proxy the authors interpret to identify image concerned individuals.

Dictators' transfers to the lottery exhibit substantial heterogeneity as well (see Figure 1(b)). Only 20 percent of dictators do not contribute anything to the lottery that benefits the recipient, the average amount transferred is around 19 tokens and its standard deviation is 19 . While the average transfer remains largely stable across the four rounds, the share of non-contributions seems to be weakly significantly higher in the last round. ${ }^{17}$

In our small laboratory sample, sensitivity to image concern does not seem to correlate with socioeconomic characteristics as shown in Table 3. In column 1 we consider the full sample, in column 2 we restrict the sample to those having bid a positive amount for anonymity, while in column 3, we use an indicator variable of whether the bid for anonymity is positive as dependent variable. The only fact that seems to emerge is that women might be more prone to bid something to remain anonymous, even if the amount is low. Of course, one limitation of our study is sample size. Larger samples could potentially uncover correlations that we are not able to find. An interesting direction for further study in this context would be to correlate our measure of image concern with well-established questionnaires from the psychology literature on personality traits, such as the "Big Five" (Costa and McCrae (2008)).

For most of the paper we exclude three outliers who bid more than 90 for anonymity whereas the highest bid among the rest of the population is 75 . The results are robust to the inclusion of these individuals. This leaves us with 101 individuals for whom we have a measure of image concern.

[^9]Figure 2: Image concern levels by answers to the statement "It is important for me not to be perceived as selfish" (scale 0-5)


NOTES. This figure reports the average image concern levels as measured by the first bid for anonymity. The survey question was "It is important for me not to be perceived as selfish" and participants could answer on a $0-5$ scale ranging from "not important" to "very important."

### 3.2 Validation of the game

One key question immediately arises: Are we indeed measuring image concern? There is not, as in the case of trust, a widely accepted survey question convincingly capturing the degree of image concern. We therefore constructed a question that reflects this construct: "It is important for me not to be perceived as selfish" on a $0-5$ scale. We show in Figure 2 the average image concern measure for each of the answers to this question. The more people agree with the statement, the more they were willing to pay for their anonymity in case the lottery outcome in the experiment reflected badly on them. This suggests that our measure does capture the sensitivity to the perception by others.

We confirm these graphical results in Table 4. In column 1 we present the results of an ordered logit where the dependent variable is the answer to the survey question. There is a positive and significant correlation between the bid for anonymity and the answers. ${ }^{18}$ It is important to note that it is the only variable that can explain variations in the answer to that question. In particular, none of our socioeconomic variables turns out to significantly impact the answers. ${ }^{19}$

The association with the natural question in our questionnaire offers a strong initial validation of our measure of image concern. Our second method to validate the measure is to test result 2 of Proposition 1 that stated that more image concerned individuals should bid more in the initial lottery phase of the experiment to avoid situations where they will have to pay to preserve their anonymity. We find in the second column of Table 4 that more image concerned individuals trans-

[^10]fer significantly higher amounts to the lottery: A standard deviation increase in the image concern measure is associated with an increase in transfers by eight tokens. An alternative interpretation of this finding could be that image concerned individuals are just more generous. We in fact show in the next section that the correlation goes in the other direction.

Our third and final method to validate the measure is presented in section 4.4 where we compare sessions where the repeated game was played with observers to those where it was not. We show that more image concerned individuals, as measured by our game, react more to being observed and in particular are more likely to choose the action that observers judged positively.

## 4 Impact of image concern in an infinitely repeated prisoner's dilemma

We now turn to the analysis of the behavior of participants in phase two of the experiment, where they played the prisoner's dilemma. We will exploit both the differences across sessions (sessions with and without observers), as well as individual heterogeneity in image concern within sessions.

The purpose of this analysis is threefold. First, to establish what subjects see as the behavioral norms that prevail in the repeated prisoner's dilemma. Second, to determine whether image concerned individuals behave differently than others with respect to these social norms in the absence of observers, for instance in terms of cooperation rates. Finally, we examine whether image concerned individuals react more than others to the fact of being observed. This will provide further validation of our measure of image concern and inform us on the average effect of being observed in an infinitely repeated prisoner's dilemma game. ${ }^{20}$

### 4.1 Prevailing social norms in the repeated prisoner's dilemma

We hypothesize that more image concerned individuals adhere more closely to social norms when they are observed compared to when they are not. Showing that this is the case requires as a first step to determine what actions in the repeated prisoner's dilemma are considered appropriate by the community, i.e. what is the social norm. We are able to address this interesting and novel question by studying observers' ratings of players' actions. After each round of the game, observers were asked to rate the actions of both players. This allows us to document two social norms:

- Cooperation is judged favorably by observers - independently of partners' previous actions
- Consistent, reliable cooperation garners additional approval by observers

The first point unambiguously appears in Figure 3: Cooperating is highly rated by the observers. However, the perception of observers is also based on a more subtle reaction to the history of play: The positive rating of cooperation is particularly strong when the player also cooperated in the previous round. The observers rate consistency in cooperation very highly. One interpretation could be that they value unconditional cooperators, who consistently avoid deviating.

[^11]Figure 3: Rating of behavior by observer depending on past choices


NOTES. This figure reports average ratings of players' decisions in the infinitely repeated prisoner's dilemma game by outside observers. $95 \%$ confidence intervals in red.

The regression analysis presented in Table 5 confirms these findings. We first note that a certain number of facts not linked to behavior affect the ratings. Students and those who smile in their picture are better rated than others. French observers tend to give significantly lower ratings to their fellow citizens and higher ratings to non-French participants. A possible interpretation for this behavior is that they fear being perceived as prejudiced.

In terms of observed behavior, cooperation indeed significantly increases the rating (Table 5). We also confirm that cooperation following cooperation in the previous round has an additional positive effect on ratings - stability is valued (column 3). On the other hand, there is no significant dependency of the rating on the partner's action in the previous round (column 2). ${ }^{21}$ These social norms will be used in the next sections to determine how image concerned individuals react to observation.

### 4.2 Cooperation rates of image concerned individuals when not observed

In environments where they are not observed, more image concerned individuals are more likely to defect - they fail to comply with the social norm. To show this, we exploit the variation within sessions of the image concern parameter to determine whether more image concerned individuals behave differently than others, particularly in terms of cooperation rates.

[^12]In Table 6 we report the results of a probit regression of the cooperation variable explained by socioeconomic characteristics and by the image concern parameter, restricting attention to treatments where the prisoner's dilemma was played without observers. Regardless of whether we focus on all rounds (column 1), only the first round of each game (column 2) or exclusively on the last game (column 3), we find that the more image concerned individuals cooperate significantly less. This is particularly striking since no socioeconomic characteristic has consistently significant explanatory power.

