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LEVERAGING 3D INFORMATION IN UNSUPERVISED BRAIN MRI SEGMENTATION

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ABSTRACT

Automatic segmentation of brain abnormalities is challenging, as they vary considerably from one pathology to another. Current methods are supervised and require numerous annotated images for each pathology, a strenuous task. To tackle anatomical variability, Unsupervised Anomaly Detection (UAD) methods are proposed, detecting anomalies as outliers of a healthy model learned using a Variational Autoencoder (VAE). Previous work on UAD adopted 2D approaches, meaning that MRIs are processed as a collection of independent slices. Yet, it does not fully exploit the spatial information contained in MRI. Here, we propose to perform UAD in a 3D fashion and compare 2D and 3D VAEs. As a side contribution, we present a new loss function guaranteeing a robust training. Learning is performed using a multicentric dataset of healthy brain MRIs, and segmentation performances are estimated on White-Matter Hyperintensities and tumors lesions. Experiments demonstrate the interest of 3D methods which outperform their 2D counterparts.

Index Terms— Deep Learning, Variational Autoencoder, Anomaly Detection, Medical Imaging

1. INTRODUCTION

Brain anomalies are widely used as indicators suggesting the presence or progress of many neurological disorders. Magnetic Resonance Imaging (MRI) is today an essential modality to reveal these markers. In recent years, a multitude of algorithms for the automatic detection of anomalies in brain MRI has been proposed, with promising results achieved by Deep Learning (DL) approaches. Anomalies can manifest in a wide range of shape, location and intensities. To automatically detect them, most state-of-the-art algorithms use a supervised approach, trained on an as large as possible manually annotated dataset [1]. Acquisition of such dataset can be both time-consuming and expensive. Besides, these algorithms are specific to the task they are trained for and will therefore perform poorly when applied on images presenting unseen type of anomalies.

To overcome these limitations, Unsupervised Anomaly Detection (UAD) methods are proposed, consisting in the construction of a manifold of healthy scans. Recent DL methods propose to learn it by computing a low dimensional latent data representation. At inference, anomalous images are projected to the learned healthy manifold, allowing to reveal abnormalities. An anomaly map is then computed using the voxel-wise difference from its healthy projection. Although failing for the time being to meet the state-of-the-art results of supervised methods, UAD approaches have several advantages: they do not require any labeled data and can be adapted with very limited adjustments to different types of pathologies.

Two types of neural networks are particularly investigated in UAD : Generative Adversarial Networks (GANs) [2] and Variational Autoencoders (VAEs) [3]. GANs use an adversarial training approach to construct the healthy manifold [4]. VAEs rather encode images into latent distributions and use a regularization term in their loss function to ensure consistency in the latent space [5]. Yet, training of VAEs is known to be unstable [6]. As an attempt to alleviate this issue, we propose a robust loss function to ensure a stable training.

To the best of our knowledge, all previous research related to UAD tackle the problem in a 2D fashion, meaning that the MRI volume is processed as a collection of independent 2D slices. Despite being computationally efficient, this approach has several limitations. First, it requires the selection of homogeneous slices. Top and bottom slices, which contain no or little brain tissue, are excluded, as they may compromise the training of 2D networks. It is an impairing step because it requires hand-tuning and prevents the detection of anomalies in the entire MRI. Second, the processing of 2D data does...
not fully exploit the spatial information available in the scans. This restriction to 2D may arise from the significant difficulty of 3D training, which suffers from the high dimensionality of data and the reduction of the number of training samples. Another limitation of the state of the art is the restriction of most previous work on UAD to monocentric datasets for training [5,7,8], which fails to ensure a clinically realistic setup.

In this work, we present a 3D VAE framework for UAD. We train 2D and 3D models using our proposed robust loss function and compare them on multiple pathologies acquired in real clinical conditions. Experiments show that exploiting the full images in a 3D fashion leads to better performances than the usual 2D approaches.

2. METHODS

2.1. UAD using Variational Autoencoders

VAEs are composed of an encoder followed by a decoder. The encoder compresses the input image $X$ into a distribution over the latent space, which is regularized to be close to a prior distribution conventionally set to be a Gaussian multivariate $N(z; 0, I)$. A point $z$ is then sampled from this latent distribution and presented to the decoder which produces a reconstruction $\hat{X}$ of the input.

