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# Super-rays for Efficient Light Field Processing

Matthieu Hog, Neus Sabater, Christine Guillemot

Abstract—Light field acquisition devices allow capturing scenes with unmatched post-processing possibilities. However, the huge amount of high dimensional data poses challenging problems to light field processing in interactive time. In order to enable light field processing with a tractable complexity, in this paper, we address the problem of light field over-segmentation. We introduce the concept of super-ray, which is a grouping of rays within and across views, as a key component of a light field processing pipeline. The proposed approach is simple, fast, accurate, easily parallelisable, and does not need a dense depth estimation. We demonstrate experimentally the efficiency of the proposed approach on real and synthetic datasets, for sparsely and densely sampled light fields. As super-rays capture a coarse scene geometry information, we also present how they can be used for real time light field segmentation and correcting refocusing angular aliasing.

#### I. INTRODUCTION

VER the past few years, light field capturing devices have gained in popularity, both at the research and the industrial level. These devices can be broadly classified into the following categories. Plenoptic cameras use an array of microlenses placed in front of the sensor of a classical camera in order to capture light fields [1], leading to trade spatial resolution for angular resolution. Although this trade-off can be controlled [2], the captured light field is always angularly dense (the disparity is of the order of the pixel). Plenoptic cameras typically target consumer photography via their refocusing feature (e.g. Lytro Illum<sup>1</sup>), but also the industrial market thanks to the capabilities they offer for passive, accurate, monocular depth estimation (e.g. Raytrix<sup>2</sup>). Light fields can also be captured by camera arrays [3], [4]. While being significantly more expensive and harder to use, hence dedicated to professionals, they offer the best spatial resolution (but low angular resolution) and a much larger baseline, making them suitable for applications requiring long range depth estimation, change of viewpoint and view synthesis, such as AR content capture (e.g. Lytro Immerge<sup>3</sup>) or movie post production (e.g. Light-field Technology at Fraunhofer  $[5]^4$ ). A third category of acquisition devices is the camera gantry (e.g. the Stanford Lego Gantry<sup>5</sup>), where a camera is moved along a plane and shots are taken at regular intervals. These devices are easy to use and implement, and can in theory provide high spatial and angular resolution. However, this type of device is limited to the capture of static light fields. Finally, recent and emerging smart phones are equipped either with several cameras (e.g. Iphone 7, Amazon Fire Phone), or with a single specialised

<sup>3</sup>http://www.lytro.com/immerge

sensor (e.g Pelican Imaging [5], ProFUSION-25C [5], or with a Wafer-level-optics camera array [6]) which could, to some extent, capture light fields, not as angularly dense as plenoptic cameras. Because they need to be compact, they also have a much smaller baseline and resolution than camera arrays.

The volume of data inherent to light fields, for all capturing devices, is a real issue for user interaction that requires near real-time processing, potentially on devices having limited computational power. This becomes even more critical for light field videos. A second issue is the ease of use. While users are familiar with 2D image editing, light field editing boils down to edit a 3D capture embedded into a 4D signal. One objective of the paper is to enable user interaction with the whole light field while entering inputs on one view only. State of the art light field editing methods either only deal with densely sampled light fields or use a dense depth estimation to perform user-guided segmentation [7]–[9] or to propagate user inputs [10]–[14]. Despite the latest advances [15]–[18] in light field depth estimation, these methods use computationally expensive regularisation to obtain satisfactory depth maps.

Our goal is instead to propose a solution for unsupervised light field over-segmentation which would in addition be angular sampling agnostic and rely less on depth estimation. Our approach is motivated by the observation that, for most editing applications, it might be more important to have accurate object boundaries, even with coarse depth information, than having a refined depth map. We show in Section IV that indeed, a dense and accurate (in terms of disparity values) depth estimation is not needed for some typical light field applications.

To treat the aforementioned problems, we introduce in this paper the concept of super-ray which is the counterpart of super-pixels [19] for light fields. The major difference with conventional super-pixels and super-voxels is that super-rays group perceptually similar and corresponding pixels across several views. In other words, super-rays are groups of rays of similar color coming from the same scene area. We then propose what we believe to be the first light field oversegmentation algorithm. It is inspired by SLIC [20], a state of the art super-pixel generation method with good properties in terms of accuracy over complexity and parallelism. The approach is fast, free of any strong scene geometry prior, easy to understand and to implement, and it gives satisfactory results. Moreover, it does not require a dense depth map estimation, making it a suitable candidate for a first step of a light field processing pipeline.