Cooperation rates in infinitely repeated games can reflect both an intrinsic level of cooperativeness (due to altruism, for instance), but also beliefs about how likely others are to cooperate. ${ }^{22} \mathrm{We}$ favor the interpretation based on altruism since the result seems even stronger when we restrict the sample to the last game (column 3) where beliefs should be less heterogeneous since learning will already have occurred during earlier games. This suggests an initial picture where image concerned individuals appear less altruistic: they are more concerned with themselves and the impression they give to others - a result that should be explored in later work.

### 4.3 The effect of observers in infinitely repeated prisoner's dilemma

On average, individuals are more likely to follow the social norm in the repeated prisoner's dilemma when they are observed. Comparing the average behavior in treatments with observers to those without, we find that cooperation is more likely in the presence of observers. Figure 4 plots cooperation rates for treatments with and without observers over the course of the three games played by participants. The presence of an observer increases cooperation in all rounds of all games. In treatment without observers, the average cooperation rate is 0.3 while it is 0.53 with observers. The difference is significant ( $t=3.04$, adjusting for participant clusters). There seems to be no difference in the decay of cooperation over time or in the intensity of the restart effect.

In the presence of observers participants are also more likely to follow the second norm that appears to influence ratings, the consistency in cooperation. When we restrict the analysis to rounds where the player cooperated in the previous round, the rate of cooperation is 0.66 without observers and 0.77 with observers and this difference is (weakly) significant ( $t=1.70$, adjusting for participant clusters). When on the contrary, we focus on the case where the player deviated in the previous round, the rate of cooperation falls to 0.11 with observers and 0.15 without observers, a difference no longer statistically significant ( $t=1.02$, adjusting for participant clusters). Being observed pushes players to follow the social norm more closely, even along subtle dimensions of the norm. This is coherent with the literature that analyzes behavior in public good games when observed (Andreoni and Petrie (2004)) and other experimental games played with observers.

[^13]Figure 4: Cooperation rates in the infinitely repeated prisoner's dilemma


NOTES. This graph plots average cooperation rates in the infinitely repeated prisoner's dilemma game across the cumulative rounds played in 3 games.

### 4.4 Further validation of our image concern measure

Finally, we use the effect of observers in the repeated prisoner's dilemma to provide further validation of our image concern measure: More image concerned individuals become more prone to behave according to the social norm when observed. As reported in Table 7, image concerned participants react more than others to the presence of observers. The interaction term between image concern and being observed in column 3 positive and significant. However, this is not the case immediately and only becomes apparent in later games when participants have learned the dynamics of the game (column 4).

Similarly, under observation, image concerned individuals also react more strongly to the social norm of consistency in cooperation, which was highly rated by observers. This can be seen graphically in Figure 5, where the first row is for individuals who are not very image concerned (below median of 10) and the second row is for those who are very concerned (above median): For individuals who cooperated in the previous round, the effect on cooperation of being observed is much stronger when the individual is image concerned than when not.

These results are confirmed in Table 8. In column 1 we restrict the sample to non-observed sessions and we see that more image concerned individuals tend to cooperate less after a round where they cooperated than less image concerned individuals. However we see in column 2 that for observed sessions, this effect disappears. Image concerned individuals seem to take into account the fact that this lack of consistency in cooperation is badly perceived by observers. This is

Figure 5: Cooperation rates depending on past behavior and presence of observers


NOTES. This figure contains average cooperation rates in the infinitely repeated prisoner's dilemma game along with $95 \%$ confidence intervals. The top and bottom row report averages for participants with image concern levels below and above the median of 10 , respectively. The left column contains cases in which the player deviated in the previous round, the right column corresponds to previous cooperation.
confirmed in column 3 where the interaction term between the level of image concern, cooperation in previous round and the fact of being observed is positive and significant.

## 5 Discussion

We have presented in this paper a novel experimental game to measure image concern, validated the measure and presented initial facts about image concerned individuals. We now discuss some of the possible issues that might be raised about this game.

## Experimenter as observer

One might worry that the dictator is under the impression that he is being observed, not only by the observer in the game, but also by the experimenter. If the dictator believes that the experimenter can see how much he pays to be anonymous and if he thinks the experimenter will adversely interpret payments for anonymity, it could imply that image concerned individuals could be less inclined to give than if the experimenter was not present.

We took several precautions to limit this potential problem. First, we clearly told the participants that they would remain anonymous from the point of view of the experimenter. They were told that the photos would be deleted at the end of the session, and that we would of course
preserve their anonymity while we conduct the analysis. Furthermore, while the picture of the observer was always visible on the screen of the dictators, the experimenter was not visible during the experiment.

However, even if despite these precautions subjects were still influenced by the experimenter, this would have little impact on the results presented here. It would only decrease the variance in the answers but not change the ranking of individuals in terms of $\mu .{ }^{23}$ The fact that we find a high degree of heterogeneity in the population, suggests that even if this effect were present, it would not be large.

## Shy individuals

Another potential worry could be that our experiment just measures how shy an individual is: Some people might be ready to pay for their picture not to be shown, even if no actions are revealed. We believe that the three different validation methods of our measurement that we presented in section 3.2 and 4.4 reject this alternative story. There is no reason for shy people to systematically answer our survey question differently or to follow the social norm when they are observed in the infinitely repeated game. It might nevertheless be interesting to run an alternative experiment where the decision would be to pay not to have a picture revealed without any actions being attached to it.

## Different sensitivities depending on the characteristic

In our experiment, the inferences that the observer can make about the characteristics of an individual is restricted to the level of altruism. It is conceivable that individuals might care differently about their image depending on the characteristic at stake. Using the terminology of the model, for different characteristics $k$, the $\gamma_{k}^{i}$ might be different (see equation (2)). We cannot test this directly, but we found that those individuals identified as being image concerned in our game also react to observers in situations where their actions reveal different things than altruism: For instance, they respect the second norm of behavior in the repeated prisoner's dilemma more, a norm that has less to do with altruism. This question nevertheless remains one that should be examined in future research. ${ }^{24}$

## Observer characteristics

The dictator's willingness to pay to remain anonymous in the image concern games seems not to be influenced much by the observer's characteristics - at least in our small laboratory sample. We investigate the four features that participants could easily infer from the pictures of observers: gender, approximate age, nationality (French vs. non-French) and facial expression. Table

[^14]9 presents the results. Column 1 shows that none of these features have any influence on average. The fact that the observer smiles has a slight positive impact that tends not to be significant.

