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Dossier Deformation of Solid Polymers Déformation des polymères solides

Volume Variation Process of High-Density Polyethylene During Tensile and Creep Tests

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Résumé — **Processus de la variation volumique du polyéthylène à haute densité au cours d'essais de traction et de fluage** — Des éprouvettes de polyéthylène à haute densité ont été soumises à des essais de traction et des tests de fluage à l'aide d'un dispositif d'essais mécaniques à pilotage vidéométrique (VidéoTraction[®]). L'évolution du volume spécifique de ce polymère semi-cristallin est caractérisée en fonction de la déformation vraie. Dans le stade élastique, on mesure une expansion hydrostatique puis, dans le stade plastique, on note une compétition entre un effet de compaction et un phénomène de dilatation. La compaction, sans doute surestimée dans les expériences, est toutefois un mécanisme important dû à l'orientation des chaînes amorphes au cours de l'étirage. Ce phénomène est attesté par des mesures de diffraction des rayons X qui montrent une réduction de la distance moyenne entre les chaînes amorphes. Le processus de dilatation s'explique par la diminution du taux de cristallinité et par la formation, la croissance et la coalescence de craquelures au sein et entre les sphérolites. L'observation d'échantillons déformés par microscopie électronique révèle ces défauts. La compétition compaction/dilatation est dictée par la mobilité de la phase amorphe influencée elle-même par la température et le temps.

Abstract — Volume Variation Process of High-Density Polyethylene During Tensile and Creep Tests — Samples of high-density polyethylene have been subjected to tensile tests and creep experiments by means of a video-controlled testing system (VidéoTraction[®]). The evolution of specific volume in this semi-crystalline polymer is determined versus true strain. In the elastic stage, we measure a hydrostatic expansion and then, in the plastic stage, we observe a competition between a compaction effect and a dilatation phenomenon. Although compaction is probably overestimated in the present testing technique, it represents a pertinent mechanism that is ascribed to the orientation of the amorphous chains during stretching. This phenomenon is characterized by X-ray diffraction measurements that show a reduction of average distance between amorphous chains. Dilatation process is explained by the diminution of crystallinity and by the formation, growth and coalescence of crazes inside and between spherulites. Electron microscopy reveals these defects. The competition between compaction and dilatation, controlled by the mobility of the amorphous phase, depends on temperature and time.

INTRODUCTION

Deformation damage, characterized by volume changes induced by plasticity, has always been the object of an active debate among the community of polymer researchers. Not only the identification of voiding mechanisms at various scales is of major scientific interest, but also the quantitative modeling of cavitation rate is technologically important for the optimization of structural polymers.

Several techniques were developed to measure volume strain of polymeric samples in real time during mechanical tests, with significant improvements in terms of flexibility and precision. Pioneer systems were essentially based on fluid dilatometers [1, 3] but their performances were rather limited because they only gave access to global volume changes and were very sensitive to temperature fluctuations. Another family of systems utilized multiaxially disposed mechanical extensometers but:

- they were complicated to manipulate;
- they caused unwanted indentation at the surface of soft polymers;
- they were generally limited to low temperatures [4, 8-10, 13].

Although the above techniques are still applied by some researchers, the computerized video techniques developed during the last decade brought a decisive contribution to the assessment of volume strain in polymers. Originally, they were limited to the pre-necking deformation stage [12, 14-17]. However, the novel video-controlled testing system that was recently developed in this laboratory has several interesting features [18]:

- it provides in real time the true stress/strain behavior locally within a representative volume element (RVE) situated at the center of the neck;
- it gives access to the volume strain in the same RVE;
- it allows the user to regulate dynamically either true strain rate (for tensile tests) or true stress (for creep tests).

Characterization of microstructural mechanisms has also been the object of many papers [5-9]. While the elastic volume strain was simply modeled on the basis of Poisson's ratio, v[10, 11], it was shown that the important dilatation of polymers under stretching is essentially due to the formation of voids in the amorphous layer between crystalline lamellae [12].

