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Impact of fully coherent energy loss on heavy meson production in pA collisions

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ABSTRACT: Hadron production in proton-nucleus (pA) collisions was previously shown to be suppressed by medium-induced fully coherent energy loss (FCEL). We show that the quenching of D and B mesons in pPb collisions at the LHC due solely to FCEL is, at least, on par with other nuclear effects such as gluon shadowing or saturation. This is consistent with previous findings for both quarkonium and light hadron production in pA collisions, emphasising that FCEL effects need to be included for a reliable understanding of hadron production measurements in pA collisions.

KEYWORDS: QCD Phenomenology, Heavy Ion Phenomenology

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Contents

1	Introduction			
2	Heavy-flavour production: physical picture	3		
	2.1 Subprocess and kinematics	3		
	2.2 Implementing FCEL	4		
3	FCEL baseline predictions	7		
	3.1 Observable and parameters	7		
	3.2 Results for D and B mesons	8		
	3.3 Influence of NLO processes — a rough estimate	9		
4	Discussion			
\mathbf{A}	A Colour state probabilities $ ho_{ m R}(\xi)$			
в	3 Parametrisation of heavy meson cross section in pp collisions			

1 Introduction

Several nuclear effects influence the production of hadrons in high-energy proton-nucleus (pA) collisions, as compared to proton-proton (pp) collisions. For instance, nuclear parton distribution functions (nPDFs) are known to differ from PDFs in a proton at all values of Bjorken-x (see ref. [1] for a review). In particular, the effect of gluon shadowing, namely, the depletion at $x \leq 10^{-2}$ of the gluon nuclear PDF with respect to that in a proton, leads to a corresponding suppression of hadron production in pA with respect to pp collisions, either at RHIC (at forward rapidity) or at LHC [2, 3]. As in the proton case, nPDFs are obtained from global fits based on DGLAP evolution [4–7], assuming collinear factorization [8] to also hold in nuclear collisions. But nPDFs suffer from rather large theoretical uncertainties, especially at small x, due to the relative scarcity of data included in those analyses. Thus, the actual quantitative role of gluon shadowing is still being discussed.

The formalism that defines gluon saturation (see [9] for a review) incorporates additional effects when compared to gluon shadowing, in particular through the use of nuclear k_{\perp} -dependent gluon distributions [10]. Original calculations overpredicted the nuclear suppression of light hadron [11] and quarkonium [12] production at the LHC, but later revisions (see [10, 13–15] for light hadron and [16] for quarkonium production) proved to be consistent, within theoretical and experimental uncertainties, with LHC pPb data. Other nuclear effects such as p_{\perp} -broadening [17] or initial-state parton energy loss [18, 19], have also been considered in studies of hadron production in pA collisions at RHIC and LHC. Another important nuclear effect, fully coherent energy loss (FCEL) in cold nuclear matter, is expected in hadron and jet production in pA collisions, for which the underlying partonic process consists in forward scattering (when viewed in the target nucleus rest frame) of an incoming high-energy parton to an outgoing colour charge [20, 21] or colourful system of partons [22]. The average energy loss, in these situations, is proportional to the energy E of the incoming parton, $\Delta E_{\text{FCEL}} \propto E$ [20], thus overwhelming parton energy loss in the Landau-Pomeranchuk-Migdal regime which has milder E-dependence [23–26].

FCEL has been computed from first principles in various formalisms [20–22, 27–30], and has proven to be crucial in understanding J/ψ (and Υ) nuclear suppression, from fixed-target energies (where FCEL alone can describe the world data on J/ψ suppression) to collider energies [31–33].¹ More recently, the effect of FCEL on light hadron production in pPb collisions at the LHC has been studied [36, 37], and found to be quantitatively as important as gluon shadowing [2] or saturation [10, 13–15]. Thus, the proposal to use light hadron production data in pA collisions to better constrain nPDFs [2, 3] and saturation effects [10] should be followed cautiously, and by not discounting other known physical effects like FCEL.

Our first goal in this article is to recall that FCEL influences the production of any hadron in pA collisions [20]. Following on from what has been done for quarkonium and light hadron production, we will present baseline predictions for the nuclear suppression of D and B mesons expected from the sole FCEL effect. Isolating the role played by FCEL is motivated by its modest theoretical uncertainty, a virtue of being fully determined within perturbative QCD (pQCD). Because future nPDF global fit analyses could benefit from incorporating FCEL, it is natural to study FCEL separately and before combining it with other effects that are hampered by larger uncertainties.

A second aim is to demonstrate that the FCEL effect on open heavy-flavour production is quantitatively sizable (as is the case for quarkonium [31–33] and light hadron production [36, 37]), and turns out to explain about *half* of the heavy-flavour nuclear suppression observed at the LHC at forward rapidities (2 < y < 4) and for $p_{\perp} \leq 5$ GeV. We also emphasise that with increasing p_{\perp} , the magnitude of the FCEL effect decreases faster than that of nPDF effects, although the contribution of FCEL to nuclear suppression remains significant even for $p_{\perp} \sim 10$ GeV.

Lastly, since FCEL arises from first principles and is comparable in magnitude with nPDF effects, we argue that it should be taken into account in nPDF global fit analyses using the pA data on D/B meson production (as well as on quarkonium and light hadron production). Hadron production in pA collisions at collider energies is frequently addressed assuming that nPDF effects are the only nuclear effect at work — an assumption made for

¹Let us stress that nPDF/saturation effects alone would not allow for such a global description of the J/ψ suppression data. Indeed, those effects typically scale in x_2 (they tend to be sizable at collider energies, but absent or minor at fixed-target energies), but such a scaling is strongly violated in the J/ψ suppression data [34] (see also figure 5 of [35]). In contrast, FCEL has an approximate scaling in x_1 , and the resulting extrapolation of the FCEL effect from fixed-target to collider energies allowed to successfully predict J/ψ suppression at RHIC and LHC [32]. There is certainly some room left for nPDF/saturation effects at those energies, but the possibility for these effects to be the only ones at work at LHC seems very unlikely.

the sake of simplicity and only justified *a posteriori*, based on the goodness of global fits to world data. In particular, recent studies [38-40] proposed to consider, within the latter paradigm, the data on D and B meson production in pA collisions as a reliable probe of nPDFs. Our results suggest that such analyses are not exempt from FCEL.