A new metric is then introduced to evaluate an important feature of super-rays: the view-consistency of the oversegmentation. We also quantitatively and qualitatively test our approach on synthetic and real light field data-sets having different angular and spatial resolutions, using standard super-

<sup>&</sup>lt;sup>1</sup>http://www.lytro.com/imaging

<sup>&</sup>lt;sup>2</sup>http://www.raytrix.de

<sup>&</sup>lt;sup>4</sup>http://www.iis.fraunhofer.de/en/ff/bsy/tech/lichtfeld.html

<sup>&</sup>lt;sup>5</sup>http://lightfield.stanford.edu/lfs.html

pixel metrics. Finally, we show that tasks typically done using a dense depth map are made possible with super-rays. We apply the proposed concept of super-rays to real-time segmentation and to the problem of correcting the angular aliasing that occurs when refocusing sparsely sampled light fields.

#### II. RELATED WORK

In this section we discuss the topics related to our work. We first give a brief review of light field editing and then present existing over-segmentation methods for video, multiview stereo and RGB-D data.

**Light field editing:** So far, most of light field research has focused on typical light field applications: refocusing [21], depth estimation [22], [23], super-resolution [24], [25]. Light field editing has only been recently addressed with methods targeting either automatic propagation of user inputs from one view to the others [10], or object segmentation.

In the first category, the authors in [10] describe an approach using a 3D voxel-based model of the scene with an associated radiance function to propagate pixel edits and illumination changes in a consistent manner from one view to the other views of the light field. The 3D voxels are then carved away to enforce consistency with an a-priory specified scene radiance model. The voxels whose image projections do not conform well to the local scene radiance model are carved away. Propagating a pixel edit then requires determining the voxels that correspond to that pixel and modifying their radiance functions, the change is then propagated by projecting the voxel into each image. The authors in [11] extend the 2D image stroke-based edit propagation method of [26] to light fields. To overcome the computational burden inherent to light field data, the edits are propagated in a downsampled version of the light field. The downsampling step can be seen as some pixel clustering based on an affinity metric defined in the 4D light field space. The pixels are first projected into the affinity space which is then subdivided into clusters, in a way similar to the bounding volume hierarchy. Once the edits have been propagated in the low resolution version of the light field, an upsampling is performed guided by the full resolution data as in the Joint Bilateral Upsampling technique [27]. Assuming that light field data can be well approximated by a fixed number of scene layers at different depth, a depthlayer-aware image synthesis method is proposed in [13] for edit propagation.

Perhaps more linked to over-segmentation, the second class of approaches aims at providing object segmentation masks on all views. This can be done using level sets [28]–[30], but this assumes each segmented object to be fronto-planar to the camera. An alternative is to segment each ray using the spatial and angular neighbourhood. In [7], [8], a random forest and SVM technique are used respectively to learn a color and depth model using user scribbles on the central view. A regularisation is then run to obtain the segmentation masks using respectively depth aware and raw angular neighbourhood. To decrease the computational load of the regularisation, it is possible to merge several rays coming from the same scene point in the regularisation [9], but this relies on a relatively accurate dense depth estimation and still badly scales with the spatial light field resolution.

The common point of all these approaches is that they all rely, at some stage, on pixel-level representations of light fields, yielding a high computational load, especially when global regularisation is involved, which motivated the proposed concept of super-rays which can be seen as an extension of super-pixels to light fields.

**Super-pixel algorithms:** Superpixels have been introduced to circumvent the computational complexity issue in traditional image processing. The term *super-pixel*, first coined in [19] is often described as the partitioning (or clustering) of image pixels into a set of perceptually uniform regions. Ideally super-pixels should be compact (uniform in size), adhere well to the boundaries of objects and be fast to compute.

Because of these properties, super-pixels efficiently represent the image content and are often used as an alternative to pixel representations. Super-pixels allow reducing the computational complexity of many image processing tasks such as (e.g object segmentation, object tracking, etc. ), while providing useful region-based information (e.g texture description, guided regularisation etc. ).

Many super-pixel approaches have been proposed which can be classified into two main categories (see [31] for a recent overview). The first type of methods concerns graph based approaches [32]–[36]. While these methods offer a good accuracy, they either do not provide control on the shape of super-pixels, are either very computationally expensive or are not parallelisable, hence not suitable for our applications. The second category of approaches, which are usually faster than graph-based solutions, aims at growing or evolving existing super-pixels. This category includes a variety of methods such as the multi-scale watershed segmentation approach proposed in [37], the turbopixels which segment the image into a latticelike structure of compact regions by dilating seeds [38], and the quick shift clustering technique [39]. In the latter category, one also finds the SLIC [20] and the SEEDS [31] methods for super-pixels on which we focus in the sequel.

