A wavelet based method for electrical stimulation artifacts removal in electromyogram
Maxime Yochum, Stéphane Binczak

To cite this version:
Maxime Yochum, Stéphane Binczak. A wavelet based method for electrical stimulation artifacts removal in electromyogram. Biomedical Signal Processing and Control, 2015, 10.1016/j.bspc.2015.06.007. hal-01328476

HAL Id: hal-01328476
https://hal.science/hal-01328476
Submitted on 8 Jun 2016

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers.

L’archive ouverte pluridisciplinaire HAL, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d’enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.
A wavelet based method for electrical stimulation artifacts removal in electromyogram

Maxime Yochum, Stéphane Binczak
Laboratoire LE2I UMR CNRS 6306, Université de Bourgogne, 9 avenue Alain Savary, 21078 Dijon, France. (e-mail: stbinc@u-bourgogne.fr)

Abstract
A technique for artifact removal based on the continuous wavelet transform is presented. It uses common mother wavelets to find the temporal localization of stimulation artifacts on electromyogram signal recording during an electrical surface evoked contraction of a muscle. This method is applied with different kinds of stimulation pulse parameters including shape and duration changes. This method is used with standard stimulation pulse waveforms such as monophasic or biphasic ones. It can also be applied when the artifacts and M waves are in the same range of amplitude where threshold techniques are inefficient. Lastly, a method to determine which mother wavelet efficiently removed artifacts is proposed, results indicate the Haar wavelet performs best among fourteen tested wavelets.

Keywords: Artifact removal, Electromyogram , wavelet, M wave.

1. Introduction
The Electromyogram (EMG) captures the electrical response of the muscle over its contraction whether muscular contraction is voluntarily or electrically induced. During a myo-electrical stimulation (ES), EMG contains two major sources. The first one is the muscular electrical activity generated by the stimulated muscle due to the contractions of muscular fibers. Sometimes, EMG also records the electrical activities of adjacent muscles which can be recruited with the same electrical stimulation [1]. It is a useful signal to study physiological characteristics of muscles over a contraction, especially in case of muscular or neurological diseases [2, 3]. The second source is composed of electrical stimulation artifacts [4] which disturb the study of electrical muscular activities. In order to properly analyze the EMG signal, stimulation artifacts need to be removed [5, 6]. Several techniques are already used to attenuate the impact of artifacts on EMG signals. These techniques can be split in two categories which are hardware or computation processing.

Hardware:
These techniques are often implemented with respect to EMG electrodes and differential amplifier circuitry design. To cite some of them:

- Analog filtering methods are designed to remove high frequencies of EMG which contain artifacts. However, it is very difficult to filter artifacts without modifying M waves. For instance, an 8th order Chebyshev low pass filter with a 550 Hz cutoff frequency has been implemented by Solomonow et al. [7] to remove artifacts. However, these types of filters allow passage of low frequency artifacts and may also remove parts of M waves residing in the same frequency range of artifacts [8].

- Methods based on hardware amplifier gain utilized by Roskar and Roskar [9] set amplifier gains to obtain a unit gain during electrical stimulation pulses and a gain of 1000 elsewhere. However, a gain of 1000 insufficiently eliminates major artifacts [5] and lacks robustness to adapt to changes in electrical stimulation applied to magnitude or frequency.

- Blanking hardware methods consist of disconnecting (electrical isolation) EMG electrodes from the muscle during electrical stimulation. Generally, a triggering synchronization from the electrical stimulator is used [10–12]. The drawback of this technique is that the blanking window is fixed and can lead to residual artifacts if the blanking duration is too short or can lead to unintended removal of M waves when the blanking duration is too long.

- Other hardware methods can be mixed such as those implemented by Nikolic et al. [13] who use blanking and filtering at the same time.

Computation processing:
Some techniques are implemented in software with computation processing as a pre-processing of EMG signal. Here, we briefly discuss methods using recordings of the stimulation artifact signal in order to subtract it from the EMG. Three main techniques exist to record an estimation of the stimulation artifact signal: a stimulation below the muscular contraction threshold (stimulation that does not cause any muscle contraction), a record far away from the EMG electrodes placement [1] (a second EMG is collected away from the first one to acquire pure artifacts) and a dual pulse stimulation (a second stimulation pulse is done during the refractory period which does not create any evoked signal, only the stimulus artifact is recorded) [14]. These techniques may be unable to remove all artifacts and tend to degrade the signal to noise ratio (SNR). In addition, the recorded artifact must be very accurate for a better removal
process [15], which often requires supplementary hardware. In methods based on threshold detection [16], stimulation artifacts are mostly higher than M wave amplitude by a factor of 2 or 3 [5]. This difference in magnitude is then used to distinguish between the artifact and the M wave parts. Nevertheless, it may not be suitable to specific stimulation for which the amplitude of M waves and artifacts are close. Other mathematical methods can estimate stimulation artifacts, like curves fitting or artifact models, in order to remove them [17–19].

