

# Evaluation of the spatial variations of the hydrodynamical parameters of soils with GPR

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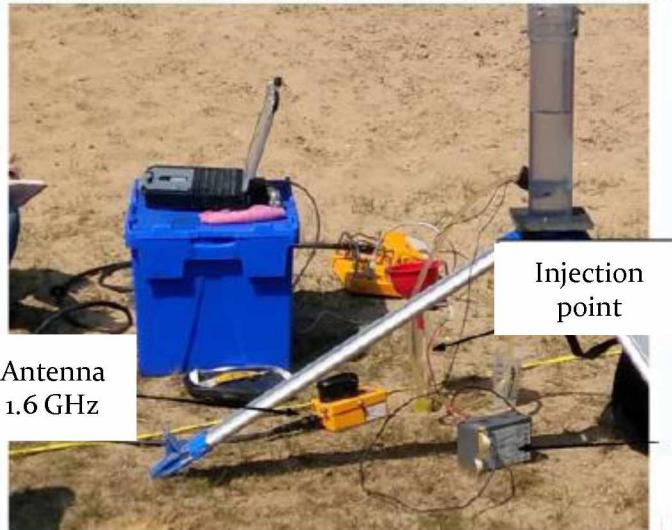
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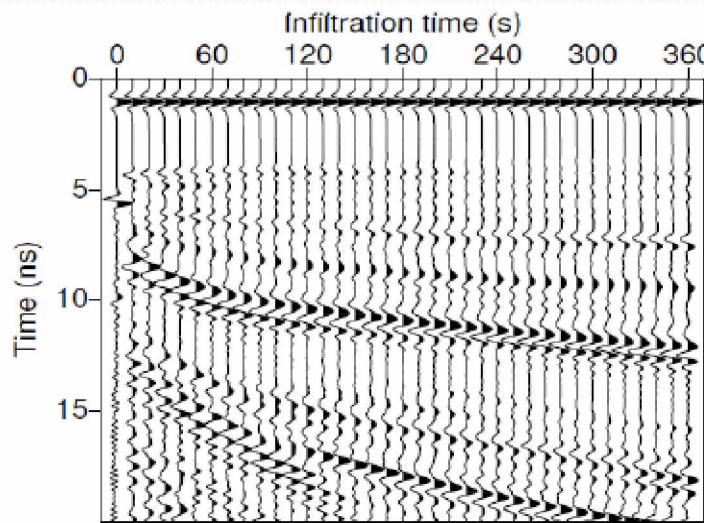
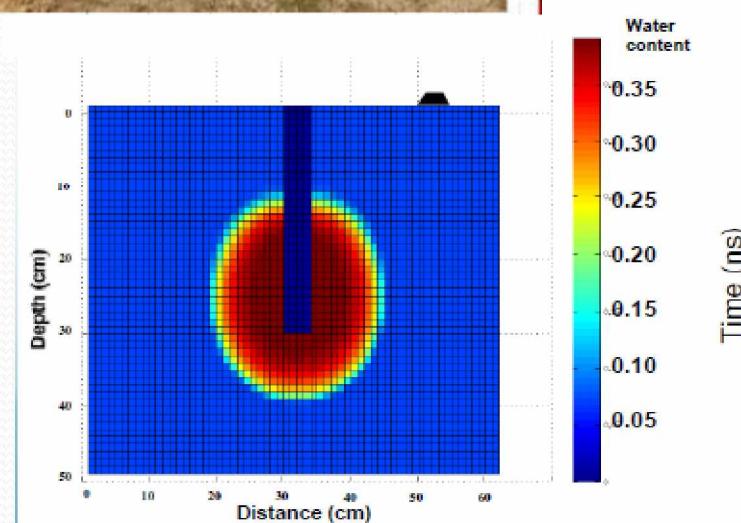
EGU 2019  
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# In-situ measurements of soil hydrodynamical parameters with GPR

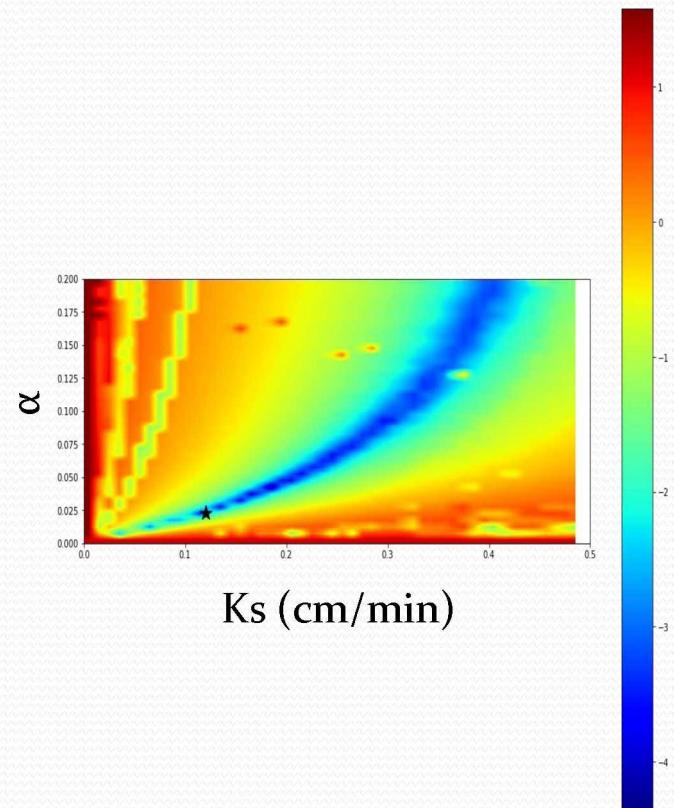
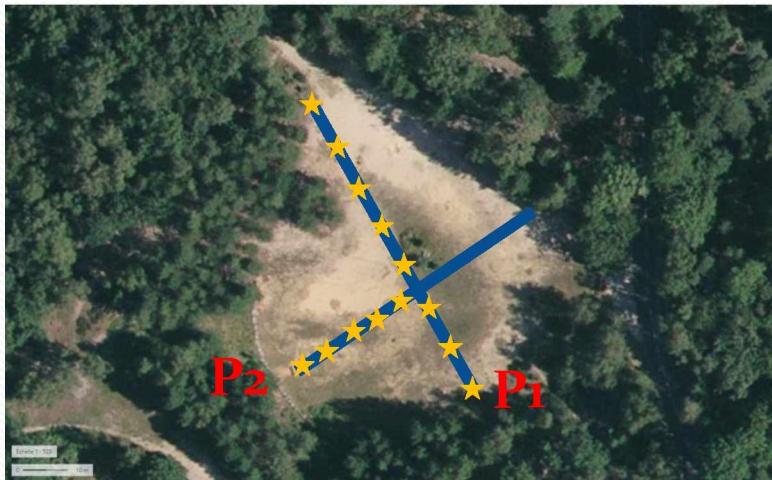


- Development of forward and inverse Python code for modelling GPR data for infiltration tests
- Monitoring of Porchet experiments with high frequency GPR antennas
- Using the last versions of Python packages dedicated to geophysics
  - gprMax
  - PyGimli



# In-situ measurements of soil hydrodynamical parameters with GPR

- Field experiments to determine the best protocol
  - Sandpits
  - Reproduction and efficiency of measurements
- Data processing and research
  - Parameters sensitivity analysis
  - Work on data fitting
    - Infiltrated water volume
    - TWT



