**ARTICLE** APL Photonics scitation.org/journal/app

# Hyperspectral topography of the twisted, cholesteric patterns of an insect cuticle under various conditions of helix obliquity

Cite as: APL Photon. 5, 096102 (2020); doi: 10.1063/5.0019039 Submitted: 19 June 2020 · Accepted: 23 August 2020 ·

Published Online: 4 September 2020







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#### **ABSTRACT**

Twisted cholesteric liquid crystal patterns are found in the iridescent chitin-containing cuticles of many insects. They may exhibit spatial variation in the helical pitch and in the orientation of the helix axis, as in the two-band, green and silver cuticle of the scarab beetle, Chrysina gloriosa, which is the focus of the present study. The silver bands are pattern-free, whereas the green bands exhibit an array of microcells. By hyperspectral microscopy with 6 nm spectral resolution in the range of 400 nm-1000 nm, we investigated the topography of twisted cuticular structures under various orientations of the helical axis, from an orientation close to the normal to the cuticle surface in the silver bands to a spatially varying orientation in the microcells. We deal with two aspects of the topography: the shape of the surface at the interface between the transparent wax layer and the chitin-protein matrix, which is a challenging task since the cuticle is covered by the wax layer preventing direct topographic measurements by standard techniques, and the features of the deep layers in the cuticle, by addressing the distribution of the helical pitch of the twisted structure at a variable depth. We demonstrate that both types of topographic information are embedded in the hyperspectral data. Specifically, we show that the spatial distribution of the spectral center of mass portrays the geometrical shape of the hexagonal microcells. Furthermore, we evidence the spectral signature of the structural patterns located at the edges of the microcells.

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#### I. INTRODUCTION

#### A. Tessellated cuticles in biology, biophysics, and optics

Insect cuticles have been pivotal to the successful adaptation of these organisms to the external environment. Many insects, such as butterflies<sup>2,3</sup> and scarab beetles,<sup>4-6</sup> and a few fruits<sup>7,8</sup> exhibit a tessellated (patterned) wing or cuticle with bumps, pits, pixels, bands, spots, or patches with a diversity of iridescent colors.

Both the exocuticle and the endocuticle of the insects may be affected by the twisted, cholesteric liquid crystal (CLC) structure of pseudolayers of chitin macromolecules into a hierarchical organization [Fig. 1(a)], 10 which causes spatial variation in the index of refraction and is the origin of Bragg reflections leading to iridescent colors. The term pseudolayers is used instead of layers because the

CLC structure is not a layered system. The CLC structure is often drawn as a stack of layers with an orientational order of rod-like molecules in each plane and rotation by a constant angle of each plane with respect to its neighbors [Fig. 1(a)]. However, this representation is only a guide for the observer, and these layers have no physical basis. When the CLC structure is modeled as a layered system, each layer behaves like a uniaxial anisotropic medium with the slow axis parallel to the rod-like molecules and the fast axis perpendicular to them. The two axes twist regularly and without discontinuity from layer to layer. When light propagates through a CLC in the Bragg regime, the medium behaves like a multilayer system, producing interferential colors.

At normal incidence, the reflection wavelength  $\lambda_0$  is directly proportional to the helical pitch p as  $\lambda_0 = np$ , where  $n = (n_o + n_e)/2$ is the average refractive index and  $n_o$  and  $n_e$  are the ordinary and

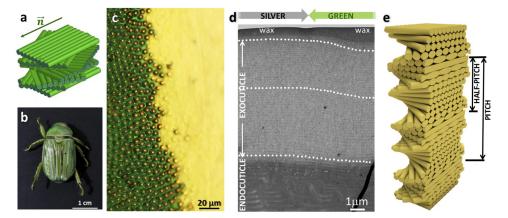


FIG. 1. (a) In the insect cuticle, chitin macromolecules form fibrils that wrap with proteins and assemble into fibers, which assemble into bundles. The bundles arrange themselves parallel to each other and form pseudolayers. Finally, the chitin fiber-protein pseudolayers stack into a twisted plywood Bouligand structure with the pseudolayers rotated around the normal axis of the cuticle. The structure is not a discrete multilayer system since a continuous twist occurs along the axis perpendicular to the fibers, which interpenetrate from pseudolayer to pseudolayer. For this reason, the term pseudolayers is preferred over the term layers. A  $360^{\circ}$  rotation of the fiber orientation  $\bar{n}$  defines the helical pitch [adapted with permission from Zhang et al., Sci. Rep. 6, 26249 (2016). Copyright 2016 Author(s), licensed under a Creative Commons Attribution 4.0 Licenses  $^{19}$ ]. (b) Two-band iridescent cuticle of *Chrysina gloriosa*. (c) Green and silver bands at their interface as observed by optical microscopy (reflection mode, unpolarized light). (d) TeM images of transverse structures at the interface between green and silver bands and close to the top surface. White dots underline the stripes in the fingerprint texture. The distance between two identical stripes is related to the helical half-pitch. A pitch gradient occurs from the top to the bottom of the chitinous part of the cuticle. Stripes are curved below polygonal cells in the upper green region and progressively become straight in the rest of the structure. All the stripes related to the silver band are straight. (e) Transverse cut of the twisted plywood model showing the relationship between the half-pitch and the distance between two (bright or dark) stripes with the same contrast in the fingerprint texture [shown in (d) and in Fig. 4(a)]. Adapted with permission from Weaver et al., Science 336, 1275–1280 (2012). Copyright 2012 AAAS.

extraordinary indices of refraction, respectively, which are measured in directions perpendicular and parallel to the local uniaxial molecular director. Inside the Bragg band and for normal incidence, the reflected light is circularly polarized with a left- or right-handed sense identical to the helix sense. Only first-order Bragg reflection is possible for normal incidence. When the helical axis is tilted at an angle  $\theta$  relative to the direction of the light propagation, the reflection wavelength is  $\lambda_0 = np\cos\theta = n\ p_{eff}$ , where  $p_{eff}$  is termed as the *effective pitch* of the twisted structure in the current article. All order reflections may occur at oblique incidence or when the helical structure is tilted.

# B. The two-band cuticle of the scarab beetle, *Chrysina gloriosa*

Beetles from the genus *Chrysina*, also named *jewel scarabs*, show vibrant reflection colors from bright green to metallic silvergold, indicating both selective and broadband reflection. <sup>12,13</sup> One of the most spectacular and emblematic *Chrysina* species is *Chrysina gloriosa* [Fig. 1(b)], on which we focus our attention. This scarab beetle is found in southwestern North America to Central America in pine, pine-oak, and juniper forests. Its cuticle exhibits alternating green and silver bands. The green bands exhibit a cellular polygonal texture, as seen by optical microscopy [Fig. 1(c), left]. Each polygonal cell contains a bright yellow core with orange edges surrounded by a dark-green region, with a brighter green rim delimiting the cells. The silver bands exhibit a nonpatterned planar texture [Fig. 1(c), right]. Previous studies on the cuticle of *C. gloriosa* have observed the cellular structure of concentric rings in the green bands

by transmission electron microscopy (TEM) investigations<sup>14</sup> or by fluorescence confocal microscopy, <sup>15</sup> the polarizing properties of the cuticle by Mueller-matrix spectroscopic ellipsometry, <sup>16</sup> the existence of an array of multiwavelength micromirrors in the green bands, <sup>17</sup> and the generation of self-healing Bessel beams from polygonal cells. <sup>18</sup>

In the following paragraph, we summarize the main information learned from nature about the structure and the optical response of both bands.