The outline of the paper is as follows. In section 2 we present the physical picture used to implement FCEL in heavy-flavour production. Baseline calculations of FCEL effects on D and B nuclear suppression are discussed and compared to experimental data in section 3. We conclude with a critical discussion in section 4.

2 Heavy-flavour production: physical picture

In this section we present the model used to single out the FCEL effect in heavy-flavour production in pA collisions. The physical picture is the same as that used for quarkonium production (in pA [31–33] and heavy-ion [41] collisions), and for light hadron production [36, 37]. The essential aspect common to these studies is the scaling of the FCEL quenching weight (defined below) in the fractional energy loss $x \equiv \varepsilon/E$, independently of the partonic process where FCEL occurs.

2.1 Subprocess and kinematics

Denoting the produced heavy meson transverse momentum by p_{\perp} and its rapidity by y (in the c.m. frame of an elementary proton-nucleon collision of energy \sqrt{s}), we focus on the kinematical domain of moderate $p_{\perp} \sim \mathcal{O}(m)$ (with m the heavy quark mass), and mid to large rapidities $|y| \leq 5$.

In a leading-order (LO) pQCD picture, heavy-flavour production in pp and pA collisions at the LHC proceeds dominantly via the $gg \rightarrow Q\bar{Q}$ partonic reaction. The $q\bar{q} \rightarrow Q\bar{Q}$ process is indeed quite insignificant, due to the smallness of the antiquark PDF compared with that of the gluon. As for the $Qg \rightarrow Qg$ process, where the initial heavy quark Qarises from (perturbative) gluon splitting $g \rightarrow Q\bar{Q}$, we choose to interpret it in the fixed flavour number scheme as a next-to-leading-order (NLO) 'flavour-excitation' process [42], rather than an LO process involving an input heavy quark PDF (as in the variable flavour number scheme [43]). Although at moderate p_{\perp} both interpretations should be equally valid for sufficiently inclusive cross sections [42], interpreting $Qg \rightarrow Qg$ as part of the NLO process $gg \rightarrow Q\bar{Q}g$ allows to keep track of the produced heavy antiquark, and thus of the global colour state of the final parton system, which is more appropriate for our purpose (see section 2.2). With this choice, the only important process to consider at LO is thus $gg \rightarrow Q\bar{Q}$.² When viewed in the target rest frame, this process looks like $g \rightarrow Q\bar{Q}$ forward scattering, as illustrated in figure 1.

The final heavy quarks Q and \overline{Q} have energy fractions ξ and $1 - \xi$ with respect to the incoming gluon energy E (in the target rest frame), and transverse momenta K_1 and

²Let us remark that in the case Q = c (Q = b), the $Qg \rightarrow Qg$ process might contribute via some non-perturbative intrinsic charm (bottom) component in the projectile proton. However, independently of its magnitude (expected to be quite small already for intrinsic charm), such a contribution should only play a role at very large rapidities, close to the proton beam rapidity $y_{\text{beam}} \simeq 8.5$ (for $\sqrt{s} = 5$ TeV).



Figure 1. Contribution to the production of a heavy meson H in pA collisions from the LO process $gg \to Q\bar{Q}$ (viewed as $g \to Q\bar{Q}$ forward scattering in the target nucleus rest frame), followed by quark fragmentation $Q \to H$ (represented here), or $\bar{Q} \to H$. (In addition to the incoming target gluon, the nucleus provides rescattering gluons that contribute to the nuclear p_{\perp} -broadening $\ell_{\perp A}$.)

 \mathbf{K}_2 , respectively. We will assume the transverse momentum imbalance $\mathbf{K}_1 + \mathbf{K}_2$ of the $Q\bar{Q}$ pair to be small, $|\mathbf{K}_1 + \mathbf{K}_2| \ll |\mathbf{K}_1| \equiv K_{\perp} \simeq |\mathbf{K}_2|$. The $g \to Q\bar{Q}$ forward process is followed by quasi-collinear fragmentation of the heavy quark (or antiquark) into the tagged heavy meson H, which thus inherits the transverse momentum $p_{\perp} = zK_{\perp}$, where z is the fragmentation variable.

We will use the above setup, where the heavy quarks are produced approximately back-to-back in the transverse plane, in both pp and pA collisions. We thus assume the gluon nuclear p_{\perp} -broadening $\ell_{\perp A}$ (or gluon saturation scale Q_s), defined below in (2.7), to be smaller than the 'hard scale' K_{\perp} of the subprocess, $\ell_{\perp A} \ll K_{\perp}$. This setup allows one to single out the quantitative effect of FCEL, independently of other existing nuclear mechanisms such as modified PDFs or the Cronin effect.³

To prepare for what comes next, let us quote the expressions of the heavy quark transverse mass m_{\perp} , the $Q\bar{Q}$ pair rapidity difference $\Delta y \equiv y_Q - y_{\bar{Q}}$ and invariant mass M_{ξ} in the above setup,

$$m_{\perp}^2 \equiv K_{\perp}^2 + m^2; \quad \Delta y = \ln\left(\frac{\xi}{1-\xi}\right); \quad M_{\xi}^2 = \frac{m_{\perp}^2}{\xi(1-\xi)}.$$
 (2.1)

2.2 Implementing FCEL

Similarly to the study of light hadron production [36, 37], we will implement FCEL in the simplifying approximation where the $Q\bar{Q}$ pair behaves as a pointlike object with regard to the medium-induced radiation. This 'pointlike dijet approximation' (PDA) holds when the induced radiation, of energy ω and transverse momentum k_{\perp} , does not probe the size of the parton pair (at the time $t_{\rm f} \sim \omega/k_{\perp}^2$ of the induced radiation), nor the individual colour charges of the pair constituents. Similarly to the massless case [37], one finds that those conditions are satisfied within the logarithmic accuracy

$$\ln\left(\frac{E^2\ell_{\perp A}^2}{\omega^2 m_{\perp}^2}\right) \gg 1\,,\tag{2.2}$$

³The role of p_{\perp} -broadening in our study is simply to specify the input quantity $\ell_{\perp A}$ entering the FCEL quenching weight $\hat{\mathcal{P}}_{R}$, see section 2.2.

which thus defines the PDA. The argument of the logarithm depends on the ratio between the rescattering angle of the radiated gluon $\sim \ell_{\perp A}/\omega$ and the opening angle of the dijet $\sim m_{\perp}/E$.

