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## - To cite this version:

Sergio Batista, Ludovic Leclercq, Nikolas Geroliminis. Trip lengths and the macroscopic traffic simulation: an interface between the microscopic and macroscopic networks. hEART2017-6th symposium of the European Association for Research in Transportation, Sep 2017, HAIFA, France. 5 p. hal01589605

HAL Id: hal-01589605

## https://hal.science/hal-01589605

Submitted on 18 Sep 2017

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# Trip lengths and the macroscopic traffic simulation: an interface between the microscopic and macroscopic networks 

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June 22, 2017

Word count: 999 (excluding the references)

## Extended Abstract

Macroscopic traffic simulation has gained more and more interest from the scientific community since the seminal works of Daganzo (2007) and Geroliminis \& Daganzo (2008). It assumes that traffic conditions are homogeneous inside a given region (or reservoir); and traffic states are defined by a Macroscopic Fundamental Diagram (MFD). Most implementations of MFD models are accumulation-based and have been designed for control purposes. Few attention has been paid to the route choice process, i.e. the characterization of most likely alternatives and calculation of pathflow distribution. The most advanced MFD-based simulator including route choices has been proposed by Yildirimoglu \& Geroliminis (2014). The authors implemented a multi-reservoir accumulation-based macroscopic traffic simulator. To calculate the macroscopic routes and trip lengths, they considered the sampling of several microscopic origin-destinations (OD) on the real network and made use of a time dependent shortest-path algorithm. The route flows are assigned according to a simple Multinomial Logit model. In fact, Multinomial Probit model has never been implemented in such a framework, while lots of route correlations happen due to the limited number of reservoirs used to describe an urban area. Furthermore, the macroscopic route set definition still requires further investigations.

In this work, we propose to consider a multi-reservoir trip-based macroscopic simulator (Mariotte et al., 2017) and further investigate the definition of (i) the set of macroscopic routes between each OD pair; and (ii) the trip lengths of these routes.

[^0]The route flow distributions are calculated based on time-dependent route costs and the Multinomial Probit model, that is solved using Monte Carlo simulations (Sheffi, 1985). On the contrary of the accumulation-based macroscopic simulation, the tripbased model (Arnott, 2013, Mariotte et al., 2017) allows to easily consider different trip lengths for vehicles traveling inside the same reservoir. Arnott (2013) proposes to consider the evolution of the mean speed, $V(n(t))$, inside the reservoir. $n(t)$ is the accumulation inside the reservoir at time $t$, given by the MFD. The system dynamics can be entirely described by the vehicle trip length $L$ :

$$
\begin{equation*}
L=\int_{t-T(t)}^{t} V(n(s)) d s \tag{1}
\end{equation*}
$$

where $T(t)$ is the travel time of the vehicle exiting at $t$. Eq. 1 states that the trip length of a vehicle entering at $t-T(t)$ and exiting at $t$, corresponds to the integration of the mean speed over this interval. Consequently, properly capturing these trip lengths is crucial for this simulation approach. Thus, we aim at investigating the performance of two different approaches to calculate trip lengths per each macroscopic path (macro-path) $p$. Consider $p=\left\{i_{1}, \ldots, i_{j}, \ldots, i_{N}\right\}$ as the set of $N$ reservoirs that compose macro-path $p$. The two approaches consist in calculating:

1. (method 1$)$ a trip length distribution for each $i-$ th reservoir $\left(L_{i}\right)$. For this, we sample several microscopic ODs inside the $i$-th reservoir and calculate the shortest-path. The expected trip length for macro-path $p$ and macroscopic OD is $E\left(L_{p}^{O D}\right)$ :

$$
\begin{equation*}
E\left(L_{p}^{O D}\right)=\sum_{j=1}^{R} \delta_{j} E\left(L_{j}\right) \tag{2}
\end{equation*}
$$

where $\delta_{j}$ equals 1 if reservoir $j$ belongs to macro-path $p$; and $R$ is the total number of reservoirs.
2. (method 2) a trip length distribution following the individual trajectories of vehicles inside each reservoir. The expected trip length $E\left(L_{p}^{O D}\right)$ is decomposed as:

$$
\begin{equation*}
E\left(L_{p}^{O D}\right)=E\left(L_{i_{1} / i_{1} i_{2}}\right)+\sum_{j=2}^{N_{1}} E\left(L_{j /(j-1) j(j+1)}\right)+E\left(L_{i_{N} / i_{N-1} i_{N}}\right) \tag{3}
\end{equation*}
$$

