

Thickness Optimisation of Inflated Preforms by Varying Infrared Heating Coefficients



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Stretch-blow molding process



Infrared heating step (from 20 °C up to 110 °C)



Oven efficiency: ≈ 20% [Monteix 1998] Heating time $\rangle\rangle$ Blowing time \approx 1s







 Radiative transfer modelling for participating media (PET polymer) using Ray tracing method

 Optimisation of the preform initial temperature distribution





In-lab infrared oven











Infrared heating modelling using ray tracing method

Preform temperature distribution optimisation

Future works



PET optical properties measurement FT-IR 1.3-25 µm

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PET optical properties: Planck mean emissivity







FEM formulation
fradiation heat balance equation
$$\begin{bmatrix} C \end{bmatrix} \frac{\partial \vec{T}}{\partial t} + [K] \cdot \vec{T} + \vec{F} = \vec{0} \\ \\ \end{bmatrix} \begin{bmatrix} C \end{bmatrix} \frac{\partial \vec{T}}{\partial t} + [K] \cdot \vec{T} + \vec{F} = \vec{0} \\ \\ \end{bmatrix} \begin{bmatrix} C \end{bmatrix} \frac{\partial \vec{T}}{\partial t} + [K] \cdot \vec{T} + \vec{F} = \vec{0} \\ \\ \end{bmatrix} \begin{bmatrix} C \end{bmatrix} \frac{\partial \vec{T}}{\partial t} + [K] \cdot \vec{T} + \vec{F} = \vec{0} \\ \\ \end{bmatrix} \\ \text{Heat Capacity matrix} \\ \\ \hline K_{ij} = \int_{\Omega} K \vec{\nabla} \Psi_i \vec{\nabla} \Psi_j d\Omega + \int_{\Gamma} h_c \Psi_i \Psi_j d\Gamma \\ \\ \hline F_j = \int_{\Omega} (\vec{\nabla} \cdot \vec{q}_r) \Psi_j d\Omega + \int_{\Gamma} h_c T_a \Psi_j d\Gamma \\ \hline K_{\lambda} M_{\lambda}(\vec{x}_P) e^{-\kappa_{\lambda} s} d\lambda \\ \end{bmatrix} \\ \end{bmatrix}$$





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Example of rotating preform IR heating simulation







FEM Abaqus[®] model for blowing simulation in 2D







G'Sell law + WLF thermodependency



$$\overline{\dot{\varepsilon}} = \frac{\exp\left(\frac{B\,\overline{\varepsilon}^{\,C}}{m}\right)}{K^{\frac{1}{m}}\sqrt{3}^{\frac{m+1}{m}}(1-\exp(-A\,\overline{\varepsilon}))^{\frac{1}{m}}}\overline{\sigma}^{\frac{1}{m}}$$

with
$$K = K_{\circ} \frac{-C_{1}(T - T_{\circ})}{C_{2} + T - T_{\circ}}$$



- ✓ Takes into account strain rate dependence
- ✓ Good representation of the strain hardening
- ✓ Do not take into account the viscoelasticity

- ✓ *Numerically stable*
- ✓ Simple to implement
- ✓ Few constitutive parameters

✓ Small temperature and strain rate ranges



In-lab blow moulding facilities







Mass flow rate and air pressure inside preform







Blowing kinematics (FEM simulation)



Inflation pressure versus time



CPU time: 26 min (Pentium 4 2.8 Ghz 512 Mo)

Intermediate bottle shapes

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 $t = 1 \, s$

5

 $t = 1.8 \, s$



Thickness distribution & final preform shape







Optimisation of the preform temperature distribution



Objective: to achieve most **uniform thickness** for bottle by modifying temperature profile along preform length





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Thickness distribution of the bottle vs Temperature profiles





(Assumption for the optimisation: uniform temperature through the preform thickness)

Thickness 80% more uniform



Final shape of preform













 Accurate validation of infrared heating of rotating preforms using ray tracing method

- Introduce temperature distribution through the wall thickness
- Full coupling between IR-heating and blowing optimisation



Qualitative comparison (different preforms)



Step: Step-1 Frame: 0



Blow moulding video

(0,5 L bottle)

Typical blow moulding simulation



Heat transfer coefficient polymer/mould