Columns 2 to 4 introduce interaction terms to understand the role of observers in more detail. While we find no significant effect for age and gender, Non-French dictators appear to be less concerned about their image when they are observed by another non-French participant and slightly but not significantly more when observed by a French. ${ }^{25}$

The fact that bids for anonymity seem not to be driven by the observer's characteristics suggests that the image concern game can be used in a wide range of contexts inside and outside the laboratory. However, experimenters should account for the differential response participants may have when observed by a minority member.

## Multiple hypothesis testing

A growing body of literature highlights the risk of false discoveries when testing multiple hypotheses within the same experiment (see for instance List et al. (2016)). Indeed, when analyzing several subgroups and correlating multiple survey questions and experimental outcomes, one may worry that rejecting null hypotheses at traditional significance levels leads to an elevated risk of type I error. We thus conduct additional robustness checks to minimize the risk that any of the results presented above are false discoveries. Following an approach proposed by Benjamini and Hochberg (1995), we collect all the hypotheses tested in the regressions and apply their method to control the False Discovery Rate (FDR), defined as the share of false rejections among all rejections. The resulting corrected p -values ( q -values) associated with all the hypotheses investigated in this paper are reported in Table 10. They should be interpreted as the minimum FDR for rejection of the associated null hypothesis of no effect.

Despite the fact that this method is much more conservative than regular hypothesis testing, our main results still hold - even if some of them require lower thresholds to rejection. In particular, all three validations of our image concern measure presented above are confirmed.

## 6 Conclusion

This paper proposes an experimental procedure to measure individual sensitivity to image concern, validates the measure and starts exploring determinants and consequences of this underexplored dimension of preferences. It opens the way for future research on the topic.

As a first step in this direction, we are able to document two patterns: First, the extent to which individuals are concerned with their social image is highly heterogeneous and does not depend on the observer characteristics. As a notable exception, we provide evidence that minority members might be more concerned with the image that they project to members of the majority group. Second, we show that image concerned individuals are less cooperative in classic infinitely

[^15]repeated prisoner's dilemma games, but that cooperation rates increase up to the average when the same game is played under the scrutiny of a third party observer. This suggests that for these individuals, norm compliance is essentially linked to the salience of their actions. Exploring the heterogeneity of image concerns further and linking it to established measures of personality traits such as the "Big Five" remains a promising direction for future research.

Due to the nature of the concept to be measured, the game is of course less portable than other games aimed at measuring social preferences, such as the trust game or the dictator game and might be more difficult to run in a remote field environment. Variations in the setup can, however, be used. For instance, the process of taking pictures could be eliminated by asking the dictator to stand up if he loses anonymity. There are also ways to implement the BDM without a computer terminal. Finally, in settings where retaliation outside the laboratory is unlikely, experimenters can consider to use the recipient as an observer, rather than adding a third party observer. Overall, we attempted to ensure simplicity of the setup while preserving robustness of the measure and avoiding confounding factors such as other social preferences.

## Appendix

## A Proofs

## A. 1 Proof of Proposition 1

## Equilibrium bid $b^{*}$ increasing in image concern

We first show that the equilibrium bid $b^{*}$ is increasing in image concern $\mu$. Under the assumption that the cost functions are separable, individual $i$ chooses the amount to bid in the dictator lottery $X$ and the amount to bid for anonymity $b$ to maximize

$$
X\left[v^{i}(1)+\mu R_{1}^{*}\right]+(1-X)\left[v^{i}(0)+(1-b) \mu R_{0}^{*}-b c_{2}(b)\right]-c_{1}(X)
$$

$R_{1}^{*}$ is the image, in equilibrium, when the lottery is a success while $R_{0}^{*}$ is the image in case of a failure.

In an interior equilibrium, using the notation $v=v^{i}(1)-v^{i}(0)$, the first order conditions relative to $X$ and $b$ yield:

$$
\begin{array}{r}
c_{1}^{\prime}\left(X^{*}\right)=v+\mu R_{1}^{*}-\left[\left(1-b^{*}\right) \mu R_{0}^{*}-b c_{2}\left(b^{*}\right)\right] \\
b^{*} c_{2}^{\prime}\left(b^{*}\right)+c_{2}\left(b^{*}\right)=-\mu R_{0}^{*} \tag{4}
\end{array}
$$

Denoting $L$ the outcome of the lottery we have by the law of iterated expectations

$$
P[L=1] E[v \mid L=1]+P[L=0] E[v \mid L=0]=v_{0}
$$

i.e

$$
\begin{array}{r}
P[L=1]\left(E[v \mid L=1]-v_{0}\right)+P[L=0]\left(E[v \mid L=0]-v_{0}\right)=0 \\
\Leftrightarrow P[L=1] R_{1}^{*}+P[L=0] R_{0}^{*}=0
\end{array}
$$

Thus, since $E[v \mid L=1]>E[v \mid L=0], R_{1}^{*}>0$ and $R_{0}^{*}<0$, i.e. the fact that the lottery is a success makes the observer update positively her beliefs on the amount transferred by the individual. Since $R_{0}^{*}<0$ and the cost function is increasing and convex, condition (4) implies that $b^{*}$ is increasing in $\mu$.

## Results 1 and 2

We now establish results 1 and 2 . These results are derived under the assumption of separability. The first order condition (4) directly implies that $b^{*}$ is independent of $v$.
Furthermore, taking the total derivative of condition (3), we have

$$
\frac{\partial X^{*}}{\partial \mu}=\frac{-\left(1-b^{*}\right) R_{0}^{*}+R_{1}^{*}+\frac{\partial b^{*}}{\partial \mu}\left(\mu R_{0}^{*}+c_{2}\left(b^{*}\right)+b^{*} c_{2}^{\prime}\left(b^{*}\right)\right)}{c_{1}^{\prime \prime}\left(X^{*}\right)} .
$$

Using condition (4), this implies

$$
\frac{\partial X^{*}}{\partial \mu}=\frac{-\left(1-b^{*}\right) R_{0}^{*}+R_{1}^{*}}{c_{1}^{\prime \prime}\left(X^{*}\right)} .
$$

So this establishes result 2 , since $R_{0}^{*}<0, R_{1}^{*}>0$ and $c(\cdot)$ is convex.

