Multichannel source counting with CRNN: analysis of the performance

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Speaker counting is the task of estimating the number of people that are simultaneously speaking in an audio recording. For several audio processing tasks such as speaker diarization, separation, localization and tracking, knowing the number of speakers at each timestep is a prerequisite, or at least it can be a strong advantage, in addition to enabling a low latency processing. In a previous work, we addressed the speaker counting problem with a multichannel convolutional recurrent neural network which produces an estimation at a short-term frame resolution. In this work, we show that, for a given frame, there is an optimal position in the input sequence for best prediction accuracy. We empirically demonstrate the link between that optimal position, the length of the input sequence and the size of the convolutional filters.

1. INTRODUCTION
Speaker counting –estimating the evolving number of speakers in an audio recording– is a crucial stage in several audio processing tasks such as speaker diarization, localization and tracking. It can be seen as a subtask of speaker diarization, which estimates who speaks and when in a speech segment [1, 2]. This task has been poorly addressed in the speech processing literature as a problem on its own, in a majority of the source separation and localization methods, the number of speakers is often considered as a known and essential prerequisite [3–6] or estimated by clustering separation/localisation features [7,8]. Speaker counting becomes even more difficult when several speech overlap, therefore it reveals particularly useful for tracking, as it can help the difficult problem of detecting the appearance and disappearance of a speaker track along time [9].

In the literature of source counting, single-channel parametric methods rely on ad-hoc parameters to infer the number of speakers [10, 11]. Multichannel approaches exploit spatial information to better discriminate speakers. Classical multichannel methods are based on eigenvalue analysis of the array spatial covariance matrix [12–14], but cannot be used in underdetermined configurations. Clustering approaches in the time-frequency (TF) domain enable to overcome this restriction [15–19]. Nevertheless, they often turn out to be poorly robust to reverberation; moreover, they often require the maximum number of speakers as the input parameter.

More recently, deep learning has been applied to the audio source counting problem. In [20], a convolutional neural network is used to classify single-channel noisy audio signals into three classes: 1, 2 or 3-or-more sources. In [21], the authors compare several neural network architectures with long short-term memory (LSTM) or convolutional layers, and also tried classification and regression paradigms. They extended their work in [22] with a single-channel convolutional recurrent neural network (CRNN) predicting the maximum number of speaker occurring in a 5-second audio signal. Recently, we proposed an adaptation of this CRNN with multichannel in-
put features to predict the number of speakers at a short-term precision on reverberant speech signals [23].

In this paper, we extend our work in [23] by providing an empirical analysis of the speaker counting CRNN with regards to the sequence-to-one output mapping. We demonstrate that, for the best prediction on a given frame, there is an optimal choice of the decoded label within an output sequence, depending on convolutional and recurrent parameters. Past information is needed to let the LSTM converge and a few overhead frames also help for best accuracy.

2. SPEAKER COUNTING SYSTEM

The method used in this paper is the same as in [23], but we shortly recall the main lines in this section.

2.1 Input features

To provide spatial information to the network, we use the Ambisonics representation as a multichannel input feature. The main advantages of the Ambisonics format are its ability to accurately represent the spatial properties of a soundfield, while being almost independent from the microphone type. The Ambisonics format is produced by projecting an audio signal onto a basis of spherical harmonics. For practical use, this infinite basis is truncated which defines the Ambisonics order: here, we provide first-order Ambisonics (FOA) to the network, leading to 4 channels. For a plane wave coming from azimuth $\theta$ and elevation $\phi$, and bearing a sound pressure $p$, the FOA components are given in the STFT domain by:

$$
\begin{bmatrix}
W(t,f) \\
X(t,f) \\
Y(t,f) \\
Z(t,f)
\end{bmatrix} = 
\begin{bmatrix}
1 \\
\sqrt{3} \cos \theta \cos \phi \\
\sqrt{3} \sin \theta \cos \phi \\
\sqrt{3} \sin \phi
\end{bmatrix} p(t,f).
$$

(1)

where $t$ and $f$ denote the STFT time and frequency bins, respectively.