The bottleneck separating the encoder and the decoder distinguishes spatial and dense VAEs. In the spatial configuration, VAEs are fully-convolutional, meaning that the latent vector is a multi-dimensional tensor $z \in R^{N \times h \times w}$ in 2D and $z \in R^{N \times d \times h \times w}$ in 3D with $N$ the latent space dimension, $h$ the height, $w$ the width and $d$ the depth. In this configuration, spatial information is preserved during the encoding-decoding process. In the dense configuration, the image is encoded into a 1-dimensional tensor $z \in R^{N}$ with the use of fully-connected layers, and as a consequence spatial information is discarded.

After training on healthy subjects, we perform UAD using a reconstruction-based approach. Reconstruction is the classical approach for DL-based UAD. It consists in the computation of anomaly maps by subtracting its reconstruction $\hat{X}$ to the input image $X$. As a result of the training, anomalies are badly reconstructed once projected to the healthy manifold, and thus yield to high values in the anomaly map. By binarizing them with an appropriate threshold, anomalies segmentations are obtained.

2.2. Collapsing-robust loss function

Training of a VAE is performed by minimizing a two-terms loss function: the evidence lower-bound (ELBO($X, \hat{X}$)):

$$L = |X - \hat{X}|_{d} + D_{KL}(q_{\phi}(z|X)|P(z)), d \in \{1, 2\}$$

(1)

The left-hand side term of this equation is the reconstruction term, which computes the distance between the image $X$ and its reconstruction $\hat{X}$. The second term is the Kullback-Leibler Divergence (KL) between the posterior $q_{\phi}(z|X)$ and the defined prior $P(z)$, which acts as a regularization term in the latent space. Training of VAE using equation (1) is prone to posterior collapse, meaning that the network may learn to neglect a subset of latent variables to match the prior, and thus the generative power of the network degrades [6]. Solutions have been proposed to tackle the problem, including the addition of a hyperparameter $\beta$ to balance both terms of the equation [9]. Following the same motivation, KL annealing schedules have been presented, including the KL cyclical annealing schedule described in [10]. We build on this work and propose a custom loss function defined as follows:

$$L_{T} = \frac{|X - \hat{X}|_{2}}{\Sigma} + \beta(t)D_{KL}(q_{\phi}(z|X)|P(z))$$

(2)

with $\beta(t) = \left\{ \begin{array}{ll} \frac{2t}{T} & \text{for } t \in [0, \frac{T}{2}] \\ 1 & \text{else} \end{array} \right.$ and $\beta(t + T) = \beta(t)$

where $\Sigma$ is the moving mean computed on the $L$ last values of the reconstruction term, $t$ is the current iteration and $T$ the cycle duration. $T$ and $L$ are two hyperparameters that we set to 50 and 10 respectively in our experiments. We choose the $\ell_{2}$ norm as reconstruction term to reduce blurring of the reconstructed images. Normalizing this term by its moving mean maintains the reconstruction term near one, which encourages the network to learn throughout the entire training stage even when reconstruction becomes satisfying. Coupled with the KL cyclical annealing schedule, we obtain a loss robust to collapsing which ensures a stable training of VAEs. We use this loss without any additional parameter tuning in all our experiments.

2.3. Architecture Details

Our encoders are composed of 6 layers: 4 convolutional layers compressing the input image, and 2 additional layers to encode the result into a normal distribution by computing its parameters $\mu$ and $\sigma$. These two last layers differ, depending on the model architecture. They are convolutional in Spatial VAEs and fully-connected in Dense VAEs. A latent vector $z$ is then sampled from this distribution and passed to the decoder.

Decoders adopt a symmetric architecture with 5 layers decompressing $z$ in order to reconstruct the input image. Similarly, the first layer of the decoder is convolutional in the spatial configuration, and fully-connected otherwise. Spatial 3D and Dense 3D VAEs are obtained by replacing 2D convolutions by their 3D counterparts.

3. EXPERIMENTS

We focus on brain MRI FLAIR. To train our networks, we gather 79 healthy scans from several opensource datasets:
the ADNI dataset, IBC and Kirby. Evaluation of our networks is performed on 2 different datasets presenting various brain lesions. We use a collection of 196 scans with annotated White-Matter Hyperintensities (WMH) gathered from several opensource datasets: the MICCAI MSSEG Challenge, the ISBI MS Lesion Challenge, and the WMH Challenge. Additionally, we select 100 brain tumors scans from the BraTS 2018 dataset. These datasets are multi-centric and comprise various scanners and clinical protocols, hence assuring a clinically realistic setup.

Scans are rigidly registered on a 170 × 204 × 170 template with an isotropic resolution of 1 mm, and corrected for bias using [17]. Training and WMH scans are skull-stripped using the HD-BET algorithm [18]. Volumes are then cropped to 160 × 192 × 75 to concentrate on central slices, for which brain tissue is abundant. Finally, intensity range is set to [0, 1].

