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Regulation of Islamic banks: Basel III capital framework and profit-sharing investment accounts

Kévin SPINASSOU* Leo Indra WARDHANA†

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Abstract: This paper theoretically examines the impact of capital requirements on Islamic banks. Given the prevalence of profit-sharing investment accounts (PSIA) in Islamic banking and the recent implementation of the Basel III capital framework, we developed a simple model in which banks are able to offer PSIA contracts under regulations applying risk-weighted capital ratios and leverage ratio restrictions. We find that banks with high or low returns on assets prefer “conventional” banking, while banks with moderate returns on assets operating as Islamic banks select PSIA instead of deposits. We would further point out that Basel II capital requirements increased the incentive to opt for Islamic banking, especially since Islamic banks benefit from a less competitive environment and from local capital requirements. In contrast, this incentive is reduced when leverage ratio restrictions are applied.

JEL Classification: G21, G28

Keywords: Islamic finance; banking capital requirements; Basel III; profit-sharing investment accounts; IFSB.

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1 Introduction

In December 2010, as a consequence of the global financial crisis of 2007-2008, the Basel Committee on Banking Supervision (BCBS) suggested a new set of reform measures, known as Basel III. This financial turmoil put the spotlight back on the issue of capital requirements, through the importance of maintaining sufficient levels of capital to absorb losses. Consequently, Basel rules now include leverage ratio restrictions in addition to risk-weighted capital ratios¹. Such regulatory reforms aim at improving the robustness of the global banking sector, in order to meet the challenges of the fluctuating financial environment.

Another consequence of the global financial crisis is the rapid growth of a specific banking system based on the principles of non-interest-bearing deposit accounts and profit-sharing investment contracts, also known as *Islamic banking*². This growth can also be seen in non-Muslim jurisdictions (e.g. Europe and North America), implying that Islamic banks are no longer a simple response to the religious duty of Muslim economic agents but also a new offer catering to demands of new customers. Currently, the Basel capital framework applies in several jurisdictions where Islamic banks are present, while this set of regulatory measures is initially suggested for conventional banking institutions.

The objective of this paper is to theoretically investigate how Islamic and conventional banks react to Basel capital requirements. As profit-sharing investment accounts help to decrease the overall risk faced by banks, it is interesting here to consider the loss absorbency of these contracts (mainly offered by Islamic banks), in order to examine the banks' incentives to act as Islamic or conventional banks. For this purpose, the Islamic Financial Services Board (IFSB) provides prudential standards, with prescriptions to adapt conventional capital requirements for Islamic banks. Besides, IFSB guidelines also allow national regulators to implement local adjustments relative to the Is-

¹See BCBS (2010) for the original guidelines and BCBS (2014) for a more recent text relative to leverage ratio regulations.

²For further details regarding the growth of Islamic banking, see the Islamic Financial Services Board (2016).

lamic banks' risk-weighted capital requirements. Consequently, roughly two out of three regulators within jurisdictions allowing Islamic banking activities choose to tailor conventional banking capital requirements before applying them to their local Islamic banks (Song & Oosthuizen, 2014). Our model therefore considers a regulatory framework in which capital requirements for conventional and Islamic banks are both suggested at an international level. Then we analyse how banks adapt their behaviour when Islamic banking activities benefit from locally adjusted capital requirements.

In order to meet this objective, we also take into account various degrees of competition between conventional and Islamic banking activities. Given the religious motivations of certain Muslim customers, Islamic banks may indeed benefit from captive customers: fervent religious believers seeking *Sharia*-compliant financial products, hence, they are reluctant to opt for conventional financial products (Beck et al., 2013). At the same time, religiosity does not prevent Islamic banks from attracting customers from conventional banks and, as a consequence, Islamic banks may face less competition than conventional banks in a dual banking system (Meslier et al., 2017; Turk-Ariss, 2010). This occurs especially in jurisdictions having a heavy Muslim population. An extension of our model thus aims at incorporating this potential competitive differential between conventional and Islamic banks, by assuming a higher return on assets for Islamic banking activities, driven by a relatively less competitive environment.

