

Formally Documenting Tenderbake

Sylvain Conchon, Alexandrina Korneva, Çagdas Bozman, Mohamed Iguernlala, Alain Mebsout

► To cite this version:

Sylvain Conchon, Alexandrina Korneva, Çagdas Bozman, Mohamed Iguernlala, Alain Mebsout. Formally Documenting Tenderbake. Open Access Series in Informatics, In press, 10.4230/OA-SIcs.FMBC.2021.5 . hal-03398884

HAL Id: hal-03398884 https://hal.science/hal-03398884v1

Submitted on 23 Oct 2021

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

Formally Documenting Tenderbake

² Sylvain Conchon

- 3 Nomadic Labs, Paris, France
- 4 Alexandrina Korneva
- 5 Université Paris-Saclay, ENS Paris-Saclay, CNRS, LMF, 91190, Gif-sur-Yvette, France

6 **Cagdas Bozman**

7 Functori, Paris, France

8 Mohamed Iguernlala

9 Functori, Paris, France

¹⁰ Alain Mebsout

¹¹ Functori, Paris, France

¹² — Abstract -

In this paper, we propose a formal documentation of Tenderbake, the new Tezos consensus algorithm, 13 slated to replace the current Emmy family algorithms. The algorithm is broken down to its essentials 14 and represented as an automaton. The automaton models the various aspects of the algorithm: (i) 15 the individual participant, referred to as a baker, (ii) how bakers communicate over the network 16 (the mempool) and (iii) the overall network the bakers operate in. We also present a TLA+ 17 implementation, which has proven to be useful for reasoning about this automaton and refining 18 our documentation. The main goal of this work is to serve as a formal foundation for extracting 19 20 intricate test scenarios and verifying invariants that Tenderbake's implementation should satisfy.

- ²¹ 2012 ACM Subject Classification Software and its engineering \rightarrow Software organization and ²² properties
- 23 Keywords and phrases Consensus algorithm, Tezos blockchain, TLA+
- ²⁴ Digital Object Identifier 10.4230/OASIcs.FMBC.2021.5
- 25 Category Short Paper

²⁶ 1 Introduction

Tenderbake is a new consensus algorithm designed by Nomadic Labs for the Tezos block-27 chain [5]. Tenderbake participates in the blockchain protocol to ensure that all peers reach 28 agreement on the state of the distributed ledger. Essentially, the algorithm ensures that all 29 participants record the same blocks, in the same order, in their local copy of the blockchain. 30 Like Tezos's current Emmy family protocols, Tenderbake is a Byzantine Fault-Tolerant 31 (BFT) algorithm that can tolerate (a limited number of) malicious machine failures on an 32 aynchronous network. The main advantage of Tenderbake is related to block finality, *i.e.*, 33 the point at which the parties involved can consider the consensus on adding a block to 34 be complete. More precisely, this is the moment when it becomes impossible to go back or 35 modify a block that has been added to the blockchain. Unlike the probabilistic finality of 36 Emmy algorithms, where the probability that a block will eventually belong to the blockchain 37 increases with the number of blocks added in front of it, Tenderbake allows for an almost 38 immediate finality: a block is considered to belong to the chain when only two blocks are 39 added after it. This new consensus algorithm technology is inspired by PBFT (practical 40 Byzantine Fault-Tolerant) protocols [4] like Tendermint [1, 3] in the Cosmos project [6]. 41

To achieve such a finality result, Tenderbake implements a three-phase PBFT protocol: a *proposal* phase where a single participant (called *baker*) proposes a new block, and two

5:2 Formally Documenting Tenderbake

successive voting phases (called *preendorsement* and *endorsement*) at the end of which a 44 quorum of votes must be reached on the proposed block. If a consensus is reached, each 45 participant adds the proposed block locally to their blockchain and a new instance of the 46 algorithm can then start for the next block (referred to as the *next level* in Tezos). However, 47 this idyllic scenario can fail for many reasons. For example, Byzantine participants can inject 48 fake blocks or fake votes. The consensus can also fail even in the absence of participant 49 failure because blocks and votes, which are sent as messages, can be arbitrarily delayed or 50 lost by the network. In this case, a new round of proposals/votes is launched, possibly with 51 a new block issued by another participant. 52

Tenderbake implements several mechanisms to avoid Byzantine attacks or asynchronyrelated problems to guarantee the correctness of the consensus. For instance, a synchronization mechanism is required for each participant to decide that a round of proposals/votes is over. For this purpose, Tenderbake implements a partially synchronous system, where participants synchronize without exchanging messages, by exploiting their internal clocks and the information stored in the blockchain. As another example, cryptographic certificates about the (pre)endorsing majority are injected into blocks to prevent Byzantine attacks.

