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## **Contribution to the verification of the MORET 5 code using the CROCUS reactor physics benchmark**

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#### ABSTRACT

The present paper focuses on the modeling of the CROCUS reactor with the French MORET 5 continuous energy code and compares  $k_{eff}$ , anti-reactivity effects (variation of  $k_{eff}$  normalized to  $k_{eff}$  due to the insertion of an absorber), sensitivity coefficients and kinetics parameters with those provided by other reference codes. The aim is mainly to extend the experimental validation/verification database of the MORET 5 code to use reactor physics applications. A suite of about 1400 benchmarks is already available for criticality but only a few are dedicated to reactor physics applications. The CROCUS reactor configurations therefore constitute an opportunity to test and improve the implementation of kinetics parameters and sensitivity coefficients in the code and make a verification of these physical quantities through the comparison with other codes such as MCNP. Moreover, it has offers the opportunity to quantify the effect of nuclear data processing through the use of two different data processing codes.

#### KEYWORDS:

Absorber rods Verification CROCUS Kinetics parameters Light water reactor Reactivity effects

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#### 1 1. Introduction

#### 2

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The MORET 5 (Cochet et al., 2015) Monte Carlo code developed since 2008 at 2 3 IRSN targets criticality-safety applications. It has been first involved in an industrial  $\frac{1}{3}$ 4 calculation route within the CRISTAL package (Gomit et al., 2017) coupled with<sub>A</sub> 5 the deterministic APOLLO2 code (Sanchez et al., 2010) for the calculation of keff. 6 Then, a continuous energy version was developed outside the CRISTAL package.<sup>45</sup> 7 Up to now four versions of this continuous energy code have been released, the last  $4^{6}$ 8 47 one being MORET 5.D.1, incorporating developments such as: 9 probability tables to describe cross sections in the unresolved energy range  $\frac{48}{3}$ 10 nuclear data sensitivity based on the Iterated Fission Probability methodology (IFP) (Kiedrowski et al., 2013) allowing, among other possibilities calculation of nuclear data biases through the use of 11 . 12 possibilities, calculation of nuclear data biases through the use of  $\frac{1}{2}$ 13 sensitivity/uncertainty analyses using GLLSM (Jinaphanh et al., 2017 and  $\frac{2}{3}$ 14 15 Leal et al., 2019), 16 . reaction rates calculations for reactor physics, a new model for kinetics parameters calculations based on a new estimates 17 of the adjoint flux and therefore improving the existing one that did no5618 follow the population of fission neutrons over more than one generation<sub>37</sub> 19 20 (Jinaphanh et al., 2010). 58 21 One of the evolutions of the MORET 5 code deals with reactor physics applications<sub>59</sub> 22 23 Thus a more complex capability to better model the calculation of kinetics parameters has been recently developed in the MORET 5.D.1 code. That is also the reason wh6024 IRSN extended its experimental validation/verification database already composed 25 of more than 1400 experimental cases in order to cover such applications, using<sub>2</sub> 26 27 benchmarks from the IRPhe (NEA/NSC/DOC(95)03, 2017) Handbook. 63 28 64 The aim of the paper is to test and validate the use of the MORET 5 code for reactors 29 physics applications comparing the values obtained for reactivity effects, kinetic66 30 parameters according with the new code implementation, sensitivity to nuclear dat \$7 31 with the ones obtained with other codes such as the MCNP6 code (F. Brown et al.68 32 33 2017). 69 The CROCUS reactor offers the opportunity to test in particular the calculation of  $\frac{70}{11}$ 34 reactivity values and kinetics parameters. Indeed, in this program, three kinds of  $\frac{1}{72}$ 35 36 experiments are proposed (IRPhe Handbook): 73 37

- slightly over critical experiments, without absorber rods, for which the level • of water was raised until delayed critical;
- slightly over critical experiments, with absorber rods; in that case, an absorber rod (boron or erbium) was introduced in the core and the level of water was adjusted to be critical; then the reactor was made supercritical by removing the absorber rod and keeping the water level constant.

Comparisons are made mainly on reactivity values with the Monte Carlo MCNP5 and MCNP6 codes using the ENDF/B-VII.0 evaluation for nuclear data, as well as with TRIPOLI results (Zoia et al., 2016) using also a library based on the same evaluation. The results using the data processed by MCNP are compared with those using data processed with the homemade GAIA processing tool (Haeck et al., 2015). The objective is to validate the physical models implemented in the MORET 5 code and identify potential processing issues. Moreover, libraries based on various evaluations and processed identically are tested for the MORET 5 code just to assess the impact of the evaluation on the results.

54 Concerning the kinetics parameters, only global quantities, without distinguishing by precursor group, are estimated by the MORET 5 code. As a result, the effective delayed neutron fraction cannot be estimated by group of precursor.

In section 2, we describe the CROCUS reactor configuration.

Section 3 discusses the codes and libraries used for the calculations.

In section 4, one gives the definition of kinetics parameters.

In section 5, the methodology of verification is described.

Section 6 focusses on the results before concluding in section 7.

### 2. Description of the experiments

The CROCUS reactor, operated by the Swiss Federal Institute of Technology (EPFL), Lausanne, is a zero power reactor, with a maximum allowed power of 100 W. It is constituted of a two-zone uranium-fueled, H<sub>2</sub>O-moderated critical core. This core is approximately cylindrical in shape with a diameter of about 60 cm and a height of 100 cm. In 1995, in the CROCUS reactor a configuration with a central zone of 1.806 wt.%-enriched UO<sub>2</sub> rods and an outer zone of 0.947 wt.%-enriched uranium metal rods was made critical by raising the water level. The description is issued from the IRPhe Handbook.

Six experiments are described and are considered to be of benchmark quality (IRPhe 75 Handbook). Experiment 1 does not involve any absorbing rod; it is critical (inverse

34

1 period equal to zero). Experiments 2 to 4 do not involve any absorbing rod but ar81 Table 2

slightly supercritical<sup>b</sup>. Experiments 5 and 6 involve either boron in an absorbing roð2 Main characteristics of rods (IRPhe Handbook).

or erbium. They are also slightly supercritical. They are provided in Table 1. 3

### 4

2

#### Table 1 5

- Benchmarks cases heights and inverse periods (IRPhe Handbook). 6

Case Number	Absorber Material	Case Name	Water level (cm)	Inverse Period ω (sec <sup>-</sup>
1		$H_1 = H_{crit}$	96.51	0.0
2	No	H <sub>2</sub>	98.51	1.3422E-02
3	absorber	H <sub>3</sub>	99.00	1.8180E-02
4		$H_4$	99.51	2.3392E-02
5	Soluble Boron	Boron	96.92	1.2856E-02
6	Erbium	Erbium	98.63	3.2976E-02

