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An Optimal Estimator of Intrinsic Alignments for Star-forming Galaxies in IllustrisTNG Simulation

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Abstract

Emission line galaxies (ELGs), more generally star-forming galaxies, are valuable tracers of large-scale structure and therefore main targets of upcoming wide-area spectroscopic galaxy surveys. We propose a fixed-aperture shape estimator of each ELG for extracting the intrinsic alignment (IA) signal, and assess the performance of the method using image simulations of ELGs generated from the IllustrisTNG simulation including observational effects such as the sky background noise. We show that our method enables a significant detection of the IA power spectrum with the linear-scale coefficient $A_{\text{IA}} \simeq (13\text{--}15) \pm 3.0$ up to $z = 2$, even from the small simulation volume $\sim 0.009(h^{-1} \text{Gpc})^3$, in contrast to the null detection with the standard method. Thus the ELG IA signal, measured with our method, opens up opportunities to exploit cosmology and galaxy physics in high-redshift universe.

Unified Astronomy Thesaurus concepts: [Large-scale structure of the universe \(902\)](#); [Galaxy evolution \(594\)](#); [Hydrodynamical simulations \(767\)](#)

1. Introduction

Intrinsic correlations between shapes of different galaxies, the so-called intrinsic alignments (IAs), can arise from the primordial seed fluctuations of cosmic structures and gravitational interaction in structure formation (Croft & Metzler 2000; Lee & Pen 2000, 2001; Pen et al. 2000; Catelan et al. 2001; Crittenden et al. 2001). IA has been intensively studied because it is one of the most important systematic effects for weak lensing (Hirata & Seljak 2004; Troxel & Ishak 2015) and can also be used as a probe of cosmological parameters (Chisari & Dvorkin 2013; Taruya & Okumura 2020), the primordial gravitational wave (Schmidt et al. 2014, 2015), and the primordial anisotropic non-Gaussianity (Chisari et al. 2016b; Akitsu et al. 2021).

Observationally, several studies have shown a significant detection of the IA effect for luminous red galaxies up to $z \sim 0.7$ (Mandelbaum et al. 2006; Hirata et al. 2007; Okumura & Jing 2009; Singh et al. 2015; Singh & Mandelbaum 2016). In contrast, there is no clear signature of the IA effect reported for blue star-forming galaxies from data (Mandelbaum et al. 2011; Tonegawa et al. 2018; Yao et al. 2020); and different simulations predict IA with varying amplitudes and signs (Chisari et al. 2016a; Tenneti et al. 2016; Hilbert et al. 2017; Shi et al. 2021). Star-forming galaxies are useful tracers of large-scale structures up to the higher redshifts, and indeed main targets for upcoming wide-area galaxy redshift surveys such as the Subaru Prime Focus Spectrograph (PFS) survey (Takada et al. 2014) and the DESI survey.⁶

Hence, the purpose of this paper is to study a new estimator of shapes of star-forming galaxies enabling a significant detection of their IA effect. To do this we use star-forming galaxies simulated in the IllustrisTNG (Springel et al. 2018). We use our method to characterize shapes of the galaxies, and

then measure the IA power spectrum based on the method in Kurita et al. (2021) (also see Shi et al. 2021). To make the realistic predictions, we take into account observational effects (sky background, filter transmission, and seeing) when characterizing the galaxy shapes.

The structure of this paper is organized as follows. In Section 2, we briefly review the IllustrisTNG simulation and describe our selection of emission-line galaxies (ELGs) from the simulation. In Section 3, we describe a method to simulate observed images of ELGs with a ground-based telescope, and then define a new estimator of ELG shapes. In Section 4, we show the main results of this paper: the IA power spectra measured using the new estimator of ELG shapes. Section 5 is devoted to our conclusions and a discussion. Throughout this paper we use the comoving coordinates to refer length scales.

2. Simulation Data and ELG Selection

2.1. The IllustrisTNG Simulation Suite

The IllustrisTNG is a suite of cosmological hydrodynamical simulations in a Lambda cold dark matter model (Marinacci et al. 2018; Naiman et al. 2018; Nelson et al. 2018; Pillepich et al. 2018a; Springel et al. 2018, also see references therein). In this work, we use the publicly available simulation data of IllustrisTNG-300 (hereafter simply TNG300) (Nelson et al. 2019) with a box size of about $205 h^{-1} \text{Mpc}$ to have good statistics. The simulation assumes the Planck cosmology (Planck Collaboration et al. 2016), characterized by $\Omega_{\text{m}} = 0.3089$, $\Omega_{\text{b}} = 0.0486$, $h = 0.6774$, and $\sigma_8 = 0.8159$. It follows the dynamical evolution of 2500^3 dark matter (DM) particles and approximately 2500^3 gas cells from $z = 127$ to $z = 0$, giving an average gas cell mass of $7.44 \times 10^6 h^{-1} M_{\odot}$, a DM mass resolution of $3.98 \times 10^7 h^{-1} M_{\odot}$, and a collision-less softening length of $1 h^{-1} \text{kpc}$ at $z = 0$. The TNG300 galaxy formation and evolution model includes key physical effects

