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Mesoporous Silica Colloids: Wetting, Surface Diffusion and Cationic Surfactant Adsorption

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ABSTRACT

 We have investigated the wetting and surface diffusion of mesoporous colloidal silica particles at the 12 water surface; and the adsorption of cationic cetyltrimethylammonium (CTA⁺) surfactant on these particles. Porous silica colloids diffuse at the surface of water and in the volume, interacting with cationic surfactants that can adsorb inside the pores of the particles. We observed that surfactant adsorption on mesoporous silica depends dramatically not only on the particle pore size but also on specific counterion effects. We measured striking differences both on a macroscopic property of the interface, i.e. surface tension, and also at a single particle level by evaluating the translational diffusion of partially wetted particles at the fluid interface. We varied the pore size from 2 to 7 nm and explored the effects of ions owing different hydration number and kosmotropic/chaotropic character. At concentrations lower than the critical micellar concentration, we evidence that cationic surfactants adsorb on silica as surface micelles and surfactant adsorption inside the pores occurs only if the pore diameter is larger than the size of 22 surface micelles. With a view to understand the surprising different adsorption behavior of CTA+OH and 23 CTA⁺Br⁻ on porous silica particles, we investigated the effect of counterions on the surfactant adsorption on porous silica colloids by tuning the pH and the counterion properties.

INTRODUCTION

 Cationic surfactants are widely used in many industrial and fundamental research fields ranging from cosmetics, fabrics, nanoparticles synthesis, DNA folding, self-assembly and mesoporous material 30 fabrication.^{1,2} Besides these applications, the fate of cationic surfactants and the resulting waste in water is an important issue, since cationic surfactant contamination of water represents an real environmental 32 problem.³ Current methods to remove surfactants from water involve the use of organophilic clays, 33 flocculants or carbon beds.⁴⁻⁸ In many separation methods, surfactant removal by adsorption onto solid substrates is required. Hence, both large surface areas and an effective attraction between the surfactant and the solid are necessary to drive soluble surfactants adsorption on the solid boundaries.

 Adsorption of cationic surfactants on planar solid surfaces has been investigated for several surfactant-37 substrate systems. For cetyltrimethylammonium (CTA⁺) surfactants on silica surfaces, different adsorption regimes are found as a function of the surfactant concentration, surface charge and 39 hydrophobic interaction.^{9,10} At low concentrations, surfactant may adsorb onto the silica surface as a

40 monolayer, as defective bilayers or as surface micelles.^{11,12} These micellar structures are flattened by the 41 surface and possess a thickness of 3.5 nm and a lateral size of 9 nm.¹⁰ Upon increasing the concentration,

-
- bilayers may form due to the interaction between the hydrophobic chains. It is important to notice that the interfacial self-assembled structures usually appear at a concentration lower than the usual critical
- 44 micellar concentration (CMC) in the volume.¹¹ For CTA⁺ surfactants at concentrations *C* lower but close
- 45 to CMC, surface excess concentrations Γ between ≈ 1 and ≈ 2 mg/m² have been reported.^{11,13–15}

 As pointed out before, solid substrates with large specific areas are required for adsorption in order to separate surfactants from clean water. In this context, porous particles are ideal candidates given the large 48 surface/volume ratio, which can be tuned by the pore size and volume fraction.^{16,17} However, adsorption inside a pore strongly differs from the adsorption on a planar interface. Pore size and morphology affect the adsorption process, which depends on differences in pressure and physicochemical properties inside 51 and outside the pores.¹⁸

 Non-ionic surfactants adsorption onto mesoporous silica particles has been widely investigated by Findenegg and coworkers.^{19–22} Bilayers formation and other structures inside the pores has been reported. Very few experimental investigations can be found in the literature for the adsorption of cationic surfactants onto mesoporous silica. A small angle neutron scattering investigation reported some preliminary experiments for 8 nm pore size mesoporous silica at pH=9 where an increase of cationic 57 surfactant adsorption occurs if the ionic strength is increased.²³ Cationic surfactant interacting with silica 58 nanoparticles have been also recently investigated.^{1,24-26}

 Here, we have investigated the wetting and diffusion of porous silica colloids, and the adsorption of cationic surfactants on porous colloidal particles. Porous colloids of different pore sizes are deposited both in the bulk and at the interface. By varying pore size, surfactant concentration and investigating 62 counterion effects we aim at controlling $CTA⁺$ cationic surfactant adsorption. These results could be used in order to develop a strategy to clean the surface and the volume of water with micron sized particles, which are small enough to perform Brownian motion and rapidly diffuse at the interface (and in the volume) but also large enough to slowly sediment. These porous colloids may be ideal candidates for an efficient removal of surfactants at low concentrations and present the advantage to be easily removed after decontamination by sedimentation or flotation. Note that larger particles are difficult to adsorb at the interface and may sediment very fast; whilst nanoparticles may remain dispersed in water due to the strong Brownian motion and cannot be separated by gravity or adsorption on bubbles as in flotation.

