



## **Spatial patterns in CO<sub>2</sub> evasion from the global river network**

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# Global Biogeochemical Cycles

## RESEARCH ARTICLE

10.1002/2014GB004941

### Key Points:

- First global maps of river CO<sub>2</sub> partial pressures and evasion at 0.5° resolution
- Global river CO<sub>2</sub> evasion estimated at 650 (483–846) Tg C yr<sup>-1</sup>
- Latitudes between 10°N and 10°S contribute half of the global CO<sub>2</sub> evasion

### Supporting Information:

- Supporting Information
- Text S1
- Table S1
- Data set S1
- Data set S2

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## Spatial patterns in CO<sub>2</sub> evasion from the global river network

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**Abstract** CO<sub>2</sub> evasion from rivers (FCO<sub>2</sub>) is an important component of the global carbon budget. Here we present the first global maps of CO<sub>2</sub> partial pressures (pCO<sub>2</sub>) in rivers of stream orders 3 and higher and the resulting FCO<sub>2</sub> at 0.5° resolution constructed with a statistical model. A geographic information system based approach is used to derive a pCO<sub>2</sub> prediction function trained on data from 1182 sampling locations. While data from Asia and Africa are scarce and the training data set is dominated by sampling locations from the Americas, Europe, and Australia, the sampling locations cover the full spectrum from high to low latitudes. The predictors of pCO<sub>2</sub> are net primary production, population density, and slope gradient within the river catchment as well as mean air temperature at the sampling location ( $r^2 = 0.47$ ). The predicted pCO<sub>2</sub> map was then combined with spatially explicit estimates of stream surface area  $A_{\text{river}}$  and gas exchange velocity  $k$  calculated from published empirical equations and data sets to derive the FCO<sub>2</sub> map. Using Monte Carlo simulations, we assessed the uncertainties of our estimates. At the global scale, we estimate an average river pCO<sub>2</sub> of 2400 (2019–2826)  $\mu\text{atm}$  and a FCO<sub>2</sub> of 650 (483–846) Tg C yr<sup>-1</sup> (5th and 95th percentiles of confidence interval). Our global CO<sub>2</sub> evasion is substantially lower than the recent estimate of 1800 Tg C yr<sup>-1</sup> although the training set of pCO<sub>2</sub> is very similar in both studies, mainly due to lower tropical pCO<sub>2</sub> estimates in the present study. Our maps reveal strong latitudinal gradients in pCO<sub>2</sub>,  $A_{\text{river}}$ , and FCO<sub>2</sub>. The zone between 10°N and 10°S contributes about half of the global CO<sub>2</sub> evasion. Collection of pCO<sub>2</sub> data in this zone, in particular, for African and Southeast Asian rivers is a high priority to reduce uncertainty on FCO<sub>2</sub>.

## 1. Introduction

Following several syntheses published over the last decade [Cole *et al.*, 2007; Battin *et al.*, 2009; Tranvik *et al.*, 2009; Aufdenkampe *et al.*, 2011], inland waters (streams, rivers, lakes, and reservoirs) are presented in the fifth assessment report of the Intergovernmental Panel on Climate Change [Ciais *et al.*, 2013] as an active component of the global carbon cycle with substantial net evasion of CO<sub>2</sub> (FCO<sub>2</sub>) to the atmosphere. This is a major paradigm shift from earlier assessments, which represented inland waters as a passive conduit of carbon from land to ocean [Denman *et al.*, 2007], though inland waters were already known to be net sources of CO<sub>2</sub> to the atmosphere [e.g., Kempe, 1982]. Published global estimates of FCO<sub>2</sub> vary nevertheless substantially, and the quantitative contribution of inland waters to the atmospheric CO<sub>2</sub> budget has large uncertainties [Regnier *et al.*, 2013]. Reported values of FCO<sub>2</sub> for the fluvial network alone range from 0.26 Pg C yr<sup>-1</sup> to 1.8 Pg C yr<sup>-1</sup> [Richey *et al.*, 2002; Cole *et al.*, 2007; Tranvik *et al.*, 2009; Aufdenkampe *et al.*, 2011; Regnier *et al.*, 2013; Raymond *et al.*, 2013], the latest published estimate (1.8 Pg C yr<sup>-1</sup>) [Raymond *et al.*, 2013] being about twice as large as the lateral export of carbon to the coastal ocean from the global river network (see the reviews by Bauer *et al.* [2013] and Regnier *et al.* [2013]).

However, even the most recent assessments of FCO<sub>2</sub> do not resolve well its important spatial variability. So far, extrapolations of field data were performed to achieve a lumped global estimate [Cole *et al.*, 2007], a segmentation according to three latitudinal zones (tropical, temperate, and boreal to arctic) [Aufdenkampe *et al.*, 2011], and a regionalization based on the COSCAT units of Meybeck *et al.* [2006] [Raymond *et al.*, 2013]. This study takes the next step forward and resolves FCO<sub>2</sub> at a much higher resolution of 0.5°. This makes our estimation directly comparable to typical outputs of global land surface models such as ecosystem productivity and terrestrial carbon stocks.

A major challenge for achieving a spatially explicit assessment of river FCO<sub>2</sub> at half a degree resolution is the uneven coverage of water chemistry data (alkalinity, pH, and water temperature) required for the upscaling

of the river  $p\text{CO}_2$  on a grid over the entire globe and, subsequently, of  $F\text{CO}_2$ . While some rivers in industrialized countries are covered by a dense network of sampling locations, a very large fraction of the global river network remains only sparsely or not at all surveyed [Regnier *et al.*, 2013]. Thus, suitable interpolation techniques are required to fill the numerous spatial gaps that appear at the targeted resolution of half a degree and the uncertainty due to the limited sampling needs to be quantified. In a continental scale study over North America, it was shown that the river  $p\text{CO}_2$  can, to some extent, be estimated from high-resolution geodata representing the major environmental controls of the  $\text{CO}_2$  exchange between rivers and the atmosphere [Lauerwald *et al.*, 2013]. In this study, we expand this approach to derive empirical equations that allow us to predict the spatial distribution of  $p\text{CO}_2$  and  $F\text{CO}_2$  from rivers of stream orders 3 and higher at the global scale on a  $0.5^\circ$  grid. In addition, a Monte Carlo analysis is applied to our empirical predictors to quantify the uncertainties in  $p\text{CO}_2$  and  $F\text{CO}_2$  estimations which were not considered in earlier studies.

## 2. Methods

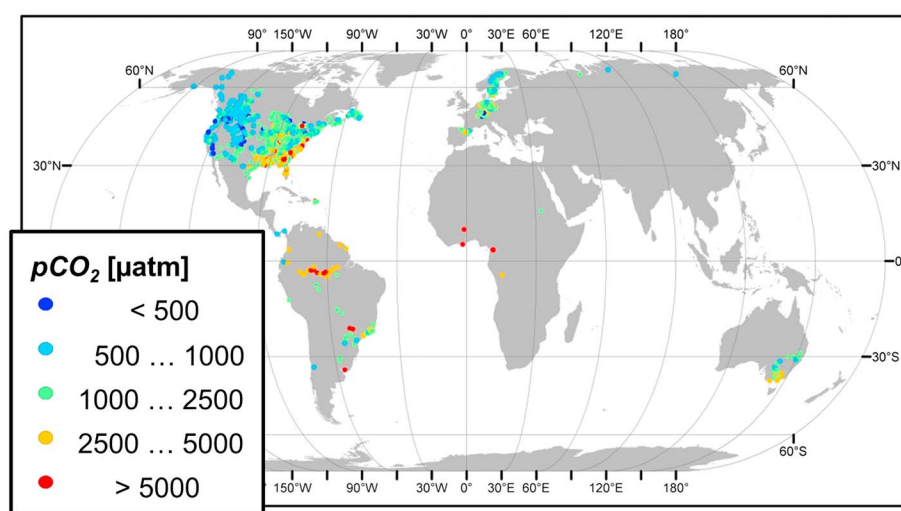
The global river chemistry database GloRiCh [Hartmann *et al.*, 2014] (section 2.1.1), which was already used by Raymond *et al.* [2013], and geodata on river catchment properties were used to derive a functional relationship between river  $p\text{CO}_2$  and environmental variables. The resulting prediction model was then applied to derive a global  $0.5^\circ$  map of yearly averaged river  $p\text{CO}_2$  (section 2.1.2). This map was used in combination with spatially resolved estimates of gas exchange velocity  $k$  and surface lake and stream water area  $A_{\text{river}}$  to calculate  $F\text{CO}_2$  from the global river network at the same resolution (section 2.2). Using Monte Carlo simulations, we quantified the uncertainty of our estimates (section 2.3).

### 2.1. River $p\text{CO}_2$

#### 2.1.1. Calculation of River $p\text{CO}_2$ From Observed Data

Using PhreeqC v2 [Parkhurst and Appelo, 1999], we calculated  $101 \times 10^3$   $p\text{CO}_2$  values from alkalinity, pH, water temperature, and, where available, concentrations of major inorganic solutes reported in the hydrochemical database GloRiCh [Hartmann *et al.*, 2014]. Data were selected according to the following criteria: (1) The delineation of the catchment of the sampling location is available in GloRiCh; (2) The sample dates from 1990 or later to avoid the high river pollution period in Europe; (3) Samples with a pH lower than 5.4 (1.7% of the considered water samples) are discarded because calculating  $p\text{CO}_2$  from alkalinity and pH is highly error prone in low-pH waters [Raymond *et al.*, 2013], mainly due to contributions of noncarbonate alkalinity [Hunt *et al.*, 2011]; (4) In order to calculate robust averages of  $p\text{CO}_2$ , only sampling locations were retained where monthly median  $p\text{CO}_2$  values could be calculated from at least three single values and without leaving gaps of more than three consecutive months without a median  $p\text{CO}_2$  value. Given the small number of data for each location month, the median was preferred over the mean to limit the effect of single, probably erroneous outliers. To ensure an equilibrated seasonal weighting, gaps in the seasonal cycle were closed by linear interpolation between the previous and next following median monthly  $p\text{CO}_2$  values [cf. Lauerwald *et al.*, 2013]. Prior to calculation of annual average  $p\text{CO}_2$  values, the months for which it can be assumed that contributions to annual  $\text{CO}_2$  evasion are negligible were discarded. This corresponds to months of seasonal river drying (i.e., monthly runoff is zero) or ice cover (i.e., the average monthly air temperature is below  $-4.8^\circ\text{C}$ , see section 2.2).

The data set matching the above selection criteria corresponds to 1162 sampling locations. Albeit not completely fulfilling these conditions, in particular, the requirement of three values per month, 21 additional sampling locations located in climate zones so far underrepresented in the analysis were incorporated in the analysis. This includes data from the research projects CAMREX (Carbon in the Amazon River Experiment) [Richey *et al.*, 1990] (Amazon Basin), PARTNERS [PARTNERS-Project-Group, 2009] (large Arctic Rivers), and a part of ORE-HYBAM [Cochonneau *et al.*, 2006] (Amazon Basin and smaller catchments in Guyana). In this case, we verified manually all  $p\text{CO}_2$  entries to avoid unrealistic values that would add noise to monthly averages. In contrast to most GloRiCh data, the pH reported in these research programs has a precision of two decimal places, which increases the precision of the calculated  $p\text{CO}_2$ . Although the samples from the CAMREX project date from the 1980s, the sampling locations are far from anthropogenic point sources, and we kept them in the upscaling under the premise that they are representative of



**Figure 1.** Average  $p\text{CO}_2$  per sampling location used for statistical analysis ( $n = 1182$ ).

present-day conditions. Altogether, 1182 sampling locations were thus retained, which represent 17.6% of the sampling locations used in the study of *Raymond et al.* [2013]. While *Raymond et al.* [2013] calculated a median  $p\text{CO}_2$  per COSCAT region from the bulk of  $p\text{CO}_2$  values therein—including values from sampling locations with only single or few values—we aimed at calculating robust average  $p\text{CO}_2$  values per sampling location and had thus to exclude the major part of the data set. The retained sampling locations are unevenly distributed around the globe. Most of them (727) are distributed over North and South America, where they cover nearly all latitudes (Figure 1). Another significant fraction (402) is concentrated in Europe, the remaining sites (53) being distributed over Australia, tropical Africa, and the Northern rim of Asia. Although large areas on the continents are only sparsely sampled, a wide variety of climates which is required to train a global empirical model of river  $p\text{CO}_2$  is covered (see the statistical distribution of climatic variables in Table 1).

