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Mohamed Aymen Ben Ouanes, Hatem Samaali, Dimitri Galayko, Philippe Basset, Fehmi Najjar. A new type of triboelectric nanogenerator with self-actuated series-to-parallel electrical interface based on self-synchronized mechanical switches for exponential charge accumulation in a capacitor. *Nano Energy*, 2019, 62, pp.465-474. 10.1016/j.nanoen.2019.05.049 . hal-02295416

**HAL Id: hal-02295416**

**<https://hal.science/hal-02295416>**

Submitted on 25 Oct 2021

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**A new type of triboelectric nanogenerator**  
**with self-actuated series-to-parallel electrical interface**  
**based on self-synchronized mechanical switches**  
**for exponential charge accumulation in a capacitor**

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### **Abstract**

We present a new concept for impact-based **triboelectric nanogenerators (TENG)** inspired from the electrostatic machines of the 18<sup>th</sup> century. **With this system, the electrical energy converted from the mechanical domain is automatically accumulated in a large capacitance without the need of diodes.** Our **TENG** has three electrodes and self-synchronized / self-actuated mechanical switches, which automatically and repeatedly connect the capacitances of the system according to their series and parallel configurations in order to reproduce a behavior similar to the Bennet's charge doubler. The movable **and freestanding** electrode is covered with triboelectric patches that drastically decreases the start-up time. The output voltage, and so the harvested energy, increases exponentially until either the output voltage reaches the air dielectric breakdown or a saturation occurs because the electrostatic forces

become comparable to the mechanical ones. We have developed a complete numerical model that takes into account both electrical and mechanical forces and is able to show the saturation phenomena due to the high electromechanical coupling occurring at high voltage. This model has been validated with practical experiments where the prototype were excited with a sinusoidal acceleration of 0.2  $g_{rms}$  at 5 Hz. This new and diode-free concept can be applied to any TENG having at least one variable capacitor to boost the mechanical-to-electrical energy conversion.

**Keywords:** Vibration energy harvester, Electrostatic transduction, Bennet's charge doubler, Triboelectric effect, Mechanical switches

## 1. Introduction

Wireless sensors and internet of things (IoT) based systems can be considerably improved thanks to energy harvesting devices. Extracting energy from vibrations surrounding low-power devices is a good alternative to battery, especially when a large deployment of these devices is envisaged. Such kinetic or vibration energy harvesters (K/VEH) usually include a mobile mass to capture the kinetic energy from the vibrations and a transducer that transforms them into useful electrical energy. Several transducer mechanisms can be used, like electromagnetic, piezoelectric or electrostatic ones.

With electrostatic transducers, one or several variable capacitors are required to convert the kinetic energy into electricity. The level of converted energy is strongly related to the capacitance ratio  $C_{Max}/C_{min}$  of the electromechanical transducer. Various designs have been proposed in the literature, most of them using MEMS technologies, and having in-plane linear variation of the capacitance [1][2] or gap-closing devices [3][4]. A more sophisticated optimized in-plane triangular electrodes for reducing the air damping was also introduced by Lu *et al* in [5].

Classical conditioning circuits for electrostatic KEH (e-KEH) are based on charge-pump circuits where diodes and/or mechanical switches are used. It typically works with a two stages cycle [6]. First, a variable capacitor is charged when at its maximal value. Then the capacitor is decreased through the application of external inertial forces on one movable electrode, while the electrostatic force tried to prevent its displacement. This converts mechanical energy into electricity, which can be stored in another capacitor denoted

reservoir capacitance  $C_{res}$ . The process is repeated until an optimum voltage is reached across  $C_{res}$ . At this point, a secondary circuit is used to (partially) discharge  $C_{res}$  before its saturation, and the energy harvesting cycle can restart. The control of the different steps can be achieved by implementing transistor-based switches [7][8][9] or diodes [12][11][12]. A similar approach is used with triboelectric nanogenerators [13]. Chiu also proposed the use of mechanical switches to replace diodes or the electronic control of transistors [14], followed by Samaali *et al* [15].

All previously cited rectifier circuits, whatever they are made of diodes or switches, can be denoted as stable charge-pump [16][16], sometimes followed with a Buck-type inductive feedback for de-saturating the reservoir capacitance. Unstable charge-pump can also be used. They are typically based on the Bennet's influence machine [18][19]. They allow an exponential increase with time of the harvested vibrational energy thanks to one or two parallel-plate variable capacitors with synchronized electrical connection between the electrodes. Dorzhiev *et al* implemented such Bennet's doubler KEH at the microscale using a single gap-closing MEMS variable capacitor with interdigitated electrodes [20]. Lefeuvre *et al* proposed a circuit to overcome the limitation related to the variable capacitance max-to-min ratio inherent to the Bennet charge doubler [21], and Karami *et al* proposed a generalization of such kind of circuits that have in commun a rectangular QV cycle [22]. To avoid the drawbacks of diodes like reverse current, positive and Zener reverse voltage threshold, Ouanes *et al* at macroscale [23], and Le *et al* at microscale [24], separately and concurrently proposed the use of mechanical into a vibrational KEH based on the Bennet charge doubler principle.

Triboelectricity has been introduced for kinetic energy harvesting using electrostatic transduction by Prof Zhong Lin Wang who first proposed the concept of TriboElectric Nano Generator (TENG) [25]. In [26], he proposed a comparison between TENGs and piezoelectric or electromagnetic generators based on Maxwell's equations. Numerous applications are envisaged, including large energy recovery from the oceans [27]. One drawback of TENGs is its very high voltage generation. However, we can take advantage of the induced air breakdown phenomena to directly charge a capacitor [28].

In [29], Hinchet *et al* observed that most TENG are actually similar to electret-based e-KEH and share the same lumped-element circuit once in steady-state. So, recently it has been proposed to apply the Bennet circuit to TENG devices [16][30], leading to a larger

output power. In this work, we propose a **new type of TENG with a freestanding movable electrode like in [31][32], except that electrical energy converted from the mechanical domain is automatically accumulated in a large capacitance without the need of diodes. The device is** based on the Bennet charge doubler principle **and** made of two asymmetric gap-closing variable capacitances with a 3-electrode sandwich structures, having a mobile electrode in the middle and 3 self-actuated mechanical switches. The two faces of the freestanding electrode are covered with a triboelectric layer that induces additional charges at each contact. The inertial mass is supposed to be free of any elastic link and the mechanical switches play also the role of stoppers. The manuscript is structured as follow: the next section describes the principle of the new **TENG**, section 3 presents its electromechanical model and section 4 compares the simulations with experimental results.

## 2. Description of a tribo-enhanced Bennet doubler

### 1. Principle of operation

A side-view schematic of the proposed **TENG** is illustrated in **Fig. 1**. It is composed of 3 electrodes: side electrodes A and C being fixed to the external frame and a central one B moving in-between. Inertial forces are induced by an externally applied acceleration. The position of electrode B results in two variable capacitances  $C_{ba}$  and  $C_{bc}$ . The conditioning circuit is composed by three mechanical switches  $S_1$ ,  $S_2$  and  $S_3$ , all self-activated by the motion of B. In addition, a large reservoir capacitor  $C_{res}$  is needed to collect the harvested energy.

The three switches interconnect the three electrodes during the displacement of the central electrode B in order to reproduce the behaviour of the electrostatic machine invented by Bennet in 1787 [18] when periodic vibrations are applied.  $S_1$  and  $S_3$  connect B and C to  $C_{res}$  respectively electrode B. When electrode B is close to electrode A, the switches  $S_1$  and  $S_2$  are ON (**Fig. 1b**) and the three capacitors are in parallel.  $C_{ba}$  is at its maximum value  $C_{ba}^{Max}$ , whereas  $C_{bc}$  is minimal at  $C_{bc}^{min}$ . When the electrode B moves in-between A and C, all switches are OFF (**Fig. 1a**). When B is close to C,  $S_3$  turns ON leading to the series configuration. Then  $C_{bc}$  turns to its maximum value  $C_{bc}^{Max}$  and  $C_{ba}$  turns to its minimum value  $C_{ba}^{min}$  (**Fig. 1c**).

