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Jean-Luc Peyrot, Frédéric Payan, Marc Antonini. From stereoscopic images to semi-regular meshes. Signal Processing: Image Communication, 2016, 40, pp.97-110. 10.1016/j.image.2015.11.004 . hal-01236999

HAL Id: hal-01236999 https://hal.science/hal-01236999

Submitted on 8 Dec 2015

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From stereoscopic images to semi-regular meshes

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Abstract

The pipeline to get the semi-regular mesh of a specific physical object is long and fastidious : physical acquisition (creating a dense point cloud), cleaning/meshing (creating an irregular triangle mesh), and semi-regular remeshing. Moreover, these three stages are generally independent, and processed successively by different tools. To overcome this issue, we propose in this paper a new framework to design semi-regular meshes directly from stereoscopic images. Our semi-regular reconstruction technique first creates a base mesh by using a feature-preserving sampling on the stereoscopic images. Afterwards, this base mesh is passed to a coarse-to-fine meshing process to get the semi-regular mesh of the original surface. Experimental results prove the reliability and the accuracy of our approach in terms of shape fidelity, compactness, but also runtime, since many steps have been parallelized on the GPU.

Keywords: Semi-regular mesh , 3D reconstruction, stereoscopy, acquisition, Poisson-disk sampling, GPU.

1 1. Introduction

Motivated by the high fidelity and the realism of the numerical models, and supported by the increasing storage capacities, the acquisition devices provide now high resolution meshes, ensuring the preservation of the finest details. Consequently these data are massive, and cannot be easily managed by any workstation or mobile device with limited memory and bandwidth. The semiregular meshes are a good way to overcome these issues, because of their scalability and their compactness. Indeed, the semi-regular meshes are based on

Preprint submitted to Signal Processing: Image Communication

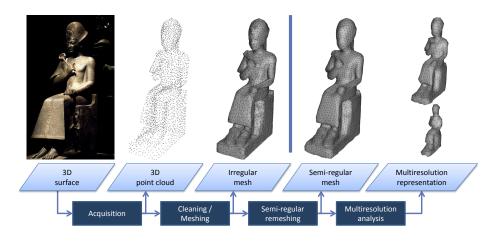


FIGURE 1: The pipeline to get a semi-regular mesh from a physical object, and its application to multiresolution analysis.

a regular subdivision connectivity, well-suited to display or transmit a mesh at 9 different levels of details. This subdivision connectivity also allows a compact 10 representation since only the connectivity of the lowest level of details is needed 11 to reconstruct the full connectivity. This semi-regular structure is also adapted 12 to multiresolution analysis (Lounsbery et al., 1997) and wavelet compression 13 (Payan and Antonini, 2006). Despite their good properties, the semi-regular 14 meshes are sometimes forsaken by users because they are not provided by cur-15 rent acquisition systems which only provide point clouds. So, if one wants 16 to produce a semi-regular mesh of a specific physical object, the pipeline pre-17 sented in figure 1 must be processed : physical acquisition (creating a dense 18 point cloud), cleaning/meshing (removing redundant points and noise inherent 19 to acquisition process, and creating an irregular triangle mesh), and then semi-20 regular remeshing (Payan et al., 2015). This pipeline is long and fastidious, 21 especially as these three stages are performed independently. 22

Our original idea is to make the design of semi-regular meshes easier, by simplifying the classical pipeline shown above. This paper, that is an extended version of (Peyrot et al., 2014), presents a *coarse-to-fine* approach that allows an acquisition system to provide semi-regular meshes as output, thus avoiding a

- ²⁷ remeshing process. We focused on stereoscopic systems, because stereoscopy is
- 28 an increasing field of interest in surface reconstruction, due to its rapidity and accuracy.

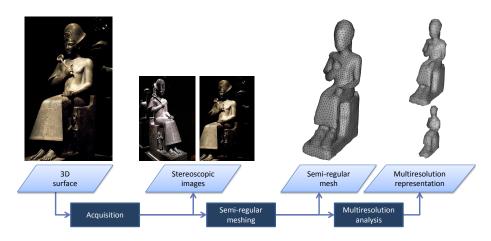


FIGURE 2: Our 3D reconstruction technique that produces a semi-regular mesh directly from stereoscopic images.

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Our method, depicted in figure 2, relies on an analysis of the stereoscopic images to get a base mesh that captures the salient features of the original object, followed by a coarse-to-fine meshing that generates the semi-regular output. The most innovative part of our algorithm is the use of the stereoscopic images as parameterization domain to create the semi-regular mesh.

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The remaining of the paper is organized as follows. In Section 2, we remind the reader of the basics of semi-regular meshes and briefly review two prior methods of surface reconstruction based on stereoscopy and parameterization. Section 3 presents our semi-regular reconstruction method. Experimental results are presented in Section 4. Finally, Section 5 summarizes our contributions, and proposes future work.