The objective of this study is to apply the video-controlled system to high density polyethylene (HDPE), considered as a model semi-crystalline polymer, and to correlate the volume variation with microstructural mechanisms. An important feature of the method is that the method remains applicable after necking occurred, opening the way to the large strains range. Tensile and creep tests are performed under different experimental conditions. Microstructural evolution is analyzed after unloading and recovery at different strains during tensile tests. Characterization includes scanning electron microscopy and wide-angle X-ray scattering. Experimental information is interpreted in a deformation scheme taking into account the concurrence of shear and cavitation processes in plastic deformation.

1 EXPERIMENTAL

1.1 Material

The HDPE investigated in this work was manufactured by DuPont (Canada) under the reference Sclair 2907. Its number and weight average macromolecular weights, determined by previous authors [19] are equal to $\overline{M}_n = 16\ 800\ g/mol$ and \overline{M}_w 93 600 g/mol, respectively. Cylinders 110 mm in diameter were extruded by the Plastifab Company of Montréal (Canada). Analysis of the material by differential scanning calorimeter (DSC) gives access to the index of crystallinity, $X_{cw} = 77\ \text{wt\%}$, to the melting temperature, $T_m = 136^{\circ}$ C and to the average crystallite thickness, L = 12.6 nm. Dynamic mechanical analysis (DMA) at a frequency of 1 Hz indicates the glass transition temperature, $T_g = -113.5^{\circ}$ C. Hydrostatic weighting provides the density, $\rho = 0.962\ \text{g/cm}^3$. Microscopic observation shows that the material is characterized by a spherulitic morphology with regularly twisted lamellae.

1.2 Mechanical Tests

Plates of thickness 7 mm were sawn out of the cylinders parallel to the axis. Samples were machined in these plates with overall dimensions of $90 \times 16 \times 6 \text{ mm}^3$. A geometric defect was milled in the center of the above specimens with a large radius of curvature until the smallest cross-section is equal to $6.8 \times 6 \text{ mm}^2$.

Uniaxial tensile tests and creep tests are carried out on a universal traction machine MTS 810. With the tensile samples described above, the deformation localizes in the central region. With the video system utilized here (VidéoTraction[©], Apollor SA, Lunéville, France) the mechanical variables are determined by analyzing the displacements of seven dot markers printed on the main face of the specimens with a proprietary fluorescent painting, prior to deformation. Five markers A, B, C, D, E are aligned along the tensile axis x_3 and three markers F, C, G are aligned along the transversal axis x_1 (*Fig. 1*). The position of each dot is assessed through the coordinates (x_1, x_3) of its center of gravity. The representative volume element investigated is a virtual slice of material, with a thickness of 0.2 mm, situated at the smallest crosssection. The following variables are simultaneously determined in this RVE while the sample is stretched: axial true strain, transverse true strain, axial true strain rate and axial true stress. From the displacement of each dot in the longitudinal group, the system calculates four axial Hencky strains, $\epsilon_{33}^{AB} = \ln (AB/A_oB_o)$, $\epsilon_{33}^{BC} = \ln (BC/B_oC_o)$,

 $\varepsilon_{33}^{CD} = \ln (CD/C_o D_o), \varepsilon_{33}^{DE} = \ln (DE/D_o E_o)$ and two transverse Hencky strains from the displacements of dots in the transverse group, $\varepsilon_{11}^{FC} = \ln (FC/F_oC_o)$ and $\varepsilon_{11}^{CG} = \ln (CG/C_a G_a)$. The axial true strain in the RVE, ε_{33} , is obtained from a polynomial interpolation of the four axial strains ϵ^{AB}_{33} , ϵ^{BC}_{33} , ϵ^{CD}_{33} , ϵ^{DE}_{33} , and the transverse true strain in the same RVE is the average value $\varepsilon_{11} = (\varepsilon_{11}^{FC} + \varepsilon_{11}^{CG})/2$. The volume strain in the RVE is the sum of the principal strains $\varepsilon_v = \ln (V/V_o) = \varepsilon_{11} + \varepsilon_{22} + \varepsilon_{33}$. Here we consider that the two transverse strains along specimen width, ε_{11} , and thickness, ε_{22} , are equal under the assumption of transversal symmetry. The appropriate stress definition associated with Hencky strain is the Cauchy stress (also called "axial true stress"). It takes into account the reduction of the cross-sectional area, $S < S_o$, undergone by the specimen while it is stretched: $\sigma_{33} = F/S_o \times \exp(-2 \epsilon_{11})$. More details on the experimental device and on the determination of the strains have been described elsewhere [18, 20].

