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Exploiting redundancy in color-polarization filter array images for dynamic range enhancement

PIERRE-JEAN LAPRAY

Université de Haute-Alsace, IRIMAS UR 7499, F-68100 Mulhouse, France (pierre-jean.lapray@uha.fr)

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Color-polarization filter array (CPFA) sensors are able to capture linear polarization and color information in a single shot. For a scene that contains a high dynamic range of irradiance and polarization signatures, some pixel values approach the saturation and noise levels of the sensor. The most common CPFA configuration is overdetermined, and contains four different linear polarization analyzers. Assuming that not all pixel responses are equally reliable in CPFA channels, one can therefore apply the high dynamic range imaging scheme to improve the Stokes estimation from a single CPFA image. Here I present this alternative methodology and show qualitative and quantitative results on real data. © 2020 Optical Society of America under the terms of the OSA Open Access Publishing Agreement

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Polarization imaging has recently gained interest since the emergence of snapshot devices such as polarization filter array (PFA) [1] cameras and color PFA (CPFA) cameras [2]. The latter is a combination of two filter arrays, a PFA and a color filter array (CFA), one on top of the other. A spatial modulation on the focal-plane array permits to sample the intensities $I_{\theta,c}$ of the light field through several polarizing directions θ and spectral bandpass filters c. The most common CPFA is a 12-channel sensor, which combines four angles of analysis equally distributed between 0° and 180° ($\theta = 0^{\circ}, 45^{\circ}, 90^{\circ}, 135^{\circ}$), and three color filters (c = r, g, b) arranged in a quad-Bayer [3] spatial configuration (see Fig. 1). The SONY IMX250 MYR [2] is one of these sensors and is commercially available. A linear polarization imager with four measurements is overdetermined, as only three different polarization states are needed to estimate the first three elements of the Stokes vector [4]. In this Letter, a high dynamic range (HDR)-like scheme is applied to combine the pre-processed data from multiple redundant Stokes element estimations. It leads to a dynamic range improvement in the Stokes images from a single color-polarization filter image.

HDR of irradiances and polarization signatures can occur in some scenes, e.g., a scene containing highly specular surfaces [5], diffuse reflection at low zenith angles, and shadow areas [6]. On one hand, low irradiance with a high degree of polarization [7] induces weak signal and thus a noisy image, inducing the degradation of the polarization information. On the other hand, high irradiance makes the camera response approach the saturation level, where the sensor operates in its nonlinear area. These particular scenarios can be present simultaneously in one snapshot CPFA image, which can be classified as follows:

• High polarization signature and high irradiance (Hp-Hi): the digital values can reach the saturation and noise levels of the camera [see the surrounded area in Fig. 4(a)].

• High polarization and low irradiance (Hp-Li): can lead to digital values below the noise level [see Fig. 4(b)].

• Low polarization and high irradiance (Lp-Hi): can lead to saturation [see Fig. 4(c)].

• Low polarization and low irradiance (Lp-Li) [see Fig. 4(d)].

These four scenarios are illustrated in Fig. 2, where the corresponding theoretical camera responses are shown for each polarizing angle of analysis. The dots are the four discrete intensity measurements I_{θ} that the polarimeter would have made under the specific cases. Plain lines are the simulated signals from the Malus law. According to it, intensity transmitted by a polarizer varies sinusoidally in the presence of a polarized incident beam. Even by employing a good auto-exposure algorithm, a polarization state image can exhibit pixels close to the saturation and noise levels. Combining such a noisy frame will result in noise in Stokes elements. If some outputs are still usable (not completely saturated or below the noise level), then it is still possible to estimate the Stokes elements. One may take care of minimizing the influence of noisy values in the calculation of these elements to prevent it from being further amplified, since the degree of linear polarization (DOLP) and the angle of linear polarization (AOLP) are computed from the Stokes elements by nonlinear processing, and thus are very sensitive to noise [4].

