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Constantin Fallot, Joseph Bascou, H el ene Pillet, Christophe Sauret. Manual wheelchair's turning resistance: swivelling resistance parameters of front and rear wheels on different surfaces. *Distability and Rehabilitation : Assistive Technology*, 2019, pp.1-8. 10.1080/17483107.2019.1675781 . hal-02565384

HAL Id: hal-02565384




<https://hal.science/hal-02565384>

Submitted on 6 May 2020

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Manual wheelchair's turning resistance: swivelling resistance parameters of front and rear wheels on different surfaces

Constantin Fallot^{a,b}, Joseph Bascou^{a,b} , H el ene Pillet^a  and Christophe Sauret^a 

^aInstitut de Biom ecanique Humaine Georges Charpak, Arts et M etiers ParisTech, Paris, France; ^bInstitution Nationale des Invalides, Centre d'Etudes et de Recherche sur l'Appareillage des Handicap es, Woippy, France

ABSTRACT

Purpose: Daily locomotion with a manual wheelchair includes curvilinear movements. However, little is known about the resisting forces in play during turning manoeuvres where the wheels are generally both rolling and swivelling. This study aimed at quantifying the swivelling resistance parameters of several wheels on different surfaces and to evaluate the effect of the curvature radius on these parameters.

Materials and methods: A specific test bench was designed allowing the swivelling resistance parameters of a wheel rolling while swivelling to be determined. Seven wheels (3 front and 4 rear wheels), three surfaces (plywood, linoleum and carpet), two loads (25 and 45 kg) and five curvature radii (from 0 to 0.4 m) were tested through a full factorial design experiment.

Results: Results showed that the wheel type was the most influential factor on swivelling resistance parameters, followed by the surface and the curvature radius. The effect of the load on swivelling resistance parameters was found negligible when compared to the influence of other factors. A predictive model for swivelling resistance parameters of the different wheel/surface combinations was proposed, as a function of the curvature radius.

Conclusion: This study allowed the swivelling resistance parameters of different wheel/surface combinations to be quantified, as a function of the curvature radius of the wheel trajectory. Combined with data on rolling resistance, these data could now be used to assess energy losses during real life ambulation or to achieve more realistic behaviour in virtual rehabilitation environment.

KEYWORDS

Resistance; swiveling; surfaces; turning; wheelchair

► IMPLICATIONS FOR REHABILITATION

- Swivelling resistances are increased by carpet surfaces compared to tile surfaces.
- Conversely to rolling resistance, castors wheels are less prone to swivelling resistance than rear wheels
- The swivelling resistance of a wheel rolling while swivelling is decreased compared to a pure swivelling movement.
- Combined with data on rolling resistance, these data on swivelling resistance would allow energy loss during daily life activity to be determined or as input data for the control of wheelchair simulator in virtual environment used for rehabilitation.

Introduction

When walking capability is altered, a manual wheelchair (MWC) is frequently prescribed, allowing the person to recover some autonomy. In developed countries, about 3.6 million people in the United States in 2010 [1] and from 600,000 to 700,000 people in European countries such as France or the United Kingdom [2] use a MWC, i.e., between 1% and 2% of the populations. However, MWC locomotion is constraining for the upper limbs and many users report shoulder pain or injuries [3].

Besides, loads sustained by the shoulders were also reported to be related to shoulder pathology [4]. Among the different sources of shoulder loading, there is the MWC energy loss through rolling and turning resistances during daily life activities. Limiting MWC energy loss is thus an important topic that requires the ability to quantify both rolling and swivelling resistances. Also, because MWC often start to be used during adulthood, moving with a MWC needs to be learned. In order to facilitate skill

acquisition, rehabilitation programmes currently tend to introduce virtual environments, allowing various visual and/or haptic feedbacks [5–10]. However, to ensure skills transfer from virtual environments to life-like situations, the simulator should faithfully reproduce the real locomotion in the field, including resistance due to MWC energy loss.

Rolling resistance was extensively investigated [11–21] and quantitative data are already available in the literature for the prediction of rolling resistance depending on the type of wheel and floor [22]. Conversely, turning resistance was less studied although turning manoeuvres are regularly performed during daily activities. Some authors [19,23] showed that the turning moment, which is required to create an angular acceleration of the MWC, increases with both the MWC-and-user mass and its antero-posterior distribution (i.e., by increasing the mass moments of inertia; e.g., by moving the seat forward with respect to the rear wheels). They also pointed out that at least half of the turning moment was due to

non-inertial forces, i.e., wheel rolling and swivelling resistances. Some studies have already qualitatively clarified the effect of the wheel type [11] and tire inflation [24], but few quantitative data are currently available to assess the turning resistance. Some rare studies quantified the torque of wheel swivelling resistance in the specific case of a pure swivelling motion [11,24,25]. Kauzlarich et al. [25] attempted to consider the swivelling resistance of a wheel combining rolling and swivelling motions (Figure 1), which is the most commonly encountered situation during MWC turning manoeuvres and concluded that the wheel swivelling resistance decreases when the wheel is rolling while swivelling. More recent exploratory works dealing with the modelling of the turning motion of a MWC [15,26] also led their authors to believe that actual swivelling resistance parameters should be from two to five times lower than those used in their simulations (derived from literature data of [11,25]) to be consistent with experimental data [27]. Finally, another recent exploratory work, using a robotic device, reported a decrease of the total MWC swivelling resistance from 16 to 2 Nm when the curvature radius was increased from 0.2 to 1.8 m [20]. However, neither the respective contributions of front and rear wheels, nor the effect of different wheels and surfaces were quantified in all these studies. As a consequence, it is still not possible to predict the effects of different sets of wheel types on different surfaces when the loading conditions of the MWC are modified (i.e., depending on the subject and MWC total mass and centre of mass location).

