Maturation of the European sardine *Sardina pilchardus* under experimental conditions strengthens bioenergetic estimate

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Abstract
This study aims at (1) experimentally estimating first sexual maturation of the European sardine *S. pilchardus*, (2) using the results to calibrate existing bioenergetic models. During the 183 days-experiment, fish growth and body condition were assessed by biometry, and gonads were weighed when present. Age, wet weight and total length at first maturity were estimated at 262 days, 10.79 ± 0.75 g, and 11.26 ± 0.21 cm, respectively. Including these traits in biphasic Von Bertalanffy models did not significantly improve simulations for either length or weight data, meaning that energy allocation was not impacted by these traits. The implementation of the results in the Dynamic Energy Budget (DEB) calibration procedure strengthened the parameter set of the existing model, but resulted in significant changes in the energy allocation. Our results are a first step that will allow the design of new experiments to further quantify maturation and reproduction rates in diverse environmental conditions, consolidating DEB model calibration.

**Keywords:** Bioenergetic modeling, otoliths, first sexual maturity, length-weight relationship, small pelagic fish
1. Introduction

Small pelagic fishes such as the European sardine *Sardina pilchardus* have a strong worldwide economic and ecological importance, as (i) they represent about 20% of global landings of capture fisheries (Ganias, 2014), and (ii) they play a key role in maintaining ecological processes in marine systems, occupying an essential intermediate trophic level in pelagic ecosystems (Bakun, 2006). The populations of sardines display typically strong fluctuations in abundance within their distribution area (Lluch-Belda et al., 1989; Schwartzlose et al., 1999). This can lead to considerable changes in the functioning of the ecosystems, as well as in fisheries (Food and agriculture organization of the United Nations, 2014). These fluctuating abundances, linked to fluctuating stock structure, actually rely on survival and growth rates of the different life-stages, as well as on the reproductive potential of adults, as a function of food resources and abiotic conditions such as temperature (Alheit and Hagen, 1997; Checkley et al., 2009; van der Lingen et al., 2006). The reproductive potential of adults is directly influenced by their first sexual maturity (or puberty), which is the transition from juvenile to adult stage. In particular, the age and length at first sexual maturity partly determine the duration of the reproductive cycle, the duration of the spawning period, and the quantity of spawning stock in the first year of reproduction (Amenzoui et al., 2006; Sinovčić et al., 2008). For example, it has been shown that smaller individuals reached puberty later, displayed a shorter spawning season, and a lower fecundity than larger individuals at the year scale (Amenzoui et al., 2006; Sinovčić et al., 2008). Also, in different populations, length at first sexual maturity has also been related to the maximal length ($L_{\text{max}}$) the fish would reach if they would continue to grow indefinitely (Beverton, 1992; Froese and Binohlan, 2000; Stamps et al., 1998).

The age and length of sardines at first maturity have been previously estimated from specimens taken from the natural environment (Mustać and Sinovčić, 2010; Saraux et al., 2019; Silva et
The first maturity has been shown to generally occur during the end of the first year of life or within the second year (ICES, 2008; Roos, 2009; Sinovčić et al., 2003), but the length at this age varied strongly. Mean length at first sexual maturity ($L_{50}$, when half of the individuals are mature) was estimated between 10.9 cm and 16.8 cm in the Atlanto-Iberian waters, which extend from the Gulf of Cadiz to the northern French waters (i.e. Northern Bay of Biscay; Silva et al., 2006). Later, Alheit and Petitgas (2010) reported a mean $L_{50}$ of 14 cm for the same area. More in the south, Amenzoui et al. (2006) reported a $L_{50}$ of 15.8 cm in the Atlantic Moroccan coast, while 7.9 cm was the $L_{50}$ reported for the Adriatic sea (Sinovčić et al., 2008). This high area-dependent variability of length at first maturity is classically attributed to the influence of environmental conditions, such as food availability and temperature (Amenzoui et al., 2006; Silva et al., 2006; Sinovčić et al., 2008).

If these environmental conditions govern the life history trade-off between maintenance, growth and reproduction, they also partly influence the reallocation of energy from the organs used as storage sites (muscle, liver, and/or viscera) towards gonad development and other reproductive costs (Morgan, 2004). In consequence, the first sexual maturity would lead to a decrease of the body condition just before and/or during the maturation process (Amenzoui et al., 2006; Morgan, 2004; Sinovčić et al., 2008; Sinovčić and Zorica, 2006).

First sexual maturity is thus of primary interest to understand the variability in stock structure. In particular, the relationships between growth, age, and bioenergetics at first sexual maturity are critical parameters to consider in bioenergetic models used in fish stocks assessment models (e.g. Jennings et al., 1999). In simple models such as the Von Bertalanffy one (von Bertalanffy, 1957), somatic growth is determined by the balance between energy assimilation and its utilization for body maintenance, asymptotic size being reached when both are equal. After first sexual maturity, reproduction costs are either a subset of the somatic body maintenance or additional costs. In the latter case, a breakpoint is observed in growth trajectories than can be
modeled by a biphasic extension of simple models (before and after first maturity) (Brunel et al., 2013; Wilson et al., 2018). In a more mechanistic and complex way, the DEB theory ambitions to capture the quantitative aspects of the metabolism of any animal species from a set of three ordinary differential equations which depend on food resources and processes controlled by temperature (Sousa et al., 2010). Assimilated energy is first stored in a reserve compartment, which is then mobilized to fuel two fluxes with a fixed allocation rule along life span: i) somatic growth and its maintenance on one side and ii) maturity maintenance and maturation (in embryos and juveniles), or reproduction (in adults) on the other side. DEB theory includes classical Von Bertalanffy models as special cases at constant food conditions (Kooijman et al., 2008). Biphasic growth models and dynamic energy budget (DEB) theory display a high sensitivity to the partition of energy to growth, maintenance and reproduction parameters in terms of age and length or weight at maturity but for different reasons. In biphasic growth models, age at first maturity initiates costs of reproduction at the expense of somatic growth, while in DEB models, it stops the increase in maturity level (transition from juvenile to adult stage) and initiates the investment in reproduction without impacting growth. These bioenergetic models are usually calibrated using field data. Some classical Von Bertalanffy (e.g. Silva et al., 2008) and DEB models (Gatti et al., 2017; Nunes et al., 2017) were already parameterized for S. pilchardus following this strategy. However, these model calibrations can also be challenged or even improved using experiments under controlled conditions as this allows a detailed quantification of some processes, such as the size at puberty (De Cubber et al., 2019).

To date, several experimental studies were successful to maintain adult sardines in captivity during several months (Bandarra et al., 2018; Caldeira et al., 2014; Garrido et al., 2007; Goetz et al., 2015; Iglesias and Fuentes, 2014; Marçalo et al., 2013, 2008; Olmedo et al., 1990; Queiros et al., 2019). In particular, some studies experimentally described their survival rate, growth
rate, body condition, lipid reserves (Queiros et al., 2019), ingestion capacity (Caldeira et al., 2014; Garrido et al., 2007; Silva et al., 2014), and stress behavior (Goetz et al., 2015; Marçalo et al., 2013). Reproductive function has also been explored experimentally: gonad maturation of adults and unaided spawning have been observed in captivity (e.g. Bandarra et al., 2018; Marçalo et al., 2008; Queiros et al., 2019), and the post-ovulatory follicle formation, as well as egg and larvae development have been described (Iglesias and Fuentes, 2014; Miranda et al., 1990; Perez et al., 1992). But to our knowledge, none of them have quantified the transition from juvenile to adult stage of *S. pilchardus* in captivity.

In this context, the objective of the present study was to use an experimental approach to gain quantitative information on the transition from juvenile to adult phase of the European sardine *S. pilchardus* from the Bay of Biscay. More specifically, we experimentally studied the weight-length growth and its relationships with age during a 6-months period, including the first sexual maturity. Then, these new data were used to challenge and/or to strengthen parameter estimations of two categories of bioenergetic models: classic and biphasic Von Bertalanffy models, and DEB models. New DEB model estimates were confronted to existing ones (Nunes et al., 2017; Gatti et al., 2017). This study will provide better knowledge for management actions of the sardine stock in the very large Bay of Biscay located in the North-East Atlantic Ocean, which supports a rich biodiversity and abundance of marine species, and in which *S. pilchardus* represents one of the most important fisheries (ICES, 2016).
2. Material and methods

2.1. Ethics statement

All fish manipulations were performed according to the Animal Care Committee of France (ACCF) and performed at the Aquarium of La Rochelle facilities. Permissions were required from departmental service of fisheries to collect sardines in their natural environment (authorization n°99–1216). The protocol was approved by the ACCF. All fish manipulations were performed under anaesthesia, and all efforts were made to minimize suffering during manipulation.