⁶ <https://www.desi.lbl.gov>

Table 1
Properties of ELGs in Illustris-TNG300, Studied in this Work

z	$\langle \log M_\star \rangle$	$\langle \log M_{\text{halo}} \rangle$	$\langle \text{SFR} \rangle$	f_{cen}	A_{IA}	σ_ϵ
0.5	10.39	13.20	25.75	0.667	15.39 ± 2.96	0.43
1.0	10.41	13.04	47.78	0.682	15.26 ± 2.89	0.41
1.5	10.42	12.88	71.64	0.741	12.86 ± 2.83	0.39
2.0	10.41	12.67	94.01	0.798	15.45 ± 2.84	0.40

Note. We show the redshift (z), average stellar mass (M_\star), average host halo mass (M_{200}), average SFR, the central galaxy fraction, IA strength (A_{IA}), and the rms ellipticities per component (σ_ϵ). Here M_\star and M_{halo} are in units of $h^{-1}M_\odot$, and SFR is in units of $M_\odot \text{ yr}^{-1}$.

such as gas cooling and heating, star formation, stellar evolution, and chemical enrichment, SN feedback, black hole growth, active galactic nuclei feedback, and cosmic magnetic field (see Weinberger et al. 2017; Pillepich et al. 2018b for details).

2.2. ELG Selection

Galaxies in TNG300 are identified using the Friends-of-Friends and SUBFIND algorithms (Davis et al. 1985; Springel et al. 2001). We select hypothetical ELGs from a ranked list of the star formation rate (SFR) of galaxies until their comoving number density matches $n_g = 10^{-4}(h^{-1} \text{ Mpc})^{-3}$, a typical number density of ELGs that upcoming surveys such as PFS and DESI are designed to have. The SFR ranked selection roughly corresponds to a selection of ELGs based on the [O II] emission-line strengths (Gonzalez-Perez et al. 2020; K. Osato & T. Okumura 2021, in preparation). Here the SFR of each galaxy in the simulation is defined by the *spontaneous* SFR within the twice half-stellar-mass-radius. In this work, we focus mainly on ELGs at $z = 1.5$, as a representative redshift of PFS and DESI surveys. We will also use ELGs at different redshifts $z = 0.5, 1$, and 2, selected in the same way, to study the redshift dependence of their IA signals. Table 1 shows properties of ELGs used in our study. More than 67% of the ELGs reside in central subhalos and are massive in the stellar mass.

3. Method: Image Simulation and Aperture-based Shape Estimator

3.1. An Image Simulation of ELGs

In the following we assume that both imaging and spectroscopic data for ELGs in the sample are available; a spectroscopic redshift of each ELG, via an identification of the emission-line(s) such as an [O II] line, and an imaging data around each ELG, including surrounding galaxies that do not necessarily have spectroscopic redshifts. Here the spectroscopic redshifts are needed to measure the 3D power spectrum of ELG's IA effect, and the images are needed to characterize shapes of the regions surrounding ELGs for the IA measurements. Such imaging and spectroscopic surveys for the same region of the sky are available for ongoing and upcoming surveys such as the Subaru Hyper Suprime-Cam (HSC) and PFS surveys. We below describe a method to simulate an imaging data of each ELG region that is seen with a ground-based telescope such as the Subaru HSC.

We first carry out a ray-tracing simulation of each ELG region in TNG300 to obtain the projected image. We use all the stellar particles contained in a cubic box of $(1h^{-1} \text{ Mpc})^3$ volume around each ELG at the center. The spectral energy distributions (SEDs) of the stellar population are modeled with the stellar population synthesis code PÉGASE.3 (Fioc & Rocca-Volmerange 2019). Each stellar particle represents a single age stellar population. First, we construct the table of SEDs for different metallicities $Z = [0.0, 0.0001, 0.0004, 0.004, 0.008, 0.02, 0.05, 0.1]$ up to the age of 100 Myr. Then, for each particle, we allocate SEDs by linearly interpolating the table with respect to the metallicity and age. The attenuation due to diffuse interstellar medium and dust is taken into account in PÉGASE.3. Using the *rest-frame* luminosity per unit wavelength and the luminosity distance to the galaxy redshift (e.g., $z = 1.5$), we calculate the *observer-frame* flux per unit wavelength. Then we include the filter transmission to calculate the noise-free and PSF-free photon counts in each pixel of the simulated image, taking the x_3 -direction as the line-of-sight (LOS) direction, as shown in the left panel of Figure 1. In doing these we assume the atmosphere transparency of 1.0, the aperture of the 8.2 m Subaru Telescope, the total system throughput of 0.5, $t_{\text{exp}} = 1200 \text{ s}$ for the exposure time, and the