Cross-sectional TEM views of the green and silver bands show a typical cholesteric fingerprint (stripe) texture [Fig. 1(d)]. The axis of the helix lies in the plane of the image in Fig. 1(d). The fingerprint texture of the (unlayered) cholesteric structure appears as a network of alternating bright and dark stripes. This periodic network, thus, arises from periodic modulation, along the helix axis, of the orientation of the molecular director  $\vec{n}$  [the orientation of the elongated chitin fibers drawn in Fig. 1(a)] and the refractive index. The helical axis is perpendicular to the stripes. The distance between two identical stripes is related to the half-pitch of the twisted organization of chitin fibers because on a distance between two identical lines, a 180° rotation of the molecular director occurs, and not a 360° full rotation, which is related to a full pitch. Owing to the head-tail symmetry of the building blocks [the cylinders in Fig. 1(a)], the periodicity of the fingerprint texture is related to the half-pitch because the cholesteric structure looks the same physically and has the same dielectric properties after a 180° rotation [Fig. 1(e)]. In the green bands, the cuticle displays curved stripes in the upper part of the exocuticle. These curved stripes correspond to regions with an oblique orientation of the helical axis relative to the surface. The stripes are

parallel in the endocuticle, which is the lowest part of the chitin-made matrix of the cuticle. In the silver bands, the stripes are parallel over the whole thickness of the cuticle, and the helical axis is thus kept constant. For both bands, a pitch gradient occurs from the top of the exocuticule to the bottom of the endocuticle—typically from ~280 nm to 900 nm (see Sec. III A). The silver band plays the role of a flat metallic reflector operating over the visible spectrum and into the infrared spectrum.<sup>17</sup>

#### C. Motivation of the research

Investigations of the optical properties of insect cuticles benefit from advanced nondestructive methods to increase the statistics of acquisition and data. The reliability of the results benefits from multiple analyses of a common pool of samples. As an illustration, the generation of self-healing Bessel beams from polygonal cells that belong to the green band was recently demonstrated by using geometric phase microscopy. 18 Another approach consists of combining spectrophotometry and microscopy in a single-view evaluation. Hyperspectral imaging (HSI) is a major choice in this objective. It identifies the spectral signature of components, textures, or multilayer organization in a wide variety of media and distinguishes the individual spectral responses from the collective response. 21,22 Hyperspectral imaging is widely used for the study of living matter, especially for the monitoring of plants intended for food, such as wheat kernels, 23 lettuce, 24 and fruits. 25 Animal tissues have also benefited from this technique, with, for example, the study of cuttlefish camouflage<sup>26</sup> or the search for nanoparticles in ex vivo porcine skin.

In the field of synthetic CLCs, we have shown that hyperspectral imaging is a powerful tool to identify, quantify, and compare the spectral signature of chiral patterns at the surface and in the bulk of samples.<sup>28</sup> The optical texture of polygons in the green bands of C. gloriosa looks like very similar to the polygonal texture found in cholesteric oligomer films.<sup>29</sup> In a recent paper,<sup>30</sup> we have used the hyperspectral imaging technique to lead a dual investigation of the optical response of artificial and biological materials. It has revealed major differences such as opposite distributions of the spectral center of mass. Here, we aim to conduct a fundamental study focused on the spatio-spectral reflectivity of the C. gloriosa two-band cuticle by combining hyperspectral imaging and TEM. Our choice of C. gloriosa is motivated by the presence, in a single and unique layer, of extreme cases of obliquity because of the orientation of the helical axis of the twisted organization of chitin macromolecules: the obliquity ranges from an orientation close to the normal to the cuticle surface in the silver bands to a spatially varying obliquity in the microcells that make up the green

The manuscript is organized as follows. First, we give a general framework to the study with a qualitative analysis (hyperspectral datacubes) and a quantitative analysis (reflectivity and spectral center of mass) of green and silver bands. Then, we connect the structural information given by the TEM imaging of a cross section of a green band to its hyperspectral signature. For this description, we choose two specific regions of the cuticle—at the apex of a polygonal cell and in between two polygonal cells—which correspond to opposite curvatures in the twisted structure. Finally, with the unique help of the non-destructive hyperspectral imaging technique, the study

leads us to the topography of a set of microcells in the green band. We deal with two aspects of the topography:

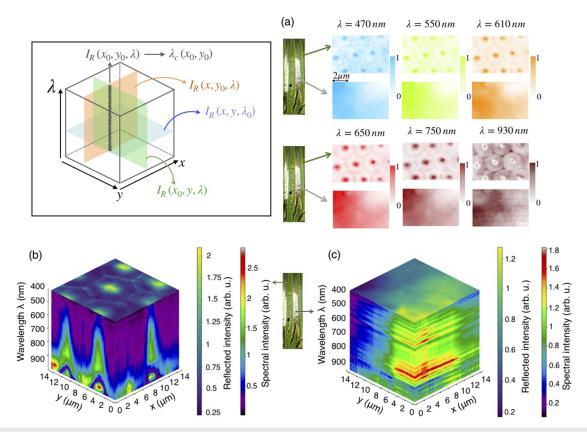
- the shape of the surface at the interface between the transparent wax layer and the chitin-protein matrix; this is a challenging task since the cuticle is covered by the wax layer preventing direct topographic measurements by standard techniques such as scanning electron microscopy (SEM) and atomic force microscopy (AFM); and
- the features of the deep layers in the cuticle, at a variable depth: we investigate the x-y distribution of the pitch of the twisted structure at different z-values; the pitch varies with the depth in two ways: (i) a pitch gradient occurs from the top of exocuticle to the bottom of the endocuticle; (ii) the orientation of the helical axis varies in specific regions of the cuticle—for this second type of variation, we will define an effective (apparent) pitch, different from the natural pitch of the twisted structure.

During this topographic study, the spectral signature of the fingerprint patterns following the tilted alignment of the helical axis is revealed, although these conditions are unfavorable to Bragg light reflections.

# II. HYPERSPECTRAL VIEW OF THE TWO-BAND CUTICLE OF CHRYSINA GLORIOSA

In the current experiment, a hyperspectral microscope,<sup>31</sup> described elsewhere (supplementary material, Fig. S1), is used to analyze the light reflected by the cuticle when illuminated by a nonpolarized tungsten halogen lamp. Both green and silver bands are under study. The spectral data are acquired with 6 nm span, while the lateral spatial resolution is about 300 nm (see Sec. V and the supplementary material). The instrument output is a dataset of 13.3M points, which correspond to an image with 512  $\star$  128 pixels<sup>2</sup>, each being spectrally resolved with a 6 nm resolution over the range of 400 nm-1000 nm. To provide an overview of the type of available data and cartographies, the inset of Fig. 2 illustrates the salient outcomes of the hyperspectral analysis to specify the type of data and maps that will be presented later. A threedimensional graphic of  $I_R(x, y, \lambda)$  enables visualization of the interdependence between the spatial modulation of the light reflected by the sample  $I_R$  and the gradual spectral changes. The hyperspectral cube, then, features the average reflectivity on the top (as a function of x and y) and the spatially resolved spectral reflectivity in lateral maps. From there, several datasets might be extracted and presented. Each pixel is spectrally resolved  $[I_R(x_0, y_0, \lambda)]$ . For each pixel, the spectral center of mass, or spectral barycenter, can be calculated as  $\lambda_C = \frac{\int M_R(x_0, y_0, \lambda) d\lambda}{\int I_R(x_0, y_0, \lambda) d\lambda}$ . Different cross sections of the cube provide  $I_R(x, y, \lambda_0)$ , monochromatic views of the sample ( $\lambda_0$  varies from 400 nm to 1000 nm with 6 nm increments), and cartographies of the spectral distribution as a function of x [ $I_R(x, y_0, \lambda)$ ] or  $y[I_R(x_0, y, \lambda)].$ 