**Table 1.** Environmental Parameters Evaluated as Potential Predictors of Average  $p\text{CO}_2$  of River Water<sup>a</sup>

Statistics for Training Catchments							
Parameter	Units	Mean	Median	Min	Max	Source	Resolution
<i>Parameters Referring to River Catchment</i>							
Slope gradient	Degrees	2.061	1.367	0.036	15.115	<i>GLOBE-Task-Team et al.</i> [1999]	30"
Area	$\text{m}^2$	$7.14 \times 10^{10}$	$2.09 \times 10^9$	$4.76 \times 10^6$	$4.70 \times 10^{12}$	Derived from routing scheme (section 2)	
NPP	$\text{g C m}^{-2} \text{yr}^{-1}$	536	532	0	1641	<i>Zhao et al.</i> [2005]	30"
Pop. density ('00)	$\text{Inh. km}^{-2}$	125.6	42.7	0.0	2337.6	<i>CIESIN, and CIAT</i> [2005]	2.5'
Lake area proportion	1	0.008	0.002	0.000	0.339	<i>Lehner and Döll</i> [2004]	
Runoff	$\text{mm yr}^{-1}$	384	309	0.01	2707	<i>Fekete et al.</i> [2002]	30'
Permafrost index	Index	0.011	0.000	0.000	0.933	<i>Gruber</i> [2012]	30"
Flooded proportion	1	0.043	0.014	0.000	0.662	<i>Prigent et al.</i> [2007]	15'
Air temperature	$^{\circ}\text{C}$	10.4	9.0	2.6	28.0	<i>Hijmans et al.</i> [2005]	30"
Precipitation	$\text{mm yr}^{-1}$	925	816	257	3132	<i>Hijmans et al.</i> [2005]	30"
Evaporation	$\text{mm yr}^{-1}$	54	48	2	123	<i>Miralles et al.</i> [2011]	15'
<i>Parameters Referring to Sampling Location</i>							
Flooded proportion	1	0.073	0.022	0.000	0.799	<i>Prigent et al.</i> [2007]	15'
Air temperature	$^{\circ}\text{C}$	12.16	10.37	0.57	29.43	<i>Hijmans et al.</i> [2005]	30"
Precipitation	$\text{mm yr}^{-1}$	865	766	12	3370	<i>Hijmans et al.</i> [2005]	30"
Evaporation	% of Precipitation	53	47	5	132	<i>Miralles et al.</i> [2011]	15'
Altitude	m	319	190	1	3006	<i>GLOBE-Task-Team et al.</i> [1999]	30"
Strahler order		4	4	0	10	Derived from routing scheme (section 2)	
Latitude	Degrees	38.1	44.6	-38.3	69.4	GloRiCh data base	

<sup>a</sup>Statistical distribution of the parameters within the training set of sampling locations and the related river catchments; values refer to units indicated in second column.

**Table 2.** Correlation Between Average  $p\text{CO}_2$  and Different Environmental Parameters<sup>a</sup>

Parameters Referring to River Catchment									
	$\log_{10}$ (Slope Gradient)	$\log_{10}$ (Area)	Net Primary Production	$\sqrt{\text{Pop. Density}}$	$\sqrt{\text{Lake Area Prop.}}$	Runoff	Permafrost Index	$\sqrt{\text{Flooded Prop.}}$	Mean Air Temperature
$\log_{10}(p\text{CO}_2)$	−0.55	−0.06	0.32	0.26	−0.15	n.s.	−0.21	0.22	0.51
<i>Parameters Referring to River Catchment</i>									
$\log_{10}(\text{Slope gradient})$		0.10	−0.06	−0.14	n.s.	0.19	0.24	−0.47	−0.41
$\log_{10}(\text{Area})$			n.s.	−0.31	0.32	−0.07	0.10	−0.11	0.28
Net primary production				−0.08	−0.13	0.27	−0.25	−0.19	0.45
$\sqrt{\text{Pop. density}}$					−0.18	n.s.	−0.18	0.25	n.s.
$\sqrt{\text{Lake area prop.}}$						0.09	n.s.	0.26	−0.11
Runoff							n.s.	0.09	0.09
Permafrost Index								−0.09	−0.18
$\sqrt{\text{Flooded prop.}}$									0.11
Mean air temperature									
Precipitation									
Evaporation									
<i>Parameters Referring to Sampling Location</i>									
$\sqrt{\text{Flooded prop.}}$									
Mean air temperature									
Precipitation									
Evaporation									
$\log_{10}(\text{Altitude})$									
Strahler order									

<sup>a</sup>Reported are Pearson correlation coefficients which are statistically significant ( $p < 0.05$ ); n.s. means not significant.

### 2.1.2. Upscaling of $p\text{CO}_2$ Data

For each sampling location, catchment properties were calculated in ArcGIS 10 [see Lauerwald *et al.*, 2013 for details]. The delineation of the watersheds was taken from GloRiCh and is based on the hydrologic routing schemes Hydrosheds (15 arcsec) [Lehner *et al.*, 2008] and Hydro1k (1 km), which were also used for the spatially explicit estimation of riverine  $p\text{CO}_2$  in this study. These schemes, designed to be used in hydrological modeling, consist in a set of digital elevation models (DEM) and their associated flow direction grids. Hydrosheds was derived from the Shuttle Radar Topography Mission DEM, and its coverage is limited to latitudes south of 60°N. For higher latitudes, we used Hydro1K derived from the DEM GTOPO30 [U.S. Geological Survey] as an alternative. More manpower has however been invested on ground-truth checks and correction of flow directions for Hydrosheds [Lehner *et al.*, 2008]. Therefore, in addition to its lower resolution, Hydro1k provides a less accurate representation of the natural stream network and its use was thus restricted to areas not covered by Hydrosheds. Table 1 lists the environmental variables attributed to each sampling location or river catchment and the geodata sets from which they were extracted. A short description and evaluation of each data set can be found in the supporting information.

We analyzed the correlations between the different environmental variables and between environmental variables and average  $p\text{CO}_2$  per sampling location (Table 2). We transformed some of the variables and  $p\text{CO}_2$  to account for skewed distributions and nonlinear correlations. The  $p\text{CO}_2$ , the altitude of the sampling location and the average slope gradient of the river catchment were expressed as logarithms ( $\log_{10}$ ). For population density and areal proportion of inundated areas and lakes, we used square roots instead of logarithms, because these parameters often show a value of 0.

We used multilinear regression to derive a prediction equation for  $\log_{10}(p\text{CO}_2)$  as a function of the (transformed) environmental variables. A stepwise backward algorithm implemented in the software package STATISCA™ V 8 was applied to identify a suitable, nonredundant set of environmental variables as predictors for  $p\text{CO}_2$ . Redundancies typically occur when some of the variables are highly intercorrelated (colinearity). The stepwise backward algorithm retained the four predictors: average slope gradient, net primary production (NPP), population density within the river catchment, and mean air temperature at the sampling location (Table 3). The residuals of the regression function (observed-predicted values) do not show any significant correlations with any of the discarded predictors. The fitted regression equation was

**Table 2.** (continued)

Parameters Referring to River Catchment		Parameters Referring to Sampling Location						
Precipitation	Evaporation	sqrt (Flooded Prop.)	Mean Air Temperature	Precipitation	Evaporation	log <sub>10</sub> (Altitude)	Strahler Order	Absolute Latitude
0.32	0.39	0.25	0.34	0.34	0.40	−0.37	n.s.	−0.34
<i>Parameters Referring to River Catchment</i>								
−0.12	−0.28	−0.36	−0.14	−0.22	−0.32	0.42	0.10	0.13
n.s.	0.07	0.15	0.46	n.s.	0.07	−0.13	0.97	−0.33
0.62	0.61	−0.07	0.35	0.51	0.56	−0.19	n.s.	−0.44
n.s.	−0.06	0.15	−0.15	n.s.	n.s.	−0.14	−0.29	0.13
n.s.	−0.08	0.16	n.s.	n.s.	−0.08	−0.14	0.31	0.10
0.68	0.39	0.13	0.08	0.61	0.36	−0.18	n.s.	−0.21
−0.16	−0.22	n.s.	−0.13	−0.13	−0.19	0.11	0.09	0.21
0.14	0.09	0.73	n.s.	0.17	0.12	−0.40	−0.11	n.s.
0.62	0.78	0.24	0.91	0.61	0.75	−0.35	0.26	−0.86
	0.85	0.21	0.53	0.91	0.82	−0.34	n.s.	−0.66
		0.14	0.68	0.80	0.95	−0.30	0.06	−0.78
<i>Parameters Referring to Sampling Location</i>								
			0.18	0.25	0.16	−0.46	0.15	−0.16
				0.51	0.64	−0.22	0.43	−0.91
					0.86	−0.37	n.s.	−0.63
						−0.33	n.s.	−0.74
							−0.13	0.14
								−0.30

then applied in ArcGIS 10 to calculate spatially explicit estimates of river  $p\text{CO}_2$  from the selected predictors at the high resolution of the routing schemes. For the generation of the global  $p\text{CO}_2$  map, these estimates were spatially aggregated to the  $0.5^\circ$  resolution, using a weighted averaging procedure, scaling each high-resolution  $p\text{CO}_2$  value to the corresponding effective stream surface area  $A_{\text{river,eff}}$  (see section 2.2)

## 2.2. $\text{FCO}_2$ Calculation

$\text{FCO}_2$  was calculated from the water-atmosphere  $\text{CO}_2$  gradient  $\Delta\text{CO}_2$ , the effective water surface area through which this flux takes place ( $A_{\text{river,eff}}$ ), and the gas exchange velocity  $k$  (equation (1)). In order to produce spatially explicit estimates of  $\text{FCO}_2$ , we calculated spatial representations of the annual averages for these three factors.  $\text{FCO}_2$  was first calculated at the high resolution of the routing schemes (15 arcsec for Hydrosheds and 1 km for Hydro1k), using estimates of river  $p\text{CO}_2$ ,  $A_{\text{river,eff}}$  and  $k$  at the same resolution. These high-resolution  $\text{FCO}_2$  maps were then aggregated to  $0.5^\circ$  resolution, which corresponds to the resolution of the coarsest input data (the UNH/GRDC runoff data). For all geocomputational work we used ArcGIS 10 from ESRI™.

$$\text{FCO}_2 = A_{\text{river,eff}} \cdot k \cdot \Delta\text{CO}_2 \quad (1)$$

$\Delta\text{CO}_2$  was calculated from the difference between the estimated  $p\text{CO}_2$  of river water (section 2.1) and the  $p\text{CO}_2$  of the atmosphere, converted to  $\text{CO}_2$  concentrations using Henry's constant  $K\text{CO}_2$  (equation (2)). We assumed an atmospheric  $p\text{CO}_2$  of 390  $\mu\text{atm}$  and calculated  $K\text{CO}_2$  at the estimated in situ water

**Table 3.** Retained Predictors With b Estimates, Associated Standard Errors, and Partial Correlations to the Dependent Variable  $\log_{10}(p\text{CO}_2 [\text{atm}])^a$ 

Predictor	b Estimate	Standard Error	t(1176)	P Value	Partial Correlation
Intercept	−3.192	0.021	−151.531	0.000	
sqrt(Pop. Density [ $\text{km}^{-2}$ ]) $\times 10^{-3}$	9.372	0.807	11.616	0.000	0.321
log <sub>10</sub> (Slope gradient [ $^\circ$ ])	−0.279	0.013	−21.479	0.000	−0.531
$T_{\text{air}}$ at location [ $10^{-2}^\circ\text{C}$ ]	1.343	0.128	10.506	0.000	0.293
NPP <sup>c</sup> [ $10^{-3} \text{ g C m}^{-2} \text{ yr}^{-1}$ ]	0.279	0.028	9.872	0.000	0.277

<sup>a</sup>With the exception of  $T_{\text{air}}$ , all predictors refer to the river catchment.