In the PDA the induced spectrum $\omega dI_{\rm R}/d\omega$ for a parton pair (or 'dijet') in colour state R is directly obtained from the spectrum associated to a pointlike colour charge (derived in [20, 21, 30, 32]) by replacing the particle's mass by the dijet mass given in eq. (2.1), namely,

$$\omega \frac{\mathrm{d}I_{\mathrm{R}}}{\mathrm{d}\omega} = (C_1 + C_{\mathrm{R}} - C_2) \frac{\alpha_s}{\pi} \left\{ \ln \left(1 + \frac{E^2 \ell_{\perp \mathrm{A}}^2}{\omega^2 M_{\xi}^2} \right) - \ln \left(1 + \frac{E^2 \ell_{\perp \mathrm{P}}^2}{\omega^2 M_{\xi}^2} \right) \right\}, \qquad (2.3)$$

where C_1 and C_2 are the (Casimir) colour charges of the incoming partons from the proton and target nucleus, respectively.⁴ For the present purpose, we focus on $gg \to Q\bar{Q}$ (see section 2.1), so that $C_1 = C_2 = N_c$, and $C_R = N_c$ or $C_R = 0$ (in which case the FCEL spectrum (2.3) vanishes) for the two possible colour states, respectively octet and singlet, of the $Q\bar{Q}$ pair. The coupling constant α_s in (2.3) should be evaluated at the semi-hard scale $\ell_{\perp A} \sim \mathcal{O}(1 \text{ GeV})$, where it will be assumed to be frozen, $\alpha_s = 0.5$.

Note that the spectrum (2.3) involves a logarithm that comes from the range

$$xM_{\xi} \ll k_{\perp} \ll \ell_{\perp} \,, \tag{2.4}$$

where $x \equiv \omega/E$ is the fractional energy loss. These inequalities have a simple physical explanation in terms of which displacements (of colour charge) can be probed (or not) by the gluon radiation [22]. The upper bound ensures that the wavelength of that radiation *can* resolve the medium-induced displacement of the $Q\bar{Q}$ pair proper gluon field:

$$rac{1}{k_{\perp}} \; \ll \; \Delta r_{\perp}^{\mathrm{ind.}} \; \sim \; rac{\ell_{\perp}}{\omega} \, t_{\mathrm{f}} \, .$$

The lower limit ensures that the radiation *cannot* probe the longitudinal separation of the dijet:

$$rac{1}{\omega} \ \gg \ \Delta r_{_\parallel} \ \sim \ rac{M_{\xi}^2}{E^2} \, t_{
m f} \, .$$

(It turns out that the similar requirement in the transverse direction, $k_{\perp}^{-1} \gg \Delta r_{\perp}$, is then automatically satisfied.)

The quenching weight associated with FCEL is defined as a function of the mediuminduced energy loss ε by [32]

$$\mathcal{P}_{\mathrm{R}}(\varepsilon, E) = \frac{\mathrm{d}I_{\mathrm{R}}}{\mathrm{d}\varepsilon} \exp\left\{-\int_{\varepsilon}^{\infty} \mathrm{d}\omega \frac{\mathrm{d}I_{\mathrm{R}}}{\mathrm{d}\omega}\right\} = \frac{\partial}{\partial\varepsilon} \exp\left\{-\int_{\varepsilon}^{\infty} \mathrm{d}\omega \frac{\mathrm{d}I_{\mathrm{R}}}{\mathrm{d}\omega}\right\} \equiv \frac{1}{E}\hat{\mathcal{P}}_{\mathrm{R}}\left(\frac{\varepsilon}{E}\right). \quad (2.5)$$

$$2T_{R_1}^a T_{R}^a = (T_{R_1}^a)^2 + (T_{R}^a)^2 - (T_{R}^a - T_{R_1}^a)^2 = C_1 + C_R - C_2,$$

where the T^a are Hermitian generators of SU(3).

⁴The colour prefactor illustrates that FCEL arises, in a suitably chosen light-cone gauge [21], from the interference between initial state and final state radiation,

Since the spectrum (2.3) depends on the induced radiation and incoming parton energies (ω and E, respectively, in the target rest frame) only through the ratio ω/E , the function $\hat{\mathcal{P}}_{\rm R}$ in (2.5) is a scaling function of the fractional energy loss, hereafter $x = \varepsilon/E$. Using (2.3) this function can be expressed as

$$\hat{\mathcal{P}}_{\mathrm{R}}\left(x,\ell_{\perp\mathrm{A}},M_{\xi}\right) = \frac{\partial}{\partial x} \exp\left\{C_{\mathrm{R}}\frac{\alpha_{s}}{2\pi} \left[\operatorname{Li}_{2}\left(\frac{-\ell_{\perp\mathrm{A}}^{2}}{x^{2}M_{\xi}^{2}}\right) - \operatorname{Li}_{2}\left(\frac{-\ell_{\perp\mathrm{P}}^{2}}{x^{2}M_{\xi}^{2}}\right)\right]\right\},\qquad(2.6)$$

where $\operatorname{Li}_2(u) = -\int_0^u \frac{\mathrm{d}v}{v} \ln(1-v)$ is the Spence function, and the dependence of $\hat{\mathcal{P}}_{\mathrm{R}}$ on $\ell_{\perp \mathrm{A}}$ and M_{ξ} is made explicit. Note that for a singlet $Q\bar{Q}$ pair, $\hat{\mathcal{P}}_{\mathrm{R}} \to \delta(x)$, corresponding to the absence of FCEL in this case.