Tensile tests are run at different temperatures for a given strain rate of 10⁻³ s⁻¹ and at different strain rates for a given temperature of 40°C. Creep tests are run at different stresses for a given temperature of 40°C. Volume strain is

characterized during unloading and recovery after tensile tests performed at ambient temperature under a strain rate of 10⁻³ s⁻¹.

1.3 Microstructural Characterization

Microstructure is observed by scanning electron microscopy (SEM) for different residual strain in the RVE on cryofractured surfaces obtained by fragile rupture of notched samples immersed in liquid nitrogen for 10 minutes. The microscope is a Philips FEG XL 30. Before observation, the samples are coated with a gold layer. Amorphous phase is characterized by wide-angle X-ray scattering (WAXS) by means of a 2D diffraction system (Inel, France) equipped with a copper anode ($\lambda K_{\alpha 1} = 0.154$ nm). The point of incidence of the incident X-ray beam on the specimen is adjusted precisely at the center of the neck by means of a laser system. We analyze the diffracted intensity distribution in the amorphous halo, $I(\phi, 2\theta)$. For each inclination angle, ϕ , the diffraction angle at maximum intensity, $2\theta_{max}$, gives access to an equivalent Bragg's distance, $d(\phi) = \lambda/2 \sin(\theta_{max})$ [21, 22]. The average Bragg's distance, $\langle d \rangle$, is obtained by integration of $d(\phi)$ over the whole range of inclination angles. This distance is presumably representative of local packing of the macromolecular chains in the amorphous phase.



Figure 1 Determination of true axial strain in the representative volume element.

2 RESULTS

2.1 Tensile Tests

2.1.1 Material Behavior During Monotonous Loadings

The curves in Figure 2 show the influence of strain rate and temperature on the response of HDPE to large strains under uniaxial tension. When temperature increases or when strain rate decreases, one notes a significant decrease of yield stress σ_v . The recorded values of the yield stress, σ_v , are between 23.9 MPa (at T = 40°C and $\dot{\epsilon}_{33} = 1.10^{-3} \text{ s}^{-1}$), and 29.8 MPa (at 23°C and 1.10⁻³ s⁻¹). During the plastic stage, a continuous strain hardening is observed except at $\dot{\epsilon}_{33}$ = 5.10⁻³ s⁻¹ where the curve show strain softening followed by a weak strain hardening. The corresponding volume strain - true strain curves are displayed in Figure 2. As shown before [10, 11], the dilatation in the elastic stage is modelled in terms of hydrostatic stress and bulk modulus $(\varepsilon_v = \sigma_{33}/3 \text{ K})$, or alternatively expressed from the Poisson's ratio: $\varepsilon_v = \varepsilon_{33} (1 - 2 v)$. Consequently, from the curve in Figure 2, one finds v = 0.39. The evolution of volume strain under larger strains differs with experimental conditions. Monotonous dilatation is observed for $T = 23^{\circ}C/\dot{\epsilon}_{33} = 1.10^{-3} \text{ s}^{-1}$ and $T = 40^{\circ}C/\dot{\epsilon}_{33} = 5.10^{-3} \text{ s}^{-1}$, volume strain reaching $\varepsilon_v = 0.59$ and 0.32, respectively, at $\varepsilon_{33} = 1.50$. By contrast, for T = 40°C/ $\dot{\varepsilon}_{33} = 1.10^{-3}$ s⁻¹, volume strain evolution shows compaction and dilatation successively. The extreme compaction, $\varepsilon_v = -0.026$, is measured at $\varepsilon_{33} = 0.33$. Ultimately, the dilatation reaches $\varepsilon_{\nu} = 0.27$ at $\varepsilon_{33} = 1.5$.

