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Experimental assessment of the quality of ergonomic indicators for dynamic systems computed using a digital human model

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Abstract

The growing number of musculoskeletal disorders in industry could be addressed by the use of collaborative robots, which allow the joint manipulation of objects by both a robot and a person. Designing these robots requires to assess the ergonomic benefit they offer. Current methods use a posteriori assessment, i.e. observation of a worker performing the task, and require a physical mock-up of the robot. Moreover, they exclude dynamic phenomena because their measurements require heavy instrumentation. However, collaborative robots are not static objects, but dynamic systems which motion influences and is influenced by the physical interaction with the worker. Plus, the worker him/herself is also a dynamic system, on which dynamic phenomena have ergonomic consequences, even without the presence of a collaborative robot. In order to perform more thorough assessments of the ergonomic performances of dynamic systems, it is proposed to use a dynamic digital human model (DHM) for the evaluation, associated with a dedicated ergonomic metric. This paper presents preliminary results on three ergonomic indicators formulated to meet the requirements of ergonomic evaluations of dynamic systems. They evaluate respectively the position of the worker, his physical effort and the energy spent during the task. The same manual task is performed by seven human subjects under different time, load and geometric constraints. Each performance is recorded and replayed with a dynamic DHM in a dynamic simulation framework, in order to calculate the values of the indicators. All three indicators are strongly affected by the geometric parameters in a way that is consistent with ergonomic guidelines. Besides, a linear correlation between the values of the indicators and the strenuousness perceived by the subjects is observed. Moreover, the results show that the relevance of an indicator is strongly affected by the task features, especially its duration. Future work will be directed towards automatic selection of relevant indicators for a given task.

Keywords: Ergonomics, Digital Human Model, Dynamic Motion Simulation, Motion Capture and Replay.

1. Introduction

Though working conditions have improved in developed countries, work-related musculoskeletal disorders (MSDs) remain a major health problem. In 2005, MSDs represented 59% of the occupational diseases and affected over 35% of industrial workers in Europe (Schneider and Irastorza, 2010). In the US, the total cost of MSD has been estimated around $45 to 54 billion per year (National Research Council and Institute of Medicine, 2001). Hence decreasing MSD is a high-stakes socioeconomic issue.

The causes of MSDs are often multi-factorial and include different kinds of factors: personal, organizational, psychosocial and biomechanical (Schneider and Irastorza, 2010). However, the major risk factors are often biomechanical: most MSDs at least partly result from strenuous biomechanical demands caused by physical work (Luttmann et al., 2003). Replacing men by robots to accomplish hard tasks might then be considered an option to decrease the prevalence of MSDs. But despite the growing robotization in industry, many tasks cannot be fully automatized because of their unpredictability or their technicality. A solution is to assist the worker with a collaborative robot, rather than replacing him. A collaborative robot enables the joint manipulation of objects with the worker and thereby provides a variety of benefits, such as strength amplification, inertia masking and guidance via virtual surfaces and path (Colgate et al., 2003). To ensure that the use of these devices do decrease the risk of MSDs, an ergonomic assessment of the robot-worker system must be performed throughout the design process. Standard ergonomic methods are based on the observation of a worker performing

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the task (Li and Buckle, 1999), and require a physical mock-up of the robot. Given that this assessment aims at guiding the design of the robot, it means a new prototype every time a mechanical parameter of the robot is changed, which is a significant limitation in terms of cost and time. Besides, these evaluations usually exclude dynamic phenomena that yet affect the risk of MSDs, because their measurements require heavy instrumentation of the worker. An alternative is to carry out the assessment within a digital world, where modifications are simpler, and many physical quantities can be accessed at lower cost.

Several tools exist that offer the possibility to perform ergonomic evaluations of a workplace in a virtual environment by simulating the worker with a digital human model (DHM): e.g. Delmia1, Jack (Raschke, 2004), Ramsis (Seidl, 2004), Sammie (Porter et al., 2004). The manikin is animated through motion capture data, direct or inverse kinematics, or pre-defined postures and behaviors. Various ergonomic assessment methods are included in these software products. The first class of methods estimates the level of risk depending on the exposure to the main MSD factors. The most widely known are RULA (Rapid Upper Limb Assessment), REBA (Rapid Entire Body Assessment), OWAS (Owako Working Posture Analysis System), the OCRA index (Occupational Repetitive Action), or the OSHA checklist (Li and Buckle, 1999; David, 2005). The second class of methods consists of equations or tables that give psycho-physiological limits not to exceed in order to minimize the MSD risk during manual handling operations. The most famous are the NIOSH equation (Waters et al., 1993) and the Snook and Ciriello tables (Snook and Ciriello, 1991), which determine a maximum acceptable load weight depending on the task features.

