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A multi-seasonal model of plant-nematode interactions and its use to identify durable plant resistance deployment strategies

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Abstract

Root-knot nematodes of the genus *Meloidogyne* are soil-borne, little mobile, polyphagous pests which threaten important sheltered crops such as vegetables or small fruits. They attack plant roots to feed and reproduce and have a major impact on crop yield. Most eco-friendly plant protection strategies are based on the use of resistant crops. The emergence of virulent nematode variants, which are adapted to the resistance, challenges the durability of such methods. Because virulent root-knot nematodes exhibit a reduced fitness on susceptible crops, combining both resistant and susceptible plants can help increase the efficacy and sustainability of resistance-based nematode control. Since nematodes have poor intrinsic dispersal ability, the association between resistant and susceptible plants should rely on crop rotation over cropping seasons, rather than on spatial arrangements. We proposed a semi-discrete model describing the population dynamics of plant roots and of nematodes within and over cropping seasons. This model, inspired by epidemiological concepts, was fitted to literature data on the within cropping season dynamics of susceptible tomato plants and avirulent nematodes; it was then extended to also account for resistant plants and virulent parasites. The model was used to compute optimal crop rotation strategies with respect to the minimization of an epidemiological criterion called AUDPC to increase crop yield over different time horizons (between 2 and 40 cropping seasons).

Keywords: epidemiology; nematode; resistance.

INTRODUCTION

Root-knot nematodes are present in most soils worldwide. They can infect more than 5500 plant species (Goodey et al., 1956) and cause considerable damage to crops. Controlling these parasites has long relied on chemical treatments. Since 2006, many of these treatments have been removed from the market because of their environmental and sanitary impact (Abad and Williamson, 2010). This is for instance the case of methyl bromide, a preplant soil-fumigant that was banned by the European Union (MBTOC 2006; EC Directive 1107/2009). The fight against nematodes of genus *Meloidogyne* now consists in using plant cultivars bearing resistance genes. Avirulent nematodes are not able to infect such resistant plants. However, the risks of resistance being overcome by virulent nematode populations that were demonstrated in the laboratory (Djian-Caporalino et al., 2011) are more and more observed in cropping conditions (Djian-Caporalino et al., 2013). Resistance breaking may lead to a significant reduction of durability of resistance-based cultivars and thus compromise yield. Even though virulent nematodes are able to infect resistant and susceptible plants, they develop more slowly on the susceptible plants as the acquisition of virulence comes at the price of a fitness cost, represented by a decrease in fertility (Djian-Caporalino et al., 2011).
Setting up rotation strategies of resistant and susceptible crops should allow to increase the durability of resistance genes and limit the spread of virulent nematodes. Our aim is to explore the efficiency of such rotation strategies by a modelling approach. In this paper, we first present an epidemic model describing the infection dynamics of susceptible or resistant plants by avirulent and virulent nematodes. We then adjust it to the available experimental data. We finally use this model to determine optimal crop rotation strategies.

**MATERIALS AND METHODS**

Our model is based on a description of plant root infection by nematodes: the free living parasites have limited mobility in the soil; they spread and reproduce in the local plant root system. Given that the problem under consideration is essentially seasonal, we used a semi-discrete plant epidemic model to describe the within-season plant root infection dynamics, coupled to the season-to-season survival of nematodes (Mailleret et al. 2012, Fabre et al. 2012, 2015).

**Within-season infection dynamics**

![Compartmental diagram representing the within-season infection of susceptible (superscript X=S) or resistant (superscript X=R) healthy plant roots (H^X) by virulent (subscript v) and avirulent (subscript a) nematodes (P), before becoming latently infected (E=E_a+E_v) and then infectious (I=I_a+I_v) plant roots. Parameters are described in the text.](image)

The within-season dynamics of the nematode infection of plant roots is described by a system of ordinary differential equations. When a healthy plant root H comes into contact with a free living nematode P, it becomes latently infected E as the nematode settles in the plant root. After a period $1/\lambda$, it becomes infectious I, producing nematodes P at rate $r$. The infection of roots by nematodes negatively impacts root growth (Leskovar et al., 1990), which is taken into account through function $f$. This function discounts the basal growth rate $g_x$ by a decreasing exponential function of the infection prevalence $\pi=I/(H^X+E+I)$ multiplied by a scaling factor $k$: $f(H,E,I)=g_x e^{-k\pi}$.

