# High Reynolds flows DDES over a square rounded cylinder using OpenFOAM 

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## The context

- An international collaborative numerical benchmark following (OMAE2013-10200) carried out at moderate $\operatorname{Re}(\operatorname{Re}=22000)$.
- Flow configurations representative of full scale offshore conditions
- Collaboration between M2P2/PPRIME/SEAL engineering (Technip Subsidiary) :
$\rightarrow$ dv of advanced methods for turbulent flows over bluff bodies
$\rightarrow$ choice of implementing some of them in OpenFOAM as an open source flexible code


## The objectives

(1) Evaluate the numerical tool through a demanding exercice: blind tests at $\operatorname{Re}=10^{5}$ and $\operatorname{Re}=10^{7}\left(\operatorname{Re}=\frac{U_{\alpha} L_{D}}{\nu}\right)$
(2) Provide reliable data to describe and understand the physics

## The domain

- A square column of section $D$ located at the the origin in $x, y$
- Rounded corners ( $r / D=0.16$, with $r$ the corner radius)
- The physical domain: $[-5 D, 15 D] \times[-5 D, 5 D] \times[0,10 D]$
- Heading angle $\alpha=45^{\circ} \rightarrow$ renormalization length $L_{D}=1.28167 D$



## The numerics: OpenFOAM

- The native OpenFOAM SA-DDES equations are solved using pimpleFoam (predictor-corrector algo merging PISO \& SIMPLE):
$\rightarrow$ use an adaptative time-step with a local constraint $\max (C o) \leq 1.5$. In average $C o \cong 0.1,0.2$
- A $2^{\text {nd }}$-order implicit backward scheme for the time derivative
- A $2^{\text {nd }}$-order centered scheme for the space derivative
- Except the advection: linear-upwind stabilized transport (LUST) scheme
$\rightarrow$ blends a $2^{\text {nd }}$-order upwind ( $25 \%$ ) with a $2^{\text {nd }}$-order centered scheme ( $75 \%$ ) (compromise between stability and dissipation)
- Computations have been run on 72 cores on AMU computing center over 50000 hours for about 50 sheddings time.


## The numerics: OpenFOAM

Boundary conditions for the DDES simulation

|  | $U$ | $p$ | $\nu_{T}$ |
| :---: | :---: | :---: | :---: |
| Inlet | Fixed $([1,0,0])$ | Zero gradient | Fixed $10^{-5} / 10^{-7}$ |
| Outlet | Zero gradient | Fixed (0) | Zero gradient |
| Normal | Slip | Zero gradient | Zero gradient |
| Spanwise | Periodic | Periodic | Periodic |
| Wall | Fixed $([0,0,0])$ | Zero gradient | Fixed $(0) /$ Spalding law |

For $\nu_{T}$, the first value refers to the simulation for $R e=10^{5}$, the second refers to the simulation for $\operatorname{Re}=10^{7}$.

## The mesh

- An unique block structured mesh has been carefully designed : $27.4 \times 10^{6}$ elements made prevalently by hexahedral elements (compromise between accuracy / numerical cost)



## The Resolution at the column

The resolution at the cylinder surface is uniform:

- Normal direction: $\Delta_{n}=2.13 \times 10^{-4} D$
$\rightarrow \Delta_{n}^{+}=1.2\left(\operatorname{Re}=10^{5}\right)$ to
$98\left(R e=10^{7}\right)$
- Streamwise direction:

$$
\begin{aligned}
& \Delta_{s}=7.36 \times 10^{-3} D \\
& \rightarrow \Delta_{s}^{+}=41.5\left(\operatorname{Re}=10^{5}\right) \text { to } \\
& 3389\left(\operatorname{Re}=10^{7}\right)
\end{aligned}
$$

- Spanwise direction :

$$
\begin{aligned}
& \Delta_{z}=1.04 \times 10^{-2} D \\
& \rightarrow \Delta_{z}^{+}=58.5\left(R e=10^{5}\right) \text { to } \\
& 4777\left(R e=10^{7}\right)
\end{aligned}
$$



## The Resolution at THE COLUMN: $y^{+}$



Instantaneous isocontours: ( $\mathrm{a}, \mathrm{b}$ ) front, $(\mathrm{c}, \mathrm{d})$ back.