#### 9 2.1. Geometry

10

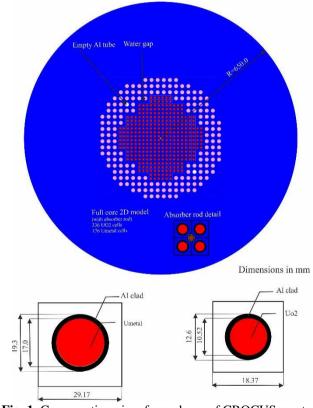
The core is made of two lattices of rods in water (see Fig. 1 and Fig. 2): 11

a central lattice of 336 U(1.806 wt.%)O<sub>2</sub> rods with aluminum clads at a 12 • 1.837-cm square pitch; 13 a driver array of 172 (176 if absorber rods) metallic uranium rods with a 14 0.947 wt.% enrichment in <sup>235</sup>U with aluminum clads at a 2.917-cm square 15 16 pitch. 17 The characteristics of rods are provided in Table 2. 18 19 At the center, the core can accommodate two absorbing rods introduced in the core 20 one at a time. The first rod clad with aluminum was filled with borated water (6768 21 ppm natural boron). The second one with aluminum clads contained pellets with 3.72 22  $g/cm^3$  ZrO<sub>2</sub> and 0.874  $g/cm^3$  Er<sub>2</sub>O<sub>3</sub>. 23 24 Criticality is reached increasing the water level; the reactor can be slightly 25 supercritical. The measurement of the inverse period  $\omega_1$  of the in-hour equation 26 allows determining the critical state. This quantity can be easily approximated using 5 27 formula (1):  $In\left(\frac{\tilde{P}(t)}{t}\right) = 0$ 36 20 (1)

28 formula (1). 
$$Ln\left(\frac{1}{P(0)}\right) - \omega_1 \iota$$
 (1)

P(t) being the power of the reactor at time t. 29 30

Parameter	UO <sub>2</sub>	U <sub>metal</sub>
Cladding Thickness (mm)	0.85	0.975
External cladding diameter (mm)	12.6	19.3
Fuel diameter (mm)	10.52	17.0
Square pitch (mm)	18.370	29.17





38 The slowing down density calculated by the MORET 5.D.1 Monte Carlo code,

<sup>8</sup> 

<sup>&</sup>lt;sup>b</sup> It means that k<sub>eff</sub> does not exceed a few hundreds of pcm.

corresponding to the proportion of neutrons that undergo fissions below 4 eV, i20 1 2 equal to 0.8138, proving that the neutron spectrum of the configuration is thermal. 21 3 2.2. Chemical media 4 5 2.2.1 UO<sub>2</sub> rods 6 7 The UO<sub>2</sub> fuel rods of the internal zone had a <sup>235</sup>U enrichment of 1.806 wt. %. They 8 were immersed in light water. A description of the  $UO_2$  rods is given in Fig. 3. 9 10 The density of the fuel pellets was 10.556 g/cm<sup>3</sup>. 11 12 13 2.2.2 U<sub>metal</sub> rods 14 The U<sub>metal</sub> rods of the peripheral zone had a <sup>235</sup>U enrichment of 0.947 wt. %. They 15 were immersed in light water. The density of the fuel pellets was 18.677 g/cm<sup>3</sup>. A 16

17 description of the rods is given in Fig. 4.



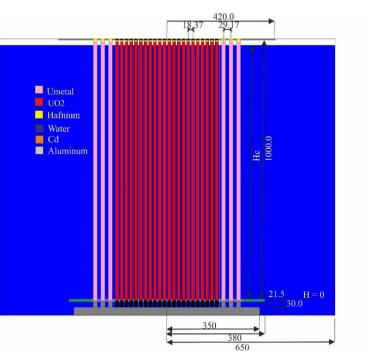


Fig. 2. Lateral view of CROCUS reactor.

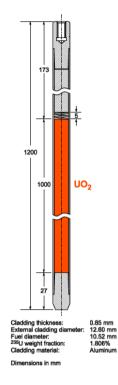


Fig. 3. UO<sub>2</sub> fuel rods (courtesy of the IRPhe).

# 26 2.3. Critical approach27

The critical configuration containing 172 metallic U fuel rods (176 if absorber rods) was made critical by adjusting the water level. The water level was then raised up, the reactor becoming supercritical. After some time (30-40 sec) in order to allow for the transients to vanish, the flux increased exponentially. The time variation of the flux curve was measured with a multichannel analyser (IRPhe Handbook), and the inverse reactor period was determined from the slope of the flux curve. One critical configuration (denoted H1), where the inverse reactor period is zero, and 3 supercritical ones were measured in that way.

22 23

24

For the configurations involving an absorber rod (Boron or Erbium), the number of 6 2.4. Experimental uncertainties

2 metallic U fuel rods was slightly different (176 instead of 172). The absorber rod7

3

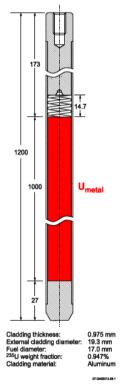
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6 7

reactor became supercritical, and the slope of the flux curve was measured. Tw@2 critical configurations with an absorber rod inserted and two supercritical23 8

configurations after withdrawing the absorber rod were measured. 9



 $\begin{array}{c} 10\\11 \end{array}$ 

Fig. 4. U<sub>metal</sub> rods (courtesy of the IRPhe).

12

During operations, the inverse period  $(\omega_1)$  can be derived through the measurement

13 14 of the reactor power P(t) as indicated by formula (1).

15

containing either borated water or Zirconium-Erbium pellets was located at the very 8 The uncertainty calculations were performed using the 2D BOXER deterministic centre of the configuration, between the four central UO<sub>2</sub> rods. With the absorber rod 9 code in 15 energy groups for both H<sub>1</sub> (critical level 96.51 cm) and H<sub>4</sub> (water level at inserted, the reactor was made critical by adjusting the water level. Afterwards, the 0 99.51 cm). It should be noted that only the main part of the uncertainty was reported absorber rod was withdrawn, the water level being kept constant. Therefore, the 1 in the benchmark. As a consequence, uncertainties of <sup>234</sup>U, <sup>236</sup>U contents, fuel impurities, water density, water temperature and impurity content are not given in this paper.

> $\rho(H_1) = 0$  and  $\rho(H_4) = 129.46$  pcm. 24

Uncertainties pertaining to the fuel rods were propagated in terms of reactivity and 25 the results are provided in Table 3. 26

## 27

28 Table 3

29 Uncertainties pertaining to the fuel rods (IRPhe Handbook).

30

Parameter	Variation	Δp (pcm)
Clad thickness (mm)	+0.05	-0.34
Outer clad diameter (mm)	+0.1	+0.26
Fuel diameter UO <sub>2</sub> /U <sub>metal</sub> (mm)	+0.017/+0.02	-0.22
<sup>235</sup> U enrichment (%)	+0.0007	-0.02
Square pitch (mm)	+0.002	+0.00
Fuel density UO <sub>2</sub> /U <sub>metal</sub> (g/cm <sup>3</sup> )	+0.034/+0.044	-0.22

31

32 The effects of the inaccuracies of the axial data were evaluated through axial calculations of the central part of CROCUS (i.e., along the  $UO_2$  zone), followed by 33 34 a calculation of the extrapolated height (based on a cosine fit of the axial power density distribution) and the determination of the axial buckling  $B_z^2$  (IRPhe 35 36 Handbook).