Designing and implementing a consensus algorithm like Tenderbake is notoriously chal-60 lenging. While a very precise proof-and-paper description of this algorithm has been given 61 in [2], we propose in this paper a TLA^+ modeling of Tenderbake. To do this, we break 62 down the algorithm to its essentials and represent bakers' roles as an automaton. We also 63 abstract the notion of time, but retain a synchronization mechanism that allows the drift 64 of participants' clocks to be simulated. We do not sacrifice any of the more subtle features 65 of Tenderbake's implementation, like how the protocol is handled by both the mempool (a 66 more sophisticated gossip layer) and the bakers themselves. 67

The main goal of our work is to provide a formal executable documentation of Tenderbake that will serve as a basis for extracting complex test scenarios and invariants that the Tenderbake implementation must satisfy. So far, our TLA⁺ automaton has proven useful for reasoning and exchanging with the developers of the actual implementation. The TLA⁺ model is available at https://www.lri.fr/~conchon/tenderbake/.

73 **2** Tezos Architecture

Tezos forms a Peer-to-peer network in which peers, called *nodes*, are interconnected and communicate by message passing. Nodes implement the core algorithms and data structures of the blockchain. They are composed of a Peer-to-peer layer (P2P), validators (which use the rules of the economic protocol to check blocks and operations), a distributed database (DDB), and a specific data structure for pending operations, called the *Mempool*.

Nodes continuously run a gossip protocol to communicate and exchange blockchains 79 (complete or just head blocks) with each other. Each node maintains in the Mempool the 80 best version of the blockchain that it has received. Nodes do not communicate plain messages 81 directly, but only a hash value of them. When a node receives a hash, it checks if this 82 value is already stored in its DDB before saving it. The role of the DDB is to maintain a 83 correspondance between hash keys and the plain values associated with them. For that, as a 84 parallel task, the DDB fetches data (of which only the hash is known) from the node's peers, 85 and, conversely, responds to similar peers' requests by providing them with the requested 86 data. When the DDB gets a response, it transmits to the Mempool the plaintext values that 87 correspond to blocks, transactions, or votes. 88

⁸⁹ In this architecture, shown in Figure 1, bakers are not directly visible on the network.



Figure 1 Tezos general architecture

For security reasons, they only communicate with each other through the nodes they are 90 connected to (which we refer as the node of the baker). The role of a baker is to produce 91 proposal blocks and to vote for the head blocks of the blockchain stored in its node's Mempool. 92 For that, a baker gets the first two blocks of the blockchain from the Mempool (via a Remote 93 Procedure Call mechanism – RPC) and it implements the consensus rounds of Tenderbake 94 to decide whether to vote on the current head or not. A baker is also composed of a worker 95 running in parallel, whose role consists of getting the votes from the Mempool (via RPC) 96 and checking for potential quorums. 97

This modular, secure and highly parallel architecture raises several issues when imple-98 menting a PBFT algorithm like Tenderbake. First, while a Baker is voting on a specific 99 blockchain head, the Mempool can receive a new proposal and decide to change its head. 100 This means that everything needs to be resynchronized for the baker and the worker to vote 101 or get a quorum on the current head. Secondly, Tezos has been designed to be agnostic to the 102 consensus algorithm used to produce blocks. As a consequence, the rules of the Tenderbake 103 algorithm are abstract, so it is important to make sure that the Mempool has access to all 104 necessary information needed to choose the best blockchain. Last, bakers combine timestamp 105 information stored in the blocks and their current clock to know how long before a round 106 timeout is triggered. Since each baker has their own clock, this can lead to clock drift, to 107 which the protocol must be resistant. 108

Finally, the communication mechanism between components involves RPC (Worker/Mempool and Baker/Mempool) and streams of events (Worker/Baker). To simplify our modeling, we approximate these communications through a shared memory mechanism and leave the modeling of a communication layer closer to the implementation to future work.

3 Tenderbake Automaton

113

In this section, we describe the Tenderbake consensus formally, for a set of participants
BAKERS. Contrary to the implementation in Tezos, where participants change at each level,
we assume that this set is fixed. Each individual participant (baker) runs the same automaton.
We explain how this automaton is implemented in TLA⁺ in Section 4.