## The Resolution at the column: $y^{+}$


$y_{\text {max }}^{+}(t)$ and $<y^{+}(t)>$ average on the surface of the cylinder

## The resolution in the near wake (a priori)

The grid is stretchened when going downstream:
Considering the Kolmogorov scale $\eta=R e^{-3 / 4} \times L_{D}$ for $\operatorname{Re}=10^{5}$ :

- $\Delta_{x}=\Delta_{y}=37.83 \eta, \Delta_{z}=75.64 \eta$ for $x \leq 1.1 L_{D}$
- $\Delta_{x}=\Delta_{y}=75.64 \eta, \Delta_{z}=151.28 \eta$ for $x \leq 2.37 L_{D}$
- $\Delta_{x}=\Delta_{y}=151.28 \eta, \Delta_{z}=302.56 \eta$ for $x \leq 3.91 L_{D}$ for $\operatorname{Re}=10^{7}$ :
- $\Delta_{x}=\Delta_{y}=1196 \eta, \Delta_{z}=2392 \eta$ for $x \leq 1.1 L_{D}$
- $\Delta_{x}=\Delta_{y}=2392 \eta, \Delta_{z}=4784 \eta$ for $x \leq 2.37 L_{D}$
- $\Delta_{x}=\Delta_{y}=4784 \eta, \Delta_{z}=9568 \eta$ for $x \leq 3.91 L_{D}$


## The resolution in the near wake (a priori)

The grid is stretchened when going downstream:
Considering the large scale structure at separation $L_{S}=20 \times R e_{L_{D}}^{-0.5}$ for $R e=10^{5}$ :

- $\Delta_{x}=\Delta_{y}=0.1724 L_{S}, \Delta_{z}=0.3447 L_{S}$ for $x \leq 1.1 L_{D}$
- $\Delta_{x}=\Delta_{y}=0.3447 L_{S}, \Delta_{z}=0.6894 L_{S}$ for $x \leq 2.37 L_{D}$
- $\Delta_{x}=\Delta_{y}=0.6894 L_{S}, \Delta_{z}=1.3789 L_{S}$ for $x \leq 3.91 L_{D}$ for $\operatorname{Re}=10^{7}$ :
- $\Delta_{x}=\Delta_{y}=1.724 L_{S}, \Delta_{z}=3.447 L_{s}$ for $x \leq 1.1 L_{D}$
- $\Delta_{x}=\Delta_{y}=3.447 L_{S}, \Delta_{z}=6.894 L_{S}$ for $x \leq 2.37 L_{D}$
- $\Delta_{x}=\Delta_{y}=6.894 L_{S}, \Delta_{z}=13.79 L_{S}$ for $x \leq 3.91 L_{D}$


## The drag $C_{D}$ and the lift $C_{L}$ coefficients

Observed over at least 10 shedding characteristic time:


$\operatorname{Re}=10^{7}$

## The Strouhal number



St number based on the lift coefficient

## Statistics of the bulk flow main quantities:

 NUM/EXPE|  | $\overline{C_{D}}$ | $C_{D}^{\prime}$ | $\overline{C_{L}}$ | $C_{L}^{\prime}$ | $S t$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\mathbf{R e =} \mathbf{1 0}^{\mathbf{5}}$ |  |  |  |  |  |
| Expe | 1.77 | 0.22 | 0.023 | 0.44 | 0.17 |
| DDES | 1.981 | 0.155 | -0.04 | 0.6 | 0.18 |
| \% diff | $\sim+11$ | $\sim-30$ | $\sim 100$ | $\sim+36$ | $\sim+5$ |
|  |  |  |  |  |  |
|  |  |  |  |  |  |
| $\mathbf{R e}=\mathbf{1 0}^{\mathbf{7}}$ |  |  |  |  |  |
| Expe | 1.59 | 0.16 | -0.002 | 0.43 | 0.19 |
| DDES | 1.495 | 0.175 | -0.009 | 0.576 | 0.172 |
| \% diff | $\sim-6$ | $\sim+11$ | $\sim+450$ | $\sim+33$ | $\sim-9$ |

