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Denys Nikolayev, Wout Joseph, Emmeric Tanghe, Marleen Welkenhuysen, Carolina Mora Lopez, et al.. Low-Profile 3D Microelectrodes with Near-Uniform Current Density for High-Resolution Neural Stimulation. Brain Stimulation, 2019, 12 (4), pp.e155-e157. 10.1016/j.brs.2019.03.021. hal-03376863

HAL Id: hal-03376863

https://hal.science/hal-03376863

Submitted on 18 Oct 2021

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PROCEEDINGS #63: LOW-PROFILE 3D MICROELECTRODES WITH NEAR-UNIFORM CURRENT DENSITY FOR HIGH-RESOLUTION NEURAL STIMULATION

Denys Nikolayev ^{1,2}, Wout Joseph ¹, Emmeric Tanghe ¹, Marleen Welkenhuysen ², Carolina Mora Lopez ², Thomas Tarnaud ¹, Luc Martens ¹. ¹ INTEC, imec/Ghent University, 9052 Ghent, Belgium; ² imec, 3001, Heverlee, Belgium

Abstract

Background: Uniform current density electrodes can reduce the risk of electrode corrosion and tissue damage, but existing geometries do not suit thin planar leads.

Objectives: This study examines current density distribution (CDD) on low-profile electrode designs and proposes an approach to obtain optimal geometries with near-uniform CDD requiring reduced recession depths.

Methods: The electrodes are defined as parametric curves, analyzed using

the quasi-static approach, and optimized using the downhill simplex method.

Results: Obtained electrode designs with near-uniform CDD remain low profile and require twice as less recession depths comparing to reference designs.

Conclusion: These electrode shapes are suitable for miniature high-resolution planar DBS leads.

Introduction

Deep brain stimulation (DBS) is an established technique helping us to improve lives and to study the brain. Miniature high-resolution planar shanks [1] are a promising technology that can increase the spatial precision of DBS and hence lessen DBS-induced side effects. However, due to the small electrode surface sizes ($S \lesssim 10^4~\mu\text{m}^2$), the volume of tissue activated (VTA) is usually insufficient. From the point of view of electric field E and potential V distribution in electrolytes, one can effectively represent any microelectrode as a point source at distances as little as 50 μ m [2] (cellular level). For a given electrode surface area, VTA depend mainly on the amount of charge that can be safely injected into electrolyte through capacitive transfer and reversible faradic reactions [3].

The electrode shape affects the spatial distribution of current density |J| on the electrode surface that is a cofactor with charge in stimulation induced neural damage [4]. Under stationary conditions, any planar electrode—insulator pair has a non-uniform charge and thus |J| distributions with their maximums at the electrode edges (Fig. 1A). This may lead to localized electrode corrosion or tissue burns at the edges (Fig. 1B) [3]. A few studies quantified how the electrode shape affect its performance and safety [5–8]. However, to the best of our knowledge, none of these studies focused on electrode shapes for thin planar shanks. Uniformizing |J| distributions can help maximizing the effectiveness of neural stimulation while avoiding tissue damage [9].

A few fundamental shapes give uniform |J| over their surfaces: a conductive sphere, a conductive half-sphere over an infinite insulator, and a disc electrode that is infinitely recessed into an insulator. However, these approaches are incompatible with thin planar shanks (thickness ~ $20 \mu m$). A

more appropriate solution was proposed by Ksienski in [10]. It combines a spheroid-like shape of radius a recessed into a substrate to a depth d=0.2077a (Fig. 1C–E). Still, to ensure the uniform CDD on electrodes of a 100- μ m-wide lead ($a\approx45$ μ m), d=9.3 μ m remains unacceptable due to manufacturing and mechanical constraints. Consequently, the maximum recession depth should be limited to a few μ m.

In this paper, we characterize, at first, the effect of radius a on the average current density |J| of Ksienski's electrodes on a finite-sized planar shank in order to establish the reference values of |J|. Next, using optimization methods, we develop electrodes with near-uniform current density distributions (CDD) that require reduced (1–3 μ m for $a=45~\mu$ m) recession depths.

Methods

We use a quasi-static formulation [11] in cylindrical coordinates (r, φ, z) to study the current density J over the electrodes using the fully hp-adaptive finite element method (hp-FEM) [12]. Considering the axial symmetry of the studied electrodes (e.g. Fig. 1E), we reduce the spatial dimensionality of the problem to \mathbb{R}^2 [i.e. potential $V(\varphi) = \text{const.}$]. The brain tissue is assumed to have homogeneous and isotropic properties with the conductivity $\sigma = 0.1 \text{ S} \cdot \text{m}^{-1}$.