HDR imaging (HDRI) [8,9] is a kind of "hardware augmentation," where multiple exposure images are fused through a computational imaging algorithm. Inputs are registered images of the same scene (i.e., the same irradiance levels) taken under different exposure times. A weighted average is applied during image fusion, taking into account the contribution of each image in the calculation. It is largely assumed that a pixel value can be judged to be within a "trustable" or a "dubious" zone of the digital value ranges of the camera. Several weighting functions have been investigated, taking into account either dubious pixels near the extremes, noise model of the camera, digital output variance, etc. [10]. Noise can likely be encountered in the dubious zone where undesired degradation in images may occur during capture, transmission, and/or processing, i.e., photon shot, dark current, or readout noise. I believe that the



Fig. 1. CPFA sensor case. Each 2×2 super-pixel is covered by four linear polarization filters and one spectral filter.



Fig. 2. Simulated theoretical polarization camera responses, with a varying input signal according to the Malus law.

weighted average in HDRI is applicable on a single CPFA image where multiple redundant information can be reconstructed. As three polarization states are sufficient to compute the linear Stokes vector, one can use multiple ways of Stokes element calculations, and combine them. I present the proposed pipeline hereafter.

After a snapshot CPFA image acquisition, some preprocessing steps are performed on raw data such as linearization, polarimetric calibration [11], and spatial interpolation [12]. Here I assume that the input data $I_{\theta,c}$ have been previously calibrated [11] and spatially interpolated. Only a sub-sampling is employed in this Letter to not introduce additional spatial noise. According to the above paragraphs, the noise considerations made are: (a) dubious pixels near the extremes should be excluded as much as possible from the Stokes calculation [13], and (b) the image noise structure is signal dependent: signal-to-noise ratio (SNR) increases with signal intensity [9].

These considerations are taken into account by means of a weighting function $\omega(I_{\theta,c})$, applied to the 12 camera channels individually. The confidence given to the observed data is materialized by its individual weight. A well-known weighting function from HDRI [14,15] is used. The function is a combination of a broad hat function that eliminates dubious pixel values near the extreme levels, with the inverse of the camera response function (CRF⁻¹_{$\theta,c}) and its derivative:$ </sub>

$$\omega(I_{\theta,c}) = \operatorname{CRF}_{\theta,c}^{-1} \times \operatorname{CRF}_{\theta,c}' \times [1 - (I_{\theta,c} \times 2 - 1)^{12}].$$
(1)

The weighting function (for the channel $\theta = 0^\circ$, c = r) used for the IMX250 MYR sensor is shown in Fig. 3. The CRF was estimated using the Mitsunaga and Nayar method [9]. Note that only one CRF and one weighting function among the 12



Fig. 3. Weighting function $\omega(I_{\theta})$ used in this Letter.



Fig. 4. (a)–(d) Sub-sampled polarization RGB images (without color correction) captured by an IMX250 MYR sensor. (e)–(p) Applying the weighting function over the 12 channels.

channels are shown for convenience, since the different curves are very similar for this sensor. Figure 4 is a visualization of the well-exposedness where all channels are represented in false color. The scene is a plastic roll tape with a uniform and flat black background (HpLi zone), and a directional illuminant coming from the right, which generates highlights. It can be noted that the polarization and color channels have very different results of well-exposedness, in particular in the light and dark areas.

After applying Eq. (1), I then estimate the Stokes elements S_0 , S_1 , and S_2 . The key is to exploit the redundancy of intensity information that is inherent to PFA sensors, to take into account the potential non-equal contributions of noise during Stokes reconstruction. This redundancy has already been exploited in the literature to remove dead pixels [16], or for spatial resolution enhancement [17]. From the electromagnetic basis theory, S_0 , S_1 , and S_2 can be recovered from all of these equations:

