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Abstract: A melt maintained for hours in a press pour unit allowed following the change with time from spheroidal graphite to compacted graphite iron by casting thermal cups at regular time intervals. This provided extensive experimental information for checking the possibility of simulating solidification of compacted graphite irons by means of a microstructure modelling approach. During solidification, compacted graphite develops very much as lamellar graphite but with much less branching. On this basis, a simulation of the thermal analysis records was developed which considers solidification proceeds in a pseudo binary Fe-C system. The simulated curves were compared with the experimental ones obtained from three representative alloys that cover the whole microstructure change during holding of the melt. The most relevant result is that the parameter describing branching capability of graphite is the most important for reproducing the minimum eutectic temperature and the recalescence which are so characteristics of the solidification of compacted graphite cast irons.

Key words: compacted graphite irons; thermal analysis; stable eutectic; metastable eutectic; simulation

Introduction

During a long period of time, what is called now compacted graphite was described as being wormlike. However, detailed 2D metallographic examinations of deep-etched samples [1, 2], as well as tomographic studies [3,4], have shown that graphite in a compacted graphite iron (CGI) mainly consists of a few spheroids and in inter-connected lamellae with some round bumps. Accordingly, most of the solidification of CGI must consist of the growth of eutectic cells quite alike lamellar graphite cells. However, it has already been noticed that, at given casting conditions, compacted graphite is much coarser than flake graphite, and it was suggested this is related to a much lower capability of the former to branch during growth as compared to the latter [5,6]. On this basis, solidification of compacted graphite iron could be simulated as it has been done for lamellar graphite iron [7], though adjusting the parameter related to graphite branching. This contribution compares experimental and calculated cooling curves of hyper-eutectic uninoculated CGI and discusses the few parameters needed to simulate their solidification, namely those parameters describing graphite nucleation, growth of compacted graphite cells and growth of the metastable eutectic.

1 Experimental approach

The samples analyzed in this work were produced from a melt maintained in an 8 t in capacity nitrogen pressurized pouring unit (press-pour) for several hours as described previously [8]. The initial amount of magnesium in the melt was 0.030-0.040 wt.% so as to give spheroidal graphite castings. During holding, the magnesium content slowly decreased leading eventually to castings with compacted graphite. Every 20 minutes or so, a medal for chemical analysis and two thermal analysis (TA) cups were cast. One of the TA cups was empty before pouring the melt while the other one contained a commercial inoculant. 19 castings were thus successively performed which were identified with a letter from A to S and a subscript "uninoc" and "inoc" for uninoculated and inoculated alloys, respectively. It was found that the thermal records of the uninoculated alloys were much more diverse and thus contained much more information than those with inoculation. Accordingly, three of the 19 uninoculated alloys were selected, being the most representative of the microstructure evolution with holding time.

Table 1 lists the composition of alloys C, E and Q which were the three alloys selected in the present work. It is seen that the contents of Mg, Ce and La decrease significantly and that the contents of C and Si diminish slightly as well, while the amount of all other elements does not change. In addition, Table 1 lists the carbon equivalent (CE) and the calculated stable (T_{EUT}) and metastable (T_{EW}) eutectic temperatures (°C) [9].

alloy	С	Si	Mn	Cr	Ni	Cu	Mg	Ce	La	CE	T _{EUT}	T_{EW}
С	3.75	2.45	0.63	0.049	0.028	0.85	0.038	0.0120	0.0037	4.52	1165.1	1119.4
Ε	3.72	2.42	0.63	0.048	0.030	0.84	0.035	0.0100	0.0027	4.48	1165.3	1119.8
Q	3.66	2.40	0.62	0.049	0.028	0.83	0.013	0.0023	0.0007	4.41	1165.2	1120.0

Table 1: Composition and carbon equivalent CE of the alloys C, E and Q (wt.%), and calculated stable (T_{EUT}) and metastable (T_{EW}) eutectic temperatures (°C)

The graphite distribution was quantified for each sample as well as the amount of carbides ($f_{carbides}$). The compacted cells were characterized by their maximum diameter, D_{Cell} , and their 2D count, N_A .

2 Experimental results

The three cooling curves in Fig. 1 show the same features characterized by a two-step solidification as follows:

(1) A short arrest at a temperature which increases with holding time between 1140°C and 1150°C; (2) A main arrest which starts at a minimum temperature $T_{E,min}$ before recalescence that is seen to decrease with holding time, from Alloy C to Alloy Q.

