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Representing the one left over: A social semiotic perspective of students' use of screen casting

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This paper examines the potential of using screen casting with an iPad to enhance learning in mathematics. Data are presented from two seven-year-old students as they use the Explain Everything app to solve a division with remainder problem (DWR). A social semiotic perspective was used to interpret students' use of multiple modes as they represented the mathematical ideas within the context of the problem. We consider how a social semiotic perspective has the potential to draw attention to the students' interests and emerging expressions in representing mathematical relationships. We further consider how the use of representations in the app might relate to student learning.

Keywords: Mobile technologies, multimodality, primary mathematics, representations, social semiotics.

Introduction

Several decades ago, Kaput (1987) predicted that the opportunities afforded by new digital technologies would mean “students of the near future ... will be choosing how to represent given relationships” (p.21), and that students' choice in building and interpreting their own representations would be seen as important as the calculations themselves. With the recent introduction of mobile devices into mathematics classrooms, student choice in creating, selecting, and using representations has continued to widen and such new media has been seen to have the potential to “augment and enhance” student learning (Clark & Luckin, 2013, p. 2). In this paper we present data from part of a larger project that examined teacher and student use of iPad apps in primary mathematics classrooms in New Zealand. In particular, we focus on *Explain Everything*, a screen-casting app, with two students (aged seven years old) as they represented their solutions to a problem involving division with remainder (DWR).

Screen casting involves the use of a digital white board screen, which the user can write or draw on. The user can also add images and text. The digital board can then be recorded to capture the images, static or dynamic, along with a vocalisation of the user's thoughts. As such, in mathematics, students can create and present their solutions in real time and in a multi-modal format using text and images along with voice recording. Such apps are generally used as a tool for students to show their explanations in solving problems (Soto, 2015) as they have the appeal of exposing the students' thinking.

Screen casting enables multiple modes of communication, and can provide teachers with further insight into students' thinking and identification of misconceptions (Soto & Ambrose, 2015). Hence, their use as a tool for formative assessment. But might the creation of a screen cast go further than providing insight into thinking? Students can select from a range of modes, including writing, drawings, downloaded images, mathematical symbols, spoken and written language, so there is the

potential for choosing, creating and interpreting different representations for a given relationship (as predicted by Kaput). Furthermore, the use of the screen interface on iPads means that the students can manipulate representations by touch and hand actions (Sinclair & de Freitas, 2014). If the students are choosing to build and create their own representations along with hand actions, can such use go beyond the reporting of solution strategies? We also query whether screen casting, as an example of new media, has the potential to augment and enhance learning.

Theoretical framework: Social semiotics and multimodality

In order to understand the potential for learning with this new media we require a way of understanding how representations are selected and used by students in creating their screen casts. Whilst previous representational theories in mathematics education have been based on an epistemological view of learning as a constructive activity (e.g. Janvier, 1987), further theorising on representations in mathematics has focused on semiotics as intrinsic to mathematical thinking (Duval, 2008; Ernest, 2006). Ernest proposed that a study of mathematics teaching and learning from a semiotic perspective follows sociocultural Vygotskian theories in studying the appropriation of cultural signs and the underlying meaning structures that embody the relationships between signs.

In mathematics, signs are related to mathematical relationships and can only be understood as part of a complex system; there is a “pull towards abstraction” (Ernest, 2006, p.71). If mathematical signs become isolated as purely structural systems they lose meaning. A fundamental view of semiotics refers to representations, as sign production in a broader sense, standing for something else in order to make meaning. Ernest referred to such sign production as “primarily an agentic act” that “often has a creative aspect” (p.69). The students’ use of representations in a screen cast may indicate this agentic, creative act, where the sign relates to a form that “strongly suggests the meaning [we] want to communicate.” (Kress, 2010, p. 64). Rather than using a sign that pulls to abstraction, the student may choose a representation that indicates what he or she sees as critical in regard to their ‘bit of the world’ and the mathematical relationship in the context of a problem. As such, we can determine the interest and agency of the sign-maker, and what they attended to, in order to make meaning.