2.2. Fish harvest and experimental rearing conditions

2.2.1. Fish harvest

The chronology of experimental design is presented in Fig. 1. A total of 250 fish was sampled in natural environment, during three days of sampling. *S. pilchardus* were trawled by a commercial purse-seiner operating from the port of La Rochelle in the Pertuis d’Antioche (France) on June 20th, 23rd 24th 2014 and transferred at the Aquarium of La Rochelle facilities. Among the 250 fish collected, some individuals were randomly collected in the catches to be weighed and measured at each sampling period (n = 27 fish the 20th June; n = 29 fish the 23 and n= 29 fish the 24th June). On the fishing vessel, all fish were placed into aerated 50 L tanks (~100 individuals per tank) and anesthetized (2-Phenoxyethanol, 99%, Fisher Scientific, Illkirch France) to reduce stress during transportation to Aquarium of La Rochelle premises.
2.2.2. Experimental rearing conditions

Once arrived at the Aquarium of La Rochelle, the 250 fish were transferred into one large rearing tank (8700 L) for the experimentation. During the acclimation period which lasted between 17 and 20 days (from fish arrival to the Aquarium, i.e. from 20th 23rd or 24th of June, until the beginning of the experiment, i.e. the 10th of July), fish were daily fed *ad libitum* with both alive *Artemia sp.* nauplii and frozen cyclops (600 g day$^{-1}$ for the entire rearing tank, Cyclops, Ocean Nutrition, Essen, Belgium).

After the acclimation period, the experimentation extended from the 10th July 2014 (T0) until the 9th January 2015 (183 days, i.e. T183). Fish were maintained in a semi-open recirculating system allowing a daily water renewal rate of 1% and submitted to a single sanitary treatment using Hydrogent® (0.056 mL L$^{-1}$, GERFO, France) and Tenotryl® (0.02 mL L$^{-1}$, Virbac France, France). Water tank temperature was monitored continuously during the experiment (HOBO Pro v2, Onset, Massachusetts, USA), and was 17.1 ± 0.8°C (Fig. 2), corresponding to the temperature observed in June in Pertuis d’Antioche and staying within the temperature range of the Bay of Biscay presented in Gatti et al. (2017, Fig. 2). Fish were exposed to a 12L:12D photoperiod cycle. Water salinity (Practical Salinity Unit) was weekly measured (30.6 ± 1.6 p.s.u.; ODEON salinometer, PONSEL Mesure, France). Fish were daily fed *ad libitum* with 100 g day$^{-1}$ (for the entire tank, i.e. varying between 7.6% of biomass at the beginning of the experiment to 2% of biomass at the end of the experiment, which was considered *ad libitum*) of commercial pellets (Aquafirst 15, TYCA, France) of 0.5 mm diameter (for details on its composition, see Table S1). Feeding was executed by an automatic dispenser placed above the tank. The mortality rate at the end of the experiment was 2% (i.e. n = 5 fish found dead in total).
2.3. Age estimation

During the fish sampling in the trawled site, a total of 18 individuals of *S. pilchardus* was collected on the 20th, 23rd, 24th June 2014 (n = 6 individuals per sampling date) for further age estimation (in days, Fig. 1). Fish were first anesthetized (2-Phenoxyethanol, 99%, Fisher Scientific, Illkirch France), and then sacrificed on board by an overdose of the anesthetic. Left sagittal otoliths were extracted and preserved dry in vials pending analysis, which were further performed at the fisheries ecology laboratory of the UMR ESE in Agrocampus Ouest (France). Otoliths were then embedded individually on microscope slides in thermoplastic epoxy resin (Crystal Bond© 509). To expose inner growth increments, otoliths were polished with a 3 μm lapping film (ESCIL© MOA3). They were then photographed at X400 magnification with a camera-equipped microscope (Zeiss© Primo Star coupled to AxioCam ERC 5s). Image analyses (ImageJ©) allowed at counting growth increments along the post-rostrum axis. Age interpretation was made using the group band reading (GBR) method as recommended by the Working Group on micro-increment daily growth in European Anchovy and Sardine (ICES, 2013).

2.4. Fish sampling during the experiment

2.4.1. Total length and wet weight on alive individuals

In order to follow individual fish growth along the experimental period, 24h-unfed fish were randomly caught into the rearing tank at n = 9 sampling times: T14, T34, T55, T76, T97, T118, T139, T160 and T183 days (Fig. 1); 22 to 32 individuals were sampled at each time using a landing net. These fish were placed in a well-aerated maintenance tank of 50 L containing experimental tank water and Stress Coat solution 0.2 mL L⁻¹ (Poisson d’Or, Belgium) used to protect fish skin and prevent the loss of scales. Fish were then individually anesthetized using tricaine metanesulphonate MS-222 (0.3 g L⁻¹; Sigma-Aldrich, Saint Quentin-Fallavier, France)
under oxygenation before being weighed (W in g) and measured (total length, i.e. L, in cm). They were then transferred into a recovery tank filled with water from the experimental tank, under constant oxygenation and containing Hydrogent® solution (0.056 mL L⁻¹, GERFO, France) to avoid any bacterial contaminations due to manipulation. Once the recovery was completed, fish were transferred back to their experimental tank.

2.4.2. Fish hematocrit and gonad weight on sacrificed individuals

Following a logarithmic scale (at T0, T3, T6, T11, T19, T27, T48, T64, T78, T90, T120, T152, T182 days of the experimental period, Fig. 1), five 24h-unfed fish were randomly sampled in the rearing tank using a landing net (i.e. 13 samplings were done over the six months of the experimental period). This number of five was selected as a compromise in order to have a representative number of individuals, while limiting the change in the group organization (initially n = 250 fish, and n = 185 fish at the end of the experiment). Indeed, changes in schooling structure (fish density, shape …) may have physiological consequences for the individuals of this gregarious species, such as variations in swimming activity and associated energy costs. The five fish were anesthetized with tricaine metanesulphonate MS-222 (0.3 g L⁻¹; Sigma-Aldrich, Saint Quentin-Fallavier, France) to be weighted and measured, as described above. Then, blood was rapidly sampled by caudal puncture using chilled heparinized syringes (heparin concentration: 35-40 mg mL⁻¹, Sigma-Aldrich, Saint Quentin-Fallavier, France). Hematocrit (percentage of red blood cells in the centrifuged blood volume) was determined in duplicate in capillary tubes centrifuged for 3 min at 3000 g at 4°C. Fish were sacrificed by prolonged anesthesia.

Fish were dissected and when present, gonads were removed and weighed. The gonadosomatic index (GSI, % of fresh fish weight) using the following relationship (1):

\[
\text{GSI} = 100 \left( \frac{W_{\text{gonad}}}{W} \right)
\]  

(1)
where $W_{gonad}$ is the weight of gonad and $W$, the wet weight of the 24h-unfed individuals.

Fish with developing gonads were considered to be mature (Silva et al., 2006). The age at first maturity was considered as the age at which at least 50% of the population was mature.

2.5. *Fish condition over the experiment*

2.5.1. *Body condition index and statistics*

Biometrics provided by 2.4.1 and 2.4.2 (n = 327 individuals) during the experiment ($\geq T_0$), added to those obtained from fish sampled on the 20\textsuperscript{th}, 23 and 24\textsuperscript{th} June (n = 87 individuals) before the experiment started, formed the total length and wet weight database used in calculations below (*i.e.* n = 414 in total).

The relationship between the total length ($L$, in cm) and wet weight ($W$, in g) was determined for each fish, according to the equation (2; Ricker, 1973):

$$W = aL^b$$

where, $a$ is a constant, the shape, and $b$ is an allometric coefficient.

For each fish, the relative condition index of Le Cren ($K_n$, Le Cren, 1951, equation 3) was used as a proxy of individual condition. It was chosen because it prevents from the assumption of isometric growth and avoid a potential length effect:

$$K_n = \frac{w}{W_{standard}}$$

where $W$ is the mass of an individual and $W_{standard}$ is the theoretical mass of an individual of a given total length ($L$) predicted by the length-weight relationship described in equation (2).

The higher the $K_n$ index value, the better the condition of the fish.

The effect of experimental conditions on Length-Weight relationships and Le Cren index (comparing the data before and after $T_0$) were performed with ANCOVA on Log $W$ and Log $L$, using the function aov() of R (Version 1.1.453). Significance was considered from $\alpha < 0.05$. 

Normality and homoscedasticity were tested on residuals using Shapiro-Wilk and Bartlett test, respectively.