This figure also plots the average temperature for the stable, T_{EUT} , and metastable, T_{EW} , eutectics to support the discussion below. As the alloys are hypereutectic, the first arrest may be associated with the formation of austenite when the solidification path during primary precipitation of graphite reaches the metastable extrapolation of the austenite liquidus. It is noticeable that the temperature of this arrest, denoted here T_{EN} , is far below T_{EUT} . The shape of the cooling curves between T_{EN} and $T_{E,min}$ is seen to be somehow the same for all the three curves meaning that the overall kinetics of solidification is nearly the same. For samples C_{uninoc} and E_{uninoc} , the thermal arrest during bulk eutectic solidification has the same appearance and is characterized by a significant recalescence. This suggests that it proceeded in the same way for both alloys. On the contrary, bulk eutectic solidification of sample Q_{uninoc} proceeds below T_{EW} and is characterized by a very limited change in temperature with however an abrupt small recalescence (open arrow in Fig. 1).

In Fig. 1, the micrographs before etching show that the number of graphite particles decreases with holding time, and those after etching show the amount of carbides increases. It is noticed that carbides must have appeared in sample C_{uninoc} at the end of solidification as the main eutectic plateau is located above T_{EW} . The similarity of the cooling curves of samples C_{uninoc} and E_{uninoc} suggests that cementite also appears in this latter alloy after the main plateau. On the contrary, carbides in sample Q_{uninoc} may have appeared at any time during bulk eutectic solidification which proceeded totally below T_{EW} , but this precipitation could well be related to the recalescence mentioned above and will be discussed later.



Fig. 1: Experimental cooling curves of the three selected samples (C_{uninoc} , E_{uninoc} and Q_{uninoc}) and related optical micrographs before and after nital etching. The scale of the micrographs is the same for all and is shown in the upper left one

2 Modelling bases

The model shortly described below considers solidification proceeds in a pseudo-binary Fe-C system which accounts for the effects of Si, Mn and Cu contents on the temperature and composition defining the lines of the phase diagram. Solidification of cast irons is quantitatively described by writing the appropriate mass balances following the work by Lesoult et al. [10] on spheroidal graphite cast irons. For describing the eutectic reaction in the present study, spheroidal graphite eutectic cells are replaced by compacted graphite cells of radius R whose growth law is written according to Jones and Kurz [7]:

$$\frac{dR}{dt} = \frac{(\Delta T)^2}{\left(\frac{1}{\phi} + \phi\right)^2 \cdot a \cdot b}$$
(1)

where t is time, ΔT is the undercooling with respect to the equilibrium eutectic temperature, T_{EUT} , a and b are constants evaluated by Jones and Kurz, a=2.3 μ m·K and b=0.080 K·s· μ m⁻², and ϕ characterizes the capability of the faceted graphite phase to branch. For an ideal regular eutectic between two non-faceted phases, φ should be 1, while it has been proposed to be 2.5 for Fe-C graphite/austenite eutectic [11]. Jones and Kurz [7] could reproduce their experimental results of directional solidified lamellar graphite iron with φ set to 3.9, while Zou Jie [12] found a value of 6.5 for equiaxed solidification of an Fe-C-Si alloy. Zou Jie [12] suggested that part of the difference with directional solidification is due to the expanding nature of the eutectic cells during equiaxed solidification. In the case of compacted graphite cells, the protuberances formed on the primary graphite precipitates then develop without much branching. Thus, the distance between them increases as the size of the compacted graphite cells increases. This suggested writing $\varphi = \varphi^0 + R/R_{GE}$, where R_{GE} is the initial size of the cell, and to limit the change of φ from the initial value of $\varphi^0=2.5$ to some maximum value, φ_{max} , equal to or lower than 10 at which branching of graphite lamellae is anyway expected because of the high undercooling developed between the lamellas [11].

In the case of hyper-eutectic alloys, the solidification path during primary deposition was calculated assuming spheroidal graphite precipitates following a nucleation law given as $N_v=A_1\cdot(\Delta T_{LG})$, where N_v is the volume number of cells, A_1 is the nucleation constant and ΔT_{LG} is the undercooling with respect to the graphite liquidus [10]. When the extrapolation of the austenite liquidus is reached, the number of graphite particles is set constant at the value which has been reached. An equivalent diameter of the graphite particles is calculated which is then used as the initial size for the compacted graphite cells, R_{GE} . Solidification proceeds further by growth of eutectic cells and offeutectic austenite which may also dissolve in order for the solidification path to stick to the extrapolation of the austenite liquidus [10].

