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#### ▶ To cite this version:

Duncan Bossion, Yohann Scribano. Ro-vibrational excitation of H\_2 by H for high temperature regime. Physique et Chimie du Milieu Interstellaire, Jun 2018, Marseille, France. hal-02008689

HAL Id: hal-02008689

https://hal.science/hal-02008689

Submitted on 5 Feb 2019

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# Ro-vibrational excitation of H<sub>2</sub> by H for high temperature regime



# Duncan Bossion\*, Yohann Scribano

Laboratoire Univers et Particules de Montpellier, UMR-CNRS 5299, Université de Montpellier \*e-mail : duncan.bossion@umontpellier.fr





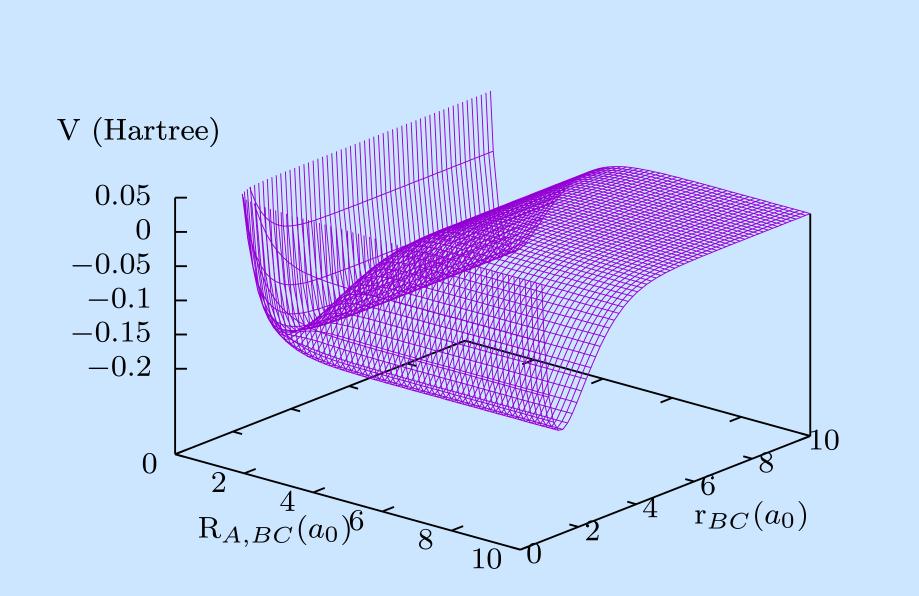
Context:  $H+H_2$  collisions

Accurate knowledge of the abundance of H<sub>2</sub> molecules is crucial for the thermal balance of astrophysical media (early Universe, post-shock regions,...). Need to study the main collisions leading to the formation/destruction of H<sub>2</sub> molecules for temperature ranging from few Kelvins (interstellar medium) to high temperatures (15 000 K). There is low to moderate (5000 K) temperature regime studies using quantum mechanical approaches (TIQM)[1] with an accurate H<sub>3</sub> potential energy surface[3].

**Objectives**: Study the effects of high energy collisions of  $H_2$  by H compared to low to moderate temperature regimes. Molecular hydrogen is ortho hydrogen (nuclear spin  $\uparrow \uparrow$ : odd rotational quantum numbers) or para hydrogen (nuclear spin  $\uparrow \downarrow$ : even rotational quantum numbers).

$$\mathbf{H}_{A} + \mathbf{H}_{B}\mathbf{H}_{C}(v, j) \rightarrow \begin{cases} \mathbf{H}_{A} + \mathbf{H}_{B}\mathbf{H}_{C}(v', j') & \text{inelastic,} \\ \mathbf{H}_{B} + \mathbf{H}_{A}\mathbf{H}_{C}(v', j') & \text{reactive,} \\ \mathbf{H}_{C} + \mathbf{H}_{A}\mathbf{H}_{B}(v', j') & \text{reactive,} \\ \mathbf{H}_{A} + \mathbf{H}_{B} + \mathbf{H}_{C} & \text{dissociative,} \end{cases}$$

Ortho-para- $H_2$  ratio important for the cooling mechanism of  $H_2$ , reactive collision is the only process for the ortho-para- $H_2$  conversion.