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MATERIALS AND METHODS

 Materials. All chemicals, except for the in-house synthetized colloids, were purchased from Sigma Aldrich and used without further purification. Two surfactants were investigated: 75 cetyltrimethylammonium bromide CTA⁺Br⁻ (CAS 57-09-0, molecular weight $M_w = 364.45$ g/mol) and 76 cetyltrimethylammonium hydroxide CTA⁺OH^{$-$} (10 wt.% in H₂O, CAS [505-86-2,](https://www.sigmaaldrich.com/catalog/search?term=505-86-2&interface=CAS%20No.&N=0&mode=partialmax&lang=fr®ion=FR&focus=product) $M_w = 301.55$ g/mol). Three different batches of porous silica particles were also employed. The first two consist of spherical 78 mesoporous silica colloids (CAS 7631-86-9) with an average radius $\bar{R} = 1.23 \pm 0.10$ µm (measured by 79 scanning electron microscopy, SEM) and nominal pore diameter $d = 2$ nm and $d = 4$ nm and a specific 80 area $S_A = 1000 \pm 100 \text{ m}^2/\text{g}$ for $d = 2 \text{ nm}$ and $S_A = 350 \pm 50 \text{ m}^2/\text{g}$ for $d = 4 \text{ nm}$. A third batch of non-spherical mesoporous silica particles was synthetized in the laboratory. These last particles are currently

- called Santa Barbara amorphous-15 silica (SBA-15). The average pore diameter is larger than the
- previous ones: *d* =7 nm measured by volumetric nitrogen sorption isotherms. Stable particle dispersions
- were obtained by sonication of 1.2 mg/mL dispersions in an ultrasound bath for one hour. We measured
- 85 the Feret diameter²⁷ of these particles by scanning electron microscopy, which leads to an equivalent
- 86 radius $\bar{R} = 1.96 \pm 0.97$ µm (*i.e.* half of the Feret diameter). The pores are about a micron long and
- 87 connected via mesoporous walls. A total specific area of 750 \pm 50 m²/g was evaluated by Brunauer-Emmett-Teller (BET) method. Pore size distributions were determined by the (Barrett, Joyner, Halend)
- 89 BJH method.²⁸ Mesoporous walls contribute significantly to the total specific area in terms of
- 90 microporosity (size < 1-2 nm). We evaluate a total specific area $S_A = 225 \pm 25$ m²/g for the $d = 7$ nm pore
- size (See Figure S1 in Supporting Information, SI).
- NaOH, NaBr, NaCl salts were used as received. Fresh Milli-Q water was used throughout this work. 93 Experiments were carried out at room temperature $T = 22 \degree C$.
- *Surface tension and sessile drop contact angle.* Surface tension was used to measure surfactant adsorption on porous particles. All measurements were performed in a 9 cm diameter polystyrene Petri dish 96 containing a volume $V = 35$ mL of surfactant solutions at different concentrations *C* and a fixed mass (1.2) mg) of porous particles. For planar aqueous surfaces contained in a Petri dish, surface tension was measured by the Wilhelmy plate method (KSV NIMA, Biolin Scientific) using a filer paper plate. In order to evaluate the interfacial tensions of the silica-surfactant solutions-gas systems, we also measured the 100 surface tension of aqueous solutions and the advancing contact angle θ of sessile drops by a profile analysis tensiometer (PAT, Sinterface, Germany). A typical volume of the aqueous drop in PAT 102 experiments is 15 mm³. Series of experiments were repeated at least three times and show a good reproducibility. For interfacial tension measurements, the standard deviations of the data obtained in different experimental campaigns lay between 1 and 3 mN/m, which can be related to the experimental protocols: particle deposition, aging of particle dispersions and surfactant solutions (*i.e.* maximum 5 days).
- *Particle dispersion deposition.* The final chosen method adopted to deposit porous particles at the interface is to drop 1 mL of a 1.2 mg/mL particle suspension on a tilted glass slide placed at the air-water 109 interface and let it slip.²⁹ Particle density at the interface can be calculated by counting the particle number using optical microscopy. For all porous particle systems, we evaluated an average surface 111 coverage of 6.5 ± 2 particles per mm² (if 1.2 mg of silica porous particles are added in the Petri dish). From 112 the latter value, one can estimate the ratio between the total number of particles N_{tot} and the ones trapped 113 at the surface N_s : $N_{tot}/ N_s \approx 10^6$, which is very high, meaning that only few particles stay at the interface. We have put many efforts to find protocols to increase the number of particles remaining at the air- aqueous solution interface and try several methods. However, protocols involving spraying or the use of additional volatile solvents were discarded since they do not allow the control of the particles numbers or introduce additional sources of contamination and uncertainties. It is important to note that even if N_{tot}/N_s 118 $\approx 10^6$, the amount of particles at the interface is non-negligible for the adsorption of soluble surfactants,
- which accumulate preferentially at the interface but they are also present in the bulk, see Figure S2 in SI.
- *Particle contact angle by gel trapping.* We measured the particle contact angle of porous silica colloids
- 121 using a gel trapping technique.³⁰ Few microliters of a diluted solution of particles were added to a gelled solution of Phytagel (CAS 71010-52-1, Sigma Aldrich) in a small container. After heating up the gel to
- the liquid state, the particles get trapped at the interface. Going back to the room temperature, a UV-glue
-
- was used to transfer the particles from the gel to the glue substrate. The contact angle was measured using

125 scanning electron microscopy images of the transferred particles on the solidified glue at their 126 complementary contact angle positions.