2.1.2 Material Behavior During Unloading and Recovery Stages

In Figure 3, we display the recovery of ε_{33} and ε_{ν} for a specimen subjected to a tensile test carried out at $T = 23^{\circ}C/$ $\dot{\epsilon}_{33} = 1.10^{-3} \text{ s}^{-1}$, subsequently unloaded from $\epsilon_{33} = 1.0$, and eventually left to recover at zero stress for a period of 3 hours. It is noted that axial strain and volume strain decrease rapidly during the unloading sequence (b to c) and more and more slowly during the recovery sequence (c to d). The recovery process under zero stress is due to the progressive spring back of the amorphous chains that are mobile at room temperature. It needs to be taken into consideration for the evaluation of the actual strain state in stretched samples whose microstructure is characterized by X-ray diffraction (WAXS) and scanning electron microscopy (SEM). Although previous authors showed that extensive shrinkage was obtained after several months at room temperature [23] or several hours at temperatures higher than 120°C [24], the recovery saturates rapidly in our experiments. In particular, we verified that that ε_{33} and ε_{ν} did not change significantly any more in the period between 3 hours and 24 hours after unloading the samples. Since the WAXS and SEM characterization of stretched samples was performed in a delay after unloading that never exceeded 24 hours, the above property ensures that the features revealed by these samples correspond to the "residual strains" (ε_{33r} and ε_{vr}) systematically determined after the nominal delay of 3 hours. The complex curve in Figure 4 shows that, for increasing strains followed by unloading and relaxation, the relative variations of volume strain and true strain between the loaded state and the relaxed state decrease gradually. For example, at $\varepsilon_{33} = 0.2$, axial and volume strains





Figure 2 Mechanical behavior of HDPE under tensile testing.



True stress – time and volume strain – time curves of HDPE during a monotonous load until the strain $e_{33} = 1.0$ (a – b), unloading stage (b – c) and 3 hours recovery process (c – d).

decrease by 128% and 74% respectively after maximum recovery, while corresponding values of 41% and 12% are recorded at $\varepsilon_{33} = 1.5$. After recovery, the ε_{vr} vs. ε_{33r} envelope (black dots in *Fig. 4*) does not show the elastic dilatation any more, but the compaction stage is more pronounced than under load, residual volume strain attaining -0.02 for $\varepsilon_{33r} = 0.14$. At large residual axial strains, large residual dilatation is measured ($\varepsilon_{vr} = 0.18$ for $\varepsilon_{33r} = 1.3$).

2.2 Creep Tests

The creep experiments presented in Figure 5 were performed at 40°C under constant true stresses corresponding to 40%, 50% and 60% of the yield stress undergone by the HDPE when tensile tested under a strain rate of 5.10^{-3} s⁻¹. After the instantaneous elastic deformation recorded as stress is rapidly applied, the evolution of true strain versus creep time shows two successive stages:

- primary creep with a decreasing axial strain rate;
- secondary creep with a constant strain rate.

Under higher stress, one notes a faster increase of strain rate in primary creep and an earlier onset of secondary creep. As for the $\varepsilon_v vs$. time curves, they show also two stages after elastic dilatation:

- plastic compaction at moderate strains;
- ultimate dilatation.

One observes that the compaction process increases as the applied stress is increased from 11.6 MPa to 14.5 MPa and then, it decreases from 14.5 MPa to 17.4 MPa. The extreme compaction, $\varepsilon_{\nu} = -0.06$, is recorded for $\sigma_{33} = 14.5$ MPa for $t = 10\ 000$ s. A rapid dilatation is observed under 17.4 MPa after a short compaction stage, ε_{ν} reaching 0.09 after 20 000 s.



