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Internal Temperature Measurements by X-Ray Diffraction on Magnetic Nanoparticles Heated by a High-Frequency Magnetic Field

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Abstract: There is a theoretical and experimental controversy on the possibility for magnetic nanoparticles (MNPs) heated by high-frequency magnetic fields to reach a temperature much larger than the one of their environments. Here the internal temperature of magnetically heated magnetite MNPs is measured using the temperature dependence of their lattice parameter, and compared to the one of their environments, measured from reference non-magnetic particles. Within the uncertainty of our experimental methods, which is estimated to be below 5°C, the MNP temperature is the same as the one of their environments.

Keywords: X-rays diffraction; Local temperature; Inductive heating; magnetic nanoparticles; Synthetic natural gas;

1. Introduction

The fact that magnetic nanoparticles (MNPs) generate heat when they are excited by a high-frequency magnetic field permits various potential applications like tumor therapy¹, catalysis² or water electrolysis³. This diversification has been made possible thanks to continued progresses in the fabrication of chemically-synthesized MNPs, improving the control over their size, shape (core-shell structure, surface morphology), chemical composition and heating power⁴. Magnetic heating allows transferring the energy directly to the MNPs without the need to heat the surrounding (catalysis reactor, human body, electrolyte) and has also the advantage of a fast heat transfer with a quick start-stop, which is an advantage for applications aiming at storing excess energy from renewable sources².

Another potential advantage of magnetic heating is the subject of a controversy, which started in the field of magnetic hyperthermia. In 2002, it was proposed that allowing MNPs to enter inside tumor cells could be more efficient because the heat generation as well as the temperature rise, being intracellular, would be more efficient⁵. A few years later, it was convincingly argued, using standard heat diffusion equations, that the temperature gradient around magnetically heated single MNPs or micron-size assemblies of MNPs should not exceed the mK. It means that, at the cell level, the temperature has to be considered as homogeneous⁶. However, in 2010, Villanueva et al. showed for the first time that, during in vitro experiments, tumor cells could be killed without any global rise of the temperature, renewing
the hypothesis that localized heating occurred and could be efficient to induce cell death. These biology results have since then been confirmed by several groups, including us.

Most probes used during standard experiments measure temperatures at the millimeter scale, much larger than the scale where the local thermal gradients are hypothesized to occur. Several groups have developed ingenious strategies to map temperature gradients in the vicinity of the MNP surfaces using molecular or fluorescent probes. All of them led to the conclusion that, indeed, NPs in liquid media produce and sustain a significant temperature gradient \( \Delta T = [6^\circ C - 90^\circ C] \) in their immediate vicinity when heated by radiofrequency magnetic fields. In a recent review, Cazares-Cortes summarizes in a figure the results issued from the aforementioned experiments and interprets the general trend as showing a strong thermal gradient from the surface of the nanoparticles to the surrounding medium.

On the theoretical side, things are less unanimous. A comparison with theoretical heat transfer mechanisms would suggest that, with dimension similar to that of the phonons’ mean free path, heat transport around MNPs is not diffusive but ballistic, and Fourier law is not valid anymore. On the other side, Keblinski et al. suggest that the heat flow in liquids can be well described by the diffusive heat equations even at the nanoscale. Adding to the confusion, some authors give theoretical arguments against nanoscale thermal phenomena. A recent paper from Chiu-Lam and al. summarizes the clash between theoretical predictions and experimental observations. Current investigations on nanoscale thermal transport rather focus on NP-fluid interfacial properties.

The convincing experimental results coming from the biology side have led our group – which also works on the catalysis side –, to hope that, in chemical reactions where MNPs are both the heating agents and the catalysts, strong nanoscale gradients could also be observed in the vicinity of MNPs. In applications where energy efficiency matters, such as the Sabatier reaction used for power-to-gas, this would permit to heat the catalyst without heating the support and the reactor, permitting energy savings, a potentiality that we have named “cold catalysis”.

In the present article, we report on the measurements, in solid-state samples where MNPs are grafted on a support, of the gradient occurring between the MNPs and their surroundings. To probe the MNP temperature, we have used an original approach, which consists in deducing the MNP temperature from the temperature dependence of their lattice parameter, using X-Ray diffraction (XRD) on a synchrotron beamline. This approach permits, for the first time, to measure the internal temperature of magnetically heated MNPs, and not the temperature in their vicinity. To measure the mean temperature of the medium, a reference material (i.e. with a strong temperature dependence of its lattice parameter) was added to the sample under the form of micron-size boron nitride (BN) particles, the temperature of which was also deduced using the same method. We did not detect any temperature gradient between the MNPs and the medium; if the latter exists, it is within the error bar of our method.
which is estimated to be around 5°C. The potential reasons for this absence of temperature gradient are discussed.