<sup>b</sup> $T_{\text{air}}$  stands for mean air temperature.

<sup>c</sup>NPP stands for net primary production.



temperature  $T_{\text{water}}$  using the equation proposed by *Telmer and Veizer* [1999]. Monthly values of  $T_{\text{water}}$  were calculated from average monthly air temperature at the sampling location  $T_{\text{air}}$  (equation (3)), using a linear regression equation derived from  $498 \times 10^3$  pairs of observed  $T_{\text{water}}$  (GloRiCh data base) and  $T_{\text{air}}$  values [*Hijmans et al.*, 2005].

$$\Delta\text{CO}_2 = K\text{CO}_2 \cdot (p\text{CO}_2 - p\text{CO}_{2\text{atmosphere}}) \quad (2)$$

$$T_{\text{water}}[\text{°C}] = 3.941 \pm 0.007 + 0.818 \pm 0.0004 \cdot T_{\text{air}}[\text{°C}] \quad (R^2 = 0.88) \quad (3)$$

The spatially explicit calculations of stream surface area  $A_{\text{river}}$  and gas exchange velocity  $k$  depend on river discharge. We calculated average annual river discharge  $Q_{\text{ann}}$  from the UNH/GRDC runoff data and routed the flow using Hydrosheds or Hydro1K. We then used the two empirical equations from *Raymond et al.* [2012, 2013] to derive two estimates of both stream width  $B$  and stream flow velocity  $v$  from  $Q_{\text{ann}}$  (equations (4)–(7)). Distinct values of  $A_{\text{river}}$  were calculated from each estimated stream width and stream length per grid cell. The latter was extracted from a representation of the stream network which uses a threshold on the minimum catchment area of  $10 \text{ km}^2$ . This threshold was chosen to ensure that the stream networks derived from Hydrosheds and Hydro1k are comparable. Parts of the stream network overlapping with lakes and reservoirs extracted from the data set by *Lehner and Döll* [2004] were removed. The effective river surface area  $A_{\text{river,eff}}$  was calculated from  $A_{\text{river}}$  by taking into account inhibition of gas exchange during periods of ice cover and stream drying. Equation (3) predicts negative water temperature when average monthly air temperatures are below  $-4.8^\circ\text{C}$ . Accordingly, we assumed ice cover for the months with lower average air temperature, a procedure which is broadly consistent with that of *Raymond et al.* [2013]. We assumed stream drying for months during which the monthly discharge  $Q_{\text{month}} = 0 \text{ m}^3 \text{ s}^{-1}$ . Seasonal stream drying of ephemeral streams is widely found in semiarid regions, like, for instance, the Arroyos in the south western U.S.

$$\ln(B[\text{m}]) = 2.56 + 0.423 \cdot \ln(Q_{\text{ann}}[\text{m}^3 \text{ s}^{-1}]) \quad [\text{after Raymond et al., 2012}] \quad (4)$$

$$\ln(B[\text{m}]) = 1.86 + 0.51 \cdot \ln(Q_{\text{ann}}[\text{m}^3 \text{ s}^{-1}]) \quad [\text{after Raymond et al., 2013}] \quad (5)$$

$$\ln(v[\text{m s}^{-1}]) = -1.64 + 0.285 \cdot \ln(Q_{\text{ann}}[\text{m}^3 \text{ s}^{-1}]) \quad [\text{after Raymond et al., 2012}] \quad (6)$$

$$\ln(v[\text{m s}^{-1}]) = -1.06 + 0.12 \cdot \ln(Q_{\text{ann}}[\text{m}^3 \text{ s}^{-1}]) \quad [\text{after Raymond et al., 2013}] \quad (7)$$

$$k_{600}[\text{m d}^{-1}] = v[\text{m s}^{-1}] \cdot S_{\text{chan}}[1] \cdot 2841 + 2.02 \quad [\text{after Raymond et al., 2012}] \quad (8)$$

where  $B$  is the stream width,  $Q_{\text{ann}}$  is the annual average discharge,  $v$  is the stream flow velocity, and  $S_{\text{chan}}$  is the channel slope.

The standardized  $\text{CO}_2$  gas exchange velocities  $k_{600}$  (corresponding to a dimensionless Schmidt number of 600, valid at  $20^\circ\text{C}$  water temperature) were calculated from the two values of stream flow velocity  $v$  (equations (6) and (7)) and the channel slope  $S_{\text{chan}}$  using the equation from *Raymond et al.* [2012] (equation (8)).  $S_{\text{chan}}$  was estimated on the basis of a segmentation of the stream network according to the Strahler order [*Strahler*, 1952]. For each individual Strahler order segment,  $S_{\text{chan}}$  was calculated from the length of the segment and the decrease in its altitude extracted from the digital elevation models which are associated to the hydrological routing schemes. This procedure insured direct compatibility between the geometry of the stream network and altitude, which differs whether Hydro1k or Hydrosheds is used. The calculation of the catchment slope was performed using a different DEM (GLOBE DEM,  $1 \text{ km}$  resolution) because this geodata set has a global coverage and can thus be used to calculate slope gradients from differences in altitude between neighboring cells, at the same resolution everywhere within the domain, a prerequisite for a consistent assessment [*Jenson*, 1991; *Gessler et al.*, 2000]. The use of two different resolutions (Hydrosheds and Hydro1k) for the calculation of the average slope gradient of a stream segment is likely less problematic because these segments are generally several times longer than the cell lengths of the DEMs.

To calculate a gas exchange velocity representative of annual average conditions, we calculated monthly values of the actual gas exchange velocity  $k_{\text{actual}}$  from  $k_{600}$  and the estimated  $T_{\text{water}}$  [cf. *Raymond et al.*, 2012]. The monthly  $k_{\text{actual}}$  values were then averaged (discarding months with assumed ice cover or stream drying) to obtain the yearly value required for the calculation of  $\text{FCO}_2$ . The whole procedure was

performed once for the entire river network (i.e., for all streams with a minimum contributing area of  $10 \text{ km}^2$ ) and once for two classes of streams and rivers, separately: (1) for streams and rivers with an average annual discharge  $Q_{\text{ann}} < 100 \text{ m}^3 \text{ s}^{-1}$  and (2) for rivers with  $Q_{\text{ann}} \geq 100 \text{ m}^3 \text{ s}^{-1}$ . The threshold  $Q_{\text{ann}}$  corresponds to a calculated stream width of 67–91 m (equations (4) and (5)). Thus, the two classes of streams and rivers reported here are comparable to those based on a threshold value for the width of 100 m [Rasera et al., 2008, 2013; Alin et al., 2011; Aufdenkampe et al., 2011].

Our  $k$  values are comparable to those of Raymond et al. [2013] (supporting information). Our global  $A_{\text{river}}$  estimate of  $291\text{--}415 \times 10^3 \text{ km}^2$  is, however, significantly lower than the values reported in Downing et al. [2012] ( $485\text{--}662 \times 10^3 \text{ km}^2$ ) and Raymond et al. [2013] ( $624 \times 10^3 \text{ km}^2$ ). We consider the upper bound estimate by Downing et al. [2012] as best reference, because it is based on an extensive review of stream widths reported in the literature. Comparing our calculations to this reference, we conclude that we are missing the first two stream orders (see supporting information). As these smallest streams are also not represented in our  $p\text{CO}_2$  database, our  $\text{FCO}_2$  estimates only refer to stream orders 3 and higher. The first two stream orders represent only 11% of the total  $A_{\text{river}}$  in the estimate of Downing et al. [2012] and contribute only to a small part of his higher estimates. Moreover, we likely underestimate the width of stream orders 5 and higher (see supporting information). These larger rivers contribute over-proportionally to global  $A_{\text{river}}$  due to strong meandering and bifurcation into multiple reaches [Downing et al., 2012], like, for instance, braided rivers in the high latitudes or the anastomosing lowland rivers in the humid tropics. Stream networks derived from DEMs as performed here do not account for stream channel bifurcations and inevitably lead to the underestimation of  $A_{\text{river}}$  for such systems [Amos et al., 2008]. A likely better strategy is thus to use remote sensing or geodata to derive  $A_{\text{river}}$  for larger river systems [Richey et al., 2002; Striegl et al., 2012] and empirical GIS-based methods to estimate  $A_{\text{river}}$  for smaller streams [Rasera et al., 2008, 2013; Striegl et al., 2012; Denfeld et al., 2013].

Following this approach, we recalculated a global value of  $A_{\text{river}}$  for  $Q_{\text{ann}} > 100 \text{ m}^3 \text{ s}^{-1}$ , using the river surface areas from the Global Lakes and Wetlands Database (GLWD) [Lehner and Döll, 2004]. GLWD reports only the large world rivers in vectorized format, the narrowest river stretches reaching several hundreds of meters of width, i.e., a value substantially wider than the minimum width in our estimates. In this alternative estimation of  $A_{\text{river}}$ , we calculated the GLWD river surface area for each  $0.5^\circ$  grid cell of our prediction grid. For each cell with a GLWD-derived river surface area higher than our estimate calculated above, we adopted the GLWD value. For the remaining cells, we kept our original estimates. In this way, we have a better representation of the largest rivers while still accounting for the smaller rivers not represented in GLWD.

With this method, we compute a global  $A_{\text{river}}$  of  $699\text{--}832 \times 10^3 \text{ km}^2$ , which is now somewhat higher than the estimate by Downing et al. [2012]. However, our global  $A_{\text{river,eff}}$  ( $510\text{--}596 \times 10^3 \text{ km}^2$ ) is close to the estimate of Raymond et al. [2013] ( $536 \times 10^3 \text{ km}^2$ ). The calculation of  $\text{FCO}_2$  was updated by multiplying the average  $\text{FCO}_2$  rate per river surface area by the revised values of  $A_{\text{river,eff}}$ . In what follows, we solely report the “GLWD-corrected”  $\text{FCO}_2$  and  $A_{\text{river}}$  values.