37

40

The propagated uncertainties due to the axial data for cases 1 to 4 are given in 38

#### 39 Table 4.

#### Table 4 41

Uncertainties due to grids and plates (IRPhe Handbook). 42

Parameter	Variation (mm)	Δp (pcm)
Base plate	+0.1	0
Lower grid	+0.1	0
Lower cadmium plate	+0.05	0
Lower grid	+0.1	-0.03
Upper grid	+0.1	0

<sup>43</sup> 

Parameter	Variation (mm)	<b>Δρ</b> (pcm)
Upper Cd plate	+0.05	0
Upper grid	+0.1	0
Upper rod parts	+0.5	0

- 25 Concerning cases 5 and 6 involving absorbing rods, the propagation of uncertainties  $\frac{1}{26}$ 2
- due to absorbing rods on reactivity are estimated in Table 5. 3
- 4

#### Table 5 5

Uncertainties due to absorbing rods (IRPhe Handbook). 6

7

Parameter	Poison	Δp (pcm)
Al clad radius in/out:	Boron	+2.42
+0.05 mm	Erbium	+0.50
Al clad thickness:	Boron	+0.29
+0.05 mm	Erbium	+0.51
Boron density: +0.1%	Boron	+0.07
Er pellet density: +1.0%	Erbium	+1.05
Er pellet diameter: +0.2%	Erbium	+0.41

8 The uncertainties were calculated separately for each independent parameter. The global uncertainty was then calculated as being the square root of the quadratic sum

9 10 of each component.

Finally, 11

- 12  $\Delta \rho(H2) = \pm 0.36 \ pcm$
- 13  $\Delta \rho(H3) = \pm 0.45 \ pcm$
- 14  $\Delta \rho(H4) = \pm 0.53 \ pcm$
- $\Delta \rho(H5) = \pm 2.46 \ pcm$ 15

 $\Delta \rho(H6) = \pm 1.50 \ pcm$ 16

- 17
- 18 3. Codes and libraries
- 19
- 20 **3.1. Codes**

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38

The MORET 5.D.1 (Cochet et al., 2013) Monte Carlo code is used in its continuous energy version using 3D geometry and various nuclear data libraries.

The MCNP5, MCNP6 (Brown et al., 2017) and TRIPOLI-4 (Brun et al., 2015) codes are used as reference routes for a purpose of comparison with the MORET 5.D.1 continuous energy route.

29 MORET 5.D.1 and MCNP6 models were realized by the authors of this paper. The TRIPOLI-4 results are were taken from published references. 30

#### 3.2. Nuclear data libraries 32

34 The codes and nuclear data libraries are gathered in Table 6.

#### 35 36 Table 6

Codes and libraries used for the verification process. 37

Code	Library
MORET 5.D.1 (Cochet et al. 2015)	JEFF-3.1.1, JEFF-3.3, ENDF/B-VII.0, ENDF/B-VII.1, ENDF/B-VIII.0
MCNP5	ENDF/B-VII.0
MCNP6 (Brown et al. 2017)	ENDF/B-VII.0
TRIPOLI-4 (Brun et al. 2015)	ENDF/B-VII.0

39

40 The continuous energy route involves the MORET 5.D.1 code. It solves the transport

equation to calculate fluxes and keff of the 3D configuration. It uses nuclear data 41

processed in the ACE format coming from various libraries. 42

43 The MCNP5, MCNP6 and TRIPOLI-4 codes are used to make comparisons with the

44 MORET 5 continuous energy code. All are 3D Monte Carlo codes that solve the

45 neutron transport equation. The MCNP6 and MORET 5 codes use exactly the same

46 nuclear data libraries processed at the ACE format by the same homemade GAIA1.1

processing code (Haeck et al., 2015), based on the 99.259 release of NJOY for the 47

48 ENDF/B-VII.0 evaluation.

TRIPOLI-4 uses nuclear data of the same evaluation from PENDF files generated b 3 0<sup>+</sup> is the adjoint flux, solution of the adjoint Boltzmann equation and representing for 2 another processing tool.

For MCNP6 results, a comparison was made between results obtained with the  $ACE^{35}$ 3 files generated by the IRSN GAIA tool but also with the ACE files delivered with6 4 the MCNP6 code, allowing an estimate of the processing bias. 5 37 6

#### 4. Theory of kinetics parameters 7

When considering the population of neutrons and precursors (Keepin & al, 1965)39 8

- two neutron quantities can be singled out: the effective neutron lifetime  $\Lambda_{\rm eff}$  and th<del>d</del>0 9
- effective delayed neutron fraction  $\beta_{eff}$ . They appear in formula (2) and (3). 10

$$11 \quad \frac{dN}{dt} = \frac{\rho - \beta_{eff}}{\Lambda_{eff}} N(t) + \sum_{i=1}^{p} \lambda_i C_i(t) \tag{2}$$

12 
$$\frac{dC_i}{dt} = \beta_i \frac{k_{eff}}{l(t)} N(t) - \lambda_i C_i(t)$$
(3)

13 Where  $\rho$  is the reactivity,

- 14
- 15 N(t) is the neutron population,
- $C_i$  is the delayed neutron precursor population of type i, 16
- $\beta_i$  is the effective fraction of precursor family i, 17
- $\lambda_i$  is the corresponding decay constant for precursor family I, 18
- $\beta_{\rm eff}$  is the effective delayed neutron fraction, 19
- $\Lambda_{\rm eff}$  is the neutron generation time, 20
- k<sub>eff</sub> is the effective multiplication factor, 21
- p is the number of precursors for delayed neutrons, 22
- l(t) is the prompt neutron lifetime. 23
- 24

#### 4.1. Effective neutron lifetime $\Lambda_{eff}$ 25

- The effective neutron lifetime is the mean time between the birth and the death of a 26
- neutron weighted by its contribution to the chain reaction. It is defined by formula 5927 28 (4): 60

$$29 \quad \Lambda_{eff} = \frac{\langle \phi^+, V^{-1}\phi \rangle}{\langle \phi^+, F\phi \rangle} \tag{4}$$

- Where F is the operator for the total fission, 30
- $\phi$  is the angular flux, 31
- 32 V is the velocity,

34 this work the importance of a neutron in the Monte Carlo simulation (this quantity is not specific of Monte Carlo simulations).

As a consequence,  $\phi^+$  is a key parameter to assess the effective neutron lifetime. It is directly linked to the adjoint source Q<sup>+</sup> defined in formula (5).

38 
$$Q^{+}(r) = \int \frac{1}{4\pi} \chi(E') dE' \int \phi^{+}(r, E', \Omega') d\Omega'$$
 (5)

This integral can be evaluated with Monte Carlo methods by sampling the neutron birth spectrum and direction according to an isotropic law. If we write the random vector  $\xi_i(E_i,\Omega_i)$  with  $E_i$  being the sampled energy and  $\Omega_i$  the sampled direction, the 41 42 formula can be moved to equation (6), where L is the number of independent realizations of the estimator  $Q^+$  at the point r. 43

44 
$$Q^+(r) = \frac{1}{L} \sum_l \phi^+(r, \xi_l)$$
 (6)

The importance function  $\phi^+$  has to be estimated. The work of H. Hurwitz 45 (Radkowsky et al., 1964) allows approximating this function by the Iterative Fission 46 Probability (IFP) model. Some details about the implementation of the methodology 47 in the Monte Carlo code MORET 5.D.1 are provided in (Jinaphanh et al., 2017). 48