Accordingly, this paper contributes to the current debate on the regulation of Islamic banks. Academic literature has developed an extensive theoretical body of work on conventional banking capital requirements. The relation between risk-weighted capital requirements and bank risk-taking behaviour is examined by Kim & Santomero (1988), Giammarino et al. (1993), Besanko & Kanatas (1996), Repullo & Suarez (2004), and summarised in Freixas & Rochet (2008) and Camara et al. (2013). More recently, the interest in new leverage ratio restrictions motivated certain theoretical papers to investigate how such requirements impact banking stability through conventional bank behaviour. Blum (2008), Rugemintwari (2011), Kiema & Jokivuolle (2014) point the positive impact of leverage ratio restrictions

on banking stability, while Spinassou (2016) and Barth & Seckinger (2018) show that this capital regulation can increase bank risk-taking (Allahrakha et al., 2018, find similar results with an empirical study). We also note that many recent empirical papers focus on risk-taking by Islamic banks: Cihak & Hesse (2010), Hassan & Dridi (2010), Abedifar et al. (2013), Baele et al. (2014). Similarly, Alqahtani et al. (2017) and Alandejani et al. (2017) provide empirical works about the impact of the global financial crisis on Islamic and conventional banks in the Gulf Cooperation Council region. Nevertheless, very little theoretical work has been done on Islamic banking behaviour (Aggarwal & Youssef, 2000; Muljawan et al., 2004), especially concerning banking regulations: to the best of our knowledge, academic literature does not provide a theoretical investigation covering Basel III capital requirements and Islamic banking.

To better understand the implications of BCBS/IFSB capital requirements for Islamic banking, we built a simple model in which banks can select their activity (safe or risky). This banking activity can be financed by raising deposits and offering profit-sharing investment accounts as *Shariah*-compliant financial investments based on *Mudharabah* contract principles. We find that banks do not offer such contracts without capital requirements, while banks with an intermediate return on assets use PSIA instead of interest-bearing deposits if risk-weighted capital requirements are imposed. Furthermore, as a first step, our results show that the implementation of leverage ratio restrictions lowers the expected profit of Islamic banks. Nevertheless, as a second step, the new capital requirements can lead to a higher number of Islamic banks, especially if the national regulator strongly tailors the local Islamic banks' capital requirements, if Islamic banks benefit from a relatively less competitive environment, and/or if a large number of banks benefit from moderate returns on assets.

This model is developed in Section 2. Section 3 presents our results when different capital requirements are imposed on banks having regulatory frameworks in the spirit of Basel II and Basel III. Section 4 presents an extension of our analysis, with consideration for local specificities towards dual banking systems, and Section 5 concludes the paper.

2 Model set up

Consider a banking system populated by n independent risk-neutral banks, with total assets normalised to one.

Each bank selects its type of activity: *risky* or *safe*. Safe banks have a return on assets of $R \in]0, 1[$, while the return on assets of risky banks provides the following:

$$\begin{cases} R + \Delta R & \text{with probability } p > \frac{1}{2} \\ 0 & \text{with probability } 1 - p \end{cases} \quad (1)$$

where $\Delta R \in]0, 1[$ is the extra return on assets from additional risk taking. We assume that banks have diverse skills to manage their risky projects, leading to different values of ΔR in the banking system, given by nature with $\Delta R \in [\underline{\Delta R}; \overline{\Delta R}]$. The probability density function of ΔR is denoted by $f(X)$, with

$$1 = \int_{\underline{\Delta R}}^{\overline{\Delta R}} f(\Delta R) d\Delta R \quad (2)$$

Banks can be financed by deposits (D), profit-sharing investment accounts (μ), and capital (K). Consequently, $D = 1 - K - \mu$. Deposits are guaranteed by full deposit insurance, riskless, and with a gross interest rate set to one. Capital is assumed to be the most expensive source of funding, where the cost of capital is $k \in]1, 2[$.

A profit-sharing investment account (hereinafter PSIA) is a contract between the bank and an investor, in which gains and losses are shared based on a *Mudharabah* contract. We denote *Islamic banks* (hereinafter IBs) as any bank offering PSIA instead of deposits, since interest-bearing deposits are explicitly forbidden by the rules of traditional Islamic finance. On the other hand, banks taking in deposits are hereinafter referred to as *conventional banks* (CBs). In other words, banks choose to be CBs or IBs by selecting their source of funding. The gain/loss shared with the investor is τ , thus giving the bank the share $1 - \tau$. Given the return on assets R and the specific risk of PSIA contracts, we assume that investors require a remuneration

such as $\tau(1 + R) > 1$ when the bank does not fail.