In the following, we analyse the evolution of the charges in the capacitors. Let's start the process when the capacitance  $C_{ba}$  is at its maximum value  $C_{ba}^{Max}$ .  $S_1$  and  $S_2$  are ON and the capacitors  $C_{ba}$ ,  $C_{bc}$ ,  $C_{res}$  are in parallel (**Fig. 1b**), so they have the same electrical potential  $V^{P,1}$ :

$$V^{P,i} = V_{ba}^{P,i} = V_{bc}^{P,i} = V_{res}^{P,i} = Q_{ba}/C_{ba}^{Max} = Q_{bc}/C_{bc}^{min} = Q_{res}/C_{res} \quad (1)$$

where  $P$  indicates the parallel configuration and  $i$  the mechanical cycle number.  $Q_{ba}$ ,  $Q_{bc}$  and  $Q_{res}$  are the charges associated to each capacitor  $C_{ba}$ ,  $C_{bc}$  and  $C_{res}$  respectively.

When  $B$  moves towards  $C$ , all switches are in open-circuit:  $C_{ba}$  starts decreasing while  $C_{bc}$  increases. The device is in a constant-charge mode and according to the charge conservation law,  $V_{ba}$  increases,  $V_{bc}$  decreases and  $V_{res}$  remains equal to  $V^{P,i}$ . We can write the following equalities, just before the contact between  $B$  and  $C$ :

$$\begin{cases} Q_{bc}^{S^-,i} = V^{P,i} C_{bc}^{min} = V_{bc}^{S^-,i} C_{bc}^{Max} \\ Q_{ba}^{S^-,i} = V^{P,i} C_{ba}^{Max} = V_{ba}^{S^-,i} C_{ba}^{min} \\ Q_{res}^{S^-,i} = V^{P,i} C_{res} = V_{res}^{S^-,i} C_{res} \Rightarrow V^{P,i} = V_{res}^{S^-,i} \end{cases} \quad (2)$$

where  $S^-$  indicates the moment just before  $S_3$  is ON, i.e. just before the series configuration of the capacitors.  $C_{ba}^{min}$  and  $C_{bc}^{Max}$  are the minimal and maximal value of  $C_{ba}$  and  $C_{bc}$  respectively.

At the moment  $S^+$  corresponding to the moment just after  $S_3$  becomes ON, all capacitors are in series (**Fig. 1c**). We can assume that the potential across  $C_{bc}$ ,  $C_{ba}$  and  $C_{res}$  are the same at  $S^-$  [33]. Consequently:

$$\begin{cases} V_{res}^{S^-,i} = V_{res}^{S^+,i} \\ V_{bc}^{S^-,i} = V_{bc}^{S^+,i} \\ V_{ba}^{S^-,i} = V_{ba}^{S^+,i} \end{cases} \quad (3)$$

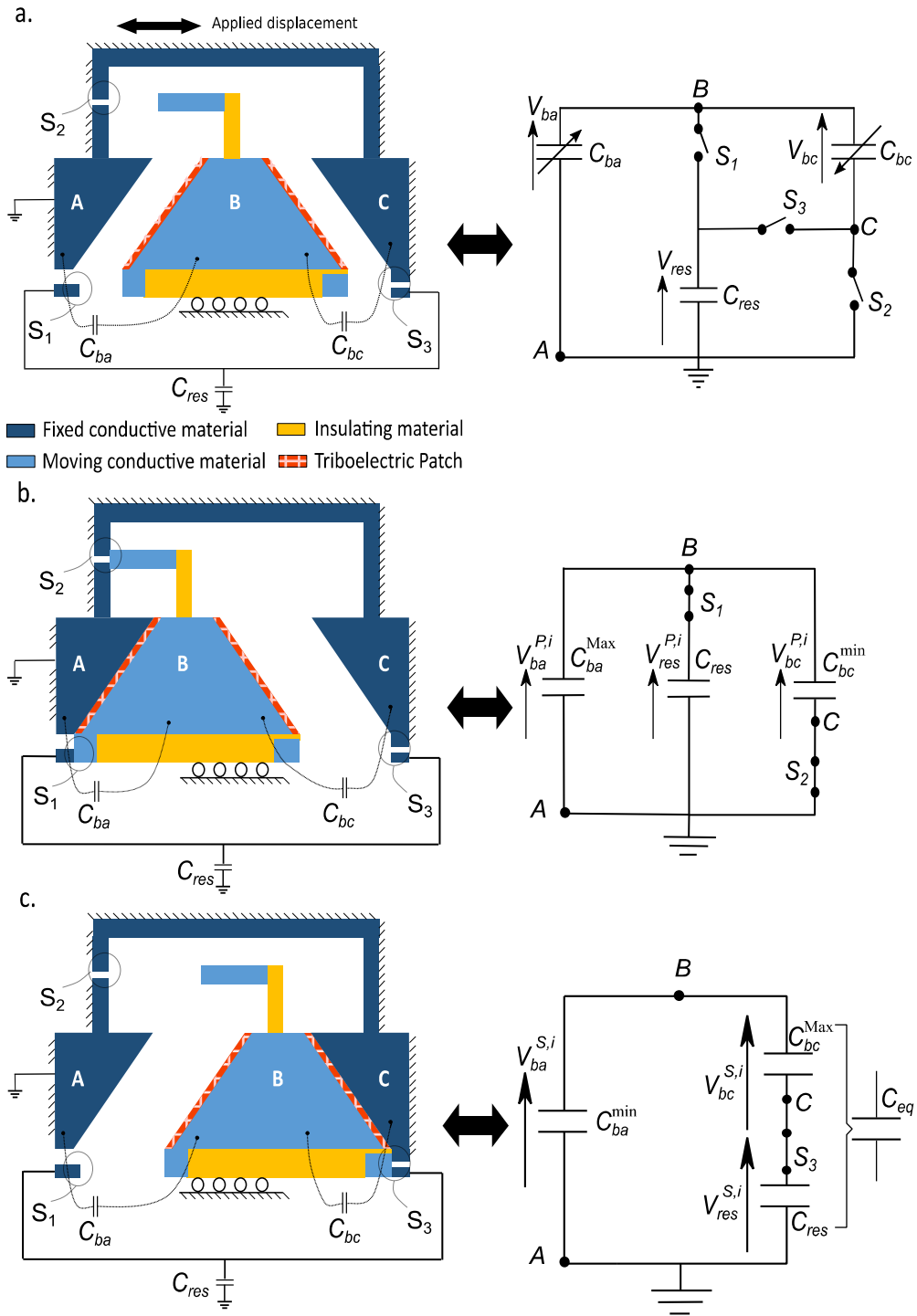
In order that  $C_{ba}$  starts to give its charges to the network capacitors ( $C_{bc}$ ,  $C_{res}$ ), it is required that:

$$\begin{aligned} V_{ba}^{S^+,i} &> V_{bc}^{S^+,i} + V_{res}^{S^+,i} \\ \Leftrightarrow V^{P,i} \frac{C_{ba}^{Max}}{C_{ba}^{min}} &> V^{P,i} \frac{C_{bc}^{min}}{C_{bc}^{Max}} + V^{P,i} \\ \Leftrightarrow \frac{C_{ba}^{Max}}{C_{ba}^{min}} &> \frac{C_{bc}^{min}}{C_{bc}^{Max}} + 1 \end{aligned} \quad (4)$$

At the contact  $S^+$ , the total charge in the system is given by:

$$Q_{tot}^{S^+,i} = V_{ba}^{S^+,i} \cdot C_{ba}^{min} + (V_{bc}^{S^+,i} + V_{res}^{S^+,i}) \cdot C_{eq} \quad (5)$$

where  $C_{eq} = \frac{C_{bc}^{Max} \cdot C_{res}}{C_{bc}^{Max} + C_{res}}$ .



**Fig. 1.** Side-view schematics and equivalent electrical circuits of the F-TENG in its 3 configurations assuming no contact resistance. **a.** The sliding electrode B is isolated ( $S_1$ ,  $S_2$  and  $S_3$  are open). **b.** Electrode B is contacting electrode A ( $S_1$  and  $S_2$  are closed,  $S_3$  is open). **c.** Electrode B is contacting electrode C ( $S_3$  is closed,  $S_1$  and  $S_2$  are open).