The phase of $p(t,f)$ is considered a redundant information across the channels; thus we only use the magnitude of the FOA components. By stacking them, we end up with a tridimensional tensor $X \in \mathbb{R}^{N_t \times F \times I}$, with $N_t$ frames, $F$ frequency bins and $I$ channels as an input feature for the neural network. We use signals sampled at 16 kHz, a 1,024-point STFT (hence $F = 513$) with a sinusoidal analysis window and 50% overlap. The parameter $N_t$ takes several values during our experiments, see Section 3.

2.2 Outputs

Speaker counting is considered as a classification problem with 6 classes, from 0 to 5 concurrent speakers. For the given frame, the target is encoded as a one-hot vector $y$ of size 6, and the softmax function is used for the output layer. For inference, the prediction is the highest probability of the output distribution.

Figure 1: Architecture of the counting neural network, similar to [23].
2.3 Network architecture

We use the same architecture as in [23], illustrated in Figure 1. A first bloc is composed of 2 convolutional layers with 64 and 32 filters respectively, followed by a max-pooling layer, and another 2 convolutional layers with 128 and 64 filters respectively, also followed by a max-pooling layer. The filter support size $K$ (the size in both time and frequency axis) is varied as a part of the analysis in Section 3.

The max-pooling operation only applies to the frequency axis to keep the temporal dimension unchanged, allowing a frame-based decision. The following layer is composed of a LSTM used in a sequence-to-sequence mapping mode (see [23] for more details), leading to an output of dimension $N_t \times 40$. Finally each temporal vector of dimension 40 goes through the 6-unit softmax output layer that produces the probability distribution for each class. Therefore, this pipeline enables the network to compute a probability distribution for each frame.

2.4 Data

To train and test the neural network, we use synthesized speech signals comprising between 1 and 5 speakers who begin and end to talk at random times. The speech signal of each speaker is individually convolved with spatial room impulse response (SRIR) generated using the image-source method [25]. Then the individual wet speech signals are mixed together and a diffuse noise is added. The reader can find more details on the mixture generation algorithm in [23]. We end up with a total of 25 hours of speech signals for training and 0.42 hours for validation and test. Note that SRIR, speech and noise signals used for validation and test are never encountered during training.

3. PERFORMANCE ANALYSIS

In this section we evaluate the performance of the CRNN on the test set depending on the position $n$ in the sequence for the prediction of each frame and for several values of $K$. Each color corresponds to a value of $N_t$, with one curve showing the accuracy per position $n$, and one horizontal line showing the average accuracy on all positions. The results are in extent of [23]. We see that the CRNN is able to achieve an accuracy between 58% and 75%, which is a good result in noisy and reverberant environment, with up to 5 speakers in the signal. As in [23], we notice a trend that the average accuracy increases with the length of the sequence, but the framewise results show that the CRNN can even do better that the average performance if we avoid frames at the beginning and at the end.

Interestingly, all curves follow a similar trend: the accuracy increases with $n$, then we observe a floor (except for $N_t = 10$), then the accuracy decreases when $n$ reaches $N_t$. The first interpretation we can draw is that the LSTM layer needs a certain amount of information (several timesteps) to converge and output an optimal pre-
Figure 2: Average framewise speaker counting accuracy of the proposed CRNN, as a function of the position of the decoded frame in the $N_t$-sequence, for several values of $N_t$ and convolutional filter size. The horizontal bars indicated the average accuracy over the frame positions.
diction (hence the floor). This optimal prediction is within about 69% and 75% accuracy, depending on the experiments.

All curves show almost the same important rise at the beginning of the sequences: For example for $K = 3$ and $N_t = 30$, the accuracy goes from around 60% for $n = 0$ to around 69% for $n = 6$ which is a notable increase. At $n = 6$ the accuracy begins to fall for $N_t = 10$, whereas it goes on rising for other values of $N_t$. When we go further in the sequence, the increase stabilizes and reaches a floor, which is around $n = 30$ for $N_t = 50$. Here, the LSTM seems to have reached its optimal prediction power. So finally we can correlate the length of the input sequence to the overall accuracy with the simple reason that the LSTM needs time to converge and aggregate information to provide a better prediction. This highlights the fact that in practice we need a certain amount of past information to provide the LSTM for higher accuracy of prediction. In the following paragraph, we comment on the decrease of accuracy after the optimal floor.