Figure 2 presents a qualitative view of the hyperspectral analysis for the silver and green bands by means of selected monochromatic pictures and two hyperspectral datacubes. Monochromatic views underline the different structural patterns of the two bands. The green band exhibits reflective hexagonal cells that are regular



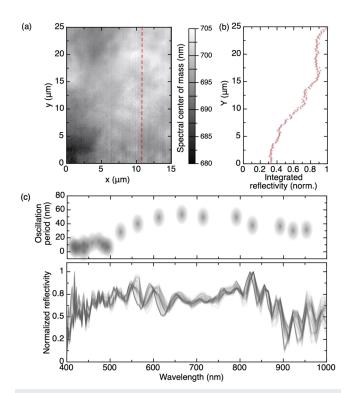
**FIG. 2.** Inset: Example of a hyperspectral datacube, which illustrates the spatio-spectral properties of the sample with two spatial dimensions (x and y) and one spectral dimension ( $\lambda$ ). Illustration of the data extracted from the cube.  $I_R$  is the reflected intensity. One can obtain access to the spectrally resolved intensity reflected by each pixel  $I_R$  ( $x_0, y_0, \lambda$ ), where  $x_0$  and  $y_0$  are the coordinates of a given pixel. This is represented by the charcoal line.  $\lambda_c$  ( $x_0, y_0$ ) is the spectral center of mass calculated for that pixel. Cube cross sections along x, y, and  $\lambda$  provide spatio-spectral maps  $I_R$  ( $x_0, y_0, \lambda$ ) and  $I_R$  ( $x_0, y_0, \lambda$ ) and monochromatic views  $I_R$  ( $x_0, y_0, \lambda$ ) of the samples. (a) A selection of monochromatic images of the green and silver bands of the cuticle. Each image is normalized (white: 0 and dark: 1). Hyperspectral datacubes of the (b) green and (c) silver bands. Two different sets of color bars are associated with each cube. The black-to-yellow color bar indicates the overall reflected intensity (i.e., not spectrally resolved), as plotted on the top of the cube (Y vs X). The second color bar (black-to-red) indicates the reflected spectral intensity, as plotted on the cube sides (wavelength vs X), wavelength vs Y).

in shape and size (~5  $\mu$ m) and visible as such for all wavelengths in Fig. 2(a). The center of the polygon is the brightest part of the cell for wavelengths of up to  $\lambda \approx 900$  nm. Above 900 nm, the reflectivity decreases from the center to the surrounding parts, while the valleys, i.e., the gap between two adjacent polygons, are brighter. Meanwhile, the silver band reveals no particular spatial pattern, only some variations in the reflectivity, which are reproducible for all wavelengths.

A square picture of the samples ( $15 \times 15 \ \mu m^2$ ) is, then, selected to plot the hyperspectral cube. For both bands, the light is reflected over the full incident spectral range ( $400 \ \text{nm}-1000 \ \text{nm}$ ). This is the consequence of the pitch gradient of the twisted structure from the visible to the infrared spectrum, <sup>17</sup> with obviously different spatial distributions of patterns and intensity, as revealed in Fig. 2(b). The complex chromaticity of microcells is illustrated, with a dominant contribution of the hexagon centers. In contrast, the silver band presents a homogeneous, although modulated, spectral response [Fig. 2(c)] as a consequence of the

nontextured nature of silver bands, which act as specular broadband mirrors.  $^{17}\,$ 

Before switching to a detailed analysis of the patterned green band, we focus on the analysis of the silver band, whose response is expected to be less complex since this band is not tessellated. As reported in the Introduction, the reflected central wavelength is linearly dependent on the effective pitch of the cholesteric organization. In the silver band, the effective pitch may be assimilated to the natural pitch because the orientation of the helix axis is constant in space and remains perpendicular to the band [Fig. 1(d)]. The spatial dependence of the spectral center of mass, integrated over the full spectral range, enables us to picture the absence of pitch variations at the surface of the silver band [Fig. 3(a)], with only minor (the center of mass ranges from 680 nm to 705 nm) and random fluctuations. These fluctuations can originate from local variations in reflectivity or spectral inhomogeneity. To discriminate their respective influence, these two quantities are plotted in Figs. 3(b) and 3(c). The y-dependence of reflectivity, integrated



**FIG. 3.** Hyperspectral analysis of the silver band: (a) Spectral center of mass (black to white scale), integrated over the full spectral range, as a function of x and y. The movie displaying the variation of center of mass with the cursor of the cross section can be found in supplementary materials (Movie S.1). The dotted red line shows the location of the cross section whose analysis is presented in (b) and (c). (b) Distribution of the reflectivity integrated over the full spectrum, from 400 nm to 1000 nm, following the cross section as defined in (a). (c) Analysis of the wavelength-dependent reflectivity. Top: Spectral oscillation period as a function of the central wavelength. The clouds indicate the data dispersion ( $\pm 5$  nm). Bottom: The density plot of the 191 normalized reflected spectra following the cross section as defined in (a). The regions with a lower dispersion of spectra correspond to a higher reproducibility.

over the full spectrum shows a smooth increase which could be attributed to impurities (proper to the biological structure in itself or to the sample) or minor and local variations of the orientation of the cholesteric pseudolayers leading to a slight off-axis reflection. Furthermore, the analysis of normalized spectra [Fig. 3(c)] reveals a reproducible and homogeneous behavior: the reflectivity (bottom) is nearly flat over the considered spectrum, with wavelengthdependent spectral oscillations (top). Oscillations, or ripples modulating the reflection spectrum, can be attributed to longitudinal interferences consecutive to the existence of a singular region named the emergence line between the exo- and endocuticles (i.e., a trough in the periodicity variation), as observed by SEM and discussed in Ref. 17. The presence of a ripple structure superimposed onto a broadband plateau is also present in the spectrum of the cuticle of the Chrysina aurigans beetle. 32,33 This set of results confirms that the silver band is essentially a biological broadband chirped reflector.

# III. HYPERSPECTRAL TOPOGRAPHY OF THE IRIDESCENT MICROCELLS AND ITS RELATIONSHIP WITH THE COMPLEX TWISTED STRUCTURE

#### A. Transmission electron imaging of the internal twist

TEM investigation of cross sections of the cuticle reveals the concave shape of each polygonal cell and illustrates the typical cholesteric fingerprint texture, with alternating dark and bright lines [Fig. 4(a)]. The half-pitch of the stripe texture is plotted as a function of the z-depth in the cuticle thickness for a couple of elementary