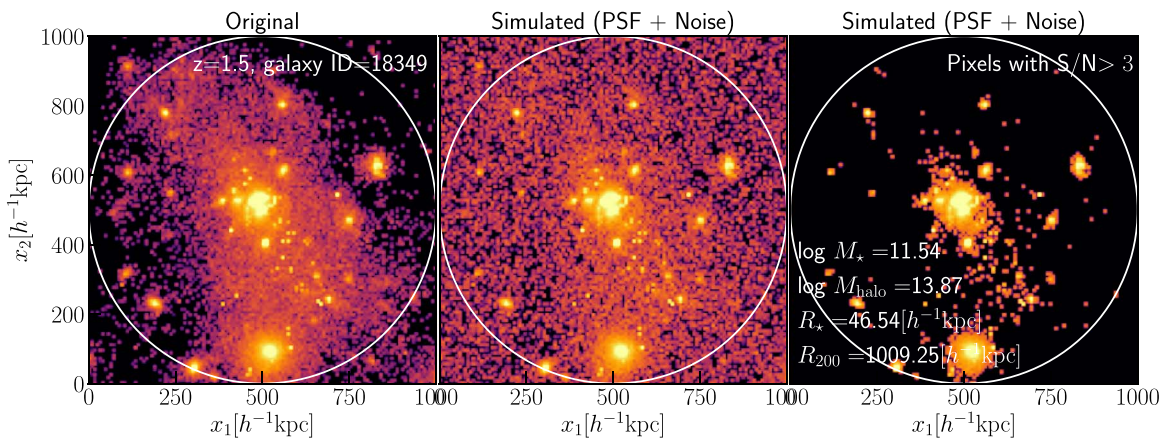


Figure 1. A simulated *i*-band image of the region around an example ELG at $z = 1.5$, made from the TNG300 simulation data. Left panel: the original image of the ELG region. Middle: the simulated image taking into account the $0.6''$ FWHM seeing effect, the total system throughput of the Subaru telescope (0.5), and the sky background noise at the Subaru site, assuming $t_{\text{exp}} = 1200 \text{ s}$ for the exposure time and the *i*-band filter transmission. Right: similar to the middle panel, but it shows only the pixels with $S/N > 3$ within an aperture of radius $500 h^{-1} \text{ kpc}$ around the ELG. The legend gives the stellar mass and the half-stellar-mass-radius of the ELG, and the halo mass and the virial radius of the host halo.

transmission of the i band, more exactly the $i2$ filter of Subaru HSC⁷ that has a transmission curve over $689 < \lambda/[\text{nm}] < 845$. We generate a simulated image of each ELG in 128^2 pixels for a square region of $1(h^{-1} \text{Mpc})^2$ around the ELG. The pixel size is $7.8 h^{-1} \text{kpc}$ corresponding to $0.53''$ for a galaxy at $z = 1.5$.

We then include the atmospheric effects. The turbulence of the atmosphere smears the image resolution—the seeing effect. To model the seeing effect, we convolve the above *observer-frame* image with a 2D Gaussian function with $\text{FWHM} = 0.6''$, which is a typical seeing size of the HSC data (Aihara et al. 2018). In addition, the sky itself emits light—the sky background. Assuming the sky background dominated regime, we generate the random noise in each pixel, assuming a Gaussian distribution with width $\sigma_{\text{sky}} = 2849 e^{-s} \text{arcsec}^{-2}$ (electron counts per second per arcsec^2 solid angle) and $t_{\text{exp}} = 1200 \text{s}$ for the exposure time, where σ_{sky} is obtained from the HSC ETC⁸ assuming an observation at 7 days after new moon with moon-object distance of 90° . Our simulated image fairly well reproduces $i_{\text{lim}} \simeq 25.7$ for the 5σ limiting magnitude ($2''$ aperture) for a point source as obtained in the HSC ETC, and this depth is roughly equivalent to the depth of the ongoing Subaru HSC survey (Aihara et al. 2018).

Figure 1 shows the simulated image in the region around an example ELG. This ELG resides at the central subhalo, and the host halo has the virial radius $R_{200} \simeq 1 h^{-1} \text{Mpc}$ ($M_{200} \simeq 7.4 \times 10^{13} h^{-1} M_\odot$), greater than the panel size, while the ELG itself has a half-stellar-mass-radius of $R_* \simeq 46 h^{-1} \text{kpc}$, much smaller than R_{200} . The figure shows that the ELG is surrounded by satellites or many building blocks, which would accrete onto the ELG to form a bigger galaxy at lower redshifts. The accretion direction should reflect shapes of the host halo and surrounding cosmic web, and the method we propose below is sensitive to these building blocks to better capture the overall IA signal. However, some of these building blocks become invisible when the sky noise is added, as shown in the middle panel. The right panel shows the pixels that have signal-to-noise ratio (S/N) ≥ 3 , and bright building blocks survive even after the S/N cut.