In order to assess the energy loss during MWC locomotion, the knowledge of swivelling resistance parameters values for various wheel/surface combinations and with respect to the turning curvature radius is preliminary necessary. The literature analysis reveals a lack of quantitative data on these swivelling resistance parameters. To fill this lack of knowledge, the goal of this study was to quantify experimentally the swivelling resistance parameters of various typical wheels and floor surfaces according to the turning curvature radius.

Materials and methods

Model of turning resistance

While performing turning manoeuvres with a MWC, wheels are generally rolling while swivelling. Hence, the whole resistance acting on a wheel can be split into rolling and swivelling resistances, acting orthogonally (Figure 1). The torque of rolling resistance is explained by a forward shift of the centre of pressure with respect to the theoretical contact point (due to the inelastic properties of the wheel and the ground). This results in a resistant moment at the theoretical contact point which is induced by the normal component of ground reaction force [22]. Previous studies [22, 27–29] expressed the torque of rolling resistance as the product of the rolling resistance parameter (λ) (the shift distance) and the normal component of the ground reaction force R_N (i.e., the opposite of the weight in case of a lifeless mass):

$$T_{RR} = \lambda R_N \quad (1)$$

Conversely, during a swivelling motion, the wheel/ground materials first deform and then slip in the contact area, thereby creating a resistant torque. According to the classical works of mechanics [30], the torque of swivelling resistance was modelled by analogy to the torque of rolling resistance, i.e., as the product of a swivelling resistance parameter, η , and the normal component of the ground reaction force R_N :

$$T_{SR} = \eta R_N \quad (2)$$

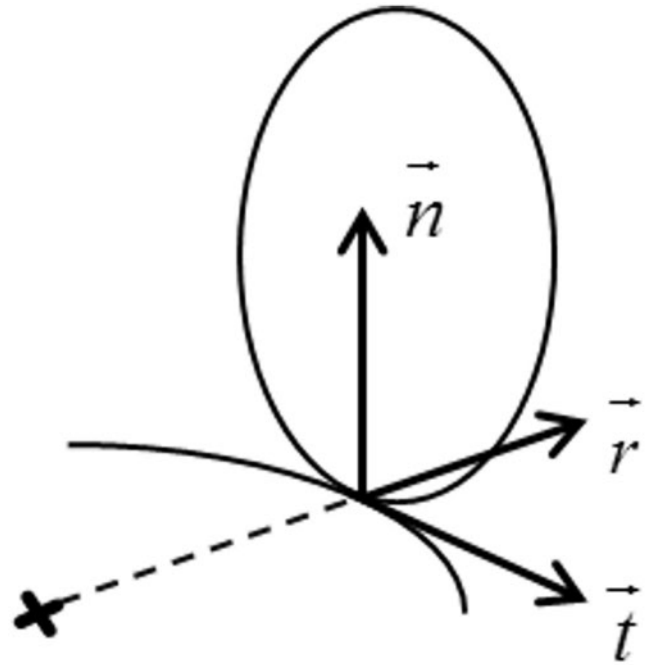


Figure 1. Schema of the local coordinates system with tangential (t), radial (r) and normal (n) components, and centred on the resulting contact point between the wheel and the ground. The torque of rolling resistance acts following the radial direction whereas the torque of swivelling resistance acts following the normal component.

Test bench

In order to quantify the swivelling resistance parameter (η) of a wheel rolling while swivelling, a specific test bench (Figures 2 and 3) was developed. It was composed of a dedicated mechanical device allowing the wheel to be driven in a turning motion in the horizontal plane with a controlled curvature radius, and a six-component force plate (AMTI, BP400600, 100 Hz) fixed horizontally to record the mechanical actions (both forces and torques) at the interface between the wheel and the ground. Due to the limited dimension of the force plate, the amount of rotation and the rolling distance varied with the tested curvature radius. However, the device allows curvature radii from 0.1 to 0.4 m to be tested, with resulting amount of measured rotations ranging from 75 to 160°, and measured rolling distances ranging from 0.25 to 0.60 m.

The mechanical device (Figure 2) was composed of two steering axes linked by a rigid beam of variable length which allowed different curvature radii (r_c) to be imposed. The tested wheel was attached to the device with a fork and was loaded using additional masses applied on the fork. The cylindrical joint on the principal steering axis (Figure 2(B)) allowed the system to adapt to every wheel diameter. Except for the case of pure swivelling (i.e., $r_c > 0$), the turning motion was imposed by moving the beam around the principal steering axis and the wheel automatically aligned tangentially to the imposed circular trajectory. In order to avoid the shimmy phenomenon, a 5 cm fork trail was used when r_c was not null. Considering the motion of pure swivelling (i.e., $r_c = 0$), the principal steering axis was locked, fixing the orientation of the beam. In addition, the wheel was attached to the fork with a specific device allowing the wheel centre to be aligned with the fork steering axis; and resulted in a zero fork trail distance (Figure 2(C)). In this case, the wheel could only rotate around the steering axis of the fork and no rolling motion occurred.

