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▶ To cite this version:

Levy Batista, Bérangère Bastien, Thierry Bastogne, Johann Foloppe, Philippe Erbs. Analysis of in vivo responses by mixed-effect models reference. 8th International Meeting on Statistical Methods in Biopharmacy, SMB 2017, Sep 2017, Paris, France. hal-01670100

HAL Id: hal-01670100 https://hal.science/hal-01670100v1

Submitted on 21 Dec 2017

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Analysis of in vivo Responses by Mixed-Effect Models

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<u>Objectives.</u> In *in vivo* experimentation, the large intra-group variability between animals is a major obstacle that prevents to **detect significant** therapeutic effects of treatment factors. Our objective is to assess a new statistical method able to better estimate and characterize the additive effects of the combination of an **oncolytic virus** (TG6002) and the **prodrug flucytosine** (5-FC) associated in an anti-cancer treatment. The experimental data are kinetics of tumor growth collected during in vivo assays carried out on mice.

Method

$y_{ij} = x(t_{ij}, \theta_i) + \epsilon_{ij}, \forall i = 1, \dots, r, \forall j = 1, \dots, n_i,$
$x(t_{ij}, \theta_i) = k_{1,i}(t_{ij} + t_0) + x_{0,i} + k_{2,i}(t_{ij} + t_0 - \tau_i)$
$ heta_{i} = \lambda + \mathbf{c}_{i} eta + heta_{i}, \; heta_{i} \sim \mathcal{N}(0, \mathbf{\Omega}), orall i = 1, \dots, \mathbf{r},$
$\theta_{\mathbf{i}} = \begin{pmatrix} x_{0,i} & k_{1,i} & k_{2,i} & \tau_i \end{pmatrix}^{\mathbf{T}}$
$\epsilon_{ij} = \sigma \ e_{ij}, \ e_{ij} \stackrel{i.i.d.}{\sim} \mathcal{N}(0,1), \forall i = 1, \dots, r, \forall j = 1, \dots, n_i,$
$c_i = \begin{pmatrix} c_{c,i} & c_{d,i} & c_{0,i} \end{pmatrix}$

 $x_{0,i}$ Initial diameter

 $k_{1,i}$ First growth rate

 $k_{2,i}$ Second growth rate

 au_i Time delay between effects

The experimental set up is decomposed into 4 main steps:

- 1. a full factorial design of experiments is proposed. TG6002 was tested at four concentrations in combination or not with 5-FC. Eight groups of 13 mice are randomly affected to each experimental condition.
- 2. we propose a **mixed-effect model** to describe the kinetic growth of the mean tumor diameter.
- 3. the model parameters are determined with a **maximum likelihood estimato**r based on an expectation-maximization algorithm.
- 4. effects of the two examined components are assessed with a **Wald test**.

TG6002 5-FC Group. No. With Without With Dose 1 Without Dose 1 With Dose 2 Without Dose 2 With Dose 3 Without Dose 3