3.2. An Aperture Shape Estimator for ELGs

We now characterize the *shape* of each ELG using the simulated images around each ELG we described in the preceding section. In this work, we propose an *aperture inertia tensor* for ELG shapes, defined as

$$I_{ij}^{\text{ap}} = \frac{\sum_{n: (S/N)_{\text{pix}} > 3; r_n^{2\text{D}} \leq 500 h^{-1} \text{kpc}} f_n x_{ni} x_{nj}}{\sum_{n: (S/N)_{\text{pix}} > 3; r_n^{2\text{D}} \leq 500 h^{-1} \text{kpc}} f_n}, \quad (1)$$

where f_n is the flux of the n th pixel in the simulated image, x_{ni} , x_{nj} ($i, j = 1, 2$) are the relative position of this pixel with respect to the ELG position, and the summation runs over all the pixels within circular aperture of the projected radius $r^{2\text{D}} \leq 500 h^{-1} \text{kpc}$ that have $S/N \geq 3$ for the S/N of photon counts in the pixel. The average virial radius of the host halos for ERGs at $z = 1.5$ is $\langle R_{200} \rangle \simeq 470 h^{-1} \text{kpc}$, corresponding to the average halo mass $\langle M_{200} \rangle \simeq 7.6 \times 10^{12} h^{-1} M_\odot$ (Table 1), and roughly matches the aperture radius. Note that we use the fixed aperture

of $r_{\text{ap}}^{2\text{D}} = 500 h^{-1} \text{kpc}$ for all the results in this paper. We also test our results with smaller aperture sizes, such as 200 or 300 $h^{-1} \text{kpc}$, as shown in Appendix B.

We find that the inertia tensor is ill-defined if we do not employ the S/N cut. However, the results basically do not change if we adopt different S/N cuts such as $S/N > 4$ or $S/N > 5$. For the above inertia tensor, stellar particles at outer radii are up-weighted so that the estimator can capture contribution from building blocks around each ELG as seen in the middle and right panels of Figure 1.

For comparison, we also study the conventionally used inertia tensor for the same sample of ELGs. The reduced inertia tensor is widely used (Tenneti et al. 2015),

$$I_{ij}^{\text{reduced}} = \frac{\sum_n m_n \frac{x_{ni} x_{nj}}{r_n^2}}{\sum_n m_n}, \quad (2)$$

where m_n is the mass of the n th member stellar particle of the ELG, x_{ni} , x_{nj} ($i, j = 1, 2, 3$) are the 3D position vector of the particle with respect to the ELG center. For this method, the weight $1/r_n^2$ is used, but the following results we show remain almost unchanged even if we do not use this radial weight, as long as the summation is restricted to member particles of each ELG.

The ellipticity of a galaxy is (assuming the x_3 -axis as the LOS direction)

$$\epsilon_1 \equiv \frac{I_{11} - I_{22}}{I_{11} + I_{22}}, \quad \epsilon_2 \equiv \frac{2I_{12}}{I_{11} + I_{22}}. \quad (3)$$

In the following we use either of Equations (1) or (2) for the inertia tensor. The column “ σ_ϵ ” in Table 1 gives the intrinsic rms ellipticities for the new method (Equation (1)), showing that the new method gives a larger $\sigma_\epsilon \sim 0.4$ than that of the usual method, $\sigma_\epsilon \sim 0.3$ as shown in Shi et al. (2021).

The IA power spectrum between matter density field δ_m and E -mode shear field γ_E is estimated following the method in Kurita et al. (2021):

$$\langle \gamma_E(\mathbf{k}) \delta_m(\mathbf{k}') \rangle \equiv (2\pi)^3 \delta_D(\mathbf{k} + \mathbf{k}') P_{\delta E}(\mathbf{k}), \quad (4)$$

where $\gamma_E(\mathbf{k}) = \gamma_1(\mathbf{k}) \cos 2\phi_{\mathbf{k}} + \gamma_2(\mathbf{k}) \sin 2\phi_{\mathbf{k}}$ is the E -mode decomposition of galaxy shear in Fourier space and $\gamma_{1,2} = \epsilon_{1,2}/(2\mathcal{R})$ ($\mathcal{R} \equiv 1 - \langle \epsilon_i^2 \rangle$) is the responsivity as defined in Bernstein & Jarvis (2002). The nonlinear alignment model (Blazek et al. 2011) predicts

$$P_{\delta E}(k, \mu) = -A_{\text{IA}} C_1 \rho_{\text{cr}0} \frac{\Omega_m}{D(z)} (1 - \mu^2) P_{\delta\delta}(k, z), \quad (5)$$

where $P_{\delta\delta}(k, z)$ is the nonlinear matter power spectrum at redshift z , $D(z)$ is the growth rate, and $C_1 \rho_{\text{cr}0} = 0.0134$ for convention (Joachimi et al. 2011). The dimension-less coefficient A_{IA} is an indicator of the IA strength (Shi et al. 2021).