 Particle tracking. Bright field optical microscopy was used for particle tracking. Experiments were performed in an upright Leica optical microscope mounted on an anti-vibration table. Images of isolated particles were recorded using a CMOS camera (Orca Flash 4.0, Hamamatsu) at rates of 80 or 100 frames 130 per second using objectives of different magnifications ($\times 63$ and $\times 100$). Tracking of the particle location was done by an *IDL* routine or by using an image correlation-based approach (''Stat Tracker St. Andrews'') implemented in Labview (National Instruments).

133 *Zeta potential and pH measurements*. We measured the zeta potential ζ (Zetasizer Nano ZS, Malvern 134 Instruments) and the pH of the particle dispersions in pure water or in the presence of surfactants. For 135 porous silica colloids dispersions, a $pH = 6.4$ was always measured in pure water.

- 136
- 137

138 **RESULTS AND DISCUSSION**

Interfacial tensions of CTA⁺Br and CTA⁺OH 139 **at the liquid-gas and solid-liquid** 140 **interfaces**

141 We started characterizing the adsorption of CTA⁺ surfactants on non-porous silica by evaluating the 142 interfacial tension between silica and the aqueous surfactant solutions, γ_{SL} . Young equation for a sessile 143 drop of aqueous surfactant solutions on a silica substrate in air reads:

$$
144 \qquad \gamma_{SG} = \gamma_{SL} + \gamma_{LG} \cos \theta, \tag{1}
$$

145 where the subscripts S, L and G represent solid, liquid and gas respectively. One can evaluate χ_{SL} 146 measuring the interfacial tension γ_{LG} , the sessile drop static contact angle θ and assuming that γ_{SG} is a 147 constant (and does not vary with the surfactant concentration). Surface tension at the air-aqueous solution 148 interface χ ^G for CTA⁺Br⁻ and CTA⁺OH⁻ surfactant was measured by the Wilhelmy plate technique and 149 pendant drop tensiometry. The two methods lead to very similar results as shown for a series of 150 experiments in Figure 1A. The evolution of χ_G as a function of the surfactant concentration *C* for both 151 surfactants shows no significant difference. In addition, $\gamma_{\rm G}$ values are stable and do not change in a 152 typical experimental time range of 3000 s (inset of Figure 1A). Sessile drops made with surfactants 153 solutions were deposited on clean glass slides and their contact angles θ were also evaluated by imaging 154 the drop profile (and the cos θ is plotted in the inset of Figure 1B for a series of experiment).³¹ Hence, γ_{SL} 155 can be calculated from eq. 1 with $\gamma_{SG} = 68.5$ mN/m as reported by Binks et al.³² for silica surfaces 156 showing water contact angle similar to our experiments. Unexpectedly the silica-aqueous solution 157 interfacial tension γ_{SL} shows a non-monotonic behavior if the surfactant concentration is increased.^{33,34} For 158 $C \ge 0.1$ mM, γ_{SL} increases if *C* increases, instead of decreasing as γ_{LG} . Hence, the Gibbs adsorption valid for ideal dilute solutions for $C < CMC \approx 0.8{\text -}0.9 \text{ mM}$ ^{10,35} can be applied only for the air-liquid interface, 160 where a surface concentration $\Gamma \approx 1$ mg/m² at the CMC can be evaluated.³⁶ For $C < 0.1$ mM at the solid-161 liquid interface, one could also observe a tiny decrease of the interfacial tension which could correspond 162 to an increasing accumulation of non-interacting surfactants at the solid-liquid interface.³⁷ However for C 20.1 mM, the increase of χ_{SL} points to the formation of self-assembled structures as bilayers³⁸ or surface 164 micelles, which form because of the hydrophobic interactions between surfactant tails. Note that the

165 concentration at which the interfacial tension χ_{SL} increases is about 10 times lower that the CMC.¹⁰ An

166 increase of the interfacial tension χ_{SL} reveals that the surface is increasing in hydrophobicity due to the

167 presence of hydrophobic surfactant groups. As already pointed out in the Introduction, the presence of

168 bilayers or surface micelles on planar silica surfaces has been widely reported but to the best of our

169 knowledge was never connected to a minimum in the interfacial tension γ_{SL} .

174 Figure 1. (A) Liquid-gas interfacial tension of $CTA^{+}Br^{-}$ (+, \Box) and $CTA^{+}OH^{-}$ (-, \Box) as a function of the 175 concentration obtained by pendant drop tensiometry $(+,-)$ and by Wilhelmy plate method (\Box, \Box) ; inset: interfacial 176 tension as a function of time for pure water (\forall) and CTA⁺Br⁻ (+) and CTA⁺OH⁻(-) at *C* = 0.5 mM. (B) Solid-liquid

- 177 interfacial tension CTA⁺Br⁻ (+) and CTA⁺OH⁻ (-) evaluated by the Young equation and advancing contact angle 178 measurement of sessile drops on silica (inset). Data for pure water (\forall) are also shown.
-

Porous particles at the interface

 The contact angle of porous particles at the gas-liquid interface was measured by a gel trapping method (see Materials and Methods). Figure 2 shows images of particles at their complementary contact angle positions. We have also observed some crater shape footprints on the solidified substrate, which correspond to particles possessing very low contact angles. For spherical porous particle, we measured 185 particle contact angle $\alpha = 47^{\circ} \pm 6^{\circ}$ for $d = 2$ nm and $\alpha = 52^{\circ} \pm 14^{\circ}$ for $d = 4$ nm (Figure 2A and B). Non- spherical porous particles show also a finite immersion at the air-water interface that is comparable to the contact angle observed for the spherical porous particles.