If a risky bank fails (with probability $1 - p$), the bank bears losses equal to the amount of capital plus its share of the PSIA. Due to its limited liability, the amount of deposits does not appear in losses in the event of bankruptcy. We therefore distinguish two expected profits, based on the bank's activity:

$$\pi_{noreg}^{safe} = (1 + R) - (1 - K - \mu) - \mu\tau(1 + R) - Kk \quad (3)$$

as the safe bank's profit, and

$$\pi_{noreg}^{risky} = p((1 + R + \Delta R) - (1 - K - \mu) - \mu\tau(1 + R + \Delta R) - Kk) + (1 - p)(-K - (1 - \tau)\mu) \quad (4)$$

as the risky banks expected profit. Evaluating these two expected profits, we can then state:

Result 1. *Without capital requirements, both safe and risky banks prefer conventional banking: banks that do not offer PSIA and select a level of deposits equal to 1.*

Proof. See Appendix.

When no capital requirements are applied, safe and risky banks have expected profits of:

$$\pi_{noreg}^{safe*} = R \quad (5)$$

$$\pi_{noreg}^{risky*} = p(R + \Delta R) \quad (6)$$

As a result, in the absence of capital requirements, banks select risky projects if $\Delta R > \frac{R(1-p)}{p}$. On the other hand, all banks with $\Delta R < \frac{R(1-p)}{p}$ are safe banks.

3 Bank choice and capital regulation

In this section, we consider exogenous capital requirements suggested by a supranational committee that are then applied by a national regulator. Firstly, we analyse how risk-weighted capital requirements affect banking

behaviour. Secondly, we focus on a Basel III capital framework, by examining the implications of introducing leverage ratio restrictions together with risk-weighted capital requirements.

3.1 Solely risk-weighted capital requirements

We assume a capital ratio of $\bar{K} \in]0, 1[$ imposed on safe CBs, and $\bar{K} + \Delta K \in]0, 1[$ as the minimum capital ratio for risky CBs.

Conversely, banks with PSIA benefit from higher loss absorbency. Indeed, such contracts provide banks the capacity to pass-on losses to investors: the higher the amount of PSIA as a source of funds, the better the solvency of the bank³. This loss absorbency is the main motivation of *Islamic Financial Services Board* adjustments, where a reduction of capital requirements is allowed for banks holding a large share of PSIA⁴. To incorporate these lower capital requirements into our analysis, we assume a capital ratio equal to $\bar{K} + \Delta K(1 - \frac{\mu}{1-\bar{K}})$ for risky banks using PSIA. In other words, this capital ratio is equal to \bar{K} (i.e. similar to the safe CBs' capital requirements) if the bank does not raise deposits, and $\bar{K} + \Delta K$ (i.e. similar to the risky CBs' capital requirements) if the bank does not use PSIA.

Profits described in equation (3) and equation (4) are decreasing functions of capital K , in that banks only hold the required capital. Safe banks' profit is then

$$\pi_{rw}^{safe} = (1 + R) - (1 - \bar{K} - \mu) - \mu\tau(1 + R) - \bar{K}k \quad (7)$$

with $\frac{\partial \pi_{rw}^{safe}}{\partial \mu} = 1 - \tau(1 + R)$, which is negative: safe banks prefer conventional banking and do not offer PSIA to investors.

$$\pi_{rw}^{safe*} = R - \bar{K}(k - 1) \quad (8)$$

The expected risky banks' profit is now:

³See Dalla Pellegrina (2007), Lopez Mejia et al. (2014) and Song & Oosthuizen (2014) for further details about the regulation of Islamic banks and its future challenges.