49

#### 4.2. Effective delayed neutron fraction $\beta_{eff}$ 50

51 The effective delayed neutron fraction  $\beta_{eff}$  is a quantity related to the production of neutrons that are emitted with a delay after fission due to a  $\beta^{-}$  decay of fission 52 fragments which is followed by a neutron emission (it is the result of the de-excitation 53 energy of a highly excited neutron-rich nuclei obtained by  $\beta$ -decay). It is the ratio 54 between the delayed neutron production rate and the total (delayed and prompt) 55 neutron production rate, those two rates being weighted by the importance function 56 57 (formula (7) to formula (9)).

$$\delta 8 \quad \beta_{eff} = \frac{P_{effd}}{P_{eff}} \tag{7}$$

63 
$$P_{effd} = \langle \phi^+, B\phi \rangle = \int \phi^+(r, E, \Omega) \nu_d \chi_d(E, E') \Sigma_f \phi(r, E', \Omega') dE' d\Omega' dE d\Omega dr$$
64 (9)

65

61

66 Where B is the operator for the delayed neutron part of the fission source,

1	$\chi_t(E,E')$ is the total fission spectrum, $v_t$ is the total number of neutrons per fission, 41
2	$\chi_d$ (E,E') is the delayed neutron fission spectrum, $v_d$ is the expected number of 42
3	delayed neutrons per fission. 43
4	44
5	5. Methodology for verification 45
6	46
7	The verification of the aforementioned codes is done through the comparison of the $\frac{47}{48}$
8	calculated $k_{eff}$ with the MORET 5 code and the calculated $k_{eff}$ with another $cod\vec{e}^{o}$
9	(TRIPOLI-4, MCNP5, MCNP6). If the discrepancy between these two $k_{eff}$ values is $\frac{1}{2}$
10	lower than the combined standard deviation (see equation 10) of the two Monte Carl $\mathcal{L}_1^0$
11	standard deviations ( $\sigma_{MC}$ ) (see equation (10)), then no bias can be highlighted.
12	$\sqrt{\frac{3}{2}}$
13	$\sigma_{combined} = \sqrt{\sigma_{MC1}^2 + \sigma_{MC2}^2} \tag{10}$
14	51
15	Various libraries are tested for continuous energy codes to assess the impact $o_{56}^{55}$
16	nuclear data. 57
17	
18	When it is not stated, the Monte Carlo standard deviation is equal to 10 pcm, which $\frac{58}{59}$
19	leads to a combined standard deviation at $3\sigma$ of about 45 pcm. 60
20	
21	Moreover, whenever the reactivity worth of an element replaced with another is
22	tested, the calculated $k_{eff}$ corresponds to the $k_{eff}$ with the replaced element minus the
23	k <sub>eff</sub> of the reference case.
24	In a second step, the popular (1, prostivity offects, lipstics, perspectare) of the
25 26	In a second step, the results ( $k_{eff}$ , reactivity effects, kinetics parameters) of the MORET 5, MCNP5, TRIPOLI-4 and MCNP6 continuous energy codes are
20 27	compared to one another using the same libraries. It allows evaluating biases due to
28	the implementation of the physical models in the MORET 5 codes.
29	the implementation of the physical models in the WORE1 5 codes.
30	6. Verification of results
31	o. vermeation of results
32	When it is not specified, the MORET 5 calculations are run using the 5.D.1 releas <b>6</b> 1_
33	of the MORET code, with the probability tables activated in the unresolved energy $p^2$
34	range of cross sections. Moreover, $S(\alpha,\beta)$ treatment is used to deal with the hydrogen $\beta^3$
35	bindings in water in the low energy range.

36 MORET 5 results are compared in this section with MCNP5, MCNP6 and TRIPOLI65

- 37 4 results. The MORET 5 and MCNP6 models were developed independently at IRSN,6
- 38 the MCNP6 results use either ACE files processed by the IRSN GAIA1.1 tool og7
- 39 ACE files delivered with the code. The TRIPOLI-4 models were performed by CEA

40 (Zoia et al., 2016)

#### 6.1. keff results with continuous energy codes

Six configurations are studied in this section. Only the first one (H1) is critical, the other ones being slightly supercritical.

The  $k_{eff}$  results using the ENDF/B-VII.0 based library are reported in **Table 7**. This library is chosen as a reference since TRIPOLI and MCNP calculations use it. It should be noted that a Monte Carlo standard deviation of calculations of 0.00005 was targeted. A total of 38720 neutrons per batch and 4371 batches were necessary to reach good convergence. Statistical tests (Chi2 and Lilliefors) can ascertain this good convergence. The convergence curve for case H1 is reported on Fig. 5. After 1500 batches, the convergence on  $k_{eff}$  is obtained. The same type of convergence was obtained for other cases.

The same ACE files are used for the nuclear data in the MORET 5 and MCNP6 codes. TRIPOLI-4 and MCNP5 nuclear data are processed independently. MORET 5, MCNP5 and TRIPOLI-4 results are quite consistent. Moreover, a good agreement is obtained between MCNP5 and MCNP6 using the ACE files delivered with the code.

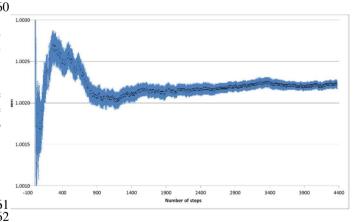


Fig. 5. Convergence of keff values.

One can derive the reactivity effects corresponding to the supercritical states applying below formula.

 $\rho_{A} = 10^5 \left( \frac{1}{k_{eff}^{crit}} - \frac{1}{k_{eff}^*} \right)$ , where "crit" corresponds with the critical state and "\*" with 68 the supercritical states. A quite good agreement within the uncertainty margins is

69 obtained between the results from MCNP5, MCNP6 (ACE delivered) TRIPOLI-4

1	(Zoia et al., 2016). However, discrepancies associated with the processing can be4	b
2	identified when looking at the MCNP6 results using the ACE files processed by 5	a
3	IRSN. These discrepancies are not surprising; they have already been identified on 6	Т
4	other benchmarks and suggest that the processing can be source of significant7	s
5	discrepancies on the k <sub>eff</sub> results.	
6	19	
7	One can also notice that $k_{eff}$ obtained with MORET 5 are quite consistent with $k_{eff}$	
8	obtained with MCNP6 (IRSN processing), validating the implementation of physica21	
9	models in 22	
10	MORET 5°. 23	
11	24	
12		
13	Small discrepancies appear between reactivity results, the difference between codes	
25		

### 26 **Table 7**

27 keff  $\pm \sigma_{MC}$  results with MORET 5, TRIPOLI-4 and MCNP6 codes.