Though a wide variety of methods are available, they are not suitable for the design of collaborative robots. Such robots must be optimized considering the whole activity and the whole human body. But the tasks which may be addressed by these robots are various and often complex, whereas the existing assessment methods are specific either to a type of activity and/or to a body part. So the evaluation of the entire activity will very likely require the use of several methods, the results of which are mostly not homogeneous and therefore cannot be compared. Moreover, what might be the main drawback of these observational methods is that they are static, meaning that dynamic phenomena are not taken into account. Yet it has been established that fast motions increase the risk of MSDs - even when there is no interaction with a robot - because of the efforts they generate in biological tissues. In collaborative robotics, evaluating the dynamic stages of the activity is even more important because, though designed to be so, the robot is never perfectly backdrivable. Some phenomena can be hard to compensate, even with a dedicated control law. In this case manipulating the robot requires extra efforts from the worker. For instance, collaborative robots providing strength amplification usually are powerful thus heavy: they are highly inertial so leaving dynamic stages out of the assessment can lead to an underestimation of the risk.

Beyond these methods associated with macroscopic human body modelling, some DHM tools provide very accurate biomechanical models including muscles, tendons, and bones, e.g. AnyBody (Damsgaard et al., 2006), OpenSim (Delp et al., 2007). They can calculate quantities such as muscle force or tendon length, which are closely linked to MSD (Luttmann et al., 2003), and sometimes even include dynamic effects. But such models usually require to tune biomechanical parameters, which cannot be properly done without subject specific knowledge of the human body. Besides, these tools provide a measurement for each muscle, tendon, etc. In order to represent the whole body situation these local scores have to be combined in a way that is left to the user to determine. This last criticism also applies to simpler models which provide local measurements such as forces in joints.

The work presented in this paper aims at developing a DHM-based ergonomic assessment method fitted for collaborative robots design. This requires the development of both a dedicated ergonomic metric (what to measure) and a measuring tool (how to measure) which are suitable for evaluating the ergonomic performances of dynamic systems. Note that though this work targets collaborative robots, its scope is broader and actually addresses the more general issue of assessing ergonomic performances in dynamic situations. This paper focuses on the formulation of ergonomic indicators and their use with a dynamic DHM. In section 2 three indicators are defined in order to meet the requirements of collaborative robotics. An experimental validation is conducted to ensure that they are ergonomically consistent: the influence of various work conditions on the indicators values is studied. The protocol is described in section 3. The results are presented in section 4 and discussed in section 5. Section 6 concludes on the relevance of these indicators and the associated DHM and proposes some perspectives about their use within a global assessment method.

2. Definition of indicators

Ergonomic indicators should account for the main MSD risk factors which are strong postural demands, high intensity forces, long exposure duration and highly repetitive exertions. The repetitiveness as well as the effect of static work (i.e. maintaining a posture

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1[www.3ds.com/fr/products/delmia](www.3ds.com/fr/products/delmia)
without moving) are omitted in this work. Indeed, though repetitiveness and postural change can easily be extracted from the simulation, their biomechanical impacts on the human body are hard to quantify precisely. It requires to understand how these time-frequency factors affect the human physical capacities, which is closely related to the open problem of fatigue modeling and is out of scope here. It should nevertheless be noted that the purpose here is not the assessment of the absolute level of risk for the worker, but the comparison of assistive devices which are not expected to dramatically affect the work rate.

The instantaneous postural risk includes two phenomena: the proximity to joint limits and the effort needed to maintain the posture. In reality muscular effort is not due solely to gravity, but also to the dynamic forces associated with the motion, and to the external force caused by the interaction with an object. The former are hardly ever taken into account in existing methods, while the accuracy with which the latter is considered varies much from a method to another. In order to accurately evaluate the effect of an external force on the musculoskeletal system, the repartition of the effort among the whole musculoskeletal system - which depends on the posture - must be computed. In this work a DHM is used to simulate the worker, so unlike with a real human, the actuation forces (joint torques or muscle forces, depending on the level of detail of the model) can easily be accessed without requiring heavy instrumentation. A simple rigid-body model with hinge joints actuation\(^2\) is chosen (because as stated previously very detailed models are quite difficult to use), so these forces correspond to joint torques. Since the DHM is animated within a dynamic simulation, the joint torques result from the inverse dynamical model of the manikin. They include all three effects: gravity, dynamics, and external force. Despite their various origins, these three phenomena all have the same consequence on the musculoskeletal system, so they are considered together in the risk assessment. On the contrary, the effect of the proximity to joint limits is of a different kind. Though the combination of several MSD factors increases the risk, the way they interact is not well-established. So it is preferred here to evaluate them separately rather than trying to mix them together.