192 Figure 2. SEM images of gel trapped $\overline{R} = 1.23$ µm spherical mesoporous silica colloids $d = 2$ nm (A) and $d = 4$ nm 193 (B); and a non-spherical silica particle of equivalent radius $\bar{R} = 1.96 \mu m$ (diameter = 3.92 μ m) and $d = 7 \text{ nm}$ (C).

195 It is important to notice that the measured contact angle of a sessile water drop on silica, $\theta \approx 26^{\circ}$, is 196 significantly lower than the contact angles of porous silica particles shown in Figure 2: $\alpha > \theta$. In order to explain this result, we start discussing the partial wetting state of porous particles and compare it to the reference case of a bare solid spherical particle, see Figure 3. For a bare particle, the equilibrium of interfacial tensions leads to the Young equation (see equation 1). For smooth and homogenous surfaces, the bare solid micron-sized particle contact angle should be identical to the contact angle of a sessile 201 liquid drop on a flat solid substrate: $\alpha_B = \theta^{39}$ In the framework of the Cassie-Baxter model valid for composite interfaces, two different scenario can be considered for porous particles at the interface.

 In the first case, we consider that the pores of the particles are completely filled by the liquid. In this case, 204 the particle interfacial tensions χ_{SG} and χ_{SL} change if compared to the bare particle case. The interfacial 205 tension of the particle exposed to the liquid will be reduced from χ_{SL} to $f\chi_{SL}$, where *f* is the solid area fraction on the particle surface, see Figure 3. The particle surface exposed to the gas phase can be 207 regarded as a composite interface made of solid and liquid.³⁹ The resulting equilibrium of interfacial tensions reads:

$$
209 \quad f\gamma_{SG} + (1-f)\gamma_{LG} = f\gamma_{SL} + \gamma_{LG}\cos\alpha \,. \tag{2}
$$

210 Except for *f*, all the other variables in equation 2 are measured. In pure water, $\gamma_{SG} = 68.5$ mN/m, $\gamma_{LG} =$ 211 72.5 mN/m and $\gamma_{SL} = 4$ mN/m (Figure 1). According to equation 2, α decreases if f decreases and the Young equation is recovered if *f* =1. Actually for porous particles with pores completely filled by the 213 liquid, the particle contact angle α is expected to be low, $\alpha < \theta$, which explains the observation of crater footprints in SEM images and the large number of particles in the volume with respect to the particles present at the interface (see Particle dispersion deposition section). Note also that the interfacial energy

- 216 gain associated to the adsorption of a bare particle at the interface $\chi_G A_0$ due to the removal of a bare fluid 217 interface area $(A_0 = \pi R^2 \sin^2 \alpha)$ is strongly reduced for a porous particle given the presence of liquid inside 218 the particle. 39
- 219 A second scenario can be considered to explain the results shown in Figure 2, where $\alpha > \theta = \alpha_{\rm B}$ (Figure 220 3). In this case, the liquid is not present on the porous particle surface exposed to the gas phase. Hence,
- 221 the external surface can be regarded as a composite surface made of solid and air, and the interfacial
- 222 tension of this surface becomes f/γ_{SG} . The resulting equilibrium of interfacial tensions reads:

$$
223 \t f\gamma_{SG} = f\gamma_{SL} + \gamma_{LG}\cos\alpha \t{.} \t(3)
$$

224 In this second case, the contact angle of a porous particle can be higher than the contact angle of an equivalent bare particles. Equation 3 can be rewritten in the form $cos\alpha = \frac{f}{f}$ 225 equivalent bare particles. Equation 3 can be rewritten in the form $\cos \alpha = \frac{f(r_{SG} - r_{SL})}{r_{LG}} = f \cos \theta$ (see 226 equation 1), which leads to solid area fraction $f = 0.76$ for 2 nm and $f = 0.68$ for 4 nm pore size porous 227 particles.

228

229 Figure 3. Sketches of a bare non-porous particle (left), a porous particle with pores completely filled by the liquid 230 (center) and a porous particle with pores partially filled by the liquid (right) in mechanical equilibrium at the gas-231 liquid interface.

232

233 **Influence of particle pore size on surfactant adsorption**

 In order to measure the surfactant adsorption on porous silica colloids we performed surface tension experiments using a Wilhelmy plate apparatus. Starting from a stable interfacial tension measurement at a given surfactant concentration *C*, porous colloids are deposited at the air-aqueous solution interface via a tilted glass slide. Note that the addition of few porous colloids (1.2 g in 35 mL water) in absence of 238 surfactants does not affect the interfacial tension γ_{LG} . As a consequence of the addition of mesoporous particles, we record an increase of the liquid-gas interfacial tension connected to a surfactant removal 240 from the aqueous solution due to the adsorption on porous silica colloids.