During a cropping season of length $\tau$, either susceptible ($X=S$) or resistant ($X=R$) plants are grown. Two kinds of nematodes compete for healthy roots $H^X$: avirulent nematodes $P_a$, which can infect susceptible plants ($\varepsilon_a=1$) but are unable to infect resistant plants ($\varepsilon_a=0$); and virulent nematodes $P_v$ which can infect both susceptible and resistant plants ($\varepsilon_v=0.8$), but reproduce less efficiently on susceptible plants because of the fitness
cost \( w \) associated with the virulence. We assumed that a proportion \( \delta \) of newborn avirulent nematodes mutate into virulent nematodes and considered the reverse mutation as negligible (Castagnone et al., 1993). The within-season model equations read as follows (see also Fig. 1):

\[
\begin{align*}
\dot{P}_a &= -\beta P_a H^X - \Omega P_a + r (1-\delta) I_a \\
\dot{P}_v &= -\beta P_v H^X - \Omega P_v + r \delta I_a + r (1-w) I_v \\
\dot{H}^X &= f(H^X, I_a, E) - \varepsilon_a H^X - \varepsilon_v \beta P_a H^X \\
\dot{E}_a &= \varepsilon_a \beta P_a H^X - \lambda E_a \\
\dot{E}_v &= \varepsilon_v \beta P_v H^X - \lambda E_v \\
\dot{I}_a &= \lambda E_a - \alpha I_a \\
\dot{I}_v &= \lambda E_v - \alpha I_v
\end{align*}
\]

Parameter definitions, values and units are given in Table 1. The simulation of these equations were conducted with R (function ODE in package deSolve) using the Runge Kutta 4 method.

**Winter survival of nematodes**

Nematode densities \( P_a \) and \( P_v \) at the beginning of a given cropping season are computed as the product of nematode densities at the end of the previous cropping season multiplied by the winter survival probability \( \phi \). Other variables are reset to zero, except the number of healthy roots \( H \) at crop plantation, which is set to the initial root biomass of newly planted individuals \( H_0 \).

**Model adjustment**

All parameters could be estimated from the literature or expert knowledge but three: the conversion factor of units of root in feeding sites (\( x \)), the infection rate (\( \beta \)), and impact of infection prevalence on root growth rate (\( k \)).

We thus obtained their value by adjusting the model to experimental data on the within cropping season dynamics of susceptible tomato plants and avirulent nematodes, reported by (Ehwaeti et al., 1998). They measured the final density of nematodes in the ground after one cropping season (\( P_{data} \)) for different values of their initial density \( (i=1,...,5) \), as well as the relative loss of biomass (\( B_{data} \)) after 42 days \( (j=1) \) and at the end of the season, i.e. after 135 days \( (j=2) \). Each set of data is reported as the mean over five replicates, for five values of initial nematode density (Fig. 2). We computed the density of nematodes after 135 days \( (P_{model}) \) for each initial density. We assumed that we could equate the relative loss of total biomass (the data) with the relative loss of root biomass (our model), the total root biomass being the sum of healthy \( (H) \), latent \( (E) \) and infectious \( (I) \) roots. So we could also compute this variable \( (B_{model}) \) for each initial nematode density \( (i=1,...,5) \) and at both dates \( (j=1,2) \). We measured the distance between our model output and the observed data using a weighted least square metric calculated in the following way:

\[
RSS = \sum_{i=1}^{5} \frac{(P_{model}(i) - P_{data}(i))^2}{\text{Mean}(P_{data})} + \sum_{j=1}^{2} \sum_{i=1}^{5} \frac{(B_{model}(i,j) - B_{data}(i,j))^2}{\text{Mean}(B_{data}(j))}
\]

