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PCQM: A Full-Reference Quality Metric for Colored 3D Point Clouds

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Abstract—3D point clouds constitute an emerging multimedia content, now used in a wide range of applications. The main drawback of this representation is the size of the data since typical point clouds may contain millions of points, usually associated with both geometry and color information. Consequently, a significant amount of work has been devoted to the efficient compression of this representation. Lossy compression leads to a degradation of the data and thus impacts the visual quality of the displayed content. In that context, predicting perceived visual quality computationally is essential for the optimization and evaluation of compression algorithms. In this paper, we introduce PCQM, a full-reference objective metric for visual quality assessment of 3D point clouds. The metric is an optimally-weighted linear combination of geometry-based and color-based features. We evaluate its performance on an open subjective dataset of colored point clouds compressed by several algorithms; the proposed quality assessment approach outperforms all previous metrics in terms of correlation with mean opinion scores.

Index Terms—Visual Quality Assessment, Point Cloud, Objective Metric.

I. INTRODUCTION

With the increasing capability of 3D data acquisition devices (RGBD cameras, 3D scanners, photometric), point clouds are becoming a popular representation in a wide range of applications, from manufacturing and construction to 3D telepresence. In this representation, a 3D asset simply consists in a collection of points; each point has geometric coordinates (x, y, z) but may also contain a number of other attributes such as color, reflectance and surface normals. In many applications, point clouds are preferred to polygonal meshes for representing 3D assets, thanks to their flexibility and simplicity. However, the main disadvantage of point clouds is the size of the data which may be huge. Indeed, since there is not explicit surface information that could allow texture mapping, then a high precision in geometric details or colors require an increased number of points. As an example, in telepresence systems, typical sizes of point clouds are between 100,000 and 10,000,000 points [1]. As a consequence of this large amount of data, a significant amount of work has been devoted to the efficient compression of this representation [1]–[5]. These algorithms usually compress both the geometry and color information. Since they are lossy, they introduce geometry and color distortions that impact the perceived quality of the decoded data. Accurate objective quality metrics are thus needed to evaluate this visual quality and drive compression algorithms.

In this context, we propose a full-reference objective quality metric for 3D point clouds with color attributes. We select several geometry-based and color-based features. An optimal subset of these features is then selected and combined by logistic regression. Geometry-based features are based on curvature analysis and are borrowed from the recent PC-MSDM metric [6]. For the color-based features, we extended for point clouds the lightness, chroma, and hue comparisons proposed in [7]. To our knowledge, our proposed metric is the first attempt to integrate both geometry and color information for quality assessment of point clouds. We conduct experiments on a recent benchmark proposed by Javaheri et al. [8], composed of 54 colored points clouds, created from 6 references compressed with three different compression algorithms. We evaluate the performance of each feature individually, and of the proposed linear model and compare them to state-of-the-art approaches. Our contributions are the following:

1) We extend the set of image color features proposed in [7] to 3D point clouds.
2) We evaluate individually the performance of a set of perceptually-relevant curvature-based and color-based features for predicting the perceived visual quality of 3D point clouds.
3) We provide an optimized linear model, which outperforms state-of-the-art metrics.
4) The source code is made publicly available to support further research in this area.

The following section details the existing work on objective quality assessment of 2D images and 3D point clouds. Section III details the proposed metric, while section IV presents the results.

II.RELATED WORK

Image quality metrics. In the field of 2D image processing, the research on objective quality assessment metrics is highly developed [9]. Bottom-up techniques try to mimic the low-level mechanisms of the human visual system (HVS) such as the contrast sensitivity function (CSF), usually modelled by a band-pass filter, and the visual masking effects that define the fact that one visual pattern can hide the visibility of another. They include the Sarnoff Visual Discrimination

1https://github.com/MEPP-team/PCQM
Assessing computationally the visual quality of a 3D content composed of both geometry and color information is a particularly difficult task. Indeed, once some geometry and color features have been computed, the central question is how to combine them? This problem is also complicated by the fact that the optimal combination strongly depends on the rendering used when displaying the content. For instance, for the particular case of 3D meshes with diffuse textures, Guo et al. [34] showed that the absence of shading during the rendering (i.e., the pixel colors depend only on the texture colors, without any lighting effect) tends to mask the geometry artifacts and emphasize the color artifacts, as opposed to a rendering with shading. To resolve this complex combination problem, we consider a data-driven approach: we first select and compute different features \( f_i \), a part of them being related to geometry and the other to color. Our Point Cloud Quality Metric (PCQM) is then computed as a linear combination (computed through logistic regression) of an optimal subset of these features.

Before computing these features (see Section III-D), we first establish a correspondence between the distorted point cloud \( D \) and the reference point cloud \( R \) (see Section III-B) and we define a proper neighborhood for each point (see Section III-C).