⁴In the standard formula provided by the IFSB for the computation of risk-weighted capital requirements for IBs, even the assets financed by investment account holders are excluded.

$$\begin{aligned}\pi_{rw}^{risky} &= p\left((1 + R + \Delta R) - D - \mu\tau(1 + R + \Delta R) - \left(\bar{K} + \Delta K\left(1 - \frac{\mu}{1 - \bar{K}}\right)\right)k\right) \\ &\quad + (1 - p)\left(-\left(\bar{K} + \Delta K\left(1 - \frac{\mu}{1 - \bar{K}}\right)\right) - (1 - \tau)\mu\right)\end{aligned}\quad (9)$$

where $D = 1 - \left(\bar{K} + \Delta K\left(1 - \frac{\mu}{1 - \bar{K}}\right)\right) - \mu$.

An evaluation of the risky banks' newly expected profit leads to the following result:

Result 2. *When solely risk-weighted capital requirements are implemented, risky banks with $\Delta R > \rho'_{rw}$ raise deposits instead of offering PSIA contracts ($\mu = 0$), with $\rho'_{rw} = \frac{\Delta K(1 - (2 - k)p)}{p\tau(1 - \bar{K})} + \frac{\tau + 2p - 1}{p\tau} - (2 + R)$. Otherwise, risky banks are IBs and hence finance their activity through PSIA and capital (not deposits).*

Proof. See Appendix.

We thus obtain the expected risky CBs profit:

$$\pi_{rw}^{riskyCB*} = p(R + \Delta R) - (\bar{K} + \Delta K)(1 - p(2 - k)) \quad (10)$$

and the expected risky IBs profit:

$$\pi_{rw}^{riskyIB*} = (p(2 + R + \Delta R) - 1)(1 - (1 - \bar{K})\tau) - pk\bar{K} \quad (11)$$

Similar to the previous section, we can evaluate the expected profit of safe banks and risky banks, thus obtaining:

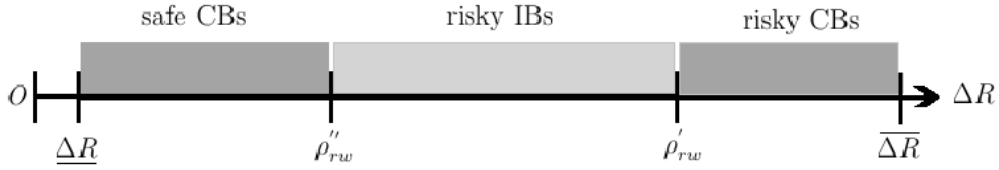
Result 3. *There exists a threshold of $\rho''_{rw} = \frac{\bar{K}(1 - k(1 - p)) + R}{p(1 - \tau(1 - \bar{K}))} + \frac{1}{p} - (2 + R)$, with $\rho''_{rw} < \rho'_{rw}$ and where banks with $\Delta R > \rho''_{rw}$ select risky projects, while banks with $\Delta R < \rho''_{rw}$ select safe activity.*

Proof. See Appendix.

The previous result is illustrated in Figure 1. The excess return on assets ΔR is clearly key to determining whether Islamic or conventional banking is

preferable, as well as whether banks need to opt for safe or risky activities. Within our profit-maximisation perspective, the implementation of capital requirements now increases the number of Islamic banks, while incentives to act as Islamic banks do not exist without capital requirements. We can see that a banking system with high return on assets includes a large number of CBs (i.e. having a large concentration of banks close to $\overline{\Delta R}$), while a banking system with lower return on assets incorporates a more significant number of IBs. These findings are in line with the expansion of Islamic finance in several countries: the Basel II framework has been suggested in 2004 while the Islamic banking system has grown faster than the conventional banking system after the beginning of the 2000s⁵.

Figure 1: Bank choice with risk-weighted capital requirements



3.2 Leverage ratio and risk-weighted capital requirements

In this subsection, we consider a minimum leverage ratio K^{lr} , suggested by the supranational authority in addition to the previous risk-weighted capital ratio of $K^{lr} \in]\overline{K}, (\overline{K} + \Delta K)[$. In other words, this new regulation does not affect risky CBs because they already maintain the highest capital ratio $\overline{K} + \Delta K$. Note that the addition of this leverage ratio regulation allows us to rewrite the capital requirements relative to the amount of PSIA, as $K^{lr} + (\Delta K - \gamma) \left(1 - \frac{\mu}{1-K}\right)$, where $\gamma = K^{lr} - \overline{K} < \Delta K$. In a nutshell, a high value of γ represents a significant increase in regulatory stringency, with the implementation of a highly binding regulatory constraint.