For the identification of the η parameter, the torque of swivelling resistance T_{SR} was directly measured through the

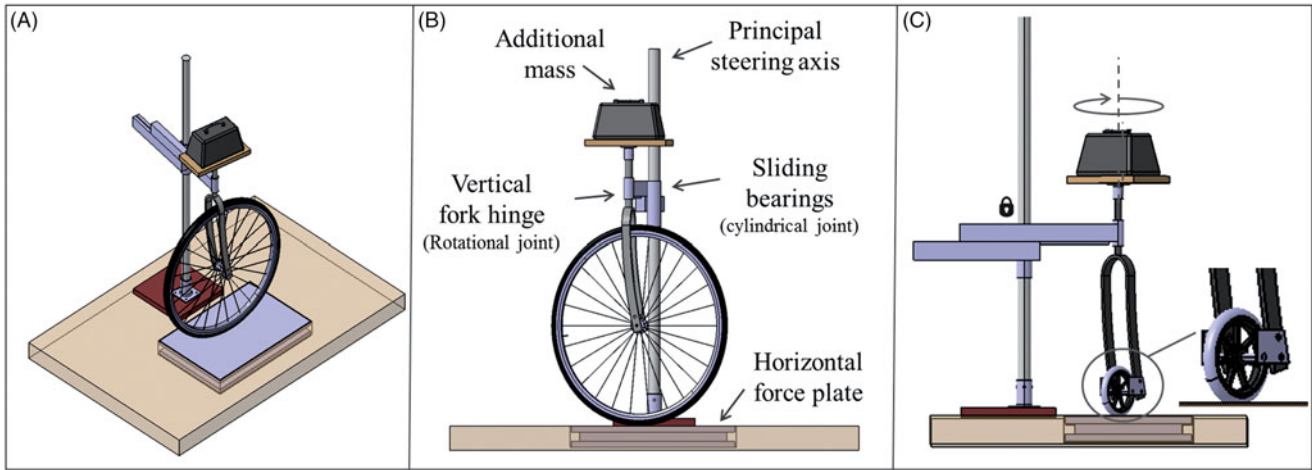


Figure 2. 3-dimensional (3-D) schematic representation of the test bench. (A–B) 3-D isometric and front view during a test of a rear wheel with a curvature radius of 0.3 m; (C) representation of the test of a front caster during a pure swivelling motion with a zoom on the adaptation part allowing to cancel the fork trail distance. During the experiments, the horizontal beam is actuated manually by an operator.

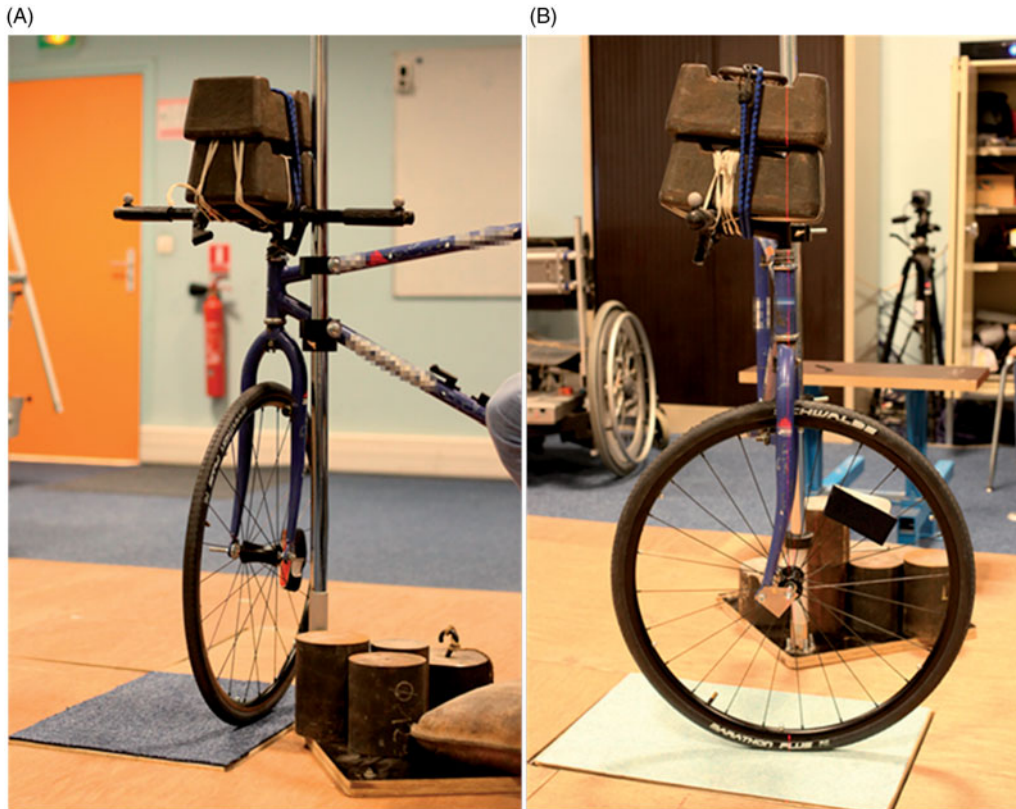


Figure 3. Photographs of the real physical experiment device with (A) 40 kg of additional mass, 0.1 m of curvature radius, wheel W1, on carpet and (B) 40 kg of additional mass, pure swivelling ($r_c = 0$), wheel W1, on linoleum.