The transverse momentum broadening $\ell_{\perp \rm A}$ is related to the average path length $L_{\rm A}$ in the target nucleus as

$$\ell_{\perp A}^2 = \hat{q} L_A \,, \tag{2.7}$$

where \hat{q} is the transport coefficient in cold nuclear matter parametrised by [37]

$$\hat{q} \equiv \hat{q}_0 \left(\frac{10^{-2}}{\min(x_0, x_2)}\right)^{0.3}; \quad x_0 = \frac{1}{2m_{\rm p}L_{\rm A}}; \quad x_2 \sim \frac{2m_{\perp}}{\sqrt{s}} e^{-y}.$$
 (2.8)

Here $m_{\rm p}$ is the proton mass, and the normalisation parameter \hat{q}_0 will be taken as $\hat{q}_0 = 0.07 \pm 0.02 \,{\rm GeV^2/fm}$, as previously estimated from various phenomenological studies [37]. The average path length will be set to $L_{\rm Pb} = 10.11 \,{\rm fm}$ for a lead nucleus, and $L_{\rm p} = 1.5 \,{\rm fm}$ for a proton target [32].

As a result of the scaling of $\hat{\mathcal{P}}$ in x, the induced energy loss appearing when going from pp to pA collisions is naturally accounted for by an energy rescaling, or equivalently by a rapidity shift

$$\delta = \ln\left(1+x\right).\tag{2.9}$$

Within the PDA, FCEL leaves the dijet internal structure unchanged and thus does not alter the $Q\bar{Q}$ pair's colour state, rapidity difference Δy or invariant mass M_{ξ} (in particular, ξ and K_{\perp} are conserved, cf. eq. (2.1)). Hence, the same rapidity shift δ applies to the pointlike $Q\bar{Q}$ pair, its constituents, and in turn to the tagged heavy meson H.

As a consequence, FCEL can be accounted for by relating the heavy meson differential production cross sections in pp and pA collisions as follows (with H = D or B) [37],

$$\frac{1}{A} \frac{\mathrm{d}\sigma_{\mathrm{pA}}^{H}(y, p_{\perp}, \sqrt{s})}{\mathrm{d}y \,\mathrm{d}p_{\perp}} = \sum_{\mathrm{R}} \rho_{\mathrm{R}}(\bar{\xi}) \int_{0}^{x_{\mathrm{max}}} \frac{\mathrm{d}x}{1+x} \,\hat{\mathcal{P}}_{\mathrm{R}}(x, \ell_{\perp \mathrm{A}}, M_{\bar{\xi}}) \,\frac{\mathrm{d}\sigma_{\mathrm{pp}}^{H}(y+\delta, p_{\perp}, \sqrt{s})}{\mathrm{d}y \,\mathrm{d}p_{\perp}} \,. \tag{2.10}$$

Since $\hat{\mathcal{P}}_{R}$ depends on the colour state R, the rapidity shift $\delta = \ln (1 + x)$ in (2.10) is made separately for each R. This requires introducing the probability ρ_{R} for the dijet to be in colour state R, which is determined from the $gg \to Q\bar{Q}$ scattering amplitude and is a function of ξ only, $\rho_{R} = \rho_{R}(\xi)$, see appendix A. The parameter $\bar{\xi}$ in eq. (2.10) can be viewed as the typical ξ in the pp cross section $d\sigma_{pp}^{H}/dy dp_{\perp}$. Following ref. [37], the uncertainty associated to the value of $\bar{\xi}$ will be estimated by varying $\bar{\xi}$ in the interval [0.25, 0.75]. Note that δ , x, ξ (and thus also $\bar{\xi}$) are invariant under longitudinal boosts, and (2.10) can thus be equally used in the target rest frame or center-of-mass frame, with y the heavy meson rapidity in the chosen frame. Finally, in (2.10) we set $K_{\perp} = p_{\perp}/z$ in the expression of $M_{\bar{\xi}}$ (see eq. (2.1)) to account for the rescaling of momenta in $Q \to H$ fragmentation (the fragmentation variable z will be treated as a parameter, see section 3), and $x_{\text{max}} = 1$ for consistency with the soft radiation approximation.⁵

We stress that the pp and pA cross sections appearing in eq. (2.10) are evaluated at the same p_{\perp} , for two reasons. First, our goal is to single out the FCEL effect, and in (2.10) we thus neglect the shift in p_{\perp} due to nuclear broadening in pA vs pp. (In our approach, the role of p_{\perp} -broadening is simply to specify the quantity $\ell_{\perp A}$ to be used in the FCEL quenching weight $\hat{\mathcal{P}}_{R}$.) Second, as already mentioned, in the PDA the relative dijet transverse momentum K_{\perp} (and thus $p_{\perp} = zK_{\perp}$) cannot be modified by medium-induced radiation.

Starting from a given heavy meson production cross section in pp collisions, the expression (2.10) singles out the effect of FCEL on the corresponding pA cross section, within the pointlike dijet approximation. The pp cross section will be parametrised by eq. (B.1), where the overall normalisation factor $\mathcal{N}(p_{\perp})$ is irrelevant for evaluating the ratio (3.1).

3 FCEL baseline predictions

Here we provide our main results, based on (2.10), for heavy meson nuclear suppression expected from FCEL, and compare them with available LHC pPb collision data. Let us stress that the above implementation of FCEL can be justified, since the typical xcontributing to (2.10) turns out to be consistent with the PDA (2.2). Defining the typical x as the median x in the integral (2.10), we have indeed checked that $\ln(\ell_{\perp A}^2/x^2m_{\perp}^2) \sim 3-4.5$ (depending on the values of y and p_{\perp}) for all observables considered in what follows.