⁵See Malaysian International Islamic Financial Centre (2014) for further details.

We obtain the new safe bank's profit as:

$$\pi_{lr}^{safe} = (1 + R) - (1 - K^{lr} - \mu) - \mu\tau(1 + R) - K^{lr}k \quad (12)$$

with $\frac{\partial \pi_{lr}^{safe}}{\partial \mu} = 1 - \tau(1 + R) < 0$. As before, evaluation of the safe bank's profit shows that safe banks prefer conventional banking, with $\mu = 0$.

$$\pi_{lr}^{safe*} = R - K^{lr}(k - 1) \quad (13)$$

The implementation of a leverage ratio affects the risky banks expected profit as follows:

$$\begin{aligned} \pi_{lr}^{risky} = & p \left((1 + R + \Delta R) - D - \mu\tau(1 + R + \Delta R) - (K^{lr} + (\Delta K - \gamma) \left(1 - \frac{\mu}{1 - \bar{K}}\right))k \right) \\ & + (1 - p) \left(- (K^{lr} + (\Delta K - \gamma) \left(1 - \frac{\mu}{1 - \bar{K}}\right)) - (1 - \tau)\mu \right) \quad (14) \end{aligned}$$

with $D = (1 - (K^{lr} + (\Delta K - \gamma) \left(1 - \frac{\mu}{1 - \bar{K}}\right)) - \mu)$.

Result 4. *With the addition of leverage ratio restrictions to risk-weighted capital ratios, risky banks with $\Delta R > \rho'_{lr}$ do not offer PSIA contracts ($\mu = 0$), where $\rho'_{lr} = \frac{(\Delta K - \gamma)(1 - (2 - k)p)}{p\tau(1 - \bar{K})} + \frac{\tau + 2p - 1}{p\tau} - (2 + R) < \rho'_{rw}$. In contrast, risky banks with $\Delta R < \rho'_{lr}$ finance their activity with PSIA and do not raise deposits (IBs).*

Proof. See Appendix.

The risky CBs expected profit is here equal to equation (10), while the IBs expected profit is now as follows:

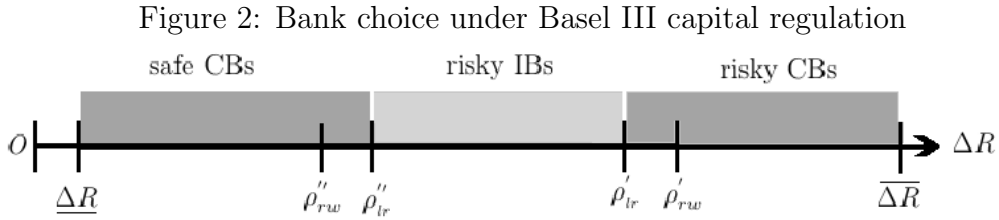
$$\pi_{lr}^{riskyIB*} = (p(2 + R + \Delta R) - 1)(1 - (1 - \bar{K})\tau) - pk\bar{K} - \gamma(1 - p(2 - k)) \quad (15)$$

Evaluation of equation (10), equation (13) and equation (15) is summarised in the following result.

Result 5. *There exists a threshold $\rho''_{lr} = \frac{\bar{K}(1-k(1-p))+R+\gamma(2-k)(1-p)}{p(1-\tau(1-\bar{K}))} + \frac{1}{p} - (2+R)$, where $\rho''_{rw} < \rho''_{lr} < \rho'_{lr}$, under which banks select safe activity. Conversely, if $\Delta R > \rho''_{lr}$, banks select risky activity.*

Proof. Follows straightforwardly from equation (10), equation (13) and equation (15).

Thresholds ρ'_{rw} and ρ''_{lr} are respectively higher than ρ'_{lr} and ρ''_{rw} , meaning that the implementation of leverage ratio restrictions increases the banks' incentives to act as CBs. These findings are illustrated in Figure 2.