4. Results

In this section we show the main results of this paper. Figure 2 shows that our new estimator of ELG shape, defined by Equation (1), allows for a clear detection of the monopole moment of $P_{\delta E}^{(0)}(k)$ at $z = 1.5$, while the conventional shape method gives only an upper limit on the cross-power spectrum in low k bins. To be more quantitative, the new method gives

⁷ <https://www.subarutelescope.org/Observing/Instruments/HSC/sensitivity.html>

⁸ https://hscq.naoj.hawaii.edu/cgi-bin/HSC_ETC/hsc_etc.cgi

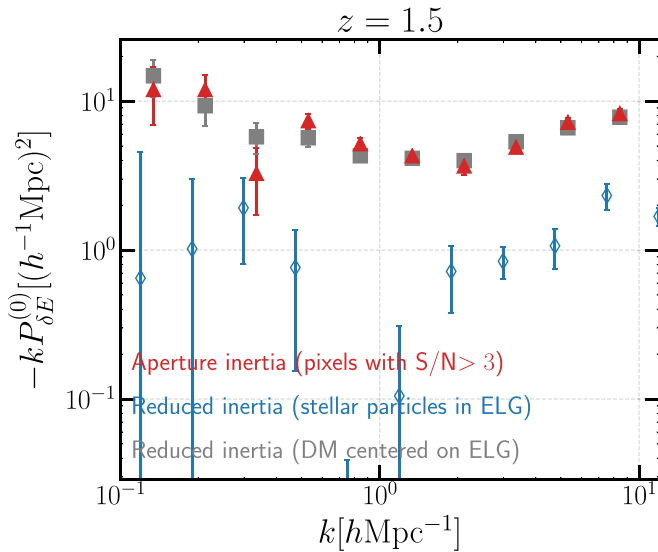


Figure 2. The monopole moment of the cross-power spectrum between matter and the galaxy E -mode shape, $P_{\delta E}^{(0)}(k)$, for ELGs at $z = 1.5$. The red triangles show the result when using the aperture shape estimator (Equation (1)). For comparison the open diamonds show the result when using the standard method of shape estimator (Equation (2)) for the same sample of ELGs, and the squares show the result using the standard method for the host halos using DM particles centered on each ELG.

more than a tenfold boost in the $P_{\delta E}^{(0)}$ amplitude over the range of k bins we consider. Recalling that the TNG300 simulation has a small volume of $\sim 0.0086 (h^{-1} \text{Gpc})^3$, this result means that upcoming galaxy surveys covering more than $1 (h^{-1} \text{Gpc})^3$ volume enables a significant detection of the IA signal. The IA signal in smaller k bins contains cleaner cosmological information, and a fitting of the model (Equation (5)) with the measured power spectrum over the three lowest k bins (up to $k \simeq 0.4 h \text{Mpc}^{-1}$) gives $A_{\text{IA}} = 12.86 \pm 2.83$, 4.5σ detection, while A_{IA} for the standard method is consistent with a null detection at 2σ level ($A_{\text{IA}} = 3.2 \pm 2.0$). Is this new IA estimator optimal? To address this question, Figure 2 also shows the IA power spectrum for DM halos hosting ELGs, where we use the parent halos even for satellite ELGs (the member DM particles) to characterize the halo shapes centered on each ELG. The DM halo gives $A_{\text{IA}} = 15.7 \pm 2.4$, which is very similar to the IA signal of ELGs. The good agreement between the flux based aperture inertia tensor and the DM halo particle based inertia tensor suggests that the light distribution follows the matter distribution, which is supported by the good correlations (although with scatters) between the ellipticities calculated using light and matter distributions as shown in Appendix A. This is also consistent with the results shown in Shin et al. (2021) and O’Neil et al. (2021), where they show the baryons trace the matter distribution well using a Dark Energy Survey (DES) lensing profile and IllustrisTNG hydro-simulation separately. Also, the stronger IA signal with our aperture-based inertia tensor is in consistent with the picture that the outer region of galaxies/satellites in galaxy groups are more aligned with the large-scale tidal field as revealed by previous studies (Singh & Mandelbaum 2016; van Uitert et al. 2017).