On the other hand, at the steady state of the series configuration denoted by  $S$  the total charge is:

$$Q_{tot}^{S,i} = V_{ba}^{S,i} \cdot (C_{ba}^{min} + C_{eq}) \quad (6)$$

According to the charge conservation law:

$$Q_{tot}^{S^+,i} = Q_{tot}^{S,i} \quad (7)$$

Equalizing Eq.(5) and Eq.(6) then replacing with the equalities in Eq.(2) and Eq.(3), we get:

$$V_{ba}^{S,i} = V^{P,i} \frac{\left(1 + \frac{C_{bc}^{min}}{C_{bc}^{Max}}\right) C_{eq} + C_{ba}^{Max}}{C_{ba}^{min} + C_{eq}} \quad (8)$$

Now we can determine the charge  $\Delta Q^{S,i}$  given from  $C_{ba}^{min}$  to  $(C_{bc}, C_{res})$ :

$$\Delta Q^{S,i} = Q_{ba}^{P,i} - Q_{ba}^{S,i} = V^{P,i} C_{ba}^{Max} - V_{ba}^{S,i} C_{ba}^{min} \quad (9)$$

Substituting Eq.(8) in Eq.(9), we get:

$$\Delta Q^{S,i} = V^{P,i} \left[ C_{ba}^{Max} - \frac{\left(1 + \frac{C_{bc}^{min}}{C_{bc}^{Max}}\right) C_{eq} + C_{ba}^{Max}}{(C_{ba}^{min} + C_{eq})} C_{ba}^{min} \right] \quad (10)$$

At the end of the first phase  $C_{ba}^{Max} \rightarrow C_{ba}^{min}$ , the transducer  $C_{ba}$  gives the charge  $\Delta Q^{S,i}$  to  $C_{eq}$  that is received by each capacitors  $C_{bc}$  and  $C_{res}$ . As a result, the total variation of the charge in the system  $(C_{ba}, C_{bc}, C_{res})$  is:

$$-\Delta Q^{S,i} + 2\Delta Q^{S,i} = \Delta Q^{S,i} \quad (11)$$

Now  $C_{ba}$  increases from  $C_{ba}^{min}$  to  $C_{ba}^{Max}$  while  $C_{bc}$  decreases, all switches are open and the device is in constant charge mode. At  $C_{ba}^{Max}$ ,  $S_1$  and  $S_2$  becomes ON and the three capacitors are in parallel again. The total charge at the moment  $(P^-, i)$  just before the contacts is the same as the previous series' state  $(S, i)$  but also the same as the charge just after the ON contact  $(P^+, i + 1)$  and finally also the same at the steady state of the new parallel configuration  $(P, i + 1)$ :

$$Q_{tot}^{S,i} = Q_{tot}^{P^-,i} = Q_{tot}^{P^+,i+1} = Q_{tot}^{P,i+1} \quad (12)$$

Consequently, to define the total charge at the beginning of a new mechanical cycle  $(i + 1)$ , we have to add the charge  $\Delta Q^{S,i}$  to the capacitors in parallel:

$$V^{P,i+1}(C_{ba}^{Max} + C_{bc}^{min} + C_{res}) = V^{P,i}(C_{ba}^{Max} + C_{bc}^{min} + C_{res}) + \Delta Q^{S,i} \quad (13)$$

Then at each cycle, the increase of the converted energy is given by:



$$E(i + 1) = \frac{1}{2} (C_{ba}^{Max} + C_{bc}^{min} + C_{res}) [V^{P,i+1^2} - V^{P,i^2}] \quad (14)$$

**Table 1:** summarizes all the parameters of the system.

<b>Symbol</b>	<b>Signification</b>	<b>Symbol</b>	<b>Signification</b>
A	Electrode A	$P^-$	Moment just before contact $S_1$ and $S_2$ are ON
B	Electrode B	$P^+$	Moment just after contact $S_1$ and $S_2$ are ON
C	Electrode C	$V^{P,i}$	Electrical potential in the parallel configuration associated to cycle $i$
$S_1$	Switch $S_1$	$V_{ba}^{S,i}$	Electrical potential across $C_{ba}$ in the series configuration associated to cycle $i$ at the steady state
$S_2$	Switch $S_2$	$V_{ba}^{S^-,i}$	Electrical potential across $C_{ba}$ in the series configuration associated to cycle $i$ at moment $S^-$
$S_3$	Switch $S_3$	$V_{bc}^{S^-,i}$	Electrical potential across $C_{bc}$ in the series configuration associated to cycle $i$ at moment $S^-$
$C_{ba}$	Capacitance between electrode B and A.	$V_{res}^{S^-,i}$	Electrical potential across $C_{res}$ in the series configuration associated to cycle $i$ at moment $S^-$
$C_{bc}$	Capacitance between electrode B and C.	$V_{ba}^{S^+,i}$	Electrical potential across $C_{ba}$ in the series configuration associated to cycle $i$ at moment $S^+$
$C_{res}$	reservoir capacitance	$V_{bc}^{S^+,i}$	Electrical potential across $C_{bc}$ in the series configuration associated to cycle $i$ at moment $S^+$
$C_{ba}^{Max}$	Maximal value of capacitance $C_{ba}$	$V_{res}^{S^+,i}$	Electrical potential across $C_{res}$ in the series configuration associated to cycle $i$ at moment $S^+$
$C_{ba}^{min}$	Minimal value of capacitance $C_{ba}$	$Q_{ba}^{S^-,i}$	Electrical charges in $C_{ba}$ in the series configuration associated to cycle $i$ at moment $S^-$
$C_{bc}^{Max}$	Maximal value of capacitance $C_{bc}$	$Q_{bc}^{S^-,i}$	Electrical charges in $C_{bc}$ in the series configuration associated to cycle $i$ at moment $S^-$
$C_{bc}^{min}$	Minimal value of capacitance $C_{bc}$	$Q_{res}^{S^-,i}$	Electrical charges in $C_{res}$ in the series configuration associated to cycle $i$ at moment $S^-$
$C_{eq}$	Equivalent capacitance $C_{eq} = \frac{C_{bc}^{Max} \cdot C_{res}}{C_{bc}^{Max} + C_{res}}$	$Q_{tot}^{S,i}$	Total charge in the system ( $C_{ba}$ , $C_{bc}$ , $C_{res}$ ) associated to cycle $i$ at the steady state of the series configuration
$Q_{ba}$	Charge associated to capacitor $C_{ba}$	$Q_{tot}^{S^+,i}$	Total charge in the system ( $C_{ba}$ , $C_{bc}$ , $C_{res}$ ) associated to cycle $i$ at the moment $S^+$ of the

			series configuration
$Q_{bc}$	Charge associated to capacitor $C_{bc}$	$\Delta Q^{S,i}$	Electrical charges generated at each cycle $i$
$Q_{res}$	Charge associated to capacitor $C_{res}$	$Q_{tot}^{P-,i}$	Total charge in the system ( $C_{ba}$ , $C_{bc}$ , $C_{res}$ ) associated to cycle $i$ at the moment $P^-$
$S_{ba}$	Electrode's contact area associated to $C_{ba}$	$Q_{tot}^{P+,i+1}$	Total charge in the system ( $C_{ba}$ , $C_{bc}$ , $C_{res}$ ) associated to cycle $i+1$ at the moment $P$
$S_{bc}$	Electrode's contact area associated to $C_{bc}$	$Q_{tot}^{P+,i+1}$	Total charge in the system ( $C_{ba}$ , $C_{bc}$ , $C_{res}$ ) associated to cycle $i+1$ at the moment $P^+$
$i$	Number of mechanical cycle	$E$	Converted energy per cycle
$S$	Indicates series configuration	$\sigma_{ba}$	Surface charge density of the triboelectric patch associated to the electrode (B/A)
$P$	Indicates parallel configuration	$\sigma_{bc}$	Surface charge density of the triboelectric patch associated to the electrode (B/C)
$S^-$	Moment just before contact $S_3$ is ON	$\Delta Q_{ba}^t$	Triboelectric charges associated to the coupled of electrode (B/A)
$S^+$	Moment just after contact $S_3$ is ON	$\Delta Q_{bc}^t$	Triboelectric charges associated to the coupled of electrode (B/C)

## 2. Triboelectric enhancement

To improve the device performances and to electrically isolate the electrodes when they are in contact, we proposed to cover the active areas of the central electrode with triboelectric patches made of Polypropylene (PP). At each contact with the counterpart fixed electrodes, made of steel, the triboelectric patches produce an additional amount of charges that will speed-up the charging of the reservoir capacitor. These triboelectric charges associated to each couple of electrode (B/A) and (B/C) are denoted by  $\Delta Q_{ba}^t$  and  $\Delta Q_{bc}^t$ , respectively. They are approximated by [32]:

$$\Delta Q_{ba}^t \approx \frac{2\sigma_{ba}S_{ba}}{1 + \frac{C_{bc}^{min}}{C_{ba}^{Max}}} \quad \text{and} \quad \Delta Q_{bc}^t \approx \frac{2\sigma_{bc}S_{bc}}{1 + \frac{C_{ba}^{min}}{C_{bc}^{Max}}} \quad (15)$$

where  $S_{ba}$  and  $S_{bc}$  are the electrode's contact area associated to  $C_{ba}$  and  $C_{bc}$ ,  $\sigma_{ba}$  and  $\sigma_{bc}$  being the surface charge densities of each patch.