where $L_{i_{1} / i_{1} i_{2}}$ is the distribution of trip lengths for people traveling from microscopic nodes inside $i_{1}$ to the border nodes with $i_{2} ; L_{j /(j-1) j(j+1)}$ is the trip length distribution of people traveling on $j$, coming from $j-1$ and going to $j+1$; and $L_{i_{N} / i_{N-1} i_{N}}$ is the trip length distribution for travels between the border nodes with $i_{N-1}$ and nodes inside $i_{N}$.
For this approach, we distinguish two ways of calculating $E\left(L_{p}^{O D}\right)$ :
(a) Global procedure, where we repeatedly sample several microscopic nodes inside $i_{1}$ and $i_{N}$ and calculate the shortest-path, considering the whole microscopic network. We aggregate the paths according to the sequence of crossed reservoirs and their lengths are split according to the distributions of Eq. 3
(b) Local procedure, where we repeatedly sample several microscopic origin nodes that are on the border between the $\left(i_{j-1}, i\right)$ reservoirs and destination nodes that are on the border between the $\left(i, i_{j+1}\right)$ reservoirs and calculate the shortest-path. For the origin $\left(i_{1}\right)$ and destination $\left(i_{N}\right)$ reservoirs of the macro-path $p$, we repeatedly sample several microscopic internal and border nodes with the adjacent reservoirs $i_{2}$ and $i_{N-1}$; and calculate the shortest-paths, respectively.

We note that to calculate the microscopic routes, it is also foreseen to consider route sampling techniques (e.g. Roberts \& Kroese, 2007, Frejinger et al. 2009, Flotterod \& Bierlaire, 2013).

To define the macroscopic route set, we consider the most likely paths obtained through trip length distributions obtained using a similar approach as previously discussed (Method 2 - Global). To make the selection process independent of the traffic loading, at this step we consider distances and not travel-time.


Fig. $1-6^{\text {th }}$ district of Lyon divided into 11 reservoirs that are represented by the IRIS regions.

To show the applicability of our procedure, we highlight the first preliminary results obtained on the Lyon $6^{\text {th }}$ district Fig. 1), without the coupling with the tripbased simulator. We note that the large number of reservoirs is only for trip-length calculation tests. For macroscopic simulations, we may aggregate these regions into larger ones with a well defined MFD.

In Tab. 1, we show average and standard deviations of trip lengths for three macro-paths connecting reservoirs: 1 to 6 ; and 4 to 9 . For all the calculations

1
of microscopic paths, we considered 1000 samples of origin and destination nodes. The microscopic routes were calculated using a shortest-path algorithm.

| Macropath | Method 1 | Method $2-$ Local | Method $2-$ Global |
| :---: | :---: | :---: | :---: |
| $(1,2,5,6)$ | $1595 \pm 779$ | $1889 \pm 672$ | $1169 \pm 181$ |
| $(1,2,5,11,6)$ | $1945 \pm 956$ | $2053 \pm 803$ | $1219 \pm 213$ |
| $(1,2,4,6)$ | $1688 \pm 830$ | $2196 \pm 696$ | $1381 \pm 150$ |
| $(4,5,2,3,9)$ | $1796 \pm 895$ | $1988 \pm 756$ | $1440 \pm 212$ |
| $(4,5,11,3,9)$ | $1640 \pm 825$ | $1940 \pm 567$ | $1386 \pm 148$ |
| $(4,6,8,7,10,9)$ | $1725 \pm 904$ | $2095 \pm 745$ | $1586 \pm 130$ |

Tab. 1 - Average and standard deviations for three macro-paths connecting reservoirs: 1 to 6; and 4 to 9. The trip lengths are listed in meters.

Our first results show that methods 1 and 2-Local give higher average trip lengths than method 2-Global. This may be due to the sampling of unrealistic paths inside the crossed reservoirs, which is also evidenced by the higher standard deviations.

The next step is to consider sampling techniques to calculate the microscopic routes; and analyze trip-based simulation results using the discussed approaches to calculate trip lengths.

## Acknowledgments

This project is supported by the European Research Council (ERC) under the European Union's Horizon 2020 research and innovation programme (grant agreement No 646592 - MAGnUM project). S. F. A. Batista also acknowledges funding support by the region Auvergne-Rhône-Alpes (ARC7 Research Program) and from the University of Lyon supported by the PALSE mobility program.

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