2. Methods

2.1. Magnetic field source

The electromagnet was a toroidal ferrite (Ferroxcube 3C95) wound with Litz wire (RUPALIT Safety V155 480x0.071) and encapsulated in a plastic jacket. The gap has to be as small as possible to enhance the field, but required to be at least 3 mm wide to fit a 2 mm diameter capillary and to avoid to cut the diffracted beam. The gap was opened with a diamond wheel saw and beveled at 38° to permit to get the largest possible portion of the diffracted beam. The electromagnet was mounted in series with a rotary variable air capacitor that is able to support high alternating currents without heating, contrary to chemical capacitors. At maximum power, the setup was fed with a voltage \( V_{\text{rms}} = 56.6 \) V and an alternating current \( I_{\text{rms}} = 2.5 \) A (high-speed bipolar amplifier HSA 4052) at frequency \( f = 270 \) kHz, for a total power of 140 W. The magnetic field generated in the gap had a maximal intensity \( \mu_0 H_{\text{max}} = 45 \) mT. The electromagnet was cooled down by a forced air flow through the tubular arm structure.

2.2. Beamline detection

The detector usually used for XRPD, a CMOS 2D detector, was perturbed by the electromagnetic field of the electromagnet. It was replaced by an image plate detector MAR 345. However, the reference diffractogram for the SiRAIOx powder (see below) was measured using the first detector.

3. Results and discussion

The initial studied samples were SiRAIOx-supported (γ-Al₂O₃) catalyst consisting of 10 wt% BN and 13 wt% FeC MNPs that corresponds to 1% volume fraction. As will be explained below, the final samples on which nanoscale temperature measurements have been performed are samples where the NPs have been oxidized. NP synthesis is detailed in the Supplementary Information. TEM structural analysis shows that the NPs are well dispersed with a size distribution of 14.6 ± 1.1 nm. The measured SAR value in a toluene solution was of ca. 2000 W·g⁻¹ under 47 mT magnetic field and 100 kHz frequency. For a typical sample prepared in the glove box, FeC NPs (60 mg, Fe content ca. 75%) were dispersed in toluene (10 ml). Then, the catalyst (SiRAIOx, 400 mg) was added to the dispersion and the mixture sonicated for 20 min. At the end, the excess of toluene was removed under vacuum. The yield is ca. 420 mg of FeC / SiRAIOx and the Fe content determined by Inductively Coupled Plasma (ICP) is 9.15 wt%.

\textit{In situ} X-Ray powder diffraction (XRPD) measurements were performed at the BM31 line of the Swiss-Norwegian Beamlines located at the European Synchrotron Radiation Facility (ESRF) in Grenoble, France. A scheme of the experimental configuration under magnetic field can be seen in Figure 1. Special attention was given to the geometry of the coil to fit the beamline configuration as well as the field intensity requirements. High-resolution-XRPD data were collected with the standard BM31 setup, using wavelengths of \( \lambda = 0.49417 \) Å. Powder samples were put inside a quartz capillary which had a length of 60 mm, a diameter of 2 mm and a wall
thickens superior to 0.02 mm\textsuperscript{34}. Capillaries with 1 mm outer diameter were also used, but the volume of powder was not sufficient to observe a sufficient heating under rf field excitation. The catalyst was diluted with the required amount of hexagonal boron nitride (h-BN) (BNhcp Alfa Aesar 99.5% CAS: 10043-11-5), loaded into the quartz capillary and sealed with a high temperature epoxy glue. The sample was heated by a vertical hot air blower for calibration experiments or by the electromagnet.

Figure 1. Representation of the X-rays set-up configuration with alternating magnetic field excitation.

The sample was originally designed to make on the same sample the experiments described in this article as well as an in-situ monitoring by XRD and EXAFS of the Sabatier reaction under a high-frequency magnetic field. This explains the structure of our sample, which is composed of FeC MNPs as heating agent supported on SiRAIOx powder.