### B. Correspondence Between Point Clouds

The first step of our approach consists in establishing a correspondence between the point clouds being compared: for each point \( p \) from \( R \) we compute its corresponding point \( \hat{p} \) on \( D \). It amounts to projecting the points from \( R \) onto \( D \). We restrict the projection from \( R \) onto \( D \) since the sampling density of \( R \) is the most relevant to capture the distortion information. Projecting points from \( D \) to \( R \) may lead to information loss (e.g., if \( D \) is heavily subsampled).

To establish a correspondence, for each point \( p \in R \), most of existing approaches [22, 25] simply consider the closest point \( p^D \in D \) (i.e., the nearest neighbor of \( p \) belonging to \( D \)). However, this makes the correspondence strongly dependent on the point sampling density and may lead to inaccurate results. Instead, as in [6], we search, for each \( p \), the projection \( \hat{p} \) on the 3D surface subtended by \( D \). To do so we consider a local least squares fitting of a quadric surface (illustrated in Figure 1). This quadric surface fitting is computed on the set of nearest neighbors \( p_i^D \in D \) of \( p \). First we estimate an approximate tangent plane using Principal Component Analysis, which gives us an orthonormal frame \( (u_x, u_y, u_z) \) such that \( u_z \) is aligned with an approximate normal to the surface. We take \( p \) as the origin of the coordinate system. In this local frame, the neighbor \( p_i^D \) of \( p \) has coordinates \( (x_i, y_i, z_i) \). We thus look for the quadric surface \( Q(x, y) = ax^2 + by^2 + cxy + dx + ey + f \) minimizing:

\[
\sum_i \| z_i - Q(x_i, y_i) \|^2
\]  

Once the quadric surface \( Q \) is fitted, \( \hat{p} \) is given as \( (0, 0, Q(0, 0)) \) in the \( (u_x, u_y, u_z) \) frame mentioned above. Note that for computing the nearest neighbors \( p_i^D \) of \( p \), we consider a spherical neighborhood as detailed in Section III-C.

This geometric correspondence between point clouds \( R \) and \( D \) allows us to compute geometry-based features (see Section III-D) and consider a spherical neighborhood as detailed in Section III-C.
Section III-D). However we also need to compute color-based features and thus we need to establish also a color correspondence between point clouds; in other words, we need to assign a color for each \( \hat{p} \). For this purpose, once the projected point \( \hat{p} \) is determined, we simply assign it the color of its nearest neighbor on \( D \). We implemented more sophisticated barycentric interpolation methods both in RGB and LAB color-spaces, however results were less accurate.

\[ \rho = \frac{(1 + d^2)a + (1 + e^2)b - 4abc}{(1 + e^2 + d^2)^\frac{3}{2}} \]  

(2)

For each point \( p \) from \( R \), two curvature values are computed: \( \rho_p \) computed using a quadric fitted over the local neighborhood \( N(p, \frac{h}{2}) \in R \) and \( \rho_{\hat{p}} \) computed using a quadric fitted over the local neighborhood \( N(\hat{p}, \frac{h}{2}) \in D \). We then consider the three following features:

\[ f_1^p = \frac{\|\mu_p^2 - \mu_{\hat{p}}^2\|}{\max(\mu_p^2, \mu_{\hat{p}}^2) + k_1} \]  

(3)

\[ f_2^p = \frac{\|\sigma_p^2 - \sigma_{\hat{p}}^2\|}{\max(\sigma_p^2, \sigma_{\hat{p}}^2) + k_2} \]  

(4)

\[ f_3^p = \frac{\|\sigma_p \sigma_{\hat{p}} - \sigma_p^{\hat{p}}\|}{\sigma_p^2 + \sigma_{\hat{p}}^2 + k_3} \]  

(5)

where \( k_i \) are constants to avoid instability when denominators are close to zero (they have been fixed to 1.0 as in [6]). \( \mu_p^2, \mu_{\hat{p}}^2 \) are Gaussian-weighted averages of curvature over the 3D points belonging to neighborhoods \( N(p, h) \in R \) and \( N(\hat{p}, h) \in D \) respectively. Similarly \( \sigma_p^2, \sigma_{\hat{p}}^2 \) and \( \sigma_p^{\hat{p}} \) are standard deviations and covariance of curvature over these neighborhoods.

2) Color-based features: Since no color feature has yet been introduced by the scientific community for quality evaluation of point clouds, we propose to extend the recent work from Lissner et al. [7], who proposed several features for the quality evaluation of 2D images. Their features have the benefit of taking into account not only the luminance but also the chromatic components.