Since disorders may appear as soon as the demands exceed the worker’s capacities, a way to estimate the risk is to compare each demand with its limit value. Since DHM ergonomic assessments - like most ergonomic studies - are at a population level and not at a personal level, average capacities for joint range of motion and maximal joint torques are used (Holzbaur et al., 2005; Chaffin et al., 2006). The influence of joint angles and velocities on maximal joint torques is currently omitted, though models of this phenomenon can be found in the literature (Chaffin et al., 2006). However the influence of force-induced fatigue is included. Instead of being constant throughout the task, the torque capacity of joint \(i\) (\(i\) representing successively each hinge joint of the human body model) is affected by the force exertion according to the following evolution law (Ma et al., 2009):

\[
\tau_{i}^{max}(t) = \tau_{i}^{max}(0) e^{-k \int_{0}^{t} \tau_{i}(u) \, du} \tag{1}
\]

where \(k\) is a fatigue rate assigned to 1 min\(^{-1}\), \(\tau_{i}^{max}(0)\) is the nominal torque capacity of joint \(i\) (before any effort), and \(\tau_{i}^{max}(t)\) and \(\tau_{i}(t)\) are respectively the torque capacity and the torque exerted by joint \(i\) at time \(t\).

For both the joint angles and torques, the resulting normalized demands on every joint are added to form a score representing the whole body situation. This instantaneous score is time-integrated to provide a score representing the whole activity, taking into account the duration factor. The resulting indicators are \(I_{q}\) for the joint positions and \(I_{\tau}\) for the joint torques:

\[
I_{q} = \frac{1}{N} \sum_{i=1}^{N} \int_{0}^{T} \left( \frac{q_{i}(t) - q_{i}^{neutral}}{q_{i}^{max} - q_{i}^{neutral}} \right)^{2} \, dt \tag{2}
\]

\[
I_{\tau} = \frac{1}{N} \sum_{i=1}^{N} \int_{0}^{T} \left( \frac{\tau_{i}(t)}{\tau_{i}^{max}(t)} \right)^{2} \, dt \tag{3}
\]

where \(N\) is the total number of joints in the body model, \(T\) is the duration of the task, \(q_{i}(t)\) and \(\tau_{i}(t)\) are the angle and the torque of joint \(i\) at time \(t\), \(q_{i}^{max}\) is the joint angle capacity (joint limit), \(q_{i}^{neutral}\) is the neutral position of the joint, and \(\tau_{i}^{max}(t)\) is the joint torque capacity at time \(t\) defined in equation 1. The joints neutral positions \(q_{i}^{neutral}\) are defined according to the REBA comfort zones, by taking the joint angles associated with a minimum score in the REBA evaluation. The resulting posture is standing upright, arms along the torso, elbows flexed at 80°. This so-called (in this work) "neutral ergonomic posture" is defined by considering only the stress due to the proximity to joint limits: the effort needed to maintain the posture is not taken into account, since such effort is accounted for in the torque indicator.

In the literature, fatigue caused by physical work is often determined through metabolic energy expenditure (Garg et al., 1978). Metabolic energy expenditure computation is included in some DHM software (e.g. Jack, EMA (Fritzsche et al., 2011)), but it is restricted to specific tasks for which tables are available (or it requires a very detailed biomechanical model of the human body). Here, the torque indicator \(I_{\tau}\) (Eq. 3)
already indirectly represents energy consumption, in particular in static postures. In order to directly take into account the energy consumption during motion, another indicator based on joint power is added:

\[ I_p = \frac{1}{N} \sum_{i=1}^{N} \int_{0}^{T} \dot{q}_i(t) \tau_i(t) \, dt \]  

(4)

where \( \dot{q}_i(t) \) is the velocity of joint \( i \) at time \( t \). Though it does not strictly correspond to metabolic energy expenditure, the association of \( I \) and \( I_p \) gives an idea of the macroscopic energetic consumption.

3. Validation of indicators

An experimental validation is carried out to ensure that the above-defined indicators correctly account for the relative exposure level to MSD risks in dynamic situations (i.e. in tasks including motion). Human subjects perform a manual task in various conditions while their movements and external forces are recorded. Each case is replayed with a dynamic DHM, in order to compute the corresponding indicators values. Their variations are qualitatively investigated to highlight their dependence on the task conditions.