However, Basel III capital requirements may increase the number of IBs if $\int_{\rho''_{lr}}^{\rho'_{lr}} f(\Delta R) d\Delta R$ becomes higher than $\int_{\rho''_{rw}}^{\rho'_{rw}} f(\Delta R) d\Delta R$, concomitantly with the implementation of leverage ratio restrictions. The 2007-2008 banking crisis indeed reduced the overall returns on banking activities: in view of this decrease of banks' returns on assets, one might assume that the distribution of ΔR could be more gathered at a moderate level. Such a new distribution would mitigate effects of the Basel III framework described above, which would explain that the Islamic banking is still on the rise.

4 Local regulations and degrees of competition in dual banking systems

In this section, we go one step further by providing an extension of our analysis, with assumptions relative to two local particularities of banking systems where conventional and Islamic banks operate side by side. Thus, we build a model in which banks choose to be Islamic or conventional solely within a profit-maximisation perspective, without considering the religious

beliefs of the banks' *management*. Here, we take into account the religious beliefs of the banks' *customers*, by assuming that some IB customers may be reluctant to switch to CBs. This assumption concerning captive customers adhering to religious principles is represented by an excess return for IBs, denoted as ϵ : a high value of ϵ means that IBs benefit from a relative low competitive environment, hence where CBs face strong difficulties attracting IB customers.

On the other hand, the capital requirements applied in dual banking systems are currently very dissimilar, since many national regulators decide to adapt capital requirements initially suggested at an international level, before imposing them on local IBs (Song & Oosthuizen, 2014). This heterogeneity of national IB capital requirements is driven by the IFSB guideline, which leaves up to the national regulators' discretion a "factor of reduction" relative to the computation of domestic IBs risk-weighted assets (see IFSB, 2013). In order to consider this point in our analysis, we assume in this section a similar factor of reduction, denoted as α , with $\alpha \in [0, 1]$. A strong value of α represents, therefore, an important reduction of IB capital requirements at the local level, compared to the CB requirements.

In summary, these new assumptions do not affect the CBs expected profits, while the IBs expected profit is then:

$$\begin{aligned} \pi_{loc}^{riskyIB*} &= (p((1 + R + \Delta R + \epsilon) - D - \mu\tau(1 + R + \Delta R + \epsilon) \\ &- (K^{lr} + (\Delta K - K^{lr} + K)(1 - \alpha))k) + (1 - p)(-(K^{lr} + (\Delta K - \\ &K_{lr} + K)(1 - \alpha)) - (1 - \tau)\mu)) \end{aligned} \quad (16)$$

with $D = 1 - (K^{lr} + (\Delta K - K^{lr} + K)(1 - \alpha)) - \mu$.

Evaluating expected profits of IBs and CBs, we can then state:

Result 6. *There exists two thresholds, denoted as ρ''_{loc} and ρ'_{loc} , in which banks decide to operate as risky IBs $\forall \Delta R \in [\rho''_{loc}, \rho'_{loc}]$. Otherwise, banks choose to act as CBs, with safe activity $\forall \Delta R < \rho''_{loc}$ and with risky activity $\forall \Delta R > \rho'_{loc}$.*

Proof. See Appendix.

As before, banks with intermediate returns on assets select Islamic banking. We observe here that the choice of a bank is affected by the excess return ϵ driven by the degree of competition differential, the local adjustment of capital requirements imposed on IBs α , and the extent of leverage ratio restrictions K^{lr} .

More precisely, comparative statistics for Result 6 show that ρ'_{loc} is greater the larger the factor of reduction α and the excess return ϵ . On the other hand, this threshold is smaller the greater the leverage ratio restriction K^{lr} :

$$\frac{\partial \rho'_{loc}}{\partial \alpha} = \frac{(\Delta K + K - K^{lr})(1 - p(2 - k))}{p\tau} > 0 \quad (17)$$

$$\frac{\partial \rho'_{loc}}{\partial \epsilon} = \frac{1}{\tau} - 1 > 0 \quad (18)$$

$$\frac{\partial \rho'_{loc}}{\partial K^{lr}} = -\frac{\alpha(1 - p(2 - k))}{p\tau} < 0 \quad (19)$$