As the authors, we first convert the RGB values to the perceptual color space LAB2000HL, introduced in [35]. Each point \( p \) is thus associated to a lightness \( L_p \) and two chromatic values \( a_p \) and \( b_p \). Similarly to [7], we define the chroma \( c_p \) as \( c_p = \sqrt{a_p^2 + b_p^2} \). Our features are then defined as follows:

\[ f_4^p = \frac{1}{k_4, (\mu_p^L - \mu_{\hat{p}}^L)^2 + 1} \]  

(6)

\[ f_5^L = \frac{2\sigma_p^L \sigma_{\hat{p}}^L + k_5}{\sigma_p^L + \sigma_{\hat{p}}^L + k_5} \]  

(7)

\[ f_6^L = \frac{\sigma_p^{\hat{p}} + k_6}{\sigma_p^L + \sigma_{\hat{p}}^L + k_6} \]  

(8)

\[ f_7^L = \frac{1}{k_7, (\mu_p^L - \mu_{\hat{p}}^L)^2 + 1} \]  

(9)

\[ f_8^L = \frac{1}{k_8, \Delta H_{pp}^2 + 1} \]  

(10)

with \( \Delta H_{pp} = \sqrt{(a_p - a_{\hat{p}})^2 + (b_p - b_{\hat{p}})^2 + (c_p - c_{\hat{p}})^2} \) and \( \Delta H_{pp} \) is the Gaussian-weighted average over \( N(p, h) \). Constants \( k_i \) have been fixed as the same values as in [7].

Note that, for each of these color features, we apply the transform \( f_8^L = 1 - f_8^L \) to obtain a distance instead of a similarity index (i.e., a value of 0 means that there is no local distortion). Those features are then coherent with the geometry-based features.
E. Combining Features Into a Perceptual Quality Score

The height local features \( f_i^p \) presented above are computed for each point \( p \), and are in \([0, 1]\). In order to obtain global features \( f_i \) we aggregate local values by taking the means of the distributions (this corresponds to an average pooling):

\[
f_i = \frac{1}{|R|} \sum_{p \in R} f_i^p
\]

(11)

Our metric is then defined as combination of these features \( f_i \), i.e., as a mapping function from the feature space \( \mathbf{f} \) to a scalar \( \in [0, 1] \). It is hard to anticipate what combination model would provide the best and more stable results. E.g., Lissner et al. [7] combine their color features using a factorial model, while Meynet et al. [6] consider a linear model for curvature-based features. In this work, to make the optimization easier, we consider a linear model, optimized through logistic regression. Our full reference metric PCQM, is thus defined as follows:

\[
PCQM = \sum_{i \in S} w_i f_i
\]

(12)

\( S \) is the set of indices of features of our linear model. The optimal subset of features and corresponding weights are determined through cross-validation, based on results from a subjective study (see Section IV-C2).

IV. RESULTS AND EVALUATION

A. Database

To train and evaluate our metric, we need a dataset of distorted stimuli with mean opinion scores (MOS) obtained through a subjective experiment. These exist few publicly-available subject-rated databases of colored 3D point clouds [8], [23], [28]. We considered the IST Rendering Point Cloud Dataset [8]\(^1\). Six colored point clouds from MPEG repository (with number of points ranging from 272,684 to 4,848,745) have been compressed with three different codecs, each at three different rates representing low, medium and high quality. Octree-pruning, MPEG G-PCC and MPEG V-PCC codecs have been used. In total, the dataset thus contains 54 point clouds, each rated by 20 subjects using a DSIS subjective methodology. Note that three rendering methods (and thus three rating sessions) were used: 3D points without color, reconstructed 3D meshes without color and 3D points with colors. Since our metric focus on colored point clouds, we consider MOS values from the latter session.

B. Parameter of the features

The only parameter of our metric is the scale \( h \) used to compute the neighborhoods. This parameter actually defines the scale of the distortions that we want to capture and is linked to the subjective test protocol. In our experiment we consider \( h = 0.008 \times BB \) with \( BB \) the maximum bounding box length.

\(^1\)https://github.com/AlirezaJav/IRPC-Dataset

C. Results

In what follows, the performance of the features and metrics is evaluated using the Spearman and Pearson correlation coefficients between the objective metric’s values and the subjective scores. Correlations are computed after a logistic regression which provides a non-linear mapping between the objective and subjective scores.

1) Single feature prediction performance: We first evaluate the prediction performance of each feature separately. Figure 2 illustrates the correlations of each feature \( f_i \) with MOS.