3.1. Experimental protocol

a) Task description: A generic manual task is performed\(^3\). A seated subject moves a tool along a displayed path while pushing on the work surface with it. The tool is a 200 g and 15 cm long handle held with the whole right hand. The path is a 50 cm square. Two sides are replaced respectively with a sinusoidal line and a sawtooth line, to accentuate the joints dynamics (see Fig. 2). Its size is chosen so that the task demands wide joint clearance yet remains feasible by a seated subject. Performing the task means following the entire path once. The subject is instructed not to use his left arm nor his legs.

b) Parameters: Four parameters vary throughout the experiment: the orientation of the work surface, the position of the seat relative to the work area, the allotted time and the magnitude of the force to be applied.

<table>
<thead>
<tr>
<th>Height</th>
<th>Distance</th>
<th>Orientation</th>
</tr>
</thead>
<tbody>
<tr>
<td>low: 38 cm</td>
<td>(H) close: 20 cm</td>
<td>45° right</td>
</tr>
<tr>
<td>medium: 52 cm</td>
<td>(V) close: 45 cm</td>
<td>45° left</td>
</tr>
<tr>
<td>high: 66 cm</td>
<td>(H) far: 45 cm</td>
<td>0° (face on)</td>
</tr>
<tr>
<td></td>
<td>(V) far: 75 cm</td>
<td></td>
</tr>
</tbody>
</table>

The work surface is either horizontal or vertical. The various positions of the worker’s seat are described in Fig. 1 and Table 1. The close and medium values are chosen to match ergonomic guidelines for seated work (Chaffin et al., 2006). All combinations are tested except horizontal - close - high because the legs do not fit under or in front of the table, and 45° right is only done for close - medium for reachability reasons.

\(^3\)It should be noted that the present experiment does not include interaction with a robot or other dynamic systems. However, as mentioned in section 1, the proposed method addresses any situation including dynamic phenomena, starting with tasks requiring motion of the worker.
as possible along the path. All three tasks - neutral, force and velocity - are performed in random order for both orientations of the work plane and for each seat position. Breaks are regularly allowed to prevent fatigue. The task (following the path once) is short enough and the breaks long enough so that force capacities are fully recovered at the beginning of each new task (i.e. the fatigue model of Eq. 1 is used only within one task but not across tasks).

Table 2: Values of the time and force constraints.

<table>
<thead>
<tr>
<th>Task kind</th>
<th>Allotted time</th>
<th>Mean hand velocity</th>
<th>Force magnitude</th>
</tr>
</thead>
<tbody>
<tr>
<td>neutral</td>
<td>30 s</td>
<td>0.085 m.s$^{-1}$</td>
<td>none</td>
</tr>
<tr>
<td>velocity</td>
<td>5 s</td>
<td>0.5 m.s$^{-1}$</td>
<td>none</td>
</tr>
<tr>
<td>force</td>
<td>30 s</td>
<td>0.085 m.s$^{-1}$</td>
<td>18 N ± 1.96 N</td>
</tr>
</tbody>
</table>

c) Subjects: Seven healthy subjects (5 males and 2 females) ranging from 23 to 28 years old perform the experiment for the horizontal work plane, and three of them also for the vertical work plane. Table 3 describes their physical features.

During the experiment, the subjects give each gesture a mark between 0 and 10, depending on how strenuous it is perceived. Their movements are recorded with a CodaMotion device. The subjects are equipped with markers on their torso, right arm and hand, and on the tool. The seat is set on a force platform to measure the ground contact forces. The contact forces with the work surface are measured through a force sensor embedded in the tool.

The motion is replayed by solving an optimization problem to determine the actuation variables (joint accelerations, joint torques and ground contact forces) which allow to follow the markers trajectories at best, while respecting physical and biomechanical constraints. The LQP controller framework developed by Salini (Salini et al., 2011) is used. Mathematical formulation of the problem is given in equation 5.

$$\text{argmin}_{X} \sum_i \omega_i T_i(X)$$

s.t. $$\left\{ \begin{array}{l} \sum_j J^T_{c_j}(q)w_{c_j} \\ G\dot{\mathbf{X}} \leq h \end{array} \right.$$  

where $\tau$ is the joint torques, $\mathbf{w}$ the contact forces, $\mathbf{q}$ the generalized coordinates of the system (i.e. vector of joint positions), $\dot{\mathbf{q}}$ the generalized velocity concatenating the floating-base twist and the joint velocities $\mathbf{q}$, and $X = (\mathbf{\tau}^T, \mathbf{w}_c^T, \mathbf{\nu}^T)^T$. The equality constraint is the equation of motion: $M$ is the inertia matrix of the system, $C$ the vector of centrifugal and Coriolis forces, $g$ the vector of gravity forces, $S$ the actuation selection matrix, and $J^T_{c_j}$ the Jacobian of contacts. The inequality constraint includes the bounds on the joint positions, velocities, and torques (all formulated with the problem variables $\tau$ and $\dot{\mathbf{q}}$), and the contact existence conditions for each contact point, according to the Coulomb friction model:

$$C_{\nu_j} w_{\nu_j} \leq 0 \quad \forall j$$

$$J^T_{c_j}(q)\dot{\mathbf{q}} + J^T_{c_j}(\mathbf{q}, \mathbf{\nu})\mathbf{\nu} = 0 \quad \forall j$$  

$\text{Table 3: Physical features of the human subjects: stature and body mass index (BMI).}$

<table>
<thead>
<tr>
<th>Stature (m)</th>
<th>Min</th>
<th>Max</th>
<th>Mean</th>
<th>Std dev</th>
</tr>
</thead>
<tbody>
<tr>
<td>Horizontal</td>
<td>1.53</td>
<td>1.83</td>
<td>1.71</td>
<td>0.11</td>
</tr>
<tr>
<td>Vertical</td>
<td>1.53</td>
<td>1.79</td>
<td>1.63</td>
<td>0.12</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>BMI (kg.m$^{-2}$)</th>
<th>Min</th>
<th>Max</th>
<th>Mean</th>
<th>Std dev</th>
</tr>
</thead>
<tbody>
<tr>
<td>Horizontal</td>
<td>20.9</td>
<td>33.3</td>
<td>24.5</td>
<td>3.9</td>
</tr>
<tr>
<td>Vertical</td>
<td>21.8</td>
<td>33.3</td>
<td>25.6</td>
<td>5.4</td>
</tr>
</tbody>
</table>

3.2. Indicators calculation

a) Simulation framework: Once recorded and filtered, the data are imported in the XDE simulation framework developed by CEA-LIST. It allows for dynamic simulation and provides a DHM (see Fig. 2) which can be animated through several customizable ways.

The model consists of 20 joints and 45 degrees of freedom. Each DoF is a hinge joint controlled by a sole actuator. This hinge joint representation is a simplified model, therefore the joint torques of the model do not strictly correspond to the efforts in real

human joints (for instance, the dynamics of muscles activation is not rendered). However, it should be noted that the proposed indicators are not dependent on the human body model used for the simulation: they can equally be used with a more detailed model if available. The human model is automatically scaled according to the stature and mass of the subject. Each body segment is further manually modified to match the subject morphology.

b) Manikin control: The motion is replayed with a virtual manikin within a dynamic simulation framework.

Figure 2: Left: A human subject performs the task while his motion is recorded. Right: The motion is replayed with a virtual manikin within a dynamic simulation framework.
where \( c_j \) is the \( j \)th contact point, \( C_{c,j} \) the corresponding linearized friction cone, and \( \mathbf{w}_j \) the contact wrench. Note that the values of the contact forces insuring the balance of the system (here the interaction between the seat and the DHM’s thighs) do not need to be known beforehand: they are automatically computed in the optimization, in order to be compatible with the system dynamics and the effort exerted by the hand on the tool (which needs to be given as an input of the optimization).

The objective function is a weighted sum of tasks \( T_i \) - defined as functions of the optimization variables - representing the squared error between a desired acceleration or wrench and the system acceleration/wrench (\( \Omega_i \) are the weighting coefficients). The solution is then a compromise between the different tasks, based on their relative importance. The following tasks are defined (tasks can be defined both in joint and in operational spaces):

- Operational space acceleration task
  \[
  \left\| \dot{\mathbf{X}}_i - \dot{\mathbf{X}}_i^* \right\|^2 = \left\| \ddot{\mathbf{X}}_i + \dot{\mathbf{J}}_i \dot{\mathbf{V}} - \dot{\mathbf{X}}_i^* \right\|^2
  \]

- Joint space acceleration task
  \[
  \left\| \mathbf{q} - \mathbf{q}_i^* \right\|^2
  \]

- Operational space wrench task
  \[
  \left\| \mathbf{w}_i - \mathbf{w}_i^* \right\|^2
  \]