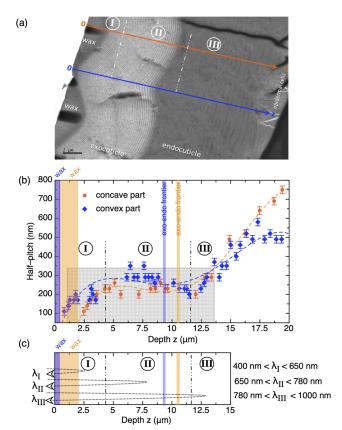


FIG. 4. Submicrometer-scale investigations of the twisted structure in the green part of the cuticle. (a) TEM transverse view, from the top of the cuticle to the epidermis. Bar scale = 2  $\mu$ m. (b) Half-pitch of the twisted structure as a function of the depth in the cuticle thickness as deduced from the image in (a) (see Sec. V). A couple of elementary regions ascribed to the valley between two consecutive polygonal cells—convex part—as shown in Fig. 1(c) (bright green rim), and the apex of a polygonal cell—concave part—are considered. The error bars correspond to the dispersion range. The areas in orange and blue, ascribed to the concave and convex parts, mark the positions of the wax layer and of the frontier between the exocuticle and the endocuticle. The dashed lines are polynomial fits of the data. The reflected central wavelength depends on the pitch. p(z)thus provides an estimation of the dependence of the wavelength on the depth inside the Bragg grating of the cuticle. Each edge of the spectral detection range (400 nm-1000 nm) of the hyperspectral microscope is then related to a z-value, as indicated by the hatched area. Three spatial zones of interest are defined (I, II, and III; see the text). (c) Illustration of the spectral interval transcription of the three identified spatial zones, calculated following the reflected wavelength dependence

regions, which are of considerable interest for the present analysis: the valley between two adjacent hexagons (convex part) and the central part (concave part) [Fig. 4(b)]. One can note that the two curves are originally slightly z-shifted because of differences in the geometrical curvature of cholesteric pseudolayers. However, the half-pitch dependence with z presents an overall similar trend for both regions. Three regions for the half-pitch dependence may be distinguished: (I) an initial graded increase in the half-pitch between 100 nm and 280 nm, (II) a plateau up to the frontier between the exocuticle and endocuticle, and (III) a second graded increase in the half-pitch, linearly up to 750 nm for the concave part and up to 500 nm for the convex part. In the exocuticle, the half-pitch ascribed to the valley is slightly longer than that ascribed to the apex of the polygon. In Fig. 4(b), the z-location of the frontier between the exocuticle and the endocuticle is shifted as a consequence of the difference in concavities of the two regions. Beyond the frontier, the two curves cross each other, and the half-pitch ascribed to the apex of the polygon becomes longer. This qualitative description, thus, enables us to ascribe three spatial zones, to which we will refer to below: (I) pitch increase n°1, (II) plateau, by including the exocuticle-endocuticle frontier, and (III) pitch increase n°2.

In the Bragg regime, the reflected central wavelength depends on the half-pitch, as mentioned in introductory Sec. I A, following  $\lambda_0=np$ , where n=1.63. The measurement of p(z), thus, provides an estimation of  $\lambda_0(z)$ , i.e., the dependence of the reflected wavelength on the penetration depth inside the cuticle. This provides us with two pieces of information. The first one is related to the detection range (400 nm–1000 nm) of the instrument: each spectral edge is related to a penetration depth. As shown in Fig. 4(b), the hyperspectral imaging system, thus, analyzes the light reflected in a thickness of the cuticle ranging from 1  $\mu$ m to 13  $\mu$ m. The detection range is marked as the hatched area in Fig. 4(b). The analyzed light is reflected by the cholesteric pseudolayers for both concave

and convex parts. One has to note that the analyzed cuticle depth is somehow larger than the estimated microscope depth of field (a few  $\mu$ m). However, the experimental z-scan of the sample has not evidenced any significant change in the forthcoming measured spectral distributions. The second information is the spectral transcription of the three identified spatial zones, each of which corresponding to a specific spectral interval, as reported in Fig. 4(c). Salient spatiochromatic features due to the nested helical arcs are then expected, as a spectral signature of the structural complexity of the twisted organization of chiral microcells.

# B. Single-view hyperspectral analysis of a set of hexagonal cells

#### 1. Spatio-spectral maps

A cluster of nine adjacent hexagonal cells is under study. Figure 5(a) shows the raw image of this set, as acquired by the hyperspectral microscope but not spectrally resolved. Two cross sections are indicated, which intercept (i) the center of the hexagons and (ii) the edges of the hexagons. Each cross section intercepts a few valleys. On the basis of these cross sections, Figs. 5(b) and 5(c) display the spatio-spectral maps (see the inset of Fig. 2 for their significance) extracted from the hyperspectral cube, as shown in Fig. 2(b). These maps reveal the selective reflection properties of the green band by distinguishing the contributions of the different parts of the array of microcells.

Cross section (i) [Fig. 5(b)] shows that between 400 nm and 750 nm (zones I and II), the reflection mainly originates from the concave part, i.e., the hexagon center. The intensity ratio between the hexagon centers and the valleys is greater than three. A clear difference between the contributions of concave and convex parts is established for this part of the spectrum. This behavior might be explained by the axicon shape of the outer layers of the exocuticle, as proposed in Ref. 18. Between 750 nm and 900 nm (zone III),

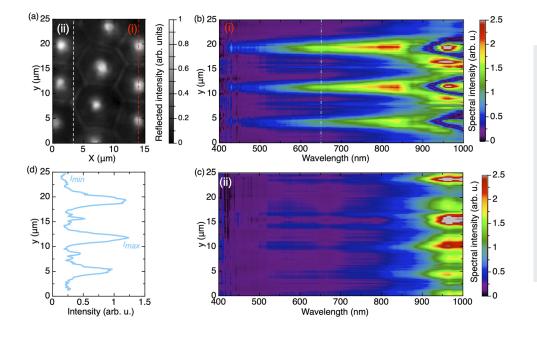


FIG. 5. (a) Optical micrograph (i.e., not spectrally resolved; unpolarized incident light) of a cluster of nine hexagons. The dotted lines indicate two different cross sections, which intercept (i) the center of the hexagons and (ii) the edges of the hexagons. Each cross section intercepts a few valleys. [(b) and (c)] Spatiospectral maps (y vs λ, see Fig. 2) related to the cross sections, as indicated in (a): (i) in (b) and (ii) in (c). A movie displaying the spatio-spectral map changes with the cursor of the cross section can be found lementary materials (Movie S.2). (d) Cross section from (b) (see the blue dotted line): intensity as a function of y for  $\lambda$  = 650 nm.  $I_{max}$  and  $I_{min}$  are used for the visibility factor calculation (see the text).

the spatial reflectivity gains uniformity, and the contributions of concave and convex parts are balanced. Finally, reflectivity in the infrared spectrum, above 900 nm, reveals another spatial pattern underneath the concave part ascribed to the hexagons. This pattern may be attributed to constructive and destructive interferences. Indeed, as known from the previously established dependence of the reflected wavelengths on the depth (Fig. 4), reflectivity above 900 nm corresponds to a depth of  $\sim$ 12  $\mu$ m (beginning of zone III). At this cuticle depth, as shown in Fig. 4, the geometric curvature is greatly reduced, and the pitches are in similar ranges in the endocuticle regardless of whether the measurements are made at the vertical location of convex or concave regions that belong to the upper part of the exocuticle. Thus, the same wavelength can be reflected in the same direction by some pseudolayers presenting a small position offset ( $\Delta z$ ). A simple calculation shows that the phase shift  $(\varphi = \frac{2\pi}{\lambda} n\Delta z)$  accumulated in the structure at a wavelength of 950 nm is  $\pi$  (phase mismatch) for  $\Delta z = 300 \ \mu m$  and  $2\pi$  (phasematch) for  $\Delta z = 600 \, \mu \text{m}$ . The conditions are, therefore, met to induce constructive and destructive interferences in this region of the

Cross section (ii) [Fig. 5(c)] shows, on the contrary, a more homogeneous spatial distribution of the reflectivity, with fewer spatio-spectral structures. We note a low reflectivity in the visible region of the spectrum. Between 800 nm and 1000 nm, the reflectivity gradually increases with an almost twofold higher contribution of the valleys. Movie S2 (supplementary material) dynamically shows the motion of the cross section cursor and the related modifications on the spatio-spectral map, providing insight into the progressive modification of the spectral response of the different parts of the array of hexagons.