2.5.2. Bioenergetic modeling

2.5.2.1. Von Bertalanffy modeling (biphasic and classic)

The fish growth was modeled using a biphasic model depending on time described by a set of two equations for juveniles and adults, respectively. The switch depends on time at maturity \( t_{\text{mat}} \) such as in Brunel et al. (2013) but follows Von Bertalanffy laws (von Bertalanffy, 1957), giving for \( W \):

\[
W_J(t) = \frac{a}{b} - (\frac{a}{b} - W(0)^{1/3}) e^{-\frac{b}{3}(t - t_{\text{mat}})} \quad \text{for } t \leq t_{\text{mat}} \text{ i.e. juvenile stage (4)}
\]

\[
W_A(t) = \left( \frac{a}{b+c} - \left( \frac{a}{b+c} - W(\text{mat})^{1/3} \right) e^{-\frac{b+c}{3}(t-t_{\text{mat}})} \right)^3 \quad \text{for } t > t_{\text{mat}} \text{ i.e. adult stage (5)}
\]

where:

- \( t_{\text{mat}} \) was set at when 50\% of fish were mature,
- \( W_J(t) \) and \( W_A(t) \) are \( W \), as a function of time (\( t \)) for juvenile and adult, respectively,
- \( W(0) \) and \( W(\text{mat}) \) are \( W \) at time 0 and at \( t_{\text{mat}} \), respectively,
- \( a, b, c \) are the size-specific rates of energy acquisition and energy use for body maintenance and reproduction, respectively, \( a \) and \( b \) being common for juvenile and adult stages.

The typical Von Bertalanffy parameters, asymptotic weight \( W_{\text{max}} \) and growth rate \( K_{VB} \) can be retrieved as follow for juvenile and adult respectively:

\[
W_{\text{max}J} = \left( \frac{a}{b} \right)^3 \quad \text{and} \quad W_{\text{max}A} = \left( \frac{a}{b+c} \right)^3 \quad (6)
\]

and

\[
K_{VBJ} = b \quad \text{and} \quad K_{VBA} = b + c \quad (7)
\]
For length data, equations are written as follow:

\[ L_J(t) = \frac{a}{b} - \left( \frac{a}{b} - L(0) \right) e^{-b \cdot t} \quad \text{for } t \leq t_{\text{mat}} \text{ i.e. juvenile stage (8)} \]

\[ L_A(t) = \frac{a}{b+c} - \left( \frac{a}{b+c} - L(mat) \right) e^{-(b+c)(t-t_{\text{mat}})} \quad \text{for } t > t_{\text{mat}} \text{ i.e. adult stage (9)} \]

where:
- \( L_J(t) \) and \( L_A(t) \) are \( L \) as a function of time \( t \) for juvenile and adult, respectively,
- \( L(0) \) and \( L(mat) \) are \( L \) at time 0 and at \( t_{\text{mat}} \), respectively,
- \( a, b, c \) are the size-specific rates of energy acquisition and energy use for body maintenance and reproduction, respectively, \( a \) and \( b \) being common for juvenile and adult stages,

with:

\[ L_{\text{max}J} = \frac{a}{b} \quad \text{and} \quad L_{\text{max}A} = \frac{a}{b+c} \quad (10) \]

A temperature effect was introduced in the equations as proposed by Fontoura and Agostinho (1996) but following the correction of the DEB theory. All rates \( a, b, c \) were temperature corrected using the Equation (11), where \( T_A \) is the Arrhenius temperature (K), \( \hat{k}_1 \) the rate of interest at the reference temperature \( T_{\text{ref}} \) (293.15 °K), and \( \hat{k} \) the rate of interest at temperature \( T \) (in °K). \( T_A \) was fixed at 9800 °K as in the DEB calibration procedure.

\[ \hat{k}(T) = \hat{k}_1 \exp \left( \frac{T_A}{T_{\text{ref}}} - \frac{T_A}{T} \right) \quad (11) \]

\( L_0(t) \) and \( W_0(t) \) were settled using the mean of the observed values at \( t_0 \). The \( t_{\text{mat}} \) was settled thanks to the experiment. Fitted parameters are then \( a, b \) and \( c \). If the effect of \( t_{\text{mat}} \) is not significant, the equation for juvenile applies for adults too and parameters are re-calibrated on the full dataset following then a classical Von Bertalanffy model (i.e. \( c=0 \)).

All the growth curve fitting processes and associated statistics were coded in R v.3.5.3 (2019). As temperature varied every day at different rates (Fig. 2), first-order ordinary differential equations (ODE) of Equations (1) and (2) were preferred to simple iteration procedures.
Equations were resolved using the package deSolve (https://CRAN.R-project.org/package=deSolve). Parameter estimations was then performed using an optim() function that minimizes a symmetric bounded loss function (Marques et al., 2018). Standard errors of parameters were evaluated using a bootstrap method with 100 random sampling with replacement of the original data sets. Results are presented using mean with standard error (mean ± SE). All fittings were tested by analysis of variance (significant from $\alpha < 0.001$), and parameter significance by t-test.

2.5.2.2. DEB modeling

A general presentation of the theory and its mathematical formulation is presented in supplementary material (Text S1). Two DEB models were already parameterized for *Sardina pilchardus*. First an abj-DEB model was parameterized using the co-variation method (Lika et al., 2011) and code is freely available (https://www.bio.vu.nl/thb/deb/deblab/add_my_pet/entries_web/Sardina_pilchardus/Sardina_pilchardus_res.html; Nunes et al., 2017). Compared to the standard version (std), the abj model considers a metabolic acceleration between birth and metamorphosis (see S1). Available parameters for this first model are summarized in Table 1A and it will be named AMP_old hereafter. Parametrization was initially done on life history traits, such as age, length, weight at some life stages (called zero-variate data in DEB terminology, see Table 1B), and univariate data such as length over time or age and length-weight relationships (Table 1C). These data originated from studies on *S. pilchardus* done in the Atlanto-Iberian waters (eg. Silva et al., 2006, 2008; Nunes et al., 2011) and were selected at the appreciation of the authors. Except for some L-W measurements, it is worth noticed that all zero and univariate data were provided from *in situ* estimations. Second, a std model was developed on this species by Gatti et al. (2017) using only *in situ* data and following a different calibration procedure that further
benefits from parameters of another species (the European anchovy, *Engraulis encrasicolus*; Gatti et al., 2017). A metabolic acceleration was considered on assimilation flux ($\dot{p}_A$) only (and not concomitantly on the energy conductance) by multiplying $\dot{p}_A$ with a correcting factor (corL):

$$\text{corL} = \min (1, \max (L - L_b + (L_j - L_{f,acc}), f_{acc}))$$  \hspace{1cm} (12)

with the acceleration factor ($f_{acc} = 0.1$), the structural length (L) at birth ($L_b = 0.028$ cm) and at juvenile stage ($L_j = 0.84$ cm). Gatti et al. (2017) calibrated eight parameter sets to their observations. The closest to the observations of the present experiment (see result section for details) is also available in Table 1A.

Simulations using the parameters of these two studies and a new parameter set were confronted to the experimental data of the present study. Hence, one new parameterization procedure following the covariation method (Lika et al., 2011) was performed by integrating results from the present study, i.e. age, length and weight at first sexual maturity (Zero variate data, Table 1B), as well as total length and wet weight versus age (Univariate data, Table 1C) to the data present in the original code of Nunes et al. (2017) (AMP_Old) which were kept identical. However, the original age, weight and length at first sexual maturity were weighed by a zero factor and the new data from the present study were weighed by a ten factor.

The new estimation of parameters (hereafter named AMP_New) was completed using the package DEBtool (as described in Marques et al., 2018) on the software Matlab R2010b. The parameter estimation procedures were evaluated by computing the Mean Relative Errors (MRE), varying from 0, when predictions match data exactly, to infinity when they do not, and the Symmetric Mean Square Errors (SMSE), varying from 0, when predictions match data exactly, to 1 when they do not (Marques et al., 2018). As maturity level ($E_H$) cannot be estimated directly at the start of the experiment of the present study, simulations on the univariate data
(i.e. total length, and wet weight versus age) started with initial values at birth (L=L_b, E=E_b, H=H_b, R=0 and a_0= 6 days) with the respective values of the three parameters sets. From age 6 to age 194 (i.e. before the harvest), temperature followed the one predicted by Gatti et al. (2017, Fig. 2). From age 194 to age 214 days (i.e. the start of the experiment), temperature was assumed to be 17°C, and from age 214 days onwards temperature was monitored daily (Fig. 2). For simplicity, the scaled functional response (f) of AMP_New which was calibrated during the estimation procedure, was also used for AMP_Old to produce the simulations on the univariate data of the present experiment. However, the scaled functional responses for Gatti et al. (2017) parameter sets were adjusted to fit the observations.

Calculations of physical length, wet or dry weight, or gonad wet weight from state variables of the DEB theory are provided in supplementary material. For Gatti et al. (2017), wet weight was estimated as the sum of dry weight, water mass (W_m) and ash mass (W_a), the two latter varying with physical length (L_w, cm) and total energy content (E_tot, kJ), following their own methodology:

\[ W_m = e^{\left(0.84 + 0.2*L_w + 0.28*\ln(E_{tot}) - 0.008*L_w*\ln(E_{tot})\right)} \]  

\[ W_a = e^{\left(-2.93 + 0.91*\ln(W_m)\right)} \]

In all cases, energy in reproduction (E_R) was not considered into the calculation of wet or dry weights. As spawning was not modeled in our model, this could potentially lead to an overestimation of the contribution of reproduction to weight.