Figure 2 shows the XRD diffraction of our sample. The SiRAIOx diffractogram shows that the powder is almost amorphous (cf. black curve on Figure 2) and is responsible of the heavy background. The diffraction patterns of the sample show the contributions of the FeC and h-BN phases, broaden by the SiRAIOx background. As a preliminary test to confirm the heating power of the NPs, the sample was heated by the magnetic field in absence of a gas flow. The temperature of the capillary surface, measured by an infrared camera, was 121 °C. Then, we measured the evolution of the sample heated by the hot air blower during an overnight temperature cycle. The sample was heated up to 225°C (blower temperature) before cooling down back to room temperature. The diffraction patterns obtained after heating clearly show an oxidation (green curve on Figure 2) with a phase transformation of the FeC to magnetite (Fe\textsubscript{3}O\textsubscript{4}) or maghemite (γ-Fe\textsubscript{2}O\textsubscript{3}). The oxidation was not expected and we
guess it is due to a leak from the capillary’s seal. The fit made with the software Maud\textsuperscript{35} highlights the different phases of the species present inside the sample. The presence of the Fe\textsubscript{3}O\textsubscript{4} phase is consistent with the standard pattern for JCPDS Card No. (79 - 0417) Magnetite – synthetic\textsuperscript{36} and permit to completely fit the diffractogram, suggesting that the FeC was fully oxidized and disappeared below the detection level inside the background. The SiRAlOx alone was fitted with Maud and included as a background baseline. The fit was performed using only the Fd-3m:1 cubic phase for the Fe\textsubscript{3}O\textsubscript{4} and the P-6 hexagonal phase for the BN. We reasonably assumed that no further evolution subsists at the issue of the oxidation that could affect the lattice parameter and impair the results. The peak resolution is strongly degraded by the SiRAlOx background and we can only base the analysis of the diffraction angle shift in temperature on high intensity peaks. Hence, we focus on the small angles part of the diffractogram, namely the range $2\theta = [4^\circ, 12.5^\circ]$, where different Fe\textsubscript{3}O\textsubscript{4} planes, in addition to h-BN peak, are clearly identifiable after oxidation (the positions of the peak of interest are indicated by grey vertical dotted lines on Figure 2).

![Diffractogram of SiRAlOx support (black curve), FeC supported sample before (blue curve) and after (green curve) heating. The positions of the different phases of FeC, Fe\textsubscript{3}O\textsubscript{4}, SiRAlOx and h-BN determined by the fit are indicated on the bottom panel. Vertical dotted lines are guide for the eyes to see the Fe\textsubscript{3}O\textsubscript{4} phases corresponding to peaks in the oxidized sample.](image)

The evolution of the diffraction pattern in the temperature range $T = [23^\circ\text{C} - 190^\circ\text{C}]$ is presented in Figure 3. A zoom in on each peak helps the visibility. There are four Fe\textsubscript{3}O\textsubscript{4} peaks corresponding to the [111], [220], [311] and [222] crystallographic planes centered at 5.85°, 8.5°, 9.55°, 11.2° and 11.8° respectively. The Fe\textsubscript{3}O\textsubscript{4} [222] plane is merged with a SiRAlOx [110] plane. The peak centered at 8.52° corresponds to the h-BN [002] plane. Clearly the shift of the
boron nitride peak in temperature is more important than for the other peaks. It will be used as a reference to know the mean temperature inside the sample.

In a material the lattice parameter $a$ is given by Bragg’s law:

$$a = \frac{n\lambda \sqrt{h^2 + k^2 + l^2}}{2 \sin \theta},$$  \hspace{1cm} (1)

with $h, k, l$ the Miller’s indices characterizing a plane, $\lambda$ the X-ray wavelength and $\theta$ the diffraction angle. The lattice parameter variation is related to the temperature variation $\Delta T = T - T_0$ by the thermal expansion coefficient $\alpha_c (~10^{-5}K^{-1}$ in our case):

$$a = a_0 (1 + \alpha_c \Delta T),$$  \hspace{1cm} (2)

![Graph showing the evolution of Fe$_3$O$_4$ [111], [220], [311], [222] and BN [002] planes in function of the temperature.](image)

Figure 3. Evolution of Fe$_3$O$_4$ [111], [220], [311], [222] and BN [002] planes in function of the temperature.

The calibration law $\Delta(2\theta) = 2\theta_T - 2\theta_{T_0} = f(\Delta T)$ of each plane is presented in Figure 4. The $2\theta$ position of each peak is determined from a fit with a gaussian function and is related to the lattice parameter via equation (1). The error bars on the heating $\Delta T$ are obtained from the covariance matrix of the least squares gaussian fit function. The standard deviation on the temperature, related to the measurement error using the blower, was arbitrarily fixed to an overestimated value of 1°C. The lattice parameter is calculated by an orthogonal distance regression fit of equation (2) that includes the standard deviation (error bars). The R-square parameter corresponding to the variance of the data with a linear regression fit is given in the legend. An agreement better than 1% is obtained for the h-BN [002] and Fe$_3$O$_4$ [311] planes. It corresponds to a thermal expansion coefficient of the c-axis $\alpha_c = 44 \times 10^{-6} K^{-1}$ and a-axis
\( \alpha_a = 10.94 \times 10^{-6} \ K^{-1} \) respectively which are in good agreement with the literature (cf. Table 1). We will focus on these two peaks to probe the temperature variation under magnetic field with the best accuracy.