- Joint torque task
  \[
  \left\| \tau - \tau_i^* \right\|^2
  \]

where \( \dot{\mathbf{X}}_i \) is the Cartesian acceleration of body \( i \), and \( \mathbf{w}_i \) the wrench associated with body \( i \). The superscript * refers to the desired acceleration/wrench, which are defined by a proportional derivative control. For instance, the desired operational acceleration is:

\[
\dot{\mathbf{X}}_i^* = \dot{\mathbf{X}}_i^{\text{goal}} + K_{p\mathbf{W}} \left( \mathbf{X}_i^{\text{goal}} - \mathbf{X}_i \right) + K_{p\mathbf{J}} \left( \mathbf{X}_i^{\text{goal}} - \mathbf{X}_i \right)
\]

where \( K_{p\mathbf{W}} \) and \( K_{p\mathbf{J}} \) are the proportional and derivative gains for the considered task (they are parameters set by the user). The superscript \( \text{goal} \) refers to the target value for the body or joint. Though the tasks need to be described in terms of the optimization variables (joint accelerations, joint torques and contact forces) for the problem to be solved, position, or velocity can also be controlled with the proposed task model. For instance, an operational space position task (put body \( i \) at a given Cartesian position, with null velocity and acceleration) is defined by setting \( \dot{\mathbf{X}}_i^{\text{goal}} \) and \( \ddot{\mathbf{X}}_i^{\text{goal}} \) to zero. Similarly, the desired joint acceleration is:

\[
\mathbf{q}_i^* = \mathbf{q}_i^{\text{goal}} + K_{p\mathbf{q}} \left( \mathbf{q}_i^{\text{goal}} - \mathbf{q} \right) + K_{p\mathbf{q}_i} \left( \mathbf{q}_i^{\text{goal}} - \mathbf{q} \right)
\]

where \( K_{p\mathbf{q}} \) and \( K_{p\mathbf{q}_i} \) are the proportional and derivative gains for the considered task.

In this work, the operational space acceleration tasks are defined from the markers trajectories. The weights are chosen accordingly to the technique by Demircan (Demircan et al., 2010), though here weighted instead of hierarchical control is used. The markers associated with limbs extremities and the pelvis are given the biggest weight, then the weight decreases when the body is further away from the extremities. Contrarily to inverse dynamics methods, the contact forces with the seat are not imposed here, but result from the optimization problem. So the only Cartesian force task is the contact force with the tool. The desired value is given by the force sensor measurement. Low weight joint position tasks are added for the body parts that are not controlled through the markers positions, so that there is no unwanted motion. Finally there is a joint force task which aims at minimizing the joint torques to prevent useless effort. Its weight is very small since it must not hinder the other tasks.

### 4. Results

The following results depict the variations of the indicators depending on the task features. Values are averaged on all subjects since the indicators are not meant to be subject specific. For the sake of clarity, the values in each figure are normalized by the minimum and maximum values of the addressed case. Note that unless explicitly stated, the duration of the task is not normalized for the computation of the indicators.

#### 4.1. Position Indicator

A linear correlation is observed between the position indicator values and the strenuousness perceived by the subjects when considering tasks of similar duration. The Pearson’s correlation coefficients are respectively 0.86 (p<0.015), 0.89 (p<0.01) and 0.87 (p<0.01) for the neutral, force and velocity tasks considered separately, and 0.84 (p<0.01) for the neutral and the force tasks considered together. However this coefficient drops to 0.54 (p<0.01) when the velocity task, which is approximately 6 times shorter than the others, is added. This suggests that the proposed position indicator is only relevant to compare tasks of similar duration.

**Comparison within a same task:**

- **Seat distance and orientation:** The indicator is higher (t-test, p = 0.003) when the subject sits further away from the work area (see Fig. 3), because he has to deviate much from the "neutral ergonomic posture" to reach the path. What actually matters is the distance from the path to the right hand, which handles the tool. This explains why the left orientation seems better than the face one (see Fig. 1), and why the right orientation, though associated with a close position, is roughly equivalent to the far cases.

- **Seat height:** In close position, the best seat height according to the indicator is the medium one when the work plane is horizontal, and the high one when it is vertical. These results are ergonomically consistent: in the horizontal case, the medium height was cho-
sen in accordance with ergonomic guidelines; in the vertical case, the high height requires less work with the arm raised, a position discouraged by ergonomic guidelines.

- **Work plane orientation**: For a same position of the seat, the indicator values are significantly higher (t-test, p < 0.01) in the vertical case than in the horizontal one (see Fig. 3). The center of the path is set higher in the vertical case, so it requires the subject to work with the arm raised. Besides the imposed tool orientation (axis normal to the work plane) and whole hand grasp lead to unusual arm angles when the work plane is vertical (elbow higher than shoulder).