#### 28 29

Case	MORET 5.D.1	MCNP5 (Zoia et al., 2016)	MCNP6 ACE files delivered	MCNP6 IRSN processing	TRIPOLI-4 (Zoia et al., 2016)
		ENDF/B-VII.0			
H1	1.00289±0.00005	1.00253±0.000012	1.00263±0.00004	1.00294±0.00004	1.00249±0.00002
H2	$1.00368 \pm 0.00004$	1.00341±0.000009	1.00336±0.00004	$1.00379 \pm 0.00004$	1.00335±0.00002
H3	1.00396±0.00005	1.00363±0.000014	1.00366±0.00004	$1.00409 \pm 0.00004$	1.00360±0.00002
H4	$1.00410 \pm 0.00004$	1.00383±0.00002	1.00377±0.00004	1.00433±0.00004	1.00383±0.00002
В	1.00378±0.00005	1.00330±0.000016	1.00321±0.00004	1.00369±0.00003	1.00329±0.00002
Er	1.00447±0.00005	1.00403±0.000021	1.00406±0.00004	1.00446±0.00004	1.00400±0.00002

### 30

### 31 Table 8

32 Reactivity results (in pcm) with MORET 5, TRIPOLI-4, MCNP5 and MCNP6 codes ( $\sigma_{MC}$  in pcm) – For boron and erbium cases, the calculation is performed with

33 absorber rods extracted.

34

MORET 5.D.1	MCNP5 (Zoia et al, 2016)	MCNP6 ACE files delivered	MCNP6 IRSN processing	<b>TRIPOLI-</b> 4 (Zoia et al., 2016)
	ENDF/B-VII.(	)		
78±5	87.5±1.5	73±6	84±6	85.6±3.3
106±5	108.7±1.9	102±6	114±6	110.4±3.3
	<b>5.D.1</b> 78±5	MORET         (Zoia et al, 2016)           5.D.1         2016)           ENDF/B-VII.(           78±5         87.5±1.5	MORET         (Zoia et al, 2016)         ACE files           5.D.1         (Zoia et al, 2016)         delivered           ENDF/B-VII.0           78±5         87.5±1.5         73±6	MORET 5.D.1(Zoia et al, 2016)ACE files deliveredIRSN processingENDF/B-VII.078±587.5±1.573±684±6

<sup>c</sup> It should be noticed that the MORET 5 model does not include the 0.025 cm cadmium sheet

of the lower grid plate; indeed, an issue with the simulation has been identified. However, it

has been verified with MCNP calculations that the worth of this Cd sheet was negligible. The

removal of this sheet corrects the bias introduced by the simulation issue.

being within the combined  $3\sigma$  of the Monte Carlo simulation. However, a quite good agreement is obtained between the reactivity given by MCNP5, MCNP6 and TRIPOLI-4. The MORET 5 results, even if in the  $3\sigma$  uncertainty margins seem to slightly overestimate the value for some cases.

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H4	120±5	128.2±2.3	113±6	138±6	133.0±3.3
В	88±5	82.3±2.5	58±6	75±6	80.8±3.3
Er	157±5	158.8±2.2	142±6	151±6	163.7±3.3

### **Table 9.a**

2 kinetics parameters – comparison with MCNP6 and TRIPOLI-4.

#### 

Parameter	Case	MORET 5.D.1	MCNP5 (Zoia et al., 2016)	MCNP6 (ACE delivered)	MCNP6 (IRSN processing)	TRIPOLI-4 (Zoia et al., 2016)
				ENDF/B-VI	.0	
$\beta_{eff}$ (pcm)	H1	731.15±4.09	737.4±2.7	745±10	728±10	738.3±0.96
$\Lambda_{eff}(\mu s)$		48.05±0.026	47.49±0.02	47.32±0.07	47.48±0.06	47.52±0.006
$\beta_{eff}$ (pcm)	H2	732.24±3.99	738.3±2.7	744±11	734±10	737.2±0.96
$\Lambda_{\rm eff}(\mu s)$		48.02±0.026	47.43±0.02	47.46±0.06	47.46±0.06	47.50±0.006
β <sub>eff</sub> (pcm)	112	730.81±3.98	742.0±2.9	741±11	736±10	736.2±0.96
$\Lambda_{\rm eff}(\mu s)$	—H3	48.06±0.026	47.43±0.02	47.43±0.06	47.44±0.06	47.47±0.006
$\beta_{eff}$ (pcm)	114	732.59±3.88	741.4±2.9	748±11	749±10	737.2±0.96
$\Lambda_{\rm eff}(\mu s)$	H4	47.99±0.0025	47.43±0.02	47.52±0.06	47.42±0.06	47.47±0.006
$\beta_{\rm eff}$ (pcm)	D	737.04±3.91	736.4±2.5	757±11	730±10	737.5±0.96
$\Lambda_{\rm eff}(\mu s)$	—В	48.09±0.025	47.52±0.02	47.65±0.06	47.60±0.06	47.62±0.006
$\beta_{\rm eff}$ (pcm)	E.	726.71±3.94	739.4±3.0	732±11	738±10	734.9±0.95
$\Lambda_{\rm eff}(\mu s)$	Er	48.13±0.026	47.53±0.02	47.55±0.06	47.51±0.06	47.57±0.006

### Table 10

kinetics parameters – comparison with MCNP5 taken as a reference R1 = (Code – MCNP5)/ MCNP5 in %.

Parameter	Case	MORET 5.D.1 vs MCNP5	MCNP6 (ACE delivered) vs MCNP5	MCNP6 (IRSN processing) vs MCNP5	TRIPOLI-4 (Zoia et al., 2016) vs MCNP5
			EN	DF/B-VII.0	
$\beta_{eff}$ (pcm)		-0.85	-1.03	-1.55	0.12
$\Lambda_{\rm eff}(\mu s)$		1.18	-0.36	0.19	0.06
β <sub>eff</sub> (pcm)	—H2	-0.82	0.77	2.13	-0.15
$\Lambda_{\rm eff}(\mu s)$	<u></u> n2	1.24	0.06	-0.02	0.15
$\beta_{\rm eff}$ (pcm)	112	-1.51	-0.13	-2.02	-0.78
$\Lambda_{\rm eff}(\mu s)$	—H3	1.33	0.00	0.15	0.08
$\beta_{eff}$ (pcm)	114	-1.19	0.89	-1.13	-0.57
$\Lambda_{\rm eff}(\mu s)$	—H4	1.18	0.19	0.08	0.08
β <sub>eff</sub> (pcm)	B	0.09	2.80	-1.68	0.15
$\Lambda_{\rm eff}(\mu s)$	—В	1.20	0.27	0.17	0.21
$\beta_{\rm eff}$ (pcm)	E.	-1.72	-1.00	0.49	-0.61
$\Lambda_{\rm eff}(\mu s)$	— Er	1.26	0.04	-0.08	0.08

## Table 11

Variation of kinetics parameters values for CROCUS benchmarks versus nuclear data evaluation – MORET 5 code.