Table 1 summarizes the IA signal for ELGs at different redshifts, $z = 0.5, 1.0, 1.5$, and 2.0 . Note that all ELG samples have the fixed number density of $10^{-4} (h^{-1} \text{Mpc})^3$. The ELG samples at all the redshifts give a clear detection of A_{IA} . Figure 3 shows the ratio of the IA power spectrum to the matter

power spectrum. The figure shows that the IA signals are detected over the range of k bins, with very weak redshift dependence. The redshift evolution of A_{IA} depends on the sample selection and redshift, as shown in Figure 6 of Kurita et al. (2021). In our previous work in Shi et al. (2021), we found that A_{IA} shows very weak redshift dependence for the galaxy samples of a fixed stellar mass range across $z = 0.3$ to $z = 2$. The mean stellar mass varies within ~ 0.3 dex from $z = 0.5$ to $z = 2$ for the ELGs, as listed in Table 1. The weak redshift dependence in the ELG IA signals is thus consistent with our previous studies. In addition the ratio displays very weak k dependence up to $k \sim 1 h \text{Mpc}^{-1}$, which is in agreement with the prediction of nonlinear alignment model.

In Appendix B we also show how the results change with varying aperture sizes and the S/N cuts in the pixels that are needed to define the aperture-based shapes of ELGs. Figures 3 and B2 show that the findings we described above hold for these different definitions of the ELG shapes.

5. Discussion and Summary

In this paper we proposed an aperture-based estimator to characterize shapes of ELGs (more exactly star-forming galaxies) for extracting the IA signals of ELGs. We applied the method to star-forming galaxies simulated in IllustrisTNG, one of the state-of-the-art cosmological hydrodynamical simulations, and showed that the method allows for a significant detection of the IA effect even from the small simulation volume. This method gives about tenfold boost in the IA amplitude compared to that of the conventional method. We also found a significant detection of the IA signals, with almost similar amplitude and S/Ns, for all the ELG samples over the wide range of redshifts up to $z = 2$. This is quite encouraging because the new method opens up an opportunity to study the IA signals of star-forming galaxies over redshifts where the cosmic star formation activity is violent, and the measured IA signals can be used to probe cosmology and physics of galaxy formation. This method is relevant for upcoming imaging and spectroscopic galaxy surveys: Subaru HSC, PFS, DESI, Vera C. Rubin Observatory Legacy Survey of Space and Time (LSST), Euclid, and the Roman Space Telescope.

In order to characterize the shape of each ELG region, we need to properly estimate the background noise in each field and then use the pixels that are greater than a certain threshold ($S/N > 3$ used in this paper). Defining the uniform background noise over the entire survey region is not so obvious, as it depends on the depth and sky brightness of each pointing in each field. As long as the background estimation is random between different fields, this does not cause any systematic effect in the IA measurement. If the background estimation varies with different fields in a correlated way with large-scale structures for some reason (e.g., contribution from light of galaxies in each field), it would cause the systematic effect. For the similar reason, any projection effect of foreground/background (physically unassociated) galaxies in each ELG region relevant for the shape estimation causes only statistical noise in the IA measurement. A practical application of the method to actual data would be quite valuable and will be our future work.

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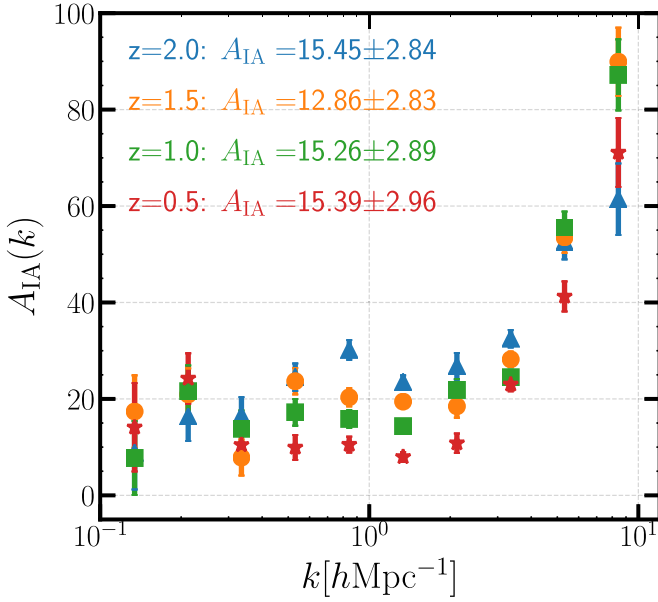


Figure 3. The IA strength, characterized by $A_{IA}(k) \propto P_{IE}^{(0)}/P_{\delta\delta}$, for the ELG samples of the fixed number density at different redshifts. The A_{IA} values in the legend are the best-fit linear IA coefficient, obtained from the data points with $k < 0.4 h \text{ Mpc}^{-1}$ (see text for details).