The automaton is given in Figure 2. It represents the evolution of a baker's state and the actions performed by this baker in the three possible consensus phases. In the rest of this section, we give a description of the local state maintained by an arbitrary baker i and we detail the transitions of this automaton using a rudimentary guarded command language.

Notations. By convention, the internal variables of the baker i are denoted by capital letters associated with an index i. Thus, X_i represents the internal variable X of i. We use lowercase letters for parameters. Certain variables are *option variables*, meaning that

5:4 Formally Documenting Tenderbake

they can have a value or not. Not having a value is denoted by the symbol –. When comparing variables, $X^{?}$ means that X is an option variable and can therefore be empty. By convention, empty variables are (strictly) less than non-empty variables. We stick to conventional message passing notation where $m(x_1, \ldots, x_k)$? stands for the reception of a message m with parameters x_1, \ldots, x_k , and $m(v_1, \ldots, v_k)$! is the asynchronous broadcast of m with v_1, \ldots, v_k as arguments. Note that when a baker broadcasts a message, he does not send it to himself.

Baker's state. As shown in Figure 2, our automaton has three distinct states, which 132 correspond to the possible phases of the consensus algorithm: NP for Non Proposer, CP for 133 Collecting Preendorsements, and CE for Collecting Endorsements. In addition to this control 134 flow information, a baker i maintains a copy of the blockchain in a variable CH_i . Since only 135 the two head blocks of the blockchain are needed for the consensus algorithm, CH_i contains 136 a pair of blocks (B, P), where B is the head block of the blockchain and P its predecessor. A 137 block is represented by a record $\{ \ell; r; t; p; eqc; pqc \}$, where each component is accessible 138 via the standard record access notation (e.g. B.r). The role of each of these components is 139 summarized in figure 6. 140

In addition to the two head blocks stored in CH_i , a baker maintains his current consensus 141 round in RND_i . For safety reasons, a baker must also keep track of the block he voted 142 for, in variable LOCKED_i and for which a preendorsement voting quorum was observed. 143 To guarantee progression, a record ELECT_i of the form $\{b; q; \}$ is used to store the first 144 observed endorsement quorum (in q) for the head block (in b). Finally, in order to speed up 145 the convergence of the algorithm, a record PQC_i of the form $\{p; r; q; \}$ is used to keep track 146 of the preendorsement quorum q with the highest round r, associated to the block payload p. 147 The initial state for a baker is given in figure 7. Bakers are locked on and have elected the 148 genesis block G in order to force the progression to go through proposals at level 1. 149

Time and clocks. Tenderbake runs on the notion of rounds and time. As mentioned in 150 section 1, the ideal consensus scenario is not always attainable. This is where the concept of 151 rounds comes in. Bakers have a predefined number of seconds to decide on a block. Once 152 that time is up, and if an agreement has not been reached, a timeout event is triggered, and 153 the bakers have to drop what they were doing and start a new round. In Tenderbake, this 154 is achieved with clocks and real-time. By combining timestamp information stored in the 155 blocks and their current clock, bakers can calculate both their current round in the consensus 156 and the time remaining before a timeout is triggered. The protocol is also resistant (to some 157 extent) to a possible clock drift between bakers. 158

Our model accounts for this clock/real-time mechanism in an abstract way. To do this, we first simplify the problem by considering that all rounds have the same duration. Then, we get rid of local clocks by replacing them with local counters that contain the number of timeouts a baker has received. Finally, we use a global mechanism (the *oracle*, depicted in Figure 4) to notify a baker when a round ends. Although it may seem too simplistic, our mechanism allows us to account for the problems related to time in Tenderbake, in particular the one related to clock drift.

To implement our abstract synchronization mechanism, we assign two local variables to each baker: a boolean TO_i , for *timeout*, used by the oracle to communicate the end of a round to the baker, and an integer TICK_i to count the number of rounds elapsed since the blockchain was started. We also use a constant Δ to set the maximum offset on the number of ticks (*i.e.* rounds) between bakers.