## 3. Time evolution of electrical quantities

From the previous analysis, we can simulate the electrical evolution of the system for

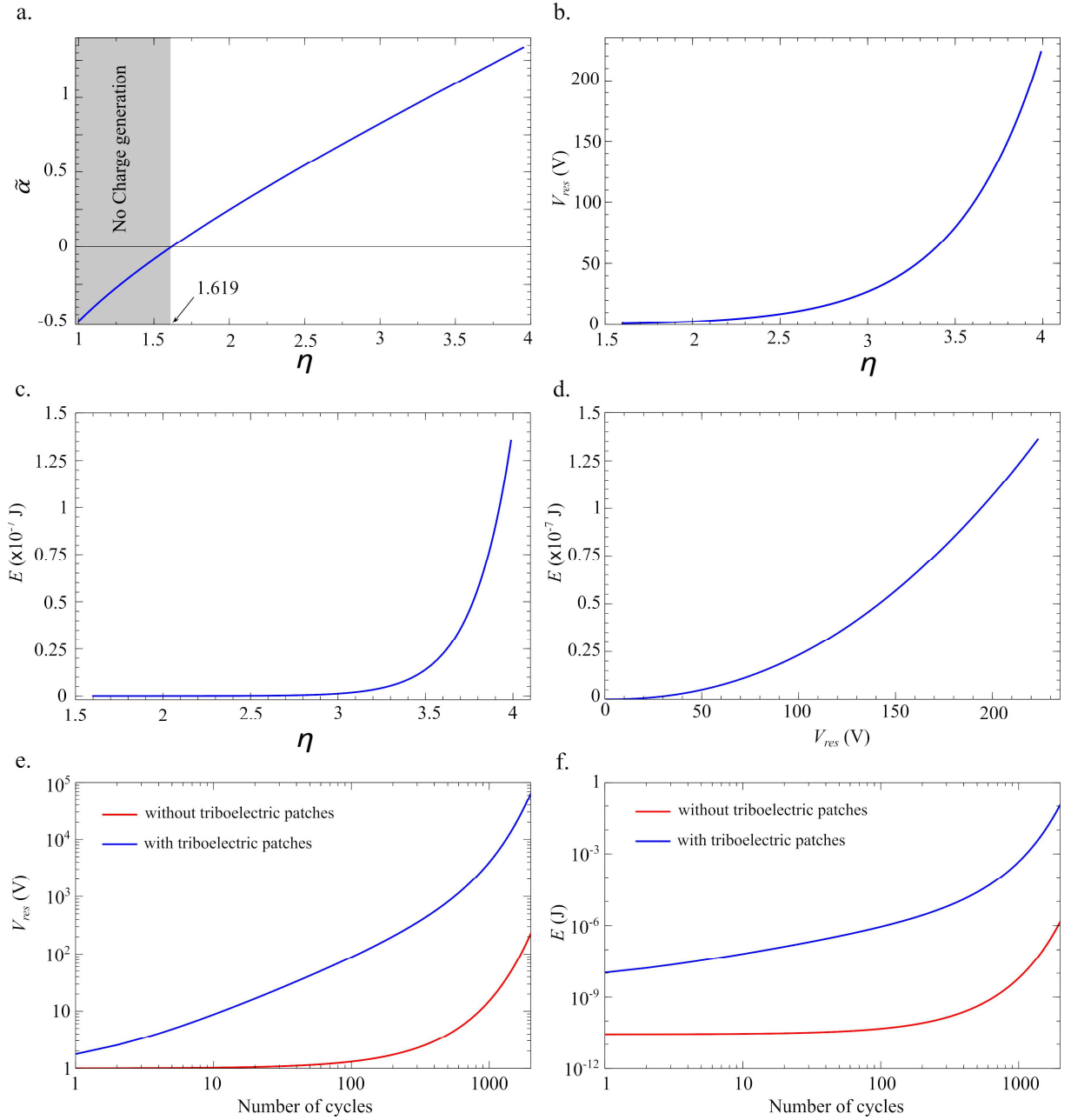
multiple oscillations of the movable electrode  $B$ . We assume that  $C_{ba}$  and  $C_{bc}$  are perfectly symmetrical and out of phase, both of them varying between  $C_{min}$  and  $C_{Max}$ . Firstly, we do not take into account the triboelectric charges and we assume that the switches are ideal without any ohmic losses. Therefore the variation of charge per mechanical cycle given by Eq.(10) becomes:

$$\Delta Q^{S,i} = V^{P,i} \frac{(C_{Max}^2 - C_{Max}C_{min} - C_{min}^2)C_{res}}{C_{Max}(C_{min} + 2C_{res})} = \alpha V^{P,i} \quad (16)$$

For the numerical calculation we set  $C_{min}=20$  pF and  $C_{res} = 10$  nF. **Fig. 2a**, shows the variation of  $\tilde{\alpha}$  ( $\alpha$  normalized with  $C_{min}$ ) versus the capacitance ratio  $\eta = C_{Max}/C_{min}$ . To convert electrical energy from the mechanical domain,  $\Delta Q^{S,i}$  and then  $\tilde{\alpha}$ , have to be positive. This corresponds to  $\eta > 1.619$ . **Fig. 2b** shows  $V_{res}$  versus  $\eta$  after 2000 cycles. **Fig. 2c** and **2d** show the harvested energy  $E$  during the 2000<sup>th</sup> cycle versus  $\eta$  and  $V_{res}$  (with  $\eta=4$ ), respectively.

**Fig. 2e** and **2.f** show the positive influence of the triboelectric charge regarding the output voltage  $V_{res}$  and the harvested energy  $E$  at each cycle, respectively.  $\eta$  is set to 4 and the initial voltage due to the electromagnetic ambient (EM) noise  $V_0 = 1$  V. The surface density of the triboelectric layer is set to  $\sigma_{ba} = \sigma_{bc} = 2 \cdot 10^{-6}$  C/m<sup>2</sup> [32] and the contact surface  $S_{ba} = S_{bc} = 12$  cm<sup>2</sup>.

As for any kinetic energy harvester based on gap-closing geometry, the level of converted energy is strongly related to the capacitance ratio  $\eta = C_{Max}/C_{min}$ : the system is more efficient for large ratio  $\eta$ . In addition, the triboelectric patches bring a very positive influence since they allow to speed-up the energy conversion process and allow the system to start from electromagnetic ambient charges. These impact of the triboelectric patches become negligible for higher cycles as seen in Fig. 2e and 2.f.



**Fig. 2.** Evolutions of the electrical quantities. **a.** Variation of  $\tilde{\alpha}$  ( $\alpha$  normalized with  $C_{min}$ ) versus the capacitance ratio  $\eta$ . **b.** Variation of  $V_{res}$  and **c.** variation of the energy  $E$  versus  $\eta$ . **d.** Variation of the energy  $E$  versus  $V_{res}$  for  $\eta=4$  at the 2000<sup>th</sup> cycle. **e.** Variation of the  $V_{res}$  after 10000<sup>th</sup> cycle and **f.** Evolution of the energy  $E$  versus the number of cycles when triboelectric patches are added.

### 3. Modelling of the electromechanical system

The proposed electrostatic generator consists on a movable electrode  $B$  having an inertial masse  $m$  free to move thanks to a linear bearing as shown in **Fig. 3a**. The electrode  $B$  is excited when an external acceleration, that we consider harmonic, is applied on the rigid

frame. The displacement of  $B$  is limited by the switches  $S_1$  and  $S_3$  that act as rigid and damped stoppers at positions  $x_{01}$  and  $x_{03}$  respectively.  $S_2$  is a flexible stopper.

In this section, the full model for the generator is detailed, including the coupling of the Modelling of the full system under external excitation.