### 2.3. Uncertainty Estimates Based on Monte Carlo Simulation

We calculated the expected values and uncertainty ranges (5% and 95% confidence interval) of  $p\text{CO}_2$  and  $\text{FCO}_2$  from a Monte Carlo simulation consisting of 10,000 runs. Gaussian error distribution was assumed for the coefficients ( $b$  estimates) of the four predictors of  $p\text{CO}_2$ , using the standard errors of the  $b$  estimates derived from the regression reported in Table 3. A uniform error distribution was imposed for  $k_{\text{actual}}$  and  $A_{\text{river,eff}}$  over a range delimited by the two values calculated for each of these parameters using equations (4) and (5) and equations (6) and (7), respectively. We assume these errors to be uncorrelated to each other, i.e., the coefficients related to the predictors and the estimates of  $A_{\text{river,eff}}$  and  $k_{\text{actual}}$  vary independently from each other. The Monte Carlo simulation was performed for each grid cell at the aggregated resolution of  $0.5^\circ$ . A similar approach, even with a reduced number of runs, would be computationally prohibitive at the higher resolution of the routing schemes.

For the Monte Carlo analysis performed at the aggregated  $0.5^\circ$  resolution, we ensured that the expected values for  $p\text{CO}_2$  and  $\text{FCO}_2$  were equal to the values calculated first at the high spatial resolution of the routing schemes and subsequently aggregated to the  $0.5^\circ$  resolution. To achieve this, we had to aggregate all the necessary input variables in a systematic way. The predicted  $p\text{CO}_2$  was weighted by  $A_{\text{river,eff}}$  (see section 2.1), using the average of the two calculated values of  $A_{\text{river,eff}}$  (equations (4) and (5)). The values of



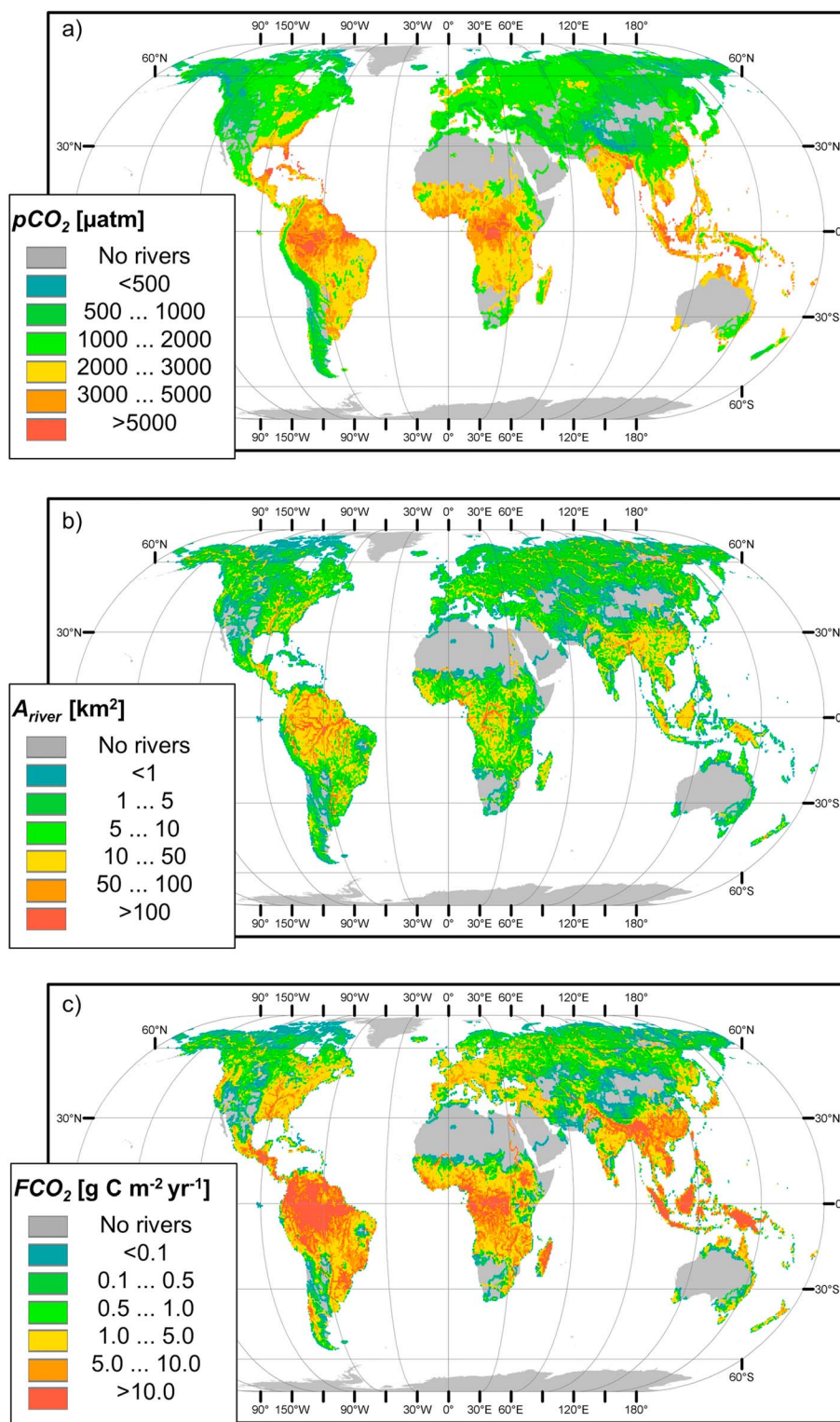
$k_{\text{actual}}$  were weighted by  $A_{\text{river,eff}}$ ,  $K\text{CO}_2$ , and  $p\text{CO}_2$ . To reproduce the half degree aggregation of estimated  $p\text{CO}_2$  values weighted by  $A_{\text{river,eff}}$ , the first predictor was weighted by  $A_{\text{river,eff}}$ , the second predictor was weighted by the first predictor and  $A_{\text{river,eff}}$ , the third by the first two predictors and  $A_{\text{river,eff}}$ , and finally the fourth predictor was weighted by  $A_{\text{river,eff}}$  and the other three predictors. All weightings and aggregations were performed in ArcGIS. After exporting the aggregated parameters as net-cdf files, the statistical language R 2.15.2 [R Core Team, 2013] including the “ncdf” package was used to run the Monte Carlo analysis. A comparison between the average values of  $p\text{CO}_2$  and  $F\text{CO}_2$  resulting from the 10,000 Monte Carlo runs and those calculated at the high resolution and then aggregated to  $0.5^\circ$  resolution revealed that for each half degree cell the relative deviation between the two approaches never exceeds 1%.

### 3. Results

#### 3.1. Controls of Spatial Variation in $p\text{CO}_2$

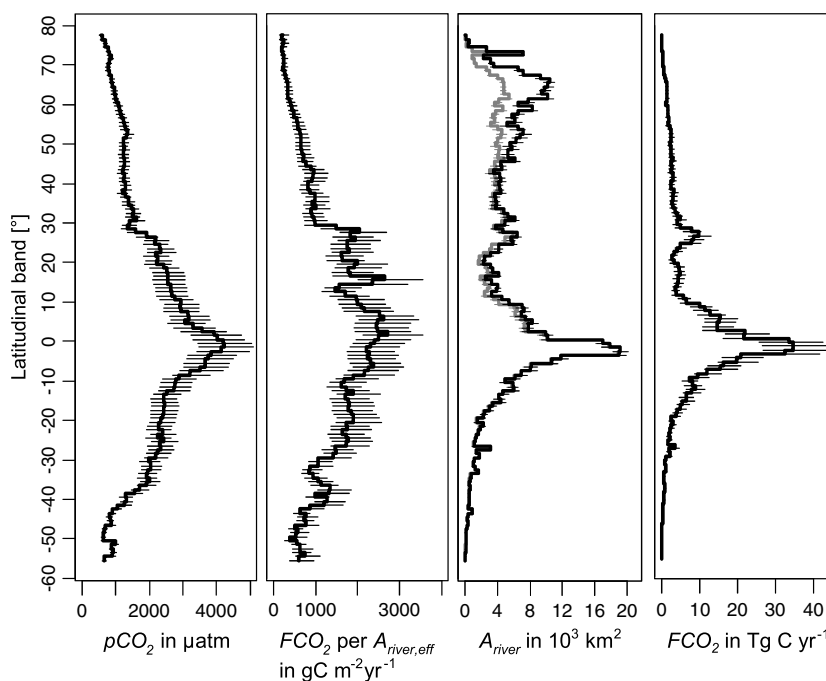
We analyzed the correlation between the average  $p\text{CO}_2$  of river water at the sampling location and 19 environmental variables attributed to the river catchment or the sampling location (Table 2). A notable positive correlation to  $p\text{CO}_2$  was found for the catchment properties mean air temperature, precipitation, net primary production (NPP), and evaporation, while a strong negative correlation was found for the average slope gradient of the river catchment. Mean annual air temperature, annual precipitation, and evaporation at the sampling location show also notable positive correlations to  $p\text{CO}_2$ , while altitude and latitude of the sampling location are negatively correlated to  $p\text{CO}_2$ . The results for the slope gradient, mean air temperature, and precipitation are in accordance with the continental scale study for North America [Lauerwald et al., 2013]. NPP and slope gradient were also shown to have an important influence on dissolved organic carbon in rivers [Ludwig et al., 1996; Lauerwald et al., 2012], which is partly decomposed during its fluvial transport and thus sustains the  $\text{CO}_2$  oversaturation. A number of studies have suggested a downstream decrease in  $p\text{CO}_2$  [Finlay, 2003; Teodoru et al., 2009; Aufdenkampe et al., 2011]. For our training catchments, however, the catchment area shows only a very low negative correlation to  $p\text{CO}_2$  ( $r = -0.06$ ) and the stream order (Strahler order) is not at all correlated to  $p\text{CO}_2$ . A low positive correlation ( $r = 0.26$ ) was identified for population density, a result which might support an anthropogenic enhancement of river  $\text{CO}_2$  evasion [Kempe, 1984; Regnier et al., 2013]. Lakes and reservoirs are reported to decrease river  $p\text{CO}_2$  due to increased residence times and autotrophic production [Wang et al., 2007], but we found only a low negative correlation ( $r = -0.16$ ) between this variable and  $p\text{CO}_2$ . The average flooded area around the sampling location (based on  $\sim 15$  min cells,  $r = 0.25$ ) or within the whole river catchment ( $r = 0.22$ ) are, on the contrary, positively correlated to  $p\text{CO}_2$ . It is interesting to note that runoff shows no significant correlation to  $p\text{CO}_2$ , although precipitation and evaporation do.