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Appendix A Ellipticities of ELGs

In Figure A1, we show the ellipticity for each ELG at $z = 1.5$ calculated using the aperture shape estimator developed in the

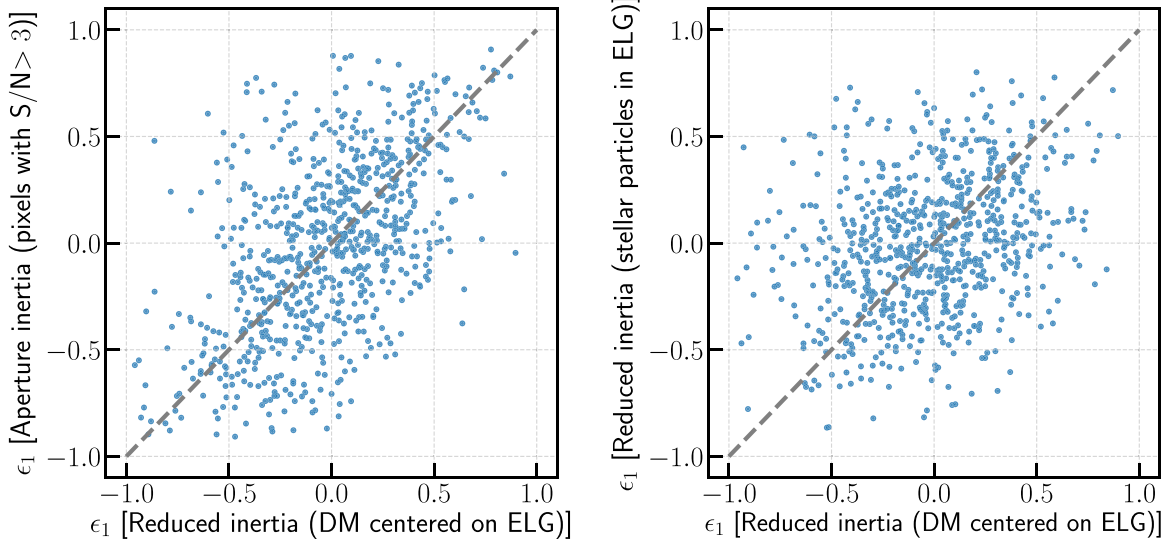


Figure A1. Left panel: a comparison of the ellipticities for ELGs at $z = 1.5$ calculated using the aperture shape estimator (Equation (1)) with the standard method of shape estimator (Equation (2)) for the host halos using DM particles centered on each ELG on individual ELG basis. Right: the simpler plot, but the comparison of the DM halo shape, the same as in the left panel, with the ELG shapes obtained by applying the standard method of shape estimator to the stellar particles of each ELG. The Spearman's rank correlation coefficients for the left and right panels are 0.524 and 0.289 separately. The gray dashed lines correspond to perfect correlations for reference.

this work versus the ellipticity calculated using the DM particles within the host halo centering on the the ELG. The ellipticity calculated using the standard method with stellar particles within the galaxy is also shown for comparison. The figure clearly shows that the new method of ELG shapes gives a stronger correlation with the DM halo shapes than the conventional method does. Although large scatters exist in this one-to-one ellipticity correlation (see Appendix D of Kurita et al. 2021 for the related discussion), the nice thing about the power spectrum method is that it allows us to extract a correlated signal between shapes of different ELGs, where the intrinsic shapes act as statistical errors.

Appendix B IA Power Spectrum with Varying Aperture Sizes and S/ N Cuts

In Figure B1, we study the dependence of the IA strength on the aperture size choices. The IA strength is stronger and has a higher S/N ratio with aperture radii increasing from 200 to 500 $h^{-1} \text{ kpc}$. The IA strength with 300 $h^{-1} \text{ kpc}$ approaches the one with 500 $h^{-1} \text{ kpc}$. Such dependence on aperture size is in agreement with the point made in Figure 2, where the IA signal is weak/non-detectable when we use the reduced inertia tensor based on stellar particles and the signal gets stronger and clearer when we include and give more weight to the outer region within the host halo.

Figure B2 shows the results using the different S/N cuts of pixels that are used to define the ELG shapes (see Equation (1) and Figure 1). It is clear that the IA signals remain for the different choices of the S/N cuts.