The convergence error is estimated to be $1-2 \%$ for the averaged quantities and $3 \%$ for the fluctuating quantities, respectively.

## Statistics of THE PRESSURE AND RECIRCULATION LENGTH NUM/EXPE



> Two probes like in experiments at the points (front) $[0.3536 ; 0.3536 ; 5]$ and (back) $[0.3536 ; 0.3536 ; 5]$

- $C_{p}=\left(p-p_{\infty}\right) /\left(0.5 U_{\infty}^{2}\right)$ is calculated using the reference pressure $p_{\infty}$ at the inlet (max or averaged) for $y=0, z=5$.
- The separation angle $\theta_{s}$ is calculated following the direction from the $x$ axis to the $y$ axis.
- The recirculation length $L_{r}$ is normalized over $L_{D}$


## Statistics of the pressure

|  | $\overline{C_{p}}$ (front) | $C_{p}^{\prime}$ (front) | $\overline{C_{p}}$ (back) | $C_{p}^{\prime}$ (back) |
| :---: | :---: | :---: | :---: | :---: |
| Re $=\mathbf{1 0}^{\mathbf{5}}$ <br> Expe | 0.22 |  |  |  |
| DDES | $0.145(0.23)$ | 0.06 | $-1.782(-1.7)$ <br> $\%$ diff <br> $\sim-34(+4.5)$ | 0.33 |
| Re $=10^{7}$ <br> Expe | 0.17 <br> DDES <br> $\%$ diff | $0.065(0.105)$ <br> $\sim-61(-38)$ | 0.07 | $-1.632(-1.592)$ <br> $\sim+7(4.7)$ |

The convergence error is estimated to be $1-2 \%$ for the averaged quantities and $3 \%$ for the fluctuating quantities, respectively.

## Mean flow: Streamwise velocity

- A viscosity dominated flow impinges the upstream cylinder corner
- The recirculation length slighlty decreases when Re increases
- At $R e=10^{5}$ and $R e=10^{7}$, the flow separates slightly upstream and doswnstream the upper corner, respectively



## Instantaneous flow：Q－isocontours at $R e=10^{5}$

－Fine disorganized structures（KH）superimposed around the VK vortex street


## Instantaneous flow：Q－isocontours at $\operatorname{Re}=10^{7}$

－Fine disorganized structures（KH）superimposed around the VK vortex street


## Instantaneous flow

- 3D flow
- well-defined hairpin vortex

$\operatorname{Re}=10^{7}$


Spanwise visualization of $Q$-isocontours

## In summary

- High Reynolds flows over an inclined ( $45^{\circ}$ angle of attack) square rounded shape cylinder have been modelled
- A demanding exercice for numerics: blind tests at Reynolds numbers: $R e=10^{5}$ and $\operatorname{Re}=10^{7}$
- Native OpenFOAM DDES seems to provide an appropriate modelling $\rightarrow$ good compromise between numerical cost and accuracy, with main flow quantities in reasonnable agreement with experiments
- A more detailed analysis of the flow physics is already in progress


## Statistics of the pressure and recirculation LENGTH NUM/EXPE


(a)

(b)

Figure: Spanwise averaged values of $(a-b)$ the mean pressure coefficient $\overline{C_{p}}$. The results are shown for (left column) the case $R e=10^{5}$ and (right column) the case $R e=10^{7}$.

## Instantaneous flow: STREAMWISE VELOCITY