Possible drawbacks of the hardware technique is that it requires knowledge of when stimulations are sent to the muscle, which is the case for both amplifier gain and blanking methods. Therefore, those techniques cannot be used when electrical stimulators are not adapted. In addition, the operating window is fixed and lead to partial artifact interference. Regarding the filtering methods, they can easily be implemented in a software processing scheme without need of additional hardware circuitry. Filtering methods can also attenuate artifacts parts which merge with M waves. However, the use of filtering techniques do not guarantee artifacts are removed without modifying the M waves, which may cause a miscomputaion of physiological muscle features [20]. The disadvantage of software methods using threshold techniques is the difficult determination of the threshold, especially when artifacts are in the same amplitude range of the M waves [16].

In this context, we propose a new method to remove stimulation artifacts from EMG during a rehabilitation process with an electrical stimulation by using a continuous wavelet transform (CWT) and a histogram representation. CWT is a useful tool for biomedical signal processing [21]. The aim is to find the time localization of both artifact and M waves in the CWT domain in order to erase artifacts. The threshold is automatically found to avoid aforementioned difficulties from manual selection uncertain manually show. We show that even when the amplitudes of artifacts and M waves are equivalent, CWT domain analysis can provide a suitable separation between them. To present the removal method, the Haar mother wavelet is used. In order to check flexibility of our approach we test different but common stimulation pulse shapes, which are monophasic, biphasic and dual biphasic, and different stimulation pulse durations. Indeed, when the stimulation changes in its shape, the artifact and the M wave evolved [22] such that the presented artifact removal approach was not impaired with these modifications. Next, results obtained with a panel of other mother wavelets are displayed, leading to selection of the most promising decomposition. Lastly, two indexes were proposed showing that the Haar wavelet best distinguished artifacts and M waves apart.

2. Material and Method

2.1. data set recording

The material used for our experiments delivered the electrical stimulation and performed EMG signal acquisition in real time [23]. The electrical stimulator generated controlled current pulses and constant stimulation with a maximum of ±100 mA for a body impedance of 1.5 kΩ between the two stimulation electrodes, a frequency pulse train from 10 Hz to 100 Hz and a pulse duration from 0.5 ms to 2 ms for 5 different pulse shapes most common in the literature (monophasic, biphasic, dual biphasic, absorbed biphasic and N-let). The EMG amplifier recorded EMG from muscle during the stimulation with bipolar electrodes and a reference electrode. Instrumentation amplifiers used for the circuit included the INA128 from Texas Instruments with a 120 dB of Common Mode Rejection Ratio for a removal of common voltage from bipolar electrodes with a high input impedance (>1GΩ). The M waves extracted from the global EMG signal during evoked contractions were used to estimate the fatigue level of the muscle during the rehabilitation session [24]. The EMG signal was saved with a sample rate of 10 kHz. A dedicated software allowed management of stimulation parameters and analysis of muscular fatigue level following artifact pre-processing software among three methods: blanking, thresholding algorithm or the method proposed in this study.

All experiments were carried out on the right biceps muscle in an isometric position where the skeleton remained fixed. Subjects were placed in a Biodex pro 3 device [25] to be sure that the isometric position, carried on throughout the contraction, was maintained. The experiments were carried out on five subjects (mean 24 ±2 years) with bipolar (10 mm disk Ag/AgCl from Nessler) electrodes with liquid conductor gel. Electrodes were placed over the target muscle belly, parallel with the muscles fibers (tendon to tendon axis). Electrode placement was compliant with EMG processing standard [26]. Ten different kinds of stimulation were performed on each subject including variation in amplitude, frequency, pulse duration and form shape of the stimulation parameters. Each stimulation train was six seconds long. Our experiments provided a data base of fifty samples of EMG signals.
2.2. Artifacts removal process

We propose a method based on the continuous wavelet transform to detect and remove the stimulation artifacts contained in the EMG. The idea is to use a standard mother wavelet, such as the Haar wavelet, and to vary the scale factor of the continuous wavelet transform to determine which scale factor provides maximum correlation between the stimulation artifact and the wavelet coefficient. Nevertheless, the treatment should leave unchanged the M waves contained in stimulation artifacts in order to allow the extraction of physiological muscle state parameters present in M waves, such as muscular fatigue level.