To start a new round for a baker *i*, our oracle executes *non-deterministically* the guard/ac-



Figure 2 Tenderbake automaton

 $CH_i = (B, _)$ Node $CH_i = (H, PRE)$ Proposal $\neg \mathsf{TO}_i \land \mathsf{B} \neq \mathsf{H} \longrightarrow$

$$\begin{split} \mathbf{let}\{\ell;r;p;pqc;eqc\} &= \mathsf{H} \text{ in} \\ & \mathsf{B}.\ell < \ell \longrightarrow \\ & \mathsf{RND}_i := \mathsf{TICK}_i - (\mathsf{PRE}.t+1) \\ & \mathsf{LOCKED}_i := -;\mathsf{PQC}_i := -;\mathsf{ELECT}_i := - \\ & \mathsf{CH}_i := (\mathsf{H},\mathsf{PRE}) \\ & \mathsf{PQC}_i := pqc \\ & \mathsf{RND}_i = r \longrightarrow \mathsf{PE}_i := \mathsf{PreEndorse}(i,\ell,r,b) \end{split}$$

 $\ell = \mathsf{B}.\ell \land r < \mathsf{RND}_i \land \mathsf{B}.r < r \longrightarrow \\ \mathsf{CH}_i := (\mathsf{H},\mathsf{PRE})$ $\mathsf{PQC}_i.r^? < pqc.r^? \longrightarrow \mathsf{PQC}_i := pqc$ $\ell = B.\ell \land r = RND_i \land (r \neq B.r \lor p = B.p) \longrightarrow$ $CH_i := (H, PRE)$ $PQC_i.r^? < pqc.r^? \longrightarrow PQC_i := pqc$ $LOCKED_i = - \lor LOCKED_i.p = p \lor$ $(pqc \neq - \land LOCKED_i.r \leq pqc.r) \longrightarrow$ $PE := PErEnderce(i \notin r, r)$ $PE_i := PreEndorse(i, \ell, r, p)$

Figure 3 Receiving a proposal

$$\begin{array}{c|c} \neg \mathsf{TO}_i \land & \\ (\forall j, k.j \neq k \implies |\mathsf{TICK}_j - \mathsf{TICK}_k| \leq \Delta) \land \\ (\forall j.j \neq i \implies |\mathsf{TICK}_i + 1 - \mathsf{TICK}_j| \leq \Delta) \rightarrow \\ \\ \mathsf{TO}_i := \mathsf{true}; \\ \mathsf{TICK}_i := \mathsf{TICK}_i + 1; \end{array}$$

Figure 4 Trigger timeout oracle

 $CH_i = (B, _)$ Not Proposer $\mathsf{TO}_i \land \neg isProposerNextRound(i) \land$ $\neg is ProposerNextLevel(i)$ – $\mathsf{TO}_i := \mathtt{false}$ $\mathsf{RND}_i := \mathsf{RND}_i + 1$ $CH_i = (B, P)$ Proposer Next Round $\mathsf{TO}_i \land is ProposerNextRound(i) \land$ $\neg is Proposer NextLevel(i) \longrightarrow$ $\mathsf{TO}_i := \mathtt{false}$ $\mathsf{RND}_i := \mathsf{RND}_i + 1$ $\begin{aligned} \mathsf{RND}_i &:= \mathsf{RND}_i + 1 \\ \mathbf{let} \ p, pqc, P &= \\ \mathbf{if} \ (\mathsf{PQC}_i = -) \ \mathbf{then} \ (\varepsilon, -, \mathsf{P}) \\ \mathbf{else} \ (\mathsf{PQC}_i, \mathsf{PQC}_i, \mathsf{PQC}_i, \mathsf{PqC}) \ \mathbf{in} \\ \mathbf{let} \ \mathbf{b} &= \{\mathsf{B} \ \mathbf{with} \ t = \mathsf{TICK}_i; r = \mathsf{RND}_i; p; pqc\} \ \mathbf{in} \end{aligned}$ $\mathsf{P}_i := \mathsf{Propose}(i, (\mathsf{b}, P))$ Proposer Next Level $CH_i = (B, _)$ $\mathsf{TO}_i \land is ProposerNextLevel(i) \longrightarrow$ $\mathsf{TO}_i := \hat{\mathtt{false}}$ let b = { $\ell = B.\ell + 1$; $t = TICK_i$; $p = \varepsilon$; $r = RND_i - ELECT_i.b.r$; $eqc = ELECT_i.q$; pqc = -} in $\mathsf{RND}_i := \mathsf{RND}_i + 1$ $P_i := Propose(i, (b, ELECT_i.b))$

Figure 5 A baker's possible actions once timeout has been reset

- *l* level of the block in the blockchain; *r* consensus round during which the block was proposed; *t* timestamp of when the block was proposed; *p* block's payload *i.e.* contents without consensus operations; *pqc* preendorsing majority certificate with the round when it was observed;

eqc endorsing majority certificate for the previous block.