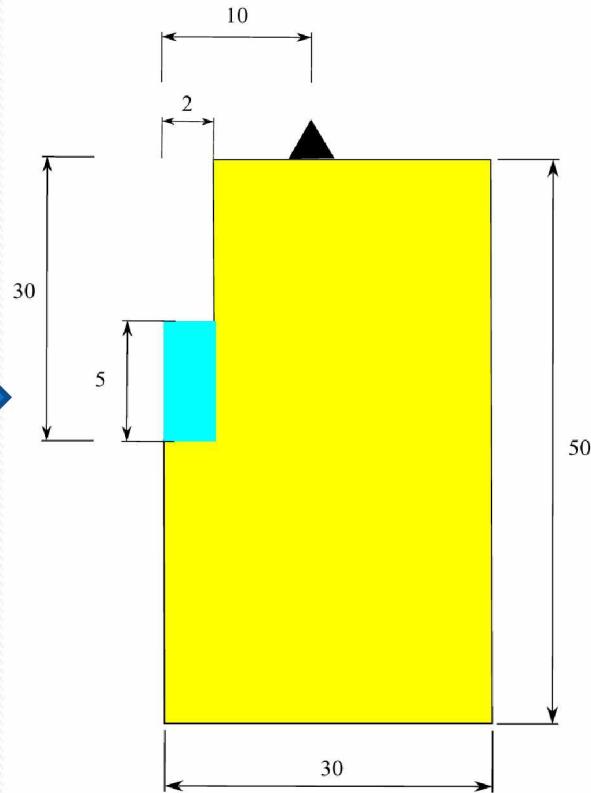
# Bibliography

- Which hydrodynamic parameters to consider?
  - Soil water retention curves and hydraulic conductivity depending on the head h
  - Described by Mualem-van Genuchten equations :
    - $K(S_e) = K_0 S_e^L \left\{ 1 - \left[ 1 - S_e^{n/(n-1)} \right]^{1-1/n} \right\}^2$
    - With :  $S_e = \frac{\theta(h)-\theta_r}{\theta_s-\theta_r} = [1 + (\alpha h)^n]^{1/n-1}$
    - 5 parameters :  $K_s$ ,  $\theta_r$ ,  $\theta_s$ ,  $\alpha$ ,  $n$

# Experimental method

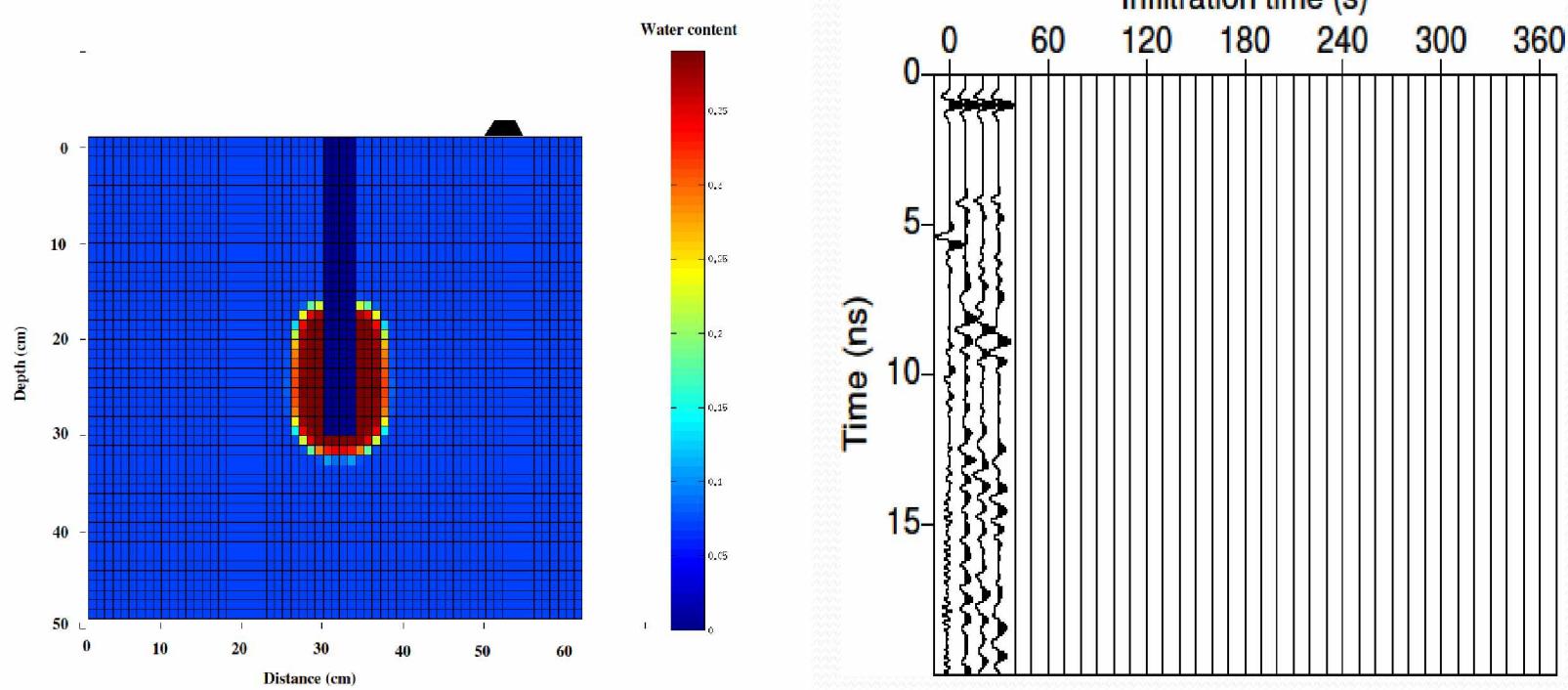


Field

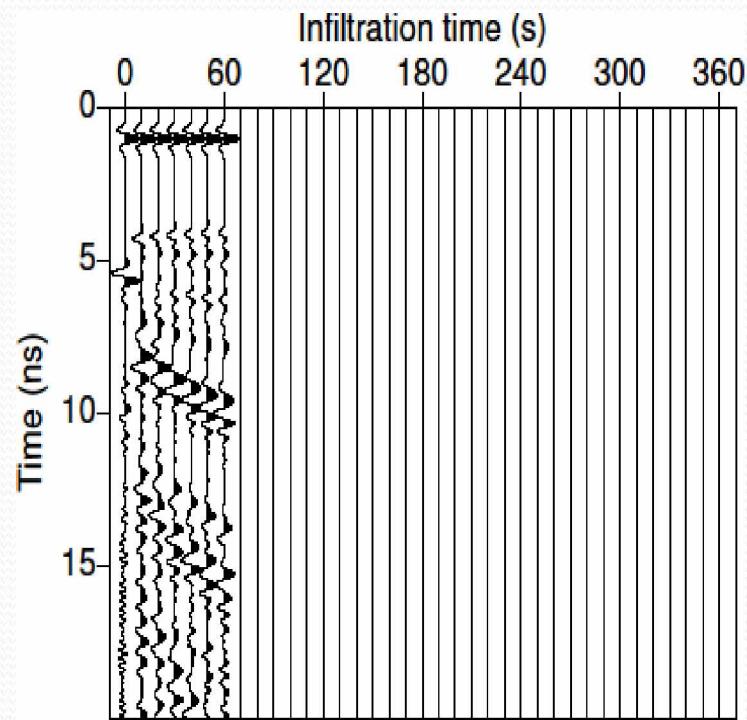
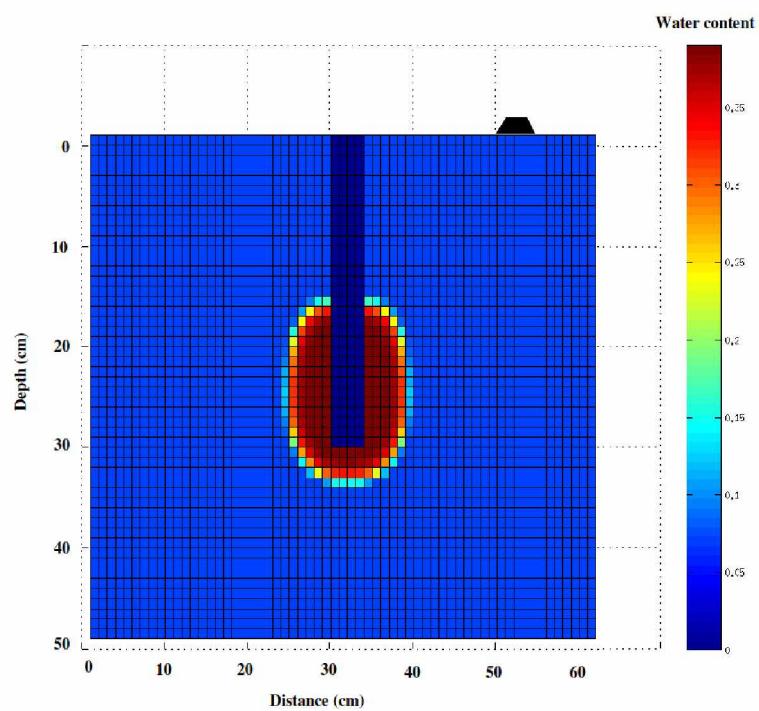