3.1 Observable and parameters

The heavy meson pA cross section (2.10) will be evaluated using the pp cross section (parametrised like in previous studies to fit the available pp data, see appendix B) as input, and the theoretical prediction for the quenching weight $\hat{\mathcal{P}}$ arising from FCEL. In other words, we will predict the heavy meson nuclear modification factor (in minimum bias pA collisions compared with pp collisions),

$$R_{\rm pA}^{H}(y, p_{\perp}, \sqrt{s}) = \frac{1}{A} \frac{\mathrm{d}\sigma_{\rm pA}^{H}}{\mathrm{d}y \,\mathrm{d}p_{\perp}} \Big/ \frac{\mathrm{d}\sigma_{\rm pp}^{H}}{\mathrm{d}y \,\mathrm{d}p_{\perp}} \,, \tag{3.1}$$

expected solely from the FCEL effect.

The values of the fragmentation variable z (based on the fragmentation functions of ref. [44]), exponent parameter n (see eq. (B.1)), and mass m are as indicated in table 1 for both charm and bottom. As already mentioned, the parameters \hat{q}_0 and $\bar{\xi}$ will be taken as $\hat{q}_0 = 0.07 \pm 0.02 \,\text{GeV}^2/\text{fm}$ and $\bar{\xi} = 0.50 \pm 0.25$ (for both D and B production).

⁵In general, one should also impose energy conservation, $x \leq (E_{\rm p} - E)/E$ (with $E_{\rm p}$ the projectile proton energy). However, this constraint starts to play a role only at very large y, and affects negligibly the integral (2.10) in the rapidity range considered in the present study.

meson	z	n	m
D	0.8 ± 0.2	4 ± 1	$1.3\pm0.2{\rm GeV}$
B	0.9 ± 0.1	2.0 ± 0.5	$4.6\pm0.5{\rm GeV}$

Table 1. Parameters z, n, m and their variations for D and B production. (Note that m is the on-shell mass of the heavy quark that eventually fragments, not the meson's mass. For the *b*-quark mass, we adopt the value from the so-called '1S scheme' [45].)

Theoretical uncertainties will be estimated as in our previous FCEL studies of light hadron [36, 37] and quarkonium [41] production, assuming the parameters to be uncorrelated and determining the uncertainty band of our predictions using the Hessian method [46]. The quark was massless in the light hadron studies, here its mass joins the full set of parameters $\{\hat{q}_0, \bar{\xi}, z, n, m\}$ in characterising a given prediction.

3.2 Results for *D* and *B* mesons

The pA cross section (2.10) is differential w.r.t. y and p_{\perp} , both kinematic variables being necessary to specify the FCEL quenching weight. Measurements of the ensuing 'doubly differential' heavy meson suppression (3.1) were taken by the LHCb experiment at forward and backward rapidities in the (combined) range 2 < |y| < 4.5. The ALICE experiment has measured the p_{\perp} -distribution at midrapidity.

For D^0 production at $\sqrt{s} = 5.02$ TeV, we display in figure 2 data from refs. [47, 48] alongside the FCEL results as a function of y, for two p_{\perp} -bins.⁶ As in previous studies of quarkonium [31–33] and light hadron production [36, 37], the increase of the suppression with increasing y is a direct consequence of the scaling of FCEL with the incoming parton energy. We observe a good agreement between this overall trend and the data, which also holds for other p_{\perp} -bins. The chosen p_{\perp} -bins also demonstrate another important feature of FCEL, namely, it becomes weaker at larger p_{\perp} (as illustrated by the parametric dependence (4.1) of the average FCEL).

Our main message is already clear from figure 2: the FCEL effect by itself explains about half of the nuclear suppression of D^0 mesons at forward rapidities (for those p_{\perp} -bins). Note that as a purely perturbative effect, FCEL is not predicted to distinguish between neutral and charged mesons.

In figure 3 (left) we show the same data as a function of p_{\perp} , for 2 < y < 2.5, together with our FCEL baseline prediction evaluated at y = 2.25.⁷ Note that while the pp and pA cross sections are evaluated at the same p_{\perp} , it is interesting to consider the p_{\perp} -dependence of $R_{\rm pA}$ following from (2.10), which dependence arises through the dijet mass M_{ξ} appearing in the quenching weight $\hat{\mathcal{P}}_{\rm R}$. The fact that the FCEL effect (i.e., the deviation of $R_{\rm pA}^H$ w.r.t. unity) decreases with increasing p_{\perp} is more visible on this plot. The importance of the FCEL effect is also evident on figure 3 (left): for the chosen y-interval, it explains half of the D^0 nuclear suppression up to $p_{\perp} \sim 5$ GeV. Since LHCb has also measured B-meson

 $^{^6\}mathrm{A}$ complete comparison, with plots for all p_\perp -bins (with $p_\perp < 10\,\mathrm{GeV}),$ is included as an ancillary file in the arXiv record.

⁷Plots for all y-bins can be found in the ancillary files of the arXiv record.



Figure 2. The rapidity dependence of $R_{\rm pPb}$ for D^0 production at $\sqrt{s} = 5.02$ TeV is shown for two p_{\perp} -bins. The baseline calculation is for the $gg \rightarrow Q\bar{Q}$ channel in the center of each bin, compared with ALICE and LHCb data [47, 48]. (The curves labelled 'gluon frag.' correspond to the channel $gg \rightarrow gG \rightarrow gQ\bar{Q}$ discussed in section 3.3.)



Figure 3. Comparison between LHCb data [48, 49] and FCEL baseline predictions of the p_{\perp} -dependence of $R_{\rm pPb}$, for D^0 production at $\sqrt{s} = 5.02$ TeV in the rapidity interval 2 < y < 2.5 (left), and for B^{\pm} production at $\sqrt{s} = 8.16$ TeV in the interval 2.5 < y < 3.5 (right).

suppression in pPb collisions at $\sqrt{s} = 8.16 \text{ TeV}$ [49], a similar plot for B^{\pm} production is provided in figure 3 (right), over a larger rapidity window (2.5 < y < 3.5) and for $p_{\perp} \leq 20 \text{ GeV}$.