Simple Linear Iterative Clustering (SLIC) super-pixels [20] rely on a reformulation of Loyd's algorithm for the k-means problem with two novelties. First, the distance metric is a weighted sum of the CIELab color distance and the Euclidean pixel distance. Second a search window around the centroid is used to reduce the complexity of the algorithm. This approach has been extended in [40] to take into account a geodesic distance between pixels. Color and spatial information are integrated along the shortest path between two pixels in order to guaranty compactness, color consistency and connectivity.

SEEDS super-pixels [31] take quite the opposite approach. The method starts from a regular, coarse grid segmentation, and iteratively updates blocks of pixels at the edge for the current segmentation. That update is done such that each block can change its super-pixel labelling if it decreases a total energy function of the color distribution of the super-pixels. The block size is reduced along the iterations at a given rate.

Despite the fact that the two last approaches provide better results, as they enforce continuity between super-pixels, in SLIC, the computation for the assignment and update steps can be done for each pixel independently. This is not the case for all approaches relying on any *stack formulation*, which makes the methods awkward to implement in parallel. To the best of our knowledge, only SLIC has been successfully implemented on GPUs [41] to provide results in real time.

**Multiview segmentation:** Since a light field can be seen as a (possibly dense) collection of views, the proposed work raises issues one can also find when dealing with multiview segmentation. One issue is in particular the possibility of simultaneously performing segmentation and depth estimation.

Super-rays imply establishing correspondences between rays corresponding to different views during the segmentation. The correspondences are found with the help of sparse depth information. While it is possible to simultaneously estimate depth and perform the segmentation [42] or the oversegmentation [43], this can understandably be achieved at the cost of a very high computational cost.

An alternative approach is to first compute super-pixels independently for each view, and then find correspondences between them. In [44], a graph is constructed connecting relatively small super-pixels computed on each view separately. The super-pixels form the vertexes of the graph, while the edges connect super-pixels in all the neighbouring images that satisfy the epipolar constraint. To enforce spatial consistency, the weights on edges are given by the color-consistency of two connected super-pixels. Using a foreground and background color model, the authors are able to extract a foreground object directly. The goal being object segmentation, the super-pixels are not explicitly grouped in a consistent manner across views, as targeted here with the proposed super-rays. In [45], superpixels are computed on one view only, and are assigned a normal and depth measure using photo-consistency with the other views. The authors are more interested in estimating depth information in a reference view rather than by the correspondence established by view segments.

**Video over-segmentation:** Over-segmentation has also been studied for reducing the complexity of video analysis tasks. Two main categories of approaches exist for video over-segmentation, either considering a set of consecutive frames as a volume or processing either image separately and updating super-pixels as a new frame arrives.

In [46], super-voxels are computed for a set of consecutive frames. The authors assess five super-voxel algorithms in terms of spatio-temporal coherence, object and region boundary detection, region compression and parsimony. Redundancy between frames in the temporal dimension is hence exploited to construct the super-voxels as it is in the inter-view dimension for multiview data. The authors in [47]–[51] instead try to compute temporally consistent super-pixels. The approaches hence consist in updating the super-pixels as each frame arrives, either by deleting, creating and updating super-pixels to account for the scene motion. Optical flow is equally often used both as an additional clustering information, but also when large displacements are involved.

Although applicable to densely sampled light fields, the first kind of approaches is likely to fail in the case of sparsely sampled light fields as they usually fail for videos in the case of large object displacements. The second type of approaches applies to light fields but does not exploit the fact that object displacements from one view to the other is, due to the scene geometry, uniform.

**RGB-D clustering:** To be complete, one should also mention the work focusing on RGB-D over-segmentation. However, this problem differs from ours in the sense that the goal is to segment a point cloud rather than pixels on several views. Nevertheless, one paper [52] interestingly uses a modified version of SLIC, using seeds defined from the 3D map, and performs the assignment step using the image distance from the centroid projected in order to circumvent the errors in depth estimation. Note that this work differs from ours as we do not assume dense depth information to be available and, in addition, we target view segmentation rather than point cloud segmentation.

#### **III. SUPER-RAY LIGHT FIELD OVER-SEGMENTATION**

Let r be a light ray of the light field LF, and (s, t, x, y) its coordinates using the two plane parametrisation [53], where (s, t) and (x, y) are the angular (view) and spatial (pixel) coordinates respectively. Besides, each light ray has an associated CIELab color value  $Lab_r$ . In this work, we note  $(x', y') := \mathcal{P}_{s',t'}^d(x, y) \in \mathbb{R}^2$  the spatial pixel position in view (s', t') imaging the same scene point, at a distance d, as (x, y) in view (s, t). This is, (x, y) and  $\mathcal{P}_{s',t'}^d(x, y)$  are corresponding points imaging the same scene point in different views. In particular, in the case of a uniformly sampled light field we have

$$\mathcal{P}^{d}_{s',t'}(x,y) = \left(d\left(s-s'\right)+x, \ d\left(t-t'\right)+y\right).$$
(1)

However, if the light field has been acquired with a camera array,  $\mathcal{P}$  should take into account the extrinsic and intrinsic matrices of each camera, and allow us to estimate the pixel correspondences in this particular setting. Using this notation,  $r \sim r'$  are corresponding rays imaging the same scene point, where  $r' := (s', t', \mathcal{P}_{s',t'}^d(x, y))$ .