A periodic pattern is seen in Fig. 5(d), which displays the *y*-distribution of the intensity at 650 nm along the blue dotted line in Fig. 5(b). This pattern consists of a peak of high intensity, which is related to the location of a valley [bright green rims in Fig. 1(c)]; the pattern repeats three times because three valleys are intercepted, followed by a double (or even triple) peak of lowest intensity. These latter intensity oscillations are intriguing and will be related to the spatio-spectral fingerprint pattern observed at the surroundings of valleys.

HSI analysis has then revealed different contributions from the identified cuticle zones of interest. For the visible part of the spectrum, i.e., zones I and II, the reflected light is concentrated by the concave parts of the outer layers of the exo-cuticle, while zone III is characterized by a dominant contribution of the convex part and interference patterns underneath the concave parts.

#### 2. Hyperspectral topography

Figure 6(a) represents the spatial distribution of the spectral center of mass  $(\lambda_c)$  for the nine hexagons under study. As a first output of the figure, the spectral center of mass perfectly portrays the geometrical shape of the hexagons, as primarily seen in the optical micrograph of Fig. 5(a). However, unlike the raw image, a fingerprint pattern at the interface between two adjacent hexagons, at the junction of valleys delimiting the gaps between cells [bright green rims in Fig. 1(c)], is visible. This observation will be described in Sec. III B 2.

Another remarkable feature originates from the following observation: Plotting the spatial dependence of the center of mass, integrated over the full spectral range, enables visualization of the surface relief of the texture. The nondestructive, single-view,

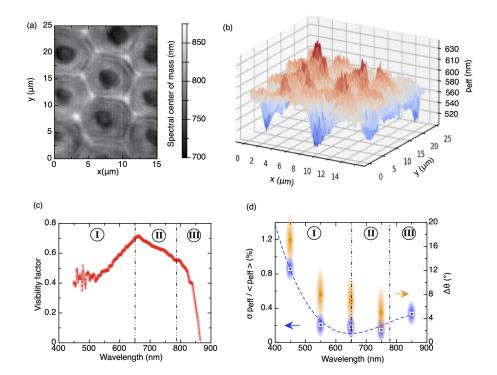


FIG. 6. (a) Spectral center of mass  $\lambda_c$  (black to white scale), integrated over the full spectral range, as a function of x and y. (b) Effective pitch  $p_{eff}$ (blue to red scale and z scale) as a function of x and y.  $p_{eff}$  is defined as  $\lambda_c$  = n p<sub>eff</sub>, with n = 1.63 (value of the average refractive index),34  $\lambda_c$  is the spectral center of mass displayed in (a). (c) Visibility factor of the spatial pattern identified in Fig. 6(b)  $\left(V_p(\lambda) = \frac{I_{max}(\lambda) - I_{min}(\lambda)}{I_{max}(\lambda) + I_{min}(\lambda)}\right)$ as a function of the wavelength, Imax and Imin being defined in Fig. 6(d). (d) Blue: normalized standard deviation of the effective pitch for different spectral ranges of 400 nm-500 nm, 500 nm-600 nm, 600 nm-700 nm, 700 nm-800 nm, and 800 nm-900 nm from the map data in Fig. 6(b). Orange: estimated variation of the helical axis  $\theta$ , calculated after the effective pitch deviation. The clouds indicate the data dispersion. Zones I, II, and III are defined in Fig. 4.

hyperspectral acquisition then provides topographic information about the sample. Indeed, a change in the reflected central wavelength is related to a variation in the effective pitch  $p_{eff}$  of the cholesteric organization. This is even clearer from the 3D view of the spatial pattern of the effective pitch [calculated assuming an average refractive index of n = 1.63, Fig. 6(b)], picturing the axiconlike shape of the microcells. From the center of the microcell to the surrounding valleys, the center of mass is red-shifted [Fig. 6(a)], which corresponds to the increase in the effective pitch [Fig. 6(b)], in relation with the concave curvature of the outer layers of the cuticle. This was investigated in a previous study, in the context of biomimicry.  $^{30}$ 

Here, we focus on another topographical feature revealed by HSI, which is the study of the effective pitch at the surface of different virtual cuts in the cuticle thickness. The concave-convex pattern seen here is not only geometric. Indeed, the spectral barycenter measured over the whole spectrum is related to the integral over the whole thickness d (of the chitinous part of the cuticle) of the pitch p and the angle  $\theta$  between the helical axis and the z-axis (i.e., the obliquity),

$$\lambda_C(x,y) = n \int_0^d p_{eff}(x,y,z) dz = n \int_0^d p(z) \cos \theta(x,y,z) dz, \quad (1)$$

where p(z) accounts for the natural pitch gradient, while  $\theta(x, y, z)$  is related to the local tilt of the helical axis. As known from the TEM investigations (Fig. 4),  $\int_0^d p(z)dz$  is nearly the same for concave and convex areas. The pattern relief observed in Fig. 6(b), thus, mainly originates from the spatial variation in  $\theta(x, y, z)$ . It should be noted that the topographic information available from Fig. 6(b) still integrates the geometrical variation (relief) and the internal pitch distribution (exocuticle and endocuticle). We aim at demonstrating that the spectral signatures of these different contributions are embedded in some specific outputs of the hyperspectral data.

To that purpose, Fig. 6(c) analyzes the spatio-spectral distribution presented in Fig. 5(b) and displays the visibility factor of the signal reflected by the polygon centers for different wavelengths, analyzed over a spatial dimension (y). The visibility factor  $[V_p(\lambda)]$ , in contrast, quantifies the sharpness of the spatial pattern shown in Figs. 5(b) and 5(d),

$$V_p(\lambda) = \frac{I_{max}(\lambda, y) - I_{min}(\lambda, y)}{I_{max}(\lambda, y) + I_{min}(\lambda, y)},$$
(2)

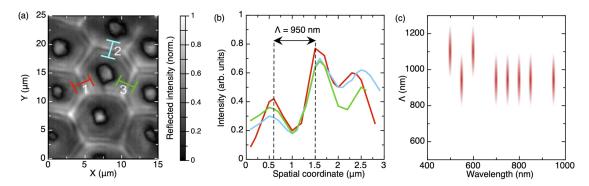
where  $I_{\text{max}}$  is the maximum intensity of the signal as a function of y for a given wavelength and  $I_{\min}$  is the minimum intensity [Fig. 5(d)]. Qualitatively, a low visibility is associated with a homogeneous reflection along the analyzed spatial dimension, while a high visibility corresponds to light concentration by the central part of the microcell, and thus, to the pseudo-layers' curvature. Several conclusions can be drawn from Fig. 6(c). At first, the visibility is high (above 0.5) for 400 nm  $< \lambda < 750$  nm, meaning that the light is mainly reflected by the center because of the pseudolayer curvature, which confirms the spatially changing orientation of the helical axis and off-axis light reflection. Second, the maximum visibility, at ~650 nm, corresponds to the weakly changing pitch underneath the concave part ["plateau" II in Fig. 4(b)]. The number of pseudolayers of equal period is higher, enabling better phase matching of the reflected wave for this wavelength. Finally, the sudden decrease in visibility above 800 nm can be attributed to the fading in the curvature of the pseudolayers. It corresponds to a half-pitch of  $\sim$ 290 nm, which occurs at a depth of  $\sim$ 12  $\mu$ m.