Figure 6 Block structure

| Initial state | e fo | r Baker i | Init. | state | for | Mempool |
|---------------|------|---|-------|--------|-----|---------|
| CH_i | = | (G,G) | Node | CH_i | = | (G,G) |
| RND_i | = | 0 | | M_i | = | Ø |
| $TICK_i$ | = | 1 | | P_i | = | _ |
| $LOCKED_i$ | = | Genesis | | E_i | = | - |
| PQC_i | = | $\{p = []; q = \emptyset; q \in \mathbb{N}\}$ | r = 0 | PE_i | = | _ |
| $ELECT_i$ | = | $\{b = G; q = \emptyset\}$ | | | | |
| TO_i | = | true | | | | |

where $G = \{\ell = 0; r = 0; t = 0; p = []; pqc = -; eqc = \emptyset\}$ **Figure 7** Initial states

| $CH_i = (B, _)$ | Preendorsement Quorum |
|---|---|
| $\begin{array}{ll} let \ q = \{m \in M_i \mid m = Pr \\ \ell = B.\ell \\ r = RN \\ \neg TO_i \land quorum(q) \land L \\ PQC_i := \{p = B.p; r = \\ LOCKED_i := B \\ E_i := Endorse(i, B.\ell, B \\ \end{array}$ | $\begin{array}{l} eEndorse(_,\ell,r,p) \land \\ \land \ p = B.p \land \\ D_i = B.r\} \ in \\ OCKED_i \neq B \longrightarrow \\ e \ B.r; \ q = q \} \\ .r, B.p) \end{array}$ |
| | |
| $CH_i = (B, _)$ | Endorsement Quorum |
| | |
| $\begin{array}{l} let \ q = \{m \in M_i \mid m = H \\ \ell = B, \\ r = R \\ \neg TO_i \ \land \ quorum(q) \ \land \\ ELECT_i := \{b = B; q \end{cases}$ | $ \begin{array}{l} \operatorname{Endorse}(_, \ell, r, p) \land \\ \ell \land p = B.p \land \\ \operatorname{ND}_i = B.r\} \text{ in} \\ \operatorname{ELECT}_i = - \longrightarrow \\ q = q \} \end{array} $ |
| let $q = \{m \in M_i \mid m = B \\ \ell = B \\ r = R \\ \neg TO_i \land quorum(q) \land \\ ELECT_i := \{b = B; q \end{bmatrix}$ Figure 8 Preendorsement an | Endorse(_, ℓ , r , p) \land ℓ \land $p = B.p \land$ ND _i = B.r} in ELECT _i = $- \rightarrow$ $q = q$ } d endorsement quorums |

| $\begin{array}{l} PreEndorse(j,\ell,r,p)? \lor PE_i = PreEndorse(j,\ell,r,p) \longrightarrow \\ M_i := M_i \cup \{PreEndorse(j,\ell,r,p)\} \\ PE_i \neq - \longrightarrow \\ PreEndorse(i,\ell,r,p)! \\ PE_i := - \end{array}$ |
|--|
| $ \begin{array}{l} Endorse(j,\ell,r,p)? \lor E_i = Endorse(j,\ell,r,p) \longrightarrow \\ M_i := M_i \cup \{Endorse(j,\ell,r,p)\} \\ E_i \neq - \longrightarrow \\ Endorse(i,\ell,r,p)! \\ E_i := - \end{array} $ |
| $\begin{array}{l} Propose(j,(h,pre))? \lor P_i = Propose(j,(h,pre)) \longrightarrow \\ let \left\{ \ell; r; pqc; eqc \right\} = h \ in \\ is Proposer(j,\ell,r) \land \\ (H.\ell,H.pqc.r,-PRE.r,H.r) < (\ell,pqc.r,-pre.r,r) \land \\ valid_eqc(eqc,pre) \land \\ (pqc = - \lor valid_pqc(h)) \longrightarrow \\ NodeCHi := (h,pre) \\ P_i \neq - \longrightarrow \\ Propose(i,(h,pre))! \\ P_{i} := \mathbf{h}.pre(h,pre) \\ P_{i} := \mathbf{h}.pre(h,pre$ |

Figure 9 Mempool transitions



FMBC 2021

5:6 Formally Documenting Tenderbake

172 tion command in figure 4 as soon as (1) the baker i has no timeout to handle (2) the

differences between any two bakers' counted rounds does not exceed Δ , before and after execution of the transition.