In order to initialize the artifact removal process, the CWT uses the Haar wavelet. Then, tests are performed with different kinds of artifacts shapes. Next, other standard mother wavelets were applied in the CWT such as Daubechies or Symlets.

2.2.1. Best scale factor determination

The Haar wavelet has the characteristic to look like the stimulation artifacts in the sense that the artifact has a rectangular shape (rising and falling sharp edges), due to the amplifier saturation, as the Haar mother wavelet. This wavelet therefore might properly detect artifacts. However, the scale factor of Haar wavelet which best fit the artifact pattern has yet to be determined. To find it, the continuous wavelet transform was applied between EMG with artifacts named \(V_{EMG}\) and a wavelet \(\psi\) (Haar wavelet) undergoing a scale factor \(a\), such that

\[
C_{a,b}(V_{EMG}(t),\psi(t)) = \int_{-\infty}^{\infty} V_{EMG}(t) \frac{1}{\sqrt{a}} \psi \left( \frac{t-b}{a} \right) dt, \quad (1)
\]

where \(b\) is the temporal localization. Scale factors were investigated from 1 to 100 with a step interval of 1. This range allowed the analysis of different artifact durations. Figure 1 illustrates the continuous wavelet transform, named \(C_{a,b}\), with the above parameters. The \(V_{EMG}\) signal used to perform this example corresponds to that shown in Figure 2a. In order to find which scale factor \(a\) corresponds to the maximum of correlation with artifacts of \(V_{EMG}\), we estimated the scale factor which corresponded to the maximal value of the CWT coefficients. In Figure 1, an example of \(C_{a,b}\) is plotted where the value of scale factor name \(a_0\) is obtained such that the maximum value of the \(C_{a,b}\) matrix best matches the artifacts.

2.2.2. Mask removal determination

Once the scale factor \(a_0\) has been found, we determine a temporal mask, allowing the removal of artifacts, with the CWT coefficients \(C_{a,b}\) which correspond with this scale factor \(a_0\) (providing the coefficient vector \(C_{a_0,b}\)). In the Figure 2b, an example of a continuous wavelet transform is shown on a \(V_{EMG}\) signal recorded with an electrical stimulation at a 30 Hz frequency, a 40 mA amplitude, 1 ms pulse time duration and a biphasic waveform. Only the 0.2 first second of the 6 seconds stimulation are displayed for a better readability. In this instance, the \(a_0\) scale factor found was 38. The curve in the panel b corresponds to the continuous wavelet transform \(C_{a,b}\) cross section, from the figure 1, with a scale factor \(a = a_0\). It is interesting to see that the values of \(C_{a,b}\) corresponding to both the continuous wavelet transform \(C_{a,b}\) are larger than the values \(C_{a_0,b}\) corresponding to M waves. Thanks to this point, it is possible to distinguish both artifact and M wave parts. A threshold is created with a local maxima algorithm which is used to find maxima coefficients during stimulation artifacts and maxima coefficients during M waves. In the Figure 2c, a representation of this detection is shown with cross symbol (during artifacts) and plus symbol (during M waves). In the Figure 2c, the histogram of these points is plotted revealing a bimodal distribution. The threshold which allows identification of stimulation artifacts without disturbing M waves is located between these two distributions. We use the centroid of the points in the histogram representation as our threshold because it efficiently separates both distributions. The centroid is computed as:
3. Results

The previous section introduced the method of stimulation artifact removal using the CWT. An example of $M_{\text{waves}}$ is shown in the Figure 4b which corresponds to the stimulation artifact removal performed on the $V_{\text{EMG}}$ signal with an electrical stimulation at a 30 Hz frequency, a 40 mA amplitude, 1 ms pulse time duration and a biphasic waveform, represented in Figure 4a. As we can see, artifacts are removed from $V_{\text{EMG}}$, only M wave parts are preserved. The CWT with a Haar mother wavelet is therefore a suitable method to remove stimulation artifacts. However, as the method used is based on thresholding even in wavelet domain, the parts where artifact and M wave are merged cannot be correctly distinguished.