Finally, a way to visualize the progressive attenuation of the local curvature is to divide the wavelength bandgap into five adjacent 100-nm-thick bands. The spectral center of mass and the effective pitch are calculated for each band. To account for the graded pitch, the standard deviation of  $p_{\it eff}$  ( $\sigma_{\it peff}$ ) is normalized with respect to the mean value ( $(p_{eff})$ ) and is plotted in Fig. 6(d) for the five bands. Over one spectral band, the pitch is assumed to be nearly constant. Thus, a larger change in  $\sigma_{peff}/\langle p_{eff}\rangle$  is attributed to a larger change in the helical axis tilt  $\theta$ . Following Eq. (1), the effective pitch deviation enables us to estimate  $\Delta\theta$ , the local variation of the local tilt, for the considered different slices of cuticles. Furthermore, each spectral band can be connected to a cuticle depth based on data from Fig. 4(b). Thus, flattening of the "multilayer" structure with respect to z can be achieved. The fact that the deviation increases slightly above 800 nm is attributed to the interference pattern already observed in the infrared spectral range.

#### 3. Specific spectral fingerprint pattern

A spectral fingerprint pattern with the submicrometer-scale periodicity is visible at the surroundings of the valleys, as seen in the infrared monochromatic images [Fig. 7(a)]. The periodicity is close to 950 nm [Fig. 7(b)]. It is nearly constant with the selected wavelength [Fig. 7(c)], tending to rule out the diffraction effect. This pattern is analyzed as the spectral signature of the local periodicity of the twisted structure with an orientation of the helical axis that is strongly tilted. Curved lines in the valleys of the polygonal texture are attributed to the synthetic cholesteric oligomers, as observed using SEM.<sup>29</sup> Polygonal textures, consisting of a mosaic of polygons of various sizes, can be observed in flat cholesteric films when the helical axis is strongly tilted with respect to the surfaces of the films. This situation is promoted in an open film via hybrid anchoring of molecules, which preferentially align tangentially to the substrate on which the cholesteric material is coated and perpendicular to the air interface. Atomic force microscopy (AFM) images reveal the cone shape of the polygons, which are the locus of curved lines and double-spiral patterns in the fingerprint texture. The relief of the conical polygons (their height is in the 20 nm-100 nm range<sup>29</sup>) results from the competition between the surface energy and the bulk free energy. The surface tension minimizes the surface area by rearranging the fluid interface from a planar state to a polygonal field.<sup>35</sup> The energy is decreased by transforming the free surface into a cone, thus reducing the bulk distortion energy at the expense of the surface energy. The curved lines and the double-spiral patterns correspond to the adaptation of the cholesteric structure to the relief and anchoring conditions at the limits. Close to air, the twisted structure cannot readily adapt to the anchoring conditions. One solution to this boundary problem is to create a series of alternating disclination lines at the surface.

However, the fingerprint texture reported in the abovementioned literature about oblique cholesteric structures corresponds to spatial patterns, as visualized by different direct imaging techniques. To our knowledge, the existence of similar curved lines in the polygonal texture of insects, *C. gloriosa* or other jewel scarabs, has not been reported for two reasons: (i) chitin-made cuticle insects are often covered with wax; this is the case for *C. gloriosa*,



**FIG. 7.** (a) Monochromatic optical micrograph of nine adjacent hexagons in the green band for  $\lambda_0$  = 943 nm (unpolarized incident light). (b) Spatial modulation of the reflected intensity for the three regions of interest indicated in (a).  $\Lambda$  figures the periodicity of the pattern. (c) Dependence of  $\Lambda$  with the incident wavelength. The clouds indicate the data dispersion.

**TABLE I.** Hyperspectral topography of the green band: summary of experimental findings. The measured quantities (data) are defined in Fig. 2 (inset).

Method	Data	Topographic results
TEM	p(z)	Identification of three different spatial zones (I, II, and III) in the cuticle deepness, each of them being related to a reflected spectral interval (Fig. 4).
HSI	$\lambda_c(x,y)$	The calculation of the integrated center of mass evidences the structural curvature of the cholesteric pseudo-layers [Fig. 6(a)]. Furthermore, integrated effective pitch variation pictures the axicon shape of the polygons, in good agreement with the TEM [Fig. 6(b)].
HSI	$I_R(x_0, y, \lambda)$	The spatio-spectral maps identify different contributions from the zone III, with respect to the zones I and II. They suggest a variation of the pseudo-layers curvature in the depth of the cuticle [Fig. 5(b)]. The visibility of the spatio-spectral pattern evidenced above enables to discriminate the optical answer of the three zones and shows a sudden fading of the curvature [Fig. 6(c)]. The deviation of the effective pitch provides an estimation of the flattening of the multi-layer structure [Fig. 6(d)].
HSI	$I_R(x, y, \lambda_0)$	Evidence of the spectral fingerprint pattern (Fig. 7).

whose wax layer exhibits a transverse stripe texture (with the periodicity at the nanoscale, ~28 nm),<sup>37</sup> and by acting as a screen, this coating cannot allow direct visualization in the native state of the cuticle of textures with imaging techniques such as SEM or AFM; (ii) the wax layer could be removed with an appropriate solvent to allow direct imaging, but this solution is not described in the literature. The nondestructive hyperspectral imaging technique, thus, provides the spectral signature of structural patterns, whose spectral signature was also not reported in textures of synthetic oblique CLCs. This result may appear intriguing since the fingerprint texture corresponds to a helical axis lying in the plane of the optical film, whose configuration does not promote Bragg reflections or the detection of a Bragg band using current spectrophotometry methods. The field of view of our hyperspectral

instrument, up to  ${\sim}60^{\circ}$ , 31 may enable visualization of the fingerprint pattern.

To conclude this section, Table I summarizes the experimental findings related to the hyperspectral topography of the green band.

#### **IV. SUMMARY AND CONCLUSIONS**

Using hyperspectral imaging with a 6 nm resolution over the range of 400 nm–1000 nm, we have investigated the topography of CLC structures in the twisted patterns of an iridescent insect cuticle under various conditions of oblique helicity. We have chosen to study the emblematic case of the two-band cuticle of the scarab beetle, *C. gloriosa*. The cuticle of *C. gloriosa* was a prime candidate

for our investigations because it exhibits, in a single and unique biomaterial layer, extreme cases of obliquity because of the orientation of the helical axis of the twisted organization of chitin macromolecules. The obliquity indeed ranges from an orientation close to the normal to the cuticle surface in the silver bands to a spatially varying obliquity in the microcells that make up the green bands. Originally, the spectral signature of the fingerprint patterns was revealed at the junction of rims, the regions between the microcells, at the submicrometer range, although these conditions of a helix lying on the surface of the material under investigation at normal incidence are unfavorable to the characterization of Bragg reflections.

Hyperspectral datacubes were provided for the green and silver bands. They show the average reflectivity on the top (surface of the band) of the cube and the spatially resolved spectral reflectance in two cube sides (wavelength vs each dimension of the surface of the band). The visualization of the hyperspectral cube then inspired a detailed analysis of the patterned green band. The hyperspectral topography of nine adjacent microcells is linked to their complex twisted structure, as observed by TEM in cross-sectional views. By distinguishing the contributions of the different parts of the array of microcells, the spatio-spectral maps of cross sections are provided in three regions of interest along a line: crossing the center of three hexagons, passing through their edges, and intercepting the rims between cells. The spatial distribution of the spectral center of mass was also investigated for the nine hexagons. It perfectly portrays the geometrical shape of the hexagons. Plotting the spatial dependence of the center of mass enables visualization of the surface relief of the cuticle patterns. It mainly originates from the 3D spatial variation of the tilt angle of the helix axis. The topographic information integrates the geometrical variations (relief) and the internal twist distribution in the exocuticle and in the endocuticle. To visualize the progressive attenuation of the local tilt of the helix axis in the cuticle depth, the wavelength bandgap is divided into six adjacent 100-nmthick bands. The spectral center of mass and the effective pitch are calculated for each of the band.