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43 2. Background

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- 44 2.1. Semi-regular meshes
- A semi-regular mesh M_{sr} is a structured mesh defined by L levels of reso-
- ⁴⁶ lutions (figure 3), where all the triangles at a specific level can be merged by fours down to a lower resolution mesh.

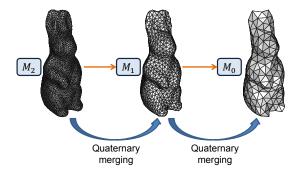


FIGURE 3: Semi-regular mesh of the model RABBIT (L = 3 levels of resolutions).

This merging process can be applied (L-1) times to M_{sr} until obtaining a base mesh M_0 that represents the lowest resolution of M_{sr} (M_{sr} can be seen as M_{L-1}). A semi-regular mesh is sometimes called a subdivision mesh, because a subdivision scheme is applied on the mesh at resolution l to generate the semi-regular mesh at the finer level of resolution (l + 1).

53 2.2. Presentation of two prior surface reconstruction methods

We now present two prior reconstruction methods similar to our proposal, because they are based on multi-view images and use a parameterization. Interested reader will find a complete presentation of general reconstruction methods in (Seitz et al., 2006).

The method proposed in (Park et al., a) combines the advantages of geometric and photometric techniques, thanks to the surface parameterization. It consists in associating a *Multi-View Stereo (MVS)* reconstruction process that relies on a correspondence between pixels from different multi-view images, and a *Shape from Shading* method that utilizes the surface reflectance. The authors

- $_{63}$ use two cameras, an array of lights and a rotation table on which the object
- ⁶⁴ is put (see figure 4). The rotation table allows to acquire several images of the
- object at different points of view, whereas only one light at a time is turned on to provide different lighting configurations.

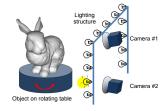


FIGURE 4: Image acquisition system presented in (Park et al., a) (image of (Park et al., a)).

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First of all, the technique *Structure from Motion* (Snavely et al., 2006) generates the 3D point cloud of the scanned object. The multi-view method *MVS* of (Hernandez et al., 2008) is then used to generate a depth-map, and the base mesh. The third step consists in creating a parameterization by *charts* (Zhou et al., 2004) (see figure 5). Finally, from the parameterization and the normals estimated at each vertex of the base mesh, a refinement procedure is applied, leading to high-quality reconstructions.



FIGURE 5: Charts defined on the base mesh, and its associated parameterization (image of (Park et al., a)).

Another relevant approach is proposed in (Pietroni et al., 2011). The authors
present a quadrangular remeshing technique based on a global and low distortion parameterization of different kinds of surfaces (polygonal meshes, point

⁷⁸ clouds...). The principle, illustrated in figure 6, is to first generate a set of dis-⁷⁹ tance maps U^i of the input data. Then, each image U^i is parameterized into a ⁸⁰ 2D planar domain, while controlling the resulting distortion at the frontiers of ⁸¹ the images in the final parameterization. Finally, a sampling in the parameteri-⁸² zation domain creates a quadrangular semi-regular mesh.

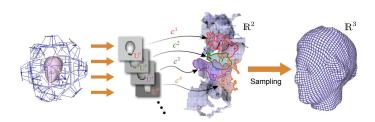


FIGURE 6: Overview of (Pietroni et al., 2011)'s method (image of (Pietroni et al., 2011)).

Discussion These two parameterization-based methods are reliable. However, 84 we cannot refer to (Park et al., a) to get a semi-regular mesh directly from 85 stereoscopic images, as a coarse 3D mesh must be built before creating the 86 parameterization. The other method, (Pietroni et al., 2011), is closely related 87 to our goal, it requires a cross-field technique that might be complex and uses 88 triangles embedded in \mathbb{R}^3 . A contrario, our method strives to minimize the 89 use of the 3D connectivity by using the stereoscopic images as parameterization 90 domain and a *coarse-to-fine* approach. 91

⁹² 3. Presentation of our semi-regular reconstruction method

93 3.1. Overview

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To highlight the interest of our approach, we first present the classical pipeline to get a semi-regular mesh of a physical object with a stereoscopic system (Figure 7(a)).

Stereo matching The goal is to find the *Pixels Of Interest (POI) region* in the two images that represents the physical object (Scharstein and Sze liski, 2002). The POI region gathers the couples of pixels that correspond

to a same point in the 3D space through both cameras (yellow parts on
the left and right stereoscopic images). The POI region is only a subset of
the stereoscopic images since it is impossible to capture the same set of
3D points from two different points of views.

2. 3D coordinates computation The coordinates of the 3D points are
 computed for all the pixels belonging to the POI region (Hartley and
 Zisserman, 2004). These two first steps are done by the acquisition system.

Cleaning/meshing The 3D point cloud must be cleaned, and then trian gulated, leading to a dense irregular mesh. This is the second independent
 process.

4. Simplification The semi-regular remeshing can now be done (third independent process) : the irregular mesh is first simplified to obtain a coarse
mesh corresponding to the base mesh of final semi-regular mesh. During
this stage, a parameterization of the irregular mesh vertices is generally
computed onto this base mesh.