According to the second Newton law, the behaviour of the generator (**Fig. 3a**) is given by:

$$\begin{cases} m\ddot{x} + c\dot{x} = m\gamma + F_{ba} + F_{bc} & \text{for } x_{02} < x \leq x_{03} \\ m\ddot{x} + (c + c_2)\dot{x} + k_2(x - x_{02}) = m\gamma + F_{ba} + F_{bc} & \text{for } x_{01} \leq x \leq x_{02} \end{cases} \quad (17)$$

where  $x$  and  $\dot{x}$  are the displacement and the velocity of electrode  $B$  respectively,  $c$  represents the mechanical damping coefficient due to friction and  $\gamma$  is the external applied acceleration.  $F_{ba}$  and  $F_{bc}$  are the electrostatic force associated to the variable capacitances  $C_{ba}$  and  $C_{bc}$  given by:

$$F_{ba} = \frac{1}{2} \frac{dC_{ba}}{dx} \left( \frac{Q_{ba}}{C_{ba}} \right)^2 = \frac{1}{2} \frac{dC_{ba}}{dx} (V_{ba})^2, \quad F_{bc} = \frac{1}{2} \frac{dC_{bc}}{dx} \left( \frac{Q_{bc}}{C_{bc}} \right)^2 = \frac{1}{2} \frac{dC_{bc}}{dx} (V_{bc})^2 \quad (18)$$

where  $C_{ba} = \frac{\epsilon S_{ba}}{d_0 + x}$  and  $C_{bc} = \frac{\epsilon S_{bc}}{d_0 - x}$ .  $Q_{ba}$ ,  $V_{ba}$ ,  $Q_{bc}$  and  $V_{bc}$  are the electrical charges and electrical potential associated to the capacitor  $C_{ba}$  and  $C_{bc}$  respectively.  $\epsilon$  is the vacuum permittivity and  $d_0$  the electrostatic gap distance shown in **Fig. 3a**.

At each contact between the electrode  $B$  and  $A$  or  $C$ , a bouncing phenomenon takes place and the electrode  $B$  losses some of its kinetic energy. Their velocities are changed, at the contact moment, according to [34]

$$\begin{cases} \dot{x} \leftarrow -\beta_{ba}\dot{x} & \text{when } x=x_{01} \\ \dot{x} \leftarrow -\beta_{bc}\dot{x} & \text{when } x=x_{03} \end{cases} \quad (19)$$

The restitution coefficient  $\beta_{ba}$  and  $\beta_{bc}$  will be determined by fitting the results with experimental data. When the masse reaches its position  $x_{02}$ , a repulsive force with stiffness  $k_2$  and a damping coefficient  $c_2$  are added.

### 1. Modelling of the electrical system

In the previous section, the switches were modelled as perfect switches but they actually have a small contact resistance. In this section, we use a more realistic model, where the ohmic contacts are denoted by  $R_{1,2,3}$  for the switches  $S_{1,2,3}$  (see **Fig. 3**). As the electrode  $B$  is moving, the electric system varies due to activation of different switches. In the following, we describe mathematically the different circuits connecting the system's components.

#### **Electrode $B$ is between $x_{02}$ and $x_{01}$**

Before being in contact with electrode  $A$ , the switch  $S_2$  is ON while  $S_1$  and  $S_3$  are OFF (**Fig.**

3b). The equations describing the electrical system are given by:

$$\begin{cases} V_{ba} = V_{bc} + R_2 \frac{d(C_{bc}V_{bc})}{dt} \\ \frac{d(C_{ba}V_{ba})}{dt} + \frac{d(C_{bc}V_{bc})}{dt} = 0 \end{cases} \quad (20)$$

When the electrode  $B$  reaches the electrode  $A$  at position  $x_{01}$ , the mechanical switches  $S_1$  turns ON leading to the parallel configuration of **Fig. 3c**. The contact between the two electrodes adds a triboelectric charge  $\Delta Q_{ba}^t$  to the system. The capacitance  $C_{ba}$  is at its maximum value  $C_{ba}^{Max}$  and  $C_{bc}$  at its minimum value  $C_{bc}^{min}$ . The equations describing the electrical system are given by:

$$\begin{cases} V_{ba} = V_{res} + R_1 C_{res} \frac{dV_{res}}{dt} \\ V_{ba} = V_{bc} + R_2 \frac{d(C_{bc}V_{bc})}{dt} \\ \frac{d(C_{ba}V_{ba})}{dt} + \frac{d(C_{bc}V_{bc})}{dt} + C_{res} \frac{dV_{res}}{dt} = 0 \end{cases} \quad (21)$$

where  $V_{res}$ , is the voltage across  $C_{res}$ .

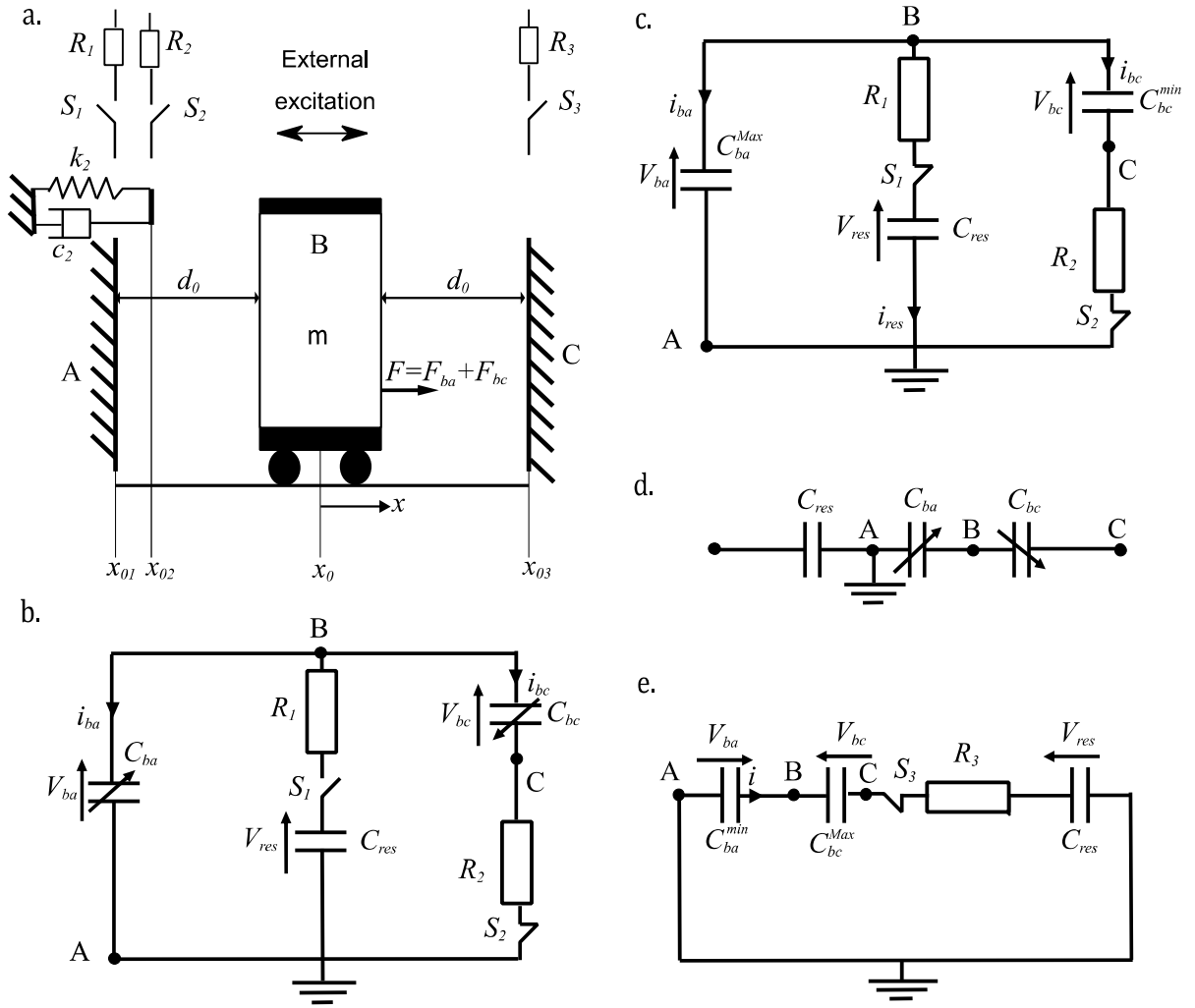
#### Electrode $B$ is between $x_{02}$ and $x_{03}$