Many of the environmental variables are highly spatially intercorrelated with one another (Table 2). Thus, a significant correlation between a variable and  $p\text{CO}_2$  does not necessarily imply that this variable is a direct driver of the spatial variation in average  $p\text{CO}_2$ , and the effect might be more indirect (colinearity). The automated stepwise backward algorithm that we used for the multiple linear regression analysis is designed to select a set of robust predictors, the combination of which explains best the variance in the predicted variable ( $\log_{10}(p\text{CO}_2)$  in this case) and which avoids redundant predictor combinations. Based on the analysis, only four of the 19 parameters were retained as predictors: average slope gradient, annual NPP, population density within the river catchment, and mean annual air temperature at the sampling location. The equation combining these four predictors explains about 47% ( $r^2 = 0.47$ ) of the spatial variation in  $\log_{10}(p\text{CO}_2)$  (Table 3). The model residuals show no significant correlation to any of the discarded parameters. The b estimates and the associated standard errors as well as the partial correlations of each retained predictor are listed in Table 3. Slope gradient shows the strongest partial correlation ( $r = -0.53$ ) to  $\log_{10}(p\text{CO}_2)$ , the other predictors showing all a positive partial correlation to  $\log_{10}(p\text{CO}_2)$  with an  $r$  of about 0.3. The coefficients attributed to the predictors (b estimates) can be interpreted in the following way: if two points in different river networks have identical predictor values, the regression equation predicts the same average  $p\text{CO}_2$  for both. If for one of the two points the population density in the catchment is higher by 10 inhabitants per  $\text{km}^2$ , the predicted  $p\text{CO}_2$  will be 7.1% higher than that for the other point, all other predictors being equal. Since in this case the predictor is the square root of population density, a positive difference of 100 inhabitants per  $\text{km}^2$  would only yield an increase of



**Figure 2.** Predicted maps of (a)  $p\text{CO}_2$ , (b)  $A_{\text{river}}$  and (c)  $\text{FCO}_2$ .

24.0% in predicted  $p\text{CO}_2$ . A positive difference in average NPP per catchment of  $100 \text{ g C m}^{-2} \text{yr}^{-1}$  or in mean air temperature of  $2^\circ\text{C}$  would translate into a predicted average  $p\text{CO}_2$  that is 6.6% or 6.4% higher, respectively. The influence of average catchment slope gradient on  $p\text{CO}_2$  is a bit more complicated to assess quantitatively, as this predictor is log transformed. For instance, an increase in average catchment slope



**Figure 3.** Latitudinal profiles of  $p\text{CO}_2$ ,  $\text{FCO}_2$  per  $A_{\text{river,eff}}$ ,  $A_{\text{river}}$ , and total  $\text{FCO}_2$ . Values refer to  $1^\circ$  latitudinal bands. Thick lines represent the average estimates. Horizontal lines represent uncertainty range between the 5th and 95th percentiles, except for  $A_{\text{river}}$  where it represents the difference between values obtained from equations (4) and (5). The grey line in the plot for  $A_{\text{river}}$  represents the effective stream surface area  $A_{\text{river,eff}}$ .

gradient from  $1^\circ$  to  $2^\circ$  would result in a decrease in estimated  $p\text{CO}_2$  of 18% while an increase from  $5^\circ$  to  $6^\circ$  would only lead to a decrease in estimated  $p\text{CO}_2$  of 3%. Thus, by far, the most sensitive predictor is the catchment slope gradient, especially when the terrain is smooth. The larger sensitivity of  $p\text{CO}_2$  to changes in gradient when the slope is small explains why very flat areas are generally characterized by high predicted  $p\text{CO}_2$  values (see section 3.2).

### 3.2. Spatial Patterns of $p\text{CO}_2$ , $A_{\text{river}}$ and $\text{FCO}_2$

The  $0.5^\circ$  map of  $p\text{CO}_2$  (Figure 2a) shows increasing values from high to low latitudes, a global-scale spatial pattern that was already identified in previous studies [Aufdenkampe et al., 2011; Raymond et al., 2013] but without the high spatial resolution of this study. Most streams and rivers located between  $30^\circ\text{N}$  and  $30^\circ\text{S}$  exhibit a  $p\text{CO}_2 > 2000 \mu\text{atm}$ , with the exception of arid regions such as North Africa, the Arabic peninsula and central Australia, and the Western portion of the American continents. Predicted river  $p\text{CO}_2$  values are generally higher in lowland areas than in steep mountain areas, in line with results from earlier regional scale studies [Telmer and Veizer, 1999; Lauerwald et al., 2013]. Inland waters flowing through densely populated areas along the southern and eastern coasts of the U.S., the eastern coast of China, and the North Sea region, display  $p\text{CO}_2$  values above  $2000 \mu\text{atm}$  in spite of their relatively high latitudes and render the global spatial pattern more complex. The spatial distribution of river surface area  $A_{\text{river}}$  (Figure 2b) also reveals a well-established latitudinal gradient. Some of the largest rivers in the world, in particular, the Amazon, the Mississippi, the Congo, and the Ganges Rivers are clearly identifiable on the map by high  $A_{\text{river}}$  and  $\text{FCO}_2$  values. The spatial distribution of  $\text{FCO}_2$  per unit continental surface area further evidences the disproportionate contribution of equatorial and subtropical regions to the global riverine outgassing (Figure 2c). Most of the Amazon River basin, but also parts of the Congo River basin and SE Asia, outgas  $\text{CO}_2$  at rates  $> 10 \text{ g C m}^{-2} \text{ yr}^{-1}$  (per total surface area, including the terrestrial domain).

The aggregation of our estimates per latitudinal bands of  $1^\circ$  shows that the average latitudinal  $p\text{CO}_2$  varies by about 1 order of magnitude, with values ranging from below  $600 \mu\text{atm}$  in high latitudes ( $> 75^\circ\text{N}$ ) to more than  $4000 \mu\text{atm}$  in low latitudes (between  $1^\circ\text{N}$  and  $3^\circ\text{S}$ , Figure 3). The spatial gradient of  $p\text{CO}_2$  with latitude is not constant and  $p\text{CO}_2$  remains below  $2000 \mu\text{atm}$  north of  $30^\circ\text{N}$  and south of  $40^\circ\text{S}$ . The global average river  $p\text{CO}_2$

**Table 4.** Comparison of Results to Previous Studies<sup>a</sup>

$p\text{CO}_2$ ( $\mu\text{atm}$ )	$\text{FCO}_2$ ( $\text{Tg C yr}^{-1}$ )	$\text{FCO}_2$ ( $\text{g C m}^{-2} \text{yr}^{-1}$ )	$k$ ( $\text{m d}^{-1}$ )	$A_{\text{river}}$ ( $10^9 \text{ m}^2$ )	Reference
<i>Global</i>					
2400 (2019–2826)	650 (483–846)	1574 (1238–1955)	5.60–6.21	699–832	This study
3100 <sup>b</sup>	230 1800 $\pm$ 250 560			310–510	Cole et al. [2007] Raymond et al. [2013] Aufdenkampe et al. [2011]
<i>Global, Streams and Small Rivers</i>					
2471 (2083–2906)	316 (214–438) 300	2004 (1558–2513)	6.61–8.64	142–255	This study
				90–150	Aufdenkampe et al. [2011]
<i>Global, Large Rivers</i>					
2299 (1933–2708)	334 (261–419) 260	1075 (842–1344)	3.49–4.41	407–417	This study
				220–360	Aufdenkampe et al. [2011]
<i>Boreal-Arctic Zone (&gt;50°), Streams and Small Rivers</i>					
1152 (1039–1274)	14.4 (9.73–19.9)	543 (434–663)	4.00–5.26	34.9–64.1	This study
1300	20	560	3.1	3–54	Aufdenkampe et al. [2011]
<i>Boreal-Arctic Zone (&gt;50°), Large Rivers</i>					
984 (888–1086)	14.0 (11.4–16.8)	305 (251–364)	2.25–2.63	116–117	This study
1300	20	260	1.4	7–131	Aufdenkampe et al. [2011]
<i>Temperate Zone (25°–50°), Streams and Small Rivers</i>					
1552 (1349–1772)	63.3 (42.7–88.2)	1351 (1042–1701)	7.58–10.2	39.5–71.2	This study
3500	80	2630	4.8	29–34	Aufdenkampe et al. [2011]
<i>Temperate Zone (25°–50°), Large Rivers</i>					
1368 (1190–1562)	48.7 (37.3–61.7)	648 (526–862)	3.95–5.32	82.2–84.8	This study
3200	50	720	1.44	70–84	Aufdenkampe et al. [2011]
<i>Tropical Zone (&lt;25°), Streams and Small Rivers</i>					
3402 (2822–4054)	238 (162–330)	2829 (2201–3551)	6.90–8.86	68.0–120	This study
4300	160	2720	4.1	60–60	Aufdenkampe et al. [2011]
3353 $\pm$ 2168		2065 $\pm$ 1285			Alin et al. [2011]
<i>Tropical Zone (&lt;25°), Large Rivers</i>					
2974 (2471–3540)	271 (212–340)	1403 (1099–1752)	3.53–4.36	210–215	This study
3600	230	1600	3	146–146	Aufdenkampe et al. [2011]
3317 $\pm$ 3089		1478 $\pm$ 1289			Alin et al. [2011]
<i>Yukon River System</i>					
641 (582–705)	0.59 (0.42–0.77)	193 (139–254)	3.67–4.18	7.78–8.56	This study
619–2690	7.68	750	3.1 (main) 5.2 (trib)	10.3	Striegl et al. [2012]
<i>Mississippi River System</i>					
1708 (1484–1918)	9.14 (7.18–11.3)	758 (632–897)	2.96–3.20	13.1–16.3	This study
1335 $\pm$ 129	13	1182 $\pm$ 390		8.5	Dubois et al. [2010]
<i>Central Amazon Basin, Quadrant 0°N, 72°W to 8°S, 54°W</i>					
4453 (3666–5338)	83.7 (65.3–105) 290 (232–355)	2035 (1629–2491)	3.40–3.47	47.1–50.8	This study, w. GLWD
				143	This study, using avg. inundation area from Prigent et al. [2007]
4350 $\pm$ 1900 <sup>c</sup> 5000 $\pm$ 3300 <sup>e</sup>	210 $\pm$ 60	830 $\pm$ 240		79–290 <sup>d</sup>	Richey et al. [2002]

**Table 4.** (continued)

$p\text{CO}_2$ ( $\mu\text{atm}$ )	$\text{FCO}_2$ ( $\text{Tg C yr}^{-1}$ )	$\text{FCO}_2$ ( $\text{g C m}^{-2} \text{yr}^{-1}$ )	$k$ ( $\text{m d}^{-1}$ )	$A_{\text{river}}$ ( $10^9 \text{ m}^2$ )	Reference
	$360 \pm 65$	$1880 \pm 340$			Rasera et al. [2013]
		<i>Ji-Parana River Basin</i>			
3195 (2698–3751)	1.00 (0.76–1.28) $0.31 \pm 0.19$	1849 (1498–2246)	3.38–4.74	0.53–0.69	This study
				$0.31\text{--}0.37^f$	Rasera et al. [2008]
		<i>Ji-Parana River Basin, Small Streams and River</i>			
3431 (2894–4030)	0.55 (0.38–0.74)	2215 (1789–2696) $2079 \pm 1197$	4.36–5.27	0.18–0.31	This study
				$0.15\text{--}0.19^f$	Rasera et al. [2008]
		<i>Amazon Basin, Stream and Small Rivers</i>			
	51 (35.4–69.7) $170 \pm 42$			13.1–22.7	This study
				$300 \pm 50$	Rasera et al. [2008]
		<i>Amazon River System</i>			
3929 (3228–4726)	159 (123–201) 476 (383–590)	1946 (1567–2412)	4.23–4.27	92.6–103	This study
				244	This study, using average inundation area from Prigent et al. [2007]
	470 800				Richey et al. [2002] Rasera et al. [2013]
		<i>Sweden</i>			
995 (900–1097) 1,349	0.37 (0.27–0.49) 0.85	459 (374–553) $473\text{--}3032^g$	3.33–3.96 6–15	0.98–1.49 0.5	This study Humborg et al. [2010]
		<i>Conterminous USA</i>			
1690 (1484–1918)	18.6 (14.2–23.7) 96.8	831 (681–999) $2370 \pm 800$		24.9–32.1 40.6	This study Butman and Raymond [2011]

<sup>a</sup>Streams and small rivers are defined by stream width smaller than 60–100 m for the values of Aufdenkampe et al. [2011], by a stream width smaller than 100 m by Alin et al. [2011] and Rasera et al. [2008], and by an annual discharge  $Q_{\text{ann}} < 100 \text{ m}^3 \text{s}^{-1}$  in our study (which gives a stream width of 67–91 m according to the equation by Raymond et al. [2013] and Raymond et al. [2012], respectively).  $\text{FCO}_2$  in  $\text{g C m}^{-2} \text{yr}^{-1}$  refers to effective stream surface area  $A_{\text{river,eff}}$ . With the exception of Striegl et al. [2012], all literature values of  $k$  refer to  $k_{600}$  (i.e., normalized to 20°C water temperature).

