

# Scale and shift invariant time/frequency representation using auditory statistics: application to rhythm description

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# Scale and Shift Invariant Time/Frequency Representation Using Auditory Statistics: Application to Rhythm Description.

# Outline

### **Objectives:**

- creating a representation of the audio signal that differentiate musical rhythms

#### **Constraints:**

- creating a representation which is invariant to tempo and to temporal-shifts

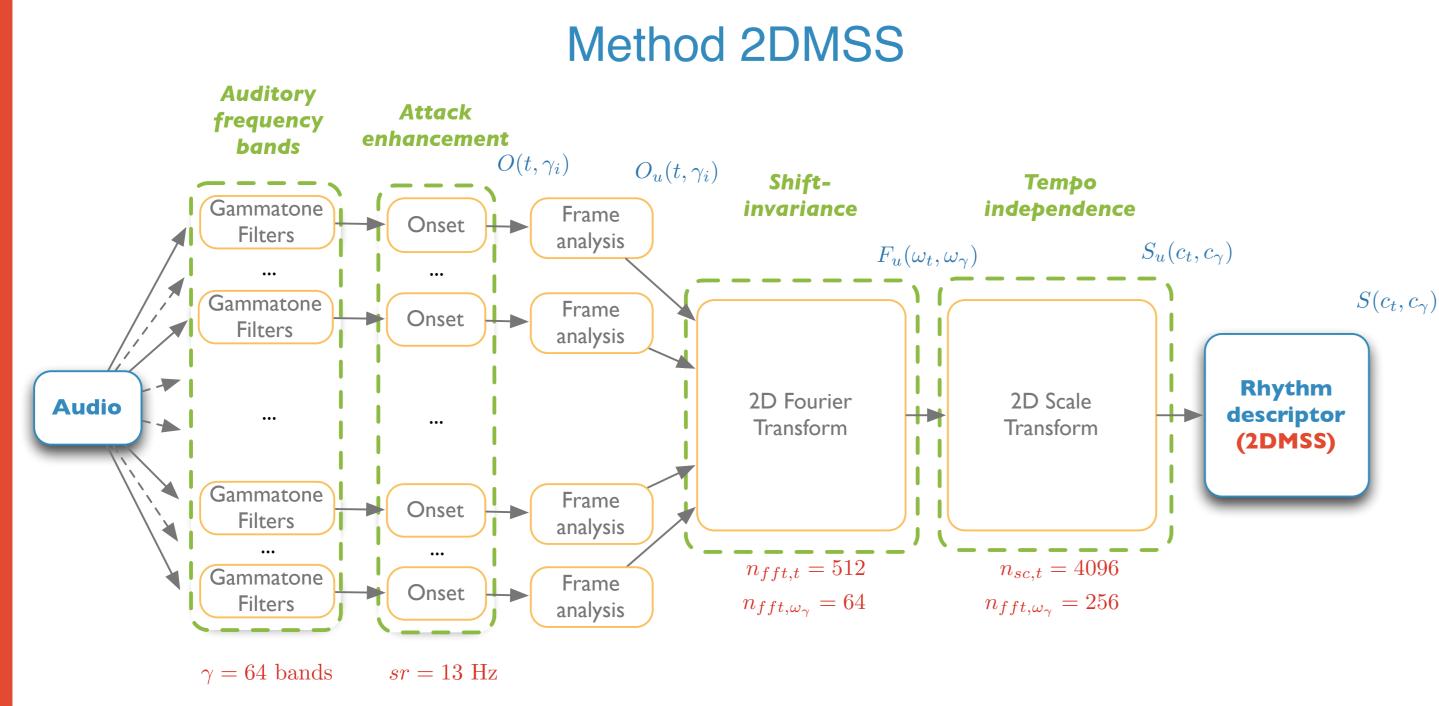
## **Propositions:**

- Two new 2D (time/frequency) representations of the audio content: 2DMSS and MASSS
- New Dataset

# **Applications:**

- use this representation to do auto-tagging, search by similarity

# Rhythm description



<u>2DMSS</u>= 2D Fourier Transform, followed by a 2D Scale Transform known as Fourier-Mellin Transform in Image processing 2D Scale Transform:

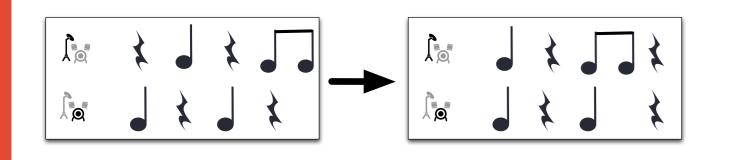
$$S(c_t, c_\omega) = \int_{-\infty}^{\infty} \int_{-\infty}^{\infty} \left( X(e^t, e^\omega) e^{\omega/2} e^{t/2} \right) e^{-jc_\omega \omega - jc_t t} d\omega dt$$

### Pros/Cons

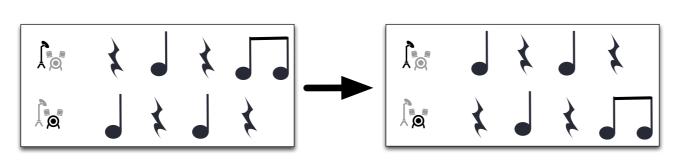
Pros: models the relationship between frequency bands and time bins with shift-invariance and scale-invariance

Cons: produces also shift-invariance over frequencies which is an undesired property