Tab.1: Full Factorial Design of Experiments with 2 factors

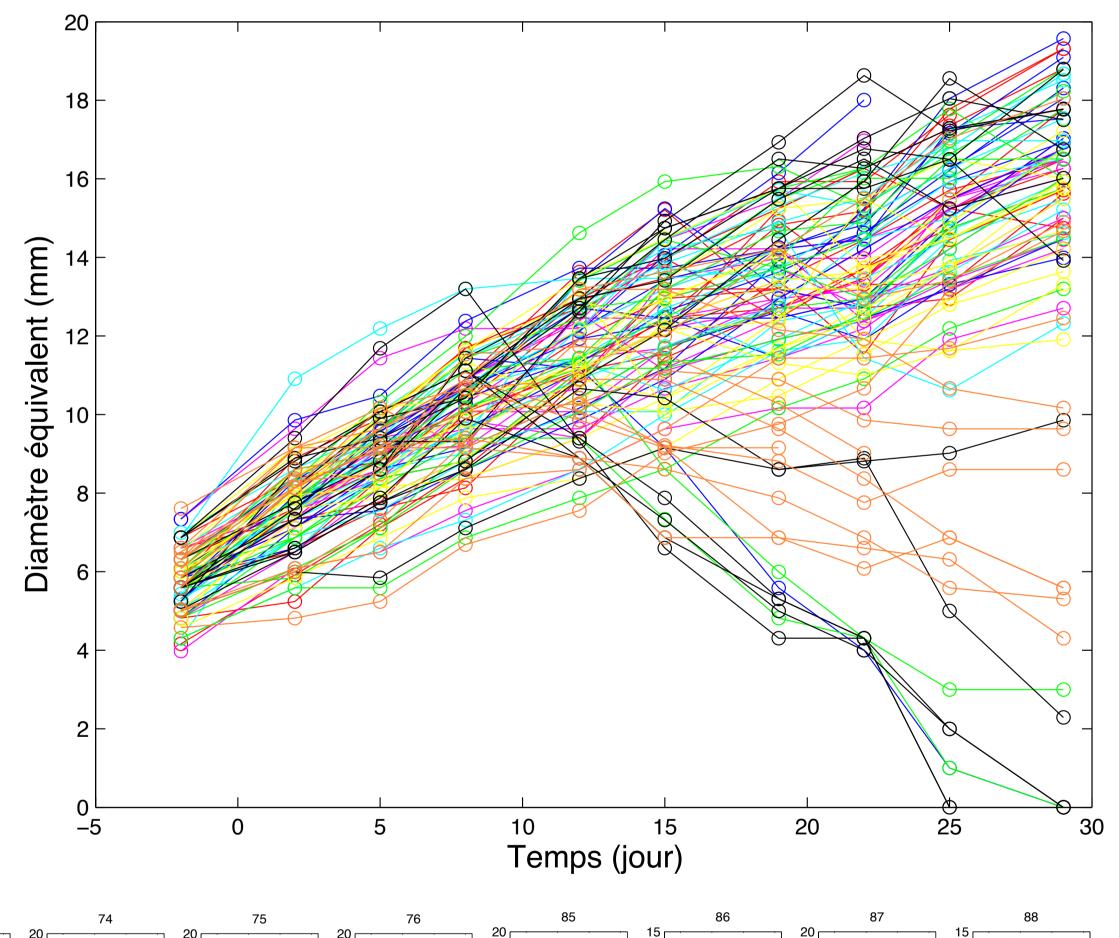


Fig.1: Longitudinal Data: growth kinetics of the tumor equivalent diameter (mm) for 104 mice distributed between 8 groups of treatment: group 1 (magenta), group 2 (red), group 3 (cyan), group 4 (blue), group 5 (yellow), group 6 (green), group 7 (orange), group 8 (black)

Results

 c_c TG6002 concentration factor

 c_d 5-FC presence factor

 c_O Initial diameter variation

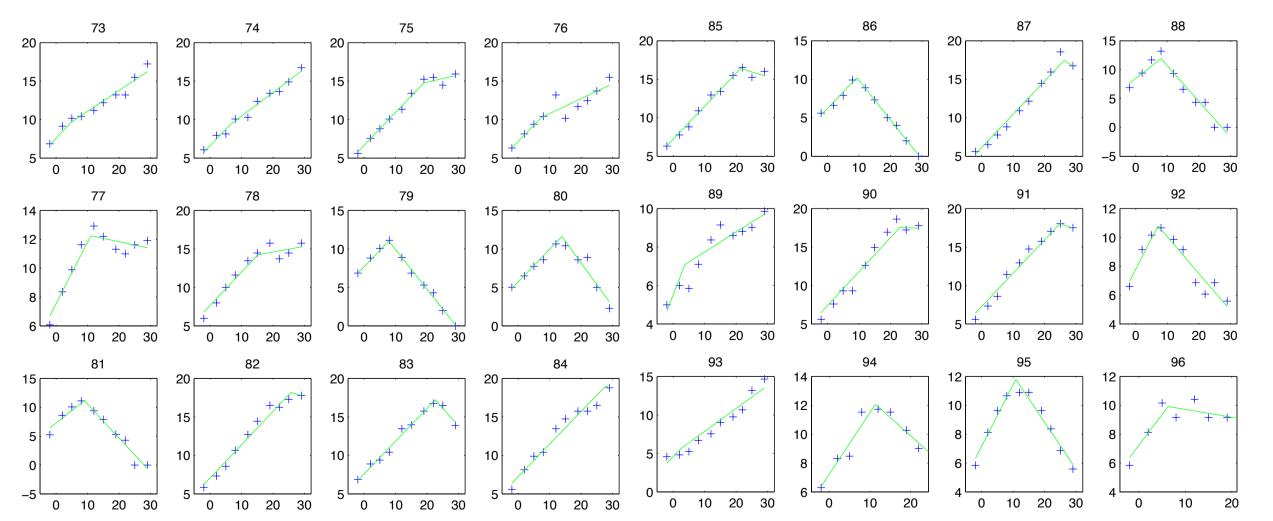
Our model structure fits correctly all the 104 observed growth responses. The confidence on the estimation results is such that we can detect two tratement effects. Indeed, we show a 3% reduction of the therapeutic response time due to 5-FC and a division by five of the growth delay with TG6002.

Conclusion

Results confirm the relevance of mixed-effect kinetic models to increase the power of statistical tests applied to in vivo studies and efficacy of the combination TG6002 with 5-FC.

Reference

T. Bastogne, A. Samson, P. Va<mark>llois, S</mark>. Wantz-Mézières, S. Pinel, D. Bechet, and M. Barberi-Heyob. Phenomenological modeling of tumor diameter growth based on a mixed effects model. Journal of Theoretical Biology, 262:544–552, 2010.



Effect	Value	P-value
$\beta_{k_2}(D_{TG}=3)$	-0.42	1.4 10-10
$eta_{ au}(5FC)$	-0.45	1.7 10-4

Fig.2: Mixed-effect modeling of the time responses for 24 mice. Measured responses (blue) & Model responses (green)

Tab.2: Estimated effects of the therapeutic factors on the post-treatment growth rate (k_2) and response delay (τ) . Only the 2 most significant effects are indicated here.