Now, given a light field, our goal is to group in the so-called super-rays, all perceptually similar rays corresponding to the same scene area. Formally, we aim to compute the mapping  $A: LF \subset \mathbb{Z}^4 \to \mathbb{Z}$ , such that each light ray r of the light field is assigned with a super-ray label c. We define  $SR_c$  the set of rays r such that A(r) = c. Each super-ray  $SR_c$  is characterised by a centroid ray  $r_c$ . By definition, the angular coordinates of  $r_c$  correspond to the fixed reference view  $(s_c, t_c)$ . Besides, each centroid ray has a depth  $d_c$  associated to it.

#### A. Method description

**Initialisation and depth estimation for centroids:** First of all, the spatial positions  $(x_c, y_c)$  of the centroid rays are initialized on a regular grid of step S in the reference view. The corresponding CIELab color values on such positions are the initial color values of the centroid rays  $Lab_{r_c}$ .

Then, a depth  $d_c$  is estimated for each centroid ray  $r_c$ . As this step is important for the rest of the algorithm the depth estimation needs to be robust. Thus, inspired by the recent

works on light field depth estimation [18], we consider a multibaseline block-matching strategy with angular patches in order to be more robust to occlusions and fattening errors. Let  $\Omega$  be the set of angular patches where each patch  $o \in \Omega$  is defined such that o(s, t) is 1 if a ray is visible on the view (s, t), and 0 otherwise. Each angular patch can be seen as a visibility mask. In practice, we define  $\Omega$  as predefined set of angular patches, one patch that corresponds to the full view visibilities (topbottom, right-left and diagonals). See an example for a  $3 \times 3$ light field in Fig. 1. Hence, the depth for the centroid c is estimated by minimizing the color distance in the RGB color space using the different angular patches

$$d_c = \arg\min_d \left\{ \min_{o \in \Omega} \sum_{s',t'} o(s',t') \ \Delta^B_{RGB}(r_c,r'_c) \right\}, \quad (2)$$

where  $r'_c = (s', t', \mathcal{P}^d_{s',t'}(x_c, y_c))$  and

$$\Delta^{B}_{RGB}(r_{c}, r_{c}') = \sum_{(i,j)\in[-B,B]^{2}} \left( RGB_{r_{c}}(i,j) - RGB_{r_{c}'}(i,j) \right)^{2},$$
(3)

is the patch color distance between the patch in the reference view  $(s_c, t_c)$  and the patch in  $(s', t') \neq (s_c, t_c)$ . In particular,  $RGB_{r_c}(i, j)$  is the RGB-color value of the ray  $(s_c, t_c, x_c + i, y_c+j)$ . In this work, we fix B = 3 and we consider 9 angular patches (its size being equal to the number of views in the light field). Since the depth is estimated for a few number of points (the centroids), this choice is acceptable for low complexity applications.

Assignment step: At each iteration, each light ray r(s, t, x, y) of the light field is assigned a super-ray label. First, the depth estimation in the previous step is used to compute the corresponding rays of  $r_c$ . Formally, we compute  $r'_c = (s', t', \mathcal{P}^{d_c}_{s',t'}(x_c, y_c))$  such that  $r_c \sim r'_c$ . Then, each ray in a neighbourhood  $N_S(r'_c)$  of size S around  $r'_c$ , is assigned to the super-ray  $SR_c$  if it minimizes the color and spatial distances:

$$A(r) = \arg\min_{c} \left( \Delta_{Lab}(r, r_c) + m \,\Delta_{xy}(r, r'_c) \right), \quad (4)$$

where

$$\Delta_{Lab}(r, r_c) = ||Lab_r - Lab_{r_c}||^2, \qquad (5)$$

$$\Delta_{xy}(r, r_c') = ||(x, y) - \mathcal{P}^{d_c}_{s', t'}(x_c, y_c)||^2;$$
(6)

and m is the parameter weighting the color and spatial distance. A visual explanation can be found in Fig 2. Note that, when r belongs to the reference view,  $r_c = r'_c$  in Eq. 4 and our assignment step is equivalent to the SLIC assignment step. However, our approach allows to coherently assign a label to all rays in the other light field views.