The division by averages allowed accounting for heterogeneous data between nematode density and relative loss of biomass. Model adjustment was done with the optim function in R, using Nelder-Mead’s method. The parameter values obtained are given in Table 1.
<table>
<thead>
<tr>
<th>Parameter</th>
<th>Description</th>
<th>Value (and range)</th>
<th>Reference</th>
</tr>
</thead>
<tbody>
<tr>
<td>$r$</td>
<td>Nematode reproduction rate</td>
<td>$25 \text{ UN x UR}^{-1} \times \text{day}^{-1}$</td>
<td>[1]</td>
</tr>
<tr>
<td>$g$</td>
<td>Plant root growth rate</td>
<td>$105 \text{ mg of roots} \times \text{day}^{-1}$</td>
<td>[2]</td>
</tr>
<tr>
<td>$H_0$</td>
<td>Initial root biomass at the beginning of each cropping season</td>
<td>$1500 \text{ mg of roots}$</td>
<td>[2]</td>
</tr>
<tr>
<td>$\Omega$</td>
<td>Mortality rate of nematodes in the soil</td>
<td>$0.04 \text{ day}^{-1}$</td>
<td>[3]</td>
</tr>
<tr>
<td>$w$</td>
<td>Cost of virulence</td>
<td>$0.4 (0.3, 0.35, 0.4, 0.45)$</td>
<td>[3]</td>
</tr>
<tr>
<td>$\varepsilon_v$</td>
<td>Success of infection by virulent nematodes</td>
<td>$0.8 \text{ ^{ UR x UN}^{-1}}$</td>
<td>[3]</td>
</tr>
<tr>
<td>$\lambda$</td>
<td>Transition rate from $E$ to $I$</td>
<td>$0.05 \text{ day}^{-1}$</td>
<td>[4,5]</td>
</tr>
<tr>
<td>$\alpha$</td>
<td>Mortality rate of infected feeding sites</td>
<td>$0.125 \text{ day}^{-1}$</td>
<td>[4,5]</td>
</tr>
<tr>
<td>$\delta$</td>
<td>Mutation rate of avirulent to virulent nematodes</td>
<td>$10^{-3} (10^{-3}, 10^{-4}, 10^{-5}, 10^{-6})$</td>
<td>[6]</td>
</tr>
<tr>
<td>$\tau$</td>
<td>Duration of each cropping season</td>
<td>135 days</td>
<td>—</td>
</tr>
<tr>
<td>$\varepsilon_a^X$</td>
<td>Success of infection by avirulent nematodes</td>
<td>0 if $X=R$, or 1 if $X=S \text{ UR x UN}^{-1}$</td>
<td>—</td>
</tr>
<tr>
<td>$\varphi$</td>
<td>Winter survival probability</td>
<td>$0.8 (0.5, 0.6, 0.7, 0.8)$</td>
<td>[7]</td>
</tr>
<tr>
<td>$P_0$</td>
<td>Initial nematode density in the soil</td>
<td>$0.8 (0.016, 0.03, 0.8, 4, 20) \text{ UN}$</td>
<td>[8]</td>
</tr>
<tr>
<td>$\beta$</td>
<td>Infection rate</td>
<td>$4.9 \times 10^{3} \text{ UR}^{-1} \times \text{day}^{-1} (3.92 \times 10^{3}, 5.88 \times 10^{3})$</td>
<td>[*]</td>
</tr>
<tr>
<td>$x$</td>
<td>Conversion factor between root mass and density of feeding sites</td>
<td>$3.7 \times 10^{5} \text{ UR x mg of roots}^{-1}$</td>
<td>[*]</td>
</tr>
<tr>
<td>$k$</td>
<td>Impact of infection prevalence on root growth rate</td>
<td>$7.60 (6.08, 7.60, 9.12)$</td>
<td>[*]</td>
</tr>
</tbody>
</table>