Volume strain vs. true strain of HDPE under growing tensile loads followed by unloading and recovery stage.

2.3 SEM Investigation

Evolution of HDPE microstructure with residual strain is shown in Figure 6. The non-deformed state is characterized by a set of micro-cracks leading to a blocky structure. Microcracks are constituted by ridges corresponding to microdomains deformed during the propagation of micro-cracks [25]. For a residual strain $\varepsilon_{33r} = 0.29$, one notes the occurrence of cavitation. The biggest cavities correspond to crazes that are known to grow through fibrillation of the polymer. When residual strain increases, cavitation phenomena are amplified. Evidence of craze coalescence is acknowledged



Constant stress creep tests on HDPE at 40°C.



a) $\varepsilon_{33r} = 0$; $\varepsilon_{vr} = 0$

b) $\epsilon_{33r} = 0.29$; $\epsilon_{vr} = -0.014$



c) ϵ_{33r} = 0.48; ϵ_{vr} = 0.005

d) ϵ_{33r} = 1.3; ϵ_{vr} = 0.18

Figure 6

SEM observation of cryo-fractured surface with various residual strains (vertical tensile direction).



Figure 7 Diffraction plate I(ϕ , 2 θ) and examples of I(2 θ) scans for a residual strain $\varepsilon_{33r} = 0.48$.

by the observation of superimposed cavities for $\varepsilon_{33r} = 0.48$. The residual volume strain $\varepsilon_{vr} = 0.18$ is characterized by the orientation of cavities toward the tensile direction.

2.4 X-ray Diffraction

The diffraction pattern $I(\phi, 2\theta)$ and various scans $I(2\theta)$ corresponding to a residual strain $\varepsilon_{33r} = 0.48$ are represented in Figure 7. The non-homogeneity of diffraction rings denotes the strain-induced orientation of crystallized chains. This orientation phenomenon is also shown in the different scans I(2 θ) where the peaks corresponding to the (001)_m, $(110)_a$ and $(200)_a$ planes (monoclinic and orthorhombic systems) and the amorphous halo are identified. From $\phi = 0$ to 90 degrees, a reinforcement of the intensity of crystalline peaks and amorphous halo is observed. Consequently, these planes and the amorphous diffraction entities rotate towards tensile direction. The diffraction patterns provide two interesting pieces of information. Firstly we determine the weight-based degree of crystallinity, X_{cw} , which is classically determined by the relative surface peak of the amorphous bump, after integration over the azimuth angles. The result of this computation is displayed in Figure 8. It is noted that the degree of crystallinity decreases dramatically, from 73% to 53 wt%. Secondly, the diffraction analysis provides information on the local order in the amorphous phase through the variation of the diffraction angle, $2\theta_a$, at the top of the amorphous bump. Unexpectedly, it is noted that $2\theta_a$ is systematically larger in the deformed PE than in the original material and depends on the azimuth angle. It is nearly equal to the value of the non-deformed material for $\phi = 0$ and maximum for $\phi = 90$ degrees. This result shows that the Bragg's distance between chains oriented parallel to stretching direction is d = 0.415 nm. The evolution of average intermolecular distance $\langle d \rangle vs$. residual strain is showed in Figure 8. At the non-deformed state, $\langle d \rangle = 0.428$ nm. A rapid decrease of $\langle d \rangle$ is observed until the residual strain reaches 0.2. Subsequently, the decrease of $\langle d \rangle$ is slower. When $\varepsilon_{33r} = 1.30$, $\langle d \rangle = 0.417$ nm which indicates a 2.6% decrease of $\langle d \rangle$ compared to the non-deformed state.



Evolution of weight-average degree of crystallinity, X_{cw} , and average inter-chain distance, $\langle d \rangle$, vs. residual strain, ε_{33r} .