In our assignment step we presume (as in [9]) that two light rays from the same view and close spatial coordinates are likely to image two close scene points. Therefore, a ray that is similar in appearance and close to a centroid light ray or close to one of its corresponding rays is considered likely to belong to the same scene object. Therefore, it should belong to the super-ray corresponding to this centroid.

**Update step:** In this step, the spatial coordinates of the ray centroid and its corresponding *Lab* values are updated. In



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Fig. 1: Example of angular patches in  $\Omega$  for a light field of  $3 \times 3$  views. The orange color corresponds to the reference view  $(s_c, t_c)$  so the angular patches are equal to 1 at this position. White positions corresponds to visible rays, so its value is equal to 1, and grey positions are equal to 0. The leftmost patch assumes the ray is visible in all views. Other patches correspond to partial visibility.



Fig. 2: Assignment step. r is a ray inside the search window of the super-ray  $SR_c$ , defined according to the projection of its centroid  $r_c$ ,  $P_{s',t'}^{d_c}(x_c, y_c)$  in the view where r lies. The color and spatial distance in Eq. 4 is denoted  $\Delta$ .

particular, the new color value of  $r_c$  is the average of the color values of all rays in  $SR_c$  and the new spatial coordinates are the average coordinates of all light rays, r = (s, t, x, y) in  $SR_c$  projected on the reference view using the depth  $d_c$ :

$$Lab_{r_c} = \frac{1}{|SR_c|} \sum_{r \in SR_c} Lab_r \,, \tag{7}$$

$$(x_c, y_c) = \frac{1}{|SR_c|} \sum_{r \in SR_c} \mathcal{P}^{d_c}_{s_c, t_c}(x, y) \,. \tag{8}$$

Note that the centroid rays are defined on a reference view so its angular coordinates  $(s_c, t_c)$  are not changed in our algorithm. On the contrary, the centroid spatial coordinates  $(x_c, y_c)$  are first initialized on a regular grid in  $\mathbb{Z}^2$  and then updated in Eq. 8, which produces new coordinate values in  $\mathbb{R}^2$ . So,  $r_c$  is defined as a virtual light ray which is not necessarily one of the light rays captured in the light field. We summarize the update step in Fig. 3.

When updating the spatial coordinates we assume that rays inside the same super-rays are likely to have similar depth, so Eq. 8 is a good approximation with respect to the centroid position we would obtain using the true depth per ray. Furthermore, Eq. 8 ensures that two corresponding rays, on two different views, have nearly the same spatial distance  $\Delta_{x,y}$ (as in Eq. 4) from a given centroid ray. This is not necessarily the case when seeding the centroids independently on all the view.

**Cleanup step:** Similarly to SLIC, our algorithm does not enforce super-ray spatial connectivity, so after our light ray grouping procedure some rays may remain isolated, specially when the spatial term in Eq. 4 has a low weight. For this reason, a simple post-processing is performed, that consist in re-labeling super-ray disconnected components (with a number of pixels  $< \frac{1}{4}S^2$ ) with the closest super-ray label.

The entire algorithm proposed in this paper is described in Algorithm 1.

#### **B.** Experiments

In order to quantitatively evaluate the proposed approach, well-known super-pixel quality measures can be trivially extended considering all views, such as the Achievable Segmentation Accuracy (ASA), the Boundary Recall (BR) [54] or the Corrected Under-segmentation Error (CUE) [31]. However, these measures do not evaluate the coherence through the light field views. For this reason, we introduce a new evaluation measure called View Consistency (VC). This new measure assumes that the ground truth depth D is known and uses it to select the light rays to consider. Indeed, given a light ray r, our measure aims at evaluating the assignment consistency for the set of corresponding rays imaging the same scene point as r:

$$L'(r) = \left\{ r' \in LF \quad s.t. \quad (x', y') = \mathcal{P}_{s',t'}^{D(r)}(x, y), \\ (x, y) = \mathcal{P}_{s,t}^{D(r')}(x', y'), \quad (s', t') \neq (s, t) \right\}.$$
(9)

Note that the re-projection check using the ground truth D takes into account the occlusions and guarantees that L'(r) contains light rays imaging the same scene point. Therefore, we define

$$VC(A) = \frac{1}{|LF|} \sum_{r \in LF} \frac{1}{|L'(r)|} \sum_{r' \in L'(r)} \delta(A(r), A(r')), \quad (10)$$

where  $\delta$  is the Kronecker delta. This metric is somehow related to the *Inter-Frame Label Consistency* [48] for super-pixel evaluation in the case of videos, but instead of computing the consistency from frame to frame using the ground truth optical-flow, we measure the consistency between all light field views simultaneously using the ground truth depth.