We used, previously, an example with a $V_{\text{EMG}}$ signal where artifacts were higher than M waves but that is not always the case. In order to check the artifact removal process for this particular instance, the $V_{\text{EMG}}$ signal has been truncated in amplitude during artifacts parts to make both artifacts and M waves amplitudes approximately equivalent. The $V_{\text{EMG}}$ signal is then limited to the maximum and minimum values of all contained M waves in the signal. An example is shown in the Figure 5a. In this condition, thresholding techniques which are applied on $V_{\text{EMG}}$ signal itself [16] are not suitable because, whatever the threshold value is, it belongs to both artifacts and M waves. Therefore, to use a thresholding technique, the $V_{\text{EMG}}$ signal must be transformed. Our algorithm performs this transformation using the CWT whose coefficients are shown in the Figure 5b. We see that, even if both artifacts and M waves are in the same range of magnitude, the CWT coefficients results are not. The $C_{\text{coefficient}}$, during artifacts are higher than during M waves which allow thresholding techniques. Thanks to the histogram representation, plotted in the Figure 5c, the $C_{\text{coefficient}}$ threshold is found with centroid determination ($h = 7.3$) and used to perform the stimulation artifact removal. The result of this example is shown in the Figure 5d and we see that artifacts are removed from the $V_{\text{EMG}}$ signal (Fig 5a).

In section 2.2, we saw an example of CWT based stimulation artifact removal for a biphasic pulse shape. That kind of shape is common but it is not the only one, therefore, we tested two other kinds in order to check if the algorithm is suitable for monophasic and dual biphasic stimulation pulse shapes. In Figure 6, we show these two examples. One corresponds to a monophasic pulse shape and is presented in panels a, b, c and d. The other one is for a dual biphasic pulse shape which corresponds to panels e, f, g and h. Both stimulations share parameters which include a 50 Hz frequency, a 50 mA amplitude and 1 ms pulse time duration. We see that the waveforms during the artifacts change according to the shape of the stimulation pulse, when compared to the biphasic case (see Fig. 6a, e and Fig. 2a). However, the CWT transform $C_{\text{coefficient}}$ (see Fig. 6b, f and Fig. 2b) does not seem affected by those artifact shape modifications, therefore, it is still possible to distinguish artifact and M wave parts thanks to the histogram representation (see Fig. 6c and g). After the $h$ threshold and $m$ mask determination, the artifact removal results give the $M_{\text{waves}}$ signal in the Figure 6d and h.

The shape of artifacts also evolves if the duration of stimulation pulse changes. In order to check the sensibility of this modification on the artifact removal algorithm, three durations of a biphasic pulse shape have been applied. Figure 7 shows
Figure 5: a) Examples of $V_{\text{EMG}}$ signal where the artifacts magnitudes are in the same order than the M waves magnitudes. b) CWT coefficients corresponding to the best scale factor $a_0$, the crosses and plus represent the local maxima of $C_{a_0,h}$ coefficients respectively during artifacts and during M waves. c) Histogram of local maxima values. We discern a bimodal distribution. d) Result of artifacts removal.

examples for 1 ms, 1.5 ms and a 2 ms pulse durations. We see a modification of $V_{\text{EMG}}$ signal during the artifacts (Fig 7a, e and i). The longer the stimulation pulses are, the longer the artifacts are. Therefore, the removal process must detect this time length variation. Figures 7b, f and j show that the wavelet domain still leads to the distinction of both artifact and M wave parts thanks to the bimodal distribution, on the histogram representation in the Figures 7c, g and k. We see, in Figures 7d, h and i, the resulting $M_{\text{wave}}$ signals showing that, even if the duration of artifacts evolves, the process is able to completely remove artifact parts.