3 DISCUSSION

As shown above, the volume strain experienced by HDPE is due to the combination of elastic dilatation, plastic compaction and damage dilatation. The first phenomenon, caused by the effect of hydrostatic stress on the van der Waals bonded material, is out of the scope of this work. In the three sections that follow, we will discuss more particularly the pertinence of the compaction effect. Finally we will analyze briefly the damage dilatation mechanisms.

3.1 Bibliographic Data on Compaction Amplitude

The compaction phenomenon was much less documented than the other processes and is much more controversial as for its absolute amplitude and underlying mechanisms.

Powers and Caddell [3] assessed volume variation of PE with mechanical extensioneters during tensile tests at ambient temperature under a stretching rate equal to 0.05 cm/min. They recorded a small but significant volume decrease ($\varepsilon_{\nu} = -0.002$ for $\varepsilon_{33} = 0.09$). Unfortunately, they were limited to the pre-necking stage.

Tang *et al.* [7] measured volume strain in PP with an axial optical extensometer and two transverse mechanical extensometers during tensile tests. They carried out the tests at ambient temperature under different strain rates. At the highest strain rates, they invariably observed a dilatation. When strain rate decreases, they noted a small compaction effect before ultimate dilatation. The maximum compaction effect obtained was $\varepsilon_{\nu} = -0.01$ for $\varepsilon_{33} = 0.09$ under 8.5×10^{-3} s⁻¹.

Gaucher-Miri *et al.* [15] studied volume variation in a low-density ethylene/butene copolymer with a multiaxial video extensometer during tensile tests performed at 20°C for a stretching rate of 0.5 mm/min. Like in our study, they noted a net volume compaction at the beginning of deformation, followed by volume strain increase at higher strains. The minimum volume strain was $\varepsilon_v = -0.03$ for $\varepsilon_{33} = 0.6$. Positive volume strain was found for $\varepsilon_{33} > 2.0$.

Negative volume variations were observed during creep tests on semi-crystalline polymers [4, 13, 26]. Cherry and Hin [13] measured volume variation of PE using three mechanical extensometers under creep at ambient temperature. After the elastic volume expansion, these authors systematically recorded a compaction process that reached $\varepsilon_{v} = -0.017$ for $t = 25\ 000$ s under $\sigma_{33} = 17.1$ MPa. Like in our results (*Fig. 5*), they noted that compaction increases with applied stress.

3.2 Experimental Errors on Compaction Measurement

Careful analysis of the VidéoTraction[®] method utilized in this work reveals three critical points:

interpolation of the axial strain, ε₃₃, from the longitudinal dot positions;

- inhomogeneity of transverse strain across the RVE;
- discrepancy between ε_{11} and ε_{22} .

Concerning the first point, we found that the polynomial fit employed here underestimates the true axial strain, ε_{33} , by about 2.5% for acute neck profiles. As for the second point it is evident that surface strains does not correspond rigorously to the average transverse strains across the specimen section. From the analysis of samples with different distances between transverse dots, we estimate that ε_{11} is underestimated (too negative) by about 6% in extreme configurations. The last point is concerned with the assumption of transverse isotropy adopted in this work. In reality, precise transverse measurements at the neck of stretched samples shows that the reduction in thickness is slightly higher than the reduction in width. Quantitatively, we found in a typical case that ε_{22} was smaller than ε_{11} by about 6%. Since volume strain is the sum of the strains in the principal directions, $\varepsilon_v = \varepsilon_{11} + \varepsilon_{11} + \varepsilon_{33}$, and considering the respective errors committed on each component, one finds that ε_v is systematically underestimated. In other terms, the actual compaction is certainly smaller than that measured via the present VidéoTraction[©] procedure. At that state of the investigation, we estimate that the error on the determination of ε_v may attain 100% in extreme cases so that the actual value is between zero and the experimental value. Consequently, although the transient compaction for PE measured in the intermediate strain range is probably overestimated, the microstructural investigation confirms that it is not merely an experimental artifact. Potential methods to improve volume strain determination are in progress in this laboratory.