six-component force plate, which gave both forces and torques in the same local coordinate systems ($F_x, F_y, F_z, T_{Ox}, T_{Oy}, T_{Oz}$) (Figure 4); with x - and y -axes defining the horizontal plane, z -axis defining the vertical direction, and O was the origin of the force plate where the torques were expressed. Considering the centre of pressure (CoP, with coordinates: $x_{CoP}, y_{CoP}, z_{CoP}$) of the wheel on the ground, the torque measured by the force plate (T_{Ox}, T_{Oy}, T_{Oz}) at its origin was decomposed as:

$$\begin{pmatrix} T_{Ox} \\ T_{Oy} \\ T_{Oz} \end{pmatrix} = \begin{pmatrix} T_{CoPx} \\ T_{CoPy} \\ T_{CoPz} \end{pmatrix} + \begin{pmatrix} y_{CoP} F_z - z_{CoP} F_y \\ z_{CoP} F_x - x_{CoP} F_z \\ x_{CoP} F_y - y_{CoP} F_x \end{pmatrix} \quad (3)$$

where $T_{CoP x}, T_{CoP y}, T_{CoP z}$ are the three components of the torque applied by the ground on the wheel at the CoP.

From the definition of the CoP, and given the nature of the contact between the force plate and the wheel, the local torque acting at the CoP did not have any component following x - and y -axes (i.e., $T_{CoP x} = T_{CoP y} = 0$). This allowed the horizontal components of the CoP to be identified from the first and second components of Equation (3):

$$x_{CoP} = -\frac{T_{Oy} - z_{CoP} F_x}{F_z} \quad \text{and} \quad y_{CoP} = \frac{T_{Ox} - z_{CoP} F_y}{F_z} \quad (4)$$

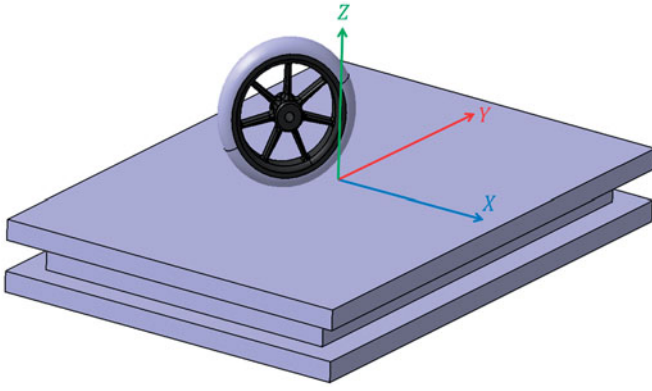


Figure 4. Representation of the force-plate local reference frame in which the centre of pressure is determined.

where z_{CoP} was the height of the contact surface between the wheel and the ground with respect to the origin of the force plate, and was previously known from the force plate datasheet and the thickness of the tested surface.

By reinjecting x_{CoP} and y_{CoP} from Equation (4) in the third component of Equation (3), it became possible to express T_{CoPz} which was the torque of swivelling resistance (T_{SR}):

$$T_{SR} = T_{CoPz} = T_{Oz} - x_{CoP}F_y + y_{CoP}F_x \quad (5)$$

Finally, based on Equation (2) and considering $F_z = R_N$, it became possible to calculate η from force plate data only.

Data processing

For each trial, raw data provided by the force plate were smoothed (moving average, five values) and the resulting data were used to determine both the instantaneous CoP coordinates (x_{CoP} and y_{CoP}) and the torque of swivelling resistance (T_{SR}) (Equations 4 and 5). Then, the instantaneous curvature radii r_c of the CoP trajectory were computed using a three points method with a sliding window. This step allowed the actual r_c to be checked with respect to the one imposed by the setup. Finally, the T_{SR} mean value of the trial was computed.

Experiments

In order to determine the respective impact of each type of wheel, surface, load and curvature radius (r_c), a full factorial design experiment was performed using seven different wheels (Table 1, Figure 5), three different surfaces (plywood panel, linoleum and 3 mm loop pile carpet), five r_c values (from 0 to 0.4 m by 0.1 m increment) and two loading conditions (with 20 and 40 kg of additional mass). The loading conditions were selected to be in accordance with the loading context of a single front and rear wheel during the use of a MWC. The effect of tire inflation was investigated through testing a same wheel inflated both at 10 and 50 psi (W2 and W3 in Table 1). Five trials were performed for each of the 210 combinations, resulting in 1050 trials in total.

Data analysis

Swivelling resistance parameters, η , were computed for every trial. For each combination, potential outliers were identified using the Tukey outlier automatic detection technique (data outside the 1.5 interquartile range) and the average value was then calculated on the remaining trials. Then, a factorial design methodology was

Table 1. Characteristics of the tested front and rear wheels.

Wheel	Type	Diameter (m)	Width (in.)	Pressure (psi)
W1 – Rear wheel	Pneumatic	0.60	1	110
W2 – rear wheel	Pneumatic	0.61	1–3/8	50
W3 – rear wheel	Pneumatic	0.61	1–3/8	10
W4 – rear wheel	Solid	0.61	1–3/8	/
W5 – Standard caster	Solid	0.20	1,18	/
W6 – Soft roll caster	Solid	0.15	1,18	/
W7 – Roller caster	Solid	0.10	1	/

used to quantify the effect of the different factors. First, the mean η parameter of the whole data set was computed. Then, for every element (17 elements in total: three floors, seven wheels, five curvature radii and two loads) the mean η parameter for all configurations involving this element was determined. For example, for the floor surfaces, the mean values were calculated for plywood panel (average value of all η parameters obtained when the floor surface was plywood panel), then for linoleum and finally for carpet.