3. Results

3.1. Age estimation of fish

At sampling at sea, the age of the 18 juveniles averaged 187.0 ± 11.6 days, 199.7 ± 16.1 days and 203.2 ± 17.7 on June 20th, 23rd and 24th 2014, respectively. These estimates correspond to
a common birth date in December 2013, arguing that all the individuals belong to the same cohort. Thus, the mean age of all the individuals collected was estimated at 194.3 ± 15.4 days on the 20th of June. Their mean age was estimated to be 214.3 ± 15.4 days at the start of the experiment (T0, i.e. the 10th of July, Fig. 1), and 397.3 ± 15.4 days at the end of the experiment (T183).

3.2. Length-weight relationships
The TL-W relationship was described (Fig. 3) as $W = 0.0111 \times TL^{2.96}$ ($R^2 = 0.63$, $n = 86$, $P<0.001$) before the experiment (i.e. before T0, Fig. 1) and $W = 0.0076 \times TL^{2.88}$ ($R^2 = 0.96$, $n = 326$, $P<0.001$) during the experiment. Shape coefficients were significantly different (aov, $P<0.001$) but not the allometric coefficients ($P = 0.745$). There was, in average, a 5-fold increase in $W$ and 1.7-fold increase in $L$ from T20 to T183 (Fig. 3).

3.3. Fish condition and maturation process
Values for Le Cren relative condition index $K_n$, hematocrit and gonad weight of $S. pilchardus$ over the experiment period are summarized in Fig. 4.

$K_n$ was significantly higher during the experimental period (from T0) than before (aov: Le Cren: $F_{1, 412} = 47.08$, p-value = $2.5 \times 10^{-11}$; Fig. 4A). It was $0.93 \pm 0.11$ mg mm$^{-3}$ (min-max: 0.69-1.55) before the experiment, and $1.03 \pm 0.12$ mg mm$^{-3}$ (min-max: 0.721 – 2.12) during the experiment. All along the experiment, Le Cren index remained stable (lm: time-effect: $F_{1, 325} = 0.12$, p-value = 0.7; Fig. 4A). This observation was associated with a mean percentage of hematocrit of $44.30 \pm 1.69$ %, which slightly increased during the experimental period (lm: $F_{1, 54} = 8.80$, p-value = $4.0 \times 10^{-3}$; Fig. 4B).

The gonad weight showed that the fish became mature between T34 (last sampling before T48) and T48 (at which 80% of fish were mature, Fig. 4C). At T48, the first gonads were developed
on four out of the five dissected fish. Thus, T48 (262.2 days of age; fish W = 10.79 ± 0.75 g, fish L = 11.26 ± 0.21 cm) was considered as age of first maturity. Between T48 and T183, i.e. during the adult period of the experiment, the GSI averaged 2.83 ± 2.18 % (min-max: 0.11-7.95, not presented here). The maximum value of GSI observed over the experiment was 7.95% and was recorded at T152 (366.2 days of age).

3.3.1. Bioenergetic: Von bertalanffy models
As the K_n fish body condition index significantly differed between before and during the experiment, only observations from T₀ onwards were used for parameterization of the Von Bertalanffy biphasic models. T_mat was set at 48 days, when 4 out of 5 of sampled fish were mature). The average estimation of weight and length at T₀ for the experimental population were W₀ = 5.22 ± 0.38 g, and L₀ = 8.30 ± 0.47 cm, respectively.

Von Bertalanffy biphasic models were significant for both wet weight (W) and total length (L) measurements (Table 2). However, the two “c” parameters (rates for reproduction) were negative for wet weight and total length, respectively, indicating that the model is inconsistent and over-parameterized. Consequently, a classic Von Bertalanffy model was applied (equations (4) and (6) for juveniles) and similarly performed (Table 2 and Fig. 5A and B). Then, it is concluded that maturity did not provoke a change in the allocation energy strategy under these experimental conditions. Estimated W_max and L_max were 29.05 ± 3.10 g and 15.25 ± 0.81 cm, respectively, and the Von bertalanffy growth rates (K VB = b) at 20°C equal 0.054 ± 0.004 d⁻¹, 0.0178 ± 0.000 d⁻¹ for wet weight and total length, respectively. Note that estimated shape from VB parameters (W_max = 0.0082 L_max³) is very close to the one estimated directly from observations (0.0076).
3.3.2. Bioenergetic: DEB Modeling

Life history traits at puberty used for the initial parameterization (AMP_Old) originated from estimations from in situ data. They were somewhat different than the ones measured in the present experimental study, while temperatures were roughly the same (Table zero variate, Table 1B). In the present study (AMP_New), length at puberty was slightly shorter \( (L_p = 11 \text{ cm} < L_p = 13 \text{ cm}) \) and weight at puberty was half lower than for AMP_Old \( (W_p = 9.8 \text{ g} << W_p = 20 \text{ g}) \). Note that zero variate data are selected on the basis of no food limitation in the DEB calibration procedure (i.e. scaled functional response, \( f = 1 \)). This is why the lowest values of \( L \) and \( W \) of the five individuals sampled at T48 (age at first maturity = 262 d) were selected (Table 1B), i.e. the individual that reached maturity the sooner. Another important change was age at puberty (i.e. first maturity) which was set at 262 days (at 14.4°C) in AMP_New from the present experiment, instead of 365 days (at 15°C) initially used in AMP_Old (note that this value was estimated from in situ data).

After re-parameterization of the AMP data set, fits were excellent for the vast majority of zero-variante (Table 1B) and univariate data (Table 1C and Figs. S2 and S3), both AMP_Old and AMP_New parameter sets (Relative errors are low; Table 1B and 1C), with the exception of the maximum reproduction rate which was underestimated by the new parameterization (RE is 0.59). Drastic changes in parameters occurred for allocation to growth \( (\kappa) \) from 0.33 to 0.89 and maturity level \( (E_{H_\phi}) \) from 74890 to 3065 J. It is worth to mention that the maximum assimilation rate \( (P_{am}) \) decreased by half while somatic maintenance rate \( (P_m) \) increased by 66%. The acceleration rate \( (s_m) \) increased by 65% too. Finally, all scaled functional responses \( (f) \) for in situ data are now comparable \( (f \text{ ca. } 0.8-0.9) \) with the AMP_New, and below 1, which is now coherent. Note that the \( f \) value for uni-variante data is typically around 0.8 as these data are estimated from populations and that all individuals cannot feed ad libitum. As for quality of predictions, the mean relative errors have approximately doubled (from 0.08 to 0.194
between AMP_Old and AMP_New mostly due to the RE of the maximum reproduction rate) and the symmetric mean square errors have tripled (from 0.086 to 0.224). However, these values are still good keeping in mind that new datasets (three zero-variate and two uni-variate data) were implemented in the parameterization code.

In their study, Gatti et al. (2017) calibrated eight different parameter sets for which simulations were performed in the conditions of our experiment. The parameter sets performed roughly the same for length or weight simulations (see Fig. S4), but differed a lot in the predictions of age, length and weight at puberty (Table 3). Range of values were 225–325 days, 10.3–13.6 cm, and 8.9–17.7 g for age, length and wet weight at puberty. The scenario SC1.2 was the closest to the observations of the present experiment (zero-variate data Table 1B and uni-variate data Fig. 4A and B) and was selected for further comparisons with AMP_Old and AMP_New. In particular, simulations of total length and wet weight of the present experiment with the three parameter sets (AMP_Old, AMP_New, and Gatti et al., 2017; SC1.2) were comparable with close values of scaled functional response (f from 0.7 to 0.86; Fig. 5A and B).

The SC1.2 parameter set differs mostly from AMP_Old and New in six main aspects of bioenergetics. $\kappa$ was between the two other parametrizations (0.65); the volume specific costs of structure and the specific maintenance rate were lower than AMP_new by 28% and 70% respectively; the maturity maintenance rate, the energy conductance and the maturation threshold for puberty were one order of magnitude higher than AMP_New parameter set.

4. Discussion

The present work shows that *S. pilchardus* was successfully reared in experimental conditions during six months, and were under favorable growth conditions enabling the cohort to perform its first sexual maturation transitioning from juvenile to adult stages. This original experiment
enabled to strengthen the existing bioenergetic models, by tuning the estimation of DEB parameters of a small pelagic fish of high ecological and economic interests.

4.1. Ageing

The birth date determined in December 2013 in the present study is consistent with observations for S. pilchardus in the wild. Our estimates of age-length relationship based on this birth date determination are in the range of the age-length relationship previously proposed by Silva et al. (2015) for the same species.