3.3 Influence of NLO processes — a rough estimate

The results presented in the previous sections assumed the LO picture described in section 2.1. In particular, FCEL has been implemented assuming that the pp cross section is dominated by the LO process $gg \to Q\bar{Q}$ (which is indeed dominant over other LO processes for $Q\bar{Q}$ production at LHC energies).

On the other hand, we have taken the pp cross section to fit the pp data, which are likely to receive an important contribution from higher-order processes. Clearly, a full NLO calculation implementing FCEL is beyond the scope of our study. In order to estimate the uncertainty associated with the LO picture used in our model, we investigate FCEL effects in a generic channel contributing to the pp cross section at NLO (in the fixed flavour number scheme adopted here, see section 2.1), namely, $gg \to gG$ (where G denotes a 'massive gluon' of mass 2m) followed by collinear gluon fragmentation $G \to Q\bar{Q}$ (Q and \bar{Q} sharing equally the momentum of gluon G).

In the approximation where the induced radiation does not resolve the final parton system (denoted as PDA in section 2.2), FCEL depends on the partonic subprocess only through the invariant mass and colour probabilities $\rho_{\rm R}$ of that system. In order to estimate FCEL effects assuming the above $gg \to gG \to gQ\bar{Q}$ process, we can thus use (2.10), up to the following modifications: (i) the mass M_{ξ} of the gluon pair produced in $gg \to gG$ is now given by $M_{\xi}^2 = K_{\perp}^2/(\xi(1-\xi)) + 4m^2/\xi$ (with ξ the energy fraction carried by gluon G, and $K_{\perp} = 2p_{\perp}/z$); (ii) the sum over R runs over three colour states, R = 1, 8, 27, with associated probabilities given in (A.6).

Repeating the FCEL calculation of section 3.2 for heavy meson nuclear suppression with the above modifications, we expect two competing effects. The larger 'dijet mass' should entail a milder suppression, whereas the richer colour structure (in particular, the presence of the larger Casimir $C_{27} = 8$) should on the contrary strengthen the suppression. For D^0 suppression as a function of y, we obtained the yellow curves in figure 2. The $gg \rightarrow gG$ process appears to coincide with the $gg \rightarrow Q\bar{Q}$ LO baseline, confirming the expected partial compensation between the two competing effects.

Although this estimate of the possible effect of NLO processes on our predictions is rudimentary, it makes us confident that the results obtained within the LO picture are quantitatively meaningful. We expect the main feature, namely, an increase of both the dijet mass and average Casimir, to prevail when going from LO to NLO processes.

4 Discussion

As noted in ref. [20], where the fully coherent medium-induced gluon radiation spectrum has first been derived, FCEL is expected to affect *all* hadron species in proton-nucleus collisions. In the present study, we apply it to the case of open heavy-flavour hadron production. The results show that FCEL is a sizable effect, accounting for about half of the *D*-meson nuclear suppression observed at forward rapidity, in a wide p_{\perp} -range. After studies on quarkonium and light hadron production, this confirms that hadron production in pA collisions cannot be described within the collinear factorization approach using only nPDFs, calling for a change of paradigm.

Nevertheless, it has been recently suggested to use the data on heavy-flavour hadron production in pA collisions as a reliable probe of gluon distributions in nuclei, assuming nPDFs to be the only nuclear effect at work [38–40]. The latter claim is based on the relatively good agreement of pQCD calculations with heavy-flavour measurements in pPb collisions at the LHC, after a proper reweighting of nPDFs using precisely these data sets. Although such an agreement between data and theory (after reweighting) is necessary to justify the use of collinear factorization in pA collisions, it should not be seen as a sufficient condition, let alone a proof of the absence of parton dynamics beyond collinear factorization. The results shown here indeed demonstrate that a significant part of the suppression observed in data is due to FCEL, an effect which breaks explicitly factorization. Our claim is supported by the precision of the FCEL calculation, with the moderate relative theoretical uncertainty on R_{pA}^{H} (typically below 10%) ensuing from FCEL being fully determined within pQCD.

FCEL does not affect the rate of hard processes in nuclear collisions in the same way as nPDFs do – for instance as a function of \sqrt{s} , M, p_{\perp} , or y – due to the different scaling properties of these two nuclear effects. To illustrate this, the effects of FCEL scale approximately as the momentum fraction x_1 carried by the parton in the hadron projectile⁸ while nPDF effects are expected to depend on x_2 , the momentum fraction carried by the nuclear target parton. Moreover, the parametric dependence on the hard scale should be different for both effects. In particular, the *average* FCEL associated to the spectrum (2.3) is suppressed by one power of the transverse mass [20, 21],

$$\Delta E_{\rm FCEL} \propto \alpha_s \, \frac{\ell_{\perp \rm A} - \ell_{\perp \rm p}}{m_\perp} \, E \,. \tag{4.1}$$

Consequently, using the measurements of open heavy-flavour meson production (as well as light hadron and quarkonium production) in a global fit analysis that ignores the reality of FCEL would lead to an incorrect determination of nuclear parton distributions, independently of the apparent agreement reached between data and theory. For instance, it is shown in ref. [39] that including LHCb D-meson data has a spectacular impact on the determination of (reweighted) EPPS16 nPDF sets [6]. Not only does it lead to a stronger gluon shadowing of the central set at small values of x,⁹ but the uncertainty of the reweighted EPPS16 shrinks dramatically, especially at small resolution scales. This does not come as a surprise because the central set of (default) EPPS16 tends to overshoot LHCb data at forward rapidity, and because the precision of LHCb measurements exceeds by far that of EPPS16. However, we believe that these reweighted nPDF sets should not be trusted because of the wrong physical hypothesis, namely assuming that D-meson suppression is only driven by nPDFs. The fact that FCEL accounts for half of the suppression at forward rapidity is likely to lead to the opposite conclusion of *lesser* gluon shadowing at small x than in the default nPDF sets. The inclusion of forward prompt and non-prompt J/ψ measurements in the determination of new nPDF sets, as advocated in [40], would lead to similar biases.