As seen above, cooling of uninoculated alloys in TA cups shows metastable solidification competes with stable solidification. Growth of ledeburite is to be described as spherical cells of radius R_w using the data from Hillert and Subba Rao [13], which is very close to the value later found by Jones and Kurz [7]:

$$\frac{\mathrm{d}\mathbf{R}_{\mathrm{W}}}{\mathrm{d}t} = 30 \cdot (\Delta T_{\mathrm{EW}})^2 \tag{2}$$

where R_w is in μ m and ΔT_{EW} is the undercooling with respect to T_{EW} . The number of metastable eutectic cells was in all cases set to 0.5 mm⁻³.

The solidification process of the thermal cups was described assuming their temperature is homogeneous at any time during the cooling process. For each time step of calculation, the calculated change of the solid fraction, V^s , was thus introduced in the following heat balance:

$$\rho \cdot \mathbf{V} / \mathbf{A} \cdot \left(\mathbf{C}_{p} \cdot \frac{d\mathbf{T}}{dt} - \Delta \mathbf{H} \cdot \frac{d\mathbf{V}^{S}}{dt} \right) = -\sqrt{\Delta} \cdot \left(\mathbf{T} - \mathbf{T}^{0} \right) \cdot \mathbf{t}^{-0.5}$$
(3)

Where ρ and C_p are, respectively, the density and the heat capacity of the metal at temperature T, Δ H is the latent heat of fusion of the metal, Δ is a quantity characteristic of the mould and T⁰ is the ambient temperature. V is the volume of metal having an outer surface area A, and V/A is the socalled casting modulus. The same equation is used without the second term in the left hand side for describing liquid and solid cooling. All data used in the present calculations are listed in Table 2. During solidification, the specific heat C_p and the density ρ were calculated as a weighted average of the solid and liquid values. Impingement of eutectic cells was accounted for using the correction factor (1-V^S)².

V/A [m]	$\frac{\sqrt{\Delta}}{[J \cdot m^{-2} \cdot K^{-1} \cdot s^{-0.5}]}$	$\begin{array}{c} C_p^{liquid} \\ \textbf{[J-K^{-1}-kg^{-1}]} \end{array}$	$\begin{array}{c} C_p^{solid} \\ \textbf{[J-K^{-1}-kg^{-1}]} \end{array}$	ρ ^{liquid} [kg∙m ⁻³]	ρ ^{austenite} [kg∙m ⁻³]	ρ ^{graphite} [kg∙m ⁻³]
0.009	728 before solidification 1215 after solidification	920	750	6,800	7,000	2,200

Table 2: Values of the parameters used for calculations

3 Simulation results

According to preliminary calculations, the start temperature of the metal at the time of pouring, T_{pour}, was set to the first recorded temperature plus 30°C. The A₁ value used to describe primary graphite nucleation was determined so as to give close fit to the experimental cell number. Table 3 lists the values of T_{pour} and A₁ used in the calculations for each alloy, the measured values of D_{Cell} and N_A, and the experimental values of N_V which were calculated by $N_V = \frac{2}{\pi} \cdot \frac{N_A}{D_{Cell}}$ [14]. Table 3 also lists the

experimental values of $f_{carbides}$, and the predicted values of N_v and $f_{carbides}$. Unless specified, all calculations were made with ϕ_{max} =10.

Table 3 – Values used	or calculations for	or each three al	lloys and predicted	N _v and f _{carbides} values.
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Alloy	T _{pour}	A ₁	D _{cell}	N _A	Experimental	Predicted	Measured	Predicted
	(°C)	(mm ⁻³ ·K ⁻¹)	(mm)	(mm⁻²)	N _v (mm⁻³)	N _∨ (mm ⁻³)	f _{carbides} (%)	f _{carbides} (%)
С	1320	0.5	0.32	24.0	47.8	43.7	9	-
E	1324	0.1	0.54	6.4	7.5	6.95	9	33.5
Q	1373	0.08	0.36	1.5	2.6	3.1	42	53.4 (25.6)*

*The value between bracket is that obtained when ledeburite appears after a time delay.

Figure 2 (a) compares the experimental cooling curve for the uninoculated Alloy C to the calculated one without considering the possibility for formation of metastable eutectic. It is seen that the main eutectic peak is quite well reproduced but that the beginning of the curves differs significantly. As a matter of fact, austenite is predicted to appear at T_{EN} =1147.7°C (open arrow) leading afterwards to a constant slope indicative of a regular growth of solid. In contradistinction, the experimental curve shows a thermal arrest starting at about 1140°C with a marked but short plateau.