Drawing on both Ernests’ theorisation in relation to semiotics in the teaching and learning of mathematics, and to broader theorists, such as Kress and social semiotics, students’ choices of representations (text, image, verbal explanations, and hand actions) could be interpreted as sign-making with the potential to make meanings of mathematical relationships within their view of their world. These new meanings may then have the potential to change their understanding of mathematical relationships within a given problem. If we see learning from a social semiotic perspective as generating meaning through sign making (Kress, 2010) then screen casting may have the potential for students’ representations to have a role as social and material resources “in and through which meaning is made and by which learning therefore takes place” (Kress, 2010, p.178).

Furthermore, direct interaction with the screen of an iPad allows students not just to choose representations, but to manipulate them through hand actions. The screen cast app also enables students to record verbal explanations. As such, the use of the app allows for students to be agentic in creating signs across a multiplicity of modes. In this paper we consider how a multimodal social semiotic theoretical perspective (Jewitt, 2013) can inform the interpretation of students’ choices and dynamic use of symbols, and images along with their use of language. Social semiotics has been used

as a theoretical tool to explain phenomena by revealing things, which might not be evident otherwise (Jewitt & Oyama, 2001). In this paper, the intention is to examine the students' choices of representations, how they manipulate them, and to consider what they see as critical between their world and the mathematical relationship in the context of the problem.

In following a social semiotic theoretical perspective, the intention was to interpret the students' syntactic positioning of images as a source for representational meaning as well as temporal components (Jewitt & Omayya, 2001). That is, how the students placed images on the screen. For example, how the centrality of their placements and connections of objects showed some elements as held together, in contrast to more marginal or disconnected elements. In addition, the intention was to interpret the students' narrative and hand actions as syntactical temporal components. For example how the students' verbal explanations related to how they moved images or drew on the screen.

The study

Two seven-year-old students' use of the *Explain Everything* app are presented in this paper. These data come from a larger research project investigating how iPads apps were used in primary mathematics classrooms. The project involved researcher observation and the collection of video data over one year with three teachers experienced in using iPads in their mathematics classrooms. Further data was collected through student and teacher interview to investigate their views of using the apps. The research team met with the three teachers throughout the year for collaborative analysis and critical reflection of classroom practice and student learning. The use of screen-casting apps such as *Explain Everything* featured several times in the teachers' classrooms and in comments made by students and teachers as they were seen as beneficial for reporting solution strategies.

The data presented here come from one class of seven-year-old children. The problem was set by the class teacher and regarded sixteen dog biscuits shared equally among three dog bowls. The students were given five options, as shown in Figure 1. They were asked to determine which option gave the correct solution, and to explain their reasons using the *Explain Everything* app. The teacher projected the problem onto the screen in the classroom. The students took a photo of the problem to insert into a screen on their iPad, so that they could refer back to the five options.

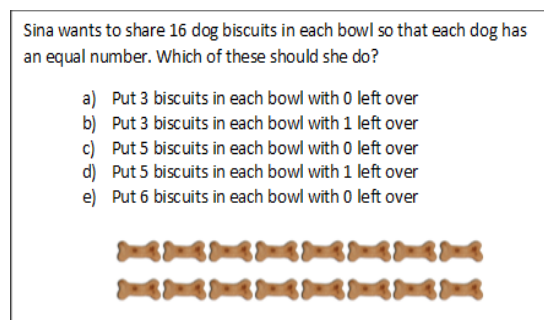


Figure 1: The division with remainder problem

Students worked individually on the problem with the intention to create a screen cast of their solution process for the teacher for her assessment. As they worked in the classroom, six students were selected at random by the researchers to explain more fully their solution strategies in relation to the representations on the screen cast they were developing. As Soto and Ambrose (2016) suggested, the completed screen casts of students may not “capture all the intricacies of students' explanations”

(p.282). As the research team was interested in gaining as much insight as possible, the researchers asked the students to elaborate on their thinking in representing their solutions in the screen cast. These elaborated explanations were videoed to show the iPad screen and students' hand actions, and to capture the students' explanations and responses to the researchers' questions. In this short paper, data from two of the students are presented. These two students are presented here because they showed contrasting approaches in relation to their mathematical solution using partitive and quotitive models. In the partitive or sharing model, the divisor indicates the number of groups and the quotient indicates the number of objects in each group. In the quotitive or grouping model, the divisor indicates the number of objects in each group and the quotient indicates the number of groups (Roche & Clarke, 2009).