Hyperspectral microscopy, relying on a wide field-of-view, common-path, and static setup, could advantageously be coupled to phase microscopy. The latter has recently been used to provide 3D imaging of the surface layers of the exocuticle of *C. gloriosa* and to analyze the reflected beam. Spectral resolution of the measured optical path would then provide 3D imaging of the inner layers as well.

Chiral patterns of tessellated cuticles may constitute an important source of inspiration in the field of non-specular properties such as deflection and lensing in geometric phase planar optics<sup>38–40</sup> or in modern cryptography,<sup>41,42</sup> for which complex twisted organizations are aimed at different length scales. The technical requirements for cryptography usefully include not only high spatial resolution but also high spectral resolution. The optical pattern appropriate for an individual twisted microcell, including its confinement among the neighboring cells and the characteristics of the incident light (angle and polarization), is highly specific. An array of polygons creates colorful patterns that are argued to be unique since their relative positions, sizes, and optical responses are not clonable and are hard to predict. Artificial tags inspired by the multiplicity of the spectral behavior of the twisted microcells could be used in object authentication.

#### V. MATERIALS AND METHODS

Biological sample. A male specimen was collected at Madera Canyon (Santa Cruz County, Arizona, USA) in July 2014.

Inclusions of samples for ultramicrotomy. The cuticle samples correspond to the elytra and were removed with a razor blade. A small piece of material was embedded in EMbed-812 resin (Electron Microscopy Sciences) that was then cured at  $60\,^{\circ}$ C for 48 h.

Preparation of samples for TEM. A diamond knife at ambient temperature was used to cut 80-nm-thick ultrathin slices with a Leica UCT ultramicrotome. The material was cut perpendicularly to the film surface (cross sections). Slices were retrieved on single-slot formvar-coated copper grids (GS2x1-C3, Gilder Grids Ltd.). The slice photographed in Fig. 1(d) was observed in its native state. The slice photographed in Fig. 4(a) was stained with Urany-Less (brand mixture of lanthanides from Delta microscopy) for 20 min and with 3% Reynolds lead citrate (from Chromalys) for 5 min.

Periodicity profiles from TEM images. The distance between two consecutive dark lines was measured from the fingerprint texture in the TEM image, as shown in Fig. 4(a), and related to the half pitch of the twisted structure of the chitinous part of the cuticle. For the depth measurements, the z-axis was taken as perpendicular to the stripes of the fingerprint texture along two directions that correspond to two typical regions of the cuticle: the convex part ascribed to the valley in between two consecutive polygonal cells and the concave part ascribed to a polygonal cell. The z-axis intercepts the highest (resp. lowest) part of the convex (resp. concave) part of structures. The zero-abscissa is taken at the interface between the wax and the exterior in both cases. Measurements are interrupted when the contrast in the fingerprint texture in the TEM image is too low.

Hyperspectral microscopy: optical setup and analysis. Hyperspectral imaging provides an image of a given sample, spectrally resolved with numerous narrow and adjacent spectral bands. In the current experiment, we make use of a previously described liquid-crystal-based reflective hyperspectral microscope, relying on Fourier spectrometry. The illuminating lamp source is a tungsten halogen lamp. Köhler illumination scheme is employed. The lateral spatial resolution is fixed by the microscope (magnification 40 and numerical aperture 0.65) and is 300 nm, measured as the FWHM of the smallest imaged object of a resolution target. The field of view is  $16 \times 64 \ \mu m^2$ . More details about the optical setup and analysis can be found in the supplementary material.

Hyperspectral outputs. As a result, the instrument output is an image with  $512 \times 128$  pixels², each of them being spectrally resolved with a 6 nm resolution over the range of 400 nm–1000 nm, which is a dataset of 13.3M points. The extracted results then include the spectral reflectivity of a given pixel or cluster of pixels, monochromatic images of the sample (100 available between 400 nm and 1000 nm), and finally the typical hyperspectral datacube. All the spectra are normalized with respect to the lamp spectrum. Special care was given to the reproducibility and reliability of the results. Hyperspectral films were acquired and analyzed N times for each sample (with N > 20 for the green band and N > 15 for the silver band).

#### SUPPLEMENTARY MATERIAL

See the supplementary material for a description of the hyperspectral microscope and the acquisition and analysis process. Hyperspectral views (movies) of *Chrysina Gloriosa* are also presented.

#### **ACKNOWLEDGMENTS**

This work was supported by the Agence Nationale de la Recherche (France) under Grant No. ANR-17-CE30-0025. M.M. thanks Dr. E. Hanelt from Wacker Chemie GmbH (Munchen, Germany) for providing him with oligomers and Ms. V. Soldan (METi, CBI, CNRS, University of Toulouse) for her technical assistance with ultramicrotomy and TEM observations of the biological sample.

The authors declare no conflict of interest.

#### **DATA AVAILABILITY**

The data that support the findings of this study are available from the corresponding author upon reasonable request.

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## Supplementary Material

# Hyperspectral topography of the twisted, cholesteric patterns of an insect cuticle under various conditions of helix obliquity

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### 1. Hyperspectral microscopy

## 1.1. Optical setup

*Microscopy*. The experimental setup is sketched in Figure S1. The illuminating lamp source is a tungsten halogen lamp (Fiber-lite DC-950 from Dolan-Jenner). Köhler illumination scheme is employed. The sample is positioned in the focal plane of a microscopic objective. A beam splitter (50:50, Thorlabs) enables the collection of the reflected light. The lateral spatial resolution is fixed by the microscope (magnification 40, numerical aperture 0.65, Nikon) and is about 300 nm, measured as the full-width at half-maximum of the smallest imaged object of a calibration target (close to the theoretical value calculated at the shortest wavelength  $r = \frac{1.22\lambda}{2NA} = 375nm$ ).

HSI: principle. We make use of a homemade, previously described liquid-crystal-based hyperspectral microscope, relying on Fourier spectrometry. <sup>[1, 2]</sup> The microscope can be either transmissive or reflective. <sup>[3]</sup> The principle consists of considering electrically driven nematic liquid crystal (LC) cells as a Fourier spectrometer. <sup>[4, 5, 6]</sup> The introduced optical phase shift is then controlled by the molecular orientation, tuning the LC birefringence. Once inserted into an imaging system with a 2D detector in the image plane, this polarization interferometer becomes an imaging spectrometer or an instrument for hyperspectral imaging. Collinear and