3.3 Microstructural Compaction Mechanisms

Although some authors (*e.g.* Powers and Caddell [3]) simply ignore the causes of the compaction they measured, many of them tried to relate this phenomenon to specific microstructural mechanisms.

Strain-induced crystallization was the first process invoked for explaining compaction, based on the higher density of crystalline phase. In the case of PP, Tang *et al.* [7] explained his results by the above argument without providing any experimental evidence for this allegation. On the overall, except minor strain-induced crystallization facts reported in some papers (*e.g.* Wade Adams *et al.* [27] for PE), most authors (including us) have demonstrated that stretching semi-crystalline polymers globally leads to a decrease of crystallinity [28, 29]. Active fragmentation of the crystallites occurs while the fibrillar microstructure is progressively formed and crystallized chains are readily transferred into amorphous clusters during this destruction process. Consequently, interpreting compaction in terms of strain-induced crystallization is not relevant.

Another approach, based on the concept of amorphous phase orientation, should rather be considered. From their

results on LDPE-co-butene, Gaucher-Miri *et al.* [15] invoked strain-induced reorganization of the amorphous phase in sheared interlamellar zones. This process is confirmed by dynamic mechanical analysis that reveals an important immobilization of amorphous chains in specimens stretched up to the extension for which compaction is at its maximum. This interpretation is supported by Bartczak *et al.* [22], who consider that chain alignment toward stretching direction in the amorphous phase tends to form of a close-packed array with a pseudo-hexagonal symmetry. It is thus probable that the decrease of interchain distances in the amorphous phase (*Fig.* 8) is the key process that controls the transient plastic compaction observed in PE upon stretching.

3.4 Dilatation Mechanisms

Concerning the ultimate dilatation phenomenon, it has been documented in details by many authors [10, 12, 16], who ascribed it both to the destruction of crystalline order and to the development of voids. Since we found that the progressive loss of crystallinity on stretching is of the order of 30% (see Fig. 8), and considering that the density of the amorphous phase is about 15% less than that of the crystalline phase, a positive volume strain of about 0.04 is expected at the end of the test. Although significant, this value is small with respect to the total dilatation undergone by the material during the plastic stage. Consequently, plasticity-induced dilatation is due in majority to the cavitation process that has been observed in HDPE spherulites [30-35]. Voiding initially develops in equatorial regions, subsequently in diagonal regions and finally in polar regions. Crazes can also appear between spherulites due to the presence of macromolecular defects in these regions [33]. Cavitation phenomena appear to be less active at higher temperatures and lower strain-rates because chain mobility is enhanced under such conditions [12].

CONCLUSIONS

In high-density polyethylene plastic compaction and dilatation compete for the control of volume strain during stretching and creep tests. Compaction is recorded as a negative volume variation during a transient stage for moderate extension ratios. It is amplified when amorphous chains have more mobility and time to accommodate macroscopic deformation, at higher temperature and lower strain-rate. Large compaction is observed at T = 40°C for $\dot{\epsilon}_{33} = 1.10^{-3} \text{ s}^{-1}$ ($\varepsilon_{\nu} = -0.026$ at $\varepsilon_{33} = 0.33$). Due to experimental errors, the volume strain in the compaction range is somewhat underestimated, so that further improvements will be necessary to characterize this process with better precision. However, the errors do not contradict the pertinence of the compaction phenomenon that results from the strain-induced orientation of amorphous chains toward the drawing direction. Dilatation, for its part, is observed at larger strains. Large dilatation is recorded at T = 40°C for $\dot{\epsilon}_{33} = 5.10^{-3} \text{ s}^{-1}$ ($\epsilon_{\nu} = 0.59$ at $\epsilon_{33} = 1.50$). It is due partly to progressive crystallite destruction and partly to cavitation. The same competition between compaction and dilatation is observed during creep tests under constant true stresses. Quantitative modeling of volume strain effect for various deformation paths and histories is now in progress.

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