

# Solar photosphere magnetization

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#### Bommier, V., 2020, A&A, 634, A40

# Solar photosphere magnetization



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via the law in magnetized media  $\vec{B} = \mu_0 (\vec{H} + \vec{M})$ 

## Observations: a recent review by Horst Balthasar (2018, Solar Phys. 293, 120)

- « The Problem of the Height Dependence of Solar Magnetic Fields in Sunspots »
- any method, from the simplest (model integration like Pahlke & Wiehr, 1990, 6 spectral lines) to the most sophisticated (several node SIR code inversion)
- any telescope (ground-based, spatial like HINODE/SOT/SP)

#### all agree into

 $|dBz/dz| \approx 3 G/km$  (vertical gradient) whereas  $|dBx/dx + dBy/dy| \approx 0.3 G/km$  (horizontal gradient)

⇒ divergence ≠ 0

much larger than the measurement inaccuracies

for 1.5e-3 polarimetric accuracy, typically 10 G inaccuracy on the longitudinal field and 20 G inaccuracy on the transverse field (Bommier, V., 2007, A&A, 464, 323 and further results.)

Sami Solanki (2003, Astron. Astrophys. Rev., 11, 153) wrote on p. 184 « No satisfactory solution has been found as yet for the unexpectedly small vertical gradients obtained by applying the div B = 0 condition. »

### What is measured is H

Zeeman hamiltonian of an atom embedded in magnetised matter  $-\mu_0 \vec{m} \cdot \vec{H}$  ( $\vec{m}$ : atomic magnetic moment)

First demonstration in Langevin (1905, Annales de Chimie et de Physique, 5, 70)

Our demonstration:

After a macroscopic average:

$$\vec{B} = \mu_0 \left( \vec{H} + \vec{M} \right)$$

 $\vec{B}$ : the magnetic *induction* 

 $\vec{H}$ : the magnetic *field* 

*M*: the density of magnetic moments or *magnetization*, including

- the atomic magnetic moments  $\vec{m}$
- the magnetic moment of the free charges spiralling about the field

Magnetic energy in a magnetized medium

$$\frac{1}{2} \int \vec{H} \cdot \vec{B} \ d^3 \vec{r} = \frac{\mu_0}{2} \int \vec{H} \cdot (\vec{H} + \vec{M}) \ d^3 \vec{r} = \underbrace{\frac{\mu_0}{2} \int H^2 \ d^3 \vec{r}}_{\text{field energy}} + \underbrace{\frac{\mu_0}{2} \int \vec{M} \cdot \vec{H} \ d^3 \vec{r}}_{\text{matter energy in the field}}$$

- taking into account the external field source contribution (Jackson, 1975), the Zeeman hamiltonian results into  $-\mu_n \vec{m} \cdot \vec{H}$
- the surrounding magnetic moments originate the depolarizing field  $\vec{H}_d \subset \vec{H}$  (Weiss, 1907, Journal de Physique Théorique et Appliquée, 6, 661)

## $\underline{\text{div } H}$ may be non-zero, but $\underline{\text{div } H}$ has to be fed via $\underline{\text{div } M}$

in a plasma 
$$\mu_0 \vec{M} = -\frac{\beta}{2} \vec{B}$$

in the solar photosphere the neutral H density is  $n_{H} \sim 10^{16} \text{ cm}^{-3} \Rightarrow \text{neutral } \beta \sim 1$ 

but the electron density is  $n_e \sim 10^{12} \text{ cm}^{-3} \Rightarrow \text{charged } \beta \sim 10^{-4} \Rightarrow \mu_0 \vec{M} \ll \mu_0 \vec{H}, \vec{B}$ 

# Our proposal for fedding div H: the <u>electron thermal escape inside the Sun</u>

- at 0.5  $R_{\odot}$ , the e<sup>-</sup> thermal velocity is 14 × the escape velocity (protons 0.34)
- initially, e<sup>-</sup> and protons are in same number
  - their electric field roughly cancel by pair
  - therefore, an escaping e- is submitted to the electric field of a single proton
- at 0.5  $R_{\odot}$ , the e<sup>-</sup> thermal velocity is 6 × the escape velocity from the corresponding proton
- but when the electron density decreases, the electron becomes submitted to several protons
  - the density ratio for the e- thermal velocity 3 x smaller than the escape velocity from protons is  $\sim 6 \times 10^3 \approx 18^3$
- each layer expands towards exterior up to 9 = 18/2 x its width. The spreading velocity is extremely slow (1.7 m/year)
- the summation over 9 layers densities leads to e-photosphere density similar to the H density
- at the H density, |dHz/dz| ≈ 3 G/km is recovered
- the corresponding protons remain inside the star (total charge  $\sim 0$ )

## Rebuild $\vec{B}$ (for MHD modeling) from the $\vec{H}$ measurements

 $\vec{B}$  is responsible for the Lorentz forces induced on the charged matter by the magnetic field

For rebuilding  $\vec{B}$ , 2 possibilities:

rebuilding 
$$\vec{B}$$
, 2 possibilities: 
$$\vec{B} = \mu_0 \left( \vec{H} + \vec{M} \right)$$

$$- \text{ if the charge density } n_{ep} \text{ is known for computing } \beta \text{ (of charges)}: \quad \mu_0 \vec{M} = -\frac{\beta}{2} \vec{B}$$
  $\Rightarrow \mu_0 \vec{H} = \left( 1 + \frac{\beta}{2} \right) \vec{B}$ 

- else, numerically rebuild  $\vec{M}$  from its measured divergence  $\operatorname{div} \vec{M} = -\operatorname{div} \vec{H}$ 
  - $-\operatorname{div} M$  is known because  $\operatorname{div} H$  is measured (from 2-line measurements)
  - the direction of  $\hat{M}$  is known because  $\hat{B}, \hat{H}, \hat{M}$  are all parallel
    - $\Rightarrow$  the derivative of M along its direction is known
    - allocate an appropriate limit condition