The CWT based technique proposed here removes stimulation artifacts in an EMG signal. It gives visually acceptable results for different kinds of stimulation pulse shapes and pulse durations even if the amplitude of artifacts and M waves are in the same range of values which cannot be performed with thresholding method directly applied on $V_{\text{EMG}}$ signal. We used previously the Haar mother wavelet to perform CWT, in order to introduce this method, but it is possible to use other common mother wavelets. In Figure 8, we show the use of other mother wavelets which are widely used in CWT treatments. Mother wavelets used included: Daubechies, Symlets, Gaussian, Coiflet, Morlet, Meyer and Shannon wavelets. We see that the majority of mother wavelets gives reasonable results with a good visual removal of stimulation artifacts. However, some are less efficient than others. Cases in point “Sym3” and “shan1-1” which do not completely remove artifacts. If parts of artifact remain in the $M_{\text{wave}}$ signal, they could lead to estimation error during successive signal processing techniques to determine physiological characteristics contained in EMG signal such as muscular fatigue level. This is the case for “mort” and ”meyr”. Here, artifact parts are completely removed but the trouble is that the M wave parts are truncated, potentially leading to M wave parameter estimation errors in subsequent processing. With the purpose to find the wavelet which best handle both artifact and M wave parts, we investigate an index to classify wavelets. For each kind of wavelet, this index characterizes the distance between the two distributions in the histogram representation performed from the local maxima of $C_{a_0,b}$ coefficients during artifacts and during M waves (see the Figure 2c). If this distance is large, the $h$ threshold easily shares artifact and M wave parts. However, if this distance is too small, the $h$ threshold could not distinguish between artifact and M wave parts, which can create problems as Figure 8 shows with “sym3” or “mort”. The distance between the two distributions is computed by using the centroid of each distribution. With regard to the histogram in the Figure 2c for instance, a centroid $c_I$ is computed by using the lowest values of the histogram. Therefore, $c_I$ gives information about the position of local maxima during M wave parts. In the same way, a centroid $c_h$ is computed by using the highest values of the histogram which correspond to local maxima during artifacts. The centroids $c_I$ and $c_H$ are calculated such that:

$$c_I = \frac{\sum_{i=1}^{p} x_i y_i}{\sum_{i=1}^{p} x_i}$$

(5)

where $p$ is the number of points, $x_i$ is the abscissa and $y_i$ is the ordinate according to the lowest values of the histogram;

$$c_H = \frac{\sum_{i=1}^{q} x_i y_i}{\sum_{i=1}^{q} y_i}$$

(6)

where $q$ is the number of points, $x_i$ is the abscissa and $y_i$ is the
analyzed. The closer to 1 the index, the better artifacts and M waves were distinguished. Figure 9 shows the results of artifacts and M waves in the wavelet domain, we computed ∆ wavelet to split each distribution could be merged to each other making the distance between each distribution is not the maximum value.

![Figure 7](image1)

**Figure 7:** Examples for three different stimulation pulse durations, 1 ms (from a to d), 1.5 ms (from e to h) and 2 ms (from i to l). All stimulations share the following parameters: a 30 Hz frequency, a 50 mA amplitude and a biphasic shape. a, e & i) Example of V EMG signal where the pulse duration are 1, 1.5 and 2 ms long. b, f & j) CWT coefficients corresponding to the best scale factor ak, the cross and plus symbols represent the local maxima of Ck;b, coefficients respectively during artifacts and during M waves. c, g & k) Histogram of local maxima values showing a bimodal distribution. d, h & l) Result of artifacts removal.

ordinate according to the highest values of the histogram. The number of artifacts is equal to the number of M wave, therefore

\[ p = q. \]

The distance between the two distributions \( \Delta_c \) is computed as the difference between the two centroids \( c_j \) and \( c_h \) such that

\[ \Delta_c = c_h - c_j. \]  

(7)

In order to find the mother wavelet which best separated the artifacts and M waves in the wavelet domain, we computed \( \Delta_c \) for several V EMG signals with different stimulation parameters (amplitude, frequency, pulse duration and pulse waveform) and different subjects for a total dataset of fifty samples. For each V EMG signal, \( \Delta_c \) was computed for the fourteen mother wavelets (noted \( k \in \mathbb{N} = \{1 : 14\} \)) presented in the Figure 8 and have been normalized with respect to the highest \( \Delta_{c_4} \) among the fourteen (so, one max(\( \Delta_c \)) per V EMG signal), as

\[ \Delta'_{c_4} = \frac{\Delta_{c_4}}{\max(\Delta_c)}. \]  

(8)

Then, the median of each \( \Delta'_{c_4} \) was calculated establishing an index for determining which wavelet most efficiently removed artifacts. The closer to 1 the index, the better artifacts and M waves were distinguished. Figure 9 shows the results of \( \Delta'_{c_4} \) for each wavelet referenced in Figure 8. We observed that the mother wavelet with poor artifact removal corresponded to a low median index value. This was the case for "shan", "sym2" and "sym3", which lacked complete artifact removal, and "morl" and "meyr", which truncated M waves. The mother wavelet which provided the highest index was the Haar wavelet. In addition, the gaus1 mother wavelet seems to be a suitable candidate. Nevertheless, note that the use of the Haar wavelet gives statistically better results, when considering also the 25th and 75th percentiles and the minimum and maximum values for \( \Delta'_{c_4} \).

