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# Synergistic or Antagonist Effects of Different UV Ranges

## Analyzed by the Combination Index: Application to DNA

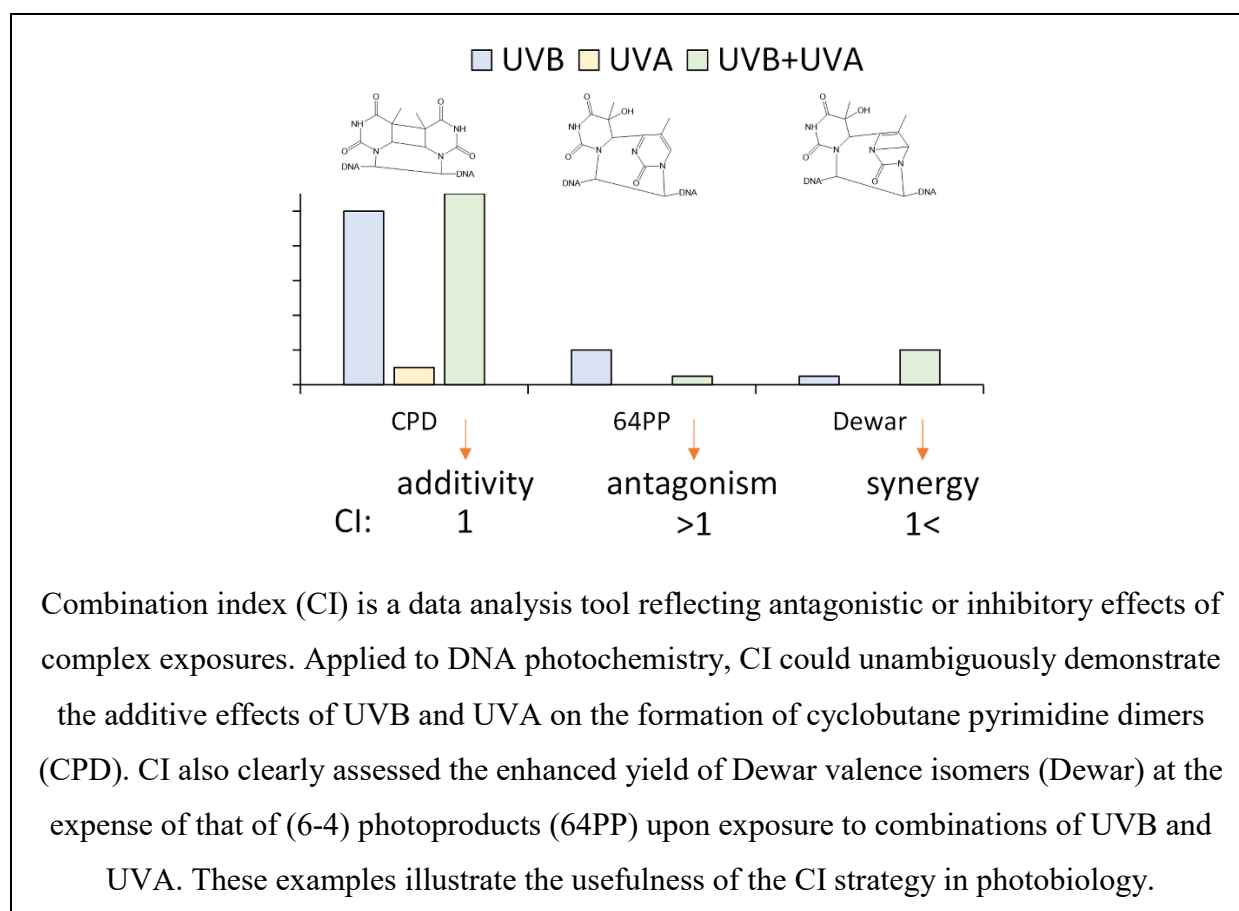
### Photoproducts

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Combination index (CI) is a data analysis tool reflecting antagonistic or inhibitory effects of complex exposures. Applied to DNA photochemistry, CI could unambiguously demonstrate the additive effects of UVB and UVA on the formation of cyclobutane pyrimidine dimers (CPD). CI also clearly assessed the enhanced yield of Dewar valence isomers (Dewar) at the expense of that of (6-4) photoproducts (64PP) upon exposure to combinations of UVB and UVA. These examples illustrate the usefulness of the CI strategy in photobiology.

18 **ABSTRACT**

19 Photobiological effects are known to greatly depend on the wavelength of the incident photons  
20 that define the nature of the activated chromophores. A growing number of experimental data  
21 show that considering the effect of complex light sources as a sum of the effects of  
22 monochromatic exposures can be misleading. Indeed, the combined exposure to several  
23 wavelength ranges may modulate photobiological responses or even induce novel processes.  
24 These observations are similar to a well-known topic in chemical toxicology: the non-additivity  
25 of effects in mixtures where either antagonism or synergy are often observed. In the present  
26 work, we investigated if a data analysis tool first developed for studying non-additivity in  
27 mixtures of drugs, the combination index, could be applied to photobiological processes. We  
28 chose to work on the formation of UV-induced DNA photoproducts where additive, antagonist  
29 and synergistic effects take place simultaneously. In addition to this application, we worked on  
30 the mathematical bases of the concept in order to broaden its applicability to phenomena  
31 exhibiting various dose-response patterns. We also addressed the question of the evaluation of  
32 the error on the determination of the combination index.

33

34

35 Keywords: data modeling, co-exposure, action spectra, non-additive effects, DNA damage

36

## 37 INTRODUCTION

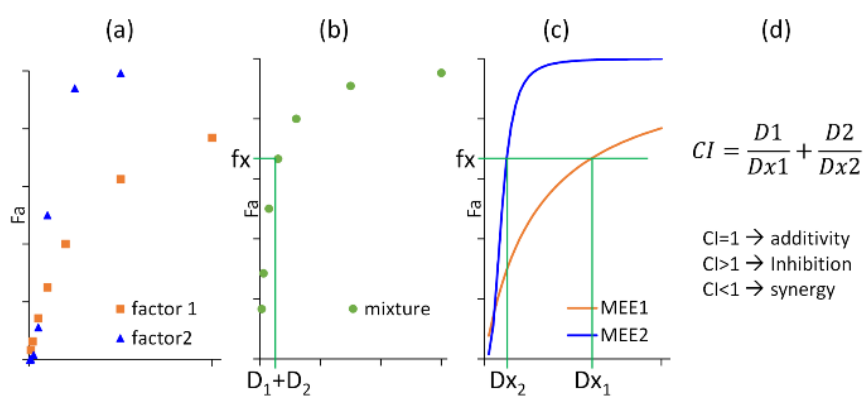
38 The activation and the intensity of photobiological responses are obviously dependent on the  
39 fluence of the radiation but also of the wavelength of the incident photons. This has been  
40 realized for a long time and is classically taken into account by the use of action spectra (1-4),  
41 which report the wavelength-dependent variation of the intensity of an effect per dose unit. By  
42 convolution with the emission spectrum of a source of interest, action spectra provide an  
43 estimation of the biological effect under specific experimental conditions. However, the use of  
44 action spectra is based on an additivity principle that is not always relevant in photobiology.  
45 Some photobiological effects may result from the consecutive impact of two different  
46 wavelength ranges. In this case, a synergy is observed. Conversely, there are cases where the  
47 response triggered by a wavelength range is decreased by another, leading to an antagonism.  
48 Examples can be found in the photomorphogenesis of plants that is activated and inhibited at  
49 two different wavelengths, (5) or in bacteria where sunlight simultaneously induces DNA  
50 damage and activates photolyase repair enzymes (6, 7). As we recently reviewed, similar  
51 non-additive effects have been reported in humans and in mammalian cells (8).  
52 Immunosuppression is induced by both UVB and UVA but UVA may counteract the effect of  
53 UVB (9-11). Similarly, the extent of apoptosis depends on the ratio between the two wavelength  
54 ranges upon co-exposure to UVB and UVA (12). More recently, UVA was reported to modulate  
55 the cytotoxicity of UVB (13). Other examples concern the induction of oxidative stress. UVA  
56 was found to promote the formation of lipofuscin that is a visible light photosensitizer (14).  
57 Similarly, some UVB photoproducts of tryptophan like N-formylkynurenine are  
58 UVA-photosensitizers (15-17). Last, in the field of DNA damage, pyrimidine (6-4) pyrimidone  
59 photoproducts (64PPs) are produced by UVB radiation in DNA and efficiently converted into  
60 their Dewar valence isomers (Dewars) by UVA photons (18, 19).

61 The non-additive effects of different wavelength ranges represent thus a key issue in the  
62 prediction and understanding of photobiological effects. Unfortunately, they are not frequently  
63 taken into consideration or only on a very limited number of applied doses. This last point is  
64 important because some effects can be additive within a dose range and antagonist or synergistic  
65 in another. The purpose of the present work is thus to provide a methodology for the  
66 identification of non-additivity effects in photobiology under the largest set of conditions  
67 possible with the most reasonable amount of experimental work. Ideas of experimental design  
68 and data treatment for this problem can be found in the field of the pharmaceutical and  
69 toxicological effects of chemicals, where examples of non-additive responses to the  
70 combination of organic or inorganic compounds are countless. The question of the non-additive  
71 effects has been put forward for many years with the notions of exposome and cocktail effects  
72 (20). Several mathematical models have been designed to analyze experimental data and  
73 establish the occurrence, or not, of synergy or antagonism in the impact of mixtures (21-23).  
74 Among them, the combination index (CI) approach proposed by Chou (24-27) is particularly  
75 attractive as it combines the *a priori* definition of an optimal experimental plan with a strict  
76 mathematical approach for the identification of antagonist or synergistic effect. This strategy  
77 was designed for the optimization of the efficiency of combinations of drugs. It was very  
78 successful in various fields. More than 1500 references to the combination index could be  
79 retrieved, for a large part in the field of cancer treatment but also in studies on HIV or in  
80 toxicology investigations. The most complete review on the combination index (25) has  
81 received more than 4000 citations. The mathematical model designed by Chou is derived from  
82 the mass action law and is well suited to study the interaction of a drug with a physiological  
83 target (25, 27). Extensive mathematical analysis of the underlying phenomena led Chou and his  
84 co-workers to propose a rather simple equation describing pharmaco-kinetics interaction, the

85 medium effect equation (MEE). The same mathematical framework led to the design of the CI,  
86 a convenient tool to study antagonist and synergistic effects.