Student 1: Fred

Fred downloaded images of dog bowls and biscuits from the internet and positioned five dog biscuits onto each bowl, see Figure 2.



Figure 2: Fred's screen with his solution (a sketch is also provided as the iPad screen is not clear)

Fred: This shows that the answer is (d) because five and five and five is fifteen with one more it's sixteen. So this is the one up here left over. (Fred circled the biscuit in the top right hand of the screen.) So they each get five. (Fred circled the five written above each dog bowl). So that makes it fair and there's one left over for nobody, so nobody has that because they're all full.

Researcher: Did you try any other questions using the bowls? Did you try (a) with the bowls?

Fred: No, I basically knew it was (d) from the start because there were three bowls and you have sixteen biscuits and you have to have one left over.

Fred chose to use realistic images. The dog biscuits were piled onto the dog bowls in a realistic fashion. Fred had also given different names to the dogs. Fred wrote the numeral five above each dog bowl as if in a 'bubble,' and placed the left over biscuit in the top right hand corner of the screen. As Fred said, the dog bowls were "full and fair" and the remaining biscuit was for "nobody." When talking to the researcher Fred used dynamic recordings and hand actions in circling the five numerals and the one biscuit left over in the top right hand corner.

Student 2: Jan

Jan had drawn three circles at the top of the screen. She downloaded images of dog biscuits from the internet and grouped them at the bottom of the screen. Then Jan moved each biscuit one by one to line up underneath each circle (see Figure 3).

Jan: I'm doing five and then I've got one left over. (Jan moved the left over biscuit around the screen with her finger.)

Researcher: Why do you think that is?

Jan: Ummm, I don't know. (Jan scanned back to the screen with the original problem and the options). Because (a) and (b) are not going to be right, but I haven't tried six (referred to the last option). So if I put six...

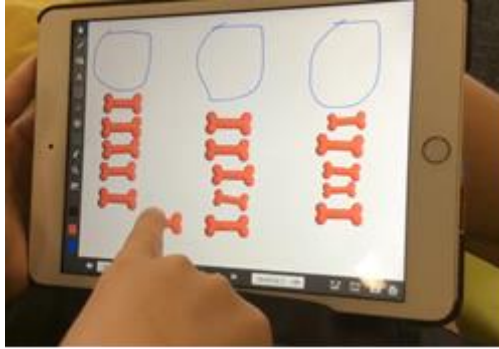


Figure 3: Jan's screen with her solution

Jan placed six biscuits under two bowls but then moved one biscuit from the middle line to the line of four to make five in two of the lines. She then counted the third line as six and moved the sixth biscuit away. Jan then moved the left over biscuit around the screen (Figure 3).

Researcher: What could you do with the spare one? What would you do if they were your dogs?

Jan: Ummm... I'd probably cut it in half so they'd have equal numbers.

Researcher: If you cut it in half how many pieces would you have?

Jan: (Jan used her finger to draw two lines on the left over biscuit) I'd have three halves. One for that one, one for that one, and one for that one (Jan indicated with her finger to the three lines of biscuits).

Jan used realistic images of the dog biscuits but drew circles for the bowls, and placed the dog biscuits in a vertical line underneath each bowl. Jan did not use any numerals, but she referred to the numbers in her oral explanation. Jan seemed in a quandary about the one left over, to the extent that she tried six biscuits, only to find she needed to redistribute them. Jan also moved the left over biscuit around the screen. She then marked the biscuit into three "halves" in order to share the remainder, pointing to each line as she did so. Whilst she used the term 'halves' incorrectly she was attempting to further divide the left over biscuit between the three dogs.

Discussion

In relation to the students' use of models of division, Fred used repeated addition to explain his solution; "five and five and five is fifteen with one more it's sixteen." Fred's solution demonstrated a quotitive model, in that he focused on the quotient as the size of the subset from one of the solutions in the options (i.e. five in each bowl). Jan, on the other hand, used a partitive strategy to share out the dog biscuits. Jan focused on the divisor as the number of subsets, that is the three dog bowls, and so she shared out each of the dog biscuits by counting. Jan then moved to the use of rational numbers by including fractions in further dividing the left over biscuit, although maybe she was influenced by

the reviewers' question. It is noted that neither of the students wrote their solution using mathematical symbols formally, such as $16 \div 3 = 5$ remainder 1, and this may have been due to the way the problem was set where the options were stated verbally.