free from moving parts, the setup is characterized by compactness and robustness. Our approach has enabled achieving a high spectral resolution over a broad spectral bandwidth for the following reasons. The spectral resolution of a Fourier spectrometer is inversely proportional to the introduced phase shift. To optimize this value, one needs to consider the use of a thick birefringent medium. We have thus shown the ability to exploit the birefringence of thick nematic cells (200 µm) and to control them dynamically. To avoid diffusion losses during molecular orientation, [7, 8] we exploit the transient relaxation of the molecules. By applying a bias voltage to the cell, the LC molecules are brought out of equilibrium; then, the voltage is switched off, and the LC molecules are dynamically driven back to their resting position. As voltage is applied, a fast scan of the optical phase shift is obtained. The overall phase shift depends on the LC cell thickness and on the LC material and determines the spectral resolution. Here, a 6 nm resolution, corresponding to a  $104\pi$  phase shift, is expected. HSI: experimental details. Two LC cells are needed: a thick one (200 µm), electricallydriven, to provide tunable optical phase-shift and a static, thin cell (25 µm) used as a temporal offset. The LC cells are home-made by using 0.7 mm thick, 25 mm  $\times$  25 mm transverse size, glass substrates (SPI) over which an indium-tin-oxide (ITO) layer is deposited to allow the application of a bias voltage. A thin film of polyvinyl alcohol (PVA) is spin-coated over the ITO and rubbed in order to favour the planar alignment of the LC molecules (LC director is parallel to the confining surfaces of the cell). Adequate-sized spacers are then glued between two substrates and the commercial nematic mixture E7 (Merck) is finally inserted in the cell gap. The cells' clear aperture is 20 mm. Only the first thick cell, providing a variable retardation path for the incoming beam, is electrically addressed with a sinusoidal AC voltage (frequency 1 kHz, maximum peak-to-peak voltage 20V, Tabor Electronics). Including losses on the polarizers (Glan calcite polarizers from Thorlabs), the hyperspectral setup transmission is 40%. Finally, the detector in the image plane is a fast CCD camera (PHOTRON, 512 pixels  $\times$  512

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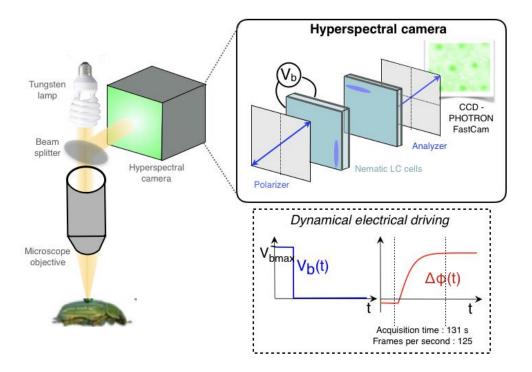
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pixels) enabling kilohertz acquisition rate.



**Figure S.1:** Experimental setup. The sample is positioned in the focal plane of a microscope objective and illuminated with unpolarized white light. A beam splitter enables the collection of the reflected light. The HSI camera consists of two nematic liquid crystal cells placed between two parallel polarizers and a fast camera placed in the image plane. The anchoring conditions are planar (splay configuration) for the two cells. The first polarizer creates two crossed-polarized waves propagating with different velocities in the birefringent medium. One thick cell (200  $\mu$ m), electrically addressed, provides a tunable optical path delay between the two polarization directions. This cell is dynamically driven: the bias voltage (Vb(t)) controls the nematic molecular orientation to tune the introduced optical phase-shift ( $\Delta \phi(t)$ ), as shown in the inset. The voltage step is 20–0 V, and the overall introduced phase shift is  $104\pi$  rad. A thin static cell with a crossed orientation with respect to the first one is used as a temporal offset. The analyzer permits the interference of the two phase-shifted waves. The images are acquired every 8 ms during nematic cell relaxation (> 2 min.) before Fourier treatment of the data. [1]

### 1.2. Acquisition and analysis

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Calibration. The calibration of the tunable phase-shift introduced by the collinear interferometer is first performed by using broadband spectral interferometry, by replacing the CCD camera by a spectrometer the CCD to spectrally resolve the interference pattern between the ordinary and extraordinary polarization components. The tunable phase-shift is measured with a precision better than 250 mrad. More details about the method can be found in Ref. [1, 9, 10, 11, 12] Acquisition. Hyperspectral images are then acquired. As the control LC cell is driven dynamically, the images need to be acquired with a sufficiently fast acquisition rate. The chosen frame rate is 125 frames per second (acquisition period: 8 ms). The image size is fixed to 512 pixels × 218 pixels, as allowed by the chosen acquisition rate on the camera. During the acquisition, successive images are captured by the CCD while tuning the optical path delay, e.g., during the transient reorientation of the LC molecules after changing  $V_b$  max from 20 V to 0 V. The acquisition time is 131 s, as dictated by the relaxation time of the LC reorientation dynamics. The spectral information is then encoded into a temporal interferogram. The acquisition time (seconds) then needs to be converted to a delay (femtoseconds) based on the previously performed calibration. The signal is finally processed for each detected pixel through the inverse Fourier transform.

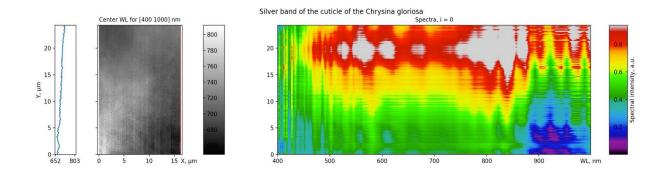
Analysis. Here, independent component analysis (ICA) is implemented to accelerate Fourier processing. <sup>[13]</sup> ICA is a computational method for separating a signal into additive subcomponents, assuming that the subcomponents are independent of each other. In the present case, each temporal interferogram is separated into a linear combination of 5 individual subcomponents, also called sources. Each source is processed through Fourier transform, defining a basis of individual spectra. For a given interferogram, the resulting spectrum is then a linear combination of these spectra. Each source has no physical meaning. Nevertheless, the

method enables a decrease in the noise level and a significant reduction in the analysis time by reducing the number of Fourier transform operations.

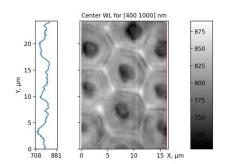
*Outputs.* As a result, the instrument output is an image with 512\*128 pixels, each of which is spectrally resolved with a 6 nm resolution over the range of 400-1000 nm, which is a data set of 13.3M points. All the spectra are normalized with respect to the lamp spectrum. Special care is given to the reproducibility and reliability of the results. Hyperspectral films were acquired and analyzed N times for each sample (with N > 20 for the green band and N > 15 for the silver band).

## 2. Hyperspectral view of the two-band cuticle of Chrysina gloriosa

Hyperspectral data are usually presented as a hyperspectral datacube featuring one spectral dimension ( $\lambda$ ) and two spatial dimensions (x, y). As explained in the main manuscript, different cross-sections of the cube provide different cartographies, including the spectral distribution as a function of y ( $I_R$  ( $x_0$ , y,  $\lambda$ )). The movies shown hereafter display the evolution of this cartography when  $x_0$  varies across the sample under study. The results refer to the analysis of the silver band (movie S1) and to the green band (movie S2), respectively. Data extracted from these movies are presented in Figure 3a, Figure 5b, c and Figure 6a of the manuscript.



**Movie S.1:** Hyperspectral view of the silver band. This movie displays the spectral center of mass (black to white scale) calculated over the range of 400-1000 nm as a function of x and y (left) and a spatio-spectral map (y versus  $\lambda$ ) related to the cross-sections indicated in (a) (right). The letter insert shows the y-dependence of the spectral center of mass, related to the cross-section. When playing the movie, the cursor for the cross-section is displaced along x, from right to left. The i number is a count for the cursor position.



Green band of the cuticle of the Chrysina gloriosa

Spectra, i = 0

2.0 - 1.5 - 2.0 - 2.0

**Movie S.2:** Hyperspectral view of the green band. This movie displays the spectral center of mass (black to white scale) calculated over the range of 400-1000 nm as a function of x and y (left) and a spatio-spectral map (y versus  $\lambda$ ) related to the cross-sections indicated in (a) (right). The letter insert shows the y-dependence of the spectral center of mass, related to the cross-section. When playing the movie, the cursor for the cross-section is displaced along x, from right to left. The i number is a count for the cursor position.

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