## A. 2 Non-separable cost functions

Proposition 2: If the cost function is not separable, a sufficient condition for $b^{*}$ to be increasing in $\mu$ is that

$$
B_{2} \equiv c^{\prime \prime}\left(X^{*}\right)+\left(1-X^{*}\right) b^{*}\left(c^{\prime \prime}\left(X^{*}+b^{*}\right)-c^{\prime \prime}\left(X^{*}\right)\right)+2 b^{*}\left(c^{\prime}\left(X^{*}\right)-c^{\prime}\left(X^{*}+b^{*}\right)\right)<0 .
$$

Furthermore, if $c(x)=e^{\alpha x}$, with $\alpha<1$, there exists $\bar{b}$ such that, if $b>\bar{b}$, the condition $B_{2} \leq 0$ is satisfied.

## Proof

In the case where the cost functions are not separable, we denote $c$ the strictly increasing and convex cost function. In this case, Individual $i$ thus chooses $X$ and $b$ to maximize

$$
\begin{equation*}
X\left[v^{i}(1)+\mu R_{1}^{*}-c(X)\right]+(1-X)\left[v^{i}(0)+(1-b) \mu R_{0}^{*}-b c(b+X)-(1-b) c(X)\right] \tag{5}
\end{equation*}
$$

The first order condition with respect to $X$ can be expressed as

$$
\begin{align*}
& c^{\prime}\left(X^{*}\right)\left(X^{*}+\left(1-X^{*}\right)\left(1-b^{*}\right)\right)+\left(1-X^{*}\right) b^{*} c^{\prime}\left(X^{*}+b^{*}\right)  \tag{6}\\
= & v+\mu R_{1}^{*}-\left[\left(1-b^{*}\right) \mu R_{0}^{*}-b^{*} c\left(X^{*}+b^{*}\right)+b^{*} c\left(X^{*}\right)\right] \tag{7}
\end{align*}
$$

The first order condition with respect to $b$ can be expressed as:

$$
\begin{equation*}
b^{*} c^{\prime}\left(X^{*}+b^{*}\right)+c\left(X^{*}+b^{*}\right)-c\left(X^{*}\right)=-\mu R_{0}^{*} \tag{8}
\end{equation*}
$$

Taking the total derivative of condition (8) with respect to $\mu$ gives

$$
\begin{equation*}
\frac{\partial b^{*}}{\partial \mu} A_{1}+\frac{\partial X^{*}}{\partial \mu} B_{1}=-R_{0}^{*} \tag{9}
\end{equation*}
$$

where

$$
\begin{aligned}
A_{1} & =c^{\prime}\left(X^{*}+b^{*}\right)+b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right)+c^{\prime}\left(X^{*}+b^{*}\right) \\
& =2 c^{\prime}\left(X^{*}+b^{*}\right)+b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right)>0
\end{aligned}
$$

and

$$
B_{1}=b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right)+c^{\prime}\left(X^{*}+b^{*}\right)-c^{\prime}\left(X^{*}\right) \geq 0
$$

Taking the total derivative of condition (7) with respect to $\mu$ can be expressed as:

$$
\begin{equation*}
\frac{\partial b^{*}}{\partial \mu} A_{2}+\frac{\partial X^{*}}{\partial \mu} B_{2}=R_{1}^{*}-\left(1-b^{*}\right) R_{0}^{*} \tag{10}
\end{equation*}
$$

where

$$
\begin{aligned}
A_{2}= & -c^{\prime}\left(X^{*}\right)\left(1-X^{*}\right)+\left(1-X^{*}\right) c^{\prime}\left(X^{*}+b^{*}\right)+\left(1-X^{*}\right) b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right) \\
& -\mu R_{0}^{*}-c\left(X^{*}+b^{*}\right)-b^{*} c^{\prime}\left(X^{*}+b^{*}\right)+c\left(X^{*}\right)
\end{aligned}
$$

Using the condition (8) we have $-\mu R_{0}^{*}-c\left(X^{*}+b^{*}\right)+c\left(X^{*}\right)=b^{*} c^{\prime}\left(X^{*}+b^{*}\right)$, so that

$$
A_{2}=\left(1-X^{*}\right)\left(c^{\prime}\left(X^{*}+b^{*}\right)-c^{\prime}\left(X^{*}\right)\right)+\left(1-X^{*}\right) b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right)>0
$$

and

$$
\begin{aligned}
B_{2}= & c^{\prime \prime}\left(X^{*}\right)\left(X^{*}+\left(1-X^{*}\right)\left(1-b^{*}\right)\right)+c^{\prime}\left(X^{*}\right)\left(1-\left(1-b^{*}\right)\right)-b^{*} c^{\prime}\left(X^{*}+b^{*}\right) \\
& +\left(1-X^{*}\right) b^{*} c^{\prime \prime}\left(X^{*}+b^{*}\right)-b^{*} c^{\prime}\left(X^{*}+b^{*}\right)+b^{*} c^{\prime}\left(X^{*}\right)
\end{aligned}
$$

i.e.

$$
\begin{equation*}
B_{2}=c^{\prime \prime}\left(X^{*}\right)+\left(1-X^{*}\right) b^{*}\left(c^{\prime \prime}\left(X^{*}+b^{*}\right)-c^{\prime \prime}\left(X^{*}\right)\right)+2 b^{*}\left(c^{\prime}\left(X^{*}\right)-c^{\prime}\left(X^{*}+b^{*}\right)\right) \tag{11}
\end{equation*}
$$

Combining conditions (10) and (9), we have

$$
\frac{\partial b^{*}}{\partial \mu}\left[A_{1}-\frac{B_{1}}{B_{2}} A_{2}\right]=-R_{0}^{*}-\frac{B_{1}}{B_{2}}\left(R_{1}^{*}-\left(1-b^{*}\right) R_{0}^{*}\right)
$$

i.e

$$
\begin{equation*}
\frac{\partial b^{*}}{\partial \mu}=-\frac{B_{2}}{A_{1} B_{2}-A_{2} B_{1}} R_{0}^{*}-\frac{B_{1}}{A_{1} B_{2}-A_{2} B_{1}}\left(R_{1}^{*}-\left(1-b^{*}\right) R_{0}^{*}\right) \tag{12}
\end{equation*}
$$

Given that $R_{0}<0, R_{1}>0, A_{1}>1, A_{2}>0$ and $B_{1} \geq 0$, a sufficient condition for $\frac{\partial b^{*}}{\partial \mu}>0$ is $B_{2}<0$.