Segmentations are produced by binarizing anomaly maps, obtained as the difference between an image and its reconstruction. Binarization is performed using a threshold above which voxels are considered as anomalies. In order to find its optimal value, we split each testing set in half. On the first half, we compute Dice scores between ground truths and segmentations obtained with 15 different thresholds, ranged between 0 and 0.15, which we found to be a relevant range in our experiments. Then, the threshold which provided the best performance is applied on the second half.

The obtained segmentations are then multiplied by a slightly eroded brain mask, in order to remove false positives occurring near the brain contour. Finally, a median filter is applied to remove regions with less than 10 voxels.

4. RESULTS

We evaluate our networks segmentation performance using Dice, sensitivity and specificity scores. Reconstruction performance is estimated using the voxel-wise mean average error (MAE) between the input scan and its reconstruction. To fairly compare 2D and 3D networks, they are all evaluated on the same 75 central slices for each test scan. Performances of the Spatial 2D and Dense 2D, as well as their 3D adaptations are presented in Table 1. Illustrative reconstructions and segmentations can be found in Figure 1 for both WMH and tumor lesions. 3D adaptations demonstrate a boost in performance as compared to 2D. On both the WMH and Tumors datasets, the best network is the Dense 3D VAE, with dice scores of 0.463 ± 0.259 and 0.650 ± 0.190, a specificity of 0.996 and 0.981, and a sensitivity of 0.511 and 0.711 respectively.

To compare our unsupervised method with classic supervised DL approaches, we trained 3D U-Nets in a 4-fold cross-validation setting, on each test dataset. Their performances are presented in Table 1 as Supervised 3D.

5. DISCUSSION AND CONCLUSION

In this work, the interest of 3D methods for UAD in brain MRIs was evaluated. Using our proposed collapsing-robust loss function, 2D and 3D models were compared on two pathological datasets showing an overall increase in performance in the 3D setting. For spatial VAEs, this gain was more significant than for dense networks. In the dense configuration, spatial information was not preserved during the encoding-decoding scheme. Thus, the introduction of additional spatial context with the use of 3D did not significantly increase the segmentation performance. Additionally, we observed that dense networks outperformed spatial networks in both the 2D and 3D cases. They indeed operated a significantly higher compression of the scan as compared to spatial networks. Consequently, reconstructions presented very little details, and anomalies were entirely discarded, which made them more easily detectable.

While models trained with our proposed loss function achieved better reconstruction quality, they demonstrated no improvement regarding anomaly segmentation performances, as compared to models trained with (1). These results seem to indicate the existence of a trade-off between both effects.

Performances of our approaches, although being satisfying, remain lower than standard supervised methods. Although UAD methods fail at reaching these standards, they are very promising as they allow to detect anomalies in a generic fashion and without the use of annotated training samples. One interesting application of UAD approaches is the generation of raw segmentations, which can be used as a starting point for manual segmentations, saving time for the rater. In future work, advanced 3D architectures could be tested with the use of deeper networks. Extensions to multi-sequential MRI data is also of interest.

6. COMPLIANCE WITH ETHICAL STANDARDS

This research study was conducted retrospectively using human subject data made available by the following sources: ADNI, OpenfMRI, NITRC, the MICCAI MSSEG Challenge, the ISBI MS Lesion Challenge, the WMH Challenge and BraTS 2018. Ethical approval was not required as confirmed by the license attached with the data.

7. ACKNOWLEDGMENTS

BL, ML, SD and AT are employees of the Pixyl Company. MD and FF serve on Pixyl advisory board.

8. REFERENCES

**Table 1**: Performance metrics obtained on the test datasets. Spe = Specificity, Sen = Sensitivity, MAE = Mean Average Error.

<table>
<thead>
<tr>
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<th>Tumors</th>
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<tr>
<td></td>
<td>Dice</td>
<td>Spe</td>
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<tr>
<td>Spatial 2D</td>
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<td>0.966</td>
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<tr>
<td>Spatial 3D</td>
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<tr>
<td>Dense 2D</td>
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<tr>
<td>Dense 3D</td>
<td><strong>0.650 ± 0.209</strong></td>
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</tr>
<tr>
<td>Supervised 3D</td>
<td>0.750 ± 0.097</td>
<td>0.992</td>
</tr>
</tbody>
</table>

**Fig. 1**: Reconstructions and segmentations of our networks. Left: WMH lesions. Right: tumors lesions.