Model

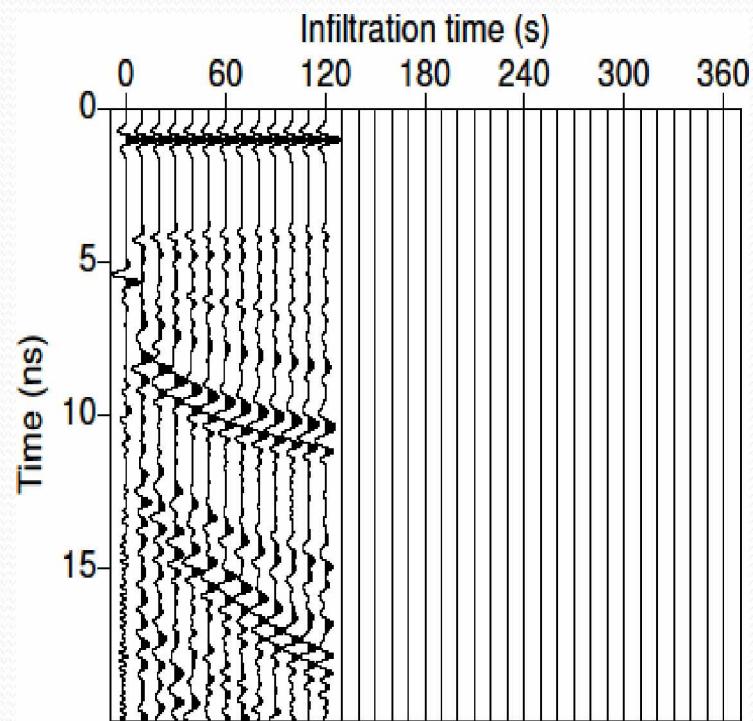
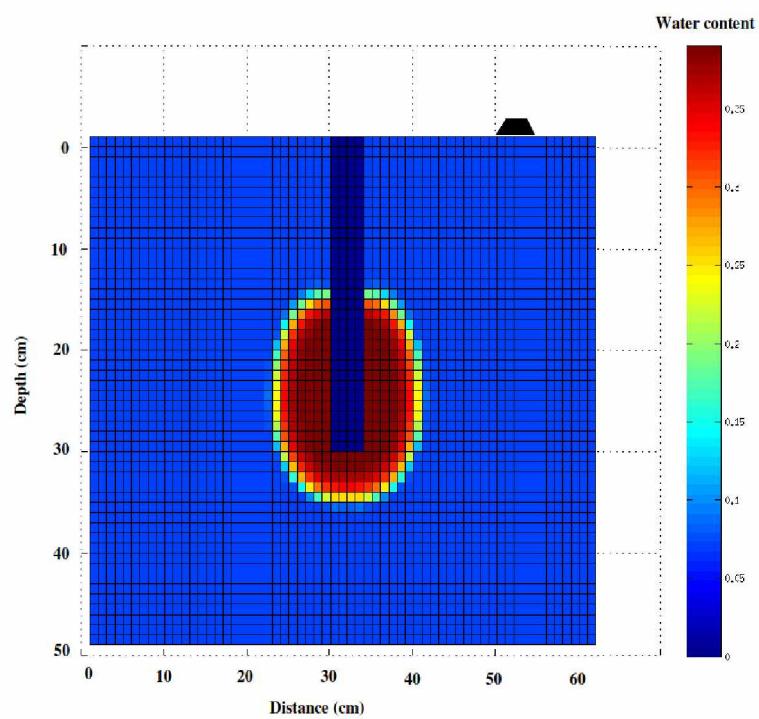
# Construction of radargram : 30 s



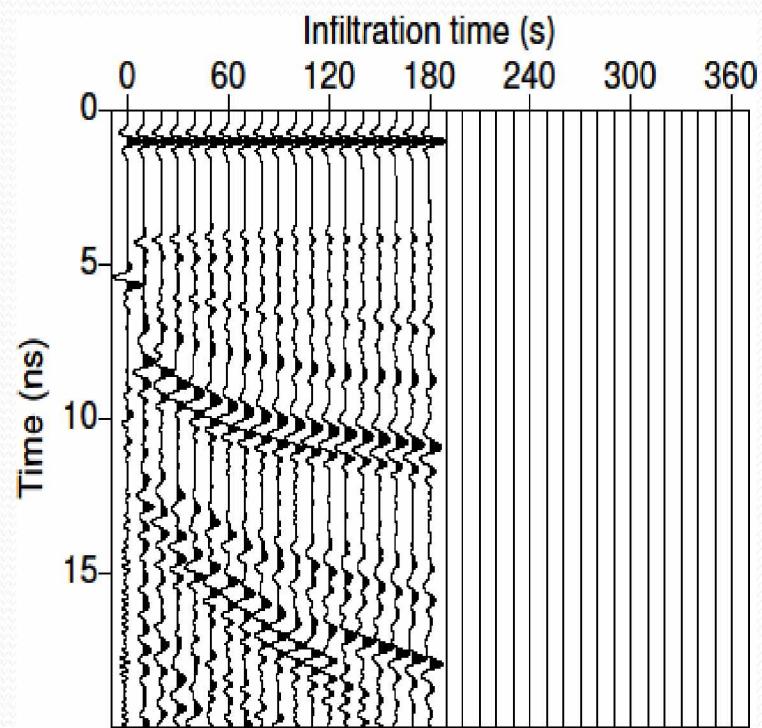
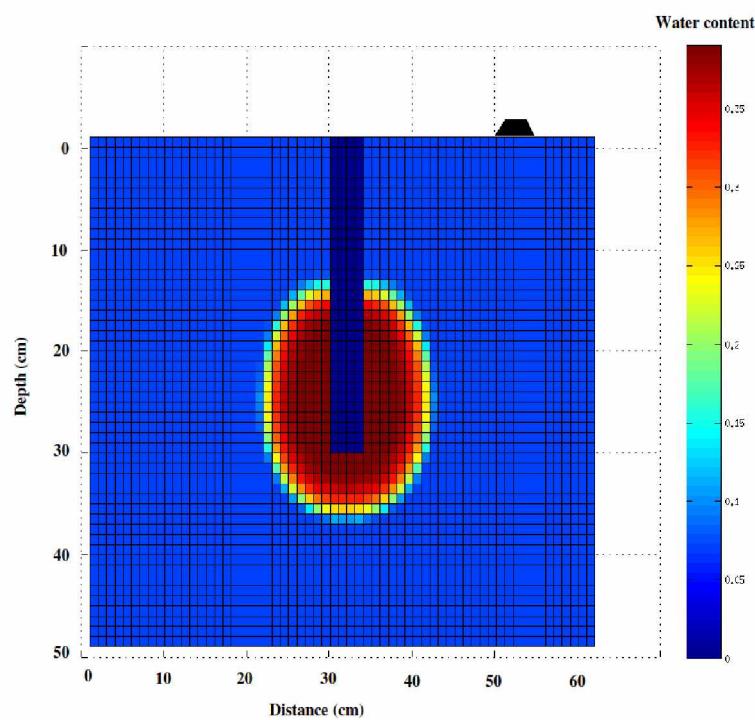
# Construction of radargram : 60 s