241 In Figure 4 we show a series of surface tension experiments of CTA⁺Br⁻ and CTA⁺OH⁻ solutions at 242 different surfactant concentrations in the presence of a fixed number of porous silica particles of 4 and 7

- 243 nm pore diameters *d*. For CTA⁺OH⁻ in the presence of the $d = 4$ nm (Figure 4A) and 7 nm (Figure 4B)
- 244 porous silica particles, we measured a significant increase in the surface tension, which is a clear evidence
- 245 of surfactant removal from the aqueous solution. When adding $d = 4$ nm porous silica colloids, the 246 interfacial tension increases by 8 mN/m, 5 mN/m and 4 mN/m for 0.25 mM, 0.5 mM and 0.7 mM
- 247 respectively. As for the $d = 7$ nm porous silica colloids, the surface tension increases by 12 mN/m, 9
- 248 mN/m and 7 mN/m for 0.25 mM, 0.5 mM and 0.7 mM respectively. Surprisingly, no apparent increase in
- 249 the surface tension with CTA⁺Br⁻ was observed, which will be further analyzed and discussed in the
- 250 following sections. No adsorption for both CTA^+Br^- and CTA^+OH^- was also observed for $d = 2$ nm
- 251 porous silica colloids, see Figure 5. Surface tension measurements showed no variation before and after
- 252 adding the $d = 2$ nm porous particles (Figure 5), leading to the conclusion that a pore size of 2 nm is too
- 253 small for CTA⁺ cationic surfactant adsorption. This result agrees with the increase of $\chi_{\rm SL}$ shown in Figure
- 254 1B and connected to the formation of surface micellar structures at concentrations much lower than the
- 255 CMC. Surfactants may adsorb inside the pores as micellar structures and not as single molecules. The size
- 256 of micelles in the bulk¹⁰ (for $C \approx \text{CMC}$) is between 2.6 and 4.7 nm; and for $C < \text{CMC}$ the thickness of
- 257 surface micelles is about 3.5 nm for CTA^{$+$}Br⁻. Hence, these dimensions are always larger than the size of
- 258 2 nm and explain why adsorption is not observed in $d = 2$ nm porous particles.

261 Figure 4. Liquid-gas interfacial tension as a function of time after the deposition of $d = 4$ nm porous silica particles 262 (A) and $d = 7$ nm particles (B) at different CTA⁺OH⁻ surfactant concentrations: $C = 0.25$ mM (,), 0.5 mM (!), 0,7 263 mM (7); and CTA⁺Br⁻ concentration $C = 0.7$ mM (-). 1.2 g of particles were added in 35 mL solution.

266 Figure 5. Liquid-gas interfacial tension as a function of time for CTA⁺OH⁻ at $C = 0.5$ mM in the presence of $d = 7$ 267 nm (,), $d = 4$ nm (!) and $d = 2$ nm (7) porous silica particles (1.2 g of particles in 35 mL).

265

269 Knowing the initial CTA⁺OH⁻ surfactant concentration *C* and the interfacial tension γ_{LG} after adsorption 270 (at time $t = 3000$ s in Figure 4 and 5), we can extract the final surfactant concentration C_f in the solution 271 using the χ _G vs *C* data (eventually interpolated) shown in Figure 1A. Hence, we can calculate the total 272 mass of surfactant removed in the $V = 35$ mL solution as $(C - C_i)V$. In Figure 6A, the adsorption amount 273 (which is the mass of surfactants divided by the mass of porous particles) is plotted as a function of the 274 initial surfactant concentration. For $d = 7$ nm porous silica particles, the adsorption amount increases up 275 to 2 mg/g at intermediate concentrations. For $d = 4$ nm porous silica particles instead a maximum in the 276 adsorption amount is clearly observed at $C = 0.25$ mM, above which the adsorption amount decreases. 277 Knowing the mass m (=1.2 mg) of the porous particles and their specific areas S_A (see Materials and 278 Methods), we can also calculate the surfactant surface concentration Γ _S on the total silica area (= mS_A):

$$
I_S = \frac{(c - c_f)v}{m s_A} \tag{4}
$$

280 Figure 6B shows Γ _S as a function of CTA⁺OH⁻ concentration for $d = 4$ and 7 nm porous silica particles. 281 For $C = 0.1$ mM, we measured a weak adsorption of surfactants on porous silica particles $\Gamma_s = 1$ -3 mg/m², 282 which is equivalent to the surface excess of $CTA⁺$ surfactant forming dense monolayers at the interface. 283 For non-spherical silica particles with $d = 7$ nm, Γ_S increases up to 10 mg/m² at intermediate 284 concentrations and slightly decreases if *C* approaches the CMC (\approx 0.9 mM). For spherical silica particles 285 with $d = 4$ nm, the surface concentration increases up to $\Gamma_s \approx 4$ mg/m² and significantly decreases if *C* 286 approaches the CMC. It is interesting to note that at low concentrations, Γ_S is proportional to the pore 287 size, meaning that pores are filled with surfactants. In this pore size range and for surfactant 288 concentrations far from the CMC, the larger the pore diameter the larger the surfactant adsorption. Close 289 to the CMC however surfactants start to self-assemble in the form of micelles in the volume. As a 290 consequence, a competition between the self-assembly of surfactants in the volume and the adsorption 291 inside the pores of the silica particles is expected. This competition may also depend on the confinement

292 dictated by the pore size. If the pore confinement effect is very strong, micelles in the volume could 293 hinder surfactant adsorption inside the particles' pores. For $d = 4$ nm porous particles, the decrease of $\Gamma_{\rm S}$ 294 as a function of concentration seems in agreement with this scenario. For pore size $d = 7$ nm, the pore 295 confinement effect is weaker than for $d = 4$ nm given that the micellar dimensions are about 3.5 nm, i.e. 296 the half of the pore size, which explains the weak decrease of Γ_S as a function of concentration close to 297 the CMC, see Figure 6B.