87 As it originates from the mass action law, the MEE can precisely model data ranging between  
88 0 and 1 (or 0 and 100 %) with dose-dependent curves of the responses exhibiting sigmoidal or  
89 hyperbolic shapes. In addition, the MEE requires only two fitting parameters thus limiting the  
90 required dose-response experiments for their determination. Determining the MEE is a requisite  
91 to the calculation of the CI. The value of the CI shows whether the effects of a mixture are  
92 additive ( $CI=1$ ), antagonist ( $CI>1$ ) or synergistic ( $CI<1$ ). The strategy underlying the *CI*  
93 approach is illustrated on a theoretical example on Scheme 1. In the framework designed by  
94 Chou and co-workers, results are expressed as the affected fraction  $fa$ , namely the yield of a  
95 process. Experiments are first performed with the two studied chemical or physical factors alone  
96 in a series of doses or concentrations. The parameters of the MEE are calculated for each set of  
97 data by a Log-Log transformation. More mathematical details are provided in the “Data  
98 Modeling” part below. The *CI* can then be calculated for any combination of the two factors.  
99 Obviously, it is of utmost importance to determine the *CI* over a wide variety of mixture  
100 compositions, which drive the extent of deviation from additivity. Therefore, *CI* investigations  
101 include a third experiment in which the two factors are applied simultaneously in different  
102 concentrations but with a constant ratio. The global effect  $fx$  of each of these combinations  
103  $D1+D2$  is determined. The MEE for the two factors are then used to determine the  
104 concentration of the dose  $Dx1$  and  $Dx2$  of pure factors 1 and 2 necessary to induce the same  
105 effect  $fx$  as the mixture. The *CI* is defined as  $\frac{D1}{Dx1} + \frac{D2}{Dx2}$ . Additivity is shown by a value of *CI* of  
106 1. This can be illustrated by an example with two factors equally efficient at inducing a response  
107 (same MEE). If a 1:1 mixture of factors 1 and 2 at a dose  $D$  induces a response  $fx$ ,  $Dx1$  value  
108 will be  $2D$  (because factor 1 alone is as efficient as factor 2 in the mixture). The same will be  
109 obtained for factor 2. Therefore,  $CI = \frac{D}{2D} + \frac{D}{2D} = \frac{1}{2} + \frac{1}{2} = 1$ . Similar calculations can be made

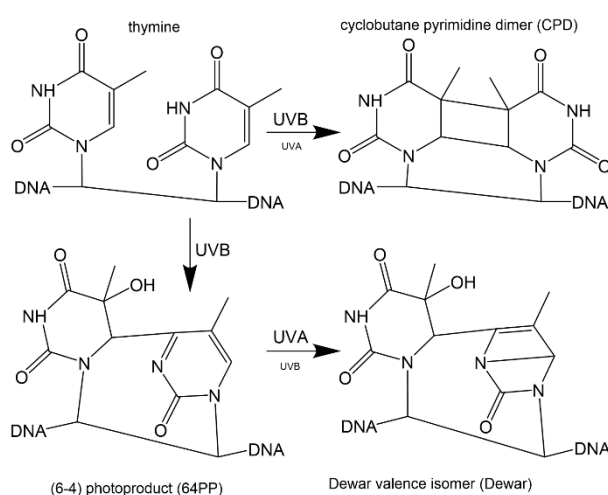
110 when factors 1 and 2 are not equally efficient. Keeping this example of equally efficient factors  
 111 1 and 2, it may be observed in other cases that the dose of pure factor 1 or pure factor 2 required  
 112 to observe a response  $fx$  is less than  $2D$ . In this case the  $\frac{D}{Dx}$  terms in  $CI$  are larger than  $\frac{1}{2}$  and  
 113 consequently  $CI > 1$ . This correspond to a situation where a larger amount of the two factors are  
 114 necessary in mixture than as pure products to observe a same effect. This is typically the case  
 115 of an antagonist mixture effect. An opposite calculation can be made for synergy effects that  
 116 correspond to  $CI < 1$ .



117  
 118 **Scheme 1:** Principle of the determination of the combination index  $CI$ . (a) The amplitude of  
 119 the studied effect  $fa$  is determined for factors 1 and 2 applied alone on a range of  
 120 concentrations that can be different for the two factors. (b) Experiments are performed with  
 121 mixtures of factors 1 and 2 exhibiting a constant ratio  $D_1/D_2$ . The  $CI$  can be determined for  
 122 each of the mixtures. Those have a concentration  $D_1+D_2$  and induce an effect  $fx$ . (c) Data from  
 123 (a) are fitted by the MEE. The latter equation provides the values of the concentration of pure  
 124 factors 1 ( $Dx_1$ ) and 2 ( $Dx_2$ ) leading to the effect  $fx$ . (d) The  $CI$  is calculated and the  
 125 conclusion on additivity, synergy or antagonism is deduced.

126  
 127 In the present work, we aimed at providing a proof-of-concept that the  $CI$  approach could be  
 128 used in photobiology. For this purpose, we applied the  $CI$  formalism to the well-known UV  
 129 photochemistry of DNA (Scheme 2), and in particular to the formation of pyrimidine dimers  
 130 (28-30). These photoproducts arise, upon exposure to UVB, from the cycloaddition of the  
 131 C5-C6 double bonds of adjacent pyrimidine bases or from the addition of the C5-C6 double

132 bond of the 3'-end pyrimidine to the C4 carbonyl or imine group of the 5'-end pyrimidine. The  
 133 respective products are cyclobutane pyrimidine dimers (CPDs) and 64PPs. CPDs are also  
 134 produced by UVA, although in much lower amounts than by UVB. A specific feature of 64PPs  
 135 is that their pyrimidone moiety can absorb a second UV photon and undergo photoisomerization  
 136 into Dewars. In isolated photoproducts, this photoreaction is most efficient at approximately  
 137 320 nm (31, 19, 32, 33), but this maximum is shifted towards the UVA region (18) within DNA  
 138 because of the presence of overwhelming amounts of normal bases that shield UVB photons  
 139 (34). DNA photochemistry thus offers examples of additive (CPDs), synergistic (Dewars) and  
 140 antagonist (64PPs) effects between UVB and UVA. In addition, the yield of photoproducts  
 141 cannot be more than 100 %. The latter observation is reinforced by the fact that experiments  
 142 are always performed at a low modification rate that mimics real life situations. In that respect,  
 143 these data are well suited for application of the MEE. We also used them to explore the use of  
 144 other modeling equations in place of the MEE. Indeed, the latter function does not reproduce  
 145 all possible dose-course shapes of biological responses, which can be more complex than a drug  
 146 / target interaction. In addition, numerous effects do not range between 0 and 1, and can exhibit  
 147 no theoretical limit.



148  
 149 **Scheme 2:** Structure of the dimeric pyrimidine photoproducts induced in DNA by UVB and  
 150 UVA. The photoreactions are described for two thymines but similar products can be formed  
 151 at TC, CT and CC sequences.



## 152 **EXPERIMENTAL PART**

153 Irradiations were performed with high-grade calf thymus DNA (Sigma, Saint Quentin Fallavier,  
154 France). A stock solution at approximately  $1 \text{ mg mL}^{-1}$  was prepared in deionized water (Milli  
155 Q) and desalted by dialysis for 24 h in water with repeated changing of the water bath. The  
156 solution was then diluted in an aqueous 50 mM NaCl solution at a DNA concentration of 50  
157  $\mu\text{g mL}^{-1}$ . It was then exposed to UV radiation in  $1 \times 1 \times 4$  cm fluorimeter quartz cell (Hellma  
158 Analytics, Munich, Germany). The irradiation set-up consisted of three lamps. A  $2 \times 15$  W and a  
159 15 W UVA lamps were placed facing perpendicular sides of the sample. Both lamps carried  
160 T15-L Vilber-Lourmat tubes (Marne-La Vallée, France) exhibiting an emission spectrum  
161 ranging from 320 to 380 nm with a maximum at 365 nm. A UVB lamp fitted with a 15W T15-M  
162 tube exhibiting an emission centered at 312 nm (Vilber-Lourmat, Marne-La Vallée, France)  
163 was placed on the opposite side of the  $2 \times 15$  W UVA lamp. The UVA fluences were determined  
164 with a Model 5.7 Solar meter (Solar Light, Glenside, PA). The UVB dosimetry was carried out  
165 with a VLX 3W radiometer (Vilber Lourmat, Marne-la-Vallée, France) fitted with a 312 nm  
166 probe. The sample holder could accommodate filters and was placed on a magnetic stirrer for  
167 a constant homogenization of the sample during irradiation. For irradiation, the quartz cell was  
168 loaded with 2.5 mL of DNA solution and, except for experiment 3 (see below), 200  $\mu\text{L}$  aliquot  
169 fractions were collected after increasing exposure times.