![Figure 3: Variations of \( I_i \) depending on the position of the subject’s seat and the work plane orientation (neutral task). The numbers correspond to the strenuousness perceived (between 0 and 10) by the subjects.](image)

![Figure 4: Variations of \( I_i \) depending on the position of the subject’s seat and the kind of task: neutral, force or artificial velocity (vertical work plane). The numbers correspond to the perceived strenuousness. The strenuousness is not displayed for the artificial velocity task since this task has not been performed by human subjects, therefore its strenuousness has not been evaluated (and normalizing the perceived strenuousness would be meaningless).](image)

**Comparison between different tasks**: As stated before, the position indicator does not seem suitable to compare tasks which duration differ significantly. Therefore, in this section, the durations of the tasks are artificially equalled so that the results of the three tasks can be compared. To this purpose, an artificial velocity task is created by replaying the whole gesture with the DHM six times consecutively (the real velocity tasks is six times shorter than the neutral and force tasks). Note that this artificial velocity tasks is an approximation since the simulated gesture is identical the six times, whereas a real subject would probably show variations in his/her gesture. The artificial velocity task results in the smallest values of the position indicator (see Fig. 4). Actually, the allotted time for one loop on the path is so short that the path has to be smoothed, thus requiring less extreme joint angles. On the other hand the difference between the neutral and force tasks is not statistically significant. Despite the force exertion, the subjects do not modify their posture much, either because it is already strongly constrained by the imposed hand trajectory and seat position, or because the demanded external force is small enough not to require any change in the posture.

4.2. **Torque Indicator**

A good correlation between the torque indicator values and the perceived strenuousness is observed within a same task (Pearson’s coefficient equals respectively 0.81 (p<0.01), 0.84 (p<0.01), and 0.85 (p<0.01) for the neutral, force, and velocity tasks) or when the neutral and force tasks are considered together (Pearson’s coefficient equals 0.81 (p<0.01)). But the correlation coefficient drops to 0.59 (p<0.01) when all three tasks are considered together. Similarly to the position indicator, the proposed torque indicator is not suitable to compare tasks of different durations.

**Comparison within a same task**: The torque indicator is highly affected by the position of the subject relative to the work area, because of the effect of gravity on his body segments (see Fig. 5). The further away the seat is from the work plane, the more the subject must deviate from an upright position, needing higher joint torques to maintain this posture.

![Figure 5: Variations of \( I_i \) depending on the external force and the seat position. Left: horizontal work plane. Right: vertical work plane. The numbers correspond to the perceived strenuousness.](image)
tioned above, the torque indicator seems suitable only to compare tasks of similar durations.

- **External force:** When the work plane is vertical the torque indicator of the force task is significantly higher ($p = 0.002$) than the one of the neutral task, whereas they are not significantly different ($p = 0.28$) in the horizontal case. This can be explained by the fact that in the horizontal case, gravity helps pushing downwards on the workplane. In the neutral task subjects need to exert an upward torque to counter the effect of gravity and maintain their arm, whereas in the force task, the arm weight is useful to ease the downward pushing effort and therefore does not need to be compensated in the same way. This phenomenon does not exist for the vertical workplane, since the direction of gravity and of the pushing force are orthogonal.

- **Speed of motion:** The torque indicator of the artificial velocity task is significantly higher ($p = 0.019$) than the one of the neutral task, because the faster dynamics of the movement induces higher joint torques (see Fig. 6). However, according to the torque indicator, this increase in the joint torques is not as important as the one due to the external load in the force task.

4.3. Power Indicator

Contrarily to the two previous indicators, the correlation between the power indicator and the strenuousness is fairly good when all three tasks are considered together (Pearson’s coefficient equals 0.75 ($p = 0.04$), and does not improve when each task is considered separately (Pearson’s coefficients equal respectively 0.71 ($p = 0.04$), 0.86 ($p = 0.02$) and 0.70 ($p = 0.03$) for the neutral, force and velocity tasks). This suggests that the power indicator is suitable to compare tasks of different duration.

**Comparison between different tasks:** In this section, the real velocity task (where the motion is replayed only once) is considered, since there is no need to equal the tasks durations with the power indicator.

- **Speed of motion:** Though the velocity task lasts much less than the two others, its power indicator is only slightly lower (see Fig. 7). This is explained by the fact that the joint velocities are much higher in the velocity task, resulting in a much higher instantaneous joint power compared to the neutral and force tasks. The kinetic energy spent during the whole task is therefore about the same in all three tasks, but in the velocity task it results from a high power during a short time, whereas in the neutral and force tasks, it results from a lower power during a longer time.