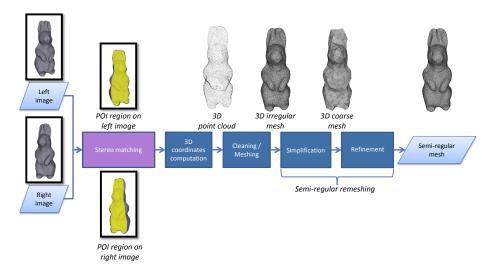
5. Refinement The base mesh is subdivided several times (1 :4 subdivision)
to create the different resolutions of the final semi-regular mesh. Generally,
the aforementioned parameterization optimizes the positioning of the new
vertices added by subdivision.

The originality of our semi-regular reconstruction method, illustrated in figure 7(b), is that it mainly works onto the 2D domain defined by the stereoscopic images, and thus can be included in the acquisition system :

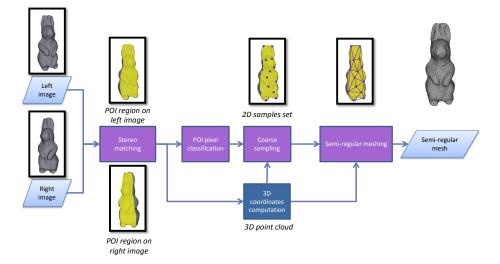
Stereo matching This stage is identical to the one in the classical approach.

POI pixel classification The goal is to detect the feature lines in the
 POI region. The creation of the base mesh will be guided by these feature lines to ensure that the geometrical features are preserved on the
 final semi-regular output. Moreover, such assertion greatly improves the
 reconstruction quality.

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(a) Classical pipeline of semi-regular reconstruction.



(b) Proposed semi-regular reconstruction method.

FIGURE 7: How to get a semi-regular mesh from stereoscopic images? The classical pipeline (top) Vs our direct *coarse-to-fine* reconstruction method (down). Purple and blue blocks indicate that the process is realized in 2D and 3D space, respectively.

Coarse sampling A coarse sampling, constrained by the feature lines, is
 done to retrieve a set of 2D samples that will be later the vertices of the
 base mesh. This stage is based on 2D Poisson-disk sampling, to ensure a
 good distribution of the samples over the POI region.

4. Semi-regular meshing The set of 2D samples is first triangulated to obtain a 2D base mesh. Then, this 2D base mesh is subdivided several times, to get a 2D semi-regular mesh of the POI region. Finally, the 3D semi-regular mesh is obtained by computing the 3D coordinates associated to the 2D samples.

138 3.2. POI pixel classification

To detect the feature lines in the POI region , we first classify the pixels according to their curvature values¹, as described below.

A tensor $T_{p(u,v)}$ is calculated at each pixel p(u,v) in the POI region using

$$T_{p(u,v)} = \sum_{u'=u-n}^{u'=u+n} \sum_{v'=v-n}^{v'=v+n} \overrightarrow{N'} . \overrightarrow{N'}^{t}, \qquad (1)$$

where $\overrightarrow{N'}$ is the 3D normal associated to the neighbor pixel p'(u', v'), and ndepends on the size of the considered neighbor region of p. The three eigenvalues of $T_{p(u,v)}$ are then computed with the Jacobi operator, and a thresholding operation performs the segmentation of high curvature area. In order to reduce the runtime and benefit the independence of the operation at each pixel p, this classification is GPU-parallelized.

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However, this classification is not precise enough to be exploited as it is. A parallelized thinning technique (Zhang and Suen, 1984) is thus applied to the 'high curvature' pixels to finely detect the sharp edges. Thinning a set of

^{1.} In the current version, the curvature values are calculated with the technique of (Park et al., b) from the 3D normals associated to the corresponding 3D point cloud. *In fine*, to limit the use of 3D information, this technique will be replaced in our algorithm by the recent technique of (DTA) that computes the 3D normals directly from stereoscopic images.

neighbor pixels consists in generating a skeleton (*i.e.* a set of median lines) that

- ¹⁵³ presents the same topology as the related shape.
- 154

Once the thinning is done, we classify the pixels in the POI region according to three classes :

- corners containing the pixels where the median lines intersect in the
 image;

- sharp features containing the remaining skeleton pixels;

¹⁶⁰ - *smooth regions* containing the other pixels.

¹⁶¹ Figure 8 depicts several results of classification obtained with this method.

This classification of POI pixels will help the subsequent sampling to preserve geometrical features and thus to provide a consistent base mesh in terms of global shape and geometrical characteristics, as explained below.

165 3.3. Coarse sampling

This stage is inspired by the feature-preserving Poisson-disk sampling for surfaces of (Peyrot et al., 2015), which is based on a dart throwing.

This approach can be efficiently adapted to our setting : the sampling domain Ω becomes the POI region of the stereoscopic images (instead of a surface mesh in (Peyrot et al., 2015)), and the feature lines detected by the previous stage guide the distribution of 2D samples.