170 Four series of experiments were performed with different designs. Only the UVB and the  $2 \times 15$   
171 W UVA lamps used in the three first series while the 3 lamps were used in the last.

172 1) A filter with cut-off at 320 nm (Schott, Colombes, France) was placed in front of the  
173 samples in the UVA beam. The fluences were constant and set at  $0.13 \text{ kJ m}^{-2} \text{ min}^{-1}$  for  
174 UVB and  $2.36 \text{ kJ m}^{-2} \text{ min}^{-1}$  for UVA. Exposure times ranged between 1 and 90 min,  
175 and the experiments were repeated twice.

- 176 2) The fluence of the UVA source (with a cut-off filter at 320 nm) was left constant at 0.65  
177  $\text{kJ m}^{-2} \text{min}^{-1}$ . The position of the UVB lamp (with a cut-off filter at 295 nm, Schott,  
178 Colombes, France) was changed to provide fluences of either 0.20, 0.16, 0.12, 0.09 or  
179  $0.03 \text{ kJ m}^{-2} \text{min}^{-1}$ . Irradiations were performed once under each UVB conditions with  
180 exposure times ranging between 4 and 64 min. Samples were analyzed once except that  
181 receiving the largest dose which was analyzed three times. The values for this sample  
182 were averaged before data analysis.
- 183 3) UVB and UVA fluences (with cut-off filters at 295 and 320 nm, respectively) were kept  
184 constant at  $0.08$  and  $0.73 \text{ kJ m}^{-2} \text{min}^{-1}$ , respectively. Five irradiation protocols were  
185 used. DNA samples (2 mL) were irradiated for either 5, 10, 20 or 40 min. Three aliquot  
186 fractions (200  $\mu\text{L}$ ) were collected from each of these UV-exposed solutions. The three  
187 first protocols involved either UVA, UVB or UVB and UVA simultaneously. In the  
188 fourth design, samples were exposed for 5 min to pure UVA and then for 5 min to UVB.  
189 The experiment was repeated with consecutive exposures to UVA and UVB lasting  
190 10+10, 20+20 or 40+40 min. The fifth protocol was similar except that UVB was  
191 applied before UVA. All these experiments were referred to as UVA, UVB,  
192 UVB+UVA, UVA $\rightarrow$ UVB and UVB $\rightarrow$ UVA. Each irradiation was performed once but  
193 all collected samples were analyzed three times and the obtained results were averaged  
194 before data analysis.
- 195 4) The three lamps were used with bandpass filters of  $310\pm 5$  nm for UVB,  $340\pm 13$  nm for  
196 the  $1\times 15$  W UVA and  $386\pm 13.5$  nm for  $2\times 15$ W UVA. All bandpass filters were  
197 obtained from Edmund Optics (Lyon, France). The respective fluences were 0.0048,  
198 0.036 and  $0.045 \text{ kJ m}^{-2} \text{min}^{-1}$ , respectively. Irradiation lasted 30, 60, 90 and 120 min.  
199 The experiment was repeated three times.

200 Following irradiation, DNA was precipitated from the samples by addition of NaCl and  
201 cold ethanol. The level of photoproducts was then determined as previously reported (35).  
202 The DNA samples were enzymatically hydrolyzed by phosphodiesterases, DNases and  
203 alkaline phosphate. The resulting solutions were analyzed by high performance liquid  
204 chromatography coupled to tandem mass spectrometry.

## 205 **DATA MODELING**

206 All calculations were performed in Microsoft Excel spread sheets in order to copy and paste  
207 data directly from the software of the LC-MS/MS system. We determined the values of the  
208 parameters of the MEE ( $D_m$  and  $m$ ), of the  $D_x$  and of CI using the method described by Chou  
209 (25, 27). We used Compusyn (ComboSyn Incorporated) on a subset of data to check that our  
210 calculations were correct. Excel sheets were also used for the calculation of the CI using other  
211 equations with the first set of experimental results. Values of the coefficients of the regressions  
212 and of their error were obtained from Origin (OriginLab Corporation, MA). For the calculation  
213 of the propagation of errors, we used the classical method stating that if a measure  $y$  is a function  
214 of a parameter  $x$ , then  $\Delta y = \left| \left( \frac{df}{dx} \right) \right| \times \Delta x$ , where  $\Delta y$  and  $\Delta x$  are the errors on  $y$  and  $x$ , respectively.

215 When  $y$  depends on more than one parameter, the absolute values of all errors are added:  $\Delta y =$   
216  $\left| \left( \frac{df}{dx_1} \right) \right| \times \Delta x_1 + \left| \left( \frac{df}{dx_2} \right) \right| \times \Delta x_2 + \left| \left( \frac{df}{dx_3} \right) \right| \times \Delta x_3 + \dots$

### 217 **Medium effect equation**

218 The MEE used in the original work by Chou et al. (25) is the following:

$$219 \quad (1) \frac{fa}{(1-fa)} = \left( \frac{D}{Dm} \right)^m$$

220 where  $fa$  is the response referred to as affected fraction in the framework of drug/target  
221 interactions,  $D$  the dose,  $Dm$  the dose leading to a 50% of the maximal effect, and  $m$  a coefficient

222 reflecting the shape of the curve ( $m > 1 \rightarrow$  hyperbolic;  $m = 1 \rightarrow$  sigmoidal;  $m < 1 \rightarrow$  “flat”  
 223 sigmoidal).

224 The  $Dm$  and  $m$  parameters were determined from the experimental data by linear regression of  
 225 Log-Log curve

$$226 \quad (2) \quad \text{Log}\left(\frac{fa}{1-fa}\right) = f(\text{Log}(D)) = a \times \text{Log}(D) + b = m \times \text{Log}(D) - m \times \text{Log}(Dm)$$

227  $m$  is thus the slope  $a$  and  $Dm$  is  $10^{-\frac{a}{b}}$ .

228 Calculation of the  $CI$  requires the determination of the dose  $Dx$  of each factor leading to the  
 229 same effect  $fx$  than a given mixture. In other words, it is necessary to invert the MEE equation

230 (1) to determine  $Dx$  for a measured effect  $fx$ , a known value of  $\frac{fa}{1-fa}$ :

$$231 \quad (3) \quad Dx = Dm \times [fx]^{1/m}$$

232

233 The error on  $Dx$  ( $\Delta Dx$ ) can be inferred from that on  $m$  and  $Dm$ . The coefficients  $m$  and  $Dm$  were  
 234 obtained by linear regression of equation (2). Thus,  $\Delta m = \Delta a$  is the estimated error on the slope  
 235  $a$  and  $\Delta Dm$  can be shown to be:

$$236 \quad (4) \quad \Delta Dm = \left(\left|\frac{1}{m}\right| \times \Delta b + \left|\frac{b}{m^2}\right| \times \Delta m\right)$$

237 The errors  $\Delta Dm$  and  $\Delta m$  can then be used to calculate the error on the determination of the dose  
 238  $Dx$ . When replicates of a same experiment are used, the mean  $\overline{fx}$  is associated to the standard  
 239 deviation  $\sigma fx$  used as an estimation of  $\Delta fx$ :

$$240 \quad (5) \quad \Delta Dx = \left|\overline{fx}^{-\frac{1}{m}}\right| \times \Delta Dm + \left|\frac{Dm \times \ln(\overline{fx})}{m^2} \times \overline{fx}^{-\frac{1}{m}}\right| \times \Delta m + \left|\frac{Dm}{m} \times \overline{fx}^{-\left(\frac{1}{m}-1\right)}\right| \times \Delta fx$$

241 In the present work,  $fa$  is the level of DNA photoproducts. In contrast to most works in the field  
 242 of chromatographic detection of DNA damage, results were not expressed in number of damage  
 243 per million normal bases but in ratio of mol of damage per mol of DNA bases. The values are

244 thus very small but range between 0 and 1 as necessary for the use of the MEE. In addition, the  
 245  $fa$  values used in the calculations with the MEE were normalized to the content of bipyrimidine  
 246 sites at the origin of each photoproducts. For this purpose, we took into account the frequency  
 247 of the different bipyrimidine dinucleotides in CT-DNA, which are 0.099, 0.061, 0.053 and  
 248 0.053 for TT, TC, CT or CC, respectively (36, 37).

## 249 **Polynomial fit**

250 Calculation of the  $CI$  was also performed with polynomial fits of the DNA damage data. For  
 251 this part of the work, results were expressed in number of photoproduct per million normal  
 252 bases.

253 For Dewars, the experimental data were fitted using a second order polynomial equation.  
 254 Because no photoproduct is detected in non-exposed DNA, the origin was set to 0. The  
 255 expression is thus the following:

$$256 \quad (6) \quad fa = a \times D^2 + b \times D$$

257 The dose  $Dx$  necessary for the induction of an effect  $fx$  is the positive solution of equation (6):

$$258 \quad (7) \quad Dx = \frac{-b + \sqrt{b^2 + 4 \times a \times fx}}{2 \times a}$$

259 with the error of  $Dx$  being:

$$260 \quad (8) \quad \Delta Dx = \left| \frac{\overline{fx}}{a \sqrt{b^2 + 4 \times a \times \overline{fx}}} - \frac{\sqrt{b^2 + 4 \times a \times \overline{fx}}}{2a^2} \right| \times \Delta a + \left| \frac{1}{2a} \times \left( \frac{b}{\sqrt{b^2 + 4 \times a \times \overline{fx}}} - 1 \right) \right| \times \Delta b + \left| \frac{1}{\sqrt{b^2 + 4 \times a \times \overline{fx}}} \right| \times \Delta fx$$

261

262 Data for CPDs and 64PPs were fitted by a linear regression  $f = a \times D$ . In this case

$$263 \quad (9) \quad Dx = \frac{\overline{fx}}{a}$$

264 and the error is

265 (10)  $\Delta Dx = \left| \frac{\overline{fx}}{a^2} \right| \times \Delta a + \left| \frac{1}{a} \right| \Delta fx$

266 **Kinetic analysis**

267 Another strategy for the determination of  $Dx$  involved a precise kinetic analysis. Because the  
 268 level of damage was low, we considered that the DNA amount remained constant ( $DNA_0$ ) and  
 269 set to  $DNA_0=10^6$  bases.