Our quantitative evaluation is performed on synthetic datasets, with segmentation and depth ground truth. We use the dataset in [23], that is composed of  $9 \times 9$  densely sampled views of  $768 \times 768$  pixels (*Papillon 2, Horses 2, Stilllife 2, Budha*). We also use the dataset in [9], which is a  $4 \times 4$  sparsely sampled views of  $640 \times 360$  pixels (*Scene 4*). Finally, we propose a new dataset of  $5 \times 5$  views of  $640 \times 480$  pixels (*Tricycle*), which is rather sparse.



Fig. 3: Update step. Each ray of the super-ray  $SR_c$  is reprojected on the reference view using the depth of the super-ray. Here we show  $r_i$  and  $r_j$  being reprojected on the reference view  $(s_c, t_c)$ . The projection are averaged, giving the new centroid ray position on the reference view  $(x_c, y_c)$ .

Algorithm 1: Our super-say algorithm
Data: Input Light - Field
<b>Result:</b> A super-ray assignments
Initialise centroids on reference view;
while not (converged OR max. iteration reached) do
\\ Assignment step
for each centroid c do
<b>for</b> each view $(s', t')$ <b>do</b>
Compute $(x'_c, y'_c) = \mathcal{P}^{d_c}_{s',t'}(x_c, y_c);$
for each ray r in $\mathcal{N}_S(r'_c)$ do
A(r) = c ( <i>c</i> minimizing Eq. 4);
\\ Update step
for each centroid c do
Compute $\mathcal{P}^{d_c}_{s_c,t_c}(x,y), \ \forall r \in SR_c;$
Update $Lab_c$ and $(x_c, y_c)$ (Eqs. 7 & 8);





Fig. 4: Average displacement in pixels of the centroid spatial coordinates with respect to the number of iterations.



(b) Evaluation of independent super-pixel estimation and a posteriori merging.

Fig. 5: Different evaluation metrics across different parameters for (*Scene 4*). Green means good score while red represent bad score. For the sake of readability, the axes are flipped differently for each metric.

First, we observe that our approach converges in 10-15 iterations, similarly to SLIC, as shown in Fig. 4, for both dense and sparse light fields.

We compare the proposed super-rays construction method with what we would obtain by separately computing superpixels on each view, and then merging super-pixels having the highest number of corresponding rays across views. In particular, we use the ground truth depth in the synthetic datasets to re-project rays onto the central view, and we then merge the super-pixels of different views with the super-pixels on the central view having the highest number of re-projected rays, i.e such that VC is maximised. Fig. 5 and Fig. 6 show the superiority of our strategy compared to the merging of independent super-rays.

Fig. 5 shows the behaviour of the four quality metrics (ASA, BR, CUE, VC), when varying the different parameters, i.e., the size S of the super-rays and the compactness parameter m, for the dataset Scene 4. We observe in Fig. 5a that when increasing the values of S and m, the super-rays do not well segment the objects in the scene, as it was observed with SLIC super-pixels. We also remark that ASA, BR and CUE have similar behaviours with similar numerical values when varying S and m, but the proposed metric VC has an opposite behaviour. Indeed, decreasing S and m decreases the view consistency. This can be explained by the fact that decreasing S and m increases the number of super-rays, hence of super-ray edges near which rays are more prone to labelling errors. So, the view consistency decreases. Fig. 5b shows that merging independent super-pixels has no impact on the superpixel metrics (ASA, BR, CUE) as one may expect, but view consistency is severely deteriorated.

The same observations generalises to the rest of our test set. Fig. 6 shows how the two approaches compare when fixing one of the parameters. To be able to compare light fields of different spatial resolution, we use k, the number of visible super-rays per view. Once again, we observe very close results when changing k and the spatial weighting parameter m for the ASA, BR and CUE. However, enforcing the super-rays to have the same centroid ray imaging the same scene point, yields super-pixel consistency across views. Our approach allows the segmentation consistency to be independent of the k and m parameters, whereas when computing super-pixels on each view, one super-pixel on a view can be described at two (or more) disjoint pieces of super-pixels on another, depending mostly on the initial seeding.

The other thing we notice is the significant difference in terms of over-segmentation performance between densely sampled and sparsely sampled light fields. The over-segmentation of sparsely sampled light fields is less consistent across views, and usually slightly less accurate than for dense light fields. This can be explained by errors in the initial depth estimation, leading to some inconsistent super-rays.