In addition, we find that ρ''_{loc} is smaller the larger the factor of reduction α and the excess return ϵ . Nevertheless, the relationship between this threshold and the leverage ratio restriction K^{lr} is ambiguous:

$$\frac{\partial \rho''_{loc}}{\partial \alpha} = -\frac{(\Delta K + K - K^{lr})(1 - p(2 - k))}{p(1 - \tau)} < 0 \quad (20)$$

$$\frac{\partial \rho''_{loc}}{\partial \epsilon} = -1 \quad (21)$$

$$\frac{\partial \rho''_{loc}}{\partial K^{lr}} = -\frac{\alpha(1 - p(2 - k)) - (k - 1)}{p(1 - \tau)} \quad (22)$$

We observe that, under a Basel III capital framework, banks have more incentives to operate as IBs in local banking systems overseen by regulators making significant reductions to IB capital requirements, and where the degree of competition differential between Islamic and conventional banking activities is strong. In other words, if IBs benefit from a large captive clientele and from tailored risk-weighted capital requirements, the stronger incentive to operate as conventional banks following the implementation of

leverage ratio restrictions is moderated. In short, the local environment in dual banking systems relative to banking competition and capital requirement adjustments also determines the analysis of how Basel III rules affect banking behaviour.

5 Concluding remarks

This study examines Islamic and conventional bank behaviour under Basel III capital requirements and IFSB standards, using a simple theoretical model. Within a profit-maximisation perspective (i.e. without religious incentives), our findings show that Islamic banking becomes attractive when capital requirements apply and with an intermediate banks' return on assets. Under these conditions, banks therefore choose not to increase deposits but rather propose profit-sharing investment accounts to customers. Alternatively, banks with low or high returns on assets prefer conventional banking, and hence raise interest-bearing deposits while this source of funding is forbidden by the rules of traditional Islamic finance. Besides, in a dual banking system, where Islamic and conventional banks operate simultaneously, we find that solely risk-weighted capital requirements increase the number of Islamic banks. On the other hand, the implementation of leverage ratio restrictions in addition to a risk-weighted capital ratio tends to reduce the proportion of Islamic banks in the banking system.

Furthermore, our model takes into account the local specificities of dual banking systems in two ways. It is widely agreed that conventional banks face more difficulties in attracting Muslim customers than Islamic banks, due to the religious motivations of these customers. We thus investigate bank behaviour under Basel III capital requirements when Islamic banks benefit from a less competitive environment than conventional banks. In contrast, we assume that national regulators are able to tailor international capital requirements for local Islamic banks, as allowed by the standards of the Islamic Financial Services Board. Our results therefore show that incentives to act as risky conventional banks under the Basel III regulation are lower if the degree of competition differential is high and/or if local regulatory

adjustments for Islamic banks are considerable. In summary, the presence of such local particularities mitigates the decrease of Islamic banks that follows the implementation of leverage ratio restrictions in dual banking systems.

This paper highlights that the strengthening of capital requirements alter incentives to operate as Islamic banks, as these banks benefit from higher abilities to absorb losses, and thus benefit from lower capital requirements. This point provides a new explanation of the substantial growth in Islamic banking activities over the last decade, since the global banking crisis of 2007-2008 led to a reduction of banks' return on assets and to a tighter regulatory framework. Overall, this analysis stresses the need to take into account the specificities of Islamic banking within international regulatory guidelines, especially when many conventional banks nowadays decide to engage in Islamic banking activities as a response to the current financial environment.

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Appendix

Proof of Result 1.

We find

$$\frac{\partial \pi_{noreg}^{safe}}{\partial K} = 1 - k < 0$$

$$\frac{\partial \pi_{noreg}^{risky}}{\partial K} = (2 - k)p - 1 < 0$$

Without capital requirements, profits of safe IBs and CBs are respectively

$$\pi_{noreg}^{safeIB} = (1 - \tau)(1 + R)$$

$$\pi_{noreg}^{safeCB} = R$$

with $\pi_{noreg}^{safeCB} > \pi_{noreg}^{safeIB}$ for all $\tau(1 + R) > 1$.