However, as the output 2D samples of this stage will define the vertices of the base mesh, they must be consistently distributed *over the surface* of the object (and not especially *over its stereoscopic images*). Therefore the sampling is done onto the POI region, to benefit from its implicit 2D connectivity, but the distances between samples are computed in the 3D space with Dijkstra's algorithm (Dijkstra, 1959).

The principle of the dart throwing on a 2D image is the following : i) one pixel in the 2D domain Ω is chosen randomly, ii) a disk is computed around it, according to a radius R that depends on the target number N of samples and a density function, iii) this pixel is considered as a valid sample if the disk

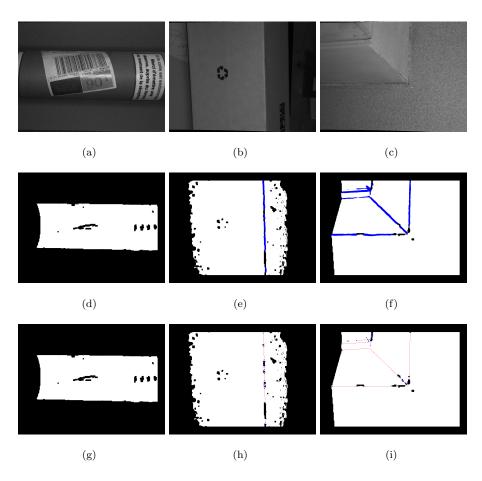


FIGURE 8: Detection of the feature lines *via* our classification technique. First row : left stereoscopic images obtained with our scanner (models PIPE, BOX and WALL). Second row : detection of high curvature areas (in blue). Third row : resulting classification after thinning : white, red and blue pixels represent respectively the *smooth regions*, the *sharp features* and the *corners*.

does not intersect the disks relative to the samples already accepted (ensuring
a minimal distance between the samples).

One key idea of the proposed sampling technique is the computation of the 184 radius R onto the surface in the 3D space, while handling the POI region of 185 the stereoscopic images. Given the requested number of samples N, we first 186 calculate the horizontal δ_i and vertical δ_j deviations between samples when a 187 uniform sampling pattern is realized on the stereoscopic image. It generates 188 a grid of samples of dimension $\mathbb{N}_{\delta_i} \times \mathbb{N}_{\delta_j}$, as depicted in figure 9, where N_i 189 and N_j represent the number of samples per row and per column, respectively 190 $(N_i \times N_j = N).$ 191

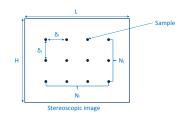


FIGURE 9: Example of uniform sampling performed on one stereoscopic image.

¹⁹² To take care of the fact that the sampling domain Ω is restricted to the ¹⁹³ pixels in the POI region, the distances δ_i and δ_j between samples along each ¹⁹⁴ dimension, are shrunk by a factor $\frac{L \times H}{Card\{POI\}}$, with $Card\{POI\}$ the number of ¹⁹⁵ pixels in Ω . A uniform sampling can be realized using

$$R = \frac{1}{3} \cdot max(\delta_i, \delta_j) \cdot S_r, \tag{2}$$

where S_r is the spatial resolution of the scanner (0.3mm in our case). With some objects, it can be convenient to realize an adaptive sampling, to better preserve the geometrical features for instance. In that case, the radius will depend on the surface curvature according to the following equation (Peyrot et al., 2015) :

$$R = \frac{1}{3} \cdot max(\delta_i, \delta_j) \cdot S_r \cdot (1 + e^{C \cdot \lambda_2} + e^{C \cdot \lambda_3}).$$
(3)

Empirically, we put C = -8.0 for the pixels of the class *sharp features*, and C = -6.0 for the pixels of the class *smooth regions*. λ_2 and λ_3 are the eigenvalues

of the tensor $T_{p(u,v)}$ computed in section 3.2. In this formulation, the corners 202 pixels keep the minimum radius given by equation (2). To determine the disks 203 associated to the samples in function of the radius R, we recall that we use 204 Dijkstra's algorithm to compute geodesic distances between 3D points, while 205 using the connectivity of the 2D sampling domain Ω . Therefore, a disk does 206 not depend on the Euclidean distance between two given 2D samples, but on 207 the sum of the lengths of the 3D segments defined by the shortest path in the 208 POI region, as shown in figure 10. As output of this stage, we get a set of 2D 209 samples, that ensures a good distribution of the vertices of the 3D base mesh 210 all over the scanned surface. 211

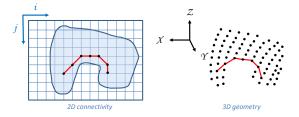


FIGURE 10: Computation of a geodesic distance between two points of the surface in \mathbb{R}^3 (right image), driven by the shortest path between the associated pixels in the POI region (light blue region, left image).

212 3.4. Semi-regular meshing

We now present how to generate a semi-regular mesh directly from the set of 2D samples defined previously. It is a three-stage process : creation of the 3D base mesh from the set of 2D samples, refinement by iterative subdivisions to get a 2D semi-regular mesh, and fitting in 3D space.