Fig. 7 and 8 show the super-rays constructed by the proposed algorithm, with m = 1 for the smoothness parameter and S = 15 and S = 20 for the super-pixels size respectively. Note that we only display  $3 \times 3$  views for the sake of readability. Each super-ray is reassigned a random color, the projection of each centroid ray on the different views is represented with a small cross. Qualitatively, the super-rays on each view look like regular super-pixels. We invite the reader to zoom in to see that the super-rays are consistent from one view to another. We see that super-rays are overall consistent from a view to another, despite occlusions.

We invite the reader to consult our website<sup>6</sup> for more detailed results.

<sup>6</sup>http://www.irisa.fr/temics/demos/Superrays/index.html



Fig. 6: Comparison of super-rays versus merged independent super-pixels, when varying k, the number of super-rays visible on each view with m = 1 fixed (left column) and when varying m the compactness parameter, with k = 500 fixed (right column).



(b) Color-coded super-rays

Fig. 7: Super-rays for the sparsely sampled light field in the Tsukuba dataset [55].

#### C. Discussion

The main interest of super-rays is to give a compact mutliview representation of the scene, without relying on dense depth estimation. This representation can be used directly or with depth information associated to each centroid ray, as we show in the next section. One main challenge of super-rays is to be as computationally efficient as super-pixels. While it would be possible to integrate some photo-consistency prior in the assignment step (Eq. 4), this would come with a huge computational cost, since the photo-consistency would either need to be pre-computed for each ray and for each candidate disparity value, or to be computed at each iteration. Moreover, the K-means strategy applied here relies on some strong assumptions on the data (e.g spherical distribution variance, uniform cluster size etc. ), that get easily violated when dealing with other quantities such as color and spatial information. Instead, our approach only uses the disparity of centroid rays, and let the spatial distance of the reprojected rays do the grouping. In that sense, the geometric information given by the light field is not fully exploited, but on the other hand, as long as two objects have sufficiently different colors, our approach is still sufficient to yield a good segmentation.

The first obvious limitation of this method is that it relies



(b) Color-coded super-rays

Fig. 8: Super-rays for the densely sampled light field we have captured with the Lytro Illum and decoded using the toolbox in [56], [57].

heavily on the centroid depth initialisation. Even if we proposed a method to robustify this initial search, errors may have negative consequences on the output segmentation, rays being assigned to the wrong super-ray. Precisely, this is a problem when the disparity error is greater than the super-ray size, as the centroid would potentially fall outside an object during projection. This being said, light-field depth estimation is an active research topic and our depth estimator could be replaced in the future with another sparse and accurate method.

The second limitation is related to occlusions. Indeed, because the projected centroids coordinates are not placed regularly, but rather warped according to the scene depth, zones with large occlusion have few, or no nearby centroids projections. If an occlusion is bigger than the search window of the super-ray, rays of a view might not be assigned to any super-rays.

#### **IV. SUPER-RAY APPLICATIONS**

In this section we propose two examples of editing applications that exploit the super-rays presented in this paper. On the one hand, we present a fast light field segmentation algorithm based on super-rays. On the other hand, we present a novel algorithm for correcting angular aliasing for sparsely sampled light fields.

#### A. Real Time Interactive Segmentation

light field segmentation has a high computational complexity [9] [8] [7] and using super-rays is a good strategy for decreasing it, similarly to temporal super-pixels for video segmentation.

We use the same graph structure introduced in [9] in which rays of the light field are packed in ray bundles in order to decrease the number of nodes of the graph since there is a node per ray bundle instead of a node per light ray. However, it requires a dense depth estimation per view to determine the ray bundles. On the contrary, our proposed strategy uses the super-rays and the centroid depth estimates to create the graph. This is, we build a graph  $\mathcal{G} = {\mathcal{V}, \mathcal{E}}$  where each node  $\mathcal{V}$  corresponds to one super-ray  $SR_c$  and we set an edge of  $\mathcal{E}$  between two nodes if the two super-rays share a common border in at least one view (adjacent super-rays). Then, we define the energy

$$\varphi = \sum_{c_i} U(c_i) + s \sum_{\substack{c_i \\ c_j \in \mathcal{N}(c_i)}} P(c_i, c_j) , \qquad (11)$$

where s is the smoothness parameter,  $\mathcal{N}$  the function that indicates if two super-rays are adjacent and U and P the unary and pairwise terms respectively. U uses the super-ray average color probability, defined from a Gaussian mixture learnt from the user input and P is defined as a summation of the view conventional pairwise relationship.

In order to minimize Eq. 11 the multi-label Graph-Cuts algorithm in [58], [59] is applied, using an available implementation<sup>7</sup>. Fig. 9 shows the final segmentation for the *Tsukuba* dataset along with the input scribbles in the reference view. The main interest of using super-rays as a base for segmentation is the gain in running time. Here we spend 1ms on the alpha expansion in the Graph-Cut step compared to 3s in [9]. This gain comes at the expense of loosing precision, but the obtained accuracy is sufficient for many real-time applications requiring a fast (rather than accurate) segmentation.