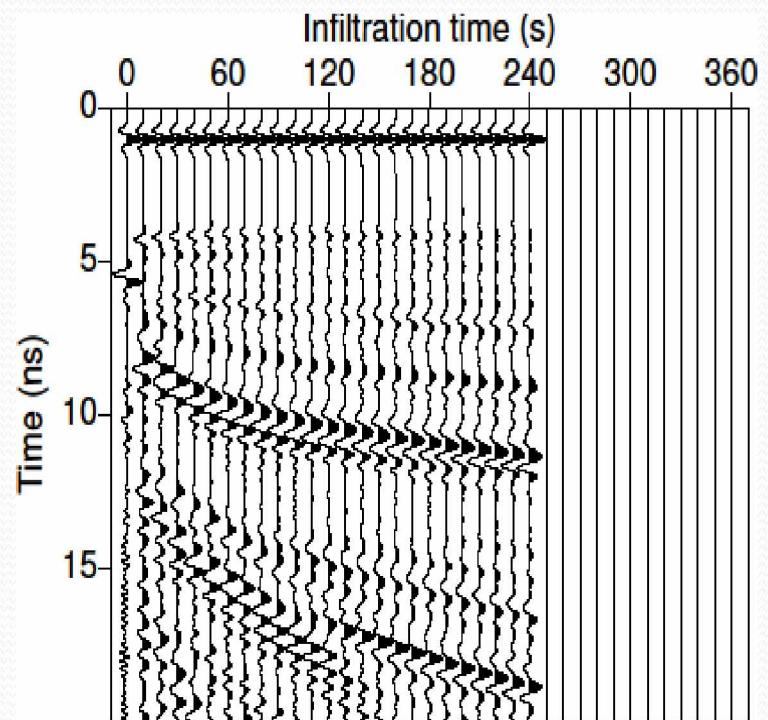
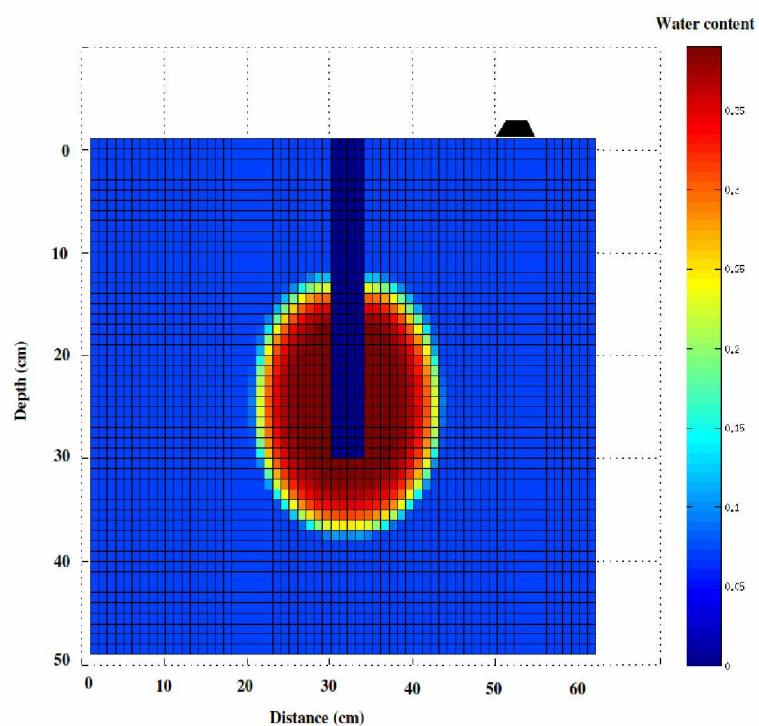
# Construction of radargram : 120 s



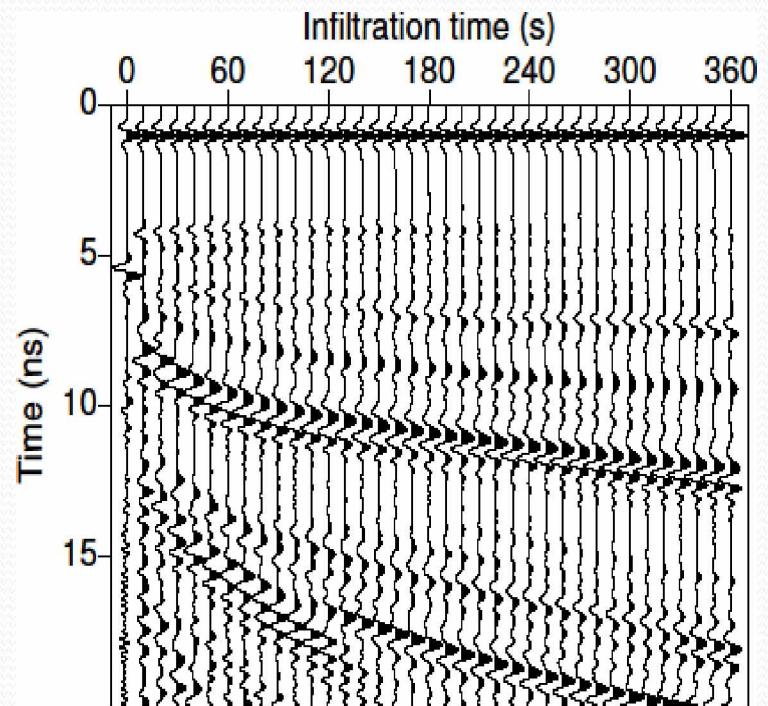
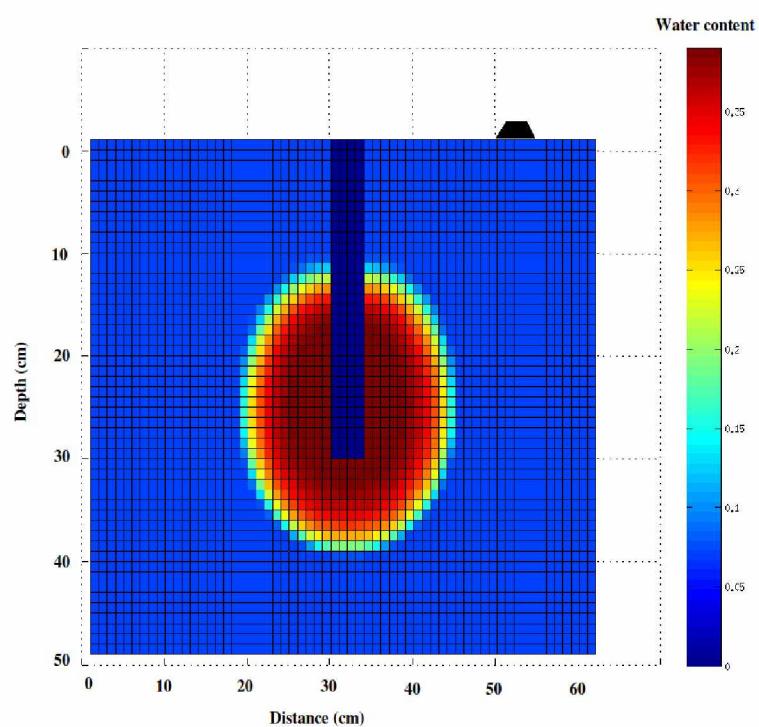
# Construction of radargram : 180 s