## Quasi-Classical Trajectory (QCT) calculation

- State-to-state calculations on our own QCT code,
- Initial ro-vibrational quantum states (v, j) with energies ranging from 0 to 50 000 K,
- Nuclear dynamics solving Hamilton's equations of motion,
- Collisional energies  $E_{col}$  ranging from 0.025 Hartree (0.068 eV) to 0.18 Hartree (4.9 eV) every 0.005 Hartree (0.136 eV),
- Assignment of final ro-vibrational state using a standard binning method[4],
- All final ro-vibrational bounded states (v', j') taken into account,
- Cross section function of the reactive probability  $P_r$ :

$$P_{r}(v, j \to v', j'; b, E_{col}) = \frac{N_{r}(v', j'; b, E_{col})}{N(v, j; b, E_{col})};$$

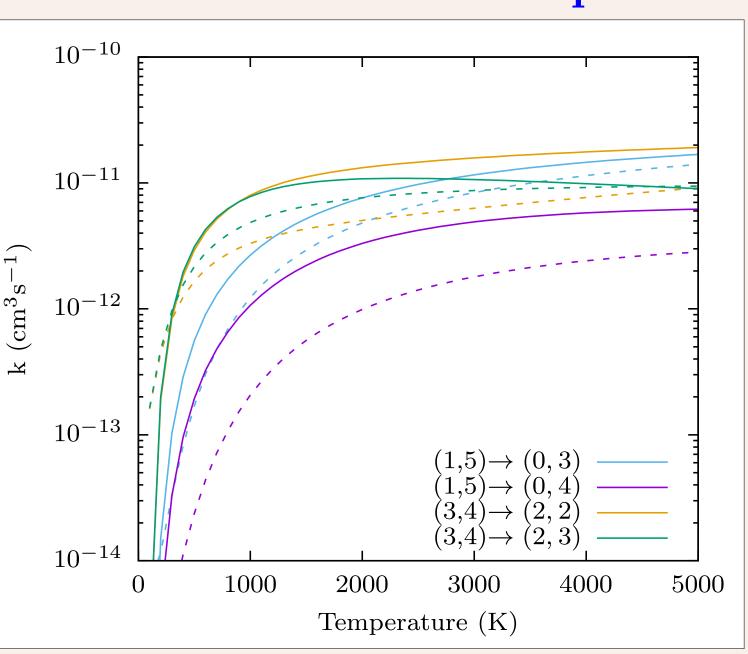
$$\sigma_{v', j' \leftarrow v, j}(E_{col}) = \pi b_{max}^{2} P_{r}(v, j \to v', j'; E_{col})$$

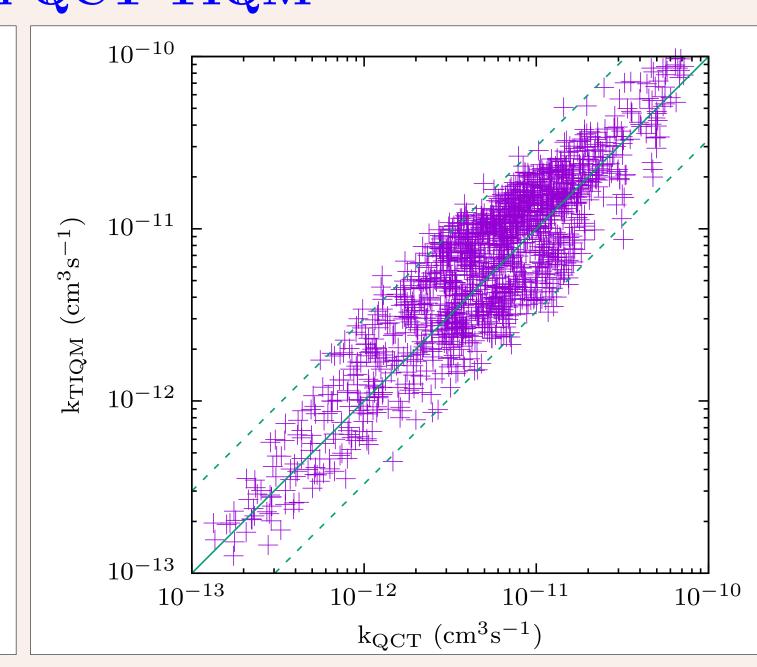
• State-to-state rate constant :