The Laplace's equation $\nabla \cdot \mathbf{J}(r,z) = 0$ governs distributions of the potential V, electric field $\mathbf{E} = -\nabla V$, and the current density $\mathbf{J} = (\sigma + j\omega \epsilon_0 \epsilon_r)\mathbf{E}$, where ω is the angular frequency and $\epsilon_0 \approx 8.85 \times 10^{-12}~\mathbf{F} \cdot \mathbf{m}^{-1}$. A unitary potential $V_0 = 1$ (V) models the electrode that extends up to a radius r < a (Fig. 1C). The Neumann boundary condition $\mathbf{n} \cdot \mathbf{J} = 0$ represents the perfect insulator ($r \geq a$). A quadrant of a radius r = 20a truncates the computational domain with a Dirichlet boundary condition V = 0 (Fig. 1C). To avoid the singularity in the model (Fig. 1D), we round the corner formed by the insulator with a radius of 0.05d.

The electrode and the shank are defined as analytic curves and optimized numerically to achieve uniform current density (UCD) distributions. Cubic Bézier curves [13] model the electrode surface spanning between the starting point (r=0,z=0), and the ending point (a,-d). The starting point is normal to the z-axis. Therefore, four parameters a,e_z,e_n , and c_r (Fig. 1D) define the parametric space for each Bézier curve section. We study electrodes containing n [from one (Fig. 1D) to four] Bézier sections. A 2- μ m-thick wall of insulator separates the sections. The curve shape is optimized in terms of Σ_n $(a,e_z,e_n,c_r)_n$ using the downhill simplex method in order to achieve the near-uniform CDD. Considering that the charge is conserved [14], we set the objective to minimize the max_a||.

Results and Discussion

First, we characterize a widely used square planar electrode of area 10^4 - μm^2 and 1- μm thickness for reference purposes. Fig. 1A shows the charge density distribution over the electrode for $V_0=1$ V (the edges are beveled with a radius of 0.3 μm to avoid singularity). Indeed, we see the underutilization of the electrode surface with the charge stored and being injected mostly from the vertices. The distribution of non-reversible redox currents agrees well with CDD (Fig. 1B).

On the other hand, |J| of a planar disk electrode peaks uniformly at the edge; max|J| is about one order of magnitude lower than for the square electrode of the same 10^4 - μ m² surface area. Yet, the edge-to-center ration of |J| is about nine.

The current density induced by a UCD electrode [|J|(r) = const., SD < 0.1%] depends on its radius a (Fig. 1F) and can be accurately predicted as |J| [A·cm⁻²] = 10.31a[µm] $^{-0.947}$ (adj. R² = 0.9997). However, for sufficiently large electrodes (a > 15 µm), this design requires recession depths d > 3 µm that exceed the capabilities of the manufacturing process. Therefore, we optimize the UCD design (a = 45 µm, Fig. 1E) by splitting it into n concentric sections of radii a_n separated by two-µm-thick insulators. The obtained surface is then optimized in terms of $\Sigma_n(a, e_z, e_n, c_r)_n$ using the downhill simplex method that minimizes max|J|.

Fig. 1G compares an optimized shape (n=2, $d=2.3~\mu m$, 2- μm -wide insulator at $a_1=27~\mu m$) to a UCD and a planar disk designs of the same radius. Peak $|J|=0.54~{\rm A\cdot cm^{-2}}$ is a 74% decrease comparing to a disk electrode, but about twice that of the UCD. The optimized design could be realized on a miniature high-resolution planar shank, as it requires $d \le 3~\mu m$. The effect of the proposed electrodes on safe charge injection limits is to be characterized in future studies.

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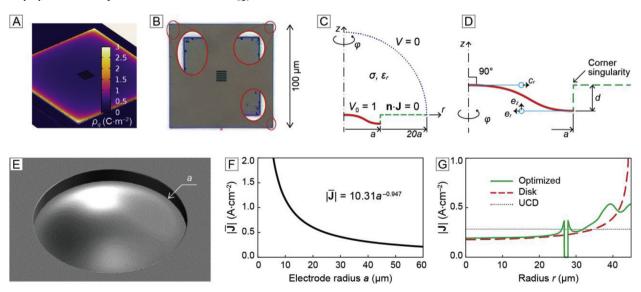


Figure 1. Electrodes for a planar high-resolution DBS lead ($V_0 = 1 \text{ V}$). **a.** Surface charge density ρ_q distribution over a square $S = 10^4 \, \mu\text{m}^2$ electrode. **b.** Microphotograph of a $10^4 - \mu\text{m}^2$ TiN electrode corroded at edges due to voltage-transient measurements *in vitro* [max(I) = 1 mA]. The pattern of damage agrees well with ρ_q or, equivalently, [J] distributions. **c.** Formulation of the problem. **d.** Definition of the electrode geometry and parameters. **e.** UCD electrode of radius a recessed to a depth d = 0.2077a [10]. **f.** Average current density [J] of a UCD electrode depends on radius a. **g.** Current density distributions over radial components of $a = 45 \, \mu\text{m}$ electrodes: optimized ($d = 2.3 \, \mu\text{m}$, max[J] = $0.54 \, \text{A} \cdot \text{cm}^{-2}$), disk (max[J]) = $2.1 \, \text{A} \cdot \text{cm}^{-2}$), and UCD [10] ($d = 9.3 \, \mu\text{m}$).

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