<sup>b</sup>Based on spatial interpolation and normalized by stream surface area.

<sup>c</sup>Refers to Amazon main stem in the central Amazonian Basin.

<sup>d</sup>Area of the main stem and tributaries including their floodplains; the given range is the seasonal change in surface water area.

<sup>e</sup>Refers to the mouth of the major tributaries of the Amazon river.

<sup>f</sup>Lower values represent mean estimate for low water stages, higher values the mean estimate for high water stages.

<sup>g</sup>Highest value for stream order 1 and lowest value for stream order 6.

is  $2400 \mu\text{atm}$ , with a 2019–2826  $\mu\text{atm}$  uncertainty range based on the 5th and 95th quantiles.  $\text{FCO}_2$  per unit surface water area shows a latitudinal trend similar to that of  $p\text{CO}_2$ , with average values  $< 500 \text{ g C m}^{-2} \text{yr}^{-1}$  above  $55^\circ\text{N}$ , and  $> 2000 \text{ g C m}^{-2} \text{yr}^{-1}$  below  $10^\circ$  (Figure 3). The latitudinal distribution of the stream surface area  $A_{\text{river}}$  allows to identify a narrow maximum ( $> 16,000 \text{ km}^2$  per  $1^\circ$ ) around the equator corresponding to the Amazon and Congo river main stems (Figures 2 and 3). A second maximum of  $A_{\text{river}}$  occurs in the high northern latitudes ( $> 50^\circ\text{N}$ ). Due to the increased importance of cold seasons,  $A_{\text{river,eff}}$  is nevertheless rather monotonously distributed over the Northern middle to high latitudes. The relatively low values around  $15^\circ\text{N}$  originate from the abundance of arid areas (e.g., Sahara) in these regions. Overall, of an estimated global average  $A_{\text{river}}$  comprised between  $699\text{--}832 \times 10^3 \text{ km}^2$  (based on equations (4) and (5), respectively), the  $10^\circ\text{N}\text{--}10^\circ\text{S}$  latitudinal band contributes about one fourth ( $181\text{--}211 \times 10^3 \text{ km}^2$ ).

Globally, the total  $\text{FCO}_2$  is estimated at  $650 \text{ Tg C yr}^{-1}$ , with an uncertainty range of 483 to  $846 \text{ Tg C yr}^{-1}$  (5th and 95th percentiles from the 10,000 Monte Carlo simulations). The spatial pattern of  $\text{FCO}_2$  is a logical product of the distribution of  $A_{\text{river}}$  and  $\text{FCO}_2$  per unit stream surface area, leading to an even more pronounced latitudinal gradient (Figure 3). The zonal band comprised between  $10^\circ\text{N}$  and  $10^\circ\text{S}$  exhibits a total  $\text{FCO}_2$  of



371 (279–479)  $\text{Tg C yr}^{-1}$  and thus contributes more than half of the global  $\text{CO}_2$  evasion flux. A smaller, secondary peak that corresponds to the contribution of the Ganges and several Chinese rivers is observed between  $25^\circ\text{N}$  and  $30^\circ\text{N}$ . For latitudes higher than  $50^\circ$ , we estimate a total  $\text{FCO}_2$  of only 28.4 (21.4–36.3)  $\text{Tg C yr}^{-1}$ , less than 5% of the global  $\text{CO}_2$  evasion.

$A_{\text{river}}$  of streams and small rivers with  $Q_{\text{ann}} < 100 \text{ m}^3 \text{ s}^{-1}$  calculated with equation (5) or (4), contribute 20% or 31% of the total surface area (Table 4), respectively. The gas exchange velocity  $k_{\text{actual}}$ , which averages to  $6.61\text{--}8.64 \text{ m d}^{-1}$  in streams and rivers with  $Q_{\text{ann}} < 100 \text{ m}^3 \text{ s}^{-1}$  and  $4.41\text{--}3.49 \text{ m d}^{-1}$  in rivers with higher  $Q_{\text{ann}}$ , favors a more intense outgassing from smaller streams and rivers. The estimated average  $\text{CO}_2$  evasion rate per stream surface area for this class of rivers is 2004 (1558–2513)  $\text{g C m}^{-2} \text{ yr}^{-1}$ , a value which is nearly twice that estimated for rivers with  $Q_{\text{ann}} > 100 \text{ m}^3 \text{ s}^{-1}$ , 1075 (842–1344)  $\text{g C m}^{-2} \text{ yr}^{-1}$ . Thus, despite their relatively low contribution to  $A_{\text{river}}$ , small stream and rivers contribute about half of the global  $\text{FCO}_2$  calculated here.

## 4. Discussion

### 4.1. Comparison to Previous Studies

Our estimated global  $\text{FCO}_2$  of 650 (483–846)  $\text{Tg C yr}^{-1}$  is significantly higher than that of 270  $\text{Tg C yr}^{-1}$  by *Cole et al.* [2007], slightly, but not significantly higher than that of 560  $\text{Tg C yr}^{-1}$  by *Aufdenkampe et al.* [2011] but nearly three times lower than the most recent estimate of 1800  $\text{Tg C yr}^{-1}$  by *Raymond et al.* [2013] (Table 4). The estimate by *Cole et al.* [2007] only refers to large rivers, and taking into account that streams and small rivers are also an important net source of  $\text{CO}_2$  to the atmosphere (Table 4), it is not surprising that our global outgassing is significantly higher. Note that all global estimates, including the present study, ignore the first-order streams. *Raymond et al.* [2013] attempted a very first quantification by extrapolating their results for  $A_{\text{river}}$  and  $k$  in stream orders 3 to 5 to stream order 1. However, such approach does not account for increased  $p\text{CO}_2$  in first-order streams fueled by inputs of fresh soil/ground water. The contribution of headwaters to the global fluvial  $\text{FCO}_2$  is thus not yet constrained.

The  $\text{FCO}_2$  per latitudinal zone are quite similar to those reported by *Aufdenkampe et al.* [2011] (Table 4), with the exception of  $\text{FCO}_2$  from tropical streams and smaller rivers which is significantly higher here (238 (162–330)  $\text{Tg C yr}^{-1}$  versus 160  $\text{Tg C yr}^{-1}$ ). Our global spatial pattern of river  $p\text{CO}_2$  and  $\text{FCO}_2$  is also in qualitative agreement with the one reported in *Raymond et al.* [2013]. Our global quantification of  $\text{FCO}_2$  is lower mainly due to more conservative estimates of river  $p\text{CO}_2$ , particularly in the tropics. While the highest  $p\text{CO}_2$  averaged over an entire COSCAT is estimated here at 3823 (3163–4564)  $\mu\text{atm}$  (COSCAT #1104, Amazon Basin), the maximum median  $p\text{CO}_2$  value per COSCAT reaches 11,772  $\mu\text{atm}$  in *Raymond et al.* [2013].

Due to methodological limitations and the coarse resolution of the DEMs used, our analysis likely misses up to two stream orders [Benstead and Leigh, 2012]. Ten stream orders are accounted for in our study, while *Downing et al.* [2012] accounted for 12 stream orders in their analysis. This supports the idea of a river  $p\text{CO}_2$  and  $\text{FCO}_2$  estimation for stream orders 3 and higher only, which excludes smaller headwater streams. Applying scaling laws on the total stream length and average stream width (see supporting information), we estimate  $A_{\text{river}}$  for the lowest two stream orders at  $\sim 40 \times 10^3 \text{ km}^2$  each. Together, they would thus contribute to about 10% of the global  $A_{\text{river}}$  estimated here, a proportion quite close to that estimated by *Downing et al.* [2012] (11%). The contribution of stream orders 1 and 2 to  $\text{FCO}_2$  is, however, likely higher because of their high  $\text{CO}_2$  supersaturation and high gas exchange velocities. For headwater streams in tropical uplands, for instance, average  $p\text{CO}_2$  values as high as 19,000  $\mu\text{atm}$  [Davidson et al., 2010] and even 50,000  $\mu\text{atm}$  [Johnson et al., 2008] have been reported. The major part of this  $\text{CO}_2$  already evades within the first-order streams [Johnson et al., 2008]. A similar behavior has been observed in small, peat-covered catchments in Scotland [Dawson et al., 2001; Dinsmore et al., 2013] and the subarctic [Denfeld et al., 2013; Lundin et al., 2013]. The high  $\text{CO}_2$  oversaturation from headwaters is mainly fed by soil and plant root respiration which evade not far downstream from their source [Davidson et al., 2010]. Farther downstream, fresh soil water inputs are less important, and  $\text{CO}_2$  oversaturation is mainly maintained by instream respiration of organic matter [Park et al., 1969; Kempe, 1984; Ward et al., 2013]. Riverine wetlands can also be important sources of labile organic carbon and direct  $\text{CO}_2$  inputs from autotrophic respiration sustained by submerged parts of floodplain vegetation, particularly in tropical lowland rivers [Richey et al., 2002; Mayorga et al., 2005; Abril et al., 2014].



Existing regional and global estimates do not always address all compartments of the inland water network, and the distinction between semiaquatic and aquatic systems is rarely performed in a systematic way. In addition, major differences in methodological approaches make direct comparison between estimates difficult. For the tropics, the Amazonian Basin is the best surveyed area and several published studies are available for comparison. For the basin of the Ji-Parana River, a tributary of the Rio Madeira in SW Amazonia without major influence of floodplains, *Rasera et al.* [2008] investigated aquatic CO<sub>2</sub> evasion, with a focus on small rivers with widths < 100 m, yet which excludes contributions from headwater streams (Table 4). While our estimate of CO<sub>2</sub> evasion rate per surface water area of these small rivers is quite similar to their values, our estimate of  $A_{\text{river}}$  is about 50% higher.