270 **CPD**

271 The formation of CPD in DNA was described as a single first order kinetic reaction.

272 (11)  $CPD = DNA_0 \times (1 - e^{-k \times D})$

273 For the determination of a dose  $Dx$  leading to a specific level of CPD ( $fx$ ):

274 (12)  $Dx = -\frac{1}{k} \times \ln \left( 1 - \frac{fx}{DNA_0} \right)$

275 The error on this value is thus:

276 (13)  $\Delta Dx = \left| \frac{1}{k \times (1 - \overline{fx})} \right| \times \Delta fx + \left| \frac{\ln \left( 1 - \frac{\overline{fx}}{DNA_0} \right)}{k^2} \right| \times \Delta k$  where  $\overline{fx}$  is the mean value of the level of CPD in a

277 co-exposure experiment and  $\Delta k$  the estimated error on the rate  $k$ .

278 **64PP and Dewar**

279 Formation of 64PP and Dewar results from two consecutive first order reactions  
 280  $DNA \rightarrow 64PP \rightarrow Dewar$  with rate constants  $k1$  and  $k2$  respectively (38).

281 (14)  $64PP = DNA_0 \times k1 \times \frac{e^{-k1 \times D} - e^{-k2 \times D}}{k2 - k1}$

282 (15)  $Dewar = DNA_0 \times \frac{[1 - (k2 \times e^{-k1 \times D} - k1 \times e^{-k2 \times D})]}{k2 - k1}$

283 For the calculation of  $k1$ , we considered that all 64PPs produced at a given dose are either in  
 284 their initial 64PP forms or as Dewars. Therefore, the sum of the levels of 64PP and Dewar can  
 285 be described, like CPD, by a first order equation with a reaction constant  $k1$ .

286 (16)  $(64PP + Dewar) = DNA_0 \times (1 - e^{-k_1 D})$

287 Log conversion and linear regression yielded the value of  $k_1$ .

288 For  $k_2$ , we converted the exponentials in equation (15) by a second order limited development:

289 (17)  $Dewar = DNA_0 \times \frac{k_1 \times k_2 \times D^2}{2}$

290 Linear regression of the data with respect to  $D^2$  provided a fair estimation of  $k_2$ .

291 The dose  $Dx$  required for a specific level of Dewar ( $f(x)$ ) can be determined from equation (18):

292 (18)  $Dx = \sqrt{\frac{2 \times \overline{f(x)}}{DNA_0 \times k_1 \times k_2}}$

293 The error on this value is thus:

294 (19)  $\Delta Dx = \frac{\left| \frac{1}{k_1 \times k_2} \right| \times \Delta f(x) + \left| \frac{-\overline{f(x)}}{k_2 \times k_1^2} \right| \times \Delta k_1 + \left| \frac{-\overline{f(x)}}{k_2^2 \times k_1} \right| \times \Delta k_2}{DNA_0 \times \sqrt{\frac{2 \times \overline{f(x)}}{k_1 \times k_2 \times DNA_0}}}$

295 For the determination of  $Dx$  for 64PPs, we first applied a second order limited development of

296 the exponential functions in equation (14), and obtained equation (20):

297 (20)  $64PP = DNA_0 \times k_1 \times D - DNA_0 \times \frac{k_1 \times (k_1 + k_2)}{2} \times D^2$

298 The dose  $Dx$  necessary for the induction of a defined level of 64PP ( $f(x)$ ) is thus the solution

299 (equation 21) of a second order equation that can be described as the ratio of 2 functions  $A$  and

300  $B$ :

301 (21)  $Dx = \frac{(-k_1 \times DNA_0 + \sqrt{((k_1 \times DNA_0)^2 - 2 \times \overline{f(x)} \times (k_1^2 + k_1 \times k_2) \times DNA_0)})}{-(k_1^2 + k_1 \times k_2) \times DNA_0} = \frac{A}{B}$

302 The other solution of (20),  $\frac{(-k_1 \times DNA_0 - \sqrt{((k_1 \times DNA_0)^2 - 2 \times \overline{f(x)} \times (k_1^2 + k_1 \times k_2) \times DNA_0)})}{-(k_1^2 + k_1 \times k_2) \times DNA_0}$ , provided aberrant values

303 (maximum  $Dx$  for  $f(x)=0$  and then decreasing  $Dx$  for increasing  $f(x)$ ).

304

305 Calculation of errors requires the derivation of  $Dx$  with respect to the  $k1$ ,  $k2$  and  $fx$ .

306 Consequently, we calculated  $dA$  and  $dB$  for each of these 3 parameters:

$$307 \quad (22') \quad dA(k1) = -DNA_0 + \frac{k \times DNO_0^{\xi} + \overline{fx} \times DNA_0 \times (2k1 + k2)}{\sqrt{k1^2 \times DNA_0^2 - 2 \times \overline{fx} \times (k1^2 + k1 \times k2) \times DNA_0}}$$

$$308 \quad (22'') \quad dA(k2) = \frac{-\overline{fx} \times DNA_0 \times k1}{\sqrt{k1^2 \times DNA_0^2 - 2 \times \overline{fx} \times (k1^2 + k1 \times k2) \times DNA_0}}$$

$$309 \quad (22''') \quad dA(fx) = \frac{-(k1^2 + k1 \times k2) \times DNA_0}{\sqrt{k1^2 \times DNA_0^2 - 2 \times \overline{fx} \times (k1^2 + k1 \times k2) \times DNA_0}}$$

$$310 \quad (23') \quad dB(k1) = -(2k1 + k2) \times DNA_0$$

$$311 \quad (23'') \quad dB(k2) = -k1 \times DNA_0$$

312 Combination of equations (22') to (23'') provided the error on  $Dx$ :

$$313 \quad (24) \quad \Delta Dx = \left| Dx \times \left( \frac{dA(k1)}{A} - \frac{dB(k1)}{B} \right) \right| \times \Delta k1 + \left| Dx \times \left( \frac{dA(k2)}{A} - \frac{dB(k2)}{B} \right) \right| \times \Delta k2 + \left| Dx \times \frac{dA(fx)}{A} \right| \times \Delta fx$$

### 314 **Combination index**

315 The Combination Index  $CI$  was calculated for each experiment involving combination of UVB  
316 and UVA using equation (25):

$$317 \quad (25) \quad CI = \frac{D_{UVB}}{D_{UVBx}} + \frac{D_{UVA}}{D_{UVAx}}$$

318 with  $D_{UVB}$  and  $D_{UVA}$  representing the doses of UVB and UVA radiation applied to the sample  
319 in the combination experiments, and  $D_{UVBx}$  and  $D_{UVAx}$  the doses of pure UVB and UVA  
320 inducing the same effect  $fx$  as the combination ( $D_{UVB} + D_{UVA}$ ).  $D_{UVBx}$  and  $D_{UVAx}$  were calculated  
321 using either equation (3), (7), (9), (12), (18) or (21) depending on the data modeling used and  
322 the photoproduct considered.

323 Using the estimated errors  $\Delta Dx$  calculated for UVB and UVA alone (equations (5), (8), (10),  
324 (13), (19) or (24)), and the dose  $D$  of UVB and UVA used in the combined exposure, the error  
325 on  $CI$  was:



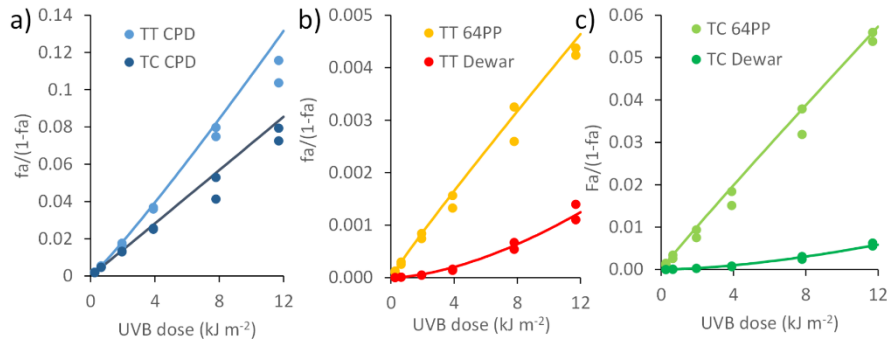
326 
$$(26) \Delta CI = \left( D_{UVB} \times \frac{\Delta DUVBx}{DUVBx^2} \right) + \left( D_{UVA} \times \frac{\Delta DUVAx}{DUVAx^2} \right)$$

327 **RESULTS AND DISCUSSION**

328

329 **Effects of UVB and UVA co-exposure shown by the Combination Index and the**  
330 **Median Effect Equation.**

331 In a first experiment, we investigated the effect of a combined exposure to UVB and UVA  
332 through the classical *CI* approach with a modeling of the pure UVB and UVA data with the  
333 MEE. DNA samples in aqueous solution were exposed to increasing doses of UVB (0.3-12 kJ  
334 m<sup>-2</sup>) or UVA (5-212 kJ m<sup>-2</sup>). In a third experiment, DNA was exposed simultaneously to the  
335 same increasing doses of UVB and UVA as those applied alone. The overall UV dose ranged  
336 thus between 5.3 and 223 kJ m<sup>-2</sup>. The parameters of the MEE, which are necessary to the  
337 determination of the *Dx* values used in the calculation of the *CI* value, were calculated for UVB  
338 for 8 photoproducts: TT CPD, TT 64PP, TT Dewar, TC CPD, TC 64PP, TC Dewar, CT CPD  
339 and CC CPD. As previously reported, CC CPD, 64PPs and Dewars were not detected in the  
340 samples exposed to UVA with our specific and sensitive HPLC-MS/MS assay (39-41).  
341 Therefore, the MEE was determined for UVA only for TT CPD, TC CPD and CT CPD. The fit  
342 of UVB data are shown on figure 1. The MEE slightly deviated from the experimental data for  
343 CPDs at the largest UVB dose but nicely reproduced the shape of the dose curve formation of  
344 64PPs and Dewars. A larger scattering was observed for UVA (data not shown) but the impact  
345 of these values on the final *CI* is very low.