$$S_{0,1,c} = I_{0,c} + I_{90,c},$$

$$S_{0,2,c} = I_{45,c} + I_{135,c},$$

$$S_{1,1,c} = I_{0,c} - I_{90,c},$$

$$S_{1,2,c} = 2I_{0,c} - I_{45,c} - I_{135,c},$$

$$S_{1,3,c} = I_{45,c} - 2I_{90,c} + I_{135,c},$$

$$S_{2,1,c} = I_{45,c} - I_{135,c},$$

$$S_{2,2,c} = -I_{0,c} + 2I_{45,c} - I_{90,c},$$

$$S_{2,3,c} = I_{0,c} + I_{90,c} - 2I_{135,c},$$

where $S_{0,M,c}$ are computed with M = 2 ways for each of the three color channels, whereas $S_{1,N,c}$ and $S_{2,N,c}$ are computed with N = 3 ways. Taking only the best calculation methods giving the best scores can lead to a sub-optimal selection of the polarization angles. If only three polarization states among the four are used to estimate the Stokes elements, the angle distribution will not be equally spaced between 0° and 180°. It is known that the configuration can affect the system condition, and thus the error performance in terms of SNR [4]. Instead, as in HDRI, one prefers a weighted average fusion technique, to include all the calculation ways, thus involving all of the four available polarization states. As in Ref. [18], it is important to emphasize all measurements at once, using a product

 S_2 should change slightly over the three spectral bands. This assumption is experimentally highlighted in Refs. [20,21], where the differences in degrees of polarization among all spectral channels do not exceed 10%. To verify it on a large dataset, I did a statistical analysis on an existing dataset of noise-corrected RGB-polarization images from Ref. [22]. By computing the DOLP differences by pixel and over all of the observations, it appears that \approx 99% of the total amount of pixels exhibit less than 20% of DOLP differences (see histogram in Fig. S1 in Supplement 1). Therefore, to further reduce the effect of noise in the case of a high variability of Stokes elements, I use a weighted average over the color channels. A threshold *T* is used, which permits to finally estimate S_1 and S_2 as this:

$$\hat{S}_{1,c} = \begin{cases} \hat{S}'_{1,c} & \text{for } \max_{c \in r,g,b} (\text{DOLP}_c) - \min_{c \in r,g,b} (\text{DOLP}_c) \leq T \\ \frac{\sum_{c=r}^{c=b} \sum_{n=1}^{N} \left[W_{S_{1,n,c}} \frac{\hat{S}_{1,n,c}}{\hat{S}_{0,c}} \right]}{\sum_{c=r}^{c=b} \sum_{n=1}^{N} W_{S_{1,n,c}}} & \text{for } \max_{c \in r,g,b} (\text{DOLP}_c) - \min_{c \in r,g,b} (\text{DOLP}_c) > T \end{cases}$$

$$\hat{S}_{2,c} = \begin{cases} \hat{S}'_{2,c} & \text{for } \max_{c \in r,g,b} (\text{DOLP}_c) - \min_{c \in r,g,b} (\text{DOLP}_c) > T \\ \frac{\sum_{c=r}^{c=r} \sum_{n=1}^{N} \left[W_{S_{2,n,c}} \frac{\hat{S}_{2,n,c}}{\hat{S}_{0,c}} \right]}{\sum_{c \in r,g,b}^{c=r} \sum_{n=1}^{N} W_{S_{2,n,c}}} & \text{for } \max_{c \in r,g,b} (\text{DOLP}_c) - \min_{c \in r,g,b} (\text{DOLP}_c) > T \end{cases}$$
(6)

over the weighting scores for each computation way as follows:

$$W_{S_{0,1,c}} = \omega(I_{0,c}) \times \omega(I_{90,c}), W_{S_{0,2,c}} = \omega(I_{45,c}) \times \omega(I_{135,c}), W_{S_{1,1,c}} = \omega(I_{0,c}) \times \omega(I_{90,c}), W_{S_{1,2,c}} = \omega(I_{0,c}) \times \omega(I_{45,c}) \times \omega(I_{135,c}), W_{S_{1,3,c}} = \omega(I_{45,c}) \times \omega(I_{90,c}) \times \omega(I_{135,c}), W_{S_{2,1,c}} = \omega(I_{45,c}) \times \omega(I_{135,c}), W_{S_{2,2,c}} = \omega(I_{0,c}) \times \omega(I_{45,c}) \times \omega(I_{90,c}), W_{S_{2,3,c}} = \omega(I_{0,c}) \times \omega(I_{90,c}) \times \omega(I_{135,c}).$$
(3)

These weight maps will be used to guide the fusion process by the color channel. The estimation of the intensity \hat{S}_0 is then done by

$$\hat{S}_{0,c} = \frac{\sum_{m=1}^{M} W_{S_{0,m,c}} S_{0,m,c}}{\sum_{m=1}^{M} W_{S_{0,m,c}}},$$
(4)

where *m* indexes the number of ways for the S_0 computation.