Fig. 2: Comparison of calculated and experimental cooling curves for the uninoculated Alloy C (a), and effect of A_1 value on the solidification path during primary graphite precipitation (b). The open arrow in (a) indicates the slope change associated with appearance of austenite at the calculated T_{EN} temperature; similarly, T_{EN} in (b) indicates the corresponding end of primary graphite precipitation when austenite is predicted to appear.

It was first thought that the discrepancy at the beginning of solidification could originate in the description of the primary deposition of graphite which controls the temperature at which is reached the metastable extrapolation of the austenite liquidus. Accordingly, A_1 was changed from 0.08 to 10 mm⁻³·K⁻¹ leading to a change in N_v from 3 to 760 mm⁻³ which covers the full range of the measured values. Figure 2 (b) shows the calculated primary solidification path plotted on the isopleth Fe-C section of the phase diagram, i.e., corresponding to the alloy content in Si, Mn and Cu. For A_1 =0.08 mm⁻³·K⁻¹, the volume fraction of graphite precipitated during primary deposition is so low that the carbon content in the liquid remains nearly unchanged and equal to the alloy nominal value (vertical red dotted line). The austenite liquidus is thus reached at a temperature of 1147.7 °C. By increasing A_1 to 10 mm⁻³·K⁻¹, it is seen that precipitation of graphite starts curving the solidification path towards the graphite liquidus only by the end of primary deposition (blue solid curve). Accordingly, the calculated T_{EN} value at 1150.1°C is not much higher than that for lower A_1 value. To make the

liquid composition to follow more closely the graphite liquidus, much higher values of A_1 would be required which would correspond to highly inoculated alloys. It thus appears that the discrepancy between calculated and experimental T_{EN} values must be due to an undercooling of the austenite phase which is well-known experimentally [15]. This can be related to the time needed for austenite dendrites nucleated at the surface of the TA cup to reach the centre. Note that the increase of the experimental value of T_{EN} between alloys C and Q shown in Fig. 1 relates to the decrease in the alloy carbon content with holding time and thus to a move to the left of the solidification path in Fig. 2 (b).

Figure 3 (a) compares the experimental cooling curve for the uninoculated Alloy E to the calculated one when ledeburite is considered. It is seen that the main eutectic plateau of the calculated curve is at a nearly constant temperature apart from a very small and short recalescence at the beginning. This must be related to rapid growth of ledeburite which totally overtakes the solidification in the stable system. Owing to the fact that such a plateau does not appear in the experimental curve, calculations were performed again without considering precipitation of ledeburite. The result is shown in Fig. 3 (b) where it is seen that the predicted shape is as the experimental one, but with a lower $T_{E,min}$ and recalescence values than observed. The calculations were performed again with a smaller ϕ_{max} value of 7.5, and the curve is also shown in Fig. 3 (b). It is seen that decreasing ϕ_{max} significantly increases $T_{E,min}$ and marginally increases the recalescence value. In the present case, an intermediate value of ϕ_{max} would give a perfect fit between predicted and observed $T_{E,min}$ and recalescence values.



Fig. 3: Comparison of calculated and experimental cooling curves for the uninoculated Alloy E: (a) calculation performed accounting for ledeburite formation; (b) calculations performed for two values of φ_{max} and without ledeburite precipitation

Finally, Fig. 4 compares the predicted and experimental cooling curves for the uninoculated Alloy Q. The first calculation was carried out with ledeburite appearing as soon as the temperature felt below T_{EW} and this leads to the thin red solid line which shows- a long and flat eutectic plateau that does not resemble the experimental one. This made evident that the small but abrupt recalescence seen at about 160 s on the experimental curve certainly represents the appearance of ledeburite. Accordingly, formation of ledeburite was delayed in a second calculation which is shown with the thick black solid line. It is then seen that the smooth evolution of the cooling curve before recalescence as well as the amplitude of recalescence are quite well reproduced even though the growth law used for ledeburite may give too high growth rates. It may be postulated that the delay which has been introduced relates to the time needed for ledeburite to nucleate close to the thermocouple junction.



Fig. 4: Comparison of experimental and calculated cooling curves for the uninoculated Alloy Q. Ledeburite appearance was calculated either without (thin red solid line) or with (thick black solid line) a time delay

4 Conclusion

It is shown that the solidification characteristics of CGI as observed with cooling curves may be represented by using a modelling approach derived from that used for lamellar graphite irons. The parameter describing the branching capability of graphite lamellae in eutectic cells appears to be the most sensitive parameter to describe the maximum undercooling and the recalescence of the bulk eutectic reaction of CGI. Dedicated experiments would be needed to explore the effect of residual magnesium content on this parameter. Some marginal improvements to the present approach could be made concerning the description of austenite formation and growth of ledeburite.

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