3.2 Effect of convolutional filter size

Another interesting element in the curves is the drop of accuracy in the last values of the decoded frame position $n$, when it gets close to $N_t$. This drop of accuracy occurs for all $N_t$ values. For example for $K = 3$ and $N_t = 10$, accuracy gradually goes from best accuracy 69.85% for $n = 6$ to 67.03% for last frame position $n = 9$. For $N_t = 30$ it goes from a maximum value of 73.19% for $n = 25$ to 68.50% for last frame position $n = 29$. In fact, for $K = 3$, it seems that the peak in accuracy along the sequence appears at the frame position $n = N_t - 5$ for all $N_t$ except for $N_t = 10$, and for the next positions the accuracy falls.

If we do the same analysis for $K = 5$, the drop seems the happen a bit earlier at position $N_t - 9$, except for $N_t = 10$ for which the convergence seems to condition the increase of accuracy here. For $K = 7$ the phenomenon is less similar among the different values of $N_t$: for $N_t = 30$ the drop begins at position $n = N_t - 10$ and for $N_t = 50$ it begins at position $n = N_t - 16$. Yet we see that the position where the accuracy starts to drop seems to be correlated to the size of the convolutional filters.

In fact this is due to the use of padding in the convolutional layers: For a filter size $K = 3$, the spectrograms are padded with one frame of zeros when the filter is applied on an edge frame ($n = 0$ or $n = N_t - 1$), so that we keep the temporal dimension through all layers. This padding followed by the convolutional operation gives an edge frame with less information (since the convolution includes the void information added with padding) for the next convolutional layer, and this one will apply the same operation and so on until the $4^{th}$ and last convolutional layer.

So after this layer the padding operation has added 1 void frame 4 times at the end of the spectrogram which explains the drop of accuracy 4 frames before the end of the sequence, due to the lack of information. This can also be calculated for $K = 5$: the filter size forces a padding operation of 2 void frames for each of the 4 convolutional layers, which leads to $2 \times 4 = 8$ void frames at the end of the spectrogram before entering the LSTM layers. We again obtain the position $n = N_t - 9$ for which the accuracy begins to drop. An empirical formula can then be drawn to compute the optimal position $n_{opt}$ of the analyzed frame for best accuracy:

$$n_{opt} = N_t - 2K + 1$$

For $K = 7$, the formula gives an optimal position $n = N_t - 13$ before the drop in accuracy begins.

Note that this result is not perfectly observed in the curves. In particular for $N_t = 10$, this padding effect is balanced by the rise of accuracy due to the LSTM convergence when accumulating information across successive frames. That is why for example, for $K = 5$ and $N_t = 10$, the drop begins at $n = N_t - 4$ because at that position the convergence is still in progress.

3.3 Online vs. accuracy tradeoff

The above analysis showed two aspects within the graphs:

- The LSTM needs time to converge, so that for a good speaker counting accuracy we need to provide a certain amount of past information.
The peak of performance is obtained for a position several frames before the end of the sequence, because after the convolutional layers the last frames suffer from padding. The number of overhead frames needed for best accuracy is \( \frac{K}{2} \times 4 \) where \( K \) is the size of the convolutional filters. It gives the optimal position of the analyzed frame from the end of the sequence, as padding would lower accuracy in a further position.

Therefore for best speaker counting performance, a CRNN needs past information as well some overhead, depending on the recurrent and convolutional parameters.

4. CONCLUSION

In this paper we propose an analysis of the counting accuracy of a CRNN, depending on the position of the analyzed frame within the input sequence and depending on the size of the convolutional filters. We show that the LSTM indeed needs several steps to converge and provide the best possible accuracy. But although this convergence theoretically reaches its maximum at the end of the sequence, we witness a drop in accuracy towards the end of the sequence which is explained by zero-padding in the cascaded convolutional layers, which still enables us to provide a framewise prediction for source counting. The use of convolutional filters needs some overhead in the sequence. So there is a tradeoff between real-time prediction of the number of speakers and the accuracy this prediction.

5. REFERENCES