We know turn to the second part of the Proposition. When $c(x)=e^{\alpha x}$, we have:

$$
\begin{aligned}
B_{2} & =\alpha^{2} e^{\alpha X}+(1-X) b \alpha^{2}\left(e^{\alpha(X+b)}-e^{\alpha X}\right)+2 b \alpha\left(e^{\alpha X}-e^{\alpha(X+b)}\right) \\
& =\alpha e^{\alpha X}\left[\alpha+b\left(e^{\alpha b}-1\right)((1-X) \alpha-2)\right]
\end{aligned}
$$

Given that $\alpha \leq 1$, we have $(1-X) \alpha-2<0$. Furthermore, $B_{2}$ is decreasing in $b$ and at the limit, for $b=1$, we have that $B_{2}$ is proportional to $\alpha+\left(e^{\alpha}-1\right)((1-X) \alpha-2)$ which is negative for $\alpha<1$. Thus, by continuity, there exists $\bar{b}$ such that, if $b>\bar{b}, B_{2}<0$ and $\frac{\partial b^{*}}{\partial \mu}>0$.

## A. 3 Tables and figures

Table 2: Descriptive statistics for the sample of participants

| Variable | All Participants <br> Share/Mean | Dictators <br> Share/Mean |
| :--- | :---: | :---: |
| Demographics |  |  |
| Female | .56 | .59 |
| In a relation | .49 | .58 |
| Age | 28.5 | 30.20 |
| French national | .87 | .85 |
| Attitudes to Risk | 5.75 | 5.76 |
| Professional status |  |  |
| Student | .66 | .61 |
| Employed | .21 | .22 |
| Unemployed | .09 | .11 |
| Retired | .04 | .06 |
| Highest degree achieved |  |  |
| High school or less | .29 | .31 |
| College diploma | .44 | .45 |
| Master's degree | .24 | .22 |
| PhD | .04 | .02 |
|  |  |  |
| Field of study | .28 | .29 |
| Economics and finance | .15 | .16 |
| Other social sciences | .15 | .11 |
| Law |  |  |
| Picture controls | .07 | .09 |
| Smiles on photo | .02 | .02 |
| Frowns on photo | 260 | 104 |
| Photo blurry or eyes shut | .03 |  |
| Observations |  |  |

Table 3: Explaining image concern

|  | (1) <br> Image concern <br> OLS | (2) <br> Image concern <br> OLS | Non-zero image con. <br> Probit |
| :--- | :---: | :---: | :---: |
| Female | -0.45 | -6.97 |  |
|  | $(3.51)$ | $(6.18)$ | $0.43^{a}$ |
| Age | 0.12 | 0.00 | $(0.16)$ |
|  | $(0.25)$ | $(0.23)$ | 0.01 |
| In a relationship | 2.22 | 7.59 | $(0.02)$ |
|  | $(3.49)$ | $(4.94)$ | -0.29 |
| Student | -8.01 | -7.51 | $(0.28)$ |
|  | $(7.63)$ | $(9.56)$ | -0.65 |
| French | -3.59 | -3.15 | $(0.44)$ |
|  | $(6.91)$ | $(5.62)$ | -0.71 |
| Knows the observer | 5.39 | 3.19 | $(0.46)$ |
|  | $(5.88)$ | $(8.87)$ | 0.01 |
|  |  | 61 | $(0.41)$ |
| Observations | 101 | 0.130 | 101 |
| Pseudo $R^{2}$ | 0.091 |  | 0.110 |

Session-clustered standard errors in parentheses
${ }^{c} \mathrm{p}<0.1,{ }^{b} \mathrm{p}<0.05,{ }^{a} \mathrm{p}<0.01$

NOTES. Column 1 presents a regression using the bid for anonymity the first time the image concern game is played as dependent variable and socioeconomic characteristics for the full sample as explanatory variables. Column 2 restricts the sample to individuals who bid a positive amount. Column 3 is a probit regression of the indicator variable taking value 1 if the individual bid a positive amount for anonymity. The sample contains all individuals who played as dictators in the image concern game, excluding 3 outliers.

Table 4: Validation of our image concern measure

|  | $(1)$ <br> Survey question <br> Ordered logit | $(2)$ <br> Transfer to lottery <br> OLS |
| :--- | :---: | :---: |
| Image concern $(\mu)$ | $0.50^{a}$ | $7.98^{a}$ |
|  | $(0.18)$ | $(2.32)$ |
| Economist | $-0.93^{b}$ | -0.98 |
|  | $(0.43)$ | $(3.64)$ |
| Female | -0.11 | 3.53 |
|  | $(0.32)$ | $(3.61)$ |
| Age | 0.01 | 0.10 |
|  | $(0.02)$ | $(0.16)$ |
| In a relationship | -0.41 | 2.31 |
|  | $(0.44)$ | $(2.78)$ |
| Student | -0.32 | -0.14 |
|  | $(0.54)$ | $(5.68)$ |
| French | -0.97 | -1.79 |
|  | $(0.70)$ | $(5.74)$ |
| Response time | $-0.02^{b}$ | -0.00 |
|  | $(0.01)$ | $(0.06)$ |
| Knows the observer | -0.04 | -2.98 |
|  | $(0.47)$ | $(4.71)$ |
| Observations | 101 | 101 |
| Pseudo $R^{2}$ | 0.065 | 0.244 |

Session-clustered standard errors in parentheses
${ }^{c} \mathrm{p}<0.1,{ }^{b} \mathrm{p}<0.05,{ }^{a} \mathrm{p}<0.01$
NOTES. This table reports in the first column, the estimations of an ordered logit regression of the answers to the question "It is important for me not to be perceived as selfish" (0-5 scale), and in the second, a regression of the amount transferred by the dictator in the image concern game, regressed on image concern measures and socioeconomic characteristics. The image concern measure has been divided by its standard deviation for easier interpretation of the magnitudes. The sample contains all individuals who played as dictators in the image concern game, excluding 3 outliers.