<table>
<thead>
<tr>
<th></th>
<th>h-BN [002]</th>
<th>Fe O (_3) [311]</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Experiment</td>
<td>Literature (^{37})</td>
</tr>
<tr>
<td>( a, c ) (_{25°C})</td>
<td>( c = 6.6626 \ \text{Å} )</td>
<td>( c = 6.66 \ \text{Å} )</td>
</tr>
<tr>
<td>( \alpha_c )</td>
<td>( 44 \times 10^{-6} \ K^{-1} )</td>
<td>( 37 \times 10^{-6} \ K^{-1} )</td>
</tr>
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</table>

*Table 1. Lattice parameter and thermal expansion coefficient of BN [002] and Fe\(_3\)O\(_4\) [311] planes calculated from the linear fit of the data shown in Figure 4 and comparison with the literature.*

![Figure 4](image_url)

*Figure 4. Calibration curve of the lattice parameter shift in function of the temperature.*

The hot air blower was replaced by the electromagnet for experiments described thereafter. X-rays diffraction pattern was recorded at regular interval of time before turning on the electromagnet (room temperature regime), under magnetic field application (heating regime) and after the field was turned off (cooling temperature regime). Due to the time scales of the measuring technique, only stationary temperature gradients could be measured. The possibility to measure transient temperature gradient profile and how it may change the result of the experiment will be discussed at the end of the article. The angle shift of the different peaks was measured and converted into a temperature value using the calibration law previously obtained. The heating of the BN and Fe\(_3\)O\(_4\) NPs is shown in Figure 5. They are at the same temperature (no heating) before applying the magnetic field. Then, the field is turned on and the particles heating evolves similarly. Finally, when the field is turned off, the temperature inside the NPs decreases at the same speed.
Using the initial slope method, the temperature sweeping rate permits to estimate a lower limit for the SAR of the particles: 0.5 W/g. One reason for this low value is that particles are supported on a solid matrix and thus not able to form chains\textsuperscript{39}. Part of the heat is also afforded to the sample from the electromagnet. It affects h-BN and iron peaks, similarly, acting as an offset in the measurements. The heating measured by the IR camera at $t = 1142$ sec (Figure 5) is $\Delta T = 95$ °C on the surface of the capillary and $\Delta T = 6$ °C on the surface of the electromagnet. The thermal inertia of the electromagnet (with a maximal heating of $\Delta T = 49$ °C) is responsible for the residual heating observed after the magnetic field was turned off”.

We measure a maximum heating for the MNPs of $\Delta T = 63.7 \pm 4.6^\circ C$ and for the h-BN particles of $\Delta T = 62.7 \pm 0.3^\circ C$. The maximum heating $\Delta T$ obtained from the other peaks corresponding to different Fe\textsubscript{3}O\textsubscript{4} crystallographic planes is similar even though the measurement uncertainty is more important (cf. Table 2) due to a poorer resolution. These results show that there is no significant temperature gradient between the Fe\textsubscript{3}O\textsubscript{4} MNP core and the surrounding powder.

<table>
<thead>
<tr>
<th>$\Delta T$</th>
<th>h-BN [002]</th>
<th>Fe\textsubscript{3}O\textsubscript{4} [311]</th>
<th>Fe\textsubscript{3}O\textsubscript{4} [220]</th>
<th>Fe\textsubscript{3}O\textsubscript{4} [222]</th>
<th>Fe\textsubscript{3}O\textsubscript{4} [111]</th>
</tr>
</thead>
<tbody>
<tr>
<td>$\sigma$</td>
<td>0.35</td>
<td>4.62</td>
<td>19.36</td>
<td>37.98</td>
<td>76.56</td>
</tr>
</tbody>
</table>

| Table 2. Maximum heating and standard deviation calculated from the BN and Fe\textsubscript{3}O\textsubscript{4} peak shifts under RF magnetic field. |

![Figure 5](image.png)

Figure 5. Heating inside the FeC MNPs and BN NPs in presence (H field ON area) and absence (H field OFF area) of a RF magnetic field. The temperature variation is calculated from the lattice parameter variation of Fe\textsubscript{3}O\textsubscript{4} [311] and BN [002] planes respectively.