- **External force:** Contrarily to the torque indicator (see Fig. 5 left), the power indicator of the force task is often lower than the one of the neutral task, especially when the seat is far. This result is quite unexpected because a same allotted time and a very similar posture (see section 4.1.) should lead to same joint velocities for both tasks, and therefore $I_F$ and $I_P$ should have similar variations.

This difference is probably due to the fact that the allotted time is not strictly respected (note that the task duration is not normalized in the indicators computation). Because the time constraint is not displayed on the path itself, the subject tends to move slightly slower in the force task to better control the force magnitude (especially when his/her posture makes it hard to control). The joint velocities are then slightly smaller, and so is the joint power, given that the joint torques are not very different in the neutral and force tasks for the horizontal plane (see section 4.2.).

**5. Discussion**

According to the previous results, the proposed indicators account quite correctly for the way a task is performed. Their main variations are ergonomically, or at least physically, consistent, and the few unexpected results seem to come from ill-adapted choices in the task definition (external force magnitude and direction, display of the time constraint) rather than
from the indicators themselves. However, all the indicators are not equivalent depending on the task features (i.e. on what is compared). According to the correlation with the strenuousness, the position and torque indicators do not seem suitable to compare tasks of different durations. On the contrary, this remark does not apply to the power indicator. On the other hand, when considering tasks of similar duration, the position and the torque indicators generally account more accurately for the strenuousness perceived by the worker than the power indicator. Therefore, previously to carrying out a comparison, it is necessary to select the relevant, i.e. the most discriminating, indicators for the given conditions.

In most cases there may be several relevant indicators. When addressing the position of the seat, the variations of the position and the torque indicators are mainly similar (the closer, the better) and they both show a good correlation with the strenuousness, so one could be tempted to keep only one of them for their study. However these indicators are not redundant and sometimes bring antagonistic conclusions: for the best seat distance (close - left), the best seat height is the high one according to the position indicator whereas it is the low one according to the torque indicator (see Fig. 3 and 5 right). This opposition may explain the disagreement between subjects’ preference - i.e. perceived strenuousness - (low seat) and the position indicator recommendations (high seat) in the close cases. Indeed, the strenuousness summarizes different kinds of demands (posture, static effort, dynamic effort…) in one value and is therefore an "aggregated" indicator. Whereas the ergonomic indicators proposed in this work consider different kinds of demands separately. More generally, the design of a workstation - or a collaborative robot - usually results from trade-offs. So this work does not mix several kinds of demands within a sole indicator, because considering antagonistic effects within a same task is easier this way. Several indicators can be used in a multi-criteria optimization in order to design a robot which is as good as possible regarding every MSD risk factors.

Finally, it should be noted that the indicators proposed in this work leave out some important phenomena related to MSD. In particular the co-contraction of antagonistic muscles, which occurs mainly in tasks requiring high precision (Gribble et al., 2003), is not modelled. Consequences of this omission can be observed in the linear relation between the strenuousness and the torque indicator: the y-intercept is bigger in the force task (2.8) than in the neutral task (1.8). The increase in the joint torques during the force task is underestimated in the simulation because it only takes into account the external load (the manikin is not preoccupied with precision), whereas the human subjects must accurately control the force they apply on the work plane, which requires an additional effort due to co-contraction.

The omission of the co-contraction phenomenon is not due to the indicator formula, but to the representation of the human body, in which each joint is controlled by a unique actuator. However this phenomenon could be modelled without changing the body model, by using a variable impedance in the manikin control (i.e. adapting the gains $K_p$ and $K_d$ in equations 7 and 8). A higher stiffness allows a more accurate gesture and corresponds to a higher effort. But this has not been implemented since it requires a control law performing trade-offs between the precision and the exertion, which is out of scope here. Nevertheless, the indicators proposed in this work are not intended for medical purpose (e.g. real exposure level to MSD risk factors) but for guiding the design of assistive devices, so this evaluation, though incomplete, is still a first step in the right direction.

6. Conclusion

Three ergonomic indicators adapted to the needs of collaborative robotics have been proposed. They consider the position and the effort of the worker, and the energy he spends performing a task. An experimental validation has been carried out on seven subjects, in order to study the influence of several task features (geometric, force and time constraints) on the indicators. The subjects’ movements have been recorded with a motion capture system, and replayed with a dynamic DHM to compute the indicators. The indicators show a linear correlation with the strenuousness perceived by the subjects, and their variations are consistent with ergonomic guidelines and physical considerations. Those results suggest that the proposed indicators could be used to compare collaborative robots in the design process. However, each indicator provides different information, so their relevance is highly dependent on the task considered. Further work will be directed towards the development of a method for selecting the relevant set of indicators depending on the task features, in order to perform a multi-objective optimization.

References