Creation of the base mesh. The base mesh is obtained *via* a constrained Voronoi relaxation (Lloyd, 1982) of the samples in the stereoscopic image domain, followed by the triangulation of the relaxed samples (via the dual of the Voronoi diagram (Rong et al.)). In our context, the Voronoi relaxation consists in first computing a Voronoi diagram of the pixels in function of the set of samples, and then displacing each sample to the centroid of its cell. This process is iteratively repeated until convergence. The relaxation greatly improves the mesh quality,
when comparing with the triangulation that we could obtain directly from the
initial voronoi diagram.

In this work, the Voronoi diagrams are generated with (Munshi et al., 2011), 226 that is a GPU implementation of popular Dijkstra's algorithm (Dijkstra, 1959). 227 We had to adapt this algorithm to process stereoscopic images. Moreover, to 228 preserve the feature lines on the created base mesh, we added a constraint 229 during the relaxation : the new samples must belong to the same class than the 230 initial samples (corners, sharp features or smooth regions). In other words, if 231 after relaxation a sample is moved to a pixel which does not belong to the same 232 class, then the sample is displaced to the closest pixel of the same class. This 233 technique is straightforward, but produces nice triangulations, while preserving 234 geometrical features of the scanned object, as shown in figure 11. This figure 235 shows also the poor triangulation obtained if the constraint is not included. 236

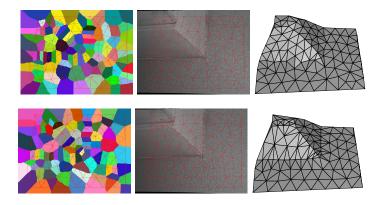


FIGURE 11: Base mesh generated by our Voronoi relaxation without (first row) or with (second row) the constraint on the feature lines. Left : final Voronoi diagram and triangulation. Middle : the same triangulation on the left stereoscopic image. Right : the resulting 3D base mesh.

Refinement. A 2D semi-regular mesh is first obtained by applying several midpoint subdivisions (Chen and Prautzsch, 2012) to the base mesh of the left
stereoscopic image (see figure 12). Then, the surface fitting will embed the semi-

²⁴⁰ regular mesh in the 3D space.

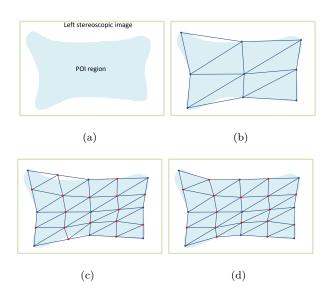


FIGURE 12: Generation of the 2D semi-regular mesh. (a) Left stereoscopic image and its POI region; (b) 2D base mesh; (c) Subdivision; (d) Displacement of the new vertices (red ones).

During the subdivision, some new vertices might be either outside the POI region, or in holes (areas without 3D correspondences). In the first case, they are displaced to their closest POI pixel, as shown in figures 12(c) and 12(d). To avoid an exhaustive research over the POI region, we use a parallelized k-Nearest Neighbors algorithm (with k = 1).

In the second case, if we use the same technique, the resulting triangles will be badly shaped (see figure 13(a)), which globally decreases the mesh quality. To reduce such artifacts, we choose to keep the vertices "fallen in a hole" in the 2D domain, and so in the 3D space. Figure 13(b) shows that, with this technique, the triangles filling the holes are better shaped. Note that instead of using this simple scheme, one could use an interpolating scheme such as *Butterfly* (Egli and Dussault, 2001).

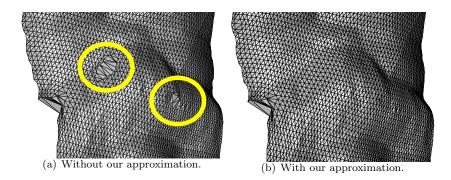


FIGURE 13: Technique proposed to fill the holes during the refinement.

253 4. Experimental results

254 4.1. Visual results

All our results are generated with a single pair of stereoscopic images obtained with a hand-held scanning system. Figure 14 gives an overview of our method on the model FACE.

From the stereoscopic images (a), the POI region (b) is defined, and the base 258 mesh (resolution 0) is created (c). Then, our coarse-to-fine approach generates 259 several resolutions (d, e, f). At resolution 5, our semi-regular reconstruction, 260 with only 43k vertices, is already a good approximation of the original cloud of 261 250k points given by the stereoscopic system. This is promising in terms of both 262 compactness and compression. Figure 14(g) also shows the textured semi-regular 263 mesh, produced in a very simple way, with one stereoscopic image. No additional 264 texturing technique is necessary as the connectivity of the semi-regular mesh is 265 generated directly on the image domain. This is another great advantage of our 266 approach. 267

268 4.2. Uniform Vs adaptive sampling

We now study the efficiency of our feature-preserving technique, and the difference in terms of triangle quality, between the meshes produced with the uniform/adaptive samplings during the creation of the base mesh (Section 3.3).