Table 5: Observers' ratings in the infinitely repeated prisoner's dilemma game

|  | $(1)$ <br> Rating | $(2)$ <br> Rating | $(3)$ <br> Rating |
| :--- | :---: | :---: | :---: |
| Player cooperates | $2.94^{a}$ | $2.47^{a}$ | $1.78^{a}$ |
|  | $(0.54)$ | $(0.66)$ | $(0.66)$ |
| Player French | 1.11 | 1.06 | 1.19 |
|  | $(0.81)$ | $(0.73)$ | $(0.74)$ |
| Observer French | 0.66 | 0.53 | 0.62 |
|  | $(0.51)$ | $(0.53)$ | $(0.50)$ |
| Observer French $\times$ player French | $-1.40^{c}$ | $-1.28^{c}$ | $-1.40^{c}$ |
|  | $(0.80)$ | $(0.73)$ | $(0.73)$ |
| Player is student | $1.21^{c}$ | $1.24^{c}$ | $1.22^{c}$ |
|  | $(0.66)$ | $(0.65)$ | $(0.63)$ |
| Player smiles | $2.37^{a}$ | $2.16^{a}$ | $2.00^{b}$ |
|  | $(0.84)$ | $(0.82)$ | $(0.80)$ |
| Deviate after partner cooperated |  | 0.29 |  |
|  |  | $(0.40)$ |  |
| Cooperate after partner cooperated |  | 0.75 |  |
|  |  | $(0.56)$ |  |
| Deviate after player cooperated |  |  | -0.15 |
| Cooperate after player cooperated |  |  | $(0.35)$ |
| Observations |  |  | $1.60^{b}$ |
| Pseudo $R^{2}$ |  |  |  |
| Standard errors reported in parentheses are clustered at the participant level |  |  |  |
| ${ }^{c}$ p<0.1, ${ }^{b}$ p $<0.05,{ }^{a}$ p<0.01 |  | 520 | 520 |

NOTES. This table reports the estimations of an ordered logit regression of the ratings given by the observer (1-5 rating) on the player's characteristics and behaviors. We control for players' and observers' age and gender, for whether player and observers knew each other prior to the experiment, as well as for attitudes towards risk. The online appendix contains alternative specifications as robustness checks.

Table 6: Cooperation in treatments without observers

|  | $(1)$ <br> Cooperate <br> All rounds | $(2)$ <br> Cooperate <br> First rounds | $(3)$ <br> Cooperate <br> Last game |
| :--- | :---: | :---: | :---: |
| Image concern $(\mu)$ | $-0.36^{b}$ | $-0.73^{a}$ | $-0.78^{a}$ |
| Female | $(0.17)$ | $(0.24)$ | $(0.29)$ |
|  | -0.13 | -0.20 | -0.63 |
| Age | $(0.35)$ | $(0.38)$ | $(0.39)$ |
|  | 0.01 | -0.01 | -0.02 |
| Student | $(0.01)$ | $(0.02)$ | $(0.02)$ |
|  | -0.14 | -0.53 | -0.41 |
| French | $(0.54)$ | $(0.57)$ | $(0.63)$ |
|  | $-0.81^{c}$ | -0.49 | $-0.68^{c}$ |
| Risk aversion | $(0.46)$ | $(0.56)$ | $(0.40)$ |
|  | 0.03 | 0.09 | 0.08 |
| Response time | $(0.09)$ | $(0.08)$ | $(0.09)$ |
|  | -0.00 | 0.00 | -0.08 |
|  | $(0.01)$ | $(0.01)$ | $(0.05)$ |
| Round fixed effects | Yes | Yes | Yes |
| Observations | 640 | 120 | 120 |
| Pseudo $R^{2}$ | 0.07 | 0.12 | 0.18 |

Standard errors reported in parentheses are clustered at the participant level ${ }^{c} \mathrm{p}<0.1,{ }^{b} \mathrm{p}<0.05,{ }^{a} \mathrm{p}<0.01$

NOTES. This table reports the estimations of a probit regression of the indicator variable taking the value 1 if the player cooperated, restricting the sample to treatments with no observers. All regressions control for round fixed effects. Column 1 includes all rounds of the prisoner's dilemma game. Column 2 is restricted to the first round of each game. Column 3 restricts the sample to the third game.

Table 7: Cooperation and image concern

|  | $(1)$ <br> Cooperate <br> Unobs. sample | $(2)$ <br> Cooperate <br> Observed sample | $(3)$ <br> Cooperate <br> Full sample | $(4)$ <br> Cooperate <br> Full sample |
| :--- | :---: | :---: | :---: | :---: |
| Image concern $(\mu)$ | $-0.78^{a}$ | 0.11 | $-0.62^{b}$ | $-0.57^{b}$ |
|  | $(0.29)$ | $(0.16)$ | $(0.27)$ | $(0.23)$ |
| Observed |  |  | $1.06^{a}$ | $0.89^{a}$ |
|  |  |  | $(0.27)$ | $(0.26)$ |
| Observed $\times \mu$ |  |  | $0.64^{b}$ | 0.31 |
|  |  | $(0.29)$ | $(0.27)$ |  |
| Control variables | Yes | Yes | Yes | Yes |
| Round fixed effects | Yes | Yes | Yes | Yes |
| Games/Rounds | Last game | Last game | Last game | First rounds |
| Observations | 120 | 120 | 240 | 240 |
| Pseudo $R^{2}$ | 0.18 | 0.26 | 0.25 | 0.17 |

Standard errors reported in parentheses are clustered at the participant level
${ }^{c} \mathrm{p}<0.1,{ }^{b} \mathrm{p}<0.05,{ }^{a} \mathrm{p}<0.01$

NOTES. This table reports the estimations of a probit regression of the indicator variable taking the value 1 if the player cooperated. The image concern measure has been divided by its standard deviation for easier interpretation of the magnitudes. Except for column 4, only observations from the last game are included. Column 1 includes only the observations from sessions where the game was played without observers and column 2 those where the players are observed. We control for socioeconomic characteristics, attitudes towards risk, response time and whether the player knew the observer.

Table 8: Cooperation as a function of player's previous round action

|  | $(1)$ <br> Cooperate <br> Unobs. sample | $(2)$ <br> Cooperate <br> Obs. sample | $(3)$ <br> Cooperate <br> Full sample |
| :--- | :---: | :---: | :---: |
| Image concern $(\mu)$ | 0.19 | $-0.89^{c}$ | -0.11 |
| Player cooperated in previous round | $(0.37)$ | $(0.49)$ | $(0.20)$ |
|  | $1.00^{c}$ | $2.94^{a}$ | $1.61^{a}$ |
| Observed | $(0.53)$ | $(0.76)$ | $(0.31)$ |
|  |  |  | $1.00^{a}$ |
| Image con. $\times$ cooperated in prev. round | $-2.78^{a}$ | $(0.32)$ |  |
|  | $(0.95)$ | $2.01^{a}$ | $-1.48^{a}$ |
| Image con. $\times$ coop. in prev. round $\times$ obs. |  | $(0.75)$ | $(0.45)$ |
|  |  |  | $2.45^{a}$ |
|  |  |  | $(0.61)$ |
| Control variables |  |  |  |
| Game $\times$ round fixed effects | Yes | Yes | Yes |
| Observations | Yes | Yes | Yes |
| Pseudo $R^{2}$ | 80 | 80 | 160 |

Standard errors reported in parentheses are clustered at the participant level
${ }^{c} \mathrm{p}<0.1,{ }^{b} \mathrm{p}<0.05,{ }^{a} \mathrm{p}<0.01$

NOTES. This table reports the estimations of a probit regression of the indicator variable taking the value 1 if the player cooperated. The image concern measure has been divided by its standard deviation for easier interpretation of the magnitudes. Only observations from the last game are included. Column 1 includes only the observations from sessions where the game was played without observers and column 2 those where the players are observed. We control for socioeconomic characteristics, attitudes towards risk, response time and whether the player knew the observer.