$$k_{v',j'\leftarrow v,j}(T) = \left(\frac{8k_BT}{\pi\mu_{A,BC}}\right)^{1/2} \frac{1}{(k_BT)^2} \int_0^\infty \sigma_{v',j'\leftarrow v,j}(E_{col}) E_{col} \exp\left(-\frac{E_{col}}{k_BT}\right) dE_{col}$$

b impact parameter,  $N_r$  number of reactive trajectories, N total number of trajectories,  $k_B$  boltzman constant and  $\mu_{A,BC}$  the reduced mass of the system.

# Comparison QCT-TIQM

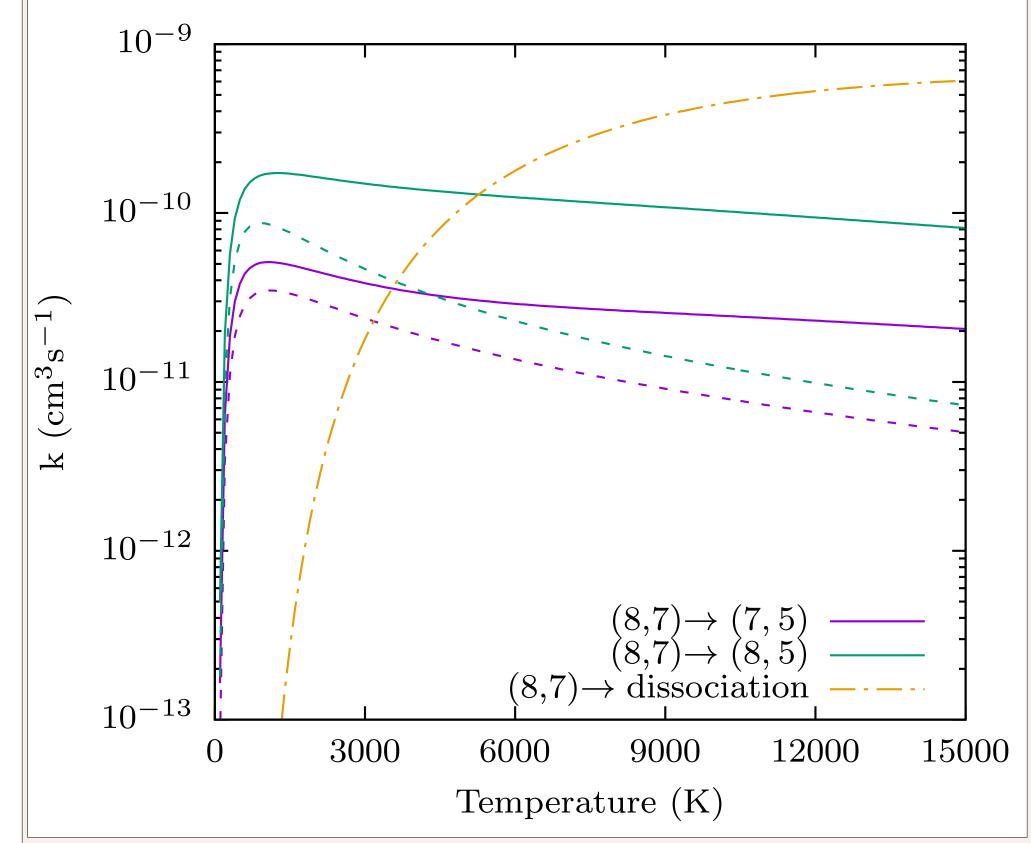




Left: rate constants results for QCT (solid lines) and TIQM (dashed lines),  $(v, j) \rightarrow (v', j')$ ; right: comparison between QCT and TIQM rate constants at 5000 K.