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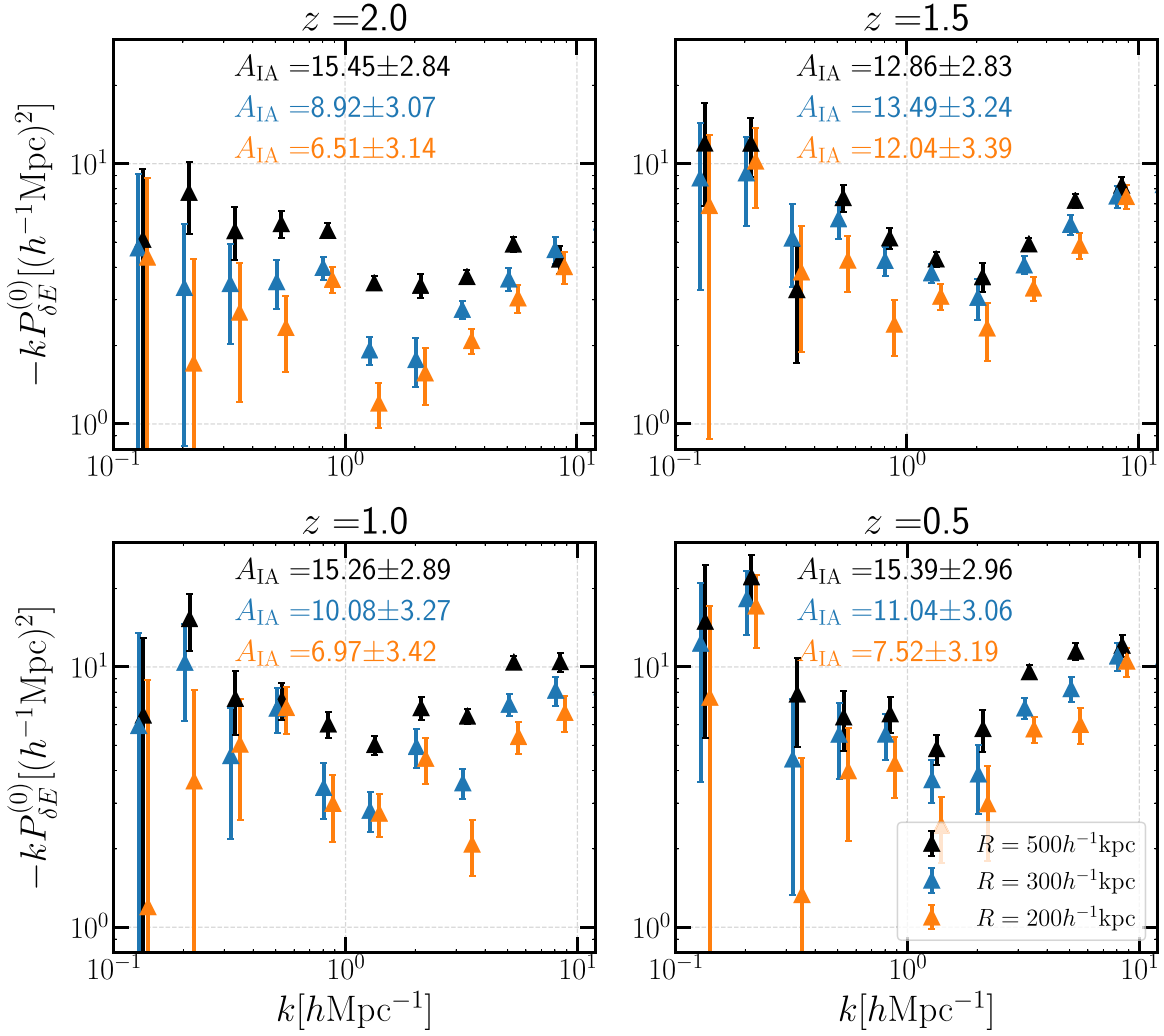


Figure B1. The IA power spectrum of ELGs measured with varying aperture radii that are used to define the ELG shapes (Equation (1)). The black, blue, and orange triangles with error bars are the results with radius of 500, 300, and 200 h^{-1} kpc. The IA strength characterized by A_{IA} are also shown in the figure.

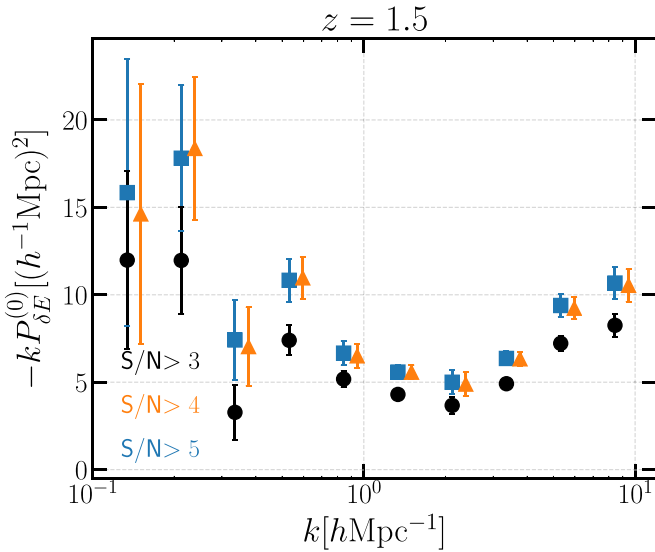


Figure B2. The IA power spectrum of ELGs measured with varying the S/N cut used for the ELG shape definition (Equation (1)).

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