323 Figure 6. Adsorption amount (A) and surfactant excess concentration on the total silica Area (B) for $d = 7$ nm (-), 324 and $d = 4$ nm (!) solid particles as a function of $CTA⁺OH⁻$ initial concentration.

325 **Porous particle diffusion at the gas-liquid interface**

326 At the single colloidal particle level, we have also noticed striking differences in the translational 327 diffusion of spherical $d = 4$ nm porous particle at the gas-liquid interface in the absence and the presence 328 of CTA⁺ surfactants. Tracking the particle center of mass at the air-water interface, we observed 329 Brownian trajectories (see inset Figure 7A) and measured the mean squared displacement (*MSD*), which

330 is plotted as a function of the lag time Δt in Figure 7A. Translational diffusion coefficients at the surface,

331 *D_s*: can be calculated by $MSD = 4 D_s \Delta t$.

332 In absence of surfactants, D_s for $d = 2$ and 4 nm pore particles agrees with the hydrodynamic prediction 333 for partially immersed particles at clean and flat fluid interface, see Figure $7B:^{40}$

$$
B_s = \frac{k_B T}{k_t \eta R},\tag{5}
$$

335 where $k_B T$ is the thermal agitation energy, η is the liquid viscosity and k_t is the drag factor accounting for 336 the particle immersion or contact angle at the interface: 40

337
$$
k_t = 3\pi \left[1 + \frac{9}{16} \cos \alpha + \mathcal{O}(\cos^2 \alpha) \right]
$$
 (for $0 < \alpha < 90^\circ$). (6)

 For the particle diffusing in the bulk our experimental results agree with the Stokes-Brownian diffusion $D_0 = \frac{k}{6}$ $D_0 = \frac{k_B T}{6 \pi \eta R} = 0.174 \text{ }\mu\text{m}^2/\text{s}$. In absence of surfactants, the good agreement between the $1.4 < D_S/D_0 < 1.5$ experiments and the prediction shows that no additional dissipation due to contact line fluctuations (as 341 observed for bare silica colloids with $1.2 < D_s/D_0 < 1.3$ ⁴¹ occur on partially wetted porous particles. As pointed out before the external porous particle surface can be regarded as a composite surface made of hydrophilic silica and fluids. Hence, this surface presents less defects than the surface of a bare particle, 344 which may explain the negligible line friction due to surface defects.⁴¹ As a perspective, one may wonder if these porous particles could be good probes for passive surface microrheology since the only sources of dissipations seem to be the viscosity.

347 Surface diffusion coefficients of porous particles change significantly in the presence of $CTA⁺OH⁻ (C =$ 348 0.5 mM): $1.1 < D_s/D_0 < 1.2$, and in CTA⁺Br⁻ (*C* = 0.5 mM) aqueous solutions: $D_s/D_0 \approx 0.3$, see Figure 7. 349 The experiments are performed at times ≈ 3000 s, where an increase of the gas-liquid interfacial tension 350 of 5 mN/m for CTA⁺OH⁻; and no change for CTA⁺Br⁻ were measured, see Figure 4. Hence the presence 351 of surfactants affect strongly the porous particle translational diffusion at the surface. For porous particles 352 in the presence of CTA⁺OH⁻, adsorption of surfactants inside the pores occurs during the porous particle 353 Brownian motion, whilst in the presence of $CTA⁺Br⁻$ no adsorption dynamics occurs. In order to quantify 354 the decrease of the surface translational diffusion D_S , we use a model describing the drag felt by a 355 spherical particle straddling a viscous and incompressible interface possessing a surface viscosity η_s at low Boussinesq numbers $B_0 = \frac{\eta}{n}$ 356 Iow Boussinesq numbers $B_0 = \frac{\eta_s}{\eta R} < 1$. The drag factor in equation 5 in this case reads:⁴²

357
$$
k_t = k_t^{(0)} + B_0 k_t^{(1)} + \mathcal{O}(B_0^2), \tag{7}
$$

358
$$
k_t^{(0)} \approx 6\pi \sqrt{\tanh[32(1 + \cos\alpha)/(9\pi^2)]}
$$

359
$$
k_t^{(1)} \approx -4\ln\left[\frac{2}{\pi}\arctan\left(\frac{(1+\cos\alpha)}{3}\right)\right]
$$

360 For CTA⁺Br⁻ (*C* = 0.5 mM) aqueous solutions, a surface viscosity $\eta_s \approx 10^{-8}$ Pa.s.m fits well the 361 experimental result. In the literature, a large range of values of η_s , from 10⁻⁸ to 10⁻⁶ Pa.s.m, are reported 362 for soluble monolayers by surface macrorheology.⁴³ Usually a large difference is also measured between 363 surface macro- and micro-rheology ($\eta_s = 10^{-10}$...10⁻⁹ Pa.s.m),⁴⁴ which could be due to additional 364 dissipations or some boundary conditions not included in the analysis of the results.^{45,46} Recent 365 experiments using noncontact microrheology, with completely wetted particles as probes, report η_s 366 $\approx 10^{-8}$...10⁻⁷ Pa.s.m,⁴⁵ which agree with our results for CTA⁺Br⁻. For CTA⁺OH⁻ instead our results $\eta_s \approx$ 5.10^{-10} Pa.s.m are comparable to passive surface microrheology using partially wetted particles as probe 368 particles.⁴⁴ Given that the liquid-gas interfacial tensions are similar for CTA^+Br^- and CTA^+OH^- , one 369 possible explanation of the difference in D_S between the two surfactant solutions is related to the 370 surfactant dynamics occurring at the porous particle surface. As already pointed out before, the adsorption 371 of CTA⁺OH^T surfactants inside the pores could lead to a local depletion of the surfactant concentration 372 close to the external surface of the porous particle and therefore in a smaller surface viscosity felt by the