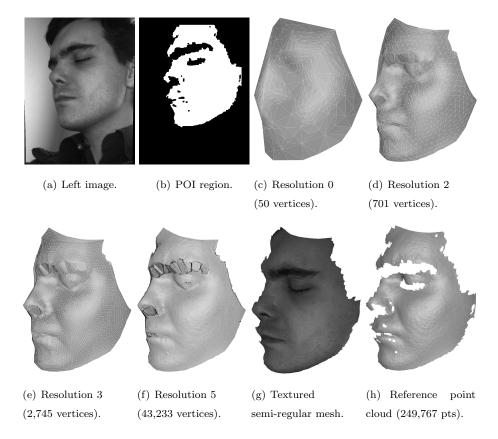


FIGURE 14: Semi-regular reconstruction of the model FACE.

Figure 15 shows a reconstruction of a surface having sharp features called DOOR.

Subfigures 15(b), (c) and (d) present the results with the uniform sampling, whereas subfigures 15(f), (g) and h present the results with the adaptive sampling. We observe on the smooth shadings that the features are globally well preserved whatever the sampling. Some artifacts along them are visible, but they are due to the holes in the POI region that generate notches along features when the base mesh is created (these artifacts would be removed by improving the stereo matching in the scanning system).

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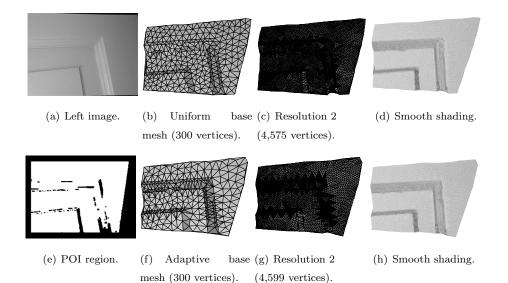


FIGURE 15: Preservation of the geometrical features of DOOR, with the uniform or the adaptive sampling.

However, we observe in subfigures 15(b) and (f) that the adaptive sampling tends to better preserve the features from the lowest resolution. This result was expected, as the adaptive approach takes into account the curvature during the computation of the disks, leading to a dense sampling pattern along the geometrical features. The counterpart is that the sampling is globally less uniform, and the quality of the triangles is lower : the average minimum angle is 42.5° and 37.5° respectively for the uniform and the adaptive sampling.

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Figure 16 gives an additional result on FACE : we see that the uniform sampling tends to provide a more isotropic mesh, and that the edges of the base mesh are less visible at high resolutions, which is advocated in case of smooth surfaces. On the database of five objects shown in Figure 17, the uniform sampling increases of 11% the average min angles.

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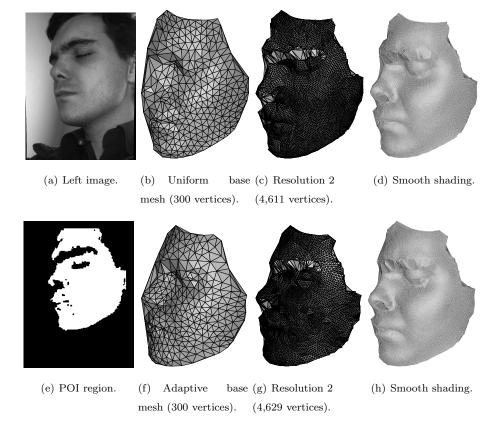


FIGURE 16: Difference of sampling quality obtained on FACE in function of uniform/adaptive sampling.

297 4.3. Runtime

We now evaluate the runtime of our semi-regular meshing on five surfaces shown in Figure 17. The results have been obtained with an Intel Core i3 CPU 2.30 GHz processor, associated to a 4 GB RAM.

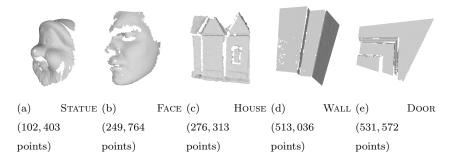


FIGURE 17: Database used to compute the runtimes of Figure 19.

Figure 18 shows the runtime in function of the resolution, when the base mesh has 50 vertices, and eight resolutions. The inferior part of this figure is a zoom of the graphic, where the Y-axis spans from 0 to 1.

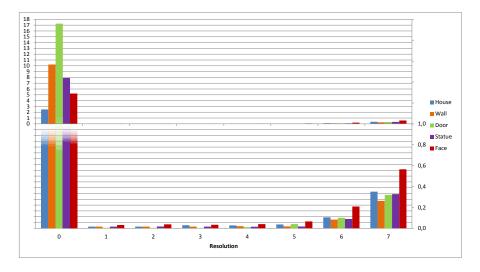


FIGURE 18: Runtime in seconds of our method, per resolution. The inferior part is a zoom of the superior one where the Y-axis spans from 0 to 1.