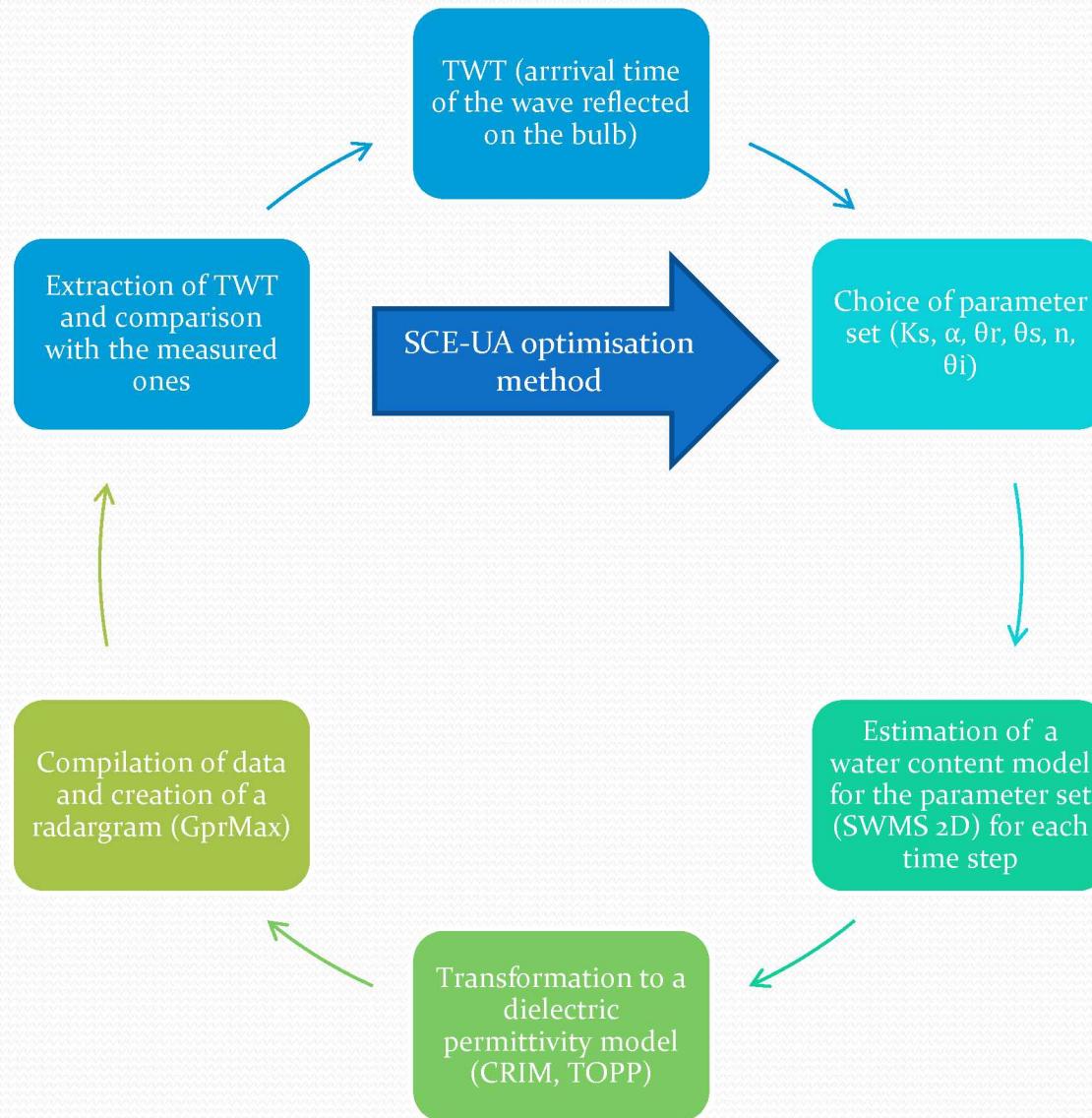
# Construction of radargram : 240 s



# Construction of radargram : 360 s

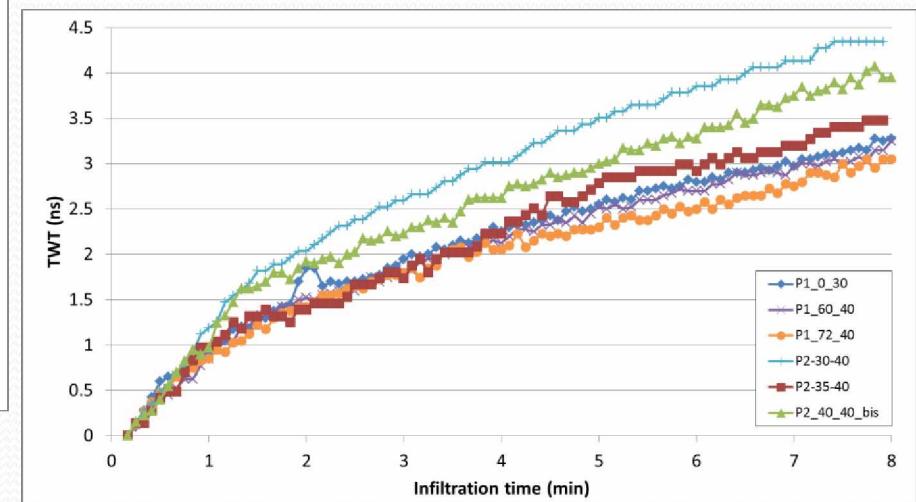
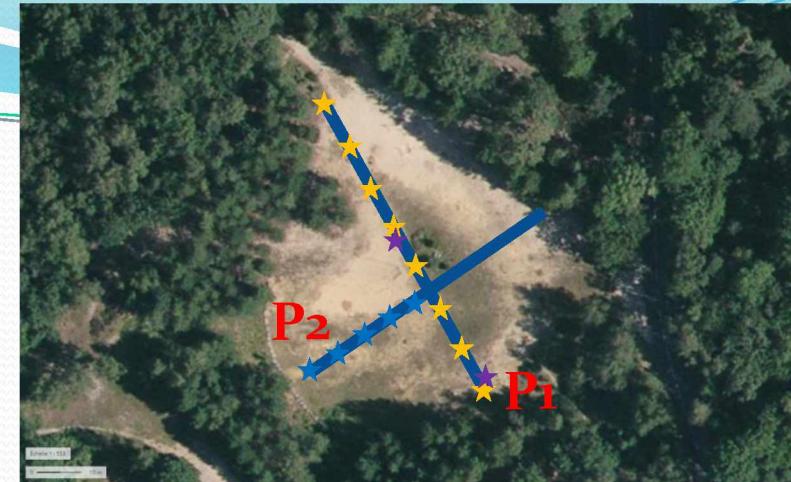
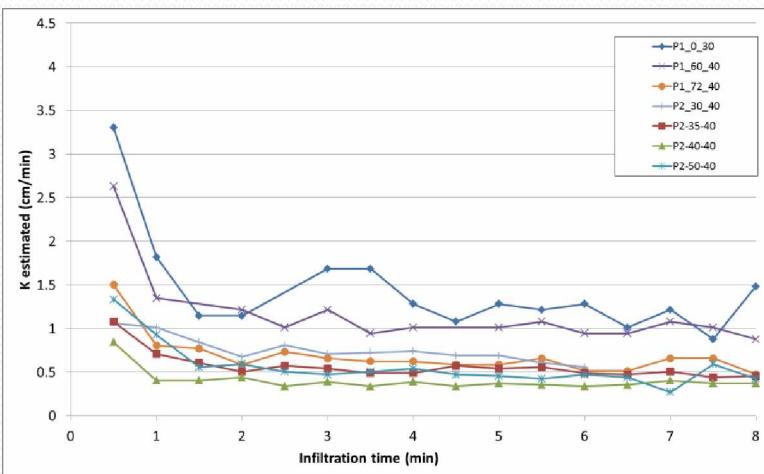
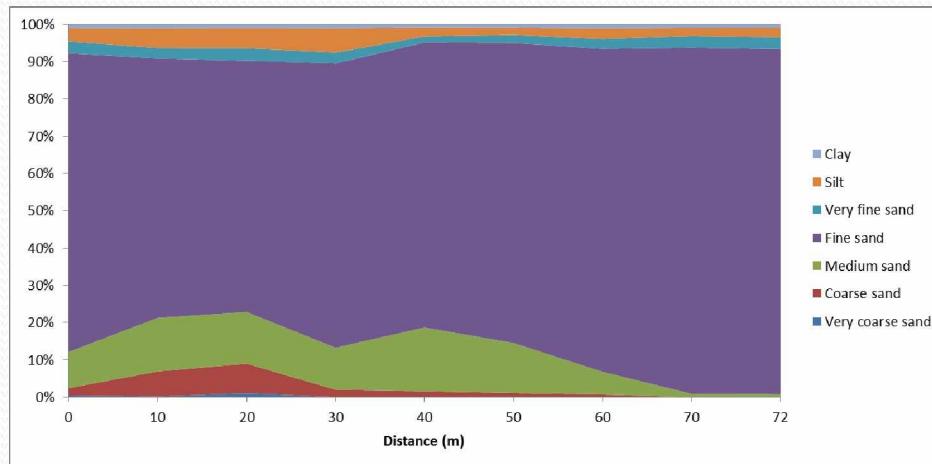