Expected profits of risky IBs and CBs are respectively

$$\pi_{noreg}^{riskyIB} = (1 - \tau)(p(2 + R + \Delta R) - 1)$$

$$\pi_{noreg}^{riskyCB} = p(R + \Delta R)$$

The profit differential $\pi_{noreg}^{riskyCB} - \pi_{noreg}^{riskyIB}$ evaluates to

$$p(\tau(2 + R + \Delta R) - 2) + (1 - \tau)$$

which is positive for all $p > \frac{1}{2}$ and $\tau(1 + R) > 1$. \square

Proof of Result 2.

We obtain

$$\frac{\partial \pi_{rw}^{risky}}{\partial \mu} = \frac{\Delta K(1 - (2 - k)p)}{1 - \bar{K}} + (\tau + 2p - 1) - p\tau(R + \Delta R + 2)$$

The bank decision depends on the excess return on assets ΔR : when ΔR is higher than $\frac{\Delta K(1 - (2 - k)p)}{(1 - \bar{K})p\tau} + \frac{\tau + 2p - 1}{p\tau} - (2 + R)$, the optimal choice for a risky bank is collecting deposits instead PSIA contracts ($D = 1 - \bar{K} - \Delta K$ and $\mu = 0$). On the other hand, when $\Delta R < \frac{\Delta K(1 - (2 - k)p)}{(1 - \bar{K})p\tau} + \frac{\tau + 2p - 1}{p\tau} - (2 + R)$, the risky bank does not raise deposits in order to benefit from lower capital requirements. \square

Proof of Result 3.

Following from equation (8), equation (10) and equation (11), we find that $\pi_{rw}^{riskyCB} < \pi_{rw}^{riskyIB} < \pi_{rw}^{safeCB}$ when $\Delta R < \frac{\bar{K}(1-k(1-p))+R}{p(1-\tau(1-\bar{K}))} + \frac{1}{p} - (2+R)$; and $\pi_{rw}^{safeCB} < \pi_{rw}^{riskyIB} < \pi_{rw}^{riskyCB}$ when $\Delta R > \frac{\Delta K(1-(2-k)p)}{p\tau(1-\bar{K})} + \frac{\tau+2p-1}{p\tau} - (2+R)$.

On the other hand, risky IBs benefit from the highest expected profit when $\frac{\bar{K}(1-k(1-p))+R}{p(1-\tau(1-\bar{K}))} + \frac{1}{p} - (2+R) < \Delta R < \frac{\Delta K(1-(2-k)p)}{p\tau(1-\bar{K})} + \frac{\tau+2p-1}{p\tau} - (2+R)$. \square

Proof of Result 4.

It holds that

$$\frac{\partial \pi_{lr}^{risky}}{\partial \mu} = \frac{(\Delta K - \gamma)(1 - (2 - k)p)}{1 - \bar{K}} - 1 + \tau - p(\tau(R + \Delta R + 2) - 2)$$

As under Basel II capital requirements, the excess return on assets ΔR drives the bank decision: when ΔR is higher than $\frac{(\Delta K - \gamma)(1 - (2 - k)p)}{(1 - \bar{K})p\tau} + \frac{2p + \tau - 1}{p\tau} - 2 - R$, the optimal choice for a risky bank is conventional banking (with $D = 1 - \bar{K} - \Delta K$ and $\mu = 0$). In contrast, risky banks do not collect deposits when $\Delta R < \frac{(\Delta K - \gamma)(1 - (2 - k)p)}{(1 - \bar{K})p\tau} + \frac{2p + \tau - 1}{p\tau} - 2 - R$. \square

Proof of Result 6.

The risky CBs expected profit is larger than the IBs expected profit for all $\Delta R > \rho'_{loc} = \frac{\alpha(\Delta K + K - K^{lr})(1 - (2 - k)p) - (1 - \tau) + p(\epsilon + 1 - \tau)}{p\tau} - R - \epsilon$. On the other hand, the IBs expected profit is lower than the safe CBs profit for all $\Delta R < \rho''_{loc} = \frac{((1 - \alpha)(K + \Delta K) + \alpha K^{lr})(1 - p(2 - k)) - K^{lr}(k - 1) + R - \tau(1 - p)}{p(1 - \tau)} - R - \epsilon$, with $\rho''_{loc} < \rho'_{loc}$. \square