Uncertainties evaluation

Repeatability was assessed by computing the standard deviation (SD) of the η value within every one of the 210 measurement series. Mean and extrema were determined.

Reliability of the identified η parameters is strongly dependent on the force plate reliability, and particularly on the determination of the CoP location (see Equation (4)). To evaluate the effect of potential force plate inaccuracies, a 5 mm location error was introduced on the CoP for four conditions (+x, -x, +y, -y). This was done for all trials and the η parameters were recalculated. Then, both the maximal and the root mean square errors (RMSE) between measured and simulated parameters were computed.

The reproducibility was assessed by performing eight series of five trials with the same conditions (W2, plywood panel, +20 kg and $r_c = 0.4$ m). Between every series, the mechanical device was disassembled then reassembled. The average η value was computed for each series and the standard deviation (SD) of the eight average values was considered as the reproducibility error.

Finally, the overall uncertainty variance (ϵ^2) was estimated by the sum of the square values of the reliability RMSE and reproducibility SD ; and the overall uncertainty (ϵ) was defined by the square root of the overall uncertainty variance.

Results

Uncertainties evaluation

For the repeatability assessment, intra-series SD was 1.0 mm on average and ranged between 0.5 and 2.5 mm. The sensitivity analysis showed that perturbing the CoP location by 5 mm resulted in a RMSE of 0.2 mm on the η parameter and did not exceed 2.5 mm on the whole dataset. Regarding the reproducibility analysis, the series average values ranged from 5.8 to 7.6 mm (Δ : 1.8 mm) for a same condition with a SD of 0.6 mm. Finally, the overall uncertainty (ϵ) was 0.63 mm.

Factorial experiments

In the different series, R_N was around 250 N (SD : 14 N) for an additional mass of 20 kg and 450 N (SD : 23 N) for an additional mass of 40 kg. Overall, T_{SR} (average value of each series) ranged from 0.03 to 14.5 Nm and η ranged from 0.2 to 37.3 mm.

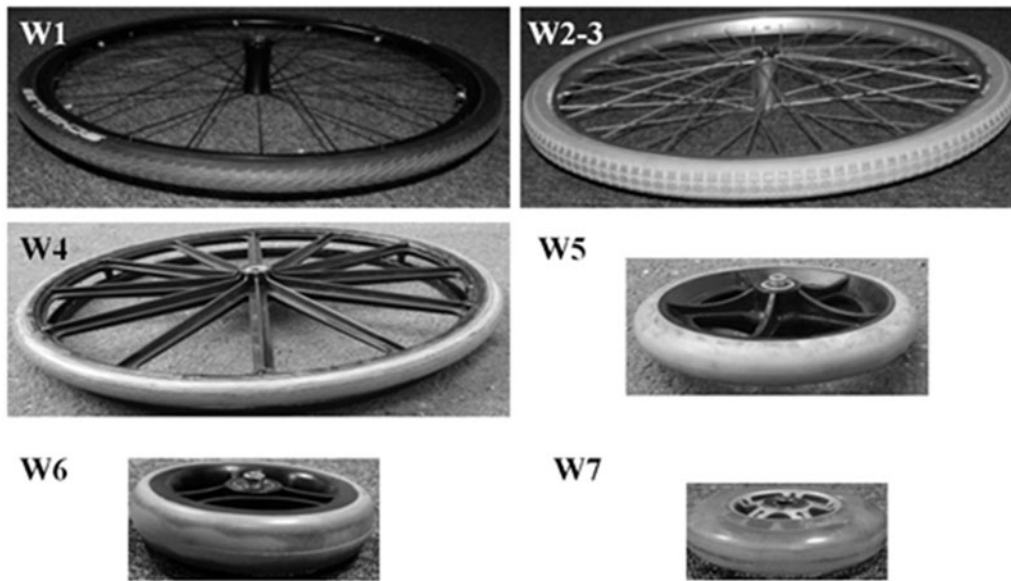


Figure 5. Photographs of the seven wheels tested during the experiments.

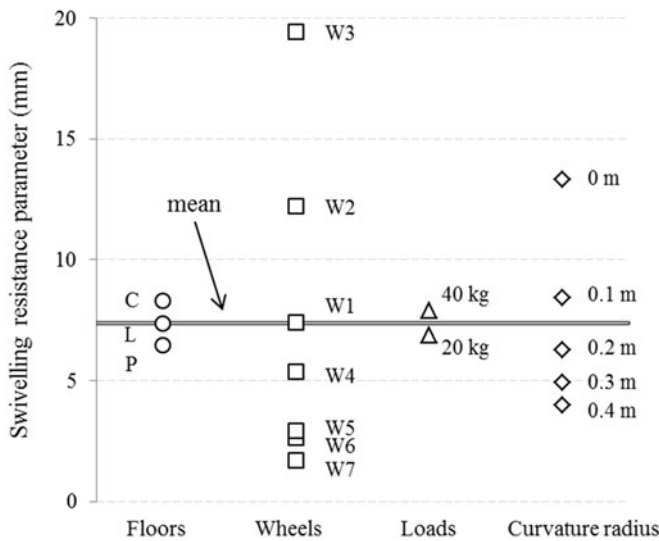


Figure 6. Mean results for swivelling resistance parameters (η) according to the different factors of influence. Floors: (C) Carpet, (L) Linoleum, (P) Plywood; Wheels: (W1) rear wheel 110 psi, (W2) rear wheel 50 psi, (W3) rear wheel 10 psi, (W4) rear wheel solid tire, (W5) standard castor, (W6) soft roll castor and (W7) roller castor.