4.2. Fish growth during the experiment

The mean linear growth rate determined for juveniles in the present work (0.06 cm day$^{-1}$ from T0 to T48 of the experiment) was about 30% higher than the growth rate previously estimated for S. pilchardus juveniles obtained from the wild (Alemany et al., 2006: 0.04 cm day$^{-1}$ in the Alboran sea; Silva et al., 2015: 0.041 cm day$^{-1}$ in the Western coast of Portugal). This difference would be mainly explained by the ad libitum feeding of fish during our experimental period. Also, the lower energetic constraints (such as foraging activity, routine swimming speed or escape from predators) encountered by fish in experimental conditions than in the wild at both juvenile and adult stages, could explain this difference. We cannot indeed rule out that metabolic process and trade off in energy allocation may probably differ between individuals held in experimental conditions and those growing in completely wild conditions. In that respect, it is worth noticing that the growth dynamics observed in our experiment was similar to that obtained in captivity by Iglesias and Fuentes (2014), and the size (14.5 cm) at 397 days of age similar to that presented in their study.
4.3. *Fish body condition during the experiment*

Fish appeared healthy all over the experimental period, as shown by the condition factors measured (Le Cren relative index and hematocrit). The values of hematocrit are in the same range as those already found in healthy sardines (Marçalo et al., 2006) and rainbow trouts (Trenzado et al., 2009). The slight increase of the hematocrit values measured all along the experiment suggest the absence of stress and the good health status of fish. Stressed fish usually display high hematocrit variability. In addition, an acute stress usually leads to a reduction in hematocrit values in sardine, probably as a result of hemodilution (Marçalo et al., 2008, 2006). This hemodilution is likely due to enhanced gill permeability to seawater in response to stress, leading to the potential for seawater to shift between tissues and blood (Marçalo et al., 2008, 2006). The good health status of the fish during the present experiment is in accordance with the $K_n$ index values, which increased from the capture to the experimental period. The $K_n$ values obtained were in the same range as those reported (ranging from 0.73 to 1.43) for the same species by Brosset et al. (2015).

Our results show that the $K_n$ index seems to slightly decrease during the maturation period, before stabilizing until the end of the experimental period. Such a decrease during the maturation period has already been reported for this species (Brosset et al. 2015), and would be interpreted as the reallocation of fat content towards gonad maturation. During our experiment, adipose tissue was observed until the apparition of gonads but seemed to decrease in mass after gonadic maturation process (visual observations). As gonad development of sardines is known to be dependent on past resources (Ganias, 2014, 2009), this fat deposits have certainly been accumulated both during life period spent in natural environment and during the first weeks of experiments, before being reallocated towards gonad maturation. This result also testifies the good natural initial health status of fish, enabled by the good experimental conditions (no predator, no competition, and no food limitation). In our
study, the fish weight and the GSI index have been measured in not-gutted individuals, including reserves of organs used as storage sites (muscle, liver, and/or viscera). The part of fish reserves that have gone specifically from the muscles to the gonads is therefore unknown. The steady $K_n$ observed until the end of our experiment may reflect a steady fish weight but not necessarily a steady fish condition as a large part of fish reserves may have moved from muscles to gonads during this whole period, and this reallocation may have differed according to maturity stages and sexes.

4.4. Sexual maturation

In the present study, we considered that fish first maturation occurred at 262 days-old, i.e. within the first year of life, which is in accordance with what is usually described in the Bay of Biscay and Adriatic sea (Alheit and Petitgas, 2010; Roos, 2009; Sinovčić et al., 2003). However, it is slightly overestimated as in the experiment, 80% of individuals matured between age of 238 days old (T34 of the experiment) and 262 days old (T48). The development of gonads from mid-August in our experimental conditions corresponds to the natural seasonal pattern of GSI for sardines in Adriatic sea and Aegean sea (Mustać and Sinovčić 2009; Nunes et al., 2011b). It is also in accordance with what is usually found in the Bay of Biscay, where mature sardines are found year round (Alheit and Petitgas, 2010). Gonad wet weights (from 0.1 in July to 1.2 in December) and GSI (from 0.5 in July to 4.5% of the body weight in December) measured in our study were in the same range as those previously reported by Mustać and Sinovčić (2010) for $S. \text{pilchardus}$ in the Adriatic Sea. However, as we calculated GSI using not-gutted fish, it may have been under-estimated in our study.

In the present study, first maturity was reached at a slightly lower length (T48, 11.26 ± 0.21 cm) than usually observed in the Bay of Biscay (around 14 cm, Alheit and Petitgas, 2010; Silva
et al., 2006). It has been reported to be about 12 cm in the Mediterranean Sea (Roos, 2009; Saraux et al., 2019) until 2009, but about 9.6 cm after 2009 (Saraux et al., 2019), 9.92 cm in the Aegean Sea (Nikolioudakis et al., 2014), and around 8 cm in the Adriatic sea (Sinovčić et al., 2008, 2003). Silva et al. (2008) pointed out that sardine populations are genetically homogeneous in the Atlanto-Iberian waters, although some degree of spatial population structuring may be due to local environmental conditions. As maturation period and length at maturity are controlled by many other factors, among which biotic (quality and quantity of food ...) and abiotic factors such as temperature during the juvenile phase (Taranger et al., 2010; van der Lingen et al., 2006), this result clearly supports that an adequate supply and quality of food (higher than in natural environment) associated to the good quality of abiotic environment (i.e., temperature) provided in the present experiment allowed the sardine to mature at a smaller size than usually reported in the Bay of Biscay.

4.5. Bioenergetics

Including age at first maturity determined in the present study in biphasic Von Bertalanffy models did not show any effects on energy allocation towards growth. This is in line with DEB theory in which the allocation to growth and its maintenance is a fixed proportion of mobilized reserves whatever the life stages (see Text S1). Then, the maximum length of ca 15.3 cm estimated using a classical Von Bertalanffy model is in the common size range usually reported in the Bay of Biscay (between 15 and 25 cm; maximum: 28 cm; Coiffec, 2006; Silva, 2003). It was, however, well under what was previously estimated using Von Bertalanffy growth model in the Alboran sea (Alemany et al., 2006) and in the Gulf of Lions (Van Beveren et al., 2014), with 24 cm and from 18.38 cm to 33.57 cm, respectively. Using a Gompertz growth model, Silva et al. (2015) estimated an even lower theoretical maximum length (14.3 cm) than us for
sardines from the northwest coast of Portugal. The narrow range of observations in total length or weight in the present study certainly prevented from getting realistic estimates of the asymptotic weight and total length although the temperature forcing was included in the model. However, AMP_New for *Sardina pilchardus* predicts an ultimate length of 26.3 cm in satiety conditions \((f = 1)\) and of 22.6 cm in our experimental conditions \((at f = 0.86)\). All these results suggest that the theoretical maximum length of *S. pilchardus* could differ according to the growth model used, but could also strongly depend on the home living physico-chemical environment of the sardines, genetic pool (or ecotype). The temperature used in our study \((17.1 \pm 0.8 \, ^\circ C)\) was lower than the temperature measured in the Gulf of Lions (Van Beveren et al., 2014) and the Alboran sea (Alemany et al., 2006), but certainly higher than that measured in the northwest coast of Portugal where a cold upwelling occurs (Silva et al., 2006).

The implementation of the results of the present study within the AMP calibration procedure has changed drastically the estimation of DEB parameters in two main directions. First, age, length and weight at puberty were much lower than in the initial dataset, giving a far lower value of the maturity level threshold (25-fold lower). Silva et al. (2008) indicated that Sardine populations are genetically homogeneous in Atlanto-Iberian waters (see above). This potentially means that traits at maturity may have been overestimated in AMP_Old, due to an inaccurate estimation of environmental parameters, and food availability in particular. As a consequence, investment in reproduction is now considered occurring sooner than before. Second, in our study, the maximum assimilation rate decreased by 2, while the mobilization of reserves and somatic maintenance increased in the same proportion, increasing the allocation fraction to soma by 3 times favoring allocation to growth. The consequence is a lower investment in reproduction. The bioenergetics of the species as described by DEB is now rather different and fits better with several other fish species (Kooijman and Lika, 2014). AMP_New also restores coherence in the scaled functional responses of the univariate data that all approach...
(f = 0.8–0.9). The only noticeable deviance concerns the maximum reproduction rate. However, this value is extremely difficult to estimate accurately for multiple spawners such as *Sardina pilchardus*. In particular, the duration of the spawning season and the frequency of spawning is still difficult to estimate (Gatti et al., 2017) and then the real reproduction rate is uncertain. So, a significant deviance could be considered as acceptable.