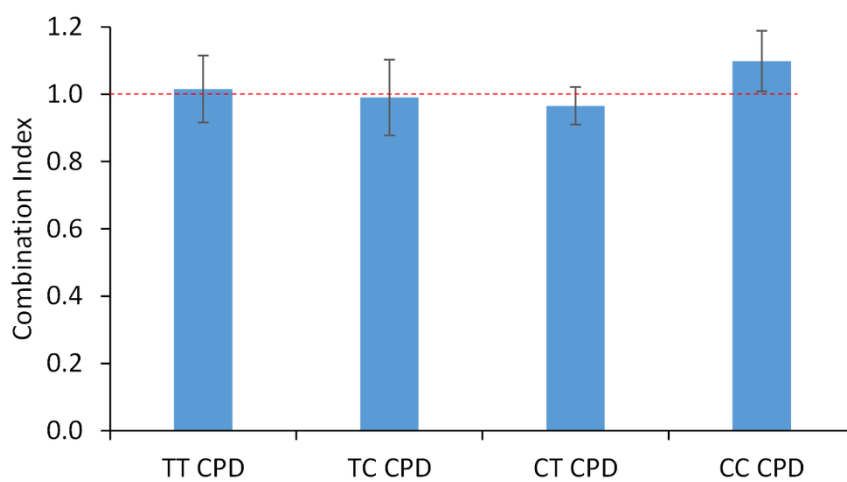


346

347 **Figure 1:** Fit of the dose-dependent formation of pyrimidine dimers in DNA exposed to UVB  
 348 alone by the median effect equation (MEE) for a) TT and TC CPDs, b) TT 64PP and Dewar  
 349 c) TC 64PP and Dewar. The marks represent the experimental data while the plain lines are  
 350 the MEE fits.

351 These fits of the data were then used to calculate the *CI* for the different doses of combined  
 352 UVB+UVA radiation. We were faced with lack of formation of 64PPs and Dewars in the  
 353 samples exposed to UVA only. This situation is not *a priori* compatible with the calculation of  
 354 *CI* where the ratio  $\frac{D}{Dx}$  is taken into account for both factors. To overcome this limitation, we  
 355 reasoned that a lack of formation could be seen as the necessity to apply an infinite dose to  
 356 induce an effect. Consequently, the *Dx* value in the ratio involved in the calculation of *CI* is  
 357 infinite and the ratio is null. We thus did not consider the term  $\frac{D_{UVA}}{D_{UVAx}}$  in the calculation of *CI*  
 358 for 64PPs, Dewars and CC CPD. Another improvement of the *CI* formalism in the present study  
 359 was the accurate estimation of the error of the value of *CI*. A possible approach could be a  
 360 replication of the whole experiment and the calculation of the mean and the variance. However,  
 361 such an approach is not satisfactory because it does not really take into account the error on the  
 362 MEE parameters and mostly reflects the variation in the results of the combination experiment.  
 363 Therefore, we rather took into account the propagation of the estimated errors of the fitted  
 364 parameters of the linear regression aimed at calculating the *m* and *Dm* coefficients of the MEE.  
 365 A first observation regarding the calculated *CI* in this experiment was that the values were  
 366 similar at all doses and close to 1 for the four studied CPDs (Fig. 2). This reflects that, in the

367 UVB and UVA ranges applied, formation of CPDs is a simple first order reaction. The  
368 photoreversion observed with UVC radiation (42, 43), which is explained by a residual  
369 absorption by CPD of these high-energy photons, does not take place. The present results also  
370 confirmed that UVA induces the formation of T-containing CPDs but in much lower yield than  
371 UVB. The observed ratio here was approximately 2000 for TT CPD. Consequently, additivity  
372 is observed for CPD in case of co-exposure to UVB and UVA and the *CI* value is 1.



373  
374 **Figure 2:** *CI calculated for CPD upon exposure of DNA to UVB and UVA in a 1:18 ratio.*  
375 *The reported values are the means ( $\pm$  standard deviation) of results obtained in duplicate at*  
376 *six different UV doses.*

377 In contrast to the formation of CPDs, the formation of 64PPs and Dewars was greatly affected  
378 by the presence of UVA during UVB irradiation. 64PPs are efficiently produced by UVB but  
379 not UVA. Both UVB and UVA are absorbed by the pyrimidone ring of 64PPs and convert them  
380 into Dewars. In isolated 64PPs like photoproducts of dinucleoside monophosphates, this  
381 reaction exhibits a maximal efficiency in the UVB range as 64PPs have a maximal absorption  
382 at approximately 320 nm (31, 19, 32, 33). However, UVA is more efficient than UVB at  
383 photoisomerizing 64PPs in DNA because of the shielding effects of the overwhelming amount  
384 of the normal bases in the latter wavelengths range. This is observed in isolated as well as in  
385 cellular DNA (34) and could be modeled based on available absorption features and quantum

386 yield data (18). The calculated *CI*s for the TT and TC 64PPs and Dewars unambiguously reflect  
387 this chain of reactions (Table 1). The value of the *CI* is below 1 for Dewars. The mean value  
388 was 0.3 and 0.4 for TT Dewar and TC Dewar, respectively, and thus corresponds to a synergy  
389 effect in the combined exposure, namely a favored formation in the presence of UVA. The  
390 opposite trend is observed for 64PPs since their *CI* are larger than 1. The *CI* analysis even  
391 reflects known differences between the photochemistry of TC and TT 64PPs. The antagonism  
392 of the formation of 64PP by UVA and the synergistic formation of Dewar are stronger for the  
393 TT than the TC photoproducts. Actually, it was observed, from isolated DNA (44) to  
394 mammalian cells (45, 46) and marine microorganisms collected on the field (47), that the yield  
395 of conversion into Dewars was larger for TT 64PP than TC 64PP. The quantum yield for the  
396 two photoisomerization reactions are similar with values of  $2.0 \cdot 10^{-4}$  and  $1.8 \cdot 10^{-4}$ , respectively  
397 (33). The absorption coefficient of TC 64PP is 3 times lower than that of TT 64PP (48), which  
398 partly explains the difference in the yield of photoisomerization. A maximum absorption is  
399 observed at 325 nm for TT 64PP (19) and 315 nm (32) for TC 64PP. Therefore, the lower  
400 absorption coefficient of TC 64PP is compensated by the emission of the UVB source used in  
401 this work that exhibits a maximum at 312 nm. More interesting for the topic of our work is that  
402 calculations based on known absorption coefficients and quantum yields provided evidence that  
403 the photoisomerization yield of TC 64PP is still 3-fold lower than that of TT 64PP in  
404 combination of 300 and either 315, 320 or 340 nm light (34). This larger synergy in the  
405 isomerization of TT 64PP compared to TC 66PP is reflected by the lower value of *CI* for TT  
406 Dewar than TC Dewar. Another observation is the increase in the value of the *CI* of 64PPs  
407 when the applied dose increased. This feature may be explained by the fact that, upon exposure  
408 to combination of UVB and UVA, the level of 64PPs tends to a plateau while the increase is  
409 more monotonous with pure UVB. Consequently, the antagonist effect is more pronounced  
410 when the dose increases. Regarding the error on the determination of the *CI*, a general trend

411 observed for all photoproducts is that it is larger at the lowest doses. This can be explained by  
 412 a less accurate determination of the amount of photoproducts or a less reproducible applied UV  
 413 dose. In addition, the weight of the low values at the lowest dose is lower than that at high dose  
 414 in the regression providing the parameters of the MEE. It is thus expected that the accuracy is  
 415 lower at low dose.

416 **Table 1:** Values of the combination index (CI) determined for increasing doses of UVA and  
 417 UVB applied in a 18:1 ratio. The reported total UV dose is expressed in  $\text{kJ m}^{-2}$ . The errors were  
 418 obtained as described in the calculation section and included errors on the parameters of the  
 419 MEE and the Dx dose.