The swivelling resistance parameters, according to the different factors (surface, wheel, load and r_c), are presented in Figure 6. On average, for the 210 configurations, η was 7.4 mm. Among the different factors, the wheel type was the most influential with η parameters ranging from 2.3 mm for the roller castor (W7) to 19.4 mm for the deflated wheel (W3). All front castors showed similar η values, close to 2.5 mm. Rear wheels showed higher η values, ranging from 5.4 mm for the solid tire (W4) to 12.2 mm for the pneumatic W2. Tire inflation also showed a significant effect, with η values increasing from 12.2 to 19.4 mm when the tire pressure was decreased from 50 to 10 psi (W2 vs W3). The second factor of influence was the curvature radius of the trajectory: the lower the radius, the higher the η value. When r_c increased from 0 to 0.4 m, η decreased from 13.3 to 4.0 mm. Besides, this decrease was all the more important when the radius was small. Indeed, the decrease of η was higher in the r_c range of 0 m (pure swivelling) to 0.1 m ($\Delta\eta = -5$ mm) than in the range of 0.1 m to

Table 2. Swivelling resistance parameters (η , in mm) depending on the floor surface, the wheel type and the curvature radius.

Curvature radius (m)	0	0.1	0.2	0.3	0.4
Plywood					
W1 – rear wheel 110 psi	13.3	7.6	5.3	3.5	2.7
W2 – rear wheel 50 psi	12.6	11.3	11.5	9.6	8.0
W3 – rear wheel 10 psi	22.0	19.0	15.3	15.2	14.2
W4 – rear wheel solid	8.1	5.5	3.7	3.2	2.5
W5 – Standard castor	6.7	2.7	1.6	1.0	0.7
W6 – Soft roll	6.0	2.4	1.6	0.9	0.6
W7 – Roller castor	3.5	2.2	1.3	0.8	0.5
Linoleum					
W1 – rear wheel 110 psi	14.2	7.3	5.6	3.9	3.1
W2 – rear wheel 50 psi	21.1	12.3	10.7	9.1	7.8
W3 – rear wheel 10 psi	33.7	20.9	16.9	11.9	10.8
W4 – rear wheel solid	9.7	6.4	5.0	4.3	3.1
W5 – Standard castor	9.5	3.0	1.8	1.6	0.8
W6 – Soft roll	8.3	3.1	1.6	1.0	1.1
W7 – Roller castor	4.5	1.6	0.8	0.5	0.2
Carpet					
W1 – rear wheel 110 psi	18.8	12.1	6.7	4.1	3.2
W2 – rear wheel 50 psi	21.2	18.3	12.3	10.2	7.6
W3 – rear wheel 10 psi	33.4	27.2	21.3	16.6	12.8
W4 – rear wheel solid	11.8	6.9	5.0	3.6	2.1
W5 – Standard castor	8.6	2.5	1.5	1.1	0.9
W6 – Soft roll	7.0	3.0	1.0	0.8	0.6
W7 – Roller castor	5.8	1.9	1.0	0.5	0.2

0.2 m ($\Delta\eta = -1.8$ mm). The floor surface was the third most influential factor with η parameters ranging from 6.5 mm for plywood to 8.3 mm for carpet. Finally, the effect of load, with η parameters varying from 6.9 to 7.9 mm when increasing the load from 250 to 450 N, appeared negligible compared to the other factors. Because of this low influence, only average values of η obtained for loads of 250 and 450 N were reported in Table 2.

Figure 7 represents the effect of r_c for two typical wheels (W1 and W6). If the global trend exhibited a decrease with r_c , the effect was more or less pronounced depending on the wheel and floor types. For instance, in Figure 7, the decrease of r_c from 0 to 0.4 m resulted in $\Delta\eta = -7$ mm for the soft roll castor whereas it reached -15 mm for the rear wheel pneumatic tire (on carpet surface). Overall, the higher the η value in pure swivelling conditions ($r_c = 0$), the higher the decrease with the curvature radius.