Ideally, the nPDF global fit analyses should include data which are insensitive to FCEL, such as DIS measurements or weak boson production in pA collisions, or barely affected by FCEL, e.g., jet production at very large $p_{\perp}^2 \gg \hat{q}L$. However, the constraints will be much looser especially in the gluon sector and at small x. Another way would be to use the reweighting method [53, 54], which up to now has been used to iteratively include newly available data into existing nPDF sets (without having to redo the full analysis). We propose to reweight nPDF sets with a fitting procedure that takes into account new (theoretical) information: namely, the inclusion of FCEL for hadron production in pA

⁸This scaling is slightly violated because of the energy evolution of the transport coefficient, see ref. [32].

⁹This is reminiscent of the use of forward light-hadron measurements by BRAHMS in dAu collisions at RHIC [50] in the EPS08 analysis [51], which led to strong nuclear shadowing. These data were subsequently left out in the global fit analysis of EPS09 [52], resulting in a milder gluon shadowing.

collisions. Because the FCEL uncertainties are relatively narrow, treating both nuclear effects together should help assess the current tensions and improve the overall precision of nPDFs. This programme is left for future work.

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A Colour state probabilities $\rho_{\rm R}(\xi)$

In this appendix we present a simple derivation of the probabilities $\rho_{\rm R}(\xi)$ for the $Q\bar{Q}$ pair produced in $gg \to Q\bar{Q}$ to be in colour state R. These probabilities turn out to depend only on the light-cone momentum fraction $\xi \equiv K^+/p^+$ (with K^+ and p^+ the light-cone momenta of the heavy quark and incoming projectile gluon, respectively), which can be viewed as an energy fraction in the target rest frame. In particular, the colour probabilities are independent of the heavy quark mass m.

Let the target gluon carry momentum q and Lorentz index μ . The $gg \to Q\bar{Q}$ scattering amplitude \mathcal{M}_{hard}^{μ} can be conveniently calculated from the $g \to Q\bar{Q}$ forward scattering amplitude off an external gluon field. Indeed, in the high-energy limit $(p^+ \to \infty)$, the latter selects the $\mu = +$ component of \mathcal{M}_{hard}^{μ} , which can be easily derived using light-cone perturbation theory [55] in light-cone $A^+ = 0$ gauge. The other (dominantly transverse) components of \mathcal{M}_{hard}^{μ} are simply obtained using gauge invariance, $q_{\mu}\mathcal{M}_{hard}^{\mu} = 0$, and \mathcal{M}_{hard}^{μ} thus directly follows from the knowledge of \mathcal{M}_{hard}^+ only. We find

$$\mathcal{M}_{\text{hard}}^{+} = 2g_s \left\{ \psi(\xi, \mathbf{K}) \underbrace{\overset{\text{out}}}{\overset{\text{out}}{\overset{\text{out}}{\overset{\text{out}}{\overset{\text{out}}}{\overset{\text{out}}{\overset{\text{out}}}{\overset{\text{out}}{\overset{\text{out}}}}}}}}}}}}}}}}} - \psi(\xi, \mathbf{K} - \xi \mathbf{q}) \overset{\text{out}}{\overset{\text{out}}{\overset{\text{out}}}}}}}}{\overset{\text{out}}{\overset{\text{out}}}}}}}\right}}, (A.1)$$

where the graphs stand for the colour factors associated to each Feynman diagram, \boldsymbol{q} and \boldsymbol{K} are the transverse momenta of the target gluon and heavy quark, respectively, $\psi(\xi, \boldsymbol{K})$ is the $g \to Q\bar{Q}$ light-cone wavefunction,¹⁰ and $g_s = \sqrt{4\pi\alpha_s}$.

In the limit $q_{\perp} \ll K_{\perp}$ considered in the present study (recall that $K_{\perp} \gg \ell_{\perp A} = \sqrt{\hat{q}L_A}$, cf. section 2.1, and typically $q_{\perp} \sim \Lambda_{\text{QCD}}$) the Taylor expansion of (A.1) yields

$$\mathcal{M}_{\text{hard}}^{+} = -2g_s \left(\boldsymbol{q} \cdot \boldsymbol{\nabla}_{\boldsymbol{K}} \psi(\boldsymbol{\xi}, \boldsymbol{K}) \right) \left\{ \underbrace{\overset{\text{occ}}}{\overset{\text{occ}}{\overset{\text{occ}}}{\overset{\text{occ}}{\overset{\text{occ}}}{\overset{\text{occ}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}{\overset{\text{occ}}}}{\overset{\text{occ}}}}}}}}}}}}}}}}}}}}$$

where we used colour conservation:

¹⁰It is given by $\psi(\xi, \mathbf{K}) = g_s p^+ \sqrt{\xi(1-\xi)} \hat{V} \ln(\mathbf{K}^2 + m^2)$, where $\hat{V} = \delta_{\sigma}^{-\sigma'}(\xi - \delta_{\sigma}^{-\lambda}) \varepsilon_{\lambda} \cdot \nabla_{\mathbf{K}} - \frac{1}{\sqrt{2}} \delta_{\sigma}^{\sigma'} \delta_{\sigma}^{\lambda} \frac{\partial}{\partial m}$, with σ and σ' denoting the quark and antiquark helicities, respectively, and $\varepsilon_{\lambda} = -\frac{1}{\sqrt{2}}(\lambda, i)$ the transverse polarization $(\lambda = \pm)$ of the energetic gluon of light-cone momentum p^+ . The precise form of $\psi(\xi, \mathbf{K})$ is however irrelevant to the present discussion.