		Kinetic parameter (library effect)					
Parameter	Case	ENDF/B-VII.1 vs ENDF/B-VII.0 (%)	ENDF/B-VIII.0 vs ENDF/B-VII.0 (%)	JEFF-3.1.1 vs ENDF/B-VII.0 (%)	JEFF-3.3 vs ENDF/B-VII.0 (%)		
$\beta_{eff}$ (pcm)	TT1	0.12	0.34	3.16	3.23		
$\Lambda_{\rm eff}(\mu s)$	—H1	0.00	-0.62	0.12	-0.48		
$\beta_{eff}$ (pcm)	112	0.27	0.55	3.18	3.54		
$\Lambda_{eff}(\mu s)$	H2	0.00	-0.59	0.14	-0.48		
$\beta_{eff}$ (pcm)	—Н3	0.07	0.43	3.05	3.28		
$\Lambda_{eff}(\mu s)$		-0.02	-0.67	0.10	-0.53		
$\beta_{eff}$ (pcm)	114	0.03	0.17	3.23	3.01		
$\Lambda_{eff}(\mu s)$	—H4	0.02	-0.60	0.14	-0.48		
$\beta_{eff}$ (pcm)	B	-0.08	0.14	2.80	2.86		
$\Lambda_{\rm eff}(\mu s)$	В	0.00	-0.59	0.18	-0.46		
$\beta_{eff}$ (pcm)	Ea	-0.15	0.39	2.62	2.82		
$\Lambda_{\rm eff}(\mu s)$	——Er	0.12	0.34	3.16	3.23		

1	4
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#### 8 Table 7

 $k_{eff} \pm \sigma_{MC}$  results with MORET 5, TRIPOLI-4 and MCNP6 codes.

r	т

Case	MORET 5.D.1	MCNP5 (Zoia et al., 2016)	MCNP6 ACE files delivered	MCNP6 IRSN processing	TRIPOLI-4 (Zoia et al., 2016)
		ENDF/B-VII.0			
H1	1.00289±0.00005	1.00253±0.000012	1.00263±0.00004	1.00294±0.00004	1.00249±0.00002
H2	1.00368±0.00004	1.00341±0.000009	1.00336±0.00004	1.00379±0.00004	1.00335±0.00002
H3	1.00396±0.00005	1.00363±0.000014	1.00366±0.00004	$1.00409 \pm 0.00004$	1.00360±0.00002
H4	$1.00410 \pm 0.00004$	1.00383±0.00002	1.00377±0.00004	1.00433±0.00004	1.00383±0.00002
В	1.00378±0.00005	1.00330±0.000016	1.00321±0.00004	1.00369±0.00003	1.00329±0.00002
Er	1.00447±0.00005	1.00403±0.000021	1.00406±0.00004	$1.00446 \pm 0.00004$	1.00400±0.00002

#### **Table 8**

Reactivity results (in pcm) with MORET 5, TRIPOLI-4, MCNP5 and MCNP6 codes ( $\sigma_{MC}$  in pcm) – For boron and erbium cases, the calculation is performed with absorber rods extracted.

Case	MORET 5.D.1	MCNP5 (Zoia et al, 2016)	MCNP6 ACE files delivered	MCNP6 IRSN processing	<b>TRIPOLI-</b> 4 (Zoia et al., 2016)
		ENDF/B-VII.0	)		
H2	78±5	87.5±1.5	73±6	84±6	85.6±3.3
H3	106±5	108.7±1.9	102±6	114±6	110.4±3.3
H4	120±5	128.2±2.3	113±6	138±6	133.0±3.3
В	88±5	82.3±2.5	58±6	75±6	80.8±3.3
Er	157±5	158.8±2.2	142±6	151±6	163.7±3.3

### **Table 9.a**

2 kinetics parameters – comparison with MCNP6 and TRIPOLI-4.

#### 

Parameter	Case	MORET 5.D.1	MCNP5 (Zoia et al., 2016)	MCNP6 (ACE delivered)	MCNP6 (IRSN processing)	TRIPOLI-4 (Zoia et al., 2016)
				ENDF/B-VI	.0	
$\beta_{eff}$ (pcm)	H1	731.15±4.09	737.4±2.7	745±10	728±10	738.3±0.96
$\Lambda_{eff}(\mu s)$		48.05±0.026	47.49±0.02	47.32±0.07	47.48±0.06	47.52±0.006
$\beta_{eff}$ (pcm)	H2	732.24±3.99	738.3±2.7	744±11	734±10	737.2±0.96
$\Lambda_{\rm eff}(\mu s)$		48.02±0.026	47.43±0.02	47.46±0.06	47.46±0.06	47.50±0.006
β <sub>eff</sub> (pcm)	112	730.81±3.98	742.0±2.9	741±11	736±10	736.2±0.96
$\Lambda_{\rm eff}(\mu s)$	—H3	48.06±0.026	47.43±0.02	47.43±0.06	47.44±0.06	47.47±0.006
$\beta_{eff}$ (pcm)	114	732.59±3.88	741.4±2.9	748±11	749±10	737.2±0.96
$\Lambda_{\rm eff}(\mu s)$	H4	47.99±0.0025	47.43±0.02	47.52±0.06	47.42±0.06	47.47±0.006
$\beta_{\rm eff}$ (pcm)	D	737.04±3.91	736.4±2.5	757±11	730±10	737.5±0.96
$\Lambda_{\rm eff}(\mu s)$	—В	48.09±0.025	47.52±0.02	47.65±0.06	47.60±0.06	47.62±0.006
$\beta_{\rm eff}$ (pcm)	E.	726.71±3.94	739.4±3.0	732±11	738±10	734.9±0.95
$\Lambda_{\rm eff}(\mu s)$	Er	48.13±0.026	47.53±0.02	47.55±0.06	47.51±0.06	47.57±0.006

### Table 10

kinetics parameters – comparison with MCNP5 taken as a reference  $R_1 = (Code - MCNP5) / MCNP5$  in %.

Parameter	Case	MORET 5.D.1 vs MCNP5	MCNP6 (ACE delivered) vs MCNP5	MCNP6 (IRSN processing) vs MCNP5	TRIPOLI-4 (Zoia et al., 2016) vs MCNP5
			EN	DF/B-VII.0	
$\beta_{eff}$ (pcm)	111	-0.85	-1.03	-1.55	0.12
$\Lambda_{\rm eff}(\mu s)$	—H1	1.18	-0.36	0.19	0.06
$\beta_{eff}$ (pcm)	—H2	-0.82	0.77	2.13	-0.15
$\Lambda_{\rm eff}(\mu s)$	—H2	1.24	0.06	-0.02	0.15
$\beta_{eff}$ (pcm)	112	-1.51	-0.13	-2.02	-0.78
$\Lambda_{\rm eff}(\mu s)$	—H3	1.33	0.00	0.15	0.08
$\beta_{eff}$ (pcm)	—-H4	-1.19	0.89	-1.13	-0.57
$\Lambda_{\rm eff}(\mu s)$	<u></u> 14	1.18	0.19	0.08	0.08
β <sub>eff</sub> (pcm)	D	0.09	2.80	-1.68	0.15
$\Lambda_{\rm eff}(\mu s)$	—B	1.20	0.27	0.17	0.21
β <sub>eff</sub> (pcm)	E.	-1.72	-1.00	0.49	-0.61
$\Lambda_{\rm eff}(\mu s)$	Er	1.26	0.04	-0.08	0.08

## Table 11

Variation of kinetics parameters values for CROCUS benchmarks versus nuclear data evaluation – MORET 5 code.