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375 Figure 7. (A) Mean squared displacement as a function of the lag time for *d* = 4 nm porous particles at the gas-liquid 376 interface in pure water (\forall), in *C* = 0.5 mM CTA⁺OH⁻ aqueous solution (-) and in *C* = 0.5 mM CTA⁺Br⁻ aqueous 377 solution (8). The inset shows a typical particle Brownian trajectory at the surface. (B) Ratio between the surface and 378 the bulk diffusion coefficients as a function of the particle contact angle for the same systems shown in (A) and for *d* $379 = 2$ nm porous particles at the gas-liquid interface in pure water (!). Solid line is the hydrodynamic prediction for a 380 bare and clean interface. Dashed and pointed lines are drawn from a model valid for viscous and incompressible 381 interfacial layers with a given surface viscosity η_s .

382

383 **Influence of the counterion on surfactant adsorption**

384 We start this section by analysing the remarkable difference in surfactant adsorption on porous particles 385 observed between CTA⁺OH⁻ and CTA⁺Br⁻. For planar non-porous interfaces, both interfacial tensions at 386 the liquid-solid and liquid-gas point to a very similar behaviour for $CTA⁺$ surfactants, independently from

387 the counterions. However, CTA^+Br^- surfactants do not adsorb on $d = 4$ and 7 nm porous particles, while

- 388 CTA⁺OH⁻ surfactants adsorb with very high surface excess concentrations \approx 4-10 mg/m² for *C* around 0.5 389 mM.
- 390 To explain this striking different behavior we started to look at the pH of the solution. Adding CTA⁺OH 391 surfactants in the solution in fact alters the pH of water, which changes from 6.4 to 10.5 for *C* $392 = 0.5$ mM. It is also well known that for planar silica surfaces, cationic surfactant adsorption usually 393 increases if the pH increases because of the increase negative charge of the silica surface.³⁵ In order to test 394 this hypothesis, we have added $\text{Na}^+ \text{OH}^-$ to a CTA⁺Br⁻ solution ($C = 0.5$ mM) in the presence of porous 395 particles. The final pH measured is very similar (pH = 10.7) to the pH of $CTA⁺OH⁻$ surfactants where a 396 strong adsorption was observed. However also in this case, CTA⁺Br⁻ surfactants do not significantly 397 adsorb on porous silica particles, see Figure 8. It is also important to notice that for planar interfaces, 398 $CTA⁺Br⁻$ adsorb on silica even if the pH remains around 6.³⁵
- 399 If OH⁻ions are not sufficient to trigger surfactant adsorption on porous particles, we consider the opposite
- 400 scenario for which the ion Br^- is able to hinder CTA^+ adsorption on silica. Therefore, in the presence of
- 401 porous particles, we measure the surface tension of $CTA⁺OH⁻$ solution adding 1 mM of Na⁺Br⁻. In this
- 402 case, we observe that the surface tension of CTA⁺OH^T (in the presence of porous particles) remains
- 403 constant instead of increasing, see Figure 8. Thus, it confirms that $CTA⁺$ do not adsorb inside the pores of
- 404 $d = 4$ and 7 nm silica particles if Na⁺Br⁻ is present in the aqueous solution.

407 Figure 8. Salt effect on the liquid-gas interfacial tension as a function of time after porous particle deposition for *d* = 408 4 nm particles (A) and $d = 7$ nm particles (B). The surfactant concentration is fixed, $C = 0.5$ mM, CTA⁺OH⁻ data (,) 409 are the same as in Figure 2. Data for $CTA^+ Br^- + NaOH$ (!), $CTA^+OH^- + [NaBr] = 1$ mM (7), $CTA^+OH^- + [NaCl]$ 410 = 1 mM (\triangle) and CTA⁺Br⁻ + [NaCl] = 1 mM (-) as a function of time are also shown.

412 In order to verify if this effect is specific to $Na⁺Br⁻$, we have also tested another salt: $Na⁺Cl⁻$. The surface 413 tension of CTA⁺OH (in the presence of porous particles) in this case increases only by 1 to 3 mN/m, 414 which confirms a salt hindrance effect on adsorption (see Figure 8).