- Agreement between TIQM[1] and QCT calculations below a factor of 3 for spin conversion process (reactive collisions) as for spin conservation process (inelastic + reactive collisions),
- Allows to extend the QCT calculations above the energies reachable using quantum methods.

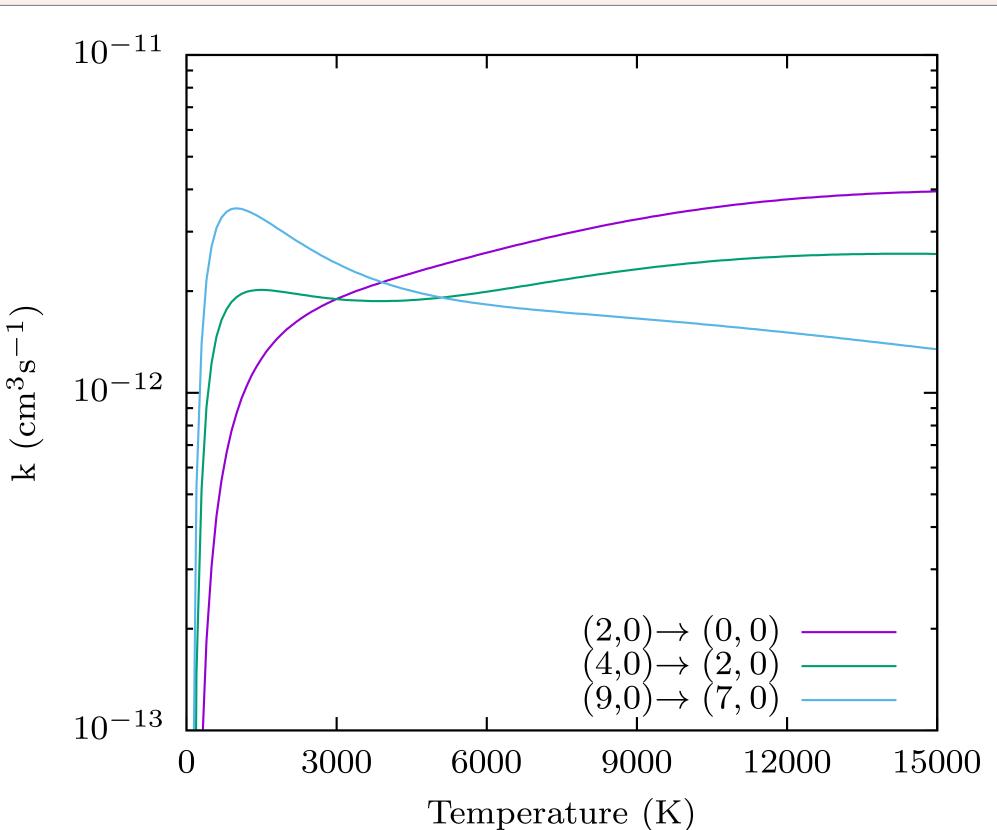
#### Dissociation and reactive process



QCT rate constants, solid lines: spin conserving transitions, dashed lines: reactive process, dotted-dashed line: dissociation process,  $(v, j) \rightarrow (v', j')$ .

- Dissociation dominates the state-to-state transitions (spin conservation and conversion processes) above few thousands of Kelvins for the collisions involving quantum states of internal energies above 3.5 eV,
- De-excitation rate constants increase with the internal energy of the final quantum state,
- Rate constant for the reactive process dominates the collisions around 1000 to 3000 K,
- Inelastic process dominates for low total energy collisions (low collisional energy and/or low initial state energy) and also for the high temperature regime (high collisional energy and/or high initial state energy).

