

Control of helicopter ground resonance by means of passive non-linear energy sink

Baptiste Bergeot, Sergio Bellizzi, Bruno Cochelin

▶ To cite this version:

Baptiste Bergeot, Sergio Bellizzi, Bruno Cochelin. Control of helicopter ground resonance by means of passive non-linear energy sink. 5th Conference on Nonlinear Vibrations, Localization and Energy Transfer - NV2014, Jul 2014, Istanbul, Turkey. hal-03208427

HAL Id: hal-03208427

https://hal.science/hal-03208427

Submitted on 26 Apr 2021

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.

Control of helicopter ground resonance by means of passive non-linear energy sink

B. Bergeot a , S. Bellizzi b , B. Cochelin c

LMA, CNRS UPR7051, Aix-Marseille Univ., Centrale Marseille, F-13402 Marseille Cedex 20, France ^abaptiste.bergeot@centrale-marseille.fr b bellizzi@lma.cnrs-mrs.fr $^c {\tt bruno.cochelin@centrale-marseille.fr}$

Extended Abstract

Problem Statement. Helicopter Ground Resonance (HGR) [1, 2] is a dynamic instability involving the coupling of the blades motion in the rotational plane (i.e. the lag motion) and the motion of the fuselage. HGR can be very violent and can lead to the total destruction of the aircraft. The present work is a preliminary study of the capacity of a passive nonlinear absorber (or Nonlinear Energy Sink (NES)) to control an HGR.

Framework. In the domain of passive control vibration, it has been shown that the use of a NES can provide very interesting results. Under certain conditions an irreversible energy transfert from the primary system to the NES can occur. This phenomenon is called Targeted Energy Transfert (TET). In their seminal paper [3], Gendelman et al. analyze TET in term of resonance capture and nonlinear modes. More recent works show that the use of NES is also an interesting way to control dynamic instabilities. For instance, Lee et al. [4] show that a NES coupled to a wing in subsonic flow can partially or even completely suppress flutter instability by TET from the wing to the NES.

The simpler helicopter model that can describe HGR is well known. It involves only lag motion of the four blades and one direction of the fuselage motion. Linear stability of this model shows that HGR is due to a frequency coalescence between a lag mode and the fuselage mode and predicts the range of rotors speeds Ω for which this frequency coalescence occurs. In this work a NES is coupled to the fuselage in an ungrounded configuration (see Fig. 1). The differential equations which govern the time evolution of the fuselage displacement y(t), the NES displacement h(t) and the blades lagging angles $\delta_i(t)$ (with $i \in [1,4]$) can be easily derived using Lagrange's equations. These equations of motion are:

$$\begin{cases}
(M + 4m_{\delta})\ddot{y} + c_{y}\dot{y} + k_{y}y + \mu(\dot{y} - \dot{h}) + \alpha(y - h)^{3} \\
+ m_{\delta} \sum_{i=1}^{4} \left\{ L\ddot{\delta}_{i}\cos(\psi_{i} + \delta_{i}) - L\left(\Omega + \dot{\delta}_{i}\right)^{2}\sin(\psi_{i} + \delta_{i}) \right\} = 0 \\
m_{h}\ddot{h} + \mu(\dot{h} - \dot{y}) + \alpha(h - y)^{3} = 0. \\
m_{\delta}L^{2}\ddot{\delta}_{i} + c_{\delta}\dot{\delta}_{i} + k_{\delta}\delta_{i} + m_{\delta}L\ddot{y}\cos(\psi_{i} + \delta_{i}) = 0
\end{cases} \tag{1a}$$
with $\psi_{i} = \Omega t - 2\pi \frac{i - 1}{N}$,

$$m_h \ddot{h} + \mu (\dot{h} - \dot{y}) + \alpha (h - y)^3 = 0.$$
 (1b)

$$m_{\delta}L^{2}\ddot{\delta}_{i} + c_{\delta}\dot{\delta}_{i} + k_{\delta}\delta_{i} + m_{\delta}L\ddot{y}\cos(\psi_{i} + \delta_{i}) = 0$$
(1c)

with
$$\psi_i = \Omega t - 2\pi \frac{i-1}{N}$$

where N=4 is number of blades, M is the mass of the fuselage, m_{δ} is the mass of one blade, m_h is the mass of the NES $(M>m_h)$, c_y , c_δ and μ are damping coefficients, k_y and k_δ are linear stiffness coefficients and α is the cubic stiffness coefficient of the NES.

Results. Numerical parametric investigation of the system of equations (1) is performed. It consists to determine the possible regimes in the parameter space. We show that it is possible to partially or even completely suppress HGR by passively transferring energy from the fuselage to the NES. As in [4], three responses for the fuselage motion are highlighted: strongly modulated response (SMR), partial suppression and complete suppression of the HGR. An example of SMR is depicted in Fig. 2.

We are currently working on the design of the NES. The aim is to know if the NES parameters leading to a good control of the HGR are compatible with industrial applications.

Acknowledgements. The authors wish to thank Mr. François Malburet for helpful discussions and suggestions. This research is done within the framework of the industrial chair "Dynamique des Systèmes Mécaniques Complexes (*Dynamics of complex mechanical systems*)" financed by the *Airbus Group Foundation*.

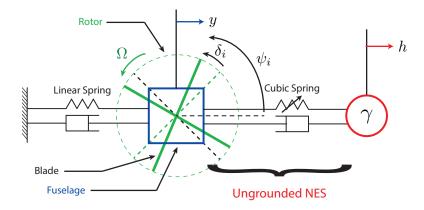


Figure 1: Schematic representation of the studied system.

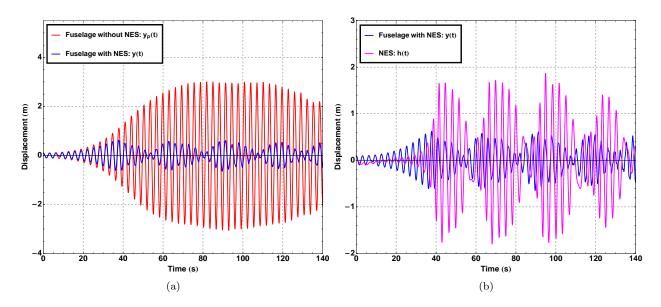


Figure 2: (a) Comparison between the fuselage motion without NES $y_p(t)$ (red line) and the fuselage motion with NES y(t) (blue line). (b) Comparison between the NES motion h(t) (magenta line) and the fuselage motion with NES y(t) (blue line).

References

- [1] R.P. Coleman and A.M. Feingold. Theory of self excited mechanical oscillations of helicopter rotors with theory of self excited mechanical oscillations of helicopter rotors with hinged blades. *NACA Report 1351*, 1958.
- [2] F. Malburet and Tomasz Krysinski. Instabilité mécanique: contrôle actif et passif, chapter 2. Lavoisier, 2009.
- [3] O. Gendelman, L.I. Manevitch, a. F. Vakakis, and R. M'Closkey. Energy Pumping in Nonlinear Mechanical Oscillators: Part I—Dynamics of the Underlying Hamiltonian Systems. *Journal of Applied Mechanics*, 68(1):34, 2001.
- [4] Y.S. Lee, A.F. Vakakis, L.A. Bergman, D.M. McFarland, and G. Kerschen. Suppression Aeroelastic Instability Using Broadband Passive Targeted Energy Transfers, Part 1: Theory. AIAA Journal, 45(3):693-711, March 2007.