The command's action sets the *timeout* variable of the baker i to **true** and increments its tick counter. This transition guarantees that no two bakers can drift for more than Δ rounds but allows each one to proceed independently. After this transition, the baker must handle its timeout and move according to one of the three cases described in the next paragraph. In Tenderbake, we use $\Delta = 1$, which means that internal clocks of the machines on which bakers run are only allowed to drift by an amount that would result in a difference of at most one round.

Timeout transitions. As shown in Figure 2, a baker is forced to move to state NP when the 182 oracle resets his TO_i variable. This is when the baker can start a new round if no consensus 183 was reached during the current round, or a new level, if the baker has collected a quorum 184 of endorsements for his current head block. The actions bakers are allowed to perform on 185 timeouts depend on their right to propose a new block for the next round (in the same 186 level), or for the earliest possible round of the next level in which the baker can propose. We 187 abstract this authorization with a predicate $lsProposer(i, \ell, r)$ which is true when baker i is 188 the proposer at level ℓ and round r. 189

Figure 5 contains the possible behaviors (or transitions) of a baker after a timeout. In 190 NOT THE PROPOSER, the baker first checks that he is not the proposer for the next round 191 $\mathsf{RND}_i + 1$ of the current level $\mathsf{B}.\ell$ (see Def. of is ProposerNextRound). Then, either there 192 is no block stored in ELECT_i (denoted by $\mathsf{ELECT}_i = -$), meaning the baker did not obtain 193 a quorum for his head block, or the baker is not the proposer for the next level (see Def. 194 of isProposerNextLevel). In the latter case, instead of $lsProposer(i, B.\ell + 1, 0)$, the baker 195 checks for the round $\mathsf{RND}_i - \mathsf{ELECT}_i b.r$ of the next level $\mathsf{B}.\ell + 1$. This expression takes 196 into account the difference between the baker's current round RND_i and the round during 197 which the baker obtained a quorum for his head block (stored in the ELECT_i variable). Thus, 198 for instance, if a baker obtains a quorum at round $RND_i = r$, and if he is the proposer 199 for the next level at the end of that round r, then the baker checks indeed the first round 200 $\mathsf{RND}_i - r = 0$ of the next level. The actions associated to this transition consist only of 201 resetting the TO_i variable and incrementing the counters TICK_i and RND_i . In PROPOSER 202 OF NEXT ROUND, the baker communicates a proposal Propose(i, (b, P)) for the next round 203 to the Mempool through the variable P_i . The block b is built using the content of the head 204 block B with new timestamp and round information. The payload of this new proposal is 205 either a fresh value (denoted by ε) or the payload of the block stored in the baker's PQC_i 206 variable, if it exists. The preendorsement quorum certificate of this new block is either empty 207 or the one stored in PQC_i . In PROPOSER OF NEXT LEVEL, the baker must have a block 208 stored in ELECT_i and he must also be the proposer of the round $\mathsf{RND}_i - \mathsf{ELECT}_i . b.r$ in the 209 next level $B.\ell + 1$. The new proposal contains a fresh payload, an endorsement quorum for 210 its block predecessor taken from $\mathsf{ELECT}_{i,q}$ and a timestamp equal to TICK_{i} . 211

The Mempool. While a Mempool typically serves as a gossip layer, simply passing on messages between bakers, Tenderbake's Mempool is more sophisticated. For instance, the Mempool keeps a local variable NodeCH_i, its own copy of the blockchain, the most up-to-date version that it has "seen" come through. Since the consensus in Tenderbake depends on the last two blocks, NodeCH_i contains only the head of the blockchain and its predecessor in our model. In addition to these blocks, the Mempool also maintains a set M_i of all of the votes (PreEndorse or Endorse messages) that it receives from all bakers.

Conchon et al.