#### B. Correcting Angular Aliasing

One of the major new light field applications compared to conventional cameras is the post-capture image refocusing. In fact, light fields captured with Plenoptic type 1.0 cameras provide quite impressive refocusing results [1] but angular aliasing appears when refocusing light fields from camera rigs or refocused plenoptic cameras. This is due to the poor angular sampling of such acquisition systems. Angular aliasing is particularly visible when the simple *shift-and-add* algorithm is used for refocusing, whereas other solutions such as the adaptive splatting [60] or the rendering of novel views [61] [6] decrease the artifacts. However, most of the solutions are depth-based methods which makes them unsuitable for fast

(a) Reference view with input scribbles.



(b) Output segmentation masks.

Fig. 9: Graph-cut segmentation of the dataset in Middlebury [55] using our super-rays. Our strategy allows a significant reduction of the running time compared to the state of the art light field segmentation.



Fig. 10: Refocusing the sparsely sampled *Tsukuba* dataset. Left: Shift-and-add algorithm which creates annoying angular aliasing artifacts. Right: Our strategy using real and virtual views. The virtual views have been rendered with our superrays. We invite the reader to zoom-in to see the details.

editing applications. Here we propose to refocus using our super-rays to avoid angular aliasing while maintaining a low complexity. Our goal is not to render new views but our philosophy is similar in the sense that we use approximate intermediate views computed with our super-rays. Thus, refocusing is performed via *shift-and-add* using both original and approximate intermediate views that we call *virtual views*.

With our notations, the *shift-and-add* method to compute the refocused image at depth d from the viewpoint  $(s_c, t_c)$  is defined as

$$I^{d}_{s_{c},t_{c}}(x,y) = \frac{1}{N^{2}} \sum_{s,t} RGB(s,t,\mathcal{P}^{d}_{s,t}(x,y)), \quad (12)$$

where the original angular coordinates  $s, t = 0, \dots, N-1$ correspond to the original image views available in the light field. Now, we define the virtual positions  $(u, v) \in \mathbb{R}^2$  as

$$(u,v) = (s,t) + \frac{1}{\Delta_d}(m,n), \quad m,n = 1, \cdots, \Delta_d - 1,$$
(13)

where the number of virtual views between two original views is  $\Delta_d = [|(d_c - d)|]$  the integer part of the absolute value of the depth difference between the refocusing depth d and the centroid depth  $d_c$ , c being the centroid label to which  $(s_c, t_c, x, y)$  belongs. Therefore, the corrected refocused image is defined as the sum of the original images and the virtual views contribution:

$$I_{s_c,t_c}^{\prime d}(x,y) = \frac{1}{(N \cdot \Delta_d)^2} \sum_{s,t} \left\{ RGB(s,t,\mathcal{P}_{s,t}^d(x,y)) + \sum_{u,v} RGB(u,v,\mathcal{P}_{u,v}^d(x,y)) \right\}.$$
 (14)

Note that Eq. 14 requires to interpolate the virtual views, which can be quite memory and time consuming. However, in our strategy we do not explicitly compute them but we use the super-rays depth  $d_c$  to approximate ray colors in virtual views:

$$RGB(u, v, \mathcal{P}^{d}_{u,v}(x, y)) \simeq RGB([u], [v], \mathcal{P}^{d_{c}}_{[u], [v]}(\mathcal{P}^{d}_{u,v}(x, y))),$$
(15)

where ([u], [v]) is the closest original view.

Considering  $d_c$  as the depth of all rays of a super-ray is a coarse approximation but it has few or no consequences on the final result since we only approximate for the blurred, out of focus areas. However, the high frequencies on the blur due to the poor angular sampling are successfully removed. Moreover, using the approximate depth information is sufficient to prevent out of focus rays coming from the background to be mixed with occluding in-focus rays which may create artifacts.

Fig. 10 shows the angular aliasing correction using the dataset from [55] when refocusing at the sculpture bust. Our method successfully decreases the angular aliasing on the background. Note that we simulate a squared aperture which provides a squared *bokeh*.

#### V. CONCLUSION

We have introduced the concept of super-ray and we have proposed an implementation that is suitable for sparely and densely sampled light fields. Our solution is fast, easy to implement, and suitable for GPU implementations. Besides, our super-rays are view consistent, which is a major advantage for light field editing. In particular, we have shown the interest of super-rays for light field segmentation and refocusing without angular aliasing.

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