At first sight, this result could appear in contradiction with experimental results of the literature\textsuperscript{15, 17, 18, 19, 21, 23}. However, two important differences between previous experimental results and ours should be noted, and might be at the origin of the difference: i) all other
groups evaluated the temperature using the physical properties of an organic agent external to the MNPs: the thermal degradation of a ligand\textsuperscript{15, 17, 18, 19} or the fluorescence of a lanthanide complex\textsuperscript{21, 23}. ii) all other groups performed their experiments on colloidal solutions, i.e. with MNPs in liquid phase.

With respect to i), we wonder if it would be possible that the large temperatures measured by organic entities in the vicinity of the magnetically excited MNPs could be due to powerful heat impulses. Indeed, the total heat power delivered by single-domain NPs during one cycle of the field equals the loop area. Nevertheless, the heat power is not delivered continuously along time, but presents strong intensity pulses when magnetization jumps, as illustrated in a typical example in Figure 6. The most extreme case occurs when the magnetic field is aligned with the NP anisotropy axis. In this case, the hysteresis loop is a rectangle so all the energy is concentrated in two intense power peaks occurring at the coercive field of the NP. A hypothesis to consider is that the energy released this way would be high enough to break thermosensitive covalent bonds of ligands or decrease the fluorescence of molecules, for example, whereas it would not if the energy was released continuously (green dotted curve in Figure 6). In this case, experiments would conclude to a local heating even though there is none.

\begin{figure}[h]
\centering
\includegraphics[width=0.5\textwidth]{figure6.png}
\caption{Instantaneous (blue line) and time averaged (green dotted line) power released by one NP during one hysteresis loop (shown in inset).}
\end{figure}

With respect to ii), it is a well-known fact that, in liquid phase, MNPs excited by an external magnetic field form chains, which are sometimes several tens or hundreds of microns wide, depending on the MNP properties, their functionalization, the magnetic field amplitude, and so forth\textsuperscript{39, 40, 41, 42}. When such chains form, the measured “local” temperature is not the temperature at the surface of an isolated nanoscale object, but the temperature at the surface and/or inside a micron-scale magnetically heated assembly of MNPs. Since the temperature gradient at the surface or inside an object heated from inside scales as the volume/surface ratio of this object, one can easily conclude that the temperature gradient might be much larger in these chains than in isolated MNPs. For instance, our group has recently shown that,
when millimeter chains are formed, gradients which are probably of the order of several tens of degrees build up\textsuperscript{42}. Although this hypothesis is appealing and casts doubts on the experimental results obtained by other groups, a detailed reading of these works make, in our opinion, this hypothesis unlikely to explain all, if any, experimental results. In Clerc and al.\textsuperscript{20}, MNPs are internalized in lysosomes so only assemblies with a maximum size of one micron could form, which is insufficient to generate a 14°C gradient using standard diffusion equations. In the case of Piñol and al.\textsuperscript{23}, the fact that small (10 nm) superparamagnetic particles are embedded in a rather thick polymer matrix makes unlikely the appearance of strong dipolar interactions between beads and thus the formation of thick chains. In Riedinger et al., particles are 15 nm in diameter, a size where significant dipolar interactions could build up, but significant temperature gradients are observed even when a small magnetic field of 9 mT is applied\textsuperscript{15}.

A last hypothesis related to ii) is that, in our case, heat diffusion through the solid support would be much more efficient than in a liquid environment. However, to explain the discrepancy between our results and the ones from the literature, the difference in the diffusion coefficient should have to be of several orders of magnitude, as already discussed in several previous experimental results\textsuperscript{15, 21}. Experiments similar to the ones described here but performed on particles in liquid could permit to eliminate or reinforce the hypotheses formulated above. For now, the problem remains open to new experimental and theoretical investigations.

4. Conclusions

We have measured the inner temperature of MNPs heated by a rf magnetic field. It is a turnabout in the methodology compare to all previous experiments that consist in designing probes that get closer to the surface of the nanoparticle. Our method is a powerful tool to measure the gradient between the internal temperature of the MNPs and the mean temperature of the sample. It could be used to measure the temperature gradient of particles supported on different media, or into water, since the gradient could strongly vary depending on the nature of the MNP-substrate link. Our results show that, if a gradient appears at the interface between the MNPs and the solid-state catalytic bed, it is of rather small amplitude. Our work thus brings a new brick on the active debate on the nanoscale gradient of magnetically heated MNPs.

Conflict of Interest: The authors declare no competing financial interest.

Supporting Information Available: Detailed synthesis of the nanoparticles.

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Figure 7. TOC Graphic