Table 9: Role of observers

|  | Image concern |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
|  | (1) | (2) | (3) | (4) |
| Observer female | $\begin{gathered} 0.16 \\ (2.01) \end{gathered}$ |  | $\begin{gathered} -0.16 \\ (1.99) \end{gathered}$ | $\begin{gathered} -0.14 \\ (2.01) \end{gathered}$ |
| Observer age | $\begin{gathered} -0.04 \\ (0.07) \end{gathered}$ | $\begin{gathered} -0.03 \\ (0.07) \end{gathered}$ |  | $\begin{gathered} -0.04 \\ (0.07) \end{gathered}$ |
| Observer French | $\begin{gathered} 0.98 \\ (2.98) \end{gathered}$ | $\begin{gathered} 1.31 \\ (2.89) \end{gathered}$ | $\begin{gathered} 0.64 \\ (3.13) \end{gathered}$ |  |
| Observer smiles | $\begin{gathered} 5.30 \\ (7.62) \end{gathered}$ | $\begin{gathered} 5.08 \\ (7.47) \end{gathered}$ | $\begin{gathered} 5.01 \\ (7.69) \end{gathered}$ | $\begin{gathered} 4.46 \\ (7.63) \end{gathered}$ |
| Observer frowns | $\begin{gathered} 6.04 \\ (7.71) \end{gathered}$ | $\begin{gathered} 6.37 \\ (7.57) \end{gathered}$ | $\begin{gathered} 6.26 \\ (7.93) \end{gathered}$ | $\begin{gathered} 6.25 \\ (7.28) \end{gathered}$ |
| Picture blurry | $\begin{aligned} & -4.35 \\ & (6.62) \end{aligned}$ | $\begin{gathered} -4.07 \\ (6.43) \end{gathered}$ | $\begin{aligned} & -4.06 \\ & (6.85) \end{aligned}$ | $\begin{aligned} & -3.88 \\ & (6.58) \end{aligned}$ |
| Male $\times$ observer female |  | $\begin{gathered} 3.19 \\ (3.38) \end{gathered}$ |  |  |
| Female $\times$ observer male |  | $\begin{gathered} 5.47 \\ (3.44) \end{gathered}$ |  |  |
| Female $\times$ observer female |  | $\begin{gathered} 2.96 \\ (3.02) \end{gathered}$ |  |  |
| >24y old $\times$ observer $<=24 y$ old |  |  | $\begin{aligned} & -2.10 \\ & (2.60) \end{aligned}$ |  |
| <=24y old $\times$ observer $>24 \mathrm{y}$ old |  |  | $\begin{aligned} & -5.50 \\ & (3.41) \end{aligned}$ |  |
| $<=24 y$ old $\times$ observer $<=24 y$ old |  |  | $\begin{aligned} & -3.34 \\ & (3.44) \end{aligned}$ |  |
| Non-French $\times$ observer French |  |  |  | $\begin{aligned} & 13.42^{a} \\ & (4.33) \end{aligned}$ |
| French $\times$ observer non-French |  |  |  | $\begin{aligned} & 9.32^{b} \\ & (3.71) \end{aligned}$ |
| French $\times$ observer French |  |  |  | $\begin{aligned} & 8.17^{a} \\ & (2.88) \end{aligned}$ |
| Observations | 367 | 367 | 367 | 367 |
| $R^{2}$ | 0.160 | 0.168 | 0.166 | 0.172 |

NOTES. This table presents regressions of the bid for anonymity on dictators' and observers' characteristics. All regressions control for round fixed effects and for outcomes of the previous round, though the results are qualitatively unchanged when these controls are omitted. Dictators that knew their observer are omitted from the regression but results remain similar when this is not done.

Table 10: Result of Benjamini-Hochberg (1995) multiple testing correction

| Table | Coefficient | Point estimate | p-value | q-value |
| :---: | :---: | :---: | :---: | :---: |
| 3 (1) | Female | -0.45 | 0.91 | 0.95 |
|  | Age | 0.12 | 0.56 | 0.70 |
|  | In a relationship | 2.22 | 0.57 | 0.71 |
|  | Student | -8.01 | 0.20 | 0.41 |
|  | French | -3.59 | 0.55 | 0.70 |
|  | Knows the observer | 5.39 | 0.43 | 0.65 |
| 4 (1) | Image concern ( $\mu$ ) | 0.50 | 0.01* | 0.03* |
| 4 (2) | Image concern ( $\mu$ ) | 7.98 | <0.01* | 0.03* |
| 5 (1) | Cooperate | 2.94 | <0.01* | <0.01* |
| 5 (3) | Cooperate | 1.78 | 0.01* | 0.03* |
|  | Cooperate after player cooperated | 1.60 | 0.02* | 0.07* |
| 6 (3) | Image concern ( $\mu$ ) | -0.77 | 0.01* | 0.03* |
| 7 (3) | Observed | 1.06 | <0.01* | <0.01* |
|  | Image concern ( $\mu$ ) | -0.62 | 0.02* | 0.07* |
|  | Image concern $\times$ observed | 0.64 | 0.03* | 0.09* |
| 8 (3) | Image concern ( $\mu$ ) | -0.11 | 0.59 | 0.72 |
|  | Cooperated in previous period | 1.61 | <0.01* | <0.01* |
|  | Image $\times$ coop. previous round | -1.48 | <0.01* | 0.01* |
|  | Image $\times$ coop. prev. $\times$ observed | 2.45 | $<0.01$ * | $<0.01 *$ |
|  | Observed | 1.00 | <0.01* | 0.02* |
| 9 (1) | Observer female | 0.16 | 0.94 | 0.96 |
|  | Observer age | -0.04 | 0.55 | 0.70 |
|  | Observer french | 0.98 | 0.74 | 0.83 |
| 9 (2) | Male $\times$ observer female | 3.19 | 0.35 | 0.61 |
|  | Female $\times$ observer male | 5.47 | 0.11 | 0.27 |
|  | Female $\times$ observer female | 2.96 | 0.33 | 0.61 |
| 9 (3) | $>24 y$ old $\times$ observer $<=24 y$ old | -2.10 | 0.42 | 0.65 |
|  | $<=24 y$ old $\times$ observer $>24 y$ old | -5.50 | 0.11 | 0.26 |
|  | $<=24 y$ old $\times$ observer $<=24 y$ old | -3.34 | 0.33 | 0.61 |
| 9 (4) | Non-French $\times$ observer French | 13.42 | <0.01* | 0.02* |
|  | French $\times$ observer non-French | 9.32 | 0.01* | 0.05* |
|  | French $\times$ observer French | 8.17 | 0.01* | 0.03* |