Furthermore, when the Mempool receives a proposal, either through a message or a shared 219 variable, it first verifies that the proposed block is actually *better* than its current head. If 220 it is indeed better, the Mempool simply updates its version of the blockchain. Otherwise, 221 it is ignored. The notion of a *better chain* is an important part of a consensus algorithm, 222 corresponding to a total ordering between blocks. In Tezos, this ordering is based on a notion 223 of *fitness*, which amounts to comparing, in a lexicographic order, the following quadruples 224 $(H.\ell, H.pqc.r, -PRE.r, H.r) < (l, pqc.r, -pre.r, r)$, where H and PRE are the first two head 225 blocks of NodeCH_i, while h and pre are the blocks received in a Propose(j, (h, pre)) message. 226 Moreover, in addition to fitness, the Mempool ensures the information contained in the eqc227 and pqc fields is valid. Last, if this better proposal has been received through a shared 228 variable, the Mempool broadcasts it to the other participants. Figure 9 shows transitions 229 of the Mempool that handle PreEndorse and Endorse votes (received either by messages or 230 through the shared variables PE_i and E_i). These messages are simply stored in M_i^{1} . 231

Proposal transition. As seen in Figure 2, a baker can handle a new proposal in any state. We give in Figure 3 the Proposal transition that a baker can execute as soon as he is running a new round and when the head block B in CH_i is different from the one in the Mempool. In that case, a baker determines if he can vote (preendorse) for the new head stored in the Mempool. There are only two possibilities for a baker to preendorse a proposal:

1. The chain stored in the Mempool is *strictly* longer than the one stored in the baker.

238 2. Both chains have the same length and the proposal's round is equal to the current baker's 239 round RND_i . The baker also checks that he is not about to vote twice in the same round, 240 except for the same payload. Moreover, the baker only preendorses in this case if:

a. he has never endorsed (locked) a previous proposal in the same level, or

b. he is locked to some block payload p0 at some round r0, but the current proposal's payload is equal to p0, or the current proposal got a PQC at some round r1 > r0.

In (1), a baker synchronizes the value of its current round RND_i in the new level. It also checks, before preendorsing, that the block H, while at a higher level, does not correspond to an old proposal.

Quorums. The last two transitions are described in Figure 8. As mentioned above, the 247 Mempool keeps a set M_i of all the messages it has received. If the number of preendorse 248 messages for the head block B stored in CH_i is enough for a quorum, then a baker can 249 execute the Preendorsement Quorum transition to update PQC_i with his current head and the 250 calculated quorum, change $LOCKED_i$ to B, since this is the block he is about to endorse, and 251 communicate an $\mathsf{Endorse}(i, \mathsf{B}.\ell, \mathsf{B}.r, \mathsf{B}.p)$ message to the Mempool. An endorsement quorum 252 transition is possible in states CE and CP. The baker observes endorsement quorums only 253 when his ELECT_i variable is not set. In that case, if enough endorsement messages exist in 254 the Mempool for his head block, the baker records that block and its quorum in ELECT_i . 255

256 **4 TLA**⁺

In this section we discuss how we go from the previous automaton to its TLA⁺ implementation.
The automaton makes it fairly straightforward to convert to TLA⁺ by simply representing
the baker, the Mempool, the possible actions, and the synchronization mechanism.

The Baker and the Mempool. We define a constant set BAKERS of all bakers in the network. A variable BakerState maps each baker to their state (i.e. the internal variables

¹ Although we could wipe the contents of M_i at each new round startup, we decided not to do it explicitly to be able to explore different mempool cleaning strategies in practice.

5:8 Formally Documenting Tenderbake

267

280

from section 3), represented as a record structure. We stray from the types in section 3 by using *n*-tuples instead of records to represent LOCKED_i, ELECT_i, and PQC_i. BakerState[i] represents the state of baker *i*. To model the phases of the algorithm, we add an internal variable STATE_i for each baker. Initially, each baker starts off in the following state, where sequences are delimited by $\langle \rangle$, and *Genesis* is the genesis block:

$$InitialState \stackrel{\Delta}{=} [state \mapsto "np", pqc \mapsto \langle \rangle, ch \mapsto \langle Genesis, Genesis \rangle, rnd \mapsto 0, \\ locked \mapsto \langle \rangle, elect \mapsto \langle Genesis, \{\} \rangle, timeout \mapsto TRUE, tick \mapsto 0]$$

The Mempool is a record with the fields - nodeCH, for its local blockchain (the first two blocks), msgs, the set of Endorse and PreEndorse messages it has received, and the fields propose, endorse, preendorse for the variables P_i , E_i , PE_i . It starts off with an empty set of msgs and two *Genesis* blocks.

Synchronization. As mentioned in section 3, we introduce an oracle transition which allows bakers to progress individually with timeouts (TO_i) while maintaining synchronization, *i.e.* by being at most Δ rounds apart. We do the same thing in our TLA⁺ implementation: TO_i is the first enabling condition of each timeout step definition.