CI calculated by the Median Effect Equation						
UV dose	TT 64PP	TT Dewar	TC 64PP	TC Dewar	TT CPD	TC CPD
5	1.12±0.63	0.32±0.11	1.23±0.75	0.44±0.20	0.83±0.12	0.83±0.23
12	1.27±0.57	0.31±0.12	1.28±0.67	0.48±0.22	0.99±0.18	0.87±0.23
37	1.53±0.71	0.29±0.08	1.33±0.62	0.45±0.19	1.13±0.21	1.05±0.29
75	2.04±0.96	0.28±0.08	1.30±0.73	0.38±0.16	1.07±0.15	1.03±0.26
149	3.30±1.65	0.30±0.08	1.44±0.74	0.34±0.13	1.03±0.16	1.09±0.44
223	4.75±2.34	0.33±0.08	1.69±0.82	0.32±0.10	1.04±0.19	1.07±0.30

420

421 The results clearly show that calculation of the CI based on the MEE as defined by Chou (25)  
 422 is well suited for establishing additive or non-additive effects in photochemically-induced  
 423 processes like formation of DNA damage. CI nicely reflects the additivity between UVB and  
 424 UVA in the induction of CPDs, the lower levels of 64PPs in the presence of UVA and the larger  
 425 amounts of Dewars upon co-exposure to UVB and UVA. The present work illustrates the ease  
 426 of the procedure that requires only three experiments with a few doses to obtain an indication  
 427 on the occurrence of synergistic or antagonist effects over a wide range of doses. In the present  
 428 work, we could explore a dose range corresponding to a factor of 45 between the lowest and  
 429 the largest dose with only 6 points for UVB, UVA and UVB+UVA.

## 430 **Calculation of *CI* with other fitting functions**

431 The results presented above for UVB and UVA is an illustration, in addition to countless  
432 examples with drugs and chemical, of the power of the *CI* approach to identify synergism and  
433 antagonism in mixtures. The definition of this parameter was inferred from extensive theoretical  
434 work based on the mass action law and the concept of the MEE. Yet, the MEE was designed  
435 for drug-target interactions and cannot reflect all possible biological responses. This is the case  
436 for all the cellular processes that do not exhibit a dose-response shape with a plateau and that  
437 cannot be normalized between 0 and 1. An important example is that of gene expression that  
438 can be larger than one when increased with respect to a control sample and that do not have a  
439 theoretical upper limit. We reasoned that in these cases, the *CI* can still be calculated because  
440 it only depends on ratio of doses. We thus explored whether the role of the MEE in the initial  
441 strategy developed by Chou (25) could be played by other mathematical functions. This would  
442 allow fitting any shape of dose-dependent cellular responses. In addition, the absolute  
443 requirement of responses ranging between 0 and 1 permitting the MEE to be applied can be  
444 avoided by using other equations. The limiting ingredient to the determination of *CI* is that the  
445 fitted function for the effect with respect to the dose may easily be inverted to determine  $Dx$  for  
446 the observed effect  $fx$  of mixtures. It is yet important to limit the number of fitting parameters  
447 in order to avoid overfitting the experimental data of the pure dose effects.

448 We thus used the set of experimental results analyzed above with the MEE equation with other  
449 functions aimed at fitting the data for pure UVA and UVB and calculating  $Dx$  from  $fx$ . We first  
450 applied polynomial regressions. Linear regressions were used for CPDs and 64PPs, and second  
451 order polynomial regressions for Dewars. In a first attempt, second order polynomial  
452 regressions were also used for 64PPs but errors were very large and the obtained *CI*s close to  
453 those obtained with linear regression (data not shown). The *CI* values obtained for the four  
454 CPDs, and for TT and TC 64PPs and Dewars were very similar whether a polynomic regression

455 (Table 2) or the MEE were used (Table 1). The mean ratio between values provided by the  
 456 MEE and the polynomial regression is 1.06. This result shows that the *CI* can be used with any  
 457 fitting function, even if it is not based on known physical-chemical processes like MEE that is  
 458 based on the mass action law. In addition, the values of the level of photoproducts used in the  
 459 polynomial regressions were expressed as number of photoproducts per million bases and were  
 460 thus larger than 1 (up to 9000 per  $10^6$  bases for TT CPD).

461 **Table 2:** Values of the combination index (*CI*) determined for increasing doses of UVA and  
 462 UVB applied in an 18:1 ratio, with the use of data fitting other than the MEE. The reported  
 463 total UV dose is expressed in  $\text{kJ m}^{-2}$ . The errors were obtained as described in the calculation  
 464 section and included errors on the parameters of the polynomial regression or kinetic  
 465 equations, of the *Dx* dose and on the final calculation of *CI*.

<b>CI calculated by linear or second order polynomial regression</b>						
UV dose	TT 64PP	TT Dewar	TC 64PP	TC Dewar	TT CPD	TC CPD
5	0.85±0.14	0.28±0.04	0.96±0.24	0.41±0.27	0.92±0.14	0.71±0.20
12	1.01±0.06	0.27±0.03	1.05±0.18	0.41±0.17	1.06±0.15	0.76±0.12
37	1.29±0.13	0.27±0.01	1.17±0.15	0.40±0.08	1.16±0.10	0.94±0.06
75	1.75±0.20	0.30±0.02	1.19±0.28	0.38±0.06	1.06±0.18	0.95±0.02
149	2.87±0.42	0.35±0.02	1.37±0.28	0.39±0.04	1.00±0.13	1.02±0.03
224	4.15±0.57	0.40±0.01	1.64±0.30	0.40±0.02	0.99±0.06	1.02±0.13
<b>CI calculated by kinetic analysis</b>						
UV dose	TT 64PP	TT Dewar	TC 64PP	TC Dewar	TT CPD	TC CPD
5	1.07±0.30	0.21±0.01	1.07±0.35	0.25±0.01	0.92±0.14	0.71±0.21
12	1.27±0.23	0.24±0.02	1.17±0.29	0.32±0.02	1.06±0.15	0.76±0.12
37	1.60±0.35	0.27±0.01	1.29±0.27	0.38±0.02	1.16±0.11	0.94±0.06
75	2.15±0.51	0.30±0.02	1.30±0.41	0.38±0.03	1.07±0.18	0.95±0.03
149	3.49±0.95	0.35±0.02	1.46±0.43	0.40±0.02	1.00±0.13	1.02±0.03
224	5.03±1.33	0.41±0.02	1.71±0.47	0.42±0.01	0.99±0.06	1.02±0.13

466  
 467 Because the photochemical reactions leading to the formation of the three types of  
 468 photoproducts are well known, we could also apply a more rigorous approach for the fit of the  
 469 experimental data by using chemical kinetic equations. Formation of CPDs was described as a  
 470 simple first order reaction characterized by a reaction constant *k*. In contrast, formation of 64PPs  
 471 and Dewars were described as two consecutive reactions with reaction constants *k1* and *k2*. The

472 constant  $k_1$  was related to the initial formation of 64PPs and second  $k_2$  reflected their  
473 conversion into Dewar. As described in the “Data modeling” part, these equations were used to  
474 fit the data and calculate the  $Dx$  values necessary for the determination of the  $CI$ . Like for  
475 polynomial regression, the obtained  $CI$  values (Table 2) were very close to those obtained using  
476 the MEE (Table 1). The mean ratio between values provided by the MEE and the kinetic  
477 analysis is 1.07. Obviously, this type of kinetic data analysis is only possible when the basic  
478 steps of a mechanisms are well identified. In this case, the use of a strategy like the  $CI$  is thus  
479 not necessary to predict occurrence of non-additivity. However, the fact that similar results  
480 were obtained for the  $CI$  with various fitting strategies like MEE or polynomial regressions on  
481 the one hand, and more realistic calculations based on kinetic parameters on the other, validates  
482 the two former approaches. Interestingly, the kinetic analysis emphasized a limitation to the  $CI$   
483 determination that concerns all fitting functions. The dose dependent-formation of 64PPs  
484 exhibits a bell-shaped curve. Calculation of the theoretical level of TT 64PP for large doses  
485 based on equation (15) shows that a maximal level is reached at approximately  $200 \text{ kJ m}^{-2}$ . At  
486 this dose, the level of photoproduct is 1180 TT 64PP per million bases. Consequently, above  
487 this dose, the calculation of  $Dx$  will provide 2 relevant values for a mixture effect  $f_x$  and it will  
488 not be possible to calculate a  $CI$ . This was not the case in our experiments where the dose was  
489 lower than  $12 \text{ kJ m}^{-2}$  UVB. This example of the use of the kinetic equations illustrates that the  
490 use of functions other than the MEE for the determination of  $CI$  has to be carried out at doses  
491 below maximal responses for bell-shaped curves.