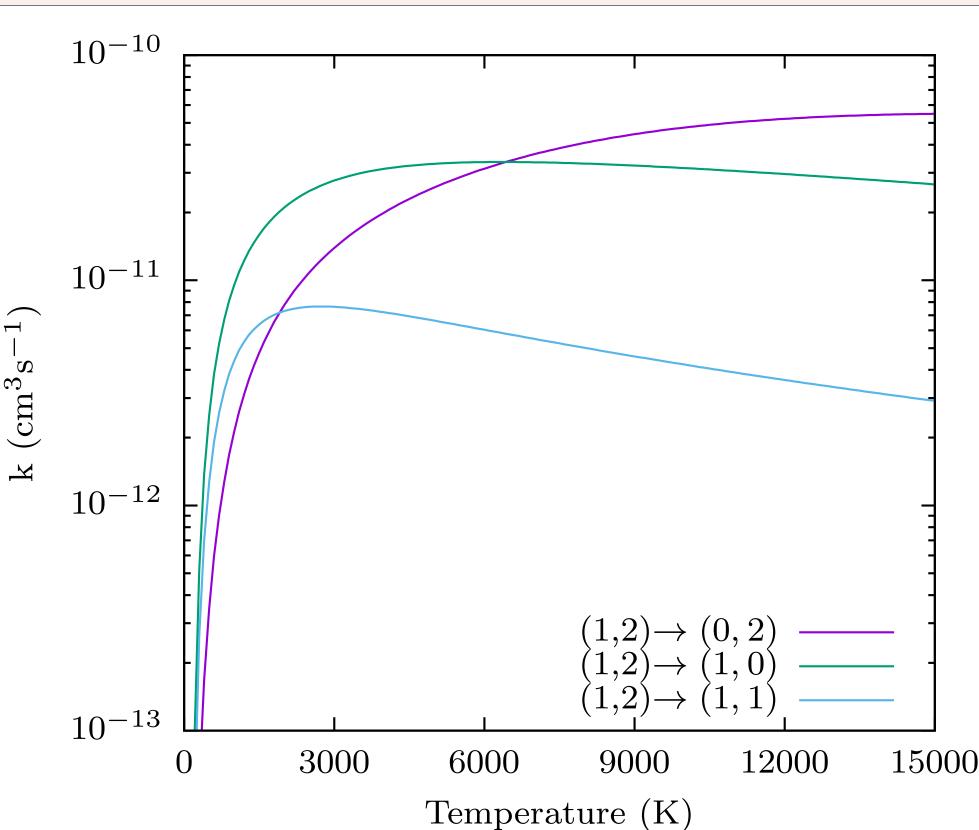
#### Pure vibrational de-excitation



QCT rate constants for  $\Delta v = 2$ , purely vibrational de-excitations,  $(v, j) \rightarrow (v', j')$ .

- Initial internal energy (ro-vibrational state) of the molecule contributes the most to the rate constant at low to moderate temperature collisions,
- Collisional energy leads the rate constant at high temperature (compared to internal energy),
- Leads to a crossing between high internal energy rate constants and high collisional energy rate constants,
- Concerning high internal energy states (see  $(4,0) \rightarrow (2,0)$ ): inelastic collisions dominates high temperature (with dissociation)  $\rightarrow$  minimum of the rate constant around 5000 K,
- Similar for ro-vibrational de-excitations (for small  $\Delta j$ ).

#### High energy ro-vibrational study



QCT rate constants, ro-vibrational versus purely rotational de-excitations,  $(v, j) \rightarrow (v', j')$ .

- Ortho-para-H<sub>2</sub> and para-ortho-H<sub>2</sub> conversion processes (only reactive collisions) always slower than spin conservation processes (reactive + inelastic collisions) as expected[2] for all the temperature range considered,
- Purely rotational de-excitations faster than ro-vibrational de-excitations for low collisional energy collisions,
- For high collisional energy collisions (lot of energy to store into internal energy) as  $\Delta E_v > \Delta E_j$ , ro-vibrational deexcitations faster,
- Leads to a crossing between purely rotational de-excitation and ro-vibrational de-excitation rate constants moving to higher temperature with higher initial internal energy.

#### Conclusion

- Low to moderate temperature rate constants behavior should not be extrapolated for high temperature regime due to a non-monotonic evolution of the state-to-state rate constants,
- Dissociation process cannot be neglected for the high temperature regime[4].

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