 \hat{S}_1 and \hat{S}_2 are computed with Eq. (5), using a weighted average similar to that of the intensity. A normalization with respect to S_0 is applied to keep each term proportional to radiometric energy [19]:

$$\hat{S}_{1,c}' = \frac{\sum_{n=1}^{N} W_{S_{1,n,c}} \left[\frac{S_{1,n,c}}{\hat{S}_{0,c}} \right]}{\sum_{n=1}^{N} W_{S_{1,n,c}}},$$
$$\hat{S}_{2,c}' = \frac{\sum_{n=1}^{N} W_{S_{2,n,c}} \left[\frac{S_{2,n,c}}{\hat{S}_{0,c}} \right]}{\sum_{n=1}^{N} W_{S_{2,n,c}}},$$
(5)

where *n* indexes the number of ways for S_1 and S_2 calculations.

Excess noise or nonlinearity in the data can still cause a large variation in the different estimates in Eq. (2). A reasonable assumption made in the literature is that polarization changes slightly with wavelength in the visible spectrum. Thus, S_1 and

The threshold T is initially set to 0.20, but can be adjusted if prior knowledge about wavelength dependence of polarization data is given for a specific application. It should be noted that this weighting leads to equal Stokes elements among all the color channels for the pixel having been detected as highly noisy.

Visual results of applying the proposed method versus the standard one are shown in Fig. 5. The total intensity image S_0 , along with S_0 , S_1 , S_2 , AOLP, and DOLP for channel c = rare visualized. The standard Stokes elements are computed from Eq. (2), where M = N = 1, which is the most employed way to compute Stokes components from four measurements. Figure 5(g) demonstrates the effect of the proposed methodology over a HpHi zone, where highlights are present. The dynamic range in highlight zones have been visually enhanced, especially on the white right side of the tape roll in S_0 and S_1 . In DOLP images, the standard version shows more variance in the dark side of the tape roll and its shadow (LpLi). The same remarks can be made for the AOLP results. For the bottom right side of the tape roll (LpHi), the zone exhibits more smoothness in the AOLP image. A complete visualization for all spectral bands is available in Figs. S3, S4, and S5 in Supplement 1. The noise reduction is even better distinguished for the blue band whose pixel values are close to the noise level of the sensor.

A quantitative evaluation is done using reference HDR data. HDR data are calculated from five exposure times: $\Delta t = 10$, 20, 40, 80, and 160 ms. The middle exposure $\Delta t = 40$ ms is used as a test image. Details about the HDR generation is given in Supplement 1. Then, the reference HDR Stokes images is computed from HDR data, using Eq. (2) with M = N = 1. It is important to note that the Stokes HDR images are generated from the same equations as for the standard one (i.e., without any averaging). peak signal to noise ratio (PSNR) results are shown in Table 1. We can see that the proposed method enhances significantly the Stokes components S_1 and S_2 , especially where low irradiance is present (i.e., for c = b). The



Fig. 5. Top row: standard (std) Stokes computations. Bottom row: proposed Stokes computation [Eq. (7) with T = 20%].

Table 1.PSNR Results for Both ComputationMethods^a

	Standard			Proposed		
	r	g	Ь	r	g	b
S ₀	12.26	17.81	22.18	11.90	16.99	22.30
S ₁	29.85	27.77	21.31	30.10	28.41	24.27
S ₂	23.91	21.77	14.59	30.64	28.84	24.22
DOLP	24.31	22.31	14.72	24.77	23.38	19.79
AOLP	14.14	14.65	12.08	14.38	14.72	11.85

"The HDR reference images are computed from five exposures.

method does not enhance the S_0 component for all the spectral bands.

To conclude, future works on this HDR scheme applied to a single PFA image can be envisaged through an extended quantitative evaluation, along with studying the effect of changing T. Thus, a validation over a large amount of CPFA HDR data could benefit further improvement of the methodology. Moreover, to highlight the potential effects of the proposed weighted average, investigations can be done on computer vision applications that involve ground-truth data, such as for shape from polarization, illumination direction estimation, or diffuse/specular separation.

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. See Supplement 1 for supporting content.

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