In relation to the use of representations, Fred used realistic images and features, along with the mathematical symbols. Fred's 'bubbles' over the dog bowls with the number five suggested a close connection between the number symbol and the quantity of dog biscuits in each bowl. Furthermore, he centralized the dog bowls, piled the dog biscuits onto the bowls and then positioned the left over dog biscuit in the corner of the screen, stating it was for nobody. Interpreting the positioning of the representations from a spatial syntax perspective, it could be said that Fred marginalized the left over dog biscuit both in positioning it on the screen and in verbally stating it was for no one and so indicating his own perspective of the remainder in the context of this problem. Interpreting the temporal syntax, Fred's hand actions in circling each of the five numerals and the left over biscuit, along with his explanation, suggested an emphasis on key features, and mirrored a formal recording of the solution.

Jan also used realistic images for the dog biscuits, but used drawn circles for the dog bowls. These circles represented a container in a more general sense, focusing on the shape but not the features. Jan did not include any number symbols, although she referred to the numbers in explaining her solution. Jan also centralized the circles and dog biscuit images as key features of the problem but she placed the circles at the top of the screen and aligned the biscuits under each bowl. This positioning was not as realistic as Fred's as he piled the biscuits onto the bowls. Interpreting the temporal syntax, Jan's movement of the biscuit around the screen suggested a dynamic visual 'doodle' as she thought about the remainder. Her uncertainty in where to position the dog biscuit was reflected in her comment "Ummm I don't know." Unlike Fred she did not seem satisfied that the left over biscuit should be for no one. In the end, Jan solved this problem in a realistic context that made sense to her, and used hand actions in drawing lines to show how the biscuit could be cut into three pieces.

In interpreting the students' use of representations in creating the screen cast, the intention was to see further into the students' placing of different semiotic modes (symbols, images and drawings) alongside temporal narrative and dynamic movements. As the students chose to use mathematical symbols and 'made up' the signs, they were being critical in relating the mathematics with their 'bit of the world', in order to make meaning. Fred already knew the solution and selected realistic representations to show this solution, tying the key mathematical signs, the chosen images and the quotient closely together. The remainder was redundant and hence placed marginally representing his understanding of the relationships in regard to his bit of the world. Jan chose a less real life representation of the problem but appeared to explore the solution with these representations. Her exploration then led her to the use of fractions in relation to sharing as her bit of the world.

Concluding remarks

The interpretation of the students' use of representations in relation to spatial and temporal syntax may provide further insight into what students attended to in order to make meaning of the mathematical relationships. In this regard, this paper has, arguably, presented an illustration of Kaput's prediction that students will choose to build and interpret their own representations, and that

their choice of representations will be seen as important as the calculation. However, how these choices relate to or augment learning is less clear.

It has been possible to consider how Jan was ‘settling’ an understanding of the mathematical ideas in solving a problem, maybe by virtual ‘doodling’ with the remainder. Her use of the representations was agentic and indicative of how she related to the problem, but they also appeared to change her understanding of the mathematical relationships in the problem. For Fred the representations were used to explain thinking that was already formed. He knew the solution. It is not clear that the use of these representations, whilst agentic and indicative of his bit of the world within the context of the problem, changed his understanding of the mathematical relationships. Although, they may have helped him explain or report his thinking.

In these examples it would seem that for Fred, as an example of a student who appeared to understand the mathematical relationships within the problem, the meaning making of the representations in the screen casting referred to an explanation or reporting of a solution strategy, and that this would relate to studies by Soto (2015) and Soto and Ambrose (2016). However for Jan, as an example of a student less certain of the mathematical relationships within the problem, the meaning making of the representations in the screen casting may also have changed her understanding and hence may have augmented her learning about the mathematical relationships in the given problem.

The intention of this paper was to consider whether screen casting, as a way of agentic sign making across multiple modes, has the potential for students’ representations to make meaning and hence augment learning. Only two examples are presented here, and whilst a social semiotic approach may shed light on what the students attended to, the use of the screen casting app as new media to augment learning needs further investigation.

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