$a$: number of feeding sites per gram of soil  
$\text{b}$: number of nematodes per gram of soil  


Optimal crop rotation strategies

We considered all periodic rotation strategies between resistant and susceptible crops, beginning with resistant crops, and alternating $m$ and $p$ seasons of resistant and susceptible plants, respectively. We denoted by $mR+pS$ these periodic strategies. For instance, a $2R+1S$ (i.e. $m=2$ and $p=1$) strategy on a 10-season temporal horizon is RRSSRRSSRRS. We also considered the two pure resistant-only and susceptible-only strategies that correspond to planting only one crop type along the seasons.

We quantified the performance of each strategy using an epidemiological criterion called the Area Under the Disease Progress Curve (AUDPC; Jeger, 2004) defined for one season as: \( \int_0^\tau (I_o(t)+I_v(t)) \, dt \). More precisely, we used the average AUDPC calculated as the mean of the AUDPC over the $n$ cropping seasons.

The larger the criterion, the more severe the plant infestation by nematodes. We thus defined the optimal strategy as the one minimizing the above criterion. We have shown that
minimizing $\text{AUDPC}$ amounts to maximize yield. Indeed, we found that $\text{AUDPC}$ was negatively correlated with crop yield (not shown). We computed these optimal strategies for all temporal horizons between $n=2$ and $n=40$ cropping seasons.

To study the robustness of the strategies with respect to parameter values, we also varied the most uncertain or variable parameters according to the ranges given in Table 1. We calculated the $\text{AUDPC}$ of all pure and periodic rotation strategies and for all 2880 parameter combinations. We then deduced the optimal strategy for each temporal horizon and each parameter set. We computed the median and the 5-95% inter-percentile over all parameter combinations for the optimal and pure strategies.

RESULTS AND DISCUSSION

Model adjustment

The loss of biomass 42 days after planting was well fitted by the model (see Figure 2), but the model overestimated the loss of biomass after 135 days. The fit of nematode populations 135 days after planting was also satisfying.

![Figure 2. Adjustment of the model to experimental data.](image)

(a) Final density of nematodes and (b) relative biomass loss after 42 (in red) and 135 days (in blue), as functions of the initial density of nematodes (logarithmic scale).

Optimal crop rotation strategies

The median and inter-percentile $\text{AUDPC}$ for the susceptible-only strategies were constant for temporal horizons over 5 seasons (see Figure 3). In contrast, the $\text{AUDPC}$ for the resistant-only strategies increased with the temporal horizon, which is characteristic of resistance breakdown by nematode populations.

As we could expect, the resistant-only and optimal strategies had lower $\text{AUDPC}$ and hence performed better than the susceptible-only strategies. Up to 5 years the two former strategies had very similar performances, but for larger time horizons optimal strategies resulted in significant improvements: for instance, the average $\text{AUDPC}$ was around 0.8 $\text{UR} \times \text{days}$ while resistant-only was around 1.2 $\text{UR} \times \text{days}$ for a 10-year temporal horizon. Hence, on very short time horizons, a resistant-only strategy remained efficient, while for longer temporal horizons, periodic rotations were preferable. The $\text{AUDPC}$ gain obtained when shifting from a resistant-only to an optimal strategy could be almost as large as the one obtained by shifting from a susceptible-only to a resistant-only strategy.
Figure 3. Graphical representation of the susceptible-only, resistant-only and optimal periodic rotation strategies according to the temporal horizon, for the parameter combinations defined in Table 1. The shaded areas represent the 5-95% inter-percentiles, i.e. envelopes containing 90% of the values over the 2880 parameter sets. The solid curves represent the median.