Figure 4. Probabilities $\rho_{\mathbf{R}}(\xi)$ for the produced dijet to be in colour state R, as a function of the internal energy fraction ξ , in the $gg \to Q\bar{Q}$ channel for $\mathbf{R} = \mathbf{1}$, **8** (left) and in the $gg \to gG$ channel for $\mathbf{R} = \mathbf{1}$, **8** $\equiv \mathbf{8}_{\mathbf{a}} \oplus \mathbf{8}_{\mathbf{s}}$, **27** (right).

The dependence of \mathcal{M}_{hard}^+ on the heavy quark mass m (contained in the first factor of eq. (A.2)) and its colour structure (second factor of eq. (A.2)) fully factorise. As a consequence, the mass dependence cancels out in the colour probabilities ρ_{R} for the $Q\bar{Q}$ pair to be in colour state R (with R = 1, 8) defined by

$$\rho_{\rm R} = \frac{|\mathcal{M}_{\rm hard} \cdot \mathbb{P}_{\rm R}|^2}{|\mathcal{M}_{\rm hard}|^2}, \qquad (A.4)$$

where \mathbb{P}_{R} is the hermitian projector on the colour state R. Those probabilities thus coincide with those obtained in ref. [37] for $gg \to q\bar{q}$ with massless quarks, namely,

$$\rho_{\mathbf{1}}(\xi) = \frac{1}{9(\xi^2 + (1 - \xi)^2) - 1} ; \quad \rho_{\mathbf{8}}(\xi) = 1 - \rho_{\mathbf{1}}(\xi) . \tag{A.5}$$

The above discussion applies similarly to the $gg \to gG$ channel (see section 3.3) and its associated colour states $(\mathbf{8} \otimes \mathbf{8} = \mathbf{1} \oplus \mathbf{8}_{\mathbf{a}} \oplus \mathbf{8}_{\mathbf{s}} \oplus \mathbf{10} \oplus \overline{\mathbf{10}} \oplus \mathbf{27})$, resulting in the same colour probabilities as for $gg \to gg$ [37]

$$\rho_{\mathbf{27}}^{gg}(\xi) = \frac{3/4}{1+\xi^2+(1-\xi)^2} ; \quad \rho_{\mathbf{1}}^{gg}(\xi) = \frac{1}{3}\rho_{\mathbf{27}}^{gg}(\xi) ; \quad \rho_{\mathbf{8}}^{gg}(\xi) = 1 - \frac{4}{3}\rho_{\mathbf{27}}^{gg}(\xi) ; \quad \rho_{\mathbf{10}}^{gg} = 0 , \quad (A.6)$$

where the colour representations with the same dimension and Casimir have been combined.

The probabilities from eqs. (A.5) and (A.6) are shown in figure 4.

B Parametrisation of heavy meson cross section in pp collisions

To make predictions for R_{pA} based on the model of FCEL in eq. (2.10), a main input is the doubly differential heavy meson production cross section in pp collisions. The latter is calculable within pQCD but subject to proton PDFs and fragmentation functions [44, 56]. For our purpose of predicting the *ratio* (3.1) rather than absolute pp and pA cross sections, we instead use a parametrisation of the pp cross section allowing to fit best the pp data.



Figure 5. Differential pp cross section for D^0 production as a function of rapidity, at the collision energies $\sqrt{s} = \{5, 7, 13\}$ TeV. The panels depict (B.1) evaluated at the central values of three experimental p_{\perp} -bins, namely, $p_{\perp} = 1.5$ GeV (left), 2.5 GeV (central) and 3.5 GeV (right). (For the 13 TeV data, two bins were combined.) The bands correspond to the variation of the parameter $n = 4 \pm 1$ in (B.1). The curves (and data points) at different \sqrt{s} were multiplied by 4^{-k} (with k = 0, 1, 2 for decreasing \sqrt{s}).

In order to trust the pp cross section for the kinematic regimes where our predictions for R_{pA} are made, we adopt the parametrisation

$$\frac{\mathrm{d}\sigma_{\mathrm{pp}}^{H}}{\mathrm{d}y\,\mathrm{d}p_{\perp}} = \mathcal{N}(p_{\perp})\left[\left(1-\chi\right)\left(1-\sqrt{\chi}\right)\right]^{n}, \quad \chi \equiv 4\left(\frac{p_{\perp}^{2}+\mu_{H}^{2}}{s}\right)^{\frac{1}{2}}\cosh y\,. \tag{B.1}$$

If we let the overall normalisation in eq. (B.1) be treated as a free parameter for each p_{\perp} -bin, this parametrisation is capable of describing LHCb pp data at $\sqrt{s} = \{5, 7, 13\}$ TeV [57–60], for both charm and bottom production, with parameters $\mu_D = 1.8$ GeV and $n = 4 \pm 1$, and $\mu_B = 5.3$ GeV and $n = 2.0 \pm 0.5$, respectively.¹¹ For simplicity we choose to fix the value of μ_H close to the meson mass, because the variation in the exponent n is more than sufficient to encompass the data.

In figure 5, neutral *D*-meson production from available pp data at forward rapidities is compared with the parametrisation for $1 \text{ GeV} < p_{\perp} < 4 \text{ GeV}$. Evidently, (B.1) should be applicable at the intermediate $\sqrt{s} = 8.16 \text{ TeV}$ — despite no corresponding data. The available pp data for charged heavy mesons (D^{\pm}, B^{\pm}) are similarly well encompassed by our choices for the exponent *n*, for all values of p_{\perp} used in this study.

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¹¹The fact that totally different values of the 'exponent parameter' n were used for light hadron production (namely, $n = 15 \pm 5$) [37] should not lead to confusion, the parametric form (B.1) chosen here to fit the heavy meson pp cross section being different from that used in ref. [37] to fit the light hadron cross section. The precise form of the parametrization used to fit the pp cross section is irrelevant in our approach.

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