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As expected, the most "greedy" resolution is the first one, during which the base mesh is generated (including the Poisson-disk sampling, the constrained 2D Voronoi relaxation, and the 2D Delaunay triangulation). The obtaining of the other resolutions is much faster, partly because theses steps have been parallelized on GPU. As a proof, the generation of the seventh resolution defined
by 705, 281 vertices (528, 768 vertices are added) requires less than 0.6 seconds
in the worst case. The higher total runtime to create our semi-regular mesh is
around 17 seconds, for the model DOOR. Nevertheless, this remains very fast.

Now, Figure 19 shows the runtime in function of the base mesh density.
For each surface, the curve is obtained by averaging the runtime of five tests.
Indeed, our algorithm is not deterministic (because of the dart throwing), and
the relaxation time depends on the initial sampling. So, we can obtain slightly differences at each resolution for a same surface.

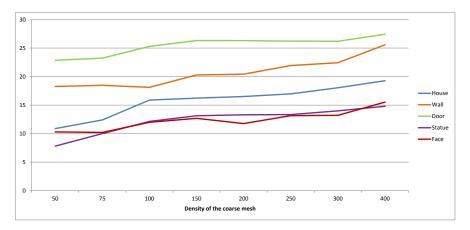


FIGURE 19: Runtimes (in sec.) of our method in function of the number of vertices of the base mesh.

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We observe the linearity of the total runtime with respect to the number of 317 vertices of the base mesh. The differences between the models is due to the ori-318 ginal point cloud density (ranging from 102, 403 points for STATUE to 531, 572 319 points for DOOR). The curvature of the scanned surface also influences the run-320 time. For instance, WALL contains around 18k points less than DOOR, but it 321 contains much more pixels classified as sharp features. Finally, the mean sam-322 pling runtime is slower: 5.70 seconds for WALL, while it amounts to 10.90 323 seconds for DOOR. 324

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326 4.4. Comparison with the classical pipeline

We now compare our direct semi-regular meshing with the classical acquisi-327 tion pipeline to get a semi-regular mesh (*point cloud generation* \rightarrow *triangulation* 328 \rightarrow semi-regular remeshing). We use a Voronoi-based triangulation technique to 329 generate the original irregular reference mesh M_{ori} from the point cloud pro-330 vided by our stereoscopic system. This irregular mesh is then remeshed semi-331 regularly either with the SDK *SmartMesh* based on the patent Fonteles et al. 332 (2014) and developed by the company (Cintoo3D) (a free trial is available on 333 the website), or with Trireme (Guskov, 2007). To our knowledge, they are the 334 only semi-regular remeshing techniques available on the web. Unfortunately, we 335 found out that *Trireme* is not a suitable tool to remesh our data. Indeed, we 336 could not produce any semi-regular meshes without severe degeneracies and out-337 lier triangles. In the contrary, SmartMesh always provides manifold semi-regular 338 meshes, in particular because it does not use any parameterization, unlike Tri-339 *reme.* Consequently, we only compare the reconstruction errors and runtimes 340 relative to our semi-regular meshing and to SmartMesh. 341

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We first compute the symmetric root mean square distance between the 343 set of vertices of our semi-regular meshes, and the set of vertices of M_{ori} (the 344 original point cloud provided by the acquisition system). It permits to assess 345 the fidelity of our sampling to the reference point cloud. The same distance 346 is calculated with the set of vertices of the semi-regular meshes produced by 347 SmartMesh. Figure 20 shows the evolutions of these distances depending on the 348 resolutions : the X-axis indicates the associated number of points. We observe 349 that our method presents lower distances than *SmartMesh*. It was expected as 350 our method is approximating, contrary to SmartMesh that is interpolating (it 351 optimizes the positions of the vertices such as its semi-regular mesh is close to 352 the reference mesh). Our method has the advantage to determine the majority of 353 vertices among the original point cloud, as the vertices are selected *via* the pixels 354 of the POI region in the image domain. The only vertices that do not exist in 355 the original point cloud are associated to pixels selected outside the POI region 356

during subdivision. Thus, our method is more accurate when considering only the geometry of the initial surface.

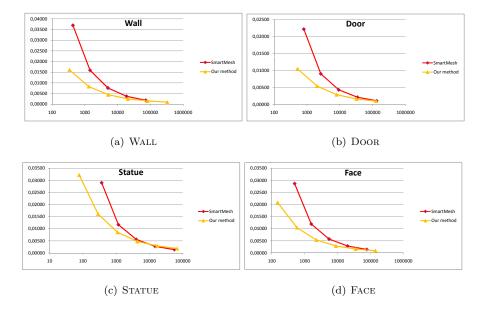


FIGURE 20: Comparison of the geometry sampling obtained with our method and with *Smart-Mesh* (Cintoo3D), depending on the vertex density of the semi-regular meshes.