Control variables not reported here but included in the correction procedure. $\mathrm{p} / \mathrm{q}$-values $\leq 0.1$ are starred.
NOTES. This table reports the coefficients of interest from previous regressions along with their associated p-values and the $q$-values obtained when adjusting for multiple testing using the Benjamini-Hochberg (1995) procedure. The first column indicates the number and column of the table from which the coefficient is taken.

Figure 6: Screenshot


NOTES. Screenshot of the software used in the experiment. This screen reads "You are player A. Your photo and computer name could become visible to the player C sitting at computer 'Dublin' [photo of player C]. What is the maximum price you are willing to pay so that this observer does not see your picture and computer name in case player B does not win the lottery? Click 'OK to continue."

Figure 7: Rating of behavior by observer depending on past choices of partner


NOTES. This figure reports average ratings of players' decisions in the infinitely repeated prisoner's dilemma game by outside observers. $95 \%$ confidence intervals in red.

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    ${ }^{\dagger}$ Corresponding author

[^1]:    ${ }^{1}$ Heterogeneity in image concern needs to be measured to understand how it affects behavior. It is also an important element in theoretical models such as Ali and Bénabou (2016).

[^2]:    ${ }^{2}$ Indeed, if the experiment is run in different settings, different observers will be used. This evidence suggests that the measurements are not sensitive to this fact
    ${ }^{3}$ We ask a survey question about nationality and not race, since questions on race are not allowed in France. Most non-French participants are from former French colonies in North Africa.
    ${ }^{4}$ There is unfortunately no well established question aimed at measuring image concern, contrary to the case of trust where the "Interpersonal Trust" question ("Generally speaking, would you say that most people can be trusted or that you need to be very careful in dealing with people?") is systematically used. We thus constructed our own question: "It is important for me not to be perceived as selfish."
    ${ }^{5}$ This suggests that image concerned individuals avoid situations where they risk being exposed. This is coherent with the results of Dellavigna et al. (2012), who show that when the date of a door-to-door fundraising visit is announced, people try to avoid being present. Our individual measurement of image concern allows us to show direct evidence of such a mechanism whereby image concerned people avoid situations where their image is at risk.

[^3]:    ${ }^{6}$ Algan et al. (2014) in an analysis of open source software programmers use the answer to a survey question to identify image concern.
    ${ }^{7}$ Charness et al. (2007) do examine a prisoner's dilemma with observers, but without repeat interaction and where the observers are group members who have a stake in the game. Other papers have focused mainly on punishment by third-parties for norm enforcement, rather than observation alone (see for instance Fehr and Fischbacher (2004)). In our setup observers have no possibility to punish players. Sutter et al. (2009) use a much weaker form of observation, where observers only know about decisions and payoffs but do not see players' pictures or anything that could identify them.

[^4]:    ${ }^{8}$ This method of incentive compatible WTP elicitation was introduced by Becker et al. (1964) and is very common in

[^5]:    the literature. To avoid concerns that it is not well understood by participants, the instructions clearly stated that the best strategy is to honestly report WTP.
    ${ }^{9}$ It would be a fruitful avenue for future research to test whether the alternative experimental setup, letting participants pay to be visible, would yield different results.

[^6]:    ${ }^{10}$ In the literature, for instance Bénabou and Tirole (2006), the reputation term is allowed to cover all the different dimensions, image concern, self image or reputation payoff.

[^7]:    ${ }^{11}$ With this continuation probability, cooperation can be sustained in a subgame perfect and risk dominant equilibrium.
    ${ }^{12}$ In the instructions it was not made clear whether the randomization at the end of each round was done on the spot or had been done before (as was in fact the case). It was only stated that at the end of each round, there were 7 chances out of 8 to have another round in the game.

[^8]:    ${ }^{13}$ The experimenter was unable to see any of the decisions participants made while he was coding these variables.
    ${ }^{14}$ The conversion rate of tokens to euros was 10 to 1 .
    ${ }^{15}$ Our results are mostly robust to using alternative measures such as the average bids.
    ${ }^{16}$ Its shape is very similar for the average value of the bids (see online appendix).

[^9]:    ${ }^{17}$ At the individual level, transfers are highly persistent and seem not to be correlated with our survey measure of risk aversion.

[^10]:    ${ }^{18}$ It is unlikely that participants answered the question in this way purely to appear consistent with their behavior in the game, since between the survey and the image concern game, other games had been played.
    ${ }^{19}$ The survey question also correlates positively and significantly with contributions to the lottery ( $r_{s}=0.16, p<0.01$ )

[^11]:    ${ }^{20}$ Measures of image concern obtained from the survey questions perform less well at explaining behavior in this game compared to the measure obtained by the experiment and presented in this section.

[^12]:    ${ }^{21}$ It would be natural to think that ratings would also depend on what the other player did in the past. However, both Table 5 and Figure 7 in the appendix show that there is no extra negative rating coming from a deviation that follows cooperation by the partner, i.e. there does not seem to be a judgment on betrayal of the partner.

[^13]:    ${ }^{22}$ Whether an individual cooperated in the very first round can be seen as a measure for his base level of cooperativeness. In most experiments on infinitely repeated games, this measure significantly increases cooperation in the remainder of the games (see for instance Dal Bó and Fréchette (2011)).

[^14]:    ${ }^{23}$ Unless of course there are two dimensions of image concern that can both vary across the population: being concerned about the experimenter's perception of the level of generosity and being concerned about the experimenter's perception about trying to hide one's true type.
    ${ }^{24}$ Bracha and Vesterlund (2013), for instance, describe an experiment separating generosity signaling from income signaling.

[^15]:    ${ }^{25}$ We use the variable coding nationality as French or not, as a proxy for the race of individuals, which we cannot ask directly. Most of the non-French are nationals from North African countries.