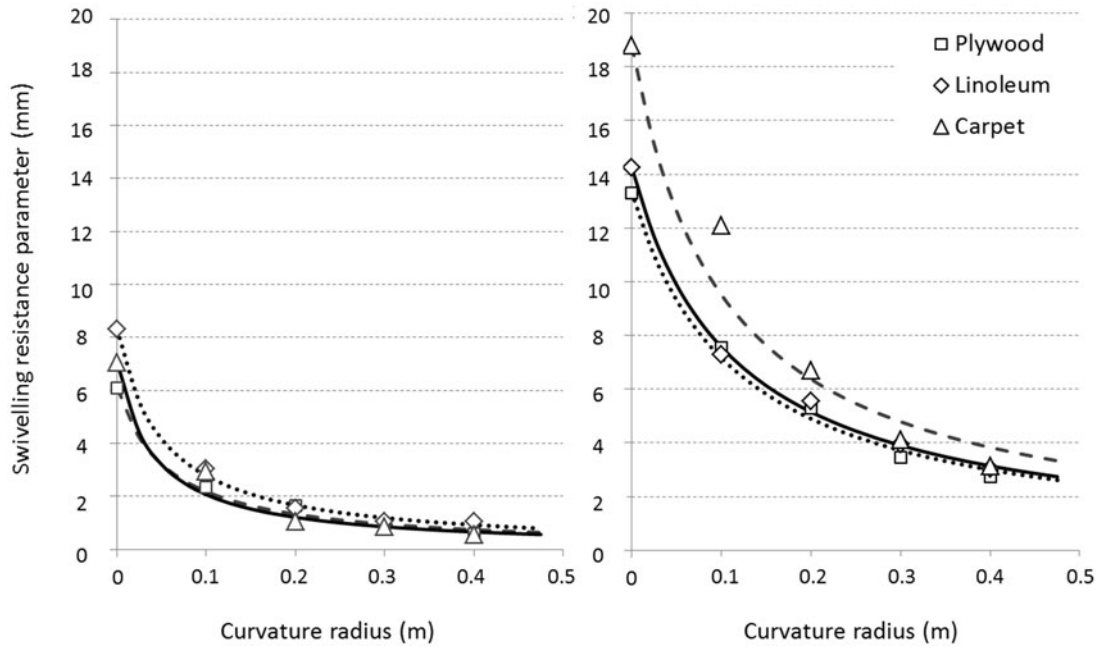


Figure 7. Effect of the curvature radius for soft roll castor (W6) (left) and 1" rear wheel pneumatic tire inflated at 110 psi (W1) (right) for three indoor surfaces. Marks are experimental results. Curves are obtained from the models (Equation (6) combined with Table 3).

Table 3. Coefficients a and b (a/b) to be used in Equation (7) for all combinations of wheel and floor types.

	Plywood	Linoleum	Carpet
W1 – rear wheel 110 psi	645/75 ⁽²⁾	619/70 ⁽¹⁾	519/53 ⁽⁵⁾
W2 – rear wheel 50 psi	90/78 ⁽³⁾	245/48 ⁽⁴⁾	157/48 ⁽⁶⁾
W3 – rear wheel 10 psi	76/46 ⁽⁴⁾	167/30 ⁽³⁾	94/30 ⁽⁶⁾
W4 – rear wheel solid	655/125 ⁽¹⁾	497/104 ⁽¹⁾	693/86 ⁽²⁾
W5 – Standard caster	2680/149 ⁽¹⁾	2290/105 ⁽¹⁾	2660/117 ⁽¹⁾
W6 – Soft roll	2930/164 ⁽¹⁾	2390/120 ⁽¹⁾	3410/142 ⁽²⁾
W7 – Roller caster	2790/286 ⁽¹⁾	6230/227 ⁽¹⁾	6450/174 ⁽²⁾

η and r_c are reported in metres. RMSE levels (in mm) are presented between brackets: (1) ≤ 0.25 , (2) 0.26–0.50, (3) 0.51–0.75, (4) 0.76–1.00, (5) 1.01–1.25, (6) > 1.25 .

Experimental models

For assessment purposes of the swivelling resistance, the evolution of η according to r_c was modelled using the following analytical function, neglecting the effect of the load:

$$\eta = \frac{1}{ar_c + b} \quad (6)$$

where a and b are two coefficients allowing to fit experimental data (Table 2). In this expression, the first coefficient (a) is related to the decrease of the η parameter with respect to the curvature radius: the higher this coefficient, the higher the decrease. The second coefficient (b) represents $1/\eta_0$, which is the inverse of the η parameter obtained in the pure swivelling condition. Hence, high b coefficient value implies a low η parameter in pure swivelling. Coefficients for every combination of wheel and floor type are reported in Table 3. Finally, the RMSE between the measured and assessed η values was 0.5 mm on average (range: 0.06–1.35 mm). Results were better on plywood (mean: 0.34 mm, range: 0.16–0.77 mm) and linoleum surfaces (mean: 0.37 mm, range: 0.17–0.91 mm) than on a carpet surface (mean: 0.73 mm, range: 0.06–1.35 mm). In a similar manner, results were better for solid wheels (W4, W5, W6 and W7) than these obtained for pneumatic ones (W1, W2 and W3). The most important inaccuracies (2.6 mm) were found for W1 and W2 on carpet with $r_c = 0.1$ m.

Discussion

Uncertainties evaluation

The result of the repeatability evaluation (mean $SD = 1$ mm) showed the necessity of performing several measurements for each condition and to select the average η value in order to minimise the uncertainty. The sensitivity of the η parameter to force plate measurement uncertainties resulted in a RMSE of 0.2 mm and reassembling the mechanical device prior to each series had a limited impact on the reproducibility ($SD: 0.6$ mm). Finally, considering the overall uncertainty ($\eta = 0.6$ mm), inter-series differences below 0.6 mm should be reservedly interpreted.

Factorial experiments

A full factorial experiment was performed involving seven wheels, three surfaces, five curvature radii and two loads. This study identified the wheel type as the primary factor of influence on swivelling resistance. Results showed that η parameters were lower for front castors than for rear wheels, which was already found for rolling resistance parameters (λ) [22]. However, the rolling resistance acting on the MWC can be assimilated to a force that is a function of the rolling resistance factor [15,22,28], which is the ratio between the λ parameter and the wheel radius. Therefore, for a given λ , the higher the wheel radius, the lower the resistance. Thus, the rolling resistance of the rear wheels was significantly lower than that of the front castors. Conversely, the swivelling resistance is a torque that is directly linked to the η parameter (Equation (2)). Therefore, the swivelling resistance remains higher on rear wheels than on front castor. In addition, because the rear wheels are generally more loaded than front castors, the choice of the rear wheel characteristics can be crucial to improve MWC user mobility.