Actually, the uncertainty in reproduction rate leads Gatti et al. (2017) to propose eight different parameter sets based on different scenarios of spawning. All these parameter sets performed approximately the same for length and weight data, but simulated a large range in the values of traits at maturity. Our observations allow to select one parameter set (SC1.2) that was close to our observations but still, the bioenergetics are somewhat different. Although maximum assimilation rates are comparable between SC1.2 and AMP_New, the mobilized reserve is allocated differently. Allocation to growth, specific somatic maintenance and volume specific cost of structure are lower in SC1.2 compare to AMP_New. On the contrary, allocation to maturity/reproduction, energy conductance, maturity maintenance rate and maturation threshold for puberty are much higher. Another difference relies in the structure of the Gatti et al. (2017)’s model which is neither a true standard nor a true abj DEB model: acceleration between birth and juvenile was undertaken differently and only partially than an abj model (cf M&M section). Putting aside this structural difference, the different balances in the allocation of energy are most probably linked to the method of estimation of allocation fraction to soma (κ), the maturity maintenance rate (kJ) and the maturation threshold for puberty ($E_{hp}^P$). The calibration procedure of Gatti et al. (2017)’s considered a high value of kJ equal to $k_M$ (the somatic maintenance rate coefficient i.e. the ratio between $p_M$ and $E_G$), which implies that maturity occurs at a fixed length without effect of food availability (Kooijman et al., 2008). On the contrary, in the AMP procedure, it is advised to keep value of kJ low and fixed (Lika et al., 2014). Actually, the only way to better estimate these values whatever the calibration procedure
is to get estimates of reproduction rates and/or length at puberty at different known food rations (Kooijman et al., 2008). Experiments in controlled conditions including different food ration, and during which investment in reproduction and spawning will be measured, would be probably the best way to provide the necessary values to refine bioenergetics in DEB theory and other models in general.

Our study showed that quantifying maturation of *S. pilchardus* in experimental conditions is possible and further experiments are necessary to estimate accurately reproduction rate. This was a significant first step to refine the parameter sets of the DEB theory that could lead a better management of this species evaluation of stocks and exploitation sustainability.

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**Figure 1. Chronology of the experimental design.** Bold cases indicate the sampling dates for length and weight measurements during the experimental period (n = 22 to 32 fish per sampling date, fish were not euthanized), while the other sampling dates concern, in addition to length and weight, hematocrit measurement and dissection for gonad weight (n = 5 fish per sampling date fish were euthanized). A total of 87 fish were also measured and weighed during the trawl catch (n = 27 fish on June 20th, n = 30 fish on June 23rd, and n = 30 fish on June 24th). Estimated maturation period (from T34 to T48) is indicated in grey shadow. T48 (i.e. 262 days old) corresponds to the date at which the first gonad development was observed, and T64 (i.e. 278 days old) corresponds to the date at which all specimens observed were mature. The age of fish at T-20, T0 and T183 is indicated as mean days ± SD.
Figure 2. Water temperature. Temperature according to fish age (days) during our experiment (solid line) and during the study of Gatti et al. (2017; dashed line).
Figure 3. The total length (L) – wet weight (W) relationship. Data collected both before (full black circles, n = 87 individuals) and during the experimental period (open black circles; n = 327 individuals) are represented. These relationships are represented by equations W = 0.0111 L^{2.96} before the experiment, and W = 0.0076 L^{2.88} during the experiment, and the coefficient were significantly different (ANCOVA, p-value < 0.001).
Figure 4. Body condition of Sardinia pilchardus over time. The Le Cren index (A; n = 414), the percentage of hematocrit (B; n = 56), and the gonad weight (C; n = 29 individuals) are represented over the fish age in days. The beginning of the experiment (T0, i.e. 214.3 ± 15.4 days of age) is indicated on the figure by the dotted vertical line. The age of puberty (T48, i.e. 262 days of age) is indicated in light grey vertical line. Concerning the Le Cren index, data from the trawled period were included (before the T0 of the experiment).
Figure 5. Fish growth and maturation process. Evolution of wet weight (A; n = 414 individuals), and total length (B; n = 414 individuals), of *Sardina pilchardus* according to the individual age in days between the trawl catch (194.3 ± 15.4 days of age; mean ± SD) and the end of the experimental period (397.3 ± 15.4 days of age). The beginning of the experiment (T0, i.e. 214.3 ± 15.4 days of age) is indicated on the figure by the dotted vertical line. The age at first maturity (T48, i.e. 262 days of age) is indicated in light grey shadow. On each figure, lines are simulations of the bioenergetic models: classic Von Bertalanffy (grey dashed line for length and weight only, and from T0 to the end of the experimental period), and DEB model (AMP new: solid black line, functional scaled response f = 0.86; AMP_Old: dashed black line f = 0.86, Gatti et al., 2017: black dotted line f = 0.7), and from trawl catch to the end of the experimental period.
Table 1. Old and new AMP parameterization for the abj-DEB model for *Sardina pilchardus*. A) Primary and auxiliary parameters of the two AMP parametrization and comparison with the ones of Gatti et al. (2017, scenario SC3.1); B) Zero variate observations values (life history traits at f=1) and associated predictions and relative errors (RE); C) and univariate observations and predictions. id=the new parameter is identical to the old one. In B) and C) new data are in bold.

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¹ Fixed parameters. The values were taken from the generalized animal (Kooijman, 2010)
² The values inside brackets are the ones after metamorphosis when using the abj-model: $\psi_j = s_M \psi$ and $(\dot{p}_{Am})_j = s_M (\dot{p}_{Am})$
³ $s_M$ is given for a scaled functional response of 1 after metamorphosis
n.d. not determined
### B)

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<td>Age at puberty at 15°C</td>
<td>(a_p)</td>
<td>365</td>
<td>328 (0.1)</td>
<td>d</td>
</tr>
<tr>
<td><strong>Age at puberty at 14.4°C</strong></td>
<td>(a_{p2})</td>
<td>262</td>
<td>- (-)</td>
<td>d</td>
</tr>
<tr>
<td>Lifespan at 15°C</td>
<td>(a_m)</td>
<td>2920</td>
<td>2930 (0.0)</td>
<td>d</td>
</tr>
<tr>
<td>Total length at birth</td>
<td>(L_b)</td>
<td>0.5</td>
<td>0.36 (0.28)</td>
<td>cm</td>
</tr>
<tr>
<td>Total length at puberty</td>
<td>(L_p)</td>
<td>13</td>
<td>15.47 (0.19)</td>
<td>cm</td>
</tr>
<tr>
<td><strong>Total length at puberty</strong></td>
<td>(L_{p2})</td>
<td>11(^1)</td>
<td>27.54 (0.16)</td>
<td>cm</td>
</tr>
<tr>
<td>Ultimate total length</td>
<td>(L_d)</td>
<td>23.8</td>
<td>26.29 (0.10)</td>
<td>cm</td>
</tr>
<tr>
<td>Wet weight at birth</td>
<td>(W_b)</td>
<td>2.5 (e^{-4})</td>
<td>2.5 (e^{-4}) (19.9 (e^{-4}))</td>
<td>g</td>
</tr>
<tr>
<td>Wet weight at puberty</td>
<td>(W_p)</td>
<td>20</td>
<td>19.88 (0.01)</td>
<td>g</td>
</tr>
<tr>
<td><strong>Wet weight at puberty</strong></td>
<td>(W_{p2})</td>
<td>9.8(^1)</td>
<td>10.1 (0.03)</td>
<td>g</td>
</tr>
<tr>
<td>Ultimate wet weight</td>
<td>(W_i)</td>
<td>112</td>
<td>112.1 (0.0)</td>
<td>g</td>
</tr>
<tr>
<td>Max reproduction rate at 15°C</td>
<td>(R_i)</td>
<td>2300</td>
<td>941.1 (0.59)</td>
<td>Egg.d(^{-1})</td>
</tr>
</tbody>
</table>

\(^1\) Lowest value of the five individuals sampled at T48 i.e. age at first maturity = 262, i.e. the individual that reached maturity the faster.