415 Attempting to rationalize these finding, we consider some specific ionic phenomena related to adsorption 416 phenomena. Some properties of OH⁻, Br⁻, Cl⁻ and Na⁺ are listed in table 1. The main differences between

417 the three negative ions are their hydration numbers (3 for OH⁻, 2 for Cl⁻ and just 1 for Br⁻) and their

418 Jones-Dole viscosity *B* coefficients connected to their ability to weaken or strengthen the interfacial water 419 structure close to hydrophobic molecules such as the surfactant tails. Cl⁻ is at the border ($B \approx 0 \text{ M}^{-1}$) between chaotropic Br⁻ ($B = -0.04 \text{ M}^{-1}$) and kosmotropic OH⁻ ($B = +0.18 \text{ M}^{-1}$) behaviors.⁴⁷ Hence OH⁻ 420 421 may favor hydrophobic interactions between $CTA⁺$ hydrophobic groups, which supports the adsorption of 422 surface micelles; whereas Br⁻ leads to a weakening of these hydrophobic interactions. We have also 423 measured the zeta potential ζ on bare porous particles,^{48,49} which shows always negative values: $\zeta = -28.5$ mV for $d = 4$ nm and $\zeta = -7.8$ mV for $d = 7$ nm; as expected for hydrophilic silica.⁵⁰ For CTA⁺OH⁻ 424 425 surfactants, ζ remains negative for $C = 0.25$ mM: $\zeta = -19.5$ mV for $d = 4$ nm and $\zeta = -7.8$ mV for $d = 7$ 426 $\,\mathrm{nm}$ particles. On the contrary, in the presence of CTA⁺Br⁻, positive zeta potentials were measured at the 427 same concentration $(C = 0.25 \text{ mM})$: $\zeta = +5.3 \text{ mV}$ for $d = 4 \text{ nm}$ and $\zeta = +5.9 \text{ mV}$ for $d = 7 \text{ nm}$ particles, 428 which points to the accumulation of positive charges on the external surface of the porous silica colloids. 429 Hence, CTA⁺ from CTA⁺Br⁻ (or H_3O^+) may accumulate on the silica portion of the porous particle outer 430 surface. This outer silica surface is very small with respect to the total porous particle surface, which may 431 explain the negligible change of the interfacial tension (or pH) observed in the experiments. Both the 432 chaotropic effect of Br⁻ and the repulsion due to the positive ζ lead to a hindrance of CTA⁺ adsorption 433 inside the pores, which could explain the weak adsorption of CTA⁺Br⁻ surfactants on porous silica 434 colloids.

435 Some additional specific ion effects occur on the surface of silica, where silanol groups are known to 436 undergo ion exchange reaction: ${}^{50,51}X^+$ + SiOH = X(SiO) + H⁺ for pH < 8, where X⁺ is a cation (H₃O⁺, 437 Na⁺ or CTA⁺), and for pH > 8, SiOH + OH⁻ = SiO⁻. Hence a competition between H₃O⁺, Na⁺ or CTA⁺ 438 cations is also expected. Na⁺ from Na⁺Br⁻ and Na⁺Cl⁻ in fact competes with CTA⁺ in the adsorption on 439 silica,⁵² which can explain the weakening of CTA⁺OH⁻ adsorption in the presence of a sodium salt (see 440 Figure 8). Note that similarly to OH^- , Na^+ possesses an elevated hydration number and a positive *B* 441 coefficient corresponding to a kosmotropic behavior, see Table 1.

442

443 Table 1

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446 **CONCLUSIONS**

 We have herein reported some fundamental aspects of the wetting and surface diffusion of porous particles at the liquid-gas interface and explored the mechanisms underlying cationic surfactant adsorption inside the particle's pores. Contact angle of porous particles at the gas-liquid interface can be described in the framework of the Cassie model in partial wetting, and it depends strongly on the presence of the liquid inside the pores of the particle. For pores completely filled by the liquid, the particle contact angle is expected to be very low and porous particles may detach from the interface and diffuse in the bulk. Particle translational diffusion at the pure water interface agrees with the hydrodynamics prediction,

 which makes these particles ideal probes for interfacial microrheology. Porous silica colloids are already 455 able to adsorb efficiently CTA⁺OH⁻ surfactants without any chemical surface treatments on silica. We 456 determined a significant adsorption of CTA⁺OH⁻ surfactant on $d = 4$ and 7 nm pore size colloids. The lack of adsorption for *d* = 2 nm porous particles agrees with the presence of surface micelles and not 458 monolayers of surfactants inside the pores of silica. We quantified CTA⁺OH⁻ surface concentration and showed that for *C* < CMC, the adsorption increases with the pore size. Therefore, we investigated the effect of the counterion on surfactant removal in order to understand the opposite adsorption behaviour 461 observed between $CTA⁺OH⁻$ and $CTA⁺Br⁻$ on porous silica colloids. pH and surface charge effects are not able alone to explain our experimental findings, which points to the importance of kosmotropic/chaotropic counterion character. Surfactant adsorption on the porous particle affects also the particle translational diffusion at the interface, which points to different boundary conditions on the particle external surface.

 Finally, these results can be used to implement an environmental friendly strategy to remediate the surface of water from soluble and insoluble pollutants. Yet for future investigations, we plan to functionalize porous silica particles with hydrophobic groups to target contaminants that accumulate preferentially only on the water surface. Moreover, based on our expertise on self-propelled Janus silica 470 particles at the interface, $54,55$ we plan to investigate the role of enhanced active diffusion on the kinetic of 471 surfactant removal.⁵⁶ Attention will be paid to the effect of ionic species present in the aqueous medium 472 on the self-propulsion particle behavior.^{$57,58$}

ASSOCIATED CONTENTS

- Supporting information
- Non-spherical mesoporous silica particles pore size distribution, Particle deposition protocols.
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