# Construction of the code



# Results

- SandPit : Auffargis (France)



ROSETTA (Schaap et al., 2001) variations

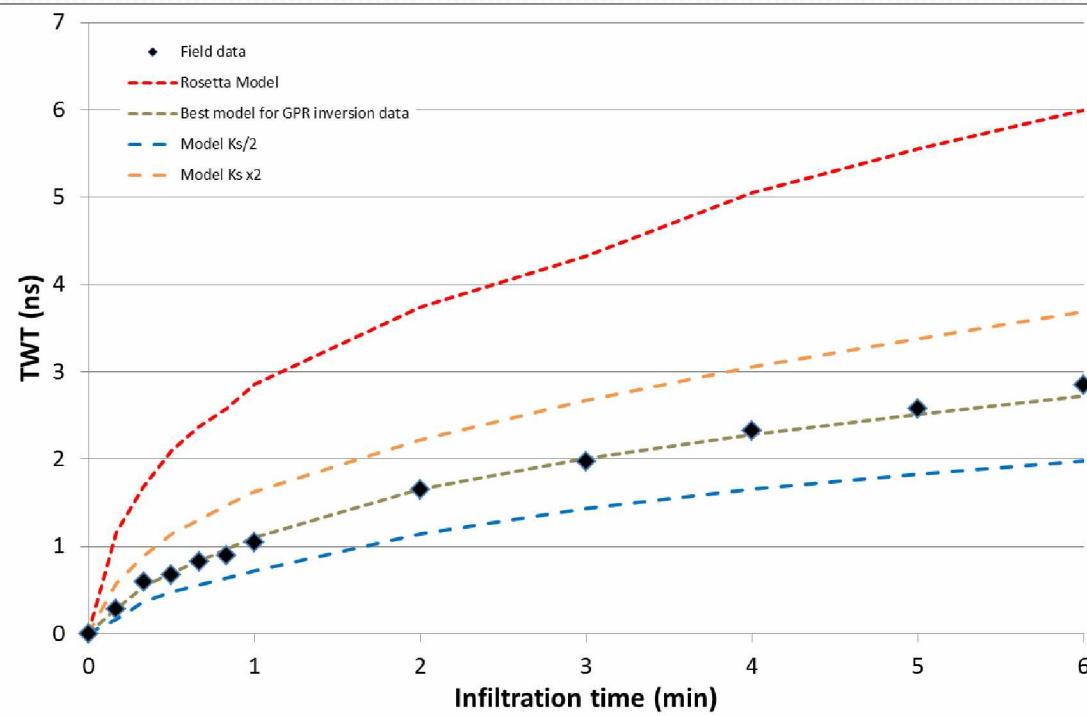
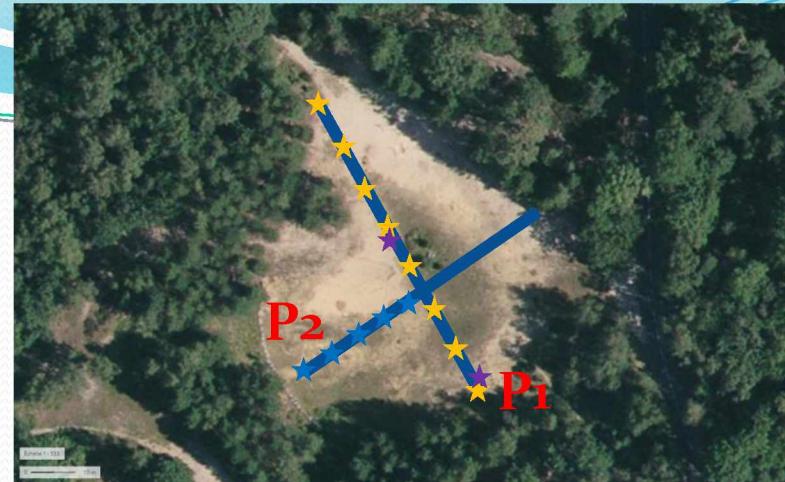
|     | $K_s$ ( $\text{cm}/\text{min}$ ) | $\theta_r$ | $\theta_s$ | $\alpha$ ( $1/\text{cm}$ ) | $n$ |
|-----|----------------------------------|------------|------------|----------------------------|-----|
| Min | 0.37                             | 0.048      | 0.37       | 0.033                      | 3.2 |
| Max | 0.82                             | 0.053      | 0.42       | 0.036                      | 3.8 |

- After 6 min :  $2.5 < \text{TWT} (\text{ns}) < 3.8$
- Infiltrated volume :  $0.5 < K_s (\text{cm}/\text{min}) < 1.25$

# Results

- SandPit : Auffargis (France)

Example of data inversion



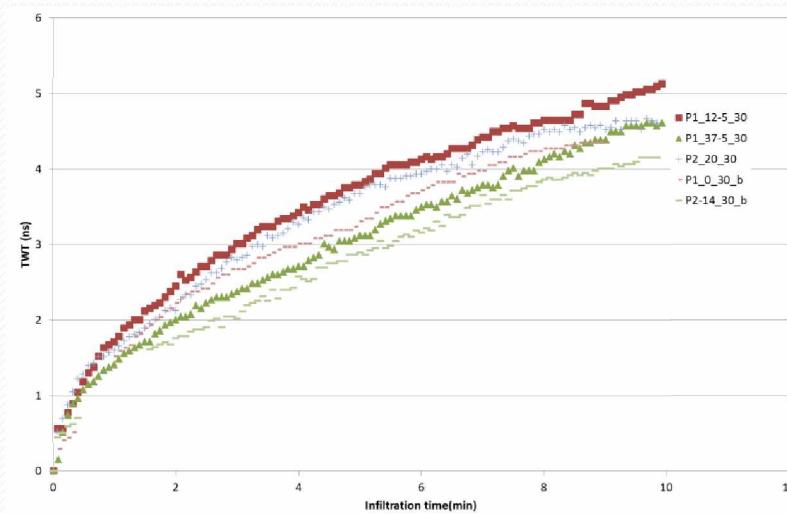
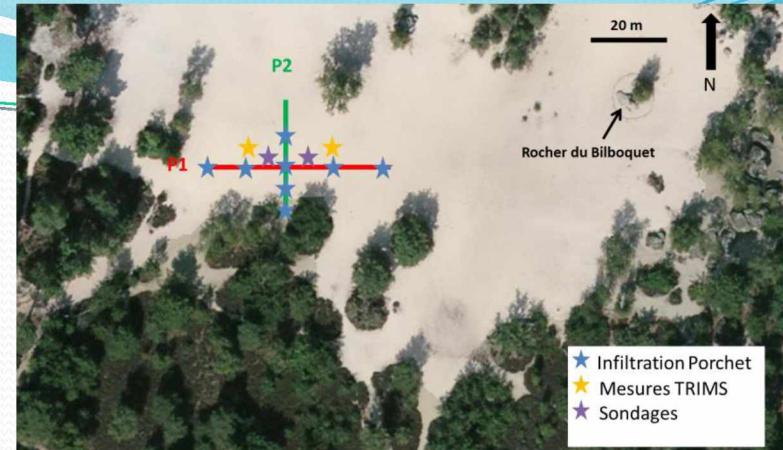
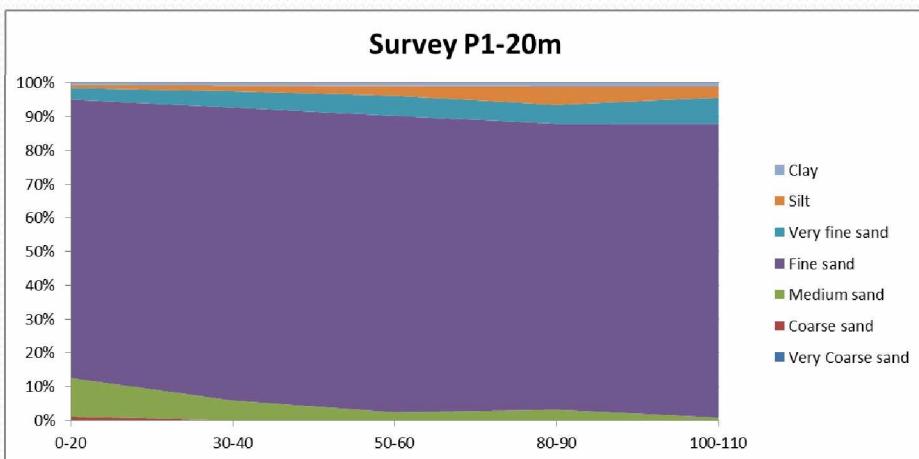
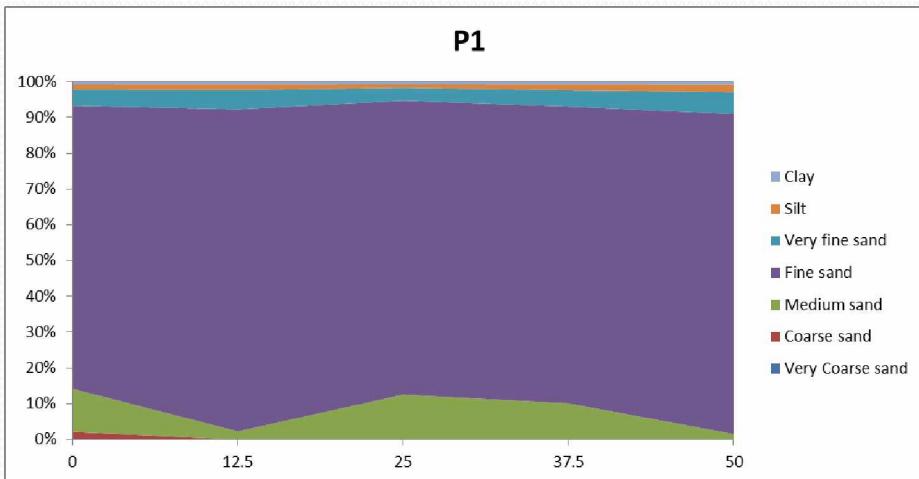
- Comparison between ROSETTA estimation and GPR data inversion :