### C)

<table>
<thead>
<tr>
<th>Data</th>
<th>Symbol</th>
<th>f value</th>
<th>RE of the predictions (RE)</th>
<th>Figures</th>
</tr>
</thead>
<tbody>
<tr>
<td>Time since birth vs. total length</td>
<td>(tL)</td>
<td>0.76</td>
<td>0.052</td>
<td>0.088</td>
</tr>
<tr>
<td>Time since birth vs. total weight</td>
<td>(tL2)</td>
<td>-</td>
<td>-</td>
<td>(0.028)</td>
</tr>
<tr>
<td>Time since birth vs. wet weight</td>
<td>(tW_w)</td>
<td>-</td>
<td>(0.86)</td>
<td>(0.08)</td>
</tr>
<tr>
<td>Total length vs. wet weight</td>
<td>(LW_{p1})</td>
<td>1.40</td>
<td>0.099</td>
<td>0.108</td>
</tr>
<tr>
<td>Total length vs. wet weight</td>
<td>(LW_{p2})</td>
<td>1.71</td>
<td>0.059</td>
<td>0.088</td>
</tr>
<tr>
<td>Total length vs. wet weight</td>
<td>(LW_{p3})</td>
<td>1.48</td>
<td>0.075</td>
<td>0.099</td>
</tr>
<tr>
<td>Total length vs. wet weight</td>
<td>(LW_{p4})</td>
<td>1.48</td>
<td>0.075</td>
<td>0.099</td>
</tr>
</tbody>
</table>
Table 2. Estimation (mean ± SE) of the Von Bertalanffy growth curve parameters, either the classic or the biphasic model, applied on total length (cm) and on wet weight (g) according equations (4) to (11) in the section 2.5.2. (N=327). \( L_{\text{max}} \) and \( W_{\text{max}} \) indicate the asymptotic total length (in cm) and wet weight (in g) respectively; \( a, b, c \) are the size-specific rates of energy acquisition and energy use for body maintenance and reproduction, respectively, \( a \) and \( b \) being common for juvenile and adult stages. Note that \( a, b, c \) are the rates at the reference temperature of 20°C (293.15 °K in equation 11. \( K_{\text{VB}} \) is the Von Bertalanffy growth rate which is equal to \( b \) when model is classic or \( (b+c) \) when it is biphasic. All models were significant (ANOVA, \( P<0.001 \)). Parameter significances were tested by t-test (*** \( P<0.001 \), * \( P<0.05 \), n.s. not significant).

<table>
<thead>
<tr>
<th></th>
<th>Wet Weight</th>
<th>Total Length</th>
</tr>
</thead>
<tbody>
<tr>
<td>Classic parameters</td>
<td></td>
<td></td>
</tr>
<tr>
<td>( a )</td>
<td>( 16.63 \times 10^{-2} \pm 1.14 \times 10^{-2} ) ***</td>
<td>( 27.12 \times 10^{-2} \pm 0.91 \times 10^{-2} ) ***</td>
</tr>
<tr>
<td>( b ) (= ( K_{\text{VB}} ))</td>
<td>( 5.41 \times 10^{-2} \pm 0.44 \times 10^{-2} ) ***</td>
<td>( 1.78 \times 10^{-2} \pm 0.07 \times 10^{-2} ) ***</td>
</tr>
<tr>
<td>( \text{RE} )</td>
<td>0.157</td>
<td>0.046</td>
</tr>
<tr>
<td>( W_{\text{max}} ) or ( L_{\text{max}} )</td>
<td>29.05 ± 3.10</td>
<td>15.25 ± 0.81</td>
</tr>
<tr>
<td>Biphasic parameters</td>
<td></td>
<td></td>
</tr>
<tr>
<td>( a )</td>
<td>( 18.26 \times 10^{-2} \pm 0.8 \times 10^{-2} ) ***</td>
<td>( 27.4 \times 10^{-2} \pm 0.05 \times 10^{-2} ) ***</td>
</tr>
<tr>
<td>( b )</td>
<td>( 6.15 \times 10^{-2} \pm 0.31 \times 10^{-2} ) ***</td>
<td>( 1.80 \times 10^{-2} \pm 0.01 \times 10^{-2} ) ***</td>
</tr>
<tr>
<td>( c )</td>
<td>( -1.4 \times 10^{-3} \pm 0.6 \times 10^{-3} ) *</td>
<td>( -0.0 \times 10^{-3} \pm 0.0 \times 10^{-3} ) ns</td>
</tr>
<tr>
<td>( \text{RE} )</td>
<td>0.158</td>
<td>0.046</td>
</tr>
</tbody>
</table>
Table 3. Estimation of total length ($L_p$), wet weight ($W_p$) and age ($a_p$) at puberty for the eight parameter sets (scenario SC.) of Gatti et al. (2017) in the experimental conditions of the present study. The functional scaled response ($f$) before the start of the experiment ($f_b$) was adjusted for each scenario in order to fit with the observed length at age 194 days (see Fig. S4). For sake of simplicity, $f$ was then adjusted to 0.7 during the experiment for all scenarios (from age 194–397 days).

<table>
<thead>
<tr>
<th>Scenario</th>
<th>$L_p$ (cm)</th>
<th>$W_p$ (cm)</th>
<th>$a_p$ (d)</th>
<th>$f_b$</th>
</tr>
</thead>
<tbody>
<tr>
<td>SC1.1</td>
<td>11.98</td>
<td>13.09</td>
<td>260</td>
<td>0.5</td>
</tr>
<tr>
<td>SC1.2</td>
<td>11.55</td>
<td>11.75</td>
<td>249</td>
<td>0.55</td>
</tr>
<tr>
<td>SC1.3</td>
<td>12.03</td>
<td>13.31</td>
<td>258</td>
<td>0.57</td>
</tr>
<tr>
<td>SC2.1</td>
<td>12.17</td>
<td>13.06</td>
<td>263</td>
<td>0.57</td>
</tr>
<tr>
<td>SC2.2</td>
<td>12.38</td>
<td>13.26</td>
<td>279</td>
<td>0.7</td>
</tr>
<tr>
<td>SC2.3</td>
<td>13.60</td>
<td>17.65</td>
<td>325</td>
<td>0.65</td>
</tr>
<tr>
<td>SC3.1</td>
<td>10.32</td>
<td>8.92</td>
<td>225</td>
<td>0.55</td>
</tr>
<tr>
<td>SC3.2</td>
<td>12.25</td>
<td>13.26</td>
<td>264</td>
<td>0.6</td>
</tr>
</tbody>
</table>
Table S1. Composition of the commercial diet used during the experiment (from T0 until T183), and given by TYCA provider (Aquafirst 15, TYCA, France). Composition: Meal and oil fish, wheat, pea protein, concentrate soy, soya meal, lecithin, yeast extracts, vitamins and minerals, anti-oxidant (ethoxyquin). IU: International Unit.

<table>
<thead>
<tr>
<th>Ingredient incorporated</th>
<th>Content</th>
</tr>
</thead>
<tbody>
<tr>
<td>Vitamin A (IU Kg⁻¹)</td>
<td>9000</td>
</tr>
<tr>
<td>Vitamin C (mg Kg⁻¹)</td>
<td>1000</td>
</tr>
<tr>
<td>Vitamin E (mg Kg⁻¹)</td>
<td>350</td>
</tr>
<tr>
<td>Vitamin D3 (IU Kg⁻¹)</td>
<td>1500</td>
</tr>
</tbody>
</table>

**Chemical composition**

<table>
<thead>
<tr>
<th>Ingredient</th>
<th>Content</th>
</tr>
</thead>
<tbody>
<tr>
<td>Crude protein (%)</td>
<td>58</td>
</tr>
<tr>
<td>Crude fats (%)</td>
<td>15</td>
</tr>
<tr>
<td>Crude fiber (%)</td>
<td>0.4</td>
</tr>
<tr>
<td>Crude ash (%)</td>
<td>11</td>
</tr>
</tbody>
</table>
Table S2. State variables, fluxes, metric relationships, acceleration and shape coefficient of the abj-DEB model and associated mathematical expressions (Kooijman, 2014; Kooijman and Lika, 2014; Kooijman, 2010; Van der Meer, 2006a). $L$ is the structural length (cm) with $L = V^{1/3}$; $L_b$ and $L_j$ are the structural lengths at birth and metamorphosis respectively. $d_v$ is the density of wet structure, $d_{Ed}$ the density of dry reserve, $\mu_{Ed}$ the specific chemical potential of reserve and $W_{Ed}$ the molar weight of dry reserve. $L_w(t)$ is the physical total length at time $t$ of the organism. $W_w(t)$ is the wet weight at time $t$. $W_d(t)$ is the dry weight at time $t$. If $E_{H}^b = E_{H}^j$ the abj-model reduces to the std-model.