For the Central Amazon basin, defined by the quadrant between 0°N, 72°W and 8°S, 54°W, the hydrology and river biogeochemistry are strongly influenced by floodplain dynamics [*Hess et al.*, 2003; *Melack et al.*, 2009]. The total CO<sub>2</sub> evasion increases with flooded area and is highest in May when about 20% of the quadrant is flooded [*Richey et al.*, 2002]. Our average estimate of riverine  $p\text{CO}_2$  of 4453 (3666–5338)  $\mu\text{atm}$  for this area matches closely the  $4350 \pm 1900$   $\mu\text{atm}$  reported by *Richey et al.* [2002], and the average CO<sub>2</sub> evasion rates per surface water area reported here are not significantly different from that of *Rasera et al.* [2013]. In our calculation, however, floodplains are not included in  $A_{\text{river}}$  and thus our total  $\text{FCO}_2$  for this quadrant is substantially lower than those from the literature which include floodplains (Table 4). If we use the average flooded area from the data set of *Prigent et al.* [2007] ( $143 \times 10^3$  km<sup>2</sup>) to account for the total surface area of rivers and floodplains and multiply it by our estimated average CO<sub>2</sub> evasion rates (per surface area), we obtain an  $\text{FCO}_2$  of 290 (232–355) Tg C yr<sup>−1</sup> which falls between the  $210 \pm 60$  Tg C yr<sup>−1</sup> by *Richey et al.* [2002] and the  $360 \pm 65$  Tg C yr<sup>−1</sup> by *Rasera et al.* [2013]. For the tropical zone (<25°) in general, our estimated averages of river  $p\text{CO}_2$  and CO<sub>2</sub> evasion rates per surface area are not significantly different from those reported by *Alin et al.* [2011]. Although our study focuses on the river network only and ignores the contribution of floodplains to the total water-air gas exchange, our estimates are quite well in accordance with other regional studies. Extrapolating their results to the whole Amazon Basin, *Richey et al.* [2002] estimate the  $\text{FCO}_2$  to 470 Tg C yr<sup>−1</sup> and *Rasera et al.* [2013] to 800 Tg C yr<sup>−1</sup>, from which a considerable part is attributed to the evasion from floodplains. For streams and rivers excluding floodplains we estimate the  $\text{FCO}_2$  to 159 (123–201) Tg C yr<sup>−1</sup>. According to *Johnson et al.* [2008],  $\text{FCO}_2$  from upland first-order streams ignored in our calculation could add another  $114 \pm 10$  Tg C yr<sup>−1</sup>.

Our estimate of average  $p\text{CO}_2$  in Swedish rivers is about 40% lower than that reported by *Humborg et al.* [2010]. At first glance, this may appear surprising since the database for Swedish rivers was included in the training data for our statistics. However, only a subset was used, because it was not possible to extract the catchment properties corresponding to all sampling locations with the required quality. This mainly applies to the small catchments corresponding to headwater streams, which could not be resolved in a suitable way at the spatial resolution of the routing schemes, and the flat areas where the low gradients in altitude prevented accurate reconstruction of the watershed boundaries. Taking into account that both flat areas (see section 3.1) and small headwater streams tend to show comparatively high  $p\text{CO}_2$  [*Humborg et al.*, 2010; *Wallin et al.*, 2013], the difficulty to delineate small and very flat river catchments might have introduced a bias in our training data for  $p\text{CO}_2$ . Likely for similar reasons, our average estimate of  $p\text{CO}_2$  for the Yukon River basin is at the lower end of the observed values reported by *Striegl et al.* [2012]. In addition, our comparatively low estimates of  $\text{FCO}_2$  can also result from the likely omission of the first two stream orders, which are better accounted for in regional studies. The estimate of *Humborg et al.* [2010] extrapolated to the total land surface area of Sweden would translate into an  $\text{FCO}_2$  of around 2 g C m<sup>2</sup> yr<sup>−1</sup>, about twice our estimate. The area specific  $\text{FCO}_2$  for the Yukon is estimated at 9 g C m<sup>−2</sup> yr<sup>−1</sup> [*Striegl et al.*, 2012], which is close to 10 times higher than our estimate. Similar area specific  $\text{FCO}_2$  (5–9 g C m<sup>−2</sup> yr<sup>−1</sup>) were reported for a 15 km<sup>2</sup> subarctic headwater catchment in Northern Sweden [*Lundin et al.*, 2013] and for a 67 km<sup>2</sup> boreal catchment in Sweden [*Wallin et al.*, 2013]. Again, these high values could reflect the significant contribution of the smallest streams which we miss in our study. In particular, high  $\text{FCO}_2$  rates were reported for headwater catchments where wetlands are abundant. For instance, two small Scottish upland catchments (<5 km<sup>2</sup>) with peat cover exhibit  $\text{FCO}_2$  values as high as 10–14.1 g C m<sup>−2</sup> yr<sup>−1</sup> [*Hope et al.*, 2001; *Dinsmore et al.*, 2013]. Peatlands are, however, environments with particularly high CO<sub>2</sub> evasion from headwater streams [*Worrall et al.*, 2009; *Rawlins et al.*, 2014]. Over the entire area of England

and Wales, *Rawlins et al.* [2014] estimate the  $\text{CO}_2$  evasion from headwater streams at  $0.44 \text{ g C m}^{-2} \text{ yr}^{-1}$  only, i.e., more than 1 order of magnitude lower than the values reported for the two peat-covered catchments in Scotland. Compared to our  $\text{FCO}_2$  estimates (stream order 3 and higher) of  $1\text{--}5 \text{ g C m}^{-2} \text{ yr}^{-1}$  for the British Islands (Figure 2), this would still represent a significant contribution of smallest streams to the  $\text{FCO}_2$  from the river network missed by our approach. Areas with extensive peat cover, particularly in permafrost regions, could nevertheless contribute to high  $\text{FCO}_2$  over significant portions of the land in high latitudes. In our statistical model, the effects of peatlands and permafrost are not represented, which might be another reason for underestimating  $p\text{CO}_2$  and, thus,  $\text{FCO}_2$  in the Yukon River basin.

In temperate North America, we can compare our results to two regional studies. *Dubois et al.* [2010] used stable carbon and oxygen isotopes to assess carbon cycling in the Mississippi river and the resulting  $\text{CO}_2$  evasion rate per unit water surface area is about 50% higher than the value reported here, albeit our average river  $p\text{CO}_2$  is larger (Table 4). Overall, our estimates of  $A_{\text{river}}$  and  $\text{FCO}_2$  are  $73 \pm 19\%$  higher and  $30 \pm 16\%$  lower, respectively. Compared to the study by *Butman and Raymond* [2011] for the conterminous U.S., our estimated average  $\text{CO}_2$  evasion rate per unit water surface area is 65% lower while the value of  $A_{\text{river}}$  is  $32 \pm 7\%$  lower (Table 4). The average  $p\text{CO}_2$  per stream order ranges from about  $3000 \mu\text{atm}$  for first-order streams to about  $2000 \mu\text{atm}$  for stream order 9, while our overall average estimate of  $p\text{CO}_2$  is lower with  $1690$  ( $1484\text{--}1918$ )  $\mu\text{atm}$ . As in our study, the U.S. is quite well covered with training catchments ( $N=498$ ), it can be assumed that our prediction function does not show a specific bias for that area. The arithmetic mean of our calculated  $p\text{CO}_2$  per sampling location for the U.S. ( $1807 \pm 1599$ ) is indeed not significantly different from our spatially explicit estimate. The different estimates of  $p\text{CO}_2$  and  $\text{FCO}_2$  are thus partly due to differences in provenance and treatment of river chemistry data.

## 4.2. Upscaling and Methodological Limitations

### 4.2.1. Upscaling Techniques

Regionalized estimates of  $\text{FCO}_2$  require an a priori delineation of regions for which representative values of  $A_{\text{river}}$ ,  $k$ , and  $p\text{CO}_2$  can be obtained. *Aufdenkampe et al.* [2011] established estimates for three latitudinal zones distinguishing the contribution of streams and smaller rivers (up to 60 to 100 m wide) on the one hand and larger rivers on the other hand. *Raymond et al.* [2013] went a step farther and used 231 COSCAT segments to regionalize their global estimate. These COSCAT regions comprise multiple river basins and were originally designed to quantify land to ocean matter fluxes [*Meybeck et al.*, 2006; *Laruelle et al.*, 2013] rather than the vertical exchange of  $\text{CO}_2$  between inland water bodies and the atmosphere. Average values of  $A_{\text{river}}$  and  $k$  per stream order within each COSCAT were estimated, while only one average  $p\text{CO}_2$  value for the whole river network belonging to a particular COSCAT segment was calculated. In their study focusing on the inland waters of Sweden, *Humborg et al.* [2010] constructed a stream network from a DEM and estimated averages of stream width  $B$ ,  $k$ , and  $p\text{CO}_2$  per stream order to calculate  $\text{FCO}_2$ . Here instead of regionalized lumped estimates, we developed an empirical prediction framework that allows for the first time estimates of  $A_{\text{river}}$ ,  $k$ ,  $p\text{CO}_2$ , and  $\text{FCO}_2$  along a grid at a  $0.5^\circ$  resolution. This approach does not only provide values for individual river system but resolves also the variations along a given river system. In particular, instead of using regionalized averages and a segmentation of the river network into stream orders for the calculation of  $p\text{CO}_2$ , we first analyzed the correlations between environmental variables and the average  $p\text{CO}_2$  per sampling location and derived a statistical model which we then used to predict a continuous, spatial representation.

It is, however, important to note that the heterogeneous spatial coverage of the training data may induce biases in our calculations. The statistical model can be used to extrapolate estimates of  $p\text{CO}_2$  and  $\text{FCO}_2$  from areas with good data coverage to areas with coarse data coverage if they are similar with regard to the identified environmental drivers. Although the broad variety of climatic zones is covered in our analysis, the tropical zone and the high latitudes are underrepresented in the training data set, while the more populated areas in North America, Europe, and Australia contribute disproportionately to the data. For the Amazon, our estimates are in good agreement with observed values from the literature. In the future, new regional studies will show if our estimates are also valid for tropical Africa and Asia. Our empirical model tends to underestimate  $p\text{CO}_2$  and  $\text{FCO}_2$  from boreal rivers reported in several regional studies. Our  $p\text{CO}_2$  estimates are nevertheless coarsely in agreement with the average  $p\text{CO}_2$  calculated at each sampling location in these areas (supporting information, Figure S3), and this might indicate that the sampling

locations retained for our statistical analysis are not sufficiently representative of these regions, partly due to the difficulty to derive catchment boundaries based on a DEM in flat areas.

Much alike other regional and global-scale studies [Humborg *et al.*, 2010; Butman and Raymond, 2011; Lauerwald *et al.*, 2013; Raymond *et al.*, 2013; Laruelle *et al.*, 2015], we calculated  $p\text{CO}_2$  from alkalinity, pH, and water temperature, which is associated to considerable uncertainties. A difference in pH of 0.1 units leads to a change in  $p\text{CO}_2$  of about 20% [Lauerwald *et al.*, 2013]. By first calculating monthly median values from at least three single values, we attempted to minimize the errors introduced by the  $p\text{CO}_2$  calculation method. Furthermore, all samples with a pH lower than 5.4 were discarded, because for such low pH values calculation of  $p\text{CO}_2$  becomes too uncertain [Raymond *et al.*, 2013], mainly because of noncarbonate contribution to titrable alkalinity [Hunt *et al.*, 2011]. The exclusion of low-pH rivers might have introduced some bias, because those conditions are typical of, e.g., black water rivers draining ombrotrophic wetlands. According to Wallin *et al.* [2014], the difficulty to calculate  $p\text{CO}_2$  for rivers with very low alkalinity affects particularly boreal headwater streams. These water bodies can be an important source of  $\text{CO}_2$  to the atmosphere and could be overlooked in our study or in Raymond *et al.* [2013]. This potential bias may also affect the representativeness of our training data, and our  $p\text{CO}_2$  estimates could thus be too low in boreal regions. Due to the underrepresentation of such specific environments in the training data set, it is likely that potentially important drivers of river  $p\text{CO}_2$ , e.g., flat areas in high latitudes (peatlands) and low-pH blackwater streams, have been missed in our statistical analysis (see section 4.2.2). To overcome these limitations, more systematic, direct observations of river  $p\text{CO}_2$  and better-suited hydrological routing schemes for high-latitude systems will be needed.