|                | $K_s$ (cm/min) | $\theta_r$ | $\theta_i$ | $\alpha$ (1/cm) | $n$  |
|----------------|----------------|------------|------------|-----------------|------|
| Rosetta        | 0.56           | 0.05       | 0.37       | 0.033           | 3.7  |
| Data inversion | 0.32           | 0.03       | 0.25       | 0.1             | 1.43 |

- Models considering the same parameters but with  $K_s / 2$  and  $K_s \times 2$  surround all the field data

# Results

- SandPit : Cul-du-chien (France)



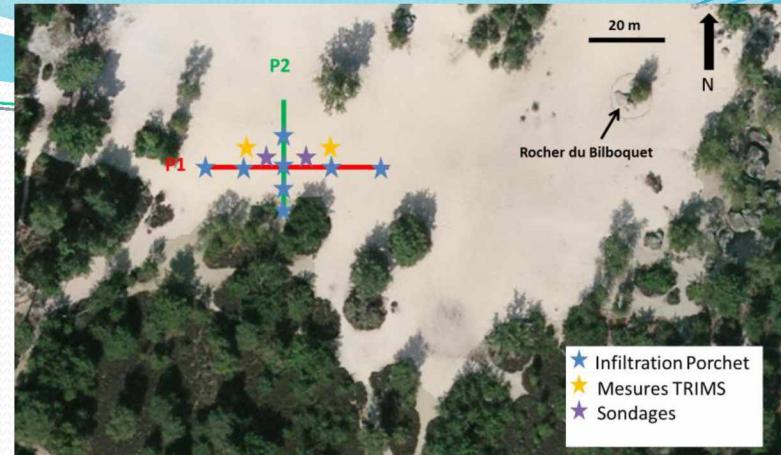
ROSETTA variations :

|     | Ks<br>(cm/min) | $\theta_r$ | $\theta_s$ | $\alpha$ (1/cm) | n    |
|-----|----------------|------------|------------|-----------------|------|
| Min | 0.36           | 0.049      | 0.361      | 0.032           | 2.66 |
| Max | 0.88           | 0.049      | 0.368      | 0.035           | 3.92 |

Infiltrated volume :  $0.5 < Ks \text{ (cm/min)} < 1$   
 GPR data :  $4 < \text{TWT (ns)} < 5$

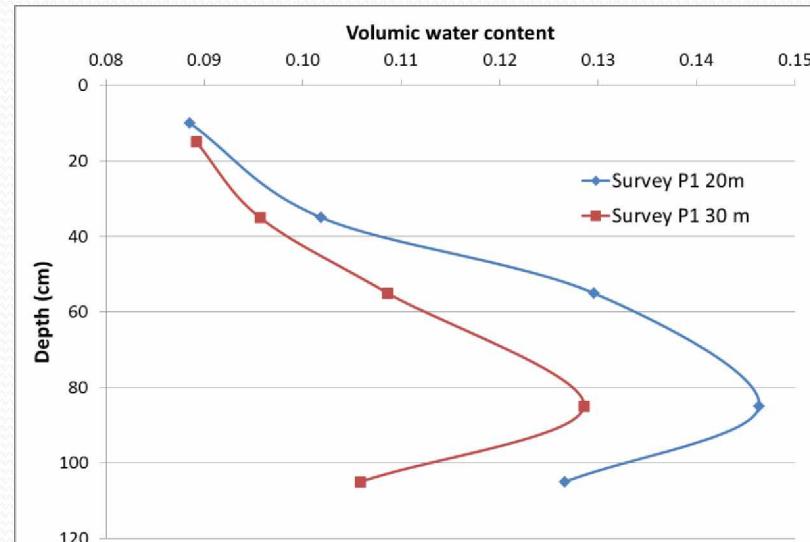
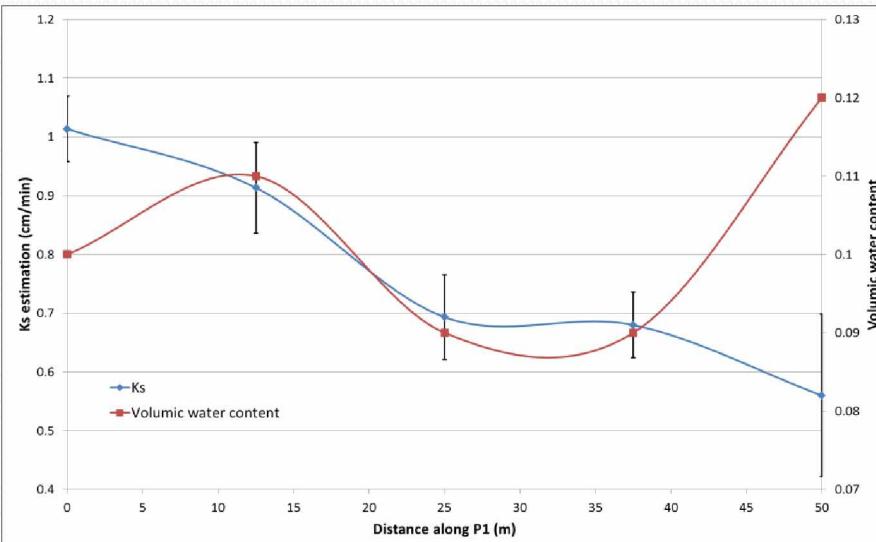
# Results

- SandPit : Cul-du-chien (France)