<table>
<thead>
<tr>
<th>State variables</th>
<th>Reserve</th>
<th>$\frac{dE}{dt} = \dot{p}_A - \dot{p}_C$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Structure</td>
<td>$\frac{dV}{dt} = \dot{p}_G$</td>
<td></td>
</tr>
<tr>
<td>Maturity</td>
<td>if $E_{H} &lt; E_{H}^b$ $\frac{dE_{H}}{dt} = \dot{p}<em>{H_b}$ else $\frac{dE</em>{H}}{dt} = 0$</td>
<td></td>
</tr>
<tr>
<td>Allocation to reproduction</td>
<td>if $E_{H} \geq E_{H}^b$ $\frac{dE_{R}}{dt} = \kappa R \dot{p}<em>R$ else $\frac{dE</em>{R}}{dt} = 0$</td>
<td></td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Fluxes</th>
<th>Ingestion</th>
<th>$p_X = \frac{\dot{p}_A}{\kappa_X}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>Assimilation</td>
<td>$\dot{p}<em>A = {\dot{p}</em>{Am}} s_M f V^{2/3}$</td>
<td></td>
</tr>
<tr>
<td>Mobilisation</td>
<td>$\dot{p}_C = E \cdot \frac{\dot{v}_M V^{2/3}[E_G] + \dot{p}_s}{\kappa E + V [E_G]}$</td>
<td></td>
</tr>
<tr>
<td>Somatic maintenance costs</td>
<td>$\dot{p}_S = [\dot{p}_M] V$</td>
<td></td>
</tr>
<tr>
<td>Maturity maintenance costs</td>
<td>$\dot{p}_I = k I E_H$</td>
<td></td>
</tr>
<tr>
<td>Growth</td>
<td>$\dot{p}_G = \kappa \dot{p}_C - \dot{p}_S$</td>
<td></td>
</tr>
<tr>
<td>Reproduction</td>
<td>$\dot{p}_R = (1 - \kappa) \dot{p}_C - \dot{p}_I$</td>
<td></td>
</tr>
<tr>
<td>Maturity</td>
<td>$\dot{p}_H = (1 - \kappa) \dot{p}_C - \dot{p}_I$</td>
<td></td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Metric relationships</th>
<th>Physical length (cm)</th>
<th>$L_w(t) = \delta_M L(t)$</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Wet weight (g)</td>
<td>$W_w(t) = d_v L(t) + E(t) \cdot \frac{\dot{E}}{\rho Ed_{Ed}}$</td>
</tr>
<tr>
<td></td>
<td>Dry weight (g)</td>
<td>$W_d(t) = d_v d(t)^3 + E(t) \cdot \frac{\dot{E}}{\rho Ed_{Ed}}$</td>
</tr>
</tbody>
</table>

| Acceleration coefficient | if $E_{H} < E_{H}^b$ $s_M = 1$ if $E_{H}^b \leq E_{H} < E_{H}^j$ $s_M = L/L_b$ else $s_M = L_j/L_b$ if $E_{H} \geq E_{H}^j$ |

| Shape coefficient     | if $E_{H} < E_{H}^b$ $\delta = \delta_M$ if $E_{H}^b \leq E_{H} < E_{H}^j$ $\delta = \delta_M + (\delta_M - \delta_M) \left(\frac{L - L_b}{L_j - L_b}\right)$ else $\delta = \delta_M$ if $E_{H} \geq E_{H}^j$ |
Text S1. The DEB theory and its mathematical formulation - Adapted form De Cubber et al. (2019)

The dynamic energy and mass budget (DEB) theory strives to model the quantitative aspects of the organization of metabolism of any living organisms by depicting common rules of allocations and processes at the organism level (Sousa et al., 2008). The standard DEB model considers an isomorphic organism assuming that food assimilation rate is dependent on surface area (i.e. body volume raised to the power 2/3) and maintenance is proportional to body volume. DEB model consists in a system of three ordinary differential equations following first order dynamics. Assimilated products first enter a reserve pool \( (E) \) which is then mobilized to fuel two pathways following the \( \kappa \) rule: a fixed \( \kappa \) fraction is allocated to perform growth of the structural volume \( (V) \) and its maintenance and the remaining fraction \( (1-\kappa) \) is available for maturity (i.e. increase of complexity, \( E_H \), and its maintenance) and reproduction \( (E_R) \) (Van der Meer, 2006a). The DEB theory describes the energy flows within an organism according to its life stage (embryo, juvenile adult) for a given food level and at a reference temperature \( T_{ref} \) (Fig. S1). In the embryo stage, assimilation rate is 0, the individual uses its reserve inherited from the mother. During juvenile stage, the fraction \( (1-\kappa) \) is dedicated to maturity and its maintenance. During the adult stage, the fraction \( (1-\kappa) \) is dedicated to reproduction and the maintenance of the maturity level of the final juvenile stage. For a given reserve density (at constant food density), DEB model explains the so-called Von Bertalanffy growth model. The calibration of a set of 12 primary parameters offers the description of the full life cycle dynamics and life history traits (Lika et al., 2011). DEB theory predicts many types of intra- and interspecific scaling relationships, and offers a sound theoretical basis of energy budget compared to the metabolic theory in ecology (Van der Meer, 2006b).

The three ordinary differential equations are a combination of seven different fluxes (Table S1) (Kooijman, 2010; Van der Meer, 2006a). Temperature corrections are made to the rates considered by the model in the equation of fluxes (e.g. the surface-area specific maximum assimilation rate, \( \{p_{Am}\} \) \( \text{J.cm}^{-2}\text{.d}^{-1} \), the energy conductance, \( \dot{v} \) \( \text{cm.d}^{-1} \), the specific volume-linked somatic maintenance rate, \( \{p_M\} \) \( \text{J.cm}^{-3}\text{.d}^{-1} \), and the maturity maintenance rate coefficient, \( k_J \) \( \text{d}^{-1} \), see Table S1). Rates are temperature corrected using the Equation (1), where \( T_A \) is the Arrhenius temperature (K), \( k_1 \) the rate of interest at the reference temperature \( T_{ref} \) and \( \dot{k} \) the rate of interest at temperature \( T \).
\[ \dot{k}(T) = k_1 \exp \left( \frac{T_A}{T_{ref}} - \frac{T_A}{T} \right) \]

The assimilation rate \( \dot{p}_A \) is described by a hyperbolic functional response

\[ \dot{p}_A = (\dot{p}_{Am}) s M f L^2 \]

with parameters explained in the table 2 (main text). The scaled functional response \( f \) is a Michaelis-Menten function called also the Holling type II functional response. This is a limiting function that varies between 0 (i.e. starvation) and 1 (i.e. satiety) depending on the substrate concentration (i.e. food availability).

\[ f = \frac{X}{X + X_k} \]

with \( X \) the concentration of food and \( X_k \) the half saturation constant.

The links between observable metrics (physical length and wet weight) and the DEB model quantities are made with the shape coefficient \( \delta \) (varying between \( \delta = \delta_M \) for embryo and \( \delta = \delta_M \) after metamorphosis), the density of wet structure \( d_V \) (g.cm\(^{-3}\)) of wet reserve \( d_E \) (g.cm\(^{-3}\)) and of dry reserve \( d_{Ed} \) (g.cm\(^{-3}\)), the specific chemical potential of reserve \( \mu_{Ed} \) (J.Cmol\(^{-1}\) of reserve), and the molar weight of reserve \( w_{Ed} \) (g.Cmol\(^{-1}\)) (Table 2). Here, we assumed that \( d_V = d_E = 1 \) g.cm\(^{-3}\), \( d_{Ed} = 0.16 \) g.cm\(^{-3}\), \( \mu_{Ed} = 550000 \) J.Cmol\(^{-1}\) and that \( w_{Ed} = 23.9 \) g.Cmol\(^{-1}\).

Within the typified DEB models, the abj type was used. Abj model differs from standard model by a supplementary life stage metamorphosis (j) between birth (b) and puberty (p). During this period, a metabolic acceleration (Kooijman, 2014) is considered, which is supposed to happen in most species that have a larval phase, frequently coinciding with morphological metamorphosis (Marques et al., 2018), and resulting in an exponential growth of the organism between b and j.

References


Figure S1. Schematic representation of DEB model and associated state variables and fluxes, adapted from Kooijman (2010). Boxes are the state variables: 1) reserve $E$ (J); 2) the structural volume, $V$ (cm$^3$); 3) the cumulated energy invested in Maturity, $E_H$ (J) or in reproduction $E_R$ (J). Arrows are energy flows in J.d$^{-1}$. Details of $\dot{p}_X, \dot{p}_A, \dot{p}_C, \dot{p}_S, \dot{p}_G, \dot{p}_J, \dot{p}_H$ and $\dot{p}_R$ are given in Table S2.
Figure S2. Simulation of length versus age. Total length (cm) versus time since birth (d) for a population in situ. Old (dashed line) and new (solid line) predictions are compared to observations (solid circle). These data were present in the initial data set of Nunes et al. (2017). See Table 1C for details.
Figure S3. Simulation of weight versus length. Wet weight (g) versus total length (cm) in four different experimental conditions (A, B, C, D). Old (dashed line) and new (solid line) predictions are compared to observations (solid circle). These data were present in the initial data set of Nunes et al. (2017). See Table 1C for details.
Figure S4. Estimation of total length and wet weight for the eight parameter sets (scenarios, SC.) of Gatti et al. (2017) in the experimental conditions of the present study. The functional scaled response (f) before the start of the experiment (f_b) was adjusted for each scenario in order to fit with the observed length at age 194 days (see Table 3 for details). For sake of simplicity, f was then adjusted to 0.7 during the experiment for all scenarios (from age 194 to 397 days).