<table>
<thead>
<tr>
<th>Feature</th>
<th>id</th>
<th>Pearson</th>
<th>Spearman</th>
</tr>
</thead>
<tbody>
<tr>
<td>Curvature comparison</td>
<td>( f_1 )</td>
<td>0.75</td>
<td>0.61</td>
</tr>
<tr>
<td>Curvature contrast</td>
<td>( f_2 )</td>
<td>0.78</td>
<td>0.61</td>
</tr>
<tr>
<td>Curvature structure</td>
<td>( f_3 )</td>
<td>0.55</td>
<td>0.62</td>
</tr>
<tr>
<td>Lightness comparison</td>
<td>( f_4 )</td>
<td>0.76</td>
<td>0.81</td>
</tr>
<tr>
<td>Lightness contrast</td>
<td>( f_5 )</td>
<td>0.76</td>
<td>0.78</td>
</tr>
<tr>
<td>Lightness structure</td>
<td>( f_6 )</td>
<td>0.79</td>
<td>0.73</td>
</tr>
<tr>
<td>Chroma comparison</td>
<td>( f_7 )</td>
<td>0.64</td>
<td>0.74</td>
</tr>
<tr>
<td>Hue comparison</td>
<td>( f_8 )</td>
<td>0.61</td>
<td>0.59</td>
</tr>
</tbody>
</table>

We can see from Figure 2 and Table I that most of features provide a correct correlation with the subjective scores. Best features are Lightness comparison \( f_4 \), contrast \( f_5 \) and structure \( f_6 \). Curvature comparison \( f_1 \) and contrast \( f_2 \) also provide a good Pearson correlation but low Spearman scores, indicating a good global tendency but more outliers in the predictions, as can be seen also in Figure 2. Chromatic features seem to be less relevant.

2) Linear model optimization: To optimize our linear model, we consider logistic regression. Since features may be redundant and in order to prevent over-fitting we do not consider all features but we select an optimal subset. For a given subset of features, the weights are optimized as follows: we split the dataset into two equal parts (each containing 27 distorted point clouds). One part is used to optimize the weights by logistic regression and the other is used for testing the obtained metric. The splitting is done according to the reference point clouds, insuring that the test set does not contain any of the point clouds used for training, regardless of the distortion. It amounts to selecting 3 reference models among 6 for training and using the rest for testing. We repeat this operation using the \( \binom{6}{3} = 20 \) possible splittings, and report the average performance. Since we have 8 features, there are \( 2^8 - 1 = 255 \) possible combinations of features. We exhaustively search through all possible combinations, and select the one that generates the best average performance in term of Pearson and Spearman correlation. The best model that we finally obtain is composed of only three features: Curvature structure \( (f_3) \), Lightness comparison \( (f_1) \) and Lightness structure \( (f_6) \). Results are reported in the section below.
3) Performance of our metric and comparisons: In Table II, we report the results of our metric PCQM. We also include results of the best single feature, and of two baselines: 

- geometric distance ($d_{geo}$) which is the average of the geometric distance (normalized by the bounding box length) between $p$ and $\hat{p}$ (computed by a simple nearest neighbor approach), and 
- color distance ($d_{color}$) which is the average of their color distance (computed in LAB2000HL).

For all these metrics, we report their average performance when computed on the 20 test sets, as described in the section above. We also report results of the state of the art metrics reported in [8] (we selected the best setting for each of them). Note that for these latter metrics (Point-to-Point, Point-to-Plane and Plane-to-Plane), correlations were computed once over the whole dataset.

Table II demonstrates that our metric performs very well. The best single feature ($f_5$) provides also good results. Note that, in this setting (i.e., average correlations over 20 test sets of 27 point clouds), results for this feature are slightly different from those reported in Table I which are computed once over the whole dataset (of 54 point clouds). Our geometric distance, $d_{geo}$, provides also good average results on this dataset, but with high standard deviation. Its results seem to be better than the point-to-point distance reported in [8]. This difference may be due to the fact that we consider only an asymmetric distance (from $R$ to $D$). However, despite its good results on this dataset, the pure geometric distance has shown to behave very poorly in other datasets (e.g., [24]–[26]).

4) Recommended weights: We provide the recommended model for use by the scientific community. We averaged the weights of our linear models obtained for each of the 20 training subsets:

$$PCQM_{rec} = 0.18f_3 + 0.44f_4 + 0.38f_6$$ (13)

Note that in order to reveal the relative importance of each feature, the weights presented in the equation above are scaled by the standard deviation of the features. Real unscaled weights are 0.0057, 0.9771, and 0.0172, respectively for $f_3$, $f_4$ and $f_6$. Figure 3 illustrates subjective MOS against the metric values. The Pearson and Spearman correlations computed over the whole dataset are 0.90 and 0.83, respectively. For the sake of comparison the figure also illustrates the baseline color distance $d_{color}$ (Pearson=0.71 and Spearman=0.65).

V. CONCLUSION

In this work, we presented a full reference metric for the quality assessment of colored 3D point clouds. Our metric is data-driven and is defined as a linear combination of an optimal subset of geometry-based and color-based features. Those features are computed thanks to accurate mechanisms.
for correspondence and neighborhood computation. Our experimental results show that color features, particularly lightness information, plays an important role in the human perception of point clouds; they also demonstrate that geometry (represented by curvature) and color are complementary attributes since our optimal computational model includes both of them.

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