For temporal horizons greater than 5 seasons, optimal strategies generally alternated a single season of resistant (R) plants with a few seasons of susceptible plants (see Table 2). A single R season appeared to be the best trade-off to reduce the avirulent nematode population and limit the increase of virulent nematodes. With our parameter ranges, optimal performance was overall achieved by planting relatively few resistant plants. A low ratio of resistant plants limits the selection pressure in favour of virulent nematodes, but also increases crop losses as avirulent nematodes thrive on susceptible plants. On the contrary, larger resistant plant ratios decrease the durability of the gene, by selecting for virulent nematodes, which eventually cancel the benefits provided by the resistance.

Table 2. Optimal periodic rotation strategies with their associated AUDPC, for various temporal horizons. An mR+pS strategy alternates m and p seasons of resistant and susceptible plants, respectively.

<table>
<thead>
<tr>
<th>Temporal horizon (seasons)</th>
<th>Optimal strategy</th>
<th>AUDPC (UR x days)</th>
</tr>
</thead>
<tbody>
<tr>
<td>5</td>
<td>1R+3S</td>
<td>0.78</td>
</tr>
<tr>
<td>10</td>
<td>1R+3S</td>
<td>1.10</td>
</tr>
<tr>
<td>20</td>
<td>1R+5S</td>
<td>1.14</td>
</tr>
<tr>
<td>30</td>
<td>1R+4S</td>
<td>1.21</td>
</tr>
<tr>
<td>40</td>
<td>1R+4S</td>
<td>1.21</td>
</tr>
</tbody>
</table>
The resistant plant ratio had an impact on the performance and dynamics. We compared an optimal 1R+5S and a non optimal 1R+2S strategy on a 20-season temporal horizon (see Figure 4). After the first 3 seasons, which were the same for both strategies, the end-of-season value of the total biomass tended to stabilise around 0.2 UR for the non optimal strategy, whereas it varied between 0.1 and 0.6 UR for the optimal strategy (see Figure 4(a)).

The nematode population also had a fairly regular seasonal pattern for the non optimal strategy: its density varied between 2 and 7 UN (see Figure 4(b)) and mostly consisted of virulent nematodes (see Figure 4(c)). In contrast, the optimal strategy exhibited an irregular pattern: at the end of each R season, nematode density tended to 0. It then increased, but the proportion of virulent nematodes gradually decreased to 0 over the subsequent 4 S seasons (see Figure 4(c)). Indeed, virulent nematodes are selected for in resistant crops, but selected against in susceptible crops, as they are less competitive than avirulent nematodes. The 1R+5S optimal strategy ensured that virulent nematodes were rare in the soil when introducing resistant plants, in order to take full benefit from the resistance. In contrast, the 1R+2S non optimal strategy did not achieve the same result because 2 S seasons were not enough for the virulent nematodes to become rare. Consequently, during R seasons, production (biomass) increased for the optimal strategy, but not for the non optimal strategy.

Consequently, during R seasons, production (biomass) increased for the optimal strategy, but not for the non optimal strategy.

Figure 4. Graphical representation of two periodic rotation strategies over a 20-season time horizon: the 1R+5S optimal strategy (in blue) alternating 1 and 5 seasons of resistant (R in red) and susceptible (S in green) plants, respectively; the 1R+2S non optimal strategy (in black). Winter seasons are illustrated as shaded areas. Corresponding AUDPC are 1.14 UR x days for the optimal strategy and 1.44 UR x days for the non optimal strategy.

CONCLUSION
This study proposed a model which describes plant root infection dynamics by nematodes. Parameter adjustment of our model on experimental data allowed to reproduce rather faithfully infected plant growth by nematodes during a cropping season. We looked for optimal periodic crop rotations, by minimizing a proxy of nematode damage to crops. The deployment of resistant and susceptible plants should allow to maintain crop yield while controlling resistance breaking by virulent nematodes. We found that rather few resistant plants are necessary to achieve this goal. To take the study one step further, we
could carry out sensitivity analyses to identify parameters which have most influence on the optimal strategy. We could also test these strategies experimentally to validate their efficiency.

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**Literature cited**