#### 4.2.2. Selection of Predictors

As a result of the resolution of the hydrological routing schemes, our  $p\text{CO}_2$  prediction model misses the first two stream orders and the smallest headwater catchments are not represented in our database (95% of the 1182 training catchments are larger than  $48 \text{ km}^2$ ). Because Hydro1k is coarser and of lower quality than Hydrosheds, a precise delineation of watersheds is harder to achieve at high latitudes, in particular, for small catchments and in flat areas. Thus, the bias introduced by omitting small catchments might be the strongest in boreal to arctic latitudes and likely contributes to the underestimation of  $p\text{CO}_2$  in these areas.

If we assume that most of the downstream decrease in  $p\text{CO}_2$  occurs over the first two stream orders, as suggested in the literature (see preceding section), the lack of headwater catchments in our training data might explain why the correlation between catchment size and river  $p\text{CO}_2$  ( $r = -0.06$ ) is so low. In their study on North American rivers using a similar method, Lauerwald *et al.* [2013] also found no effects of catchment size on  $p\text{CO}_2$  or on the relationship between  $p\text{CO}_2$  and other environmental variables. Nevertheless, we estimate on average higher  $p\text{CO}_2$  values for stream and smaller rivers ( $Q_{\text{ann}} < 100 \text{ m}^3 \text{ s}^{-1}$ ) than for larger rivers (Table 4).

Within larger rivers,  $p\text{CO}_2$  does not necessarily decrease downstream, for instance, because fresh inputs of  $\text{CO}_2$  and labile organic carbon from floodplains maintain high levels throughout [Mayorga *et al.*, 2005; Wang *et al.*, 2013; Abril *et al.*, 2014]. The low positive correlation between percentage of inundated area and  $p\text{CO}_2$  ( $r = 0.25$ ) is consistent with this finding. Yet it was not retained as predictor because this parameter shows a strong intercorrelation with the average slope gradient within the catchment, the most sensitive predictor for the river  $p\text{CO}_2$ . Average catchment slope gradient was already identified as the main predictor for fluvial dissolved organic carbon exports, while areal proportion of wetlands was of lower importance to describe spatial variations [Lauerwald *et al.*, 2012]. A larger number of observed  $p\text{CO}_2$  covering interconnected fluvial-wetland systems in low- and high-latitude regions might help better constrain the effects of wetlands on  $p\text{CO}_2$  in the future.

Downstream increases in  $p\text{CO}_2$  can also occur when rivers flow through more densely populated areas where anthropogenic point sources of labile organic carbon feed instream respiration [Kempe, 1984; Garcia-Estevés *et al.*, 2007; Vanderborght *et al.*, 2007]. We retained population density within the catchment as predictor, which can be regarded as proxy for anthropogenic inputs of organic C. Those inputs depend, however, on the quality of waste water treatment and on agricultural practices. With the majority of training data being distributed over North America and Europe, the relationship between population density and river  $p\text{CO}_2$  found here is not necessarily valid for Asia and Africa. Taking into account that we removed data from the high-pollution period in Europe, i.e., before 1990 [cf. Amann *et al.*, 2012], we might underestimate river  $p\text{CO}_2$  in populated catchments located in less-developed countries. The only retained predictor directly related to

climate is mean air temperature. It is likely the most important climatic variable, as respiration rates in soil and the water column increase with temperature. The fourth predictor, average NPP, is also strongly correlated with air temperature ( $r=0.45$ ), precipitation ( $r=0.62$ ), and evaporation ( $r=0.61$ ) and is a good measure of the potential C exports to rivers.

#### 4.2.3. Stream Surface Area $A_{\text{river}}$

The estimation of  $A_{\text{river}}$  from stream networks derived from DEMs, as performed here and in other studies [Humborg *et al.*, 2010; Butman and Raymond, 2011; Raymond *et al.*, 2013], is subject to several technical limitations. First, the first two stream orders cannot be properly captured due to the coarse resolution of global DEMs. This problem can partly be overcome by using DEMs with higher resolutions, which are so far only available for regional scale studies [Humborg *et al.*, 2010; Butman and Raymond, 2011]. Second, the networks derived from DEMs do not account for bifurcations in downstream direction. Thus, for large river systems with complex geometries, particularly anastomosing tropical lowland rivers as well as braided rivers in high latitudes,  $A_{\text{river}}$  is underestimated. A direct comparison of average stream width per stream order with those of Downing *et al.* [2012] which do account for bifurcations clearly reveals that our uncorrected results and those of Raymond *et al.* [2013] underestimate the stream width of such rivers (see supporting information). So far, the best practice to assess  $A_{\text{river}}$  in a spatially explicit manner is to use remote sensing (or geodata derived from these products) to calculate the surface area of large rivers and high-resolution DEM to estimate the surface area of smaller headwater streams, as already performed in regional studies [Striegl *et al.*, 2012; Denfeld *et al.*, 2013]. This approach was followed here and we corrected our estimates for the large rivers using the river surface data from GLWD [Lehner and Döll, 2004].

While many rivers with a confined stream channel exhibit widths that do not change much unless very large floods occur, several major river systems, for instance, the central Amazon basin, periodically inundate large floodplains. In the Amazon, a remote-sensing campaign was carried out to assess the seasonal changes in inundated areas [Hess *et al.*, 2003] and various studies on water-air CO<sub>2</sub> exchange have since then profited from this effort [Richey *et al.*, 2002; Rasera *et al.*, 2013; Abril *et al.*, 2014]. In our global study, we did not include the floodplains as an integral part of the river system. The global data set from Prigent *et al.* [2007] is based on spaceborne remote-sensing data that only detect extensive inundated areas and thus tend to underestimate their global significance. Technical progress in this area will certainly facilitate the analysis of carbon and CO<sub>2</sub> floodplain dynamics and its impact on the global river network.

#### 4.2.4. Gas Exchange Velocity $k$

The estimation of the gas exchange velocities represents another considerable source of uncertainty. It is based on empirical equations derived from a restricted number of training sites and specific flow/weather conditions. As a result, different empirical equations have been proposed, which lead to distinct quantitative estimations. For smaller streams, the dominant controlling factors of  $k$  are discharge, stream flow velocity, depth and width of the channel, and stream bed roughness [O'Connor and Dobbins, 1958; Owens *et al.*, 1964; Melching and Flores, 1999; Wallin *et al.*, 2011; Raymond *et al.*, 2012]. For larger rivers,  $k$  may be controlled by stream flow currents and wind effects [Vanderborcht *et al.*, 2002; Borges *et al.*, 2004; Alin *et al.*, 2011], the latter depending on wind speed, length of open water surface in the wind direction, surrounding topography, and vegetation. The empirical equations established in the studies referenced above are generally reduced to a few of these controlling factors, albeit other factors still do have an influence. Therefore, applying these empirical equations to systems that are fundamentally different from the training set can lead to erroneous estimates.

In our study, we used stream channel slope and discharge as ultimate predictors for  $k$  (equations (6)–(8)) [Raymond *et al.*, 2012, 2013]. The prediction equation was derived from 563 direct gas tracer release experiments throughout the U.S. [Raymond *et al.*, 2012]. For the hydraulic equations required to estimate stream width, depth, and velocity from discharge, additional observations from 9811 gauging stations were used [Raymond *et al.*, 2013]. Compared to other empirical equations published in the literature, this is by far the largest training data set and it covers a wide range of discharge and environmental conditions. Raymond *et al.* [2013] calculated the average stream channel slope for the stream orders 2–4 per COSCAT and then used scaling laws to estimate the channel slopes of the other stream orders. Here we calculated the channel slope for each individual stream segment separately. Aggregating our individual estimates to global averages per stream order, we nevertheless obtain results which support the validity of scaling laws for stream orders 2–6. Only for the smallest streams belonging to stream order 1 (which would be a stream order 3, because we miss two stream orders), the channel slope is slightly underestimated (7%, see supporting information).

The estimated  $k$  values derived here are also comparable to observed  $k$  values in the Yukon River system (Table 4). In addition, our  $FCO_2$  rates from tropical rivers across a wide range of sizes are similar to observed average values and our estimates of  $k$  are thus likely reasonable. Some large, low-gradient river systems under strong influence from the wind might reveal higher  $k$  values than calculated here [cf. *Beaulieu et al.*, 2012]. This might explain why our  $FCO_2$  for the Mississippi river system is lower than previously reported [*Dubois et al.*, 2010].

While the predictive equations used here only allow for the calculation of annual averages, gas exchange velocities vary considerably in time as a response to changes in discharge and wind speeds [*Alin et al.*, 2011; *Wallin et al.*, 2011]. Yet  $k$  has also an effect on the temporal variations of  $pCO_2$ . The combination of instantaneous  $pCO_2$  and  $k$  measurements would help to decrease the uncertainty of calculated  $FCO_2$ . This is an important argument for the use of direct observation of  $FCO_2$  rates per stream surface area for upscaling, which will, however, require more systematic field work and the assembly of a global database.

## 5. Conclusion and Outlook

We developed a statistical model which predicts the global spatial patterns in average river water  $pCO_2$  ( $r^2 = 0.47$ ). A total of 1182 training catchments were used for the statistics, and the selected predictors are average slope gradient, mean air temperature, NPP, and population density. A notable correlation between river  $pCO_2$  and precipitation or evaporation was also found, but these climate variables are redundant predictors as they show strong correlations to NPP. The identification of population density as a controlling factor of river  $pCO_2$  indicates a direct anthropogenic effect on greenhouse gas dynamics likely related to point source injection of labile organic carbon. According to various projections [*Friend et al.*, 2014], population density, air temperature, and NPP will increase in most regions of the globe. Since river  $pCO_2$  is positively correlated to these three predictors, an increase in river  $pCO_2$  can be expected in the coming decades.

We calculated a global  $FCO_2$  of 650 (483–846) Tg C yr<sup>-1</sup>. This estimate is likely conservative because our calculations ignore the first two stream orders which are expected to contribute significantly to  $FCO_2$  due to inputs of  $CO_2$  from soil respiration. The  $FCO_2$  from small headwater streams has not yet been constrained at the global scale and remains a research challenge for the years to come. With this study, we went beyond regionalized lumped estimate of global  $FCO_2$  and proposed the first continuous representations of  $pCO_2$  and  $FCO_2$  on a grid at 0.5° resolution. The resulting products are better suited to resolve spatial patterns, because instead of imposing a priori delineations between regions, they directly emerge from the statistically derived environmental drivers that are included in our prediction. The results highlight the importance of tropical rivers in the global picture of  $CO_2$  evasion. Our estimates for the Amazon, which is the best-monitored tropical river basin, compares well with regional studies. For high latitudes, our statistical model tends to underestimate river  $pCO_2$  and thus  $FCO_2$ , partly due to a skewed  $pCO_2$  database which lacks smaller catchments in these areas. A larger set of data with more catchments, particularly of smaller size, could help in identifying additional controlling factors. Although empirical statistical modeling coupled to GIS integration offers promising avenues to fill gaps in spatial coverage, additional observations, in particular, direct observations of  $pCO_2$  and  $FCO_2$  rates in hotspot areas such as Siberia and tropical Africa and Asia are still needed to further improve the present budget. In the future, mechanistic modeling approaches, starting from the upland soils and including riparian wetlands and lakes, will help improve our understanding of the spatial and temporal dynamics of carbon fluxes through the global fluvial network and identify the climatic and anthropogenic drivers of these fluxes [*Regnier et al.*, 2013]. In the long run, combined observational modeling efforts will support future projections of global  $CO_2$  evasion from the river network. In this context, the integration of carbon fluxes through inland waters into Earth System models is needed to improve the carbon budgets of the continents.

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