However the distance between each distribution is not the only factor that can be analyzed to show the ability of a mother wavelet to split efficiently artifact and M wave parts. We also studied the variance of distributions. If the distance between each distribution is large and the variances are high, then a part of each distribution could be merged to each other making the differentiation difficult. Therefore, in order to find the best mother wavelet, a Gaussian curve \( g \) is found for each distribution with two parameters: the mean \( (c_j) \) and the variance...
values ($\sigma^2$) of the histogram. Gaussian curves were computed such that,

$$g_l(C) = \frac{1}{\sigma \sqrt{2\pi}} e^{-\frac{(C-l)^2}{2\sigma^2}}, \quad (9)$$

where $l$ is either $l$ for the lowest values of the histogram (corresponding to M waves) or $h$ for the highest values of the histogram (corresponding to artifacts). Then, after $g_l$ and $g_h$ is determined, the area $A$ which is common to both Gaussians is computed so that,

$$A = \int_{-\infty}^{\infty} \min[g_l(C), g_h(C)] \, dC. \quad (10)$$

In this way, as the area of each Gaussian is 1, if the common area of both Gaussian is close to 1 then the two histograms are well split. In this last case, the wavelet is well able to separate artifacts and M wave parts. The Figure 10a to c show three examples with panel 10a illustrating a suitable use of mother wavelet and panel 10c a use of an unsuitable mother wavelet. In the Figure 10d, the result of the area calculation ($A$) is shown for several $V_{EMG}$ signals with different stimulation parameters (amplitude, frequency, pulse duration and pulse waveform) and different subjects for a total dataset of fifty samples. The results of each wavelet have been computed and represented in a boxplot. We observed that the mother wavelets which poorly removed artifacts provided higher median area values and a higher variability. This is the case for "shan", "sym2" and "sym3", which cannot remove entirely artifacts, and also "morl" and "meyr", which truncate M waves. The mother wavelet which displayed the lowest median index and the smallest variability was the Haar wavelet. Mother wavelets gauss1 and gauss2 are also good candidates. The common area index $A$ could be used in hybrid system where the proposed method could be applied on a signal if this index is sufficiently low. If it is not, another method could be used. However, to obtain this index, the wavelet transform computation is needed and could cost a non negligible execution time on hybrid process.

4. CONCLUSION

In this study, a new stimulation artifact removal algorithm for EMG signal recorded during electrically evoked contraction is presented. The technique is based on continuous wavelet transform to convert the EMG signal into the wavelet domain and a histogram representation, which gives a bimodal distribution. It leads to the distinguishing of artifacts from M wave parts on an EMG signal recorded during an electrical muscle stimulation. Such that, once the artifact parts are found, the treatment can suppress them. Some examples are given and show the algorithm ability to detect artifacts and remove them in different circumstances especially when the shape and the duration of electrical stimulation pulses are modified, which leads to a modification of artifact waveform. We included tests with changes in amplitude, pulse train frequency, pulse duration and pulse shape. When artifacts and M waves are in the same range of amplitude, the wavelet based technique is also able to remove artifacts. We performed tests for many mother wavelets with visually acceptable results except for "Sym3", "shan1-1", "gaus3" and "meyr" which allowed passage of artifact parts or truncated M wave parts. In order to determine which mother wavelet gives the best results, two indexes have been created. One uses the distance between the centers of the two distributions in the histogram representation. The other uses, in addition, the variance thanks to a Gaussian fitting of the histogram where the common area among the two Gaussian is the index. If this area is high then the wavelet is not adapted to distinguish artifacts in EMG signal. Those two indexes determined that the Haar wavelet is the most suitable to distinguish both artifact and M wave parts because the distance between both centroid is the highest and the common area of Gaussians is the smallest. In this work, we used standard mother wavelets, however, instead of using standard mother wavelets, it could be possible to create a new mother wavelet from an artifact signal itself. In this way, the artifact removal could be adapted for any kind of stimulation pulses or subjects. That could make the treatment
more efficient. This stimulation artifact removal can be used as a signal pre-processing step with an EMG signal recording over an electrical stimulation evoked contraction. A possible next study will be to compare this wavelet approach for artifact removal with other ones already used in the literature. For instance, filtering methods can attenuate artifact when they are merged with M wave which is not possible with a thresholding technique as the method proposed here. Another work could be to optimize the execution time which could be a limitation for real time applications due to the wavelet domain conversion.

References