# Can differenciate:



## But not:



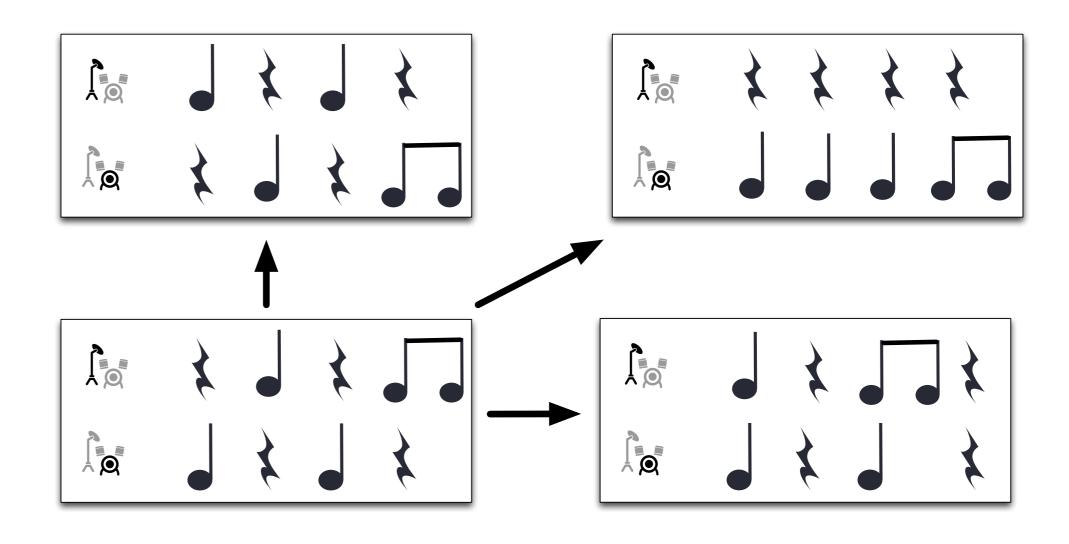
Results

#### Method MASSS **Auditory** Shift-Tempo invariance independence $O(t,b_i)$ Gammatone $O_u(t,b_i)$ **Filters** Band grouping correlation Transform analysis $MSS(c,b_i)$ Gammatone **Filters** Band grouping correlation **Transform** analysis **Rhythm** Audio descriptor Frame (MSS) Band grouping correlation **Transform** analysis Gammatone ) Onset Band grouping **Transform** analysis correlation b=4c = 100 scale coefs **Cross-correlation** $\gamma = 32$ bands sr = 22 Hz coefficients (ccc)

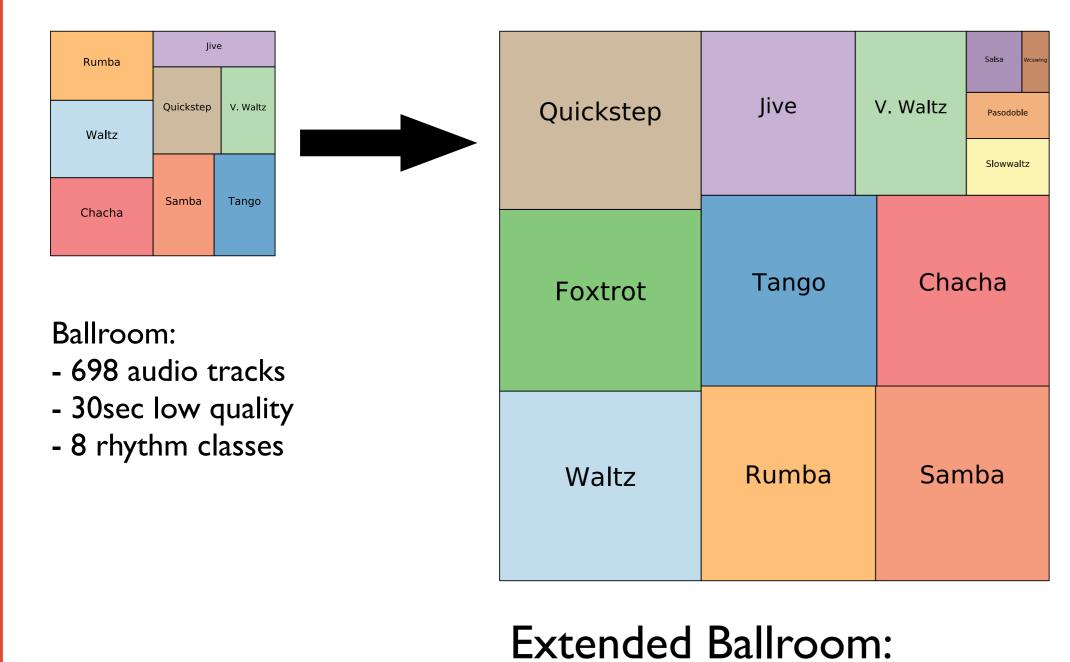
MASSS = Modulation Scale Spectrum (MSS) + Auditory Statistics (ccc) [McDermott, 2013]

<u>Auditory Statistics</u> (ccc) = Cross-correlations between different auditory frequency bands Late-fusion of MSS and ccc

### Can differenciate:



# New dataset: Extended Ballroom



- 4.180 audio tracks
- 30sec high-quality
- 9+4 rhythm classes
- similarity annotations

#### Classification - SVM (MSS, 2DMSS, ccc models) 93.1% - Logistic Regression (late-fusion) 91.1% 95.1% Analysis of results: 96.0% - 2DMSS is not sufficient - MASSS 94.6% -- improves state-of-the-art 94.9% method by 3% on Ballroom -- equals state-of-the-art on Cretan dances dataset. 77.8% State of the art 63.0% Crete -2DMSS Conclusion: 75.6% - modeling frequency bands inter-MASSS (MSS+ccc) 77.2% relationship through auditory Mean Recall over classes (%) statistics improves rhythm description