		Kinetic parameter (library effect)					
Parameter	Case	ENDF/B-VII.1 vs ENDF/B-VII.0 (%)	ENDF/B-VIII.0 vs ENDF/B-VII.0 (%)	JEFF-3.1.1 vs ENDF/B-VII.0 (%)	JEFF-3.3 vs ENDF/B-VII.0 (%)		
$\beta_{eff}$ (pcm)	111	0.12	0.34	3.16	3.23		
$\Lambda_{\rm eff}(\mu s)$	—H1	0.00	-0.62	0.12	-0.48		
$\beta_{eff}$ (pcm)	110	0.27	0.55	3.18	3.54		
$\Lambda_{eff}(\mu s)$	H2	0.00	-0.59	0.14	-0.48		
$\beta_{eff}$ (pcm)	—Н3	0.07	0.43	3.05	3.28		
$\Lambda_{eff}(\mu s)$		-0.02	-0.67	0.10	-0.53		
$\beta_{eff}$ (pcm)	114	0.03	0.17	3.23	3.01		
$\Lambda_{eff}(\mu s)$	—H4	0.02	-0.60	0.14	-0.48		
$\beta_{eff}$ (pcm)	B	-0.08	0.14	2.80	2.86		
$\Lambda_{\rm eff}(\mu s)$	В	0.00	-0.59	0.18	-0.46		
$\beta_{eff}$ (pcm)	En	-0.15	0.39	2.62	2.82		
$\Lambda_{\rm eff}(\mu s)$	——Er	0.12	0.34	3.16	3.23		

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#### 6.2. Reactivity worth of absorbing rods

51 The reactivity worth of absorbing rods is obtained b§2 5 comparison between keff with rods fully inserted and keff witb3 rods extracted from the core. It is reported in Table 12. N54 6 significant discrepancy between reactivity worth from 55 7 8 MORET 5.D.1 and MCNP6 can be observed. 56 9

#### 10 Table 12

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Reactivity worth of boron and erbium in absorbing rods. 11

Case	MORET 5.D.1	MCNP6 (Processing IRSN)		
	ENDF/B-VII.0			
B - inserted	$1.00275 \pm 0.00007$	1.00284±0.00004		
Er - inserted	$1.00278 \pm 0.00007$	1.00277±0.00004		
B - extracted	$1.00378 \pm 0.00005$	1.00369±0.00004		
Er - extracted	$1.00447 \pm 0.00005$	1.00446±0.00004		
$B - \Delta k_{eff}$ (pcm)	$-103 \pm 9$	$-85 \pm 4$		
$Er - \Delta k_{eff}$ (pcm)	-169 ± 9	$-169 \pm 5$		
.3. Effect of nuc	lear data			
5.3.1. Multiplication factor				
arious nuclear	data evaluations (JI	EFF-3.1.1, JEFF-3		

19 20 77 tested with the MORET 5.D.1 Monte Carlo code to see if an<sub>78</sub> 21 impact of nuclear data could be isolated for  $k_{eff}$  and kinetics 22 parameters assessment (see Table 13). Regarding  $k_{eff}$ ,  $n_{00}^{00}$ 23 significant discrepancy between libraries can be pointed out 8124 A similar conclusion was drawn in the paper by Zoia et  $al_{82}^{01}$ 25 (2016), where results were consistent for all libraries,  $excep_{33}^{22}$ 26 27 for JENDL-40 for which a small 40-50 pcm underestimation 28 due to the hydrogen bound  $S(\alpha,\beta)$  temperature could be 29 highlighted.

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31 6.3.2. Kinetics parameters

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33 The effective delayed neutron fraction  $\beta_{eff}$  as well as the 34 effective mean generation time  $\Lambda_{eff}$  are calculated using the Monte Carlo MORET 5.D.1 and MCNP6 codes. In the 35 MORET 5 simulation, various estimators are used to evaluate 36 the two parameters; however, it was chosen to keep only the 5 37 results from the adjoint flux estimator. Indeed, this new option 38 in the MORET 5 code gives a better assessment of the adjoint  $\frac{1}{7}$ 39 flux as it was done in the previous releases. The neutron $\S_8'$ 40 produced by fissions are accounted for during severa8941 42 generations and not only one. 90 43

Results are gathered in Table 10Error! Reference source  $not_2^2$ 44 found. and compared with the MCNP and TRIPOLI-4 codes 45 One can notice that the two coefficients do not depended 446 47 strongly on the experiment number.

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A comparison is performed based on the following coefficient:  $R_1 = (code result - MCNP5 result)/MCNP5 result.$ 

No significant discrepancy on  $\beta_{eff}$  between codes can be observed, the R1 coefficient remaining lower than 1.5 %. Very good agreement is observed between MCNP6, MCNP5 and TRIPOLI-4 results for the  $\Lambda_{eff}$ . However, a larger discrepancy up to 1.5 % is observed with MORET. The reason for that discrepancy is still under investigation but the fact that MORET uses the same neutron spectrum for prompt and delayed neutrons could explain it. This discrepancy can exceed the  $3\sigma$  of Monte Carlo standard deviation but the estimated standard deviation of Monte Carlo calculation of  $\Lambda_{eff}$  might be strongly underestimated. Finally, the values obtained with MORET 5 are very close to MCNP and TRIPOLI values.

Additionally, one can notice some discrepancy between the JEFF and ENDF evaluations. All results coming from the JEFF evaluations are consistent with one another; similarly, all results produced with the various releases of the ENDF evaluations are consistent with one another. This tendency was already identified in the paper by Zoia et al. (2016), especially for  $\beta_{eff}$ . JEFF-3 results were systematically higher than ENDF results. A calculation was performed replacing only <sup>235</sup>U, only <sup>238</sup>U and <sup>235</sup>U+<sup>238</sup>U ENDF/B-VII.0 nuclear data by the JEFF-3.3 ones. We observe that the discrepancy is mainly due to <sup>235</sup>U. This discrepancy could be explained by the fission spectrum of <sup>235</sup>U differing between the two evaluations.

#### Table 13

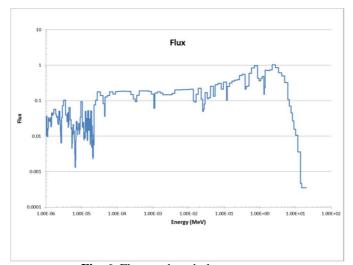
 $\Delta k_{eff}$  for CROCUS benchmarks versus nuclear data evaluation – MORET 5 code.

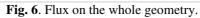
	$\Delta K_{eff}$ (library effect) ( $\sigma_{MC} = 0.00005$ ) in pcm						
Case	B-VII.1- B-VII.0	B- VIII.0- B-VII.0	JEFF- 3.1.1-B- VII.0	JEFF- 3.3-B- VII.0			
H1	0	-19	5	55			
H2	0	-41	-2	33			
H3	-6	-15	0	47			
H4	-4	-32	-4	39			
В	-22	-27	-2	19			
Er	-5	-33	-13	27			

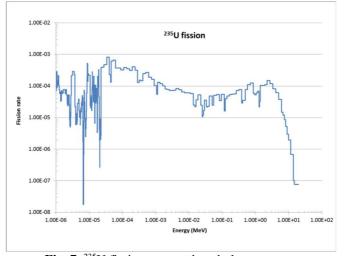
#### 6.4. Spectral indices

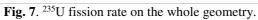
Spectral indices such as the flux on the whole geometry and <sup>235</sup>U fission rate as well as <sup>238</sup>U capture rate calculated by the MORET 5.D.1 code are reproduced in Fig. 6 to Fig. 8.

The CROCUS reactor being a light water reactor it is logical to find that neutrons are captured in the epithermal and thermal energy ranges and undergoing fissions in the thermal energy range. The flux profile is typical of that kind of reactors.