Actions. Bakers and the Mempool are impacted by the various actions on the network. Each of these are defined individually in TLA⁺. For example, the Endorsement Quorum step in Figure. 2, enabled in CP or CE, is defined as follows:

$$\begin{split} EndQuorum(i) &\triangleq \land BakerState[i].timeout = \texttt{FALSE} \\ \land BakerState[i].elect = \langle \rangle \\ \land BakerState[i].state = \texttt{"cp"} \lor BakerState[i].state = \texttt{"ce"} \\ \land CollectEnd(i) \\ \land BakerState' = [BakerState \texttt{EXCEPT} \\ & ![i].elect = \langle BakerState[i].chain[1].round, \\ & BakerState[i].chain[1].contents, \\ & BakerState[i].chain[1].time \rangle, \\ & ![i].state = BakerState[i].state] \\ \land \text{ UNCHANGED Mempool} \end{split}$$

²⁸¹ Baker *i* can execute this step iff (i) he is synchronized, (ii) he is in state cp or ce, and (iii) ²⁸² CollectEnd(*i*) is true. CollectEnd (for "collecting endorsements") counts all of the Endorse ²⁸⁴ messages for *i*'s current head in Mempool.msgs and checks whether it is enough for a quorum. ²⁸⁵ If these three conditions are satisfied, baker *i* modifies ELECT_{*i*} and transitions to phase NP ²⁸⁶ of the algorithm. Every other transition in Figure 2 is defined in a similar way.

Test scenarios. While the automaton made writing our TLA⁺ specification easier, the spec itself has, in return, proven extremely useful in debugging the automaton. Sometimes a deadlock would be reached when it should not have been, leading us to review Tenderbake's code, and fixing things we overlooked in our model. The main advantage is, however, being able to run various test scenarios. We can easily modify our spec to account for various clock drifts or Byzantine bakers.

²⁹³ **5** Conclusion

In this paper we proposed a TLA⁺ model of Tenderbake, along with an automaton detailing the key parts of Tenderbake. This method simplifies the problem by abstracting the notion of time, while retaining Tenderbake's more nuanced features, such as its more elaborate Mempool. Our method gives us a formalized and executable Tenderbake documentation. This serves as the foundation for running specific test scenarios and verifying properties Tenderbake needs to satisfy. An immediate line of future work is to define those properties and check them with the TLC model checker.

| 301 | | References |
|-----|---|--|
| 302 | 1 | Yackolley Amoussou-Guenou, Antonella Del Pozzo, Maria Potop-Butucaru, and Sara Tucci |
| 303 | | Piergiovanni. Correctness of tendermint-core blockchains. In 22nd International Conference on |
| 304 | | Principles of Distributed Systems, OPODIS 2018, December 17-19, 2018, Hong Kong, China, |
| 305 | | volume 125 of <i>LIPIcs</i> , pages 16:1–16:16, 2018. |
| 306 | 2 | Lăcrămioara Astefănoaei, Pierre Chambart, Antonella Del Pozzo, Thibault Rieutord, Sara |
| 307 | | Tucci Piergiovanni, and Eugen Zalinescu. Tenderbake - a solution to dynamic repeated |
| 308 | | consensus for blockchains. In Fourth International Symposium on Foundations and Applications |
| 309 | | of Blockchain, 2021. |
| 310 | 3 | Sean Braithwaite, Ethan Buchman, Igor Konnov, Zarko Milosevic, Ilina Stoilkovska, Josef |
| 311 | | Widder, and Anca Zamfir. Formal specification and model checking of the tendermint |
| 312 | | blockchain synchronization protocol (short paper). In 2nd Workshop on Formal Methods for |
| 313 | | Blockchains, FMBC@CAV 2020, July 20-21, 2020, Los Angeles, California, USA (Virtual |
| 314 | | Conference), volume 84 of OASIcs, pages 10:1–10:8, 2020. |
| 315 | 4 | Miguel Castro, Barbara Liskov, et al. Practical byzantine fault tolerance. In OSDI, volume 99, |
| 316 | | pages 173–186, 1999. |

5 LM Goodman. Tezos—a self-amending crypto-ledger white paper. URL: https://www. tezos.
 318 com/static/papers/white paper. pdf, 2014.

319 6 Jae Kwon and Ethan Buchman. Cosmos whitepaper, 2019.