When  $B$  moves between  $x_{02}$  and  $x_{03}$  (**Fig. 3d**), all switches are OFF. The mobile electrode is isolated and all charges remain constant. The voltages across the capacitances become:

$$\begin{cases} V_{res} = \frac{Q_{res}}{C_{res}} \\ V_{ba} = \frac{Q_{ba}}{C_{ba}} \\ V_{bc} = \frac{Q_{bc}}{C_{bc}} \end{cases} \quad (22)$$

When  $B$  is in contact with  $C$ ,  $S_3$  becomes ON and all the capacitors are in series (**Fig. 3e**). The induced impact adds a triboelectric charge  $\Delta Q_{bc}^t$  to the system, and the electrical equations associated to the series configuration are given by:

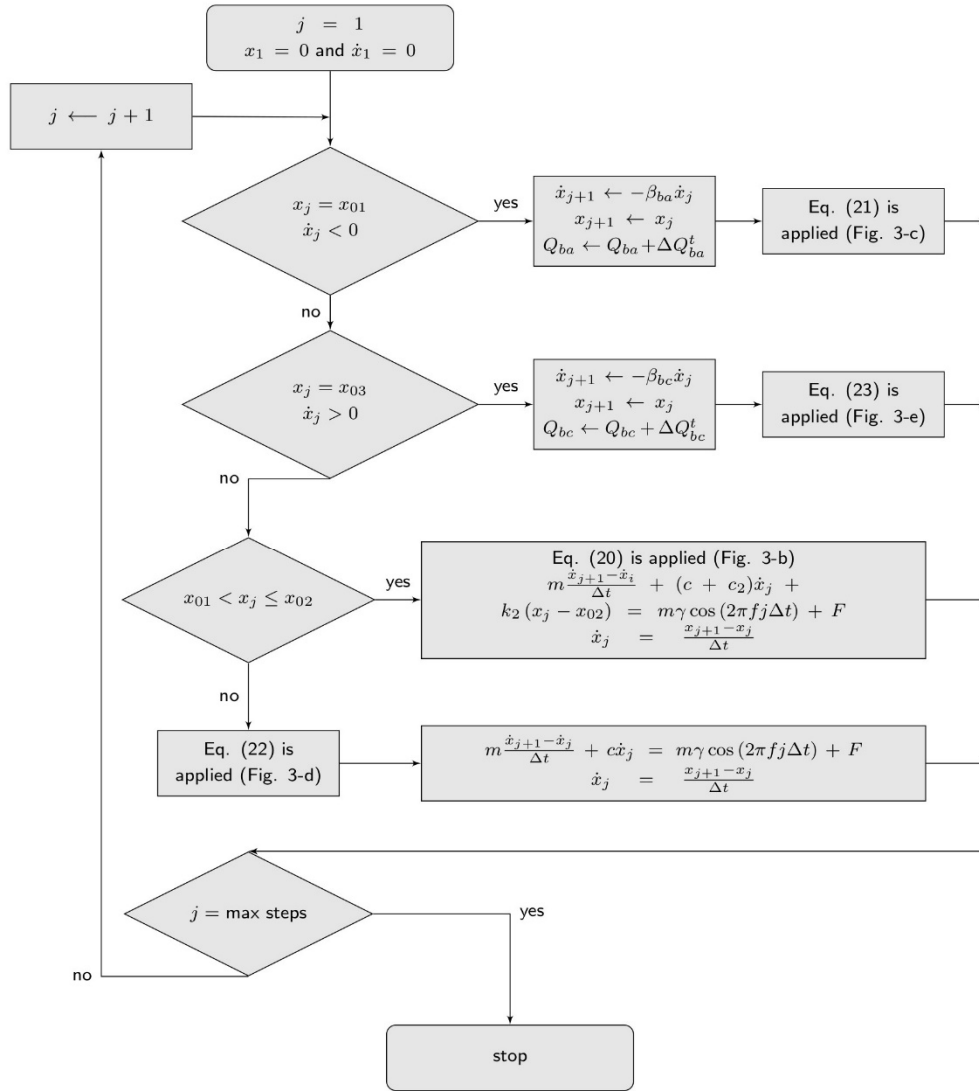
$$\begin{cases} V_{res} + R_3 i + V_{bc} - V_{ba} = 0 \\ i = -\frac{d(C_{ba}V_{ba})}{dt} = \frac{d(C_{bc}V_{bc})}{dt} = C_{res} \frac{dV_{res}}{dt} \end{cases} \quad (23)$$



**Fig. 3.** Electromechanical model of the **system** **a.** Mechanical representation. **b.** Equivalent circuit between  $x_{01}$  and  $x_{02}$ . **c.** Equivalent circuit at  $x_{01}$  (parallel configuration) **d.** Equivalent circuit between  $x_{02}$  and  $x_{03}$ . **e.** Equivalent circuit at  $x_{03}$  (series configuration).

## 2. Description of the electromechanical system

The mechanical model given by Eq.(17) depends on the electrostatic forces  $F_{ba}$  and  $F_{bc}$ , which can be calculated from voltages defined in the electrical model in equations Eq.(20), Eq.(21), Eq.(22) and Eq.(22). To solve this electromechanical coupled system, we use a one-step Finite Difference (FD) forward scheme with a time step  $\Delta t$ .  $x_j$  and  $\dot{x}_j$  represent the position and velocity at time  $j\Delta t$ . The detailed algorithm is described in **Fig. 4**.



**Fig. 4.** Flow chart of the proposed algorithm for modelling the electromechanical system.

#### 4. Coupled simulations, experiments results and discussions:

##### 1. Experimental setup and capacitance variations:

The fabricated proof-of-concept generator is shown in **Fig. 5a**. Electrodes are made of steel. Polyamide is used for the frame to ensure electrical insulation between different parts. Low friction of the moving central electrode *B* is obtained thanks to a linear bearing. For the triboelectric charge generation, Polypropylene (PP) patches of 50  $\mu\text{m}$  in thickness covers the active areas of electrode *B*. The generator is mounted on a shaker (LDS V40b from Brüel & Kjaer) where harmonic excitations are applied (**Fig. 5b**). The vibrations are controlled by a servo system (model 7541 from B&K) and by an accelerometer (model 4507B004 from B&K).



A setup is used to measure the variations of the capacitances  $C_{ba}$  and  $C_{bc}$  using a phase-shift measurement between two signals in the  $RC$  circuit presented in **Fig. 5c** [35]. For each phase shift  $\theta$ , the capacitance is calculated as:

$$C_{ba,bc} = \frac{1}{\tan(\theta) R_{ba,bc} \omega} \quad (24)$$

where  $\omega$  is the angular frequency of  $V_{ac}$  and  $\theta$  represents the phase shift between the voltage across the variable capacitor and the voltage of excitation source.

The value of the resistance has to be carefully chosen to maximize the sensitivity at the frequency of interest. Best accuracy is obtained for a phase-shift of  $\pi/4$ , i.e. for  $R_{ba,bc} C_{ba,bc} \omega = 1$  [36]. So that,  $R_{ba,bc}$  is set as follow:

$$R_{ba,bc} = \frac{1}{C_{ba,bc}^{av} \omega} \quad (25)$$

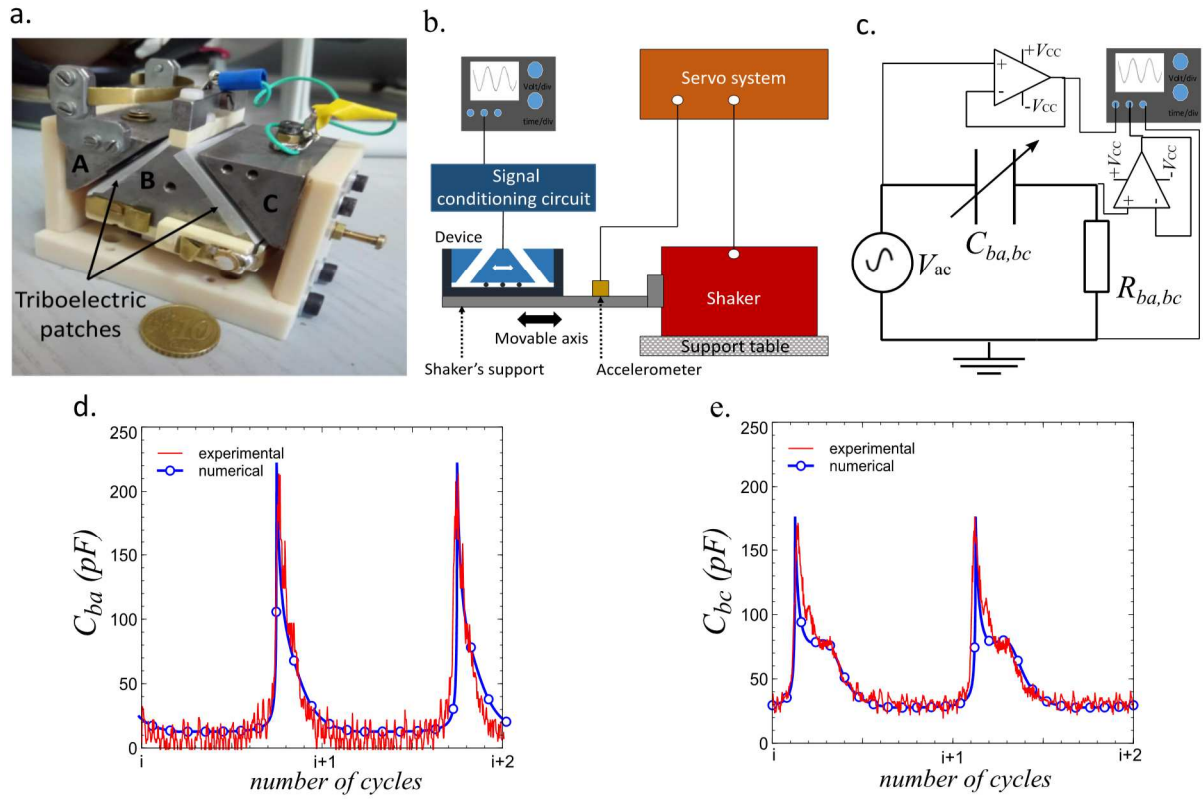
where the average values  $C_{ba,bc}^{av}$  are defined as:

$$C_{ba,bc}^{av} = \frac{C_{ba,bc}^{Max} + C_{ba,bc}^{min}}{2} \quad (26)$$

$C_{ba,bc}^{Max}$  and  $C_{ba,bc}^{min}$  are first measured with an RLC impedance-meter. The dynamic capacitance measurements are performed with a 5 Hz excitation at  $0.2 g_{rms}$ .  $V_{ac}$  is set to 1.5 V peak-to-peak and its frequency is set to 100 KHz.

## 2. Model validation:

The measured values of both capacitances are shown in **Fig. 5d** and **Fig. 5e**. Using the derived electromechanical model in Eq.(17), with the physical and geometrical parameters presented in [37], we fit the numerical results of the capacitances with those measured experimentally by adjusting the restitution and damping coefficients. **Fig. 5d** and **Fig. 5e** show a good agreement between the measured and predicted capacitances variation over time at steady state. We observe an asymmetry between  $C_{ba}$  and  $C_{bc}$  due to some inaccuracy in the device fabrication:  $C_{ba}$  varies between  $C_{ba}^{Max} = 210 pF$  and  $C_{ba}^{min} = 20 pF$ , while  $C_{bc}$  varies between  $C_{bc}^{Max} = 170 pF$  and  $C_{bc}^{min} = 30 pF$ .



**Fig. 5.** Description of the experimental setup. **a.** Fabricated generator. **b** Setup and test bench representation . **c.** Circuit for measuring the capacitances  $C_{ba}$  and  $C_{bc}$ . **d.** Evolution of  $C_{ba}$  (experiment and model). **e.** Evolution of  $C_{bc}$  (experiments and model).

**Table 2.** Geometrical and electrical parameters of the generator

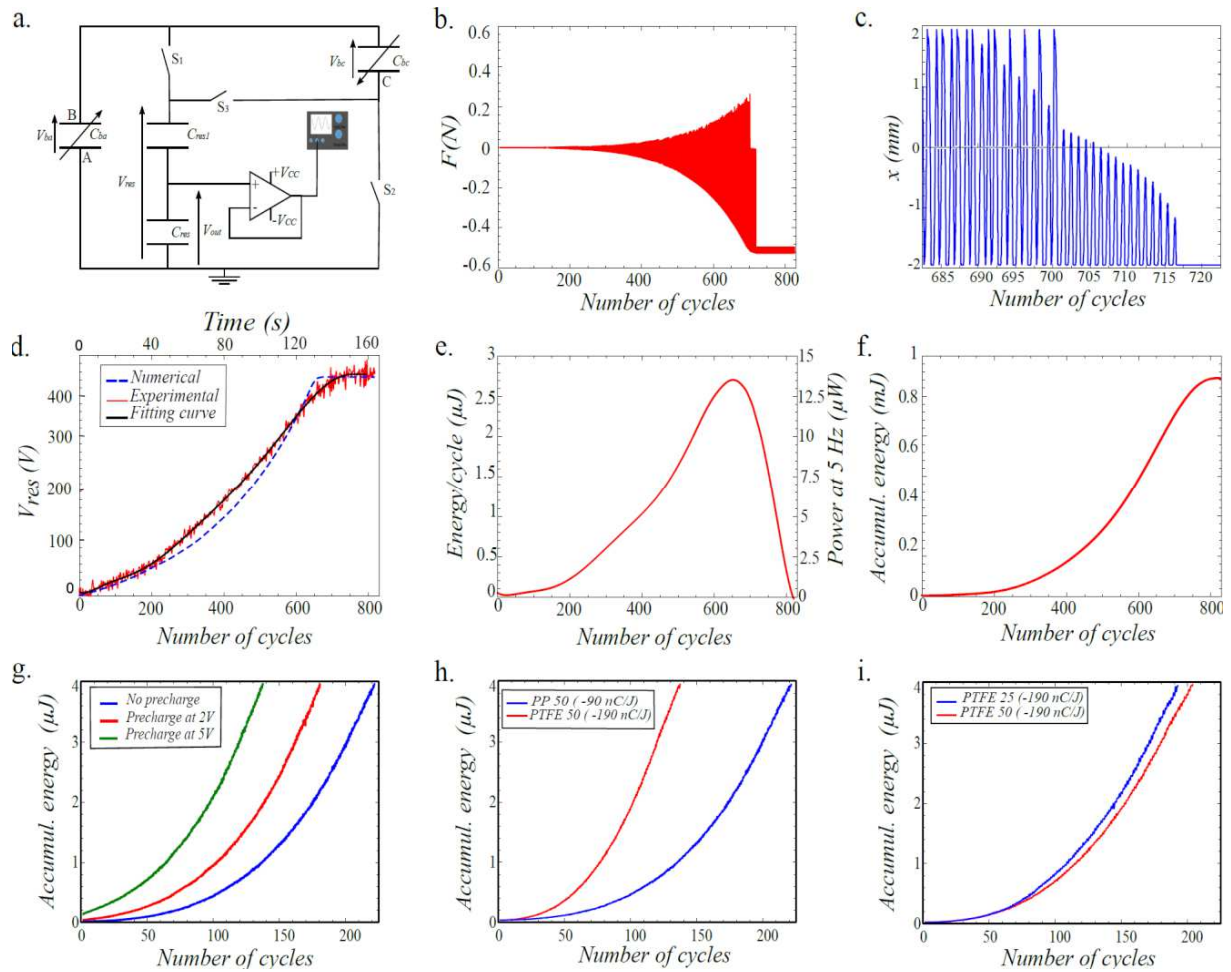
Variable	Significations	Value
$C_{res}$	Storage capacitance	9.68 nF
$R_1, R_2, R_3$	Contact resistance (evaluated)	0.1 $\Omega$
$x_0$	Initial position	0 mm
$x_{01}$	Position of $S_1$	1.95 mm
$x_{02}$	Position of $S_2$	-1.4 mm
$x_{03}$	Position of $S_3$	-1.95 mm
$m$	Inertial mass of electrode B	315 mg
$f$	Excitation frequency	5 Hz
$\gamma$	External acceleration	0.2 $g_{rms}$
$k_2$	Stiffness of $S_2$ (estimated using finite element)	200 N/m
$c_2$	Damping coefficient (fitted)	0.2 N.s/m
$\beta_{bc}$	Restitution coefficient when contact with C (fitted)	0.15
$\beta_{ba}$	Restitution coefficient when contact with A (fitted)	0.09
$\Delta t$	Time step	0.4 ms
$\sigma_{ba} = \sigma_{bc}$	Triboelectric surface charge density Polypropylene (PP)	$2 \times 10^{-6} \text{ C/m}^2$
$S_{ba} = S_{bc}$	Active area of each side of electrode B	$1.2 \times 10^{-3} \text{ m}^2$