492 Interesting observations can also be made regarding the errors on the  $CI$ . When the latter  
493 parameter was calculated on the basis of the MEE, the lowest relative errors were obtained for  
494 Dewars, with values of approximately 30% at the largest dose. However, for both polynomial  
495 regression and kinetic analysis, this error is on the average 5 times lower than with the MEE. A  
496 similar trend was observed for 64PPs when a linear regression was used for the determination



497 of the  $CI$  compared to MEE. The relative errors on  $CI$  are 12% and 48%, respectively, for TT  
498 64PP at the largest dose. The corresponding values are 19 and 50 % for TC 64PP. Comparison  
499 of errors was also in favor of the kinetic analysis versus MEE, although to a lesser extent than  
500 the polynomial regressions. With the kinetic analysis, the relative errors on the  $CI$  for TT 64PP  
501 and TC 64PP at the largest dose were 25 and 27 %, respectively. From the back propagation  
502 equations, it is possible to estimate the relative impact of the experimental data and the fitting  
503 parameters on the error on  $Dx$  ( $\Delta Dx$ ) and consequently on the  $CI$  error ( $\Delta CI$ ). If  $\Delta Dx$  is  
504 dominated by the parameters of the fits, other fitting functions may require to be considered or  
505 experiments of pure factors with a larger dose range. On the contrary, if  $\Delta Dx$  is dominated by  
506 experimental data on mixture effects, new experiments of mixtures with more replicates may  
507 be required. For TT 64PP at the largest dose,  $\Delta Dx$  determined with the MEE originates in 42%,  
508 32% and 26% from error on  $Dm$ ,  $m$  and  $fx$ , respectively. In this case, improvement of the  
509 accuracy of the fit seems necessary. For the kinetic analysis approach applied to TT 64PP, the  
510 proportions of  $\Delta Dx$  originating from  $k1$ ,  $k2$  and  $fx$  were 22%, 31% and 47% at the largest dose.  
511 The result show a strong contribution of the fit. For the second order polynomial fit of TT 64PP  
512 (not discussed in this work),  $\Delta CI$  was 2000 for a  $CI$  of 4.5 and the error on the quadratic  
513 coefficient represented 99.9% of  $\Delta Dx$ . With the linear regression, a much lower error was  
514 obtained (0.57). The contribution of the errors to  $\Delta Dx$  were 14 and 86 % for the value of the  
515 slope and  $fx$ , respectively. In this case, increasing the quality of the experimental results of  
516 mixtures, for example by using more replicates, could improve the estimation of  $CI$ . The second  
517 order polynomial fit was found to be very accurate for TT Dewar with an error of 4% on  $CI$  at  
518 the largest dose. In this case the contribution of the errors to  $\Delta Dx$  were 40%, 56% and 4% for  
519 quadratic term, the linear term and  $fx$ , respectively. These observations point again to a  
520 significant contribution of the quality of the fit to the error on the  $CI$ . Altogether, these results  
521 suggests that  $\Delta Dx$  and  $\Delta CI$  are mostly explained by errors on the fit, especially when the overall

522 errors are large. This shows that the choice of the fitting function is a key parameter in the  
523 accuracy of the determination of the *CI*. In the average, the MEE predicts *CI* with an error on  
524 the average 4 times larger than polynomial regressions or kinetic analysis, while the *CI* values  
525 are similar with all approaches.

526

### 527 **Dependence of *CI* on the irradiation conditions**

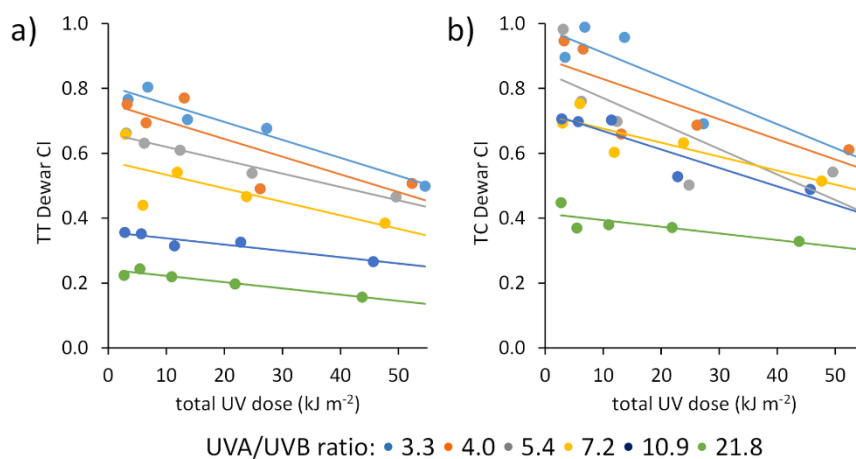
528 We then performed a series of experiments still involving a combination of UVA and UVB in  
529 order to determine whether the *CI* was sensitive to the exposure protocols. In this experiment  
530 and in all the rest of the work, we relied on the initial strategy designed by Chou et al. (25, 27)  
531 for the calculation of the *CI* with the MEE. We first investigated whether the *CI* varied  
532 according to the UVA/UVB ratio. We then studied the impact of the order in which UVA was  
533 combined with UVB, either simultaneously or one after the other. For these experiments, only  
534 one sample was collected at each dose. Consequently, we did not calculate errors.

#### 535 *Evolution of the *CI* at different UVA to UVB ratios*

536 In the previous study, UVA and UVB were applied at a constant ratio of 18:1. Yet, it is  
537 anticipated that the efficiency of conversion of 64PPs into Dewars depends on the relative  
538 intensities of UVB and UVA. Therefore, we calculated the *CI* through a MEE fitting for  
539 different exposure conditions exhibiting increasing UVA to UVB ratios. For this purpose, we  
540 kept the UVA fluence constant and decreased that of the UVB source. The results  
541 unambiguously showed a decrease of the value of the *CI* related to Dewars with increasing  
542 ratio, namely an increase in the synergistic effect, when the UVA to UVB ratio increased (Fig.  
543 3). Conversely, the *CI* for TT and TC 64PPs was larger than 1 under all exposure conditions,  
544 showing the antagonist effect of UVA. The effect was not as strong as those shown on Figure  
545 1 because the total UV doses applied were lower. Like in our experiments at constant

546 UVA/UVB ratio, the values of the *CI* for TC Dewar were larger than those for the TT Dewar.  
 547 The mean ratio between the *CI* of TC Dewar and TT Dewar at different applied doses ranged  
 548 from 1.2 for a UVA/UVB ratio of 3.3, to 1.9 for a UVA/UVB ratio of 21.8. These observations  
 549 reflect the more efficient isomerization of TT 64PP in the UVA range compared to TC 64PP.  
 550 This experiment illustrates that the *CI* is more than a semi-quantitative indication of the  
 551 non-additivity of response in co-exposures. The modulation of DNA photochemistry induced  
 552 by changing the ratio between the fluence of UVB and UVA by a value of 2 or 3 was enough  
 553 to be reflected in the values of the *CI*.

554



555  
 556 **Figure 3:** Value of the *CI* for a) TT Dewar and b) TC Dewar in DNA samples exposed to  
 557 radiation with various UVA/UVB ratios.

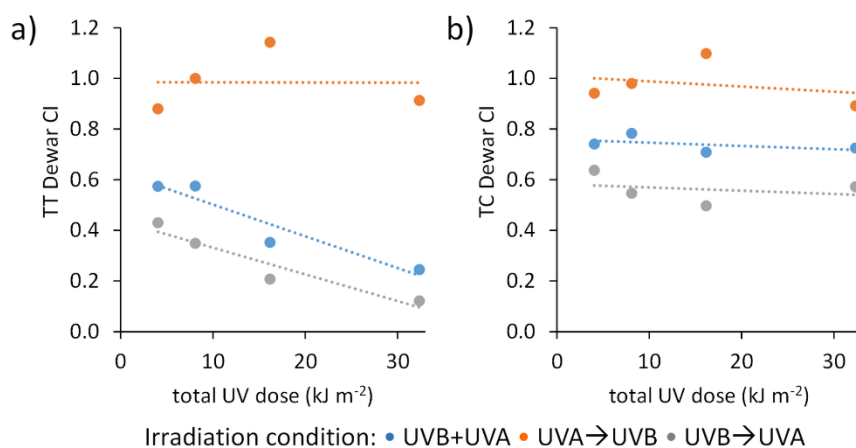
558

559

560 ***Effect of the order of exposure on the value of CI***

561 In the subsequent study, we compared the results of UVB and UVA co-exposure experiments  
 562 where the two radiation ranges were applied either simultaneously or one after the other.  
 563 Experiments involving pure UVA and UVB were also performed in order to calculate the *CI*.  
 564 As observed in all the other experiments, the *CI* values determined for CPDs were close to 1,

565 irrespectively of the irradiation conditions and of the dose (data not shown). Interestingly, the  
566 total dose of UVA and UVB received by the DNA samples was the same in the UVA→UVB,  
567 UVB+UVA and UVB→UVA protocols. Yet, differences were observed in the  
568 photoisomerization yield. In the first case (UVA→UVB), the efficiency is not different than  
569 with UVB alone as shown by the *CI* close to 1 for 64PPs and Dewars. This is expected since  
570 UVA is applied first and cannot be absorbed by 64PPs produced by UVB. This was not the case  
571 for the two other irradiation protocols. For TT 64PP, the value of the *CI* increased continuously  
572 from 0.98 to 1.30 with increasing dose for UVB+UVA and from 1.26 to 1.69 for UVB→UVA.  
573 The same trend was observed for TC 64PP. The *CI* values obtained at the lowest and largest  
574 UV doses were 1.00 to 1.14 with increasing dose for UVB+UVA and from 1.04 to 1.29 for  
575 UVB→UVA. A mirror effect was observed on the Dewar data. As shown on figure 4, the *CI*  
576 value for both TT and TC Dewars were 1 on the average in the UVA→UVB protocol, but lower  
577 in the UVB+UVA and UVB→UVA experiments. The mean values are 0.44 and 0.28 for TT  
578 Dewar for UVB+UVA and UVB→UVA, respectively. The corresponding values for TC Dewar  
579 are 0.74 and 0.56. (Fig. 4). In summary, the *CI* for 64PPs was larger for UVB→UVA than  
580 UVB+UVA while the opposite trend was observed for Dewars. Interestingly, the *CI* of the TT  
581 64PP is more dose-dependent than that of TC 64PP. This can be explained by the fact that the  
582 photoisomerization reaction is more efficient. Consequently, the trend to a plateau for 64PP and  
583 the quadratic shape of the formation of Dewar are more pronounced for TT than TC. In the  
584 calculation of the *CI*, this is reflected by a larger dose dependence for TT than TC  
585 photoproducts.