On the one hand, the η values of front castors were close even if roller castors exhibited the lowest resistance to swivelling motion, followed by soft roll and standard castors. This ranking was consistent with previous results reported on rolling resistance parameters [22]. On the other hand, large differences were found

between the rear wheel types. Surprisingly, solid tires exhibited lower swivelling resistance than pneumatic ones. This result is in contradiction with results found on rolling resistance parameters [11,22]. However, differences in tread design may explain, at least partially, this unexpected result. Further investigations to quantify the effect of tread design should be done to distinguish the respective effects of tread design and wheel type. Tire inflation also exhibited a significant effect on swivelling resistance as it was already shown for rolling resistance [14]. In this study, swivelling resistance was increased by 50% by decreasing the tire pressure from 50 to 10 psi. Maintenance of rear wheel tire inflation is thus a simple and not-expensive way to support MWC user mobility.

As expected, the effect of the surface on swivelling resistance was not negligible. Indeed, larger η parameter values were obtained for carpet floor surfaces than for tile surfaces (linoleum and plywood panel). This result is consistent with existing literature on turning [25] and rolling [22] resistances. Hence, for both straight and curvilinear trajectories, resistance to motion is increased by a carpet surface and this result confirms the importance of limiting carpeted surfaces to support MWC user mobility. Between tile surfaces, higher η values were found on linoleum as opposed to plywood surface. This could be explained by both the higher deformation of the linoleum and the higher adherence properties between wheel and linoleum materials.

An important goal of this study was to quantify the effect of the curvature radius on η parameters. As expected, this factor had an important influence. Indeed, in comparison with the pure swivelling condition, the η value was divided by two when the curvature radius reached 0.1 m; and was divided by more than four when it reached 0.4 m, which confirms previous literature assumptions [25,27] and results [20].

Finally, load appeared to have a limited effect on η parameters, at least in the range of 250 to 450 N ($\Delta\mu = 1$ mm). This limited effect allowed simplified presentation of the results (Table 2) and models (Table 3), which appeared as an acceptable trade-off for model simplicity and prediction accuracy with predictive equations of η parameters only depending on the types of wheels and surfaces. But, if η can be assumed to be insensitive to load, the torque of swivelling resistance remains directly related to the applied load (see Equation (2)).

Nonetheless, results of this factorial experiment are still subjected to some limitations. First, the turning motion was performed manually by an experimenter without automatic control of the velocity. However, considering the range of rolling and swivelling velocities in MWC locomotion, the effect of velocity can be assumed to be negligible. Second, if the loads were chosen to be in accordance to the classical loading context of MWC wheels, the experiments did not include extreme conditions with very low/high loads. Extrapolation of the results to these extreme conditions would thus be done with some reserve.

Experimental models

The experimental models allow the η value to be assessed with respect to the instantaneous wheel trajectory curvature radius (r_c). These models were provided for every tested wheel/surface combination. The RMSE showed a better agreement between model prediction and experimental observations for all front casters and for the solid rear wheel than for the pneumatic rear wheels on all surfaces. Assessment of the actual η value appeared to be less reliable for the pneumatic rear wheels, even if it remained acceptable on plywood and linoleum. For these wheels on a carpet

surface, the η value in pure swivelling was correct by definition (Equation (6)), but the model tended to underestimate η until the curvature radius reached 0.2 m and to then overestimate it. The discrepancy observed between prediction and experimental data for pneumatic wheels could be decreased by a more complex model. However, the proposed model already provides acceptable results considering the field of application for which it was intended for. In addition, the highest error (2.6 mm) remains noticeably lower than the previous estimate from literature [25]. Hence, all the provided models (combining Equation (7) and Table 3) can be used for the assessment of wheels swivelling resistance.

Conclusion

This study aimed at providing quantified data of swivelling resistance parameters for assessment purposes depending on both floor surface and wheel type. The effects of the load and the curvature radius were also investigated. For that purpose, three surfaces, seven wheels, two loads and five curvature radii were tested through a full factorial design experiment.

The wheel type was found to be the most influential factor with important differences between front and rear wheels. Rear wheels also exhibited large differences between them whereas front wheels showed very similar values. However, ranking of wheel type in term of swivelling resistance was not the same as that was previously found for rolling resistance. Hence, depending on the loading configuration of the MWC and the kind of manoeuvres, the optimal set of wheels could be different and further studies need to be performed to clarify this question. The floor surface showed an expected impact on swivelling resistance but this effect remained limited when compared to the one of the wheel type. As for rolling resistance, less swivelling resistance is applied on tile surfaces than on a carpet surface. Hence, regardless the kind of MWC manoeuvres, carpet surfaces would be avoided to support MWC user mobility. The curvature radius of the wheel trajectory also showed a significant effect with swivelling resistance parameters divided by four when the curvature radius increased from 0 to 0.4 m. However, as it was previously found [20], this decrease was not linear.

Results of the full factorial design experiment allowed to present a model of swivelling resistance parameters according to the curvature radius. This was done from a rational function based on two coefficients, specific to every wheel/surface combination. The reliability of these models to predict experimental data was interesting, especially when they are compared to results obtained from previous literature values. The predictive models of swivelling resistance parameters presented in this paper can be used to assess energy loss during wheelchair daily activities, allowing the benefits of wheel choices, covering surface, MWC adjustments, or apartment/building accommodations to be evaluated. They can also be used to provide MWC simulators with realistic control instructions for the reproduction of the effect of different surfaces, wheel types or ways to perform a turning motion (choice of the curvature radius).

Disclosure statement

No potential conflict of interest was reported by the authors.

ORCID

Joseph Bascou  <http://orcid.org/0000-0001-5290-8158>

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