### 3. Device performances

Once all the parameters of the derived electromechanical model are set, we can model the harvested energy and compare with the experimental results.  $V_{res}$  is measured with a capacitive divider due to its high value, and after a high-impedance follower (**Fig. 6a**). Experimentally, the shaker vibrations are set to 5 Hz with 0.2  $g_{rms}$ . Then starting from electromagnetic (EM) ambient noise and measuring the evolution of  $V_{res}$ , we show in **Fig. 6d** the variations of  $V_{res}$  over the increasing number of oscillation cycles. A good concordance is observed between numerical model and experimental tests, also presented as an approximated function using a polynomial fitting. One can observe that  $V_{res}$  increases exponentially until a saturation phenomenon limits the voltage at  $V_{sat} = 416$  V. This saturation can be explained by the increase of the total effective electrostatic force  $F = F_{ba} + F_{bc}$  becoming higher than the inertial force and inducing a spring-softening effect [20]. A zoom of the displacement of electrode B is depicted in **Fig. 6c**. One can observe a drastic diminution of the oscillation at  $n_{sat} = 718$  cycles until the electrode B is immobilized close to the electrode A. This is confirmed by the variation of the total effective electrostatic force  $F$  shown in **Fig. 6b**. **Fig. 6e** shows the evolution of the energy at each cycle versus the number of cycles (using the fitted voltage function) and **Fig. 6f shows the time evolution of the accumulated energy in  $C_{res}$ : about .9 mJ are available after 2.5 min. The Influence of the initial pre-charge on  $C_{res}$  is also showed in Fig. 6g.**

### 4. Influence of the triboelectric patch

We have compared different triboelectric patches materials and their respective thicknesses on the generator performance. Firstly, we did experiments with polypropylene (PP) and Teflon (PTFE) having the same thickness of 50  $\mu m$ . As expected, PTFE gave better results because of its better charge affinity ( $-190$  nC/J for PTFE and  $-90$  nC/J for PP), as shown in **Fig. 6h**. Then we varied the patch thickness (**Fig. 6i**) for the PTFE. It is clear that less thickness gives more energy: the maximum value of the gap-closing capacitances  $C_{ba}^{Max}$  and  $C_{bc}^{Max}$  becomes more important since the gap distance is lower.



**Fig. 6.** Experimental results. **a.** Circuit used to perform the measurements. **b.** Evolution of the electrostatic force applied on electrode B. **c.** Zoom of displacement of electrode B when saturation occurs. **d.** Evolution of the output rectified voltage with number of cycles and time (numerical and measurement). **e.** Evolution of the harvested energy with number of cycles. **f.** Accumulated energy in the output capacitance. **g.** Influence of the initial pre-charge on  $C_{res}$ . **h.** Influence of the patch triboelectric charge density. **i.** Influence of the triboelectric patch thickness.

## 5. Conclusion

In this paper, a new **triboelectric nanogenerator** having an exponential increase with time of the converted energy from the mechanical-to-electrical domains has been proposed. This is obtained thanks to a self-actuated alternation between series and parallel modes of the capacitances in the system, in order to obtain a behaviour inspired by of the electrostatic machine from the 18<sup>th</sup> century known as the “Bennet doubler”. The device use only mechanical switches and takes benefit of the triboelectric effect and electrostatic induction. All the charges are stored into an external capacitor and the output signal is rectified without the need of diodes. This is the first time that such kind of electrostatic machine is used for

vibration energy harvesting.

A prototype has been fabricated that shows an output voltage increasing exponentially until 400 V when vibrations of 0.2  $g_{rms}$  are applied, corresponding to a maximum conversion of 2.8  $\mu\text{J}$  per mechanical cycle, and 0.9 mJ are accumulated in 150 sec. After 600 cycles, a saturation occurs, which is known as the “spring softening effect” and corresponding when the electrostatic force becomes so high that it limits the displacement of the mobile mass induced by the vibrations. This limit can be exceeded by applying a higher input force. An electromechanical numerical model has also been developed. It has been experimentally validated and in particular, it can predict this spring softening effect.

This concept of automatic switching between the series and parallel configurations of the capacitances of the system can be applied to any TENG where the capacitance of the transducer varies with a ratio higher than 2 for a single variable capacitor [6] or a ratio of 1.6 for 2 variable capacitors with opposite phases like in this work. The absence of diodes and their unavoidable voltage threshold, combined with the boost introduced by the Bennet doubler structure, can largely improve the energy conversion efficiency of TENGs, especially during the start-up.

#### **Acknowledgment:**

The authors gratefully acknowledges the financial support via the PHC-Utique grant (#17G1401 37140ZC).

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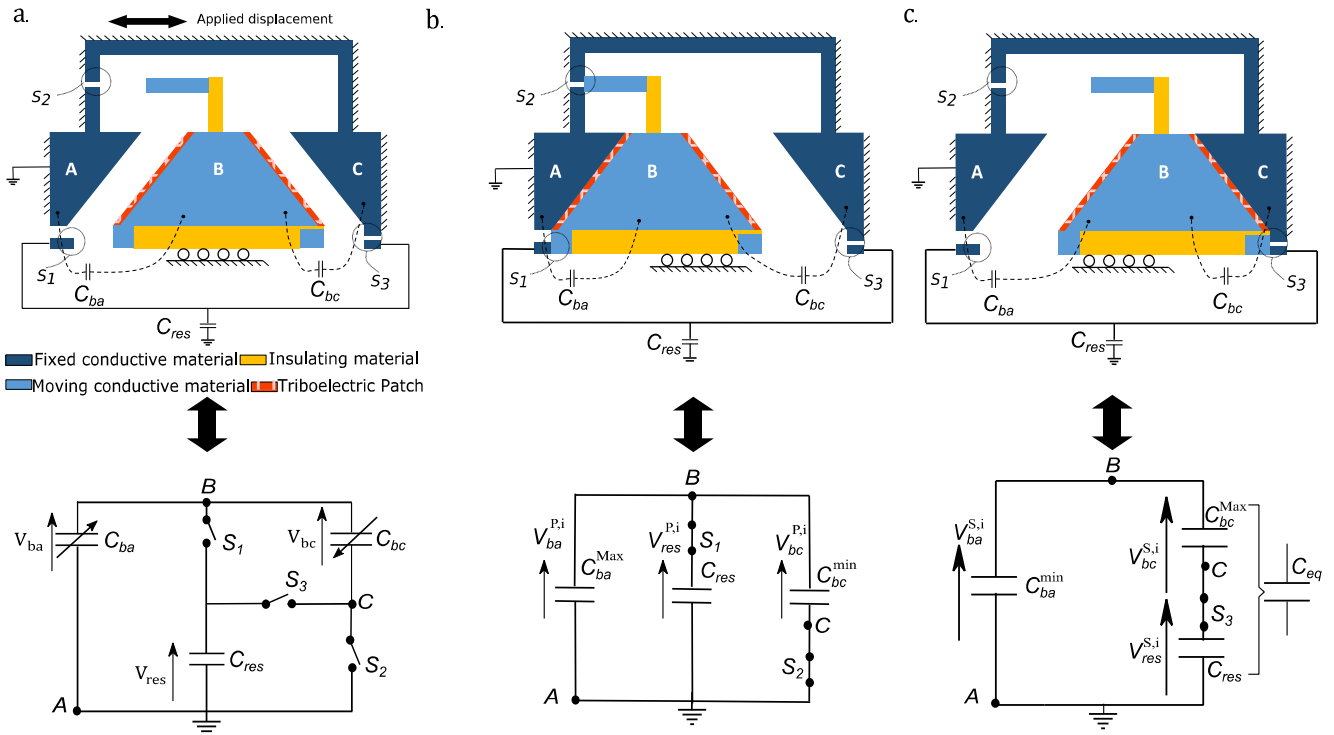
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# Graphical Abstract



We report a new type of triboelectric nanogenerator (TENG) having alternating and self-actuated series-to-parallel interfaces based on self-synchronized mechanical switches. It has been inspired from the Bennet doubler electrical machine. The TENG is composed of a freestanding electrode, two anti-phase variable capacitors excited by the external vibrations, and a reservoir capacitor. The absence of diodes and their unavoidable voltage threshold for signal rectification, combined with the boost introduced by the Bennet-like doubler structure, can largely improve the energy conversion efficiency of TENGs, especially during the start-up.