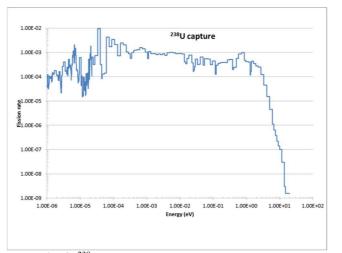


Fig. 8. <sup>238</sup>U capture rate on the whole geometry.

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#### 1 6.5. Sensitivity to nuclear data

2 25 3 The 5.D.1 release of the MORET 5 code offers th∂6 4 opportunity to calculate sensitivity coefficients of keff to th€7 5 main reactions (cross sections and angular distributions)28 Such calculations are based on the Iterated Fission Probabilit<sup>29</sup> 6 7 technique (IFP) (Jinaphanh et al., 2017) also implemented in 0 8 the SCALE (Rearden et al., 2004) and MCNP6.2 (Kiedrowsk31 9 et al., 2013) codes. The method used for implementation is2 10 the differential operator method. In this method, th83 estimation of the fission source derivatives is replaced by ab4 11 estimation of the adjoint flux. For the main reactions (<sup>235</sup>U35 12 fission, <sup>235</sup>U capture, <sup>238</sup>U capture, <sup>1</sup>H capture...), th86 13 sensitivity profiles calculated using the MORET 5.D.1 and7 14 MCNP6.2 Monte Carlo codes with the ENDF/B-VII.08 15 16 nuclear data library are plotted against energy (Fig. 9. to Fig39 17 12.). The ratio between the results provided by the two code40are reported in purple. It appears that the ratios differ from #1 18 mainly for energy regions where the sensitivity is quite2 19 negligible and that the discrepancies are larger for the 43 20 sensitivity to <sup>238</sup>U capture and <sup>1</sup>H capture cross sections. 21 44 22 45

51

#### 48 **Table 14**

49	Discrepancy on integral sensitivity coefficients between
50	MORET 5 (M5) and MCNP6.

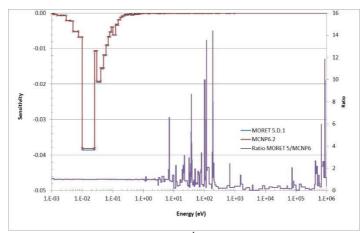
				57
Reaction	Integral sensitivity MORET 5.D.1	Integral sensitivity MCNP6.2	Differen M5/MCI (%)	NP60 61
<sup>235</sup> U fission	4.077E-01 ± 1.3E-04	4.019E-01 ± 1.3E-04	+1.44	62 63
<sup>235</sup> U capture	-9.709E-02 ± 2.4E-05	-9.844E-02 ± 2.4E-05	-1.37	64 65
<sup>238</sup> U capture	-2.450E-01 ± 6.2E-05	-2.418E-01 ± 6.2E-05	+1.32	66 67
<sup>1</sup> H capture	-1.660E-01 ±4.9E-05	-1.639E-01 ±4.9E-05	+1.28	68 69 70
				71

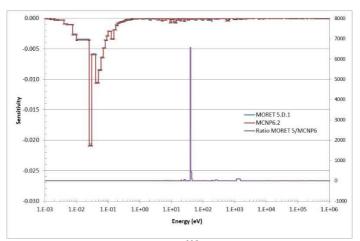
52 53 One can notice, as it is the case for reactor experiments, a sensitivity of  $k_{eff}$  to the fission of <sup>235</sup>U, to the capture of <sup>238</sup>U, and to the capture of <sup>1</sup>H in water. These sensitivity profiles could then be used in the MACSENS tool (Jinaphanh et al., 2017) to assess the bias and uncertainty due to nuclear data through a GLLSM. Having experiments that are uncorrelated with existing ones and with well-established experimental uncertainties allows having confidence in the calculated bias and associated uncertainty.

The discrepancy between MORET 5.D.1 and MCNP6.2 integral sensitivities to the main reactions (Table 14) remain lower than 2 %, which is quite acceptable since the main discrepancies are in the energy region where the sensitivity is low and also since the standard deviation of Monte Carlo calculations is certainly under-estimated. One can therefore conclude to a quite good agreement between the sensitivity coefficients from MORET 5.D.1 or MCNP6.2, even if the bias with MCNP values exceeds the  $3\sigma$  standard deviation. It therefore allows verification of the MORET 5.D.1 code.

The discrepancy between integral sensitivity coefficients is reported in Table 13.

<sup>23</sup> 





**Fig. 9**. Sensitivity of  $k_{eff}$  to <sup>1</sup>H capture cross section.

Fig. 10. Sensitivity of  $k_{eff}$  to  $^{235}$ U capture cross section.

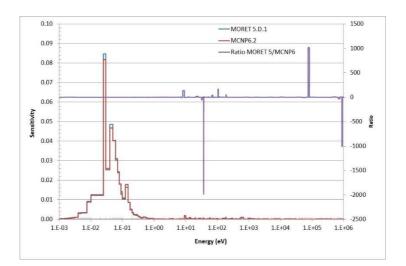


Fig. 11. Sensitivity of  $k_{eff}$  to  $^{235}$ U fission,

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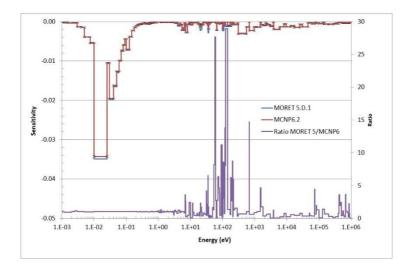


Fig. 12. Sensitivity of  $k_{eff}$  to  $^{238}\text{U}$  capture cross sections.

#### 7. Conclusion

The purpose of the present paper was to make a verification of physical quantities (k<sub>eff</sub>, sensitivity coefficients, kinetics parameters) of the MORET 5.D.1 code developed at IRSN on criticality and reactor physics applications. A database of more than 1400 benchmark experiments is already available for criticality safety application. However, the number of cases is far more restricted regarding reactor physics applications. To achieve the goal of verification for reactor physics applications, the CROCUS benchmark was selected as being representative of light water reactors and relatively easy to model.

Several capabilities implemented in the MORET 5.D.1 code were tested using various nuclear data libraries (JEFF-3.1.1, JEFF-3.3, ENDF/B-VII.0, ENDF/B-VII.1 and ENDF/B-VIII.0):

- The calculation of kinetics parameters,
- The sensitivity of k<sub>eff</sub> to nuclear data (cross sections),
- The production of reaction rates.

When comparing  $k_{eff}$  and reactivity results between the MORET 5, MCNP5, TRIPOLI-4 and MCNP6 Monte Carlo codes using the same nuclear data libraries, no significant discrepancy can be pointed out, except when the processing of nuclear data differs.

Another result of the paper is that the effect of the nuclear data library is insignificant regarding  $k_{eff}$ , which is not the case for kinetics parameters. Indeed, results from the JEFF libraries are consistent with one another, as is the case for ENDF libraries.

Finally, regarding the calculation of sensitivity coefficients, a quite good agreement is obtained between sensitivity coefficients generated using the MORET 5.D.1 and the MCNP6.2 codes. It therefore contributes to the verification of the sensitivity capability development in the MORET 5.D.1 code.

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