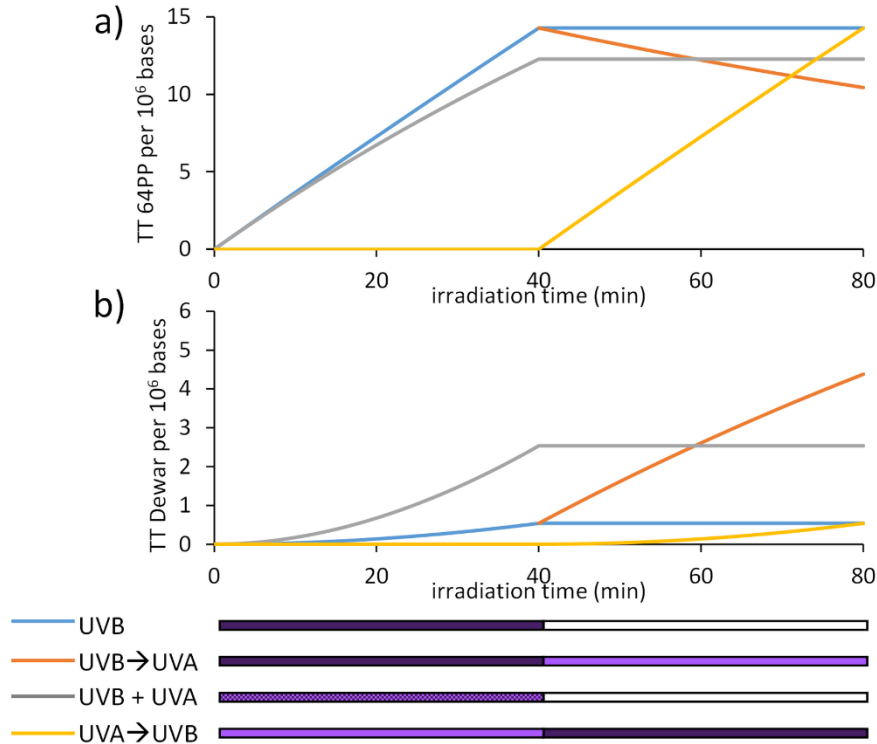
586

587 **Figure 4:** variation of CI of TT and TC Dewars for different irradiation protocols. UVB and  
 588 UVA were applied simultaneously (UVB+UVA), or successively UVB → UVA or UVA → UVB.

589 Dashed lines are linear fits to illustrate the trends of CI as function of the total UV dose.

590

591 The bulk of these observations unambiguously shows that the photoisomerization is more  
 592 efficient with UVB→UVA than UVB+UVA. This result can be explained by the fact that when  
 593 UVA is applied after UVB, all UVB-induced 64PPs absorb the maximal amount of UVA. When  
 594 both wavelength ranges are applied simultaneously, the same amount of 64PPs as in the  
 595 UVB→UVA design are produced. However, those formed close to the end of irradiation are  
 596 exposed to a lower dose of UVA than those produced at the beginning. Consequently, their  
 597 yield of photoisomerization is lower. A more comprehensive explanation can be found in figure  
 598 5 that shows, for the 40 min experiments, the evolution of the level of TT 64PP and TT Dewar  
 599 under the different exposure protocols. The x-scale of the graph is in min because total UV  
 600 doses are quite different for UVB alone and combination of UVB and UVA. CI reported in  
 601 figure 4 were the final values for each irradiation time (5+5, 10+10, 20+20 or 40+40 min).



602

603 **Figure 5:** Formation of a) TT 64PP and b) TT Dewar in isolated DNA exposed to either UVB

604 alone or to UVB and UVA in different combinations. UVB+UVA: simultaneous exposure;

605 UVB → UVA: UVB alone followed by UVA alone; UVA → UVB: UVA alone followed by UVB

606 alone. The graphs were obtained by using equations (14) and (15). The value of  $k_1$  was

607 obtained in the UVB experiment. A value  $k_{2UVB}$  was determined for pure UVB as explained in

608 the calculation part. A similar approach was applied for the determination of  $k_{2UVB+UVA}$  in the

609 UVB+UVA experiment. The difference between these 2 values yielded  $k_{UVA}$  used for the fit of

610 the UVB → UVA data. The values of  $k_1$ ,  $k_{2UVB}$ ,  $k_{2UVB+UVA}$  and  $k_{2UVA}$  were found to be  $4 \cdot 10^{-7}$ ,

611  $0.002$ ,  $0.010$  and  $0.008 \text{ min}^{-1}$ , respectively.

612

613

### 614 Combination of 3 UV sources

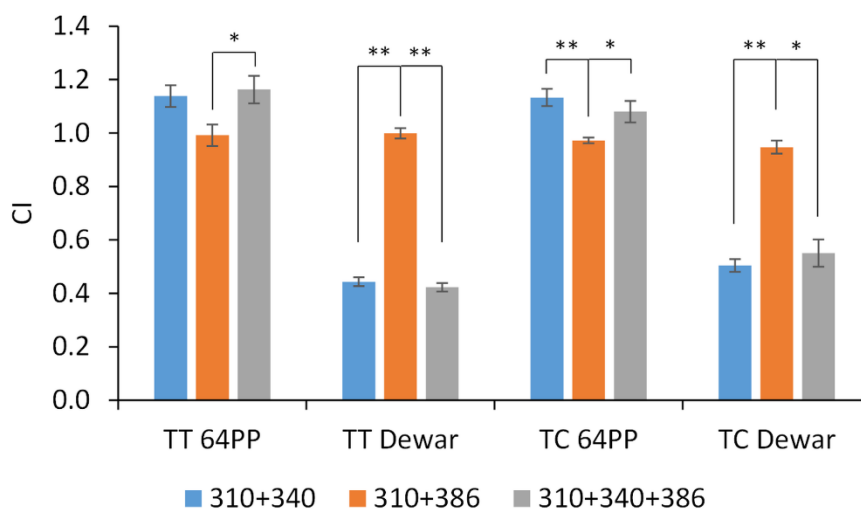
615 The results presented above involved only a UVB and a UVA source. Yet, photobiological

616 processes could be modulated by combinations of more than 2 ranges of wavelengths. We took

617 advantage that the CI can be used with more than two factors to explore a ternary combination

618 of UV radiation. Using our exposure device fitted with specific filters, we exposed DNA to

619 UVB (310±5 nm), UVA2 (340±13 nm) and UVA1 (386±13.5 nm). In addition to each radiation  
620 alone and to the ternary combination, we exposed solutions of isolated DNA to a combination  
621 of UVB and UVA2 (310+340 nm) and a combination of UVB and UVA1 (310+386 nm). As  
622 observed with the full UVA spectrum, neither UVA1 nor UVA2 led to the formation of 64PPs  
623 and Dewars. We observed that the *CI* was 1 for 64PPs and Dewars for the 310+386 nm  
624 combination (Fig. 6), suggesting that UVA1 is not efficient in the photoisomerization of 64PP.  
625 In contrast, the *CI* for Dewars in the 310+340 nm experiments were below 0.5 and statistically  
626 significantly lower than those observed for 310+386 nm. The same observations were made in  
627 the ternary combination, showing that addition of UVA1 to the UVB/UVA2 radiation did not  
628 increase the photoisomerization yield of 64PPs. It should be noticed that a statistically  
629 significant larger *CI* was obtained for TC 64PP in the 310+340 nm irradiation compared to  
630 310+386, as well as between the 310+386 and the 310+340+386 experiments. The latter  
631 difference was also statistically significant for TT 64PP, and the comparison between 310+340  
632 and 310+386 exhibited the same trend of a *CI* closer to 1 under the latter condition. These  
633 results strongly suggest an antagonist effect of UVA2, but not of UVA1, on the formation of  
634 64PPs. Combined with observation of synergistic effects of UVA2 but not UVA1 on the  
635 formation of Dewars, the *CI* analysis allowed us to conclude that UVA1 does not participate to  
636 the photoisomerization of 64PPs, in agreement with their known absorption properties.



637  
 638 **Figure 6:** *CI determined for TT and TC 64PPs and Dewars in DNA samples exposed to*  
 639 *combination of UVB, UVB and UVA1 and UVB and UVA2. The reported results are means ±*  
 640 *SEM determined in triplicate at 4 different total UV doses (n=12). The statistical significance*  
 641 *of the differences, evaluated by a one-way ANOVA, were  $p < 0.05$  (\*) or  $p < 0.01$  (\*\*).*

642

## 643 CONCLUSION

644 In the present work, we proposed the use of the combination index as a tool to identify non  
 645 additive effects upon co-exposure to different radiation ranges. Application of this approach to  
 646 the well-known photochemistry of DNA shows that the *CI* strategy is as efficient with light as  
 647 it is with chemicals. We also provided some improvements to the original design by showing  
 648 that fitting functions other than the MEE can be used. In particular, we show that regressions  
 649 that are not necessarily based on physico-chemical principles like the mass action law for MEE  
 650 or chemical kinetics analysis are well suited. In our case, linear and second order polynomial  
 651 fits of the data provided *CI* values similar to those obtained with the MEE or kinetic analysis,  
 652 with the lowest incertitude. In addition, these fitting functions can exhibit any dose-response  
 653 curves, except bell-shaped responses. Another advantage of the use of such fitting functions is  
 654 that the value of the considered effect does not have to be lower than 1 as in the MEE, which



655 would be a strong limitation for example for the induction of all photobiological effects  
656 normalized to a control like gene expression or protein synthesis. Further developments will  
657 involve application of the combination index strategy to investigations of the effect of complex  
658 exposures on living systems with biologically relevant endpoints. Another long term project  
659 would be to incorporate the non-additivity brought by *CI* methodology in a generalized action  
660 spectra for the estimation of dose effects with complex light sources like solar spectra.

661

## 662 **ACKNOWLEDGMENTS**

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