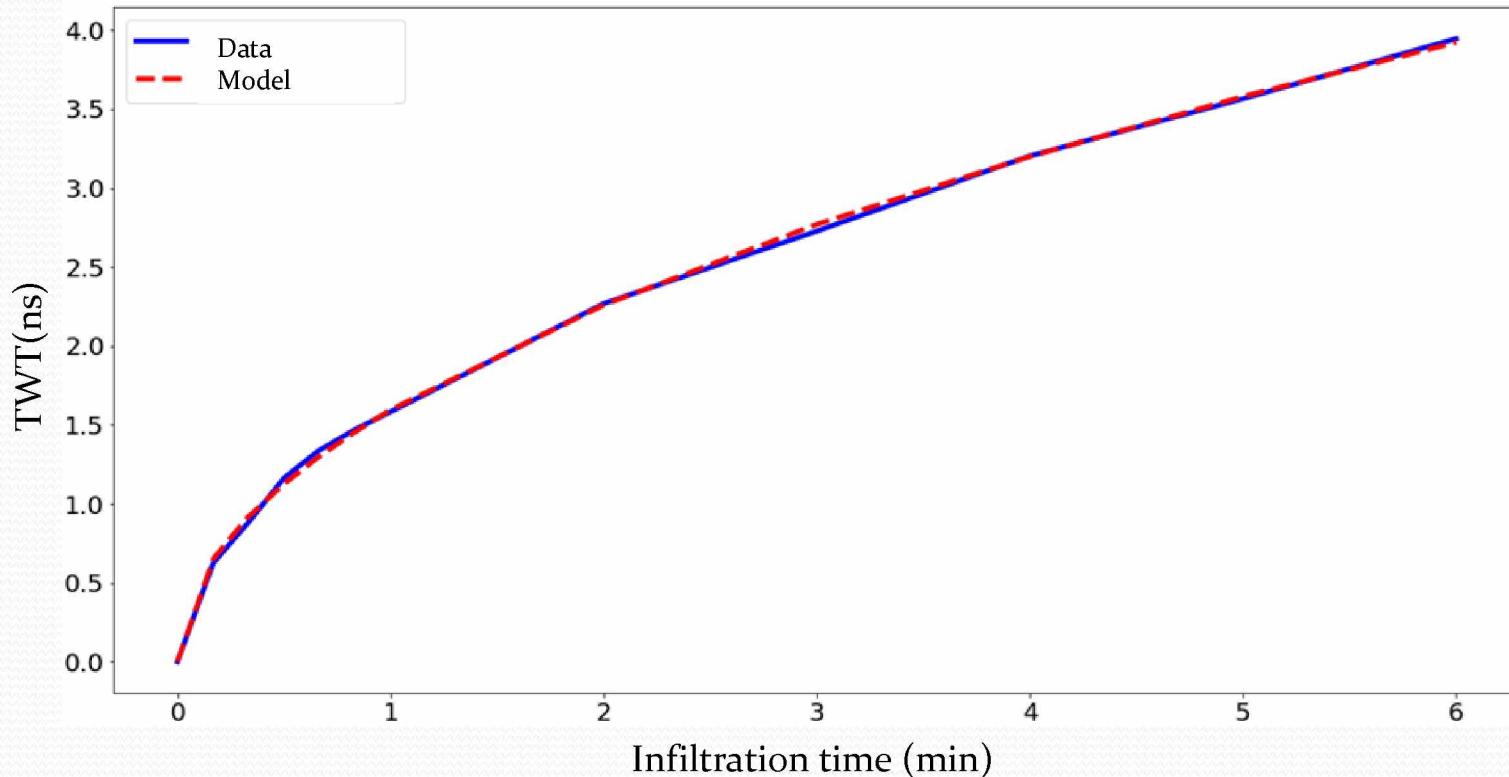


Comparison between ROSETTA PTF data and suspended columns/infiltration results

|         | Ks (cm/min)  | $\alpha$ (1/cm) | n           | $\theta_r$   | $\theta_s$    |
|---------|--------------|-----------------|-------------|--------------|---------------|
| P1 12.5 | 0.786 / 0.9  | 0.034 / 0.017   | 3.73 / 6.93 | 0.049 / 0.05 | 0.362 / 0.39  |
| P1 37.5 | 0.784 / 0.67 | 0.034 / 0.017   | 3.72 / 9.0  | 0.049 / 0.04 | 0.362 / 0.345 |

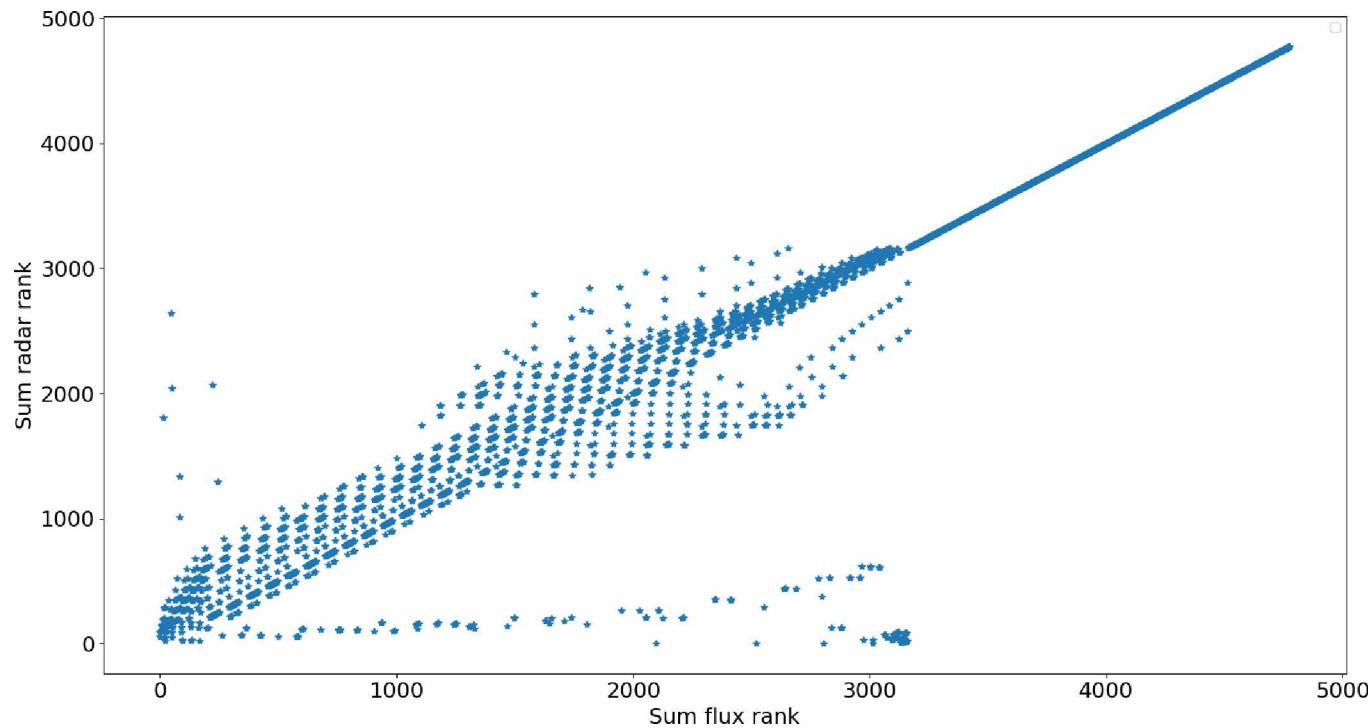


# Data fitting



Data fitting for TWT is possible using a power law function :  $at^b$   
→ Relation with the hydrodynamic parameters ?

# Relation between TWT and the infiltrated volume?



Clear relation between the total infiltrated volume and the sum of arrival time of reflected wave

# Conclusion

- Development of in-situ experiments with various tools (TRIMS, direct sampling, GPR, Porchet infiltration)
- Estimation of the hydrodynamic parameters with textural data (ROSETTA), infiltrated volume (Porchet) and inversion of GPR data
- Values of the parameters strongly depends on the employed technique (effect of  $n$ ,  $\alpha$  and  $K_s$  on GPR data)
- For ROSETTA/Porchet :Variations in  $K_s$  estimations ( $K_s/2 < K_s < 2K_s$ ) are similar to the litterature (McBratney and Mulla, 2002)
- GPR data are not fitted by ROSETTA's parameters
  - Anisotropy effect?
  - Hysteresis?
  - Link between  $K_s$  and  $n$  values?
- Relations between TWT and infiltrated volume is investigated



Thank you!