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We now assess the fidelity of our semi-regular meshes with respect to the 359 reference mesh M_{ori} . To achieve this goal, we compute the symmetric Root 360 Mean Square (RMS) distance between M_{ori} and our semi-regular meshes M_{sr} 361 (normalized by the diagonal length of the bounding box), which is widespread 362 used in the state-of-the-art (Payan et al., 2015). However, in our context, this 363 measure is not suited. Indeed, as explained in section 3.4, our method fills the 364 holes, in order to make the texturing easier and to enhance the mesh quality. 365 As a consequence, when measuring the symmetric RMS distances between our 366 semi-regular meshes and the reference irregular mesh M_{ori} , the distances bet-367 ween the triangles filling the holes and the original surface are inevitably high. 368 It severely corrupts the comparison with *SmartMesh*, as this latter has been ini-369 tially developed to preserve the potential borders of a surface and consequently 370 the holes. So, to make fairly comparisons, we compute the asymmetric RMS 371

distance $RMS(M_{ori} \rightarrow M_{sr})$, which excludes the filled holes : see Figure 21 372 (the X-axis still indicates the number of points of each resolution). Globally, we 373 observe that our method is better than SmartMesh in the first resolutions. It 374 can be explained by the fact that our method tends to preserve the geometrical 375 features in the base mesh, and that it is approximating (Payan et al., 2015). On 376 the other hand, *SmartMesh* becomes better on the highest resolutions, because 377 it minimizes the geometric distortion directly onto the original surface, without 378 any parameterization, which avoids the relative distortion. Furthermore, our 379 method is penalized by the fact that it works in the image domain, but also by 380 our feature preservation that positions more vertices on them. 381



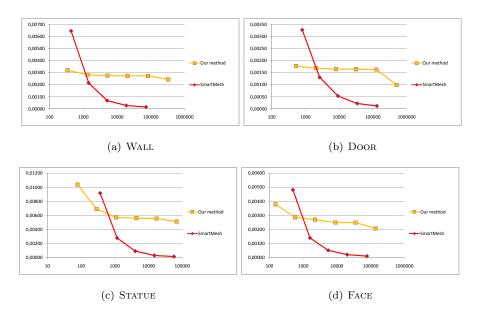


FIGURE 21: addAsymmetric RMS distance $RMS(M_{ori} \rightarrow M_{sr})$ obtained with our method and with *SmartMesh* (Cintoo3D) in function of the resolution.

On the other hand, our algorithm is direct and thus significantly faster than *SmartMesh*. The runtime comparison is summarized in table 1. *SmartMesh* indeed takes several minutes to produce the semi-regular meshes : from 2 to 7 minutes in function of the data, excluding the triangulation time, whereas our method needs always less than one minute. Finally, it shows that the proposed pipeline is a promising alternative to the classical one.

Models	Wall	Door	Statue	Face
Base mesh density	431	800	365	492
SmartMesh	≥ 3 min.	≥ 7 min.	≥ 2 min.	$\geq 6min.$
Our method	19.1 sec.	27.7 sec.	10.1 sec.	10.3 sec.

TABLE 1: Runtime comparison in seconds between our method and *SmartMesh* (Cintoo3D), to generate 5 resolutions.

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³⁸⁹ 5. Conclusion and perspectives

In this paper we proposed an alternative to the fastidious pipeline to get semi-regular meshes from physical objects. The idea is to generate semi-regular meshes directly from the stereoscopic images acquired with a hand-held stereo acquisition system. The key idea of our work is that the stereoscopic images can be considered as a parameterization of the acquired surface. Therefore, our reconstruction method processes the data as much as possible into the image domain, before embedding the surface in the 3D space.

The first contribution is an original sampling that creates a base mesh of the 397 scanned surface. We show that the Poisson-disk sampling developed by (Peyrot 398 et al., 2013) can be extended to a stereoscopic system, while retrieving the 3D 399 information necessary to preserve features all along the process. This allows to 400 take into account the surface geometry, although the sampling is realized on 401 the stereoscopic images. The second contribution concerns our *coarse-to-fine* 402 approach that allows to get a semi-regular mesh preserving the geometrical 403 features as output of our acquisition system, by working mainly in the image 404 domain. 405

⁴⁰⁶ Our pipeline could be easily included into any stereoscopic acquisition sys-⁴⁰⁷ tem. It also has the advantage to create semi-regular output that can be directly textured with the stereoscopic image, and is also much more faster and convenient than the classical pipeline.

However, a lot of improvements remains possible. For instance, the runtime 410 of our algorithm can be improved as some parts are implemented on CPU. 411 It would be interesting to investigate parallel algorithms for all the stages, to 412 allow quasi real-time reconstructions. We could also investigate new means to 413 improve the shape fidelity, in order to be competitive with the semi-regular 414 remeshing techniques. Another promising improvement would be to manage 415 several views. Indeed, our current algorithm handles only one view, and thus 416 only a part of the scanned object can be reconstructed. It would be relevant 417 to study, for instance, *mosaicing* techniques, widespread in photogrammetry, to 418 generate a large POI region representing the whole parameterized object, and 419 thus to output a complete semi-regular representation of a physical object. 420

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Acknowledgements This work was supported by a grant from *Région Pro-*vence Alpes Côte d'Azur in France.

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